

Artificial Intelligence & Neural Networks

CSE-407

Lecture-04

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Confusion Matrix

A confusion matrix is a table that is often used to describe the **performance of a classification model** (or “classifier”) on a set of test data for which the true values are known.

- It allows the visualization of the **performance of an algorithm**.
- We compare each class with every other class and see how many samples are misclassified.
- We actually come across several key metrics that are very important in the field of machine learning.

Confusion Matrix Classification

Let's consider a **binary classification** case where the output is either **0** or **1**:

1. **True positives:** These are the samples for which we **predicted 1** as the output and the **ground truth is 1** too.
2. **True negatives:** These are the samples for which we **predicted 0** as the **output** and the ground **truth is 0** too.
3. **False positives:** These are the samples for which **we predicted 1** as the **output** but the ground truth is 0. This is also known as a **Type I error**.
4. **False negatives:** These are the samples for which **we predicted 0** as the **output** but the ground truth is 1. This is also known as a **Type II error**.

Confusion Matrix Classification

True Positive(TP):

- You projected positive and its turn out to be true. For example, you had predicted that France would win the world cup, and it won.

True Negative(TN):

- When you predicted negative, and it's true. You had predicted that England would not win and it lost.

False Positive(FP):

- Your prediction is positive, and it is false.
- You had predicted that England would win, but it lost.

False Negative(FN):

- Your prediction is negative, and result it is also false.
- You had predicted that France would not win, but it won.

Confusion Matrix Classification

		Predicted Class		
		Positive	Negative	
Actual Class	Positive	True Positive (TP)	False Negative (FN) Type II Error	Sensitivity $\frac{TP}{(TP + FN)}$
	Negative	False Positive (FP) Type I Error	True Negative (TN)	Specificity $\frac{TN}{(TN + FP)}$
		Precision $\frac{TP}{(TP + FP)}$	Negative Predictive Value $\frac{TN}{(TN + FN)}$	Accuracy $\frac{TP + TN}{(TP + TN + FP + FN)}$

		Predicted Class		
		Positive	Negative	
Actual Class	Positive	True Positive (TP) 3	False Negative (FN) Type II Error 1	Sensitivity $\frac{TP}{(TP + FN)}$
	Negative	False Positive (FP) Type I Error 2	True Negative (TN) 4	Specificity $\frac{TN}{(TN + FP)}$
		Precision $\frac{TP}{(TP + FP)}$	Negative Predictive Value $\frac{TN}{(TN + FN)}$	Accuracy $\frac{TP + TN}{(TP + TN + FP + FN)}$

$$\text{Precision} = \frac{3}{3+2} = 0.6 \Rightarrow 60\%$$

$$\text{Recall} = \frac{3}{3+1} = 0.75 \Rightarrow 75\%$$

Sensitivity = Recall

$$F1 \text{ Score} = \frac{2 * \text{Precision} * \text{Recall}}{\text{Precision} + \text{Recall}} = \frac{2 * 0.6 * 0.75}{0.6 + 0.75} = 0.6666 = 0.67$$



Questions ??



Thanks'