# Unit 2

9/27:

# Molecular Orbitals and Pericyclic Reactions

## 2.10 Molecular Orbital Theory - 1

• See Georgia's notes on Canvas (also included below).

Exam Reflections
You all drd great
"How did I do?"
90-100 excellent
80-90 good
<80 adequate, reach out
exams hand back in recitations
these guidelines are exam specific
4 first exam typically best
You learned structure determination!

What's Next?

FFFFFFFFFF

· now do gou go from 2D structure to where are ewhere do they react

Unit 2 Molecular Orbitals : Pericyclic Reactions

· deeper look at e- movement

· new types of reactions, new class of mechanism

· use molecular orbitals (MO's) to predict reaction

4 regioselectivity, diastereoselectivity, reactivity





Background/Review & Study

· review gen chem (5.11/5.112) & Orgo 1 (5.12)

· Clayden : ch. 4, 5, 6

white miscontined

· orbitals are ware functions that describe the ability to find an electron in space by they interact constructively & desmictively

Rules:

0 # atomic orbitals (AOS) in = # MO's OUT

2) interacting orbitals most have similar energy
if large AE; no mixing
if same E; best mixing

[ ] large  $\Delta E$ ; no mixing

3 interacting orbitals must overlap efficiently and have similar energy symmetry

perpinditular orbitals

poor overlap

More electronegative atom ⇒ lower E AO = more polarized MO

H2 VS Hez MO Diagrams

BH:HO antibonding
e on sides

Note: | AED= |> | AED |

antibonding is more clestabilizing than the bonding is stabilizing

Hz MO more stable than

A. 7. 7. E

2 × H. AO

4) why He bond forms

bonding; e-in middle

Hez MD Diagram

Att of antibonding MO filled!

this is less stable than

two individual H a toms

forming He-He requires

filling of (which is more

destabilizing) than

this is the MO explanation for the fill octet rule

SN2 MO Picture

CEEEEEEEEE

Me GBC DSET BY IN H

Why backside attack? ·identify Homo

HOMO highest occupied MO = nucleophile, filled orbitals, lone pair LUMO lowest unoccupied MO = electrophile = empty orbitals =

The orbital, cations,

C of C-Br bond

MO OF C-B- (antibondry) Ca; Bro
polanzed towards C

C 7: 1 Br (bonday)

polarged towards Br

Lecture 10: (on t

SO OCOBIE

backside attack because there is a larger of tobe there

meanwhile

HOMO

ec Bre & bond breaks because of populated

our mechanistic arrows show this

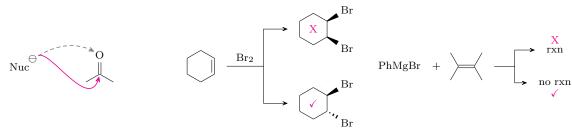
electrophilic on carbon

(=0

C=C VS C=O MOS

#### 2.11 Molecular Orbital Theory - 2

9/30: • Lecture 10 recap: What MO theory can explain.



- (a) A regioselective reaction.
- (b) A diasterioselective reaction.
- (c) An unreactive mixture.

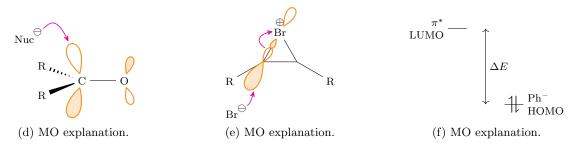


Figure 2.1: MO theory explains these phenomena.

- Regioselectivity.
  - Consider a nucleophile adding into a carbonyl (Figure 2.1a).
    - > Experimentally, we observe that the nucleophile attacks the carbon atom (magenta arrow) instead of the oxygen atom (grey dashed arrow).
  - To understand why, we must consider the carbonyl's molecular orbitals (Figure 2.1d).
    - $\geq$  Specifically, we must consider the carbonyl's LUMO, since this will be the MO that interacts with the nucleophile's HOMO. Here, the LUMO is the carbonyl's  $\pi^*$ -orbital.
    - ➤ The carbonyl's LUMO has big lobes on carbon and small lobes on oxygen; in other words, this LUMO is **polarized** toward carbon.
    - > The difference in lobe size explains why the nucleophile attacks carbon instead of oxygen.
- Diastereoselectivity.
  - Consider the bromination of an alkene (Figure 2.1b).
    - $\succ$  Experimentally, we observe that the *anti* adduct is formed instead of the *syn* adduct.
  - To understand why, we consider the MOs of the bromonium ion intermediate (Figure 2.1e).
    - $\succ$  For the same reason as before, we must consider the bromonium ion's LUMO. Here, the LUMO is the C-Br  $\sigma^*$ -orbital.
    - ➤ The bromonium ion's LUMO has its largest lobe behind carbon.
    - ➤ Thus, this is the lobe that will be attacked by the Br<sup>-</sup> nucleophile. Such an attack is called a "backside attack" and induces the *anti* product.
- Reactivity.
  - Consider a Grignard reagent adding into an olefin (Figure 2.1c).
    - > Experimentally, we observe no reaction here.
  - To understand why, we must consider the relative energies of the reacting MOs (Figure 2.1f).
    - $\succ$  Essentially, the alkene's LUMO (a  $\pi^*$ -orbital) is much higher in energy than the phenyl anion's HOMO. Thus, the  $\Delta E$  gap is too big, i.e., there is a lack of energy symmetry.
    - ➤ Therefore, by Rule 3 from Lecture 10, no reaction occurs.

- Today: More MO theory.
- Lecture outline.
  - The Bürgi-Dunitz angle.
  - Hyperconjugation.
  - The anomeric effect.
  - Stereoelectronic effects and the rate of reaction.
- Bürgi-Dunitz angle: The angle at which nucleophiles typically add to carbonyls. Given by 107°.

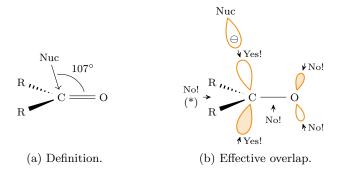


Figure 2.2: Bürgi-Dunitz angle.

- This is the angle between the new C-Nuc bond and the carbonyl's σ-plane (Figure 2.2a).
- Nucleophiles attack at this angle because it's the location of the  $\pi^*$ -lobe on carbon (Figure 2.1d).
- Let's elaborate a bit on Figure 2.1d now (Figure 2.2b).
  - $\blacksquare$  Once again, consider the carbonyl  $\pi^*$ -orbital (its LUMO) and its "butterfly" lobes.
  - The nucleophile must approach the  $\pi^*$ -orbital with the right symmetry. This is why we see its HOMO's lobe approach the carbon atom's  $\pi^*$ -lobe dead-on at exactly the right angle.
    - > This angle leads to efficient overlap, and hence an effective sharing of electron density.
    - ➤ This is an example of Rule 3 from Lecture 10.
  - Are there any other locations at which we can add into the carbonyl?
    - $\triangleright$  We can also add into the shaded carbon  $\pi^*$ -lobe on the other side of the  $\sigma$ -plane by reversing the shading of the nucleophile's lobe!
    - ➤ However, any other angle of attack will *not* work.
    - $\triangleright$  Note (\*): A backside attack is good for interacting with the  $\sigma^*$ -orbital, but bad for interacting with the  $\pi^*$ -orbital that we need for carbonyl chemistry.
- Hyperconjugation: The mixing of filled and empty orbitals to stabilize a system.
- Example (from 5.12): Stabilizing carbocations.

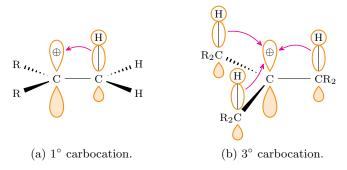


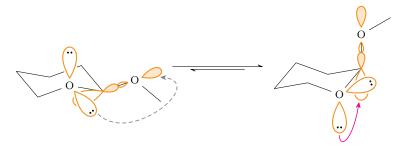
Figure 2.3: Hyperconjugation stabilizes carbocations.

- Consider a primary (1°) carbocation (Figure 2.3a).
  - $\blacksquare$  In a carbocation, the positively charged carbon localizes its lack of electron density to an empty p-orbital.
  - However, adjacent to this empty p-orbital is a full  $\sigma$ -orbital, namely, the adjacent C-H bond. Moreover, this bond has the right geometry to donate into the empty p-orbital.
  - Thus, the  $\sigma$ -orbital of the C-H bond will donate electron density into the empty p-orbital, delocalizing both positive and negative charges and thereby stabilizing the system.
- We denote hyperconjugation interactions using a special **notation**; the particular hyperconjugation in Figure 2.3 is denoted  $\sigma_{\text{CH}} \to p_{\text{C}}$ .<sup>[1]</sup>
- In a tertiary (3°) carbocation, we get electron donation from three adjacent  $\sigma_{\rm CH}$  orbitals.
  - These three stabilizing interactions explain why 3° carbocations are more stable than 1° ones!
  - Such effects are also why more substituted cations are more stable in general.
- **Hyperconjugation notation**: The concise method for denoting a certain hyperconjugative orbital interaction. *Given by*

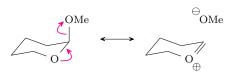
$$orbital_{atoms} \rightarrow orbital_{atoms}$$

- The arrow means "donates into."
  - Indeed, we always write the filled orbital first (before the arrow) and the empty orbital second (after the arrow).
- Possible orbitals:  $\sigma, \sigma^*, \pi, \pi^*, p, n$ .
  - Note that n denotes a nonbonding lone pair.
- **Anomeric effect**: The tendency of heteroatom substituents adjacent to heteroatoms in cyclohexane derivatives to prefer the axial orientation.
- Let's break this rather complicated definition down through an example.

- (a) Sterics win in methoxycyclohexane.
- (b) Anomeric wins in 2-methoxytetrahydropyran.



(c) MOs explain the anomeric effect.



(d) Resonance explains the anomeric effect.

Figure 2.4: Anomeric effect.

 $<sup>^{1}</sup>$ This is pronounced "sigma C–H to p C donation" or (very explicitly) "sigma see aech to pee see donation."

- In methoxycyclohexane, the methoxy group prefers to be equatorial to avoid 1,3-diaxial interactions (Figure 2.4a).
  - This leads to a 70:30 distribution in favor of the equatorial conformer.
- However, in 2-methoxytetrahydropyran, the methoxy group prefers to be *axial* due to the anomeric effect (Figure 2.4b).
  - This also leads to a 70:30 distribution, but this time in favor of the axial conformer.
  - Notice how this empirical observation reflects the definition of the anomeric effect: We have a heteroatom substituent (the methoxy group) adjacent to a heteroatom in cyclohexane (the oxygen in the six-membered ring), and it is preferring the axial orientation!
- What causes the anomeric effect? Let's investigate the stabilization of the axial conformer further using molecular orbitals (Figure 2.4c).
  - In 2-methoxytetrahydropyran's equatorial conformation, we get poor overlap between the oxygen lone pair's orbital and the C-OMe antibonding orbital. This poor overlap is due to the *gauche* orientation of said orbitals.
  - In 2-methoxytetrahydropyran's axial conformation, we get really nice overlap between the oxygen lone pair and the  $\sigma^*$ -orbital of the C-OMe bond. This is because both orbitals have large lobes pointing axial down. Because of this favorable geometry,  $n_{\rm O} \to \sigma_{\rm CO}^*$  hyperconjugation occurs.<sup>[2]</sup>
- Another way of showing how the anomeric effect stabilizes the axial conformer is by using resonance diagrams (Figure 2.4d).
  - Indeed, starting from the typical picture, we can push the lone pair into an O=C  $\pi$ -bond and formally break the C-OMe  $\sigma$ -bond.
  - The result is called a **no-bond resonance form**.
  - Something should feel off to you here, though.
    - $\succ$  When you learned to draw resonance structures, you learned that you can't break  $\sigma$ -bonds.
    - $\succ$  However, we are now telling you that sometimes, you *are* allowed to break  $\sigma$ -bonds. This is "next-level resonance structures."
  - Note that 2-methoxytetrahydropyran doesn't go all the way to the no-bond resonance form, but said resonance form *is* a major contributor.
    - > This also means that the no-bond resonance form affects the reactivity of the molecule.
- Both hyperconjugation and the anomeric effect fall under the broader category of **stereoelectronic effects**.
  - Note that they are not the only examples of such effects, though.
- Stereoelectronic effect: An effect on structure or reactivity of a molecule caused by the spatial orientation of its orbitals.
  - We've previously learned that everything in Orgo can be explained by steric and electronic effects, but stereoelectronic effects are like a secret third option!
- Let's now look at some more places where stereoelectronic effects crop up.

<sup>&</sup>lt;sup>2</sup>Note that there is no particular reason why overlap with a  $\sigma^*$ -orbital, in particular, is stabilizing. Rather, the point is that we have a filled orbital (the lone pair) adjacent to an empty orbital (which just happens to be a  $\sigma^*$  orbital), so hyperconjugation can occur to spread out the negative and positive charges. This delocalization — like any — is then inherently stabilizing.

• Example: Hyperconjugation in noncationic species.

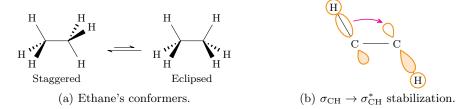


Figure 2.5: Hyperconjugation stabilizes staggered ethane.

- We may have learned that ethane prefers the staggered conformer over the eclipsed conformer (Figure 2.5a) due to sterics.
  - This is not true!
  - We know this because H is really tiny.
- In fact, this preference is due to hyperconjugation, a stereoelectronic effect (Figure 2.5b).
  - Staggered ethane is stabilized by electron donation from the  $\sigma$ -bond of one C–H bond into the adjacent, antiperiplanar C–H bond's  $\sigma^*$  orbital:  $\sigma_{\text{CH}} \to \sigma_{\text{CH}}^*$ .
  - This is a small interaction, but it occurs six times, once for each C–H  $\sigma$ -bond!
- Takeaway: Electron delocalization is stabilizing, and more delocalization is more stabilizing.
- Example: Stereoelectronic stabilization can accelerate reactions.

(a) S<sub>N</sub>1 without an adjacent heteroatom.

(b)  $S_N 1$  with an adjacent heteroatom.

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(c) No heteroatom mechanism.

(d) Possible heteroatom-promoted mechanism.

(e) Better heteroatom-promoted mechanism.

Figure 2.6: Stereoelectronic effects accelerate reactions.

- Consider the  $S_N1$  substitution of bromocyclohexane to methoxycyclohexane (Figure 2.6a), vs. the  $S_N1$  substitution of 2-bromotetrahydropyran to 2-methoxytetrahydropyran (Figure 2.6b).
- Which of these substitutions occurs faster?
- To answer this question, let's look at the mechanism of each (Figures 2.6c-2.6d).
  - Note that in Figure 2.6c, either bromide or another equivalent of methanol can do the final deprotonation of the **oxonium** ion.<sup>[3]</sup>
  - Note that in Figure 2.6d, the fact that the **oxocarbenium** ion obeys the octet rule implies that it is the more stable resonance structure.
- In fact, the oxocarbenium ion is an example of oxygen stabilizing a carbocation through  $n_{\rm O} \to p_{\rm C}$  hyperconjugation.
- This is one example of hyperconjugation in this reaction scheme, but there is another effect as well.
  - In the original 2-bromotetrahydropyran molecule, the oxygen lone pair will also hyperconjugate into the C-Br  $\sigma^*$ -orbital per the anomeric effect.
  - In other words, O mediates the departure of the leaving group through  $n_{\rm O} \to \sigma_{\rm CBr}^*$  hyperconjugation.
- Thus, since both hyperconjugative stabilizing effects can (and do!) happen, it is better to say mechanistically that the arrow pushing in the first step happens simultaneously (Figure 2.6e).
  - Indeed, the rule in arrow pushing is "make a bond, break a bond," so that's what we do.
- We can now complete the mechanism for the heteroatom-promoted reaction (Figure 2.6e).
  - MeOH adds into the  $\pi^*$ -orbital of the oxocarbenium (at the Bürgi-Dunitz angle!), also kicking electrons up to the oxygen in a concerted step.
  - Then we get deprotonation again.
- Now that we've got both mechanisms, let's consider the energy surface in order to compare the rates of reaction.
  - Both reactions will have two-humped energy surfaces, befitting a mechanism with only one true catinoic intermediate.
  - However, in the energy surface for the heteroatom-promoted reaction,  $n_{\rm O} \to p_{\rm C}$  hyperconjugation will stabilize the intermediate and  $n_{\rm O} \to \sigma_{\rm CBr}^*$  will stabilize the transition state of the first step, lowering its activation energy!
  - $\blacksquare$  Thus, the heteroatom-promoted  $S_N1$  is faster!
- Takeaway: The overall reaction specifics depend on geometry and orbital overlap.

### 2.12 Pericyclics

- 10/2: Lecture 11 recap.
  - Hyperconjugation involves the delocalization of electrons, and hence is stabilizing.
    - This is a very common phenomenon, and it underlies most 5.12 reactions!
  - $-\sigma_{\rm CH} \to p_{\rm C}$  hyperconjugation makes substituted cations more stable (see Figure 2.3).
  - $-\sigma_{\rm CH} \to \sigma_{\rm CH}^*$  makes ethane more stable when staggered than eclipsed (see Figure 2.5b).
  - $-n_{\rm O} \rightarrow \sigma_{\rm CX}^*$  stabilizes axially positioned heteroatom substituents with  $\alpha$ -heteroatoms in cyclohexane derivatives, per the anomeric effect (see Figure 2.4c).

 $<sup>^3</sup>$ Note that — comparing the p $K_a$  of protonated methanol to HBr — methanol is actually almost a million times more basic than bromide. As such, for every one time bromide does the final deprotonation, methanol will do it to almost a million other oxonium intermediates. However, it can still be useful to think of bromide as *formally* doing the final deprotonation so as to balance the reaction  $C_6H_{11}Br + CH_3OH \longrightarrow C_6H_{11}OCH_3 + HBr$ .

- Today: Pericyclic reactions.
  - They are cool because they couple MO theory to reactivity.
  - This is a whole new class of reactions, and we will spend the rest of Unit 2 talking about them.
  - Essentially, the rest of this unit looks like: "Here's a new reaction, and here's the MO picture underlying it."
- Pericyclic (reaction): A reaction characterized by a **concerted** movement of electrons in a **cyclic** transition state.
- Concerted (reaction): A reaction in which all electron movements happen at the same time, i.e., all bonds break and form in the same step.
  - There are no intermediates, and hence only a single "hump" in the energy diagram (Figure 2.7a).
  - Concerted reactions contrast with **stepwise** reactions.
  - Concerted reactions can be **synchronous** or **asynchronous**.
    - Essentially, we ask, "Is the transition state symmetric? Are all bonds breaking and forming to the same extent at the same time, or are some bonds breaking/forming first with others breaking/forming later?"
    - We touch on this concept to illustrate that even *concerted* reactions can have subtle differences between them.
- Stepwise (reaction): A reaction that has intermediates in its energy landscape.
  - There are intermediates, and hence multiple "humps" in the energy diagram (Figure 2.7b).
- To reiterate, concerted and stepwise reactions can be differentiated using their energy diagrams.



Figure 2.7: Concerted vs. stepwise energy diagrams.

- Example:  $S_N2$  reactions are concerted, and  $S_N1$  reactions are stepwise.
- Synchronous (concerted reaction): All bond-making and -breaking occurs to an equal extent in the transition state.
- **Asynchronous** (concerted reaction): All bond-making and -breaking does *not* occur to an equal extent in the transition state.
- Cyclic (transition state): A transition state in which all bonds that are being broken and made are connected in a ring.
  - Important implication: This is not as complicated as it sounds; rather, it just means that when you draw your electron arrows, you draw them in a ring.
  - See Figure 2.8 for an example.

- History of pericyclic reactions.
  - MO theory was developed because of pericyclic reactions.
    - Essentially, pericyclic reactions used to be called "no mechanism" reactions since everything happened in one step.
    - The extent to which organic chemists didn't understand how pericyclic reactions worked drove them to develop a theory that explained why they did.
  - Today, pericyclic reactions are credited with introducing quantum theory into organic chemistry.
    - Before pericyclic reactions, organic chemists thought that they could explain everything they needed to with Lewis structures and arrow pushing mechanisms.
    - However, after pericyclic reactions, it became clear to organic chemists that there was value in keeping track of where all the electrons are actually located in MOs and such.
- We'll now do an overview of the different classes of pericyclic reactions, i.e., what we have to look forward to over the next couple of weeks.
  - Types we'll discuss: Cycloadditions, electrocyclizations, and sigmatropic rearrangements.
  - Specifically, we've got one lecture on each of these topics coming up (and then a couple others).
  - As such, it's a good idea to get a general sense of these reactions now, but you don't need to think too much about them since you will get much more information in the coming days and weeks.
- Cycloaddition: A pericyclic reaction in which two separate  $\pi$ -systems react to convert two  $\pi$ -bonds into two  $\sigma$ -bonds.
  - Nomenclature: [m+n], where m and n are the numbers of atoms in the two separate  $\pi$ -systems.
    - To reiterate: One of the  $\pi$ -systems has m atoms, and the other has n atoms.
  - Example: We may speak of a "[4+2] cycloaddition." This specific pericyclic reaction is also called the **Diels-Alder reaction**.
  - The reverse reaction of a cycloaddition is called a **cycloreversion**.
- **Diels-Alder reaction**: A [4+2] cycloaddition.

$$\left[\begin{array}{c|c} + & \parallel & \longrightarrow & \left[\begin{array}{c} \\ \end{array}\right]^{\ddagger} & \longrightarrow & \left[\begin{array}{c} \\ \end{array}\right]^{\ddagger} \end{array}\right]$$

Figure 2.8: Diels-Alder reaction.

- This is a really cool reaction one of the most powerful in organic chemistry, in fact.
- We'll spend the next two lectures talking about it!
- Note that the magenta electron arrows in Figure 2.8 can go either counterclockwise or clockwise.
  - As long as they lead to the right product, you can draw either!
- Cycloreversion: A pericyclic reaction in which one system reacts to convert two  $\sigma$ -bonds back into two  $\pi$ -bonds in two separate  $\pi$ -systems.

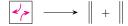


Figure 2.9: A cycloreversion.

- Sometimes, we give cycloreversions special names.
- Example: We can call the reaction in Figure 2.9 either a " $4\pi$  cycloreversion" or a "retro-[2+2]."

• Electrocyclization: A pericyclic reaction in which one system reacts to convert one  $\pi$ -bond into one  $\sigma$ -bond, or vice versa.

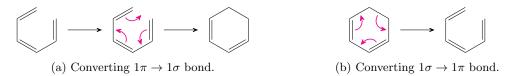


Figure 2.10: A forward and reverse  $6\pi$  electrocyclization.

- Nomenclature:  $m\pi$ , where m is the number of electrons involved.
- Always ring-opening or ring-closing.
- Example: We may speak of a " $6\pi$  electrocyclization" (Figure 2.10a).
  - Notice how we go from 5  $\sigma$  and 3  $\pi$ -bonds to 6  $\sigma$  and 2  $\pi$ -bonds in Figure 2.10a.
- We can also go in reverse (Figure 2.10b).
- Sigmatropic rearrangement: A pericyclic reaction in which a  $\sigma$ -bond moves to the end of the  $\pi$ -system.

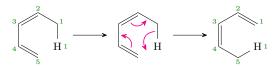


Figure 2.11: A [1,5] sigmatropic rearrangement.

- Nomenclature: [m, n], where m and n are the "numbers" of the atoms to which the two ends of the  $\sigma$ -bond moves.
  - We'll dive into this nomenclature more in the lecture on sigmatropic rearrangements.
  - In particular, we will discuss a very specific way of "numbering" the atoms in our starting material and product!
- Example: We may speak of a "[1,5] sigmatropic rearrangement" (Figure 2.11).
  - You can push the electron arrows either way, but Prof. Elkin likes to start with the  $\sigma$ -bond and move that to the end of the  $\pi$ -system.
  - Observe that one end of the  $\sigma$ -bond (the side at the hydrogen) moved from atom 1 to atom 1, and the other end (the side at the carbon) moved from atom 1 to atom 5. This is related to the aforementioned "numbering."
- To reiterate from earlier, start familiarizing yourself with these types of reactions, but remember that we will go over these in more detail later in the course.
- Moving on, let's bring MOs back into the picture.



Figure 2.12: Two views of buta-1,3-diene.

- Observe that the reactants in Figures 2.8, 2.10, and 2.11 are all conjugated systems!
- Thus, they have  $\pi$ -MOs. Let's consider the diene from Figure 2.8, in particular.
- Looking at it from the side, we see that each  $\pi$ -bond is made up of two p-orbitals.

- $\bullet$  We can mix the four p-AOs in Figure 2.12b to make MOs, but we have to do so according to the following rules.
  - 1. The number of MOs is equal to the number of atoms under consideration.
    - Example: A diene will have four MOs.
    - Example: An olefin will have two MOs.
  - 2. The lowest-energy MO has no **nodes**.
  - 3. For every increase in E, we add a node (in such a way that symmetry is maintained).
- Node: A change in sign of the orbital, at which there is no electron density.
- Example of nodes: Think of our  $\pi$  and  $\pi^*$  MOs.

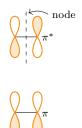


Figure 2.13: Nodes in  $\pi$  and  $\pi^*$  molecular orbitals.

- The lower one has no nodes, because the phases are aligned left to right.
- The upper one has 1 node, because the phases invert left to right.
- We are now ready to draw an MO diagram for the diene in Figure 2.12.
- Diene MOs.



Figure 2.14: Reactive molecular orbitals of a diene.

- Let's start with a rule-by-rule analysis.
  - 1. We have 4 atoms, so we draw lines for 4 MOs.
  - 2. The lowest energy MO in Figure 2.14 does indeed have no nodes.
    - Observe that Prof. Elkin shades the top lobes first this time instead of the bottom lobes (as in Figure 2.13) because the shading is arbitrary. This comment is review, but the concept is important to remember!!
  - 3. For each increase in energy, we do indeed add one node.
    - For the second-lowest energy level, we draw our node symmetrically right in the middle.
      - > We go along shading the top (or bottom) lobes until we hit our node, and then we switch to shading the other side.
    - For the third-lowest energy level, we draw our nodes symmetrically as well.
    - For the highest energy level, we draw a node between every orbital and alternate shading.
      - $\succ$  The highest energy level has the same alternating structure in the MOs of every conjugated  $\pi$ -system. For another example, see Figure 2.16.
- Note that we also draw (in purple) the **waveform** for every MO.
- Now let's populate our orbitals with electrons.
  - There are four  $\pi$ -electrons in a diene, so per Aufbau, Pauli, and Hund, we fill the bottom two energy levels of our diagram.
  - Filling electrons allows us to identify our HOMO and LUMO, which will be useful for justifying reactivity.
- Takeaway: You probably wouldn't just guess that the LUMO (or any other MO) of a diene looks the way it does, but you can derive it using the three rules and the method of Figure 2.14.
  - Then you can use the result of your derivation to make predictions about a diene's reactivity!
  - We'll cover such predictions next lecture.
- Why do the nodes have to be symmetric?
  - Because quantum mechanics.
  - Very simply, it has something to do with the waveform of each energy level, which you might notice mirrors the waveforms of the particle in a box.
  - See the end of my notes for this lecture for more detail.
    - Note: All extra detail on this topic is beyond the scope of this class, and will never be tested nor appear on problem sets; it is purely to satisfy your curiosity.
- An interesting finding about pericyclic reactions: They can be started by either heat  $(\Delta)$  or light  $(h\nu)!$

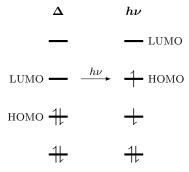


Figure 2.15: A diene's reactive orbitals in thermal vs. photochemical pericyclic reactions.

- When you think about it, heat and light are just different ways to add energy to our system so that the reaction goes.
- Indeed, pericyclic reactions are cool because you don't have to add a chemical reagent to make one go; rather, you just heat it up or shine light at it, and it reacts away!
- How do photochemical reactions work?
  - When light is absorbed, one electron is excited from the HOMO to the LUMO, and none of the spins of *any* of the electrons change (Figure 2.15).
    - > There's a lot more photophysics here that you can go into, but that's beyond the scope of this course.
  - Such excitation is important because it gives us a new HOMO and a new LUMO.
    - > These new reactive orbitals have important consequences that we'll discuss later, especially for the stereochemistry of the product.
- Let's now look at the MOs of one more conjugated system.
- Allyl MOs.

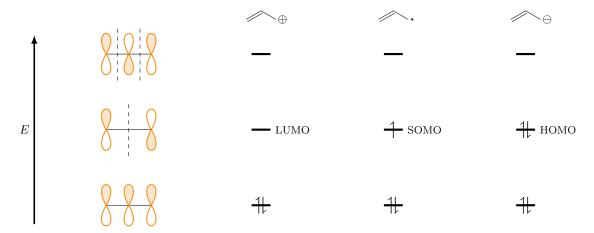


Figure 2.16: Reactive molecular orbitals of an allyl group.

- Let's do another rule-by-rule analysis.
  - 1. Three atoms going in means three MOs.
  - 2. Shade all the same phases in the bottom MO.
  - 3. Add nodes for the upper orbitals.
    - Put your node right in the middle for the middle MO.
      - ➤ It has to be symmetric!
      - $\succ$  Every time you have an odd number of atoms, some p-orbital will get deleted like this.
    - For the top MO, once again do everything alternating.
- Note that we have not yet specified whether this is an allyl cation, allyl radical, or allyl anion!
- We will have a different number of electrons for all three species (even though we have the same MOs), so let's fill electrons for each of these species.
  - Allyl cation: Two electrons, so fill just the bottom MO.
    - ➤ Like any carbocation, the allyl cation will react as an electrophile.
    - > If it reacts as an electrophile, it must react with its LUMO (which is the middle orbital).
  - Allyl radical: Three electrons, so fill the bottom MO and start filling the middle MO.
    - ➤ Like any radical, the allyl radical reacts as a...well...radical.
    - ➤ If it reacts as a radical, it must react with its **SOMO** (also the middle orbital).

- Allyl anion: Four electrons, so fill the bottom and middle MOs.
  - ➤ Like any carbanion, the allyl anion will react as a nucleophile.
  - > If it reacts as a nucleophile, it must react with its HOMO (still the middle orbital!).
- Interesting consequence of this filling: All three allyl species should only react with their middle-energy MO!
  - This would predict that all allyl reactivity occurs at the termini of the allyl group, not the middle carbon, since all of the density of the middle orbital is at the termini and none of it is at the middle carbon.
  - This prediction is experimentally confirmed!
- Singly occupied molecular orbital: The molecular orbital in which an unpaired radical electron exists. Also known as SOMO.
- An elaboration on why nodes must be placed symmetrically in the MOs of conjugated  $\pi$ -systems (see Figures 2.14 and 2.16 and the associated discussion).
  - Reminder: Everything from here, on, in these notes is beyond the scope of this class!
  - The long-short.
    - The waveforms in Figure 2.14 are *exactly* equal to their corresponding particle-in-a-box wave functions (according to some analyses of quantum mechanics).
      - $\succ$  This relationship can be rationalized intuitively because a conjugated  $\pi$ -system is like an extended, one-dimensional box in which a quantum particle (namely, an electron) lives.
    - The implication is that the molecular orbitals of a conjugated  $\pi$ -system look exactly like the particle-in-a-box orbitals, including having nodes in the same places.
    - This actually also means that the individual p-orbitals making up the MOs are different sizes!
      - $\succ$  For example, in the lowest energy MO in Figure 2.14, the two middle p-orbitals will be larger than the two terminal p-orbitals.
      - ➤ More relevantly, the HOMO and LUMO in Figure 2.14 will have larger terminal p-orbitals, which explains why dienes react at their ends and not in the middle; we have already seen an example of dienes reacting at their terminal carbons instead of their middle carbons in Figure 2.8.
  - More detail.
    - The exact sizes of each p-orbital in a given MO of a conjugated π-system can be calculated
       by hand using only linear algebra. This calculation is part of something called Hückel theory.
    - You can learn about Hückel theory by taking a course in quantum mechanics, inorganic chemistry, or graduate physical organic chemistry.
  - If you are interested in reading more about this now, look through the attached PDF. I'd recommend starting with the diagrams and sine/cosine functions on pages 6.6 and 6.7. Enjoy!

#### 2.13 Diels-Alder - 1

- 10/4: Lecture 12 recap.
  - Periyclic reactions have concerted and cyclics transition states.
    - Essentially, what unites all of these reactions is that they have electron arrows moving in a ring!
  - All of these reactions are theoretically reversible.
  - Prof. Elkin redraws the prototypical pericyclic reactions from last class.

- Three main classes.
  - 1. Cycloaddition.
    - Bond types changed:  $2\pi \rightleftharpoons 2\sigma$ .
    - Nomenclature: [m+n].
    - General form: See Figure 2.8.
      - > To reiterate: This reaction can also proceed in reverse, i.e., from right to left!
  - 2. Electrocyclization.
    - Bond types changed:  $1\pi \rightleftharpoons 1\sigma$ .
    - Nomenclature:  $m\pi$ .
    - General form: See Figure 2.10.
      - ➤ To reiterate: This reaction can also proceed in reverse, i.e., from right to left!
  - 3. Sigmatropic rearrangements.
    - Bonds moved:  $1\sigma$ .
    - Nomenclature: [m, n].
    - General form: See Figure 2.11.
      - ➤ To reiterate: This reaction can also proceed in reverse, i.e., from right to left!
- Announcements.
  - Please fill out the feedback survey in Canvas > Announcements.
  - PSet 3 is due today.
  - PSet 4 will be posted today.
    - It is the last PSet before Exam 2.
    - It only covers Diels-Alder content. However, the rest of this unit's content (cycloadditions, electrocyclizations, and sigmatropic rearrangements) will be on Exam 2 as well.
    - So to prepare for the exam, continue doing the Recitation Worksheets even after PSet 4!!
- Today: Diels-Alder (lecture 1 of 2).
- Recall from last lecture that a Diels-Alder reaction is a [4+2] cycloaddition.
  - Specifically, a **diene** reacts with an olefin, which we call the **dienophile**.
  - The simplest Diels-Alder (DA) reaction is drawn in Figure 2.8.
    - This is actually a terrible Diels-Alder reaction because there's a poor HOMO-LUMO energy match (we'll talk more about what that means shortly).
  - The Diels-Alder is a powerful tool to make six-membered rings.
    - We see a lot of six-membered rings in organic chemistry, so the Diels-Alder is very useful.
  - This reaction is very predictible: It is **regioselective**, **stereospecific**, and **reliable**.<sup>[4]</sup>
- Diene: A compound that contains two conjugated double bonds.
  - The diene is (usually) the HOMO.
  - You can think of it as the nucleophile.
- Dienophile: An olefin. Etymology from Latin "lover of dienes."
  - The dienophile is (usually) the LUMO.
  - You can think of it as the electrophile.
- Reliable (reaction): A reaction that almost always works if you have the right energy matching.

<sup>&</sup>lt;sup>4</sup>We'll discuss both regioselectivity and stereospecificity later this lecture, and stereospecificity even further on Monday.

• Let's look at the MO picture for a Diels-Alder reaction.

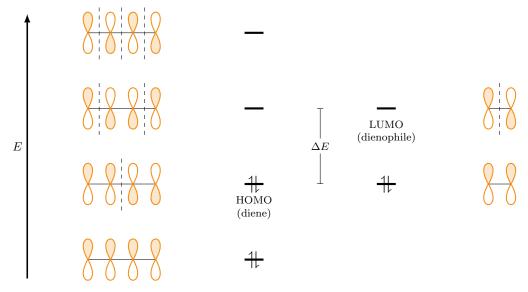


Figure 2.17: Reactive molecular orbitals in a Diels-Alder.

- Recall our diene MOs from last lecture (Figure 2.14).<sup>[5]</sup>
  - Specifically, recall that our HOMO has the orbital picture of the second energy level. Since we have said that the diene reacts with its HOMO, this is the important orbital to watch.
- Recall also our dienophile MOs from last lecture (Figure 2.13).
  - The olefin has two electrons, so its LUMO is the second energy level. Since we have said that the dienophile reacts with its LUMO, this is the important orbital to watch.
- Initially, we have a poor energy match between HOMO and LUMO ( $\Delta E$  is large). Therefore, if we want to improve the reaction, we should strive to bring their energies closer together.
- Two main things to accomplish this goal of bringing HOMO and LUMO energies closer together.
  - 1. Raise the HOMO by adding EDGs to the diene.
  - 2. Lower the LUMO by adding EWGs to the dienophile.
- Example: A Diels-Alder reaction that does work well.

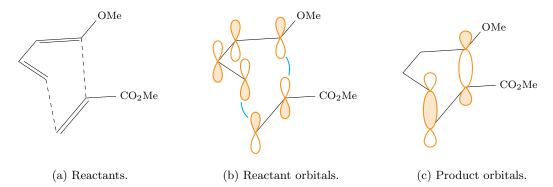
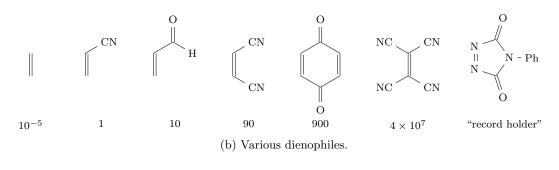
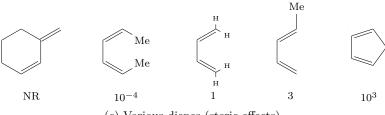


Figure 2.18: Diels-Alder orbitals in 3D space.

<sup>&</sup>lt;sup>5</sup>Prof. Elkin reviews the three rules for drawing the MOs of conjugated systems; remember these!!

- Let's analyze the new reactants we've drawn (Figure 2.18a).
  - The methoxy-substituted diene is a better nucleophile than 1,3-butadiene because methoxy groups are electron-donating.
  - The ester-substituted dienophile is a better electrophile than ethylene because ester groups are electron-withdrawing.
  - Recall electrophilic aromatic substitution reactions, which tell you what substitutents are electron donating vs. withdrawing. Review this 5.12 content!!
- Now let's look at their orbitals (Figure 2.18b).
  - We draw a "perspective picture" of the HOMO and LUMO.
  - Observe that the phases of the HOMO and LUMO match!
    - > Specifically, we mean that the lobes connected by the blue lines have the same shading.
  - A note on shading.
    - > The relative shading between reacting molecules does matter because we've got to see overlap between pairs of shaded lobes and pairs of unshaded lobes when we're forming bonds.
    - $\triangleright$  Thus, while we could invert the shading of every p-orbital in Figure 2.18b and be fine, we could not invert the shading of just the diene and leave the dienophile unchanged (or vice versa).
- We now redraw the molecules, but after they've formed  $\sigma$ -bonds (Figure 2.18c).
  - As the  $\pi$ -orbitals come together, the middle lobes fuse and become  $\sigma$ -bonds.
  - Implication: You have to have a top-to-bottom approach so that the p-orbitals interact and mix. A side-to-side overlap would not form  $\sigma$ -bonds from p-orbitals.
- Accelerating Diels-Alder reactions.





(c) Various dienes (steric effects).

Figure 2.19: The relative rate of reaction of different Diels-Alder substrates.

- 1. Raise the HOMO by putting EDGs on the diene (Figure 2.19a).
  - Adding a methoxy substituent (an EDG) will increase the rate regardless of the position to which you add it.
  - However, interestingly enough, it will increase the rate more when added to some positions over other positions.
  - This is because of the difference between **cross-conjugation** and regular conjugation.
- 2. Lower the LUMO by putting EWGs on the dienophile (Figure 2.19b).
  - From left to right, the names of these seven compounds are: ethylene, acrylonitrile, propenal, cis-1,2-dicyanoethene, para-quinone, tetracyanoethene, and 4-<u>p</u>henyl-1,2,4-<u>t</u>ri<u>a</u>zole-3,5-<u>d</u>ione (PTAD<sup>[6]</sup>).
- 3. Enforce the **s-***cis* configuration (Figure 2.19c).
  - The leftmost compound is locked in the **s-***trans* conformation.
  - The next one has a big steric clash between methyl groups, so it's much more stable in the s-trans configuration.
  - Buta-1,3-diene likes to be s-trans because it still has sterics from the hydrogens.
  - Penta-1,3-diene has the same mild steric preference for s-trans as buta-1,3-diene.
    - However, certain stereoelectronic effects (which you'll work out on PSet 4!) promote its reactivity.
    - Essentially, methyl groups are slightly electron-donating.
  - Cyclopentadiene is locked in an s-cis conformation.
- Cross-conjugated (molecule): A molecule containing multiple olefins that despite being arranged in a row do not delocalize efficiently.

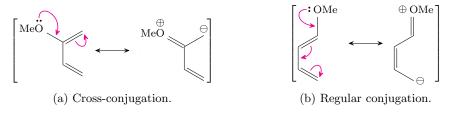


Figure 2.20: Cross-conjugation vs. regular conjugation.

- Notice that for the molecule in Figure 2.20a, we cannot draw a resonance structure that engages the bottom  $\pi$ -bond.
- In contrast, regular conjugation (Figure 2.20b) disperses the oxygen's electron density across the entire  $\pi$ -system.
- s-cis (conformer): The rotational isomer of a diene in which the alkenes are cis relative to the  $\sigma$ -bond.



Figure 2.21: s-cis diene.

 $<sup>^6</sup>$ According to Sauer and Schröder (1967), PTAD is approximately  $10^5$  times faster than tetracyanoethene. This means that it is approximately  $4 \times 10^{12}$  times faster than acrylonitrile!

• s-trans (conformer): The rotational isomer of a diene in which the alkenes are trans relative to the  $\sigma$ -bond.



Figure 2.22: s-trans diene.

• Essentially, olefins can be *cis* or *trans*.

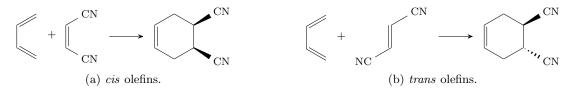


Figure 2.23: Reacting *cis* and *trans* olefins in the Diels-Alder.

- When you react the *cis*-olefin in a Diels-Alder, you get (exclusively) the *cis*-product.
- When you react the *trans*-olefin in a Diels-Alder, you get (exclusively) the *trans*-product.
- This means that the Diels-Alder is **stereospecific**.<sup>[7]</sup>
- On the other hand, dienes can be s-cis or s-trans.



Figure 2.24: s-cis and s-trans conformers rapidly interconvert.

- The "s" stands for "sigma bond."
- These two diene conformers are not discrete species; rather, they interconvert like the gauche, anti, staggered, etc. conformers of ethane.
- Only s-cis dienes react in Diels-Alders, so enforcing that geometry accelerates the reaction.
- Stereospecific (reaction): A reaction in which the stereochemistry of the reactants translates directly into a single stereochemical product.
- Stereoselective (reaction): A reaction in which when a certain stereochemical product is favored, but a mixture is still produced and the stereochemistry of the reactants doesn't exert excessive influence.
- **Stereoretentive** (reaction): A reaction in which the exact stereocenters present in the starting material are conserved in the product.
- Does the rightmost diene in Figure 2.19a have to be trans at the upper alkene?
  - Yes; we'll talk about that more next lecture.
- Can you lower the LUMO so much that the Diels-Alder reaction no longer proceeds?
  - Yes! This is related to **inverse electron-demand** Diels-Alder reactions, discussed next Monday.
- Can you have a photochemical Diels-Alder?
  - They're quite rare, but you can do similar things.
  - Note: Lewis acid acceleration of Diels-Alders will also be discussed next Monday.

<sup>&</sup>lt;sup>7</sup>Next lecture, you will learn how the Diels-Alder is **stereoselective** but still not **stereoretentive**.

#### • Regioselectivity.

MeO 
$$+$$
 CHO  $+$  CHO

MeO 
$$+$$
  $\parallel$  CHO  $+$  CHO  $+$  CHO

$$\begin{bmatrix} \text{MeO} & & \\ & & \\ & & \end{bmatrix}$$

(c) Diene (resonance).

(d) Dienophile (resonance).

(e) Diene (hyperconjugation).

$$\begin{array}{c} \delta^{-} \\ O \\ \\ \delta^{+} \end{array}$$

(f) Dienophile (hyperconjugation).

$$MeO \xrightarrow{\ominus} \bigoplus$$

(g) Resonance matching.

MeO 
$$\delta^ \delta^+$$
  $\delta^+$  O

(h) Hyperconjugation matching.

Figure 2.25: Diels-Alder regioselectivity.

- Observation: Depending on how the diene and dienophile are oriented when they react, we could conceivably form two different products (Figures 2.25a-2.25b).
  - $\blacksquare$  These two products are called the *meta*-product and the *para*-product.

- So which product do we actually get?
  - We will determine this by using either resonance or hyperconjugation/partial negative charges to identify and match the electron-rich and electron-poor sites on our diene and dienophile. [8]
  - You may use whichever method your prefer since they give the same result, but you should learn both!!
- The resonance analysis (Figures 2.25c-2.25d).
  - As in Figure 2.20, push arrows as far as we can to get the reactive resonance structure.
- The hyperconjugation analysis (Figures 2.25e-2.25f).
  - Begin with an atom that we *know* will have a partial positive  $(\delta^+)$  or partial negative  $(\delta^-)$  charge.
    - $\succ$  For example, we know that oxygen will be  $\delta^-$  because it is the most electronegative atom in both structures.
    - $\triangleright$  Thus, we can label it first in both Figures 2.25e and 2.25f.
  - Then expand out over the rest of the conjugated system, alternating  $\delta^+$  or  $\delta^-$  atom-to-atom.
    - > So since oxygen is  $\delta^-$ , the carbon  $\alpha$  to it should be  $\delta^+$ , the carbon(s)  $\beta$  to it should be  $\delta^-$ , the carbon(s)  $\gamma$  to it should be  $\delta^+$ , etc.
  - Keep track of the partial charges on the termini of the diene and dienophile (i.e., the reactive sites). These are circled in Figures 2.25e-2.25f.
- Notice the agreement/consistency between the two methods!
  - Indeed, the carbanion in Figure 2.25c corresponds to a  $\delta^-$  carbon in Figure 2.25e, and the carbocation in Figure 2.25d corresponds to a  $\delta^+$  carbon in Figure 2.25f.
- Once we have performed either analysis, matching up the negatives on the diene to the positives on the dienophile and vice versa predicts our product!
  - Thus, by both analyses, the *para*-product is favored!
  - This matching of positive and negative charges is indicative of the maxim that "organic chemistry is just magnets everywhere."
- Exercise: Try drawing the meta-product, which will force you to put positive near positive and negative near negative.
  - "That's not fun, that's not how magnets work."
- *meta*-product: The product of a Diels-Alder reaction in which the substituents would be oriented *meta* to each other on the six-membered ring, if the six-membered ring were aromatic.
- para-product: The product of a Diels-Alder reaction in which the substituents would be oriented para to each other on the six-membered ring, if the six-membered ring were aromatic.
- Prof. Elkin has many more examples, but will go through them on Monday.

<sup>&</sup>lt;sup>8</sup>Note that there is also a secret third method: MO theory! See Clayden et al. (2012, p. 890) for how to do this. As we would expect, the predictions we get by both resonance and hyperconjugation match the predictions of MO theory. (Note also that you are not required to learn the MO theory method because it was not covered in class; this comment is purely to point out an interesting connection:)