

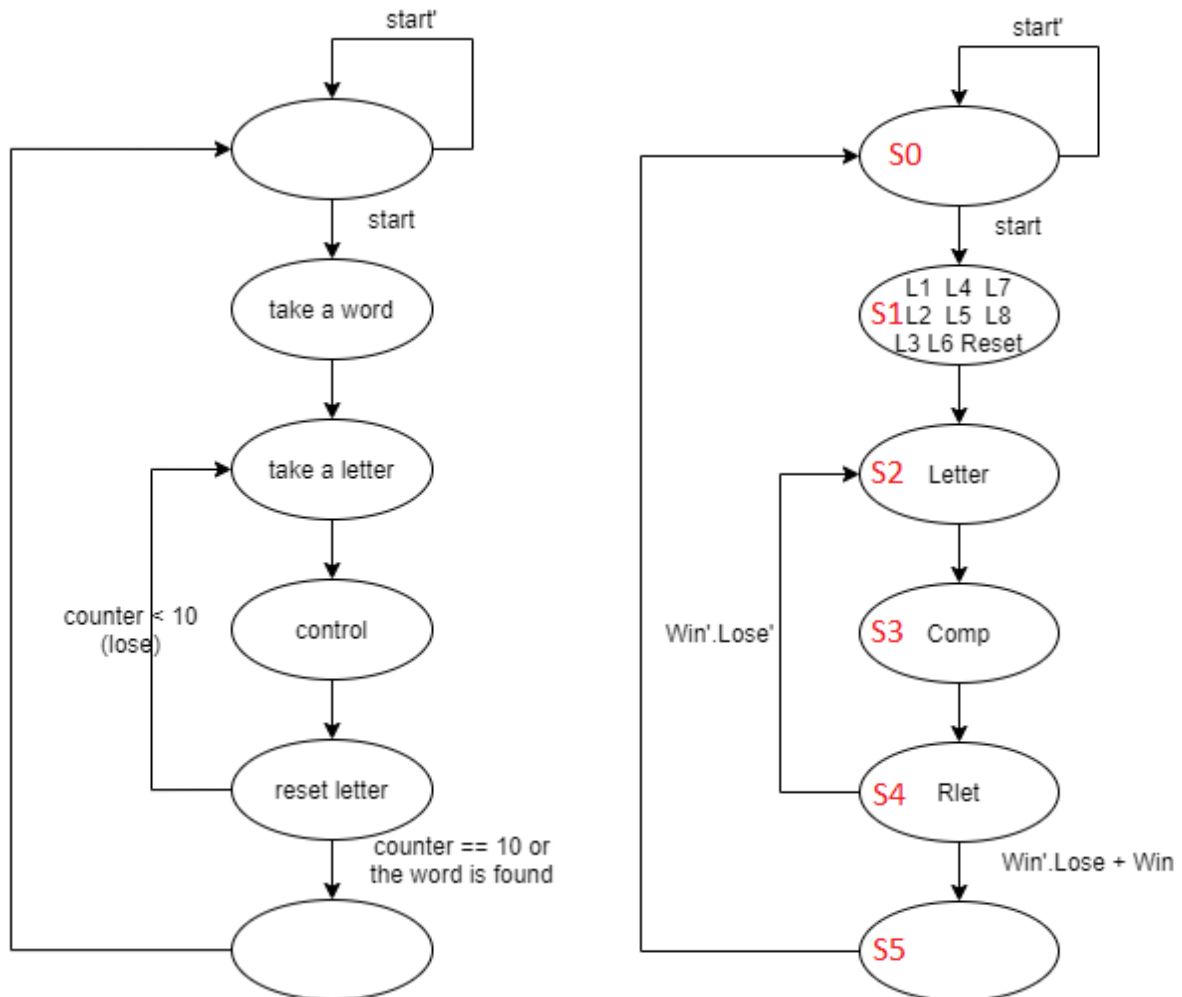
CSE 232 SPRING 2020
FINAL PROJECT
HANGMAN GAME MACHINE
REPORT

ŞEYDA ÖZER
171044023

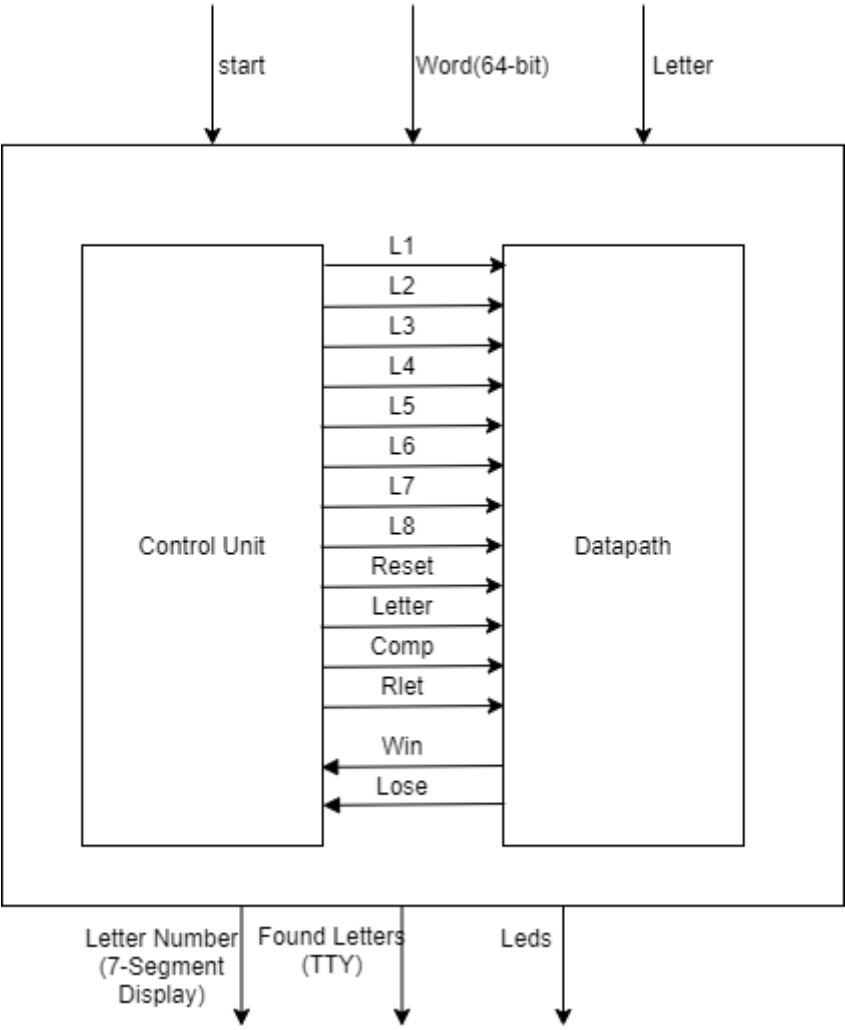
HANGMAN GAME MACHINE

State Diagram:

In this diagram, the signals inside the states are 1 and the remaining signals are 0.



FSM:



Truth Table:

Present State			Inputs			Next State		
S2	S1	S0	Start	Win	Lose	N2	N1	N0
0	0	0	0	-	-	0	0	0
0	0	0	1	-	-	0	0	1
0	0	1	-	-	-	0	1	0
0	1	0	-	-	-	0	1	1
0	1	1	-	-	-	1	0	0
1	0	0	-	0	0	0	1	0
1	0	0	-	0	1	1	0	1
1	0	0	-	1	-	1	0	1
1	0	1	-	-	-	0	0	0

Present State			Outputs											
S2	S1	S0	L1	L2	L3	L4	L5	L6	L7	L8	Reset	Letter	Comp	Rlet
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	1	1	1	1	1	1	1	1	1	1	0	0	0
0	1	0	0	0	0	0	0	0	0	0	0	1	0	0
0	1	1	0	0	0	0	0	0	0	0	0	0	1	0
1	0	0	0	0	0	0	0	0	0	0	0	0	0	1
1	0	1	0	0	0	0	0	0	0	0	0	0	0	0

Boolean Expressions:

$$L1 = L2 = L3 = L4 = L5 = L6 = L7 = L8 = \text{Reset} = S2'.S1'.S0$$

$$\text{Letter} = S2'.S1.S0'$$

$$\text{Comp} = S2'.S1.S0$$

$$\text{Rlet} = S2.S1'.S0'$$

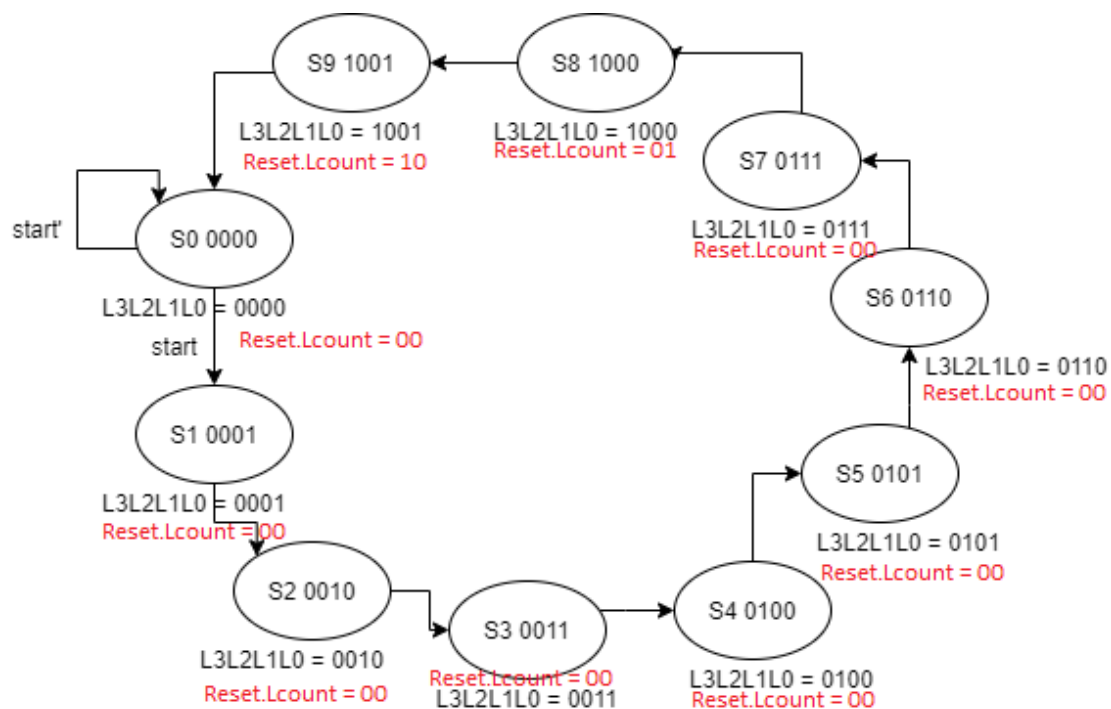
$$\begin{aligned} N2 &= S2'.S1.S0 + S2.S1'.S0'.\text{Win}'.\text{Lose} + S2.S1'.S0'.\text{Win} \\ &= S2'.S1.S0 + S2.S1'.S0'.(\text{Win}'.\text{Lose} + \text{Win}) \end{aligned}$$

$$\begin{aligned} N1 &= S2'.S1'.S0 + S2'.S1.S0' + S2.S1'.S0'.\text{Win}'.\text{Lose}' \\ &= S2'.(S1 \text{ XOR } S0) + S2.S1'.S0'.\text{Win}'.\text{Lose}' \end{aligned}$$

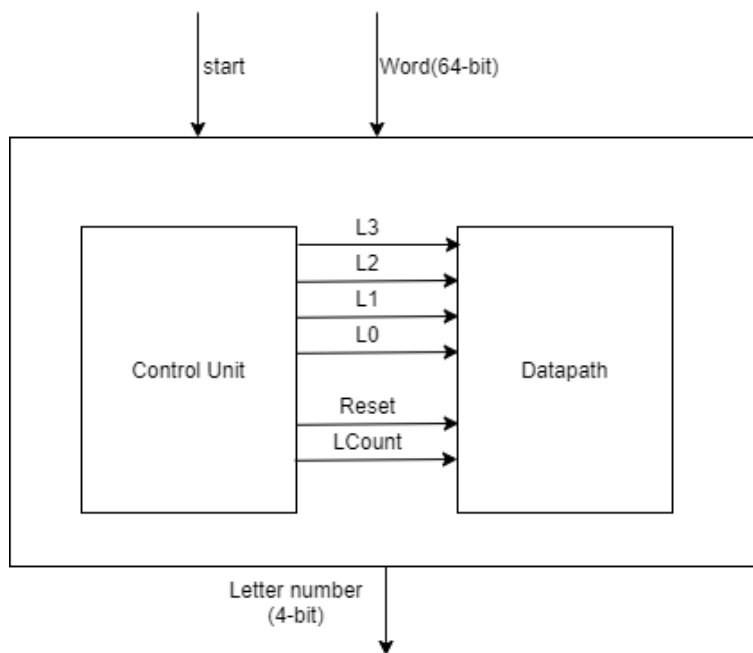
$$\begin{aligned} N0 &= S2'.S1'.S0'.\text{start} + S2'.S1.S0' + S2.S1'.S0'.\text{Win}'.\text{Lose} + S2.S1'.S0'.\text{Win} \\ &= S2'.S0'.(S1'.\text{start} + S1) + S2.S1'.S0'.(\text{Win}'.\text{Lose} + \text{Win}) \end{aligned}$$

Letter Counter:

State Table:



FSM:



Truth Table:

Present State				Inputs	Next State			
S3	S2	S1	S0	start	N3	N2	N1	N0
0	0	0	0	0	0	0	0	0
0	0	0	0	1	0	0	0	1
0	0	0	1	-	0	0	1	0
0	0	1	0	-	0	0	1	1
0	0	1	1	-	0	1	0	0
0	1	0	0	-	0	1	0	1
0	1	0	1	-	0	1	1	0
0	1	1	0	-	0	1	1	1
0	1	1	1	-	1	0	0	0
1	0	0	0	-	1	0	0	1
1	0	0	1	-	0	0	0	0

Present State				Outputs					
S3	S2	S1	S0	L3	L2	L1	L0	Reset	LCount
0	0	0	0	0	0	0	0	0	0
0	0	0	1	0	0	0	1	0	0
0	0	1	0	0	0	1	0	0	0
0	0	1	1	0	0	1	1	0	0
0	1	0	0	0	1	0	0	0	0
0	1	0	1	0	1	0	1	0	0
0	1	1	0	0	1	1	0	0	0
0	1	1	1	0	1	1	1	0	0
1	0	0	0	1	0	0	0	0	1
1	0	0	1	1	0	0	1	1	0

Boolean Expressions:

$$N3 = S3'.S2.S1.S0 + S3.S2'.S1'.S0'$$

$$\begin{aligned} N2 &= S3'.S2'.S1.S0 + S3'.S2.S1'.S0' + S3'.S2.S1'.S0 + S3'.S2.S1.S0' \\ &= S3'.S1.(S2 \text{ XOR } S0) + S3'.S2.S1' \end{aligned}$$

$$\begin{aligned} N1 &= S3'.S2'.S1'.S0 + S3'.S2'.S1.S0' + S3'.S2.S1'.S0 + S3'.S2.S1.S0' \\ &= S3'.S1'.S0 + S3'.S1.S0' \\ &= S3'.(S1 \text{ XOR } S0) \end{aligned}$$

$$\begin{aligned} N0 &= S3'.S2'.S1'.S0'.\text{start} + S3'.S2'.S1.S0' + S3'.S2.S1'.S0' + S3'.S2.S1.S0' + S3.S2'.S1'.S0' \\ &= S3'.S2'.S0'.(S1'.\text{start} + S1) + S3'.S2.S0' + S3.S2'.S1'.S0' \end{aligned}$$

$$L3 = S3$$

$$L2 = S2$$

$$L1 = S1$$

$$L0 = S0$$

$$\text{Reset} = S3.S2'.S1'.S0$$

$$\text{Lcount} = S3.S2'.S1'.S0'$$

Decoder for 7 Segment Display:

	Inputs				Outputs						
	n3	n2	n1	n0	a	b	c	d	e	f	g
0	0	0	0	0	1	1	1	1	1	1	0
1	0	0	0	1	0	1	1	0	0	0	0
2	0	0	1	0	1	1	0	1	1	0	1
3	0	0	1	1	1	1	1	1	0	0	1
4	0	1	0	0	0	1	1	0	0	1	1
5	0	1	0	1	1	0	1	1	0	1	1
6	0	1	1	0	1	0	1	1	1	1	1
7	0	1	1	1	1	1	1	0	0	0	0
8	1	0	0	0	1	1	1	1	1	1	1
9	1	0	0	1	1	1	1	1	0	1	1

Boolean Expressions:

$$\begin{aligned} a' &= n3'.n2'.n1'.n0 + n3'.n2.n1'.n0' \\ &= n3'.n1'.(n2'.n0 + n2.n0') \\ &= n3'.n1'.(n2 \text{ XOR } n0) \end{aligned}$$

$$\begin{aligned}
 b' &= n3'.n2.n1'.n0 + n3'.n2.n1.n0' \\
 &= n3'.n2(n1'.n0 + n1.n0') \\
 &= n3'.n2.(n1 \text{ XOR } n0)
 \end{aligned}$$

$$c' = n3'.n2'.n1.n0'$$

$$\begin{aligned}
 d' &= n3'.n2'.n1'.n0 + n3'.n2.n1'.n0' + n3'.n2.n1.n0 \\
 &= n3'.n1'.(n2'.n0 + n2.n0') + n3'.n2.n1.n0 \\
 &= n3'.n1'(n2 \text{ XOR } n0) + n3'.n2.n1.n0
 \end{aligned}$$

$$\begin{aligned}
 e &= n3'.n2'.n1'.n0' + n3'.n2'.n1.n0' + n3'.n2.n1.n0' + n3.n2'.n1'.n0' \\
 &= n3'.n0'.(n2'.n1' + n2.n1) + n2'.n0'.(n3'.n1 + n3.n1') \\
 &= n3'.n0'.(n2 \text{ XNOR } n1) + n2'.n0'.(n3 \text{ XOR } n1)
 \end{aligned}$$

$$\begin{aligned}
 f' &= n3'.n2'.n1'.n0 + n3'.n2'.n1.n0' + n3'.n2'.n1.n0 + n3'.n2.n1.n0 \\
 &= n3'.n2'.(n1'.n0 + n1.n0') + n3'.n1.n0.(n2' + n2) \\
 &= n3'.n2'.(n1 \text{ XOR } n0) + n3'.n1.n0
 \end{aligned}$$

$$\begin{aligned}
 g' &= n3'.n2'.n1'.n0' + n3'.n2'.n1'.n0 + n3'.n2.n1.n0 \\
 &= n3'.n2'.n1'.(n0' + n0) + n3'.n2.n1.n0 \\
 &= n3'.n2'.n1' + n3'.n2.n1.n0
 \end{aligned}$$