

“A Walrasian Theory of Sovereign Debt Auctions with Asymmetric Information”

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Summary

A theory of divisible goods auctions, that allows for

- UP and DP auction formats
- Asymmetric info and info acquisition
- Short sale and borrowing constraints
- General utility function for bidders
- (Key simplification): bidders have no market power

Key result: info acquisition incentives are different with DP and UP auction formats

Setting

- Two assets: risk-free bond and risky sovereign bond
 - **Q:** real-life counterpart to the risk-free bond?
- Risky bond pays off $\{1,0\}$ w.p. $\{1 - \kappa_\theta, \kappa_\theta\}$
- Quality shock $\kappa_\theta \in \{\kappa_g, \kappa_b > \kappa_g\}$ w.p. $\{f_g, f_b = 1 - f_g\}$
- Investors can acquire info: pay cost $K \Rightarrow$ know θ
 - **Q:** can the model handle more general distributions for bond's payoff and quality shock?

Setting

- Investors $\in [0,1]$: utility $U(x)$. Closed-form solutions with $U(x) = \log(x)$ with symmetric info.
- Cannot short sell and/or borrow
- **C**: contrast general $U(x)$ to commonly assumed specifications: CARA, mean-variance. Wealth effects? Contrast to the case of no financial constraints.
- Demand shock η : only fraction $1 - \eta$ of investors show up to the auction. Distribution of η is general.
- η is a source of noise in the price
- **C**: contrast to standard ways of introducing noise, e.g. random supply.

Comments

Why sovereign debt?

- Authors' response: assumptions are well justified:
“Sovereign bonds are highly **divisible**, usually of **uncertain quality**, and auctioned ... to a **large number of investors**.”

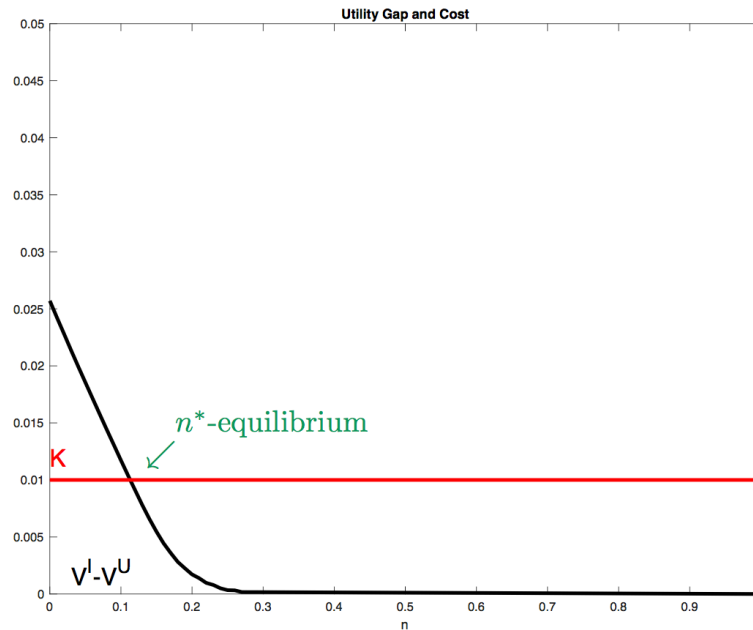
Insights can be applied to other markets!

- E.g., competitive REE models consider stocks as being **divisible**, of **uncertain quality** and assume traders have **no market power**
- REE models assume UPA, even though stocks are traded in (price-discriminating) limit-order books
- Are insights under DPA and UPA similar?

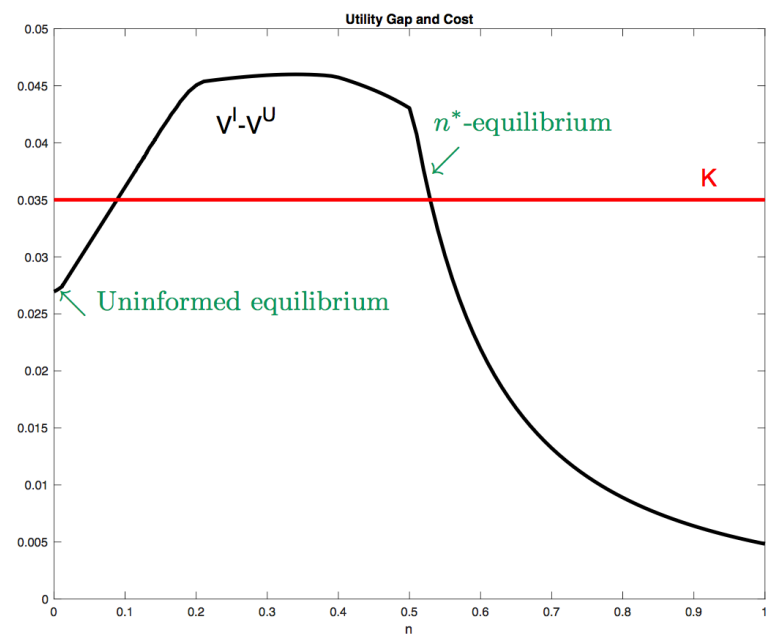
Info acquisition: DPA vs UPA

Figure 7: Equilibrium with Information Acquisition

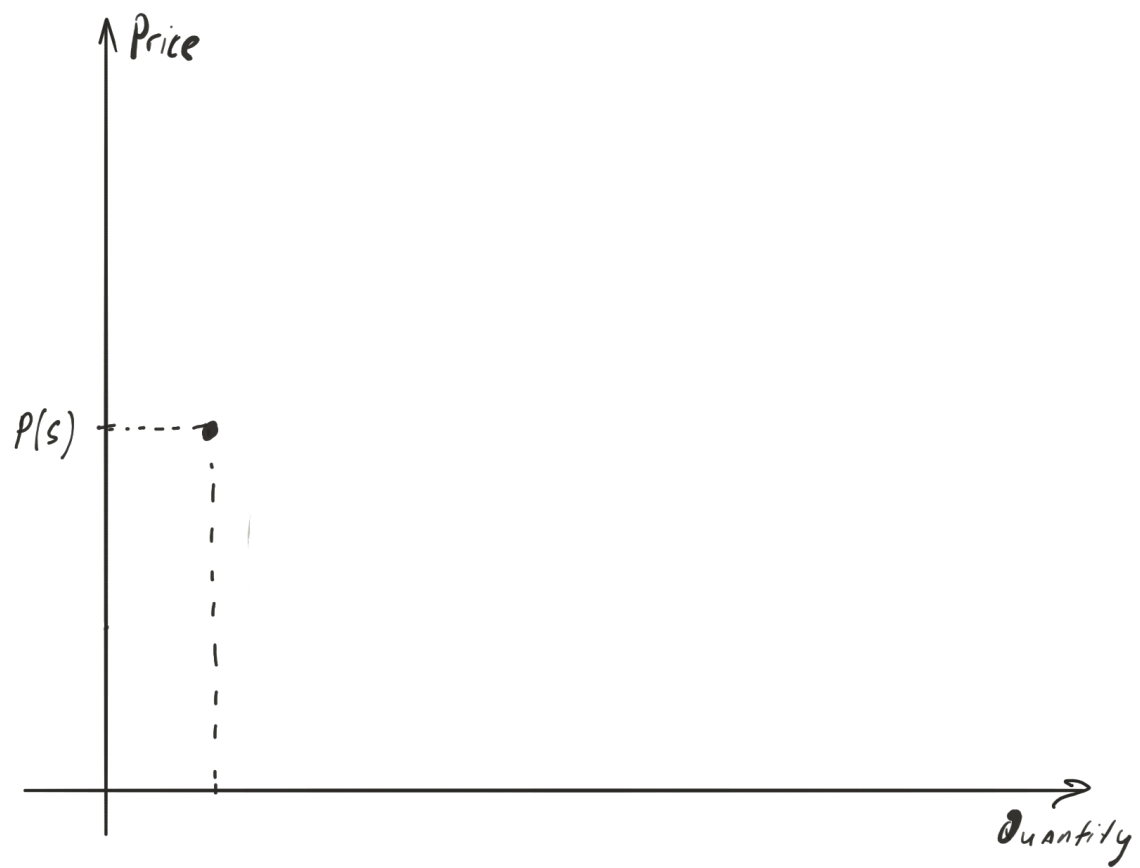
(a) UP Auction

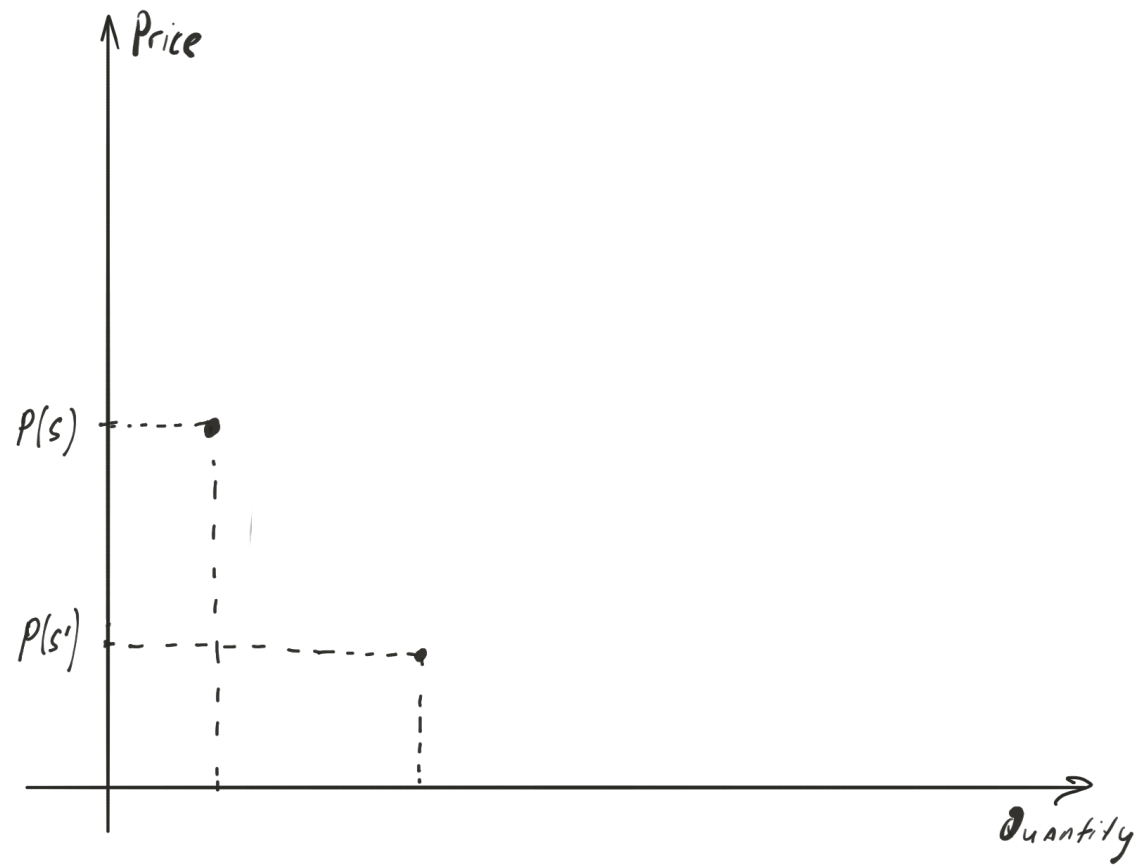


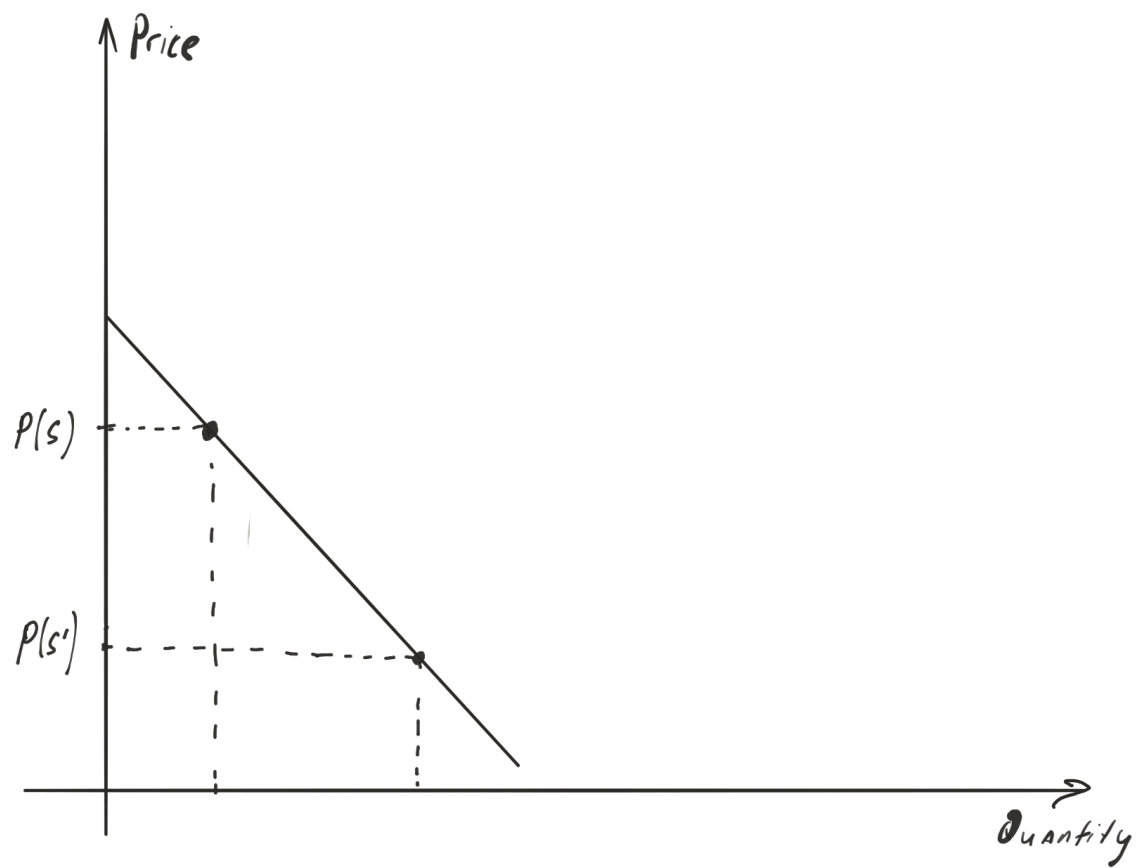
(b) DP Auction

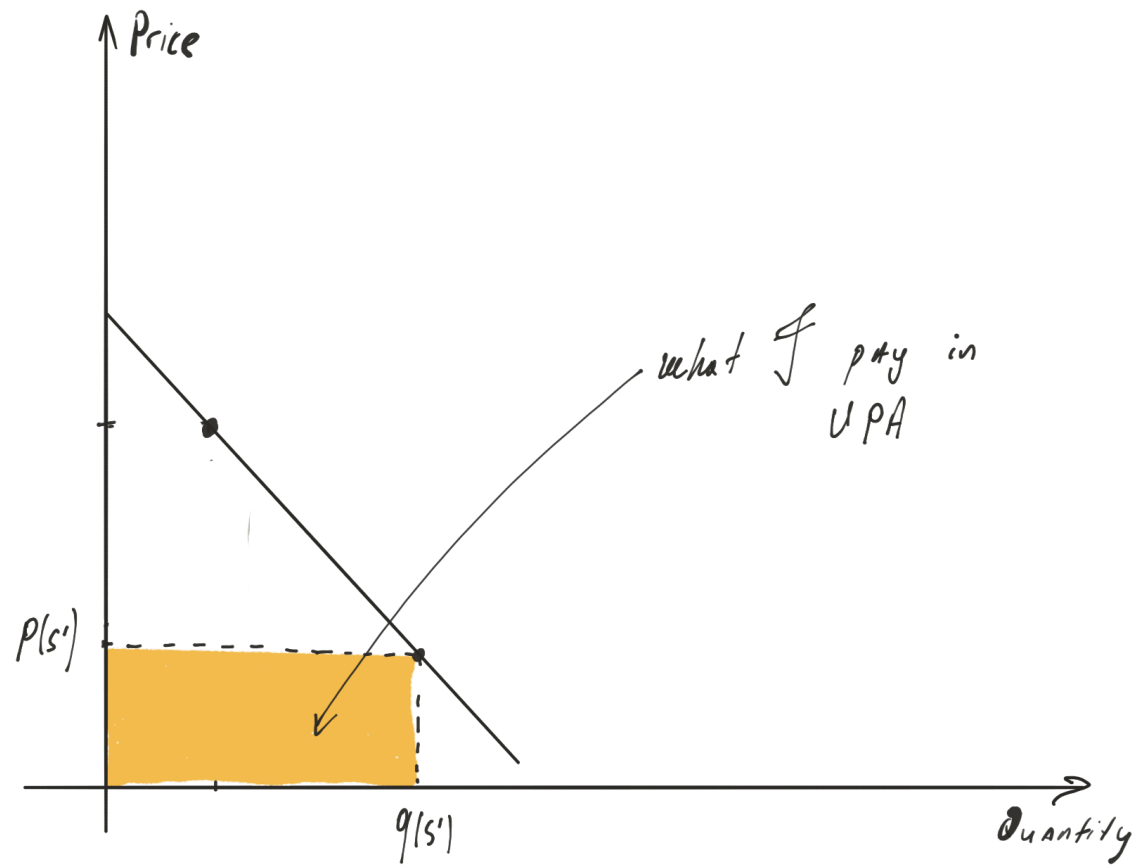


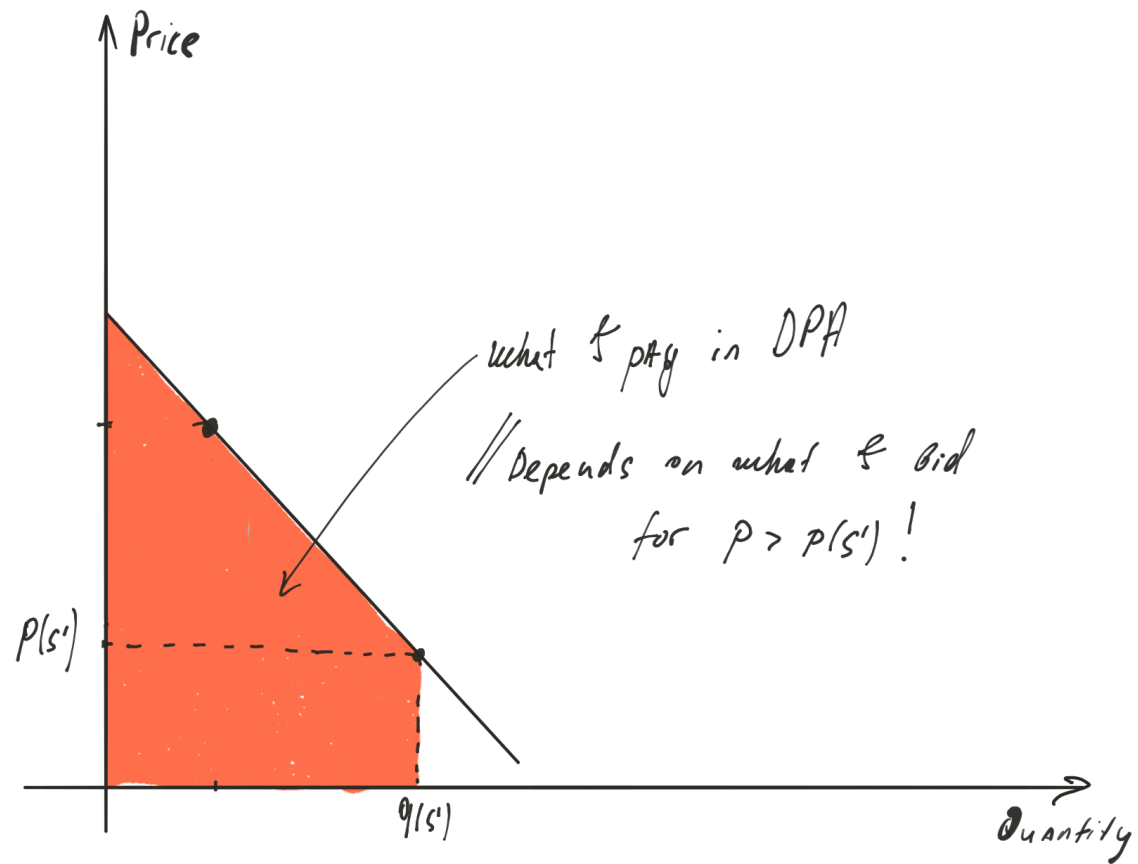
Complementarities in info acquisition with DPA but not UPA! Why?

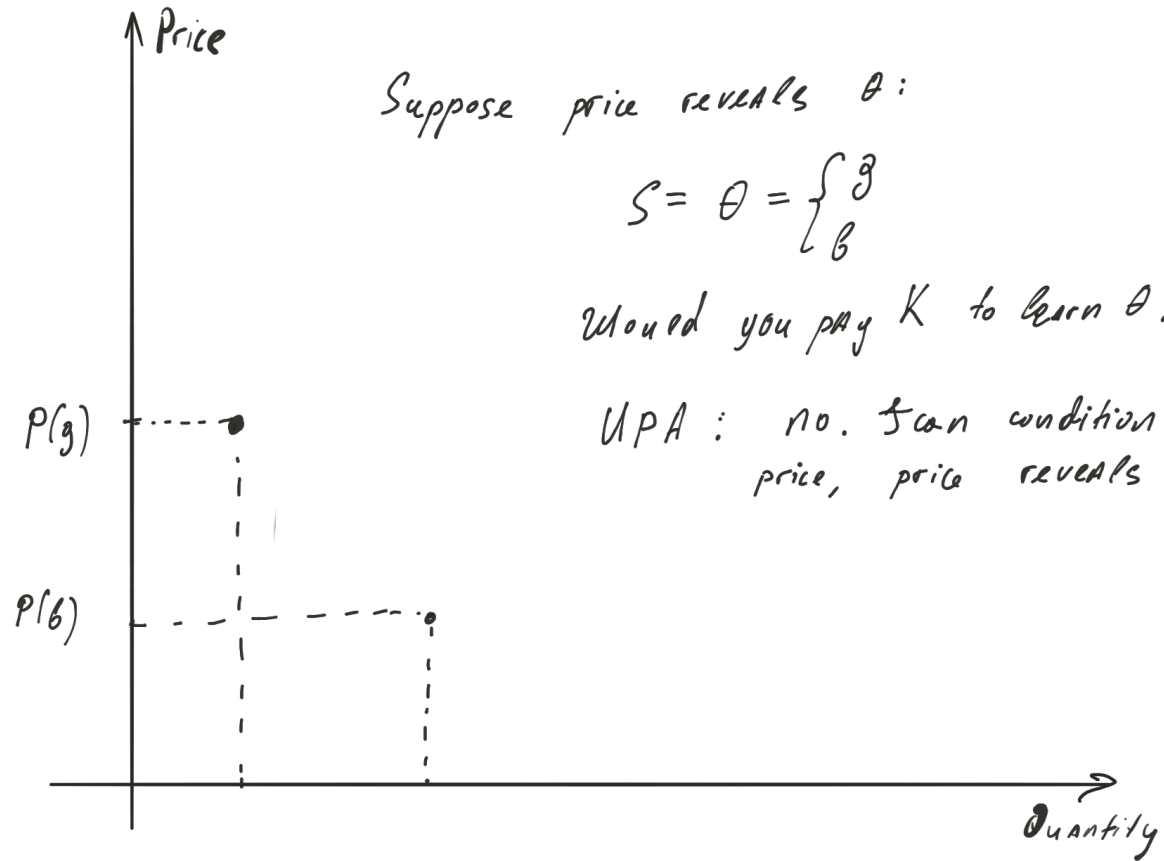










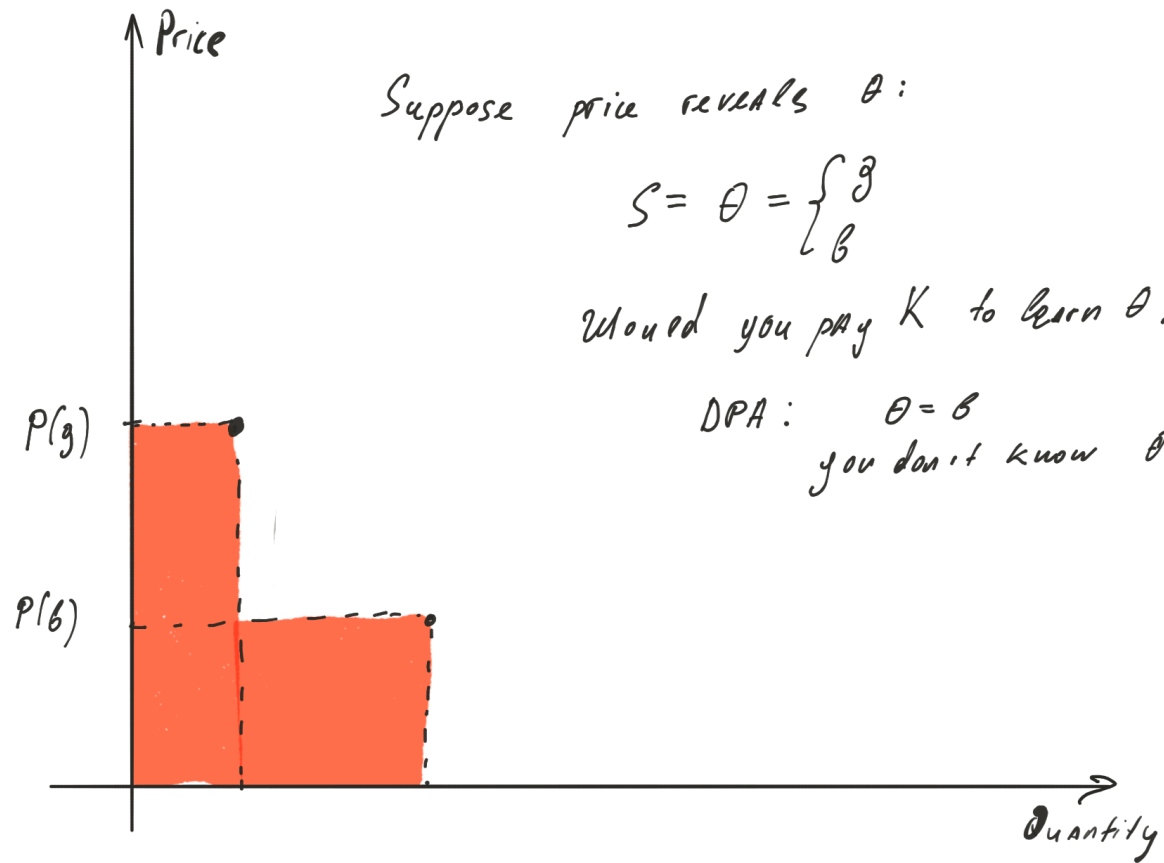


Suppose price reveals θ :

$$S = \theta = \begin{cases} g \\ b \end{cases}$$

would you pay K to learn θ ?

UPA: no. scan condition on price, price reveals θ .



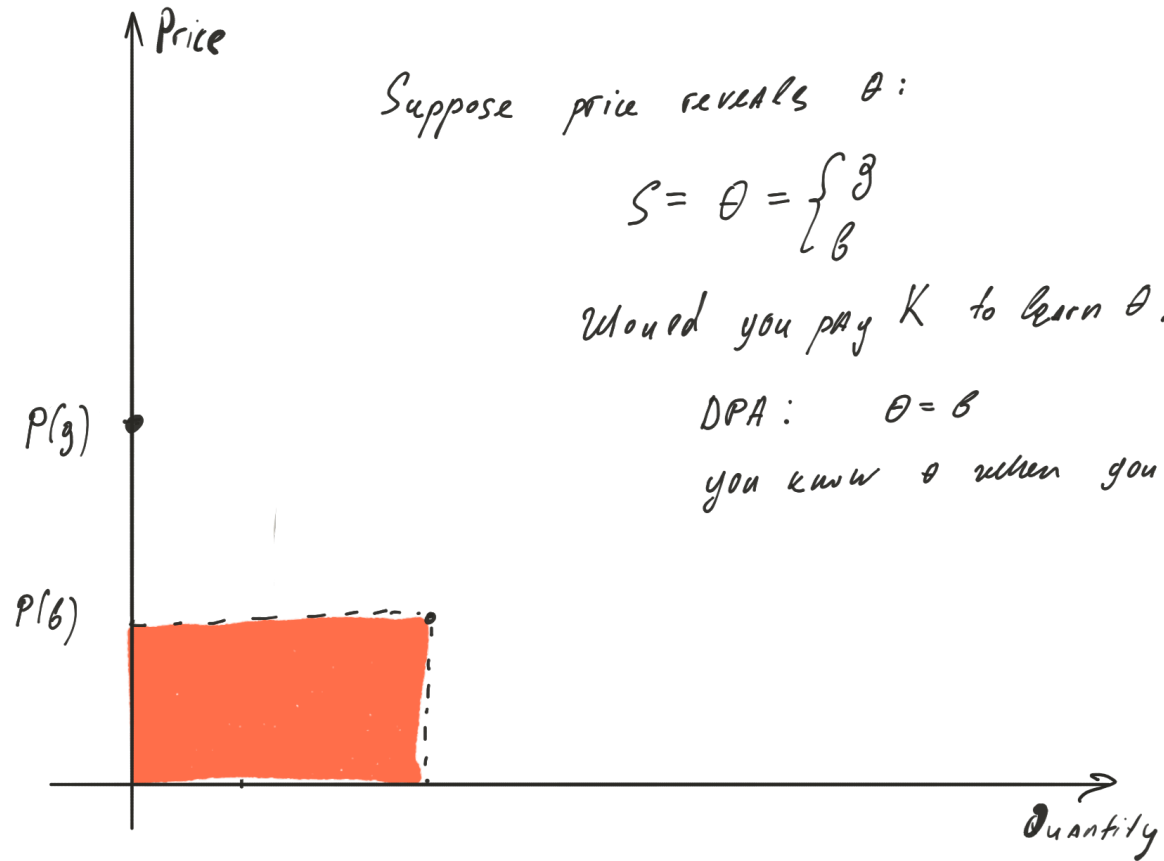
Suppose price reveals θ :

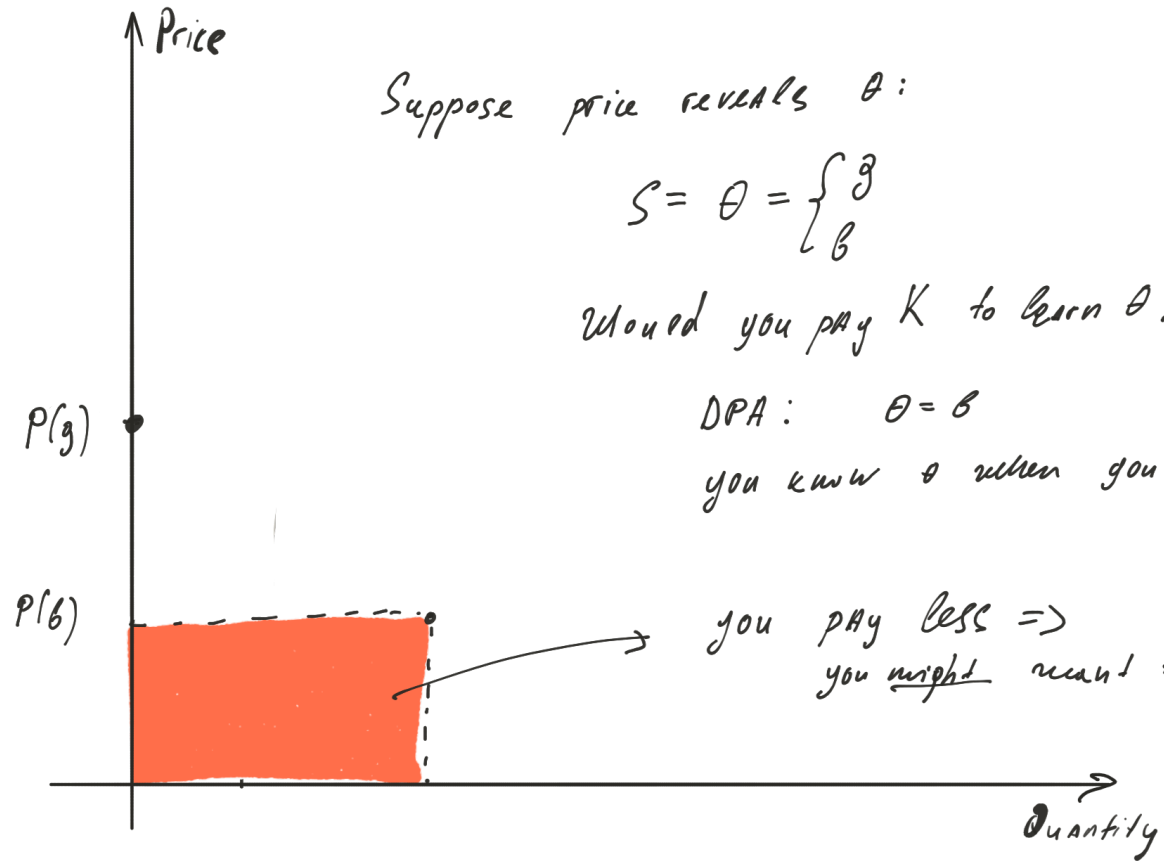
$$S = \theta = \begin{cases} g \\ b \end{cases}$$

would you pay K to learn θ ?

DPA: $\theta = b$

you don't know θ when you bid





Suppose price reveals θ :

$$S = \theta = \begin{cases} g \\ b \end{cases}$$

would you pay K to learn θ ?

DPA: $\theta = b$

you know θ when you bid

you pay less \Rightarrow
you might want to learn θ !

Comments

REE models assume UPA, even though stocks are traded in (price-discriminating) limit-order books

- It seems some of the insights from REE models are not robust to DPA vs UPA – interesting insight!
- Info acquisition incentives are different

Minor comments

Clarify notation:

e.g., \cdot vs \times vs $*$

$$-U' \left(W - \mathbf{P} \times \vec{B}^U \right) \cdot \vec{P} \cdot \kappa^U + U' \left(W + [\mathbf{1} - \mathbf{P}] \times \vec{B}^U \right) \cdot [1 - \vec{P}] * [1 - \kappa^U] = 0.$$

Conclusion

I enjoyed reading the paper!

- Potential for addressing more questions with the same machinery
 - DPA with asy info is particularly interesting
- Clarify modeling choices
- Compare your results to benchmarks

GOOD LUCK!