

338.001, VL Logic, Martina Seidl / Wolfgang Schreiner / Wolfgang Windsteiger, 2022W

 $Dashboard\ /\ My\ courses\ /\ 2022W338001\ /\ Module\ SMT:\ Quantifier\mbox{-}Free\ First\mbox{-}Order\ Logic\ with\ Theories\ /\ SMT1Q$





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Started on Monday, 16 January 2023, 7:16 PM Completed on Monday, 16 January 2023, 7:21 PM Time taken 4 mins 54 secs **Grade 4.00** out of 5.00 (**80**%)

Question 1

Incorrect Mark 0.00 out of

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Given the following formula:

 $\neg (\neg (\ \neg a \lor b \lor c) \lor (c \land \neg d \land \neg e \land a)) \land (x \lor (y \land z))$

How many clauses do we obtain when we transform the formula into a semantically equivalent CNF (approach 1 of the lecture)?

Answer: 5

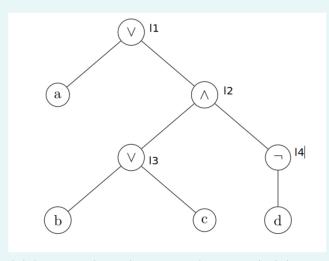
The correct answer is: 4

Question $\bf 2$ Correct

Mark 2.00 out of

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Given the following syntax tree of a propositional formula. This tree is annotated with labels to be used in the transformation to CNF.



Which clauses occur in the CNF when using approach 2 as presented in the lecture to translate the formula to CNF?

- □ 1. (¬l2 ∨ b ∨ c)
- ☑ 3. (l4 ∨ d)
 ✓
- □ 4. (¬a ∨ l1 ∨ l2)
- □ 5. (¬I3)
- □ 6. (¬l4 ∨ d)

Die Antwort ist richtig.

The correct answers are:

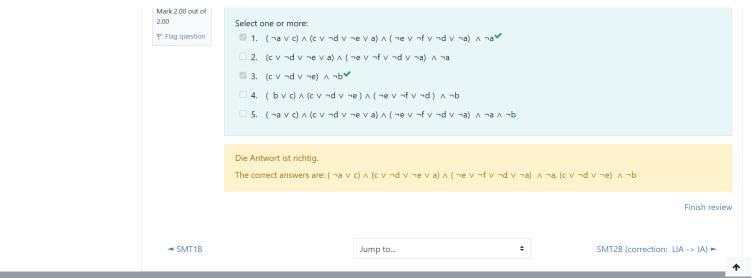
(11),

 $(\neg 13 \lor b \lor c),$

(l4 v d)

Question 3 Correct

Given formula ($\neg a \lor b \lor c$) \land ($c \lor \neg d \lor \neg e \lor a$) \land ($\neg e \lor \neg f \lor \neg d \lor \neg a$) $\land \neg a \land \neg b$. Which of the following formulas can be obtained by eliminating ONE unit clause (i.e., by applying BCP on one literal)?



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