

Say the vectorized image is  $x$  and  $A$  is the Radon matrix. Then  $Ax$  gives the vectorized radon transform of  $x$ . Writing the column vector  $x$  as  $\sum x_i l_i$ , where  $l_i$  is a column vector of size same as that of  $x$  containing all zeros except at  $i$ th row, where it has 1.

Now,

$\text{Radon}(x) = \sum x_i \text{Radon}(l_i)$  .....(Linearity of Radon).

So, in the matrix form, we construct a matrix  $m$ , of all zeros except at that location that corresponds to  $i$  in the vectorized form of  $m$ . Compute its radon transform using the inbuilt matlab function. This gives us the matrix version of  $\text{Radon}(l_i)$ . This matrix, in its vectorized form gives us the  $i$ th column of  $A$ .

---

RRMSE for backprojected image is 0.201421 (Cosine filter)  
Tikhonov parameters( $\alpha = 0.250$ )  
RRMSE( $\alpha$ ) = 0.143226  
RRMSE( $1.2 * \alpha$ ) = 0.163592  
RRMSE( $0.8 * \alpha$ ) = 0.146125

QUADRATIC PRIOR PARAMETERS  
 $\alpha = 0.500$   
RRMSE( $\alpha$ ) = 0.142417  
RRMSE( $1.2 * \alpha$ ) = 0.144553  
RRMSE( $0.8 * \alpha$ ) = 0.142017

HUBER PRIOR PARAMETERS  
 $\alpha = 1.000$   
 $\gamma = 9.000$   
RRMSE( $\alpha, \gamma$ ) = 0.142417  
RRMSE( $1.2 * \alpha, \gamma$ ) = 0.142017  
RRMSE( $0.8 * \alpha, \gamma$ ) = 0.144553  
RRMSE( $\alpha, 0.8 * \gamma$ ) = 0.142417  
RRMSE( $\alpha, 1.2 * \gamma$ ) = 0.142417

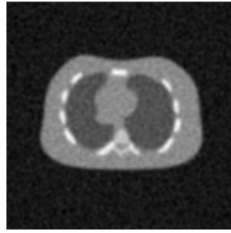
DISCONTINUITY PRIOR PARAMETERS  
 $\alpha = 0.800$   
 $\gamma = 4.800$   
RRMSE( $\alpha, \gamma$ ) = 0.142059  
RRMSE( $1.2 * \alpha, \gamma$ ) = 0.142028  
RRMSE( $0.8 * \alpha, \gamma$ ) = 0.144191  
RRMSE( $\alpha, 0.8 * \gamma$ ) = 0.142058  
RRMSE( $\alpha, 1.2 * \gamma$ ) = 0.142037

**Original Image**

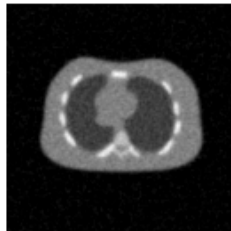


---

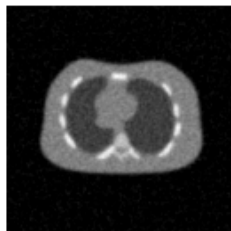
**myFilter Reconstructed** (Cosine filter)



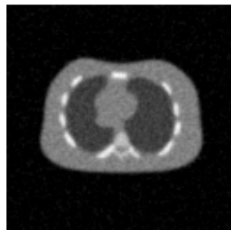
**Tikhonov Reconstructed**



**Quadratic Prior Reconstructed**

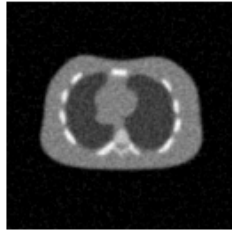


**Huber Prior Reconstructed**



---

## Discontinuity Prior Reconstruct



*Published with MATLAB® R2015b*