



Martinache (2013)





reverse first baseline



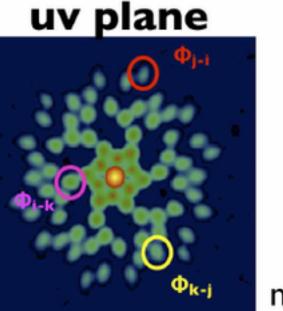




NRM pupil

Martinache

(2011)



uv phase relations

$$\Phi(2-1) = \Phi(2-1)_0 + (\varphi_2-\varphi_1)$$

$$\Phi(3-2) = \Phi(3-2)_0 + (\varphi_3 - \varphi_2)$$

$$\Phi(1-3) = \Phi(1-3)_0 + (\phi_1-\phi_3)$$

measured = intrinsic + atmospheric

Closure-phase

Want an observable which is independent of phase errors (φ). reverse first baseline 0

$$\mathbf{\Phi} = \mathbf{\Phi}_0 + \mathbf{A} \bullet \mathbf{\phi} \qquad \mathbf{K} =$$

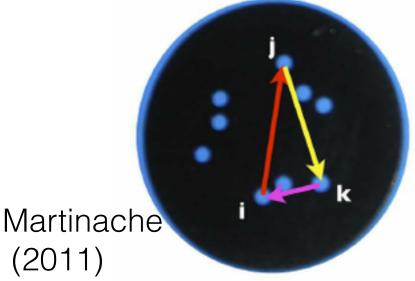
$$K = \begin{bmatrix} 1 & 1 & 1 \end{bmatrix}$$

$$= \begin{bmatrix} 1 & 0 & -1 \\ -1 & 1 & 0 \end{bmatrix}$$

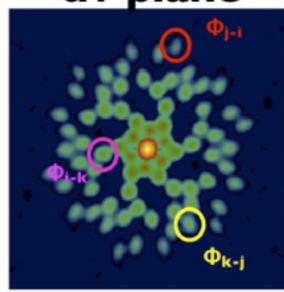
Multiply by a transfer matrix **K** such that **K** ● **A** = 0

Then $\mathbf{K} \bullet \mathbf{\Phi} = \mathbf{K} \bullet \mathbf{\Phi}_0$

NRM pupil



uv plane



uv phase relations

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Redundant array

For redundant apertures, phase errors add:

$$\phi$$
=Arg[exp i (ϕ_0 + φ^A - φ^B) + exp i (ϕ_0 + φ^B - φ^C)]

redundant linear array Martinache (2013)

