

$$1. (i) (1100001)_2 - (101010)_2 = (110111)_2$$

$$(ii) (110101)_2 + (1001011)_2 = (10000000)_2$$

$$(iii) (1111)_2 - (1001)_2 = (110)_2$$

$$2. (i) (24.4)_{10} = (11000.01100110)_2$$

$$(ii) (1101.01)_2 = (13.25)_{10}$$

$$(iii) (C6)_{16} = (198)_{10}$$

$$3. (i) (126)_{10} - (67)_{10}$$

$$(126)_{10} = (01111110)_2$$

$$(67)_{10} = (01000011)_2$$

$$01000011 \quad \text{-----} +67$$

$$10111100 \quad \text{-----} 1\text{'s complement}$$

$$+ \quad \quad 1 \quad \text{-----} 1 \text{ added}$$

$$10111101 \quad \text{-----} 2\text{'s complement}$$

$$(-67)_{10} = (10111101)_2$$

Therefore, the subtraction  $126 - 67$  can be replaced by the addition of  $126 + (-67)$ .

$$01111110$$

$$+10111101$$

$$100111011$$

Since the bit number is 8, the 9<sup>th</sup> digit resulting from the carry is ignored.

$$\text{Ans. } (111011)_2 \text{ or } (59)_{10}$$

$$(ii) (58)_{10} - (127)_{10} = (198)_{10}$$

$$(58)_{10} = (111010)_2$$

$$(127)_{10} = (1111111)_2$$

$$0111111 \quad \text{-----} +127$$

$$1000000 \quad \text{-----} 1\text{'s complement}$$

$$+ \quad \quad 1 \quad \text{-----} 1 \text{ added}$$

$$1000001 \quad \text{-----} 2\text{'s complement}$$

$$(-127)_{10} = (1000001)_2$$

Therefore , the subtraction  $58 - 127$  can be replaced by the addition of  $58 + (-127)$ .

$$1000001$$

$$+ 00111010$$

$$10111011$$

----- the result is negative.

$$-1$$

$$10111010$$

----- 1 subtracted

$$01000101$$

----- All the "0" and "1" bits of the original bit string are switched.

$$\text{Ans. } (10111011)_2 \text{ or } (-69)_{10}$$