Tests 11.2-11.6.*	Requirements for application	If this is twe	Then we conclude
limit test for divergence	Any an	lim an ≠0	Ean diverges
		lim dr =0	inconclusive
geo, series	an = rh	r  < 1	$\sum_{n=1}^{\infty} (r)^n \text{ converges} $ to $\frac{r}{1-r}$
		r >	I(r)" diverges
p-seriez	$a_n = \frac{1}{n^p}$	p > 1	Zan converges
		p < 1	San diverges
integral test	an = f(n); f(x) >0, confinuous and decreasing on [1,00)	∫ f(x) dx converges	5 an converges
		S, of andx diverges	San diverges
comparison	an >0	an & bn , Ebn converges	San converges
tes+	Known bn >0	an > bn & Ebn diverger	E'an divergez
Imit comparison test	an >0 Known bn >0	lim an = L, 0 < L < 00 and Sibn converges	San converges
		$\lim_{n\to\infty} \frac{a_n}{b_n} = L,  0 < L \leqslant \infty$ and $\Sigma$ by diverges	E an diverger
		lim an = DNE, or otherwise	in con clusive
alternating	$\alpha_n > 0$ $\alpha_{n+1} \leq \alpha_n$	lim an = 0	S'(-1) an converger
		lim n→∞ an ≠0	E(1)"an diverger
*absolute convergence	Any an	E   an   converges	S'an converges
		2  an diverger	inconclusive
combinations	Any an, bn, CER	Ean converges and Sbn converges	E (can + db,) converges