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function solution_array= gauss_elimation(arr,b)
%Here we have imported the matrix and the column vector
dim= size(arr); %this given the dimension of the matrix , first column given the \checkmark
number of rows
% and 2nd gives the number of rows
row max=dim(1);
col max=dim(2);
count=0;
%here we start our operations from 1st row to last 2nd row
for r=1:(row max-1)
    %for having the maximum diagonal each time
    for q=r+1:row max
        temp col=arr(r,r);
        if (abs(arr(q,r)) > abs(temp col)) % if this comes true then we swap the rows
            %thus having the maximum value of the diagonal
            temp row = zeros(1,col_max);
            for p=1:col max
                temp row(1,p) = arr(r,p);
            end
            for p=1:col max
                arr(r,p) = arr(q,p);
            end
            for p=1:col max
                arr(q,p) = temp row(1,p);
            end
            temp b=b(r,1);
            b(r,1) = b(q,1);
            b(q,1) = temp b;
        end
    end
    %Now since we have the maximum diagonal element in the row r, we now
    %perform the gauss elimation
    for y=r+1:(row max)
        if(arr(y,r)==0)
            continue
        else
            z=arr(y,r)/arr(r,r);
            count=count+1;
        end
        for t=1:col max
            arr(y,t) = arr(y,t) - arr(r,t) *z;
            count=count+2;
        b(y,1)=b(y,1)-b(r,1)*z;
        count=count+2;
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end
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return end

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end
%now for having solution X , we convert the row echlon form matrix into row
%canonical form and then easily we can have the values
e=col max;
while (e>1)
  i=e-1;
   while (i>0)
        z=arr(i,e)/arr(e,e);
        count=count+1;
        arr(i,e) = arr(i,e) - z*arr(e,e);
        count=count+3;
        b(i,1)=b(i,1)-z*b(e,1);
        count=count+2;
        i=i-1;
        count=count+1;
   end
   e=e-1;
end
%here we obtain the solution column vector
solution_array = zeros(row_max,1);
for i=1:col_max
    solution_array(i,1)=b(i,1)/arr(i,i);
    count=count+1;
end
```