## **Template: Study Material**

<mrs. anantmati<br="">S. Patil&gt;</mrs.>	<date: 07="" 2020="" 4=""></date:>	<mr. arjun="" d.="" wandhekar=""></mr.>
Key words: Index Form, Logarithmic form	Learning Objective: Solve the given simple problem based on laws of logarithm.	Diagram/ Picture If $2^4 = 16$ then $log_2 16 = 4$
Key Questions: Did you know the logarithmic form? Have you wondered how to add or subtract two logarithms?	Concept Map  Derivative  Multiplicatio n or Division  Function  Application of Logarithm	Index Form Logarithmic Form
Solved word Problem. Evaluate: $\log_2 8 + \log_2 3 - \log_2 6$ Solution: Using laws of logarithm $\log_2 8 + \log_2 3 - \log_2 6 = \log_2 \left(\frac{8\times3}{6}\right) = \log_2 4 = \log_2(2^2) = 2 \times \log_2 2 = 2 \times 1 = 2$	Definition:         If y = ax, a > 0, a ≠ 1, a ∈ R, then x is called logarithm of y to the base a and it is written as $x = log_a y$ .         For example,       1) If $8 = 2^3$ then $3 = log_2 8$ 2) If $3^4 = 81$ then $log_3 81 = 4$ Note: i) $a^x = y$ is called Exponential form or Index form and $x = log_a y$ is called Logarithmic form of the same expression.         ii) Logarithm of negative number and zero are not defined.         LAWS OF LOGARITHM:         1. $log_a (m \times n) = log_a m + log_a n$ 2. $log_a (\frac{m}{n}) = log_a m - log_a n$ 3. $log_a (m)^n = n log_a m$ 4. $log_n m = \frac{log_a m}{log_a n}$ Note:         1. $a^0 = 1 ∴ log_a 1 = 0$ 2. $a^1 = a ∴ log_a a = 1$ 3. $a^{log_a y} = y$ Application of Concept/ Examples in real life: It is used to deal with multiplication and division of more number of functions.	Key Definitions/ Formulas Definition: If $y = a^x$ , $a > 0$ , $a \ne 1$ , $a \in R$ , then $x$ is called logarithm of $y$ to the base $a$ and it is written as $x = \log_a y$ .  LAWS OF LOGARITHM: $\log_a (m \times n) = \log_a m + \log_a n$ $\log_a (m)^n = \log_a m - \log_a n$ $\log_a (m)^n = n \log_a m$ $\log_a m = \frac{\log_a m}{\log_a n}$ Link to YouTube/ OER/video: https://www.khanacademy

Key Take away from this LO: Laws of logarithm			