

# SLR Parser Algorithm

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# Parsing Algorithm

- A parsing Algorithm uses the current State  $X$ , the next input symbol 'a' to consult the entry at  $\text{action}[X][a]$ . it makes one of the four following actions as given below:
- If the  $\text{action}[X][a] = \text{shift } Y$ , the parser executes a shift of  $Y$  on to the top of the stack and advances the input pointer.
- If the  $\text{action}[X][a] = \text{reduce } Y$  ( $Y$  is the production number reduced in the State  $X$ ), if the production is  $Y \rightarrow \beta$ , then the parser pops  $2 * \beta$  symbols from the stack and push  $Y$  on to the Stack.
- If the  $\text{action}[X][a] = \text{accept}$ , then the parsing is successful and the input string is accepted.
- If the  $\text{action}[X][a] = \text{error}$ , then the parser has discovered an error and calls the error routine.

# Example

Grammar

$$S \rightarrow AA$$
$$A \rightarrow aA \mid b$$

# Parsing Table

	a	b	\$	S	A
	ACTION			GOTO	
I0	S3	S4		1	2
I1			Accept		
I2	S3	S4			5
I3	S3	S4			6
I4	r3	r3	r3		
I5			r1		
I6	r2	r2	r2		

# Stack Implementation for string: 'aabb'

Stack	Input	Action
0	aabb\$	$I0 \rightarrow a, S3$
0a3	aabb\$	$I3 \rightarrow a, S3$
0a3a3	aabb\$	$I3 \rightarrow b, S4$
0a3a3b4	aabb\$	$I4 \rightarrow b, r3$
0a3a3A6	aabb\$	$I6 \rightarrow b, r2$
0a3A6	aabb\$	$I6 \rightarrow b, r2$
0A2	aabb\$	$I2 \rightarrow b, s4$
0A2b4	aabb\$	$I4 \rightarrow \$, r3$
0A2A5	aabb\$	$I5 \rightarrow \$, r1$
0s1	aabb\$	accept

Shift 'a' and goto state 3

Reduction means: reduce the previous symbol set to RHS and not reducing the actual symbol at the pointer.

Pop number symbols = Length of RHS \* 2

Below 'A' is 3, so 3  $\rightarrow$  A = i6

# Example

## Grammar

$E \rightarrow E + T \mid T$

$T \rightarrow T * F \mid F$

$F \rightarrow (E) \mid \text{id}$

G:

$E \rightarrow E + T$  (1)

$E \rightarrow T$  (2)

$T \rightarrow T * F$  (3)

$T \rightarrow F$  (4)

$F \rightarrow (E)$  (5)

$F \rightarrow \text{id}$  (6)

# Parsing Table

	id	+	*	(	)	\$	E	T	F
I0	s5						1	2	3
I1		s6				Accept			
I2		r2	s7		r2	r2			
I3		r4	r4		r4	r4			
I4	s5			s4			8	2	3
I5		r6	r6		r6	r6			
I6	s5			S4				9	3
I7	s5			S4					10
I8		s6			S11				
I9		r1	s7		r1	r1			
I10		r3	r3		r3	r3			
I11		r5	r5		r5	r5			

# Stack Implementation for string: 'id\*id'

Stack	Input	Action
0	Id*id\$	I0 -> id, S5   GOTO(i0, id) = S5; shift
0id5	*id\$	I5 -> *, r6   GOTO(i5, +) = r6; reduce by F -> id
0F3	*id\$	I3 -> *, r4   GOTO(i0, F) = S; GOTO(i3, +) = r4; reduce by T -> F
0T2	*id\$	I2 -> *, S7   GOTO(i0, T) = S2;
0T2*7	Id\$	I7 -> id, S5
0T2*7id5	\$	I5 -> \$, r6
0T2*7F10	\$	I10 -> \$, r3
0T2	\$	I2 -> \$, r2
0E1	\$	I1 -> \$, Accept



# Example

## Grammar

$S \rightarrow T * P$

$T \rightarrow U$

$T \rightarrow T * U$

$P \rightarrow Q + P$

$P \rightarrow Q$

$Q \rightarrow \text{id}$

$U \rightarrow \text{id}$

## Augmented Grammar

$S' \rightarrow S$

$S \rightarrow T * P$

$T \rightarrow U$

$T \rightarrow T * U$

$P \rightarrow Q + P$

$P \rightarrow Q$

$Q \rightarrow \text{id}$

$U \rightarrow \text{id}$

$S' \rightarrow S$  — 0 ← Add  
 $S \rightarrow T * P$  — 1  
 $T \rightarrow U$  — 2  
 $T \rightarrow T * U$  — 3  
 $P \rightarrow Q + P$  — 4  
 $P \rightarrow Q$  — 5  
 $Q \rightarrow id$  — 6  
 $U \rightarrow id$  — 7

$(I_0, S) \rightarrow (I_1)$   
 $S' \rightarrow S$   
 $S \rightarrow T * P$   
 $T \rightarrow U$   
 $T \rightarrow T * U$   
 $U \rightarrow id$

$(I_0, S) \rightarrow (I_1)$   
 $S' \rightarrow S$

$(I_0, T) \rightarrow (I_2)$   
 $S \rightarrow T * P$   
 $T \rightarrow T * U$

$(I_0, U) \rightarrow (I_3)$   
 $T \rightarrow U$

$(I_0, id) \rightarrow (I_4)$   
 $U \rightarrow id$

SLR for given grammar

$(I_2, *) \rightarrow (I_5)$   
 $S \rightarrow T * P$   
 $T \rightarrow T * U$   
 $P \rightarrow Q + P$   
 $P \rightarrow Q$   
 $U \rightarrow id$   
 $Q \rightarrow id$

$(I_5, P) \rightarrow (I_6)$   
 $S \rightarrow T * P$   
 $(I_5, Q) \rightarrow (I_7)$   
 $P \rightarrow Q + P$   
 $P \rightarrow Q$

$(I_5, U) \rightarrow (I_8)$   
 $T \rightarrow T * U$

$(I_5, id) \rightarrow (I_9)$   
 $U \rightarrow id$   
 $Q \rightarrow id$

$(I_7, +) \rightarrow (I_{10})$   
 $P \rightarrow Q + P$   
 $P \rightarrow Q$   
 $P \rightarrow Q + P$   
 $Q \rightarrow id$

$(I_{10}, P) \rightarrow (I_{11})$   
 $P \rightarrow Q + P$

$(I_{10}, Q) \rightarrow (I_7)$   
 $P \rightarrow Q + P$   
 $P \rightarrow Q$

$(I_{10}, id) \rightarrow (I_{12})$   
 $Q \rightarrow id$

$First(S) = \{id\}$

$First(T) = \{id\}$

$First(P) = \{id\}$

$First(Q) = \{id\}$

$First(U) = \{id\}$

$Follow(S) = \{\$ \}$

$Follow(T) = \{*, \$ \}$

$Follow(P) = \{+, \$ \}$

$Follow(Q) = \{+, \$ \}$

$Follow(U) = \{*, \$ \}$

# Parsing Table

States	id	ACTION				GOTO				
		,	+	*	\$	S	T	P	Q	U
I <sub>0</sub>	S <sub>4</sub>					1	2			3
I <sub>1</sub>					accept					
I <sub>2</sub>				S <sub>5</sub>						
I <sub>3</sub>				r <sub>2</sub>						
I <sub>4</sub>				r <sub>7</sub>						
I <sub>5</sub>	S <sub>9</sub>							6	7	8
I <sub>6</sub>					r <sub>1</sub>					
I <sub>7</sub>		S <sub>10</sub>			r <sub>5</sub>					
I <sub>8</sub>				r <sub>3</sub>						
I <sub>9</sub>			r <sub>6</sub>	r <sub>7</sub>	r <sub>6</sub>					
I <sub>10</sub>	S <sub>12</sub>							11	7	
I <sub>11</sub>					r <sub>4</sub>					
I <sub>12</sub>			r <sub>6</sub>		r <sub>6</sub>					

# Stack Implementation for string: 'id\*id'

Stack	Input	Action
0	Id*id\$	l0 -> id, S4
0id4	*id\$	l4 -> *, r7
0U3	*id\$	l3 -> *, r2
0T2	*id\$	l2 -> *, S5
0T2*5	Id\$	l5 -> id, S9
0T2*5id9	\$	l9 -> \$, r6
0T2*5Q7	\$	l7 -> \$, r5
0T2*5P6	\$	l6 -> \$, r1
0S1	\$	l1 -> \$, Accept

# SLR table conflicts

When multiple entries occur in the table. That is said to be a Conflict.

- Shift-Reduce Conflict in SLR (1) Parsing
- Reduce-Reduce Conflict in SLR (1) Parsing

# Shift-Reduce Conflict in SLR (1) Parsing

Shift Reduce Conflict in the LR (1) parsing occurs when a state has :

1. A Reduced item of the form  $A \rightarrow \alpha \bullet$  and  $\text{Follow}(A)$  includes the terminal value 'a'.

2. An incomplete item of the form  $A \rightarrow \beta \bullet a \alpha$  as shown below

$A \rightarrow \beta \bullet a \alpha$  (on symbol a going to next state say  $i_j$  )

$B \rightarrow b \bullet$  (• at the end so reduce production)

# Reduce - Reduce Conflict in SLR (1) Parsing

Reduce- Reduce Conflict in the LR (1) parsing occurs when a state has two or more reduced items of the form:

1.  $A \rightarrow \alpha \bullet$
2.  $B \rightarrow \beta \bullet$  and  $\text{Follow}(A) \cap \text{Follow}(B) \neq \text{null}$

Example Grammar:

$S \rightarrow \alpha A a B a$

$A \rightarrow \alpha$

$B \rightarrow \beta$

$\text{Follow}(S) = \{\$ \}$        $\text{Follow}(A) = \{a\}$       and  $\text{Follow}(B) = \{a\}$

Follow of A and B not null so reduce-reduce conflict.