

## BCD Code:

\* Binary Coded decimal

→ It represents that 'n' bit binary digit is a group of 'n' bits that assumes  
' $2^n$ ' distinct combinations of 0s & 1s.

↳ (3111)

3 bits → combinations =  $2^3 = 8$  combinations

4 bits →  $2^4$  combinations = 16 ← decimal

5 bits →  $2^5$  — — — = 32 ← decimal

⋮

n bits →  $2^n$  combinations →  $2^n$  decimal

	<div>□</div>	<div>□</div>	<div>□</div>	← 3 bit
0	0	0	0	
1	0	0	1	
2	0	1	0	
3	0	1	1	
4	1	0	0	
5	1	0	1	
6	1	1	0	
7	1	1	1	

BCD  $\rightarrow$  4 bit BCD  
 $\rightarrow$  8 bit BCD  $\leftarrow$  It use 8 bits to store one decimal digit of a decimal number

4 bits BCD  $\rightarrow$  we represent the (number) within 4 bits only.

$\hookrightarrow 2^4$  combinations = 16 numbers

[375]  $\rightarrow$  (x) BCD - 4 Bit  
 $\downarrow$  10  
0011 0111 0101  
 $\underbrace{\hspace{1.5cm}}$   
(0011 0111 0101)  
BCD

[each digit of decimal number]

3 7 5  
 $\downarrow$   $\downarrow$   $\downarrow$   
4 Bits 4 bits 4 bits = 12 bits

$$(74)_{10} \longrightarrow (x)_{\text{BCD-4 bit}}$$

$$\begin{array}{cc} 7 & 4 \\ \downarrow & \downarrow \\ 0111 & 0100 \end{array} \Rightarrow (01110100)_{\text{BCD}}$$

$$(55)_{10} \longrightarrow (x)_{\text{BCD}}$$

$$\begin{array}{cc} 5 & 5 \\ \downarrow & \downarrow \\ 0101 & 0101 \end{array} \Rightarrow (01010101)_{\text{BCD}}$$

# Number System

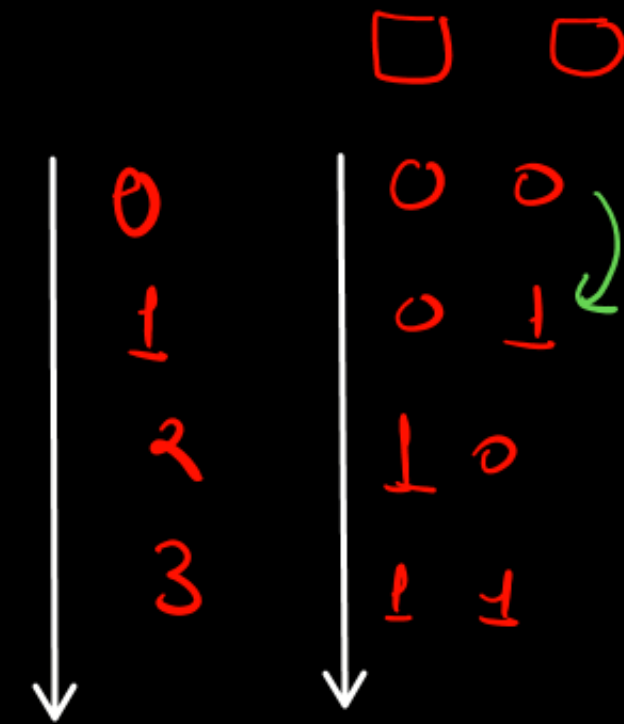
## a) Weightage Number System

↳ Each position of digit have a weightage.

## b) Non weightage NS: [derived Code]

↳ No weightage assigned

Ex Excess 3, Excess -5 ... Excess -n  
Gray Code



## Excess-3 Code: $[XS-3]$

↳ Non weightage number system represent the decimal number in Binary format

→ The number is represented by adding 3 with the decimal number and converted to Binary

$$\underline{\text{decimal}} + \underline{3} = \underline{\text{Excess 3 Code}}$$

Represent '0' in XS-3 code

$$(0)_{10} \rightarrow (0)_2$$

$$(0)_{10} \rightarrow (x)_{XS-3} \Rightarrow (0+3)_{10} \rightarrow (x)_2 = (3)_{10} \rightarrow (x)_2$$

$$\Rightarrow (0011)_{XS-3}$$

$$(0)_{10} \xrightarrow{\text{Binary}} (0)_2 \xrightarrow{XS-3} (0011)_{XS-3}$$

decimal	Binary
0	0000
1	0001
2	0010
3	0011
4	0100
5	0101
6	0110
7	0111
8	1000
9	1001
10	1010
11	1011
12	1100



$$(7)_{10} \rightarrow (x)_{XS-3}$$

$$(7)_{10} \xrightarrow{XS-3} (10)_{10} \rightarrow (1010)_{XS-3}$$

$$(8)_{10} \rightarrow (x)_{XS-3}$$

$$(8)_{10} \xrightarrow{XS-3} (11)_{10} \rightarrow (1011)_{XS-3}$$

$$(1010)_2 \rightarrow XS-3$$

$$(1010 + 0011) \rightarrow (1101)_{XS-3}$$

$$\downarrow$$

$$10 + 3 = (13)_{10} \rightarrow (1101)_{XS-3}$$

decimal	Binary
0	0000
1	0001
2	0010
3	0011
4	0100
5	0101
6	0110
7	0111
8	1000
9	1001
10	1010
11	1011
12	1100

waste

# Gray Code :

↳ Non weightage + Non Arithmetic

we can not use gray code to perform arithmetic operation.

Take ex: In every next combination of bits, only 'one' bit at a time

Binary



decimal	Binary	
0	0000	
1	0001	1 bit change
2	0010	2 bit change
3	0011	1 bit change
4	0100	3 bit change
5	0101	1 bit - " -
6	0110	2 bits - " -
7	0111	1 bit - " -
8	1000	4 bits - " -
9	1001	
10	1010	
11	1011	
12	1100	



<u>decimal</u>		<u>BCD</u>					<u>Gray Code</u>				
0	_____	0	0	0	0		0	0	0	0	0
1	_____	0	0	0	1		0	0	0	1	1
2	_____	0	0	1	0		0	0	1	1	3
3	_____	0	0	1	1		0	0	1	0	2
4	_____	0	1	0	0		0	1	1	0	6
5	_____	0	1	0	1		0	1	1	1	7
6	_____	0	1	1	0		0	1	0	1	5
7	_____	1	1	1	1		0	1	0	0	4
8	_____	1	0	0	0		1	1	0	0	12
9	_____	1	0	0	1		1	1	0	1	13

\* We use XOR  
Gate to Convert  
Binary to Gray  
Code