## ASSIGNMENT - 4

Q1. Write python code to display the matrix whose all entries are 10 and order is(4,6) >>> from sympy import \* >>> A=ones(4,6) >>> print(A\*10) Matrix([[10, 10, 10, 10, 10, 10], [10, 10, 10, 10, 10, 10], [10, 10, 10, 10, 10, 10, 10], [10, 10, 10, 10, 10]]) Q2. Using python code construct the following matrices. i.) An identity matrix of order 10x10 ii.) Zero matrix of order 7x3. iii.)Identity matrix of order 5x4. >>> from sympy import \* >>> A=eye(10,10) >>> print(A) Matrix([[1, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0], [0, 1, 0, 0, 0, 0, 0, 0, 0, 0], [0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0], [0, 0, 0, 1, 0, 0, 0, 0, 0, 0], 0, 0, 0, 0, 0, 1, 0, [0, 0, 0, 0, 0, 0, 0, 0, 0, 1]>>> B=zeros(7,3) >>> print(B) Matrix([[0, 0, 0], [0, 0, 0], [0, 0, 0], [0, 0, 0], [0, 0, 0], [0, 0, 0], [0, 0, 0]]) >>> C=ones(5,4) >>> print(C) Matrix([[1, 1, 1, 1], [1, 1, 1, 1], [1, 1, 1, 1], [1, 1, 1, 1], [1, 1, 1, 1]]) Q3. Using python code construct the following matrices. i.) Matrix of order 5x6 with all entries 1 ii.)Zero matrix of order 27x33. iii.)Identity matrix of order 5. >>> from sympy import \* >>> A=ones(5,6) >>> print(A) Matrix([[1, 1, 1, 1, 1, 1], [1, 1, 1, 1, 1], [1, 1, 1, 1, 1, 1, 1], [1, 1, 1, 1, 1, 1], [1, 1, 1, 1, 1]]) >>> B=zeros(27,33) >>> print(B) 

```
0]])
>>> C=eye(5)
>>> print(C)
Matrix([[1, 0, 0, 0, 0], [0, 1, 0, 0, 0], [0, 0, 1, 0, 0], [0, 0, 0, 1, 0], [0, 0, 0, 0, 1]])
Q4. Using sympy module of python, find the following terms of vectors x=[1,-5,0] and y=[2,3,-1]. i.)5x ii.)x+y
iii.) x-3y
>>> from sympy import *
>>> x=Matrix([[1],[-5],[0]])
>>> y=Matrix([[2],[3],[-1]])
>>> x+y
Matrix([
[3],
[-2],
[-1]])
>>> 5*x
Matrix([
[ 5],
[-25],
[ 0]])
>>> x-3*y
Matrix([
[-5],
[-14],
[ 3]])
```

Q5. Using sympy module of python, find the eigenvalues and eigenvectors i.) of matrix A=4 2 2

```
ii.) B= 2 5
       -14
>>> from sympy import *
>>> A=Matrix([[4,2,2],[2,4,2],[2,2,4]])
>>> B=Matrix([[3,-2],[6,-4]])
>>> A.eigenvals()
{8: 1, 2: 2}
>>> B.eigenvals()
{-1: 1, 0: 1}
>>> A.eigenvects()
[(2, 2, [Matrix([
[-1],
[ 1],
[ 0]]), Matrix([
[-1],
[0],
[ 1]])]), (8, 1, [Matrix([
[1],
[1],
[1]])])]
>>> B.eigenvects()
[(-1, 1, [Matrix([
[1/2],
[ 1]])]), (0, 1, [Matrix([
[2/3],
[ 1]])])]
Q6. Write python program to find the determinant of matrices i.) A=(1,0,5),(2,1,6),(3,4,0)
ii.)B=(9,0,3),(1,4,1),(1,0,-1).
>>> from sympy import *
>>> A=Matrix([[1,0,5],[2,1,6],[3,4,0]])
>>> B=Matrix([[9,0,3],[1,4,1],[1,0,-1]])
>>> A.det()
```

```
1
>>> B.det()
-48
Q7. Using sympy module of python, find the following for matrices. A=(-1,1,0),(8,5,2),(2,-6,2)
B=(9,0,3),(1,4,1),(1,0,-1). i.)2A+B ii.)3A-5B iii.)A-1 iv.)B**3 v.) At+Bt
>>> from sympy import *
>>> A=Matrix([[-1,1,0],[8,5,2],[2,-6,2]])
>>> B=Matrix([[9,0,3],[1,4,1],[1,0,-1]])
>>> 2*A+B
Matrix([
[7, 2, 3],
[17, 14, 5],
[5, -12, 3]])
>>> 3*A-5*B
Matrix([
[-48, 3, -15],
[ 19, -5, 1],
[ 1, -18, 11]])
>>> A.inv()
Matrix([
[-11/17, 1/17, -1/17],
[ 6/17, 1/17, -1/17],
[ 29/17, 2/17, 13/34]])
>>> B**3
Matrix([
[780, 0, 228],
[148, 64, 52],
[76, 0, 20]])
>>> A.T+B.T
Matrix([
[8, 9, 3],
[1, 9, -6],
[3, 3, 1]]
```

```
Q8. Write python code to find the eigenvalues and eigenvectors of the matrix a.) A=(1,3,3),(2,2,3),(4,2,1)
b.)B=(3,-2),(6,-4)
>>> from sympy import *
>>> A=Matrix([[1,3,3],[2,2,3],[4,2,1]])
>>> B=Matrix([[3,-2],[6,-4]])
>>> A.eigenvals()
{7: 1, -1: 1, -2: 1}
>>> B.eigenvals()
{-1: 1, 0: 1}
>>> A.eigenvects()
[(-2, 1, [Matrix([
[-1/2],
[-1/2],
[ 1]])]), (-1, 1, [Matrix([
[0],
[-1],
[ 1]])]), (7, 1, [Matrix([
[1],
[1],
[1]])])]
>>> B.eigenvects()
[(-1, 1, [Matrix([
[1/2],
[ 1]])]), (0, 1, [Matrix([
[2/3],
[ 1]])])]
Q9. Using python code construct identity matrix of order 10 and hence find determinant, trace and transpose
of it
>>> from sympy import *
>>> A=eye(10)
>>> print(A)
0, 0, 0, 0, 0, 1, 0], [0, 0, 0, 0, 0, 0, 0, 0, 1]
```

```
>>> A.det()
1
>>> A.trace()
10
>>> A.T
Matrix([
[1, 0, 0, 0, 0, 0, 0, 0, 0, 0]
[0, 1, 0, 0, 0, 0, 0, 0, 0, 0]
[0, 0, 1, 0, 0, 0, 0, 0, 0, 0],
[0, 0, 0, 1, 0, 0, 0, 0, 0, 0],
[0, 0, 0, 0, 1, 0, 0, 0, 0, 0],
[0, 0, 0, 0, 0, 1, 0, 0, 0, 0],
[0, 0, 0, 0, 0, 0, 1, 0, 0, 0],
[0, 0, 0, 0, 0, 0, 0, 1, 0, 0],
[0, 0, 0, 0, 0, 0, 0, 0, 1, 0],
[0, 0, 0, 0, 0, 0, 0, 0, 0, 1]])
Q10. Using python code, find determinant and inverse of the matrix if exist. A=(4,2,2),(2,4,2),(2,2,4)
>>> from sympy import *
>>> A=Matrix([[4,2,2],[2,4,2],[2,2,4]])
>>> A.det()
32
>>> A.inv()
Matrix([
[ 3/8, -1/8, -1/8],
[-1/8, 3/8, -1/8],
[-1/8, -1/8, 3/8]])
Q11. Write python code to verify (AB)-1=B-1A.
>>> from sympy import *
>>> Q=Matrix([[2,3],[1,4]])
>>> W=Matrix([[5,6],[7,8]])
>>> E=Q*W
>>> E.inv()
Matrix([
```

```
[33/10, -31/10]])
>>> R=W.inv()
>>> Y=Q.inv()
>>> R*Y
Matrix([
[-19/5, 18/5],
[33/10, -31/10]])
Q12. Use linsolve command in python to solve the following system of linear equations. X-2y+3z=7,2x+y+z=4,-
3x+2y-2z=-10.
>>> from sympy import*
>>> x,y,z=symbols("x,y,z")
>>> A=Matrix([[1,-2,3],[2,1,1],[-3,2,-2]])
>>> B=Matrix([[7],[4],[-10]])
>>> linsolve((A,B),[x,y,z])
\{(2, -1, 1)\}
Q13. For matrix A=(1,0,5,4),(2,1,6,-1),(3,4,0,2) apply the following using python i.)Delete 2<sup>nd</sup> row. Ii.)Delete 1<sup>st</sup>
column. Iii.)Add column [9,9]as 2nd column.
>>> A=Matrix([[1,0,5,4],[2,1,6,-1],[3,4,0,2]])
>>> A.row_del(2)
>>> A
Matrix([
[1, 0, 5, 4],
[2, 1, 6, -1]])
>>> A.col_del(0)
>>> A
Matrix([
[0, 5, 4],
[1, 6, -1]])
Q14. Declare the matrix A=(5,2,5,4),(10,3,4,6),(2,0,-1,11) find a row echelon form and rank of matrix A
>>> A=Matrix([[5,2,5,4],[10,3,4,6],[2,0,-1,11]])
>>> A.rank()
3
>>> A.rref()
```

[-19/5, 18/5],

```
[1, 0, 0, 77/9],
[0, 1, 0, -104/3],
[0, 0, 1, 55/9]]), (0, 1, 2))
Q16. Using python solve the following system of equation using LU-factorization method. 3x-7y-2z=-7,-
3x+5y+z=5,6x-4y=2.
>>> from numpy import *
>>> from sympy import *
>>> from sympy.abc import x,y,z
>>> AB=Matrix([[3,-7,-2,-7],[[-3,5,1,5],[6,4,0,1]])
 >>> AB=Matrix([[3,-7,-2,-7],[-3,5,1,5],[6,4,0,1]])
>>> solve_linear_system_LU(AB,[x,y,z])
{x: -3/10, y: 7/10, z: 3/5}
Q17. Using python solve the following system of equation using gauss elimination method. x+y+2z=-7,-
x+2y+3z=6,3x-7y+6z=1.
>>> from sympy import *
>>> x,y,z=symbols("x,y,z")
>>> A=Matrix([[1,1,2],[-1,-2,3],[3,-7,6]])
>>> B=Matrix([[7,6,1]])
>>> linsolve((A,B),[x,y,z])
{(-1, 2, 3)}
Q18. Using python accept the matrix A=(1,-3,2,4),(-3,9,-1,5),(5,-2,6,-3),(-4,12,2,7). find null space, column
space and rank of the matrix.
>>> from sympy import *
>>> A=Matrix([[1,-3,2,4],[-3,9,-1,5],[5,-2,6,-3],[-4,12,2,7]])
>>> A.nullspace()
[]
>>> A.columnspace()
[Matrix([
[ 1],
[-3],
[5],
[-4]]), Matrix([
[-3],
```

(Matrix([

```
[9],
[-2],
[12]]), Matrix([
[2],
[-1],
[6],
[ 2]]), Matrix([
[4],
[5],
[-3],
[7]])]
>>> A.rank()
Q19. Using python accept the matrix A=(1,2,3),(2,5,3),(1,0,8). Find the transpose , determinant , inverse , of the
matrix and also reduce the matrix to row reduce echelon form and daigonalize it
>>> from sympy import *
>>> A=Matrix([[1,2,3],[2,5,3],[1,0,8]])
>>> A.T
Matrix([
[1, 2, 1],
[2, 5, 0],
[3, 3, 8]])
>>> A.det()
-1
>>> A.inv()
Matrix([
[-40, 16, 9],
[ 13, -5, -3],
[ 5, -2, -1]])
>>> A.rref()
(Matrix([
[1, 0, 0],
[0, 1, 0],
```

```
[0, 0, 1]]), (0, 1, 2))
 >>> A.diagonalize()
 (Matrix([
 (464*2**(1/3) + (-40 + 2**(2/3)*(1 + sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3))*(1 + sqrt(3)*I)**(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/3)*(1/
 3*sqrt(74247)*I)**(1/3))/(12*(1 + sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3)),
 (464*2**(1/3) + (-40 + 2**(2/3)*(1 - sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3))*(1 - sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3))*(1 - sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3))*(1 - sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3))*(1 - sqrt(3)*I)**(1/3)*(1 - sqrt(3)*I)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(
 3*sqrt(74247)*I)**(1/3))/(12*(1 - sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(1/3)),
 -10/3 - 2**(2/3)*(335 + 3*sqrt(74247)*I)**(1/3)/6 - 58*2**(1/3)/(3*(335 + 3*sqrt(74247)*I)**(1/3))],
 [(-50112*2**(1/3)*(1 + sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(2/3) + (335 + 3*sqrt(74247)*I)**(2/3)
 3*sqrt(74247)*I)**(1/3)*(464*2**(1/3) + (1 + sqrt(3)*I)*(56 + 2**(2/3)*(1 + sqrt(3)*I)*(335 +
 3*sqrt(74247)*I)**(1/3))*(335 + 3*sqrt(74247)*I)**(1/3))**2 - 36*(1 + sqrt(3)*I)**2*(148 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3*2**(2/3)*(1 + 3
 sgrt(3)*I)*(335 + 3*sgrt(74247)*I)**(1/3))*(335 + 3*sgrt(74247)*I))/(288*(1 + sgrt(3)*I)**2*(335 + 3*sgrt(74247)*I))/(288*(1 + sgrt(3)*I)**2*(335 + 3*sgrt(74247)*I))/(288*(1 + sgrt(3)*I)**2*(335 + 3*sgrt(74247)*I))/(388*(1 + sgrt(3)*I)**2*(335 + 3*sgrt(3)*I)**2*(335 + 3*sgrt(3)**2*(335 + 3*sgrt(3)*I)**2*(335 + 3*sgrt(3)**2*(335 + 3*sgrt(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(3)**2*(
 3*sqrt(74247)*I)), ((335 + 3*sqrt(74247)*I)**(1/3)*(464*2**(1/3) + (1 - sqrt(3)*I)*(56 + 2**(2/3)*(1 -
 sgrt(3)*I)*(335 + 3*sgrt(74247)*I)**(1/3))*(335 + 3*sgrt(74247)*I)**(1/3))**2 - 50112*2**(1/3)*(1 - 1/2)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)**(1/3)*
 sqrt(3)*I)*(335 + 3*sqrt(74247)*I)**(2/3) + 36*(-148 + 3*2**(2/3)*(-1 + sqrt(3)*I)*(335 + 3*sqrt(3)*I)*(335 + 3*sqrt(3)*I)*(
 3*sqrt(74247)*I)**(1/3))*(1 - sqrt(3)*I)**2*(335 + 3*sqrt(74247)*I))/(288*(1 - sqrt(3)*I)**2*(335 + 3*sqrt(74247)*I)/(288*(1 - sqrt(3)*I)**2*(335 + 3*sqrt(3)*I)/(288*(1 - sqrt(3)*I)/(288*(1 
 3*sqrt(74247)*I)), (-42*sqrt(74247) - 2131*2**(2/3)*I*(335 + 3*sqrt(74247)*I)**(1/3) - 73*2**(1/3)*I*(335 +
 3*sqrt(74247)*I)**(2/3) - 2**(2/3)*sqrt(74247)*(335 + 3*sqrt(74247)*I)**(1/3) + 4690*I +
 2**(1/3)*sqrt(74247)*(335 + 3*sqrt(74247)*I)**(2/3))/(12*(3*sqrt(74247) - 335*I))],
 [
 1,
 1,
 1]]), Matrix([
 [14/3 - 58/(3*(-1/2 - sqrt(3)*I/2)*(335/2 + 3*sqrt(74247)*I/2)**(1/3)) - (-1/2 - sqrt(3)*I/2)*(335/2 +
 3*sqrt(74247)*I/2)**(1/3)/3,
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                       0,
0],
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                               0, 14/3 - (-1/2 + sqrt(3)*1/2)*(335/2 +
 3*sqrt(74247)*I/2)**(1/3)/3 - 58/(3*(-1/2 + sqrt(3)*I/2)*(335/2 + 3*sqrt(74247)*I/2)**(1/3)),
 0],
 0, 14/3 - (335/2 + 3*sqrt(74247)*I/2)**(1/3)/3 - 58/(3*(335/2 + 3*sqrt(74247)*I/2)**(1/3))]])
 Q20. Write the python code to perform the R2+2R1 row operation on the given matrix A=(1,1,1),(2,2,2),(3,3,3).
 >>> from sympy import *
 >>> from numpy import*
 >>> A=Matrix([[1,1,1],[2,2,2],[3,3,3]])
>>> A[1,:] += 2*A[0,:]
 >>> print(A)
 Matrix([[1, 1, 1], [4, 4, 4], [3, 3, 3]])
```