

# Chapter 03

:- Notes:-

## "Dynamics"

The field of physics in which we study about the motion as well its cause (force)

**force:-** force is a vector quantity which changes or tends to change state of body.

**Types of forces:-** forces are broadly classified as contact and non-contact forces.

**Contact forces:-** A force acting b/w two objects that are in physical contact are termed as contact forces.

Example:- Batter hitting a cricket ball is a contact force since there is a physical contact b/w the bat and the ball.

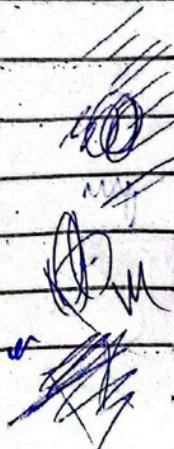
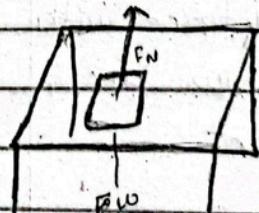
-:- Examples:-

### **1. Normal force:-**

A force that is perpendicular to the contact surface at the angle of  $90^\circ$ , that

prevents the objects from passing through each other is called normal force

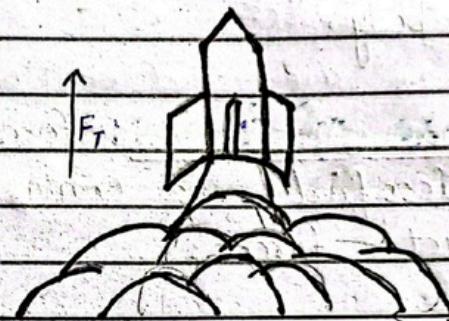
And is represented as  $F_N$ .



**Example:-** The book lying on a table the force perpendicular to the table is normal force.

2. **Thrust force:-** The force that propels a flying machine in the direction of motion is termed as Thrust.

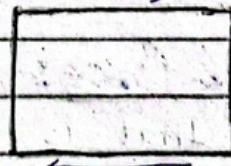
**Example:-** Engine produce thrust, the thrust of engine of car cause it to accelerate.



3. **Friction:-** Force that opposes the direction of motion. Force that resist the relative motion of solid surfaces, fluid surfaces/layers and material elements in contact and sliding against each other is called friction.

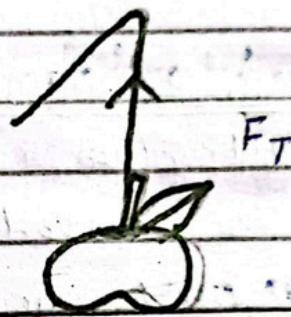
**Example:-** Air resistance is also a frictional force with occurs b/w air & an object.

Push force



Air and liquid  $\rightarrow$  fluids

**Tension :-** The forces exerted by two or more physical objects that are in contact through string, rope, cable or spring. we call such forces as tension.



**Elastic forces :-** The forces that an object exerts to resist a ~~st~~ change in its shape are called elastic forces.

## -: Non-Contact forces:-

"The force which acts at a distance without any physical contact b/w bodies is termed as non-contact forces."

### 1. Gravitational force:-

The attractive force b/w two objects with mass is called gravitational force.

Example:- The force; The force experienced by moon because of earth.

### 2. Electrostatic force:-

An attractive or repulsive force experienced by charged objects is called electrostatic force.

Example:- Attractive force b/w a positively charged nucleus and negatively charged electron.



## SLO Based Questions Related to topic, "Contact and non-Contact" forces

Q Differentiate b/w contact and non-contact forces.

| Contact forces | non-Contact forces |
|----------------|--------------------|
|----------------|--------------------|

### : Definition:-

forces that require physical contact between objects.

forces that do not require physical contact between objects.

### : Characteristics :-

- |   |  |
|---|--|
| • Require direct contact between objects. | • Do not require direct contact b/w objects. |
| • Act on the surface of objects           | • Can act over long distance.                |

### : Example:-

- |                  |                          |
|------------------|--------------------------|
| - friction force | - Nuclear forces         |
| - Normal force   | - Electromagnetic forces |
| - Tension force  | - Gravitational forces   |

Q2 Why magnetic and electrostatic forces are placed in non contact forces?

Magnetic and electrostatic forces are classified as non-contact forces because they can act b/w objects without physical contact or direct touching.

Example:- "A magnet can attract and repel each other without physical contact." A charge particle can exert an electrostatic force on another charge particle

without touching?"

Q How moon attracts the earth, what kind of force is b/w them describe its nature:

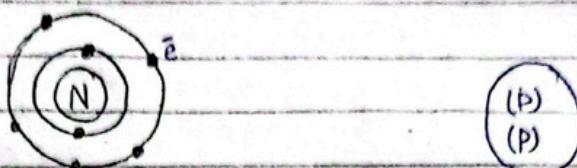
### - Attraction b/w Moon & Earth -

The moon attract the earth through gravitational force. Gravitational force is a type of non-contact force. This force is a result of the mutual attraction b/w two masses.

## Fundamental forces in Nature

Q Briefly Explain strong nuclear force.

Strong nuclear force:-



"Force that bind positively charged protons tightly packed in the nucleus of an atom"

Exchange particle :-

Exchange particles of strong nuclear force are called pions ( $\pi$ ).

Q Define Exchange particle.

Exchange particle :-

Exchange particles transfer transmit the fundamental forces between particles.

Electromagnetic force :-

Electric force      Magnetic force

"force b/w two electric charges"      "force b/w magnetic poles (North & South)"

- Scientific word of light is Photon :-

Photon :- is a mass less particle

↓  
"have both electric & magnetic force"

"dual nature".

\* "Particles that have <sup>both</sup> electric & magnetic force is called photon."

Electric force + Magnetic force = Photons

## Gravitational force :-

Gravitational force is the force<sup>↑</sup> that exist between two mass objects.

- \* Universal Gravitation constant =  $G = 6.673 \times 10^{-11}$

Exchange particle :- Exchange particle in gravitational force is "graviton" not detected yet.

## Weak nuclear force :-

- \* Convert neutrons to proton and protons to neutron ~~to proton~~
- \* emits or radiates unstable nucleus is weak nuclear force.

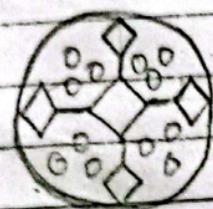
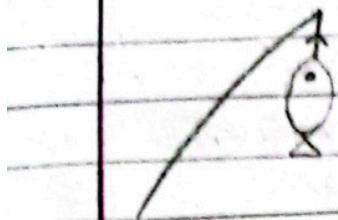
## Exchange particle :-

$W^+, W^-$ ,  $Z_0$  (vector bosons)

- \* when we break any proton or neutron the particles in it are called quark
- \* 3quarks = proton and neutron

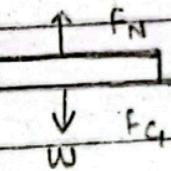
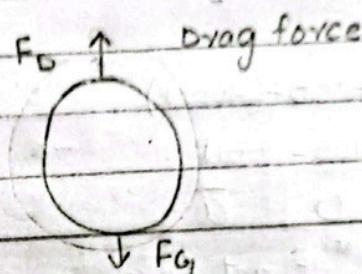
force Diagrams :- If we critically analyse any system diagram is known as free diagram.

### System Diagram (SD)

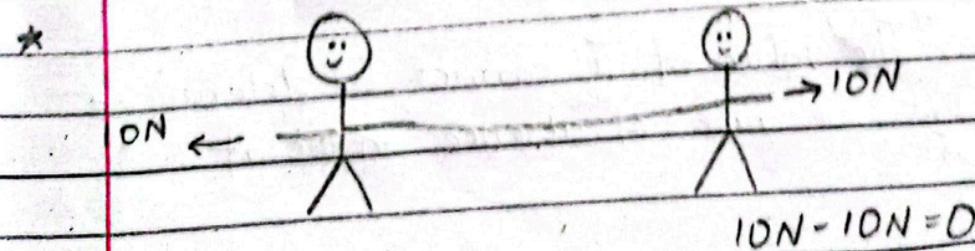
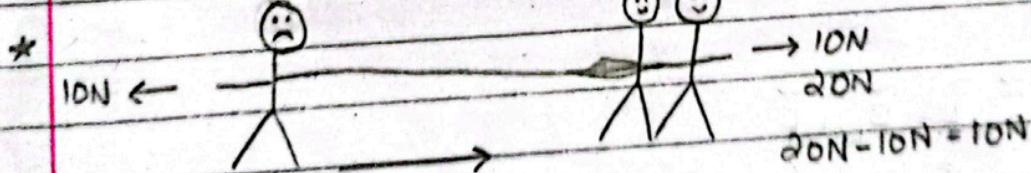


Book

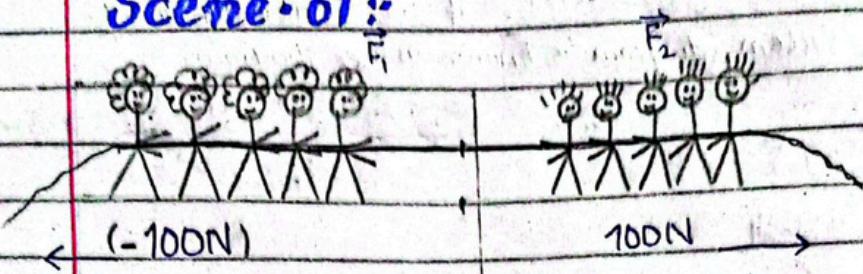
### free body Diagram (FBD)



### Concept of Net force :-



## Scene - 01 :-



$\Rightarrow F_{net} = \text{Sum of all forces}$

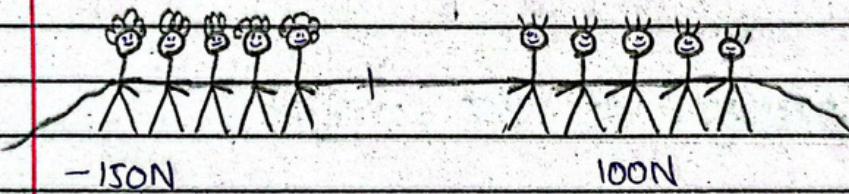
$$\Rightarrow \vec{F}_{net} = \vec{F}_1 + \vec{F}_2$$

$$= +100 + (-100N) \quad \vec{F}_2 \leftarrow \quad \rightarrow \vec{F}_1 \\ = 100 - 100N \quad -x \quad +x$$

$$\vec{F}_{net} = 0 \quad \vec{a}$$

"If net force is 0 then  $\vec{a}$  will also be 0."

## Scene - 02 :-



$$\vec{F}_{net} = \vec{F}_1 + \vec{F}_2$$

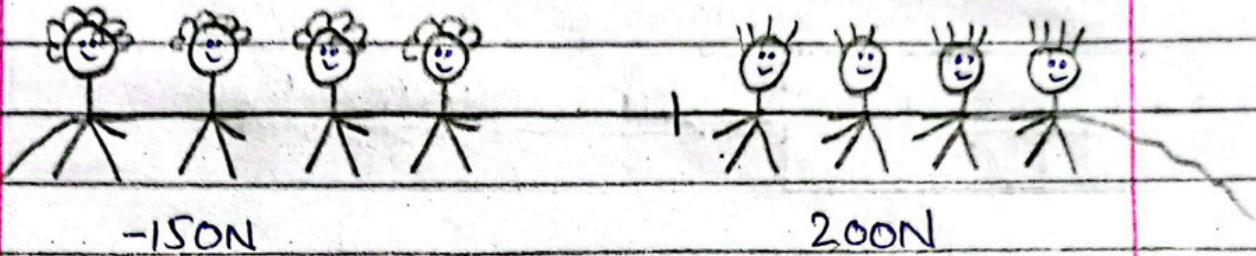
$$= 100N + (-150N)$$

$$= 100N - 150N$$

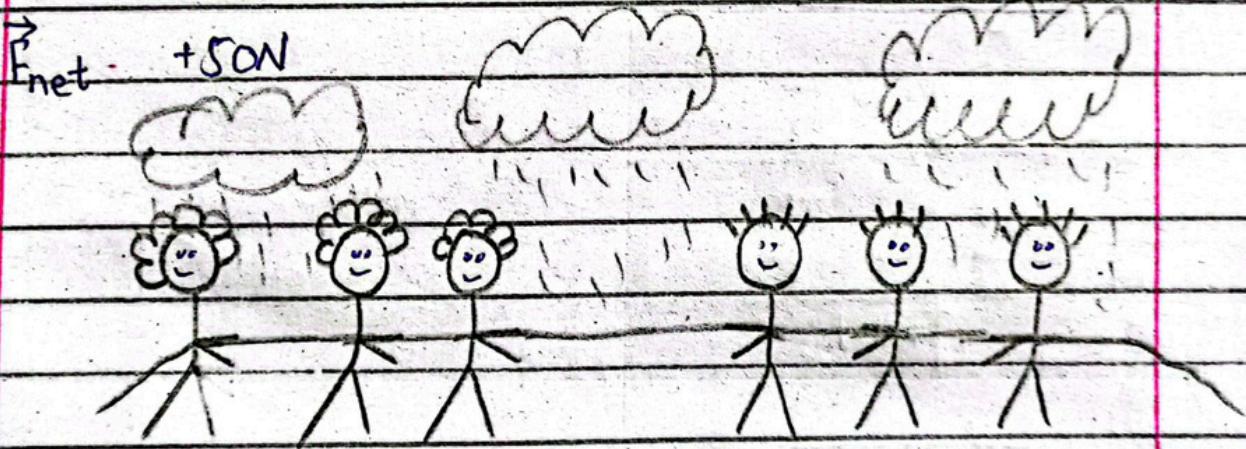
$$F_{net} = -50N$$

"The value of  $\vec{a}$  cannot be determined in this because of <sup>the</sup> absence of ~~the~~ of mass"

## Scene 03:-



$$\begin{aligned} F_{net} &= F_1 + F_2 \\ &= 200N + (-150N) \\ &= 200N - 150N \end{aligned}$$



"Match has been postponed  
Due to Rain" 

## Newton's first law of motion :-

$$\boxed{\vec{a} = 0} \rightarrow \begin{array}{l} \text{At rest} \\ \text{At motion (uniform velocity)} \end{array}$$

$$\vec{F}_{\text{net}} = m\vec{a} \Rightarrow \vec{F}_{\text{net}} = m \times 0 \Rightarrow \boxed{\vec{F}_{\text{net}} = 0}$$

$$\Delta \vec{v} = \vec{v}_f - \vec{v}_i = \boxed{5 \text{ m/s} - 5 \text{ m/s}} = \boxed{0 \text{ m/s}}$$

When will be the Newton's first law of motion will valid?

Newton's first law of motion is only valid when object is at rest or moves with constant/uniform velocity and in that case the change in velocity is zero and in the same way the value of acceleration is also zero.

Thus, we conclude that when  $\vec{a}$  is zero then the net force is also zero.

$$\text{Since, } \frac{\vec{v}}{\Delta t} = 0 \Rightarrow \vec{a} = \frac{\vec{v}}{\Delta t} \Rightarrow \vec{a} = 0 \Rightarrow \boxed{\vec{a} = 0}$$

$$\text{Since, } \vec{F}_{\text{net}} = ma \Rightarrow \vec{F}_{\text{net}} = m \times 0 \Rightarrow \boxed{\vec{F}_{\text{net}} = 0}$$

- Q Why passenger move outside when we take turns?  
Since passenger are not directly attached to the vehicle, they tend to continue moving in their original direction (straight line) due to inertia.

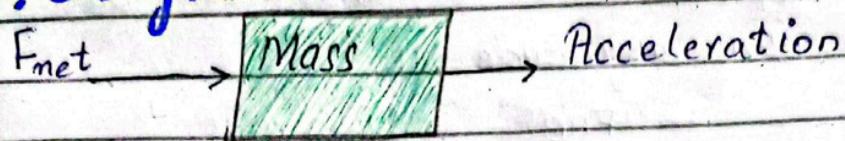
Q Where the newtons first law of motion is valid?

Newton's first law describe the natural tendency of objects to resist changes in their motion, Making it a Universal principle applicable everywhere in the Universe.

## Newton's Second Law of Motion :-

Q State and Derive newton's Second law of motion.

Diagram:-



$$\downarrow \uparrow \text{ Net force} \propto \text{Acceleration} \downarrow \\ \Rightarrow \vec{a} \propto \vec{F}_{\text{net}} \quad (\text{i})$$

$$\Rightarrow \vec{a} \propto \frac{1}{m} \quad (\text{ii})$$

By Combining eq (i) and (ii) Then

$$\Rightarrow \vec{a} \propto \frac{\vec{F}}{m}$$

$$\Rightarrow m\vec{a} \propto \vec{F}$$

$$\Rightarrow \vec{F} \propto m\vec{a}$$

$$\Rightarrow \vec{F} = (\text{constant}) m\vec{a}$$

$$\Rightarrow \vec{F} = k m \vec{a} \quad \therefore k = 1$$

$$\Rightarrow \vec{F} = m \vec{a}$$

$$\Rightarrow \boxed{\vec{F} = m \vec{a}}$$

Define one N

**Statement:-** The acceleration of an object as produced by a ~~object~~ net force is directly proportional to the magnitude of the net force and inversely proportional to the mass of an object

Define one newton?

**SI Unit of force :-**

Since,  $f = ma$

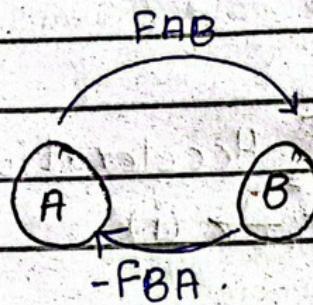
$$1N = 1\text{kg} \times 1\text{m s}^{-2} \quad \vec{F} = 1\text{N} \\ 1N = 1\text{kg m s}^{-2}$$

$$\vec{F}_{\text{net}} \rightarrow m = 1\text{kg} \quad \vec{a} = 1\text{m s}^{-2}$$

## Newton's Third law of motion

- Statement :-

To every action there is always but opposite reaction that will be equal in magnitude.



Action = Reaction

$$F_{AB} = -F_{BA}$$

direction of force  
is opposite

## Mass

-: Definition:-

The quantity of matter possessed by a body is called mass.

## Weight

The gravitational pull ( $\vec{g}$ ) on a body is called a weight (or) the force of gravity acting on a body

-: Quantity :-

It is scalar quantity. It is a vector quantity

-: Nature :-

Mass have scalar

Nature

Weight have vector

nature

-: Dependence:-

Mass is independent of Gravity

Weight is dependent

on the value of gravity

## Unit

SI Unit of Mass is  
(kg)

SI Unit of weight is  
Newton (N)

## Variation

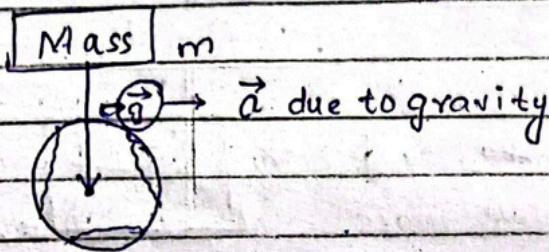
The value of mass doesn't vary by varying the value of altitude or height

The value of weight varies by varying the value of altitude. At different height  $\vec{g}$ , the value of  $\vec{g}$  varies at different height.

-: Symbolic Representation:-

Mass is symbolically represented by "m"

Weight is symbolically represented by " $\vec{w}$ "



Weight :-

-o Derivation :-

Since from Newton's Second law of motion

$$\Rightarrow \vec{F} = m\vec{a}$$

o If  $\vec{a} = \vec{g}$  then  $\vec{F} = \vec{W}$

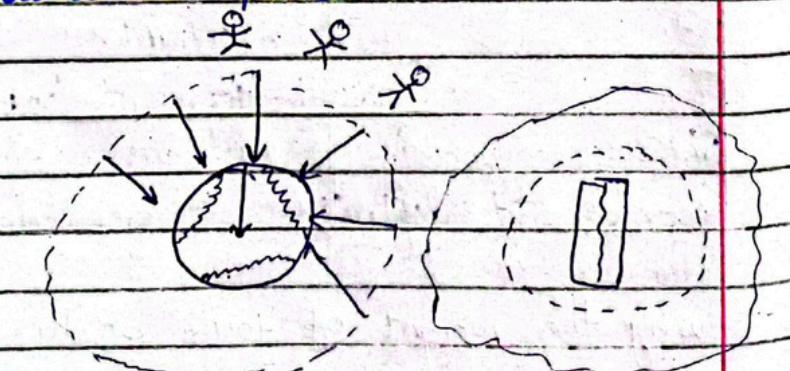
$$\Rightarrow \vec{W} = m\vec{g}$$

MAK's Special tip :-

weight is a special case of force when the acceleration is equal to the ~~was~~ value of gravity.

- \* when we put gravitational acceleration instead of acceleration then force would be defined as weight

Gravitational field :- The region around earth



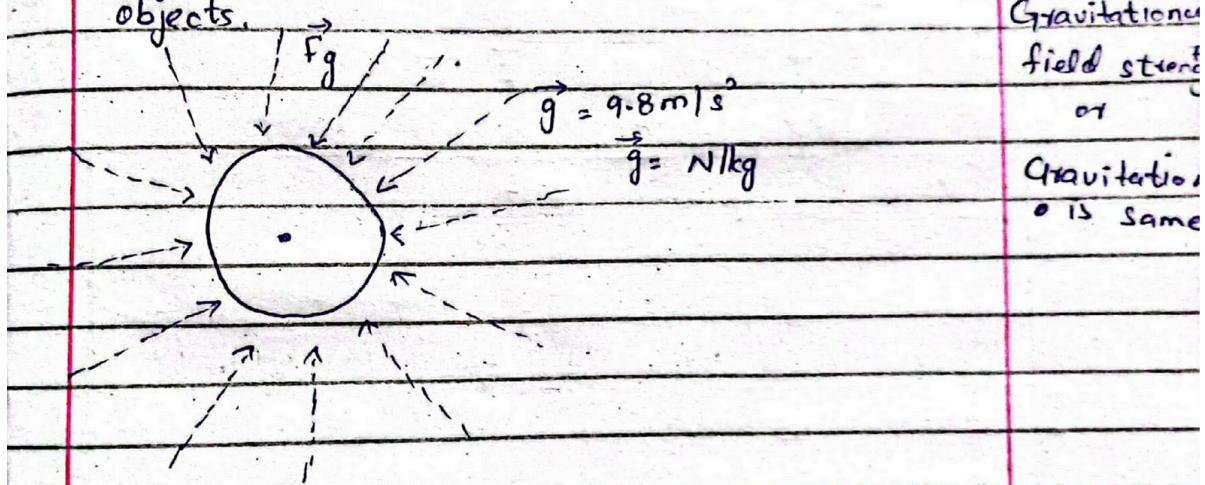
The region around the ~~g~~ Earth where force of the attraction exerts on another object this field is known as gravitational field

$\frac{F_g}{m}$  = Gravitational field strength

$$\Rightarrow \frac{F_g}{m} = g \Rightarrow \boxed{\vec{g} = \frac{\vec{F}_g}{m}}$$

It is defined as:-  
"Force acting on unit mass"

Gravitation field strength is gravitational force exerted by earth on massive objects.



### Main points :-

- 1) Gravity / Gravitational field strength / Gravitational acceleration are the same thing.
- 2) Both units  $\text{m/s}^2$  &  $\text{N/kg}$  are used for  $(\vec{g})$ .
- 3)  $(\vec{g})$  is a vector quantity and it has direction towards the centre of earth.
- 4) The value of  $\vec{g}$  varies by varying the heights.

## Momentum:-

The product of mass "m" and velocity " $\vec{v}$ " is known as momentum ( $\vec{P}$ ) "

Mathematical formula:-

$$\vec{P} = m\vec{v}$$

der  
tanding Physical definition:- The quantity that is related with the mass objects during their motion (the quantity is called as momentum).

Q1:- on which factors the value of momentum depends?

Momentum depend on two factors

1. Mass :- (higher mass higher momentum) (lower mass lower momentum)

2. Velocity :- (higher  $\vec{v}$  higher momentum) (lower  $\vec{v}$  lower momentum)

Q2:- Derive the relation b/w force and momentum.

Relation b/w force and momentum.

According to Newton's 2nd law of motion

$$\Rightarrow \vec{F}_{\text{net}} = m\vec{a} \quad \therefore \vec{a} = \frac{\vec{v}_f - \vec{v}_i}{\Delta t}$$

$$\Rightarrow \vec{F}_{\text{net}} = m \left( \frac{\vec{v}_f - \vec{v}_i}{\Delta t} \right) \quad \therefore \vec{P} = m\vec{v}$$

$$\Rightarrow \vec{F}_{\text{net}} = \frac{m\vec{v}_f - m\vec{v}_i}{\Delta t} \quad \therefore \vec{P}_i = m\vec{v}_i; \quad \therefore \vec{P}_f = m\vec{v}_f$$

$$\Rightarrow \vec{F}_{\text{net}} = \frac{\vec{P}_f - \vec{P}_i}{\Delta t}$$

$$\Rightarrow \vec{F}_{\text{net}} = \frac{\Delta \vec{P}}{\Delta t} \quad \therefore \Delta \vec{P} = \vec{P}_f - \vec{P}_i$$

Conclusion:- Thus we can conclude the relation of force and momentum that the

rate of change in momentum is equal to force

$$\vec{F}_{\text{net}} = \frac{\Delta \vec{P}}{\Delta t} = \vec{\Delta P} = \vec{F}_{\text{net}} \times \Delta t$$

$$\Delta \vec{P} = N \times S$$

SI unit of  $F = \text{NS}$

Momentum is

Dimensional formula is

## Impulse and Change in Momentum:-

$$\vec{F}_{\text{net}} = \frac{\vec{\Delta P}}{\Delta t}$$

Read  
orig  
s

body,  $\xrightarrow{\text{sw}}$   $\vec{F}_{\text{net}} \times \Delta t = \vec{\Delta P} \rightarrow \text{Impulse (J)}$

$\vec{F}_{\text{net}}$

large  $F_{\text{net}}$  to momentum  
change hota  
etka.

$$\boxed{\vec{J} = \vec{F}_{\text{net}} \times \Delta t} \rightarrow \text{formula of Impulse}$$

read  
det  
rig  
 $\vec{F}_{\text{net}}$

### Mathematical Definition :-

It is defined as the product of  $F_{\text{net}}$  net force and change in time it called impulse

{ Physical definition  
describes the actual  
object which exist in  
the real world, while  
the mathematical  
definition is the  
mathematical description  
of the physical model

Explain

Q: When will the momentum be conserved?

Newton's Second law of motion and Law of Conservation of Momentum :-

In isolated System the  $F_{net}$  is equal to 0

$$\vec{F}_{net} = 0 \rightarrow i$$

and since, from the relation of Net force and change in Momentum we have:-

$$\vec{F}_{net} = \frac{\Delta \vec{P}}{\Delta t} \rightarrow ii$$

Putting eq (ii) in eq (i) then

$$\begin{aligned} \Rightarrow 0 &= \Delta \vec{P} \Rightarrow 0 = \frac{\Delta \vec{P}}{\Delta t} \\ &\Rightarrow \Delta \vec{P} = 0 \\ \Rightarrow \vec{P}_f - \vec{P}_i &= 0 \Rightarrow \boxed{\vec{P}_f = \vec{P}_i} \text{ or} \\ m \vec{v}_f &= m \vec{v}_i \end{aligned}$$

Q:- When will the momentum of a system be conserved?

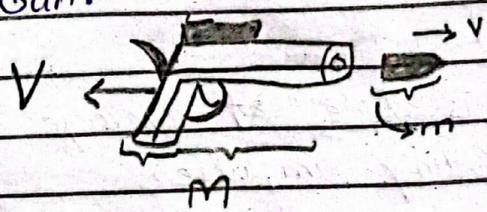
Q:- Explain law of conservation of momentum with the help of example

**Law of Conservation of momentum:-** It is defined as the momentum of an isolated system remains constant.

$\Rightarrow$  Initial Momentum = Final Momentum

$$\vec{P}_i = \vec{P}_f \Rightarrow \boxed{m \vec{v}_f = m \vec{v}_i}$$

Recoiling of Gun:-



Now, Applying law of conservation of momentum :-

⇒ Initial momentum      Final momentum  
Before the gun fire = After gun fire

$$\Rightarrow 0 = \{ \text{momentum of Gun} + \text{momentum of Bullet} \}$$

$$\Rightarrow 0 = M_1 V + m v \Rightarrow -\cancel{M_1 V} = -m v$$

$$\Rightarrow M V = -m v$$

$$= \boxed{V = -\frac{m}{M} v}$$