

Recap: \Rightarrow Statistics
 \Rightarrow Introduction to Machine Learning

Agenda: Linear Regression

- \hookrightarrow Theory
- \hookrightarrow Mathematical Intuition
- \hookrightarrow Practical Implementation

Linear Regression

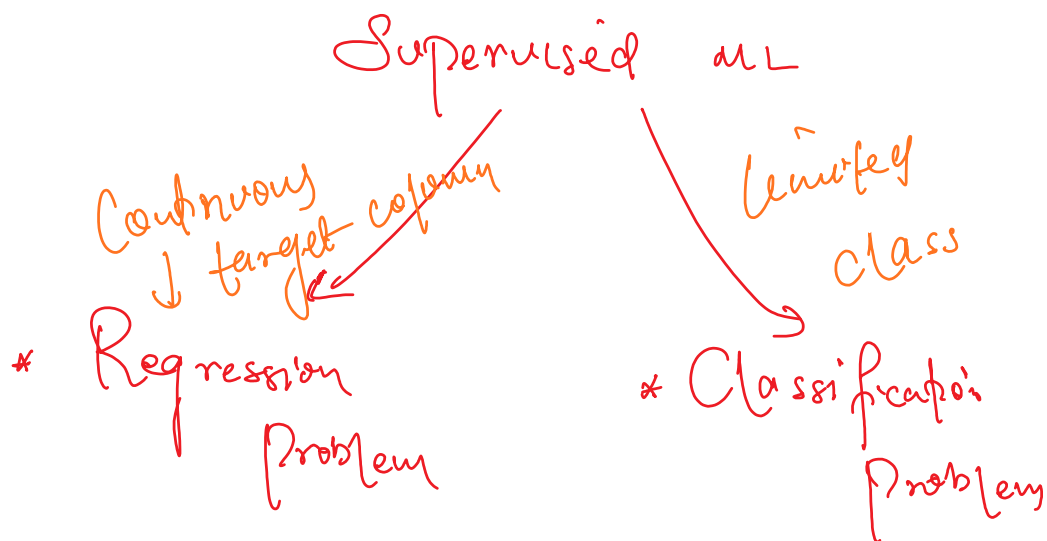
* It is Supervised ML Algorithm

Supervised \rightarrow Input + Output (labeled)

Unsupervised \rightarrow only input data

* Input = Independent Variable = features

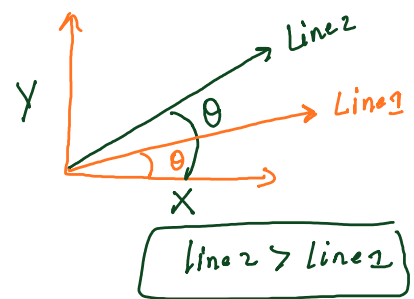
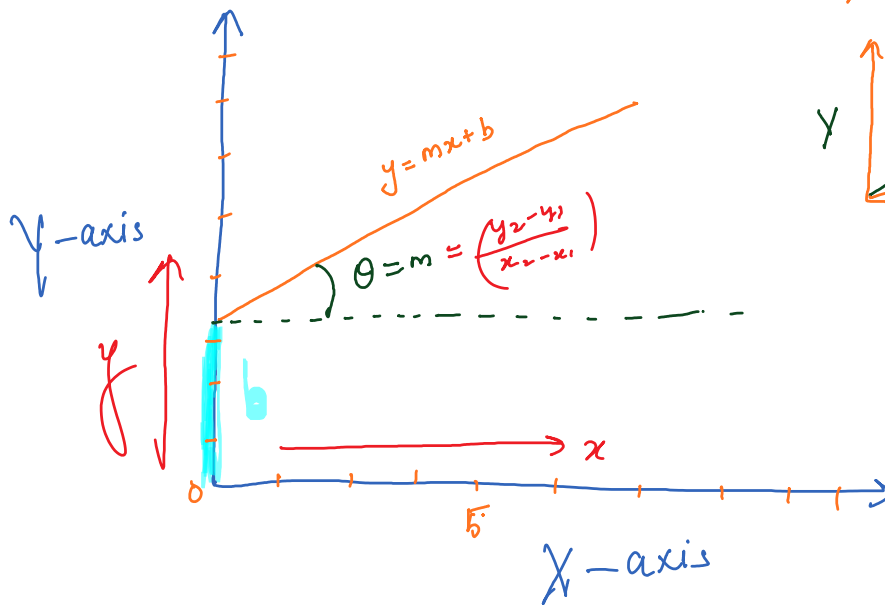
* Output = dependent variable = label = Target



* Linear Regression is a Regression ML Algorithm =

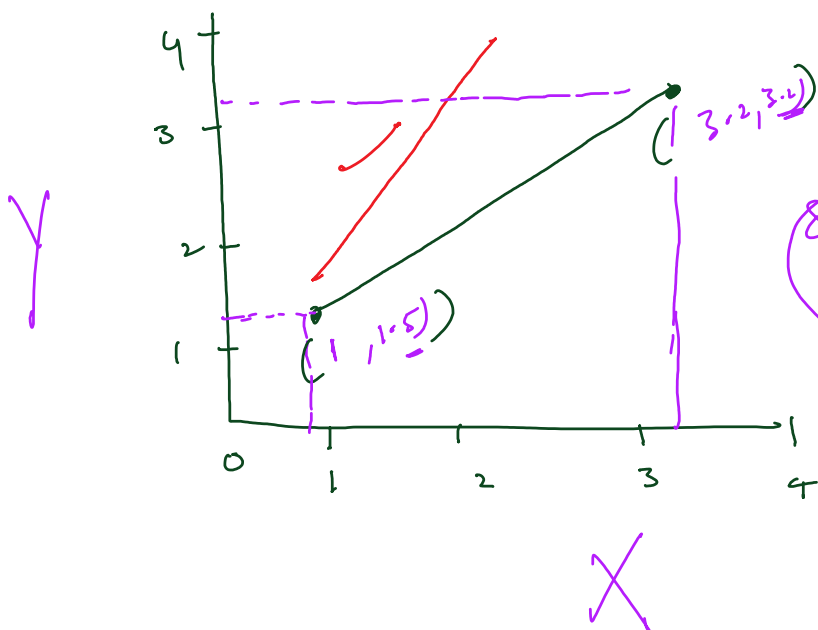
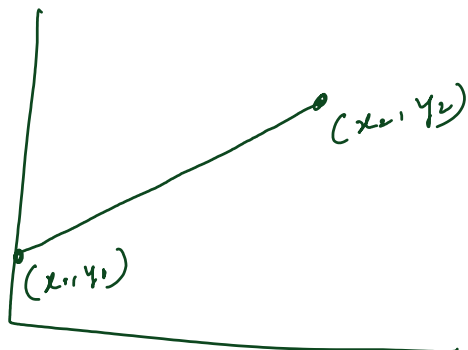
* we use linear Regression to solve Regression type of problem.

$$m = \text{slope} = \frac{y_2 - y_1}{x_2 - x_1}$$



Slope:

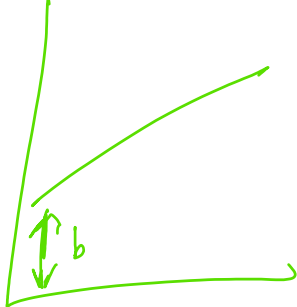
$$\frac{(y_2 - y_1)}{(x_2 - x_1)}$$



$$\text{slope} = \frac{3.2 - 1.5}{3.2 - 1}$$

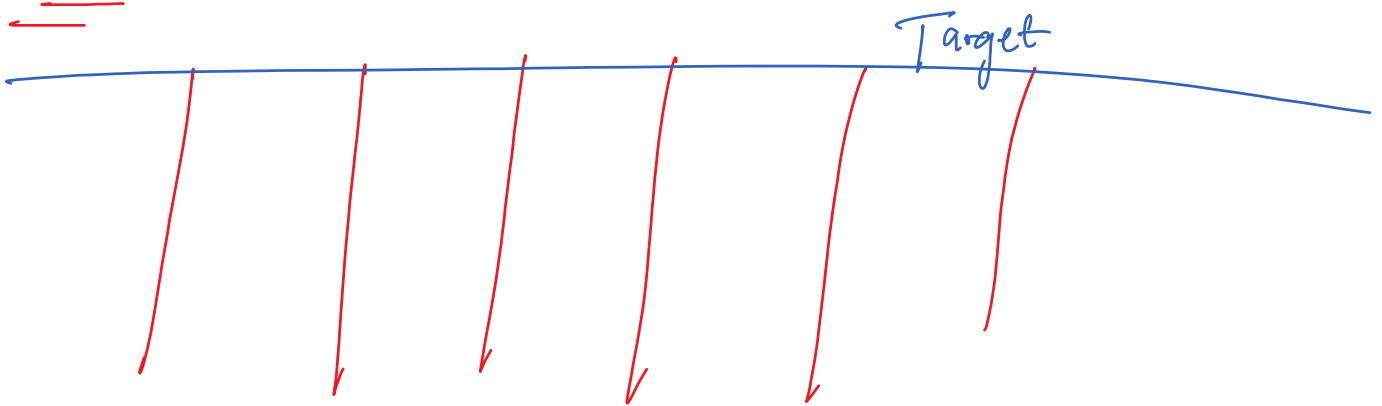
$y = mx + b$

Input data \rightarrow eqn of straight line
 Intercept
 Output
 slope = $\frac{(y_2 - y_1)}{(x_2 - x_1)}$



Note: Our linear Regression ML Algorithm is
 Inspired from equation of a straight line.

dataset:



Two types of linear Regression

(1) Simple linear Regression

② Multiple Linear Regression

① Simple Linear Regression

⇒ It will have only one input column and one output column.

eg. Input | Output

eg.

	A	D
1	YearsExperience	Salary
2	1.1	39343
3	1.3	46205
4	1.5	37731
5	2	43525
6	2.2	39891
7	2.9	56642
8	3	60150

② Multiple Linear Regression :-

Here you will be having multiple input column and single output column.

eg. location | area | flat-category | transportation | Price, floor

1

2

3

4

$$y = mx + b$$

* In Simple Linear Regression -

eqn

$$y = \beta_0 + \beta_1 x_1$$

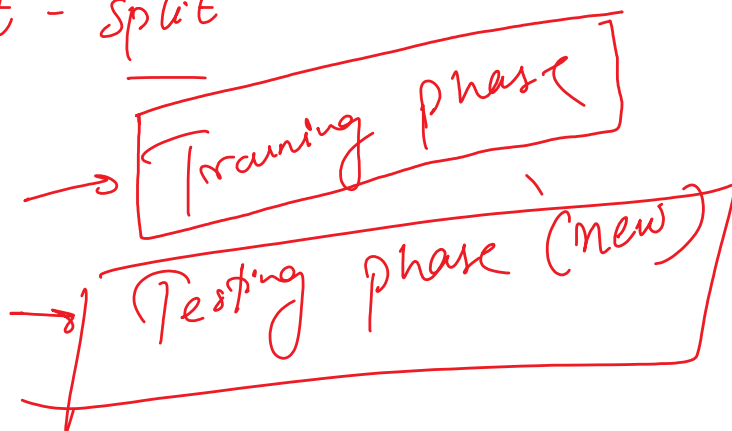
Intercept
slope
(Coefficient)
input

$$y = mx + b$$

Note:

Train - Test - split

100%



100%



80%



Training phase
(learn)



20%



Testing phase
(check the Accuracy of Model)

Python

(train-test-split)



Dataset 1

(100%)



(100%)

train-test-split

[80:20]

X - train [training (80%)]

↑ training ↑ Testing

$X_{\text{-train}}$
 $y_{\text{-train}}$ } training (80%)

$X_{\text{-test}}$
 $y_{\text{-test}}$ } testing (20%)

Accuracy of model

Training (1/10 of P)
Testing (1/10 of P)

Model Building

$\begin{matrix} X_{\text{train}} \\ y_{\text{train}} \end{matrix} \Bigg\} \text{ - Training phase}$

$X_{\text{test}} \Rightarrow \text{Prediction} \Rightarrow y_{\text{pred}}$
(new input data) (Predicted output)

$y_{\text{test}} \Rightarrow$
(Actual output)

$\Rightarrow \begin{matrix} X_{\text{train}} \\ y_{\text{train}} \end{matrix} \Bigg\} \text{ Training phase (fit())}$

$\Rightarrow X_{\text{test}}$ (new input data)

\Downarrow
 $y_{\text{pred}} \Rightarrow \text{Predicted Output}$

$\Rightarrow y_{\text{test}}$

100%	80%	70%
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