Central Limit Theorem

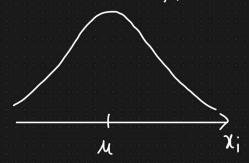
O Central Limit Theorem

The central limit theorem relies on the concept of a sampling distribution, which is the probability distribution of a statistic for a large number of samples taken from a population.

The central limit theorem says that the sampling distribution of the mean will always be normally distributed, as long as the sample size is large enough. Regardless of whether the population has a normal, Poisson, binomial, or any other distribution, the sampling distribution of the mean will be normal.

X ~ N(u, o-)

Populsion DATA

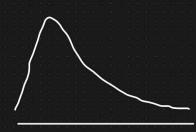


h = Sample · Size =) any voluce

 $S_1 = \{x_1, x_2, x_4, \dots, x_n\} = \overline{x_1}$ $S_2 = \{x_2, x_3, \dots, x_n\} = \overline{x_2}$ $S_3 = \overline{x_2}$ $S_4 = \overline{x_1}$ \vdots \vdots

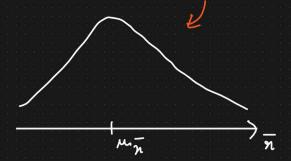
Sampling distribution of the mean

X × H(u,o-)

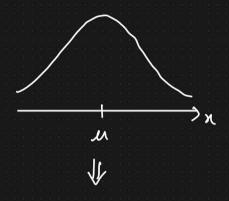


 $\frac{\Rightarrow \boxed{n>30}\Rightarrow \text{ sample size}}{\sqrt{30}}$ $S_1 \qquad \overline{\sqrt{30}}$ $S_2 \qquad \overline{\sqrt{30}}$

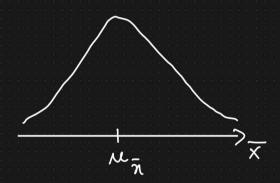




(1) Normal Dismbohm



Sampling Distribution



 $\chi \approx N(\mu, \sigma)$

M = population std

M = population mean

n: sample Size

$$\chi \chi N(\mu, \frac{\sigma}{\sqrt{n}})$$

https://www.analyticsvidhya.com/blog/2019/05/statistics-101-introduction-central-limittheorem/