

SMT1Q

Started on	Monday, 8 January 2024, 7:16 PM
State	Finished
Completed on	Monday, 8 January 2024, 7:31 PM
Time taken	15 mins
Grade	4.00 out of 5.00 (80%)

Question 1

Correct

Mark 2.00 out of 2.00

Flag question

Which of the following formulas can be shown to be satisfiable/unsatisfiable by just applying BCP (and nothing else)?

Select one or more:

1.  $(\neg a \vee c) \wedge (c \vee \neg d \vee \neg e \vee a) \wedge (\neg e \vee \neg f \vee \neg d \vee \neg a) \wedge a \wedge \neg b$

2.  $(c \vee \neg d \vee \neg a) \wedge \neg b$

3.  $(\neg a \vee c) \wedge (\neg d \vee \neg e \vee a) \wedge (c \vee \neg f \vee \neg d \vee \neg a) \wedge a$

4.  $(b \vee a) \wedge (b \vee \neg a) \wedge \neg b$

5.  $(c \vee \neg d \vee \neg e \vee a) \wedge (\neg e \vee \neg f \vee \neg d \vee \neg a) \wedge a$

Die Antwort ist richtig.

The correct answers are:  $(\neg a \vee c) \wedge (\neg d \vee \neg e \vee a) \wedge (c \vee \neg f \vee \neg d \vee \neg a) \wedge a$ ,  $(b \vee a) \wedge (b \vee \neg a) \wedge \neg b$

Question 2

Incorrect

Mark 0.00 out of 1.00

Flag question

Given the following formula:

$\neg(\neg a \rightarrow (b \wedge c)) \wedge (a \leftrightarrow b)$

How many clauses do we obtain when we transform the formula into a semantically equivalent CNF (approach 1 of the lecture)?

Answer:

5

The correct answer is: 4

Question 3

Correct

Mark 2.00 out of 2.00

Flag question

Given the following syntax tree of a propositional formula. This tree is annotated with labels to be used in the transformation to CNF.

```

graph TD
    l1((∨ l1)) --- a((a))
    l1 --- l2((∧ l2))
    l2 --- l3((∨ l3))
    l2 --- l4((¬ l4))
    l3 --- b((b))
    l3 --- c((c))
    l4 --- d((d))

```

Which clauses occur in the CNF when using approach 2 as presented in the lecture to translate the formula to CNF?

1.  $(\neg a \vee l1 \vee l2)$

2.  $(l3 \vee \neg c)$

3.  $(l3 \vee \neg b)$

4.  $(b \vee c)$

5.  $(l4 \vee d)$

6.  $(\neg l4 \vee \neg d)$

7.  $(\neg l1)$

Die Antwort ist richtig.

The correct answers are:  $(\neg l4 \vee \neg d)$ ,  $(l3 \vee \neg b)$ ,  $(l4 \vee d)$ ,  $(l3 \vee \neg c)$