## Simulation Result For Three-Level Intercept Model With Low Prevalence

The mean prevalence for this simulation is 12 %

Shafayet Khan Shafee

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## Histograms for $log(\widehat{MOR})$

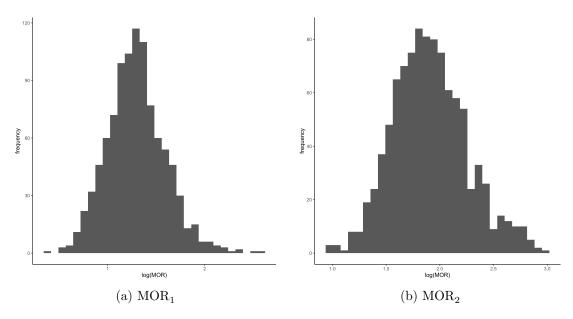


Figure 1: Hospitals = 20, Doctors = 10, Patients = 5

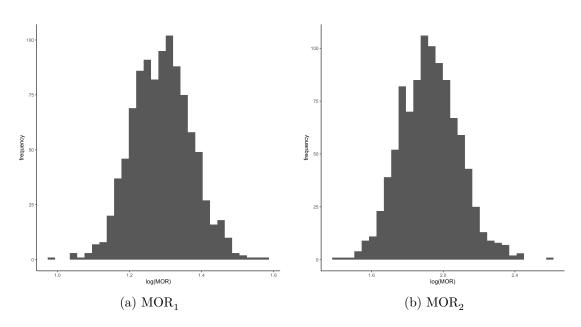


Figure 2: Hospitals = 40, Doctors = 20, Patients = 10

## **Simulation Result Table**

								$MOR_1$						$MOR_2$						
$\mathrm{L}^1$	$M^2$	$N^3$	$\widehat{eta_0}$	$\widehat{eta_1}$	$\widehat{eta_2}$	$\widehat{\sigma_{u_{jk}}^2}$	$\widehat{\sigma_{v_k}^2}$	$\widehat{MOR}_1$	$\begin{aligned} & \text{Rel.} \\ & Bias_1 \\ & (\%) \end{aligned}$	$\widehat{SE_1}_{MO}$	$\widehat{Sim}.$ $R  \widehat{\widehat{SE}_1}_{MO}$	$Ratio_1^{\ 4}$	CI- $coverage$ $(95%)$	$e_1 \widehat{MOR}_2$	${\rm Rel.} \\ Bias_2 \\ (\%)$	$\widehat{SE_2}_{MO}$	$\stackrel{ ext{Sim.}}{R  \widehat{SE_2}}_{MC}$	$Ratio_2^{\ 4}$	CI- $coverage$ $(95%)$	Model Con- ver- gence
20	10	5	-4.11	1.74	0.69	1.94	2.20	3.83	-0.70	1.33	1.35	0.99	0.94	7.18	-5.07	1.39	1.42	0.98	0.89	0.98
40	20	10	-4.08	1.74	0.67	1.84	2.27	3.64	-5.42	1.09	1.08	1.00	0.88	6.95	-8.12	1.16	1.18	0.99	0.83	1.00

Note:

$$^{4} \text{ Ratio} = \frac{\widehat{SE}_{MOR}}{Simulation \ \widehat{SE}_{MOR}}$$
 \* The mean prevalence for this simulation is 12%

 $<sup>^{1}</sup>$  Number of Hospital

<sup>&</sup>lt;sup>2</sup> Number of Doctors

<sup>&</sup>lt;sup>3</sup> Number of patients

 $<sup>^\</sup>dagger$  True  $MOR_1$  is 3.85

<sup>†</sup> True  $MOR_2$  is 7.56 § True  $\sigma^2_{u_{jk}}$  is 2 ¶ True  $\sigma^2_{v_k}$  is 2.5 \*\* True Values of  $\beta_0=-4.1,\,\beta_1=1.75,\,\beta_2=0.67$