

Wolfe duality:

$$\min_x f(x) \quad \text{subject to} \quad g_i(x) \leq 0 \quad i=1, \dots, m$$

Lagrangian dual problem:

$$\max_u \inf_x \left\{ f(x) + \sum_{i=1}^m u_i g_i(x) \right\}$$

$$\text{subject to} \quad u_i \geq 0 \quad i=1, \dots, m.$$

Wolfe dual problem: $\left\{ \begin{array}{l} \text{forudsetter } \{f, g_i\}_{i=1}^m \in C^1 \\ \text{er kontinert differentiable} \end{array} \right.$

$$\max_{x, u} f(x) + \sum_{i=1}^m u_i g_i(x)$$

$$\text{Subject to} \quad \nabla f(x) + \sum_{i=1}^m u_i \nabla g_i(x) = 0$$

$$\text{og} \quad u_i \geq 0 \quad \text{for } i=1, \dots, m.$$

NB! Hvis f og $g_i\}_{i=1}^m$ er konvekse er objektfunksjonen konveks for fast u . Omvendt, for fast x er obj. funt. linear i y .