

Листинг 2

```

In[124]:= ClearAll["Global`*"]
SetDirectory[NotebookDirectory[]];
Needs["FlowSolver`"]

In[127]:= readGraph2[file_, dir_] := Module[{
    fn = FileNameJoin[{dir, file}],
    stream, imod, umod, u, b
},
    stream = OpenRead[fn];
    imod = Read[stream, {Word, Number}][[2]];
    umod = Read[stream, {Word, Number}][[2]];

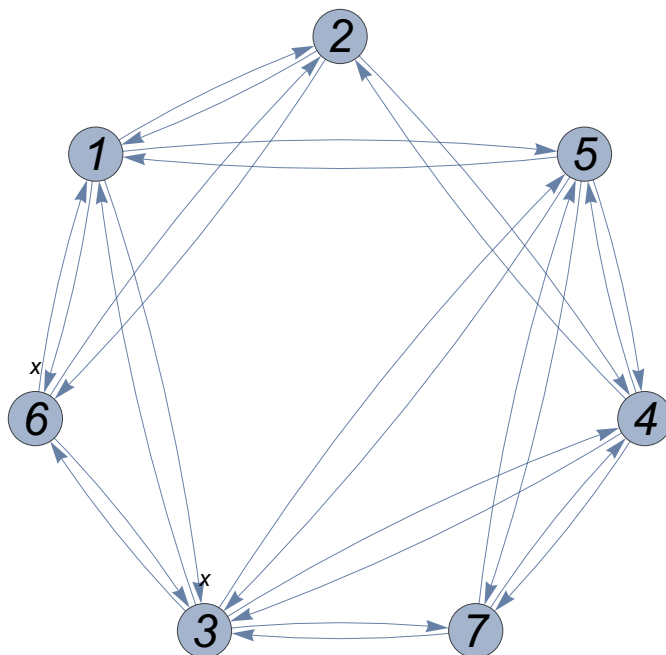
    u = ({#[[1]] ↔ #[[2]], #[[2]] ↔ #[[1]]} & /@ ReadList[stream, Expression, umod]) // Flatten;
    b = ConstantArray[0, imod];
    (b[[Read[StringToStream[StringTake[#1, {5, -3}]], Number]]] = #2) & @@@
    ReadList[stream, {Word, Expression}, imod];
    {Graph[u, VertexSize -> Medium, VertexLabels -> {xx_ :> Placed[{xx, Style[{
{x, SameQ[b[[xx]], x]}], {
{-b[[xx]]},
{"↑"}
}, b[[xx]] < 0},
{{
{b[[xx]]},
{"↓"}
}, b[[xx]] > 0},
{"", True}
} // TableForm, Medium]], {Center, Above}]], VertexLabelStyle ->
    Directive[Black, Italic, 24], GraphLayout -> "CircularEmbedding"], b}

]

In[128]:= {g, b} = readGraph2["gr.txt", NotebookDirectory[]];
GraphPlot[g, MultiedgeStyle -> .05]

```

Out[129]=



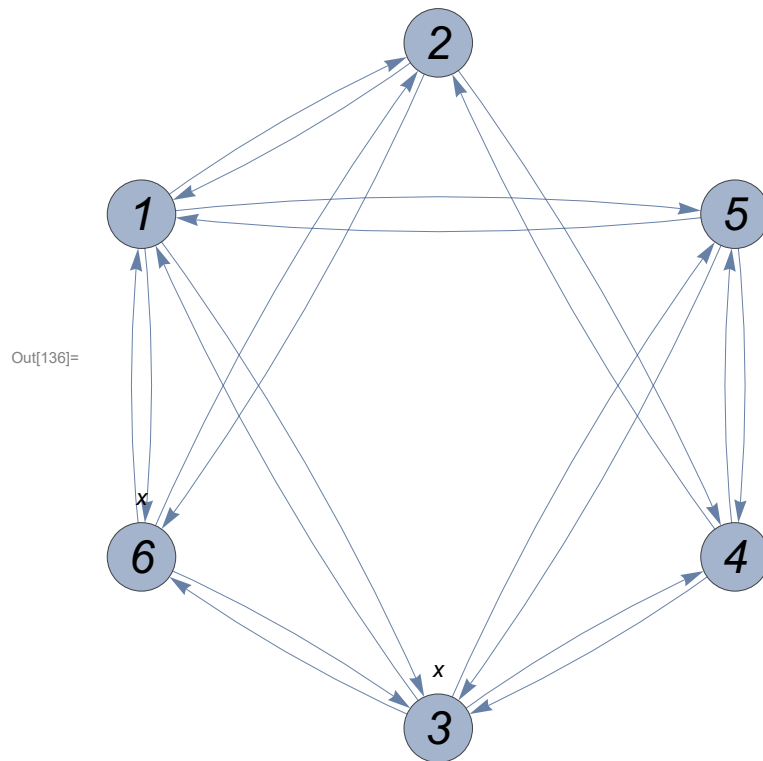
```
In[130]:= M = {7};
Print["M = ", M];

M = {7}
```

```
In[132]:= (*incl=
DeleteCases[DeleteDuplicates[Cases[IncidenceList[g,#],i_↔j_→{i,j}]]//Flatten],
v_/;v==#]&/@M*)
incl = (IncidenceList[g, #] & /@ M) // Flatten
```

```
Out[132]:= {3 ↔ 7, 7 ↔ 3, 7 ↔ 5, 5 ↔ 7, 7 ↔ 4, 4 ↔ 7}
```

```
In[133]:= (*Do[If[MemberQ[M,j[[1]]],b[[j[[2]]]]+=f_j,b[[j[[1]]]]-=f_j],{j,incl}])*
b̄ = Fold[If[MemberQ[M, #2[[1]]], ReplacePart[#, #2[[2]] → #[[#2[[2]]]] + f_#2],
ReplacePart[#, #2[[1]] → #[[#2[[1]]]] - f_#2]] &, b, incl];
Delete[b̄, #] & @ M;
ḡ = VertexDelete[g, M];
GraphPlot[ḡ, MultiedgeStyle → .05]
b̄
```



```
Out[137]:= {0, 0, x - f_{3→7} + f_{7→3}, -f_{4→7} + f_{7→4}, -f_{5→7} + f_{7→5}, x, 0}
```

```
In[138]:= CC[g_, M_] :=
(DeleteDuplicates[Cases[IncidenceList[g, #], i_ ↔ j_ /; j == #]] & /@ M) // Flatten
```

```
ii_+ [g_] := Cases[IncidenceList[g, i], u_ ↔ v_ /; u == i ↔ v]
```

```
In[140]:= M+ = CC[g, M]
```

```
Out[140]:= {3 ↔ 7, 5 ↔ 7, 4 ↔ 7}
```

```

In[141]:=  $\overline{b1} = \text{Fold}[\text{Module}[\{bb = \#1, i = \#2_{[[1]]}, k = \#2_{[[2]]}\},$ 

$$\left( \text{ReplacePart}[bb, \left( \left( \left( \{ \# \rightarrow bb_{[[\#]]} + \frac{p_{i \rightarrow \#} f_{i \rightarrow k}}{p_{i \rightarrow k}}, i \rightarrow bb_{[[i]]} - \frac{p_{i \rightarrow \#} f_{i \rightarrow k}}{p_{i \rightarrow k}} \right) \& \right) / @ ii_i^+[\overline{g}] \right) //$$


$$\text{Flatten}]]] \&, \overline{b}, M^+]$$


```

```

Out[141]:=  $\left\{ \frac{f_{3 \rightarrow 7} p_{3 \rightarrow 1}}{p_{3 \rightarrow 7}} + \frac{f_{5 \rightarrow 7} p_{5 \rightarrow 1}}{p_{5 \rightarrow 7}}, \frac{f_{4 \rightarrow 7} p_{4 \rightarrow 2}}{p_{4 \rightarrow 7}}, x - f_{3 \rightarrow 7} + f_{7 \rightarrow 3} - \frac{f_{3 \rightarrow 7} p_{3 \rightarrow 1}}{p_{3 \rightarrow 7}} + \frac{f_{4 \rightarrow 7} p_{4 \rightarrow 3}}{p_{4 \rightarrow 7}} + \frac{f_{5 \rightarrow 7} p_{5 \rightarrow 3}}{p_{5 \rightarrow 7}}, \right.$ 

$$- f_{4 \rightarrow 7} + f_{7 \rightarrow 4} + \frac{f_{3 \rightarrow 7} p_{3 \rightarrow 4}}{p_{3 \rightarrow 7}} - \frac{f_{4 \rightarrow 7} p_{4 \rightarrow 2}}{p_{4 \rightarrow 7}} + \frac{f_{5 \rightarrow 7} p_{5 \rightarrow 4}}{p_{5 \rightarrow 7}},$$

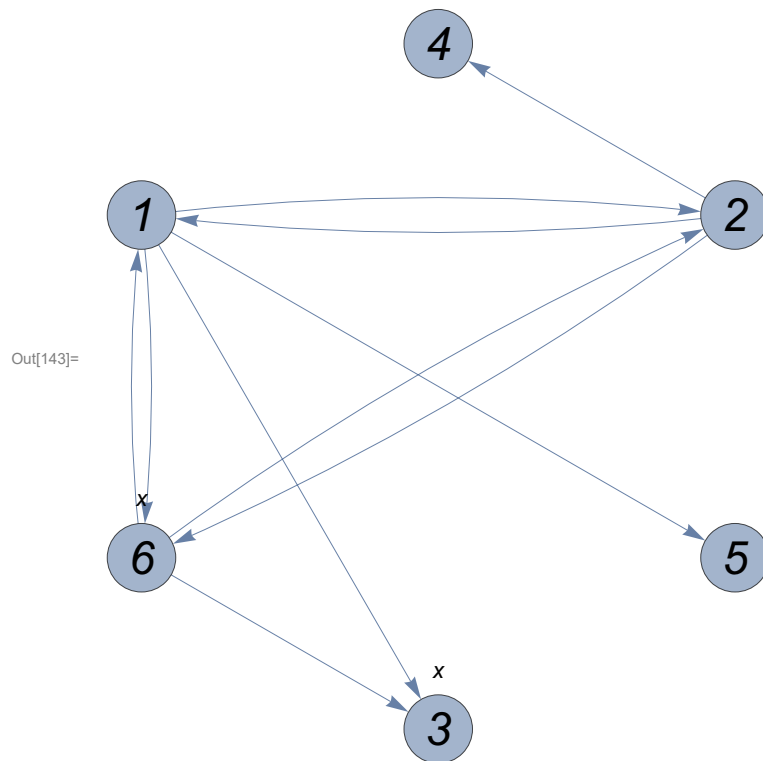

$$\left. - f_{5 \rightarrow 7} + f_{7 \rightarrow 5} + \frac{f_{3 \rightarrow 7} p_{3 \rightarrow 5}}{p_{3 \rightarrow 7}} + \frac{f_{4 \rightarrow 7} p_{4 \rightarrow 5}}{p_{4 \rightarrow 7}} - \frac{f_{5 \rightarrow 7} p_{5 \rightarrow 1}}{p_{5 \rightarrow 7}}, x + \frac{f_{3 \rightarrow 7} p_{3 \rightarrow 6}}{p_{3 \rightarrow 7}}, \emptyset \right\}$$


```

```

In[142]:=  $\overline{g1} = \text{Fold}[\text{EdgeDelete}[\#1, u \rightarrow v_ /; u == \#2] \&, \overline{g}, \#_{[[1]]} \& / @ M^+];$ 
 $\text{GraphPlot}[\overline{g1}, \text{MultiedgeStyle} \rightarrow .05]$ 

```



```

In[144]:=  $II_{rem} = \text{VertexList}[\overline{g1}] \sim \text{Complement} \sim (M^+[[All, 1]])$ 

```

```

Out[144]= {1, 2, 6}

```

```
In[145]:= λ = SparseArray[
  Replace[ {EdgeList[g1] /. # & /@ Flatten[Module[{i = #, f, Icur}, {Icur = ii1[g1];
    jf = First[Icur];
    { (i ↔ jf) → 1, (i ↔ #) → -  $\frac{p_{i \rightarrow \#}}{p_{i \rightarrow jf}}$  } & /@ Icur[[2 ;;]] ] & /@ IIrem, 1] },
    _ ↔ _ → 0, 2] ]
```

```
Out[145]= SparseArray[  Specified elements: 14  
Dimensions: {7, 10} ]
```

```
In[160]:= g = g1;
b = b1;
```

```
In[162]:= II* = Cases[MapIndexed[{#1, #2} &, b], {el_, i_} /; MemberQ[el, x] := i] // Flatten
```

```
Out[162]= {3, 6}
```

```
In[163]:= buildt = Timing[{t, g} = buildTree[g, II*];][[1]]
TableForm[t[[1 ;; 4]],
  TableHeadings → {"pred", "dir", "depth", "d"}, t // pred // Length // Range]
```

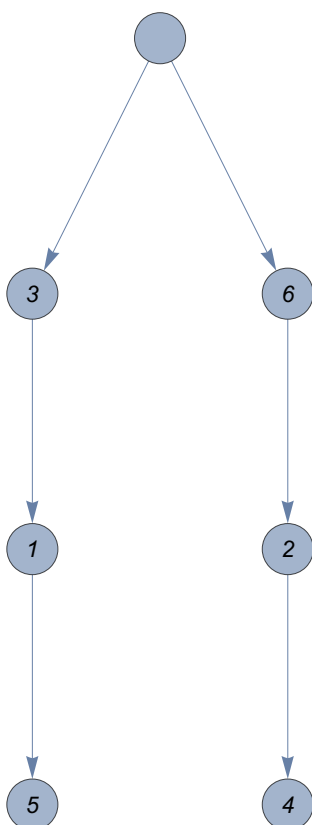
```
Out[163]= 0.015625
```

```
Out[164]//TableForm=
```

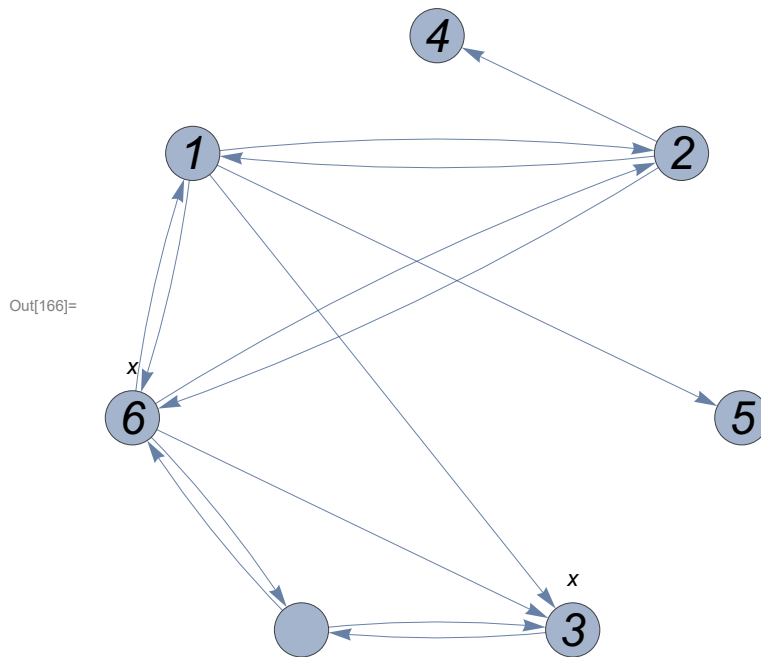
	1	2	3	4	5	6	7
pred	3	6	7	2	1	7	0
dir	-1	1	1	1	1	1	0
depth	2	2	1	3	3	1	0
d	5	4	1	7	6	2	3

```
In[165]:= t[[7]]
```

```
Out[165]=
```



```
In[166]:= GraphPlot[g, MultiedgeStyle -> .05]
```



```
In[215]:= matrt = Timing[δMatr = δ1[g, t]];
root = VertexCount[g];
TableForm[δMatr, TableHeadings -> {uNb[g, t], δ[#, #1 == root & /@ EdgeList[g]]}]]
      {# [2] # [1] == root
      {# [1] # [2] == root
      {#      True
```

Out[217]//TableForm=

	$\delta_{1 \rightarrow 2}$	$\delta_{2 \rightarrow 1}$	$\delta_{1 \rightarrow 5}$	$\delta_{2 \rightarrow 4}$	$\delta_{1 \rightarrow 3}$	$\delta_{6 \rightarrow 3}$	$\delta_{6 \rightarrow 1}$	$\delta_{1 \rightarrow 6}$	$\delta_{6 \rightarrow 2}$	$\delta_{2 \rightarrow 6}$	
$1 \rightarrow 2$	1	0	0	0	-1	0	0	0	-1	0	:
$2 \rightarrow 1$	0	1	0	0	1	0	0	0	1	0	:
$6 \rightarrow 3$	0	0	0	0	0	1	0	0	0	0	:
$6 \rightarrow 1$	0	0	0	0	1	0	1	0	0	0	:
$1 \rightarrow 6$	0	0	0	0	-1	0	0	1	0	0	:

```
In[173]:= dopEq = # == 0 & /@ Flatten[
      λ. {x# & /@ EdgeList[g, u_ -> v_ /; u ≠ VertexCount[g] && v ≠ VertexCount[g]]}'];
dopEq //
TableForm
```

Out[174]//TableForm=

$$\begin{aligned}
 x_{1 \rightarrow 2} - \frac{p_{1 \rightarrow 5} x_{1 \rightarrow 5}}{p_{1 \rightarrow 2}} &= 0 \\
 x_{1 \rightarrow 2} - \frac{p_{1 \rightarrow 3} x_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} &= 0 \\
 x_{1 \rightarrow 2} - \frac{p_{1 \rightarrow 6} x_{1 \rightarrow 6}}{p_{1 \rightarrow 2}} &= 0 \\
 x_{2 \rightarrow 1} - \frac{p_{2 \rightarrow 4} x_{2 \rightarrow 4}}{p_{2 \rightarrow 1}} &= 0 \\
 x_{2 \rightarrow 1} - \frac{p_{2 \rightarrow 6} x_{2 \rightarrow 6}}{p_{2 \rightarrow 1}} &= 0 \\
 -\frac{p_{6 \rightarrow 1} x_{6 \rightarrow 1}}{p_{6 \rightarrow 3}} + x_{6 \rightarrow 3} &= 0 \\
 -\frac{p_{6 \rightarrow 2} x_{6 \rightarrow 2}}{p_{6 \rightarrow 3}} + x_{6 \rightarrow 3} &= 0
 \end{aligned}$$

```
In[193]:=  $\Delta = \lambda. (\delta \text{Matr}[[\text{All}, 1]; -5]])^T;$ 
"cycle det's:"
Grid[ $\Delta$ , Frame  $\rightarrow$  All]
```

Out[194]= cycle det's:

Out[195]=

1	0	0	0	0
$1 + \frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} - \frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}}$	$-\frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}}$	0	$-\frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}}$	$\frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}}$
1	0	0	0	$-\frac{p_{1 \rightarrow 6}}{p_{1 \rightarrow 2}}$
0	1	0	0	0
0	1	0	0	0
0	0	1	$-\frac{p_{6 \rightarrow 1}}{p_{6 \rightarrow 3}}$	0
$\frac{p_{6 \rightarrow 2}}{p_{6 \rightarrow 3}}$	$-\frac{p_{6 \rightarrow 2}}{p_{6 \rightarrow 3}}$	1	0	0

```
In[232]:= "Uc="
Uc = {1, 2, 3, 4, 5}
"Unc="
Unc = {}
```

Out[232]= U_c =

Out[233]= {1, 2, 3, 4, 5}

Out[234]= U_{nc} =

Out[235]= {}

```
In[252]:=  $\Delta c = \Delta[[\{1, 2, 3, 5, 6\}, U_c]];$ 
 $\Delta nc = \Delta[[\text{All}, U_{nc}]];$ 
" $\Delta_c$ ="
 $\Delta c$  // MatrixForm
```

Out[254]= Δ_c =

Out[255]//MatrixForm=

$$\begin{pmatrix} 1 & 0 & 0 & 0 & 0 \\ 1 + \frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} - \frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} & -\frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} & 0 & -\frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} & \frac{p_{1 \rightarrow 3}}{p_{1 \rightarrow 2}} \\ 1 & 0 & 0 & 0 & -\frac{p_{1 \rightarrow 6}}{p_{1 \rightarrow 2}} \\ 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & -\frac{p_{6 \rightarrow 1}}{p_{6 \rightarrow 3}} & 0 \end{pmatrix}$$

```
In[256]:= "det( $\Delta_c$ )="
Det[ $\Delta c$ ]
```

Out[256]= det(Δ_c) =

Out[257]= $\frac{p_{1 \rightarrow 3} p_{1 \rightarrow 6}}{p_{1 \rightarrow 2}^2}$

```
In[258]:= "U_T="
utind = Cases[t[[6]],  $\xi_/_$ ;  $\xi \neq 0$ ];
U_T = EdgeList[g][[utind]]
```

Out[258]= U_T =

Out[260]= {1 \leftrightarrow 3, 6 \leftrightarrow 2, 7 \leftrightarrow 3, 2 \leftrightarrow 4, 1 \leftrightarrow 5, 7 \leftrightarrow 6}

```
In[261]:= "UNb="
          UNb = uNb[g, t]
```

```
Out[261]= UNb =
```

```
Out[262]= {1 ↔ 2, 2 ↔ 1, 6 ↔ 3, 6 ↔ 1, 1 ↔ 6}
```

```
In[263]:= ps =  $\tilde{x}_{\#} \rightarrow \tilde{x}_{\#}$  & /@ EdgeList[g]
```

```
Out[263]= { $\tilde{x}_{1 \leftrightarrow 2} \rightarrow \tilde{x}_{1 \leftrightarrow 2}$ ,  $\tilde{x}_{2 \leftrightarrow 1} \rightarrow \tilde{x}_{2 \leftrightarrow 1}$ ,  $\tilde{x}_{1 \leftrightarrow 5} \rightarrow \tilde{x}_{1 \leftrightarrow 5}$ ,  $\tilde{x}_{2 \leftrightarrow 4} \rightarrow \tilde{x}_{2 \leftrightarrow 4}$ ,  $\tilde{x}_{1 \leftrightarrow 3} \rightarrow \tilde{x}_{1 \leftrightarrow 3}$ ,  $\tilde{x}_{6 \leftrightarrow 3} \rightarrow \tilde{x}_{6 \leftrightarrow 3}$ ,  $\tilde{x}_{6 \leftrightarrow 1} \rightarrow \tilde{x}_{6 \leftrightarrow 1}$ ,  

 $\tilde{x}_{1 \leftrightarrow 6} \rightarrow \tilde{x}_{1 \leftrightarrow 6}$ ,  $\tilde{x}_{6 \leftrightarrow 2} \rightarrow \tilde{x}_{6 \leftrightarrow 2}$ ,  $\tilde{x}_{2 \leftrightarrow 6} \rightarrow \tilde{x}_{2 \leftrightarrow 6}$ ,  $\tilde{x}_{7 \leftrightarrow 3} \rightarrow \tilde{x}_{7 \leftrightarrow 3}$ ,  $\tilde{x}_{7 \leftrightarrow 6} \rightarrow \tilde{x}_{7 \leftrightarrow 6}$ ,  $\tilde{x}_{3 \leftrightarrow 7} \rightarrow \tilde{x}_{3 \leftrightarrow 7}$ ,  $\tilde{x}_{6 \leftrightarrow 7} \rightarrow \tilde{x}_{6 \leftrightarrow 7}$ }
```

```
In[270]:= A = -λ. { $\tilde{x}_{\#}$  & /@ EdgeList[g, u_ ↔ v_ /; u ≠ VertexCount[g] && v ≠ VertexCount[g]]}^T /. ps;
          "A="
          A // MatrixForm
```

```
Out[271]= A =
```

```
Out[272]//MatrixForm=
```

$$\begin{pmatrix} -\tilde{x}_{1 \leftrightarrow 2} + \frac{p_{1 \leftrightarrow 5} \tilde{x}_{1 \leftrightarrow 5}}{p_{1 \leftrightarrow 2}} \\ -\tilde{x}_{1 \leftrightarrow 2} + \frac{p_{1 \leftrightarrow 3} \tilde{x}_{1 \leftrightarrow 3}}{p_{1 \leftrightarrow 2}} \\ -\tilde{x}_{1 \leftrightarrow 2} + \frac{p_{1 \leftrightarrow 6} \tilde{x}_{1 \leftrightarrow 6}}{p_{1 \leftrightarrow 2}} \\ -\tilde{x}_{2 \leftrightarrow 1} + \frac{p_{2 \leftrightarrow 4} \tilde{x}_{2 \leftrightarrow 4}}{p_{2 \leftrightarrow 1}} \\ -\tilde{x}_{2 \leftrightarrow 1} + \frac{p_{2 \leftrightarrow 6} \tilde{x}_{2 \leftrightarrow 6}}{p_{2 \leftrightarrow 1}} \\ \frac{p_{6 \leftrightarrow 1} \tilde{x}_{6 \leftrightarrow 1}}{p_{6 \leftrightarrow 3}} - \tilde{x}_{6 \leftrightarrow 3} \\ \frac{p_{6 \leftrightarrow 2} \tilde{x}_{6 \leftrightarrow 2}}{p_{6 \leftrightarrow 3}} - \tilde{x}_{6 \leftrightarrow 3} \end{pmatrix}$$

```
In[273]:= β = A - Δnc. {x# & /@ UNb[[Unc]]}^T;
          "β="
          β // TableForm
```

```
Out[274]= β =
```

```
Out[275]//TableForm=
```

$$\begin{pmatrix} -\tilde{x}_{1 \leftrightarrow 2} + \frac{p_{1 \leftrightarrow 5} \tilde{x}_{1 \leftrightarrow 5}}{p_{1 \leftrightarrow 2}} \\ -\tilde{x}_{1 \leftrightarrow 2} + \frac{p_{1 \leftrightarrow 3} \tilde{x}_{1 \leftrightarrow 3}}{p_{1 \leftrightarrow 2}} \\ -\tilde{x}_{1 \leftrightarrow 2} + \frac{p_{1 \leftrightarrow 6} \tilde{x}_{1 \leftrightarrow 6}}{p_{1 \leftrightarrow 2}} \\ -\tilde{x}_{2 \leftrightarrow 1} + \frac{p_{2 \leftrightarrow 4} \tilde{x}_{2 \leftrightarrow 4}}{p_{2 \leftrightarrow 1}} \\ -\tilde{x}_{2 \leftrightarrow 1} + \frac{p_{2 \leftrightarrow 6} \tilde{x}_{2 \leftrightarrow 6}}{p_{2 \leftrightarrow 1}} \\ \frac{p_{6 \leftrightarrow 1} \tilde{x}_{6 \leftrightarrow 1}}{p_{6 \leftrightarrow 3}} - \tilde{x}_{6 \leftrightarrow 3} \\ \frac{p_{6 \leftrightarrow 2} \tilde{x}_{6 \leftrightarrow 2}}{p_{6 \leftrightarrow 3}} - \tilde{x}_{6 \leftrightarrow 3} \end{pmatrix}$$

$$\text{Join}[s, \left\{ x_{1 \rightarrow 2} \rightarrow -\tilde{x}_{1 \rightarrow 2} + \frac{p_{1 \rightarrow 5} \tilde{x}_{1 \rightarrow 5}}{p_{1 \rightarrow 2}}, x_{2 \rightarrow 1} \rightarrow -\tilde{x}_{2 \rightarrow 1} + \frac{p_{2 \rightarrow 6} \tilde{x}_{2 \rightarrow 6}}{p_{2 \rightarrow 1}}, \right. \\ x_{6 \rightarrow 3} \rightarrow \frac{1}{p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 3}} \left(-p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{1 \rightarrow 2} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{1 \rightarrow 3} + \right. \\ p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 5} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{1 \rightarrow 5} + p_{1 \rightarrow 2} p_{1 \rightarrow 5} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{1 \rightarrow 5} + \\ p_{1 \rightarrow 3} p_{1 \rightarrow 5} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{1 \rightarrow 5} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{1 \rightarrow 6} + \\ p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{2 \rightarrow 1} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 6} p_{6 \rightarrow 1} \tilde{x}_{2 \rightarrow 6} + \\ \left. p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 1} \tilde{x}_{6 \rightarrow 1} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} p_{6 \rightarrow 3} \tilde{x}_{6 \rightarrow 3} \right), x_{6 \rightarrow 1} \rightarrow \frac{1}{p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1}} \\ \left(-p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} \tilde{x}_{1 \rightarrow 2} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} \tilde{x}_{1 \rightarrow 3} + p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 5} p_{2 \rightarrow 1} \tilde{x}_{1 \rightarrow 5} + \right. \\ p_{1 \rightarrow 2} p_{1 \rightarrow 5} p_{1 \rightarrow 6} p_{2 \rightarrow 1} \tilde{x}_{1 \rightarrow 5} + p_{1 \rightarrow 3} p_{1 \rightarrow 5} p_{1 \rightarrow 6} p_{2 \rightarrow 1} \tilde{x}_{1 \rightarrow 5} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} \tilde{x}_{1 \rightarrow 6} + \\ \left. p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 1} \tilde{x}_{2 \rightarrow 1} - p_{1 \rightarrow 2} p_{1 \rightarrow 3} p_{1 \rightarrow 6} p_{2 \rightarrow 6} \tilde{x}_{2 \rightarrow 6} \right), x_{1 \rightarrow 6} \rightarrow \frac{p_{1 \rightarrow 5} \tilde{x}_{1 \rightarrow 5} - p_{1 \rightarrow 6} \tilde{x}_{1 \rightarrow 6}}{p_{1 \rightarrow 6}} \left. \right\}]$$

In[287]:= "eq test:"
Simplify[dopEq /. s /. xcp]

Out[287]= eq test:

$$\text{Out[288]= } \left\{ \frac{p_{1 \rightarrow 5} (-x_{1 \rightarrow 5} + \tilde{x}_{1 \rightarrow 5})}{p_{1 \rightarrow 2}} = \tilde{x}_{1 \rightarrow 2}, \frac{p_{1 \rightarrow 3} x_{1 \rightarrow 3} + p_{1 \rightarrow 2} \tilde{x}_{1 \rightarrow 2} - p_{1 \rightarrow 5} \tilde{x}_{1 \rightarrow 5}}{p_{1 \rightarrow 2}} = 0, \right.$$

$$\tilde{x}_{1 \rightarrow 2} = \frac{p_{1 \rightarrow 6} \tilde{x}_{1 \rightarrow 6}}{p_{1 \rightarrow 2}}, \frac{p_{2 \rightarrow 4} x_{2 \rightarrow 4} + p_{2 \rightarrow 1} \tilde{x}_{2 \rightarrow 1} - p_{2 \rightarrow 6} \tilde{x}_{2 \rightarrow 6}}{p_{2 \rightarrow 1}} = 0, \frac{p_{2 \rightarrow 6} (-x_{2 \rightarrow 6} + \tilde{x}_{2 \rightarrow 6})}{p_{2 \rightarrow 1}} = \tilde{x}_{2 \rightarrow 1},$$

$$\frac{p_{6 \rightarrow 1} \tilde{x}_{6 \rightarrow 1}}{p_{6 \rightarrow 3}} = \tilde{x}_{6 \rightarrow 3}, \frac{1}{p_{6 \rightarrow 3}} \left(p_{6 \rightarrow 2} x_{6 \rightarrow 2} + p_{6 \rightarrow 1} \left(\tilde{x}_{1 \rightarrow 2} + \tilde{x}_{1 \rightarrow 3} - \frac{p_{1 \rightarrow 5} \tilde{x}_{1 \rightarrow 5}}{p_{1 \rightarrow 2}} - \frac{p_{1 \rightarrow 5} \tilde{x}_{1 \rightarrow 5}}{p_{1 \rightarrow 3}} - \right. \right.$$

$$\left. \frac{p_{1 \rightarrow 5} \tilde{x}_{1 \rightarrow 5}}{p_{1 \rightarrow 6}} + \tilde{x}_{1 \rightarrow 6} - \tilde{x}_{2 \rightarrow 1} + \frac{p_{2 \rightarrow 6} \tilde{x}_{2 \rightarrow 6}}{p_{2 \rightarrow 1}} - \tilde{x}_{6 \rightarrow 1} \right) + p_{6 \rightarrow 3} \tilde{x}_{6 \rightarrow 3} \Big) = 0 \Big\} /. s$$