<Course Code:22103>: <Subject Code: BMS>: <Subject Name: Basic Mathematics>: <Matrices>:

<UO-1.3.2>: <Assessments>: <Formative>

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Assessment Type: Formative Assessments: Embedded questions in video

Set 1: Question No 1	Set 1: Question No 2	Set 1: Question No 3	
State the order of the product matrix A×B if matrix A is of order 2×3 and matrix B is of order 3×3.	State the order of the product matrix B× A if matrix A is of order 2× 2 and matrix B is of order 3×3.	State the order of transpose of matrix 2 0 -1	
Recall/ Remembering	Understanding	Application	
a) 3×3	a) 2×2	a) 2 × 1	
b) 2×2	b) 3 × 2	b) 1×2	
c) 2×3	c) 3 × 3	c) 1 × 3	
d) 3×2	d) product does not exist	d) 3×1	
Ans: <c></c>	Ans: <d></d>	Ans: <c></c>	

Set 2: Question No 1	Set 2: Question No 2	Set 2: Question No 3
Which of the following is true in matrices? 1. $A \times B = B \times A$ 2. $(A \times B)^t = B^t \times A^t$	If $A = \begin{bmatrix} 1 & 0 \\ 1 & -1 \end{bmatrix}$ then $A^2 = ?$	If $A = \begin{bmatrix} 1 & 0 \\ -1 & 1 \end{bmatrix}$, $B = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$ then to find a matrix 'X' such that AX = B, order of X should be
Recall/ Remembering	Understanding	Understanding
a) Only 1	a) $\begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix}$	a) 2 × 2
b) Only 2	b) $\begin{bmatrix} 1 & 0 \\ 2 & 1 \end{bmatrix}$	b) 2 × 3
c) Both	c) $\begin{bmatrix} 1 & 0 \\ 1 & -1 \end{bmatrix}$	c) 3 × 2
d) none	d) $\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$	d) 3 × 3
Ans: 	Ans: <d></d>	Ans:

Assessment Type: Summative: End of CO: in LMS

Summative: Q 1	Summative: Q 2	Summative: Q 3	Summative: Q 4	Summative: Q 5
If $A = \begin{bmatrix} 2 & -1 \\ 4 & 3 \end{bmatrix}$,	If $A = \begin{bmatrix} 2 & -1 \\ 4 & 3 \end{bmatrix}$,	If $A = \begin{bmatrix} 2 & -1 \\ 4 & 3 \end{bmatrix}$,	If $A = \begin{bmatrix} 2 & -1 \\ 4 & 3 \end{bmatrix}$,	If $A = \begin{bmatrix} 2 & -1 \\ 4 & 3 \end{bmatrix}$,
$B = \begin{bmatrix} 3 & -2 \\ -1 & 4 \end{bmatrix}, \text{ find AB}$	$B = \begin{bmatrix} 3 & -2 \\ -1 & 4 \end{bmatrix}, \text{ find BA}$	Find A ²	$B = \begin{bmatrix} 3 & -2 \\ -1 & 4 \end{bmatrix}, \text{ find}$ $(AB)^{T}$	$B = \begin{bmatrix} 3 & -2 \\ -1 & 4 \end{bmatrix}, \text{ find}$ $B^{T}A^{T}$
Recall/ Remembering	Understanding	Understanding	Understanding	Understanding
$a)\begin{bmatrix} 5 & -8 \\ 15 & 4 \end{bmatrix}$	$a)\begin{bmatrix} 5 & -8 \\ 15 & 4 \end{bmatrix}$	$a)\begin{bmatrix} 0 & -5 \\ -4 & 5 \end{bmatrix}$	$a)\begin{bmatrix} 5 & -8 \\ 15 & 4 \end{bmatrix}$	$a)\begin{bmatrix} 5 & -8 \\ 15 & 4 \end{bmatrix}$
b) [7 -8]	b) $\begin{bmatrix} 7 & -8 \\ 9 & 4 \end{bmatrix}$	b) $\begin{bmatrix} 0 & -5 \\ 20 & 5 \end{bmatrix}$	b) [7 -8]	b) $\begin{bmatrix} 7 & -8 \\ 9 & 4 \end{bmatrix}$
7,19 4]	[2, [6 4]	5,[20 5]	[³ / ₁ 9 4]	3, [6 4]
c) $\begin{bmatrix} 7 & 9 \\ -8 & 4 \end{bmatrix}$	c) [7 9]	c) $\begin{bmatrix} 8 & -5 \\ 20 & 5 \end{bmatrix}$	c) [7 9]	c) [7 9]
a\[-2 -9]	d) [-2 -9]	d) [4 1]	a) [-2 -9]	d) [-2 -91
d) $\begin{bmatrix} -2 & -9 \\ 14 & 13 \end{bmatrix}$	d) $\begin{bmatrix} -2 & -9 \\ 14 & 13 \end{bmatrix}$	d) [4 1] 16 9]	$d) \begin{bmatrix} -2 & -9 \\ 14 & 13 \end{bmatrix}$	d) $\begin{bmatrix} -2 & -9 \\ 14 & 13 \end{bmatrix}$
Ans: 	Ans: <d></d>	Ans: 	Ans: <c></c>	Ans: <c></c>

Assessment Type: Practice Worksheets: End of CO: in LMS/ downloadable PDF

A. If
$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$$
 and $B = \begin{bmatrix} 1 \\ 9 \\ 8 \end{bmatrix}$, find AB

B. If
$$\left\{ 3 \begin{bmatrix} 3 & 1 \\ 4 & 0 \\ 3 & -3 \end{bmatrix} - 2 \begin{bmatrix} 0 & 2 \\ -2 & 3 \\ -5 & 4 \end{bmatrix} \right\} \begin{bmatrix} -1 \\ 2 \end{bmatrix} = \begin{bmatrix} x \\ y \\ z \end{bmatrix}$$
, find x, y, z

A. Answer Space

B. Answer Space

Find x and y satisfying the matrix equation

$$\begin{bmatrix} 1 & 2 \\ 3 & 2 \end{bmatrix} \begin{bmatrix} x & y & 3 \\ 3 & -1 & 2 \end{bmatrix} = \begin{bmatrix} 7 & 0 & 7 \\ 9 & 4 & 13 \end{bmatrix}$$

If $A = \begin{bmatrix} 2 & 5 \\ 6 & 7 \end{bmatrix}$, find $A^2 + 4A + 2I$

C.	Answer Space	D.	Answer Space
	[0 1 -1]	F.	Find x & y if
E.	If $A = \begin{bmatrix} 0 & 1 & -1 \\ 4 & -3 & 4 \\ 3 & -3 & 4 \end{bmatrix}$ prove that $A^2 = I$	4[$\begin{bmatrix} 1 & 2 & 0 \\ 2 & -1 & 3 \end{bmatrix} - 2 \begin{bmatrix} 1 & 3 & -1 \\ 2 & -3 & 4 \end{bmatrix} \end{bmatrix} \begin{bmatrix} 2 \\ 0 \\ -1 \end{bmatrix} = \begin{bmatrix} x \\ y \end{bmatrix}$
			1-11

E.	Answer Space	F.	Answer Space
	[2 4 4]		If $A = \begin{bmatrix} 1 & -3 \\ -2 & -1 \end{bmatrix}$, $B = \begin{bmatrix} 1 & 0 & 1 \\ 2 & -1 & 3 \end{bmatrix}$,
G.	If $A = \begin{bmatrix} 2 & 4 & 4 \\ 4 & 2 & 4 \\ 4 & 4 & 2 \end{bmatrix}$, show that $A^2 - 8A$ is a scalar matrix	п.	$A = \begin{bmatrix} -2 & -1 \end{bmatrix}$, $B = \begin{bmatrix} 2 & -1 & 3 \end{bmatrix}$, verify that (AB)' = B' A'
			verily triat (AD) - B A

G. Answer Space	H. Answer Space