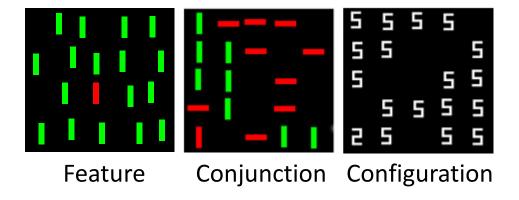
Demo 1: Search slopes

- Experiment data from: http://search.bwh.harvard.edu/new/data_set_files.html
- Three visual search tasks:



Load the data

```
data <- read.table("your_path/PSYC6229_search_data.csv",
header=TRUE, sep=",")
View(data)
summary(data)
unique(data$Condition)
unique(data$Setsize)
summary(subset(data, Condition == "R_vs_G"))
summary(subset(data, Condition == "RV_vs_RHGV"))
summary(subset(data, Condition == "2_vs_5"))
```

RT distributions

```
par(mfrow=c(3,4))
for (i in unique(data$Condition)) {
    for (j in sort(unique(data$Setsize))) {
        hist(data$RT[data$Condition==i & data$Setsize==j],
        xlab="RT in msec",
        main=paste(i,", set size = ",j),
        col="blue")
    }
}
```

It's hard to see the details. How about looking only at the fastest (< 2 sec) RTs?

Pattern of errors

```
aggregate(data$Error, list(data$Condition,data$Setsize), mean)
```

```
dev.new()
par(mfrow=c(3,4))
for (i in unique(data$Condition)) {
    for (j in sort(unique(data$Setsize))) {
        tmp <- data$Type[data$Condition==i & data$Setsize==j]
        counts <- table(tmp)
        barplot(100*counts[c("FA","MISS")]/sum(counts),
        ylim = c(0,5),
        main=paste(i,", set size = ",j))
    }
}</pre>
```

This is okay for investigating trends, but it's not how you'd graph errors for a paper (by subjects, with error bars).

Pattern of errors (by subjects)

```
par(mfrow=c(3,4))
for (i in unique(data$Condition)) {
  for (j in sort(unique(data$Setsize))) {
     tmp <- data[data$Condition==i & data$Setsize==j,]
     bySub <- aggregate(tmp$Error,
list(tmp$Subject,tmp$Tpresent), mean)
     meansBySub <- aggregate(bySub$x, list(bySub$Group.2),
mean)
     means <- 100 * meansBySub$x
     sds <- aggregate(bySub$x, list(bySub$Group.2), sd)
     sderr <- 100 * sds$x / sqrt(length(unique(bySub$Group.1)))</pre>
     barHeights <- barplot(means, names.arg = list("FA","MISS"),
       ylim = c(0,12), main=paste(i,", set size = ",j))
     arrows(barHeights, means - sderr, barHeights, means + sderr,
       lwd = 1.5, angle = 90, code = 3, length = 0.05)
```

d prime (by subjects)

```
par(mfrow=c(3,4))
for (i in unique(data$Condition)) {
  for (j in sort(unique(data$Setsize))) {
    tmp <- data[data$Condition==i & data$Setsize==j,]
    bySub <- aggregate(tmp$Error,
      list(tmp$Subject,tmp$Tpresent), mean)
    bySub$x[bySub$x < 0.005] <- 0.005
    bySub$x[bySub$x > 0.995] <- 0.995
    zHIT <- qnorm(1-bySub$x[bySub$Group.2==1])
    zFA <- qnorm(bySub$x[bySub$Group.2==0])
    dprimeBySub <- zHIT - zFA
    barHeights <- barplot(dprimeBySub, names.arg =
       unique(bySub$Group.1), ylim = c(0,7),
       main=paste(i,", set size = ",j))
```

Are RT distributions normal?

```
p <- matrix(ncol=5, nrow=4*29*2)
colnames(p) <- list("cond", "setsize", "subject", "tpres", "pval")
counter <- 1
for (i in unique(data$Condition)) {
  for (j in sort(unique(data$Setsize))) {
     for (ii in unique(data$Subject[data$Condition==i &
data$Setsize==j])) {
       for (jj in unique(data$Tpresent)) {
          tmp <- data[data$Condition==i & data$Setsize==j &
data$Subject==ii & data$Tpresent==jj,]
          result <- shapiro.test(tmp$RT)
          p[counter,] <- c(i, j, ii, jj, result$p.value)
          counter <- counter + 1
}}}
testresults = as.data.frame(p)
View(testresults)
```

RT trimming

```
flag <- 1
for (i in unique(data$Condition)) {
  for (j in sort(unique(data$Setsize))) {
     for (ii in unique(data$Subject[data$Condition==i &
data$Setsize==j])) {
        for (jj in unique(data$Tpresent)) {
           tmp <- data[data$Condition==i & data$Setsize==j &
data$Subject==ii & data$Tpresent==jj,]
           thHigh <- mean(tmp$RT) + (2.5*sd(tmp$RT))
           thLow <- mean(tmp$RT) - (2.5*sd(tmp$RT))
           new <- tmp[tmp$RT > thLow & tmp$RT < thHigh,]
           if (flag==1) {
              data2 <- new
                                               Although this is a standard
              flag <- 0
                                               technique to make RT distributions
           } else {
                                               normal, it does have some issues:
              data2 <- rbind(data2, new) }</pre>
                                               Miller, J. (1991). Reaction time analysis with outlier
                                               exclusion: Bias varies with sample size. The Quarterly
                                               Journal of Experimental Psychology, 43A(4), 907-912.
```

Search slopes

```
x <- sort(unique(data$Setsize))
for (i in unique(data$Condition)) {
  dev.new()
  tmp <- data[data$Condition==i,]
  bySub <- aggregate(tmp$RT,
     list(tmp$Subject,tmp$Tpresent,tmp$Setsize), mean)
  means <- aggregate(bySub$x,
     list(bySub$Group.2, bySub$Group.3), mean)
  means <- means[order(means$Group.2),]
  y0 = means$x[means$Group.1==0]
  y1 = means$x[means$Group.1==1]
  plot(x, y0, col="blue", ylim=c(0,2500),
     xlab="Set size", ylab="RT (ms)", main=i)
  points(x, y1, col="red")
  regressline \leftarrow Im(y0 \sim x)
  abline(regressline)
```

Discussion

- Does the difference in conditions match the predictions of the two-stage model?
- How do target-absent slopes relate to targetpresent?
- Is a linear fit correct for this data?

Demo 2: SDT simulation

dprime <- 2

```
targs <- data.frame(response=rnorm(500, mean=(dprime/2), sd=1)) dists <- data.frame(response=rnorm(500, mean=(-dprime/2), sd=1)) targs$label <- "Target" dists$label <- "Distractor" stimuli <- rbind(targs,dists) ggplot(stimuli, aes(response, fill=label)) + geom_density(alpha=0.5)
```

How does the plot change as you change d prime?

Maximum Rule

```
dprime <- 2
setsize <- 18
targs <- matrix(ncol=1, nrow=500)
dists <- matrix(ncol=1, nrow=500)
accuracy <- matrix(ncol=1, nrow=500)</pre>
```

Maximum Rule

```
counter <- 1
while (counter <= nrow(targs)) {</pre>
  nitems <- setsize
  tsample <- c(rnorm(1, mean=(dprime/2), sd=1),
     rnorm(nitems-1, mean=(-dprime/2), sd=1))
  dsample <- rnorm(nitems, mean=(-dprime/2), sd=1)
  targs[counter,] <- max(tsample)</pre>
  dists[counter,] <- max(dsample)
  accuracy[counter,] <- (max(tsample) > max(dsample))
  counter <- counter+1
targs <- data.frame(response=targs, label="Tpresent")
dists <- data.frame(response=dists, label="Tabsent")
stimuli <- rbind(targs,dists)</pre>
ggplot(stimuli, aes(response, fill=label)) + geom_density(alpha=0.5)
mean(accuracy)
```

Maximum Rule over set sizes

```
dprime <- 2
setsize <- c(3,6,12,18)
targs <- matrix(ncol=4, nrow=500)
dists <- matrix(ncol=4, nrow=500)
```

Maximum Rule over set sizes

```
for (i in 1:length(setsize)) {
  counter <- 1
  nitems <- setsize[i]
  while (counter <= nrow(targs)) {</pre>
     tsample <- c(rnorm(1, mean=(dprime/2), sd=1),
       rnorm(nitems-1, mean=(-dprime/2), sd=1))
     dsample <- rnorm(nitems, mean=(-dprime/2), sd=1)
     targs[counter,i] <- max(tsample)</pre>
     dists[counter,i] <- max(dsample)
     counter <- counter+1
```

. . .

Maximum Rule over set sizes

- - -

```
targtmp <- data.frame(response=targs[,i], label="Tpresent")
  disttmp <- data.frame(response=dists[,i], label="Tabsent")
  stimuli <- rbind(targtmp,disttmp)
  ggp <- ggplot(stimuli, aes(response, fill=label)) +
geom_density(alpha=0.5) + ggtitle(paste("Setsize = ",nitems))
  dev.new()
  print(ggp)
}</pre>
```

Accuracy over set size

```
diffMeans <- colMeans(targs) - colMeans(dists)
sds <- sqrt(( (apply(targs,2,sd)^2) + (apply(dists,2,sd)^2) ) / 2)
dSetsize <- diffMeans / sds

dev.new()
plot(setsize, dSetsize, xlab="Set size", ylab="Simulated d prime",
    main=paste("d prime = ",dprime))</pre>
```

RT over set size

```
nonsearchRT <- 400
beta <- 500
maxDprime <- 6.2
simulatedRT <- nonsearchRT + (beta *
  (1 - (log(dSetsize)/log(maxDprime))))
dev.new()
plot(setsize, simulatedRT, xlab="Set size", ylab="RT (msec)",
  main=paste("Simulated RT over set size, d prime = ",dprime))
regressline <- Im(simulatedRT ~ setsize)
abline(regressline)
summary(regressline)
```

Loosely based on speed-accuracy tradeoff from:

McElree, B. & Carrasco, M. (1999). The temporal dynamics of visual search: Evidence for parallel processing in feature and conjunction searches. Journal of Experimental Psychology: Human Perception & Performance, 25(6), 1517-1539.