# Uniform Distribution

#### Uniform Distribution

Eg: Rolling a dice 
$$\{1,2,3,4,5,6\}$$
  
 $Pr(1) = \frac{1}{6} Pr(2) = \frac{1}{6} Pr(3) = \frac{1}{6}$ 

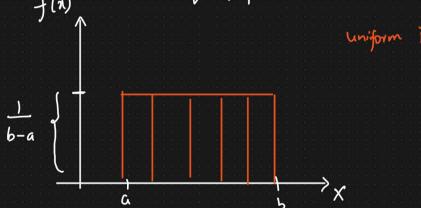
In Uniform Dishbution the probability of getting the outrome is equal This forms the basis.

A variable X is said to be uniformly distributed

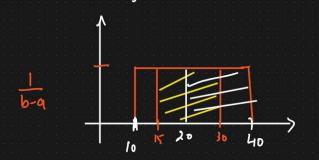
$$f(n) = \frac{1}{b-a} \qquad \text{for } -\infty < a \le n \le b < \infty$$

$$f(n) \qquad \forall \text{ Graph}$$

$$\text{Uniform Dishbution}$$



- The number of candies sold daily at a show is uniformly distributed with a maximum of 40 and minimum of 10.
- i) Probability of daily sales to fall between 15 and 30?



$$P_{Y}(15 \le \chi \le 30) = (\chi_{5} - \chi_{1}) + \frac{1}{(b-a)}$$

$$= (30 - 15) + \frac{1}{30}$$

$$= (5 + \frac{1}{30} = 0.5),$$

$$\chi_{1} = 20$$

$$P_{Y}(\chi_{5} > 20) = (40 - 20) + \frac{1}{30} + \chi_{2} = 40$$

$$= 20 \times \frac{1}{30} = 0.666 = 0.66 \times 10^{-2}$$

Mean and Varience of Uniform Dishbution

Mean 
$$\rightarrow E(x) = (a+b)/2$$
. =  $(40+10)/2$ 

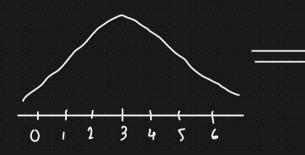
=  $as$ 

Varience  $\rightarrow V(x) = (b-a)^2/12$ 

## **Standard Normal**

(1) Standard Normal Distribution

Z-score





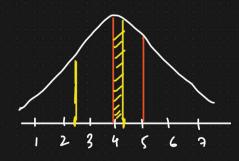
$$\chi$$
-score =  $\chi_i - \mu \quad \gamma = \{-2, -1, 0, 1, 2\}$ 

$$0 \quad \frac{1-3}{1} = -2 \qquad 3 \quad \frac{3-3}{1} = 0$$

$$3 \frac{3-3}{1} = 0$$

$$2 \quad 2-3 = -1$$
  $4 \quad 4-3 = 1$ 

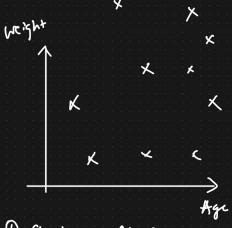




Q) How many Standard deviation 4.25 is away from

$$1 - score = \frac{4.25 - 4}{1} = 0.25$$

$$\frac{\text{R-siore}}{1} = \frac{2.5-4}{1} = \frac{-1.5}{1}$$

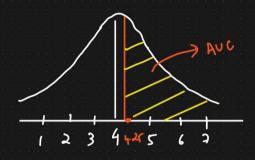


- 1 Clustering Algorithms
- 1) Linear Regression
- 3 Logistic Regrenion

Standardization => Ml Models

### Standard Normal Distribution Formula

#### Problem Statement on Z Score

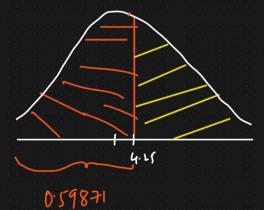


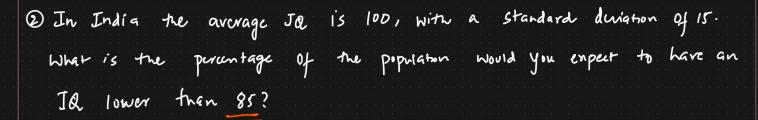
L-table

Question: What pirconrege of scores fail above 4.25?

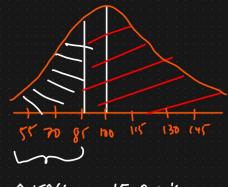
$$=\frac{425-4}{500}=0.25=3544$$

Q) What percentage of scores fails above 4:25?





Ans) 1120 0=15



$$0 \ \text{$\lambda$-score} = \frac{\chi_1 - \mu}{\tau} = \frac{85 - 100}{15} = \boxed{-1}$$