

# CLR(1)

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# Drawbacks of SLR(1) Parser

1. On single input, State may be included a Final Item and a Non- Final Item. This may result in a Shift-Reduce Conflict .
2. A State may be included Two Different Final Items. This might result in a Reduce-Reduce Conflict
3. SLR(1) Parser reduces only when the next token is in Follow of the left-hand side of the production.
4. SLR(1) can reduce shift-reduce conflicts but not reduce-reduce conflicts

# CLR(1)

- ✓ These two conflicts are reduced by CLR(1) Parser by keeping track of look-ahead information in the states of the parser.
- ✓ This is also called as LR(1) grammar.
- ✓ LR(1) Parser greatly increases the strength of the parser, but also the size of its parse tables.
- ✓ The LR(1) techniques does not rely on FOLLOW sets, but it keeps the Specific Look-ahead with each item.

# CLR(1)-Canonical LR(1) Parsing

- ✓ Write the Context free Grammar for the given input string.
- ✓ Check for the Ambiguity.
- ✓ Add Augment production.
- ✓ Create Canonical collection of LR ( 1 ) items.
- ✓ Draw DFA.
- ✓ Construct the CLR ( 1 ) Parsing table.
- ✓ Based on the information from the Table, with help of Stack and Parsing algorithm generate the output.

# LR(1)

The LR (1) item is defined by

- production,
- position of data
- and a terminal symbol.

The terminal is called as Look ahead symbol.

# General form of LR (1) item is

$$S \rightarrow \alpha \bullet A \beta , \$$$

$$A \rightarrow \bullet \gamma , \text{FIRST}(\beta, \$)$$

- The **Look-ahead Component (after ,)** represents a possible look-ahead after the entire right-hand side has been matched.
- The \$ appears as look-ahead only for the augmenting production because there is no look-ahead after the end-marker

# Rules to create canonical collection:

- Every element of  $I$  is added to closure of  $I$ .
- If an LR (1) item  $[X \rightarrow A \bullet BC, a]$  exists in  $I$ , and there exists a production  $B \rightarrow b_1 b_2 \dots$ , then add item  $[B \rightarrow \bullet b_1 b_2, z]$  where  $z$  is a terminal in  $FIRST(Ca)$ , if it is not already in  $Closure(I)$ . keep applying this rule until there are no more elements added.

# Example

Grammar

$$S \rightarrow CC$$
$$C \rightarrow cC$$
$$C \rightarrow d$$



# Step1: Augmented Grammar

Augmented Grammar:

$S' \rightarrow \bullet S \$$       0

$S \rightarrow \bullet CC$       1

$C \rightarrow \bullet cC$       2

$C \rightarrow \bullet d$       3

## Step2: Construct LR(1) closure items

I0:

$S' \rightarrow \bullet S, \$$	0	(Look-ahead of 1 <sup>st</sup> production is always \$)
$S \rightarrow \bullet C\textcolor{red}{C}, \$$	1	(nothing after S in 0 <sup>th</sup> production so look-ahead for 1 <sup>st</sup> production is same \$)
$C \rightarrow \bullet cC, c d$	2	(C is there after C so look-ahead for 2 <sup>nd</sup> production is First(C) i.e. {c,d})
$C \rightarrow \bullet d, c d$	3	(C is there after c so look-ahead for 3 <sup>rd</sup> production is First(C) i.e. {c,d})

•  $\text{Goto}(i_0, S) = S' \rightarrow S\bullet, \$ = i_1$

•  $\text{Goto}(i_0, C) = S \rightarrow C\bullet C, \$ = i_2$

$C \rightarrow \bullet cC, \$$

$C \rightarrow \bullet d, \$$

•  $\text{Goto}(i_0, c) = C \rightarrow c\bullet C, c|d = i_3$

$C \rightarrow \bullet cC, c|d$

$C \rightarrow \bullet d, c|d$

•  $\text{Goto}(i_0, d) = C \rightarrow d\bullet, c|d = i_4$

•  $\text{Goto}(i_2, C) = C \rightarrow CC\bullet, \$ = i_5$

•  $\text{Goto}(i_2, c) = C \rightarrow c\bullet C, \$ = i_6$

$C \rightarrow \bullet cC, \$$

$C \rightarrow \bullet d, \$$

•  $\text{Goto}(i_2, d) = C \rightarrow d\bullet, c|d = i_7$

- $\text{Goto}(i3, C) = C \rightarrow cC\bullet, c|d = i8$

- $\text{Goto}(i3, c) = C \rightarrow c\bullet C, c|d = i3$

$$C \rightarrow \bullet cC, c|d$$
$$C \rightarrow \bullet d, c|d$$

- $\text{Goto}(i3, d) = C \rightarrow d\bullet, c|d = i4$

•  $\text{Goto}(i6, C) = C \rightarrow cC\bullet, \$ = i9$

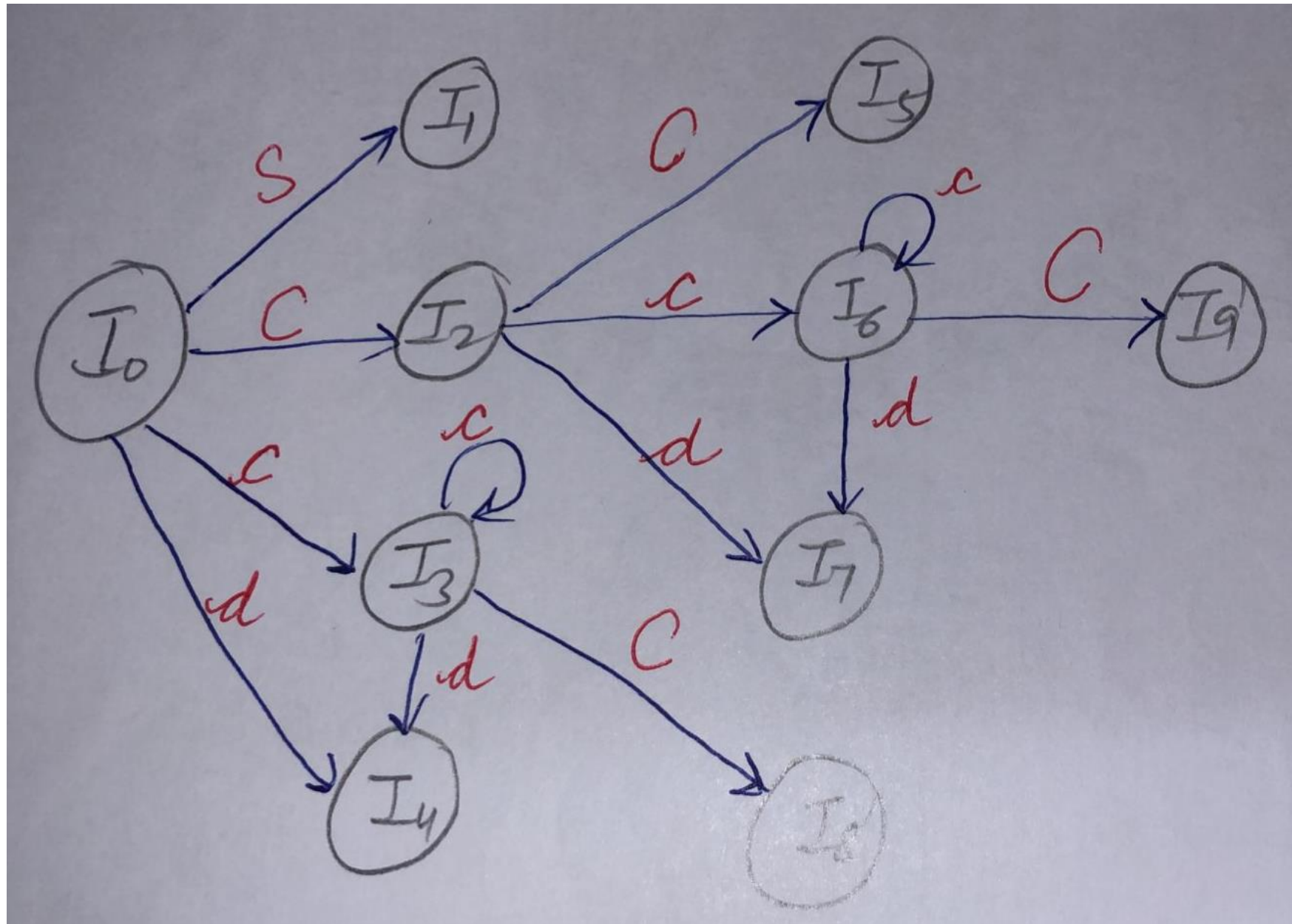
•  $\text{Goto}(i6, c) = C \rightarrow c\bullet C, \$ = i6$

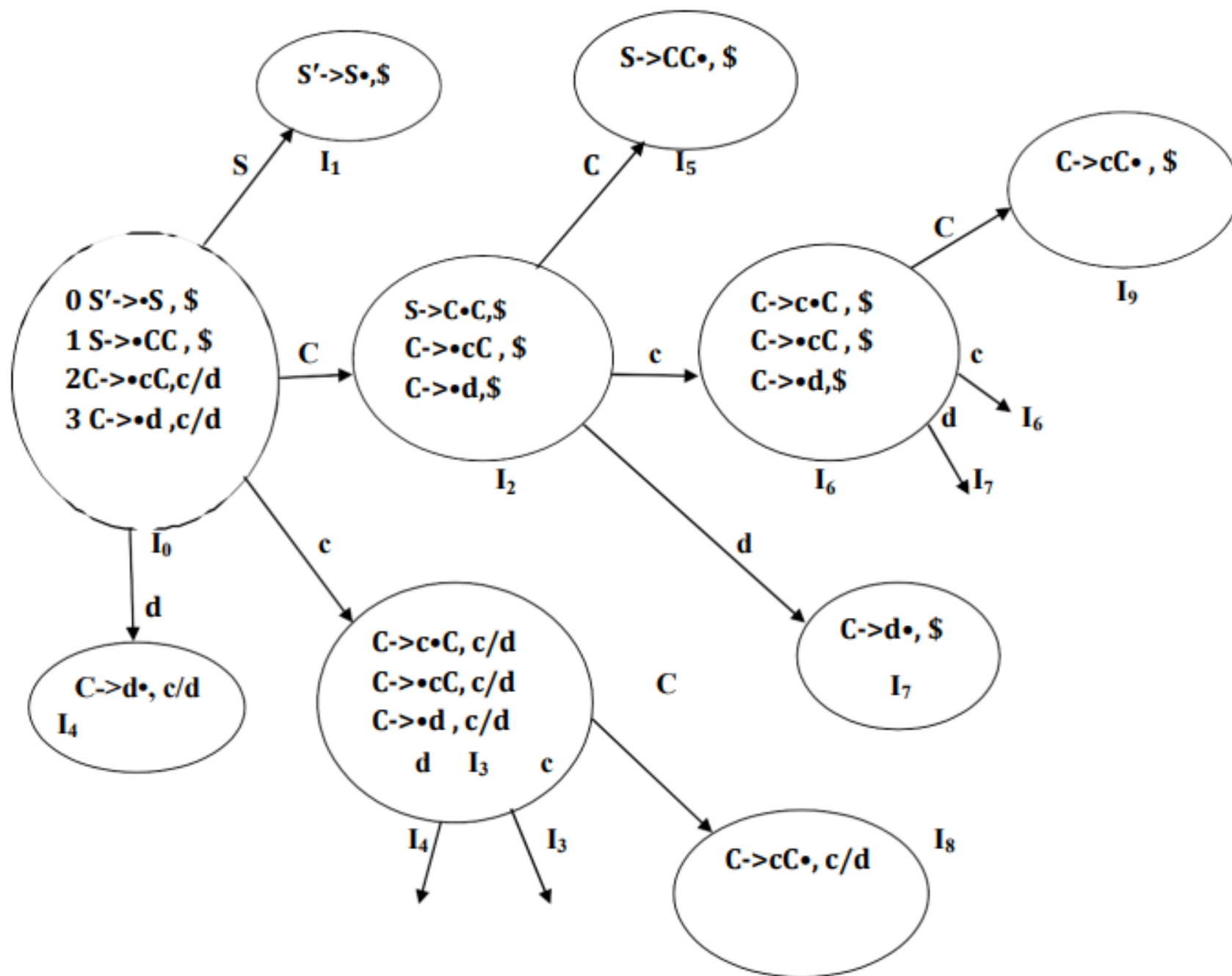
$C \rightarrow \bullet cC, \$$

$C \rightarrow \bullet d, \$$

•  $\text{Goto}(i6, d) = C \rightarrow d\bullet, \$ = i7$

DFA







# CLR(1) Table Construction

- if there is an item  $[A \rightarrow \alpha \bullet X \beta, b]$  in  $li$  and  $\text{goto}(li, X)$  is in  $lj$  then action  $[li, X] = \text{Shift } j$ , Where  $X$  is Terminal.
- if there is an item  $[A \rightarrow \alpha \bullet, b]$  in  $li$  and  $(A \neq S')$  set action  $[li, b] = \text{reduce}$  along with the production number.
- if there is an item  $[S' \rightarrow S \bullet, \$]$  in  $li$  then set action  $[li, \$] = \text{Accept}$ .
- if there is an item  $[A \rightarrow \alpha \bullet X \beta, b]$  in  $li$  and  $\text{goto}(li, X)$  is in  $lj$  then  $\text{goto}[li, X] = j$ , Where  $X$  is Non Terminal.

# CLR(1) Parsing Table

states	c	d	\$	S	C
	Action Part			GOTO Part	
I0	s3	s4		1	2
I1			acc		
I2	s6	s7			5
I3	s3	s4			8
I4	r3	r3			
I5			r1		
I6	s6	s7			9
I7			r3		
I8	r2	r2			
i9			r2		

In the LR parsing table of a grammar G has no Conflict, Therefore the Grammar is called LR(1) Grammar.

# String Acceptance 'cdd'

Stack	Input	Action
0	cdd\$	Shift S3
0c3	dd\$	Shift S4
0c3d4	d\$	Reduce with R3,C->d, pop $2*\beta$ symbols from the stack
0c3C	d\$	Goto ( I3, C)=8Shift S6
0c3C8	d\$	Reduce with R2 ,C->cC, pop $2*\beta$ symbols from the stack
0C	d\$	Goto ( I0, C)=2
0C2	d\$	Shift S7
0C2d7	\$	Reduce with R3,C->d, pop $2*\beta$ symbols from the stack
0C2C	\$	Goto ( I2, C)=5
0C2C5	\$	Reduce with R1,S->CC, pop $2*\beta$ symbols from the stack
0S	\$	Goto ( I0, S)=1
0S1	\$	Accept

# Example

$S \rightarrow L=R$

$S \rightarrow R$

$L \rightarrow *R$

$L \rightarrow \text{id}$

$R \rightarrow L$

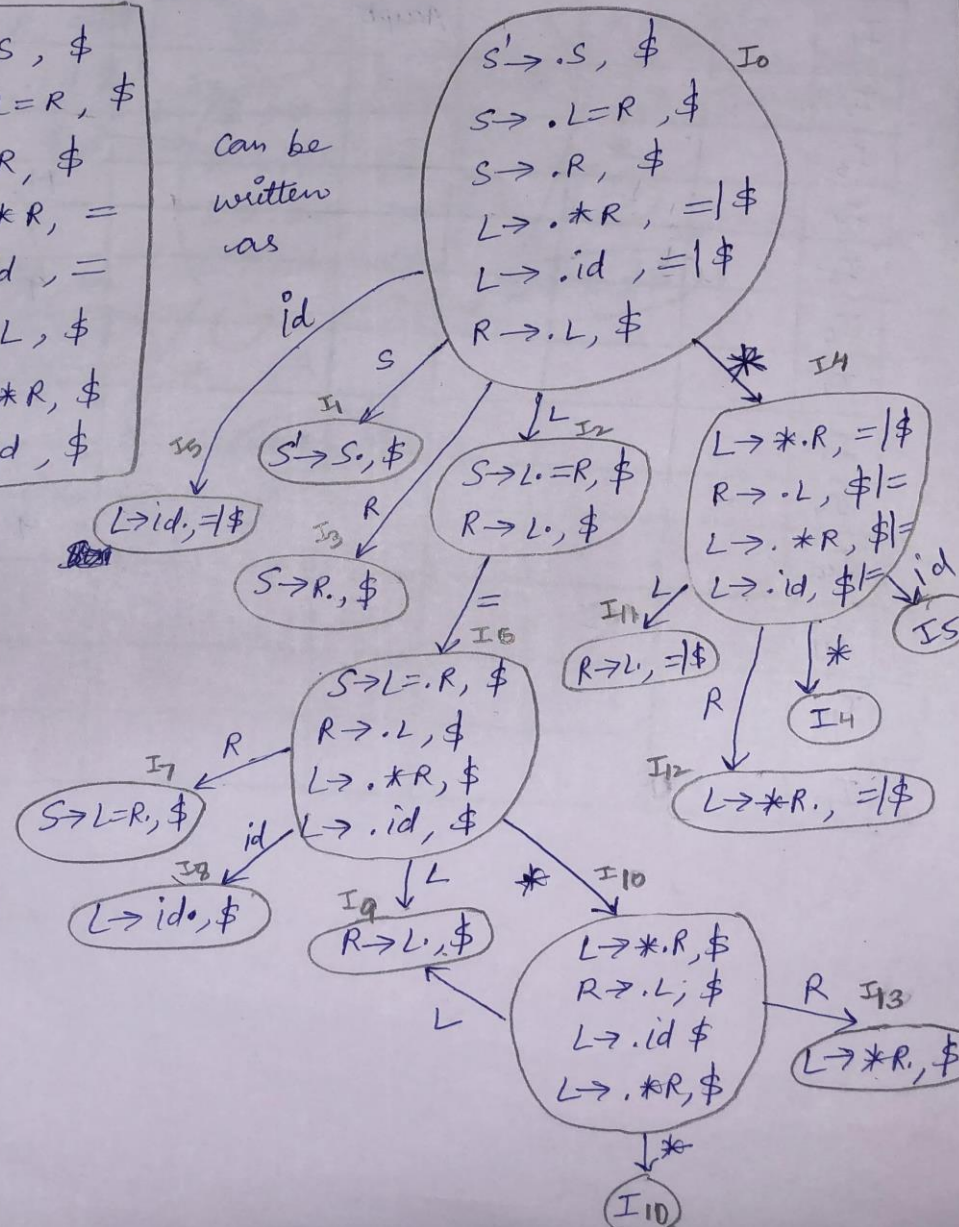
$S \rightarrow L=R \mid R$   
 $L \rightarrow *R \mid id$   
 $R \rightarrow L$

$S' \rightarrow S$   
 $S \rightarrow L=R$   
 $S \rightarrow R$

$L \rightarrow *R$   
 $L \rightarrow id$   
 $R \rightarrow L$

$S' \rightarrow .S, \$$   
 $S \rightarrow .L=R, \$$   
 $S \rightarrow .R, \$$   
 $L \rightarrow .*R, =$   
 $L \rightarrow .id, =$   
 $R \rightarrow .L, \$$   
 $L \rightarrow .*R, \$$   
 $L \rightarrow .id, \$$

can be written as



# CLR table conflicts

When multiple entries occur in the table. That is said to be a Conflict.

- Shift-Reduce Conflict in CLR (1) Parsing
- Reduce-Reduce Conflict in CLR (1) Parsing

# Shift-Reduce Conflict in CLR (1) Parsing

Shift Reduce Conflict in the CLR (1) parsing occurs when a state has :

1. A Reduced item of the form  $A \rightarrow \alpha \bullet, a$
2. An incomplete item of the form  $A \rightarrow \beta \bullet a \alpha$  as shown below

$A \rightarrow \beta \bullet a \alpha, \$$  (on symbol 'a' going to next state say  $i_j$  )

$B \rightarrow b \bullet, a$

# Reduce - Reduce Conflict in CLR (1) Parsing

Reduce- Reduce Conflict in the LR (1) parsing occurs when a state has two or more reduced items of the form:

1.  $A \rightarrow \alpha \bullet$
2.  $B \rightarrow \beta \bullet$  , two productions in a state (I) reducing on same look ahead symbol as shown below:

$A \rightarrow \alpha \bullet , a$

$B \rightarrow \beta \bullet , a$