Congratulations! You passed!

Grade received 100%

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Go to next item

1. Suppose your training examples are sentences (sequences of words). Which of the following refers to the s^{th} word in the r^{th} training example?

1/1 point



 $\bigcirc x^{< s > (r)}$

 $\bigcirc \quad x^{< r > (s)}$

 $\bigcirc x^{(s) < r >}$



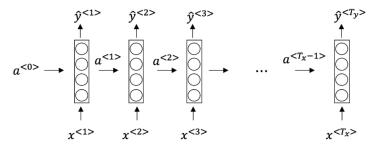
∠⁷ Expand

⊘ Correct

We index into the r^{th} row first to get to the r^{th} training example (represented by parentheses), then the s^{th} column to get to the s^{th} word (represented by the brackets).

2. Consider this RNN:

1/1 point



True/False: This specific type of architecture is appropriate when Tx=Ty



○ False



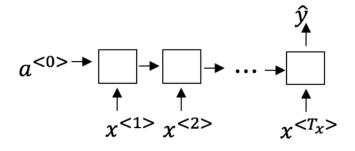
∠ Expand

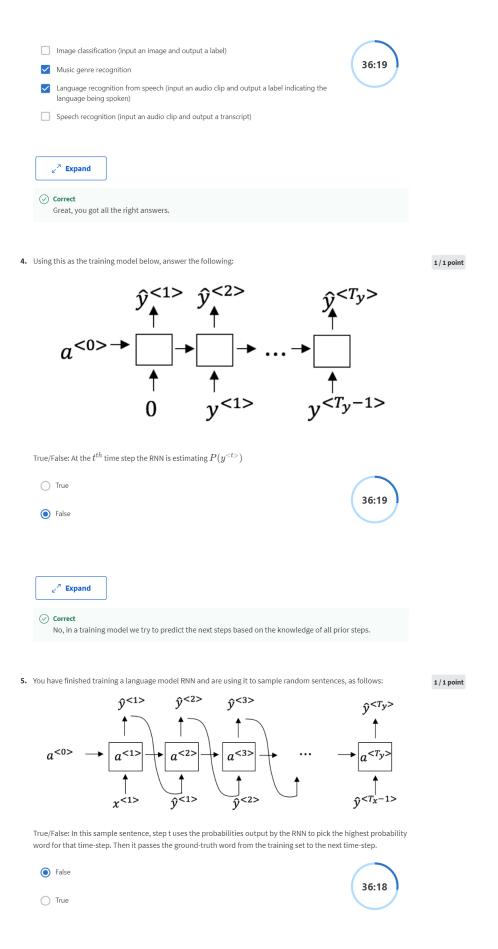
✓ Correct

It is appropriate when the input sequence and the output sequence have the same length or size.

 $\textbf{3.} \ \ \text{To which of these tasks would you apply a many-to-one RNN architecture?}$

1/1 point





∠⁷ Expand

⊘ Correct

The probabilities output by the RNN are not used to pick the highest probability word and the ground-

6. True/False: If you are training an RNN model, and find that your weights and activations are all taking on the value of NaN ("Not a Number") then you have a vanishing gradient problem.

1/1 point

False

○ True



36:17

∠⁷ Expand

Vanishing and exploding gradients are common problems in training RNNs, but in this case, your weights and activations taking on the value of NaN implies you have an exploding gradient problem.

7. Suppose you are training an LSTM. You have a 50000 word vocabulary, and are using an LSTM with 500-dimensional activations $a^{< t>}$. What is the dimension of Γ_u at each time step?

1/1 point

500

O 200

50000

O 5

∠⁷ Expand

⊘ Correct

Correct, Γ_u is a vector of dimension equal to the number of hidden units in the LSTM.

1/1 point

8. Sarah proposes to simplify the GRU by always removing the Γ u. I.e., setting Γ u = 0. Ashely proposes to simplify the GRU by removing the Γ r. I. e., setting Γ r= 1 always. Which of these models is more likely to work without vanishing gradient problems even when trained on very long input sequences?

GRU

$$\tilde{c}^{< t>} = \tanh(W_c[\Gamma_r * c^{< t-1>}, x^{< t>}] + b_c)$$

$$\Gamma_u = \sigma(W_u[c^{< t-1>}, x^{< t>}] + b_u)$$

$$\Gamma_r = \sigma(W_r[\ c^{< t-1>}, x^{< t>}] + b_r)$$

$$c^{< t>} = \Gamma_u * \tilde{c}^{< t>} + (1 - \Gamma_u) * c^{< t - 1>}$$

$$a^{< t>} = c^{< t>}$$

 \bigcirc Sarah's model (removing Γ_u), because if $\Gamma_r \approx$ 1 for a timestep, the gradient can propagate back through that timestep without much decay.



- \bigcirc Ashely's model (removing Γ_r), because if $\Gamma_u \approx 1$ for a timestep, the gradient can propagate back through that timestep without much decay.
- \bigcirc Sarah's model (removing Γ_u), because if $\Gamma_r \approx 0$ for a timestep, the gradient can propagate back through that timestep without much decay.

∠ Expand

Correct

Yes. For the signal to backpropagate without vanishing, we need $c^{< t>}$ to be highly dependent on $c^{< t-1>}$.

GRU

$$\tilde{c}^{< t>} = \tanh(W_c[\Gamma_r * c^{< t-1>}, x^{< t>}] + b_c)$$

$$\tilde{c}^{} = \tanh(W_c[\Gamma_r * c^{}, x^{}] + b_c)$$

$$\Gamma_u = \sigma(W_u[\,c^{< t-1>},x^{< t>}] + b_u)$$

$$\Gamma_r = \sigma(W_r[\,c^{< t-1>},x^{< t>}] + b_r)$$

$$c^{< t>} = \Gamma_u * \tilde{c}^{< t>} + (1 - \Gamma_u) * c^{< t-1>}$$

$$a^{< t>} = c^{< t>}$$

LSTM

$$\tilde{c}^{< t>} = \tanh(W_c[a^{< t-1>}, x^{< t>}] + b_c)$$

$$\Gamma_u = \sigma(W_u[\ a^{< t-1>}, x^{< t>}] + b_u)$$

$$\Gamma_f = \sigma(W_f[a^{< t-1>}, x^{< t>}] + b_f)$$

$$\Gamma_o = \sigma(W_o[a^{< t-1>}, x^{< t>}] + b_o)$$

$$c^{< t>} = \Gamma_u * \tilde{c}^{< t>} + \Gamma_f * c^{< t-1>}$$

$$a^{< t>} = \Gamma_o * c^{< t>}$$

From these, we can see that the Update Gate and Forget Gate in the LSTM play a role similar to ____ __ in the GRU. What should go in the blanks?



 \bigcap Γ_u and Γ_r



 \bigcap Γ_r and Γ_u



36:14

Expand

⊘ Correct

Yes, correct!

 $\textbf{10.} \ \ \text{You have a pet dog whose mood is heavily dependent on the current and past few days' weather. You've collected}$ data for the past 365 days on the weather, which you represent as a sequence as $x^{<1>},\dots,x^{<365>}$. You've also collected data on your dog's mood, which you represent as $y^{<1>},\dots,y^{<365>}$. You'd like to build a model to map from x o y. Should you use a Unidirectional RNN or Bidirectional RNN for this problem?

1/1 point

- Bidirectional RNN, because this allows the prediction of mood on day t to take into account more information.
- O Bidirectional RNN, because this allows backpropagation to compute more accurate gradients.
- \bigodot Unidirectional RNN, because the value of $y^{<t>}$ depends only on $x^{<1>},\dots,x^{<t>}$, but not on $x^{<t+1>},\dots,x^{<365>}$
- O unidirectional RNN, because the value of $y^{< t>}$ depends only on $x^{< t>}$, and not other days' weather.



⊘ Correct Yes!