Generating and Comparing Different Datasets In [44]: import pandas as pd import numpy as np import matplotlib.pyplot as plt %matplotlib inline import seaborn as sns from sklearn.datasets import make_classification from sklearn.linear_model import LassoCV, LogisticRegression from sklearn.decomposition import PCA from sklearn.model_selection import train_test_split from sklearn.metrics import accuracy_score from sklearn.preprocessing import StandardScaler **Make Two Feature Datasets For Visualization:** Changing class separation changes the difficulty of the classification task. The data points no longer remain easily separable in case of lower class separation. The sklearn make_classification API helps us create datasets with different distributions. We are focusing on class_sep hyperparameter to evaluate the performances of Lasso models. Let's first have a look at how make_classification API works. Below are two datasets with class seperations of 0.2 and 2. Both datasets have two clusters per class. They both have 2 features for us to be able to visualize the data. In [17]: X,y = make_classification(n_samples=1000, n_features=2, n_informative=2, n_redundant=0, n_rep eated=0, n_classes=2, n_clusters_per_class=2, class_sep=0.2, flip_y=0, weights =[0.2,0.8], random_state=42, shuffle=False) df = pd.DataFrame(dict(x=X[:, 0], y=X[:, 1], label=y))plt.rc('axes', labelsize=18) plt.rc('xtick', labelsize=14) plt.rc('ytick', labelsize=14) fig, ax = plt.subplots(figsize=(15,10)) grouped = df.groupby('label') colors = {0: 'red', 1: 'blue'} for key, group in grouped: group.plot(ax=ax,kind='scatter', x ='x', y='y', label=key, color=colors[key]); plt.title('Two Non-seperated Classes With Two Clusters', fontdict={'fontsize': 20}) plt.show() Two Non-seperated Classes With Two Clusters 3 -3 -3 -2 -1 In [16]: X,y = make_classification(n_samples=1000, n_features=2, n_informative=2, n_redundant=0, n_rep eated=0, n_classes=2, n_clusters_per_class=2, class_sep=2, flip_y=0, weights=[0.1,0.9], random_state=42, shuffle=False) df = pd.DataFrame(dict(x=X[:, 0], y=X[:, 1], label=y))plt.rc('axes', labelsize=20)
plt.rc('xtick', labelsize=14)
plt.rc('ytick', labelsize=14) fig, ax = plt.subplots(figsize=(15,10)) grouped = df.groupby('label') colors = {0: 'red', 1: 'blue'} for key, group in grouped: group.plot(ax=ax,kind='scatter', x ='x', y='y', label=key, color=colors[key]) plt.title('Two Seperated Classes With Two Clusters', fontdict={'fontsize': 20}) plt.show() Two Seperated Classes With Two Clusters >**Make 10 Datasets Of Different Class Seperations** Below are 10 datasets that made using a for loop. For each dataset; Class seperations: 0.25, 0.5 , 0.75, 1.0 , 1.25, 1.5 , 1.75, 2.0 , 2.25, 2.5 Number of samples: 10000 (big enough sample size) Number of features: 20 (I chose 20 features, we will reduce the dimensionality to 2 by PCA) Number of informative features: 5 (There are 5 important features in the datasets.) Number of classes: 4 (I chose 4 classes to see the performance of the PCA much better.) Number of clusters per class:1 (We have 4 classes, more than 1 cluster makes the data too complicated.) Note: This simulation gives better results if the class seperation is np.linspace(0.25, 5, 10) In [23]: total_variance_list = [] for class_sep in np.linspace(0.25, 2.5, 10): #np.linspace(0.25, 5, 10) gives better visualiz ations print('\n Class seperation for this dataset: ', round(class_sep, 2)) # Generate 10 datasets with different class seperations X,y = make_classification(class_sep=class_sep, n_samples=10000, n_features=20, n_informative=5, n_classes=4, n_clusters_per_class=1) # reduce dimensions by PCA pca = PCA(n_components=2) principalComponents = pca.fit_transform(X) #Make a dataframe using the new components df = pd.DataFrame(data=principalComponents, columns=['PC1', 'PC2']) # Add the target column to the dataframe df['target'] = y #plot the new components of the dataset fig= plt.figure(figsize=(10, 8)) sns.scatterplot(x=df['PC1'],y=df['PC2'],hue=df['target'], palette= ['r', 'g','b','y'], a lpha=0.7) plt.show() #print the explained variance total_variance_explained=round(np.sum(pca.explained_variance_ratio_)*100, 2) total_variance_list.append(total_variance_explained) print('Variance of each component:', pca.explained_variance_ratio_)
print('\n Total Variance Explained:', total_variance_explained) print(40*'--') Class seperation for this dataset: 0.25 target 7.5 2 3 5.0 2.5 -2.5-5.0-7.5-1010 PC1 Variance of each component: [0.24315515 0.13888063] Total Variance Explained: 38.2 Class seperation for this dataset: 0.5 10.0 7.5 3 5.0 2.5 PC2 0.0 -2.5-5.0-7.510 PC1 Variance of each component: [0.18557843 0.15103282] Total Variance Explained: 33.66 Class seperation for this dataset: 0.75 PC2 -6 PC1 Variance of each component: [0.19000428 0.15433563] Total Variance Explained: 34.43 Class seperation for this dataset: 1.0 10.0 7.5 5.0 2.5 0.0 -2.5-5.0-7.510 -10 -5 15 PC1 Variance of each component: [0.34495982 0.14768866] Total Variance Explained: 49.26 Class seperation for this dataset: 1.25 PC2-2 -10 10 PC1 Variance of each component: [0.37645894 0.12491443] Total Variance Explained: 50.14 Class seperation for this dataset: 1.5 0 -2 -6 10 -10PC1 Variance of each component: [0.34823238 0.12073515] Total Variance Explained: 46.9 Class seperation for this dataset: 1.75 7.5 5.0 2.5 PC2 0.0 -2.5-5.010 -105 PC1 Variance of each component: [0.30282067 0.18444195] Total Variance Explained: 48.73 Class seperation for this dataset: 2.0 10 5 -5 -10-5 10 -10PC1 Variance of each component: [0.34981097 0.22889212] Total Variance Explained: 57.87 Class seperation for this dataset: 2.25 10.0 7.5 5.0 2.5 0.0 -2.5-5.0-7.510 -10-5 PC1 Variance of each component: [0.39032995 0.19360642] Total Variance Explained: 58.39 Class seperation for this dataset: 2.5 10 PC2 -5 -1010 15 -15-10 -5 5 20 PC1 Variance of each component: [0.50875895 0.20322634] Total Variance Explained: 71.2 **Plot The Total Explained Variance After PCA** In [21]: plt.figure(figsize=(20,8)) sns.lineplot(x=range(1,11,1) ,y=total_variance_list) plt.title("Class Seperation vs Explained Variance", fontdict={'fontsize': 20}) plt.xlabel('Class Seperation') plt.ylabel('Total Explained Variance') plt.show() Class Seperation vs Explained Variance 55 Total Explained Variance 35 **Class Seperation Compare Class Seperations With Lasso Models** In [86]: plt.figure(figsize=(12,8)) #creating 10 classes with different class_sep for cs in np.linspace(0.25, 2.5, 10): X,y = make_classification(class_sep=cs, n_samples=1000, n_informative=10) model_fit = LassoCV(cv=10, max_iter=5000).fit(X, y) #uncomment these cells to print the values $print(f' \cap class_sep = \{cs\} -----')$ print(f'alphas_ {model_fit.alphas_[0:10]} \n') print(f'optimal alpha_ {model_fit.alpha_} ') print(f'mse_path_ {np.min(np.mean(model_fit.mse_path_, axis=1))} ') #plotting the alphas vs mse_path plt.plot(model_fit.alphas_, np.mean(model_fit.mse_path_, axis=1), label=f'class_sep = {c **s**}') plt.legend() plt.xlabel('alpha') plt.ylabel('MSE (averaged over CV folds') plt.show() 0.25 er CV folds 0.20 MSE (averaged ove $class_sep = 0.25$ $class_sep = 0.5$ $class_sep = 0.75$ $class_sep = 1.0$ class sep = 1.25class sep = 1.5 $class_sep = 1.75$ 0.05 $class_sep = 2.0$ $class_sep = 2.25$ $class_sep = 2.5$ 0.5 1.5 1.0 0.0 2.0 alpha **Logistic Regression** I would like to run a logistic regression, which is the same as LassoCV. We could use the probabilities of LassoCV for classification, as well. In [94]: plt.figure(figsize=(12,8)) test_accuracy_list= [] train_accuracy_list= [] for cs in np.linspace(0.25, 2.5, 10): X,y = make_classification(class_sep=cs, n_samples=10000, n_informative=10) X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, shuffle=True, r andom_state=42) scaler = StandardScaler() scaled_X_train = scaler.fit_transform(X_train) scaled_X_test = scaler.transform(X_test) log = LogisticRegression(solver='liblinear', penalty='l1', max_iter=5000) log.fit(scaled_X_train, y_train) y_pred_train = log.predict(scaled_X_train) y_pred_test = log.predict(scaled_X_test) test_accuracy = accuracy_score(y_test, y_pred_test) train_accuracy = accuracy_score(y_train, y_pred_train)

test_accuracy_list.append(test_accuracy)
train_accuracy_list.append(train_accuracy)

plt.xlabel('Class Seperation')

plt.show()

1.00

0.95

0.85

Train and 0.70

0.65

0.60

Conclusion

most algorithms will fail.

Test Accuracy

plt.ylabel('Train and Test Accuracy')

0.5

line1 = sns.lineplot(x=np.linspace(0.25, 2.5, 10), y=train_accuracy_list)
line2 = sns.lineplot(x=np.linspace(0.25, 2.5, 10), y=test_accuracy_list)

1.0

1.5

Class Seperation

As we can see from the above plots, the performance of our algorithm depends on the data. If the data is hard to seperate,

Class seperation and accuracy are directly proportional to each other. Accuracy increases when classes are easy to seperate.

2.0

2.5