



**EAST WEST UNIVERSITY**

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Course Title: Principles of Finance

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## **Assignment 02**

### **Submitted to:**

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## Time value of money

### Problem 01

a) Standard Bank:

we know,

$$\begin{aligned} FV &= PV(1+i)^n \\ &= 2000000(1+0.12)^5 \\ &= 3524683.366 \$ \end{aligned}$$

given,

$$PV = 2000000 \$$$

$$i = 12\%$$

$$= 0.12$$

$$n = 5$$

(Ans)

b) From (a) we got

FV of standard bank \$3524683.366.

Now,

Prime Bank:

$$\begin{aligned} FV &= PV \left(1 + \frac{i}{m}\right)^{n \times m} \\ &= 2000000 \left(1 + \frac{0.1}{12}\right)^{5 \times 12} \\ &= \$ 3290617.87 \end{aligned}$$

given,

$$PV = 2000000 \$$$

$$i = 10\%$$

$$= 0.1$$

$$n = 5$$

$$m = 12$$

Here,

$$FV_{(\text{standard})} > FV_{(\text{prime})}$$

Higher future value is more profitable. So, standard bank will be more profitable for Mr. Salam.

### Problem-2

We know,

$$\begin{aligned} EIR &= \left[ \left( 1 + \frac{i}{m} \right)^m - 1 \right] \times 100 \\ &= \left[ \left( 1 + \frac{0.12}{12} \right)^{12} - 1 \right] \times 100 \\ &= 12.683\% \end{aligned}$$

given,

$$\begin{aligned} m &= 12 \\ i &= 12\% \\ &= 0.12 \end{aligned}$$

Now,

$$\begin{aligned} FV &= PV \left( 1 + \frac{i}{m} \right)^{n \times m} \\ &= 70000 \left( 1 + \frac{0.12}{12} \right)^{12 \times 5} \\ &= \$127168.769 \end{aligned}$$

given,

$$\begin{aligned} PV &= 70000 \$ \\ i &= 12\% \\ &= 0.12 \\ m &= 12 \\ n &= 5 \end{aligned}$$

After 5 years the market price of the motorcycle would be \$150000 which is greater than the future value of the Sonali Bank will give on \$70000.

So, Mr. Roman won't be able to buy the motorcycle at the end of the period.

### Problem-3

we know,

$$\begin{aligned} i &= \left[ \left( \frac{FV}{PV} \right)^{1/n} - 1 \right] \times 100 \\ &= \left[ \left( \frac{19000000}{10000000} \right)^{1/5} - 1 \right] \times 100 \\ &= 13.697\% \end{aligned}$$

∴ The rate of Sonali Bank is 13.697% as per stem.

Now,

Maynamati Bank:

$$\begin{aligned} FV &= PV (1+i)^n \\ &= 1000000 (1+0.1)^5 \\ &= 1610510 \$ Tk \end{aligned}$$

∴ FV of Sonali Bank is 19 Lac Tk.

Here,

$$FV_{(\text{maynamati})} < FV_{(\text{sonali})}$$

So, Mr. Kalam took the correct decision.

given,

$$\begin{aligned} PV &= 10000000 Tk \\ FV &= 19000000 Tk \\ n &= 5 \end{aligned}$$

given,

$$\begin{aligned} PV &= 1000000 \$ \\ i &= 10\% \\ &= 0.1 \\ n &= 5 \end{aligned}$$

### Problem-4

Padma Bank:

$$\begin{aligned} FV &= PV \left(1 + \frac{i}{m}\right)^{n \times m} \\ &= 5000000 \left(1 + \frac{0.12}{1}\right)^{5 \times 1} \\ &= 8811708.416 \text{ Tk} \end{aligned}$$

$$\begin{aligned} \text{given,} \\ PV &= \text{Tk } 50 \text{ lac} \\ i &= 12\% \\ &= 0.12 \\ n &= 5 \\ m &= 1 \end{aligned}$$

$\therefore$  Mr. Alam will receive 8811708.416 Tk if he deposits money in Padma bank after 5 years.

Postal Savings Bank:

$$\begin{aligned} FV &= PV (1 + i)^n \\ &= 5000000 (1 + 0.13)^{5 \times 1} \\ &= 5000000 (1.65) \\ &= 8250000 \text{ Tk} \end{aligned}$$

$$\begin{aligned} \text{given,} \\ PV &= \text{Tk } 50 \text{ lac} \\ i &= 13\% \\ &= 0.13 \\ n &= 5 \end{aligned}$$

~~Already given~~ FV of Postal Savings Bank 8250000 Tk

Given, FV of Prime Insurance Ltd. 9000000 Tk

$$\therefore FV_{(\text{Prime})} > FV_{(\text{Padma})} > FV_{(\text{Postal})}$$

$\therefore$  Mr. Alam will get more future value if he chooses Prime Insurance Ltd. So, Prime Insurance Ltd. offer should be accepted by Mr. Alam from the given alternatives.

### Problem - 5

$$\begin{aligned} a) \quad FV_1 &= PV(1+i)^n \\ &= 30000000(1+0.03)^5 \\ &= 3477822.223 \text{ Tk} \end{aligned}$$

$$\begin{aligned} \text{given,} \\ PV &= 30 \text{ lakh Tk} \\ i &= 3\% \\ &= 0.03 \\ n &= 5 \end{aligned}$$

$\therefore$  3477822.223 Tk will it cost to build the house in 5 years.

b) AB Bank:

$$\begin{aligned} FV_2 &= PV(1+i)^n \\ &= 2200000(1+0.1)^5 \\ &= 3543122 \end{aligned}$$

$$\begin{aligned} \text{given,} \\ PV &= 22 \text{ lakh Tk} \\ i &= 10\% \\ &= 0.1 \\ n &= 5 \end{aligned}$$

Here  $FV_2 > FV_1$

If Mr. Faisal deposite his money he will get more money than he needs to make the house after 5 years.  
So, The decision of Mr. Faisal is correct.

## Problem-6

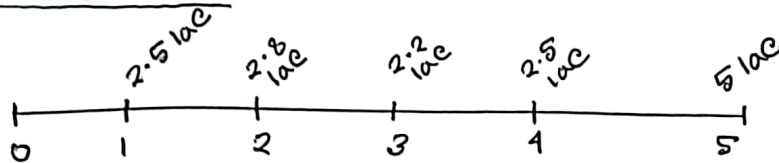
Prime Bank:

$$\begin{aligned} FV_1 &= PV(1+i)^n \\ &= 1000000(1+0.1)^5 \\ &= 1610510 \text{ Tk} \end{aligned}$$

given,  
 $PV = 10 \text{ lac Tk}$   
 $i = 10\%$   
 $= 0.1$   
 $n = 5$

$\therefore$  The future value of the money is 1610510 Tk if it is deposited in Prime Bank.

Pisciculture:



given,  
 $i = 10\%$   
 $= 0.1$

$$\begin{aligned} \therefore FV_2 &= 2.5(1+0.1)^4 + 2.8(1+0.1)^3 + 2.2(1+0.1)^2 \\ &\quad + 2.5(1+0.1)^1 + 5(1+0.1)^0 \\ &= \text{Tk } 18.2991 \text{ lac} \end{aligned}$$

Poultry farm:

$$\begin{aligned} FV_{3(OA)} &= A \times \left[ \frac{(1+i)^n - 1}{i} \right] \\ &= 3 \times \left[ \frac{(1+0.1)^5 - 1}{0.1} \right] \\ &= 18.3153 \text{ lac Tk} \end{aligned}$$

given,  
 $i = 10\%$   
 $= 0.1$   
 $A = 3 \text{ lac Tk}$   
 $n = 5$

Here,  $FV_3 > FV_2 > FV_1$

So, Here we can see Poultry farm will give more future value of the money after 5 years. So, Mr. Noman should select Poultry farm between pisciculture and poultry farm.



### Problem-7

a) Modhumoti Bank:

$$\begin{aligned} FV_{(OA)} &= A \times \left[ \frac{\left(1 + \frac{i}{m}\right)^{n \times m} - 1}{\frac{i}{m}} \right] \\ &= 5000 \times \left[ \frac{\left(1 + \frac{0.1}{12}\right)^{10 \times 12} - 1}{\frac{0.1}{12}} \right] \\ &= 10\,24\,224.895 \text{ Tk} \end{aligned}$$

given,

$$A = 5000 \text{ Tk}$$

$$i = 10\%$$

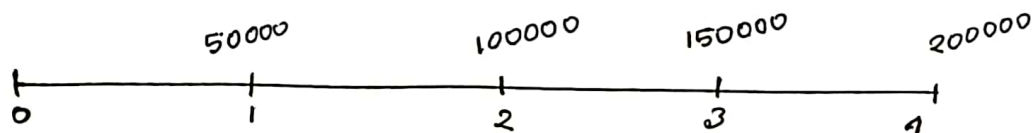
$$= 0.1$$

$$n = 10$$

$$m = 12$$

$\therefore$  Mr. Jaynal will receive 1024224.895 Tk from Modhumoti Bank after 10 years.

b) Grocery store:



given,

$$i = 8\%$$

$$= 0.08$$

$$\begin{aligned} \therefore FV_1 &= 50000(1+0.08)^3 + 100000(1+0.08)^2 + 150000(1+0.08)^1 \\ &\quad + 200000(1+0.08)^0 \\ &= \cancel{1085600} \text{ Tk} \\ &= 541625.6 \text{ Tk} \end{aligned}$$

Poultry farm:

$$\begin{aligned} FV_2(OA) &= A \times \left[ \frac{(1+i)^n - 1}{i} \right] \\ &= 150000 \left[ \frac{(1+0.08)^4 - 1}{0.08} \right] \\ &= 675916.8 \text{ Tk} \end{aligned}$$

given,

$$A = 150\,000 \text{ Tk}$$

$$i = 8\%$$

$$= 0.08$$

$$n = 4$$

Here,

$$FV_2 > FV_1$$

From poultry farm, Mr. Sibot will get more future value. So, poultry farm will be better investment for Mr. Sibot.



### Problem - 8

a) We know,

$$\text{interest rate, } i = \left[ \left( \frac{FV}{PV} \right)^{1/n} - 1 \right] \times 100$$

$$= \left[ \left( \frac{900000}{300000} \right)^{1/10} - 1 \right] \times 100$$

$$= 11.61\%$$

given,

$$PV = 300000$$

$$FV = 900000$$

$$n = 10$$

b) ABC Bank  
1st offer:

$$FV_{(\text{Annuity due})} = A \times \left[ \frac{\left(1 + \frac{0.1}{12}\right)^{10 \times 12} - 1}{\frac{0.1}{12}} \right] \times \left(1 + \frac{0.1}{12}\right)$$

$$= 7000 \times \left[ \frac{\left(1 + \frac{0.1}{12}\right)^{120} - 1}{\frac{0.1}{12}} \right] \times \left(1 + \frac{0.1}{12}\right)$$

$$= 1445864.143 \$ Tk$$

given,

$$A = 7000$$

$$i = 10\%$$

$$= 0.1$$

$$n = 10$$

$$m = 12$$

2nd offer

$$FV_2(\text{Ordinary Annuity}) = A \times \left[ \frac{\left(1 + \frac{i}{m}\right)^{n \times m} - 1}{\frac{i}{m}} \right]$$

$$= 7500 \times \left[ \frac{\left(1 + \frac{0.09}{12}\right)^{10 \times 12} - 1}{\frac{0.09}{12}} \right]$$

$$= 1451357.078 \$ Tk$$

given,

$$A = 7500$$

$$i = 9\%$$

$$= 0.09$$

$$n = 10$$

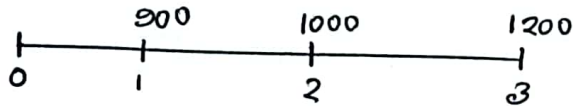
$$m = 12$$

$$\therefore FV_2(OA) > FV_1(AD) > FV_{(\text{3rd offer})}$$

$\therefore$  So, Mr. Tamim will get maximum money from offer 2.  
So, I don't agree with the statement.

### Problem-10

a) A:

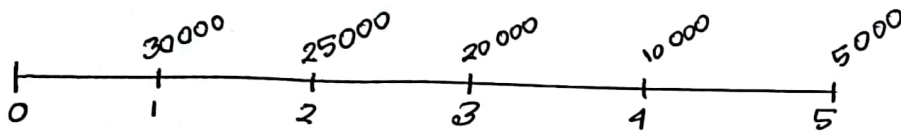


given,

$$i = 12\% \\ = 0.12$$

$$\therefore FV = 900(1+0.12)^2 + 1000(1+0.12)^1 + 1200(1+0.12)^0 \\ = \$ 3448.96$$

B:

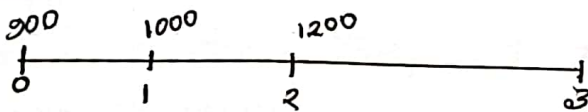


given,

$$i = 12\% \\ = 0.12$$

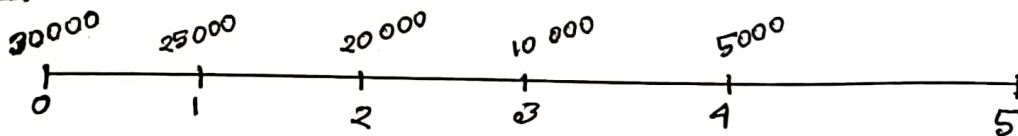
$$\therefore FV = 30000(1+0.12)^4 + 25000(1+0.12)^3 + 20000(1+0.12)^2 + 10000(1+0.12)^1 + 5000(1+0.12)^0 \\ = \$ 123616.7808$$

b) A:

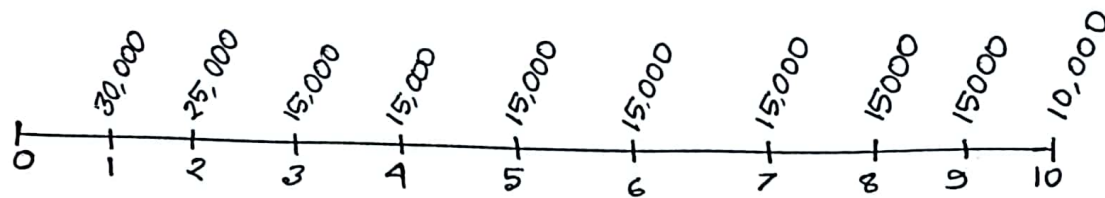


$$\therefore FV = 900(1+0.12)^3 + 1000(1+0.12)^2 + 1200(1+0.12)^1 \\ = \$ 3862.835$$

c) B:



$$\therefore FV = 30000(1+0.12)^5 + 25000(1+0.12)^4 + 20000(1+0.12)^3 + 10000(1+0.12)^2 + 5000(1+0.12)^1 \\ = \$ 138450.794$$



b)

$$\therefore PV = \left\{ \frac{30000}{1.12} + \frac{25000}{(1.12)^2} + \frac{15000}{(1.12)^3} + \frac{15000}{(1.12)^4} + \frac{15000}{(1.12)^5} + \frac{15000}{(1.12)^6} + \frac{15000}{(1.12)^7} + \frac{15000}{(1.12)^8} + \frac{15000}{(1.12)^9} + \frac{10000}{(1.12)^{10}} \right\}$$

$$= \$104510$$

given,  
 $i = 12\%$   
 $= 0.12$

c) Harbe should accept the proposal of first company hardware chain. They will give more loan than the second company

$$PV_{(1st\ company)} > PV_{(2nd\ company)}$$

$$a) PV_{\text{(ordinary Annuity)}} = A \times \left[ \frac{1 - \frac{1}{(1+i)^n}}{i} \right]$$

$$\Rightarrow 50000 = A \times \left[ \frac{1 - \frac{1}{(1+0.14)^5}}{0.14} \right]$$

$$\Rightarrow 50000 = A \times 3.433$$

$$\therefore A = 14564.18 \$$$

$\therefore$  The annual end of year loan payment is \$14564.18.

given,

$$PV = \$50000$$

$$i = 14\%$$

$$= 0.14$$

$$n = 5$$

b) Loan amortization schedule:

1	2	3	4 = 2 x i	5 = 3 - 4	6 = 2 - 5
Year	Beginning Value	Installment (A)	Interest Amount	Repayment of Principal	Remaining Balance
1	\$50000	\$14564	\$7000	7564 \$	\$42436
2	\$42436	\$14564	\$5941	\$8623	\$33813
3	\$33813	\$14564	\$4734	\$9830	\$23983
4	\$23983	\$14564	\$3358	\$11206	\$12777
5	\$12777	\$14564	\$1789	\$12775	\$2

c) Here we can see every year Joan Messineo paying installment and in the installment there is a portion of repayment principal. Due to repayment principal the beginning amount decreasing but that the interest amount also decreasing because interest amount depend on beginning value. More beginning amount means more interest amount. That's why every year beginning value decreasing and but that the interest portion of each payment declines with the passage of time.