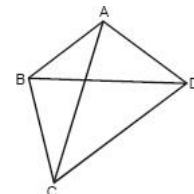
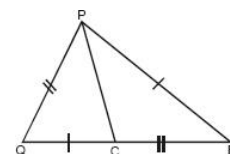


Ch-7 Triangles

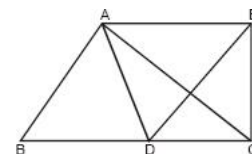
1. In $\triangle ABC$, $AB = AC$ and the bisector of angles B and C intersect at point O. Prove that $BO = CO$ and AO bisects $\angle BAC$.
2. Show that a median of a triangle divides it into two triangles of equal areas.
3. In a right angled triangle, one acute angle is double the other. Prove that the hypotenuse is double the smallest side.
4. Prove that angles opposite to equal sides of an isosceles triangle are equal.
5. A point O is taken inside an equilateral four sides figure ABCD such that its distances from the angular points D and B are equal. Show that AO and OC are in one and the same straight line.
6. ABCD is a quadrilateral in which $AD = BC$ and $\angle DAB = \angle CBA$. Prove that $\triangle ABD \cong \triangle BAC$.



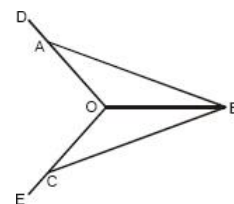
7. In the given figure, triangles PQC and PRC are such that $QC = PR$ and $PQ = CR$. Prove that $\angle PCQ = \angle CPR$.



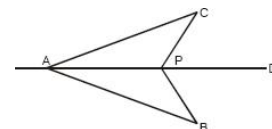
8. In the given figure, $AB = AD$, $AC = AE$ and $\angle BAD = \angle EAC$, then prove that $BC = DE$.



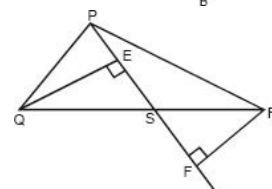
9. $\triangle PQR$ is given and the sides QP and RP have been produced to S and T such that $PQ = PS$ and $PR = PT$. Prove that the segment $QR \parallel ST$.
10. In the given figure, $AB = BC$ and $\angle ABO = \angle CBO$, then prove that $\angle DAB = \angle ECB$.



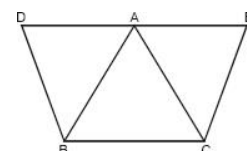
11. In the given figure, AD is the bisector of $\angle BAC$ and $\angle CPD = \angle BPD$. Prove that $\triangle CAP \cong \triangle BAP$.



12. In the given figure, PS is median produced upto F and QE and RF are perpendiculars drawn from Q and R, prove that $QE = RF$.

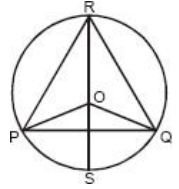


13. In the given figure, equilateral $\triangle ABD$ and $\triangle ACE$ are drawn on the sides of a $\triangle ABC$. Prove that $CD = BE$.

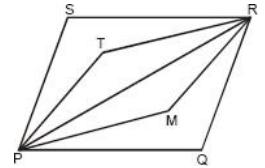


14. In given figure, RS is the diameter and PQ is the chord of a circle with centre O. Prove that –

- a. $\angle RPO = \angle OQR$
- b. $\angle POQ = 2\angle PRO$



15. In the given figure, T and M are two points inside a parallelogram PQRS such that $PT = MR$ and $PT \parallel MR$. Then prove that –



- a. $\triangle PTR \cong \triangle RMP$
- b. $RT \parallel PM$ and $RT = RM$

16. Prove that angles opposite to equal sides of an isosceles triangle are equal.
17. In a triangle ABC, E and F respectively are mid-points of equal sides AB and AC of $\triangle ABC$. Show that $BF = CE$.
18. AD is an altitude of an isosceles $\triangle ABC$ in which $AB = AC$. Show that AD bisects BC.
19. D is a point on side BC of $\triangle ABC$ such that $AD = AC$. Show that $AB > AD$.
20. In $\triangle ABC$, if $BC = AB$ and $\angle B = 80^\circ$, then find the measure of $\angle A$.
21. The angles of a triangle are in the ratio 2:3:4. Find the measure of the angles.
22. In $\triangle ABC$, if $\angle A = 80^\circ$, $\angle B = 70^\circ$, then identify the longest and the shortest side of the triangle.
23. ABCD is a square. P is any point inside it such that, DPQR is another square. Prove that $AP = CR$.
24. In a $\triangle ABC$, if $\angle A = \angle B$, then what is $AB : BC$?
25. Prove that any two sides of a triangle are together greater than twice the median drawn to the third side.