[ Network Embedding ]

## Skip-Gram

**Project: Skip-Gram Implementation with Python** 

Seunghan Lee (CSE-URP)

20.01.17(Fri)

## Goal

"Implement Skip-Gram Model using Random Walk"

INPUT: (One-Hot Encoded) Vertice



Latent Representation of input vector (Embedded Vector)

OUTPUT: Probability Distribution of Vertices

## Contents

1

#### Introduction

Brief overview of Skip-Gram & Random Walk

2

## **Implementation**

- 1) Import Dataset & Libraries
- 2) Define Functions( Random Walk, Softmax, Feed Forward, Back Propagation )
- 3) Skip Gram

3

#### Result

Visualization of Network



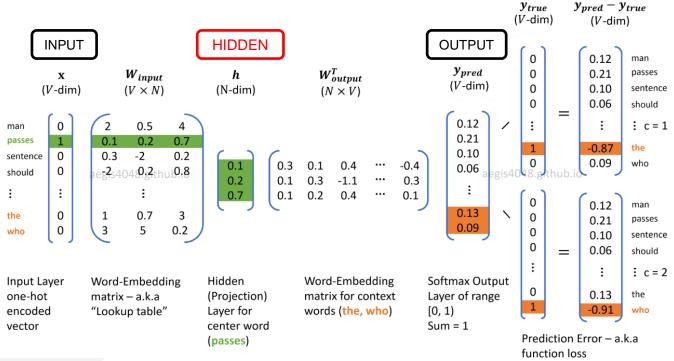






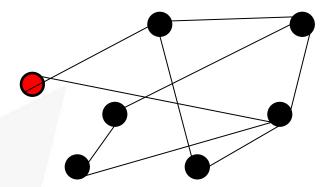
Brief overview of **Skip-Gram** & **Random Walk** 

## 1. Skip-Gram

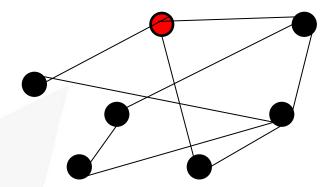


Predict Context Words given One Word

## 2. Random Walk

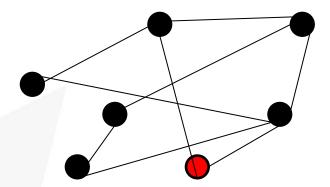


## 2. Random Walk

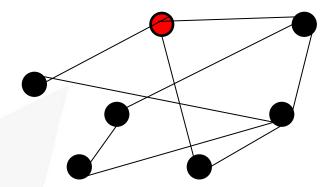




## 2. Random Walk

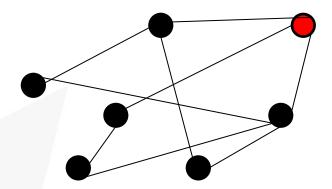


## 2. Random Walk



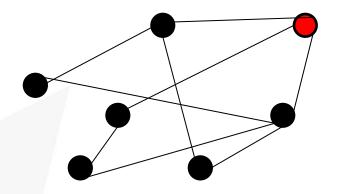


## 2. Random Walk



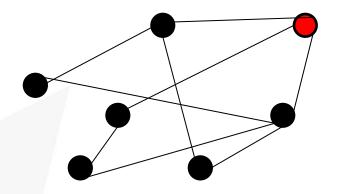


## 2. Random Walk



- 1. Local exploration is easy to parallelize!
- 2. No need for global recomputation (enable online learning)

## 2. Random Walk



- 1. Local exploration is easy to parallelize!
- 2. No need for global recomputation (enable online learning)



## 2. Random Walk

**Original** 

34 Vertices

Ex) walk length = 9

**Random Walk** 

10 Vertices



## 2. Random Walk

**Original** 

34 Vertices

Random Walk

Ex) walk length = 9

10 Vertices



Implement Skip Gram from these 10 vertices!



## 2. Random Walk

Original

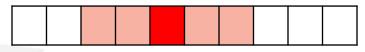
Ex) walk length = 9

**Random Walk** 

10 Vertices



Implement Skip Gram from these 10 vertices!



( window size = 2 )



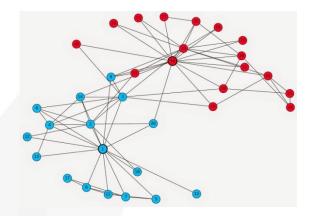




- 1) Import Dataset & Libraries
- 2) Define Functions( Random Walk, Softmax, Feed Forward, Back Propagation )
- 3) Skip Gram



## [ Data Overview ]

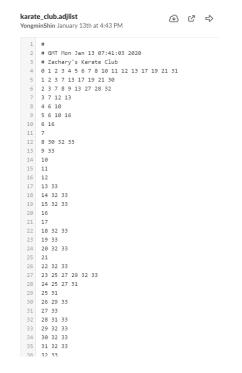


## **Karate Graph**

**Network Graph with** 

34 vertices (labeled 0 or 1)

## Implementation



[ 1. adjacency list ]

#### karate\_club.edgelist YongminShin January 13th at 4:43 PM 1 01 {} 2 0 2 {} 3 0 3 {} 4 0 4 {} 5 05 {} 6 06 {} 7 07 {} 8 08 {} 9 0 10 {} 10 0 11 {} 11 0 12 {} 12 0 13 {} 13 0 17 {} 14 0 19 {} 15 0 21 {} 16 0 31 {} 17 1 2 {} 18 13 {} 19 17 {} 20 1 13 {} 21 1 17 {} 22 1 19 {} 23 1 21 {} 24 1 30 {} 25 2 3 {} 26 27 {} 27 28 {} 28 2 9 {} 29 2 13 {} 30 2 27 {} 31 2 28 {} 32 2 32 {} 33 3 7 {} 34 3 12 {} 35 3 13 {}

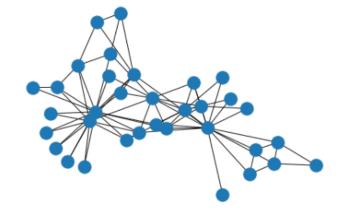
[ 2. edge list ]

36 4 6 {}



#### 1. Import Dataset

```
In [1]:
             import networkx as nx
             import matplotlib.pyplot as plt
             import numpy as np
             import random
             import pandas as pd
             from random import shuffle
             from copy import copy
             %matplotlib inline
In [2]:
             edge = pd.read csv('karate club.edgelist', sep=' ', names=['x','y','w'])
In [3]:
             edge.head()
Out [3]:
            x y w
         0 0 1 {}
         1 0 2 {}
         2 0 3 {}
         3 0 4 {}
         4 0 5 {}
```





#### 1) Adjacency Matrix

```
In [5]:
             A = nx.to numpy matrix(graph, nodelist=sorted(graph.nodes()))
In [6]:
Out[6]: matrix([[0., 1., 1., ..., 1., 0., 0.],
                [1., 0., 1., ..., 0., 0., 0.],
                [1., 1., 0., ..., 0., 1., 0.],
                [1., 0., 0., ..., 0., 1., 1.],
                [0., 0., 1., ..., 1., 0., 1.],
                [0., 0., 0., ..., 1., 1., 0.]])
        2). Input Word Vector (One-Hot encoded)
In [7]:
             OH = np.identity(34)
In [8]:
            OH
Out[8]: array([[1., 0., 0., ..., 0., 0., 0.]
               [0., 1., 0., ..., 0., 0., 0.],
               [0., 0., 1., ..., 0., 0., 0.],
               [0., 0., 0., ..., 1., 0., 0.],
               [0., 0., 0., ..., 0., 1., 0.],
               [0., 0., 0., ..., 0., 0., 1.]])
```



#### 1) Adjacency Matrix

```
In [5]:
            A = nx.to numpy matrix(graph, nodelist=sorted(graph.nodes()))
In [6]:
Out[6]: matrix([[0., 1., 1., ..., 1., 0., 0.],
                [1., 0., 1., ..., 0., 0., 0.],
                [1., 1., 0., ..., 0., 1., 0.],
                                                      1 in adjacent vertices,
                [1., 0., 0., ..., 0., 1., 1.],
                                                      0 otherwise
                [0., 0., 1., ..., 1., 0., 1.],
                [0., 0., 0., ..., 1., 1., 0.]])
        2). Input Word Vector (One-Hot encoded)
In [7]:
            OH = np.identity(34)
In [8]:
            OH
Out [8]: array([[1., 0., 0., ..., 0., 0., 0.]
               [0., 1., 0., ..., 0., 0., 0.],
               [0., 0., 1., ..., 0., 0., 0.],
                                                      Shape: 34 x 34
               [0., 0., 0., ..., 1., 0., 0.],
               [0., 0., 0., ..., 0., 1., 0.],
               [0., 0., 0., ..., 0., 0., 1.]])
```



## 1) Adjacency Matrix

#### 2). Input Word Vector (One-Hot encoded)

## Implementation

## for Random Walk!



- each row : one vertex
- By finding the index of **NON-ZERO** values

for Input Vector of every vertex



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 1). Random Walk

```
In [9]:
              def random step(i,w):
                walk list = []
                walk list.append(i)
                for k in range(w):
                  ad = np.nonzero(A[i])[1] # i와 인접한 vertex들의 list
                  rand = random.choice(ad) # 그 list 중 랜덤하게 하나 고르기
                  walk list.append(rand)
                  i = rand
                return walk list
In [78]:
             random step(3,10)
Out [78]: [3, 2, 1, 21, 0, 21, 1, 0, 21, 1, 19]
         2) softmax
In [931:
              def softmax(x):
                c = np.max(x)
                b = x-c
                exp x = np.exp(b)
                sum exp x = np.sum(exp x)
                y = \exp x / \sup \exp x
                return y
```



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 2) softmax

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 2) softmax

## Implementation

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0

(input) 1 - 32



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 2) softmax

## Implementation

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0

(input) 1 - 32 - 0



(Random Walk, Softmax, Feed Forward, Back Propagation)

```
1). Random Walk

In [9]:

1     def random_step(i,w):
        walk_list = []
        walk_list.append(i)
        for k in range(w):
        ad = np.nonzero(A[i])[1] # i와 인접한 vertex 들의 list
        rand = random.cho ce(ad) # 그 list중 랜덤하게 하나 고르기
        walk_list.append(rand)
        i = rand
        return walk_list

In [78]:

1     random_step(3,10)

Out [78]: [3, 2, 1, 21, 0, 21, 1, 0, 21, 1, 19]
```

#### 2) softmax

## Implementation

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0

Row 0	0	1	1	0	0		1	1
Row 1	1	0	0	1	0		1	0
							1	
Row 32	1	1	0	0	1	1	0	0
Row 33	1	1	1	0	0		0	0

(input) 1 - 32 - 0 - 2



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 1). Random Walk

```
In [9]:
              def random step(i,w):
                walk list = []
                walk list.append(i)
                for k in range(w):
                  ad = np.nonzero(A[i])[1] # i와 인접한 vertex 들의 list
                  rand = random.choice(ad) # 그 list 중 랜덤하게 하나 고르기
                  walk_list.append(rand)
                  i = rand
                return walk list
In [78]:
             random_step(3,10)
Out [78]: [3, 2, 1, 21, 0, 21, 1, 0, 21, 1, 19]
```

#### 2) softmax

```
In [93]:
              def softmax(x):
                c = np.max(x)
                b = x-c
                exp x = np.exp(b)
                sum exp x = np.sum(exp x)
                y = \exp x / \sup \exp x
                return y
```

## Implementation



The problem arise when x(i) is too small or too large. Suppose each x(i) is very small negative number,  $\exp(x(i))$  will be close to 0, since all the x(i)are very small the denominator of softmax function will be close to 0 and result will be not defined. This is called **underflow**. If x(i) is very large  $\exp(x(i))$  will be very large number, may exceed the computational limit. This is called overflow.

$$softmax(x)_{i} = \frac{e^{x_{i}}}{\sum_{j=1}^{n} e^{x_{j}}}$$

$$= \frac{e^{x_{i}'}}{\sum e^{x_{j}'}}$$
Avoid overflow or underflow
$$m = \max(x)$$

$$x_{j} \to x_{j} - m = x_{j}'$$

https://medium.com/@ionathan hui/machine-learning-summary-algorithm-d75c64963800 https://medium.com/@ravish1729/analysis-of-softmax-function-ad058d6a564d



(Random Walk, Softmax, Feed Forward, Back Propagation)

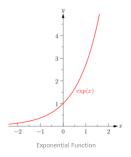
#### 1). Random Walk

```
In [9]: 1 def random_step(i,w):
    walk_list = []
    walk_list.append(i)
    for k in range(w):
        ad = np.nonzero(A[i])[1] # i와 인접한 vertex 들의 list
        rand = random.choice(ad) # 그 list중 랜덤하게 하나 고르기
    walk_list.append(rand)
    i = rand
    return walk_list

In [78]: 1 random_step(3,10)

Out [78]: [3, 2, 1, 21, 0, 21, 1, 0, 21, 1, 19]
```

## Implementation



The problem arise when x(i) is too small or too large. Suppose each x(i) is very small negative number,  $\exp(x(i))$  will be close to 0, since all the x(i) are very small the denominator of softmax function will be close to 0 and result will be not defined. This is called **underflow**. If x(i) is very large  $\exp(x(i))$  will be very large number, may exceed the computational limit. This is called **overflow**.

$$softmax(x)_{i} = \frac{e^{x_{i}}}{\sum_{j=1}^{n} e^{x_{j}}}$$

$$= \frac{e^{x_{i}'}}{\sum e^{x_{j}'}}$$
Avoid overflow or underflow
$$m = \max(x)$$

$$x_{j} \to x_{j} - m = x_{j}'$$

https://medium.com/@jonathan\_hui/machine-learning-summary-algorithm-d75c64963800 https://medium.com/@ravish1729/analysis-of-softmax-function-ad058d6a564d



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 3) Feed Forward

#### 4) Back Propagation

```
def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):
    front = input_word[index-window_size : index]
    back = input_word[index+1 : index+window_size+1]
    window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shape[1]):
    adjust = (y_pred-window_OH)[:,j].sum()*h
    w2[:,j] -= -lr*adjust

# hidden -> input
adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
    w1-= lr*adjust2
return w1,w2
```



(Random Walk, Softmax, Feed Forward, Back Propagation)

# In [94]: | def feedforward(input\_word,index,w1,w2): | h=np.matmul(w1.T,input\_word[index]) | u=np.matmul(w2.T,h) | y = softmax(u) | return h,u,y

#### 4) Back Propagation

```
def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):
    front = input_word[index-window_size : index]
    back = input_word[index+1 : index+window_size+1]
    window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shape[1]):
    adjust = (y_pred-window_OH)[:,j].sum()*h
    w2[:,j] -= -lr*adjust

# hidden -> input
    adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
    w1-= lr*adjust2
    return w1,w2
```

$$\mathbf{h} = \mathbf{W}_{(k,\cdot)}^T := \mathbf{v}_{w_I}^T$$

$$u_{c,j} = u_j = \mathbf{v}_{w_j}^{\prime} \cdot \mathbf{h}$$

$$y_{c,j} = \frac{\exp(u_{c,j})}{\sum_{j'=1}^{V} \exp(u_{j'})}$$



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 

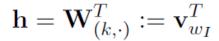
#### 4) Back Propagation

```
def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):
    front = input_word[index-window_size : index]
    back = input_word[index+1 : index+window_size+1]
    window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shape[1]):
    adjust = (y_pred-window_OH)[:,j].sum()*h
    w2[:,j] -= -lr*adjust

# hidden -> input
adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
    w1-= lr*adjust2
    return w1,w2
```

## Implementation



#### Calculate the hidden layer

(W:input -> hidden weight) (k:index of input word)

$$u_{c,j} = u_j = \mathbf{v}_{w_j}^{\prime} \cdot \mathbf{h}$$

$$y_{c,j} = \frac{\exp(u_{c,j})}{\sum_{j'=1}^{V} \exp(u_{j'})}$$



(Random Walk, Softmax, Feed Forward, Back Propagation)

## 3) Feed Forward In [94]: | def feedforward(input\_word,index,w1,w2): | h=np.matmul(w1.T,input\_word[index]) | u=np.matmul(w2.T,h) | y = softmax(u) | return h,u,y

#### 4) Back Propagation

```
def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):
    front = input_word[index-window_size : index]
    back = input_word[index+1 : index+window_size+1]
    window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shape[1]):
    adjust = (y_pred-window_OH)[:,j].sum()*h
    w2[:,j] -= -lr*adjust

# hidden -> input
adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
    w1-= lr*adjust2
    return w1,w2
```

## Implementation

$$\mathbf{h} = \mathbf{W}_{(k,\cdot)}^T := \mathbf{v}_{w_I}^T$$

$$u_{c,j} = u_j = \mathbf{v}'_{w_j}^T \cdot \mathbf{h}$$

Input of j-th unit on the c-th panel of the output layer (c:# of Multinomial Distributions)

$$y_{c,j} = \frac{\exp(u_{c,j})}{\sum_{j'=1}^{V} \exp(u_{j'})}$$



(Random Walk, Softmax, Feed Forward, Back Propagation)

# 3) Feed Forward In [94]: | def feedforward(input\_word,index,w1,w2): | h=np.matmul(w1.T,input\_word[index]) | u=np.matmul(w2.T,h) | y = softmax(u) | return h,u,y

#### 4) Back Propagation

```
def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):
    front = input_word[index-window_size : index]
    back = input_word[index+1 : index+window_size+1]
    window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shape[1]):
    adjust = (y_pred-window_OH)[:,j].sum()*h
    w2[:,j] -= -lr*adjust

# hidden -> input
adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
    w1-= lr*adjust2
    return w1,w2
```

## Implementation

$$\mathbf{h} = \mathbf{W}_{(k,\cdot)}^T := \mathbf{v}_{w_I}^T$$

$$u_{c,j} = u_j = \mathbf{v}'_{w_j}^T \cdot \mathbf{h}$$

$$y_{c,j} = \frac{\exp(u_{c,j})}{\sum_{j'=1}^{V} \exp(u_{j'})}$$

output of the j-th unit on the c-th panel



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 3) Feed Forward

```
In [94]:
              def feedforward(input word,index,w1,w2):
                h=np.matmul(w1.T,input_word[index])
                u=np.matmul(w2.T,h)
                y = softmax(u)
                return h,u,y
```

#### 4) Back Propagation

```
In [95]:
              def backprop(input word,w1,w2,lr,h,y pred,index,window size):
                front = input word[index-window size : index]
                back = input word[index+1 : index+window size+1]
                window OH = np.concatenate([front,back])
                # output -> hidden
                for j in range(w2.shape[1]):
                   adjust = (y_pred-window_OH)[:,j].sum()*h
                   w2[:,j] -= -lr*adjust
                # hidden -> input
                adjust2 = ((y pred-window OH).sum(axis=0)*w2).T
                w1-= Ir*adjust2
                return w1,w2
```



(Random Walk, Softmax, Feed Forward, Back Propagation)

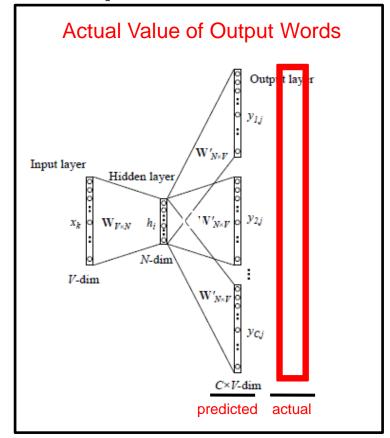
#### 3) Feed Forward

#### 4) Back Propagation

```
def backprop(input_word w1 w2 lr h v_pred index window_size):
front = input_word[index-window_size : index]
back = input_word[index+1 : index+window_size+1]
window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shap.e[1]):
adjust = (y_pred-window_OH)[:,j].sum()*h
w2[:,j] -= -lr*adjust

# hidden -> input
adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
w1-= lr*adjust2
return w1,w2
```







(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 3) Feed Forward

```
In [94]:

1 def feedforward(input_word,index,w1,w2):
h=np.matmul(w1.T,input_word[index])
u=np.matmul(w2.T,h)
y = softmax(u)
return h,u,y
```

#### 4) Back Propagation

```
def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):

front = input_word[index-window_size : index]
back = input_word[index+1 : index+window_size+1]
window_OH = np.concatenate([front,back])

# output -> hidden
for j in range(w2.shaps[1]):
adjust = (y_pred-window_OH)[:,j].sum()*h
w2[:,j] -= -lr*adjust

# hidden -> input
adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
w1-= lr*adjust2
return w1,w2
```

$$\mathbf{v}'_{w_j}^{(\text{new})} = \mathbf{v}'_{w_j}^{(\text{old})} - \eta \cdot \text{EI}_j \cdot \mathbf{h}$$

$$EI_j = \sum_{c=1}^{C} e_{c,j}$$
 for  $j = 1, 2, \dots, V$ .

$$\mathbf{v}_{w_I}^{(\text{new})} = \mathbf{v}_{w_I}^{(\text{old})} - \eta \cdot \mathbf{E}\mathbf{H}^T$$

$$EH_i = \sum_{j=1}^{V} EI_j \cdot w'_{ij}.$$



(Random Walk, Softmax, Feed Forward, Back Propagation)

#### 3) Feed Forward

#### 4) Back Propagation

```
In [95]:

| def backprop(input_word,w1,w2,lr,h,y_pred,index,window_size):
| front = input_word[index-window_size : index]
| back = input_word[index+1 : index+window_size+1]
| window_OH = np.concatenate([front,back])

| # output -> hidden
| for j in range(w2.shape[1]):
| adjust = (y_pred-window_OH)[:,j].sum()*h
| w2[:,j] -= -lr*adjust

| # hidden -> input
| adjust2 = ((y_pred-window_OH).sum(axis=0)*w2).T
| w1-= lr*adjust2
| return w1,w2
```

$$\mathbf{v}'_{w_j}^{\text{(new)}} = \mathbf{v}'_{w_j}^{\text{(old)}} - \eta \cdot \text{EI}_j \cdot \mathbf{h}$$

$$EI_{j} = \sum_{c=1}^{C} e_{c,j} \qquad \text{for } j = 1, 2, \dots, V.$$

$$\mathbf{v}_{w_I}^{(\text{new})} = \mathbf{v}_{w_I}^{(\text{old})} - \eta \cdot \mathbf{E}\mathbf{H}^T$$

$$EH_i = \sum_{j=1}^{V} EI_j \cdot w'_{ij}.$$



## 3. Skip Gram

## 3. Skip-Gram

```
In [96]:

def Skipgram(input_word, reduced_dim, Ir, walk_size, window_size,epoch):
    W1 = np.random.random((input_word.shape[0],reduced_dim))
    W2 = np.random.random((reduced_dim, input_word.shape[0]))

for _ in range(epoch):
    input_word = copy(input_word)
    shuffle(input_word)
    for index in range(input_word.shape[0]):
        RW = input_word[random_step(index,walk_size)]
    for i in range(len(RW)):
        h,u,y = feedforward(RW,i,W1,W2)
        W1,W2 = backprop(RW,W1,W2,Ir,h,y,i,window_size)

return W1,W2
```

## Implementation

## [Input Variables]

## 1. input\_word:

Matrix of Input Words (34 x 34 Identity Matrix)

#### 2. reduced dim:

Dimension of the embedded vector

#### 3. lr:

Learning Rate

#### 4. walk size:

Walk length in random walk

## 5. window\_size :

(one-sided) Size of the window from the index

## 6. epoch:

Walks per vertex



## 3. Skip Gram

## 3. Skip-Gram

```
In [96]:

def Skipgram(input_word, reduced_dim, lr, walk_size, window_size,epoch):
    W1 = np.random.random((input_word.shape[0],reduced_dim))
    W2 = np.random.random((reduced_dim, input_word.shape[0]))

for _ in range(epoch):
    input_word = copy(input_word)
    shuffle(input_word)
    for index in range(input_word.shape[0]):
        RW = input_word[random_step(index,walk_size)]
    for i in range(len(RW)):
        h,u,y = feedforward(RW,i,W1,W2)
        W1,W2 = backprop(RW,W1,W2,lr,h,y,i,window_size)

return W1,W2
```

## Implementation

## [ Process ]

## 1) Initialize weight

( uniform distribution ) ( W1 : input – hidden Weight ) ( W2 : hidden – output Weight )

- 2) Shuffle the words
- 3) Implement a Random Walk
- 4) Feed Forward( with the vertices selected by RW )
- 5) Back Propagation
- 6) Return Weights







## 3. Result

Visualization of Network



## Result

## 4

#### 4. Result

```
w1,w2 = Skipgram(OH,reduced_dim=2, Ir=0.02, walk_size=10,window_size=3,epoch=7)

Emb = np.matmul(OH,w1)

Emb_df = pd.DataFrame({'X':Emb[:,0], 'Y':Emb[:,1],'Label':range(1,35)})

blue = [1,2,3,4,5,6,7,8,9,11,12,13,14,17,18,20,22]

red = list(set(range(0,34))-set(blue))

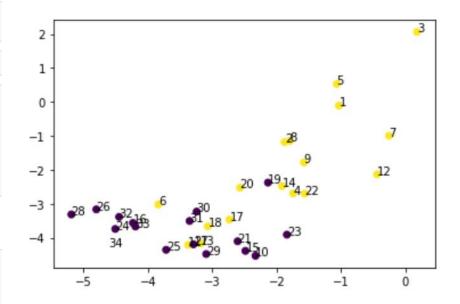
Emb_df.loc[Emb_df.Label.isin(blue),'Color']=1

Emb_df.loc[Emb_df.Label.isin(red),'Color']=0
```

#### Visualization

```
plt.scatter(Emb_df['X'], Emb_df['Y'], c=Emb_df['Color'])

for i,txt in enumerate(Emb_df['Label']):
plt.annotate(txt, (Emb_df['X'][i], Emb_df['Y'][i]))
```



## Reference

[1] Bryan Perozzi, Rami Al-Rfou, Steven Skiena: Deepwalk: Online Learning of Social Representations

[2] Xin Rong: word2vec Parameter Learning Explained

