



## Bahria University, Islamabad Campus

Department of Computer Science

### Final Assessment

Class/Section: BSCS 4A,B MSCS 0A  
(Spring 2020 Semester)

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Course:	<b>Theory of Automata</b>	Date/Time Assigned: 9-7-2020/ 10:00 AM
Course Code:	CSC-315	Submission Date/Time: 9-7-2020/ 6:00 PM
Faculty's Name:	Dr. Sabina Akhtar	Max Marks: 50

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### INSTRUCTIONS:

- I. Your answers must be handwritten. You can take the picture of your workings and paste them in this document.

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Student Name: \_\_\_\_\_ Enrollment No. \_\_\_\_\_

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**Question # 1:** Design a Deterministic Finite Automata for the machine that identifies whether the given string contains "sme" as a substring or not. If it contains, the machine outputs accept otherwise rejects. For example, the word "assessment" contains "sme" as a substring, therefore the machine should accept.

The alphabet  $\Sigma$  is {a, b, c, ... z}. Provide transition diagram along with the formal specifications. Transition table should be used to show the transition function.

(marks: 8+4 = 12)

## Question # 2

The if-then-else is a standard programming language construct that is used to check for different options. However, its context free grammar can become ambiguous because of the dangling else problem.

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$\text{stmt} \rightarrow \text{if}(\text{expr}) \text{stmt} \mid \text{if}(\text{expr}) \text{stmt} \text{ else stmt} \mid \text{S}$

$\text{S} \rightarrow \text{i=0;}$

Start variable for the above grammar is stmt. The alphabet  $\Sigma$  is {if , else , ( , ) , i=0; , expr}.

Prove that the above grammar is ambiguous by finding out a string for which the grammar can generate at least two parse trees. Your solution must clearly show both the parse trees along with its two left-most derivations and two right-most derivations.

(marks: 4+4+4 = 12)

Question # 3 Design Non-deterministic Pushdown Automata for the following language

$$L = \{w \mid w \text{ is an odd length palindrome}\}$$

Only show the transition diagram.

(marks: 10)

**Question # 4** Let's describe a Turing machine (TM) M that accepts the strings belonging to  $L = \{0^{2^n} \mid n \geq 0\}$ , the language consisting of all strings of 0s whose length is a power of 2.

(marks: 14+2 = 16)

$$M = (\{q_1, q_2, q_3, q_4, q_5, q_6, q_7\}, \{0\}, \{0, x, B\}, \delta, q_1, B, \{q_7\})$$

State	Symbol		
	0	x	B
-> q <sub>1</sub>	(q <sub>2</sub> , B, R)	(q <sub>7</sub> , x, R)	(q <sub>7</sub> , B, R)
q <sub>2</sub>	(q <sub>3</sub> , x, R)	(q <sub>2</sub> , x, R)	(q <sub>7</sub> , B, R)
q <sub>3</sub>	(q <sub>4</sub> , 0, R)	(q <sub>3</sub> , x, R)	(q <sub>5</sub> , B, L)
q <sub>4</sub>	(q <sub>3</sub> , x, R)	(q <sub>4</sub> , x, R)	(q <sub>7</sub> , B, R)
q <sub>5</sub>	(q <sub>5</sub> , 0, L)	(q <sub>5</sub> , x, L)	(q <sub>2</sub> , B, R)
q <sub>6</sub>	-	-	-
*q <sub>7</sub>	-	-	-

Simulate the word 00000 starting from the first configuration  $q_1 00000$  till the final configuration. *Is the word accepted by the turing machine?*