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Lab 6 - Homework

1)
$$x[n] = u[n] - u[n-2]$$
 $y[n] = 0, 2^{m} u[n]$
 $x[n] * y[n] = \sum_{K=-\infty}^{\infty} x[K] \cdot y[n-K]$

$$= \sum_{K=-\infty}^{\infty} (u[K] - u[K-2]) \cdot 0, 2^{n-K} \cdot u[n-K] = ...$$

$$= \sum_{K=-\infty}^{\infty} u[K] \cdot 0, 2^{n-K} \cdot u[n-K] - \sum_{K=2}^{\infty} u[K-2] \cdot 0, 2^{n-K} \cdot u[n-K] = ...$$

$$= \sum_{K=0}^{\infty} u[M] \cdot 0, 2^{n-K} - \sum_{K=2}^{\infty} u[K-2+n-K] \cdot 0, 2^{n-K} = ...$$

$$= \sum_{K=0}^{\infty} u[n] \cdot 0, 2^{n-K} - \sum_{K=2}^{\infty} u[n-2] \cdot 0, 2^{n-K} = ...$$

$$= (1)^{m} u[n] \cdot 0, 2^{n-K} - \sum_{K=2}^{\infty} u[n-2] \cdot 0, 2^{n-K} = ...$$

$$= (1)^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} = ...$$

$$= (\frac{1}{5})^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= (\frac{1}{5})^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= (\frac{1}{5})^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=2}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - ...$$

$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - ...$$

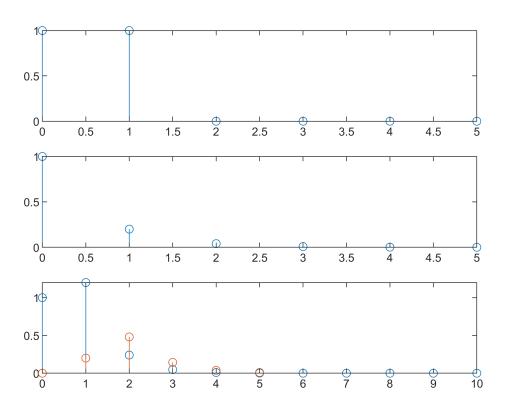
$$= \frac{1}{5}^{m} u[n] \cdot \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{K=0}^{\infty} x^{K} - u[n-2] \cdot (\frac{1}{5})^{m} \sum_{$$

```
%Ex1
clear variables
n = 0 : 5;
u = @(n) (n>=0);
x = @(n) u(n) - u(n-2);
y = @(n) (0.2.^n).*u(n);
sx = 0; ex = 5; dtx = sx : ex;
sy = 0; ey = 5; dty = sy : ey;
dtw = sx + sy : ex + ey;
subplot(3,1,1);stem(dtx,x(dtx))
subplot(3,1,2);stem(dty,y(dty))
w = conv(x(dtx),y(dty))
w = 1 \times 11
                                                                      0 . . .
   1.0000
            1.2000
                     0.2400
                              0.0480
                                       0.0096
                                                0.0019
                                                         0.0003
```

subplot(3,1,3);stem(dtw,w);hold;

Current plot held

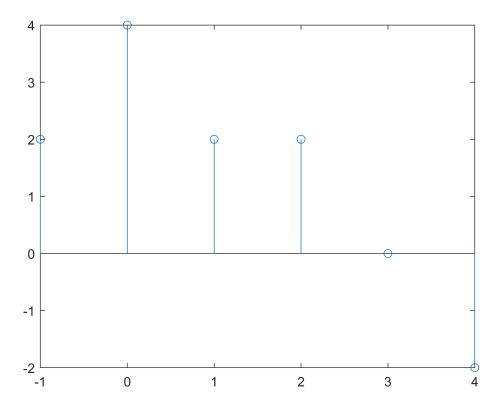
```
stem(n, (1-5.^(-n))/4 .* (u(n)-u(n-2)) + 6.*n.*u(n-2).*(1/5).^n);
```



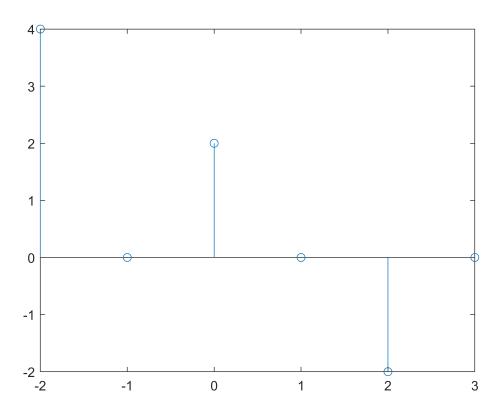
```
%Ex2

clear variables;
n = -7 : 7;
delta = @(n) n==0;
x = @(n) (delta(n) + 2*delta(n-1) - delta(n-3));
h = @(n) (2 * delta(n+1) + 2*delta(n-1));
%i

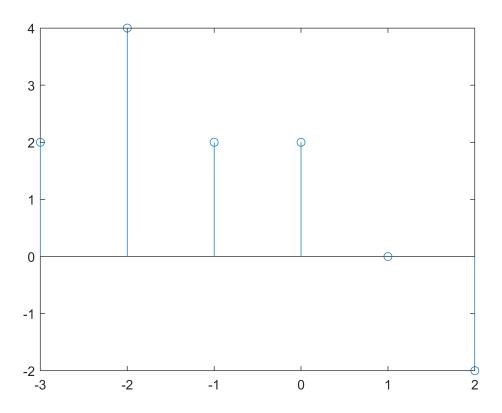
sx = 0; ex = 3; dtx = sx : ex;
sh = -1; eh = 1; dth = sh : eh;
dty1 = sx+sh : ex+eh;
y1 = conv(x(dtx),h(dth));
stem(dty1,y1)
```



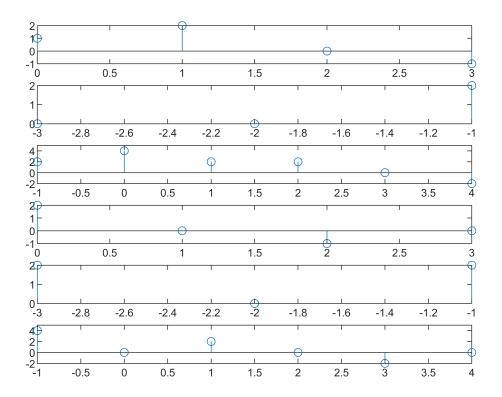
```
%ii
sx = -1; ex = 2; dtx2 = sx:ex;
sh = -1; eh = 1; dth2 = sh : eh;
dty2 = sx+sh : ex+eh;
y2 = conv(x(dtx+1),h(dth));
stem(dty2,y2)
```



```
%iii
sx = 0; ex = 3; dtx = sx:ex;
sh = -3; eh = -1; dth = sh : eh;
dty3 = sx+sh : ex+eh;
y3 = conv(x(dtx),h(dth+2));
stem(dty3,y3)
```



```
%b
figure,
subplot(6,1,1), stem(dtx,x(dtx));
subplot(6,1,2), stem(dth,h(dth));
subplot(6,1,3), stem(dty1,y1);
subplot(6,1,4), stem(dtx,x(dtx+1));
subplot(6,1,5), stem(dth,h(dth+2));
subplot(6,1,6), stem(dty1,y2);
```



```
%Ex3

clear variables;
n = -5:5;
delta = @(n) (n==0);
alfa = 0.05;
u = @(n) (n>=0);
x_n = @(n) (delta(n) - alfa*delta(n-1));
h1_n = @(n) alfa*u(n);
sx = 0; ex = 1; dtx = sx : ex;
sh = 0; eh = 5; dth = sh : eh;
h2_n = @(n) sin(8*n);
S1_n = @(n) conv(x_n(dtx), h1_n(dth))
```

```
S1_n = function_handle with value:
    @(n)conv(x_n(dtx),h1_n(dth))
```

```
output = conv(S1_n(dth), h2_n(dth))
```

```
output = 1 \times 12
0 0.0495 0.0326 -0.0120 0.0179 0.0538 0.0519 0.0024 · · ·
```

```
dto = 0:11;
figure,
subplot(4,1,1);stem(dth, h1_n(dth));
subplot(4,1,2);stem(dth, h2_n(dth));
subplot(4,1,3);stem(dtx, x_n(dtx));
subplot(4,1,4);stem(dto, output);
```

