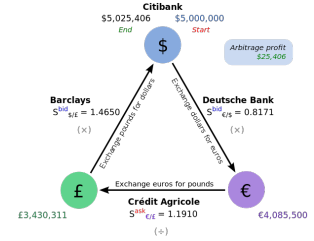


2 Detecting Anomalies in Currency Exchange Rates

Problem Introduction

You are given a list of currencies c_1, c_2, \dots, c_n together with a list of exchange rates: r_{ij} is the number of units of currency c_j that one gets for one unit of c_i . You would like to check whether it is possible to start with one unit of some currency, perform a sequence of exchanges, and get more than one unit of the same currency. In other words, you would like to find currencies $c_{i_1}, c_{i_2}, \dots, c_{i_k}$ such that $r_{i_1, i_2} \cdot r_{i_2, i_3} \cdot r_{i_{k-1}, i_k} \cdot r_{i_k, i_1} > 1$. For this, you construct the following graph: vertices are currencies c_1, c_2, \dots, c_n , the weight of an edge from c_i to c_j is equal to $-\log r_{ij}$. There it suffices to check whether there is a negative cycle in this graph. Indeed, assume that a cycle $c_i \rightarrow c_j \rightarrow c_k \rightarrow c_i$ has negative weight. This means that $-(\log c_{ij} + \log c_{jk} + \log c_{ki}) < 0$ and hence $\log c_{ij} + \log c_{jk} + \log c_{ki} > 0$. This, in turn, means that

$$r_{ij} r_{jk} r_{ki} = 2^{\log c_{ij}} 2^{\log c_{jk}} 2^{\log c_{ki}} = 2^{\log c_{ij} + \log c_{jk} + \log c_{ki}} > 1.$$



Problem Description

Task. Given an directed graph with possibly negative edge weights and with n vertices and m edges, check whether it contains a cycle of negative weight.

Input Format. A graph is given in the standard format.

Constraints. $1 \leq n \leq 10^3$, $0 \leq m \leq 10^4$, edge weights are integers of absolute value at most 10^3 .

Output Format. Output 1 if the graph contains a cycle of negative weight and 0 otherwise.

Time Limits.

| language | C | C++ | Java | Python | C# | Haskell | JavaScript | Ruby | Scala |
|------------|---|-----|------|--------|----|---------|------------|------|-------|
| time (sec) | 2 | 2 | 3 | 10 | 3 | 4 | 10 | 10 | 6 |

Memory Limit. 512MB.

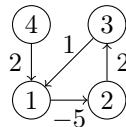
Sample 1.

Input:

```
4 4
1 2 -5
4 1 2
2 3 2
3 1 1
```

Output:

```
1
```



The weight of the cycle $1 \rightarrow 2 \rightarrow 3 \rightarrow 1$ is equal to -2 , that is, negative.