

What do you think is my  
Teaching Style?

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## A Journey Together



Where are we in our evolution?

# Learning by doing

If there is only one thing you can get out of the class, it will be your familiarity with using Pandas in Jupyter Notebook environment

-Alex Pang 2019

# Lots of CheatSheets and online materials suggestions

The best teacher is the one that does not teach by himself or herself

- Alex Pang 2019

# A critical mind is more important than just knowing mechanics

Ask the right question: Who pay more tips? Is there any bias? Why the mean or median is not good enough? Does the result change if we just focus on a subsets of the data? Is there another underlying hidden factor?

# Intuition and Understanding is more important than detail formula and API calls

If you can't explain in simple English terms, you don't understand it

- Alex Pang 2019

# Examples of Intuitions

The height distribution taken from Computer Science class in Queen College will have a mean \_\_\_\_ (higher or lower) than the whole college and a \_\_\_\_\_ (positive/zero/negative) skews

The height distribution taken from the basketball Team in Queen College will have a mean \_\_\_\_ (higher or lower) than the whole college and a \_\_\_\_\_ (positive/zero/negative) skews

The height distribution taken from Computer Science class in Queen College will have a mean \_\_\_\_ (higher or lower) than the whole college and \_\_\_\_\_ (positive/zero/negative) skews if we know many are also in the basketball Team

The skewness of a random variable  $X$  is the third **standardized moment**  $\gamma_1$ , defined as:<sup>[4][5]</sup>

$$\gamma_1 = E\left[\left(\frac{X - \mu}{\sigma}\right)^3\right] = \frac{\mu_3}{\sigma^3} = \frac{E[(X - \mu)^3]}{(E[(X - \mu)^2])^{3/2}} = \frac{\kappa_3}{\kappa_2^{3/2}}$$

If  $\sigma$  is finite,  $\mu$  is finite too and skewness can be expressed

$$\begin{aligned}\gamma_1 &= E\left[\left(\frac{X - \mu}{\sigma}\right)^3\right] \\ &= \frac{E[X^3] - 3\mu E[X^2] + 3\mu^2 E[X] - \mu^3}{\sigma^3} \\ &= \frac{E[X^3] - 3\mu(E[X^2] - \mu E[X]) - \mu^3}{\sigma^3} \\ &= \frac{E[X^3] - 3\mu\sigma^2 - \mu^3}{\sigma^3}.\end{aligned}$$

# Examples of Intuitions

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Comparing the Graduation Rate distribution with the height distribution of the Queens College students, the Graduation Rate should have a \_\_\_\_\_ (higher/same/lower) Kurtosis

The household income distribution of a gated community should have a \_\_\_\_\_ (higher/same/lower) standard deviation than a random sample of the whole population

The kurtosis is the fourth **standardized moment**, defined as

$$\text{Kurt}[X] = E\left[\left(\frac{X - \mu}{\sigma}\right)^4\right] = \frac{\mu_4}{\sigma^4} = \frac{E[(X - \mu)^4]}{(E[(X - \mu)^2])^2},$$

The kurtosis is bounded b

$$\frac{\mu_4}{\sigma^4} \geq \left(\frac{\mu_3}{\sigma^3}\right)^2 + 1,$$