- 1. A) 4
 - Б) 5
 - B)1,2,4,7
 - Γ)3,5,6
- 2. A) f(A,B,C,D) = (A+B+C)D;

Α	В	С	D	A+B+C	(A+B+C)D	ЭК	ЭД
0	0	0	0	0	0	-	A+B+C+D
0	0	0	1	0	0	-	A+B+C+!D
0	0	1	0	1	0	_	A+B+!C+D
0	0	1	1	1	1	!A!BCD	-
0	1	0	0	1	0	_	A+!B+C+D
0	1	0	1	1	1	!AB!CD	-
0	1	1	0	1	0	_	A+!B+!C+D
0	1	1	1	1	1	!ABCD	-
1	0	0	0	1	0	-	!A+B+C+D
1	0	0	1	1	1	A!B!CD	-
1	0	1	0	1	0	-	!A+B+!C+D
1	0	1	1	1	1	A!BCD	-
1	1	0	0	1	0	-	!A+!B+C+D
1	1	0	1	1	1	AB!CD	-
1	1	1	0	1	0	-	!A+!B+!C+D
1	1	1	1	1	1	ABCD	-

СДНФ: !A!BCD + !AB!CD + !ABCD + A!B!CD + A!BCD + AB!CD + ABCD CKHФ:

(A+B+C+D)(A+B+C+!D)(A+B+!C+D)(A+!B+C+D)(A+!B+C+D)(A+D+D)(A+D+D

Б) f(A,B,C,D) = A + BCD + !B!C;

<u>-, .</u>	` '	, -,				• .5.0,				
Α	В	С	D	!B	!C	BCD	!B!C	A +BCD +!B!C	ЭК	ЭД
0	0	0	0	1	1	0	1	1	!A!B!C!D	-
0	0	0	1	1	1	0	1	1	!A!B!CD	-
0	0	1	0	1	0	0	0	0	-	A+B+!C+D
0	0	1	1	1	0	0	0	0	-	A+B+!C+!D
0	1	0	0	0	1	0	0	0	-	A+!B+C+D
0	1	0	1	0	1	0	0	0	-	A+!B+C+!D
0	1	1	0	0	0	0	0	0	-	A+!B+!C+D
0	1	1	1	0	0	1	0	1	!ABCD	-
1	0	0	0	1	1	0	1	1	A!B!C!D	-
1	0	0	1	1	1	0	1	1	A!B!CD	-
1	0	1	0	1	0	0	0	1	A!BC!D	-

1	0	1	1	1	0	0	0	1	A!BCD	-
1	1	0	0	0	1	0	0	1	AB!C!D	-
1	1	0	1	0	1	0	0	1	AB!CD	-
1	1	1	0	0	0	0	0	1	ABC!D	-
1	1	1	1	0	0	1	0	1	ABCD	-

СДНФ: !A!B!C!D + !A!B!CD + !ABCD + A!B!C!D + A!BCD + A!BCD + AB!C!D

 $CKH\Phi: (A+B+!C+D)(A+B+!C+!D)(A+!B+C+D)(A+!B+C+!D)(A+!B+!C+D)$ B)f(A,B,C,D) = AB(C+D);

Α	В	С	D	C + D	AB	AB(C+D)	ЭК	ЭД
0	0	0	0	0	0	0	-	A+B+C+D
0	0	0	1	1	0	0	-	A+B+C+!D
0	0	1	0	1	0	0	-	A+B+!C+D
0	0	1	1	1	0	0	-	A+B+!C+!D
0	1	0	0	0	0	0	-	A+!B+C+D
0	1	0	1	1	0	0	-	A+!B+C+D
0	1	1	0	1	0	0	-	A+!B+!C+D
0	1	1	1	1	0	0	-	A+!B+!C+!D
1	0	0	0	0	0	0	-	!A+B+C+D
1	0	0	1	1	0	0	-	!A+B+C+!D
1	0	1	0	1	0	0	-	!A+B+!C+D
1	0	1	1	1	0	0	-	!A+B+!C+!D
1	1	0	0	0	1	0	-	!A+!B+C+D
1	1	0	1	1	1	1	AB!CD	-
1	1	1	0	1	1	1	ABC!D	-
1	1	1	1	1	1	1	ABCD	-

СДНФ: AB!CD + ABC!D + ABCD;

СКНФ:

(A+B+C+D)(A+B+C+!D)(A+B+!C+D)(A+B+!C+D)(A+!B+C+D)(A+!B+C+D)(A+!B+C+D)(A+!B+C+D)(A+D+D)(A+B+C+D)(A+D+D)

 Γ)f(A,B) = !AB + A!B;

Α	В	!A	!B	!AB	A!B	!AB+A!B	ЭК	ЭД
0	0	1	1	0	0	0	ı	A+B
0	1	1	0	1	0	1	!AB	-
1	0	0	1	0	1	1	A!B	-
1	1	0	0	0	0	0	1	!A+!B

СДНФ: !AB+A!B СКНФ: (A+B)(!A+!B)

 \mathcal{L})f(A,B,C) = A!B + A!C + !BC

Α	В	С	!B	!C	A!B	A!C	!BC	A!B + A!C + !BC	ЭК	ЭД
0	0	0	1	1	0	0	0	0	-	A+B+C
0	0	1	1	0	0	0	1	1	!A!BC	-
0	1	0	0	1	0	0	0	0	-	A+!B+C
0	1	1	0	0	0	0	0	0		A+!B+!C
1	0	0	1	1	1	1	0	1	A!B!C	-
1	0	1	1	0	1	0	1	1	A!BC	-
1	1	0	0	1	0	1	0	1	AB!C	-
1	1	1	0	0	0	0	0	0	-	!A+!B+!C

СДНФ: !A!BC + A!B!C + A!BC + AB!C;

 $CKH\Phi: (A+B+C)(A+!B+C)(A+!B+!C)(!A+!B+!C)$

- 3. $(X \Leftrightarrow Y) = > ((!X = >Z) = > !Y) \equiv !((XY) + (!X!Y)) + (!(X+Z) + !Y) \equiv (!(XY)!(!X!Y)) + (!X!Z) + !Y \equiv (!X + !Y)(X + Y) + (!X!Z) + !Y \equiv (!X + !Y)(X + Y) + (!X + !Z) \equiv !X + !Y$
- 4. ((B!C) ⇔ A)=>(A + !C) ≡ !(AB!C + !A!BC) + A + !C ≡ !A!BC * AB!C + A + !C ≡ A + !C − ДНФ И КНФ

СДНФ: A + !C \equiv AC+A!C+A!C+!A!C \equiv AC + A!C + !A!C \equiv ABC + A!BC + AB!C + A!B!C + !A!B!C + !A!B!C - 6 переменных в сднф

СКНФ: $A + !C \equiv (A + B + !C)(A + !B + !C) - 2$ переменные в скнф

5. B) $(P \Rightarrow Q)(Q \Rightarrow P)(P+Q) \equiv (!P+Q)(!Q+P)(P+Q) \equiv (!P+Q)P \equiv PQ$ Γ) $(P \Rightarrow Q)(Q \Rightarrow !P)(R \Rightarrow P) \equiv (!P+Q)(!Q+!P)(!R+P) \equiv !P(!R+P) \equiv !P!R$