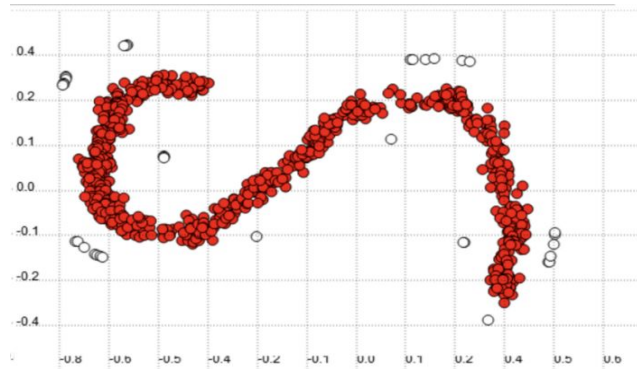


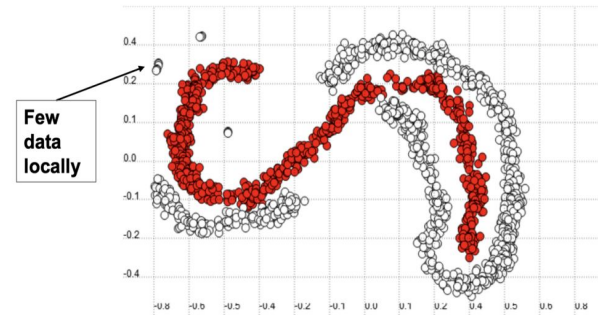
Imbalanced Dataset & Model Evaluation

Imbalanced Dataset

- An unequal distribution of classes
 - Example: In a credit card fraud detection dataset, most of the credit card transactions are not fraud and a very few classes are fraud transactions.
- Types of Imbalance Dataset



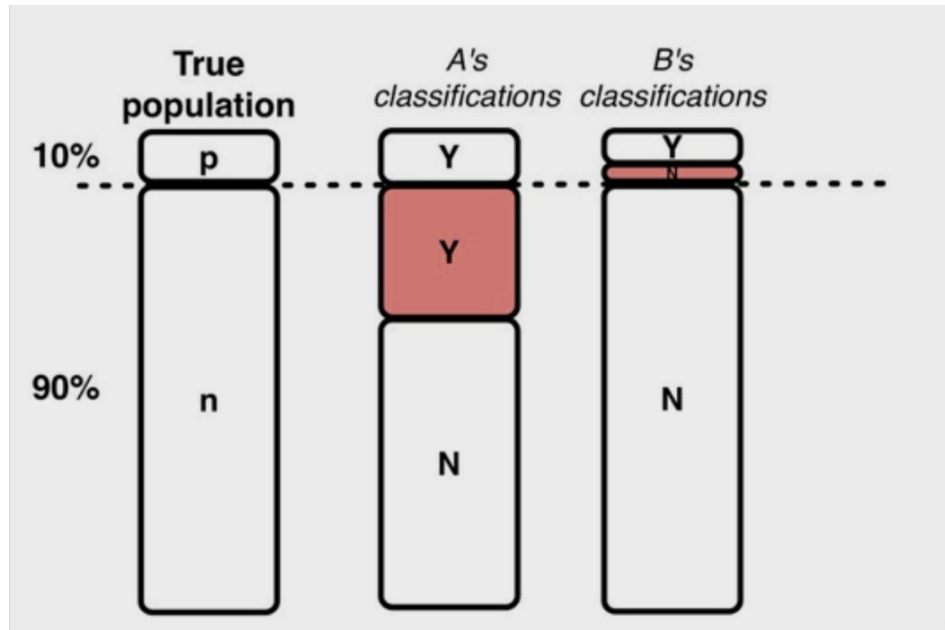
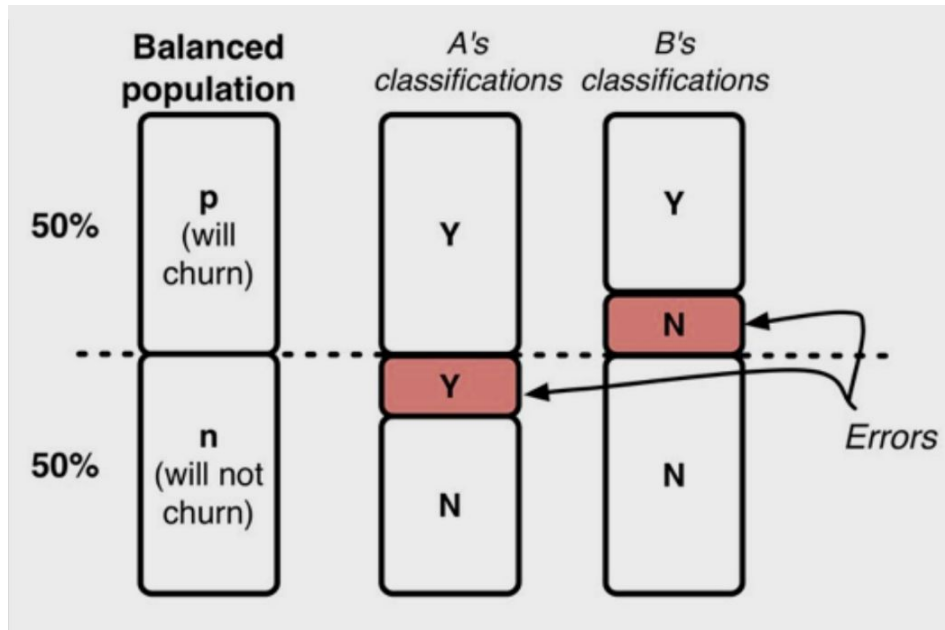
Between Class



Within Class

Imbalanced Dataset

The impacts of balanced dataset in machine learning

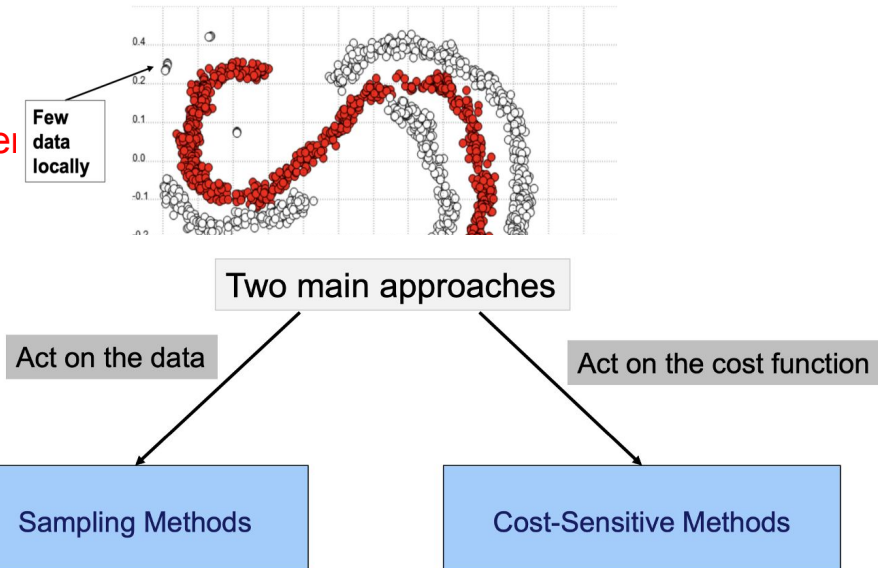
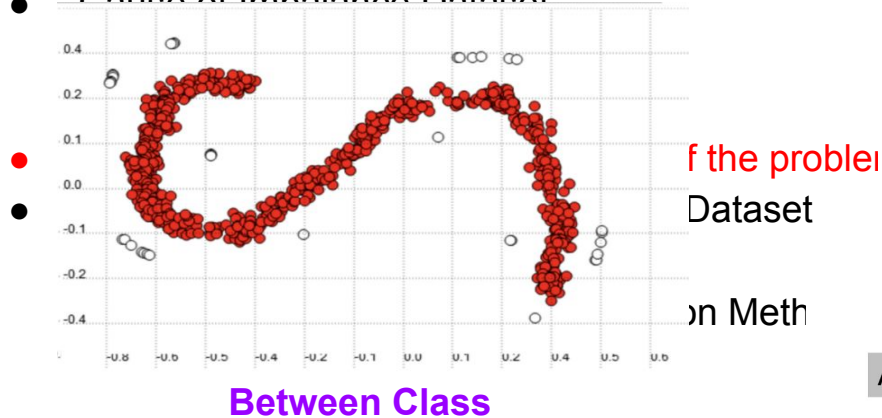


Imbalanced Dataset

- An unequal distribution of classes
 - Example: In a credit card fraud detection dataset, most of the credit card transactions are not fraud and a very few classes are fraud transactions.

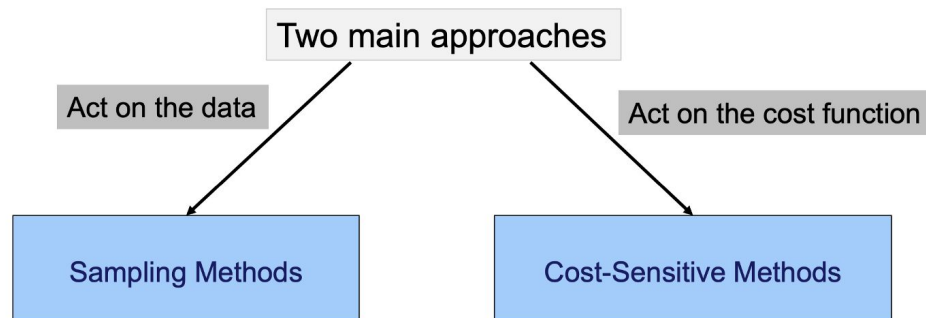
- Types of Imbalance Dataset

- Cause of Imbalance Dataset



Imbalanced Dataset

- An unequal distribution of classes
 - Example: In a credit card fraud detection dataset, most of the credit card transactions are not fraud and a very few classes are fraud transactions.
- Types of Imbalance Dataset
- Cause of Imbalance Dataset
 - Biased Sampling
 - Measurement Error
- The imbalance might be a property of the problem domain
- Approaches to handling Imbalanced Dataset
 - Act on Data (Sampling)
 - Act on Cost Function (Evaluation Meth

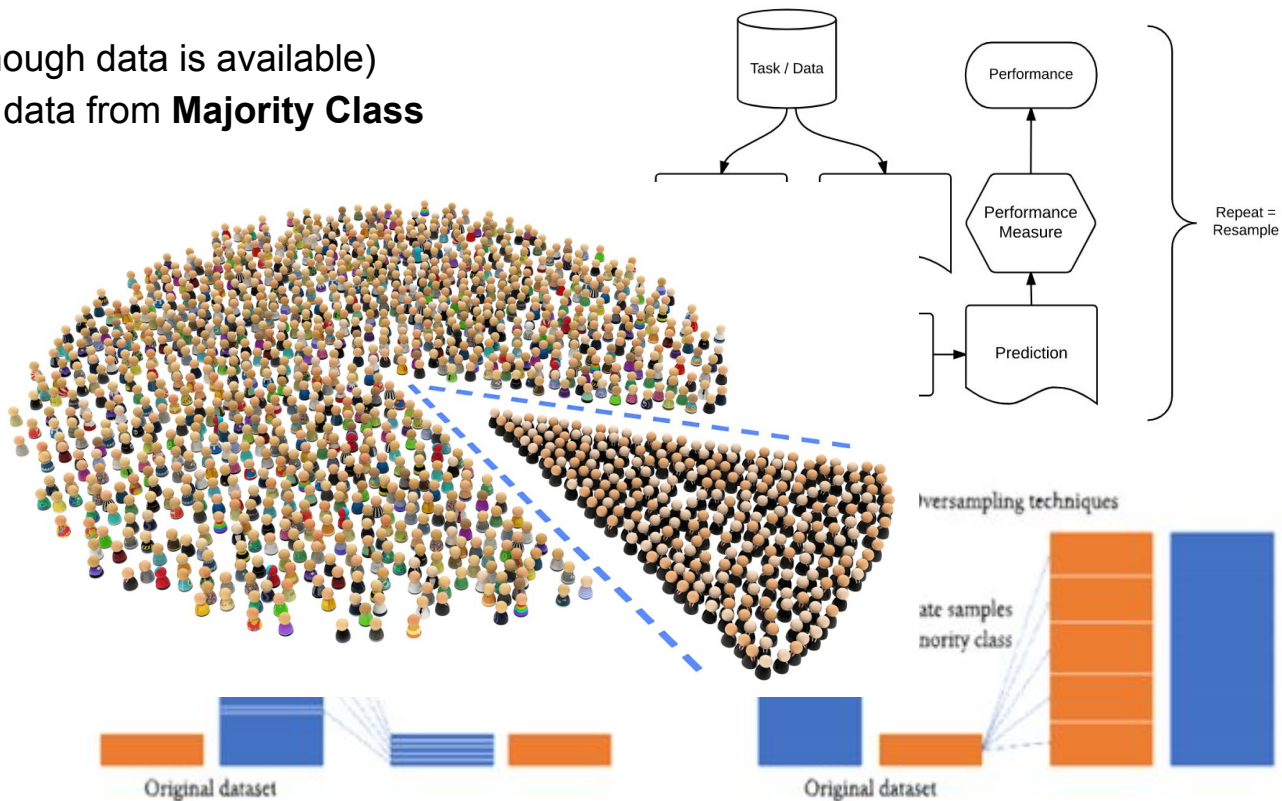


Sampling

- Undersampling (If enough data is available)
 - Remove some data from **Majority Class**

- Oversampling
 - Add new data
 - SMOTE (Synthetic Minority Over-sampling Technique)
 - Random oversampling

- Resampling



Evaluation Methods

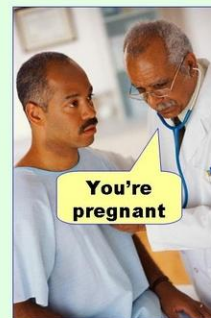
- Upweighting
- Downweighting
- Evaluation Metrics
- Ensemble Method

Evaluation Metrics

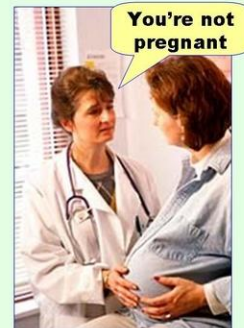
- True Positive
- True Negative
- False Positive
- False Negative

Actual	Predicted		
		Negative	Positive
	Negative	True Negative	False Positive
	Positive	False Negative	True Positive

Type I error
(false positive)



Type II error
(false negative)



Evaluation Metrics

Precision/Specificity: how many selected instances are relevant

Recall/Sensitivity: how many relevant instances are selected

F1 score: harmonic mean of precision and recall

Confusion Matrix: a table showing the relation of predicted and expected result

ROC Curve: true positive vs false positive curve

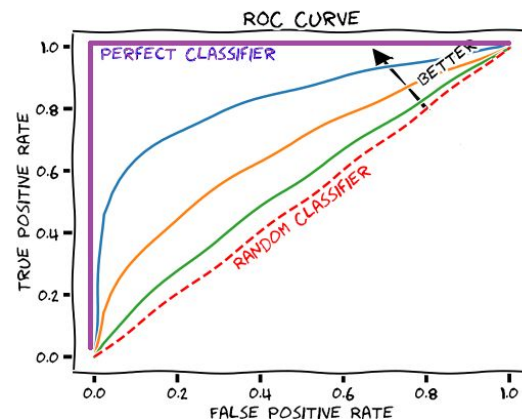
Precision

$$\frac{\text{True Positives}}{\text{Predicted Positives}} \text{ or } \frac{TP}{TP + FP}$$

Recall

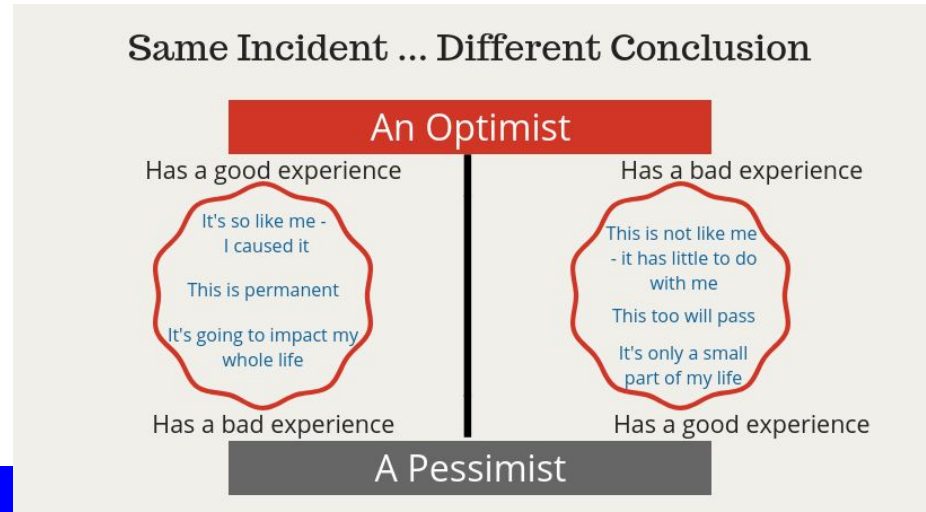
$$\frac{\text{True Positives}}{\text{Actual Positives}} \text{ or } \frac{TP}{TP + FN}$$

$$F1 = \frac{(1 + \beta^2) \times \text{precision} \times \text{recall}}{(\beta^2 \times \text{precision}) \times \text{recall}}$$



Model Evaluation (Holdout)

- Randomly partitioned in two independent sets
 - Training set
 - Test set
- Training set is used to train the model
- Test set is used to validate the accuracy of the model
- Estimation is Pessimistic



Model Evaluation (Random Sampling)

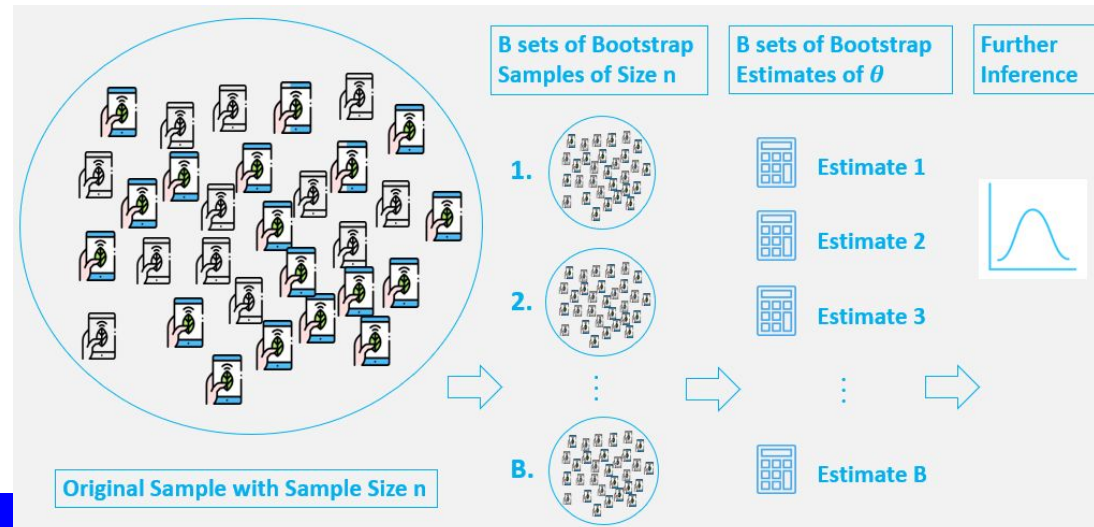
- Variation of Holdout method
- Holdout method is used for some n times
- Average result is considered

Model Evaluation (Cross Validation)

- k-fold
 - Randomly partitioned into k subsets
 - Training performs k times
 - Each time one subset of data is kept test data
 - Other $(k-1)$ subsets are used as training dataset
- Leave-one-out
 - Special case of k-fold
 - Each fold contains only one data tuple
- Stratified cross validation
 - Preserves the data distribution in subsets

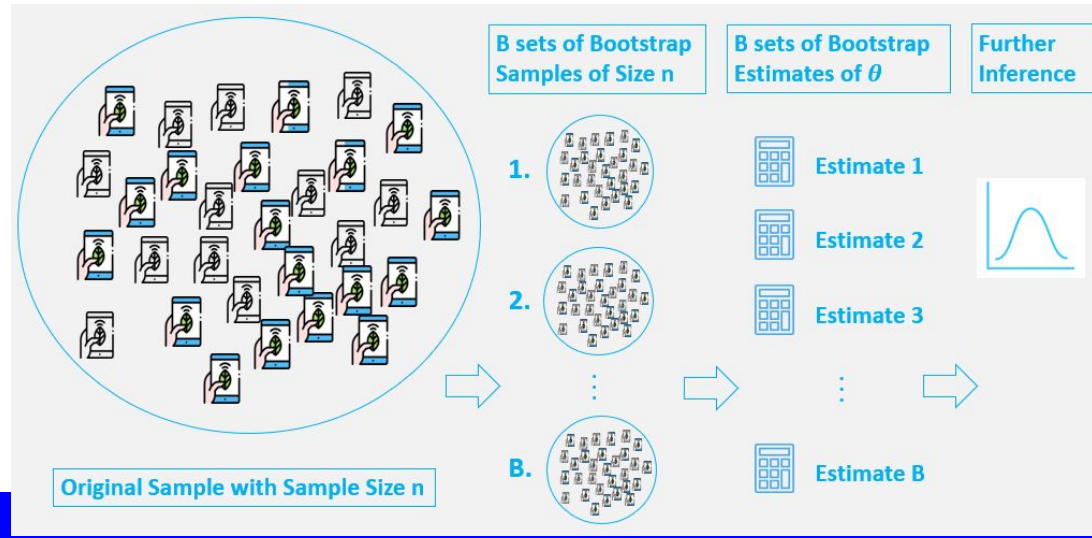
Model Evaluation (Bootstrap)

- Uniformly sample tuple with replacement
- On average, 63.2% data as Training data
- On average, 36.8% data as Test data
- Model accuracy is weighted

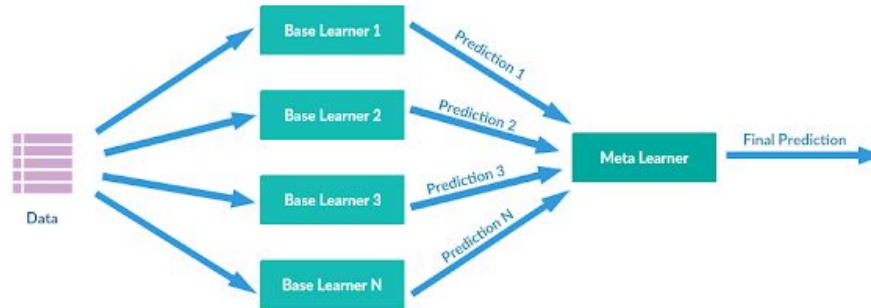


Model Evaluation (Bootstrap - steps)

- A sample from population with sample size n .
- Draw a sample from the original sample data **with replacement** with size n , and replicate B times, each re-sampled sample is called a Bootstrap Sample, and there will totally B Bootstrap Samples.
- Evaluate the **statistic** of θ for each Bootstrap Sample, and there will be totally B estimates of θ .
- Construct a **sampling distribution** with these B Bootstrap statistics and use it to make further statistical inference, such as:
 - Estimating the standard error of statistic for θ .
 - Obtaining a Confidence Interval for θ .



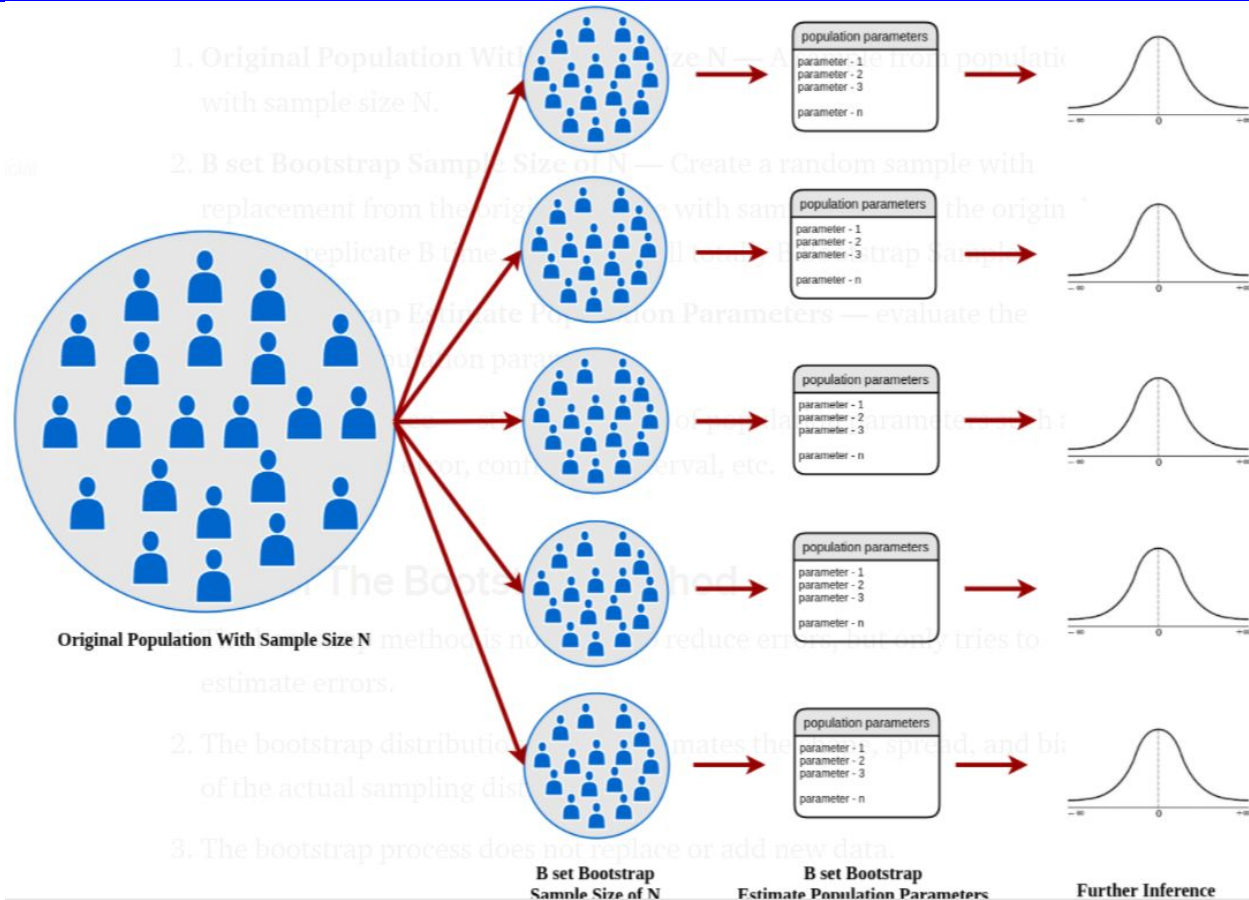
Model Evaluation (Ensemble Method)



- Use a set of classifiers
- Data is sampled for each classifier
- Final prediction based on majority voting
- Techniques:
 - Bagging
 - Boosting

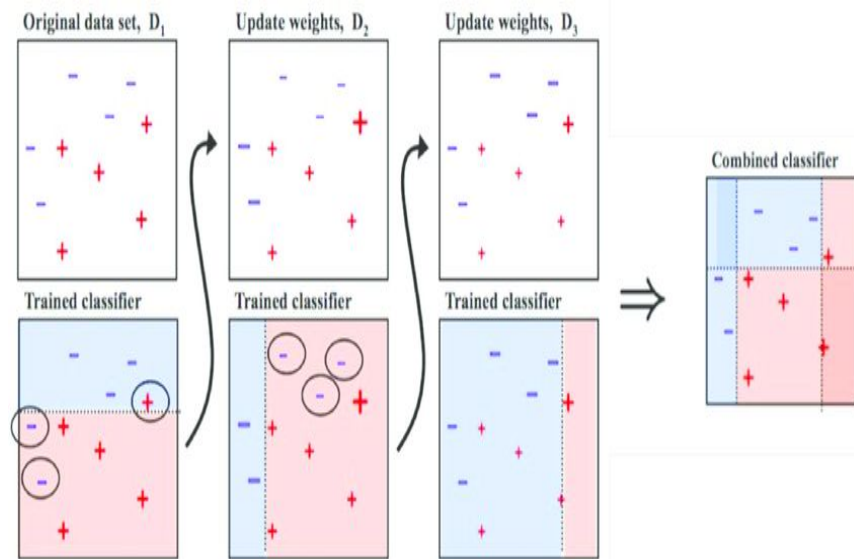
Model Evaluation (Bagging)

- Bagging stands for Bootstrap Aggregation
- Each Training is a bootstrap sample



Model Evaluation (Boosting)

- Weights are assigned to each tuple
- A series of n classifiers are learned
- Weights are updated after each iteration
 - Increased if predicted incorrectly
 - Decreased if predicted correctly
- Adaboost
 - Weights are updated based on error rate
 - Models are weighted based on error



Thank You

*And Thanks to:
medium.com & towardsdatascience.com*