

DescriptionSolutionDiscuss (251)Submissions

1136. Parallel Courses

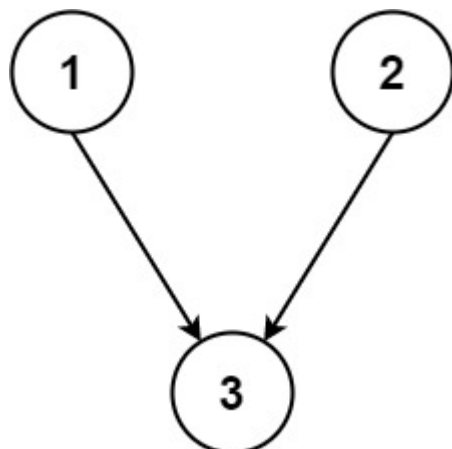
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You are given an integer n , which indicates that there are n courses labeled from 1 to n . You are also given an array `relations` where `relations[i] = [prevCoursei, nextCoursei]`, representing a prerequisite relationship between course `prevCoursei` and course `nextCoursei`; course `prevCoursei` has to be taken before course `nextCoursei`.

In one semester, you can take **any number** of courses as long as you have taken all the prerequisites in the **previous** semester for the courses you are taking.

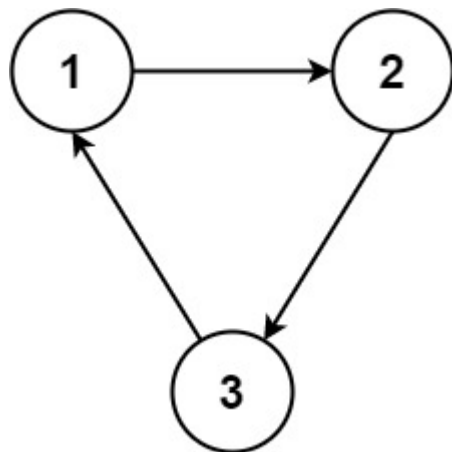
Return the **minimum** number of semesters needed to take all courses. If there is no way to take all the courses, return -1 .

Example 1:



Input: `n = 3, relations = [[1,3],[2,3]]`
Output: `2`
Explanation: The figure above represents the given graph. In the first semester, you can take courses 1 and 2. In the second semester, you can take course 3.

Example 2:



Input: `n = 3, relations = [[1,2],[2,3],[3,1]]`
Output: `-1`
Explanation: No course can be studied because they are prerequisites of each other.

- Constraints:**
- $1 \leq n \leq 5000$
 - $1 \leq \text{relations.length} \leq 5000$
 - $\text{relations}[i].\text{length} == 2$
 - $1 \leq \text{prevCourse}_i, \text{nextCourse}_i \leq n$
 - `prevCoursei != nextCoursei`
 - All the pairs `[prevCoursei, nextCoursei]` are **unique**.

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Seen this question in a real interview before?

Yes

No

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0 ~ 6 months 6 months ~ 1 year 1 year ~ 2 years

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Hide Hint 1

Try to think of it as a graph problem. It will be impossible to study all the courses if the graph had a cycle.

Hide Hint 2

The graph is a directed acyclic graph (DAG). The answer is the longest path in this DAG.

Hide Hint 3

You can use DP to find the longest path in the DAG.

JavaAutocomplete

```
1 class Solution {
2     public int minimumSemesters(int N, int[][] relations) {
3         List<List<Integer>> graph = new ArrayList<>(N + 1);
4         for (int i = 0; i < N + 1; ++i) {
5             graph.add(new ArrayList<Integer>());
6         }
7         for (int[] relation : relations) {
8             graph.get(relation[0]).add(relation[1]);
9         }
10        int[] visited = new int[N + 1];
11
12        int maxLength = 1;
13        for (int node = 1; node <= N + 1; node++) {
14            int length = dfs(node, graph, visited);
15            // we meet a cycle!
16            if (length == -1) {
17                return -1;
18            }
19            maxLength = Math.max(length, maxLength);
20        }
21        return maxLength;
22    }
23
24    private int dfs(int node, List<List<Integer>> graph, int[] visited) {
25        // return the longest path (inclusive)
26        if (visited[node] != 0) {
27            return visited[node];
28        } else {
29            // mark as visiting
30            visited[node] = -1;
31        }
32        int maxLength = 1;
33        for (int endNode : graph.get(node)) {
34            int length = dfs(endNode, graph, visited);
35            // we meet a cycle!
36            if (length == -1) {
37                return -1;
38            }
39            maxLength = Math.max(length + 1, maxLength);
40        }
41        // mark as visited
42        visited[node] = maxLength;
43        return maxLength;
44    }
45 }
```