```
In [11]: def fibonacci(n):
              if n<=1:
                  return n;
              else:
                  return fun(n-1)+fun(n-2)
         q=fun(4);
         print(g)
         [1, 1, 2]
         7
In [15]: # Fibonacci Series using Dynamic Programming
         def fibonacci(n):
              # Taking 1st two fibonacci nubers as 0 and 1
              FibArray = [0, 1]
             while len(FibArray) < n + 1:</pre>
                  FibArray.append(0)
              if n <= 1:
                 return n
              else:
                 if FibArray[n - 1] == 0:
                     FibArray[n - 1] = fibonacci(n - 1)
                 if FibArray[n - 2] == 0:
                     FibArray[n - 2] = fibonacci(n - 2)
                 FibArray[n] = FibArray[n - 2] + FibArray[n - 1]
              return FibArray[n]
         print(fibonacci(5))
         5
In [31]: def stairs(n):
              res=[];
              res.append(1);
              res.append(2);
              for i in range(2,n):
                  res.append(res[i-1]+res[i-2]);
              return res[-1]
         print(stairs(47))
```

```
In [71]: def fun(n,l):
              temp=[]
              r = [0 \text{ for } x \text{ in } range(n+1)]
              r[0]=0
              for i in range(1,n+1):
                  maxTemp=-1;
                  for j in range(i):
                      maxTemp = max(maxTemp,l[j]+r[i-j-1]);
                  r[i]=maxTemp
              return r
          s=fun(5,[1,5,8,9,10])
          print(s)
          s=fun(8, [1, 5, 8, 9, 10, 17, 17, 20])
          print(s)
          [0, 1, 5, 8, 10, 13]
          [0, 1, 5, 8, 10, 13, 17, 18, 22]
In [59]: def cutRod(price, n):
              val = [0 for x in range(n+1)]
              val[0] = 0
              # Build the table val[] in bottom up manner and return
              # the last entry from the table
              for i in range(1, n+1):
                  max val = -1
                  for j in range(i):
                       max val = max(max val, price[j] + val[i-j-1])
                  val[i] = max val
              return val[n]
In [62]: | s=cutRod([1,5,8,9,10],5)
          print(s)
          s=cutRod([1, 5, 8, 9, 10, 17, 17, 20],8)
          print(s)
          13
         22
In [32]:
          5
          4
          3
          2
          1
```

```
In [10]: #recursion
         def house(var, nums):
              if var==0:
                  return nums[0];
              max val = -1
              max val = max(max val,house(var-1,nums));
              for j in range(var-2,-1,-1):
                   max_val = max(max_val, house(j,nums)+nums[var-1]);
              return max val;
          nums=[1,2,3,4,5];
         print(house(5,nums));
         9
In [38]:
         #dynamic
         def house(var,nums):
              r=[0 for x in range(var)]
              r[0]=nums[0]
              r[1]=max([nums[0],nums[1]])
              for i in range(2,var):
                  r[i]=r[i-1];
                  r[i]=max(r[i-1],nums[i]+r[i-2]);
              return r[-1];
          nums=[1,2,3,4,5];
         print(house(5,nums));
         9
         def stock(nums):
In [64]:
              var=len(nums)
              r=[0 for x in range(var)]
              for i in range(1,var):
                  r[i]=nums[i]-min(nums[0:i])
              print(r)
              if max(r)>0:
                  return max(r)
              else:
                  return 0
          nums=[7,1,5,3,6,4];
         print(stock(nums));
         [0, -6, 4, 2, 5, 3]
```

```
In [76]: def pair(nums):
              var = len(nums);
              maxVal = 0;
              for i in range(var-1,0,-1):
                  for j in range(i-1,-1,-1):
                       if nums[i][0]-nums[i][0]>maxVal:
                           maxVal = nums[i][0]-nums[j][0];
                           length = i-j
              return length;
          nums=[[5,24],[15,25],[27,40],[50,60]]
          pair(nums)
Out[76]: 3
 In [ ]: # A Dynamic Programming based Python Program for 0-1 Knapsack problem
          # Returns the maximum value that can be put in a knapsack of capacity W
          def knapSack(W, wt, val, n):
              K = [[0 \text{ for } x \text{ in } range(W+1)] \text{ for } x \text{ in } range(n+1)]
              # Build table K[][] in bottom up manner
              for i in range(n+1):
                  for w in range(W+1):
                       if i==0 or w==0:
                           K[i][w] = 0
                       elif wt[i-1] <= w:
                           K[i][w] = max(val[i-1] + K[i-1][w-wt[i-1]], K[i-1][w])
                       else:
                           K[i][w] = K[i-1][w]
```

return K[n][W]

```
In [38]: def gen(x,y):
              var1=len(x);
              var2=len(y);
              c=[[0]*var2]*var1;
              for i in range(1,var1):
                  for j in range(1,var2):
                      if x[i-1] == y[j-1]:
                          c[i][j]=c[i-1][j-1]+1;
                      else:
                          c[i][j]=max(c[i-1][j],c[i][j-1]);
              return c;
         x="abcccdf"
         v="abccdf"
         print(gen(x,y))
         [[0, 1, 2, 3, 4, 5], [0, 1, 2, 3, 4, 5], [0, 1, 2, 3, 4, 5], [0, 1, 2,
          3, 4, 5], [0, 1, 2, 3, 4, 5], [0, 1, 2, 3, 4, 5], [0, 1, 2, 3, 4, 5]]
In [82]: def power_set_2(set_):
              subsets = [[]]
              subsetsK=[];
              for element in set_:
                  for ind in range(len(subsets)):
                      subsets.append(subsets[ind] + [element])
              return subsets
         l=[1,2,3,4,5]
         s=power set 2(1)
         print(s)
         [[0, 0], [0, 0]]
         [0, 0]
```

```
In [35]: def commonSubstring(x,y):
             var1=len(x);
             var2=len(y);
             #c=[[0]*var2]*var1;
             c=[[0 for k in range(var2+1)] for l in range(var1+1)]
             maxVal=-1
             for i in range(1,var1+1):
                 for j in range(1,var2+1):
                      if x[i-1] == y[j-1]:
                          c[i][j]=c[i-1][j-1]+1;
                      else:
                          c[i][j]=0
                      maxVal=max(maxVal,c[i][j]);
             return c;
         x="DEADBEEF"
         y="EATBEEF"
         print(commonSubstring(x,y))
         [[0, 0, 0, 0, 0, 0, 0, 0], [0, 0, 0, 0, 0, 0, 0, 0], [0, 1, 0, 0, 0, 1, 0]
         1, 0], [0, 0, 2, 0, 0, 0, 0], [0, 0, 0, 0, 0, 0, 0, 0], [0, 0, 0,
         1, 0, 0, 0], [0, 1, 0, 0, 0, 2, 1, 0], [0, 1, 0, 0, 0, 1, 3, 0], [0, 0,
         0, 0, 0, 0, 0, 4]]
In [ ]: #longest palindromic subsequence
         def longestPalindrome(s1):
             var1= len(s1);
             c=[[0 for k in range(var1)] for l in range(var1)];
             for i in range(var1):
                  c[i][i]=1;
             for l in range(1,var1+1):
                 for i in range(var1-l):
                      j=l+i
                      if s1[j]==s1[i]:
                          c[i][j]=c[i+1][j-1]+2
                          c[i][j]=max(c[i+1][j],c[i][j-1])
             return c[0][-1];
         s1='BABCBAB';
         print(longestPalindrome(s1))
```

```
In [40]: def minDist(sRow,sCol):
              varRow=len(sRow);
              varCol=len(sCol);
              c=[[0 for k in range(varRow+1)] for l in range(varCol+1)];
              for i in range(1, varRow+1):
                  c[0][i]=i;
              for i in range(1,varCol+1):
                  c[i][0]=i;
              for i in range(1,varCol+1):
                  for j in range(1,varRow+1):
                       if sRow[j-1]==sCol[i-1]:
                           c[i][j]=c[i-1][j-1];
                       else:
                           c[i][j]=min([c[i-1][j-1],c[i-1][j],c[i][j-1]])+1;
              return c[-1][-1];
          s1='abcdef';
          s2='azced';
          print(minDist(s1,s2))
          7
          2
          6
In [23]:
         def contiguous(arr):
              n=len(arr)
              v = [0 \text{ for } k \text{ in } range(len(arr))]
              v[0] = arr[0];
              for i in range(1,n):
                  v[i] = max(v[i-1]+a[i],a[i]);
              return max(v)
          a=[-2, -3, 4, -1, -2, 1, 5, -3, 10]
          print(contiguous(a))
```

```
Dynamic Programming
In [ ]: def minimumSquare(a, b):
             result = 0
             rem = 0
             # swap if a is small size side .
             if (a < b):
                 a, b = b, a
             # Iterate until small size side is
             # greater then 0
            while (b > 0):
                 print(int(a/b))
                 # Update result
                 result += int(a / b)
                 print(result)
                 rem = int(a % b)
                 a = b
                 b = rem
             return result
        print(minimumSquare(4,5))
In [4]: #longest palindromic substring
        def substring(s,t):
            m= len(s);
             n= len(t);
             d=[[0 for k in range(n)] for l in range(m)];
             max_value = -1;
             for i in range(m):
                 for l in range(n):
                     if s[i] == t[j]:
                         d[i][j] = 1 + d[i-1] + d[j-1];
```

```
else:
                d[i][j]=0;
            max_value = max(max_value,d[i][j])
    return max_value
s1='BABCBAB';
print(substring(s1))
[[0, 0], [0, 0], [0, 0], [0, 0], [0, 0]]
```

In [40]:

```
#longest palindromic substring
In [36]:
          def longestPalindromeSubString(s1):
              s2="$"
              print(s1)
              var1= len(s1);
              for i in range(1,2*var1+1):
                  if i%2==0:
                       s2=s2+"$";
                  else:
                       s2=s2+s1[i//2];
              print(s2)
              c=[0 \text{ for } k \text{ in } range(2*var1+1)]
              temp=0;
              for i in range(1,2*var1):
                  counter=1;
                  c[i-1]=temp*2+1
                  temp=0;
                  while (i-counter>=0 and i+counter<(2*var1+1) and temp+1==counter</pre>
                       if (s2[i-counter]==s2[i+counter]):
                           temp+=1
                       counter += 1;
              return max(c)//2
          s1='abaab';
          print(longestPalindromeSubString(s1))
          abaab
          $a$b$a$a$b$
In [37]:
         #longest palindromic substring
          def longestPalindromeSubString(s1):
              var1= len(s1);
              l3=[];
              counter=0;
              ind=0;
              for i in range(var1):
                  if s1[ind:i+1]==s1[var1-i-1:var1-ind]:
                       l3.append(s1[ind:i+1])
                       ind=i+1;
                  else:
                       counter+=1;
              return len(l3)
          s1='abaab'
          print(longestPalindromeSubString(s1))
```

In [157]:	
	1
	4
	5 5
T. [42]	
In [43]:	14
	14
In []:	