Congratulations! You passed!

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1/1 point

1.	Which of the following are true? (Check all that apply.)
	$a_4^{[2]}$ is the activation output of the 2^{nd} layer for the 4^{th} training example $a^{[2]}$ denotes the activation vector of the 2^{nd} layer.
	✓ Correct
	$ extstyle a^{[2](12)}$ denotes the activation vector of the 2^{nd} layer for the 12^{th} training example.
	✓ Correct
	igspace X is a matrix in which each row is one training example.
	igwedge X is a matrix in which each column is one training example.
	✓ Correct
	$ec{lpha}^{(2)}_4$ is the activation output by the 4^{th} neuron of the 2^{nd} layer
	✓ Correct
	$a^{[2](12)}$ denotes activation vector of the 12^{th} layer on the 2^{nd} training example.



2. The sigmoid function is only mentioned as an activation function for historical reasons. The tanh is always preferred without exceptions in all the layers of a Neural Network. True/False?

1/1 point

False

○ True



 \bigcirc Correct

Yes. Although the tanh almost always works better than the sigmoid function when used in hidden layers, thus is always proffered as activation function, the exception is for the output layer in classification problems.

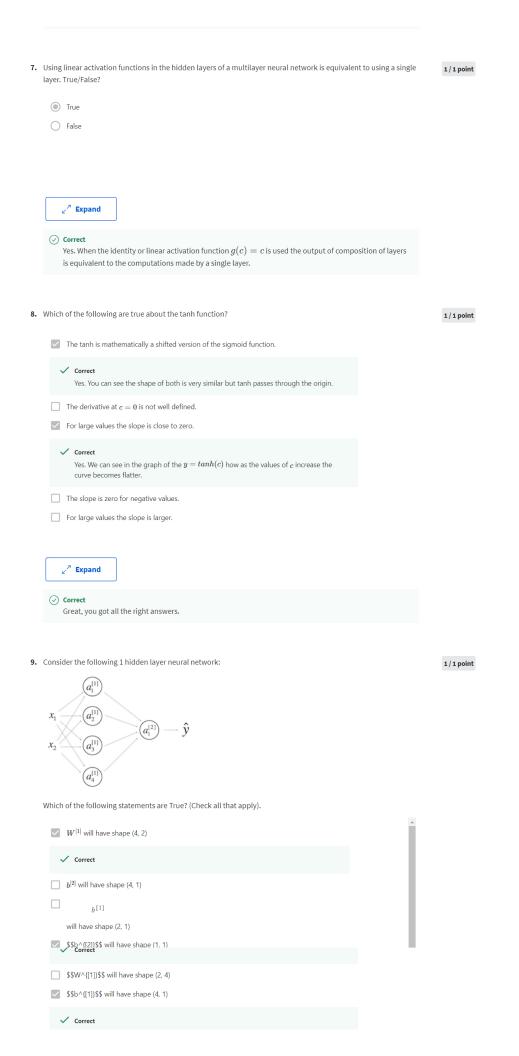
3. Which of these is a correct vectorized implementation of forward propagation for layer l, where $1 \leq l \leq L$?

1/1 point

$$\bigcirc \ \ Z^{[l]} = W^{[l]}A^{[l]} + b^{[l]} \\ A^{[l+1]} = o^{[l+1]}(Z^{[l]})$$

$Z^{[l]} = W^{[l]}A^{[l-1]} + b^{[l]}$ $A^{[l]} = g^{[l]}(Z^{[l]})$ $Z^{[l]} = W^{[l]}A^{[l]} + b^{[l]}$ $A^{[l+1]} = g^{[l]}(Z^{[l]})$ $Z^{[l]} = W^{[l-1]}A^{[l]} + b^{[l-1]}$	
∠ [™] Expand	
⊘ Correct	
You are building a binary classifier for recognizing cucumbers (y=1) vs. watermelons (y=0). Which one of the activation functions would you recommend using for the output layer?	se 1/1 point
ReLU	
tanh	
sigmoid	
C Leaky ReLU	
∠ ⁷ Expand	
⊘ Correct	
Yes. Sigmoid outputs a value between 0 and 1 which makes it a very good choice for binary classificat You can classify as 0 if the output is less than 0.5 and classify as 1 if the output is more than 0.5. It can	
done with tanh as well but it is less convenient as the output is between -1 and 1.	
Consider the following code:	1/1 point
A = np.random.randn(4,3)	
B = np.sum(A, axis = 1, keepdims = True)	
What will be B.shape? (If you're not sure, feel free to run this in python to find out).	
(1.3)	
(4, 1)	
(4,)	
(3,)	
∠ ⁿ Expand	
Correct Yes, we use (keepdims = True) to make sure that A.shape is (4,1) and not (4,). It makes our code more robust.	
 Suppose you have built a neural network with one hidden layer and tanh as activation function for the hidd layers. Which of the following is a best option to initialize the weights? 	en 1/1 point
Initialize the weights to small random numbers.	
Initialize the weights to large random numbers.	
Initialize all weights to a single number chosen randomly.	
Initialize all weights to 0.	
∠ ⁷ Expand	
The use of random numbers helps to "break the symmetry" between all the neurons allowing them to compute different functions. When using small random numbers the values $z^{[k]}$ will be close to zero to the compute different functions.	hus

the activation values will have a larger gradient speeding up the training process.

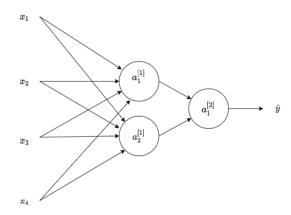




1/1 point

 $\textbf{10.} \ \mathsf{Consider} \ \mathsf{the} \ \mathsf{following} \ \mathsf{1} \ \mathsf{hidden} \ \mathsf{layer} \ \mathsf{neural} \ \mathsf{network};$

Great, you got all the right answers.



What are the dimensions of $Z^{\left[1\right]}$ and $A^{\left[1\right]}$?

- $\bigcirc \hspace{0.1in} Z^{[1]}$ and $A^{[1]}$ are (4, 1)
- $\bigcirc \ Z^{[1]}$ and $A^{[1]}$ are (2, 1)
- \bigcirc $Z^{[1]}$ and $A^{[1]}$ are (2, m)
- $\bigcirc \ \ Z^{[1]} \ {\rm and} \ A^{[1]} \ {\rm are} \ ({
 m 4, m})$



⊘ Correct

Yes. The $Z^{[1]}$ and $A^{[1]}$ are calculated over a batch of training examples. The number of columns in $Z^{[1]}$ and $A^{[1]}$ is equal to the number of examples in the batch, m. And the number of rows in $Z^{[1]}$ and $A^{[1]}$ is equal to the number of neurons in the first layer.