# Intervention: Standing Waves in Stretched Strings

By Shafiq R

Improving Understanding of Standing Waves in

Stretched Strings: A Small-Group Physics Intervention

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Introduction

Standing waves in stretched strings are a foundational concept in wave physics and acoustics.

Mastery of this topic is essential for understanding resonance, harmonics, and the relationship

between wave speed, frequency, and wavelength. Despite its importance, students frequently

struggle with applying the relevant equations and visualizing the wave patterns. This in-

tervention was designed to support a small group of students in addressing conceptual and

computational difficulties through targeted instruction, guided inquiry, and the use of visual

and physical learning tools.

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#### Theoretical Framework

This intervention draws upon constructivist learning theory, which emphasizes that learners construct new understanding by actively engaging with content and reconciling it with their prior knowledge. In the context of wave phenomena, abstract visualizations and non-intuitive relationships between variables often lead to persistent misconceptions.

The instructional design also aligns with the cognitive conflict model, in which conceptual change is prompted when students encounter discrepancies between their preconceived ideas and observed evidence. By engaging students in simulations, hands-on demonstrations, and scaffolded problem-solving tasks, the intervention aimed to destabilize incorrect notions and rebuild more accurate mental models of standing wave behavior in strings.

Physics-wise, the theoretical model of standing waves in a stretched string fixed at both ends involves boundary conditions that restrict wave patterns to those with nodes at the endpoints and integral multiples of half-wavelengths fitting the string. The wave frequency is determined by the string's length, tension, and linear mass density, reinforcing the relationships defined by the wave speed formula  $v = \sqrt{T/\mu}$  and harmonic frequency  $f_n = n \frac{v}{2L}$ .

### Context and Rationale

The need for this intervention was identified through a diagnostic assessment conducted in a Malaysian Matriculation Physics class. The diagnostic revealed that several students misidentified harmonic patterns on strings and applied incorrect formulas when calculating frequencies. Four students who scored below 50% were selected for a focused two-session intervention.

The students, aged 18-19, had completed a general introduction to wave motion and sound. They were familiar with basic terms such as wavelength, amplitude, and frequency but showed difficulty distinguishing between fundamental and higher harmonics and understanding the constraints imposed by boundary conditions on a stretched string fixed at both ends.

# Instructional Design

The instructional sequence was divided across two 45-minute sessions. In the first session, the teacher began with a brief conceptual review of transverse waves and standing wave formation. This was followed by a video demonstration using a string and mechanical oscillator to produce the fundamental and overtone patterns visually.

To reinforce the lesson, students interacted with the oPhysics simulation "Standing Waves on Strings", which allowed them to adjust tension and frequency to explore how standing waves form. The teacher guided students through specific tasks on the simulation to help them discover patterns in node and antinode formation and frequency relationships.

Students worked collaboratively on a worksheet involving:

- identifying standing wave patterns for the first four harmonics,
- using  $f_n = n \frac{v}{2L}$  to calculate harmonic frequencies,
- comparing results across different string tensions.

Real-world relevance was incorporated by analyzing how musical instruments like guitars and violins exploit string tension and length to produce desired pitches. Students reflected on how these principles are applied in tuning instruments.

# Observed Challenges and Responses

Several conceptual and procedural difficulties were observed:

• Harmonic Misidentification: Some students confused the second harmonic with the third, miscounting the number of antinodes. This was corrected by referring to simulation visuals and comparing their waveforms.

- Formula Confusion: A few students used formulas intended for closed tubes  $(f_n = n\frac{v}{4L})$  instead of for strings. The distinction between boundary conditions was explicitly discussed.
- Wave Speed Calculation Errors: Errors arose when calculating  $v = \sqrt{T/\mu}$ , where students confused tension (T) with force in other contexts. The teacher demonstrated correct use with physical string tension examples.

Through ongoing feedback, individual questioning, and group dialogue, misconceptions were addressed, and understanding improved during the sessions.

#### **Assessment and Outcomes**

Pre- and post-tests consisting of three structured questions were administered. Each test was scored out of 10 marks.

Student Performance (Scores out of 10 and Percentages):

Student	Pre (%)	Post (%)	Pre (/10)	Post (/10)	Gain	Normalized Gain
A	30%	80%	3	8	+5	0.71
В	40%	70%	4	7	+3	0.50
С	30%	70%	3	7	+4	0.57
D	20%	60%	2	6	+4	0.50

The average pre-test score was 3.0 out of 10 (30%), while the post-test average improved to 7.0 out of 10 (70%). The normalized gain, calculated as:

$$g = \frac{\text{Post} - \text{Pre}}{10 - \text{Pre}}$$

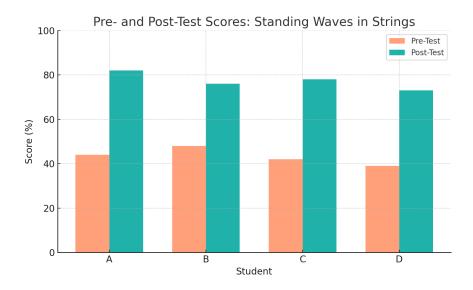


Figure 1: Pre- and post-test percentage scores for standing wave intervention on strings.

indicates a medium to high level of improvement, consistent with effective conceptual gains.

# Discussion

The intervention showed a clear positive impact on the students' understanding of standing waves in stretched strings. The results of the pre- and post-test indicated substantial learning gains, with the average performance increasing from 30% to 70%. These results support the efficacy of combining visual tools and scaffolded problem-solving within a small-group setting.

From a theoretical perspective, the use of simulations and physical demonstrations effectively leveraged cognitive conflict to promote conceptual change. Students were asked revise misconceptions such as misidentifying harmonics or misapplying boundary-specific formulas. By visually observing the correct harmonic modes and receiving immediate feedback during tasks, the students refined their internal models in alignment with the expected physical behavior.

The collaborative structure encouraged peer dialogue and allowed teacher facilitation targeted at each student's zone of proximal development. This aligns with constructivist prin-

ciples that emphasize socially-mediated learning.

Some remaining confusion, particularly around tension and wave speed relationships, suggests that integrating real-time measurement tools, like digital force sensors or wave tracking, could further solidify conceptual links in future iterations. However, the intervention effectively addressed the initial gaps identified in the diagnostic phase and can serve as a replicable model for other challenging physics topics.

#### Reflection and Recommendations

The small-group format allowed for personalized instruction, immediate feedback, and peer discussion, which collectively enhanced learning outcomes. The combination of physical demonstration and simulation was particularly effective in resolving conceptual misconceptions.

For future interventions, incorporating real-time pressure or displacement sensors could enhance conceptual understanding. Additionally, using formative assessment checkpoints throughout the sessions may help detect misunderstandings earlier. Simulations remain a valuable tool, especially for abstract or non-visible wave concepts.

#### Pre & Post Test

#### Question 1: Frequency of Harmonics

Task: A string is 0.6 m long and supports a wave speed of 180 m/s. Calculate the frequency of the third harmonic.

Solution:

$$f_3 = 3 \cdot \frac{v}{2L} = 3 \cdot \frac{180}{2 \cdot 0.6} = 3 \cdot 150 = 450 \text{ Hz}$$

#### Marking Scheme:

- 1 mark for correct substitution
- 1 mark for correct final answer

#### Question 2: Tension and Wave Speed

Task: A string has a linear mass density  $\mu = 0.002$  kg/m and is under a tension of 72 N. Calculate the wave speed in the string.

Solution:

$$v = \sqrt{\frac{T}{\mu}} = \sqrt{\frac{72}{0.002}} = \sqrt{36000} \approx 189.74 \text{ m/s}$$

#### Marking Scheme:

- 1 mark for correct substitution
- 1 mark for correct final answer

#### Question 3: Length from Frequency

Task: The second harmonic of a string has a frequency of 400 Hz. If the wave speed is 200 m/s, calculate the length of the string.

Solution:

$$f_2 = 2 \cdot \frac{v}{2L} \Rightarrow L = \frac{v}{f_2} = \frac{200}{400} = 0.5 \text{ m}$$

# Marking Scheme:

- 1 mark for correct rearrangement and substitution
- ullet 1 mark for correct final answer

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