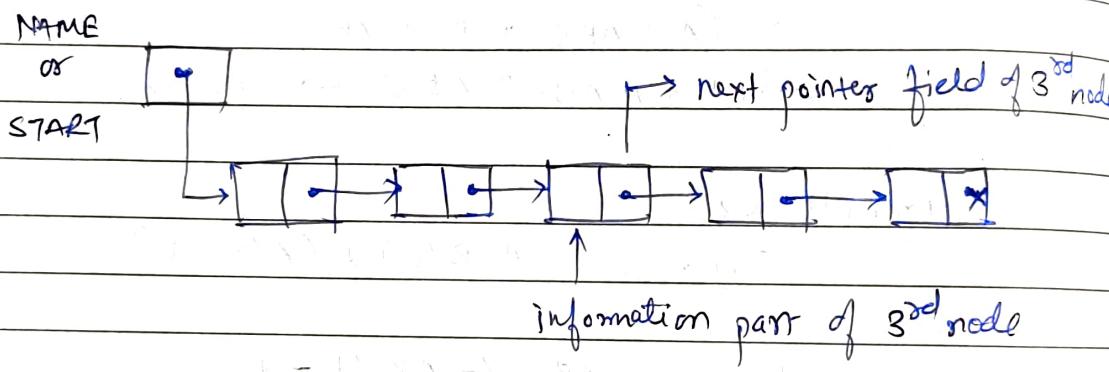


LINKED LIST

A linked list or a one-way list is a linear collection of data elements called "nodes" where the linear order is given by means of "pointers". That is each node is divided into two parts, the first part contains the information of the element and the second part, called the link field, contains the address of the next node in the list.

Schematic diagram of a linked list with 5 nodes.



The pointer of the last node contains a special value, called the "null" pointer, which is any invalid address. In practice, 0 or a negative number is used for the null pointer.

X - to indicate null pointer in list

START - containing address of the first node.

We need only this address to trace through the list.

A special case is the list that has no nodes.

Such a list is called the null list or empty list and is denoted by the null pointer in **START**.



* Representation of LINKED LIST IN MEMORY.

Let LIST be a linked list. First, LIST requires two linear arrays — INFO and LINK — such that INFO[k] and LINK[k] contain, respectively, the information part and next pointer field of a node of LIST.

LIST also requires a variable — such as START — which contains the location of the beginning of the list and a next nextpointer sentinel denoted by NULL — which indicates the end of the list. In general, we choose NULL = 0.

Example:-

	INFO	LINK
1		
START	2	
2		
3	0	6
4	T	0
5		
6	'-'	11
7	X	10
8		
9	N	3
10	I	4
11	E	7
12		

Similarly, we can maintain two linked list (or more) using these two arrays.

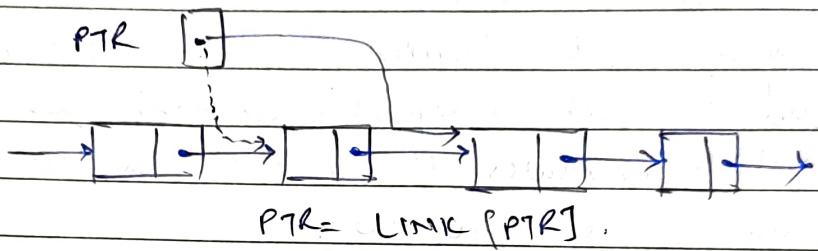
Example :- Given in introduction of linked list.

* Traversing a linked list

Here, for traversing algorithm, we used a pointer variable PTR which points to the node.

Accordingly, $\text{LINK}[\text{PTR}]$ points to the next node.

Thus, $\text{PTR} = \text{LINK}[\text{PTR}]$



Algorithm :- $\text{TRVERSE}[\text{INFO}, \text{LINK}, \text{PTR}, \text{START}]$

- (1) Set $\text{PTR} = \text{START}$
- (2) Repeat step (3) & (4) while $\text{PTR} \neq \text{NULL}$.
- (3) Apply PROCESS to $\text{INFO}[\text{PTR}]$.
- (4) Set $\text{PTR} := \text{LINK}[\text{PTR}]$.
- (5) [End of step 2 loop]
- (6) Exit.

Algo to find no. of elements in a linked list

- (1) Set $\text{NUM} := 0$
- (2) Set $\text{PTR} := \text{START}$.
- (3) Repeat (2) & (5) while $\text{PTR} \neq \text{NULL}$
 - (4) Set $\text{NUM} := \text{NUM} + 1$
 - (5) Set $\text{PTR} := \text{LINK}[\text{PTR}]$
- (6) [End of step 3 loop]
- (7) Exit.

* Searching a linked list

LIST IS UNsorted

SEARCH (INFO, LINK, START, ITEM, LOC).

- ① Set PTR = START.
- ② Repeat ③ while PTR ≠ NULL
- ③ If ITEM = INFO [PTR] then:
 Set LOC = PTR and Exit.
Else
 Set PTR = LINK [PTR]
[End of if structure]
[End of step 2 loop]
- ④ Set LOC := NULL
- ⑤ Exit.

LIST IS SORTED

SEARCHSL (INFO, LINK, START, ITEM, LOC)

- ① Set PTR := START
- ② Repeat step ③ while PTR ≠ NULL
- ③ If ITEM > INFO [PTR] then:
 Set PTR := LINK [PTR]
Else If ITEM = INFO [PTR] then
 set LOC := PTR and Exit.
Else:
 Set LOC := NULL and Exit
[End of if structure]
[End of step 2 loop]
- ④ Set LOC = NULL
- ⑤ Exit.

* Memory Allocation ; Garbage Collection.

- Maintenance of linked list assume possibility of inserting new nodes in lists and hence, some mechanism which provides unused memory space for these new nodes.
- So, some mechanism is required whereby the memory space of deleted nodes becomes available for future use.
- Thus, a special list is maintained having its own pointer, called as "list of available space" or "free storage list" or the "free pool". We call this list as "AVAIL".

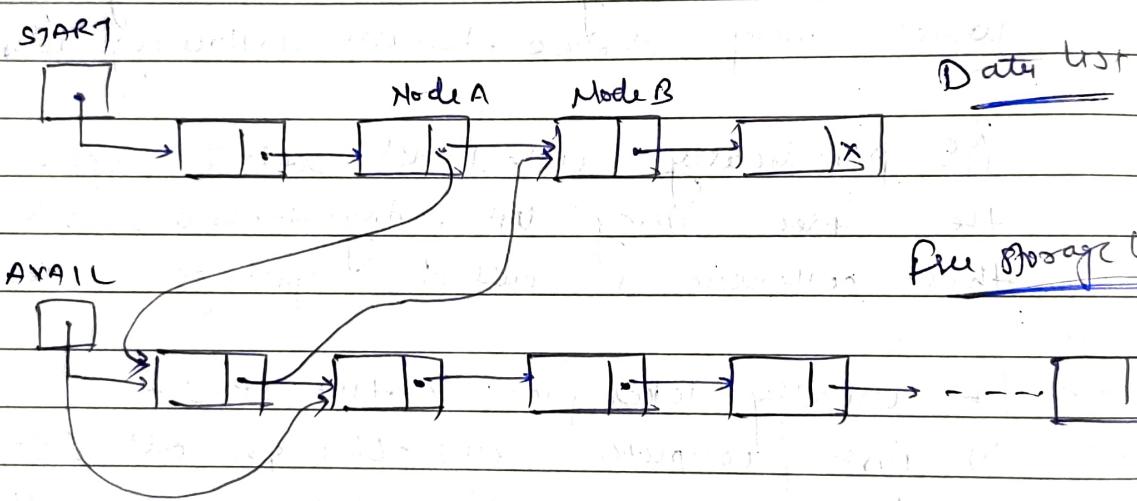
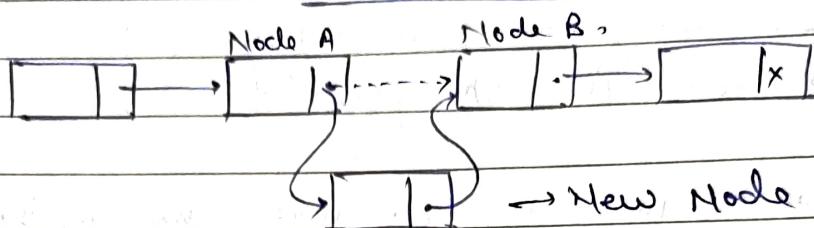
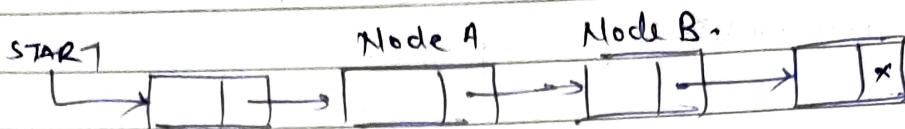
Thus linked list will be denoted by writing -
 LIST (INFO, LINK, START, AVAIL).

<u>Ex :-</u>	1	E	7
	2		6
START	3	B	11
5	4	G	12
	5	A	3
	6		10
AVAIL	7	F	9
10	8	D	1
	9	I	0
	10		2
	11	C	8
	12	H	9
		INFO	LINK



- ⇒ Suppose some memory space becomes reusable, because a node is deleted from list or a list is deleted from program.
- ⇒ We want this space to be available for future use. So, we immediately reinsert this space into the "free storage list".
- ⇒ This is what we do when we implement linked list using arrays. However, this method can be too time-consuming for ~~AS~~. Operating system, which may choose to use following alternative -
- ⇒ OS periodically collects all deleted space onto the free storage list. Any technique, which does this collection is called garbage collection.
 - ⇒ It usually takes place in two steps -
 - i) first, computer runs through all lists, tagging those cells that are currently in use.
 - ii) When computer runs through memory, collecting all untagged cells onto free storage list.
 - ⇒ Garbage collection takes place when there is little space or no space left in free storage list, or when CPU is idle.
 - ⇒ Generally speaking, garbage collection is invisible to the programmer.

* Insertion into a linked list



NEW = AVAIL and AVAIL = LINK [AVAIL]

INFO [NEW] = ITEM.

Removing first node from AVAIL.

Allocating item to new node

This new node is now ready to be inserted at its correct position.

Insert at the beginning.

* $\text{INSERT}(\text{INFO}, \text{LINK}, \text{START}, \text{AVAIL}, \text{ITEM})$

① If $\text{AVAIL} = \text{NULL}$ then :

Infinite : overflow and Exit .

② Remove first node from avail]

Set $\text{NEW} := \text{AVAIL}$, $\text{AVAIL} := \text{LINK}[\text{AVAIL}]$.

③ Set $\text{INFO}[\text{NEW}] := \text{ITEM}$

④ Set $\text{LINK}[\text{NEW}] = \text{START}$.

⑤ Set $\overset{\text{START}}{\cancel{\text{START}}} := \text{NEW}$.

* Insert after given node,

$\text{INSERT LOC}(\text{INFO}, \text{LINK}, \text{STAR}, \text{AVAIL}, \text{LOC}, \text{ITEM})$.

① If $\text{AVAIL} = \text{NULL}$: then overflow and Exit

② $\text{NEW} = \text{AVAIL}$ and $\text{AVAIL} := \text{LINK}[\text{AVAIL}]$.

③ $\text{INFO}[\text{NEW}] = \text{ITEM}$.

④ If $\text{LOC} = \text{NULL}$ then : [Insert at first].

$\text{LINK}[\cancel{\text{LOC}}\text{NEW}] := \text{START}$ & $\text{START} = \text{NEW}$,

Else

⑤ $\text{LINK}[\text{NEW}] = \text{LINK}[\text{LOC}]$ and $\text{LINK}[\text{LOC}] = \text{NEW}$.

⑥ Exit .

Assignment 1

- u) write an algorithm to insert a node into sorted linked list. Assume that linked list is sorted in ascending order.

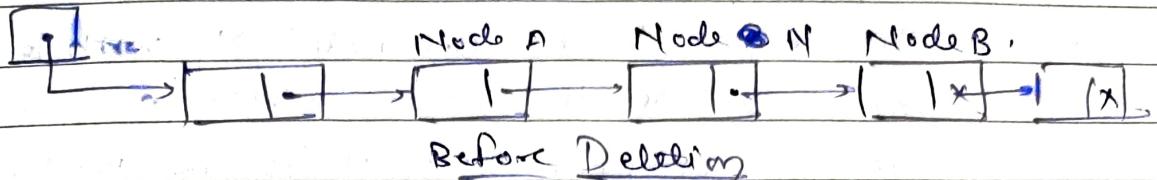
Hint:- Obtain "Loc" value to get the location where an item is to be inserted. Then call previous algo by passing this loc.

FINDA (INFO, UNK, START, ~~AVAIL~~, ITEM, LOC)

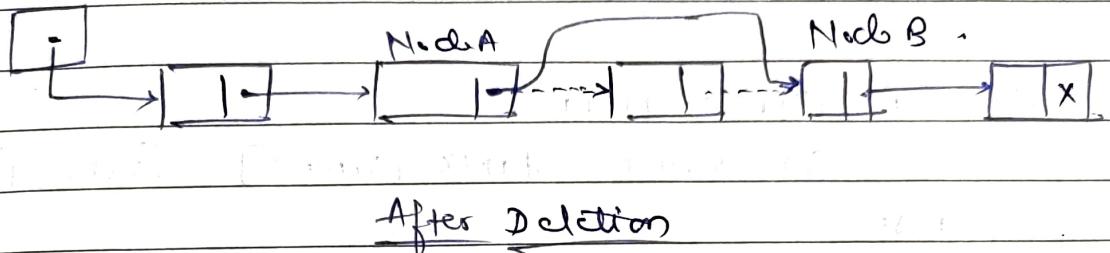
- ① IF START = NULL then set LOC := NULL & Exit
- ② [special case]
IF ITEM < INFO[START] then Set LOC := NULL and Exit.
- ③ Set SAVE := START and PTR := LINK[START]
- ④ Repeat ⑤ & ⑥ while PTR ≠ NULL.
IF ITEM < INFO[PTR] then
Set LOC := SAVE and Return.
[End of if]
- ⑥ Set SAVE := PTR and PTR := LINK[PTR].
[End of Step 4 loop]
- ⑦ Set LOC := SAVE
- ⑧ Exit.

* Deletion from a linked list

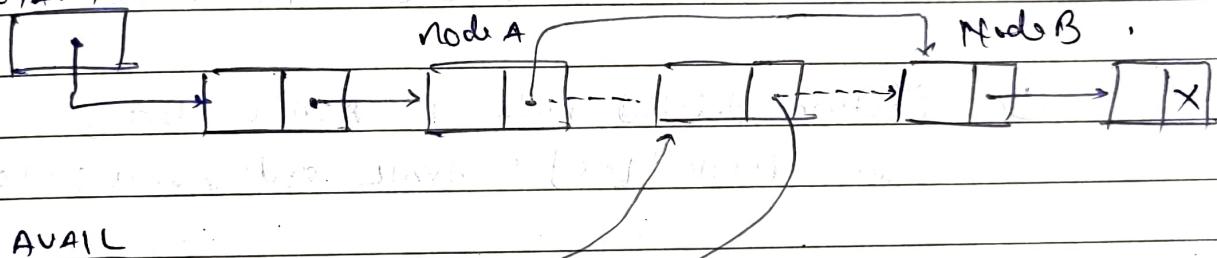
START.



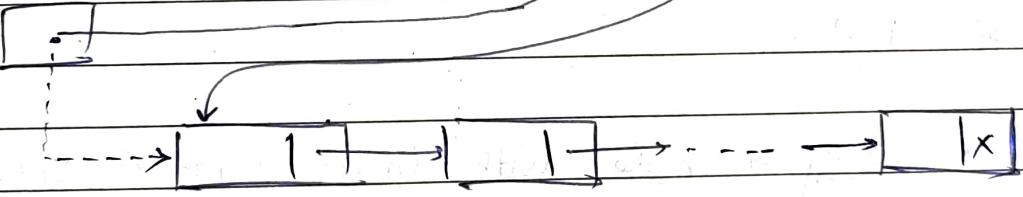
START.



START



AVAIL



free storage list -

$\text{LINK}[\text{loc}] := \text{AVAIL}$, and $\text{AVAIL} := \text{loc}$.

Add the deleted node into AVAIL and then
link node A with node B.

* Deleting a Node following a given node

$\text{DEL}(\text{INFO}, \text{LINK}, \text{START}, \text{AVAIL}, \text{LOC}, \text{LOC_P})$

- ⇒ MLS algo deletes the node N with location LOC. LOC_P is the location of the node which precedes N or, when N is the first node.
 $\text{LOC_P} = \text{NULL}$.

① If $\text{LOC_P} := \text{NULL}$,

Set $\text{START} := \text{LINK}[\text{START}]$ [Delete 1st node]

Else

Set $\text{LINK}[\text{LOC_P}] := \text{LINK}[\text{LOC}]$ [Delete node N]

② [Return deleted node to AVAIL list]

Set $\text{LINK}[\text{LOC}] := \text{AVAIL}$ and $\text{AVAIL} := \text{LOC}$

③ Exit.

* Deleting a node with Given ITEM of Information

$\text{FIND_B}(\text{INFO}, \text{LINK}, \text{START}, \text{ITEM}, \text{LOC}, \text{LOC_P})$

① [list empty] If $\text{START} := \text{NULL}$ then :

Set $\text{LOC} := \text{NULL}$ and $\text{LOC_P} := \text{NULL}$ & return

② [ITEM in first node]. If $\text{INFO}[\text{START}] = \text{ITEM}$ then

Set $\text{LOC} := \text{START}$ and $\text{LOC_P} := \text{NULL}$ & return

③ Set $\text{SAVE} := \text{START}$ and $\text{PTR} := \text{LINK}[\text{START}]$

④ Repeat steps ⑤ and ⑥ while $\text{PTR} \neq \text{NULL}$.

- ⑤ If $\text{INFO}[\text{PTR}] = \text{ITEM}$ then
Set $\text{LOC} := \text{PTR}$ and $\text{LCP} := \text{SAVE}$ and return
- ⑥ Set $\text{SAVE} := \text{PTR}$ and $\text{PTR} = \text{LINK}[\text{PTR}]$
(End of Step ⑤ loop)
- ⑦ Set $\text{LOC} := \text{NULL}$ (Search Unsuccessful)
- ⑧ Return.

- ~~DELETE~~ (INFO , LINK , START , AVAIL , ITEM)

1. Call ~~ANDB~~ (INFO , LINK , START , ITEM , LOC , LCP)

2. If $\text{LOC} = \text{NULL}$ then :

 Write: ITEM not in LST and Exit.

3. (Delete node)

 If $\text{LCP} = \text{NULL}$ then :

 Set $\text{START} := \text{LINK}[\text{START}]$

 Else

 Set $\text{LINK}[\text{LCP}] := \text{LINK}[\text{LOC}]$

4. Set $\text{LINK}[\text{LOC}] := \text{AVAIL}$ and $\text{AVAIL} := \text{LOC}$.

5. Exit.

* Header Linked List

A header linked list is a linked list which always contains a special node, called the "header node" at the beginning of the list.

The following are the two widely used header lists :-

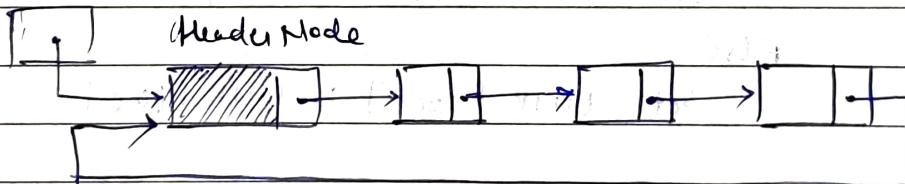
- ① A grounded header list :- is a header list where the last node contains the null pointer.

START



- ② A circular header list :- is a header list where the last node points back to the header node

START



Unless otherwise stated or implied, our header list will always be circular. Accordingly, in such cases, the header node also acts as a sentinel indicating the end of the list.

$\text{LINK}[\text{START}] = \text{NULL}$ \rightarrow Grounded list is empty

$\text{LINK}[\text{START}] = \text{START}$ \rightarrow Circular list is empty

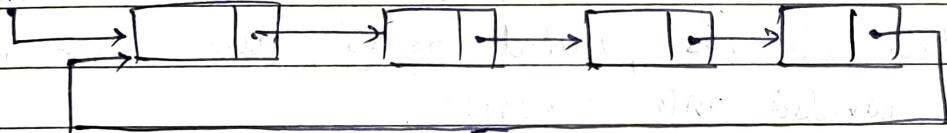
Example:- Traversing a Circular Header List.

- (1) Set PTR := LINK [START]
- (2) Repeat steps (3) & (4) while PTR ≠ START
- (3) Apply process to INFO [PTR]
- (4) Set PTR := LINK [PTR]
- (5) Exit.

* Variations of Linked List -

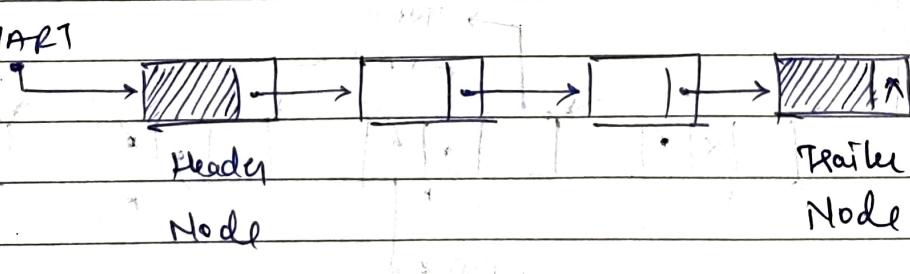
- (1) A Linked List whose last node points back to the first node instead of containing null pointer, is called a circular list.

START



- (2) A linked list which contains both a special header node at the beginning of the list and a special trailer node at the end of the list.

START



* Two-Way List

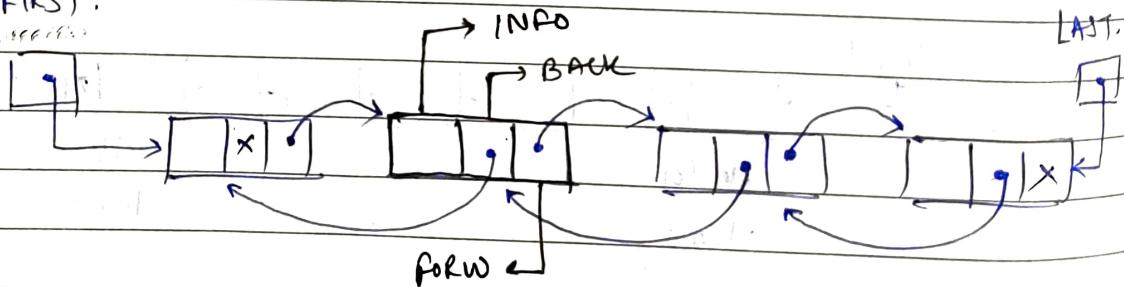
It is a list that can be traversed in both the directions. That is, in the forward direction from the beginning of the list to the end, or in the backward direction, from the end of the list to the beginning.

Furthermore, given the location loc of a node 'x', we have access to both the next node and previous node in the list. That is, one can delete the node without traversing the list.

A two-way list is a linear collection of data elements, called 'nodes', where each node is divided into 3 parts:-

- 1) INFO part -
- 2) Location of Next node - FORW.
- 3) Location of previous node - BACK.

FIRST.



The list also requires two list pointers :-

- 1) FIRST :- points to the first node in the list
- 2) LAST :- points to the last node in the list.

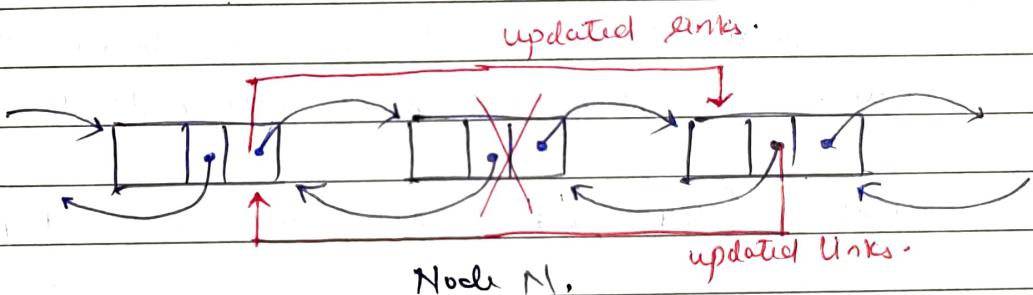
* Operations on Two-way lists.

→ Traversing and Searching

Both these operations can be performed exactly similar to that of one-way linear list. There is no advantage of having a two-way list for traversing and searching.

→ Delete :-

Suppose we want to delete node 'N' with location given as 'LOC' from list -



DELETE (INFO, FORW, BACK, START, AVAIL, LOC).

1) [Delete Node],

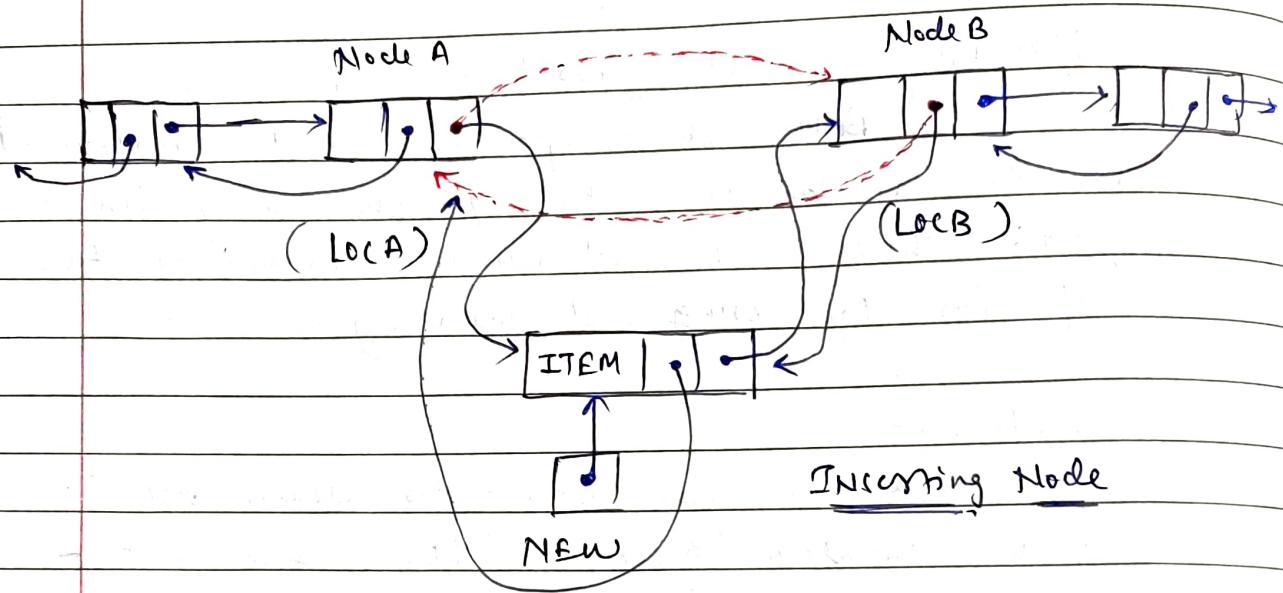
Set $\text{FORW}[\text{BACK}[\text{loc}]] := \text{FORW}[\text{loc}]$ and
 $\text{BACK}[\text{FORW}[\text{loc}]] := \text{BACK}[\text{loc}]$

2) [Add deleted node to AVAIL LIST]

Set $\text{FORW}[\text{loc}] := \text{AVAIL}$ and $\text{AVAIL} := \text{loc}$

3) Exit.

* Insert a node in two-way list



Suppose COCB and LOCB are location of adjacent node. we need to insert new node in between.

INSERT (INFO, FORW, BACK, START, AVAIL, LOC A, LOC B, ITEM)

① [Overflow] If AVAIL := NULL then;

 Write: overflow and return.

② [Remove node from AVAIL]

 Set INFO[NEW] := AVAIL, AVAIL := FORW[AVAIL]

③ INFO[NEW] := ITEM.

④ [Insert a Node]

 Set FORW[LOC A] := NEW, FORW[NEW] := LOC B

BACK[LOC B] := NEW, BACK[NEW] := LOC A

⑤ Exit.

* STACK using linked list - Implementation

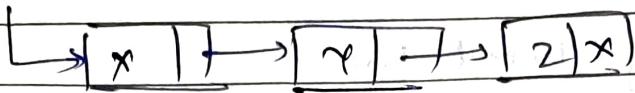
PUSH_LINK_STACK (INFO, LINK, TOP, AVAIL, ITEM)

- (1) IF $AVAIL = \text{NULL}$ then
Overflow and Exit
- (2) $NEW = AVAIL$ and $\begin{cases} \text{remove first node} \\ AVAIL = \text{LINK}[AVAIL] \end{cases}$ from $AVAIL$.
- (3) set $\text{INFO}[NEW] = ITEM$
- (4) set $\text{LINK}[NEW] = TOP$
and $TOP = NEW$.
- (5) Exit.

POP_LINK_STACK (INFO, LINK, TOP, AVAIL, ITEM)

- (1) If $TOP = \text{NULL}$ then
Underflow and Exit
- (2) set $ITEM = \text{INFO}[TOP]$
- (3) set $TTEMP = TOP$ and $\begin{cases} \text{Delete node & store} \\ TOP = \text{LINK}[TOP] \end{cases}$ it in $TTEMP$.
- (4) set $\text{LINK}[TTEMP] = AVAIL$ and $\begin{cases} \text{Add deleted node} \\ AVAIL = TTEMP \end{cases}$ to $AVAIL$.
- (5) Exit

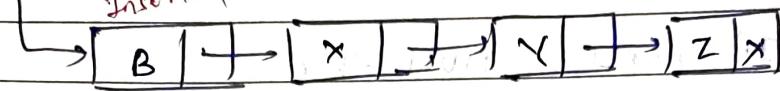
Top



Push (B)

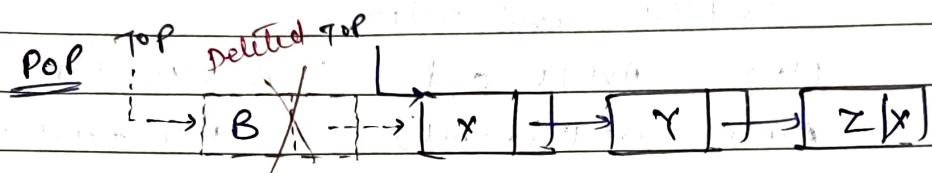
Top

Inserted



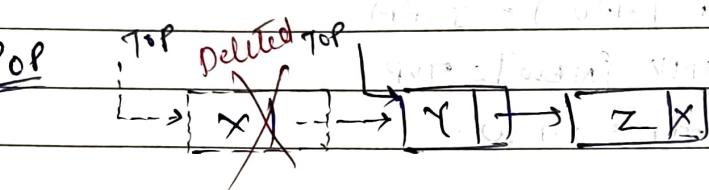
Pop

Deleted Top



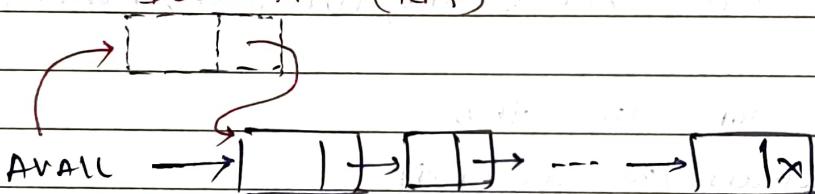
Pop

Deleted Top

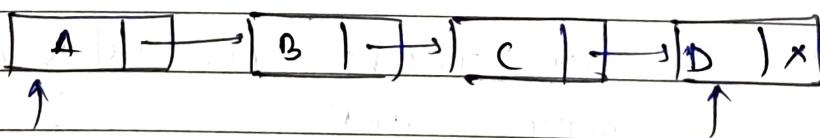


Add the deleted node to Avail list

Deleted Node (TEMP).



* Unlinked List Representation of Queue



FRONT

REAR

Add elements from ~~FRONT~~ REAR

Delete elements from FRONT.

LINK - QINSERT (INFO, LINK, FRONT, REAR, AVAIL, ITEM)

- ① If $AVAIL = \text{NULL}$ then overflow and Exit.
- ② Set $NEW = AVAIL$ } remove first node
 $AVAIL = \text{LINK}[AVAIL]$ } from $AVAIL$.
- ③ Set $\text{INFO}[NEW] = ITEM$ and } copy item into
 $\text{LINK}[NEW] = \text{NULL}$ } new node
- ④ If $FRONT = \text{NULL}$ then
 $FRONT = REAR = NEW$.
 Else.
 $LINK[REAR] = NEW$ and $REAR = NEW$.
- ⑤ Exit.

LINK - QDELETE (INFO, LINK, FRONT, REAR, AVAIL, ITEM)

- ① If $FRONT = \text{NULL}$ then Underflow and exit.
- ② Set $TEMP = FRONT$
- ③ $ITEM = \text{INFO}[TEMP]$
- ④ $FRONT = \text{LINK}[TEMP] \rightarrow$ Delete node
- ⑤ $\text{LINK}[TEMP] = AVAIL$ and } Add deleted node to
 $AVAIL = TEMP$. } $AVAIL$.
- ⑥ Exit.

