



L1. Introduction to Sliding Window and 2 Pointers | Templates | Patterns

1. Constant Window

arr [-1 2 3 3 4 5 -1] $k = 4$

maxSum

sum = 7 \rightarrow for ($i = l \rightarrow n$) $l = 0, n = k - 1$

while ($n < n - 1$)

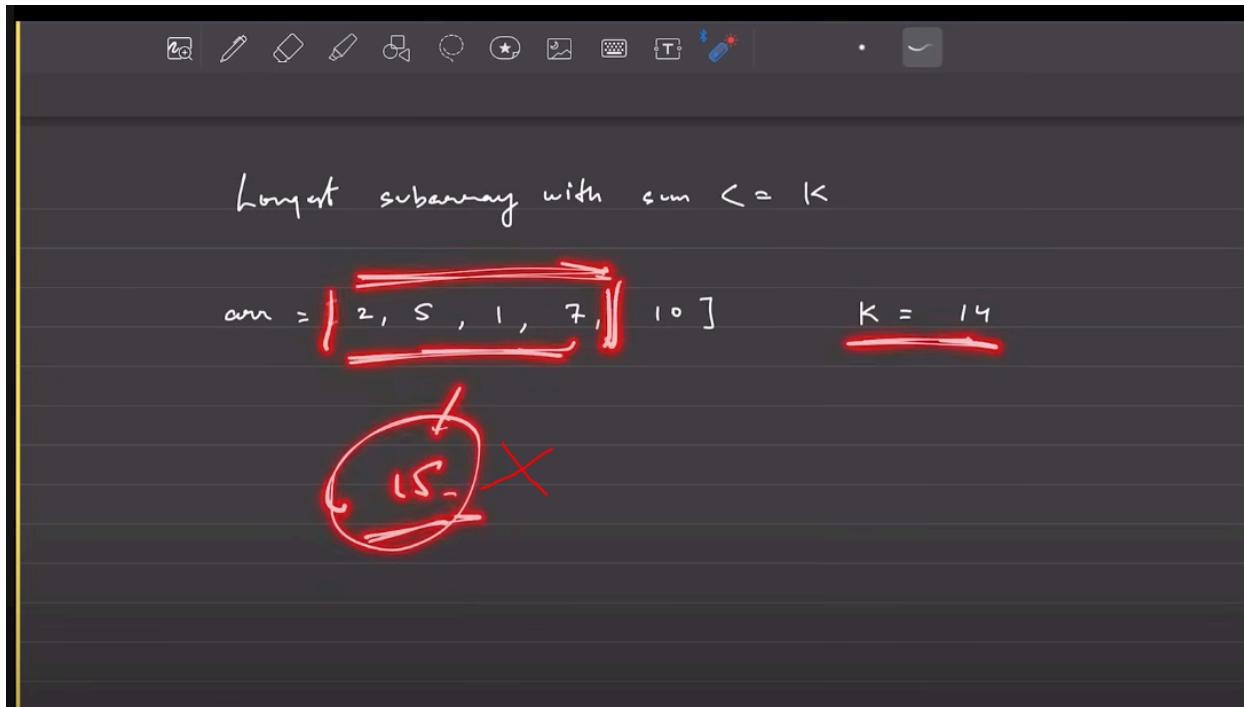
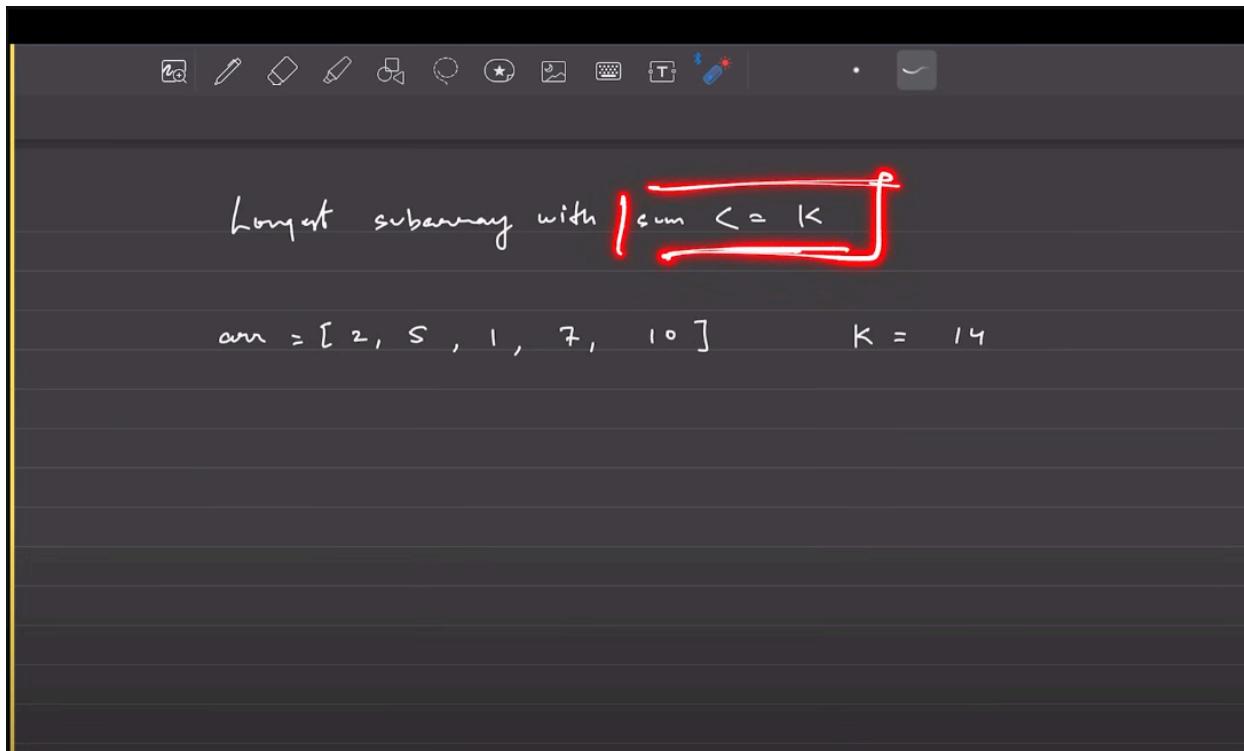
 sum = sum - arr [l]
 $l++$;

\rightarrow $n++$
 sum = sum + arr [n];

 maxSum = max (maxSum, sum);

\vdots

A video camera view of a person with a beard and red shirt is visible on the right side of the screen.



Longest subarray with sum $\leq k$

arr = [2, 5, 1, 7, 10] $k = 14$

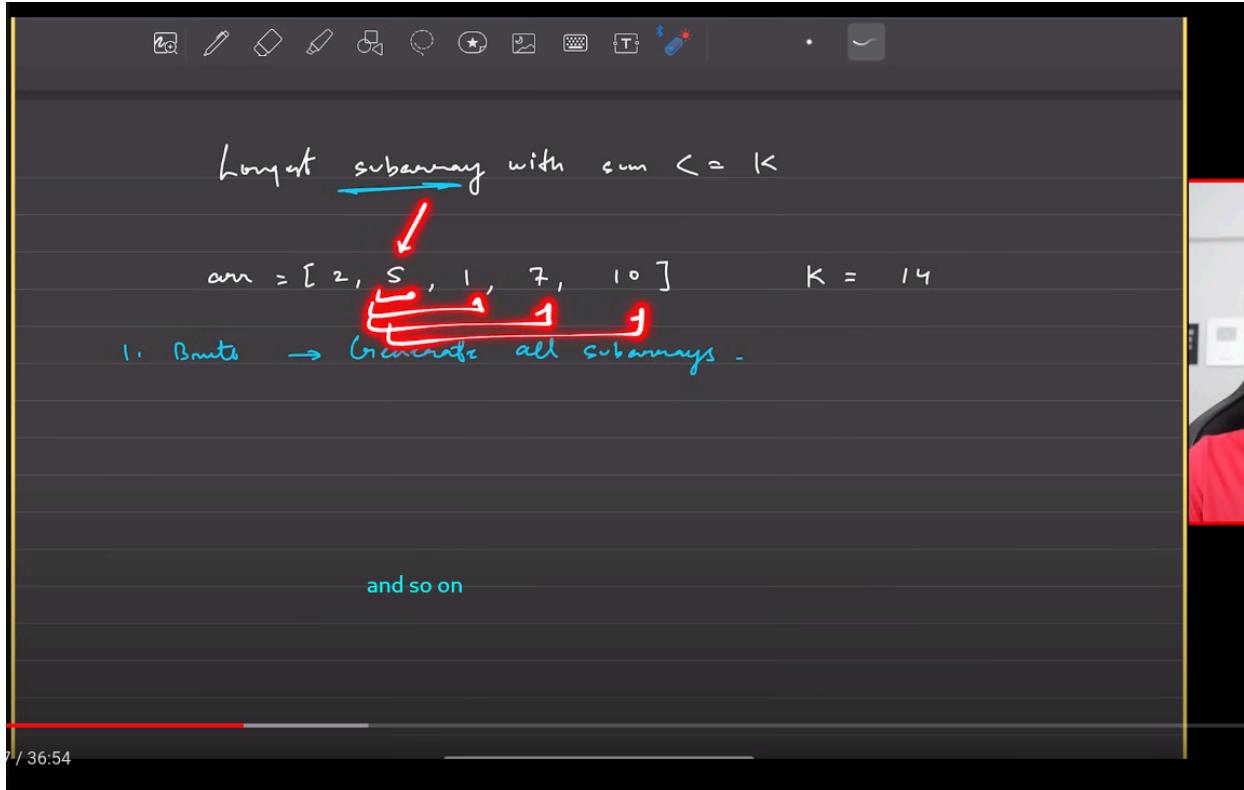
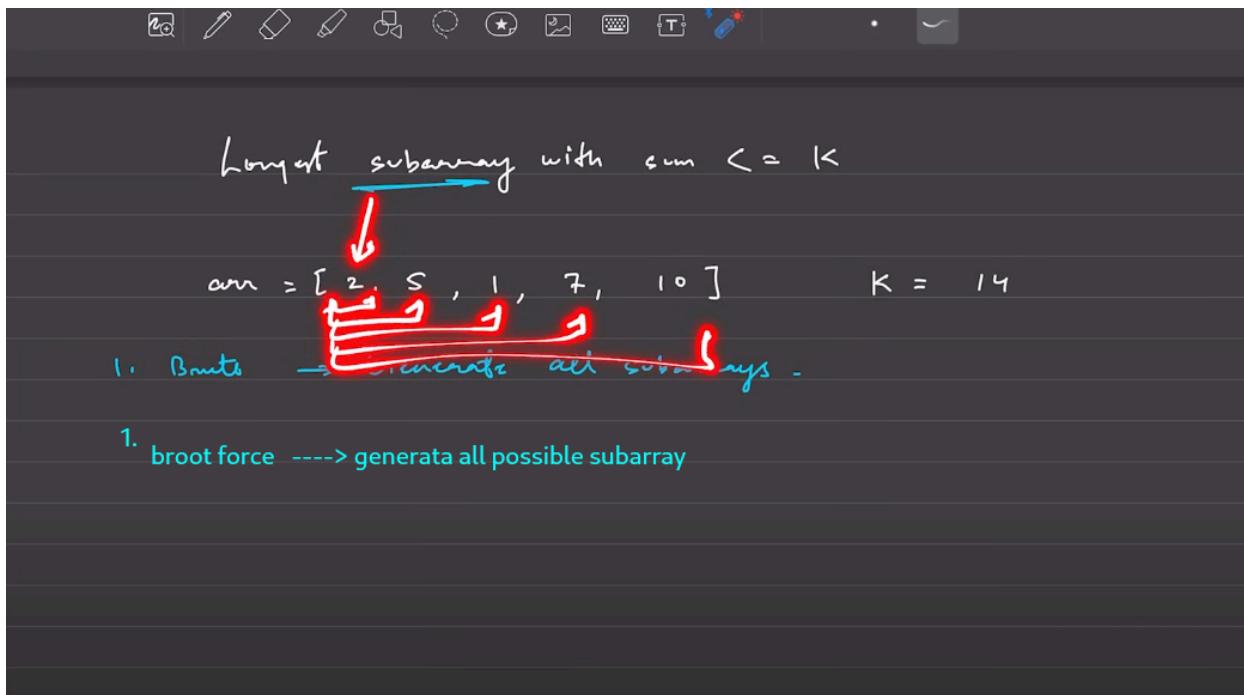
The diagram shows a subarray [5, 1, 7] highlighted with a red box. Red arrows point from the left boundary of the box to the number 13 below it, and from the right boundary to the symbol ' \leq ' followed by '='. A red checkmark is at the bottom.

two pointers / sliding window

1. Constant Window

2. Longest subarray / substring where $\langle \text{condition} \rangle$

- Brute
- Better
- Optimal



Longest subarray with sum $\leq K$

i

arr = [2, 5, 1, 7, 10] $K = 14$

1. Brute

 all subarrays -

$\underset{\zeta}{\text{fun}} (i = 0 \rightarrow n-1)$

$\underset{\zeta}{\text{fun}} (i = 0 \rightarrow n-1)$

$\underset{\zeta}{\text{fun}} (j = i \rightarrow n-1)$

}

}



1. Brute → Grenzen für alle subarrays -

man(n = 0

fun(i = 0 → n-1)

 sum = 0

 fun(j = i → n-1)

 ↳ sum = sum + arr[j] ;
 if (sum <= 1e)

 manlen = man(manlen, j-i+1) ;
 else if (sum > 1e) break ;

TL → O(n^2)

SC → O(1)



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 sum = 0

 fun(j = i → n-1)

 ↳ sum = sum + arr[j] ;
 if (sum <= 1e)

 manlen = man(manlen, j-i+1) ;
 else if (sum > 1e) break ;

}

 }

print(manlen);



Longest subarray with sum $\leq k$

arr = [2, 5, 1, 7, 10]
l
r

sum = 0

1. Expand $\rightarrow r$
2. Shrink $\rightarrow l$

start with the window size of 1 and there is 2 possible work 1. expand $\rightarrow r$
2. shrink $\rightarrow l$

Longest subarray with sum $\leq k$

arr = [2, 5, 1, 7, 10]
l r

sum = 7

maxLen = 1

1. Expand $\rightarrow r$
2. Shrink $\rightarrow l$

longest subarray with sum $\leq k$

arr = [2, 5, 1, 7, 10] $k = 14$

sum = $\cancel{2+5+8}$ maxLen = $\cancel{2}$

1. Expand $\rightarrow r$
2. Shrink $\rightarrow l$

longest subarray with sum $\leq k$

arr = [2, 5, 1, 7, 10] $k = 14$

sum = $\cancel{2+5+8}$ maxLen = $\cancel{2}$

$\boxed{r-l+1}$

1. Expand $\rightarrow r$
2. Shrink $\rightarrow l$

at any moment the length of the window is $(r-l+1)$

longest subarray with sum $\leq K$

arr = [2, 5, 1, 7, 10] $> K = 14$ false

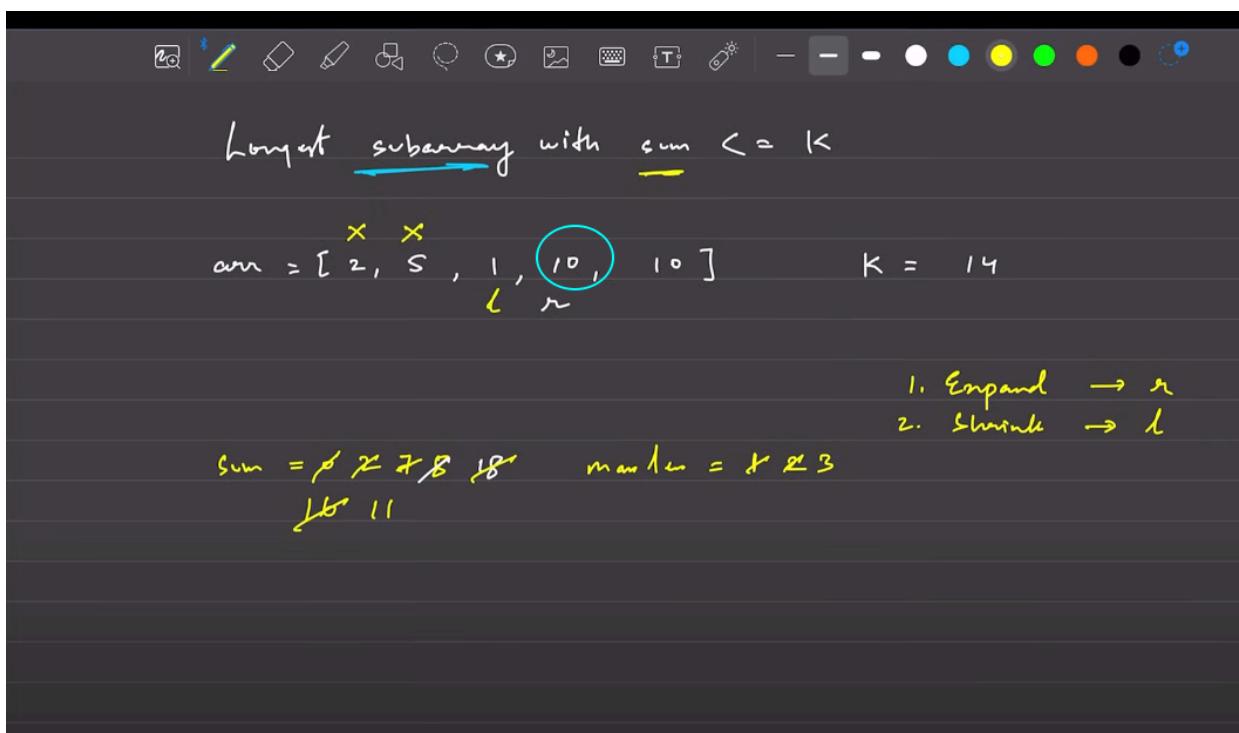
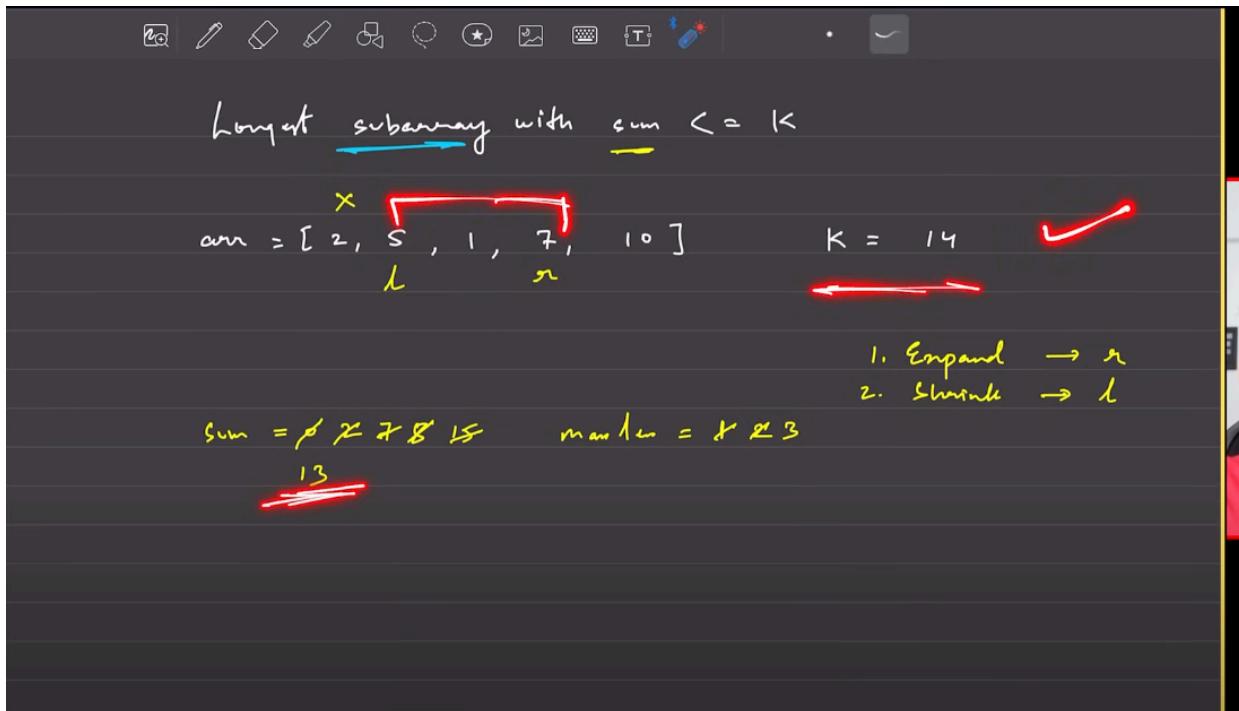
sum = ~~2 + 5 + 1 + 7 + 10~~ 15 maxLen = ~~5~~ 3

jokhon e kono false condition hoba tokhon e window shrink kora suru korbo ata cholbe joto khon
condition satisfied na hoy

longest subarray with sum $\leq K$

arr = [~~2, 5~~, 1, 7, 10] $K = 14$

sum = ~~2 + 5 + 1 + 7 + 10~~ 15 maxLen = ~~5~~ 3



$\text{arr} = [2, 5, 1, 10, 10]$ $K = 14$

$\{ = 0 \quad n = 0 \quad \boxed{\text{sum} = 0} \quad \text{maxlen} = 0$

```

while ( $n < n$ )
{
    sum = sum + arr[n];
    while ( $\text{sum} > K$ )
    {
        sum = sum - arr[l];
        l = l + 1;
    }
    if ( $\text{sum} \leq K$ )
        maxlen = maxlen  $\max(\text{maxlen}, n - l + 1)$ ;
    n = n + 1;
}

```

Stone
 l, n

print (maxlen)

$\text{arr} \rightarrow \begin{matrix} 2 & 5 \\ \cancel{1} & \cancel{10} \end{matrix} \quad \begin{matrix} 10 \\ n \end{matrix} \quad K = 14$

$\text{sum} = 2 + 5 + 10 + 10 = 27$ $\text{maxlen} = 10 - 1 + 1 = 10$

✓ while ($n < n$)
 ?

if $\lceil \sum > 1k \rceil$ → condition

$\text{sum} > 15 \}$

$$\text{sum} = \text{sum} - \text{arr}[k] \quad \}$$

$L = L + 1$;

$\sum \leftarrow 0$

$$m \alpha + m = m \alpha (m \alpha \beta \alpha, n - l +$$

$$= n+1$$

10. The following table shows the number of hours worked by 1000 employees in a company.

$$T_C \rightarrow 0 (\overline{N})$$

$$5c \rightarrow 0(1)$$

Two pointer / Sliding Window

1. Constant Window

2. Longest subarray / substring where \langle condition \rangle

- Brute ✓
- Baffler ✓
- Optimal ✓

3. No. of subarrays where \langle conditions \rangle

→ Using pattern 2

