### fd001-baseline

June 14, 2024

# 1 Predictive Maintenance of Turbofan Jet Engine: Baseline Model

For the baseline of the model training, we will be using the most basic model without any preprocessing so that we can see how significant the improvement is after applying adequate data preprocessing and features engineering. - Baseline model: Linear Regression

## 2 Regression - RUL Prediction

#### 2.1 1. Load Dataset

```
[1]: import warnings
     warnings.filterwarnings("ignore")
     import pandas as pd
     import numpy as np
     import matplotlib.pyplot as plt
     import seaborn as sns
     from utils import read_dataset
[2]: train, test, test rul = read dataset("FD001")
     train.shape, test.shape, test_rul.shape
[2]: ((20631, 26), (13096, 26), (100,))
[3]:
    train.head()
[3]:
        unit
              time_cycles
                            op_setting_1
                                          op_setting_2
                                                         op_setting_3
                                                                        sensor_1 \
     0
           1
                         1
                                 -0.0007
                                                -0.0004
                                                                 100.0
                                                                           518.67
     1
                         2
           1
                                  0.0019
                                                -0.0003
                                                                 100.0
                                                                           518.67
     2
           1
                         3
                                 -0.0043
                                                 0.0003
                                                                 100.0
                                                                           518.67
     3
           1
                         4
                                  0.0007
                                                                 100.0
                                                 0.0000
                                                                          518.67
     4
           1
                                 -0.0019
                                                -0.0002
                                                                 100.0
                                                                          518.67
        sensor_2
                  sensor_3
                             sensor_4
                                       sensor_5 ...
                                                     sensor_12
                                                                 sensor_13 \
                                           14.62
     0
          641.82
                   1589.70
                              1400.60
                                                        521.66
                                                                   2388.02
          642.15
                   1591.82
                              1403.14
                                           14.62 ...
                                                        522.28
                                                                   2388.07
     1
     2
          642.35
                   1587.99
                              1404.20
                                           14.62 ...
                                                        522.42
                                                                   2388.03
```

```
3
     642.35
               1582.79
                          1401.87
                                        14.62
                                                      522.86
                                                                  2388.08
                                        14.62
4
     642.37
               1582.85
                          1406.22
                                                      522.19
                                                                  2388.04
                                                                 sensor_19
   sensor_14
               sensor_15
                           sensor_16
                                        sensor_17
                                                    sensor_18
     8138.62
                   8.4195
                                 0.03
                                                                     100.0
0
                                               392
                                                          2388
1
     8131.49
                  8.4318
                                 0.03
                                               392
                                                          2388
                                                                     100.0
2
     8133.23
                  8.4178
                                 0.03
                                               390
                                                                     100.0
                                                          2388
3
     8133.83
                  8.3682
                                 0.03
                                                                     100.0
                                               392
                                                          2388
                  8.4294
                                 0.03
                                                          2388
     8133.80
                                               393
                                                                     100.0
   sensor_20
               sensor_21
0
       39.06
                 23.4190
1
       39.00
                 23.4236
2
       38.95
                 23.3442
3
                 23.3739
       38.88
4
       38.90
                 23.4044
```

[5 rows x 26 columns]

#### 2.2 2. Establish Evaluation Metrics

Since we are solving a regression problem, we have choose two evaluation metrics to evaluate the trained models for estimating RUL. 1. **RMSE** - Root Mean Squared Error - one of the standard metrics for regression, it's a squared root of averaged squared difference between actual and predicted values. An important characteristic of RMSE is that it penalizes larger errors more.

$$RMSE = \sqrt{\frac{1}{n}\sum_{i=1}^{n}{(y_i - \hat{y_i})^2}}$$

2. **MAE** - Mean Absolute Error - an average of absolute difference between actual and predicted values. MAE uses the same scale as the data and it's more robust to outliers.

$$MAE = \frac{1}{n} \sum_{i=1}^{n} |y_i - \hat{y_i}|$$

```
[4]: from sklearn.metrics import mean_squared_error, mean_absolute_error

def rul_evaluation_score(model, X, true_rul, metrics='all'):
    '''
    Calculate evaluation metrics:
        1. rmse - Root Mean Squared Error
        2. mae - Mean Absolute Error

    Returns
------
dict with metrics
```

```
scores_f = {
    'rmse': lambda y_true, y_pred: np.sqrt(mean_squared_error(y_true,_
y_pred)),
    'mae': mean_absolute_error
}

pred_rul = model.predict(X)

def calculate_scores(metrics_list):
    return {m: scores_f[m](true_rul, pred_rul) for m in metrics_list}

if metrics == 'all':
    return calculate_scores(scores_f.keys())
elif isinstance(metrics, list):
    return calculate_scores(metrics)
```

### 2.3 3. Establish Evaluation Methodology

The most important aspect to discuss in the cross-validation is that the same engine cannot appear in 2 different folds. In time-series data or data where observations are grouped, standard k-fold cross-validation can lead to **data leakage**. This happens because the same engine can appear in both training and validation sets, which violates the assumption that the training and validation sets should be independent.

To avoid this, **GroupKFold** cross-validation method will be used, which ensures that the same group (engine unit) does not appear in both training and validation sets.

```
[5]: from sklearn.model_selection import GroupKFold from sklearn.model_selection import cross_validate
```

```
Evaluate a model with Cross-Validation
  111
  cv_results = cross_validate(
      model,
      X=X,
      y=y,
      groups=groups,
      scoring=scoring,
      cv=cv,
      return_train_score=True,
      return_estimator=True,
      n_jobs=n_jobs,
      verbose=verbose
  )
  for k, v in cv_results.items():
       if k.startswith('train_') or k.startswith('test_'):
           k_sp = k.split('_')
           print(f'[{k_sp[0]}] :: {" ".join(k_sp[2:])} : {np.abs(v.mean()):.
\Rightarrow 2f} +- {v.std():.2f}')
  return cv results
```

### 2.4 4. Build Baseline Model and Cross-Validate

```
[8]: from sklearn.pipeline import Pipeline
      from sklearn.preprocessing import StandardScaler
      from sklearn.linear_model import LinearRegression
      from sklearn.compose import make_column_selector
      from utils import calculate_RUL
 [9]: get_ftr_names = make_column_selector(pattern='sensor')
[10]: baseline_model = Pipeline([
          ('scaler', StandardScaler()),
          ('model', LinearRegression())
      ])
      cv_result = evaluate(
          baseline_model,
          X=train[get_ftr_names(train)].values,
          y=calculate_RUL(train, upper_threshold=135),
          groups=train['unit'],
          cv=CustomGroupKFold(n_splits=5)
      )
```

[test] :: root mean squared error : 23.42 +- 1.54

```
[train] :: root mean squared error : 23.80 +- 0.35
[test] :: mean absolute error : 19.32 +- 1.25
[train] :: mean absolute error : 19.42 +- 0.35
```

#### 2.5 5. Evaluate Baseline Model on Test Set

```
[11]: # Train model on the whole dataset
baseline_model.fit(
          X=train[get_ftr_names(train)].values,
          y=calculate_RUL(train, upper_threshold=135)
)
```

[11]: Pipeline(steps=[('scaler', StandardScaler()), ('model', LinearRegression())])

```
[13]: # Choose only the last cycle for each unit in the test set
X_test = test.groupby('unit').last().reset_index()
```

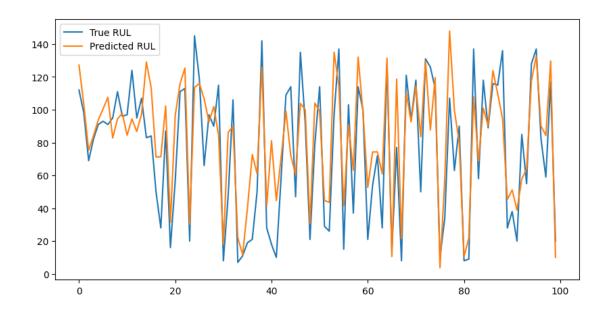
```
[14]: # Evaluate on the test set
rul_evaluation_score(baseline_model, X_test[get_ftr_names(test)], test_rul)
```

[14]: {'rmse': 22.368523506668193, 'mae': 17.88996899556987}

The results above will be used as our baseline when selecting the best ML models.

```
[15]: # plot the result
def plot_rul(y_true, y_pred):
    plt.figure(figsize=(12, 5))
    plt.plot(y_true, label='True RUL')
    plt.plot(y_pred, label='Predicted RUL')
    plt.legend()
    plt.show()

plot_rul(test_rul, baseline_model.predict(X_test[get_ftr_names(test)]))
```



The graph above will be compared to the selected model. We want to see whether the predicted RUL closely match with the true RUL or not.

```
[16]: # Print the predicted value vs true value

pd.DataFrame({
    'True RUL': test_rul,
    'Predicted RUL': baseline_model.predict(X_test[get_ftr_names(test)])
})
```

[16]:		True RUL	Predicted RUL
	0	112.0	127.233806
	1	98.0	103.124768
	2	69.0	75.339804
	3	82.0	84.046613
	4	91.0	93.794439
		•••	•••
	95	137.0	132.722916
	96	82.0	90.107619
	97	59.0	84.319839
	98	117.0	129.667877
	99	20.0	10.099036

[100 rows x 2 columns]