# **Quiz 2.1 | Probability**

Due No due date Points 8 Questions 7 Time Limit None

## Instructions

The quizzes consists of questions carefully designed to help you self-assess your comprehension of the information presented on the topics covered in the module. Quiz once attempted i.e answered will not be able to attempt the same question again, so please be careful when submitting.

Each question in the quiz is of multiple-choice or "true or false" format. Few maybe having multiple options correct. You will be awarded points accordingly. Each correct or incorrect response will result in appropriate feedback at end when submitted.

## **Attempt History**

	Attempt	Time	Score
LATEST	Attempt 1	2 minutes	6 out of 8 *

<sup>\*</sup> Some questions not yet graded

Score for this quiz: **6** out of 8 \* Submitted Aug 30 at 7:32pm This attempt took 2 minutes.

Question 1	1 / 1 pts
Tickets numbered 1 to 20 are mixed up and then a ticket is dra random. What is the probability that the ticket drawn has a nun is a multiple of 3 or 5?	
O 1/2	
O 2/5	
O 8/15	

9/20

Question 2	1 / 1 pts
Three unbiased coins are tossed. What is the probability of gettin most two heads?	ng at
○ 3/4	
○ 3/8	
O 1/4	
7/8	
	Three unbiased coins are tossed. What is the probability of getting most two heads?  3/4  3/8  1/4

	Question 3	1 / 1 pts
	Marginal probability of an event comprises of joint probabilities of that are	events
	Independent	
	Mutually exclusive	
	Collectively exhaustive	
Correct!	Mutually exclusive and Collectively exhaustive	

Question 4 1 / 1 pts

	If an outcome of an event X is not impacted by the outcome of event Y, then	another
ct!	<ul> <li>X and Y are Statistically Independent</li> </ul>	
	X and Y are Mutually exclusive	
	X and Y are a part of Bayesian Inference	
	O None of the above	
		1 / 1 pts
	Question 5	
	Question 5  Previous probabilities in Bayes Theorem that are revised with available information are called	
et!	Previous probabilities in Bayes Theorem that are revised with	
ect!	Previous probabilities in Bayes Theorem that are revised with available information are called	
ect!	Previous probabilities in Bayes Theorem that are revised with available information are called  Posterior probabilities	
ect!	Previous probabilities in Bayes Theorem that are revised with available information are called  Posterior probabilities  Independent Probabilities	
oct!	Previous probabilities in Bayes Theorem that are revised with available information are called  Posterior probabilities  Independent Probabilities  Marginal Probabilities	
et!	Previous probabilities in Bayes Theorem that are revised with available information are called  Posterior probabilities  Independent Probabilities  Marginal Probabilities  Joint Probabilities	help of new

1/6

1/9

1/8

## **Question 7**

## Not yet graded / 2 pts

Mention 3 points describing significance of use of probability in ML.

Your Answer:

Three reasons to learn probability in ML are:

### 1. Class Membership Requires Predicting a Probability

Classification predictive modeling problems are those where an example is assigned a given label.

An example that you may be familiar with is the iris flowers dataset where we have four measurements of a flower and the goal is to assign one of three different known species of iris flower to the observation.

We can model the problem as directly assigning a class label to each observation.

Input: Measurements of a flower.

Output: One iris species.

A more common approach is to frame the problem as a probabilistic class membership, where the probability of an observation belonging to each known class is predicted.

Input: Measurements of a flower.

Output: Probability of membership to each iris species.

Framing the problem as a prediction of class membership simplifies the modeling problem and makes it easier for a model to learn. It allows the model to capture ambiguity in the data, which allows a process downstream, such as the user to interpret the probabilities in the context of the domain.

The probabilities can be transformed into a crisp class label by choosing the class with the largest probability. The probabilities can also be scaled or transformed using a probability calibration process.

This choice of a class membership framing of the problem interpretation of the predictions made by the model requires a basic understanding of probability.

#### 2. Models Are Designed Using Probability

There are algorithms that are specifically designed to harness the tools and methods from probability.

These range from individual algorithms, like Naive Bayes algorithm, which is constructed using Bayes Theorem with some simplifying assumptions.

### **Naive Bayes**

The linear regression algorithm can be seen as a probabilistic model that minimizes the mean squared error of predictions, and the logistic regression algorithm can be seen as a probabilistic model that minimizes the negative log likelihood of predicting the positive class label.

Linear Regression
Logistic Regression

It also extends to whole fields of study, such as probabilistic graphical models, often called graphical models or PGM for short, and designed around Bayes Theorem.

A notable graphical model is Bayesian Belief Networks or Bayes Nets, which are capable of capturing the conditional dependencies between variables.

#### 3. Models Are Tuned With a Probabilistic Framework

It is common to tune the hyperparameters of a machine learning model, such as k for kNN or the learning rate in a neural network.

Typical approaches include grid-searching ranges of hyperparameters or randomly sampling hyperparameter combinations.

Bayesian optimization is more efficient to hyperparameter optimization which involves a directed search of the space of possible configurations based on those configurations that are most likely to result in better performance. As its name suggests, the approach was devised from and

harnesses Bayes Theorem when sampling the space of possible configurations.

Quiz Score: 6 out of 8