

# Advanced Topics In Wireless

---

A.k.a.  
Future Communication + Information Systems

EURECOM  
Sophia Antipolis  
Fall 2024

# New Overview Course - ATW(2) (Future of Communications)

---

- Advanced Techniques For Cellular Communications
- Quantum Communications and Computing
- Computing and Communications
- ML for Comm / AI in Networks
- Vehicular Communications / Control / Robotics / Drones
- Several industry leaders present their perspectives

# Heinrich Hertz (1857-1894)

---

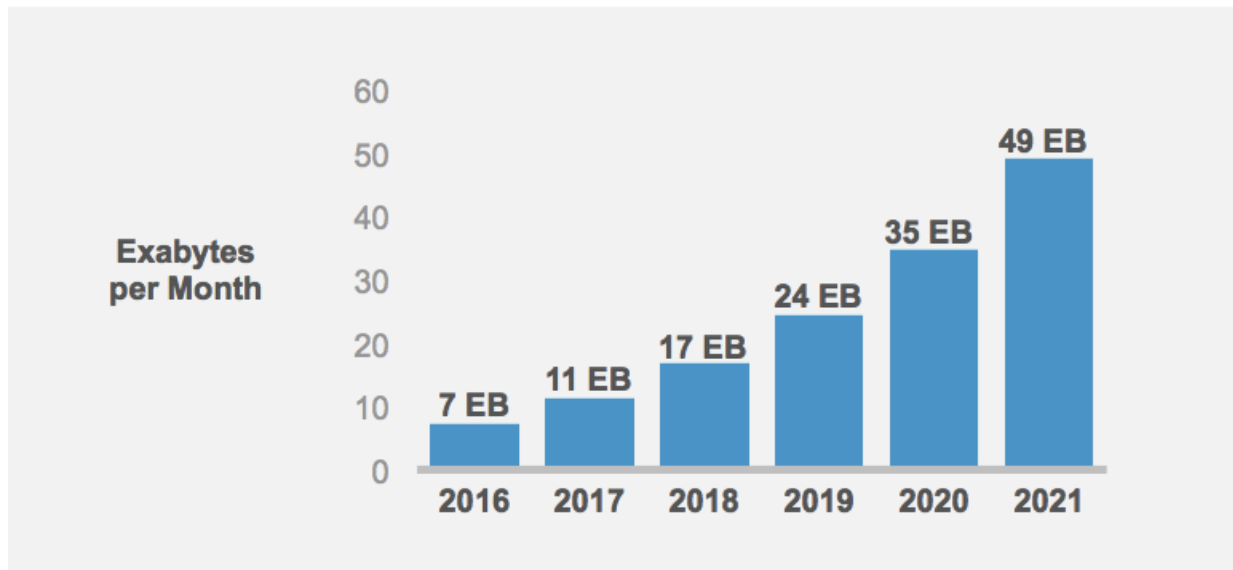


***"I do not think that the wireless waves I have discovered will have any practical application." (H.R.Hertz)***

# Mobile data storm

## Global Mobile Data Traffic Growth / Top-Line

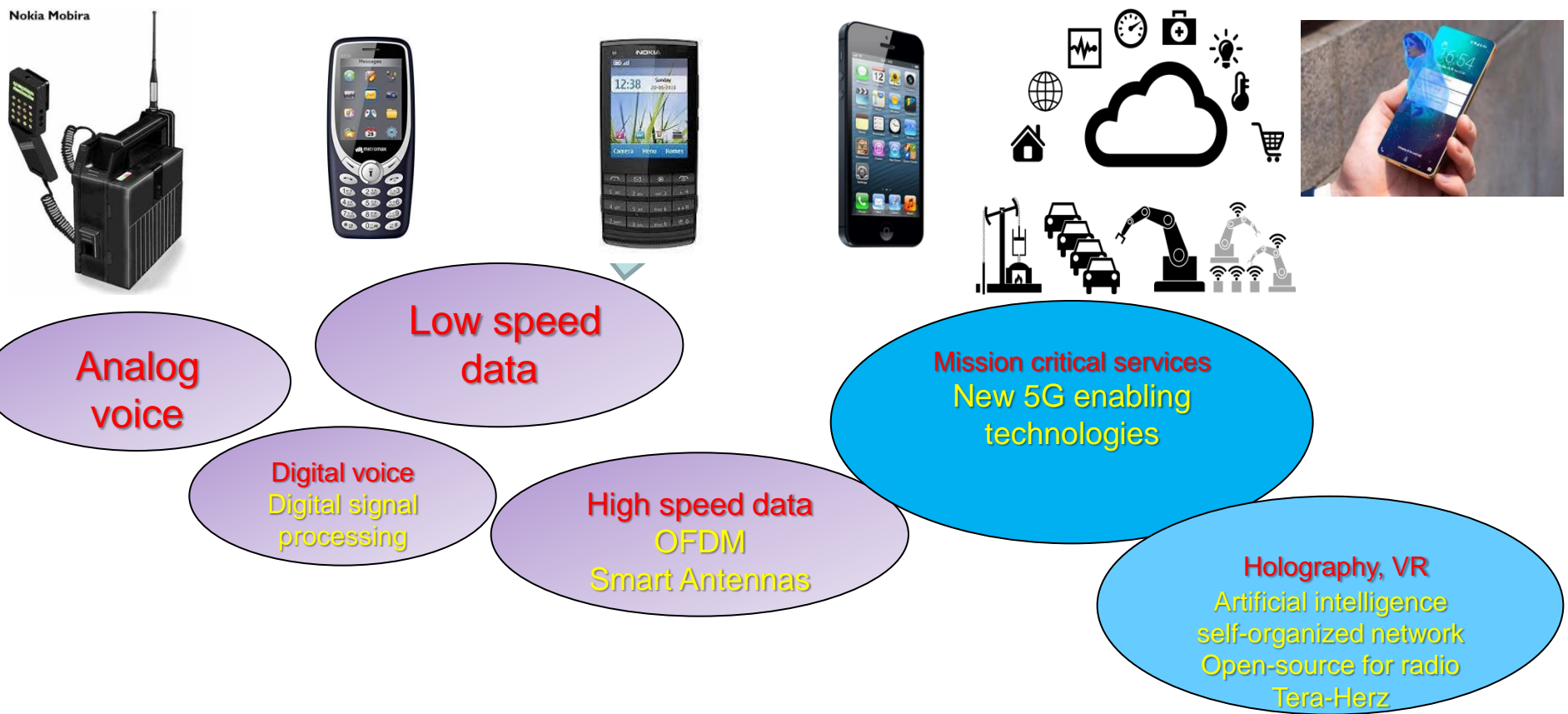
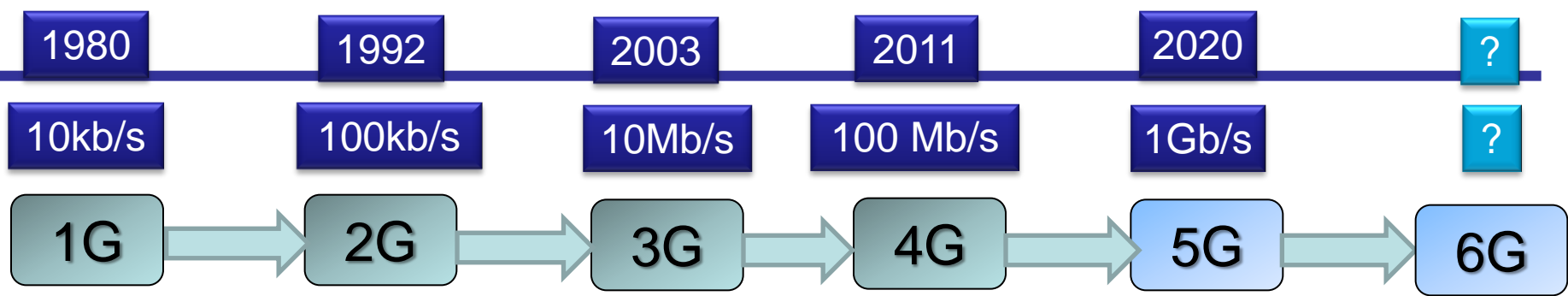
Global Mobile Data Traffic will Increase 7-Fold from 2016–2021



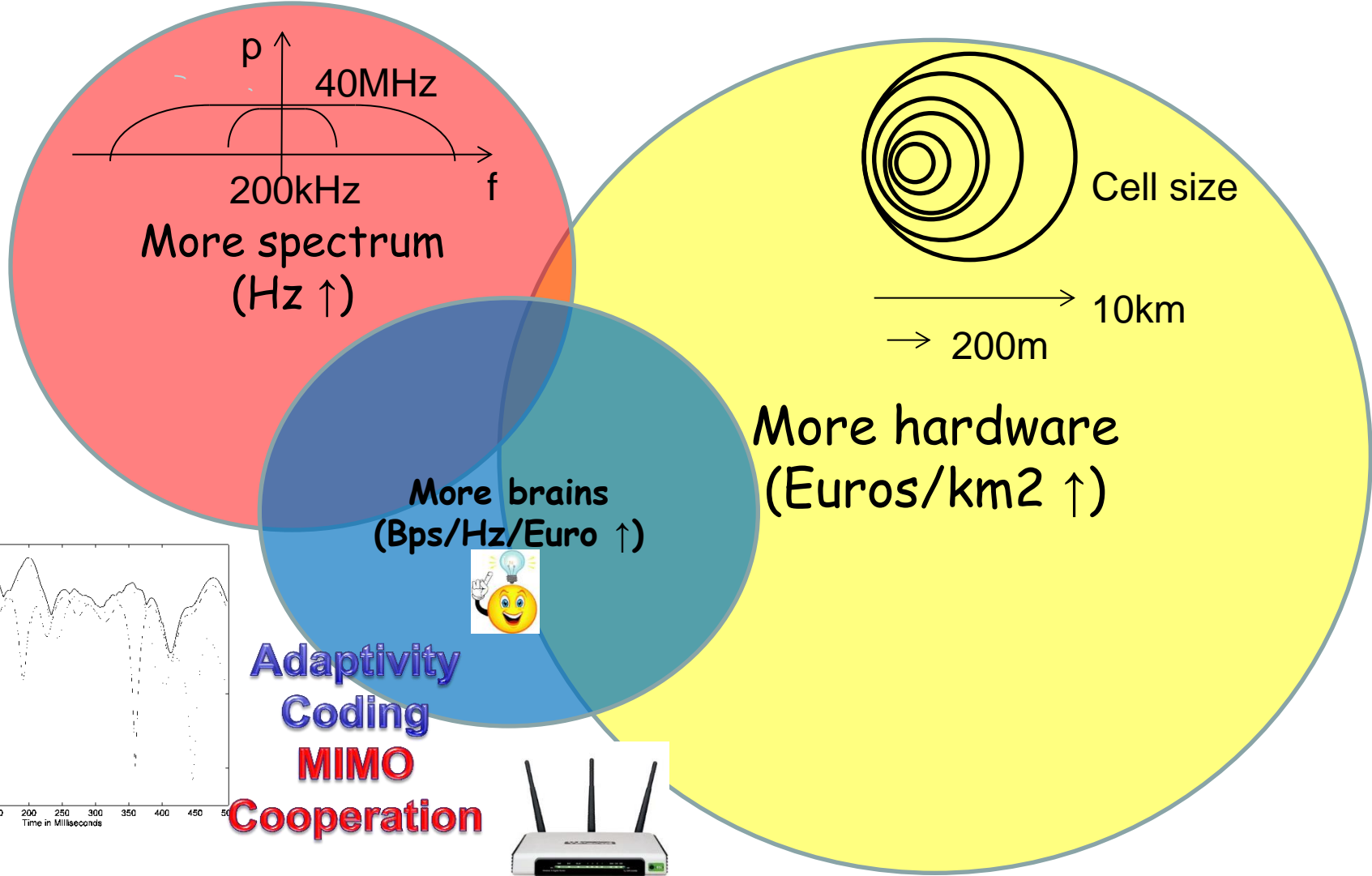
**1EX=1+18 zeroes**

**5G node density:  
2 millions per km<sup>2</sup>**

# A technology perspective from 1G to 6G



# How did we gain a performance factor X100 000 ?



# Some hot wireless design topics

---

- Network softwarization and slicing
- Millimeter-wave communications
- X-MIMO (X=multiuser, network, massive, metasurface, etc.)
- New Radio interface for URLLC (ultra-reliable low latency)
- Open source (not a technology but an unstoppable trend)

# Hot New Areas

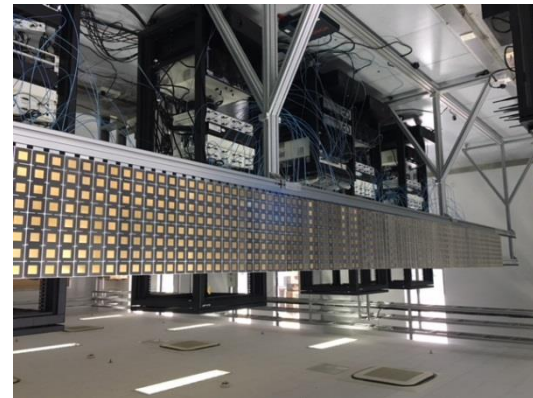
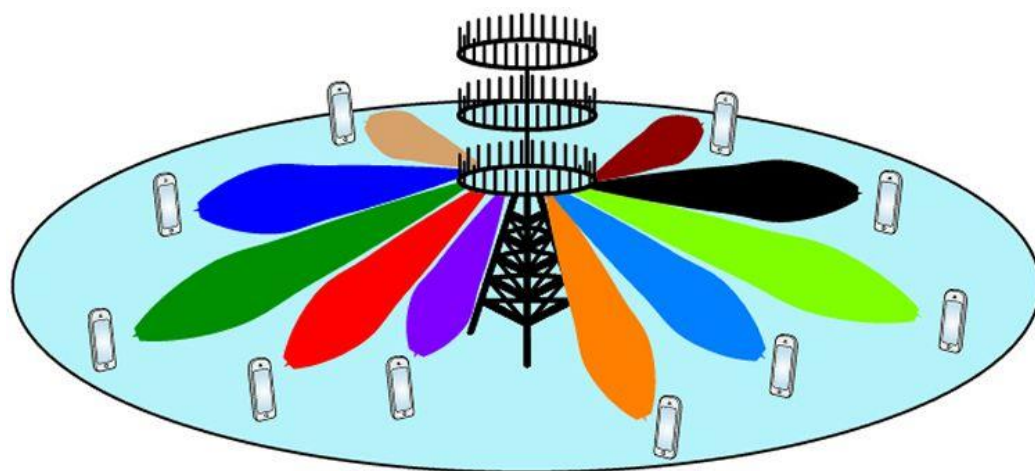
---

- Automotive Communications
- Quantum Communications and Computing
- AI for Comm --- Comm for AI
- AI - Control - Comm
- Advanced Distributed Computing

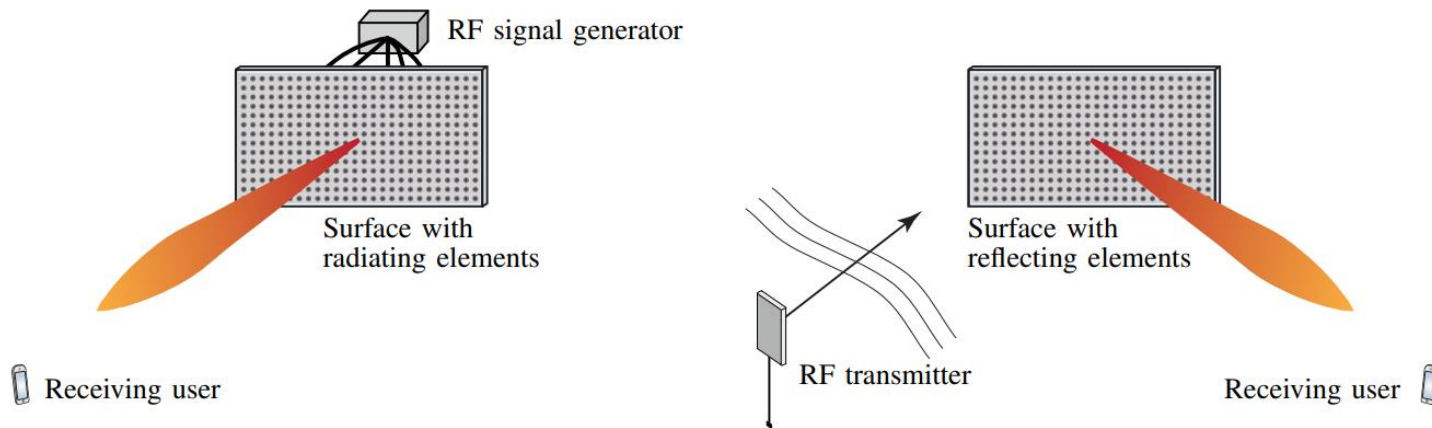


# Massive MIMO for 5G (multiple-input multiple-output)

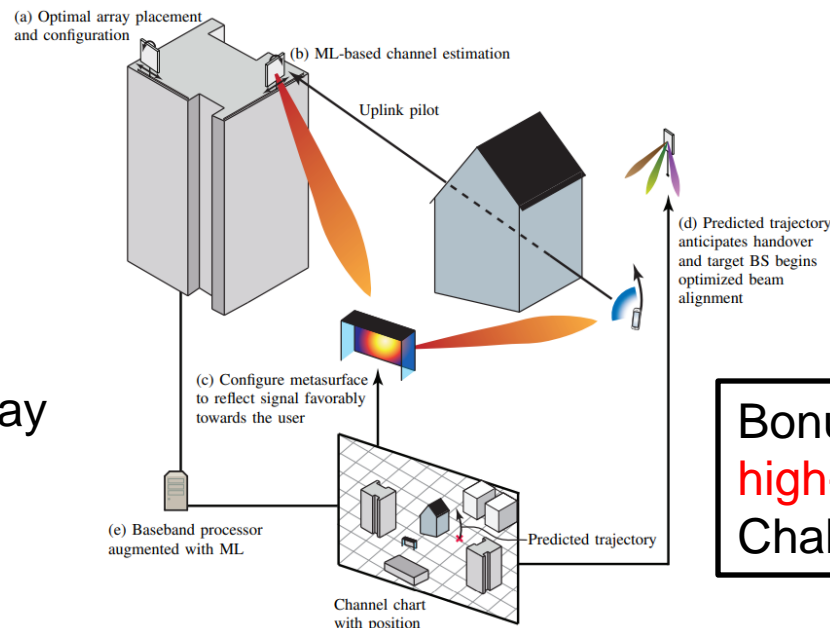
- Multi-element antenna panels (64,128 elements)
- Highly directive radio transmission
- Reduced interference
- Reduced transmission power
- Spatial multiplexing



# Next MIMO revolution (for 6G): Ultra directivity via smart surfaces



- 1 Full digital array
- 2 Phase shifter array
- 3 Switched reflector array
- 4 Meta material array



**Bonus +++:**  
**high-resolution positioning!**  
**Challenge: (AI-driven) control**

# Ultra directivity via smart surfaces



6M2 surface  
3.7K elements  
Switched reflectors  
2.5GHz  
10-20x SNR gain (indoor)

# Why study Communications??

---

- **Telecommunications EXPONENTIAL GROWTH:**
  - A trillion dollar industry – with consistent growth!!
  - Seminal research objectives + Towering engineering challenges
  - Problems at the core of our lives
    - Smart Cities
    - Sustainable Environment
    - Smart Roads
    - Health
    - Virtual Reality
- **FINANCIALLY REWARDING – INDUSTRY IS WAITING FOR YOU:**
  - Wireless network architect: FT, Bouygues, SFR,...
  - Creating devices: Nokia, Ericsson, Alcatel, Motorola, Siemens...
  - Creating new wireless service software (games, positioning, interactive)
  - Advancing the theory of information: Research labs
  - Management and even ... finance
  - Startups
- **EXTREMELY REWARDING, INTERESTING, DIVERSE AND PLAYFUL**

**NO LACK OF JOBS IN THIS AREA – UNCLE COMM WANTS YOU !!!**



# Additional telecommunication-related careers

---



**AUTOMOTIVE**



**INFOCOM**



**TRANSPORT,  
ENVIRONMENT &  
POWER ENGINEERING**



**AERONAUTICS**



**SPACE**



**DEFENCE &  
SECURITY**

## ATW Course Structure

---

- ~ Half academic lectures
- ~ Half experts from Industry
- In-class exercises
- 1 lab session (MATLAB based) and/or HW
- 1 Interactive session (paper presentations)
- 1hr Written Midterm exam
- 2hr Written exam (on academic part only)

## Pre-requisites/advisable

---

- Digital Communications
- Statistical Signal Processing
- Probabilities and Stochastic Processes
- Networking

If you are unsure please meet me after class!

# Wireless Basics

EURECOM, Dept. of Communication Systems  
SophiaTech Campus, Sophia Antipolis, France

Fall 2024



# Course Outline

- General introduction to the course
- Challenges of wireless network design
- Introduction to MIMO networks
- Introduction to MIMO networks and network-MIMO
- The degrees of freedom of wireless networks

# General introduction to the course

- General information
- Supporting material for the course
- Some useful definitions
- Some useful acronyms

# Quick math backgrounder

- Notations
- Orthogonality, special matrices
- Matrix rank
- Eigenvalue decomposition
- Singular value decomposition

# Mathematical notations

- $u$ : scalar
- $\mathbf{u}$ : vector
- $\mathbf{U}$ : Matrix
- $\mathbf{U}^T$ : Transpose operator
- $\mathbf{U}^*$ : Complex-conjugate operator
- $\mathbf{U}^H$ : Transpose conjugate operator (i.e.  $\mathbf{U}^H = \mathbf{U}^{*T}$ )
- $\mathbf{U}^\#$ : Pseudo-inverse operator
- $E()$ : Expectation operator
- $\mathbf{I}_N$ : identity matrix of size  $N \times N$
- $(x)^+$ :  $x$  if  $x$  is positive, zero otherwise.

**Vector Orthogonality:** Let  $\mathbf{u} = [u_1, \dots, u_N]$  and  $\mathbf{v} = [v_1, \dots, v_N]$  be complex vectors of size  $N$ .  $\mathbf{u}$  and  $\mathbf{v}$  are *orthogonal* iff:

$$\mathbf{u}^H \mathbf{v} = \sum_{i=1}^N u_i^* v_i = 0$$

# Special matrices

**Hermitian:** Matrix  $\mathbf{U}$  is *hermitian* iff

$$\mathbf{U} = \mathbf{U}^H$$

**Unitary:** Matrix  $\mathbf{U} = [\mathbf{u}_1, \mathbf{u}_2, \dots, \mathbf{u}_N]$  is *unitary* (or "orthogonal") iff

$$\mathbf{U}^H \mathbf{U} = \mathbf{I}_N$$

which means that vectors  $\mathbf{u}_1, \mathbf{u}_2, \dots, \mathbf{u}_N$  are *unit norm* and orthogonal to each other.

# Matrix rank

The rank  $r$  of matrix  $\mathbf{U} = [\mathbf{u}_1, \mathbf{u}_2, \dots, \mathbf{u}_K]$  of size  $N \times K$  is defined by the dimension spanned by its columns  $\mathbf{u}_1, \mathbf{u}_2, \dots, \mathbf{u}_K$  (or by its rows).

$$r = \text{dimension}(\text{span}(\mathbf{u}_1, \mathbf{u}_2, \dots, \mathbf{u}_K))$$

Therefore  $r \leq \min(N, K)$ .

If  $r = \min(N, K)$  the matrix is said to be "full rank".

The matrix is left (resp. right) invertible iff it is full column (resp. row) rank .

# Matrix eigenvalue-decomposition

Let the  $N \times N$  matrix  $\mathbf{A}$ . The EVD of this matrix is the set of unit-norm eigenvectors  $\mathbf{u}_1, \dots, \mathbf{u}_N$  and eigenvalues  $\lambda_1, \dots, \lambda_N$  such that:

$$\mathbf{A}\mathbf{u}_i = \lambda_i\mathbf{u}_i$$

in other terms:

$$\mathbf{A} = [\mathbf{u}_1, \dots, \mathbf{u}_N] \begin{bmatrix} \lambda_1 & & \mathbf{0} \\ & \ddots & \\ \mathbf{0} & & \lambda_N \end{bmatrix} [\mathbf{u}_1, \dots, \mathbf{u}_N]^{-1}$$

i.e.:

$$\mathbf{A} = \mathbf{U}\mathbf{\Lambda}\mathbf{U}^{-1}$$



# EVD of hermitian matrix

- Hermitian matrices are important. All covariance matrices, of the type  $E(\mathbf{x}\mathbf{x}^H)$ , are hermitian.
- The eigenvalues of complex hermitian matrices are positive real. The eigenvectors are orthogonal.

$$\mathbf{A} = \mathbf{A}^H$$

Then:

$$\mathbf{A} = \mathbf{U}\mathbf{\Lambda}\mathbf{U}^H$$

with  $\lambda_i \geq 0$  and  $\mathbf{U}^H\mathbf{U} = \mathbf{I}_N$

# Singular value decomposition

Let the  $N \times K$  matrix  $\mathbf{A}$ . The SVD of this matrix is given by:

$$\mathbf{A} = \mathbf{U}\mathbf{\Sigma}\mathbf{V}^H$$

where

- $\mathbf{U} = [\mathbf{u}_1, \dots, \mathbf{u}_N]$  is the  $N \times N$ , unitary matrix, containing the *left singular vectors*
- $\mathbf{V} = [\mathbf{v}_1, \dots, \mathbf{v}_K]$  is the  $K \times K$ , unitary matrix, containing the *right singular vectors*
- $\mathbf{\Sigma}$  is the  $N \times K$  matrix containing the *singular values*. Example for  $N \geq K$ :

$$\mathbf{\Sigma} = \begin{bmatrix} \sigma_1 & & & \mathbf{0} \\ & \ddots & & \\ & & \sigma_K & \\ \mathbf{0} & & & \\ \mathbf{0} & & & \mathbf{0} \end{bmatrix}$$

# SVD versus EVD

Let the  $N \times K$  matrix  $\mathbf{A}$ . The SVD relates to the EVD by the relation:

$$\mathbf{A}\mathbf{A}^H = \mathbf{U}\mathbf{\Sigma}^2\mathbf{U}^H$$

and

$$\mathbf{A}^H\mathbf{A} = \mathbf{V}\mathbf{\Sigma}^2\mathbf{V}^H$$

The left singular vectors of  $\mathbf{A}$  are the eigen-vectors of hermitian matrix  $\mathbf{A}\mathbf{A}^H$ . The right singular vectors of  $\mathbf{A}$  are the eigen-vectors of hermitian matrix  $\mathbf{A}^H\mathbf{A}$ .

Finally  $|\sigma_i| = \sqrt{(\lambda_i(\mathbf{A}^H\mathbf{A}))} = \sqrt{(\lambda_i(\mathbf{A}\mathbf{A}^H))}$ .

# Challenges of wireless network design

- Metrics for wireless performance
- Challenges of the wireless channel
- State-of-the-art solutions

# Metrics for wireless performance

## Key metrics

- Rates (Bits/Sec)
- Range (kms), under a target rate constraint
- Mobility support (km/h), under a target rate constraint
- Latency (ms), under a target rate constraint

# Perspective on Wireless Performance

- Coverage in km (matters most in early deployment stages)
- spectral efficiency in Bit/Sec/Hz/Cell (mature deployments):

$$SE = \frac{rM}{K} \quad (1)$$

$M$  = average modulation order (bits/symbol),  $r$  = code rate (1/2, 3/4, ..),  $K$  = Frequency reuse or

$$SE = \frac{R}{KB} \quad (2)$$

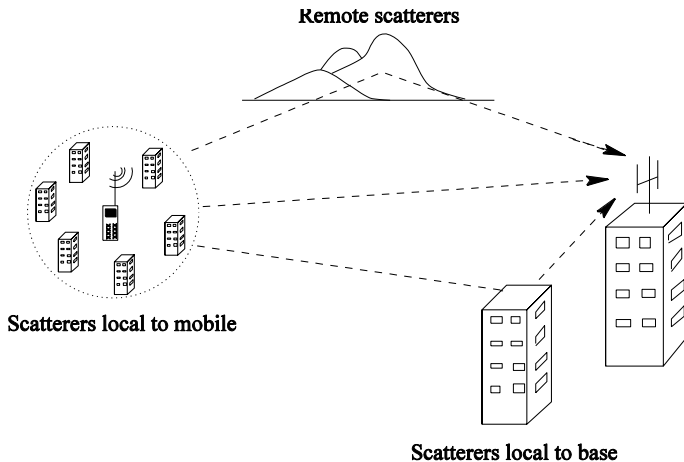
$R$  = average user rate (Bits/sec)  $B$  = bandwidth

# Challenges of the wireless channel

## Wireless transmission introduces:

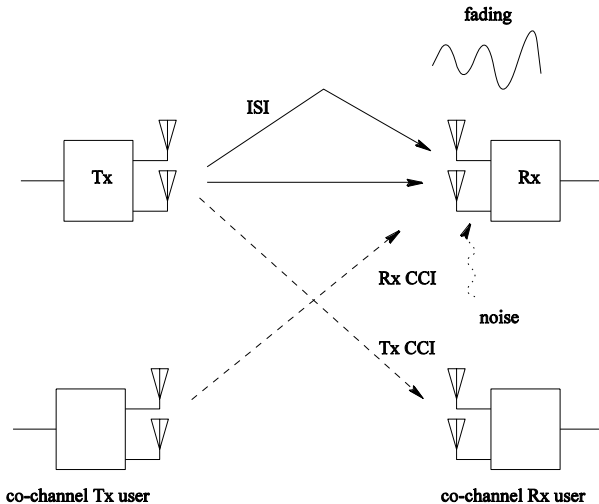
- **Fading**: multiple paths with different phases add up at the receiver, giving a random (Rayleigh/Ricean) amplitude signal.
- **ISI**: multiple paths come with various delays, causing intersymbol interference.
- **CCI**: Co-channel users create interference to the target user
- **Noise**: electronics suffer from thermal noise, limiting the SNR.
- **Doppler**: The channel varies over time, needs to be tracked.

# Multipath Propagation





# MIMO link diagram



## Tricking the wireless channel to improve performance

- Advanced coding and filtering (turbo)
- Hybrid retransmission protocols
- Fast link adaptation
- multi-antenna (MIMO) techniques
- multi-user
  - filtering
  - scheduling
  - inter-cell coordination (for interference control)
  - cooperation

# Introduction to MIMO

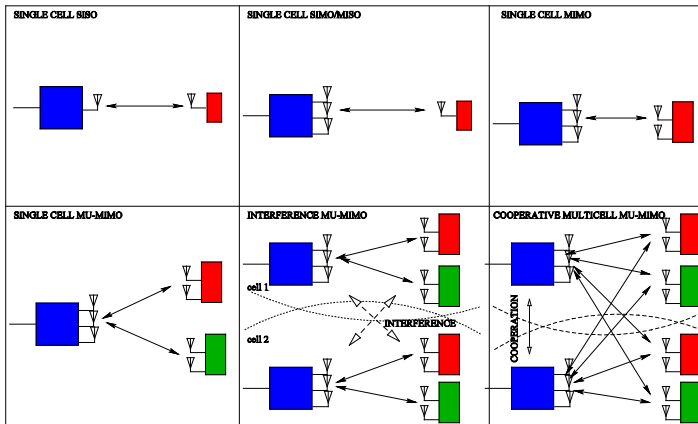
## Using the space dimension (i.e. space-time processing)

- MIMO is multiple inputs multiple outputs
- Using antenna arrays permits to process radio signals in space, not only time.

## ...to improve performance in presence of fading/interference

- coverage
- quality (BER, MOS, outage)
- capacity: Bit/sec/Hz/BTS or # users/Hz/BTS
- peak data rates: Bit/sec

# MIMO Configurations



# Introduction to MIMO networks

We first focus on the **single-user scenario**:

- Multiple antennas at receive side
- Multiple antennas at transmit side (without feedback)
- Joint transmit-receive side without channel feedback
- Joint transmit-receive side with channel feedback

# MIMO link diagram (single user)

