Multi-headed Lattice Green Function (N = 5, M = 4)

In[ ]:= **NN = 5;**
MM = 4;

Generate a sequence from recurrence & initial values
Koutschan's implementation

In[ ]:= **(* given a recurrence rec in f[n], compute the values {f[0],f[1],...,f[bound]}**
where inits are the initial values
{f[0],...,f[d-1]} with d being the order of the recurrence *)
Clear[UnrollRecurrence];
UnrollRecurrence[rec1_, f_[n_], inits_, bound_] :=
Module[{i, x, vals = inits, rec = rec1},
If[Head[rec] =!= Equal, rec = (rec == 0)];
rec = rec /. n → n - Max[Cases[rec, f[n + a_.] :> a, Infinity]];
Do[
AppendTo[vals, Solve[rec /. n → i /. f[i] → x /. f[a_] :> vals[[a + 1]], x][[1, 1, 2]]];
, {i, Length[inits], bound}];
Return[vals];
];

Marathon begins...

In[ ]:= **<< RISC`HolonomicFunctions`**

--> Type ?HolonomicFunctions for help.

We first work on $\tilde{r}_e(n) := r(2n)$.

In[ ]:= **ClearAll[k1, k2, k3, k4, k5, z, w, α, β];**

In[ ]:= **k5 = α - k1 - k2 - k3 - k4;**
summandEVEN = Binomial[2 α, 2 k1] Binomial[2 α - 2 k1, 2 k2] Binomial[2 α - 2 k1 - 2 k2, 2 k3]
Binomial[2 α - 2 k1 - 2 k2 - 2 k3, 2 k4] Binomial[2 (α - k1), α - k1] Binomial[2 (α - k2), α - k2]
Binomial[2 (α - k3), α - k3] Binomial[2 (α - k4), α - k4] Binomial[2 (α - k5), α - k5];

Apply "Creative Telescoping".

In[•]:= `Timing[ann0EVEN = Annihilator[summandEVEN, {S[k1], S[k2], S[k3], S[k4], S[α]}];]`

Out[•]= `{0.078125, Null}`

In[•]:= `Timing[ann1EVEN = FindCreativeTelescoping[ann0EVEN, S[k1] - 1][[1]];]`

Out[•]= `{433.984, Null}`

In[•]:= `Timing[ann2EVEN = FindCreativeTelescoping[ann1EVEN, S[k2] - 1][[1]];]`

Out[•]= `{12 354.5, Null}`

In[•]:= `Timing[ann3EVEN = FindCreativeTelescoping[ann2EVEN, S[k3] - 1][[1]];]`

Out[•]= `{39 765., Null}`

In[•]:= `Timing[ann4EVEN = FindCreativeTelescoping[ann3EVEN, S[k4] - 1][[1]];]`

Out[•]= `{44 146.1, Null}`

Recurrence for $\tilde{r}_e(n)$

In[•]:= `RECNormalizedEVEN = ann4EVEN;`
`ToOrePolynomial[RECNormalizedEVEN]`

Out[•]= $\big\{\big($ $-$ 1 998 410 332 995 385 305 084 031 314 405 967 183 796 704 055 989 393 620 529 294 600 189 766 400 000 000 000 $-$

56 121 751 853 499 922 172 286 529 353 247 687 644 971 388 692 898 672 802 583 561 297 331 846 096 000 000 000 α $-$

772 199 100 495 385 408 617 179 104 579 595 370 031 252 884 094 301 082 830 772 980 188 092 132 230 400 000 000 α^2 $-$

6 940 119 369 125 303 445 271 933 172 645 923 186 343 441 544 394 546 865 475 655 921 816 159 525 085 160 000 000 α^3 $-$

45 829 260 207 220 003 319 431 833 093 637 152 121 800 522 628 522 869 965 856 468 377 891 445 898 151 796 000 000 α^4 $-$

237 152 985 175 285 577 699 685 315 868 971 690 019 809 317 682 505 819 706 670 690 503 448 806 939 891 546 400 000 α^5 $-$

1 001 595 534 092 412 847 965 432 369 782 294 862 512 579 210 103 011 330 796 919 258 683 297 654 767 301 976 080 000 α^6 $-$

3 550 622 487 044 041 874 653 901 702 787 399 813 957 404 825 220 797 925 344 954 584 018 652 496 420 635 412 384 000 α^7 $-$

10 783 305 585 801 050 575 450 797 486 677 507 948 528 655 937 786 607 982 377 304 006 937 449 213 909 458 079 734 400 α^8 $-$

28 497 205 468 174 775 165 566 342 958 358 112 151 747 375 105 794 729 554 501 404 610 339 697 576 077 488 349 826 800 α^9 $-$

66 339 897 284 479 507 957 286 441 863 598 144 495 999 116 488 057 757 716 651 699 990 396 359 804 950 214 883 231 048 α^{10} $-$

137 389 721 472 582 255 951 226 931 930 868 084 708 976 004 972 469 117 412 776 984 602 240 298 044 587 608 089 259 510 α^{11} $-$

255 188 034 360 550 722 231 965 458 787 606 701 675 143 095 771 106 102 976 921 779 556 791 345 407 904 465 712 832 115 α^{12} $-$

427 986 841 322 038 769 753 065 997 976 623 980 222 828 322 764 876 570 705 145 251 569 342 743 949

$579\,727\,954\,976\,034\,\alpha^{13}\,-$

$651\,850\,773\,325\,650\,362\,013\,734\,559\,263\,116\,771\,804\,688\,791\,354\,639\,901\,602\,227\,940\,445\,954\,084\,312\,890\,298\,755\,231\,461\,\alpha^{14}\,-$

$906\,016\,823\,414\,235\,195\,514\,072\,037\,346\,191\,570\,778\,895\,024\,458\,352\,106\,240\,758\,655\,365\,205\,360\,079\,064\,630\,028\,436\,129\,\alpha^{15}\,-$

$1\,154\,051\,291\,903\,916\,779\,783\,601\,181\,326\,826\,249\,506\,598\,933\,064\,577\,828\,808\,069\,414\,001\,638\,118\,003\,741\,408\,182\,617\,717\,\alpha^{16}\,-$

$1\,352\,088\,181\,086\,107\,095\,724\,011\,333\,237\,655\,711\,271\,652\,294\,142\,114\,770\,512\,854\,118\,249\,933\,184\,438\,457\,191\,983\,007\,725\,\alpha^{17}\,-$

$1\,461\,726\,449\,683\,600\,271\,393\,045\,737\,613\,291\,344\,179\,309\,502\,571\,544\,858\,657\,145\,452\,654\,467\,603\,527\,248\,487\,352\,896\,677\,\alpha^{18}\,-$

$1\,462\,276\,964\,263\,325\,596\,631\,469\,635\,962\,165\,964\,172\,266\,511\,490\,168\,541\,441\,180\,256\,638\,562\,185\,885\,775\,146\,218\,690\,797\,\alpha^{19}\,-$

$1\,356\,977\,947\,319\,026\,521\,303\,223\,218\,778\,511\,356\,075\,538\,209\,515\,007\,930\,706\,499\,877\,528\,405\,583\,554\,431\,215\,469\,135\,396\,\alpha^{20}\,-$

$1\,170\,707\,793\,051\,148\,605\,467\,742\,218\,929\,025\,009\,659\,641\,350\,775\,307\,252\,253\,781\,128\,230\,671\,162\,152\,137\,983\,889\,982\,445\,\alpha^{21}\,-$

$940\,809\,292\,730\,907\,310\,421\,336\,229\,142\,699\,855\,765\,668\,497\,441\,636\,944\,618\,465\,732\,965\,776\,351\,991\,556\,721\,541\,478\,770\,\alpha^{22}\,-$

$705\,475\,339\,065\,752\,170\,555\,891\,810\,489\,118\,349\,209\,999\,056\,201\,395\,753\,277\,815\,330\,024\,875\,029\,566\,951\,157\,023\,638\,016\,\alpha^{23}\,-$

$494\,373\,038\,617\,749\,399\,423\,709\,655\,305\,282\,797\,336\,577\,063\,717\,167\,001\,046\,773\,218\,028\,993\,049\,732\,984\,090\,120\,497\,296\,\alpha^{24}\,-$

$324\,198\,258\,346\,768\,833\,558\,773\,631\,214\,685\,715\,550\,365\,264\,126\,352\,210\,681\,116\,677\,258\,788\,074\,929\,635\,704\,832\,581\,648\,\alpha^{25}\,-$

$199\,192\,010\,926\,488\,762\,472\,164\,280\,602\,146\,312\,707\,039\,963\,384\,535\,785\,949\,354\,782\,499\,555\,090\,934\,050\,582\,699\,100\,192\,\alpha^{26}\,-$

$114\,788\,711\,837\,436\,967\,896\,323\,130\,513\,554\,266\,514\,191\,187\,075\,381\,935\,659\,172\,117\,638\,585\,208\,618\,973\,105\,243\,679\,360\,\alpha^{27}\,-$

$62\,100\,719\,699\,315\,327\,381\,740\,193\,070\,036\,570\,979\,523\,719\,735\,161\,551\,374\,720\,032\,474\,422\,884\,243\,660\,197\,418\,229\,760\,\alpha^{28}\,-$

$31\,565\,756\,153\,315\,525\,110\,326\,405\,585\,989\,555\,670\,304\,588\,361\,890\,742\,774\,252\,146\,987\,517\,951\,071\,765\,413\,795\,899\,904\,\alpha^{29}\,-$

$15\,085\,549\,927\,280\,485\,156\,222\,940\,144\,049\,236\,524\,849\,415\,958\,481\,298\,746\,460\,465\,374\,537\,164\,321\,354\,420\,302\,103\,552\,\alpha^{30}\,-$

$6\,782\,488\,193\,719\,476\,523\,577\,284\,889\,885\,786\,337\,225\,256\,059\,595\,552\,307\,692\,341\,350\,736\,174\,572\,501\,561\,269\,395\,456\,\alpha^{31}\,-$

$2\,870\,213\,201\,939\,619\,291\,698\,871\,228\,562\,398\,806\,219\,261\,420\,101\,928\,529\,451\,251\,455\,375\,558\,676\,995\,714\,762\,760\,192\,\alpha^{32}\,-$

$1\,143\,692\,719\,115\,305\,457\,940\,922\,720\,654\,804\,853\,074\,463\,239\,127\,449\,121\,414\,225\,928\,023\,117\,781\,157\,743\,248\,449\,536\,\alpha^{33}\,-$

$429\,247\,346\,825\,366\,720\,215\,894\,225\,774\,492\,107\,977\,181\,795\,042\,220\,335\,912\,272\,120\,008\,271\,629\,565\,088\,371\,982\,336\,\alpha^{34}\,-$

$151\,776\,003\,370\,936\,269\,611\,634\,053\,894\,493\,178\,962\,907\,469\,774\,670\,554\,669\,251\,145\,321\,534\,896\,280\,903\,837\,810\,688\,\alpha^{35}\,-$

$50\,565\,220\,434\,784\,286\,532\,651\,888\,683\,787\,862\,855\,741\,140\,875\,222\,899\,998\,746\,086\,915\,193\,734\,716\,669\,276\,192\,768\,\alpha^{36}\,-$

$15\,873\,486\,539\,301\,253\,311\,558\,904\,004\,890\,739\,496\,188\,590\,598\,259\,995\,012\,168\,928\,270\,485\,884\,383\,647\,698\,059\,264\,\alpha^{37}\,-$

$4\,695\,101\,533\,617\,847\,091\,657\,867\,479\,778\,451\,554\,487\,843\,422\,045\,385\,411\,748\,435\,700\,835\,794\,957\,667\,658\,235\,904\,\alpha^{38}\,-$

$1\,308\,315\,332\,209\,787\,344\,839\,486\,399\,601\,683\,860\,187\,756\,760\,552\,675\,776\,051\,272\,480\,072\,560\,211\,725\,324\,910\,592\,\alpha^{39}\,-$

$343\,382\,727\,987\,027\,296\,669\,164\,933\,280\,404\,700\,732\,730\,933\,988\,404\,907\,911\,035\,228\,857\,193\,028\,411\,253\,063\,680\,\alpha^{40}\,-$

$84\,860\,777\,936\,231\,967\,548\,606\,821\,973\,042\,398\,587\,607\,304\,710\,956\,598\,333\,179\,661\,172\,239\,439\,647\,913\,017\,344\,\alpha^{41}\,-$

$19\,738\,802\,903\,914\,976\,991\,257\,441\,370\,237\,589\,744\,410\,568\,776\,038\,585\,634\,427\,207\,883\,600\,747\,480\,657\,952\,768\,\alpha^{42}\,-$

$4\,319\,160\,747\,998\,574\,644\,440\,024\,684\,596\,505\,472\,726\,239\,389\,265\,957\,708\,114\,843\,690\,620\,356\,387\,483\,418\,624\,\alpha^{43}\,-$

$888\,539\,293\,982\,190\,744\,437\,262\,098\,719\,757\,339\,331\,104\,841\,411\,575\,981\,422\,585\,954\,378\,279\,896\,754\,421\,760\,\alpha^{44}\,-$

$171\,726\,808\,342\,106\,550\,718\,256\,764\,426\,717\,871\,110\,448\,577\,262\,588\,750\,406\,328\,178\,840\,196\,580\,353\,507\,328\,\alpha^{45}\,-$

$31\,154\,241\,964\,331\,289\,507\,923\,285\,966\,586\,297\,004\,194\,248\,023\,086\,477\,267\,365\,928\,146\,545\,786\,176\,405\,504\,\alpha^{46}\,-$

$5\,300\,185\,090\,060\,889\,459\,324\,048\,871\,425\,913\,850\,565\,160\,295\,654\,916\,709\,255\,796\,050\,296\,690\,165\,415\,936\,\alpha^{47}\,-$

$844\,647\,137\,753\,487\,961\,355\,679\,556\,471\,392\,862\,527\,543\,865\,369\,783\,809\,006\,407\,468\,475\,799\,906\,025\,472\,\alpha^{48}\,-$

$125\,926\,775\,457\,463\,667\,502\,927\,702\,279\,779\,822\,017\,246\,300\,567\,053\,103\,749\,133\,137\,214\,215\,548\,829\,696\,\alpha^{49}\,-$

$17\,538\,497\,406\,853\,905\,231\,255\,450\,806\,111\,664\,265\,784\,883\,088\,347\,241\,338\,774\,378\,697\,973\,563\,392\,000\,\alpha^{50}\,-$

$2\,278\,176\,316\,216\,469\,616\,042\,050\,231\,352\,812\,413\,007\,000\,346\,972\,664\,645\,590\,193\,943\,153\,825\,808\,384\,\alpha^{51}\,-$

$275\,484\,614\,598\,350\,860\,981\,676\,250\,348\,358\,290\,271\,182\,325\,948\,252\,634\,299\,141\,628\,356\,007\,559\,168\,\alpha^{52}\,-$

$30\,946\,322\,136\,353\,246\,613\,262\,336\,139\,556\,680\,887\,978\,427\,498\,622\,967\,911\,943\,075\,373\,179\,207\,680\,\alpha^{53}\,-$

$3\,221\,700\,427\,592\,651\,158\,892\,833\,032\,463\,306\,597\,595\,120\,078\,699\,292\,733\,999\,864\,153\,771\,081\,728\,\alpha^{54}\,-$

$309\,987\,885\,380\,313\,376\,893\,939\,715\,790\,142\,783\,320\,934\,050\,574\,002\,428\,555\,597\,856\,750\,174\,208\,\alpha^{55}\,-$

$27\,481\,365\,026\,613\,750\,907\,314\,602\,484\,742\,184\,703\,396\,697\,378\,340\,972\,534\,350\,626\,831\,728\,640\,\alpha^{56}\,-$

$2\,236\,746\,179\,285\,557\,627\,831\,272\,106\,214\,932\,490\,556\,973\,627\,303\,414\,603\,697\,436\,424\,667\,136\,\alpha^{57}\,-$

$166\,452\,753\,498\,784\,174\,590\,717\,184\,268\,978\,658\,099\,696\,665\,311\,755\,139\,571\,452\,628\,434\,944\,\alpha^{58}\,-$

$11\,271\,466\,899\,031\,709\,548\,466\,066\,934\,992\,806\,317\,043\,246\,351\,094\,957\,005\,692\,506\,996\,736\,\alpha^{59}\,-$

$690\,627\,481\,652\,808\,691\,065\,877\,339\,646\,954\,160\,755\,091\,423\,961\,590\,079\,309\,033\,242\,624\,\alpha^{60}\,-$

$38\,035\,282\,807\,781\,321\,733\,520\,323\,219\,866\,113\,396\,885\,418\,999\,023\,654\,590\,675\,419\,136\,\alpha^{61}\,-$

$1\,867\,808\,914\,909\,543\,848\,449\,990\,397\,290\,863\,480\,826\,737\,122\,267\,614\,524\,905\,357\,312\,\alpha^{62}\,-$

$80\,991\,650\,206\,201\,379\,168\,870\,357\,027\,668\,112\,138\,812\,849\,759\,034\,900\,490\,485\,760\,\alpha^{63}\,-$

$3\,063\,621\,399\,467\,231\,494\,728\,324\,895\,034\,780\,598\,010\,670\,441\,381\,461\,380\,562\,944\,\alpha^{64}\,-$

$99\,539\,176\,886\,218\,624\,298\,920\,012\,045\,709\,988\,114\,900\,033\,169\,367\,733\,633\,024\,\alpha^{65}\,-$

$2\,721\,919\,800\,924\,159\,703\,439\,454\,390\,106\,035\,347\,921\,508\,548\,555\,260\,821\,504\,\alpha^{66}\,-$

$60\,919\,212\,120\,637\,138\,297\,856\,049\,172\,786\,115\,943\,740\,037\,283\,083\,976\,704\,\alpha^{67}\,-$

$1\,071\,541\,048\,843\,085\,818\,821\,228\,544\,378\,988\,612\,183\,479\,065\,476\,333\,568\,\alpha^{68}\,-$

$13\,890\,372\,455\,059\,356\,603\,133\,967\,062\,086\,276\,595\,800\,303\,520\,972\,800\,\alpha^{69}\,-$

$117\,982\,558\,926\,515\,617\,407\,298\,351\,692\,200\,429\,818\,181\,635\,276\,800\,\alpha^{70}\,-$

$492\,583\,560\,716\,086\,973\,444\,323\,245\,714\,100\,057\,393\,437\,081\,600\,\alpha^{71}\Big)\,S_\alpha^6\,+$

$\Big(249\,528\,655\,673\,068\,383\,326\,156\,991\,472\,400\,034\,179\,234\,447\,752\,888\,031\,463\,983\,730\,542\,176\,692\,720\,000\,000\,000\,000\,+$

$7\,027\,808\,204\,948\,094\,558\,920\,635\,774\,062\,523\,163\,115\,032\,144\,736\,767\,027\,842\,187\,370\,563\,658\,190\,008\,$

$600\,000\,000\,000\,\alpha\ +$

$96\,985\,278\,963\,300\,691\,975\,612\,895\,584\,499\,460\,492\,530\,194\,662\,328\,352\,726\,301\,841\,510\,375\,394\,094\,407\,874\,000\,000\,000\,\alpha^2\ +$

$874\,312\,240\,031\,305\,852\,031\,351\,558\,357\,591\,444\,514\,775\,889\,632\,217\,489\,417\,241\,595\,068\,347\,579\,881\,210\,277\,100\,000\,000\,\alpha^3\ +$

$5\,791\,634\,089\,920\,397\,475\,764\,396\,637\,588\,594\,396\,058\,828\,017\,548\,051\,006\,783\,008\,181\,439\,028\,474\,699\,663\,817\,215\,000\,000\,\alpha^4\ +$

$30\,066\,397\,325\,467\,130\,456\,225\,771\,976\,618\,322\,236\,830\,221\,504\,592\,758\,717\,747\,121\,263\,206\,810\,591\,078\,333\,815\,881\,500\,000\,\alpha^5\ +$

$127\,401\,897\,349\,037\,047\,594\,767\,010\,754\,507\,635\,036\,929\,903\,595\,497\,257\,796\,718\,973\,340\,124\,643\,939\,452\,371\,112\,683\,600\,000\,\alpha^6\ +$

$453\,163\,834\,493\,067\,829\,489\,143\,673\,254\,793\,786\,081\,642\,873\,700\,753\,991\,335\,096\,136\,229\,518\,220\,722\,593\,855\,226\,009\,570\,000\,\alpha^7\ +$

$1\,381\,041\,430\,016\,566\,399\,050\,642\,755\,147\,187\,089\,458\,667\,366\,149\,565\,490\,563\,224\,309\,682\,166\,165\,127\,727\,815\,505\,021\,218\,500\,\alpha^8\ +$

$3\,662\,673\,945\,643\,402\,270\,352\,479\,981\,507\,097\,468\,069\,991\,429\,265\,551\,070\,640\,830\,737\,138\,981\,119\,243\,403\,069\,809\,866\,577\,850\,\alpha^9\ +$

$8\,557\,549\,686\,718\,898\,702\,625\,810\,239\,332\,947\,084\,742\,222\,383\,442\,679\,326\,253\,757\,744\,820\,937\,819\,947\,943\,112\,005\,287\,045\,500\,\alpha^{10}\ +$

$17\,788\,744\,817\,252\,795\,867\,729\,534\,907\,735\,435\,105\,146\,554\,226\,336\,796\,045\,333\,218\,448\,522\,655\,813\,302\,957\,430\,888\,955\,087\,412\,\alpha^{11}\ +$

$33\,166\,977\,491\,994\,738\,631\,692\,254\,964\,813\,787\,984\,915\,837\,902\,464\,366\,344\,737\,161\,996\,309\,566\,750\,004\,947\,385\,805\,750\,050\,466\,\alpha^{12}\ +$

$55\,843\,027\,777\,370\,107\,368\,218\,581\,916\,194\,221\,319\,590\,290\,237\,274\,174\,115\,306\,682\,787\,457\,758\,183\,313\,912\,777\,145\,017\,352\,244\,\alpha^{13}\ +$

$85\,392\,244\,366\,798\,823\,399\,021\,545\,718\,384\,339\,082\,515\,399\,767\,958\,158\,216\,862\,547\,565\,800\,049\,283\,481\,331\,826\,726\,844\,247\,728\,\alpha^{14}\ +$

$119\,172\,839\,672\,216\,057\,436\,932\,756\,771\,693\,666\,332\,402\,905\,116\,429\,920\,413\,298\,858\,590\,235\,602\,628\,353\,746\,871\,460\,639\,356\,960\,\alpha^{15}\ +$

$152\,432\,065\,023\,510\,169\,568\,208\,086\,516\,086\,881\,496\,177\,022\,889\,141\,466\,191\,659\,198\,452\,724\,750\,015\,477\,274\,798\,341\,002\,466\,592\,\alpha^{16}\ +$

$179\,351\,982\,838\,560\,879\,006\,453\,841\,742\,022\,092\,825\,013\,104\,013\,089\,424\,151\,920\,066\,391\,556\,216\,704\,841\,367\,882\,519\,474\,410\,346\,\alpha^{17}\ +$

$194\,740\,958\,423\,384\,333\,681\,620\,470\,798\,984\,072\,847\,812\,265\,798\,468\,447\,074\,742\,599\,652\,013\,272\,252\,800\,761\,384\,000\,588\,776\,884\,\alpha^{18}\ +$

$195\,682\,188\,718\,550\,541\,852\,249\,573\,149\,068\,245\,573\,810\,535\,920\,499\,147\,190\,656\,590\,834\,260\,574\,725\,251\,508\,910\,221\,491\,693\,548\,\alpha^{19}\ +$

$182\,417\,157\,996\,479\,066\,439\,699\,565\,068\,312\,290\,618\,509\,557\,886\,693\,354\,213\,947\,242\,169\,455\,564\,052\,815\,814\,860\,326\,730\,265\,450\,\alpha^{20}\ +$

$158\,107\,971\,036\,641\,110\,074\,880\,088\,174\,160\,583\,556\,581\,964\,685\,407\,609\,098\,449\,155\,068\,672\,828\,656\,052\,603\,152\,583\,809\,836\,984\,\alpha^{21}\ +$

$127\,661\,720\,177\,353\,086\,208\,454\,830\,283\,132\,090\,797\,016\,897\,251\,292\,161\,050\,200\,930\,587\,313\,214\,732\,626\,526\,685\,825\,234\,864\,592\,\alpha^{22}\ +$

$96\,191\,478\,586\,713\,169\,533\,428\,944\,557\,199\,657\,026\,498\,015\,414\,339\,222\,490\,749\,572\,052\,875\,637\,888\,931\,163\,497\,595\,505\,443\,840\,\alpha^{23}\ +$

$67\,740\,344\,812\,347\,484\,526\,085\,208\,898\,287\,474\,852\,955\,504\,053\,155\,596\,929\,633\,038\,606\,552\,207\,089\,136\,973\,784\,474\,093\,656\,608\,\alpha^{24}\ +$

$44\,646\,119\,616\,569\,259\,256\,565\,870\,215\,283\,092\,794\,880\,754\,110\,621\,724\,551\,895\,599\,163\,869\,786\,622\,556\,222\,878\,662\,205\,836\,160\,\alpha^{25}\ +$

$27\,572\,001\,482\,638\,124\,282\,150\,843\,786\,786\,536\,540\,655\,818\,340\,596\,608\,498\,498\,407\,258\,648\,771\,185\,113\,953\,582\,318\,306\,429\,440\,\alpha^{26}\ +$

15 972 106 033 070 093 644 684 705 783 702 114 008 836 936 077 722 082 852 740 028 908 095 303 837
908 836 432 616 655 384 576 α^{27} +

8 687 002 016 273 342 545 937 643 809 502 099 826 612 933 162 122 570 945 466 126 155 544 189 494 996
795 526 271 386 285 056 α^{28} +

4 439 599 657 544 558 533 509 269 233 379 200 845 992 156 057 429 564 112 416 773 324 236 184 252 822
239 292 785 743 360 000 α^{29} +

2 133 474 694 352 988 442 121 910 456 441 146 955 348 575 914 946 479 496 003 891 442 539 481 629 256
872 418 829 899 948 032 α^{30} +

964 625 922 436 952 439 185 550 477 263 250 082 127 193 810 175 936 706 167 284 581 457 324 384 551
862 354 797 888 602 112 α^{31} +

410 556 328 654 461 281 348 487 827 282 118 859 446 659 006 603 830 252 861 556 376 315 904 527 619
694 684 686 716 977 152 α^{32} +

164 551 643 961 668 088 805 937 840 844 908 355 428 990 787 486 277 188 065 017 941 456 417 728 916
297 026 139 484 127 232 α^{33} +

62 127 047 810 488 681 383 211 995 691 744 718 589 858 013 789 370 925 617 325 641 521 581 162 776
193 162 192 698 474 496 α^{34} +

22 100 534 726 179 905 670 450 026 694 393 066 478 652 049 514 008 875 841 923 235 943 113 492 466
167 242 258 047 041 536 α^{35} +

7 408 407 806 688 862 090 685 729 999 499 445 554 837 589 136 519 781 611 543 372 698 713 778 470 633
968 806 100 336 640 α^{36} +

2 340 268 786 992 459 512 116 614 309 127 233 411 361 365 745 485 373 451 499 915 912 195 091 009 118
510 732 117 803 008 α^{37} +

696 636 720 101 492 476 467 321 222 730 546 966 337 048 303 641 565 776 241 019 114 261 301 214 366
953 387 525 668 864 α^{38} +

195 384 311 857 657 708 772 949 431 546 030 183 547 118 905 123 879 788 420 637 342 455 104 710 075
061 967 645 573 120 α^{39} +

51 620 227 137 952 982 222 030 640 430 697 534 620 848 692 080 015 327 699 333 093 910 561 743 141
625 352 194 883 584 α^{40} +

12 842 849 709 808 351 916 413 673 921 600 264 288 207 331 182 953 225 766 428 492 968 871 623 435
359 398 324 600 832 α^{41} +

3 007 718 941 460 650 866 564 765 914 766 502 367 246 506 387 108 417 057 366 600 615 851 021 854 587
486 426 103 808 α^{42} +

662 715 883 489 186 006 397 037 953 289 742 486 881 572 609 335 648 229 775 496 786 774 192 034 532
787 755 155 456 α^{43} +

137 298 611 947 050 734 625 085 894 228 509 201 284 797 509 131 183 662 355 832 406 048 351 133 366
966 548 430 848 α^{44} +

26 726 336 350 454 512 209 177 925 910 206 442 692 325 972 773 940 822 768 727 530 809 252 893 453
959 781 416 960 α^{45} +

4 884 060 915 809 332 235 765 235 729 974 804 312 952 269 918 907 243 027 502 828 604 973 950 857 299
678 461 952 α^{46} +

837 083 154 731 886 965 868 202 338 507 309 411 901 327 844 507 359 594 388 754 309 304 146 941 350
378 471 424 α^{47} +

134 405 826 698 979 693 995 687 385 712 956 870 276 702 673 397 326 873 271 740 294 729 853 288 004
989 222 912 α^{48} +

20 191 938 435 177 345 633 448 042 867 054 095 766 782 133 266 803 439 740 715 600 017 266 150 391
939 072 000 α^{49} +

2 834 143 240 297 930 592 692 094 443 656 884 219 071 343 220 386 435 456 683 716 610 394 410 935 352
557 568 α^{50} +

371 055 575 095 829 428 148 671 188 562 958 361 776 728 811 693 062 584 867 681 556 294 605 603 210
264 576 α^{51} +

45 229 764 205 804 900 429 295 331 559 548 433 378 449 128 671 009 285 205 686 918 993 833 720 054

$546\,432\,\alpha^{52}\,+$

$5\,122\,298\,571\,216\,350\,977\,848\,804\,205\,504\,476\,582\,457\,780\,900\,976\,265\,060\,460\,272\,157\,581\,285\,915\,623\,424\,\alpha^{53}\,+$

$537\,679\,893\,056\,696\,371\,888\,568\,604\,953\,524\,599\,903\,792\,378\,099\,759\,135\,122\,252\,452\,453\,006\,102\,757\,376\,\alpha^{54}\,+$

$52\,169\,956\,017\,607\,567\,858\,243\,157\,475\,745\,093\,472\,819\,203\,349\,068\,794\,574\,680\,580\,417\,310\,429\,282\,304\,\alpha^{55}\,+$

$4\,664\,508\,206\,670\,368\,839\,102\,563\,058\,683\,579\,505\,039\,502\,501\,964\,053\,589\,570\,262\,482\,239\,952\,519\,168\,\alpha^{56}\,+$

$382\,940\,383\,708\,036\,714\,844\,173\,386\,439\,370\,547\,011\,029\,096\,462\,090\,110\,441\,045\,887\,979\,037\,392\,896\,\alpha^{57}\,+$

$28\,748\,012\,645\,642\,056\,709\,718\,907\,089\,233\,591\,191\,733\,885\,652\,062\,804\,923\,755\,372\,490\,577\,149\,952\,\alpha^{58}\,+$

$1\,964\,063\,483\,033\,811\,187\,566\,267\,515\,100\,210\,640\,901\,652\,664\,224\,191\,810\,649\,485\,073\,220\,370\,432\,\alpha^{59}\,+$

$121\,432\,073\,597\,050\,472\,144\,744\,874\,334\,286\,300\,566\,143\,208\,198\,446\,932\,478\,641\,858\,376\,892\,416\,\alpha^{60}\,+$

$6\,749\,122\,183\,723\,450\,886\,094\,283\,229\,194\,701\,080\,520\,485\,601\,501\,657\,489\,859\,566\,721\,040\,384\,\alpha^{61}\,+$

$334\,519\,279\,397\,374\,826\,742\,896\,268\,319\,024\,212\,181\,110\,416\,691\,019\,892\,919\,277\,453\,312\,000\,\alpha^{62}\,+$

$14\,642\,471\,034\,206\,676\,525\,061\,001\,276\,407\,951\,536\,587\,784\,552\,813\,357\,460\,422\,869\,909\,504\,\alpha^{63}\,+$

$559\,180\,926\,029\,043\,074\,244\,253\,627\,249\,821\,525\,766\,978\,552\,425\,155\,687\,000\,618\,041\,344\,\alpha^{64}\,+$

$18\,344\,779\,580\,136\,704\,450\,070\,605\,031\,769\,959\,909\,189\,401\,187\,719\,365\,513\,843\,834\,880\,\alpha^{65}\,+$

$506\,586\,250\,434\,557\,462\,696\,672\,620\,664\,842\,847\,449\,723\,083\,909\,927\,766\,335\,684\,608\,\alpha^{66}\,+$

$11\,451\,193\,184\,444\,828\,466\,481\,384\,626\,228\,977\,455\,529\,604\,190\,292\,342\,000\,844\,800\,\alpha^{67}\,+$

$203\,461\,751\,285\,808\,613\,937\,923\,488\,849\,028\,847\,192\,594\,802\,788\,346\,030\,456\,832\,\alpha^{68}\,+$

$2\,664\,555\,721\,948\,760\,984\,778\,574\,256\,670\,138\,505\,661\,998\,130\,061\,429\,964\,800\,\alpha^{69}\,+$

$22\,867\,856\,349\,020\,703\,408\,890\,664\,535\,538\,458\,374\,825\,833\,846\,223\,667\,200\,\alpha^{70}\,+$

$96\,481\,575\,796\,365\,508\,242\,136\,458\,524\,083\,000\,752\,674\,353\,604\,198\,400\,\alpha^{71}\Big)\,\mathsf{S}_\alpha^5\,+$

$\Big(-1\,316\,063\,612\,497\,041\,434\,176\,645\,749\,852\,191\,627\,293\,693\,123\,057\,125\,575\,565\,191\,161\,824\,488\,398\,172\,774\,400\,000\,000\,000\,-$

$37\,209\,578\,244\,282\,750\,020\,906\,047\,888\,940\,035\,380\,418\,599\,959\,266\,952\,780\,720\,342\,203\,059\,439\,342\,888\,151\,040\,000\,000\,000\,\alpha\,-$

$515\,540\,300\,601\,845\,172\,039\,522\,151\,727\,800\,578\,490\,212\,550\,873\,545\,190\,370\,295\,895\,689\,238\,949\,388\,699\,314\,688\,000\,000\,000\,\alpha^2\,-$

$4\,666\,475\,897\,641\,933\,912\,628\,573\,624\,277\,694\,860\,753\,068\,933\,761\,431\,422\,735\,598\,219\,350\,982\,338\,294\,978\,503\,142\,400\,000\,000\,\alpha^3\,-$

$31\,040\,814\,340\,876\,264\,120\,779\,760\,481\,405\,212\,256\,858\,728\,182\,690\,049\,581\,894\,918\,172\,700\,591\,235\,223\,895\,563\,714\,560\,000\,000\,\alpha^4\,-$

$161\,832\,927\,540\,527\,303\,677\,405\,470\,630\,265\,318\,466\,948\,564\,075\,790\,115\,422\,185\,865\,594\,881\,408\,424\,050\,928\,488\,996\,352\,000\,000\,\alpha^5\,-$

$688\,745\,873\,259\,300\,766\,671\,567\,020\,768\,756\,558\,956\,854\,925\,330\,534\,540\,226\,202\,627\,341\,462\,276\,140\,870\,837\,913\,632\,665\,600\,000\,\alpha^6\,-$

$2\,460\,821\,959\,092\,162\,234\,472\,071\,514\,802\,688\,949\,891\,971\,249\,777\,226\,878\,919\,900\,246\,987\,063\,601\,887\,435\,456\,460\,506\,068\,480\,000\,\alpha^7\,-$

$7\,533\,864\,756\,415\,286\,813\,433\,748\,757\,934\,822\,789\,523\,116\,304\,212\,276\,962\,604\,055\,754\,926\,360\,431\,772\,047\,432\,732\,336\,491\,520\,000\,\alpha^8\,-$

$20\,074\,278\,931\,786\,970\,286\,184\,665\,832\,701\,968\,663\,772\,971\,800\,734\,808\,260\,520\,716\,368\,946\,755\,563\,275\,830\,802\,201\,907\,253\,606\,400\,\alpha^9\,-$

$47\,126\,611\,635\,165\,959\,667\,517\,793\,839\,848\,259\,724\,716\,314\,494\,413\,916\,042\,729\,576\,875\,090\,885\,623\,093\,534\,384\,755\,853\,875\,880\,960\,\alpha^{10}\,-$

$98\,442\,303\,893\,969\,389\,541\,803\,113\,968\,730\,532\,790\,414\,228\,516\,565\,414\,656\,971\,365\,431\,844\,475\,206\,982\,461\,619\,277\,177\,097\,527\,808\,\alpha^{11}\,-$

$184\,461\,907\,960\,688\,166\,324\,346\,635\,469\,074\,997\,940\,204\,818\,863\,073\,327\,891\,089\,131\,195\,421\,516\,711\,$

$867\,836\,572\,718\,447\,102\,121\,984\,\alpha^{12}$ −

$312\,161\,124\,031\,133\,281\,043\,896\,899\,250\,361\,604\,190\,295\,430\,519\,230\,542\,429\,779\,652\,111\,755\,333\,219\,072\,625\,195\,807\,424\,092\,944\,384\,\alpha^{13}$ −

$479\,824\,171\,645\,361\,970\,044\,768\,786\,391\,447\,395\,381\,934\,374\,979\,505\,715\,076\,594\,027\,145\,439\,524\,056\,477\,712\,211\,347\,180\,236\,914\,688\,\alpha^{14}$ −

$673\,193\,080\,010\,664\,447\,483\,802\,855\,009\,856\,949\,690\,683\,011\,815\,643\,387\,056\,186\,469\,896\,538\,440\,588\,026\,001\,963\,290\,458\,498\,016\,256\,\alpha^{15}$ −

$865\,729\,498\,741\,480\,310\,226\,443\,595\,348\,188\,694\,225\,048\,765\,798\,246\,602\,732\,381\,715\,660\,050\,271\,027\,320\,627\,035\,465\,685\,169\,039\,360\,\alpha^{16}$ −

$1\,024\,237\,075\,294\,598\,205\,675\,631\,045\,147\,030\,086\,956\,965\,479\,365\,789\,553\,067\,540\,925\,765\,789\,139\,603\,206\,412\,325\,558\,496\,059\,619\,328\,\alpha^{17}$ −

$1\,118\,368\,601\,657\,102\,778\,769\,172\,106\,999\,604\,965\,108\,063\,191\,511\,618\,395\,392\,944\,261\,005\,180\,152\,121\,088\,877\,460\,997\,400\,773\,663\,744\,\alpha^{18}$ −

$1\,130\,205\,083\,783\,927\,918\,636\,092\,194\,579\,320\,917\,867\,727\,547\,022\,816\,762\,624\,174\,564\,243\,398\,431\,811\,128\,555\,628\,689\,703\,335\,606\,784\,\alpha^{19}$ −

$1\,059\,729\,186\,436\,452\,345\,785\,787\,319\,036\,346\,590\,529\,333\,348\,165\,928\,080\,220\,643\,677\,134\,074\,994\,221\,970\,038\,408\,151\,005\,969\,047\,552\,\alpha^{20}$ −

$923\,955\,776\,392\,459\,117\,894\,838\,871\,163\,542\,569\,278\,693\,309\,570\,937\,289\,492\,837\,773\,699\,929\,566\,122\,319\,981\,488\,040\,161\,102\,161\,920\,\alpha^{21}$ −

$750\,535\,560\,663\,942\,088\,059\,793\,958\,528\,218\,540\,291\,466\,947\,996\,549\,834\,059\,847\,810\,412\,751\,292\,004\,302\,427\,930\,145\,988\,832\,100\,352\,\alpha^{22}$ −

$568\,990\,855\,220\,579\,304\,947\,110\,928\,211\,055\,646\,577\,339\,137\,495\,549\,232\,922\,247\,073\,189\,752\,685\,492\,142\,999\,177\,383\,706\,082\,246\,656\,\alpha^{23}$ −

$403\,198\,691\,672\,371\,010\,630\,527\,176\,209\,112\,193\,235\,646\,612\,481\,711\,468\,991\,397\,090\,929\,650\,771\,435\,451\,372\,781\,274\,172\,945\,760\,256\,\alpha^{24}$ −

$267\,425\,827\,287\,260\,968\,130\,341\,449\,100\,456\,967\,532\,305\,185\,039\,558\,182\,775\,876\,608\,617\,587\,867\,941\,541\,865\,104\,231\,530\,725\,048\,320\,\alpha^{25}$ −

$166\,219\,012\,380\,953\,038\,403\,129\,960\,981\,499\,305\,210\,311\,082\,744\,259\,906\,234\,233\,407\,723\,367\,637\,925\,098\,916\,187\,341\,676\,706\,136\,064\,\alpha^{26}$ −

$96\,919\,725\,574\,187\,063\,921\,599\,989\,315\,193\,032\,480\,104\,669\,278\,470\,541\,789\,102\,534\,618\,807\,925\,150\,215\,713\,657\,417\,927\,643\,889\,664\,\alpha^{27}$ −

$53\,064\,277\,896\,296\,458\,535\,010\,318\,930\,127\,863\,797\,607\,603\,802\,999\,931\,336\,449\,216\,417\,344\,834\,858\,785\,316\,636\,908\,576\,577\,683\,456\,\alpha^{28}$ −

$27\,302\,548\,500\,191\,209\,638\,727\,870\,214\,484\,958\,916\,299\,066\,808\,396\,768\,401\,022\,226\,377\,330\,644\,612\,985\,848\,175\,560\,240\,120\,463\,360\,\alpha^{29}$ −

$13\,210\,478\,269\,640\,219\,010\,810\,032\,749\,495\,885\,453\,680\,595\,320\,974\,131\,555\,033\,408\,626\,938\,950\,515\,806\,932\,131\,185\,730\,091\,220\,992\,\alpha^{30}$ −

$6\,014\,592\,187\,201\,568\,102\,940\,864\,463\,983\,931\,383\,325\,991\,878\,831\,130\,693\,677\,161\,656\,406\,413\,627\,139\,535\,997\,002\,243\,073\,114\,112\,\alpha^{31}$ −

$2\,577\,986\,722\,152\,394\,506\,669\,583\,109\,030\,026\,661\,464\,029\,240\,034\,764\,302\,190\,918\,149\,240\,319\,650\,822\,881\,536\,290\,786\,541\,305\,856\,\alpha^{32}$ −

$1\,040\,675\,127\,872\,611\,669\,900\,184\,173\,318\,228\,726\,316\,570\,472\,978\,415\,575\,589\,346\,749\,765\,058\,218\,117\,296\,506\,991\,298\,096\,398\,336\,\alpha^{33}$ −

$395\,770\,061\,914\,096\,729\,394\,775\,463\,373\,960\,569\,557\,474\,905\,792\,644\,600\,382\,133\,615\,318\,741\,594\,001\,565\,399\,750\,255\,327\,576\,064\,\alpha^{34}$ −

$141\,826\,832\,850\,797\,255\,563\,229\,184\,088\,545\,242\,263\,749\,458\,065\,281\,103\,408\,957\,427\,179\,444\,976\,204\,530\,113\,715\,282\,139\,676\,672\,\alpha^{35}$ −

$47\,898\,057\,968\,138\,890\,121\,047\,400\,456\,294\,910\,891\,541\,378\,544\,526\,558\,833\,818\,793\,073\,641\,069\,530\,739\,525\,450\,069\,270\,593\,536\,\alpha^{36}$ −

$15\,245\,442\,252\,466\,826\,833\,662\,508\,629\,346\,791\,892\,226\,561\,295\,222\,182\,409\,949\,253\,019\,962\,742\,921\,874\,540\,594\,776\,571\,379\,712\,\alpha^{37}$ −

4 573 046 560 093 831 696 458 411 582 293 682 295 781 310 042 468 648 582 743 963 648 998 739 020 514
541 027 690 094 264 320 α^{38} –

1 292 580 126 704 446 797 600 363 071 147 243 285 001 965 416 702 060 263 184 594 020 625 993 685 140
637 993 820 405 891 072 α^{39} –

344 191 070 819 373 551 924 332 362 212 723 854 480 315 636 288 964 483 188 955 763 219 309 904 650
255 922 707 828 834 304 α^{40} –

86 316 970 405 693 658 769 193 106 293 613 266 238 704 242 938 546 553 427 298 162 640 042 325 826
705 572 478 700 224 512 α^{41} –

20 378 402 811 303 452 766 256 301 359 783 738 050 728 008 727 820 462 393 034 733 223 262 836 617
871 785 600 254 738 432 α^{42} –

4 526 902 825 463 647 889 749 318 379 116 727 692 330 670 837 103 947 362 018 670 915 544 879 152 095
330 846 558 388 224 α^{43} –

945 634 744 416 316 472 441 486 609 459 433 080 398 071 371 964 213 036 000 839 022 657 148 220 740
665 845 605 203 968 α^{44} –

185 619 046 403 156 483 320 071 390 247 782 703 859 414 011 105 450 509 306 840 502 137 328 626 730
456 338 017 550 336 α^{45} –

34 208 349 792 036 846 099 506 411 466 859 554 446 226 955 757 989 480 406 488 687 266 403 316 963
861 021 522 395 136 α^{46} –

5 913 293 811 591 582 418 112 855 186 496 451 936 627 974 705 481 911 350 672 952 478 128 113 608 054
731 161 206 784 α^{47} –

957 701 900 303 730 034 454 940 321 672 945 548 732 398 089 736 472 487 086 392 750 940 228 909 553
165 826 785 280 α^{48} –

145 138 616 547 590 147 289 554 008 019 469 577 911 906 741 113 440 616 817 355 055 673 543 307 838
620 402 974 720 α^{49} –

20 552 303 323 379 547 432 975 109 564 352 931 712 305 124 063 209 060 117 911 064 963 803 221 906
771 314 475 008 α^{50} –

2 714 889 316 779 231 505 150 042 928 932 465 631 869 315 731 625 357 002 228 286 966 786 252 018 729
510 502 400 α^{51} –

333 927 634 981 477 673 937 402 842 782 305 408 932 439 682 014 020 516 653 015 102 437 215 465 123
296 051 200 α^{52} –

38 163 471 912 783 180 483 397 299 854 246 518 807 384 627 281 764 901 074 306 601 247 974 147 653
118 197 760 α^{53} –

4 042 978 887 534 015 482 461 881 793 003 628 591 659 647 086 808 878 207 486 083 018 543 081 779 634
372 608 α^{54} –

395 942 591 525 438 876 093 211 011 523 934 494 918 935 109 011 363 026 381 612 433 963 565 101 290
094 592 α^{55} –

35 734 746 227 174 497 832 339 723 219 286 702 827 977 212 446 586 854 426 567 986 257 627 457 932
754 944 α^{56} –

2 961 609 094 340 328 443 583 149 005 326 110 540 233 797 993 689 821 512 050 153 692 897 750 328 279
040 α^{57} –

224 467 961 388 240 160 647 848 450 030 580 936 974 194 407 321 761 935 474 316 624 091 777 435 959 296
α^{58} –

15 484 238 752 410 229 351 148 376 842 039 659 320 136 467 857 854 723 124 698 309 810 593 426 571 264
α^{59} –

966 702 776 874 566 250 590 836 259 770 303 360 192 614 521 355 921 736 058 163 065 639 648 886 784
α^{60} –

54 258 657 269 682 140 485 566 767 383 075 915 789 884 018 234 545 969 785 790 054 920 773 173 248
α^{61} –

2 716 074 217 487 163 585 021 534 164 917 040 700 846 649 151 750 304 285 859 502 823 022 002 176 α^{62} –

120 079 716 458 497 378 156 277 808 473 533 270 027 606 911 282 243 644 611 206 187 937 955 840 α^{63} –

4 632 101 052 139 991 631 785 159 175 369 276 558 062 478 480 622 700 629 396 124 667 478 016 α^{64} –

$153\,512\,476\,697\,272\,338\,055\,676\,376\,998\,399\,932\,612\,767\,795\,519\,690\,535\,068\,371\,857\,178\,624\,\alpha^{65}\,-$

$4\,282\,769\,385\,858\,894\,939\,532\,925\,131\,892\,591\,136\,258\,719\,267\,290\,932\,415\,049\,771\,253\,760\,\alpha^{66}\,-$

$97\,812\,922\,510\,863\,879\,435\,536\,674\,723\,321\,978\,816\,036\,664\,800\,838\,366\,805\,016\,707\,072\,\alpha^{67}\,-$

$1\,756\,046\,604\,208\,647\,672\,632\,961\,552\,190\,634\,671\,744\,046\,203\,786\,119\,124\,566\,933\,504\,\alpha^{68}\,-$

$23\,239\,075\,804\,790\,700\,262\,681\,691\,835\,300\,621\,691\,476\,513\,482\,309\,684\,428\,800\,000\,\alpha^{69}\,-$

$201\,554\,618\,326\,443\,842\,913\,203\,842\,465\,675\,320\,617\,174\,453\,377\,896\,441\,446\,400\,\alpha^{70}\,-$

$859\,442\,520\,846\,787\,116\,663\,322\,559\,817\,088\,095\,222\,856\,117\,350\,354\,124\,800\,\alpha^{71}\Big)\,S_\alpha^4\,+$

$\Big(1\,428\,097\,370\,560\,157\,006\,739\,614\,116\,870\,591\,138\,019\,053\,716\,247\,320\,789\,806\,346\,750\,743\,152\,534\,510\,\backslash$
$\quad 121\,779\,200\,000\,000\,000\,+$

$40\,621\,155\,317\,068\,818\,387\,720\,551\,074\,346\,281\,137\,595\,564\,664\,401\,710\,761\,763\,987\,630\,739\,924\,429\,\backslash$
$\quad 485\,094\,993\,920\,000\,000\,000\,\alpha\,+$

$566\,284\,883\,845\,791\,854\,435\,117\,722\,665\,622\,562\,862\,733\,588\,119\,843\,411\,512\,468\,831\,593\,491\,819\,850\,\backslash$
$\quad 145\,022\,148\,608\,000\,000\,000\,\alpha^2\,+$

$5\,158\,149\,789\,913\,792\,089\,288\,495\,385\,700\,327\,565\,428\,819\,302\,308\,971\,067\,339\,327\,728\,120\,510\,371\,046\,\backslash$
$\quad 494\,337\,531\,904\,000\,000\,000\,\alpha^3\,+$

$34\,532\,485\,441\,077\,610\,946\,908\,146\,266\,573\,574\,506\,763\,539\,245\,317\,266\,356\,761\,345\,018\,870\,317\,159\,\backslash$
$\quad 093\,207\,470\,209\,515\,520\,000\,000\,\alpha^4\,+$

$181\,220\,834\,017\,481\,571\,372\,641\,915\,717\,251\,933\,986\,042\,713\,644\,093\,253\,801\,806\,581\,853\,374\,874\,400\,\backslash$
$\quad 253\,450\,822\,763\,118\,592\,000\,000\,\alpha^5\,+$

$776\,431\,018\,860\,358\,536\,521\,652\,037\,437\,179\,943\,389\,796\,363\,358\,694\,784\,709\,318\,638\,218\,673\,729\,212\,\backslash$
$\quad 131\,564\,063\,756\,020\,940\,800\,000\,\alpha^6\,+$

$2\,793\,072\,678\,432\,215\,330\,706\,296\,854\,308\,730\,641\,403\,974\,305\,291\,876\,114\,922\,183\,480\,960\,307\,087\,081\,\backslash$
$\quad 158\,851\,206\,253\,734\,625\,280\,000\,\alpha^7\,+$

$8\,610\,591\,149\,058\,047\,002\,802\,760\,135\,665\,227\,863\,193\,862\,587\,995\,235\,750\,109\,802\,497\,201\,145\,953\,909\,\backslash$
$\quad 675\,049\,833\,074\,099\,789\,824\,000\,\alpha^8\,+$

$23\,105\,879\,511\,853\,699\,845\,736\,333\,642\,610\,630\,355\,085\,792\,082\,785\,837\,494\,810\,757\,161\,265\,579\,739\,\backslash$
$\quad 123\,083\,350\,016\,532\,490\,716\,774\,400\,\alpha^9\,+$

$54\,634\,856\,374\,404\,644\,006\,224\,804\,339\,033\,214\,331\,139\,083\,781\,558\,334\,838\,588\,458\,606\,831\,218\,243\,\backslash$
$\quad 805\,713\,897\,570\,714\,892\,312\,248\,320\,\alpha^{10}\,+$

$114\,963\,336\,800\,330\,152\,930\,025\,014\,512\,990\,692\,164\,008\,957\,632\,416\,275\,032\,780\,393\,051\,183\,305\,333\,\backslash$
$\quad 309\,153\,075\,910\,517\,158\,095\,749\,120\,\alpha^{11}\,+$

$217\,025\,393\,010\,027\,501\,964\,071\,490\,006\,301\,026\,682\,822\,369\,512\,178\,685\,716\,225\,901\,901\,188\,310\,348\,\backslash$
$\quad 064\,214\,802\,863\,437\,595\,786\,608\,640\,\alpha^{12}\,+$

$370\,050\,058\,982\,394\,998\,493\,618\,563\,048\,018\,737\,463\,227\,134\,097\,239\,536\,320\,400\,324\,949\,940\,509\,266\,\backslash$
$\quad 456\,186\,208\,910\,068\,290\,666\,496\,000\,\alpha^{13}\,+$

$573\,181\,806\,144\,780\,846\,838\,509\,477\,908\,920\,569\,756\,288\,771\,551\,312\,795\,962\,661\,865\,620\,399\,492\,774\,\backslash$
$\quad 400\,417\,699\,229\,566\,413\,224\,280\,064\,\alpha^{14}\,+$

$810\,454\,389\,932\,213\,126\,397\,883\,859\,517\,443\,777\,265\,212\,486\,881\,541\,685\,385\,155\,780\,392\,569\,660\,765\,\backslash$
$\quad 327\,135\,670\,585\,537\,689\,383\,862\,272\,\alpha^{15}\,+$

$1\,050\,507\,332\,235\,351\,735\,618\,769\,475\,076\,920\,653\,102\,494\,356\,009\,827\,207\,449\,842\,710\,920\,069\,178\,962\,\backslash$
$\quad 021\,809\,839\,396\,025\,167\,688\,564\,736\,\alpha^{16}\,+$

$1\,252\,834\,729\,110\,025\,338\,787\,931\,111\,819\,218\,632\,200\,313\,314\,673\,437\,134\,257\,095\,742\,578\,979\,462\,602\,\backslash$
$\quad 769\,051\,879\,147\,938\,450\,970\,574\,848\,\alpha^{17}\,+$

$1\,379\,120\,934\,803\,266\,896\,963\,523\,860\,276\,442\,353\,365\,297\,227\,489\,791\,247\,920\,498\,300\,580\,024\,631\,209\,\backslash$
$\quad 416\,752\,719\,431\,677\,218\,047\,393\,792\,\alpha^{18}\,+$

$1\,405\,224\,089\,859\,523\,253\,392\,157\,240\,543\,968\,617\,982\,935\,126\,496\,637\,831\,112\,519\,939\,221\,693\,260\,859\,\backslash$
$\quad 544\,811\,540\,558\,068\,156\,951\,822\,336\,\alpha^{19}\,+$

$1\,328\,618\,149\,709\,622\,063\,817\,748\,381\,291\,493\,393\,945\,550\,428\,391\,839\,622\,495\,071\,789\,444\,319\,501\,035\,\backslash$
$\quad 377\,285\,802\,883\,640\,269\,491\,535\,872\,\alpha^{20}\,+$

$1\,168\,203\,712\,474\,826\,918\,328\,011\,783\,612\,825\,617\,062\,036\,308\,594\,153\,962\,346\,683\,019\,792\,775\,631\,192\,\backslash$
$\quad 905\,886\,362\,709\,102\,690\,404\,139\,008\,\alpha^{21}\,+$

957 073 013 729 033 855 686 063 773 924 563 421 410 723 493 005 834 394 781 954 693 360 911 926 110 \
487 992 830 108 045 765 554 733 056 α^{22} +

731 861 476 997 748 455 414 658 252 652 536 809 307 579 198 544 662 472 245 949 601 817 815 663 224 \
650 028 959 826 495 367 427 391 488 α^{23} +

523 160 600 473 979 971 139 853 429 642 948 714 294 423 632 987 619 786 485 441 732 195 764 498 120 \
938 527 893 720 549 117 281 697 792 α^{24} +

350 068 616 675 445 071 419 312 878 856 871 849 386 600 965 147 601 189 498 368 233 375 469 912 627 \
425 973 757 092 870 579 583 713 280 α^{25} +

219 535 684 786 846 883 668 862 708 140 260 580 514 762 984 484 088 800 761 292 913 123 440 609 070 \
054 780 852 699 529 507 218 915 328 α^{26} +

129 166 813 300 804 242 193 112 600 975 790 003 070 718 458 739 233 588 461 745 805 859 249 148 230 \
448 804 070 307 832 795 871 838 208 α^{27} +

71 366 463 482 451 821 932 582 248 024 071 875 711 312 018 130 975 278 903 997 389 845 766 055 164 \
453 682 685 831 593 147 899 052 032 α^{28} +

37 058 352 081 124 191 491 692 748 064 269 344 776 125 139 103 860 364 056 059 729 745 455 564 458 \
965 511 624 234 923 536 490 168 320 α^{29} +

18 097 948 217 764 886 425 327 776 466 988 433 365 592 224 698 179 452 289 748 367 869 336 078 812 \
458 480 207 687 023 340 722 061 312 α^{30} +

8 317 269 661 513 756 317 536 829 710 827 389 918 195 463 820 365 695 570 976 701 256 324 749 839 670 \
946 547 962 091 151 053 291 520 α^{31} +

3 598 769 222 425 041 537 836 084 161 113 563 176 676 022 354 063 625 251 062 051 653 112 341 716 853 \
210 156 771 376 037 422 432 256 α^{32} +

1 466 632 004 966 813 510 332 930 481 095 238 908 710 793 314 990 726 029 460 969 398 967 800 705 532 \
299 924 796 353 733 388 664 832 α^{33} +

563 137 592 313 575 536 711 358 736 502 771 549 550 579 162 554 331 522 018 545 995 730 239 486 308 \
197 586 957 451 893 472 755 712 α^{34} +

203 764 025 603 233 614 467 178 452 515 094 737 907 492 116 510 024 597 068 143 104 569 351 316 028 \
933 799 991 907 073 895 956 480 α^{35} +

69 488 902 503 563 527 485 906 991 272 713 081 082 801 884 291 718 013 613 519 401 802 219 466 625 \
872 430 562 030 552 925 339 648 α^{36} +

22 335 511 692 946 228 023 202 194 638 639 500 623 392 672 999 968 914 699 868 480 746 734 426 934 \
967 522 564 633 158 783 860 736 α^{37} +

6 766 260 249 381 710 566 677 925 073 355 566 755 328 921 690 063 029 336 028 158 681 052 817 589 622 \
487 810 592 574 338 498 560 α^{38} +

1 931 592 789 163 629 801 493 128 903 616 292 597 704 954 289 698 139 375 088 729 668 707 383 710 677 \
616 664 236 196 246 847 488 α^{39} +

519 516 707 281 133 222 686 917 660 620 517 639 139 074 037 604 127 089 161 309 082 141 514 760 629 \
206 221 156 843 733 909 504 α^{40} +

131 602 359 315 750 088 798 651 851 129 033 684 015 697 477 959 618 979 724 735 685 295 556 096 042 \
592 962 289 348 466 704 384 α^{41} +

31 385 561 134 764 167 118 023 843 819 785 708 615 403 066 419 225 918 165 558 967 538 216 376 704 \
821 027 864 765 280 550 912 α^{42} +

7 043 310 708 549 507 817 043 238 379 555 069 187 096 240 745 928 253 445 294 446 246 924 264 636 163 \
192 031 623 189 102 592 α^{43} +

1 486 406 561 060 121 334 190 169 877 145 499 865 873 972 618 781 164 753 413 689 767 306 610 506 603 \
443 750 403 158 573 056 α^{44} +

294 779 168 715 797 526 430 008 755 451 334 946 712 445 943 874 391 206 620 090 384 224 578 302 515 \
552 355 837 286 547 456 α^{45} +

54 889 202 474 418 934 953 367 605 253 205 790 703 000 976 333 382 888 122 498 313 779 779 754 392 \
595 158 165 916 483 584 α^{46} +

9 587 033 020 869 881 575 296 403 688 405 568 263 334 617 117 723 677 306 851 883 409 336 842 453 557 \

$917\,762\,937\,946\,112\,\alpha^{47} +$

$1\,568\,929\,570\,069\,704\,893\,553\,539\,328\,759\,028\,855\,747\,961\,414\,162\,667\,584\,756\,333\,323\,816\,255\,812\,061\,304\,959\,356\,895\,232\,\alpha^{48} +$

$240\,265\,667\,845\,389\,856\,726\,589\,416\,907\,351\,909\,373\,419\,670\,601\,405\,982\,367\,505\,556\,540\,790\,438\,434\,461\,217\,288\,355\,840\,\alpha^{49} +$

$34\,381\,207\,462\,430\,964\,149\,096\,212\,448\,663\,965\,268\,513\,802\,858\,027\,919\,596\,001\,623\,186\,245\,744\,530\,109\,197\,417\,709\,568\,\alpha^{50} +$

$4\,589\,652\,715\,771\,949\,122\,868\,304\,940\,258\,801\,801\,416\,810\,969\,155\,643\,704\,123\,361\,769\,993\,216\,618\,554\,960\,925\,163\,520\,\alpha^{51} +$

$570\,507\,371\,845\,298\,507\,104\,651\,348\,342\,661\,965\,957\,594\,459\,015\,110\,444\,512\,976\,266\,361\,393\,822\,877\,625\,975\,046\,144\,\alpha^{52} +$

$65\,894\,786\,252\,815\,031\,395\,251\,993\,558\,737\,892\,473\,291\,468\,953\,277\,278\,494\,946\,265\,001\,224\,500\,651\,930\,354\,188\,288\,\alpha^{53} +$

$7\,055\,226\,294\,516\,104\,731\,388\,738\,164\,087\,097\,105\,620\,560\,436\,887\,051\,869\,058\,321\,276\,565\,159\,304\,730\,136\,018\,944\,\alpha^{54} +$

$698\,327\,214\,144\,506\,874\,899\,605\,149\,780\,334\,804\,547\,048\,028\,882\,785\,545\,028\,959\,720\,094\,766\,654\,491\,247\,771\,648\,\alpha^{55} +$

$63\,700\,764\,572\,413\,524\,470\,233\,906\,115\,995\,456\,011\,003\,046\,133\,167\,460\,525\,501\,882\,188\,849\,904\,497\,496\,948\,736\,\alpha^{56} +$

$5\,336\,023\,809\,345\,740\,156\,253\,726\,408\,982\,853\,119\,800\,758\,833\,960\,578\,685\,926\,992\,711\,339\,928\,664\,613\,584\,896\,\alpha^{57} +$

$408\,778\,752\,130\,998\,281\,852\,569\,974\,208\,466\,857\,878\,368\,109\,511\,305\,427\,529\,647\,128\,948\,082\,049\,168\,703\,488\,\alpha^{58} +$

$28\,501\,948\,568\,777\,945\,850\,278\,650\,613\,715\,169\,075\,189\,841\,983\,746\,268\,817\,721\,243\,916\,820\,048\,108\,322\,816\,\alpha^{59} +$

$1\,798\,598\,340\,177\,107\,789\,847\,877\,596\,463\,361\,991\,643\,161\,374\,049\,584\,181\,798\,968\,834\,845\,902\,188\,314\,624\,\alpha^{60} +$

$102\,040\,260\,914\,339\,776\,239\,907\,361\,473\,457\,929\,531\,343\,548\,255\,807\,378\,814\,214\,205\,045\,842\,009\,653\,248\,\alpha^{61} +$

$5\,163\,084\,112\,025\,026\,092\,975\,753\,087\,824\,750\,520\,220\,511\,910\,808\,093\,812\,996\,096\,261\,647\,595\,732\,992\,\alpha^{62} +$

$230\,730\,504\,566\,177\,191\,563\,425\,976\,109\,595\,135\,966\,661\,991\,134\,578\,506\,887\,154\,458\,870\,729\,932\,800\,\alpha^{63} +$

$8\,996\,693\,569\,880\,206\,832\,672\,124\,083\,717\,873\,484\,848\,486\,981\,316\,671\,889\,128\,155\,982\,627\,602\,432\,\alpha^{64} +$

$301\,383\,087\,695\,900\,787\,219\,702\,443\,911\,789\,267\,202\,025\,495\,066\,662\,725\,047\,182\,848\,126\,091\,264\,\alpha^{65} +$

$8\,499\,041\,642\,977\,636\,827\,858\,645\,295\,283\,941\,494\,000\,043\,361\,803\,584\,458\,741\,066\,674\,208\,768\,\alpha^{66} +$

$196\,205\,134\,625\,142\,121\,161\,400\,498\,736\,991\,228\,024\,197\,699\,880\,396\,991\,482\,860\,824\,166\,400\,\alpha^{67} +$

$3\,560\,548\,200\,937\,565\,553\,593\,605\,813\,500\,749\,815\,219\,107\,113\,678\,843\,426\,208\,057\,655\,296\,\alpha^{68} +$

$47\,628\,100\,392\,223\,668\,600\,871\,179\,271\,392\,688\,585\,910\,811\,230\,158\,596\,387\,058\,483\,200\,\alpha^{69} +$

$417\,538\,637\,634\,980\,604\,489\,941\,179\,863\,270\,395\,337\,223\,076\,620\,296\,137\,578\,905\,600\,\alpha^{70} +$

$1\,799\,596\,991\,269\,061\,329\,287\,824\,680\,392\,760\,881\,927\,537\,311\,686\,029\,685\,555\,200\,\alpha^{71}\Big)\,S_\alpha^3 +$

$\Big(-266\,753\,372\,345\,682\,505\,334\,109\,412\,845\,798\,877\,349\,781\,026\,943\,225\,359\,497\,190\,622\,363\,020\,489\,728\,710\,829\,670\,400\,000\,000\,000 -$

$7\,665\,887\,088\,968\,395\,928\,115\,748\,048\,188\,197\,271\,726\,796\,448\,095\,943\,163\,212\,239\,818\,542\,621\,641\,311\,794\,201\,886\,720\,000\,000\,000\,\alpha -$

$107\,988\,806\,045\,296\,453\,998\,978\,289\,237\,126\,171\,373\,611\,064\,962\,159\,352\,140\,259\,788\,910\,542\,507\,564\,807\,625\,908\,420\,608\,000\,000\,000\,\alpha^2 -$

$994\,132\,913\,605\,694\,223\,913\,202\,475\,990\,789\,532\,601\,378\,001\,591\,056\,599\,330\,309\,134\,817\,133\,532\,813\,520\,997\,281\,116\,979\,200\,000\,000\,\alpha^3 -$

$6\,727\,530\,935\,548\,181\,713\,113\,895\,900\,532\,813\,890\,357\,088\,330\,142\,544\,193\,052\,254\,056\,932\,030\,523\,180\,052\,717\,442\,076\,508\,160\,000\,000\,\alpha^4 -$

35 692 872 097 703 193 510 936 155 654 035 207 094 497 890 878 023 933 994 689 028 025 407 439 669 ⸲
582 138 365 441 322 516 480 000 000 α^5 −

154 627 735 389 294 847 602 173 889 667 401 460 536 665 637 293 324 287 425 612 717 329 660 669 368 ⸲
167 410 751 518 787 030 220 800 000 α^6 −

562 523 973 639 890 153 256 179 781 187 147 971 888 891 022 102 746 777 895 133 615 661 809 703 038 ⸲
900 851 906 989 099 319 296 000 000 α^7 −

1 753 988 203 013 137 197 961 108 841 380 952 518 855 699 825 956 711 812 911 496 498 472 172 551 907 ⸲
844 352 753 410 613 030 420 480 000 α^8 −

4 761 120 832 901 000 310 154 120 610 218 343 325 828 457 610 922 345 963 843 966 263 744 299 945 748 ⸲
697 226 812 462 119 072 877 772 800 α^9 −

11 389 511 091 103 783 520 136 767 750 659 927 201 118 078 294 456 199 005 289 269 388 618 591 189 ⸲
704 163 710 241 252 038 404 095 344 640 α^{10} −

24 249 135 987 310 076 975 004 659 436 955 380 655 257 396 313 037 951 461 306 707 696 162 053 184 ⸲
761 811 841 916 824 185 099 767 513 088 α^{11} −

46 323 314 725 415 565 186 287 402 429 379 800 967 443 518 025 160 489 463 480 653 386 703 089 261 ⸲
612 295 606 616 205 481 059 819 716 608 α^{12} −

79 937 349 900 931 954 622 158 372 458 858 722 203 812 799 636 410 793 152 684 472 318 535 743 947 ⸲
414 242 303 655 439 437 539 196 272 640 α^{13} −

125 322 016 544 708 782 097 329 513 286 444 240 896 064 884 712 859 539 040 721 989 714 390 175 775 ⸲
612 886 520 797 269 565 482 559 602 688 α^{14} −

179 371 024 723 185 796 999 237 410 727 060 418 711 340 095 778 529 067 086 482 590 201 453 932 669 ⸲
493 106 204 882 303 424 760 773 607 424 α^{15} −

235 370 523 054 052 908 158 260 935 388 309 982 672 821 891 284 214 995 081 507 702 640 158 104 174 ⸲
044 573 743 364 408 778 356 137 394 176 α^{16} −

284 193 485 704 652 536 022 669 441 906 841 920 164 287 664 955 939 766 741 349 116 000 129 219 998 ⸲
408 355 877 680 651 767 440 899 833 856 α^{17} −

316 756 594 889 094 321 481 450 995 007 702 021 707 977 240 511 455 636 719 015 961 721 728 371 425 ⸲
894 832 970 194 986 522 642 468 569 088 α^{18} −

326 817 333 590 889 396 678 656 257 765 556 911 784 811 576 322 995 321 527 796 828 904 135 660 467 ⸲
118 964 958 831 674 129 510 641 434 624 α^{19} −

312 915 196 962 487 827 274 343 153 260 772 353 818 986 038 558 898 278 295 651 479 884 062 643 191 ⸲
349 894 158 179 413 449 425 253 564 416 α^{20} −

278 638 069 294 344 939 540 261 238 406 889 051 651 830 682 610 453 556 771 063 815 670 815 486 329 ⸲
332 523 198 215 721 482 821 235 113 984 α^{21} −

231 200 303 260 122 785 017 181 290 664 597 077 650 228 075 208 848 687 926 136 923 479 330 848 514 ⸲
107 749 117 469 778 092 533 064 138 752 α^{22} −

179 067 764 628 369 287 884 045 210 225 033 133 372 830 997 691 221 435 719 368 492 876 192 817 911 ⸲
954 953 092 008 693 877 458 681 724 928 α^{23} −

129 655 275 046 385 830 041 433 414 724 568 513 690 994 034 448 403 607 026 776 475 676 959 923 669 ⸲
803 208 967 659 156 100 679 842 398 208 α^{24} −

87 880 830 561 031 009 691 714 544 276 490 055 614 152 496 444 826 007 408 463 753 872 544 435 544 ⸲
648 436 995 169 036 881 232 115 269 632 α^{25} −

55 827 586 751 282 050 232 150 018 697 633 280 191 308 131 496 157 594 086 803 293 320 214 808 569 ⸲
274 312 609 812 717 014 466 191 949 824 α^{26} −

33 274 549 179 132 985 735 574 916 400 828 225 006 558 088 628 356 646 074 961 813 024 576 522 874 ⸲
621 379 924 259 526 216 523 955 830 784 α^{27} −

18 624 537 531 493 410 376 494 983 322 940 203 204 356 530 407 426 901 410 819 877 015 832 620 768 ⸲
773 714 085 415 279 026 244 723 671 040 α^{28} −

9 797 560 804 142 076 072 320 664 608 363 034 523 222 506 976 198 158 068 560 812 541 940 820 803 331 ⸲
299 898 930 254 100 827 469 774 848 α^{29} −

4 847 414 031 369 892 611 873 032 170 034 097 202 194 325 960 974 692 197 279 401 531 221 013 027 346 ⸲

$900\,158\,362\,778\,946\,193\,351\,245\,824\,\alpha^{30}-$

$2\,256\,923\,210\,441\,500\,658\,285\,516\,225\,302\,365\,068\,243\,807\,052\,725\,384\,615\,218\,144\,889\,121\,444\,430\,944\,911\,701\,228\,101\,090\,152\,932\,179\,968\,\alpha^{31}-$

$989\,349\,021\,244\,585\,141\,615\,451\,869\,225\,883\,509\,525\,920\,380\,231\,967\,211\,017\,267\,288\,518\,350\,687\,627\,527\,341\,403\,351\,924\,764\,965\,863\,424\,\alpha^{32}-$

$408\,487\,292\,785\,366\,013\,202\,169\,241\,975\,831\,660\,055\,042\,505\,412\,950\,407\,332\,652\,270\,420\,868\,171\,014\,236\,096\,833\,656\,540\,052\,391\,460\,864\,\alpha^{33}-$

$158\,903\,760\,588\,518\,763\,878\,698\,339\,064\,923\,068\,704\,075\,230\,066\,430\,550\,011\,791\,707\,705\,568\,360\,508\,035\,728\,573\,328\,570\,830\,091\,714\,560\,\alpha^{34}-$

$58\,251\,610\,878\,635\,210\,362\,604\,994\,013\,623\,988\,601\,174\,526\,157\,367\,720\,225\,371\,602\,277\,849\,222\,651\,917\,813\,874\,472\,767\,259\,525\,775\,360\,\alpha^{35}-$

$20\,125\,807\,433\,461\,533\,770\,192\,061\,521\,585\,475\,231\,476\,788\,562\,173\,144\,205\,443\,303\,888\,534\,292\,996\,139\,803\,409\,401\,324\,794\,477\,019\,136\,\alpha^{36}-$

$6\,553\,692\,389\,633\,394\,701\,643\,835\,535\,032\,234\,804\,025\,713\,163\,251\,732\,264\,267\,170\,934\,904\,159\,052\,179\,448\,841\,565\,686\,453\,405\,483\,008\,\alpha^{37}-$

$2\,011\,334\,115\,217\,011\,518\,089\,016\,537\,616\,027\,830\,729\,459\,888\,894\,853\,043\,593\,754\,128\,545\,235\,159\,561\,985\,902\,443\,741\,752\,990\,892\,032\,\alpha^{38}-$

$581\,684\,966\,626\,237\,106\,262\,244\,574\,089\,540\,547\,370\,644\,870\,241\,871\,022\,157\,607\,112\,344\,391\,958\,174\,816\,260\,641\,809\,869\,458\,898\,944\,\alpha^{39}-$

$158\,488\,667\,323\,850\,427\,576\,840\,860\,247\,827\,728\,794\,876\,723\,475\,140\,315\,102\,655\,196\,187\,360\,209\,364\,661\,018\,072\,550\,605\,076\,824\,064\,\alpha^{40}-$

$40\,670\,251\,033\,782\,635\,228\,596\,530\,842\,126\,308\,414\,784\,049\,035\,867\,361\,518\,066\,000\,615\,157\,977\,593\,559\,857\,345\,352\,139\,441\,963\,008\,\alpha^{41}-$

$9\,825\,259\,250\,169\,193\,921\,695\,586\,845\,955\,828\,950\,189\,256\,779\,798\,958\,117\,382\,187\,605\,197\,437\,746\,886\,102\,787\,639\,098\,921\,189\,376\,\alpha^{42}-$

$2\,233\,453\,022\,092\,369\,591\,728\,614\,929\,375\,983\,824\,528\,764\,949\,452\,966\,370\,067\,300\,053\,728\,937\,054\,414\,811\,914\,750\,078\,536\,908\,800\,\alpha^{43}-$

$477\,426\,858\,909\,441\,638\,799\,943\,300\,389\,805\,528\,338\,788\,984\,169\,557\,603\,006\,986\,385\,240\,730\,764\,771\,619\,162\,078\,513\,943\,543\,808\,\alpha^{44}-$

$95\,899\,695\,096\,462\,911\,742\,342\,912\,451\,533\,390\,703\,843\,979\,080\,021\,752\,354\,055\,879\,363\,549\,983\,633\,382\,542\,172\,101\,015\,502\,848\,\alpha^{45}-$

$18\,085\,856\,640\,643\,086\,097\,072\,326\,065\,032\,511\,518\,104\,804\,505\,891\,934\,208\,820\,700\,388\,586\,192\,059\,166\,693\,615\,512\,986\,845\,184\,\alpha^{46}-$

$3\,199\,243\,249\,119\,650\,454\,728\,737\,403\,563\,541\,823\,970\,963\,969\,728\,971\,682\,182\,412\,249\,558\,582\,354\,580\,833\,479\,347\,480\,297\,472\,\alpha^{47}-$

$530\,218\,869\,226\,693\,144\,709\,723\,520\,593\,171\,604\,994\,888\,725\,468\,088\,216\,600\,183\,341\,580\,978\,047\,792\,799\,327\,783\,477\,051\,392\,\alpha^{48}-$

$82\,225\,905\,962\,543\,231\,947\,005\,492\,953\,663\,082\,663\,656\,946\,034\,095\,752\,666\,128\,231\,891\,665\,083\,523\,947\,382\,715\,367\,555\,072\,\alpha^{49}-$

$11\,914\,575\,477\,222\,901\,186\,199\,075\,239\,251\,384\,836\,953\,392\,886\,478\,675\,525\,046\,005\,318\,844\,772\,131\,421\,875\,566\,779\,826\,176\,\alpha^{50}-$

$1\,610\,467\,061\,923\,437\,661\,517\,003\,059\,472\,439\,137\,533\,154\,986\,229\,264\,328\,213\,929\,847\,001\,329\,317\,623\,193\,196\,847\,693\,824\,\alpha^{51}-$

$202\,684\,607\,985\,832\,263\,025\,103\,147\,262\,822\,082\,737\,105\,636\,711\,357\,539\,938\,571\,953\,510\,454\,024\,219\,707\,490\,149\,859\,328\,\alpha^{52}-$

$23\,701\,173\,094\,998\,269\,376\,154\,451\,856\,807\,759\,895\,090\,221\,752\,756\,323\,709\,896\,922\,921\,761\,030\,082\,487\,259\,880\,226\,816\,\alpha^{53}-$

$2\,568\,974\,125\,036\,223\,576\,891\,356\,843\,016\,632\,343\,686\,816\,319\,691\,337\,591\,620\,366\,798\,519\,705\,000\,580\,890\,589\,396\,992\,\alpha^{54}-$

$257\,399\,333\,435\,110\,650\,309\,854\,627\,630\,312\,406\,781\,891\,459\,641\,653\,477\,810\,855\,907\,256\,867\,138\,968\,634\,886\,455\,296\,\alpha^{55}-$

23 766 292 798 635 175 836 592 904 919 737 142 843 388 208 853 743 184 787 412 143 106 054 860 523 049 318 350 848 α^{56} −

2 014 979 470 096 145 378 452 399 610 480 780 330 925 366 338 860 837 955 306 072 215 157 642 114 460 031 123 456 α^{57} −

156 222 668 860 508 252 687 014 603 838 739 972 442 602 266 657 332 599 018 383 424 055 124 714 023 571 947 520 α^{58} −

11 022 981 777 408 944 611 049 212 275 176 934 080 364 923 682 413 168 595 189 190 866 312 667 492 108 992 512 α^{59} −

703 870 250 608 021 309 497 691 875 975 441 184 053 128 565 785 903 204 513 350 233 572 634 434 763 489 280 α^{60} −

40 404 352 487 245 614 320 573 193 809 049 434 468 995 065 297 232 696 452 034 966 074 633 972 170 620 928 α^{61} −

2 068 366 434 722 532 831 861 769 722 501 592 640 828 569 365 231 929 279 242 608 723 478 736 443 277 312 α^{62} −

93 507 787 701 442 884 468 993 017 823 190 176 352 531 341 660 806 863 406 519 911 814 776 857 034 752 α^{63} −

3 688 181 495 421 911 434 251 142 119 323 711 962 688 847 883 004 066 495 045 819 533 680 070 098 944 α^{64} −

124 967 267 539 758 368 551 457 313 229 534 656 071 072 773 998 492 311 199 798 153 367 613 603 840 α^{65} −

3 564 152 059 495 749 884 100 011 019 415 791 918 454 936 077 328 062 292 953 893 729 816 543 232 α^{66} −
83 208 128 438 558 007 926 606 858 666 188 619 656 903 353 175 866 966 363 326 704 856 858 624 α^{67} −
1 526 866 508 580 219 595 929 347 668 190 227 505 210 406 866 657 092 682 281 163 400 675 328 α^{68} −
20 650 732 152 850 561 079 033 009 890 616 805 723 793 533 551 608 661 987 916 408 422 400 α^{69} −
183 027 164 601 563 499 087 404 137 994 790 932 954 413 510 424 820 648 673 856 716 800 α^{70} −
797 441 937 110 990 115 062 213 625 434 396 035 590 691 401 524 154 386 192 793 600 α^{71}) S_α^2 +

$\big($10 202 203 605 889 782 821 962 791 802 895 902 304 574 306 534 543 932 233 596 320 072 166 978 249 322 103 675 289 600 000 000 000 +

299 894 146 974 179 077 528 925 188 449 825 004 654 632 664 484 803 249 764 403 933 875 695 770 129 202 746 176 307 200 000 000 000 α +

4 321 633 686 640 669 715 809 696 992 810 704 706 609 390 298 034 066 601 724 527 100 758 951 860 745 957 920 716 357 632 000 000 000 α^2 +

40 701 571 546 155 828 531 207 253 318 081 171 722 051 287 395 638 931 585 856 001 524 359 195 548 137 908 547 316 036 403 200 000 000 α^3 +

281 803 127 968 625 400 577 830 105 888 694 797 914 049 428 112 420 601 775 237 902 463 126 268 721 815 463 155 730 565 038 080 000 000 α^4 +

1 529 724 099 923 886 944 787 881 247 313 846 755 962 106 587 482 022 267 148 568 989 129 287 208 335 873 709 834 534 540 804 096 000 000 α^5 +

6 780 647 539 600 853 648 505 811 608 569 933 790 843 796 797 393 747 981 585 093 621 377 484 065 080 029 004 845 109 339 383 398 400 000 α^6 +

25 239 481 270 426 179 139 403 241 272 094 260 950 686 579 649 775 223 464 057 962 810 014 693 304 455 557 395 228 764 159 218 810 880 000 α^7 +

80 522 675 065 435 352 417 353 798 225 525 872 192 120 163 779 941 448 235 762 911 400 176 881 493 365 938 116 996 697 968 812 752 896 000 α^8 +

223 636 524 373 506 278 143 310 818 742 483 474 648 093 144 269 103 040 746 832 017 059 926 265 710 766 568 141 368 985 279 825 077 862 400 α^9 +

547 348 713 527 665 933 331 738 182 417 220 462 377 699 150 525 488 986 663 362 466 198 315 568 637 571 177 727 088 597 034 434 654 371 840 α^{10} +

1 192 224 809 327 881 904 479 721 179 195 363 099 744 303 406 682 755 210 971 255 950 178 311 225 349 647 057 562 163 840 614 358 895 820 800 α^{11} +

2 329 892 703 809 211 765 577 086 232 587 016 818 961 311 755 208 288 936 828 218 599 670 306 361 930

$206\,398\,181\,343\,487\,125\,292\,220\,153\,856\,\alpha^{12}\,+$

$4\,112\,694\,234\,913\,290\,035\,367\,079\,057\,151\,680\,088\,107\,397\,736\,381\,443\,463\,784\,871\,921\,516\,692\,745\,816\,227\,434\,808\,809\,539\,497\,951\,060\,033\,536\,\alpha^{13}\,+$

$6\,594\,852\,892\,013\,666\,592\,671\,051\,910\,201\,361\,797\,827\,284\,589\,453\,682\,690\,602\,578\,702\,853\,194\,971\,870\,027\,064\,342\,176\,013\,491\,943\,061\,323\,776\,\alpha^{14}\,+$

$9\,653\,543\,012\,442\,063\,368\,124\,014\,294\,305\,028\,449\,059\,714\,175\,187\,057\,675\,913\,173\,704\,064\,726\,409\,757\,513\,268\,615\,887\,641\,032\,763\,774\,074\,880\,\alpha^{15}\,+$

$12\,953\,708\,026\,772\,559\,774\,646\,413\,225\,170\,416\,294\,841\,827\,730\,158\,942\,072\,216\,441\,779\,705\,349\,758\,095\,544\,134\,631\,750\,176\,530\,686\,397\,120\,512\,\alpha^{16}\,+$

$15\,992\,269\,384\,578\,053\,850\,675\,063\,221\,901\,284\,065\,045\,105\,531\,013\,749\,813\,979\,617\,916\,543\,919\,305\,942\,976\,815\,237\,018\,767\,355\,393\,026\,818\,048\,\alpha^{17}\,+$

$18\,222\,908\,287\,627\,732\,643\,606\,751\,815\,172\,809\,612\,150\,700\,813\,808\,770\,638\,449\,959\,276\,127\,974\,938\,983\,812\,255\,424\,198\,964\,614\,155\,982\,602\,240\,\alpha^{18}\,+$

$19\,219\,019\,865\,641\,173\,207\,195\,024\,874\,485\,764\,742\,975\,284\,790\,464\,579\,495\,752\,783\,235\,491\,576\,608\,754\,014\,005\,613\,916\,775\,750\,259\,099\,828\,224\,\alpha^{19}\,+$

$18\,807\,074\,599\,533\,933\,306\,309\,838\,453\,246\,467\,043\,486\,220\,346\,577\,202\,524\,408\,398\,876\,624\,649\,001\,342\,346\,186\,421\,966\,016\,756\,437\,846\,327\,296\,\alpha^{20}\,+$

$17\,113\,319\,218\,235\,351\,950\,749\,479\,863\,187\,088\,184\,034\,922\,475\,297\,524\,054\,964\,333\,215\,131\,054\,826\,374\,488\,919\,500\,008\,102\,365\,156\,345\,905\,152\,\alpha^{21}\,+$

$14\,508\,043\,998\,280\,958\,720\,790\,840\,109\,524\,128\,825\,708\,143\,428\,011\,763\,800\,401\,671\,647\,397\,139\,083\,467\,947\,101\,646\,287\,548\,759\,776\,916\,668\,416\,\alpha^{22}\,+$

$11\,478\,599\,707\,461\,301\,002\,577\,321\,389\,113\,659\,252\,708\,143\,449\,557\,291\,359\,356\,033\,034\,406\,010\,219\,628\,805\,580\,190\,744\,766\,289\,910\,102\,491\,136\,\alpha^{23}\,+$

$8\,488\,563\,841\,344\,045\,408\,044\,395\,288\,580\,440\,633\,401\,961\,624\,250\,693\,023\,483\,088\,424\,801\,988\,745\,558\,319\,049\,927\,785\,352\,713\,881\,933\,316\,096\,\alpha^{24}\,+$

$5\,875\,293\,158\,334\,422\,046\,794\,334\,511\,847\,963\,398\,314\,925\,617\,632\,492\,001\,881\,674\,607\,324\,900\,690\,863\,440\,098\,911\,734\,830\,443\,792\,366\,043\,136\,\alpha^{25}\,+$

$3\,810\,587\,787\,508\,308\,509\,423\,432\,772\,983\,637\,805\,499\,914\,731\,140\,183\,609\,346\,051\,951\,684\,638\,410\,447\,481\,128\,419\,743\,334\,561\,114\,558\,038\,016\,\alpha^{26}\,+$

$2\,318\,339\,970\,588\,203\,661\,026\,180\,257\,777\,505\,234\,649\,810\,676\,321\,228\,767\,423\,221\,184\,731\,806\,558\,029\,144\,045\,699\,126\,176\,220\,994\,999\,418\,880\,\alpha^{27}\,+$

$1\,324\,293\,616\,194\,959\,309\,005\,009\,168\,666\,999\,085\,847\,161\,631\,901\,783\,509\,709\,459\,946\,333\,119\,694\,601\,095\,730\,798\,362\,297\,822\,472\,170\,373\,120\,\alpha^{28}\,+$

$710\,821\,768\,341\,748\,268\,171\,361\,302\,673\,713\,516\,692\,751\,468\,185\,680\,083\,732\,859\,643\,120\,699\,047\,173\,044\,342\,843\,980\,428\,320\,178\,712\,870\,912\,\alpha^{29}\,+$

$358\,760\,998\,366\,281\,757\,253\,736\,461\,393\,087\,016\,159\,098\,682\,606\,597\,258\,249\,797\,243\,607\,528\,223\,258\,575\,718\,898\,050\,212\,833\,845\,466\,628\,096\,\alpha^{30}\,+$

$170\,361\,353\,140\,057\,908\,208\,902\,346\,333\,451\,866\,961\,229\,923\,423\,691\,089\,676\,895\,459\,679\,856\,998\,624\,917\,727\,518\,076\,779\,624\,467\,567\,476\,736\,\alpha^{31}\,+$

$76\,149\,744\,444\,408\,473\,600\,955\,353\,488\,417\,486\,385\,626\,379\,625\,619\,973\,438\,185\,261\,926\,596\,913\,242\,490\,278\,208\,562\,820\,459\,812\,532\,256\,768\,\alpha^{32}\,+$

$32\,052\,822\,924\,788\,557\,562\,738\,336\,204\,682\,471\,941\,605\,746\,060\,529\,134\,155\,489\,305\,523\,036\,239\,576\,644\,845\,138\,183\,717\,774\,587\,827\,585\,024\,\alpha^{33}\,+$

$12\,708\,485\,803\,397\,563\,410\,031\,541\,853\,271\,438\,155\,243\,702\,565\,345\,169\,639\,016\,384\,769\,174\,050\,667\,582\,397\,619\,167\,419\,872\,402\,129\,027\,072\,\alpha^{34}\,+$

$4\,747\,244\,505\,934\,969\,243\,408\,410\,984\,639\,952\,791\,671\,667\,855\,985\,533\,733\,309\,009\,830\,727\,568\,262\,934\,834\,982\,251\,064\,601\,927\,915\,405\,312\,\alpha^{35}\,+$

$1\,670\,945\,572\,093\,554\,051\,813\,985\,506\,657\,227\,263\,451\,592\,543\,611\,765\,688\,918\,351\,220\,663\,230\,077\,263\,221\,536\,070\,843\,455\,154\,545\,491\,968\,\alpha^{36}\,+$

$554\,205\,685\,671\,100\,593\,761\,618\,615\,306\,201\,335\,964\,759\,574\,710\,429\,570\,320\,600\,983\,806\,767\,642\,487\,510\,717\,708\,137\,945\,166\,694\,580\,224\,\alpha^{37}\,+$

173 198 889 064 473 150 068 173 340 630 492 423 822 672 448 558 294 240 132 234 880 871 811 929 576 \
820 667 759 819 203 704 134 828 032 α^{38} +

50 994 606 205 404 733 355 373 242 640 735 689 939 637 653 685 729 078 405 687 090 201 753 150 785 \
405 756 907 177 784 681 766 584 320 α^{39} +

14 141 951 564 624 660 064 299 383 497 646 284 673 578 568 338 363 893 323 616 816 214 124 881 943 \
386 260 444 070 431 888 687 235 072 α^{40} +

3 692 850 049 628 803 949 258 081 985 631 115 008 363 772 963 333 279 581 820 379 365 105 474 040 994 \
131 486 836 361 504 478 986 240 α^{41} +

907 614 309 360 389 116 380 572 613 494 140 914 923 897 063 866 811 703 642 956 397 864 398 354 956 \
816 424 383 059 266 579 202 048 α^{42} +

209 848 264 609 328 663 359 084 693 962 759 825 495 984 209 071 357 076 192 225 579 001 707 702 704 \
169 048 760 863 734 169 075 712 α^{43} +

45 614 763 719 750 413 032 850 176 601 707 477 034 631 708 793 061 253 181 269 381 119 180 005 940 \
122 029 610 226 699 588 337 664 α^{44} +

9 315 039 902 111 393 160 912 260 328 219 188 948 212 412 636 601 780 638 824 492 970 859 533 937 402 \
692 925 513 285 035 360 256 α^{45} +

1 785 560 492 029 512 689 658 931 425 435 385 664 079 733 602 782 694 877 512 654 709 551 803 206 117 \
438 087 664 250 352 828 416 α^{46} +

320 959 385 348 727 805 412 800 717 697 109 761 591 615 784 603 426 850 909 466 398 147 197 577 731 \
540 783 828 520 969 175 040 α^{47} +

54 041 202 628 046 162 198 064 020 860 698 790 457 190 528 495 413 554 262 204 686 819 315 229 182 \
505 975 038 619 154 382 848 α^{48} +

8 512 273 596 490 876 468 076 474 742 926 473 209 854 734 832 943 045 221 252 380 599 153 323 832 471 \
811 032 723 140 640 768 α^{49} +

1 252 515 446 000 981 426 779 425 275 934 739 939 593 497 926 117 282 478 876 271 454 061 065 922 547 \
046 665 338 826 522 624 α^{50} +

171 879 871 128 807 297 132 141 471 065 816 922 307 935 272 144 500 350 854 312 549 644 137 263 739 \
973 743 775 668 240 384 α^{51} +

21 956 555 442 120 287 745 751 246 855 610 620 596 426 457 745 463 968 295 750 576 932 261 512 302 \
923 165 929 272 508 416 α^{52} +

2 605 468 199 806 936 331 295 089 550 800 291 489 811 989 456 899 648 309 466 911 523 339 873 177 146 \
014 925 817 118 720 α^{53} +

286 517 432 967 116 160 808 277 090 181 383 947 865 108 813 372 967 242 301 919 685 489 038 361 159 \
969 161 516 941 312 α^{54} +

29 119 084 876 751 683 786 574 774 330 504 359 680 642 465 266 365 415 316 592 606 588 552 553 050 \
977 535 449 366 528 α^{55} +

2 726 560 078 577 214 760 237 822 640 730 205 427 656 044 779 576 667 806 874 929 578 623 038 325 298 \
583 002 152 960 α^{56} +

234 375 763 511 891 943 198 221 765 243 907 691 447 385 207 355 286 134 429 331 612 829 185 551 844 \
250 335 838 208 α^{57} +

18 419 613 344 769 537 960 500 708 514 235 672 636 308 194 192 113 178 854 826 575 062 689 448 050 \
816 018 546 688 α^{58} +

1 317 154 470 198 322 776 890 921 593 307 769 359 900 555 108 710 315 375 072 742 987 710 761 194 274 \
083 045 376 α^{59} +

85 219 513 358 439 830 873 497 744 525 352 705 045 272 505 181 313 640 097 007 263 752 151 440 956 \
034 383 872 α^{60} +

4 955 551 166 457 886 905 460 507 267 117 940 923 971 871 792 470 466 368 620 556 851 150 954 387 145 \
228 288 α^{61} +

256 931 968 875 749 011 677 293 413 392 803 356 939 911 120 562 239 099 110 385 697 715 067 364 778 \
704 896 α^{62} +

11 761 852 144 032 652 915 726 343 979 350 332 901 202 972 418 622 004 510 970 839 908 227 266 297 \

$987\,072\,\alpha^{63}\,+$

$469\,665\,728\,002\,126\,327\,303\,457\,490\,693\,379\,958\,374\,751\,318\,201\,179\,168\,454\,079\,121\,686\,071\,743\,610\,880\,\alpha^{64}\,+$

$16\,107\,712\,654\,563\,845\,949\,254\,867\,087\,608\,497\,758\,249\,183\,828\,165\,479\,324\,882\,766\,301\,728\,801\,292\,288\,\alpha^{65}\,+$

$464\,909\,256\,806\,763\,248\,504\,477\,882\,103\,732\,730\,616\,690\,937\,842\,305\,355\,401\,859\,062\,638\,028\,259\,328\,\alpha^{66}\,+$

$10\,981\,621\,103\,328\,705\,236\,085\,521\,794\,284\,151\,970\,809\,227\,627\,455\,049\,446\,809\,116\,504\,961\,843\,200\,\alpha^{67}\,+$

$203\,847\,732\,269\,962\,175\,964\,000\,931\,573\,291\,328\,313\,431\,858\,640\,849\,160\,472\,090\,368\,039\,452\,672\,\alpha^{68}\,+$

$2\,788\,436\,718\,824\,974\,627\,767\,983\,059\,941\,160\,581\,993\,626\,187\,813\,688\,425\,334\,468\,037\,836\,800\,\alpha^{69}\,+$

$24\,990\,725\,344\,106\,896\,258\,660\,127\,869\,977\,773\,658\,189\,804\,675\,038\,295\,750\,467\,597\,107\,200\,\alpha^{70}\,+$

$110\,082\,641\,333\,279\,807\,322\,029\,981\,964\,819\,894\,978\,260\,761\,567\,068\,714\,074\,269\,286\,400\,\alpha^{71}\Big)\,S_\alpha\,+$

$\Big(-16\,281\,255\,224\,197\,574\,309\,419\,557\,226\,198\,092\,784\,819\,026\,725\,745\,200\,153\,463\,334\,186\,900\,214\,018\,374\,411\,223\,040\,000\,000\,000\,000\,-$

$528\,130\,422\,901\,296\,354\,767\,098\,766\,059\,549\,277\,008\,947\,258\,055\,062\,733\,994\,078\,438\,369\,347\,819\,113\,998\,796\,718\,080\,000\,000\,000\,000\,\alpha\,-$

$8\,367\,562\,873\,206\,029\,390\,061\,838\,376\,912\,195\,854\,699\,687\,816\,991\,915\,485\,021\,986\,749\,473\,589\,821\,108\,469\,541\,686\,476\,800\,000\,000\,000\,000\,\alpha^2\,-$

$86\,339\,195\,896\,941\,782\,984\,656\,408\,745\,603\,332\,595\,714\,253\,767\,584\,013\,053\,948\,474\,748\,173\,082\,286\,750\,863\,137\,104\,199\,680\,000\,000\,000\,000\,\alpha^3\,-$

$652\,713\,153\,303\,490\,253\,989\,503\,514\,845\,336\,243\,254\,346\,756\,153\,159\,813\,442\,906\,553\,897\,404\,771\,828\,946\,620\,919\,045\,947\,392\,000\,000\,000\,000\,\alpha^4\,-$

$3\,856\,258\,352\,272\,757\,909\,725\,113\,285\,076\,391\,485\,119\,006\,590\,870\,240\,809\,359\,468\,315\,608\,288\,013\,738\,893\,923\,477\,587\,650\,150\,400\,000\,000\,000\,\alpha^5\,-$

$18\,546\,293\,250\,103\,560\,257\,664\,836\,128\,685\,640\,743\,929\,440\,779\,650\,095\,403\,452\,538\,100\,949\,009\,034\,421\,815\,634\,559\,273\,963\,356\,160\,000\,000\,\alpha^6\,-$

$74\,681\,443\,382\,018\,283\,929\,082\,840\,604\,298\,934\,277\,553\,537\,243\,733\,781\,438\,676\,281\,816\,691\,263\,193\,502\,735\,851\,265\,457\,454\,579\,712\,000\,000\,\alpha^7\,-$

$257\,018\,507\,114\,404\,303\,028\,323\,289\,183\,212\,837\,261\,362\,251\,186\,685\,976\,152\,411\,079\,682\,952\,457\,168\,956\,336\,797\,448\,886\,488\,032\,870\,400\,000\,\alpha^8\,-$

$767\,930\,861\,504\,861\,759\,498\,268\,864\,726\,767\,180\,951\,958\,854\,739\,196\,508\,495\,514\,338\,039\,119\,531\,868\,839\,611\,126\,504\,995\,671\,517\,429\,760\,000\,\alpha^9\,-$

$2\,016\,718\,029\,787\,197\,015\,540\,152\,072\,660\,725\,527\,208\,084\,058\,551\,786\,888\,027\,455\,053\,737\,839\,391\,903\,354\,191\,200\,805\,272\,143\,125\,282\,816\,000\,\alpha^{10}\,-$

$4\,701\,715\,969\,216\,625\,294\,615\,836\,800\,120\,203\,237\,857\,695\,350\,703\,154\,007\,669\,232\,893\,509\,132\,080\,456\,030\,785\,953\,459\,535\,645\,339\,811\,840\,000\,\alpha^{11}\,-$

$9\,810\,961\,196\,462\,712\,719\,315\,430\,142\,686\,594\,673\,111\,599\,265\,910\,485\,425\,691\,276\,834\,013\,580\,743\,055\,154\,693\,827\,372\,535\,312\,321\,767\,014\,400\,\alpha^{12}\,-$

$18\,449\,407\,602\,208\,244\,572\,320\,705\,426\,381\,703\,323\,331\,468\,613\,242\,633\,653\,493\,665\,103\,463\,801\,301\,482\,028\,884\,588\,786\,200\,616\,156\,685\,926\,400\,\alpha^{13}\,-$

$31\,447\,433\,400\,662\,129\,839\,372\,901\,942\,410\,596\,819\,271\,349\,635\,191\,129\,859\,224\,618\,419\,888\,349\,892\,994\,034\,033\,494\,047\,427\,925\,817\,845\,350\,400\,\alpha^{14}\,-$

$48\,828\,517\,479\,330\,210\,885\,371\,417\,456\,098\,036\,565\,450\,018\,212\,548\,545\,694\,824\,758\,078\,799\,017\,494\,963\,749\,427\,463\,026\,184\,507\,166\,294\,016\,000\,\alpha^{15}\,-$

$69\,359\,724\,359\,934\,051\,301\,926\,621\,301\,305\,497\,970\,173\,352\,694\,713\,656\,511\,993\,705\,725\,738\,646\,027\,163\,875\,304\,076\,514\,460\,945\,076\,767\,948\,800\,\alpha^{16}\,-$

$90\,470\,082\,652\,896\,652\,999\,360\,816\,070\,389\,045\,227\,487\,126\,661\,291\,406\,865\,690\,703\,972\,126\,533\,241\,694\,706\,483\,895\,408\,338\,856\,383\,296\,307\,200\,\alpha^{17}\,-$

$108\,713\,440\,053\,528\,284\,108\,622\,055\,478\,018\,152\,256\,357\,325\,822\,940\,576\,893\,693\,953\,216\,734\,625\,643\,935\,593\,743\,550\,478\,189\,182\,725\,390\,336\,000\,\alpha^{18}\,-$

120 694 861 936 505 204 764 267 889 215 713 579 740 518 643 291 512 107 609 409 074 049 695 022 568 ⸱
593 500 640 223 944 073 704 885 557 657 600 α^{19} −

124 114 635 798 222 436 782 452 151 298 543 023 307 809 714 106 160 719 541 347 096 783 415 299 079 ⸱
609 577 553 860 163 351 550 445 905 510 400 α^{20} −

118 484 597 838 558 425 993 619 178 513 000 234 719 313 783 598 226 394 884 786 802 494 417 252 609 ⸱
376 925 890 016 098 373 634 460 798 156 800 α^{21} −

105 213 696 430 506 025 995 436 801 166 437 738 687 758 502 416 306 417 699 472 831 554 154 350 930 ⸱
129 224 110 582 550 070 600 233 543 270 400 α^{22} −

87 061 248 412 649 895 531 530 277 910 639 708 526 756 218 145 272 047 127 736 341 358 348 933 744 ⸱
522 974 917 783 960 664 042 511 951 462 400 α^{23} −

67 236 531 107 777 039 865 426 979 588 947 006 356 353 842 637 616 562 924 798 655 917 107 782 381 ⸱
384 859 338 347 187 025 339 142 792 806 400 α^{24} −

48 531 404 971 454 762 539 245 746 687 192 659 572 093 134 280 617 059 848 570 992 966 390 863 502 ⸱
758 811 916 850 151 208 483 547 407 974 400 α^{25} −

32 780 698 933 394 351 360 796 188 307 338 561 910 516 895 716 250 572 980 939 952 171 321 201 305 ⸱
793 183 825 755 000 435 253 224 826 470 400 α^{26} −

20 742 898 931 305 452 429 925 974 463 627 220 594 171 750 648 054 392 619 690 602 743 665 406 137 ⸱
696 735 360 319 397 770 051 440 345 088 000 α^{27} −

12 308 281 087 560 662 007 950 563 734 714 321 047 116 980 222 316 456 474 871 124 854 199 082 227 ⸱
433 679 224 610 735 886 790 803 062 784 000 α^{28} −

6 854 407 631 695 778 334 219 921 226 823 414 442 388 417 762 239 881 247 151 438 324 513 380 460 009 ⸱
048 997 733 479 041 020 543 683 788 800 α^{29} −

3 585 135 111 323 168 720 534 087 049 052 510 268 557 301 779 645 624 423 830 946 649 458 930 317 210 ⸱
152 282 792 446 952 636 949 096 038 400 α^{30} −

1 762 285 825 154 111 293 798 583 109 121 435 989 550 765 120 966 533 530 114 537 970 527 832 777 510 ⸱
288 770 482 110 059 903 009 056 358 400 α^{31} −

814 536 610 191 929 315 109 839 135 846 574 092 761 984 040 151 254 631 528 083 720 294 974 976 813 ⸱
103 277 548 303 448 709 864 305 459 200 α^{32} −

354 155 959 250 399 621 737 555 110 285 588 253 257 390 235 584 982 930 426 863 380 149 947 487 494 ⸱
440 286 093 874 600 360 692 783 513 600 α^{33} −

144 901 862 550 818 829 785 454 578 126 524 309 401 349 348 078 817 748 880 263 384 359 376 243 984 ⸱
125 458 523 696 674 925 934 595 276 800 α^{34} −

55 802 710 231 344 434 569 002 059 634 969 221 798 456 685 162 487 518 664 134 631 715 872 196 015 ⸱
977 692 000 516 619 698 738 875 596 800 α^{35} −

20 230 488 378 846 440 123 277 302 585 210 585 394 204 891 194 131 254 294 175 204 579 561 289 199 ⸱
932 164 680 614 021 414 757 020 467 200 α^{36} −

6 904 890 803 610 604 111 206 371 211 771 278 343 161 483 961 249 654 422 579 168 972 541 888 149 635 ⸱
518 320 468 053 675 396 929 945 600 α^{37} −

2 218 697 410 201 675 209 917 820 870 814 916 469 186 126 586 693 748 010 392 090 764 547 949 070 248 ⸱
093 911 101 035 504 707 882 188 800 α^{38} −

671 093 599 544 241 694 084 955 546 051 763 769 231 979 173 647 501 079 157 357 303 100 393 846 937 ⸱
075 032 064 880 624 793 550 848 000 α^{39} −

191 040 591 712 382 062 716 929 195 709 127 473 736 137 757 240 152 210 884 989 336 233 318 315 098 ⸱
411 072 357 272 124 480 343 244 800 α^{40} −

51 168 103 132 008 018 114 583 319 780 637 844 179 509 585 775 522 869 425 509 176 824 006 443 497 ⸱
643 381 845 344 917 148 139 520 000 α^{41} −

12 889 497 841 513 265 103 815 393 486 378 237 796 061 723 393 248 811 770 851 097 413 554 561 971 ⸱
111 690 024 460 577 171 256 115 200 α^{42} −

3 052 277 922 895 842 508 370 872 716 393 475 827 114 655 647 731 095 685 415 762 170 807 288 836 016 ⸱
591 834 315 972 695 346 380 800 α^{43} −

679 056 687 745 206 904 844 569 927 460 983 097 929 702 506 768 097 449 784 361 557 236 960 307 536 ⸱

352 335 452 915 547 871 641 600 α^{44} −

141 832 428 264 701 780 297 769 422 257 501 122 483 433 820 821 355 264 995 279 505 565 812 492 091
968 209 124 039 718 233 702 400 α^{45} −

27 789 064 633 757 380 368 215 379 021 603 685 294 882 910 965 062 432 797 969 284 948 966 090 439
016 253 368 024 097 515 110 400 α^{46} −

5 102 534 189 076 661 143 169 278 930 740 561 511 843 634 740 231 778 335 863 239 871 583 008 509 974
088 881 386 230 382 592 000 α^{47} −

877 070 508 289 090 535 894 890 917 185 427 229 298 881 650 981 076 241 131 771 747 211 685 968 279
904 636 197 772 931 891 200 α^{48} −

140 953 149 356 965 056 126 822 685 427 969 087 427 074 575 712 313 056 027 575 235 969 200 892 822
567 234 223 339 680 563 200 α^{49} −

21 148 841 343 895 062 929 709 431 821 576 736 443 738 633 792 890 381 644 842 411 400 847 051 777
340 338 208 987 781 529 600 α^{50} −

2 957 777 839 524 224 943 836 586 578 309 234 787 920 155 839 426 618 425 277 797 624 273 525 625 236
493 590 666 516 889 600 α^{51} −

384 868 546 368 015 613 938 507 923 991 792 920 300 682 737 829 292 264 480 126 517 531 532 389 059
437 147 982 292 582 400 α^{52} −

46 496 458 323 721 090 411 255 180 650 063 857 460 290 185 869 637 190 299 374 211 391 507 229 180
410 065 795 940 352 000 α^{53} −

5 203 032 264 143 346 957 931 803 826 403 753 563 294 270 764 170 841 821 870 254 955 555 926 237 791
785 096 891 596 800 α^{54} −

537 832 504 711 141 544 087 129 251 381 082 897 661 461 339 212 451 893 077 739 044 952 285 842 494
382 360 703 795 200 α^{55} −

51 197 348 614 046 610 042 543 939 822 425 359 359 647 292 898 638 135 505 541 077 341 997 362 466
470 336 921 600 000 α^{56} −

4 472 124 364 097 851 626 986 362 068 472 968 262 168 535 092 238 442 740 131 070 059 314 752 113 042
710 016 819 200 α^{57} −

356 995 209 618 432 804 247 493 823 627 464 115 451 805 273 725 015 109 401 881 496 295 090 828 990
196 429 619 200 α^{58} −

25 918 939 644 465 635 656 657 748 541 729 965 266 667 599 341 417 136 805 783 311 971 170 859 399
986 439 782 400 α^{59} −

1 701 930 900 032 622 062 149 282 293 502 940 452 031 671 785 437 026 985 519 788 463 740 403 748 092
824 780 800 α^{60} −

100 402 948 464 198 449 244 659 396 245 802 245 900 774 514 500 091 121 060 408 005 800 535 647 096
877 875 200 α^{61} −

5 279 088 084 863 768 328 357 425 959 242 280 961 309 512 228 782 828 929 139 641 277 501 158 130 607
718 400 α^{62} −

244 986 715 431 462 114 149 793 491 503 156 422 252 102 144 295 153 688 976 587 839 284 181 241 482
444 800 α^{63} −

9 913 488 618 628 461 837 131 075 206 593 743 382 949 306 382 569 685 635 004 121 264 429 673 218 048
000 α^{64} −

344 422 802 673 712 182 413 229 871 418 574 883 946 623 169 191 989 921 168 283 031 185 480 954 675 200
α^{65} −

10 067 016 349 289 812 560 603 553 336 305 558 840 202 063 187 952 794 578 049 957 035 972 440 883 200
α^{66} −

240 731 112 172 321 584 921 955 084 567 221 573 902 775 621 936 479 402 416 415 154 307 596 288 000
α^{67} −

4 522 387 372 148 143 355 778 441 691 409 786 397 431 666 978 326 110 242 110 093 877 103 820 800 α^{68} −
62 587 245 463 916 235 213 247 366 822 886 296 655 874 476 127 596 259 801 969 060 741 120 000 α^{69} −
567 333 111 461 293 551 476 480 339 282 526 501 444 615 698 431 225 870 941 872 455 680 000 α^{70} −
2 526 895 270 964 164 390 573 681 619 328 838 310 737 173 237 266 256 961 166 376 960 000 α^{71}) }

In[ ]:= `RECNormalizedinSEVEN = RECNormalizedEVEN[[1]];`
`ToOrePolynomial[RECNormalizedinSEVEN]`

Out[ ]= $\big($ $-1\,998\,410\,332\,995\,385\,305\,084\,031\,314\,405\,967\,183\,796\,704\,055\,989\,393\,620\,529\,294\,600\,189\,766\,400\,000\,000\,000 -$

$56\,121\,751\,853\,499\,922\,172\,286\,529\,353\,247\,687\,644\,971\,388\,692\,898\,672\,802\,583\,561\,297\,331\,846\,096\,000\,000\,000\,\alpha -$

$772\,199\,100\,495\,385\,408\,617\,179\,104\,579\,595\,370\,031\,252\,884\,094\,301\,082\,830\,772\,980\,188\,092\,132\,230\,400\,000\,000\,\alpha^2 -$

$6\,940\,119\,369\,125\,303\,445\,271\,933\,172\,645\,923\,186\,343\,441\,544\,394\,546\,865\,475\,655\,921\,816\,159\,525\,085\,160\,000\,000\,\alpha^3 -$

$45\,829\,260\,207\,220\,003\,319\,431\,833\,093\,637\,152\,121\,800\,522\,628\,522\,869\,965\,856\,468\,377\,891\,445\,898\,151\,796\,000\,000\,\alpha^4 -$

$237\,152\,985\,175\,285\,577\,699\,685\,315\,868\,971\,690\,019\,809\,317\,682\,505\,819\,706\,670\,690\,503\,448\,806\,939\,891\,546\,400\,000\,\alpha^5 -$

$1\,001\,595\,534\,092\,412\,847\,965\,432\,369\,782\,294\,862\,512\,579\,210\,103\,011\,330\,796\,919\,258\,683\,297\,654\,767\,301\,976\,080\,000\,\alpha^6 -$

$3\,550\,622\,487\,044\,041\,874\,653\,901\,702\,787\,399\,813\,957\,404\,825\,220\,797\,925\,344\,954\,584\,018\,652\,496\,420\,635\,412\,384\,000\,\alpha^7 -$

$10\,783\,305\,585\,801\,050\,575\,450\,797\,486\,677\,507\,948\,528\,655\,937\,786\,607\,982\,377\,304\,006\,937\,449\,213\,909\,458\,079\,734\,400\,\alpha^8 -$

$28\,497\,205\,468\,174\,775\,165\,566\,342\,958\,358\,112\,151\,747\,375\,105\,794\,729\,554\,501\,404\,610\,339\,697\,576\,077\,488\,349\,826\,800\,\alpha^9 -$

$66\,339\,897\,284\,479\,507\,957\,286\,441\,863\,598\,144\,495\,999\,116\,488\,057\,757\,716\,651\,699\,990\,396\,359\,804\,950\,214\,883\,231\,048\,\alpha^{10} -$

$137\,389\,721\,472\,582\,255\,951\,226\,931\,930\,868\,084\,708\,976\,004\,972\,469\,117\,412\,776\,984\,602\,240\,298\,044\,587\,608\,089\,259\,510\,\alpha^{11} -$

$255\,188\,034\,360\,550\,722\,231\,965\,458\,787\,606\,701\,675\,143\,095\,771\,106\,102\,976\,921\,779\,556\,791\,345\,407\,904\,465\,712\,832\,115\,\alpha^{12} -$

$427\,986\,841\,322\,038\,769\,753\,065\,997\,976\,623\,980\,222\,828\,322\,764\,876\,570\,705\,145\,251\,569\,342\,743\,949\,579\,727\,954\,976\,034\,\alpha^{13} -$

$651\,850\,773\,325\,650\,362\,013\,734\,559\,263\,116\,771\,804\,688\,791\,354\,639\,901\,602\,227\,940\,445\,954\,084\,312\,890\,298\,755\,231\,461\,\alpha^{14} -$

$906\,016\,823\,414\,235\,195\,514\,072\,037\,346\,191\,570\,778\,895\,024\,458\,352\,106\,240\,758\,655\,365\,205\,360\,079\,064\,630\,028\,436\,129\,\alpha^{15} -$

$1\,154\,051\,291\,903\,916\,779\,783\,601\,181\,326\,826\,249\,506\,598\,933\,064\,577\,828\,808\,069\,414\,001\,638\,118\,003\,741\,408\,182\,617\,717\,\alpha^{16} -$

$1\,352\,088\,181\,086\,107\,095\,724\,011\,333\,237\,655\,711\,271\,652\,294\,142\,114\,770\,512\,854\,118\,249\,933\,184\,438\,457\,191\,983\,007\,725\,\alpha^{17} -$

$1\,461\,726\,449\,683\,600\,271\,393\,045\,737\,613\,291\,344\,179\,309\,502\,571\,544\,858\,657\,145\,452\,654\,467\,603\,527\,248\,487\,352\,896\,677\,\alpha^{18} -$

$1\,462\,276\,964\,263\,325\,596\,631\,469\,635\,962\,165\,964\,172\,266\,511\,490\,168\,541\,441\,180\,256\,638\,562\,185\,885\,775\,146\,218\,690\,797\,\alpha^{19} -$

$1\,356\,977\,947\,319\,026\,521\,303\,223\,218\,778\,511\,356\,075\,538\,209\,515\,007\,930\,706\,499\,877\,528\,405\,583\,554\,431\,215\,469\,135\,396\,\alpha^{20} -$

$1\,170\,707\,793\,051\,148\,605\,467\,742\,218\,929\,025\,009\,659\,641\,350\,775\,307\,252\,253\,781\,128\,230\,671\,162\,152\,137\,983\,889\,982\,445\,\alpha^{21} -$

$940\,809\,292\,730\,907\,310\,421\,336\,229\,142\,699\,855\,765\,668\,497\,441\,636\,944\,618\,465\,732\,965\,776\,351\,991\,556\,721\,541\,478\,770\,\alpha^{22} -$

$705\,475\,339\,065\,752\,170\,555\,891\,810\,489\,118\,349\,209\,999\,056\,201\,395\,753\,277\,815\,330\,024\,875\,029\,566\,951\,157\,023\,638\,016\,\alpha^{23} -$

$494\,373\,038\,617\,749\,399\,423\,709\,655\,305\,282\,797\,336\,577\,063\,717\,167\,001\,046\,773\,218\,028\,993\,049\,732$

$984\,090\,120\,497\,296\,\alpha^{24}\,-$

$324\,198\,258\,346\,768\,833\,558\,773\,631\,214\,685\,715\,550\,365\,264\,126\,352\,210\,681\,116\,677\,258\,788\,074\,929\,\backslash$ $635\,704\,832\,581\,648\,\alpha^{25}\,-$

$199\,192\,010\,926\,488\,762\,472\,164\,280\,602\,146\,312\,707\,039\,963\,384\,535\,785\,949\,354\,782\,499\,555\,090\,934\,\backslash$ $050\,582\,699\,100\,192\,\alpha^{26}\,-$

$114\,788\,711\,837\,436\,967\,896\,323\,130\,513\,554\,266\,514\,191\,187\,075\,381\,935\,659\,172\,117\,638\,585\,208\,618\,\backslash$ $973\,105\,243\,679\,360\,\alpha^{27}\,-$

$62\,100\,719\,699\,315\,327\,381\,740\,193\,070\,036\,570\,979\,523\,719\,735\,161\,551\,374\,720\,032\,474\,422\,884\,243\,660\,\backslash$ $197\,418\,229\,760\,\alpha^{28}\,-$

$31\,565\,756\,153\,315\,525\,110\,326\,405\,585\,989\,555\,670\,304\,588\,361\,890\,742\,774\,252\,146\,987\,517\,951\,071\,765\,\backslash$ $413\,795\,899\,904\,\alpha^{29}\,-$

$15\,085\,549\,927\,280\,485\,156\,222\,940\,144\,049\,236\,524\,849\,415\,958\,481\,298\,746\,460\,465\,374\,537\,164\,321\,354\,\backslash$ $420\,302\,103\,552\,\alpha^{30}\,-$

$6\,782\,488\,193\,719\,476\,523\,577\,284\,889\,885\,786\,337\,225\,256\,059\,595\,552\,307\,692\,341\,350\,736\,174\,572\,501\,\backslash$ $561\,269\,395\,456\,\alpha^{31}\,-$

$2\,870\,213\,201\,939\,619\,291\,698\,871\,228\,562\,398\,806\,219\,261\,420\,101\,928\,529\,451\,251\,455\,375\,558\,676\,995\,\backslash$ $714\,762\,760\,192\,\alpha^{32}\,-$

$1\,143\,692\,719\,115\,305\,457\,940\,922\,720\,654\,804\,853\,074\,463\,239\,127\,449\,121\,414\,225\,928\,023\,117\,781\,157\,\backslash$ $743\,248\,449\,536\,\alpha^{33}\,-$

$429\,247\,346\,825\,366\,720\,215\,894\,225\,774\,492\,107\,977\,181\,795\,042\,220\,335\,912\,272\,120\,008\,271\,629\,565\,\backslash$ $088\,371\,982\,336\,\alpha^{34}\,-$

$151\,776\,003\,370\,936\,269\,611\,634\,053\,894\,493\,178\,962\,907\,469\,774\,670\,554\,669\,251\,145\,321\,534\,896\,280\,\backslash$ $903\,837\,810\,688\,\alpha^{35}\,-$

$50\,565\,220\,434\,784\,286\,532\,651\,888\,683\,787\,862\,855\,741\,140\,875\,222\,899\,998\,746\,086\,915\,193\,734\,716\,669\,\backslash$ $276\,192\,768\,\alpha^{36}\,-$

$15\,873\,486\,539\,301\,253\,311\,558\,904\,004\,890\,739\,496\,188\,590\,598\,259\,995\,012\,168\,928\,270\,485\,884\,383\,647\,\backslash$ $698\,059\,264\,\alpha^{37}\,-$

$4\,695\,101\,533\,617\,847\,091\,657\,867\,479\,778\,451\,554\,487\,843\,422\,045\,385\,411\,748\,435\,700\,835\,794\,957\,667\,\backslash$ $658\,235\,904\,\alpha^{38}\,-$

$1\,308\,315\,332\,209\,787\,344\,839\,486\,399\,601\,683\,860\,187\,756\,760\,552\,675\,776\,051\,272\,480\,072\,560\,211\,725\,\backslash$ $324\,910\,592\,\alpha^{39}\,-$

$343\,382\,727\,987\,027\,296\,669\,164\,933\,280\,404\,700\,732\,730\,933\,988\,404\,907\,911\,035\,228\,857\,193\,028\,411\,\backslash$ $253\,063\,680\,\alpha^{40}\,-$

$84\,860\,777\,936\,231\,967\,548\,606\,821\,973\,042\,398\,587\,607\,304\,710\,956\,598\,333\,179\,661\,172\,239\,439\,647\,913\,\backslash$ $017\,344\,\alpha^{41}\,-$

$19\,738\,802\,903\,914\,976\,991\,257\,441\,370\,237\,589\,744\,410\,568\,776\,038\,585\,634\,427\,207\,883\,600\,747\,480\,657\,\backslash$ $952\,768\,\alpha^{42}\,-$

$4\,319\,160\,747\,998\,574\,644\,440\,024\,684\,596\,505\,472\,726\,239\,389\,265\,957\,708\,114\,843\,690\,620\,356\,387\,483\,\backslash$ $418\,624\,\alpha^{43}\,-$

$888\,539\,293\,982\,190\,744\,437\,262\,098\,719\,757\,339\,331\,104\,841\,411\,575\,981\,422\,585\,954\,378\,279\,896\,754\,\backslash$ $421\,760\,\alpha^{44}\,-$

$171\,726\,808\,342\,106\,550\,718\,256\,764\,426\,717\,871\,110\,448\,577\,262\,588\,750\,406\,328\,178\,840\,196\,580\,353\,\backslash$ $507\,328\,\alpha^{45}\,-$

$31\,154\,241\,964\,331\,289\,507\,923\,285\,966\,586\,297\,004\,194\,248\,023\,086\,477\,267\,365\,928\,146\,545\,786\,176\,405\,\backslash$ $504\,\alpha^{46}\,-$

$5\,300\,185\,090\,060\,889\,459\,324\,048\,871\,425\,913\,850\,565\,160\,295\,654\,916\,709\,255\,796\,050\,296\,690\,165\,415\,\backslash$ $936\,\alpha^{47}\,-$

$844\,647\,137\,753\,487\,961\,355\,679\,556\,471\,392\,862\,527\,543\,865\,369\,783\,809\,006\,407\,468\,475\,799\,906\,025\,472\,\backslash$ $\alpha^{48}\,-$

$125\,926\,775\,457\,463\,667\,502\,927\,702\,279\,779\,822\,017\,246\,300\,567\,053\,103\,749\,133\,137\,214\,215\,548\,829\,696\,\backslash$ $\alpha^{49}\,-$

17 538 497 406 853 905 231 255 450 806 111 664 265 784 883 088 347 241 338 774 378 697 973 563 392 000 α^{50} −

2 278 176 316 216 469 616 042 050 231 352 812 413 007 000 346 972 664 645 590 193 943 153 825 808 384 α^{51} −

275 484 614 598 350 860 981 676 250 348 358 290 271 182 325 948 252 634 299 141 628 356 007 559 168 α^{52} −

30 946 322 136 353 246 613 262 336 139 556 680 887 978 427 498 622 967 911 943 075 373 179 207 680 α^{53} −

3 221 700 427 592 651 158 892 833 032 463 306 597 595 120 078 699 292 733 999 864 153 771 081 728 α^{54} −

309 987 885 380 313 376 893 939 715 790 142 783 320 934 050 574 002 428 555 597 856 750 174 208 α^{55} −

27 481 365 026 613 750 907 314 602 484 742 184 703 396 697 378 340 972 534 350 626 831 728 640 α^{56} −

2 236 746 179 285 557 627 831 272 106 214 932 490 556 973 627 303 414 603 697 436 424 667 136 α^{57} −

166 452 753 498 784 174 590 717 184 268 978 658 099 696 665 311 755 139 571 452 628 434 944 α^{58} −

11 271 466 899 031 709 548 466 066 934 992 806 317 043 246 351 094 957 005 692 506 996 736 α^{59} −

690 627 481 652 808 691 065 877 339 646 954 160 755 091 423 961 590 079 309 033 242 624 α^{60} −

38 035 282 807 781 321 733 520 323 219 866 113 396 885 418 999 023 654 590 675 419 136 α^{61} −

1 867 808 914 909 543 848 449 990 397 290 863 480 826 737 122 267 614 524 905 357 312 α^{62} −

80 991 650 206 201 379 168 870 357 027 668 112 138 812 849 759 034 900 490 485 760 α^{63} −

3 063 621 399 467 231 494 728 324 895 034 780 598 010 670 441 381 461 380 562 944 α^{64} −

99 539 176 886 218 624 298 920 012 045 709 988 114 900 033 169 367 733 633 024 α^{65} −

2 721 919 800 924 159 703 439 454 390 106 035 347 921 508 548 555 260 821 504 α^{66} −

60 919 212 120 637 138 297 856 049 172 786 115 943 740 037 283 083 976 704 α^{67} −

1 071 541 048 843 085 818 821 228 544 378 988 612 183 479 065 476 333 568 α^{68} −

13 890 372 455 059 356 603 133 967 062 086 276 595 800 303 520 972 800 α^{69} −

117 982 558 926 515 617 407 298 351 692 200 429 818 181 635 276 800 α^{70} −

492 583 560 716 086 973 444 323 245 714 100 057 393 437 081 600 α^{71} $\Big)$ S_{α}^{6} +

$\Big($ 249 528 655 673 068 383 326 156 991 472 400 034 179 234 447 752 888 031 463 983 730 542 176 692 720 000 000 000 000 +

7 027 808 204 948 094 558 920 635 774 062 523 163 115 032 144 736 767 027 842 187 370 563 658 190 008 600 000 000 000 α +

96 985 278 963 300 691 975 612 895 584 499 460 492 530 194 662 328 352 726 301 841 510 375 394 094 407 874 000 000 000 α^2 +

874 312 240 031 305 852 031 351 558 357 591 444 514 775 889 632 217 489 417 241 595 068 347 579 881 210 277 100 000 000 α^3 +

5 791 634 089 920 397 475 764 396 637 588 594 396 058 828 017 548 051 006 783 008 181 439 028 474 699 663 817 215 000 000 α^4 +

30 066 397 325 467 130 456 225 771 976 618 322 236 830 221 504 592 758 717 747 121 263 206 810 591 078 333 815 881 500 000 α^5 +

127 401 897 349 037 047 594 767 010 754 507 635 036 929 903 595 497 257 796 718 973 340 124 643 939 452 371 112 683 600 000 α^6 +

453 163 834 493 067 829 489 143 673 254 793 786 081 642 873 700 753 991 335 096 136 229 518 220 722 593 855 226 009 570 000 α^7 +

1 381 041 430 016 566 399 050 642 755 147 187 089 458 667 366 149 565 490 563 224 309 682 166 165 127 727 815 505 021 218 500 α^8 +

3 662 673 945 643 402 270 352 479 981 507 097 468 069 991 429 265 551 070 640 830 737 138 981 119 243 403 069 809 866 577 850 α^9 +

8 557 549 686 718 898 702 625 810 239 332 947 084 742 222 383 442 679 326 253 757 744 820 937 819 947 943 112 005 287 045 500 α^{10} +

17 788 744 817 252 795 867 729 534 907 735 435 105 146 554 226 336 796 045 333 218 448 522 655 813 302 957 430 888 955 087 412 α^{11} +

33 166 977 491 994 738 631 692 254 964 813 787 984 915 837 902 464 366 344 737 161 996 309 566 750 004 947 385 805 750 050 466 α^{12} +

55 843 027 777 370 107 368 218 581 916 194 221 319 590 290 237 274 174 115 306 682 787 457 758 183 313
912 777 145 017 352 244 α^{13} +

85 392 244 366 798 823 399 021 545 718 384 339 082 515 399 767 958 158 216 862 547 565 800 049 283 481
331 826 726 844 247 728 α^{14} +

119 172 839 672 216 057 436 932 756 771 693 666 332 402 905 116 429 920 413 298 858 590 235 602 628
353 746 871 460 639 356 960 α^{15} +

152 432 065 023 510 169 568 208 086 516 086 881 496 177 022 889 141 466 191 659 198 452 724 750 015
477 274 798 341 002 466 592 α^{16} +

179 351 982 838 560 879 006 453 841 742 022 092 825 013 104 013 089 424 151 920 066 391 556 216 704
841 367 882 519 474 410 346 α^{17} +

194 740 958 423 384 333 681 620 470 798 984 072 847 812 265 798 468 447 074 742 599 652 013 272 252
800 761 384 000 588 776 884 α^{18} +

195 682 188 718 550 541 852 249 573 149 068 245 573 810 535 920 499 147 190 656 590 834 260 574 725
251 508 910 221 491 693 548 α^{19} +

182 417 157 996 479 066 439 699 565 068 312 290 618 509 557 886 693 354 213 947 242 169 455 564 052
815 814 860 326 730 265 450 α^{20} +

158 107 971 036 641 110 074 880 088 174 160 583 556 581 964 685 407 609 098 449 155 068 672 828 656
052 603 152 583 809 836 984 α^{21} +

127 661 720 177 353 086 208 454 830 283 132 090 797 016 897 251 292 161 050 200 930 587 313 214 732
626 526 685 825 234 864 592 α^{22} +

96 191 478 586 713 169 533 428 944 557 199 657 026 498 015 414 339 222 490 749 572 052 875 637 888 931
163 497 595 505 443 840 α^{23} +

67 740 344 812 347 484 526 085 208 898 287 474 852 955 504 053 155 596 929 633 038 606 552 207 089 136
973 784 474 093 656 608 α^{24} +

44 646 119 616 569 259 256 565 870 215 283 092 794 880 754 110 621 724 551 895 599 163 869 786 622 556
222 878 662 205 836 160 α^{25} +

27 572 001 482 638 124 282 150 843 786 786 536 540 655 818 340 596 608 498 498 407 258 648 771 185 113
953 582 318 306 429 440 α^{26} +

15 972 106 033 070 093 644 684 705 783 702 114 008 836 936 077 722 082 852 740 028 908 095 303 837 908
836 432 616 655 384 576 α^{27} +

8 687 002 016 273 342 545 937 643 809 502 099 826 612 933 162 122 570 945 466 126 155 544 189 494 996
795 526 271 386 285 056 α^{28} +

4 439 599 657 544 558 533 509 269 233 379 200 845 992 156 057 429 564 112 416 773 324 236 184 252 822
239 292 785 743 360 000 α^{29} +

2 133 474 694 352 988 442 121 910 456 441 146 955 348 575 914 946 479 496 003 891 442 539 481 629 256
872 418 829 899 948 032 α^{30} +

964 625 922 436 952 439 185 550 477 263 250 082 127 193 810 175 936 706 167 284 581 457 324 384 551
862 354 797 888 602 112 α^{31} +

410 556 328 654 461 281 348 487 827 282 118 859 446 659 006 603 830 252 861 556 376 315 904 527 619
694 684 686 716 977 152 α^{32} +

164 551 643 961 668 088 805 937 840 844 908 355 428 990 787 486 277 188 065 017 941 456 417 728 916
297 026 139 484 127 232 α^{33} +

62 127 047 810 488 681 383 211 995 691 744 718 589 858 013 789 370 925 617 325 641 521 581 162 776 193
162 192 698 474 496 α^{34} +

22 100 534 726 179 905 670 450 026 694 393 066 478 652 049 514 008 875 841 923 235 943 113 492 466 167
242 258 047 041 536 α^{35} +

7 408 407 806 688 862 090 685 729 999 499 445 554 837 589 136 519 781 611 543 372 698 713 778 470 633
968 806 100 336 640 α^{36} +

2 340 268 786 992 459 512 116 614 309 127 233 411 361 365 745 485 373 451 499 915 912 195 091 009 118
510 732 117 803 008 α^{37} +

696 636 720 101 492 476 467 321 222 730 546 966 337 048 303 641 565 776 241 019 114 261 301 214 366

953 387 525 668 864 α^{38} +

195 384 311 857 657 708 772 949 431 546 030 183 547 118 905 123 879 788 420 637 342 455 104 710 075 ⟍
061 967 645 573 120 α^{39} +

51 620 227 137 952 982 222 030 640 430 697 534 620 848 692 080 015 327 699 333 093 910 561 743 141 625 ⟍
352 194 883 584 α^{40} +

12 842 849 709 808 351 916 413 673 921 600 264 288 207 331 182 953 225 766 428 492 968 871 623 435 359 ⟍
398 324 600 832 α^{41} +

3 007 718 941 460 650 866 564 765 914 766 502 367 246 506 387 108 417 057 366 600 615 851 021 854 587 ⟍
486 426 103 808 α^{42} +

662 715 883 489 186 006 397 037 953 289 742 486 881 572 609 335 648 229 775 496 786 774 192 034 532 ⟍
787 755 155 456 α^{43} +

137 298 611 947 050 734 625 085 894 228 509 201 284 797 509 131 183 662 355 832 406 048 351 133 366 ⟍
966 548 430 848 α^{44} +

26 726 336 350 454 512 209 177 925 910 206 442 692 325 972 773 940 822 768 727 530 809 252 893 453 959 ⟍
781 416 960 α^{45} +

4 884 060 915 809 332 235 765 235 729 974 804 312 952 269 918 907 243 027 502 828 604 973 950 857 299 ⟍
678 461 952 α^{46} +

837 083 154 731 886 965 868 202 338 507 309 411 901 327 844 507 359 594 388 754 309 304 146 941 350 ⟍
378 471 424 α^{47} +

134 405 826 698 979 693 995 687 385 712 956 870 276 702 673 397 326 873 271 740 294 729 853 288 004 ⟍
989 222 912 α^{48} +

20 191 938 435 177 345 633 448 042 867 054 095 766 782 133 266 803 439 740 715 600 017 266 150 391 939 ⟍
072 000 α^{49} +

2 834 143 240 297 930 592 692 094 443 656 884 219 071 343 220 386 435 456 683 716 610 394 410 935 352 ⟍
557 568 α^{50} +

371 055 575 095 829 428 148 671 188 562 958 361 776 728 811 693 062 584 867 681 556 294 605 603 210 ⟍
264 576 α^{51} +

45 229 764 205 804 900 429 295 331 559 548 433 378 449 128 671 009 285 205 686 918 993 833 720 054 546 ⟍
432 α^{52} +

5 122 298 571 216 350 977 848 804 205 504 476 582 457 780 900 976 265 060 460 272 157 581 285 915 623 ⟍
424 α^{53} +

537 679 893 056 696 371 888 568 604 953 524 599 903 792 378 099 759 135 122 252 452 453 006 102 757 376
α^{54} +

52 169 956 017 607 567 858 243 157 475 745 093 472 819 203 349 068 794 574 680 580 417 310 429 282 304
α^{55} +

4 664 508 206 670 368 839 102 563 058 683 579 505 039 502 501 964 053 589 570 262 482 239 952 519 168
α^{56} +

382 940 383 708 036 714 844 173 386 439 370 547 011 029 096 462 090 110 441 045 887 979 037 392 896
α^{57} +

28 748 012 645 642 056 709 718 907 089 233 591 191 733 885 652 062 804 923 755 372 490 577 149 952 α^{58} +

1 964 063 483 033 811 187 566 267 515 100 210 640 901 652 664 224 191 810 649 485 073 220 370 432 α^{59} +

121 432 073 597 050 472 144 744 874 334 286 300 566 143 208 198 446 932 478 641 858 376 892 416 α^{60} +

6 749 122 183 723 450 886 094 283 229 194 701 080 520 485 601 501 657 489 859 566 721 040 384 α^{61} +

334 519 279 397 374 826 742 896 268 319 024 212 181 110 416 691 019 892 919 277 453 312 000 α^{62} +

14 642 471 034 206 676 525 061 001 276 407 951 536 587 784 552 813 357 460 422 869 909 504 α^{63} +

559 180 926 029 043 074 244 253 627 249 821 525 766 978 552 425 155 687 000 618 041 344 α^{64} +

18 344 779 580 136 704 450 070 605 031 769 959 909 189 401 187 719 365 513 843 834 880 α^{65} +

506 586 250 434 557 462 696 672 620 664 842 847 449 723 083 909 927 766 335 684 608 α^{66} +

11 451 193 184 444 828 466 481 384 626 228 977 455 529 604 190 292 342 000 844 800 α^{67} +

203 461 751 285 808 613 937 923 488 849 028 847 192 594 802 788 346 030 456 832 α^{68} +

2 664 555 721 948 760 984 778 574 256 670 138 505 661 998 130 061 429 964 800 α^{69} +

$22\,867\,856\,349\,020\,703\,408\,890\,664\,535\,538\,458\,374\,825\,833\,846\,223\,667\,200\,\alpha^{70}\,+$

$96\,481\,575\,796\,365\,508\,242\,136\,458\,524\,083\,000\,752\,674\,353\,604\,198\,400\,\alpha^{71}\Big)\,S_\alpha^5\,+$

$\Big(-1\,316\,063\,612\,497\,041\,434\,176\,645\,749\,852\,191\,627\,293\,693\,123\,057\,125\,575\,565\,191\,161\,824\,488\,398\,172\,774\,400\,000\,000\,000\,-$

$37\,209\,578\,244\,282\,750\,020\,906\,047\,888\,940\,035\,380\,418\,599\,959\,266\,952\,780\,720\,342\,203\,059\,439\,342\,888\,151\,040\,000\,000\,000\,\alpha\,-$

$515\,540\,300\,601\,845\,172\,039\,522\,151\,727\,800\,578\,490\,212\,550\,873\,545\,190\,370\,295\,895\,689\,238\,949\,388\,699\,314\,688\,000\,000\,000\,\alpha^2\,-$

$4\,666\,475\,897\,641\,933\,912\,628\,573\,624\,277\,694\,860\,753\,068\,933\,761\,431\,422\,735\,598\,219\,350\,982\,338\,294\,978\,503\,142\,400\,000\,000\,\alpha^3\,-$

$31\,040\,814\,340\,876\,264\,120\,779\,760\,481\,405\,212\,256\,858\,728\,182\,690\,049\,581\,894\,918\,172\,700\,591\,235\,223\,895\,563\,714\,560\,000\,000\,\alpha^4\,-$

$161\,832\,927\,540\,527\,303\,677\,405\,470\,630\,265\,318\,466\,948\,564\,075\,790\,115\,422\,185\,865\,594\,881\,408\,424\,050\,928\,488\,996\,352\,000\,000\,\alpha^5\,-$

$688\,745\,873\,259\,300\,766\,671\,567\,020\,768\,756\,558\,956\,854\,925\,330\,534\,540\,226\,202\,627\,341\,462\,276\,140\,870\,837\,913\,632\,665\,600\,000\,\alpha^6\,-$

$2\,460\,821\,959\,092\,162\,234\,472\,071\,514\,802\,688\,949\,891\,971\,249\,777\,226\,878\,919\,900\,246\,987\,063\,601\,887\,435\,456\,460\,506\,068\,480\,000\,\alpha^7\,-$

$7\,533\,864\,756\,415\,286\,813\,433\,748\,757\,934\,822\,789\,523\,116\,304\,212\,276\,962\,604\,055\,754\,926\,360\,431\,772\,047\,432\,732\,336\,491\,520\,000\,\alpha^8\,-$

$20\,074\,278\,931\,786\,970\,286\,184\,665\,832\,701\,968\,663\,772\,971\,800\,734\,808\,260\,520\,716\,368\,946\,755\,563\,275\,830\,802\,201\,907\,253\,606\,400\,\alpha^9\,-$

$47\,126\,611\,635\,165\,959\,667\,517\,793\,839\,848\,259\,724\,716\,314\,494\,413\,916\,042\,729\,576\,875\,090\,885\,623\,093\,534\,384\,755\,853\,875\,880\,960\,\alpha^{10}\,-$

$98\,442\,303\,893\,969\,389\,541\,803\,113\,968\,730\,532\,790\,414\,228\,516\,565\,414\,656\,971\,365\,431\,844\,475\,206\,982\,461\,619\,277\,177\,097\,527\,808\,\alpha^{11}\,-$

$184\,461\,907\,960\,688\,166\,324\,346\,635\,469\,074\,997\,940\,204\,818\,863\,073\,327\,891\,089\,131\,195\,421\,516\,711\,867\,836\,572\,718\,447\,102\,121\,984\,\alpha^{12}\,-$

$312\,161\,124\,031\,133\,281\,043\,896\,899\,250\,361\,604\,190\,295\,430\,519\,230\,542\,429\,779\,652\,111\,755\,333\,219\,072\,625\,195\,807\,424\,092\,944\,384\,\alpha^{13}\,-$

$479\,824\,171\,645\,361\,970\,044\,768\,786\,391\,447\,395\,381\,934\,374\,979\,505\,715\,076\,594\,027\,145\,439\,524\,056\,477\,712\,211\,347\,180\,236\,914\,688\,\alpha^{14}\,-$

$673\,193\,080\,010\,664\,447\,483\,802\,855\,009\,856\,949\,690\,683\,011\,815\,643\,387\,056\,186\,469\,896\,538\,440\,588\,026\,001\,963\,290\,458\,498\,016\,256\,\alpha^{15}\,-$

$865\,729\,498\,741\,480\,310\,226\,443\,595\,348\,188\,694\,225\,048\,765\,798\,246\,602\,732\,381\,715\,660\,050\,271\,027\,320\,627\,035\,465\,685\,169\,039\,360\,\alpha^{16}\,-$

$1\,024\,237\,075\,294\,598\,205\,675\,631\,045\,147\,030\,086\,956\,965\,479\,365\,789\,553\,067\,540\,925\,765\,789\,139\,603\,206\,412\,325\,558\,496\,059\,619\,328\,\alpha^{17}\,-$

$1\,118\,368\,601\,657\,102\,778\,769\,172\,106\,999\,604\,965\,108\,063\,191\,511\,618\,395\,392\,944\,261\,005\,180\,152\,121\,088\,877\,460\,997\,400\,773\,663\,744\,\alpha^{18}\,-$

$1\,130\,205\,083\,783\,927\,918\,636\,092\,194\,579\,320\,917\,867\,727\,547\,022\,816\,762\,624\,174\,564\,243\,398\,431\,811\,128\,555\,628\,689\,703\,335\,606\,784\,\alpha^{19}\,-$

$1\,059\,729\,186\,436\,452\,345\,785\,787\,319\,036\,346\,590\,529\,333\,348\,165\,928\,080\,220\,643\,677\,134\,074\,994\,221\,970\,038\,408\,151\,005\,969\,047\,552\,\alpha^{20}\,-$

$923\,955\,776\,392\,459\,117\,894\,838\,871\,163\,542\,569\,278\,693\,309\,570\,937\,289\,492\,837\,773\,699\,929\,566\,122\,319\,981\,488\,040\,161\,102\,161\,920\,\alpha^{21}\,-$

$750\,535\,560\,663\,942\,088\,059\,793\,958\,528\,218\,540\,291\,466\,947\,996\,549\,834\,059\,847\,810\,412\,751\,292\,004\,302\,427\,930\,145\,988\,832\,100\,352\,\alpha^{22}\,-$

$568\,990\,855\,220\,579\,304\,947\,110\,928\,211\,055\,646\,577\,339\,137\,495\,549\,232\,922\,247\,073\,189\,752\,685\,492\,142\,999\,177\,383\,706\,082\,246\,656\,\alpha^{23}\,-$

$403\,198\,691\,672\,371\,010\,630\,527\,176\,209\,112\,193\,235\,646\,612\,481\,711\,468\,991\,397\,090\,929\,650\,771\,435$

451 372 781 274 172 945 760 256 α^{24} −

267 425 827 287 260 968 130 341 449 100 456 967 532 305 185 039 558 182 775 876 608 617 587 867 941
541 865 104 231 530 725 048 320 α^{25} −

166 219 012 380 953 038 403 129 960 981 499 305 210 311 082 744 259 906 234 233 407 723 367 637 925
098 916 187 341 676 706 136 064 α^{26} −

96 919 725 574 187 063 921 599 989 315 193 032 480 104 669 278 470 541 789 102 534 618 807 925 150 215
713 657 417 927 643 889 664 α^{27} −

53 064 277 896 296 458 535 010 318 930 127 863 797 607 603 802 999 931 336 449 216 417 344 834 858 785
316 636 908 576 577 683 456 α^{28} −

27 302 548 500 191 209 638 727 870 214 484 958 916 299 066 808 396 768 401 022 226 377 330 644 612 985
848 175 560 240 120 463 360 α^{29} −

13 210 478 269 640 219 010 810 032 749 495 885 453 680 595 320 974 131 555 033 408 626 938 950 515 806
932 131 185 730 091 220 992 α^{30} −

6 014 592 187 201 568 102 940 864 463 983 931 383 325 991 878 831 130 693 677 161 656 406 413 627 139
535 997 002 243 073 114 112 α^{31} −

2 577 986 722 152 394 506 669 583 109 030 026 661 464 029 240 034 764 302 190 918 149 240 319 650 822
881 536 290 786 541 305 856 α^{32} −

1 040 675 127 872 611 669 900 184 173 318 228 726 316 570 472 978 415 575 589 346 749 765 058 218 117
296 506 991 298 096 398 336 α^{33} −

395 770 061 914 096 729 394 775 463 373 960 569 557 474 905 792 644 600 382 133 615 318 741 594 001
565 399 750 255 327 576 064 α^{34} −

141 826 832 850 797 255 563 229 184 088 545 242 263 749 458 065 281 103 408 957 427 179 444 976 204
530 113 715 282 139 676 672 α^{35} −

47 898 057 968 138 890 121 047 400 456 294 910 891 541 378 544 526 558 833 818 793 073 641 069 530 739
525 450 069 270 593 536 α^{36} −

15 245 442 252 466 826 833 662 508 629 346 791 892 226 561 295 222 182 409 949 253 019 962 742 921 874
540 594 776 571 379 712 α^{37} −

4 573 046 560 093 831 696 458 411 582 293 682 295 781 310 042 468 648 582 743 963 648 998 739 020 514
541 027 690 094 264 320 α^{38} −

1 292 580 126 704 446 797 600 363 071 147 243 285 001 965 416 702 060 263 184 594 020 625 993 685 140
637 993 820 405 891 072 α^{39} −

344 191 070 819 373 551 924 332 362 212 723 854 480 315 636 288 964 483 188 955 763 219 309 904 650
255 922 707 828 834 304 α^{40} −

86 316 970 405 693 658 769 193 106 293 613 266 238 704 242 938 546 553 427 298 162 640 042 325 826 705
572 478 700 224 512 α^{41} −

20 378 402 811 303 452 766 256 301 359 783 738 050 728 008 727 820 462 393 034 733 223 262 836 617 871
785 600 254 738 432 α^{42} −

4 526 902 825 463 647 889 749 318 379 116 727 692 330 670 837 103 947 362 018 670 915 544 879 152 095
330 846 558 388 224 α^{43} −

945 634 744 416 316 472 441 486 609 459 433 080 398 071 371 964 213 036 000 839 022 657 148 220 740
665 845 605 203 968 α^{44} −

185 619 046 403 156 483 320 071 390 247 782 703 859 414 011 105 450 509 306 840 502 137 328 626 730
456 338 017 550 336 α^{45} −

34 208 349 792 036 846 099 506 411 466 859 554 446 226 955 757 989 480 406 488 687 266 403 316 963 861
021 522 395 136 α^{46} −

5 913 293 811 591 582 418 112 855 186 496 451 936 627 974 705 481 911 350 672 952 478 128 113 608 054
731 161 206 784 α^{47} −

957 701 900 303 730 034 454 940 321 672 945 548 732 398 089 736 472 487 086 392 750 940 228 909 553
165 826 785 280 α^{48} −

145 138 616 547 590 147 289 554 008 019 469 577 911 906 741 113 440 616 817 355 055 673 543 307 838
620 402 974 720 α^{49} −

20 552 303 323 379 547 432 975 109 564 352 931 712 305 124 063 209 060 117 911 064 963 803 221 906 771 ⸱ 314 475 008 α^{50} −

2 714 889 316 779 231 505 150 042 928 932 465 631 869 315 731 625 357 002 228 286 966 786 252 018 729 ⸱ 510 502 400 α^{51} −

333 927 634 981 477 673 937 402 842 782 305 408 932 439 682 014 020 516 653 015 102 437 215 465 123 ⸱ 296 051 200 α^{52} −

38 163 471 912 783 180 483 397 299 854 246 518 807 384 627 281 764 901 074 306 601 247 974 147 653 118 ⸱ 197 760 α^{53} −

4 042 978 887 534 015 482 461 881 793 003 628 591 659 647 086 808 878 207 486 083 018 543 081 779 634 ⸱ 372 608 α^{54} −

395 942 591 525 438 876 093 211 011 523 934 494 918 935 109 011 363 026 381 612 433 963 565 101 290 ⸱ 094 592 α^{55} −

35 734 746 227 174 497 832 339 723 219 286 702 827 977 212 446 586 854 426 567 986 257 627 457 932 754 ⸱ 944 α^{56} −

2 961 609 094 340 328 443 583 149 005 326 110 540 233 797 993 689 821 512 050 153 692 897 750 328 279 ⸱ 040 α^{57} −

224 467 961 388 240 160 647 848 450 030 580 936 974 194 407 321 761 935 474 316 624 091 777 435 959 296 α^{58} −

15 484 238 752 410 229 351 148 376 842 039 659 320 136 467 857 854 723 124 698 309 810 593 426 571 264 α^{59} −

966 702 776 874 566 250 590 836 259 770 303 360 192 614 521 355 921 736 058 163 065 639 648 886 784 α^{60} −

54 258 657 269 682 140 485 566 767 383 075 915 789 884 018 234 545 969 785 790 054 920 773 173 248 α^{61} −

2 716 074 217 487 163 585 021 534 164 917 040 700 846 649 151 750 304 285 859 502 823 022 002 176 α^{62} −

120 079 716 458 497 378 156 277 808 473 533 270 027 606 911 282 243 644 611 206 187 937 955 840 α^{63} −

4 632 101 052 139 991 631 785 159 175 369 276 558 062 478 480 622 700 629 396 124 667 478 016 α^{64} −

153 512 476 697 272 338 055 676 376 998 399 932 612 767 795 519 690 535 068 371 857 178 624 α^{65} −

4 282 769 385 858 894 939 532 925 131 892 591 136 258 719 267 290 932 415 049 771 253 760 α^{66} −

97 812 922 510 863 879 435 536 674 723 321 978 816 036 664 800 838 366 805 016 707 072 α^{67} −

1 756 046 604 208 647 672 632 961 552 190 634 671 744 046 203 786 119 124 566 933 504 α^{68} −

23 239 075 804 790 700 262 681 691 835 300 621 691 476 513 482 309 684 428 800 000 α^{69} −

201 554 618 326 443 842 913 203 842 465 675 320 617 174 453 377 896 441 446 400 α^{70} −

859 442 520 846 787 116 663 322 559 817 088 095 222 856 117 350 354 124 800 α^{71}) S_α^4 +

(1 428 097 370 560 157 006 739 614 116 870 591 138 019 053 716 247 320 789 806 346 750 743 152 534 510 ⸱ 121 779 200 000 000 000 +

40 621 155 317 068 818 387 720 551 074 346 281 137 595 564 664 401 710 761 763 987 630 739 924 429 485 ⸱ 094 993 920 000 000 000 α +

566 284 883 845 791 854 435 117 722 665 622 562 862 733 588 119 843 411 512 468 831 593 491 819 850 ⸱ 145 022 148 608 000 000 000 α^2 +

5 158 149 789 913 792 089 288 495 385 700 327 565 428 819 302 308 971 067 339 327 728 120 510 371 046 ⸱ 494 337 531 904 000 000 000 α^3 +

34 532 485 441 077 610 946 908 146 266 573 574 506 763 539 245 317 266 356 761 345 018 870 317 159 093 ⸱ 207 470 209 515 520 000 000 α^4 +

181 220 834 017 481 571 372 641 915 717 251 933 986 042 713 644 093 253 801 806 581 853 374 874 400 ⸱ 253 450 822 763 118 592 000 000 α^5 +

776 431 018 860 358 536 521 652 037 437 179 943 389 796 363 358 694 784 709 318 638 218 673 729 212 ⸱ 131 564 063 756 020 940 800 000 α^6 +

2 793 072 678 432 215 330 706 296 854 308 730 641 403 974 305 291 876 114 922 183 480 960 307 087 081 ⸱ 158 851 206 253 734 625 280 000 α^7 +

8 610 591 149 058 047 002 802 760 135 665 227 863 193 862 587 995 235 750 109 802 497 201 145 953 909 ⸱ 675 049 833 074 099 789 824 000 α^8 +

23 105 879 511 853 699 845 736 333 642 610 630 355 085 792 082 785 837 494 810 757 161 265 579 739 123 083 350 016 532 490 716 774 400 α^9 +

54 634 856 374 404 644 006 224 804 339 033 214 331 139 083 781 558 334 838 588 458 606 831 218 243 805 713 897 570 714 892 312 248 320 α^{10} +

114 963 336 800 330 152 930 025 014 512 990 692 164 008 957 632 416 275 032 780 393 051 183 305 333 309 153 075 910 517 158 095 749 120 α^{11} +

217 025 393 010 027 501 964 071 490 006 301 026 682 822 369 512 178 685 716 225 901 901 188 310 348 064 214 802 863 437 595 786 608 640 α^{12} +

370 050 058 982 394 998 493 618 563 048 018 737 463 227 134 097 239 536 320 400 324 949 940 509 266 456 186 208 910 068 290 666 496 000 α^{13} +

573 181 806 144 780 846 838 509 477 908 920 569 756 288 771 551 312 795 962 661 865 620 399 492 774 400 417 699 229 566 413 224 280 064 α^{14} +

810 454 389 932 213 126 397 883 859 517 443 777 265 212 486 881 541 685 385 155 780 392 569 660 765 327 135 670 585 537 689 383 862 272 α^{15} +

1 050 507 332 235 351 735 618 769 475 076 920 653 102 494 356 009 827 207 449 842 710 920 069 178 962 021 809 839 396 025 167 688 564 736 α^{16} +

1 252 834 729 110 025 338 787 931 111 819 218 632 200 313 314 673 437 134 257 095 742 578 979 462 602 769 051 879 147 938 450 970 574 848 α^{17} +

1 379 120 934 803 266 896 963 523 860 276 442 353 365 297 227 489 791 247 920 498 300 580 024 631 209 416 752 719 431 677 218 047 393 792 α^{18} +

1 405 224 089 859 523 253 392 157 240 543 968 617 982 935 126 496 637 831 112 519 939 221 693 260 859 544 811 540 558 068 156 951 822 336 α^{19} +

1 328 618 149 709 622 063 817 748 381 291 493 393 945 550 428 391 839 622 495 071 789 444 319 501 035 377 285 802 883 640 269 491 535 872 α^{20} +

1 168 203 712 474 826 918 328 011 783 612 825 617 062 036 308 594 153 962 346 683 019 792 775 631 192 905 886 362 709 102 690 404 139 008 α^{21} +

957 073 013 729 033 855 686 063 773 924 563 421 410 723 493 005 834 394 781 954 693 360 911 926 110 487 992 830 108 045 765 554 733 056 α^{22} +

731 861 476 997 748 455 414 658 252 652 536 809 307 579 198 544 662 472 245 949 601 817 815 663 224 650 028 959 826 495 367 427 391 488 α^{23} +

523 160 600 473 979 971 139 853 429 642 948 714 294 423 632 987 619 786 485 441 732 195 764 498 120 938 527 893 720 549 117 281 697 792 α^{24} +

350 068 616 675 445 071 419 312 878 856 871 849 386 600 965 147 601 189 498 368 233 375 469 912 627 425 973 757 092 870 579 583 713 280 α^{25} +

219 535 684 786 846 883 668 862 708 140 260 580 514 762 984 484 088 800 761 292 913 123 440 609 070 054 780 852 699 529 507 218 915 328 α^{26} +

129 166 813 300 804 242 193 112 600 975 790 003 070 718 458 739 233 588 461 745 805 859 249 148 230 448 804 070 307 832 795 871 838 208 α^{27} +

71 366 463 482 451 821 932 582 248 024 071 875 711 312 018 130 975 278 903 997 389 845 766 055 164 453 682 685 831 593 147 899 052 032 α^{28} +

37 058 352 081 124 191 491 692 748 064 269 344 776 125 139 103 860 364 056 059 729 745 455 564 458 965 511 624 234 923 536 490 168 320 α^{29} +

18 097 948 217 764 886 425 327 776 466 988 433 365 592 224 698 179 452 289 748 367 869 336 078 812 458 480 207 687 023 340 722 061 312 α^{30} +

8 317 269 661 513 756 317 536 829 710 827 389 918 195 463 820 365 695 570 976 701 256 324 749 839 670 946 547 962 091 151 053 291 520 α^{31} +

3 598 769 222 425 041 537 836 084 161 113 563 176 676 022 354 063 625 251 062 051 653 112 341 716 853 210 156 771 376 037 422 432 256 α^{32} +

1 466 632 004 966 813 510 332 930 481 095 238 908 710 793 314 990 726 029 460 969 398 967 800 705 532 299 924 796 353 733 388 664 832 α^{33} +

563 137 592 313 575 536 711 358 736 502 771 549 550 579 162 554 331 522 018 545 995 730 239 486 308

$197\,586\,957\,451\,893\,472\,755\,712\,\alpha^{34}\,+$

$203\,764\,025\,603\,233\,614\,467\,178\,452\,515\,094\,737\,907\,492\,116\,510\,024\,597\,068\,143\,104\,569\,351\,316\,028\,$
$933\,799\,991\,907\,073\,895\,956\,480\,\alpha^{35}\,+$

$69\,488\,902\,503\,563\,527\,485\,906\,991\,272\,713\,081\,082\,801\,884\,291\,718\,013\,613\,519\,401\,802\,219\,466\,625\,872\,$
$430\,562\,030\,552\,925\,339\,648\,\alpha^{36}\,+$

$22\,335\,511\,692\,946\,228\,023\,202\,194\,638\,639\,500\,623\,392\,672\,999\,968\,914\,699\,868\,480\,746\,734\,426\,934\,967\,$
$522\,564\,633\,158\,783\,860\,736\,\alpha^{37}\,+$

$6\,766\,260\,249\,381\,710\,566\,677\,925\,073\,355\,566\,755\,328\,921\,690\,063\,029\,336\,028\,158\,681\,052\,817\,589\,622\,$
$487\,810\,592\,574\,338\,498\,560\,\alpha^{38}\,+$

$1\,931\,592\,789\,163\,629\,801\,493\,128\,903\,616\,292\,597\,704\,954\,289\,698\,139\,375\,088\,729\,668\,707\,383\,710\,677\,$
$616\,664\,236\,196\,246\,847\,488\,\alpha^{39}\,+$

$519\,516\,707\,281\,133\,222\,686\,917\,660\,620\,517\,639\,139\,074\,037\,604\,127\,089\,161\,309\,082\,141\,514\,760\,629\,$
$206\,221\,156\,843\,733\,909\,504\,\alpha^{40}\,+$

$131\,602\,359\,315\,750\,088\,798\,651\,851\,129\,033\,684\,015\,697\,477\,959\,618\,979\,724\,735\,685\,295\,556\,096\,042\,$
$592\,962\,289\,348\,466\,704\,384\,\alpha^{41}\,+$

$31\,385\,561\,134\,764\,167\,118\,023\,843\,819\,785\,708\,615\,403\,066\,419\,225\,918\,165\,558\,967\,538\,216\,376\,704\,821\,$
$027\,864\,765\,280\,550\,912\,\alpha^{42}\,+$

$7\,043\,310\,708\,549\,507\,817\,043\,238\,379\,555\,069\,187\,096\,240\,745\,928\,253\,445\,294\,446\,246\,924\,264\,636\,163\,$
$192\,031\,623\,189\,102\,592\,\alpha^{43}\,+$

$1\,486\,406\,561\,060\,121\,334\,190\,169\,877\,145\,499\,865\,873\,972\,618\,781\,164\,753\,413\,689\,767\,306\,610\,506\,603\,$
$443\,750\,403\,158\,573\,056\,\alpha^{44}\,+$

$294\,779\,168\,715\,797\,526\,430\,008\,755\,451\,334\,946\,712\,445\,943\,874\,391\,206\,620\,090\,384\,224\,578\,302\,515\,$
$552\,355\,837\,286\,547\,456\,\alpha^{45}\,+$

$54\,889\,202\,474\,418\,934\,953\,367\,605\,253\,205\,790\,703\,000\,976\,333\,382\,888\,122\,498\,313\,779\,779\,754\,392\,595\,$
$158\,165\,916\,483\,584\,\alpha^{46}\,+$

$9\,587\,033\,020\,869\,881\,575\,296\,403\,688\,405\,568\,263\,334\,617\,117\,723\,677\,306\,851\,883\,409\,336\,842\,453\,557\,$
$917\,762\,937\,946\,112\,\alpha^{47}\,+$

$1\,568\,929\,570\,069\,704\,893\,553\,539\,328\,759\,028\,855\,747\,961\,414\,162\,667\,584\,756\,333\,323\,816\,255\,812\,061\,$
$304\,959\,356\,895\,232\,\alpha^{48}\,+$

$240\,265\,667\,845\,389\,856\,726\,589\,416\,907\,351\,909\,373\,419\,670\,601\,405\,982\,367\,505\,556\,540\,790\,438\,434\,$
$461\,217\,288\,355\,840\,\alpha^{49}\,+$

$34\,381\,207\,462\,430\,964\,149\,096\,212\,448\,663\,965\,268\,513\,802\,858\,027\,919\,596\,001\,623\,186\,245\,744\,530\,109\,$
$197\,417\,709\,568\,\alpha^{50}\,+$

$4\,589\,652\,715\,771\,949\,122\,868\,304\,940\,258\,801\,801\,416\,810\,969\,155\,643\,704\,123\,361\,769\,993\,216\,618\,554\,$
$960\,925\,163\,520\,\alpha^{51}\,+$

$570\,507\,371\,845\,298\,507\,104\,651\,348\,342\,661\,965\,957\,594\,459\,015\,110\,444\,512\,976\,266\,361\,393\,822\,877\,$
$625\,975\,046\,144\,\alpha^{52}\,+$

$65\,894\,786\,252\,815\,031\,395\,251\,993\,558\,737\,892\,473\,291\,468\,953\,277\,278\,494\,946\,265\,001\,224\,500\,651\,930\,$
$354\,188\,288\,\alpha^{53}\,+$

$7\,055\,226\,294\,516\,104\,731\,388\,738\,164\,087\,097\,105\,620\,560\,436\,887\,051\,869\,058\,321\,276\,565\,159\,304\,730\,$
$136\,018\,944\,\alpha^{54}\,+$

$698\,327\,214\,144\,506\,874\,899\,605\,149\,780\,334\,804\,547\,048\,028\,882\,785\,545\,028\,959\,720\,094\,766\,654\,491\,$
$247\,771\,648\,\alpha^{55}\,+$

$63\,700\,764\,572\,413\,524\,470\,233\,906\,115\,995\,456\,011\,003\,046\,133\,167\,460\,525\,501\,882\,188\,849\,904\,497\,496\,$
$948\,736\,\alpha^{56}\,+$

$5\,336\,023\,809\,345\,740\,156\,253\,726\,408\,982\,853\,119\,800\,758\,833\,960\,578\,685\,926\,992\,711\,339\,928\,664\,613\,$
$584\,896\,\alpha^{57}\,+$

$408\,778\,752\,130\,998\,281\,852\,569\,974\,208\,466\,857\,878\,368\,109\,511\,305\,427\,529\,647\,128\,948\,082\,049\,168\,$
$703\,488\,\alpha^{58}\,+$

$28\,501\,948\,568\,777\,945\,850\,278\,650\,613\,715\,169\,075\,189\,841\,983\,746\,268\,817\,721\,243\,916\,820\,048\,108\,322\,$
$816\,\alpha^{59}\,+$

1 798 598 340 177 107 789 847 877 596 463 361 991 643 161 374 049 584 181 798 968 834 845 902 188 314 ⁝
624 α^{60} +

102 040 260 914 339 776 239 907 361 473 457 929 531 343 548 255 807 378 814 214 205 045 842 009 653 248
α^{61} +

5 163 084 112 025 026 092 975 753 087 824 750 520 220 511 910 808 093 812 996 096 261 647 595 732 992
α^{62} +

230 730 504 566 177 191 563 425 976 109 595 135 966 661 991 134 578 506 887 154 458 870 729 932 800
α^{63} +

8 996 693 569 880 206 832 672 124 083 717 873 484 848 486 981 316 671 889 128 155 982 627 602 432 α^{64} +

301 383 087 695 900 787 219 702 443 911 789 267 202 025 495 066 662 725 047 182 848 126 091 264 α^{65} +

8 499 041 642 977 636 827 858 645 295 283 941 494 000 043 361 803 584 458 741 066 674 208 768 α^{66} +

196 205 134 625 142 121 161 400 498 736 991 228 024 197 699 880 396 991 482 860 824 166 400 α^{67} +

3 560 548 200 937 565 553 593 605 813 500 749 815 219 107 113 678 843 426 208 057 655 296 α^{68} +

47 628 100 392 223 668 600 871 179 271 392 688 585 910 811 230 158 596 387 058 483 200 α^{69} +

417 538 637 634 980 604 489 941 179 863 270 395 337 223 076 620 296 137 578 905 600 α^{70} +

1 799 596 991 269 061 329 287 824 680 392 760 881 927 537 311 686 029 685 555 200 α^{71}) S_α^3 +

$\Big(- $266 753 372 345 682 505 334 109 412 845 798 877 349 781 026 943 225 359 497 190 622 363 020 489 728 ⁝
710 829 670 400 000 000 000 −

7 665 887 088 968 395 928 115 748 048 188 197 271 726 796 448 095 943 163 212 239 818 542 621 641 311 ⁝
794 201 886 720 000 000 000 α −

107 988 806 045 296 453 998 978 289 237 126 171 373 611 064 962 159 352 140 259 788 910 542 507 564 ⁝
807 625 908 420 608 000 000 000 α^2 −

994 132 913 605 694 223 913 202 475 990 789 532 601 378 001 591 056 599 330 309 134 817 133 532 813 ⁝
520 997 281 116 979 200 000 000 α^3 −

6 727 530 935 548 181 713 113 895 900 532 813 890 357 088 330 142 544 193 052 254 056 932 030 523 180 ⁝
052 717 442 076 508 160 000 000 α^4 −

35 692 872 097 703 193 510 936 155 654 035 207 094 497 890 878 023 933 994 689 028 025 407 439 669 582 ⁝
138 365 441 322 516 480 000 000 α^5 −

154 627 735 389 294 847 602 173 889 667 401 460 536 665 637 293 324 287 425 612 717 329 660 669 368 ⁝
167 410 751 518 787 030 220 800 000 α^6 −

562 523 973 639 890 153 256 179 781 187 147 971 888 891 022 102 746 777 895 133 615 661 809 703 038 ⁝
900 851 906 989 099 319 296 000 000 α^7 −

1 753 988 203 013 137 197 961 108 841 380 952 518 855 699 825 956 711 812 911 496 498 472 172 551 907 ⁝
844 352 753 410 613 030 420 480 000 α^8 −

4 761 120 832 901 000 310 154 120 610 218 343 325 828 457 610 922 345 963 843 966 263 744 299 945 748 ⁝
697 226 812 462 119 072 877 772 800 α^9 −

11 389 511 091 103 783 520 136 767 750 659 927 201 118 078 294 456 199 005 289 269 388 618 591 189 704 ⁝
163 710 241 252 038 404 095 344 640 α^{10} −

24 249 135 987 310 076 975 004 659 436 955 380 655 257 396 313 037 951 461 306 707 696 162 053 184 761 ⁝
811 841 916 824 185 099 767 513 088 α^{11} −

46 323 314 725 415 565 186 287 402 429 379 800 967 443 518 025 160 489 463 480 653 386 703 089 261 612 ⁝
295 606 616 205 481 059 819 716 608 α^{12} −

79 937 349 900 931 954 622 158 372 458 858 722 203 812 799 636 410 793 152 684 472 318 535 743 947 414 ⁝
242 303 655 439 437 539 196 272 640 α^{13} −

125 322 016 544 708 782 097 329 513 286 444 240 896 064 884 712 859 539 040 721 989 714 390 175 775 ⁝
612 886 520 797 269 565 482 559 602 688 α^{14} −

179 371 024 723 185 796 999 237 410 727 060 418 711 340 095 778 529 067 086 482 590 201 453 932 669 ⁝
493 106 204 882 303 424 760 773 607 424 α^{15} −

235 370 523 054 052 908 158 260 935 388 309 982 672 821 891 284 214 995 081 507 702 640 158 104 174 ⁝
044 573 743 364 408 778 356 137 394 176 α^{16} −

284 193 485 704 652 536 022 669 441 906 841 920 164 287 664 955 939 766 741 349 116 000 129 219 998 ⁝

$408\,355\,877\,680\,651\,767\,440\,899\,833\,856\,\alpha^{17}\,-$

$316\,756\,594\,889\,094\,321\,481\,450\,995\,007\,702\,021\,707\,977\,240\,511\,455\,636\,719\,015\,961\,721\,728\,371\,425\,\backslash$
$894\,832\,970\,194\,986\,522\,642\,468\,569\,088\,\alpha^{18}\,-$

$326\,817\,333\,590\,889\,396\,678\,656\,257\,765\,556\,911\,784\,811\,576\,322\,995\,321\,527\,796\,828\,904\,135\,660\,467\,\backslash$
$118\,964\,958\,831\,674\,129\,510\,641\,434\,624\,\alpha^{19}\,-$

$312\,915\,196\,962\,487\,827\,274\,343\,153\,260\,772\,353\,818\,986\,038\,558\,898\,278\,295\,651\,479\,884\,062\,643\,191\,\backslash$
$349\,894\,158\,179\,413\,449\,425\,253\,564\,416\,\alpha^{20}\,-$

$278\,638\,069\,294\,344\,939\,540\,261\,238\,406\,889\,051\,651\,830\,682\,610\,453\,556\,771\,063\,815\,670\,815\,486\,329\,\backslash$
$332\,523\,198\,215\,721\,482\,821\,235\,113\,984\,\alpha^{21}\,-$

$231\,200\,303\,260\,122\,785\,017\,181\,290\,664\,597\,077\,650\,228\,075\,208\,848\,687\,926\,136\,923\,479\,330\,848\,514\,\backslash$
$107\,749\,117\,469\,778\,092\,533\,064\,138\,752\,\alpha^{22}\,-$

$179\,067\,764\,628\,369\,287\,884\,045\,210\,225\,033\,133\,372\,830\,997\,691\,221\,435\,719\,368\,492\,876\,192\,817\,911\,\backslash$
$954\,953\,092\,008\,693\,877\,458\,681\,724\,928\,\alpha^{23}\,-$

$129\,655\,275\,046\,385\,830\,041\,433\,414\,724\,568\,513\,690\,994\,034\,448\,403\,607\,026\,776\,475\,676\,959\,923\,669\,\backslash$
$803\,208\,967\,659\,156\,100\,679\,842\,398\,208\,\alpha^{24}\,-$

$87\,880\,830\,561\,031\,009\,691\,714\,544\,276\,490\,055\,614\,152\,496\,444\,826\,007\,408\,463\,753\,872\,544\,435\,544\,648\,\backslash$
$436\,995\,169\,036\,881\,232\,115\,269\,632\,\alpha^{25}\,-$

$55\,827\,586\,751\,282\,050\,232\,150\,018\,697\,633\,280\,191\,308\,131\,496\,157\,594\,086\,803\,293\,320\,214\,808\,569\,274\,\backslash$
$312\,609\,812\,717\,014\,466\,191\,949\,824\,\alpha^{26}\,-$

$33\,274\,549\,179\,132\,985\,735\,574\,916\,400\,828\,225\,006\,558\,088\,628\,356\,646\,074\,961\,813\,024\,576\,522\,874\,621\,\backslash$
$379\,924\,259\,526\,216\,523\,955\,830\,784\,\alpha^{27}\,-$

$18\,624\,537\,531\,493\,410\,376\,494\,983\,322\,940\,203\,204\,356\,530\,407\,426\,901\,410\,819\,877\,015\,832\,620\,768\,773\,\backslash$
$714\,085\,415\,279\,026\,244\,723\,671\,040\,\alpha^{28}\,-$

$9\,797\,560\,804\,142\,076\,072\,320\,664\,608\,363\,034\,523\,222\,506\,976\,198\,158\,068\,560\,812\,541\,940\,820\,803\,331\,\backslash$
$299\,898\,930\,254\,100\,827\,469\,774\,848\,\alpha^{29}\,-$

$4\,847\,414\,031\,369\,892\,611\,873\,032\,170\,034\,097\,202\,194\,325\,960\,974\,692\,197\,279\,401\,531\,221\,013\,027\,346\,\backslash$
$900\,158\,362\,778\,946\,193\,351\,245\,824\,\alpha^{30}\,-$

$2\,256\,923\,210\,441\,500\,658\,285\,516\,225\,302\,365\,068\,243\,807\,052\,725\,384\,615\,218\,144\,889\,121\,444\,430\,944\,\backslash$
$911\,701\,228\,101\,090\,152\,932\,179\,968\,\alpha^{31}\,-$

$989\,349\,021\,244\,585\,141\,615\,451\,869\,225\,883\,509\,525\,920\,380\,231\,967\,211\,017\,267\,288\,518\,350\,687\,627\,\backslash$
$527\,341\,403\,351\,924\,764\,965\,863\,424\,\alpha^{32}\,-$

$408\,487\,292\,785\,366\,013\,202\,169\,241\,975\,831\,660\,055\,042\,505\,412\,950\,407\,332\,652\,270\,420\,868\,171\,014\,\backslash$
$236\,096\,833\,656\,540\,052\,391\,460\,864\,\alpha^{33}\,-$

$158\,903\,760\,588\,518\,763\,878\,698\,339\,064\,923\,068\,704\,075\,230\,066\,430\,550\,011\,791\,707\,705\,568\,360\,508\,\backslash$
$035\,728\,573\,328\,570\,830\,091\,714\,560\,\alpha^{34}\,-$

$58\,251\,610\,878\,635\,210\,362\,604\,994\,013\,623\,988\,601\,174\,526\,157\,367\,720\,225\,371\,602\,277\,849\,222\,651\,917\,\backslash$
$813\,874\,472\,767\,259\,525\,775\,360\,\alpha^{35}\,-$

$20\,125\,807\,433\,461\,533\,770\,192\,061\,521\,585\,475\,231\,476\,788\,562\,173\,144\,205\,443\,303\,888\,534\,292\,996\,139\,\backslash$
$803\,409\,401\,324\,794\,477\,019\,136\,\alpha^{36}\,-$

$6\,553\,692\,389\,633\,394\,701\,643\,835\,535\,032\,234\,804\,025\,713\,163\,251\,732\,264\,267\,170\,934\,904\,159\,052\,179\,\backslash$
$448\,841\,565\,686\,453\,405\,483\,008\,\alpha^{37}\,-$

$2\,011\,334\,115\,217\,011\,518\,089\,016\,537\,616\,027\,830\,729\,459\,888\,894\,853\,043\,593\,754\,128\,545\,235\,159\,561\,\backslash$
$985\,902\,443\,741\,752\,990\,892\,032\,\alpha^{38}\,-$

$581\,684\,966\,626\,237\,106\,262\,244\,574\,089\,540\,547\,370\,644\,870\,241\,871\,022\,157\,607\,112\,344\,391\,958\,174\,\backslash$
$816\,260\,641\,809\,869\,458\,898\,944\,\alpha^{39}\,-$

$158\,488\,667\,323\,850\,427\,576\,840\,860\,247\,827\,728\,794\,876\,723\,475\,140\,315\,102\,655\,196\,187\,360\,209\,364\,\backslash$
$661\,018\,072\,550\,605\,076\,824\,064\,\alpha^{40}\,-$

$40\,670\,251\,033\,782\,635\,228\,596\,530\,842\,126\,308\,414\,784\,049\,035\,867\,361\,518\,066\,000\,615\,157\,977\,593\,559\,\backslash$
$857\,345\,352\,139\,441\,963\,008\,\alpha^{41}\,-$

$9\,825\,259\,250\,169\,193\,921\,695\,586\,845\,955\,828\,950\,189\,256\,779\,798\,958\,117\,382\,187\,605\,197\,437\,746\,886\,\backslash$
$102\,787\,639\,098\,921\,189\,376\,\alpha^{42}\,-$

2 233 453 022 092 369 591 728 614 929 375 983 824 528 764 949 452 966 370 067 300 053 728 937 054 414 811 914 750 078 536 908 800 α^{43} −

477 426 858 909 441 638 799 943 300 389 805 528 338 788 984 169 557 603 006 986 385 240 730 764 771 619 162 078 513 943 543 808 α^{44} −

95 899 695 096 462 911 742 342 912 451 533 390 703 843 979 080 021 752 354 055 879 363 549 983 633 382 542 172 101 015 502 848 α^{45} −

18 085 856 640 643 086 097 072 326 065 032 511 518 104 804 505 891 934 208 820 700 388 586 192 059 166 693 615 512 986 845 184 α^{46} −

3 199 243 249 119 650 454 728 737 403 563 541 823 970 963 969 728 971 682 182 412 249 558 582 354 580 833 479 347 480 297 472 α^{47} −

530 218 869 226 693 144 709 723 520 593 171 604 994 888 725 468 088 216 600 183 341 580 978 047 792 799 327 783 477 051 392 α^{48} −

82 225 905 962 543 231 947 005 492 953 663 082 663 656 946 034 095 752 666 128 231 891 665 083 523 947 382 715 367 555 072 α^{49} −

11 914 575 477 222 901 186 199 075 239 251 384 836 953 392 886 478 675 525 046 005 318 844 772 131 421 875 566 779 826 176 α^{50} −

1 610 467 061 923 437 661 517 003 059 472 439 137 533 154 986 229 264 328 213 929 847 001 329 317 623 193 196 847 693 824 α^{51} −

202 684 607 985 832 263 025 103 147 262 822 082 737 105 636 711 357 539 938 571 953 510 454 024 219 707 490 149 859 328 α^{52} −

23 701 173 094 998 269 376 154 451 856 807 759 895 090 221 752 756 323 709 896 922 921 761 030 082 487 259 880 226 816 α^{53} −

2 568 974 125 036 223 576 891 356 843 016 632 343 686 816 319 691 337 591 620 366 798 519 705 000 580 890 589 396 992 α^{54} −

257 399 333 435 110 650 309 854 627 630 312 406 781 891 459 641 653 477 810 855 907 256 867 138 968 634 886 455 296 α^{55} −

23 766 292 798 635 175 836 592 904 919 737 142 843 388 208 853 743 184 787 412 143 106 054 860 523 049 318 350 848 α^{56} −

2 014 979 470 096 145 378 452 399 610 480 780 330 925 366 338 860 837 955 306 072 215 157 642 114 460 031 123 456 α^{57} −

156 222 668 860 508 252 687 014 603 838 739 972 442 602 266 657 332 599 018 383 424 055 124 714 023 571 947 520 α^{58} −

11 022 981 777 408 944 611 049 212 275 176 934 080 364 923 682 413 168 595 189 190 866 312 667 492 108 992 512 α^{59} −

703 870 250 608 021 309 497 691 875 975 441 184 053 128 565 785 903 204 513 350 233 572 634 434 763 489 280 α^{60} −

40 404 352 487 245 614 320 573 193 809 049 434 468 995 065 297 232 696 452 034 966 074 633 972 170 620 928 α^{61} −

2 068 366 434 722 532 831 861 769 722 501 592 640 828 569 365 231 929 279 242 608 723 478 736 443 277 312 α^{62} −

93 507 787 701 442 884 468 993 017 823 190 176 352 531 341 660 806 863 406 519 911 814 776 857 034 752 α^{63} −

3 688 181 495 421 911 434 251 142 119 323 711 962 688 847 883 004 066 495 045 819 533 680 070 098 944 α^{64} −

124 967 267 539 758 368 551 457 313 229 534 656 071 072 773 998 492 311 199 798 153 367 613 603 840 α^{65} −

3 564 152 059 495 749 884 100 011 019 415 791 918 454 936 077 328 062 292 953 893 729 816 543 232 α^{66} −
83 208 128 438 558 007 926 606 858 666 188 619 656 903 353 175 866 966 363 326 704 856 858 624 α^{67} −
1 526 866 508 580 219 595 929 347 668 190 227 505 210 406 866 657 092 682 281 163 400 675 328 α^{68} −
20 650 732 152 850 561 079 033 009 890 616 805 723 793 533 551 608 661 987 916 408 422 400 α^{69} −
183 027 164 601 563 499 087 404 137 994 790 932 954 413 510 424 820 648 673 856 716 800 α^{70} −

5 875 293 158 334 422 046 794 334 511 847 963 398 314 925 617 632 492 001 881 674 607 324 900 690 863 \
440 098 911 734 830 443 792 366 043 136 α^{25} +

3 810 587 787 508 308 509 423 432 772 983 637 805 499 914 731 140 183 609 346 051 951 684 638 410 447 \
481 128 419 743 334 561 114 558 038 016 α^{26} +

2 318 339 970 588 203 661 026 180 257 777 505 234 649 810 676 321 228 767 423 221 184 731 806 558 029 \
144 045 699 126 176 220 994 999 418 880 α^{27} +

1 324 293 616 194 959 309 005 009 168 666 999 085 847 161 631 901 783 509 709 459 946 333 119 694 601 \
095 730 798 362 297 822 472 170 373 120 α^{28} +

710 821 768 341 748 268 171 361 302 673 713 516 692 751 468 185 680 083 732 859 643 120 699 047 173 \
044 342 843 980 428 320 178 712 870 912 α^{29} +

358 760 998 366 281 757 253 736 461 393 087 016 159 098 682 606 597 258 249 797 243 607 528 223 258 \
575 718 898 050 212 833 845 466 628 096 α^{30} +

170 361 353 140 057 908 208 902 346 333 451 866 961 229 923 423 691 089 676 895 459 679 856 998 624 \
917 727 518 076 779 624 467 567 476 736 α^{31} +

76 149 744 444 408 473 600 955 353 488 417 486 385 626 379 625 619 973 438 185 261 926 596 913 242 490 \
278 208 562 820 459 812 532 256 768 α^{32} +

32 052 822 924 788 557 562 738 336 204 682 471 941 605 746 060 529 134 155 489 305 523 036 239 576 644 \
845 138 183 717 774 587 827 585 024 α^{33} +

12 708 485 803 397 563 410 031 541 853 271 438 155 243 702 565 345 169 639 016 384 769 174 050 667 582 \
397 619 167 419 872 402 129 027 072 α^{34} +

4 747 244 505 934 969 243 408 410 984 639 952 791 671 667 855 985 533 733 309 009 830 727 568 262 934 \
834 982 251 064 601 927 915 405 312 α^{35} +

1 670 945 572 093 554 051 813 985 506 657 227 263 451 592 543 611 765 688 918 351 220 663 230 077 263 \
221 536 070 843 455 154 545 491 968 α^{36} +

554 205 685 671 100 593 761 618 615 306 201 335 964 759 574 710 429 570 320 600 983 806 767 642 487 \
510 717 708 137 945 166 694 580 224 α^{37} +

173 198 889 064 473 150 068 173 340 630 492 423 822 672 448 558 294 240 132 234 880 871 811 929 576 \
820 667 759 819 203 704 134 828 032 α^{38} +

50 994 606 205 404 733 355 373 242 640 735 689 939 637 653 685 729 078 405 687 090 201 753 150 785 405 \
756 907 177 784 681 766 584 320 α^{39} +

14 141 951 564 624 660 064 299 383 497 646 284 673 578 568 338 363 893 323 616 816 214 124 881 943 386 \
260 444 070 431 888 687 235 072 α^{40} +

3 692 850 049 628 803 949 258 081 985 631 115 008 363 772 963 333 279 581 820 379 365 105 474 040 994 \
131 486 836 361 504 478 986 240 α^{41} +

907 614 309 360 389 116 380 572 613 494 140 914 923 897 063 866 811 703 642 956 397 864 398 354 956 \
816 424 383 059 266 579 202 048 α^{42} +

209 848 264 609 328 663 359 084 693 962 759 825 495 984 209 071 357 076 192 225 579 001 707 702 704 \
169 048 760 863 734 169 075 712 α^{43} +

45 614 763 719 750 413 032 850 176 601 707 477 034 631 708 793 061 253 181 269 381 119 180 005 940 122 \
029 610 226 699 588 337 664 α^{44} +

9 315 039 902 111 393 160 912 260 328 219 188 948 212 412 636 601 780 638 824 492 970 859 533 937 402 \
692 925 513 285 035 360 256 α^{45} +

1 785 560 492 029 512 689 658 931 425 435 385 664 079 733 602 782 694 877 512 654 709 551 803 206 117 \
438 087 664 250 352 828 416 α^{46} +

320 959 385 348 727 805 412 800 717 697 109 761 591 615 784 603 426 850 909 466 398 147 197 577 731 \
540 783 828 520 969 175 040 α^{47} +

54 041 202 628 046 162 198 064 020 860 698 790 457 190 528 495 413 554 262 204 686 819 315 229 182 505 \
975 038 619 154 382 848 α^{48} +

8 512 273 596 490 876 468 076 474 742 926 473 209 854 734 832 943 045 221 252 380 599 153 323 832 471 \
811 032 723 140 640 768 α^{49} +

1 252 515 446 000 981 426 779 425 275 934 739 939 593 497 926 117 282 478 876 271 454 061 065 922 547 \

046 665 338 826 522 624 α^{50} +

171 879 871 128 807 297 132 141 471 065 816 922 307 935 272 144 500 350 854 312 549 644 137 263 739 \
973 743 775 668 240 384 α^{51} +

21 956 555 442 120 287 745 751 246 855 610 620 596 426 457 745 463 968 295 750 576 932 261 512 302 923 \
165 929 272 508 416 α^{52} +

2 605 468 199 806 936 331 295 089 550 800 291 489 811 989 456 899 648 309 466 911 523 339 873 177 146 \
014 925 817 118 720 α^{53} +

286 517 432 967 116 160 808 277 090 181 383 947 865 108 813 372 967 242 301 919 685 489 038 361 159 \
969 161 516 941 312 α^{54} +

29 119 084 876 751 683 786 574 774 330 504 359 680 642 465 266 365 415 316 592 606 588 552 553 050 977 \
535 449 366 528 α^{55} +

2 726 560 078 577 214 760 237 822 640 730 205 427 656 044 779 576 667 806 874 929 578 623 038 325 298 \
583 002 152 960 α^{56} +

234 375 763 511 891 943 198 221 765 243 907 691 447 385 207 355 286 134 429 331 612 829 185 551 844 \
250 335 838 208 α^{57} +

18 419 613 344 769 537 960 500 708 514 235 672 636 308 194 192 113 178 854 826 575 062 689 448 050 816 \
018 546 688 α^{58} +

1 317 154 470 198 322 776 890 921 593 307 769 359 900 555 108 710 315 375 072 742 987 710 761 194 274 \
083 045 376 α^{59} +

85 219 513 358 439 830 873 497 744 525 352 705 045 272 505 181 313 640 097 007 263 752 151 440 956 034 \
383 872 α^{60} +

4 955 551 166 457 886 905 460 507 267 117 940 923 971 871 792 470 466 368 620 556 851 150 954 387 145 \
228 288 α^{61} +

256 931 968 875 749 011 677 293 413 392 803 356 939 911 120 562 239 099 110 385 697 715 067 364 778 \
704 896 α^{62} +

11 761 852 144 032 652 915 726 343 979 350 332 901 202 972 418 622 004 510 970 839 908 227 266 297 987 \
072 α^{63} +

469 665 728 002 126 327 303 457 490 693 379 958 374 751 318 201 179 168 454 079 121 686 071 743 610 880 \
α^{64} +

16 107 712 654 563 845 949 254 867 087 608 497 758 249 183 828 165 479 324 882 766 301 728 801 292 288 \
α^{65} +

464 909 256 806 763 248 504 477 882 103 732 730 616 690 937 842 305 355 401 859 062 638 028 259 328 \
α^{66} +

10 981 621 103 328 705 236 085 521 794 284 151 970 809 227 627 455 049 446 809 116 504 961 843 200 α^{67} +

203 847 732 269 962 175 964 000 931 573 291 328 313 431 858 640 849 160 472 090 368 039 452 672 α^{68} +

2 788 436 718 824 974 627 767 983 059 941 160 581 993 626 187 813 688 425 334 468 037 836 800 α^{69} +

24 990 725 344 106 896 258 660 127 869 977 773 658 189 804 675 038 295 750 467 597 107 200 α^{70} +

110 082 641 333 279 807 322 029 981 964 819 894 978 260 761 567 068 714 074 269 286 400 α^{71}) S_α +

$\Big($ − 16 281 255 224 197 574 309 419 557 226 198 092 784 819 026 725 745 200 153 463 334 186 900 214 018 374 \
411 223 040 000 000 000 000 −

528 130 422 901 296 354 767 098 766 059 549 277 008 947 258 055 062 733 994 078 438 369 347 819 113 \
998 796 718 080 000 000 000 000 α −

8 367 562 873 206 029 390 061 838 376 912 195 854 699 687 816 991 915 485 021 986 749 473 589 821 108 \
469 541 686 476 800 000 000 000 α^2 −

86 339 195 896 941 782 984 656 408 745 603 332 595 714 253 767 584 013 053 948 474 748 173 082 286 750 \
863 137 104 199 680 000 000 000 α^3 −

652 713 153 303 490 253 989 503 514 845 336 243 254 346 756 153 159 813 442 906 553 897 404 771 828 \
946 620 919 045 947 392 000 000 000 α^4 −

3 856 258 352 272 757 909 725 113 285 076 391 485 119 006 590 870 240 809 359 468 315 608 288 013 738 \
893 923 477 587 650 150 400 000 000 α^5 −

18 546 293 250 103 560 257 664 836 128 685 640 743 929 440 779 650 095 403 452 538 100 949 009 034 421 \

815 634 559 273 963 356 160 000 000 α^6 −

74 681 443 382 018 283 929 082 840 604 298 934 277 553 537 243 733 781 438 676 281 816 691 263 193 502 ╲ 735 851 265 457 454 579 712 000 000 α^7 −

257 018 507 114 404 303 028 323 289 183 212 837 261 362 251 186 685 976 152 411 079 682 952 457 168 ╲ 956 336 797 448 886 488 032 870 400 000 α^8 −

767 930 861 504 861 759 498 268 864 726 767 180 951 958 854 739 196 508 495 514 338 039 119 531 868 ╲ 839 611 126 504 995 671 517 429 760 000 α^9 −

2 016 718 029 787 197 015 540 152 072 660 725 527 208 084 058 551 786 888 027 455 053 737 839 391 903 ╲ 354 191 200 805 272 143 125 282 816 000 α^{10} −

4 701 715 969 216 625 294 615 836 800 120 203 237 857 695 350 703 154 007 669 232 893 509 132 080 456 ╲ 030 785 953 459 535 645 339 811 840 000 α^{11} −

9 810 961 196 462 712 719 315 430 142 686 594 673 111 599 265 910 485 425 691 276 834 013 580 743 055 ╲ 154 693 827 372 535 312 321 767 014 400 α^{12} −

18 449 407 602 208 244 572 320 705 426 381 703 323 331 468 613 242 633 653 493 665 103 463 801 301 482 ╲ 028 884 588 786 200 616 156 685 926 400 α^{13} −

31 447 433 400 662 129 839 372 901 942 410 596 819 271 349 635 191 129 859 224 618 419 888 349 892 994 ╲ 034 033 494 047 427 925 817 845 350 400 α^{14} −

48 828 517 479 330 210 885 371 417 456 098 036 565 450 018 212 548 545 694 824 758 078 799 017 494 963 ╲ 749 427 463 026 184 507 166 294 016 000 α^{15} −

69 359 724 359 934 051 301 926 621 301 305 497 970 173 352 694 713 656 511 993 705 725 738 646 027 163 ╲ 875 304 076 514 460 945 076 767 948 800 α^{16} −

90 470 082 652 896 652 999 360 816 070 389 045 227 487 126 661 291 406 865 690 703 972 126 533 241 694 ╲ 706 483 895 408 338 856 383 296 307 200 α^{17} −

108 713 440 053 528 284 108 622 055 478 018 152 256 357 325 822 940 576 893 693 953 216 734 625 643 ╲ 935 593 743 550 478 189 182 725 390 336 000 α^{18} −

120 694 861 936 505 204 764 267 889 215 713 579 740 518 643 291 512 107 609 409 074 049 695 022 568 ╲ 593 500 640 223 944 073 704 885 557 657 600 α^{19} −

124 114 635 798 222 436 782 452 151 298 543 023 307 809 714 106 160 719 541 347 096 783 415 299 079 ╲ 609 577 553 860 163 351 550 445 905 510 400 α^{20} −

118 484 597 838 558 425 993 619 178 513 000 234 719 313 783 598 226 394 884 786 802 494 417 252 609 ╲ 376 925 890 016 098 373 634 460 798 156 800 α^{21} −

105 213 696 430 506 025 995 436 801 166 437 738 687 758 502 416 306 417 699 472 831 554 154 350 930 ╲ 129 224 110 582 550 070 600 233 543 270 400 α^{22} −

87 061 248 412 649 895 531 530 277 910 639 708 526 756 218 145 272 047 127 736 341 358 348 933 744 522 ╲ 974 917 783 960 664 042 511 951 462 400 α^{23} −

67 236 531 107 777 039 865 426 979 588 947 006 356 353 842 637 616 562 924 798 655 917 107 782 381 384 ╲ 859 338 347 187 025 339 142 792 806 400 α^{24} −

48 531 404 971 454 762 539 245 746 687 192 659 572 093 134 280 617 059 848 570 992 966 390 863 502 758 ╲ 811 916 850 151 208 483 547 407 974 400 α^{25} −

32 780 698 933 394 351 360 796 188 307 338 561 910 516 895 716 250 572 980 939 952 171 321 201 305 793 ╲ 183 825 755 000 435 253 224 826 470 400 α^{26} −

20 742 898 931 305 452 429 925 974 463 627 220 594 171 750 648 054 392 619 690 602 743 665 406 137 696 ╲ 735 360 319 397 770 051 440 345 088 000 α^{27} −

12 308 281 087 560 662 007 950 563 734 714 321 047 116 980 222 316 456 474 871 124 854 199 082 227 433 ╲ 679 224 610 735 886 790 803 062 784 000 α^{28} −

6 854 407 631 695 778 334 219 921 226 823 414 442 388 417 762 239 881 247 151 438 324 513 380 460 009 ╲ 048 997 733 479 041 020 543 683 788 800 α^{29} −

3 585 135 111 323 168 720 534 087 049 052 510 268 557 301 779 645 624 423 830 946 649 458 930 317 210 ╲ 152 282 792 446 952 636 949 096 038 400 α^{30} −

1 762 285 825 154 111 293 798 583 109 121 435 989 550 765 120 966 533 530 114 537 970 527 832 777 510 ╲ 288 770 482 110 059 903 009 056 358 400 α^{31} −

814 536 610 191 929 315 109 839 135 846 574 092 761 984 040 151 254 631 528 083 720 294 974 976 813
103 277 548 303 448 709 864 305 459 200 α^{32} −

354 155 959 250 399 621 737 555 110 285 588 253 257 390 235 584 982 930 426 863 380 149 947 487 494
440 286 093 874 600 360 692 783 513 600 α^{33} −

144 901 862 550 818 829 785 454 578 126 524 309 401 349 348 078 817 748 880 263 384 359 376 243 984
125 458 523 696 674 925 934 595 276 800 α^{34} −

55 802 710 231 344 434 569 002 059 634 969 221 798 456 685 162 487 518 664 134 631 715 872 196 015 977
692 000 516 619 698 738 875 596 800 α^{35} −

20 230 488 378 846 440 123 277 302 585 210 585 394 204 891 194 131 254 294 175 204 579 561 289 199 932
164 680 614 021 414 757 020 467 200 α^{36} −

6 904 890 803 610 604 111 206 371 211 771 278 343 161 483 961 249 654 422 579 168 972 541 888 149 635
518 320 468 053 675 396 929 945 600 α^{37} −

2 218 697 410 201 675 209 917 820 870 814 916 469 186 126 586 693 748 010 392 090 764 547 949 070 248
093 911 101 035 504 707 882 188 800 α^{38} −

671 093 599 544 241 694 084 955 546 051 763 769 231 979 173 647 501 079 157 357 303 100 393 846 937
075 032 064 880 624 793 550 848 000 α^{39} −

191 040 591 712 382 062 716 929 195 709 127 473 736 137 757 240 152 210 884 989 336 233 318 315 098
411 072 357 272 124 480 343 244 800 α^{40} −

51 168 103 132 008 018 114 583 319 780 637 844 179 509 585 775 522 869 425 509 176 824 006 443 497 643
381 845 344 917 148 139 520 000 α^{41} −

12 889 497 841 513 265 103 815 393 486 378 237 796 061 723 393 248 811 770 851 097 413 554 561 971 111
690 024 460 577 171 256 115 200 α^{42} −

3 052 277 922 895 842 508 370 872 716 393 475 827 114 655 647 731 095 685 415 762 170 807 288 836 016
591 834 315 972 695 346 380 800 α^{43} −

679 056 687 745 206 904 844 569 927 460 983 097 929 702 506 768 097 449 784 361 557 236 960 307 536
352 335 452 915 547 871 641 600 α^{44} −

141 832 428 264 701 780 297 769 422 257 501 122 483 433 820 821 355 264 995 279 505 565 812 492 091
968 209 124 039 718 233 702 400 α^{45} −

27 789 064 633 757 380 368 215 379 021 603 685 294 882 910 965 062 432 797 969 284 948 966 090 439 016
253 368 024 097 515 110 400 α^{46} −

5 102 534 189 076 661 143 169 278 930 740 561 511 843 634 740 231 778 335 863 239 871 583 008 509 974
088 881 386 230 382 592 000 α^{47} −

877 070 508 289 090 535 894 890 917 185 427 229 298 881 650 981 076 241 131 771 747 211 685 968 279
904 636 197 772 931 891 200 α^{48} −

140 953 149 356 965 056 126 822 685 427 969 087 427 074 575 712 313 056 027 575 235 969 200 892 822
567 234 223 339 680 563 200 α^{49} −

21 148 841 343 895 062 929 709 431 821 576 736 443 738 633 792 890 381 644 842 411 400 847 051 777 340
338 208 987 781 529 600 α^{50} −

2 957 777 839 524 224 943 836 586 578 309 234 787 920 155 839 426 618 425 277 797 624 273 525 625 236
493 590 666 516 889 600 α^{51} −

384 868 546 368 015 613 938 507 923 991 792 920 300 682 737 829 292 264 480 126 517 531 532 389 059
437 147 982 292 582 400 α^{52} −

46 496 458 323 721 090 411 255 180 650 063 857 460 290 185 869 637 190 299 374 211 391 507 229 180 410
065 795 940 352 000 α^{53} −

5 203 032 264 143 346 957 931 803 826 403 753 563 294 270 764 170 841 821 870 254 955 555 926 237 791
785 096 891 596 800 α^{54} −

537 832 504 711 141 544 087 129 251 381 082 897 661 461 339 212 451 893 077 739 044 952 285 842 494
382 360 703 795 200 α^{55} −

51 197 348 614 046 610 042 543 939 822 425 359 359 647 292 898 638 135 505 541 077 341 997 362 466 470
336 921 600 000 α^{56} −

4 472 124 364 097 851 626 986 362 068 472 968 262 168 535 092 238 442 740 131 070 059 314 752 113 042

$$710\,016\,819\,200\,\alpha^{57} -$$

$$356\,995\,209\,618\,432\,804\,247\,493\,823\,627\,464\,115\,451\,805\,273\,725\,015\,109\,401\,881\,496\,295\,090\,828\,990 \,\times$$
$$196\,429\,619\,200\,\alpha^{58} -$$

$$25\,918\,939\,644\,465\,635\,656\,657\,748\,541\,729\,965\,266\,667\,599\,341\,417\,136\,805\,783\,311\,971\,170\,859\,399\,986 \,\times$$
$$439\,782\,400\,\alpha^{59} -$$

$$1\,701\,930\,900\,032\,622\,062\,149\,282\,293\,502\,940\,452\,031\,671\,785\,437\,026\,985\,519\,788\,463\,740\,403\,748\,092 \,\times$$
$$824\,780\,800\,\alpha^{60} -$$

$$100\,402\,948\,464\,198\,449\,244\,659\,396\,245\,802\,245\,900\,774\,514\,500\,091\,121\,060\,408\,005\,800\,535\,647\,096 \,\times$$
$$877\,875\,200\,\alpha^{61} -$$

$$5\,279\,088\,084\,863\,768\,328\,357\,425\,959\,242\,280\,961\,309\,512\,228\,782\,828\,929\,139\,641\,277\,501\,158\,130\,607 \,\times$$
$$718\,400\,\alpha^{62} -$$

$$244\,986\,715\,431\,462\,114\,149\,793\,491\,503\,156\,422\,252\,102\,144\,295\,153\,688\,976\,587\,839\,284\,181\,241\,482 \,\times$$
$$444\,800\,\alpha^{63} -$$

$$9\,913\,488\,618\,628\,461\,837\,131\,075\,206\,593\,743\,382\,949\,306\,382\,569\,685\,635\,004\,121\,264\,429\,673\,218\,048 \,\times$$
$$000\,\alpha^{64} -$$

$$344\,422\,802\,673\,712\,182\,413\,229\,871\,418\,574\,883\,946\,623\,169\,191\,989\,921\,168\,283\,031\,185\,480\,954\,675\,200$$
$$\alpha^{65} -$$

$$10\,067\,016\,349\,289\,812\,560\,603\,553\,336\,305\,558\,840\,202\,063\,187\,952\,794\,578\,049\,957\,035\,972\,440\,883\,200$$
$$\alpha^{66} -$$

$$240\,731\,112\,172\,321\,584\,921\,955\,084\,567\,221\,573\,902\,775\,621\,936\,479\,402\,416\,415\,154\,307\,596\,288\,000$$
$$\alpha^{67} -$$

$$4\,522\,387\,372\,148\,143\,355\,778\,441\,691\,409\,786\,397\,431\,666\,978\,326\,110\,242\,110\,093\,877\,103\,820\,800\,\alpha^{68} -$$
$$62\,587\,245\,463\,916\,235\,213\,247\,366\,822\,886\,296\,655\,874\,476\,127\,596\,259\,801\,969\,060\,741\,120\,000\,\alpha^{69} -$$
$$567\,333\,111\,461\,293\,551\,476\,480\,339\,282\,526\,501\,444\,615\,698\,431\,225\,870\,941\,872\,455\,680\,000\,\alpha^{70} -$$
$$2\,526\,895\,270\,964\,164\,390\,573\,681\,619\,328\,838\,310\,737\,173\,237\,266\,256\,961\,166\,376\,960\,000\,\alpha^{71} \Big)$$

In[ ]:= **RecNormalizedOrderEVEN = OrePolynomialDegree[RECNormalizedinSEVEN, S[α]]**

Out[ ]= 6

We then work on $\tilde{r}_o(n) := r(2\,n+1)$.

In[ ]:= **ClearAll[k1, k2, k3, k4, k5, z, w, α, β];**

In[ ]:= **k5 = α + $\dfrac{1 - NN}{2}$ - k1 - k2 - k3 - k4;**

summandODD = Binomial[2 α + 1, 2 k1 + 1]
  Binomial[(2 α + 1) - (2 k1 + 1), 2 k2 + 1] Binomial[(2 α + 1) - (2 k1 + 1) - (2 k2 + 1), 2 k3 + 1]
  Binomial[(2 α + 1) - (2 k1 + 1) - (2 k2 + 1) - (2 k3 + 1), 2 k4 + 1]
  Binomial[2 (α - k1), α - k1] Binomial[2 (α - k2), α - k2] Binomial[2 (α - k3), α - k3]
  Binomial[2 (α - k4), α - k4] Binomial[2 (α - k5), α - k5];

Apply "Creative Telescoping".

In[ ]:= **Timing[ann0ODD = Annihilator[summandODD, {S[k1], S[k2], S[k3], S[k4], S[α]}];]**

Out[ ]= {0.09375, Null}

In[ ]:= **Timing[ann1ODD = FindCreativeTelescoping[ann0ODD, S[k1] - 1][[1]];]**

Out[ ]= {419.172, Null}

In[ ]:= `Timing[ann2ODD = FindCreativeTelescoping[ann1ODD, S[k2] - 1][[1]]];`

Out[ ]= {15 208.2, Null}

In[ ]:= `Timing[ann3ODD = FindCreativeTelescoping[ann2ODD, S[k3] - 1][[1]]];`

Out[ ]= {35 861.1, Null}

In[ ]:= `Timing[ann4ODD = FindCreativeTelescoping[ann3ODD, S[k4] - 1][[1]]];`

Out[ ]= {42 672., Null}

Recurrence for $\tilde{r}_o(n)$

In[ ]:= `RECNormalizedODD = ann4ODD;`
`ToOrePolynomial[RECNormalizedODD]`

Out[ ]= $\Big\{\Big(-504\,881\,604\,636\,936\,829\,912\,680\,665\,896\,591\,544\,580\,389\,362\,629\,071\,998\,307\,678\,835\,099\,377\,120\,194\,$
    $560\,000\,000\,000\,-$
    $11\,235\,689\,513\,473\,914\,237\,304\,717\,071\,566\,566\,655\,999\,663\,141\,717\,846\,542\,988\,295\,121\,354\,938\,775\,$
    $597\,593\,600\,000\,000\,\alpha\,-$
    $122\,819\,671\,878\,128\,417\,429\,641\,508\,275\,509\,974\,610\,638\,790\,647\,351\,808\,819\,402\,767\,008\,569\,921\,113\,$
    $162\,461\,440\,000\,000\,\alpha^2\,-$
    $879\,138\,643\,432\,641\,468\,013\,953\,027\,508\,367\,304\,401\,352\,132\,426\,414\,205\,833\,024\,450\,689\,064\,957\,306\,$
    $969\,863\,232\,000\,000\,\alpha^3\,-$
    $4\,634\,921\,056\,574\,418\,965\,756\,125\,831\,805\,684\,836\,272\,035\,075\,886\,035\,757\,360\,323\,872\,893\,161\,365\,076\,$
    $349\,731\,548\,800\,000\,\alpha^4\,-$
    $19\,194\,222\,595\,593\,939\,038\,446\,926\,419\,773\,421\,189\,407\,820\,637\,038\,729\,125\,582\,471\,166\,196\,338\,988\,$
    $434\,387\,578\,706\,880\,000\,\alpha^5\,-$
    $65\,025\,949\,698\,013\,602\,382\,284\,630\,660\,124\,753\,373\,529\,230\,323\,182\,951\,930\,318\,045\,716\,278\,079\,701\,$
    $178\,315\,101\,812\,336\,000\,\alpha^6\,-$
    $185\,326\,812\,720\,016\,379\,995\,590\,171\,909\,004\,749\,241\,091\,732\,906\,688\,991\,430\,848\,904\,036\,469\,507\,324\,$
    $503\,377\,776\,909\,460\,800\,\alpha^7\,-$
    $453\,512\,993\,386\,748\,689\,289\,363\,685\,336\,435\,518\,545\,901\,843\,860\,739\,202\,470\,415\,568\,366\,314\,761\,303\,$
    $491\,325\,208\,337\,074\,720\,\alpha^8\,-$
    $967\,802\,844\,097\,437\,324\,899\,886\,494\,128\,401\,572\,704\,280\,636\,089\,513\,503\,777\,809\,145\,590\,530\,531\,288\,$
    $024\,345\,816\,977\,374\,256\,\alpha^9\,-$
    $1\,823\,171\,693\,121\,009\,599\,793\,697\,365\,695\,590\,643\,800\,086\,066\,806\,733\,098\,756\,020\,083\,605\,677\,365\,398\,$
    $188\,655\,104\,244\,582\,952\,\alpha^{10}\,-$
    $3\,061\,791\,882\,660\,727\,051\,356\,569\,051\,324\,050\,920\,759\,269\,284\,098\,525\,799\,209\,418\,806\,929\,980\,238\,277\,$
    $311\,686\,909\,901\,092\,860\,\alpha^{11}\,-$
    $4\,620\,942\,193\,476\,665\,141\,511\,377\,313\,004\,030\,162\,089\,019\,467\,221\,919\,105\,478\,627\,100\,568\,080\,521\,253\,$
    $011\,728\,271\,200\,968\,682\,\alpha^{12}\,-$
    $6\,309\,715\,581\,383\,561\,887\,237\,600\,657\,021\,882\,915\,003\,871\,267\,141\,620\,605\,671\,118\,906\,479\,512\,662\,831\,$
    $945\,419\,128\,296\,547\,047\,\alpha^{13}\,-$
    $7\,839\,307\,781\,624\,689\,644\,683\,316\,707\,767\,283\,626\,837\,625\,973\,677\,827\,992\,797\,334\,036\,838\,108\,698\,879\,$
    $598\,224\,144\,984\,754\,032\,\alpha^{14}\,-$
    $8\,905\,087\,425\,908\,851\,048\,023\,869\,618\,963\,887\,423\,104\,220\,543\,323\,775\,949\,051\,903\,605\,188\,603\,852\,870\,$
    $170\,425\,105\,233\,697\,866\,\alpha^{15}\,-$
    $9\,287\,597\,228\,577\,375\,544\,686\,887\,131\,282\,107\,830\,216\,641\,296\,717\,755\,897\,324\,866\,608\,562\,162\,191\,300\,$
    $699\,801\,472\,965\,605\,070\,\alpha^{16}\,-$
    $8\,925\,771\,518\,074\,602\,419\,344\,216\,530\,351\,682\,689\,468\,961\,032\,870\,730\,550\,876\,236\,657\,076\,252\,251\,151\,$
    $282\,095\,621\,810\,304\,256\,\alpha^{17}\,-$

7 929 361 071 525 207 613 671 366 737 513 929 204 521 653 003 111 234 601 354 059 519 298 479 082 321 ⁚
021 655 239 533 388 810 α^{18} −

6 529 577 854 045 734 515 217 659 871 963 965 315 005 708 893 616 920 761 731 026 268 488 980 777 419 ⁚
440 141 534 731 871 450 α^{19} −

4 996 286 449 584 770 176 206 816 007 681 699 474 498 565 594 546 887 323 790 849 607 427 285 105 028 ⁚
244 001 820 733 071 536 α^{20} −

3 560 097 919 130 823 664 887 426 276 312 957 141 286 958 042 365 780 324 532 387 705 617 472 467 023 ⁚
509 435 363 320 400 121 α^{21} −

2 366 782 368 389 945 431 950 092 090 111 082 590 864 864 723 428 184 471 287 417 268 396 965 768 348 ⁚
549 455 011 813 210 982 α^{22} −

1 470 521 158 914 451 131 733 842 535 667 455 638 268 344 903 799 250 793 651 190 229 136 594 645 792 ⁚
619 422 649 697 372 160 α^{23} −

855 168 724 369 172 783 877 791 270 025 237 615 908 620 679 450 273 178 582 783 823 786 288 851 309 ⁚
006 657 606 556 348 944 α^{24} −

466 096 727 235 019 353 134 312 314 155 534 390 667 512 116 725 807 831 919 625 742 596 804 209 617 ⁚
192 731 816 008 164 368 α^{25} −

238 370 594 242 710 968 754 156 426 107 997 972 644 998 851 370 542 311 077 261 451 968 796 615 942 ⁚
610 079 872 410 256 864 α^{26} −

114 506 215 932 513 031 674 020 225 231 397 370 519 114 564 501 232 430 386 516 839 620 223 147 309 ⁚
216 661 740 487 078 016 α^{27} −

51 712 607 665 715 940 336 365 308 535 802 394 112 710 288 677 992 254 570 110 241 116 096 061 546 ⁚
347 816 608 917 045 248 α^{28} −

21 973 244 396 760 517 740 231 729 200 521 681 595 854 758 977 846 408 356 695 030 435 264 163 418 ⁚
102 737 883 220 054 528 α^{29} −

8 790 496 366 346 175 114 941 574 746 566 159 681 347 014 014 029 718 765 521 130 824 358 657 141 818 ⁚
574 349 606 439 936 α^{30} −

3 312 835 070 207 636 178 299 904 061 558 149 949 553 928 320 076 540 845 704 874 979 319 905 955 224 ⁚
241 982 904 360 960 α^{31} −

1 176 674 152 092 573 137 262 006 401 616 590 108 657 540 652 025 940 734 756 642 425 267 659 948 317 ⁚
590 845 263 405 056 α^{32} −

394 043 638 781 637 261 407 760 915 044 610 233 095 072 779 232 065 863 529 681 405 722 238 608 438 ⁚
651 373 588 750 336 α^{33} −

124 447 531 869 824 176 415 517 719 916 949 368 010 560 823 440 789 858 244 877 805 572 791 090 340 ⁚
425 841 273 389 056 α^{34} −

37 073 685 821 382 415 520 245 389 774 246 365 699 015 960 657 509 961 258 837 229 318 505 545 331 ⁚
526 533 013 372 928 α^{35} −

10 419 061 697 408 617 550 421 328 974 733 669 555 583 338 064 599 142 171 125 469 474 373 437 936 ⁚
217 369 945 047 040 α^{36} −

2 762 378 804 322 953 110 815 238 460 335 069 479 925 444 571 045 384 024 440 119 785 377 762 803 182 ⁚
651 586 183 168 α^{37} −

690 876 791 274 610 093 022 542 338 486 319 982 594 147 396 501 959 435 398 621 819 149 554 687 978 ⁚
454 245 048 320 α^{38} −

162 972 340 136 836 696 555 417 146 906 162 701 207 036 429 339 491 238 110 562 236 605 525 049 688 ⁚
331 669 995 520 α^{39} −

36 250 818 590 236 092 726 275 506 041 679 961 125 710 556 802 357 518 696 526 048 232 282 476 736 ⁚
100 332 208 128 α^{40} −

7 600 943 085 524 327 249 753 227 239 900 207 702 443 415 143 465 935 453 921 913 695 801 798 444 067 ⁚
998 138 368 α^{41} −

1 501 678 573 753 184 010 764 738 784 944 788 099 161 510 838 042 656 601 214 289 101 317 985 505 935 ⁚
817 179 136 α^{42} −

279 394 262 958 422 736 628 836 448 038 413 761 293 849 062 309 543 059 519 324 913 770 945 926 294 ⁚

$059\,089\,920\,\alpha^{43}$ −

$48\,923\,194\,694\,209\,599\,959\,882\,788\,809\,394\,886\,744\,460\,784\,794\,603\,854\,501\,268\,151\,030\,574\,097\,548\,854\,689\,792\,\alpha^{44}$ −

$8\,056\,502\,131\,926\,363\,578\,068\,634\,250\,429\,517\,602\,517\,315\,214\,815\,417\,118\,743\,049\,018\,417\,652\,405\,532\,360\,704\,\alpha^{45}$ −

$1\,246\,632\,329\,664\,318\,258\,835\,988\,275\,266\,775\,005\,741\,326\,946\,188\,218\,290\,265\,751\,832\,956\,332\,636\,448\,489\,472\,\alpha^{46}$ −

$181\,075\,639\,819\,006\,546\,907\,626\,059\,445\,204\,372\,922\,507\,820\,782\,612\,640\,371\,769\,772\,257\,333\,767\,168\,851\,968\,\alpha^{47}$ −

$24\,661\,520\,248\,955\,304\,211\,302\,072\,874\,545\,043\,344\,549\,368\,633\,766\,985\,089\,812\,285\,929\,088\,585\,526\,411\,264\,\alpha^{48}$ −

$3\,145\,276\,304\,589\,398\,340\,748\,109\,866\,929\,939\,524\,210\,665\,721\,145\,224\,863\,450\,617\,044\,964\,438\,825\,762\,816\,\alpha^{49}$ −

$375\,096\,526\,648\,152\,271\,132\,605\,085\,836\,933\,926\,512\,151\,857\,158\,903\,540\,984\,715\,009\,453\,705\,408\,806\,912\,\alpha^{50}$ −

$41\,759\,468\,173\,882\,421\,149\,950\,297\,363\,537\,781\,926\,707\,986\,169\,112\,872\,990\,242\,765\,064\,992\,645\,447\,680\,\alpha^{51}$ −

$4\,331\,939\,896\,982\,138\,676\,911\,171\,405\,897\,667\,553\,704\,308\,335\,284\,691\,941\,134\,851\,290\,926\,533\,312\,512\,\alpha^{52}$ −

$417\,835\,815\,989\,364\,731\,544\,084\,232\,703\,418\,936\,058\,772\,593\,927\,770\,931\,997\,321\,203\,681\,320\,763\,392\,\alpha^{53}$ −

$37\,383\,607\,863\,847\,322\,484\,661\,888\,618\,884\,259\,261\,367\,978\,557\,959\,420\,468\,861\,464\,265\,162\,227\,712\,\alpha^{54}$ −

$3\,094\,012\,363\,986\,635\,532\,838\,989\,946\,199\,102\,737\,755\,624\,447\,903\,472\,625\,417\,568\,659\,970\,195\,456\,\alpha^{55}$ −

$236\,141\,770\,315\,825\,012\,964\,406\,185\,214\,933\,856\,348\,049\,332\,220\,758\,431\,800\,465\,383\,741\,194\,240\,\alpha^{56}$ −

$16\,560\,695\,678\,101\,642\,095\,972\,079\,693\,754\,274\,752\,309\,295\,735\,064\,623\,451\,654\,792\,912\,306\,176\,\alpha^{57}$ −

$1\,062\,783\,412\,316\,170\,863\,017\,702\,953\,291\,153\,961\,707\,217\,169\,675\,048\,194\,176\,562\,044\,600\,320\,\alpha^{58}$ −

$62\,113\,386\,839\,534\,418\,445\,381\,817\,826\,916\,649\,926\,491\,988\,184\,216\,613\,532\,276\,862\,484\,480\,\alpha^{59}$ −

$3\,287\,406\,011\,087\,680\,594\,274\,030\,127\,209\,853\,066\,739\,102\,214\,171\,662\,152\,087\,461\,953\,536\,\alpha^{60}$ −

$156\,512\,624\,252\,332\,465\,896\,811\,305\,646\,199\,990\,277\,937\,143\,048\,376\,973\,705\,279\,963\,136\,\alpha^{61}$ −

$6\,649\,543\,435\,941\,184\,657\,455\,603\,993\,839\,908\,048\,620\,328\,606\,424\,377\,498\,357\,727\,232\,\alpha^{62}$ −

$249\,651\,825\,154\,395\,518\,173\,582\,339\,941\,373\,607\,517\,201\,502\,716\,626\,256\,128\,901\,120\,\alpha^{63}$ −

$8\,182\,731\,608\,464\,280\,274\,644\,263\,791\,336\,642\,965\,096\,705\,716\,074\,285\,644\,120\,064\,\alpha^{64}$ −

$230\,544\,534\,341\,257\,795\,944\,317\,456\,464\,157\,939\,474\,135\,220\,844\,300\,785\,942\,528\,\alpha^{65}$ −

$5\,470\,889\,075\,766\,353\,529\,634\,261\,206\,873\,804\,745\,200\,350\,032\,816\,886\,513\,664\,\alpha^{66}$ −

$106\,335\,520\,099\,900\,075\,345\,527\,991\,273\,592\,300\,148\,025\,203\,378\,635\,145\,216\,\alpha^{67}$ −

$1\,625\,510\,070\,171\,108\,419\,509\,908\,074\,743\,729\,837\,838\,856\,936\,298\,119\,168\,\alpha^{68}$ −

$18\,325\,779\,554\,582\,272\,244\,641\,695\,187\,713\,176\,300\,092\,333\,542\,604\,800\,\alpha^{69}$ −

$135\,469\,275\,331\,936\,704\,964\,571\,826\,915\,050\,981\,855\,648\,651\,673\,600\,\alpha^{70}$ −

$492\,583\,560\,716\,086\,973\,444\,323\,245\,714\,100\,057\,393\,437\,081\,600\,\alpha^{71}\Big)\,S_\alpha^6$ +

$\Big(65\,431\,662\,746\,387\,834\,417\,615\,876\,200\,745\,220\,390\,138\,448\,858\,713\,002\,204\,244\,906\,113\,192\,427\,090\,818\,872\,320\,000\,000\,000$ +

$1\,460\,590\,952\,081\,916\,197\,804\,380\,677\,528\,089\,232\,261\,770\,237\,475\,245\,737\,297\,802\,642\,329\,763\,427\,756\,115\,167\,148\,800\,000\,000\,\alpha$ +

$16\,016\,026\,347\,982\,191\,255\,782\,210\,449\,398\,884\,721\,629\,465\,251\,166\,281\,413\,960\,036\,347\,102\,197\,073\,694\,917\,044\,643\,520\,000\,000\,\alpha^2$ +

$115\,008\,501\,938\,660\,561\,758\,133\,691\,768\,786\,598\,666\,981\,430\,635\,427\,834\,666\,732\,463\,537\,052\,850\,771\,184\,240\,298\,720\,656\,000\,000\,\alpha^3$ +

$608\,315\,234\,675\,283\,711\,725\,738\,792\,346\,982\,896\,991\,755\,363\,075\,207\,414\,832\,474\,538\,350\,259\,647\,950\,743\,845\,012\,667\,858\,400\,000\,\alpha^4$ +

$2\,527\,545\,413\,966\,083\,003\,086\,590\,474\,995\,988\,433\,548\,771\,212\,969\,792\,541\,697\,819\,151\,545\,382\,948\,283$

043 061 968 133 743 840 000 α^5 +

8 591 832 865 096 887 312 171 967 840 044 421 028 433 795 320 840 245 093 137 959 430 815 913 134 718 145 368 981 461 929 908 000 α^6 +

24 571 796 524 932 704 008 346 626 211 142 779 261 176 734 404 172 717 739 089 962 532 637 906 850 019 793 804 991 368 097 966 400 α^7 +

60 341 633 344 383 774 597 470 508 910 948 487 947 156 824 425 142 578 153 737 113 334 407 499 518 480 671 701 584 282 386 464 560 α^8 +

129 232 667 251 243 142 351 463 750 147 878 438 247 690 990 703 487 338 221 736 454 789 595 853 527 877 393 286 893 788 201 229 968 α^9 +

244 343 482 965 220 949 068 213 526 200 146 962 060 512 187 105 020 221 705 511 247 990 161 802 018 970 412 713 725 160 332 545 974 α^{10} +

411 876 112 069 809 988 224 858 305 125 815 453 050 937 742 513 108 802 197 984 812 396 136 620 320 584 989 215 510 790 629 036 028 α^{11} +

623 978 274 153 755 948 568 461 494 673 426 899 164 786 327 413 143 051 170 091 646 948 820 478 000 033 781 876 742 305 973 871 086 α^{12} +

855 317 273 107 720 207 983 275 173 826 711 218 735 957 487 769 880 032 753 739 963 064 662 584 562 516 718 825 518 095 784 455 624 α^{13} +

1 066 852 834 137 380 410 340 690 300 799 989 011 798 581 565 403 293 819 185 268 516 601 205 389 717 503 495 245 709 883 260 149 564 α^{14} +

1 216 761 403 267 770 582 915 684 242 047 214 678 289 623 815 627 438 771 292 656 249 327 353 546 049 794 377 808 638 260 536 097 416 α^{15} +

1 274 214 176 156 505 440 249 708 876 427 892 625 126 459 727 434 861 680 353 721 530 253 315 117 091 331 248 753 008 373 603 286 876 α^{16} +

1 229 669 262 427 921 152 529 069 244 281 443 293 468 770 781 195 738 624 041 746 673 018 187 315 129 425 809 905 564 247 059 725 488 α^{17} +

1 097 024 174 726 261 291 615 047 855 292 658 457 962 077 899 242 280 945 227 056 948 316 276 412 208 830 945 339 580 009 384 338 878 α^{18} +

907 258 007 410 138 617 511 026 312 972 130 586 352 639 229 133 249 499 143 326 222 585 957 653 805 131 994 002 043 056 655 302 108 α^{19} +

697 257 634 650 850 217 387 358 108 004 066 508 694 539 847 082 170 587 316 267 243 054 864 970 346 071 140 252 955 327 298 615 206 α^{20} +

499 046 449 106 188 575 421 086 537 536 829 108 097 006 256 235 073 095 870 276 446 102 064 182 077 032 409 462 148 062 248 263 640 α^{21} +

333 275 630 743 199 692 836 595 956 317 258 445 146 965 250 706 317 271 828 888 019 191 796 947 469 582 079 787 811 812 573 484 720 α^{22} +

208 025 293 909 777 496 880 055 944 260 034 532 626 310 924 954 088 601 864 043 458 100 051 485 750 217 669 233 162 663 688 178 432 α^{23} +

121 543 022 364 507 975 606 210 166 341 091 398 439 535 193 477 268 601 593 458 022 142 278 926 259 760 058 374 796 339 568 950 368 α^{24} +

66 561 278 288 782 594 591 138 326 195 950 894 738 490 337 569 766 656 620 526 587 597 700 671 511 024 182 721 289 781 544 356 736 α^{25} +

34 205 817 967 563 245 765 874 194 276 898 563 751 074 657 201 876 583 985 917 499 829 003 146 583 290 167 613 500 066 182 076 928 α^{26} +

16 512 494 617 384 603 662 414 721 184 797 717 726 085 853 852 887 962 633 454 932 660 977 401 331 900 629 727 344 444 463 206 400 α^{27} +

7 494 649 324 939 430 099 285 609 944 851 693 442 907 454 599 380 517 725 871 063 022 011 979 099 004 310 065 786 074 955 713 536 α^{28} +

3 200 777 973 051 209 645 169 428 802 310 002 133 021 798 715 005 323 575 759 361 972 214 854 986 584 264 886 968 089 981 693 952 α^{29} +

1 287 113 319 012 302 054 960 964 168 476 672 745 624 682 690 610 196 867 328 803 157 492 636 259 791 939 975 336 223 202 746 368 α^{30} +

487 619 502 584 336 779 278 408 670 440 741 062 489 583 713 012 636 016 889 142 555 499 420 138 792 \
918 468 450 531 814 342 656 α^{31} +

174 121 132 874 147 557 515 016 430 633 502 773 277 518 358 632 810 050 222 101 207 181 820 188 406 \
325 938 370 189 152 468 992 α^{32} +

58 625 974 019 426 017 885 626 203 794 235 232 702 236 545 808 458 403 018 492 927 167 753 918 315 \
985 029 429 336 651 530 240 α^{33} +

18 617 411 098 484 375 995 019 737 115 470 306 287 207 935 497 520 229 701 376 782 395 158 362 824 \
550 435 084 401 953 865 728 α^{34} +

5 577 288 349 462 496 068 513 803 096 165 133 918 133 809 919 772 473 344 979 836 381 640 966 305 031 \
976 207 526 688 194 560 α^{35} +

1 576 331 914 962 370 401 311 850 860 195 874 093 016 952 706 127 606 328 891 411 894 617 927 394 688 \
027 746 843 082 227 712 α^{36} +

420 340 970 940 660 062 520 241 389 841 185 220 703 351 499 271 704 824 742 489 993 551 401 243 937 \
634 884 756 543 373 312 α^{37} +

105 744 197 006 793 633 285 775 549 908 097 951 858 575 892 581 788 237 264 252 836 682 513 167 465 \
469 828 445 487 759 360 α^{38} +

25 092 597 712 531 012 586 288 209 019 346 213 458 922 611 374 116 501 533 136 564 257 190 199 824 \
541 522 642 260 197 376 α^{39} +

5 615 183 703 735 644 578 102 924 223 947 015 343 239 506 313 606 464 525 547 959 535 092 399 271 827 \
117 370 456 932 352 α^{40} +

1 184 587 161 207 854 322 430 002 703 908 233 569 975 706 944 317 625 634 320 549 630 120 651 952 883 \
137 537 940 389 888 α^{41} +

235 488 221 851 976 609 827 839 609 757 702 769 881 220 740 588 297 115 500 774 772 744 872 177 748 \
827 827 177 783 296 α^{42} +

44 090 187 585 851 787 062 736 199 744 261 788 240 085 753 439 004 270 229 886 922 373 021 027 373 \
553 830 716 243 968 α^{43} +

7 769 828 510 303 480 973 707 690 550 924 879 594 130 141 274 389 367 121 306 711 726 647 800 423 337 \
964 787 990 528 α^{44} +

1 287 821 094 105 680 818 138 858 270 390 709 124 185 732 994 329 512 382 942 374 053 883 599 437 716 \
574 076 665 856 α^{45} +

200 585 859 240 644 680 654 560 583 037 192 641 698 650 127 264 248 692 462 871 276 370 823 815 594 \
097 497 866 240 α^{46} +

29 330 247 433 290 004 758 939 465 196 041 241 447 850 958 952 633 403 217 762 254 795 738 370 460 \
301 878 362 112 α^{47} +

4 021 707 486 685 496 863 214 481 146 235 688 155 306 381 001 722 668 703 637 575 368 088 573 393 693 \
753 475 072 α^{48} +

516 447 112 726 634 016 420 181 350 439 820 462 583 140 412 464 432 039 510 318 402 357 265 109 485 \
071 892 480 α^{49} +

62 019 505 995 889 197 773 371 529 655 580 023 149 927 926 744 438 800 075 528 510 302 501 842 700 \
581 470 208 α^{50} +

6 953 453 177 430 843 168 780 994 272 178 862 260 416 647 274 994 342 718 940 056 842 375 696 592 211 \
542 016 α^{51} +

726 491 825 080 541 361 515 838 411 490 999 367 637 428 589 471 973 139 711 375 983 020 567 154 258 \
870 272 α^{52} +

70 582 890 017 450 429 081 497 133 399 521 061 389 307 893 782 546 022 972 351 320 479 792 990 452 \
187 136 α^{53} +

6 361 557 952 652 208 555 197 568 841 809 491 705 035 317 721 091 983 035 317 869 931 589 854 778 359 \
808 α^{54} +

530 439 884 193 186 716 695 895 856 971 217 847 289 510 336 041 652 169 180 880 095 920 628 405 633 024 \
α^{55} +

40 790 821 230 173 162 594 281 308 272 897 438 294 124 143 117 900 660 772 925 481 027 544 769 626 112

$\alpha^{56}\ +$

$2\,882\,621\,891\,848\,377\,471\,214\,596\,976\,482\,533\,054\,215\,923\,635\,289\,524\,554\,884\,257\,171\,079\,639\,859\,200$
$\alpha^{57}\ +$

$186\,430\,776\,301\,533\,126\,023\,768\,161\,912\,917\,045\,033\,200\,414\,932\,902\,570\,379\,241\,897\,231\,449\,587\,712$
$\alpha^{58}\ +$

$10\,981\,618\,629\,888\,590\,652\,200\,850\,205\,689\,170\,042\,061\,294\,276\,653\,145\,618\,483\,661\,307\,396\,489\,216$
$\alpha^{59}\ +$

$585\,851\,665\,367\,734\,729\,700\,567\,598\,323\,320\,874\,282\,037\,657\,002\,172\,329\,278\,228\,678\,880\,264\,192\ \alpha^{60}\ +$
$28\,117\,845\,726\,221\,625\,706\,954\,380\,061\,300\,879\,699\,394\,990\,456\,697\,629\,876\,773\,962\,878\,287\,872\ \alpha^{61}\ +$
$1\,204\,393\,243\,698\,763\,828\,429\,204\,306\,649\,862\,469\,720\,290\,780\,836\,271\,252\,093\,944\,813\,584\,384\ \alpha^{62}\ +$
$45\,593\,276\,407\,745\,402\,361\,845\,847\,407\,174\,195\,730\,615\,885\,631\,441\,960\,824\,752\,150\,937\,600\ \alpha^{63}\ +$
$1\,506\,953\,980\,648\,023\,160\,556\,830\,690\,022\,492\,390\,667\,300\,722\,837\,822\,846\,950\,864\,584\,704\ \alpha^{64}\ +$
$42\,819\,193\,429\,210\,702\,314\,291\,760\,386\,780\,073\,638\,318\,383\,613\,099\,388\,617\,053\,175\,808\ \alpha^{65}\ +$
$1\,024\,873\,250\,646\,178\,768\,502\,015\,040\,567\,725\,891\,061\,898\,737\,520\,971\,201\,151\,762\,432\ \alpha^{66}\ +$
$20\,093\,987\,020\,897\,125\,171\,056\,304\,436\,834\,794\,356\,730\,605\,453\,067\,684\,610\,572\,288\ \alpha^{67}\ +$
$309\,884\,692\,521\,842\,276\,423\,849\,453\,078\,347\,965\,370\,237\,223\,295\,153\,898\,258\,432\ \alpha^{68}\ +$
$3\,524\,869\,873\,127\,977\,676\,085\,174\,790\,272\,071\,112\,998\,501\,256\,855\,866\,572\,800\ \alpha^{69}\ +$
$26\,292\,952\,289\,791\,678\,951\,486\,508\,813\,143\,404\,901\,545\,773\,399\,172\,710\,400\ \alpha^{70}\ +$
$96\,481\,575\,796\,365\,508\,242\,136\,458\,524\,083\,000\,752\,674\,353\,604\,198\,400\ \alpha^{71}\Big)\ S_\alpha^5\ +$

$\Big(-362\,592\,911\,064\,493\,598\,447\,609\,681\,667\,306\,346\,033\,206\,358\,102\,363\,166\,323\,133\,519\,732\,371\,326\,604\,909\,475\,423\,846\,400\,000\,000\ -$

$8\,126\,449\,235\,632\,877\,638\,953\,616\,283\,708\,175\,368\,146\,659\,938\,943\,179\,040\,254\,614\,937\,424\,176\,565\,270\,579\,539\,542\,671\,360\,000\,000\ \alpha\ -$

$89\,474\,695\,887\,403\,395\,715\,028\,026\,033\,403\,602\,787\,547\,033\,469\,042\,456\,371\,037\,376\,181\,420\,253\,573\,012\,622\,697\,373\,753\,344\,000\,000\ \alpha^2\ -$

$645\,180\,368\,744\,395\,300\,826\,486\,457\,395\,826\,101\,757\,857\,606\,717\,933\,364\,818\,148\,946\,925\,962\,258\,539\,063\,172\,635\,916\,846\,694\,400\,000\ \alpha^3\ -$

$3\,427\,032\,881\,525\,764\,517\,970\,950\,934\,967\,673\,495\,104\,442\,292\,153\,864\,286\,747\,830\,305\,836\,701\,772\,367\,645\,285\,203\,145\,107\,783\,680\,000\ \alpha^4\ -$

$14\,300\,778\,909\,258\,558\,075\,860\,289\,615\,287\,061\,789\,215\,973\,628\,560\,794\,240\,434\,874\,811\,258\,393\,357\,174\,274\,978\,761\,296\,177\,301\,504\,000\ \alpha^5\ -$

$48\,825\,936\,231\,235\,106\,407\,725\,138\,266\,227\,133\,560\,341\,327\,973\,278\,294\,820\,632\,178\,972\,906\,042\,111\,509\,918\,621\,406\,397\,156\,200\,089\,600\ \alpha^6\ -$

$140\,261\,573\,962\,206\,800\,756\,952\,415\,734\,966\,361\,083\,936\,879\,938\,702\,490\,182\,860\,269\,521\,101\,666\,714\,730\,298\,616\,583\,168\,143\,064\,693\,760\ \alpha^7\ -$

$346\,010\,288\,107\,863\,673\,699\,434\,332\,700\,846\,113\,109\,215\,632\,421\,329\,902\,628\,694\,978\,645\,811\,504\,185\,430\,354\,791\,230\,290\,413\,470\,437\,888\ \alpha^8\ -$

$744\,470\,735\,066\,216\,146\,217\,681\,032\,076\,936\,828\,567\,792\,213\,540\,733\,542\,484\,208\,498\,369\,509\,975\,058\,932\,861\,618\,733\,970\,667\,609\,949\,440\ \alpha^9\ -$

$1\,414\,206\,319\,090\,443\,077\,332\,642\,233\,762\,497\,833\,726\,801\,295\,859\,095\,860\,099\,192\,747\,051\,275\,446\,558\,549\,693\,309\,474\,604\,011\,703\,368\,448\ \alpha^{10}\ -$

$2\,395\,238\,264\,766\,535\,330\,182\,789\,275\,901\,992\,834\,951\,035\,200\,820\,741\,552\,054\,747\,870\,935\,962\,163\,686\,375\,427\,619\,569\,796\,576\,881\,240\,576\ \alpha^{11}\ -$

$3\,646\,323\,438\,510\,455\,758\,954\,886\,559\,270\,783\,430\,447\,229\,368\,935\,696\,111\,432\,763\,954\,261\,117\,953\,052\,190\,020\,260\,230\,840\,643\,904\,693\,248\ \alpha^{12}\ -$

$5\,022\,849\,328\,272\,403\,445\,923\,203\,706\,607\,986\,726\,045\,670\,683\,781\,143\,126\,845\,750\,280\,110\,530\,511\,143\,456\,482\,548\,413\,414\,853\,344\,177\,664\ \alpha^{13}\ -$

$6\,296\,486\,425\,423\,792\,134\,648\,089\,455\,434\,797\,615\,417\,130\,631\,503\,151\,399\,635\,025\,072\,268\,272\,467\,137\,139\,677\,582\,380\,310\,942\,484\,140\,544\ \alpha^{14}\ -$

$7\,217\,782\,009\,530\,966\,612\,800\,454\,098\,447\,694\,725\,812\,273\,085\,226\,210\,491\,038\,718\,159\,631\,908\,954\,313\,665\,921\,159\,700\,274\,731\,872\,959\,488\ \alpha^{15}\ -$

7 597 647 620 060 825 122 769 211 106 659 083 056 738 845 762 436 555 864 977 945 546 625 585 436 648 818 479 571 187 494 594 357 194 240 α^{16} −

7 370 505 391 946 340 990 465 997 618 359 609 422 100 040 138 318 017 781 208 288 260 590 494 306 577 623 411 248 453 565 652 997 299 456 α^{17} −

6 610 454 161 160 132 007 289 156 608 276 262 991 260 601 812 289 584 283 646 486 685 189 177 610 718 524 624 395 167 267 877 719 823 104 α^{18} −

5 496 497 316 072 113 900 255 796 303 170 927 580 184 074 874 690 026 321 402 623 082 232 326 092 947 303 206 706 932 975 921 520 657 920 α^{19} −

4 247 394 526 153 140 292 284 104 713 671 998 222 436 521 947 266 252 676 881 440 588 662 189 215 150 634 480 999 678 775 894 700 520 448 α^{20} −

3 056 880 418 482 262 003 920 824 423 374 036 447 708 633 823 961 952 931 283 220 964 830 325 333 495 332 429 012 036 144 345 078 024 192 α^{21} −

2 052 973 136 977 968 152 216 673 543 899 449 008 438 116 565 867 232 811 105 295 902 716 510 914 840 597 714 013 056 799 564 068 257 792 α^{22} −

1 288 760 380 272 496 454 552 905 622 183 431 436 831 827 405 677 629 777 658 617 766 547 981 748 033 974 383 403 111 334 260 259 586 048 α^{23} −

757 349 780 136 730 402 365 761 648 514 163 119 998 688 924 402 614 644 250 935 541 287 851 063 013 621 816 881 788 194 006 051 291 136 α^{24} −

417 188 851 479 072 577 677 614 941 886 051 688 662 486 332 193 116 789 930 206 350 735 390 719 160 916 456 604 363 623 130 558 955 520 α^{25} −

215 669 992 664 551 696 044 370 730 832 760 296 306 066 291 076 792 947 402 346 862 432 851 736 102 341 122 990 280 374 089 610 690 560 α^{26} −

104 740 651 238 698 436 740 504 867 990 479 743 831 613 853 477 323 604 811 047 063 639 088 705 594 698 532 752 991 342 811 112 275 968 α^{27} −

47 830 053 130 692 712 926 114 575 543 873 942 427 194 048 720 134 717 743 336 806 716 271 934 443 428 374 000 123 239 190 836 543 488 α^{28} −

20 553 518 415 988 877 520 745 693 229 789 964 616 291 037 341 093 863 904 019 467 295 842 395 149 074 775 399 655 230 233 279 201 280 α^{29} −

8 316 921 206 034 943 990 140 739 864 197 243 001 149 637 132 937 510 605 763 994 447 655 372 924 335 731 314 338 340 801 110 605 824 α^{30} −

3 170 853 042 468 681 291 883 722 601 707 568 348 286 711 421 233 740 820 550 244 200 622 344 772 685 104 539 839 423 878 432 555 008 α^{31} −

1 139 540 623 720 532 982 359 832 207 647 790 162 489 215 194 563 514 066 553 408 473 321 464 250 548 858 912 538 607 056 588 898 304 α^{32} −

386 176 351 662 477 670 618 448 798 662 448 299 707 268 091 740 605 978 293 076 158 995 987 776 485 678 395 863 779 806 808 113 152 α^{33} −

123 442 900 452 628 588 376 029 319 123 841 387 770 705 636 309 416 525 688 719 767 387 956 475 617 682 203 178 440 401 272 963 072 α^{34} −

37 226 743 442 958 296 334 064 683 445 598 559 938 607 956 846 159 155 441 562 530 415 426 288 104 535 285 510 626 640 557 768 704 α^{35} −

10 592 502 335 130 392 667 195 973 742 303 368 699 683 858 819 375 776 023 011 179 919 838 953 711 207 683 649 171 149 322 977 280 α^{36} −

2 843 841 183 951 437 844 679 909 535 277 695 915 693 797 787 155 084 575 078 242 303 514 555 968 266 133 455 478 086 264 946 688 α^{37} −

720 354 982 596 868 094 204 073 231 542 761 099 478 912 702 436 899 124 301 682 625 941 182 892 686 784 001 860 055 326 523 392 α^{38} −

172 129 637 531 801 076 413 284 295 466 717 849 195 988 846 766 008 241 450 711 929 079 037 526 367 828 744 948 854 816 768 000 α^{39} −

38 790 691 566 540 545 020 669 920 127 510 127 793 269 630 830 555 994 383 991 422 888 122 212 432 295 753 119 504 745 365 504 α^{40} −

8 241 713 488 796 924 209 621 097 292 183 151 751 461 047 249 603 368 188 731 587 304 591 220 041 040

066 728 391 046 332 416 α^{41} −

1 650 212 713 260 372 693 833 001 531 180 574 415 398 386 431 446 800 565 638 680 987 844 213 992 823 ⸜
947 968 618 510 155 776 α^{42} −

311 219 016 445 591 544 561 071 094 945 698 415 691 272 009 079 689 981 939 695 089 189 420 923 642 ⸜
073 522 121 520 185 344 α^{43} −

55 248 707 950 778 052 503 721 070 085 460 340 209 436 375 788 440 262 763 416 506 122 738 937 488 ⸜
477 320 305 136 631 808 α^{44} −

9 225 410 125 013 058 975 982 903 246 744 565 634 760 636 225 237 451 381 523 397 878 975 813 132 133 ⸜
471 960 873 041 920 α^{45} −

1 447 713 819 634 661 510 156 958 945 191 030 249 589 086 938 276 393 720 240 977 890 874 509 491 845 ⸜
885 209 702 563 840 α^{46} −

213 296 166 568 460 738 836 330 297 923 269 454 387 169 203 399 723 341 624 155 938 015 413 279 950 ⸜
483 689 322 840 064 α^{47} −

29 471 023 751 621 512 352 478 813 775 838 213 089 901 034 524 501 341 261 277 609 555 932 801 808 ⸜
117 928 998 993 920 α^{48} −

3 813 821 440 331 006 324 947 993 798 588 747 385 918 648 329 101 190 963 286 908 334 638 918 953 665 ⸜
690 263 879 680 α^{49} −

461 577 608 506 177 009 404 292 718 876 278 742 226 730 414 663 137 846 848 771 358 799 960 077 025 ⸜
104 183 164 928 α^{50} −

52 159 195 169 523 937 116 348 361 208 966 170 004 882 544 296 868 223 325 646 356 448 095 404 222 ⸜
877 339 222 016 α^{51} −

5 492 964 549 230 851 169 865 384 649 416 943 977 870 005 872 948 439 940 386 810 403 927 746 897 944 ⸜
560 795 648 α^{52} −

537 963 514 823 282 005 309 362 963 796 386 570 223 410 197 833 729 143 153 225 185 805 261 304 366 ⸜
507 229 184 α^{53} −

48 879 369 305 728 376 576 454 267 734 925 996 513 140 277 073 592 687 288 205 266 651 683 196 854 ⸜
320 758 784 α^{54} −

4 109 019 301 871 204 599 126 638 998 986 201 430 694 894 325 619 240 504 475 039 173 449 044 424 925 ⸜
380 608 α^{55} −

318 592 335 962 180 267 257 334 573 525 656 064 963 006 934 494 228 153 459 954 016 833 260 087 861 ⸜
575 680 α^{56} −

22 701 897 113 197 274 282 541 429 639 457 268 555 209 083 854 294 446 869 041 488 542 944 369 632 ⸜
608 256 α^{57} −

1 480 553 696 875 535 323 575 607 467 992 595 506 304 910 680 911 630 694 696 581 008 061 828 383 637 ⸜
504 α^{58} −

87 949 877 083 790 511 933 770 602 615 753 506 631 343 932 664 420 988 366 599 260 544 446 003 937 280 ⸜
α^{59} −

4 732 044 870 537 431 773 850 387 638 576 783 248 845 895 538 107 693 638 834 020 240 692 869 070 848 ⸜
α^{60} −

229 068 435 236 352 542 737 495 393 763 856 671 838 518 918 944 156 502 116 701 065 185 949 908 992 ⸜
α^{61} −

9 896 986 415 629 832 399 089 610 569 147 202 643 115 337 120 010 195 650 068 459 163 570 143 232 α^{62} −

377 934 098 293 794 877 569 349 823 690 985 967 155 270 654 123 984 501 427 793 616 812 638 208 α^{63} −

12 601 572 257 715 686 146 797 530 157 228 255 515 514 269 829 798 724 953 033 838 277 165 056 α^{64} −

361 244 506 149 335 053 559 658 015 512 724 578 204 783 398 467 608 461 804 935 745 372 160 α^{65} −

8 723 669 307 876 466 657 192 528 813 025 086 352 824 564 196 543 849 484 178 476 236 800 α^{66} −

172 579 554 016 475 273 504 259 975 014 741 747 933 170 843 321 903 160 316 508 766 208 α^{67} −

2 685 623 499 948 392 066 560 938 265 510 450 803 682 912 787 826 103 150 134 165 504 α^{68} −

30 827 416 112 292 301 260 870 915 461 885 623 892 234 818 713 439 967 379 456 000 α^{69} −

232 064 827 816 504 785 554 751 793 339 181 947 997 585 845 543 834 012 876 800 α^{70} −

859 442 520 846 787 116 663 322 559 817 088 095 222 856 117 350 354 124 800 α^{71}) S_α^4 +

$$
\begin{aligned}
\big(& 424\,423\,666\,980\,063\,273\,446\,443\,293\,357\,929\,145\,245\,419\,258\,616\,048\,805\,221\,571\,030\,852\,693\,263\,181\,\\
& 565\,979\,398\,452\,019\,200\,000\,000 + \\
& 9\,569\,192\,818\,580\,567\,981\,704\,562\,973\,514\,988\,256\,376\,219\,956\,155\,919\,003\,172\,688\,690\,995\,844\,929\,087\,\\
& 259\,118\,751\,174\,361\,088\,000\,000\,\alpha + \\
& 106\,000\,349\,241\,406\,296\,775\,356\,294\,917\,950\,566\,689\,565\,983\,314\,451\,513\,089\,162\,878\,428\,074\,060\,545\,\\
& 951\,501\,990\,170\,938\,834\,944\,000\,000\,\alpha^2 + \\
& 769\,057\,667\,142\,852\,758\,899\,773\,709\,831\,388\,923\,404\,013\,565\,751\,353\,654\,923\,986\,555\,380\,404\,884\,261\,\\
& 386\,062\,432\,846\,507\,325\,521\,920\,000\,\alpha^3 + \\
& 4\,110\,593\,619\,926\,158\,473\,659\,577\,193\,093\,042\,015\,705\,259\,137\,330\,464\,147\,976\,118\,986\,604\,820\,018\,971\,\\
& 164\,075\,594\,986\,309\,093\,949\,440\,000\,\alpha^4 + \\
& 17\,262\,034\,417\,475\,332\,768\,165\,443\,259\,009\,309\,300\,416\,543\,466\,220\,903\,503\,316\,048\,793\,893\,468\,246\,\\
& 040\,031\,480\,565\,055\,598\,243\,164\,979\,200\,\alpha^5 + \\
& 59\,315\,207\,669\,812\,451\,058\,457\,301\,962\,947\,606\,090\,150\,756\,224\,694\,523\,298\,929\,648\,163\,442\,377\,016\,\\
& 451\,993\,832\,484\,473\,048\,672\,432\,947\,200\,\alpha^6 + \\
& 171\,503\,982\,872\,760\,888\,562\,967\,888\,991\,859\,766\,523\,090\,559\,858\,559\,627\,428\,397\,556\,864\,849\,171\,260\,\\
& 859\,972\,253\,841\,480\,736\,622\,605\,631\,488\,\alpha^7 + \\
& 425\,873\,898\,111\,956\,471\,951\,171\,698\,498\,137\,466\,379\,475\,415\,615\,875\,977\,683\,111\,058\,847\,326\,289\,770\,\\
& 714\,694\,478\,067\,070\,731\,184\,510\,173\,184\,\alpha^8 + \\
& 922\,427\,547\,275\,315\,189\,254\,217\,786\,333\,445\,578\,417\,331\,565\,078\,038\,773\,549\,145\,279\,212\,624\,871\,934\,\\
& 432\,301\,012\,503\,927\,363\,251\,409\,059\,840\,\alpha^9 + \\
& 1\,764\,110\,411\,669\,223\,465\,096\,898\,586\,502\,519\,796\,540\,935\,628\,698\,519\,417\,362\,604\,678\,608\,317\,994\,408\,\\
& 996\,706\,884\,105\,797\,340\,467\,327\,107\,072\,\alpha^{10} + \\
& 3\,008\,329\,518\,824\,719\,409\,779\,400\,490\,261\,220\,902\,640\,914\,747\,639\,647\,064\,222\,305\,111\,680\,667\,646\,583\,\\
& 176\,949\,200\,274\,611\,010\,414\,547\,042\,304\,\alpha^{11} + \\
& 4\,611\,375\,617\,898\,069\,299\,929\,238\,319\,015\,642\,278\,621\,691\,799\,691\,937\,028\,465\,701\,821\,874\,069\,015\,806\,\\
& 336\,086\,524\,009\,253\,700\,461\,590\,675\,456\,\alpha^{12} + \\
& 6\,396\,738\,512\,960\,891\,958\,922\,305\,475\,369\,894\,300\,472\,730\,646\,501\,104\,685\,250\,572\,236\,009\,373\,481\,441\,\\
& 725\,747\,932\,469\,301\,099\,638\,888\,464\,384\,\alpha^{13} + \\
& 8\,075\,583\,939\,147\,569\,483\,423\,003\,134\,174\,275\,027\,981\,884\,008\,458\,220\,784\,261\,111\,523\,312\,942\,961\,897\,\\
& 208\,574\,798\,993\,888\,357\,628\,944\,384\,000\,\alpha^{14} + \\
& 9\,323\,527\,981\,385\,271\,531\,208\,812\,488\,813\,309\,901\,093\,357\,953\,465\,098\,729\,372\,493\,277\,734\,894\,445\,151\,\\
& 458\,909\,896\,356\,703\,489\,279\,335\,464\,960\,\alpha^{15} + \\
& 9\,885\,296\,441\,311\,779\,750\,097\,923\,837\,162\,435\,286\,667\,118\,618\,309\,471\,722\,727\,464\,426\,143\,193\,764\,944\,\\
& 047\,049\,980\,860\,613\,768\,358\,444\,367\,872\,\alpha^{16} + \\
& 9\,659\,943\,042\,551\,815\,481\,216\,060\,726\,622\,762\,412\,328\,890\,019\,844\,032\,150\,018\,199\,704\,498\,026\,105\,193\,\\
& 601\,034\,797\,947\,475\,355\,609\,264\,619\,520\,\alpha^{17} + \\
& 8\,727\,856\,123\,237\,745\,835\,115\,107\,702\,535\,705\,207\,660\,211\,076\,362\,501\,594\,873\,036\,554\,828\,608\,181\,823\,\\
& 563\,282\,050\,349\,720\,463\,273\,125\,052\,416\,\alpha^{18} + \\
& 7\,311\,273\,507\,509\,917\,440\,228\,935\,713\,021\,370\,246\,998\,972\,387\,522\,958\,987\,863\,304\,182\,052\,124\,448\,946\,\\
& 174\,549\,402\,379\,127\,608\,313\,500\,663\,808\,\alpha^{19} + \\
& 5\,692\,349\,955\,637\,702\,975\,766\,050\,067\,634\,914\,058\,514\,189\,613\,226\,495\,291\,323\,896\,857\,277\,835\,104\,553\,\\
& 874\,346\,951\,768\,610\,274\,625\,462\,468\,608\,\alpha^{20} + \\
& 4\,128\,004\,444\,505\,948\,421\,837\,462\,983\,960\,252\,239\,927\,497\,406\,350\,562\,557\,038\,334\,754\,540\,181\,296\,627\,\\
& 278\,276\,592\,302\,370\,162\,510\,710\,439\,936\,\alpha^{21} + \\
& 2\,793\,623\,723\,566\,605\,550\,554\,828\,375\,735\,957\,333\,963\,077\,782\,343\,632\,302\,816\,631\,100\,673\,774\,184\,265\,\\
& 213\,389\,145\,605\,106\,164\,297\,397\,436\,416\,\alpha^{22} + \\
& 1\,767\,296\,624\,068\,769\,646\,189\,505\,912\,356\,397\,075\,053\,442\,177\,580\,025\,216\,114\,707\,461\,839\,699\,630\,113\,\\
& 972\,321\,848\,301\,061\,117\,689\,817\,202\,688\,\alpha^{23} + \\
& 1\,046\,683\,929\,497\,966\,188\,007\,589\,432\,641\,512\,472\,377\,945\,717\,461\,865\,907\,971\,967\,881\,345\,665\,044\,166\,\\
& 564\,153\,822\,211\,713\,525\,601\,714\,307\,072\,\alpha^{24} + \\
& 581\,115\,063\,590\,886\,553\,158\,854\,878\,599\,106\,487\,217\,650\,448\,451\,637\,586\,854\,074\,659\,094\,634\,889\,242\,
\end{aligned}
$$

$105\,017\,469\,906\,575\,026\,069\,480\,407\,040\ \alpha^{25}\ +$

$302\,801\,204\,674\,675\,068\,012\,435\,156\,231\,223\,357\,399\,753\,806\,125\,005\,020\,768\,263\,138\,469\,738\,824\,809\ \\ 270\,498\,710\,897\,241\,697\,037\,037\,076\,480\ \alpha^{26}\ +$

$148\,234\,422\,562\,553\,301\,894\,467\,322\,269\,342\,350\,007\,260\,629\,870\,452\,528\,732\,265\,306\,097\,114\,658\,296\ \\ 691\,180\,333\,329\,175\,222\,519\,750\,197\,248\ \alpha^{27}\ +$

$68\,238\,189\,023\,486\,348\,538\,913\,678\,932\,736\,295\,207\,260\,738\,020\,163\,564\,396\,183\,397\,609\,379\,869\,460\ \\ 754\,943\,182\,325\,322\,521\,303\,662\,460\,928\ \alpha^{28}\ +$

$29\,561\,874\,593\,644\,959\,722\,696\,281\,930\,135\,625\,072\,670\,187\,125\,810\,302\,344\,761\,799\,998\,284\,743\,514\ \\ 545\,967\,056\,936\,955\,624\,072\,570\,470\,400\ \alpha^{29}\ +$

$12\,060\,166\,079\,294\,600\,996\,467\,878\,755\,400\,353\,538\,412\,970\,470\,698\,648\,762\,599\,293\,930\,543\,699\,905\ \\ 238\,869\,867\,413\,978\,867\,097\,399\,197\,696\ \alpha^{30}\ +$

$4\,635\,930\,011\,469\,017\,322\,792\,421\,432\,547\,321\,963\,526\,815\,253\,720\,461\,568\,558\,753\,815\,540\,413\,828\,329\ \\ 487\,277\,530\,871\,451\,324\,851\,945\,472\ \alpha^{31}\ +$

$1\,679\,906\,720\,700\,955\,684\,457\,040\,350\,515\,945\,304\,195\,194\,995\,763\,952\,558\,129\,075\,464\,569\,821\,311\,559\ \\ 418\,070\,102\,020\,938\,264\,947\,458\,048\ \alpha^{32}\ +$

$574\,063\,011\,238\,831\,196\,492\,659\,182\,751\,518\,660\,475\,545\,511\,216\,257\,300\,489\,042\,438\,269\,137\,279\,351\ \\ 739\,002\,490\,308\,510\,564\,296\,425\,472\ \alpha^{33}\ +$

$185\,046\,919\,378\,589\,814\,873\,995\,152\,812\,582\,710\,033\,428\,052\,375\,581\,583\,999\,068\,546\,699\,302\,462\,058\ \\ 677\,998\,865\,007\,248\,196\,176\,445\,440\ \alpha^{34}\ +$

$56\,277\,570\,010\,335\,302\,445\,288\,728\,632\,798\,168\,753\,425\,872\,577\,447\,740\,880\,656\,092\,812\,031\,850\,263\ \\ 432\,288\,806\,952\,728\,612\,160\,143\,360\ \alpha^{35}\ +$

$16\,149\,737\,800\,597\,301\,210\,951\,843\,927\,930\,963\,077\,029\,537\,633\,723\,672\,018\,126\,326\,761\,042\,798\,186\ \\ 024\,023\,170\,773\,588\,466\,955\,452\,416\ \alpha^{36}\ +$

$4\,373\,008\,256\,323\,465\,104\,683\,006\,021\,937\,072\,582\,882\,928\,226\,525\,171\,885\,869\,418\,070\,663\,187\,139\,235\ \\ 381\,551\,053\,721\,892\,793\,876\,480\ \alpha^{37}\ +$

$1\,117\,250\,012\,091\,946\,531\,736\,526\,641\,120\,383\,572\,937\,964\,257\,933\,165\,954\,162\,460\,156\,334\,612\,754\,103\ \\ 529\,030\,543\,911\,691\,661\,344\,768\ \alpha^{38}\ +$

$269\,282\,700\,507\,978\,541\,073\,732\,296\,699\,379\,514\,879\,889\,253\,822\,013\,822\,932\,385\,548\,952\,624\,015\,539\ \\ 829\,771\,428\,647\,895\,327\,309\,824\ \alpha^{39}\ +$

$61\,213\,726\,677\,749\,058\,611\,295\,830\,404\,177\,528\,348\,067\,452\,848\,381\,120\,781\,874\,973\,351\,630\,007\,415\ \\ 510\,012\,833\,528\,773\,349\,474\,304\ \alpha^{40}\ +$

$13\,119\,768\,047\,117\,143\,578\,505\,723\,961\,275\,971\,238\,107\,307\,744\,061\,492\,069\,111\,955\,022\,064\,264\,451\ \\ 173\,131\,725\,886\,908\,004\,302\,848\ \alpha^{41}\ +$

$2\,650\,050\,256\,425\,091\,451\,373\,456\,959\,910\,061\,880\,154\,140\,683\,189\,950\,451\,237\,494\,655\,625\,703\,642\,670\ \\ 280\,567\,585\,052\,764\,930\,048\ \alpha^{42}\ +$

$504\,200\,619\,134\,172\,994\,849\,940\,723\,815\,845\,887\,555\,025\,268\,886\,037\,261\,419\,931\,095\,563\,708\,306\,942\ \\ 628\,154\,023\,039\,220\,056\,064\ \alpha^{43}\ +$

$90\,302\,402\,983\,908\,373\,448\,861\,892\,875\,898\,517\,480\,604\,283\,143\,807\,142\,135\,357\,422\,976\,268\,608\,628\ \\ 888\,990\,401\,505\,437\,679\,616\ \alpha^{44}\ +$

$15\,213\,144\,597\,821\,228\,583\,516\,710\,873\,258\,758\,347\,873\,063\,750\,891\,152\,141\,876\,895\,066\,461\,822\,239\ \\ 554\,889\,079\,609\,213\,583\,360\ \alpha^{45}\ +$

$2\,408\,727\,591\,103\,668\,427\,662\,117\,908\,743\,187\,247\,788\,171\,385\,314\,714\,699\,749\,002\,785\,950\,566\,937\,364\ \\ 787\,915\,774\,838\,702\,080\ \alpha^{46}\ +$

$358\,075\,434\,115\,446\,239\,779\,916\,224\,422\,445\,498\,893\,647\,625\,966\,361\,919\,104\,245\,636\,228\,984\,649\,833\ \\ 769\,399\,343\,906\,816\,000\ \alpha^{47}\ +$

$49\,921\,472\,483\,486\,434\,633\,200\,449\,595\,887\,201\,188\,436\,712\,694\,752\,987\,103\,408\,506\,999\,157\,736\,310\ \\ 457\,878\,731\,074\,568\,192\ \alpha^{48}\ +$

$6\,518\,785\,759\,292\,981\,993\,430\,359\,762\,014\,035\,799\,469\,144\,000\,500\,641\,541\,451\,193\,493\,179\,814\,511\,057\ \\ 343\,106\,473\,000\,960\ \alpha^{49}\ +$

$796\,119\,192\,931\,619\,685\,670\,522\,121\,842\,069\,400\,173\,572\,360\,436\,007\,823\,936\,514\,754\,336\,960\,012\,232\ \\ 928\,747\,409\,375\,232\ \alpha^{50}\ +$

$90\,782\,762\,255\,562\,677\,409\,556\,250\,804\,203\,944\,493\,240\,777\,228\,588\,112\,581\,352\,297\,282\,695\,318\,239\,270\,704\,643\,047\,424\,\alpha^{51}+$

$9\,647\,836\,104\,319\,241\,537\,754\,866\,847\,375\,048\,217\,264\,747\,481\,564\,400\,258\,992\,889\,271\,707\,730\,271\,003\,656\,423\,735\,296\,\alpha^{52}+$

$953\,536\,518\,591\,124\,465\,938\,620\,876\,943\,082\,007\,286\,052\,109\,942\,778\,411\,266\,422\,911\,339\,371\,774\,850\,599\,164\,575\,744\,\alpha^{53}+$

$87\,434\,248\,827\,975\,079\,739\,840\,306\,651\,935\,199\,582\,489\,894\,582\,000\,074\,299\,984\,073\,803\,649\,903\,733\,171\,090\,882\,560\,\alpha^{54}+$

$7\,417\,799\,068\,476\,261\,709\,962\,444\,292\,809\,864\,578\,932\,224\,431\,758\,259\,450\,079\,821\,207\,641\,237\,934\,897\,920\,737\,280\,\alpha^{55}+$

$580\,446\,012\,217\,255\,879\,597\,006\,431\,073\,760\,900\,598\,375\,627\,948\,606\,719\,863\,037\,810\,435\,457\,528\,400\,825\,024\,512\,\alpha^{56}+$

$41\,743\,256\,884\,385\,906\,842\,627\,706\,149\,152\,279\,970\,214\,737\,600\,728\,204\,691\,089\,883\,697\,048\,313\,916\,083\,404\,800\,\alpha^{57}+$

$2\,747\,599\,198\,636\,543\,160\,739\,654\,520\,983\,678\,561\,302\,815\,207\,513\,291\,036\,628\,121\,816\,195\,424\,533\,365\,129\,216\,\alpha^{58}+$

$164\,731\,320\,650\,960\,375\,060\,541\,336\,087\,282\,595\,203\,771\,838\,619\,991\,463\,966\,697\,541\,789\,417\,373\,819\,731\,968\,\alpha^{59}+$

$8\,945\,559\,957\,321\,783\,354\,460\,669\,729\,147\,659\,307\,012\,364\,041\,939\,331\,445\,091\,656\,333\,058\,467\,417\,817\,088\,\alpha^{60}+$

$437\,065\,967\,030\,143\,161\,494\,982\,879\,342\,404\,040\,984\,452\,177\,822\,618\,065\,515\,100\,566\,641\,092\,608\,393\,216\,\alpha^{61}+$

$19\,059\,540\,949\,284\,547\,379\,278\,178\,546\,128\,060\,725\,803\,233\,038\,388\,841\,723\,381\,305\,179\,653\,260\,967\,936\,\alpha^{62}+$

$734\,610\,689\,116\,589\,871\,244\,929\,241\,596\,946\,013\,807\,713\,810\,572\,780\,318\,362\,420\,998\,695\,863\,451\,648\,\alpha^{63}+$

$24\,722\,985\,698\,769\,881\,280\,347\,388\,744\,327\,591\,453\,291\,320\,982\,422\,118\,024\,693\,772\,717\,456\,883\,712\,\alpha^{64}+$

$715\,344\,261\,315\,828\,460\,920\,105\,845\,372\,908\,711\,702\,503\,142\,366\,154\,770\,196\,101\,154\,314\,649\,600\,\alpha^{65}+$

$17\,436\,233\,838\,827\,976\,332\,862\,949\,701\,741\,497\,419\,836\,939\,895\,300\,719\,616\,943\,087\,408\,906\,240\,\alpha^{66}+$

$348\,163\,946\,928\,989\,118\,554\,509\,126\,532\,736\,300\,041\,098\,460\,353\,480\,064\,542\,173\,523\,083\,264\,\alpha^{67}+$

$5\,468\,663\,612\,695\,899\,560\,318\,894\,188\,157\,228\,103\,643\,699\,583\,009\,995\,672\,959\,578\,013\,696\,\alpha^{68}+$

$63\,359\,952\,340\,273\,894\,108\,839\,181\,649\,301\,155\,120\,611\,101\,466\,753\,907\,144\,471\,347\,200\,\alpha^{69}+$

$481\,424\,330\,825\,032\,281\,679\,658\,956\,017\,213\,406\,645\,650\,651\,185\,150\,191\,416\,115\,200\,\alpha^{70}+$

$1\,799\,596\,991\,269\,061\,329\,287\,824\,680\,392\,760\,881\,927\,537\,311\,686\,029\,685\,555\,200\,\alpha^{71}\big)\,S_\alpha^3+$

$\big(-89\,916\,612\,238\,979\,537\,842\,097\,908\,129\,376\,325\,531\,105\,758\,675\,411\,717\,578\,117\,967\,681\,721\,954\,394\,664\,180\,947\,039\,027\,200\,000\,000\,000-$

$2\,046\,693\,180\,192\,141\,842\,995\,255\,870\,676\,156\,274\,522\,225\,542\,881\,288\,012\,403\,272\,440\,252\,880\,830\,751\,141\,801\,098\,579\,825\,131\,520\,000\,000\,\alpha-$

$22\,890\,785\,956\,610\,213\,196\,713\,140\,909\,196\,329\,397\,101\,978\,690\,268\,493\,988\,242\,273\,525\,533\,106\,675\,784\,900\,270\,267\,608\,776\,835\,072\,000\,000\,\alpha^2-$

$167\,697\,231\,398\,509\,632\,372\,957\,480\,036\,426\,101\,328\,716\,567\,745\,583\,831\,087\,298\,866\,175\,867\,558\,286\,580\,083\,092\,743\,859\,068\,521\,676\,800\,000\,\alpha^3-$

$905\,151\,827\,547\,869\,451\,844\,008\,580\,380\,120\,763\,849\,014\,045\,139\,970\,370\,336\,491\,116\,182\,603\,428\,617\,226\,873\,406\,051\,150\,627\,896\,033\,280\,000\,\alpha^4-$

$3\,838\,785\,103\,138\,818\,131\,423\,801\,671\,609\,502\,359\,096\,124\,003\,852\,002\,935\,027\,951\,180\,824\,690\,346\,019\,035\,857\,503\,866\,571\,138\,214\,658\,048\,000\,\alpha^5-$

$13\,322\,524\,929\,061\,391\,871\,624\,986\,090\,564\,732\,729\,748\,989\,232\,081\,742\,546\,725\,603\,885\,187\,716\,008\,625\,726\,091\,445\,187\,175\,153\,830\,513\,868\,800\,\alpha^6-$

$38\,908\,615\,806\,946\,130\,646\,653\,607\,123\,947\,230\,354\,595\,707\,121\,112\,789\,276\,126\,087\,626\,438\,391\,801\,476\,855\,146\,850\,519\,328\,646\,208\,862\,289\,920\,\alpha^7-$

97 596 621 313 130 514 882 245 873 836 278 496 969 377 012 243 121 393 544 740 148 319 765 518 759
498 838 960 303 624 708 411 329 863 483 392 α^8 −

213 549 224 734 239 309 572 926 147 829 389 004 655 137 006 716 434 055 362 209 186 016 831 535 555
724 468 063 134 515 526 379 455 729 631 232 α^9 −

412 602 575 093 277 318 467 677 869 071 176 523 033 187 326 626 374 629 394 567 021 420 448 212 654
335 661 672 162 166 092 286 585 133 334 528 α^{10} −

710 884 668 014 682 193 374 250 440 876 720 940 267 934 709 181 684 586 711 418 876 761 259 184 722
439 692 793 926 412 779 455 221 604 548 608 α^{11} −

1 101 026 119 129 276 393 764 620 801 443 962 836 792 366 584 749 700 340 437 797 166 429 557 632 338
597 158 005 699 987 620 328 858 135 298 048 α^{12} −

1 543 275 930 679 359 847 268 806 505 347 946 208 859 158 264 307 263 734 302 609 749 107 505 153 159
204 383 246 731 100 215 646 928 406 315 008 α^{13} −

1 968 792 470 693 059 772 503 009 179 708 752 379 558 410 807 272 519 163 712 358 540 360 590 413 571
120 784 083 302 030 245 834 803 457 818 624 α^{14} −

2 297 043 059 584 344 654 195 680 259 598 272 515 109 348 890 282 327 446 665 002 093 982 090 661 745
490 226 625 907 736 894 181 304 761 843 712 α^{15} −

2 461 285 112 043 715 999 668 272 996 773 220 930 076 094 310 629 826 576 598 801 156 114 225 776 640
611 138 551 402 357 879 101 239 580 426 240 α^{16} −

2 430 800 762 628 674 065 787 562 872 492 228 116 434 531 516 912 149 981 677 447 081 441 673 969 840
947 982 742 905 796 421 423 155 759 808 512 α^{17} −

2 219 743 746 050 282 216 604 515 010 051 528 946 962 287 747 637 426 209 055 093 571 602 153 846 165
290 572 561 054 716 590 678 180 647 403 520 α^{18} −

1 879 426 516 414 375 292 764 438 267 372 528 705 695 449 757 346 167 445 392 691 221 246 702 863 182
929 740 276 677 589 271 185 151 466 930 176 α^{19} −

1 479 027 557 649 311 043 124 319 639 258 826 856 342 687 288 524 919 345 308 076 172 191 598 097 255
630 490 345 431 051 645 864 851 477 102 592 α^{20} −

1 084 154 554 249 403 709 445 683 720 814 031 926 331 539 923 033 298 224 672 706 788 021 532 086 273
768 112 346 765 779 523 416 580 186 701 824 α^{21} −

741 648 390 222 958 023 354 137 923 957 151 067 437 252 024 567 287 774 084 438 467 393 085 002 517
370 810 766 566 168 637 812 068 906 434 560 α^{22} −

474 274 936 778 362 012 364 938 051 939 845 805 301 289 064 915 628 536 485 523 087 898 552 128 369
229 549 393 704 741 653 424 452 227 039 232 α^{23} −

283 946 866 454 843 121 791 150 389 349 025 410 324 912 142 055 307 997 554 730 043 417 963 137 327
434 374 227 529 585 291 601 906 703 007 744 α^{24} −

159 365 177 557 932 951 422 562 690 233 702 476 042 269 285 929 672 855 580 698 668 256 574 404 488
062 188 685 403 084 948 096 379 086 962 688 α^{25} −

83 947 238 920 103 114 017 012 958 092 743 642 049 205 291 909 389 607 582 267 884 013 713 698 156
759 216 800 489 225 987 043 526 141 018 112 α^{26} −

41 545 303 342 020 014 005 613 904 184 187 901 008 049 976 119 912 162 507 234 099 225 388 548 121
504 459 516 244 688 619 313 513 466 167 296 α^{27} −

19 334 357 263 464 109 910 749 278 139 404 552 171 914 101 009 409 203 584 665 258 115 108 460 004
989 815 472 439 211 618 149 107 524 173 824 α^{28} −

8 467 744 302 913 977 684 532 019 406 993 282 096 315 407 076 560 832 472 513 292 588 778 351 973 132
987 925 652 368 911 701 582 058 356 736 α^{29} −

3 492 412 538 378 534 376 819 901 557 500 582 564 453 273 480 554 044 600 433 306 482 893 789 496 625
481 116 729 385 630 115 937 013 202 944 α^{30} −

1 357 211 141 158 913 686 390 231 581 229 423 673 202 721 857 148 131 537 414 044 115 469 005 071 925
615 691 783 698 693 465 125 456 707 584 α^{31} −

497 204 071 480 710 150 096 768 982 440 021 448 176 424 936 269 008 522 938 887 053 892 664 522 564
549 315 714 174 347 864 767 299 846 144 α^{32} −

171 770 104 952 404 411 200 445 197 615 025 044 818 690 891 241 807 319 813 640 624 328 717 060 981

932 002 763 926 883 838 585 968 001 024 α^{33} −

55 976 639 134 502 185 162 010 355 879 851 195 468 457 820 862 298 456 884 883 175 973 602 635 363 ⁚
139 384 965 036 260 860 516 884 283 392 α^{34} −

17 210 543 583 519 565 161 126 079 313 989 297 880 280 922 881 597 443 727 570 903 414 343 438 878 ⁚
678 912 638 073 137 053 664 601 440 256 α^{35} −

4 992 927 854 189 447 203 602 770 742 348 902 213 096 025 467 322 535 657 568 519 046 801 145 632 823 ⁚
796 807 216 293 963 725 935 738 880 α^{36} −

1 366 771 445 136 380 638 427 839 910 681 561 892 389 920 882 186 125 554 762 006 005 008 748 605 354 ⁚
180 353 787 819 090 795 640 651 776 α^{37} −

353 009 129 089 552 484 734 518 920 775 255 759 810 949 038 082 111 402 416 167 893 581 015 479 062 ⁚
627 039 345 943 773 816 836 587 520 α^{38} −

86 011 626 371 854 649 868 724 498 615 893 873 036 331 552 671 580 275 736 957 452 308 704 635 212 ⁚
515 649 026 067 076 633 914 769 408 α^{39} −

19 765 273 721 968 477 786 098 169 687 922 747 628 940 699 133 760 749 102 813 216 957 841 612 276 ⁚
175 419 128 085 388 668 925 116 416 α^{40} −

4 282 295 863 642 263 359 523 536 041 564 333 442 595 919 725 019 544 594 756 468 157 755 049 017 241 ⁚
110 674 455 876 313 118 932 992 α^{41} −

874 362 162 227 414 970 450 171 903 684 417 572 902 137 447 071 694 937 930 434 938 919 500 860 300 ⁚
851 731 893 635 904 857 702 400 α^{42} −

168 157 656 884 014 178 126 269 856 033 061 999 894 588 464 084 452 430 950 073 353 569 894 860 304 ⁚
630 729 318 882 382 641 627 136 α^{43} −

30 442 266 447 559 791 303 022 527 062 419 269 825 750 925 714 425 775 121 079 266 202 680 642 316 ⁚
121 501 843 819 737 626 181 632 α^{44} −

5 183 803 715 076 498 084 116 103 731 681 915 276 717 901 768 800 831 257 456 257 747 055 481 235 363 ⁚
025 880 987 804 310 175 744 α^{45} −

829 575 124 520 736 174 213 837 439 246 251 853 590 380 038 686 508 925 169 676 911 400 509 850 288 ⁚
824 621 459 016 888 877 056 α^{46} −

124 642 680 150 398 984 049 280 106 027 215 703 256 766 367 272 764 519 723 822 584 142 909 182 877 ⁚
355 066 112 738 546 679 808 α^{47} −

17 562 597 944 432 530 044 228 431 257 572 073 118 019 216 572 359 216 573 070 272 762 175 669 773 ⁚
791 188 255 124 179 910 656 α^{48} −

2 317 721 697 379 175 541 166 365 900 549 051 276 395 794 926 192 446 477 164 329 752 998 125 801 708 ⁚
320 273 277 892 165 632 α^{49} −

286 054 752 045 596 434 996 225 805 374 459 309 337 532 550 680 656 832 690 707 217 835 604 145 608 ⁚
681 644 022 592 176 128 α^{50} −

32 963 511 742 594 906 627 117 821 988 259 525 423 386 023 417 967 463 745 493 227 793 961 808 767 ⁚
127 546 071 988 830 208 α^{51} −

3 539 979 615 459 460 775 669 924 413 790 608 837 317 710 451 260 407 693 565 930 342 553 207 310 223 ⁚
344 789 364 932 608 α^{52} −

353 533 002 074 238 107 485 679 831 206 999 094 486 121 636 260 495 251 632 569 886 431 074 145 744 ⁚
956 127 201 722 368 α^{53} −

32 754 902 356 312 334 616 244 143 115 445 435 220 383 775 600 369 458 230 372 473 510 869 190 182 ⁚
061 037 987 037 184 α^{54} −

2 807 705 164 300 135 377 681 003 921 834 642 517 554 550 991 224 048 660 342 815 728 532 813 162 752 ⁚
875 778 015 232 α^{55} −

221 972 370 050 072 370 974 408 818 206 201 634 664 313 650 263 653 879 644 048 037 434 385 585 396 ⁚
118 538 158 080 α^{56} −

16 127 325 759 243 892 477 342 389 403 287 721 141 472 724 991 433 790 738 867 594 216 047 404 909 ⁚
118 317 658 112 α^{57} −

1 072 373 335 011 700 197 276 413 466 237 208 464 830 196 056 891 840 202 239 799 903 749 815 961 384 ⁚
659 189 760 α^{58} −

64 947 501 428 776 982 587 529 592 343 850 035 072 214 387 483 057 435 707 500 072 359 214 907 389 080 764 416 α^{59} −

3 562 574 003 164 039 216 934 005 932 312 800 667 108 221 177 503 705 541 073 866 973 098 945 086 794 760 192 α^{60} −

175 812 330 617 496 371 796 956 243 868 828 871 344 848 504 404 444 298 879 940 200 894 959 270 110 429 184 α^{61} −

7 743 478 257 366 235 921 383 624 050 842 172 998 855 821 605 672 939 329 126 988 307 816 103 584 727 040 α^{62} −

301 423 420 576 976 621 411 161 857 574 837 688 592 798 457 767 454 098 394 133 282 514 661 940 396 032 α^{63} −

10 244 506 841 039 755 837 782 777 714 543 447 781 245 270 998 018 445 411 265 815 018 975 394 791 424 α^{64} −

299 329 428 801 384 738 696 145 364 096 674 996 679 606 593 983 651 606 141 680 087 276 367 904 768 α^{65} −

7 367 234 646 551 830 682 394 633 108 823 416 843 152 449 466 224 219 815 982 004 085 123 448 832 α^{66} −

148 534 033 917 753 828 808 591 132 120 729 277 686 805 241 105 303 428 214 539 375 792 357 376 α^{67} −

2 355 516 642 721 205 245 733 304 360 201 075 191 629 284 176 988 341 117 993 976 623 792 128 α^{68} −

27 552 093 717 335 486 156 074 554 935 235 606 914 308 723 449 674 265 603 923 666 534 400 α^{69} −

211 336 353 369 003 648 172 112 721 697 711 992 217 883 055 178 928 129 383 700 889 600 α^{70} −

797 441 937 110 990 115 062 213 625 434 396 035 590 691 401 524 154 386 192 793 600 $\alpha^{71}\Big)$ S$_\alpha^2$ +

$\Big($4 468 375 606 182 935 300 523 869 051 052 901 772 085 843 662 683 730 376 876 664 281 570 851 403 490 219 479 135 262 290 739 200 000 000 +

103 573 269 790 767 250 008 230 792 320 801 835 860 093 981 891 265 602 610 745 369 485 426 247 890 726 735 135 331 769 437 388 800 000 000 α +

1 179 596 533 329 213 832 037 767 121 648 351 256 754 376 020 234 822 361 124 753 826 866 927 813 193 887 120 219 924 669 111 730 176 000 000 α^2 +

8 799 663 054 985 121 823 231 167 007 348 984 071 490 294 719 527 492 805 252 080 751 710 454 124 505 049 722 921 783 015 558 348 800 000 000 α^3 +

48 363 248 509 835 713 813 013 025 344 180 043 345 846 508 185 287 209 352 213 761 230 688 744 545 068 149 187 425 761 735 114 070 425 600 000 α^4 +

208 845 586 204 425 335 555 798 182 449 883 509 942 506 868 960 398 127 724 546 251 200 682 262 460 171 523 246 807 572 881 809 793 351 680 000 α^5 +

737 965 843 262 148 507 714 070 029 874 203 194 618 529 028 906 536 570 409 471 764 232 298 857 025 516 953 742 175 108 493 764 347 717 222 400 α^6 +

2 194 278 373 178 619 223 331 056 595 265 342 942 379 831 410 870 813 657 967 847 180 507 854 816 758 648 482 293 127 840 810 832 724 859 289 600 α^7 +

5 603 408 637 237 925 504 063 854 770 125 649 419 081 209 587 806 017 707 386 520 407 299 465 121 951 651 401 030 836 276 994 354 531 111 272 448 α^8 +

12 481 301 234 156 442 655 056 858 400 305 899 091 690 002 460 712 939 282 945 424 850 646 353 116 616 089 631 954 014 653 576 062 631 503 986 688 α^9 +

24 547 567 609 658 176 283 756 101 591 989 993 978 970 082 478 335 210 929 760 852 367 381 423 493 231 834 019 801 573 412 893 717 556 117 897 216 α^{10} +

43 048 524 839 581 648 316 208 130 467 663 226 471 527 467 345 910 155 671 860 598 285 720 906 678 382 606 663 236 018 653 449 429 372 620 505 088 α^{11} +

67 858 614 006 675 961 865 009 120 756 342 804 113 606 690 058 319 196 887 833 856 583 273 784 885 926 904 762 655 617 891 111 612 655 178 088 448 α^{12} +

96 797 162 709 417 223 091 244 784 868 716 749 537 526 610 825 524 112 720 037 148 354 779 053 542 592 875 153 914 721 187 766 197 020 709 093 376 α^{13} +

125 658 538 190 247 725 464 006 374 254 014 895 801 167 769 460 176 290 401 815 332 512 045 776 667 539 405 032 009 556 968 664 193 708 368 855 040 α^{14} +

149 174 138 733 554 669 706 500 211 795 639 807 937 655 415 841 853 011 637 672 560 113 649 360 531

$695\,029\,067\,469\,509\,389\,195\,719\,460\,989\,698\,048\ \alpha^{15}\ +$

$162\,620\,787\,553\,726\,991\,628\,076\,265\,644\,508\,484\,970\,095\,236\,326\,105\,544\,986\,062\,384\,100\,205\,964\,690\,$
$670\,203\,890\,618\,836\,117\,932\,118\,393\,460\,097\,024\ \alpha^{16}\ +$

$163\,383\,722\,165\,286\,313\,884\,532\,672\,643\,738\,190\,120\,364\,691\,199\,766\,238\,674\,912\,864\,919\,470\,514\,115\,$
$071\,968\,542\,654\,757\,858\,191\,631\,487\,927\,844\,864\ \alpha^{17}\ +$

$151\,761\,409\,577\,155\,020\,017\,257\,347\,060\,850\,503\,037\,756\,979\,763\,259\,598\,357\,491\,205\,309\,049\,486\,122\,$
$489\,304\,698\,909\,009\,609\,691\,852\,323\,218\,784\,256\ \alpha^{18}\ +$

$130\,687\,811\,473\,127\,121\,293\,234\,601\,839\,587\,224\,031\,594\,763\,462\,627\,305\,549\,178\,172\,995\,319\,846\,840\,$
$045\,398\,618\,550\,877\,272\,294\,326\,006\,433\,447\,936\ \alpha^{19}\ +$

$104\,589\,426\,222\,824\,212\,520\,672\,003\,951\,167\,708\,199\,731\,631\,344\,658\,879\,882\,976\,979\,890\,443\,219\,150\,$
$695\,324\,725\,072\,026\,423\,682\,129\,332\,281\,540\,608\ \alpha^{20}\ +$

$77\,956\,718\,257\,610\,779\,709\,313\,619\,635\,802\,014\,697\,334\,519\,431\,302\,595\,667\,747\,799\,633\,411\,421\,510\,$
$338\,885\,002\,939\,832\,597\,292\,229\,980\,707\,618\,816\ \alpha^{21}\ +$

$54\,219\,921\,318\,623\,322\,027\,345\,901\,268\,739\,920\,490\,807\,960\,155\,421\,176\,777\,913\,580\,757\,916\,816\,688\,$
$942\,319\,824\,351\,712\,229\,386\,657\,659\,959\,115\,776\ \alpha^{22}\ +$

$35\,248\,105\,278\,365\,730\,563\,690\,830\,997\,595\,963\,100\,903\,776\,276\,227\,422\,003\,664\,224\,267\,675\,184\,527\,$
$684\,380\,584\,945\,469\,445\,764\,977\,542\,519\,848\,960\ \alpha^{23}\ +$

$21\,450\,257\,222\,409\,812\,171\,936\,921\,327\,700\,238\,661\,529\,326\,977\,157\,135\,980\,309\,107\,699\,192\,883\,997\,$
$824\,997\,774\,741\,983\,998\,158\,518\,738\,369\,904\,640\ \alpha^{24}\ +$

$12\,235\,523\,059\,642\,439\,442\,389\,342\,547\,274\,529\,507\,775\,330\,743\,116\,637\,260\,900\,350\,096\,220\,784\,488\,$
$434\,329\,139\,692\,283\,602\,566\,214\,273\,923\,547\,136\ \alpha^{25}\ +$

$6\,549\,557\,605\,376\,442\,753\,835\,306\,387\,290\,204\,507\,965\,824\,525\,587\,797\,752\,936\,317\,255\,681\,071\,102\,424\,$
$230\,704\,611\,394\,312\,136\,915\,554\,142\,257\,152\ \alpha^{26}\ +$

$3\,293\,408\,843\,424\,226\,530\,867\,540\,135\,868\,477\,734\,638\,957\,360\,625\,553\,835\,340\,677\,453\,331\,209\,170\,562\,$
$882\,412\,969\,163\,237\,243\,467\,131\,768\,537\,088\ \alpha^{27}\ +$

$1\,557\,085\,195\,543\,455\,385\,994\,674\,510\,529\,557\,482\,141\,259\,833\,139\,784\,780\,801\,395\,942\,671\,580\,976\,388\,$
$883\,389\,956\,678\,833\,317\,873\,536\,924\,123\,136\ \alpha^{28}\ +$

$692\,706\,338\,642\,891\,588\,226\,156\,293\,156\,593\,390\,620\,343\,563\,712\,618\,398\,818\,371\,560\,326\,490\,025\,673\,$
$967\,704\,290\,003\,272\,226\,042\,464\,083\,902\,464\ \alpha^{29}\ +$

$290\,164\,846\,546\,335\,017\,300\,747\,495\,288\,487\,155\,401\,028\,873\,308\,630\,056\,580\,320\,799\,171\,352\,763\,708\,$
$091\,751\,020\,469\,990\,717\,974\,375\,141\,736\,448\ \alpha^{30}\ +$

$114\,509\,834\,393\,215\,213\,488\,212\,206\,551\,587\,388\,135\,045\,123\,830\,719\,954\,396\,292\,687\,437\,644\,749\,277\,$
$986\,801\,001\,234\,548\,272\,286\,582\,024\,699\,904\ \alpha^{31}\ +$

$42\,593\,540\,806\,579\,690\,220\,802\,290\,269\,859\,889\,023\,152\,112\,166\,912\,479\,954\,625\,851\,601\,075\,540\,557\,$
$966\,465\,050\,179\,368\,591\,818\,088\,024\,899\,584\ \alpha^{32}\ +$

$14\,938\,510\,519\,338\,534\,640\,652\,534\,373\,811\,990\,867\,126\,173\,638\,989\,353\,510\,797\,261\,882\,023\,595\,322\,$
$176\,734\,278\,440\,351\,914\,344\,630\,460\,612\,608\ \alpha^{33}\ +$

$4\,941\,440\,375\,676\,828\,145\,706\,281\,368\,378\,732\,941\,641\,716\,044\,297\,295\,058\,295\,557\,314\,955\,923\,884\,733\,$
$627\,846\,057\,260\,120\,160\,763\,474\,083\,840\ \alpha^{34}\ +$

$1\,541\,928\,406\,794\,967\,215\,626\,096\,731\,346\,965\,332\,458\,033\,606\,193\,936\,073\,453\,261\,251\,550\,723\,847\,579\,$
$924\,039\,094\,121\,223\,832\,325\,790\,367\,744\ \alpha^{35}\ +$

$453\,924\,049\,422\,488\,284\,781\,071\,861\,564\,917\,584\,271\,126\,028\,053\,403\,104\,926\,638\,027\,038\,180\,861\,412\,$
$729\,018\,242\,260\,871\,172\,159\,231\,229\,952\ \alpha^{36}\ +$

$126\,071\,543\,510\,795\,705\,621\,793\,074\,238\,103\,000\,367\,832\,056\,972\,178\,021\,371\,376\,145\,675\,685\,147\,180\,$
$527\,796\,702\,051\,476\,115\,575\,812\,390\,912\ \alpha^{37}\ +$

$33\,032\,011\,228\,596\,190\,795\,414\,661\,011\,410\,140\,717\,869\,174\,934\,164\,267\,772\,533\,270\,847\,725\,322\,000\,$
$862\,571\,219\,371\,738\,566\,010\,788\,118\,528\ \alpha^{38}\ +$

$8\,163\,351\,193\,340\,286\,203\,480\,857\,222\,050\,313\,255\,710\,318\,283\,918\,030\,871\,163\,615\,019\,951\,155\,869\,016\,$
$693\,308\,722\,228\,061\,824\,874\,446\,848\ \alpha^{39}\ +$

$1\,902\,437\,819\,759\,508\,536\,003\,971\,328\,220\,906\,503\,470\,867\,194\,281\,428\,801\,068\,559\,033\,041\,173\,278\,680\,$
$377\,815\,806\,171\,773\,958\,780\,616\,704\ \alpha^{40}\ +$

417 940 533 165 180 219 882 251 925 213 870 416 180 441 529 863 712 636 772 024 664 769 283 966 408
235 608 648 307 338 855 367 835 648 α^{41} +

86 515 329 848 764 718 803 034 071 834 708 670 314 142 026 744 537 107 907 684 360 155 777 998 088
359 299 319 726 230 296 474 943 488 α^{42} +

16 866 145 132 231 349 203 823 865 902 189 631 124 901 127 325 905 268 001 797 713 061 832 571 334
956 346 598 560 967 256 598 118 400 α^{43} +

3 094 618 708 323 661 629 477 115 566 212 479 275 667 316 109 324 783 646 299 617 676 917 063 176 459
685 703 164 242 898 253 250 560 α^{44} +

534 002 335 004 874 222 656 146 743 229 939 935 003 983 682 270 028 157 793 218 240 143 779 298 610
950 605 328 140 031 815 057 408 α^{45} +

86 586 111 512 753 287 656 807 298 226 788 340 792 316 583 227 310 072 066 621 674 029 747 228 349
324 782 114 124 131 746 185 216 α^{46} +

13 179 250 185 604 147 119 564 051 638 893 156 404 252 785 344 279 097 158 824 191 482 671 489 144
060 315 364 450 503 820 836 864 α^{47} +

1 880 951 775 813 895 305 113 684 206 478 201 632 709 605 571 764 388 962 780 555 524 051 554 291 526
233 220 052 058 420 281 344 α^{48} +

251 390 488 035 875 412 684 182 167 544 279 782 810 738 998 112 785 181 360 848 804 971 503 062 613
400 492 057 132 110 184 448 α^{49} +

31 417 323 527 168 943 586 841 691 959 358 888 110 394 666 539 129 702 511 356 024 692 852 692 604
152 959 107 888 563 879 936 α^{50} +

3 665 387 794 716 408 377 656 292 482 046 848 875 526 177 240 619 484 296 112 862 445 305 880 468 936
599 384 615 821 508 608 α^{51} +

398 462 842 337 699 350 494 270 309 415 298 895 847 372 907 311 683 090 770 825 472 714 860 602 159
546 409 680 443 015 168 α^{52} +

40 276 528 745 120 179 100 354 829 966 080 818 021 111 986 784 151 102 810 558 014 604 914 176 350
114 797 811 732 054 016 α^{53} +

3 776 313 403 839 486 487 395 004 564 220 434 979 300 530 572 673 026 400 685 847 983 159 666 462 407
443 554 941 009 920 α^{54} +

327 527 513 149 887 370 119 392 559 002 822 979 995 682 763 097 761 836 504 694 359 248 207 473 487
096 819 019 153 408 α^{55} +

26 196 000 314 601 809 738 006 317 528 137 520 991 060 667 235 973 755 946 365 606 063 476 517 775
531 713 153 204 224 α^{56} +

1 925 190 643 130 626 768 898 366 804 828 721 734 640 776 746 768 425 619 671 273 033 187 208 121 525
916 951 117 824 α^{57} +

129 469 831 404 446 136 389 483 840 873 684 564 729 622 415 057 703 903 458 941 192 889 417 653 776
572 603 170 816 α^{58} +

7 929 256 256 585 648 177 028 869 732 043 014 995 677 363 180 069 639 754 455 199 942 272 614 498 176
509 935 616 α^{59} +

439 762 250 720 629 933 345 306 447 479 715 801 339 446 292 196 444 905 956 938 501 966 739 222 571
555 749 888 α^{60} +

21 939 384 800 194 062 729 564 022 515 578 368 406 494 655 634 532 959 892 333 441 641 333 935 480
279 924 736 α^{61} +

976 719 119 729 736 382 346 389 906 268 071 933 754 543 815 848 054 305 150 742 928 437 948 090 087
899 136 α^{62} +

38 424 387 346 687 289 823 251 799 047 812 409 114 005 182 179 324 807 504 028 351 046 188 137 699
082 240 α^{63} +

1 319 640 607 309 279 233 820 775 937 834 999 157 831 795 261 511 671 875 629 985 271 856 190 455 808
000 α^{64} +

38 957 174 523 022 190 943 724 486 842 094 033 036 751 438 035 965 990 559 554 050 964 050 732 384 256
α^{65} +

968 623 922 983 076 820 926 158 315 796 909 008 360 879 337 981 330 420 441 511 819 332 322 066 432

$\alpha^{66} +$

$19\,725\,546\,183\,466\,059\,608\,546\,566\,244\,977\,269\,967\,227\,411\,468\,577\,174\,878\,616\,401\,095\,581\,237\,248$ $\alpha^{67} +$

$315\,923\,421\,166\,603\,790\,161\,598\,727\,295\,160\,359\,375\,529\,368\,421\,396\,508\,749\,588\,684\,731\,318\,272\,\alpha^{68} +$

$3\,731\,500\,946\,797\,016\,077\,119\,898\,661\,686\,027\,019\,785\,513\,849\,563\,570\,215\,219\,473\,730\,764\,800\,\alpha^{69} +$

$28\,898\,659\,111\,438\,329\,418\,592\,192\,229\,728\,879\,929\,918\,061\,710\,669\,235\,100\,104\,156\,774\,400\,\alpha^{70} +$

$110\,082\,641\,333\,279\,807\,322\,029\,981\,964\,819\,894\,978\,260\,761\,567\,068\,714\,074\,269\,286\,400\,\alpha^{71}\Big)\,S_{\alpha} +$

$\Big(-18\,483\,642\,211\,509\,391\,438\,150\,747\,489\,614\,723\,639\,485\,575\,838\,976\,992\,584\,052\,824\,699\,266\,338\,411\,$
$287\,464\,526\,991\,987\,834\,880\,000\,000\,000 -$

$450\,699\,119\,183\,100\,536\,866\,236\,340\,763\,954\,656\,533\,350\,748\,524\,653\,102\,060\,293\,227\,757\,488\,257\,189\,$
$975\,554\,392\,634\,760\,888\,320\,000\,000\,000\,\alpha -$

$5\,392\,816\,229\,834\,717\,814\,677\,572\,800\,621\,750\,128\,602\,809\,053\,559\,023\,457\,045\,722\,670\,485\,702\,477\,515\,$
$964\,132\,969\,940\,292\,888\,166\,400\,000\,000\,\alpha^2 -$

$42\,213\,149\,155\,990\,470\,122\,471\,602\,581\,899\,835\,322\,519\,583\,903\,561\,056\,320\,636\,298\,712\,486\,309\,746\,$
$861\,383\,114\,498\,305\,307\,967\,488\,000\,000\,000\,\alpha^3 -$

$243\,146\,145\,506\,187\,993\,227\,636\,316\,528\,577\,152\,214\,602\,723\,696\,805\,445\,836\,835\,280\,663\,646\,844\,525\,$
$428\,176\,420\,690\,247\,081\,934\,192\,640\,000\,000\,\alpha^4 -$

$1\,099\,086\,670\,799\,511\,578\,203\,921\,023\,472\,877\,101\,197\,166\,053\,727\,444\,549\,409\,581\,873\,630\,286\,276\,073\,$
$404\,820\,301\,575\,585\,119\,518\,851\,072\,000\,000\,\alpha^5 -$

$4\,060\,650\,942\,424\,294\,249\,473\,998\,790\,402\,257\,888\,648\,925\,390\,039\,755\,386\,155\,322\,135\,463\,532\,019\,374\,$
$289\,473\,284\,305\,068\,184\,198\,038\,159\,360\,000\,\alpha^6 -$

$12\,610\,001\,933\,098\,951\,917\,676\,824\,019\,872\,818\,415\,776\,075\,015\,853\,962\,455\,392\,667\,538\,359\,993\,828\,$
$790\,027\,340\,639\,395\,544\,052\,879\,998\,320\,640\,000\,\alpha^7 -$

$33\,594\,173\,024\,943\,982\,878\,495\,347\,776\,298\,683\,235\,274\,172\,811\,753\,917\,565\,125\,228\,171\,161\,889\,566\,$
$860\,166\,461\,330\,507\,000\,832\,885\,844\,554\,547\,200\,\alpha^8 -$

$77\,982\,394\,164\,746\,003\,914\,336\,840\,230\,951\,289\,958\,759\,981\,908\,162\,030\,139\,210\,281\,386\,675\,928\,356\,$
$740\,306\,350\,951\,244\,585\,422\,017\,780\,724\,531\,200\,\alpha^9 -$

$159\,668\,529\,815\,752\,163\,236\,285\,513\,209\,538\,271\,924\,183\,722\,295\,088\,837\,204\,909\,279\,895\,601\,844\,436\,$
$144\,908\,752\,753\,445\,079\,647\,783\,873\,832\,550\,400\,\alpha^{10} -$

$291\,208\,756\,853\,004\,560\,766\,930\,602\,245\,565\,677\,348\,701\,735\,131\,180\,953\,799\,797\,055\,407\,217\,856\,972\,$
$226\,157\,824\,675\,619\,057\,143\,742\,964\,380\,467\,200\,\alpha^{11} -$

$476\,935\,098\,086\,976\,424\,264\,863\,180\,068\,749\,361\,497\,886\,895\,403\,717\,236\,961\,947\,667\,655\,002\,856\,629\,$
$268\,826\,511\,325\,712\,853\,985\,046\,648\,009\,523\,200\,\alpha^{12} -$

$706\,170\,121\,022\,853\,290\,731\,320\,680\,267\,880\,524\,257\,944\,259\,492\,957\,616\,800\,554\,508\,934\,697\,618\,206\,$
$583\,939\,699\,384\,055\,565\,171\,852\,426\,241\,638\,400\,\alpha^{13} -$

$950\,662\,864\,014\,482\,635\,408\,909\,985\,879\,885\,471\,365\,663\,585\,358\,527\,587\,744\,921\,341\,863\,952\,047\,683\,$
$237\,229\,142\,616\,743\,188\,023\,838\,746\,083\,328\,000\,\alpha^{14} -$

$1\,169\,289\,730\,491\,878\,331\,324\,797\,641\,923\,191\,270\,845\,930\,455\,936\,949\,720\,229\,797\,551\,684\,535\,034\,832\,$
$661\,467\,055\,263\,265\,457\,145\,749\,731\,226\,419\,200\,\alpha^{15} -$

$1\,319\,518\,710\,997\,666\,424\,549\,733\,060\,404\,046\,630\,824\,685\,101\,330\,308\,008\,952\,805\,548\,666\,225\,252\,020\,$
$065\,068\,457\,578\,947\,375\,791\,567\,130\,958\,233\,600\,\alpha^{16} -$

$1\,371\,154\,204\,442\,167\,938\,889\,280\,608\,791\,955\,019\,727\,664\,925\,368\,135\,703\,871\,227\,984\,082\,371\,103\,433\,$
$365\,699\,958\,481\,513\,856\,301\,660\,011\,862\,425\,600\,\alpha^{17} -$

$1\,316\,176\,217\,949\,148\,966\,025\,859\,528\,989\,575\,898\,387\,390\,483\,313\,796\,984\,250\,224\,610\,209\,800\,222\,741\,$
$156\,501\,475\,320\,823\,312\,086\,017\,037\,985\,382\,400\,\alpha^{18} -$

$1\,170\,334\,112\,132\,694\,958\,340\,416\,595\,015\,260\,039\,839\,640\,771\,192\,247\,413\,316\,173\,246\,570\,045\,604\,224\,$
$362\,373\,226\,185\,987\,535\,298\,015\,456\,028\,262\,400\,\alpha^{19} -$

$966\,364\,733\,839\,595\,465\,644\,605\,623\,413\,304\,421\,616\,012\,019\,810\,865\,277\,286\,382\,616\,472\,147\,972\,204\,$
$973\,771\,686\,425\,478\,273\,334\,264\,171\,017\,011\,200\,\alpha^{20} -$

$742\,593\,303\,023\,768\,011\,213\,306\,503\,226\,060\,514\,863\,635\,497\,580\,517\,852\,339\,154\,490\,291\,291\,335\,093\,$
$537\,597\,801\,637\,770\,150\,472\,074\,387\,678\,822\,400\,\alpha^{21} -$

532 077 908 805 551 221 045 285 462 308 628 598 198 613 899 597 617 234 945 189 408 495 278 597 168 \
147 441 236 231 681 499 046 695 825 466 982 400 α^{22} −

356 085 610 151 348 374 515 662 480 279 190 020 621 310 501 470 284 043 118 711 798 276 765 507 212 \
366 396 629 974 690 102 746 607 916 154 880 000 α^{23} −

222 918 140 313 841 478 047 960 004 903 947 801 112 279 764 407 862 844 757 595 757 882 503 206 214 \
634 918 550 817 466 306 498 415 990 669 312 000 α^{24} −

130 716 362 537 628 410 663 599 629 629 865 275 229 233 945 632 979 951 451 068 703 126 292 113 278 \
866 500 897 623 024 148 405 581 980 788 326 400 α^{25} −

71 882 338 415 319 433 929 152 027 236 571 799 872 064 956 993 759 826 139 357 487 050 674 829 203 \
524 247 940 838 187 834 457 113 173 478 604 800 α^{26} −

37 108 623 256 921 256 052 895 366 365 060 063 318 258 044 244 708 653 175 640 496 659 516 907 838 \
559 057 147 418 146 911 557 499 665 724 211 200 α^{27} −

18 000 489 086 579 598 037 472 798 470 889 046 555 403 159 169 593 333 662 793 938 245 137 739 841 \
768 829 841 816 443 889 738 703 102 699 110 400 α^{28} −

8 210 980 261 622 889 175 124 776 834 495 030 373 685 918 715 586 506 061 979 044 960 429 586 339 387 \
058 373 903 544 147 840 731 723 700 633 600 α^{29} −

3 524 544 074 330 651 272 117 473 668 201 354 932 551 101 424 009 895 225 406 824 737 771 756 042 963 \
290 035 358 467 495 557 264 846 304 051 200 α^{30} −

1 424 487 452 427 103 445 756 585 983 910 581 406 564 799 288 672 377 816 256 765 137 814 462 279 767 \
400 664 928 386 179 021 728 810 375 577 600 α^{31} −

542 337 300 428 998 930 531 315 148 077 690 226 840 369 035 181 883 806 030 484 541 611 050 908 890 \
402 942 664 454 630 375 580 138 838 425 600 α^{32} −

194 581 581 708 909 153 796 089 904 555 325 776 033 431 183 616 090 195 675 941 002 484 244 674 388 \
088 260 913 538 004 490 483 576 025 907 200 α^{33} −

65 808 491 492 594 688 205 647 524 280 863 691 630 039 750 022 584 250 039 693 265 383 426 612 342 \
091 350 364 123 555 533 558 269 345 792 000 α^{34} −

20 984 470 782 277 196 627 271 072 175 297 177 041 232 987 016 799 402 126 164 658 038 694 239 320 \
390 531 779 544 396 648 291 728 202 137 600 α^{35} −

6 309 573 484 805 826 587 965 847 381 912 888 308 762 935 326 402 513 844 265 105 565 365 340 871 124 \
557 271 558 042 615 558 200 675 532 800 α^{36} −

1 788 958 812 933 100 526 940 548 232 892 781 924 654 009 575 871 116 394 358 637 513 090 068 166 567 \
622 424 522 780 732 215 404 580 044 800 α^{37} −

478 270 889 886 496 335 578 144 952 489 914 815 068 368 519 575 954 311 411 873 997 664 687 857 961 \
458 294 505 672 893 166 771 188 531 200 α^{38} −

120 547 397 118 056 827 269 796 229 049 127 633 500 017 311 011 608 569 765 876 537 727 680 041 209 \
670 896 242 324 500 149 838 230 323 200 α^{39} −

28 638 511 003 995 691 616 127 911 063 262 179 516 209 412 186 676 794 548 833 277 066 240 142 244 \
174 737 448 600 321 317 253 257 625 600 α^{40} −

6 410 774 496 650 892 141 426 462 781 493 147 864 270 898 259 889 873 848 963 659 245 243 262 138 824 \
863 371 416 414 806 152 000 307 200 α^{41} −

1 351 623 299 020 126 870 625 872 930 603 005 193 552 066 837 104 018 702 560 784 628 436 144 282 426 \
552 651 539 907 621 464 257 331 200 α^{42} −

268 262 853 931 525 598 251 605 719 521 654 649 263 888 239 639 386 792 665 559 916 783 001 747 407 \
570 704 368 445 924 717 887 488 000 α^{43} −

50 090 376 458 112 537 309 255 223 503 518 676 168 620 651 728 805 819 034 656 144 055 578 046 067 \
663 030 676 906 987 080 384 512 000 α^{44} −

8 792 609 144 946 053 847 282 449 073 323 660 958 312 332 890 280 142 618 714 998 514 095 568 927 667 \
808 728 066 506 515 231 539 200 α^{45} −

1 449 705 830 561 977 236 915 433 885 310 131 283 647 619 332 197 242 431 538 528 512 131 317 572 537 \
353 110 757 512 082 515 558 400 α^{46} −

224 291 794 858 524 152 002 011 497 364 582 251 523 244 186 237 827 012 434 516 498 343 877 111 819

$228\,898\,492\,666\,896\,554\,393\,600\,\alpha^{47}\,-$

$32\,525\,926\,396\,358\,827\,814\,619\,012\,907\,449\,209\,072\,823\,232\,505\,792\,750\,729\,264\,713\,976\,975\,618\,282\,$
$911\,279\,214\,129\,254\,603\,161\,600\,\alpha^{48}\,-$

$4\,415\,426\,453\,422\,390\,633\,064\,777\,109\,319\,579\,545\,569\,456\,704\,579\,941\,348\,573\,244\,772\,017\,041\,871\,569\,$
$013\,439\,126\,658\,298\,675\,200\,\alpha^{49}\,-$

$560\,288\,007\,094\,529\,700\,006\,995\,916\,058\,650\,399\,442\,207\,030\,125\,347\,351\,824\,590\,195\,335\,277\,901\,145\,$
$122\,152\,368\,159\,745\,638\,400\,\alpha^{50}\,-$

$66\,348\,463\,406\,218\,902\,766\,340\,436\,893\,398\,911\,968\,462\,437\,022\,029\,913\,970\,773\,837\,390\,494\,041\,869\,$
$649\,035\,254\,096\,409\,395\,200\,\alpha^{51}\,-$

$7\,318\,496\,441\,909\,181\,389\,571\,695\,079\,928\,883\,815\,882\,580\,405\,144\,210\,914\,934\,866\,511\,960\,456\,523\,749\,$
$497\,495\,660\,737\,331\,200\,\alpha^{52}\,-$

$750\,355\,707\,337\,589\,730\,531\,068\,472\,848\,189\,342\,434\,652\,671\,600\,806\,231\,769\,571\,298\,668\,820\,576\,990\,$
$493\,348\,016\,318\,054\,400\,\alpha^{53}\,-$

$71\,338\,823\,705\,491\,184\,368\,543\,125\,055\,195\,206\,026\,618\,686\,232\,559\,250\,053\,386\,536\,254\,006\,487\,170\,$
$396\,708\,667\,392\,000\,000\,\alpha^{54}\,-$

$6\,272\,109\,207\,716\,513\,102\,853\,162\,547\,142\,053\,304\,602\,785\,835\,313\,858\,802\,102\,696\,085\,676\,731\,453\,392\,$
$886\,728\,700\,723\,200\,\alpha^{55}\,-$

$508\,366\,926\,548\,788\,261\,386\,517\,992\,519\,164\,392\,458\,109\,539\,521\,160\,002\,686\,714\,591\,120\,200\,300\,832\,$
$691\,630\,741\,913\,600\,\alpha^{56}\,-$

$37\,849\,871\,370\,213\,317\,955\,873\,831\,494\,014\,542\,778\,880\,844\,460\,651\,225\,430\,456\,805\,656\,668\,749\,707\,$
$622\,586\,358\,169\,600\,\alpha^{57}\,-$

$2\,577\,998\,882\,219\,583\,820\,586\,550\,919\,438\,389\,271\,878\,260\,215\,253\,664\,113\,378\,837\,473\,085\,885\,516\,579\,$
$965\,658\,726\,400\,\alpha^{58}\,-$

$159\,863\,132\,844\,861\,747\,376\,191\,090\,997\,699\,571\,336\,025\,321\,869\,440\,375\,626\,503\,578\,954\,263\,268\,359\,$
$347\,267\,174\,400\,\alpha^{59}\,-$

$8\,974\,635\,745\,199\,854\,066\,296\,931\,965\,950\,394\,805\,476\,346\,410\,668\,529\,481\,071\,859\,594\,394\,486\,393\,802\,$
$011\,443\,200\,\alpha^{60}\,-$

$453\,096\,391\,663\,935\,811\,971\,946\,872\,138\,000\,724\,105\,035\,723\,718\,533\,293\,433\,105\,125\,360\,506\,151\,339\,$
$714\,150\,400\,\alpha^{61}\,-$

$20\,407\,521\,204\,289\,312\,767\,376\,513\,187\,101\,959\,444\,823\,181\,774\,029\,987\,952\,937\,814\,124\,235\,836\,900\,$
$140\,646\,400\,\alpha^{62}\,-$

$812\,029\,601\,435\,024\,077\,508\,710\,956\,074\,476\,154\,286\,557\,391\,320\,313\,848\,216\,544\,793\,675\,620\,126\,031\,$
$872\,000\,\alpha^{63}\,-$

$28\,200\,549\,895\,014\,330\,040\,810\,707\,645\,758\,569\,512\,543\,174\,340\,796\,052\,673\,287\,285\,757\,480\,016\,019\,$
$456\,000\,\alpha^{64}\,-$

$841\,630\,862\,111\,283\,933\,141\,102\,145\,918\,501\,585\,926\,333\,150\,938\,290\,815\,933\,570\,126\,155\,061\,028\,454\,400$
$\alpha^{65}\,-$

$21\,150\,447\,412\,010\,103\,239\,587\,367\,925\,788\,003\,572\,311\,042\,827\,888\,129\,139\,023\,343\,384\,733\,207\,756\,800$
$\alpha^{66}\,-$

$435\,235\,130\,348\,031\,936\,213\,696\,690\,634\,580\,097\,978\,510\,781\,947\,317\,470\,017\,836\,893\,324\,129\,075\,200$
$\alpha^{67}\,-$

$7\,042\,227\,794\,099\,504\,054\,307\,305\,698\,260\,281\,476\,512\,796\,024\,703\,027\,939\,436\,115\,002\,182\,860\,800\,\alpha^{68}\,-$
$84\,013\,738\,052\,147\,996\,642\,568\,078\,403\,782\,765\,006\,981\,494\,446\,340\,827\,422\,059\,208\,376\,320\,000\,\alpha^{69}\,-$
$657\,037\,893\,580\,521\,387\,341\,846\,036\,768\,700\,261\,475\,785\,348\,354\,177\,993\,063\,278\,837\,760\,000\,\alpha^{70}\,-$
$2\,526\,895\,270\,964\,164\,390\,573\,681\,619\,328\,838\,310\,737\,173\,237\,266\,256\,961\,166\,376\,960\,000\,\alpha^{71}\Big)\,\Big\}$

In[ ]:= **RECNormalizedinSODD = RECNormalizedODD[[1]];**
ToOrePolynomial[RECNormalizedinSODD]

Out[ ]= $\Big(-504\,881\,604\,636\,936\,829\,912\,680\,665\,896\,591\,544\,580\,389\,362\,629\,071\,998\,307\,678\,835\,099\,377\,120\,194\,560\,$
$000\,000\,000\,-$
$11\,235\,689\,513\,473\,914\,237\,304\,717\,071\,566\,566\,655\,999\,663\,141\,717\,846\,542\,988\,295\,121\,354\,938\,775\,597\,$

593 600 000 000 α −

122 819 671 878 128 417 429 641 508 275 509 974 610 638 790 647 351 808 819 402 767 008 569 921 113 \
162 461 440 000 000 α^2 −

879 138 643 432 641 468 013 953 027 508 367 304 401 352 132 426 414 205 833 024 450 689 064 957 306 \
969 863 232 000 000 α^3 −

4 634 921 056 574 418 965 756 125 831 805 684 836 272 035 075 886 035 757 360 323 872 893 161 365 076 \
349 731 548 800 000 α^4 −

19 194 222 595 593 939 038 446 926 419 773 421 189 407 820 637 038 729 125 582 471 166 196 338 988 434 \
387 578 706 880 000 α^5 −

65 025 949 698 013 602 382 284 630 660 124 753 373 529 230 323 182 951 930 318 045 716 278 079 701 178 \
315 101 812 336 000 α^6 −

185 326 812 720 016 379 995 590 171 909 004 749 241 091 732 906 688 991 430 848 904 036 469 507 324 \
503 377 776 909 460 800 α^7 −

453 512 993 386 748 689 289 363 685 336 435 518 545 901 843 860 739 202 470 415 568 366 314 761 303 \
491 325 208 337 074 720 α^8 −

967 802 844 097 437 324 899 886 494 128 401 572 704 280 636 089 513 503 777 809 145 590 530 531 288 \
024 345 816 977 374 256 α^9 −

1 823 171 693 121 009 599 793 697 365 695 590 643 800 086 066 806 733 098 756 020 083 605 677 365 398 \
188 655 104 244 582 952 α^{10} −

3 061 791 882 660 727 051 356 569 051 324 050 920 759 269 284 098 525 799 209 418 806 929 980 238 277 \
311 686 909 901 092 860 α^{11} −

4 620 942 193 476 665 141 511 377 313 004 030 162 089 019 467 221 919 105 478 627 100 568 080 521 253 \
011 728 271 200 968 682 α^{12} −

6 309 715 581 383 561 887 237 600 657 021 882 915 003 871 267 141 620 605 671 118 906 479 512 662 831 \
945 419 128 296 547 047 α^{13} −

7 839 307 781 624 689 644 683 316 707 767 283 626 837 625 973 677 827 992 797 334 036 838 108 698 879 \
598 224 144 984 754 032 α^{14} −

8 905 087 425 908 851 048 023 869 618 963 887 423 104 220 543 323 775 949 051 903 605 188 603 852 870 \
170 425 105 233 697 866 α^{15} −

9 287 597 228 577 375 544 686 887 131 282 107 830 216 641 296 717 755 897 324 866 608 562 162 191 300 \
699 801 472 965 605 070 α^{16} −

8 925 771 518 074 602 419 344 216 530 351 682 689 468 961 032 870 730 550 876 236 657 076 252 251 151 \
282 095 621 810 304 256 α^{17} −

7 929 361 071 525 207 613 671 366 737 513 929 204 521 653 003 111 234 601 354 059 519 298 479 082 321 \
021 655 239 533 388 810 α^{18} −

6 529 577 854 045 734 515 217 659 871 963 965 315 005 708 893 616 920 761 731 026 268 488 980 777 419 \
440 141 534 731 871 450 α^{19} −

4 996 286 449 584 770 176 206 816 007 681 699 474 498 565 594 546 887 323 790 849 607 427 285 105 028 \
244 001 820 733 071 536 α^{20} −

3 560 097 919 130 823 664 887 426 276 312 957 141 286 958 042 365 780 324 532 387 705 617 472 467 023 \
509 435 363 320 400 121 α^{21} −

2 366 782 368 389 945 431 950 092 090 111 082 590 864 864 723 428 184 471 287 417 268 396 965 768 348 \
549 455 011 813 210 982 α^{22} −

1 470 521 158 914 451 131 733 842 535 667 455 638 268 344 903 799 250 793 651 190 229 136 594 645 792 \
619 422 649 697 372 160 α^{23} −

855 168 724 369 172 783 877 791 270 025 237 615 908 620 679 450 273 178 582 783 823 786 288 851 309 \
006 657 606 556 348 944 α^{24} −

466 096 727 235 019 353 134 312 314 155 534 390 667 512 116 725 807 831 919 625 742 596 804 209 617 \
192 731 816 008 164 368 α^{25} −

238 370 594 242 710 968 754 156 426 107 997 972 644 998 851 370 542 311 077 261 451 968 796 615 942 \
610 079 872 410 256 864 α^{26} −

114 506 215 932 513 031 674 020 225 231 397 370 519 114 564 501 232 430 386 516 839 620 223 147 309 216 661 740 487 078 016 α^{27} −

51 712 607 665 715 940 336 365 308 535 802 394 112 710 288 677 992 254 570 110 241 116 096 061 546 347 816 608 917 045 248 α^{28} −

21 973 244 396 760 517 740 231 729 200 521 681 595 854 758 977 846 408 356 695 030 435 264 163 418 102 737 883 220 054 528 α^{29} −

8 790 496 366 346 175 114 941 574 746 566 159 681 347 014 014 029 718 765 521 130 824 358 657 141 818 574 349 606 439 936 α^{30} −

3 312 835 070 207 636 178 299 904 061 558 149 949 553 928 320 076 540 845 704 874 979 319 905 955 224 241 982 904 360 960 α^{31} −

1 176 674 152 092 573 137 262 006 401 616 590 108 657 540 652 025 940 734 756 642 425 267 659 948 317 590 845 263 405 056 α^{32} −

394 043 638 781 637 261 407 760 915 044 610 233 095 072 779 232 065 863 529 681 405 722 238 608 438 651 373 588 750 336 α^{33} −

124 447 531 869 824 176 415 517 719 916 949 368 010 560 823 440 789 858 244 877 805 572 791 090 340 425 841 273 389 056 α^{34} −

37 073 685 821 382 415 520 245 389 774 246 365 699 015 960 657 509 961 258 837 229 318 505 545 331 526 533 013 372 928 α^{35} −

10 419 061 697 408 617 550 421 328 974 733 669 555 583 338 064 599 142 171 125 469 474 373 437 936 217 369 945 047 040 α^{36} −

2 762 378 804 322 953 110 815 238 460 335 069 479 925 444 571 045 384 024 440 119 785 377 762 803 182 651 586 183 168 α^{37} −

690 876 791 274 610 093 022 542 338 486 319 982 594 147 396 501 959 435 398 621 819 149 554 687 978 454 245 048 320 α^{38} −

162 972 340 136 836 696 555 417 146 906 162 701 207 036 429 339 491 238 110 562 236 605 525 049 688 331 669 995 520 α^{39} −

36 250 818 590 236 092 726 275 506 041 679 961 125 710 556 802 357 518 696 526 048 232 282 476 736 100 332 208 128 α^{40} −

7 600 943 085 524 327 249 753 227 239 900 207 702 443 415 143 465 935 453 921 913 695 801 798 444 067 998 138 368 α^{41} −

1 501 678 573 753 184 010 764 738 784 944 788 099 161 510 838 042 656 601 214 289 101 317 985 505 935 817 179 136 α^{42} −

279 394 262 958 422 736 628 836 448 038 413 761 293 849 062 309 543 059 519 324 913 770 945 926 294 059 089 920 α^{43} −

48 923 194 694 209 599 959 882 788 809 394 886 744 460 784 794 603 854 501 268 151 030 574 097 548 854 689 792 α^{44} −

8 056 502 131 926 363 578 068 634 250 429 517 602 517 315 214 815 417 118 743 049 018 417 652 405 532 360 704 α^{45} −

1 246 632 329 664 318 258 835 988 275 266 775 005 741 326 946 188 218 290 265 751 832 956 332 636 448 489 472 α^{46} −

181 075 639 819 006 546 907 626 059 445 204 372 922 507 820 782 612 640 371 769 772 257 333 767 168 851 968 α^{47} −

24 661 520 248 955 304 211 302 072 874 545 043 344 549 368 633 766 985 089 812 285 929 088 585 526 411 264 α^{48} −

3 145 276 304 589 398 340 748 109 866 929 939 524 210 665 721 145 224 863 450 617 044 964 438 825 762 816 α^{49} −

375 096 526 648 152 271 132 605 085 836 933 926 512 151 857 158 903 540 984 715 009 453 705 408 806 912 α^{50} −

41 759 468 173 882 421 149 950 297 363 537 781 926 707 986 169 112 872 990 242 765 064 992 645 447 680 α^{51} −

4 331 939 896 982 138 676 911 171 405 897 667 553 704 308 335 284 691 941 134 851 290 926 533 312 512

α^{52} −

417 835 815 989 364 731 544 084 232 703 418 936 058 772 593 927 770 931 997 321 203 681 320 763 392 α^{53} −

37 383 607 863 847 322 484 661 888 618 884 259 261 367 978 557 959 420 468 861 464 265 162 227 712 α^{54} −

3 094 012 363 986 635 532 838 989 946 199 102 737 755 624 447 903 472 625 417 568 659 970 195 456 α^{55} −

236 141 770 315 825 012 964 406 185 214 933 856 348 049 332 220 758 431 800 465 383 741 194 240 α^{56} −

16 560 695 678 101 642 095 972 079 693 754 274 752 309 295 735 064 623 451 654 792 912 306 176 α^{57} −

1 062 783 412 316 170 863 017 702 953 291 153 961 707 217 169 675 048 194 176 562 044 600 320 α^{58} −

62 113 386 839 534 418 445 381 817 826 916 649 926 491 988 184 216 613 532 276 862 484 480 α^{59} −

3 287 406 011 087 680 594 274 030 127 209 853 066 739 102 214 171 662 152 087 461 953 536 α^{60} −

156 512 624 252 332 465 896 811 305 646 199 990 277 937 143 048 376 973 705 279 963 136 α^{61} −

6 649 543 435 941 184 657 455 603 993 839 908 048 620 328 606 424 377 498 357 727 232 α^{62} −

249 651 825 154 395 518 173 582 339 941 373 607 517 201 502 716 626 256 128 901 120 α^{63} −

8 182 731 608 464 280 274 644 263 791 336 642 965 096 705 716 074 285 644 120 064 α^{64} −

230 544 534 341 257 795 944 317 456 464 157 939 474 135 220 844 300 785 942 528 α^{65} −

5 470 889 075 766 353 529 634 261 206 873 804 745 200 350 032 816 886 513 664 α^{66} −

106 335 520 099 900 075 345 527 991 273 592 300 148 025 203 378 635 145 216 α^{67} −

1 625 510 070 171 108 419 509 908 074 743 729 837 838 856 936 298 119 168 α^{68} −

18 325 779 554 582 272 244 641 695 187 713 176 300 092 333 542 604 800 α^{69} −

135 469 275 331 936 704 964 571 826 915 050 981 855 648 651 673 600 α^{70} −

492 583 560 716 086 973 444 323 245 714 100 057 393 437 081 600 α^{71} $\Big)$ S_{α}^{6} +

$\Big($ 65 431 662 746 387 834 417 615 876 200 745 220 390 138 448 858 713 002 204 244 906 113 192 427 090 818 $\setminus$
872 320 000 000 000 +

1 460 590 952 081 916 197 804 380 677 528 089 232 261 770 237 475 245 737 297 802 642 329 763 427 756 $\setminus$
115 167 148 800 000 000 α +

16 016 026 347 982 191 255 782 210 449 398 884 721 629 465 251 166 281 413 960 036 347 102 197 073 694 $\setminus$
917 044 643 520 000 000 α^2 +

115 008 501 938 660 561 758 133 691 768 786 598 666 981 430 635 427 834 666 732 463 537 052 850 771 $\setminus$
184 240 298 720 656 000 000 α^3 +

608 315 234 675 283 711 725 738 792 346 982 896 991 755 363 075 207 414 832 474 538 350 259 647 950 $\setminus$
743 845 012 667 858 400 000 α^4 +

2 527 545 413 966 083 003 086 590 474 995 988 433 548 771 212 969 792 541 697 819 151 545 382 948 283 $\setminus$
043 061 968 133 743 840 000 α^5 +

8 591 832 865 096 887 312 171 967 840 044 421 028 433 795 320 840 245 093 137 959 430 815 913 134 718 $\setminus$
145 368 981 461 929 908 000 α^6 +

24 571 796 524 932 704 008 346 626 211 142 779 261 176 734 404 172 717 739 089 962 532 637 906 850 019 $\setminus$
793 804 991 368 097 966 400 α^7 +

60 341 633 344 383 774 597 470 508 910 948 487 947 156 824 425 142 578 153 737 113 334 407 499 518 480 $\setminus$
671 701 584 282 386 464 560 α^8 +

129 232 667 251 243 142 351 463 750 147 878 438 247 690 990 703 487 338 221 736 454 789 595 853 527 $\setminus$
877 393 286 893 788 201 229 968 α^9 +

244 343 482 965 220 949 068 213 526 200 146 962 060 512 187 105 020 221 705 511 247 990 161 802 018 $\setminus$
970 412 713 725 160 332 545 974 α^{10} +

411 876 112 069 809 988 224 858 305 125 815 453 050 937 742 513 108 802 197 984 812 396 136 620 320 $\setminus$
584 989 215 510 790 629 036 028 α^{11} +

623 978 274 153 755 948 568 461 494 673 426 899 164 786 327 413 143 051 170 091 646 948 820 478 000 $\setminus$
033 781 876 742 305 973 871 086 α^{12} +

855 317 273 107 720 207 983 275 173 826 711 218 735 957 487 769 880 032 753 739 963 064 662 584 562 $\setminus$
516 718 825 518 095 784 455 624 α^{13} +

1 066 852 834 137 380 410 340 690 300 799 989 011 798 581 565 403 293 819 185 268 516 601 205 389 717 $\setminus$
503 495 245 709 883 260 149 564 α^{14} +

1 216 761 403 267 770 582 915 684 242 047 214 678 289 623 815 627 438 771 292 656 249 327 353 546 049 794 377 808 638 260 536 097 416 α^{15} +

1 274 214 176 156 505 440 249 708 876 427 892 625 126 459 727 434 861 680 353 721 530 253 315 117 091 331 248 753 008 373 603 286 876 α^{16} +

1 229 669 262 427 921 152 529 069 244 281 443 293 468 770 781 195 738 624 041 746 673 018 187 315 129 425 809 905 564 247 059 725 488 α^{17} +

1 097 024 174 726 261 291 615 047 855 292 658 457 962 077 899 242 280 945 227 056 948 316 276 412 208 830 945 339 580 009 384 338 878 α^{18} +

907 258 007 410 138 617 511 026 312 972 130 586 352 639 229 133 249 499 143 326 222 585 957 653 805 131 994 002 043 056 655 302 108 α^{19} +

697 257 634 650 850 217 387 358 108 004 066 508 694 539 847 082 170 587 316 267 243 054 864 970 346 071 140 252 955 327 298 615 206 α^{20} +

499 046 449 106 188 575 421 086 537 536 829 108 097 006 256 235 073 095 870 276 446 102 064 182 077 032 409 462 148 062 248 263 640 α^{21} +

333 275 630 743 199 692 836 595 956 317 258 445 146 965 250 706 317 271 828 888 019 191 796 947 469 582 079 787 811 812 573 484 720 α^{22} +

208 025 293 909 777 496 880 055 944 260 034 532 626 310 924 954 088 601 864 043 458 100 051 485 750 217 669 233 162 663 688 178 432 α^{23} +

121 543 022 364 507 975 606 210 166 341 091 398 439 535 193 477 268 601 593 458 022 142 278 926 259 760 058 374 796 339 568 950 368 α^{24} +

66 561 278 288 782 594 591 138 326 195 950 894 738 490 337 569 766 656 620 526 587 597 700 671 511 024 182 721 289 781 544 356 736 α^{25} +

34 205 817 967 563 245 765 874 194 276 898 563 751 074 657 201 876 583 985 917 499 829 003 146 583 290 167 613 500 066 182 076 928 α^{26} +

16 512 494 617 384 603 662 414 721 184 797 717 726 085 853 852 887 962 633 454 932 660 977 401 331 900 629 727 344 444 463 206 400 α^{27} +

7 494 649 324 939 430 099 285 609 944 851 693 442 907 454 599 380 517 725 871 063 022 011 979 099 004 310 065 786 074 955 713 536 α^{28} +

3 200 777 973 051 209 645 169 428 802 310 002 133 021 798 715 005 323 575 759 361 972 214 854 986 584 264 886 968 089 981 693 952 α^{29} +

1 287 113 319 012 302 054 960 964 168 476 672 745 624 682 690 610 196 867 328 803 157 492 636 259 791 939 975 336 223 202 746 368 α^{30} +

487 619 502 584 336 779 278 408 670 440 741 062 489 583 713 012 636 016 889 142 555 499 420 138 792 918 468 450 531 814 342 656 α^{31} +

174 121 132 874 147 557 515 016 430 633 502 773 277 518 358 632 810 050 222 101 207 181 820 188 406 325 938 370 189 152 468 992 α^{32} +

58 625 974 019 426 017 885 626 203 794 235 232 702 236 545 808 458 403 018 492 927 167 753 918 315 985 029 429 336 651 530 240 α^{33} +

18 617 411 098 484 375 995 019 737 115 470 306 287 207 935 497 520 229 701 376 782 395 158 362 824 550 435 084 401 953 865 728 α^{34} +

5 577 288 349 462 496 068 513 803 096 165 133 918 133 809 919 772 473 344 979 836 381 640 966 305 031 976 207 526 688 194 560 α^{35} +

1 576 331 914 962 370 401 311 850 860 195 874 093 016 952 706 127 606 328 891 411 894 617 927 394 688 027 746 843 082 227 712 α^{36} +

420 340 970 940 660 062 520 241 389 841 185 220 703 351 499 271 704 824 742 489 993 551 401 243 937 634 884 756 543 373 312 α^{37} +

105 744 197 006 793 633 285 775 549 908 097 951 858 575 892 581 788 237 264 252 836 682 513 167 465 469 828 445 487 759 360 α^{38} +

25 092 597 712 531 012 586 288 209 019 346 213 458 922 611 374 116 501 533 136 564 257 190 199 824 541 522 642 260 197 376 α^{39} +

5 615 183 703 735 644 578 102 924 223 947 015 343 239 506 313 606 464 525 547 959 535 092 399 271 827

117 370 456 932 352 α^{40} +

1 184 587 161 207 854 322 430 002 703 908 233 569 975 706 944 317 625 634 320 549 630 120 651 952 883 $\backslash$ 137 537 940 389 888 α^{41} +

235 488 221 851 976 609 827 839 609 757 702 769 881 220 740 588 297 115 500 774 772 744 872 177 748 $\backslash$ 827 827 177 783 296 α^{42} +

44 090 187 585 851 787 062 736 199 744 261 788 240 085 753 439 004 270 229 886 922 373 021 027 373 553 $\backslash$ 830 716 243 968 α^{43} +

7 769 828 510 303 480 973 707 690 550 924 879 594 130 141 274 389 367 121 306 711 726 647 800 423 337 $\backslash$ 964 787 990 528 α^{44} +

1 287 821 094 105 680 818 138 858 270 390 709 124 185 732 994 329 512 382 942 374 053 883 599 437 716 $\backslash$ 574 076 665 856 α^{45} +

200 585 859 240 644 680 654 560 583 037 192 641 698 650 127 264 248 692 462 871 276 370 823 815 594 $\backslash$ 097 497 866 240 α^{46} +

29 330 247 433 290 004 758 939 465 196 041 241 447 850 958 952 633 403 217 762 254 795 738 370 460 301 $\backslash$ 878 362 112 α^{47} +

4 021 707 486 685 496 863 214 481 146 235 688 155 306 381 001 722 668 703 637 575 368 088 573 393 693 $\backslash$ 753 475 072 α^{48} +

516 447 112 726 634 016 420 181 350 439 820 462 583 140 412 464 432 039 510 318 402 357 265 109 485 $\backslash$ 071 892 480 α^{49} +

62 019 505 995 889 197 773 371 529 655 580 023 149 927 926 744 438 800 075 528 510 302 501 842 700 581 $\backslash$ 470 208 α^{50} +

6 953 453 177 430 843 168 780 994 272 178 862 260 416 647 274 994 342 718 940 056 842 375 696 592 211 $\backslash$ 542 016 α^{51} +

726 491 825 080 541 361 515 838 411 490 999 367 637 428 589 471 973 139 711 375 983 020 567 154 258 $\backslash$ 870 272 α^{52} +

70 582 890 017 450 429 081 497 133 399 521 061 389 307 893 782 546 022 972 351 320 479 792 990 452 187 $\backslash$ 136 α^{53} +

6 361 557 952 652 208 555 197 568 841 809 491 705 035 317 721 091 983 035 317 869 931 589 854 778 359 $\backslash$ 808 α^{54} +

530 439 884 193 186 716 695 895 856 971 217 847 289 510 336 041 652 169 180 880 095 920 628 405 633 024 α^{55} +

40 790 821 230 173 162 594 281 308 272 897 438 294 124 143 117 900 660 772 925 481 027 544 769 626 112 α^{56} +

2 882 621 891 848 377 471 214 596 976 482 533 054 215 923 635 289 524 554 884 257 171 079 639 859 200 α^{57} +

186 430 776 301 533 126 023 768 161 912 917 045 033 200 414 932 902 570 379 241 897 231 449 587 712 α^{58} +

10 981 618 629 888 590 652 200 850 205 689 170 042 061 294 276 653 145 618 483 661 307 396 489 216 α^{59} +

585 851 665 367 734 729 700 567 598 323 320 874 282 037 657 002 172 329 278 228 678 880 264 192 α^{60} +

28 117 845 726 221 625 706 954 380 061 300 879 699 394 990 456 697 629 876 773 962 878 287 872 α^{61} +

1 204 393 243 698 763 828 429 204 306 649 862 469 720 290 780 836 271 252 093 944 813 584 384 α^{62} +

45 593 276 407 745 402 361 845 847 407 174 195 730 615 885 631 441 960 824 752 150 937 600 α^{63} +

1 506 953 980 648 023 160 556 830 690 022 492 390 667 300 722 837 822 846 950 864 584 704 α^{64} +

42 819 193 429 210 702 314 291 760 386 780 073 638 318 383 613 099 388 617 053 175 808 α^{65} +

1 024 873 250 646 178 768 502 015 040 567 725 891 061 898 737 520 971 201 151 762 432 α^{66} +

20 093 987 020 897 125 171 056 304 436 834 794 356 730 605 453 067 684 610 572 288 α^{67} +

309 884 692 521 842 276 423 849 453 078 347 965 370 237 223 295 153 898 258 432 α^{68} +

3 524 869 873 127 977 676 085 174 790 272 071 112 998 501 256 855 866 572 800 α^{69} +

26 292 952 289 791 678 951 486 508 813 143 404 901 545 773 399 172 710 400 α^{70} +

96 481 575 796 365 508 242 136 458 524 083 000 752 674 353 604 198 400 α^{71} $\Big)$ S_{α}^{5} +

$\Big(-$362 592 911 064 493 598 447 609 681 667 306 346 033 206 358 102 363 166 323 133 519 732 371 326 604 $\backslash$

909 475 423 846 400 000 000 −

8 126 449 235 632 877 638 953 616 283 708 175 368 146 659 938 943 179 040 254 614 937 424 176 565 270
579 539 542 671 360 000 000 α −

89 474 695 887 403 395 715 028 026 033 403 602 787 547 033 469 042 456 371 037 376 181 420 253 573 012
622 697 373 753 344 000 000 α^2 −

645 180 368 744 395 300 826 486 457 395 826 101 757 857 606 717 933 364 818 148 946 925 962 258 539
063 172 635 916 846 694 400 000 α^3 −

3 427 032 881 525 764 517 970 950 934 967 673 495 104 442 292 153 864 286 747 830 305 836 701 772 367
645 285 203 145 107 783 680 000 α^4 −

14 300 778 909 258 558 075 860 289 615 287 061 789 215 973 628 560 794 240 434 874 811 258 393 357 174
274 978 761 296 177 301 504 000 α^5 −

48 825 936 231 235 106 407 725 138 266 227 133 560 341 327 973 278 294 820 632 178 972 906 042 111 509
918 621 406 397 156 200 089 600 α^6 −

140 261 573 962 206 800 756 952 415 734 966 361 083 936 879 938 702 490 182 860 269 521 101 666 714
730 298 616 583 168 143 064 693 760 α^7 −

346 010 288 107 863 673 699 434 332 700 846 113 109 215 632 421 329 902 628 694 978 645 811 504 185
430 354 791 230 290 413 470 437 888 α^8 −

744 470 735 066 216 146 217 681 032 076 936 828 567 792 213 540 733 542 484 208 498 369 509 975 058
932 861 618 733 970 667 609 949 440 α^9 −

1 414 206 319 090 443 077 332 642 233 762 497 833 726 801 295 859 095 860 099 192 747 051 275 446 558
549 693 309 474 604 011 703 368 448 α^{10} −

2 395 238 264 766 535 330 182 789 275 901 992 834 951 035 200 820 741 552 054 747 870 935 962 163 686
375 427 619 569 796 576 881 240 576 α^{11} −

3 646 323 438 510 455 758 954 886 559 270 783 430 447 229 368 935 696 111 432 763 954 261 117 953 052
190 020 260 230 840 643 904 693 248 α^{12} −

5 022 849 328 272 403 445 923 203 706 607 986 726 045 670 683 781 143 126 845 750 280 110 530 511 143
456 482 548 413 414 853 344 177 664 α^{13} −

6 296 486 425 423 792 134 648 089 455 434 797 615 417 130 631 503 151 399 635 025 072 268 272 467 137
139 677 582 380 310 942 484 140 544 α^{14} −

7 217 782 009 530 966 612 800 454 098 447 694 725 812 273 085 226 210 491 038 718 159 631 908 954 313
665 921 159 700 274 731 872 959 488 α^{15} −

7 597 647 620 060 825 122 769 211 106 659 083 056 738 845 762 436 555 864 977 945 546 625 585 436 648
818 479 571 187 494 594 357 194 240 α^{16} −

7 370 505 391 946 340 990 465 997 618 359 609 422 100 040 138 318 017 781 208 288 260 590 494 306 577
623 411 248 453 565 652 997 299 456 α^{17} −

6 610 454 161 160 132 007 289 156 608 276 262 991 260 601 812 289 584 283 646 486 685 189 177 610 718
524 624 395 167 267 877 719 823 104 α^{18} −

5 496 497 316 072 113 900 255 796 303 170 927 580 184 074 874 690 026 321 402 623 082 232 326 092 947
303 206 706 932 975 921 520 657 920 α^{19} −

4 247 394 526 153 140 292 284 104 713 671 998 222 436 521 947 266 252 676 881 440 588 662 189 215 150
634 480 999 678 775 894 700 520 448 α^{20} −

3 056 880 418 482 262 003 920 824 423 374 036 447 708 633 823 961 952 931 283 220 964 830 325 333 495
332 429 012 036 144 345 078 024 192 α^{21} −

2 052 973 136 977 968 152 216 673 543 899 449 008 438 116 565 867 232 811 105 295 902 716 510 914 840
597 714 013 056 799 564 068 257 792 α^{22} −

1 288 760 380 272 496 454 552 905 622 183 431 436 831 827 405 677 629 777 658 617 766 547 981 748 033
974 383 403 111 334 260 259 586 048 α^{23} −

757 349 780 136 730 402 365 761 648 514 163 119 998 688 924 402 614 644 250 935 541 287 851 063 013
621 816 881 788 194 006 051 291 136 α^{24} −

417 188 851 479 072 577 677 614 941 886 051 688 662 486 332 193 116 789 930 206 350 735 390 719 160
916 456 604 363 623 130 558 955 520 α^{25} −

215 669 992 664 551 696 044 370 730 832 760 296 306 066 291 076 792 947 402 346 862 432 851 736 102
341 122 990 280 374 089 610 690 560 α^{26} −

104 740 651 238 698 436 740 504 867 990 479 743 831 613 853 477 323 604 811 047 063 639 088 705 594
698 532 752 991 342 811 112 275 968 α^{27} −

47 830 053 130 692 712 926 114 575 543 873 942 427 194 048 720 134 717 743 336 806 716 271 934 443 428
374 000 123 239 190 836 543 488 α^{28} −

20 553 518 415 988 877 520 745 693 229 789 964 616 291 037 341 093 863 904 019 467 295 842 395 149 074
775 399 655 230 233 279 201 280 α^{29} −

8 316 921 206 034 943 990 140 739 864 197 243 001 149 637 132 937 510 605 763 994 447 655 372 924 335
731 314 338 340 801 110 605 824 α^{30} −

3 170 853 042 468 681 291 883 722 601 707 568 348 286 711 421 233 740 820 550 244 200 622 344 772 685
104 539 839 423 878 432 555 008 α^{31} −

1 139 540 623 720 532 982 359 832 207 647 790 162 489 215 194 563 514 066 553 408 473 321 464 250 548
858 912 538 607 056 588 898 304 α^{32} −

386 176 351 662 477 670 618 448 798 662 448 299 707 268 091 740 605 978 293 076 158 995 987 776 485
678 395 863 779 806 808 113 152 α^{33} −

123 442 900 452 628 588 376 029 319 123 841 387 770 705 636 309 416 525 688 719 767 387 956 475 617
682 203 178 440 401 272 963 072 α^{34} −

37 226 743 442 958 296 334 064 683 445 598 559 938 607 956 846 159 155 441 562 530 415 426 288 104 535
285 510 626 640 557 768 704 α^{35} −

10 592 502 335 130 392 667 195 973 742 303 368 699 683 858 819 375 776 023 011 179 919 838 953 711 207
683 649 171 149 322 977 280 α^{36} −

2 843 841 183 951 437 844 679 909 535 277 695 915 693 797 787 155 084 575 078 242 303 514 555 968 266
133 455 478 086 264 946 688 α^{37} −

720 354 982 596 868 094 204 073 231 542 761 099 478 912 702 436 899 124 301 682 625 941 182 892 686
784 001 860 055 326 523 392 α^{38} −

172 129 637 531 801 076 413 284 295 466 717 849 195 988 846 766 008 241 450 711 929 079 037 526 367
828 744 948 854 816 768 000 α^{39} −

38 790 691 566 540 545 020 669 920 127 510 127 793 269 630 830 555 994 383 991 422 888 122 212 432 295
753 119 504 745 365 504 α^{40} −

8 241 713 488 796 924 209 621 097 292 183 151 751 461 047 249 603 368 188 731 587 304 591 220 041 040
066 728 391 046 332 416 α^{41} −

1 650 212 713 260 372 693 833 001 531 180 574 415 398 386 431 446 800 565 638 680 987 844 213 992 823
947 968 618 510 155 776 α^{42} −

311 219 016 445 591 544 561 071 094 945 698 415 691 272 009 079 689 981 939 695 089 189 420 923 642
073 522 121 520 185 344 α^{43} −

55 248 707 950 778 052 503 721 070 085 460 340 209 436 375 788 440 262 763 416 506 122 738 937 488 477
320 305 136 631 808 α^{44} −

9 225 410 125 013 058 975 982 903 246 744 565 634 760 636 225 237 451 381 523 397 878 975 813 132 133
471 960 873 041 920 α^{45} −

1 447 713 819 634 661 510 156 958 945 191 030 249 589 086 938 276 393 720 240 977 890 874 509 491 845
885 209 702 563 840 α^{46} −

213 296 166 568 460 738 836 330 297 923 269 454 387 169 203 399 723 341 624 155 938 015 413 279 950
483 689 322 840 064 α^{47} −

29 471 023 751 621 512 352 478 813 775 838 213 089 901 034 524 501 341 261 277 609 555 932 801 808 117
928 998 993 920 α^{48} −

3 813 821 440 331 006 324 947 993 798 588 747 385 918 648 329 101 190 963 286 908 334 638 918 953 665
690 263 879 680 α^{49} −

461 577 608 506 177 009 404 292 718 876 278 742 226 730 414 663 137 846 848 771 358 799 960 077 025
104 183 164 928 α^{50} −

52 159 195 169 523 937 116 348 361 208 966 170 004 882 544 296 868 223 325 646 356 448 095 404 222 877

339 222 016 α^{51} −

5 492 964 549 230 851 169 865 384 649 416 943 977 870 005 872 948 439 940 386 810 403 927 746 897 944 560 795 648 α^{52} −

537 963 514 823 282 005 309 362 963 796 386 570 223 410 197 833 729 143 153 225 185 805 261 304 366 507 229 184 α^{53} −

48 879 369 305 728 376 576 454 267 734 925 996 513 140 277 073 592 687 288 205 266 651 683 196 854 320 758 784 α^{54} −

4 109 019 301 871 204 599 126 638 998 986 201 430 694 894 325 619 240 504 475 039 173 449 044 424 925 380 608 α^{55} −

318 592 335 962 180 267 257 334 573 525 656 064 963 006 934 494 228 153 459 954 016 833 260 087 861 575 680 α^{56} −

22 701 897 113 197 274 282 541 429 639 457 268 555 209 083 854 294 446 869 041 488 542 944 369 632 608 256 α^{57} −

1 480 553 696 875 535 323 575 607 467 992 595 506 304 910 680 911 630 694 696 581 008 061 828 383 637 504 α^{58} −

87 949 877 083 790 511 933 770 602 615 753 506 631 343 932 664 420 988 366 599 260 544 446 003 937 280 α^{59} −

4 732 044 870 537 431 773 850 387 638 576 783 248 845 895 538 107 693 638 834 020 240 692 869 070 848 α^{60} −

229 068 435 236 352 542 737 495 393 763 856 671 838 518 918 944 156 502 116 701 065 185 949 908 992 α^{61} −

9 896 986 415 629 832 399 089 610 569 147 202 643 115 337 120 010 195 650 068 459 163 570 143 232 α^{62} −

377 934 098 293 794 877 569 349 823 690 985 967 155 270 654 123 984 501 427 793 616 812 638 208 α^{63} −

12 601 572 257 715 686 146 797 530 157 228 255 515 514 269 829 798 724 953 033 838 277 165 056 α^{64} −

361 244 506 149 335 053 559 658 015 512 724 578 204 783 398 467 608 461 804 935 745 372 160 α^{65} −

8 723 669 307 876 466 657 192 528 813 025 086 352 824 564 196 543 849 484 178 476 236 800 α^{66} −

172 579 554 016 475 273 504 259 975 014 741 747 933 170 843 321 903 160 316 508 766 208 α^{67} −

2 685 623 499 948 392 066 560 938 265 510 450 803 682 912 787 826 103 150 134 165 504 α^{68} −

30 827 416 112 292 301 260 870 915 461 885 623 892 234 818 713 439 967 379 456 000 α^{69} −

232 064 827 816 504 785 554 751 793 339 181 947 997 585 845 543 834 012 876 800 α^{70} −

859 442 520 846 787 116 663 322 559 817 088 095 222 856 117 350 354 124 800 α^{71} $\Big)$ S_α^4 +

$\Big($ 424 423 666 980 063 273 446 443 293 357 929 145 245 419 258 616 048 805 221 571 030 852 693 263 181 565 979 398 452 019 200 000 000 +

9 569 192 818 580 567 981 704 562 973 514 988 256 376 219 956 155 919 003 172 688 690 995 844 929 087 259 118 751 174 361 088 000 000 α +

106 000 349 241 406 296 775 356 294 917 950 566 689 565 983 314 451 513 089 162 878 428 074 060 545 951 501 990 170 938 834 944 000 000 α^2 +

769 057 667 142 852 758 899 773 709 831 388 923 404 013 565 751 353 654 923 986 555 380 404 884 261 386 062 432 846 507 325 521 920 000 α^3 +

4 110 593 619 926 158 473 659 577 193 093 042 015 705 259 137 330 464 147 976 118 986 604 820 018 971 164 075 594 986 309 093 949 440 000 α^4 +

17 262 034 417 475 332 768 165 443 259 009 309 300 416 543 466 220 903 503 316 048 793 893 468 246 040 031 480 565 055 598 243 164 979 200 α^5 +

59 315 207 669 812 451 058 457 301 962 947 606 090 150 756 224 694 523 298 929 648 163 442 377 016 451 993 832 484 473 048 672 432 947 200 α^6 +

171 503 982 872 760 888 562 967 888 991 859 766 523 090 559 858 559 627 428 397 556 864 849 171 260 859 972 253 841 480 736 622 605 631 488 α^7 +

425 873 898 111 956 471 951 171 698 498 137 466 379 475 415 615 875 977 683 111 058 847 326 289 770 714 694 478 067 070 731 184 510 173 184 α^8 +

922 427 547 275 315 189 254 217 786 333 445 578 417 331 565 078 038 773 549 145 279 212 624 871 934 432 301 012 503 927 363 251 409 059 840 α^9 +

1 764 110 411 669 223 465 096 898 586 502 519 796 540 935 628 698 519 417 362 604 678 608 317 994 408 ⸾
996 706 884 105 797 340 467 327 107 072 α^{10} +

3 008 329 518 824 719 409 779 400 490 261 220 902 640 914 747 639 647 064 222 305 111 680 667 646 583 ⸾
176 949 200 274 611 010 414 547 042 304 α^{11} +

4 611 375 617 898 069 299 929 238 319 015 642 278 621 691 799 691 937 028 465 701 821 874 069 015 806 ⸾
336 086 524 009 253 700 461 590 675 456 α^{12} +

6 396 738 512 960 891 958 922 305 475 369 894 300 472 730 646 501 104 685 250 572 236 009 373 481 441 ⸾
725 747 932 469 301 099 638 888 464 384 α^{13} +

8 075 583 939 147 569 483 423 003 134 174 275 027 981 884 008 458 220 784 261 111 523 312 942 961 897 ⸾
208 574 798 993 888 357 628 944 384 000 α^{14} +

9 323 527 981 385 271 531 208 812 488 813 309 901 093 357 953 465 098 729 372 493 277 734 894 445 151 ⸾
458 909 896 356 703 489 279 335 464 960 α^{15} +

9 885 296 441 311 779 750 097 923 837 162 435 286 667 118 618 309 471 722 727 464 426 143 193 764 944 ⸾
047 049 980 860 613 768 358 444 367 872 α^{16} +

9 659 943 042 551 815 481 216 060 726 622 762 412 328 890 019 844 032 150 018 199 704 498 026 105 193 ⸾
601 034 797 947 475 355 609 264 619 520 α^{17} +

8 727 856 123 237 745 835 115 107 702 535 705 207 660 211 076 362 501 594 873 036 554 828 608 181 823 ⸾
563 282 050 349 720 463 273 125 052 416 α^{18} +

7 311 273 507 509 917 440 228 935 713 021 370 246 998 972 387 522 958 987 863 304 182 052 124 448 946 ⸾
174 549 402 379 127 608 313 500 663 808 α^{19} +

5 692 349 955 637 702 975 766 050 067 634 914 058 514 189 613 226 495 291 323 896 857 277 835 104 553 ⸾
874 346 951 768 610 274 625 462 468 608 α^{20} +

4 128 004 444 505 948 421 837 462 983 960 252 239 927 497 406 350 562 557 038 334 754 540 181 296 627 ⸾
278 276 592 302 370 162 510 710 439 936 α^{21} +

2 793 623 723 566 605 550 554 828 375 735 957 333 963 077 782 343 632 302 816 631 100 673 774 184 265 ⸾
213 389 145 605 106 164 297 397 436 416 α^{22} +

1 767 296 624 068 769 646 189 505 912 356 397 075 053 442 177 580 025 216 114 707 461 839 699 630 113 ⸾
972 321 848 301 061 117 689 817 202 688 α^{23} +

1 046 683 929 497 966 188 007 589 432 641 512 472 377 945 717 461 865 907 971 967 881 345 665 044 166 ⸾
564 153 822 211 713 525 601 714 307 072 α^{24} +

581 115 063 590 886 553 158 854 878 599 106 487 217 650 448 451 637 586 854 074 659 094 634 889 242 ⸾
105 017 469 906 575 026 069 480 407 040 α^{25} +

302 801 204 674 675 068 012 435 156 231 223 357 399 753 806 125 005 020 768 263 138 469 738 824 809 ⸾
270 498 710 897 241 697 037 037 076 480 α^{26} +

148 234 422 562 553 301 894 467 322 269 342 350 007 260 629 870 452 528 732 265 306 097 114 658 296 ⸾
691 180 333 329 175 222 519 750 197 248 α^{27} +

68 238 189 023 486 348 538 913 678 932 736 295 207 260 738 020 163 564 396 183 397 609 379 869 460 754 ⸾
943 182 325 322 521 303 662 460 928 α^{28} +

29 561 874 593 644 959 722 696 281 930 135 625 072 670 187 125 810 302 344 761 799 998 284 743 514 545 ⸾
967 056 936 955 624 072 570 470 400 α^{29} +

12 060 166 079 294 600 996 467 878 755 400 353 538 412 970 470 698 648 762 599 293 930 543 699 905 238 ⸾
869 867 413 978 867 097 399 197 696 α^{30} +

4 635 930 011 469 017 322 792 421 432 547 321 963 526 815 253 720 461 568 558 753 815 540 413 828 329 ⸾
487 277 530 871 451 324 851 945 472 α^{31} +

1 679 906 720 700 955 684 457 040 350 515 945 304 195 194 995 763 952 558 129 075 464 569 821 311 559 ⸾
418 070 102 020 938 264 947 458 048 α^{32} +

574 063 011 238 831 196 492 659 182 751 518 660 475 545 511 216 257 300 489 042 438 269 137 279 351 ⸾
739 002 490 308 510 564 296 425 472 α^{33} +

185 046 919 378 589 814 873 995 152 812 582 710 033 428 052 375 581 583 999 068 546 699 302 462 058 ⸾
677 998 865 007 248 196 176 445 440 α^{34} +

56 277 570 010 335 302 445 288 728 632 798 168 753 425 872 577 447 740 880 656 092 812 031 850 263 432 ⸾

288 806 952 728 612 160 143 360 α^{35} +

16 149 737 800 597 301 210 951 843 927 930 963 077 029 537 633 723 672 018 126 326 761 042 798 186 024 023 170 773 588 466 955 452 416 α^{36} +

4 373 008 256 323 465 104 683 006 021 937 072 582 882 928 226 525 171 885 869 418 070 663 187 139 235 381 551 053 721 892 793 876 480 α^{37} +

1 117 250 012 091 946 531 736 526 641 120 383 572 937 964 257 933 165 954 162 460 156 334 612 754 103 529 030 543 911 691 661 344 768 α^{38} +

269 282 700 507 978 541 073 732 296 699 379 514 879 889 253 822 013 822 932 385 548 952 624 015 539 829 771 428 647 895 327 309 824 α^{39} +

61 213 726 677 749 058 611 295 830 404 177 528 348 067 452 848 381 120 781 874 973 351 630 007 415 510 012 833 528 773 349 474 304 α^{40} +

13 119 768 047 117 143 578 505 723 961 275 971 238 107 307 744 061 492 069 111 955 022 064 264 451 173 131 725 886 908 004 302 848 α^{41} +

2 650 050 256 425 091 451 373 456 959 910 061 880 154 140 683 189 950 451 237 494 655 625 703 642 670 280 567 585 052 764 930 048 α^{42} +

504 200 619 134 172 994 849 940 723 815 845 887 555 025 268 886 037 261 419 931 095 563 708 306 942 628 154 023 039 220 056 064 α^{43} +

90 302 402 983 908 373 448 861 892 875 898 517 480 604 283 143 807 142 135 357 422 976 268 608 628 888 990 401 505 437 679 616 α^{44} +

15 213 144 597 821 228 583 516 710 873 258 758 347 873 063 750 891 152 141 876 895 066 461 822 239 554 889 079 609 213 583 360 α^{45} +

2 408 727 591 103 668 427 662 117 908 743 187 247 788 171 385 314 714 699 749 002 785 950 566 937 364 787 915 774 838 702 080 α^{46} +

358 075 434 115 446 239 779 916 224 422 445 498 893 647 625 966 361 919 104 245 636 228 984 649 833 769 399 343 906 816 000 α^{47} +

49 921 472 483 486 434 633 200 449 595 887 201 188 436 712 694 752 987 103 408 506 999 157 736 310 457 878 731 074 568 192 α^{48} +

6 518 785 759 292 981 993 430 359 762 014 035 799 469 144 000 500 641 541 451 193 493 179 814 511 057 343 106 473 000 960 α^{49} +

796 119 192 931 619 685 670 522 121 842 069 400 173 572 360 436 007 823 936 514 754 336 960 012 232 928 747 409 375 232 α^{50} +

90 782 762 255 562 677 409 556 250 804 203 944 493 240 777 228 588 112 581 352 297 282 695 318 239 270 704 643 047 424 α^{51} +

9 647 836 104 319 241 537 754 866 847 375 048 217 264 747 481 564 400 258 992 889 271 707 730 271 003 656 423 735 296 α^{52} +

953 536 518 591 124 465 938 620 876 943 082 007 286 052 109 942 778 411 266 422 911 339 371 774 850 599 164 575 744 α^{53} +

87 434 248 827 975 079 739 840 306 651 935 199 582 489 894 582 000 074 299 984 073 803 649 903 733 171 090 882 560 α^{54} +

7 417 799 068 476 261 709 962 444 292 809 864 578 932 224 431 758 259 450 079 821 207 641 237 934 897 920 737 280 α^{55} +

580 446 012 217 255 879 597 006 431 073 760 900 598 375 627 948 606 719 863 037 810 435 457 528 400 825 024 512 α^{56} +

41 743 256 884 385 906 842 627 706 149 152 279 970 214 737 600 728 204 691 089 883 697 048 313 916 083 404 800 α^{57} +

2 747 599 198 636 543 160 739 654 520 983 678 561 302 815 207 513 291 036 628 121 816 195 424 533 365 129 216 α^{58} +

164 731 320 650 960 375 060 541 336 087 282 595 203 771 838 619 991 463 966 697 541 789 417 373 819 731 968 α^{59} +

8 945 559 957 321 783 354 460 669 729 147 659 307 012 364 041 939 331 445 091 656 333 058 467 417 817 088 α^{60} +

437 065 967 030 143 161 494 982 879 342 404 040 984 452 177 822 618 065 515 100 566 641 092 608 393 216 α^{61} +

19 059 540 949 284 547 379 278 178 546 128 060 725 803 233 038 388 841 723 381 305 179 653 260 967 936 α^{62} +

734 610 689 116 589 871 244 929 241 596 946 013 807 713 810 572 780 318 362 420 998 695 863 451 648 α^{63} +

24 722 985 698 769 881 280 347 388 744 327 591 453 291 320 982 422 118 024 693 772 717 456 883 712 α^{64} +

715 344 261 315 828 460 920 105 845 372 908 711 702 503 142 366 154 770 196 101 154 314 649 600 α^{65} +

17 436 233 838 827 976 332 862 949 701 741 497 419 836 939 895 300 719 616 943 087 408 906 240 α^{66} +

348 163 946 928 989 118 554 509 126 532 736 300 041 098 460 353 480 064 542 173 523 083 264 α^{67} +

5 468 663 612 695 899 560 318 894 188 157 228 103 643 699 583 009 995 672 959 578 013 696 α^{68} +

63 359 952 340 273 894 108 839 181 649 301 155 120 611 101 466 753 907 144 471 347 200 α^{69} +

481 424 330 825 032 281 679 658 956 017 213 406 645 650 651 185 150 191 416 115 200 α^{70} +

1 799 596 991 269 061 329 287 824 680 392 760 881 927 537 311 686 029 685 555 200 α^{71}) S_α^3 +

(− 89 916 612 238 979 537 842 097 908 129 376 325 531 105 758 675 411 717 578 117 967 681 721 954 394 664 180 947 039 027 200 000 000 000 −

2 046 693 180 192 141 842 995 255 870 676 156 274 522 225 542 881 288 012 403 272 440 252 880 830 751 141 801 098 579 825 131 520 000 000 α −

22 890 785 956 610 213 196 713 140 909 196 329 397 101 978 690 268 493 988 242 273 525 533 106 675 784 900 270 267 608 776 835 072 000 000 α^2 −

167 697 231 398 509 632 372 957 480 036 426 101 328 716 567 745 583 831 087 298 866 175 867 558 286 580 083 092 743 859 068 521 676 800 000 α^3 −

905 151 827 547 869 451 844 008 580 380 120 763 849 014 045 139 970 370 336 491 116 182 603 428 617 226 873 406 051 150 627 896 033 280 000 α^4 −

3 838 785 103 138 818 131 423 801 671 609 502 359 096 124 003 852 002 935 027 951 180 824 690 346 019 035 857 503 866 571 138 214 658 048 000 α^5 −

13 322 524 929 061 391 871 624 986 090 564 732 729 748 989 232 081 742 546 725 603 885 187 716 008 625 726 091 445 187 175 153 830 513 868 800 α^6 −

38 908 615 806 946 130 646 653 607 123 947 230 354 595 707 121 112 789 276 126 087 626 438 391 801 476 855 146 850 519 328 646 208 862 289 920 α^7 −

97 596 621 313 130 514 882 245 873 836 278 496 969 377 012 243 121 393 544 740 148 319 765 518 759 498 838 960 303 624 708 411 329 863 483 392 α^8 −

213 549 224 734 239 309 572 926 147 829 389 004 655 137 006 716 434 055 362 209 186 016 831 535 555 724 468 063 134 515 526 379 455 729 631 232 α^9 −

412 602 575 093 277 318 467 677 869 071 176 523 033 187 326 626 374 629 394 567 021 420 448 212 654 335 661 672 162 166 092 286 585 133 334 528 α^{10} −

710 884 668 014 682 193 374 250 440 876 720 940 267 934 709 181 684 586 711 418 876 761 259 184 722 439 692 793 926 412 779 455 221 604 548 608 α^{11} −

1 101 026 119 129 276 393 764 620 801 443 962 836 792 366 584 749 700 340 437 797 166 429 557 632 338 597 158 005 699 987 620 328 858 135 298 048 α^{12} −

1 543 275 930 679 359 847 268 806 505 347 946 208 859 158 264 307 263 734 302 609 749 107 505 153 159 204 383 246 731 100 215 646 928 406 315 008 α^{13} −

1 968 792 470 693 059 772 503 009 179 708 752 379 558 410 807 272 519 163 712 358 540 360 590 413 571 120 784 083 302 030 245 834 803 457 818 624 α^{14} −

2 297 043 059 584 344 654 195 680 259 598 272 515 109 348 890 282 327 446 665 002 093 982 090 661 745 490 226 625 907 736 894 181 304 761 843 712 α^{15} −

2 461 285 112 043 715 999 668 272 996 773 220 930 076 094 310 629 826 576 598 801 156 114 225 776 640 611 138 551 402 357 879 101 239 580 426 240 α^{16} −

2 430 800 762 628 674 065 787 562 872 492 228 116 434 531 516 912 149 981 677 447 081 441 673 969 840 947 982 742 905 796 421 423 155 759 808 512 α^{17} −

2 219 743 746 050 282 216 604 515 010 051 528 946 962 287 747 637 426 209 055 093 571 602 153 846 165

290 572 561 054 716 590 678 180 647 403 520 α^{18} −

1 879 426 516 414 375 292 764 438 267 372 528 705 695 449 757 346 167 445 392 691 221 246 702 863 182 929 740 276 677 589 271 185 151 466 930 176 α^{19} −

1 479 027 557 649 311 043 124 319 639 258 826 856 342 687 288 524 919 345 308 076 172 191 598 097 255 630 490 345 431 051 645 864 851 477 102 592 α^{20} −

1 084 154 554 249 403 709 445 683 720 814 031 926 331 539 923 033 298 224 672 706 788 021 532 086 273 768 112 346 765 779 523 416 580 186 701 824 α^{21} −

741 648 390 222 958 023 354 137 923 957 151 067 437 252 024 567 287 774 084 438 467 393 085 002 517 370 810 766 566 168 637 812 068 906 434 560 α^{22} −

474 274 936 778 362 012 364 938 051 939 845 805 301 289 064 915 628 536 485 523 087 898 552 128 369 229 549 393 704 741 653 424 452 227 039 232 α^{23} −

283 946 866 454 843 121 791 150 389 349 025 410 324 912 142 055 307 997 554 730 043 417 963 137 327 434 374 227 529 585 291 601 906 703 007 744 α^{24} −

159 365 177 557 932 951 422 562 690 233 702 476 042 269 285 929 672 855 580 698 668 256 574 404 488 062 188 685 403 084 948 096 379 086 962 688 α^{25} −

83 947 238 920 103 114 017 012 958 092 743 642 049 205 291 909 389 607 582 267 884 013 713 698 156 759 216 800 489 225 987 043 526 141 018 112 α^{26} −

41 545 303 342 020 014 005 613 904 184 187 901 008 049 976 119 912 162 507 234 099 225 388 548 121 504 459 516 244 688 619 313 513 466 167 296 α^{27} −

19 334 357 263 464 109 910 749 278 139 404 552 171 914 101 009 409 203 584 665 258 115 108 460 004 989 815 472 439 211 618 149 107 524 173 824 α^{28} −

8 467 744 302 913 977 684 532 019 406 993 282 096 315 407 076 560 832 472 513 292 588 778 351 973 132 987 925 652 368 911 701 582 058 356 736 α^{29} −

3 492 412 538 378 534 376 819 901 557 500 582 564 453 273 480 554 044 600 433 306 482 893 789 496 625 481 116 729 385 630 115 937 013 202 944 α^{30} −

1 357 211 141 158 913 686 390 231 581 229 423 673 202 721 857 148 131 537 414 044 115 469 005 071 925 615 691 783 698 693 465 125 456 707 584 α^{31} −

497 204 071 480 710 150 096 768 982 440 021 448 176 424 936 269 008 522 938 887 053 892 664 522 564 549 315 714 174 347 864 767 299 846 144 α^{32} −

171 770 104 952 404 411 200 445 197 615 025 044 818 690 891 241 807 319 813 640 624 328 717 060 981 932 002 763 926 883 838 585 968 001 024 α^{33} −

55 976 639 134 502 185 162 010 355 879 851 195 468 457 820 862 298 456 884 883 175 973 602 635 363 139 384 965 036 260 860 516 884 283 392 α^{34} −

17 210 543 583 519 565 161 126 079 313 989 297 880 280 922 881 597 443 727 570 903 414 343 438 878 678 912 638 073 137 053 664 601 440 256 α^{35} −

4 992 927 854 189 447 203 602 770 742 348 902 213 096 025 467 322 535 657 568 519 046 801 145 632 823 796 807 216 293 963 725 935 738 880 α^{36} −

1 366 771 445 136 380 638 427 839 910 681 561 892 389 920 882 186 125 554 762 006 005 008 748 605 354 180 353 787 819 090 795 640 651 776 α^{37} −

353 009 129 089 552 484 734 518 920 775 255 759 810 949 038 082 111 402 416 167 893 581 015 479 062 627 039 345 943 773 816 836 587 520 α^{38} −

86 011 626 371 854 649 868 724 498 615 893 873 036 331 552 671 580 275 736 957 452 308 704 635 212 515 649 026 067 076 633 914 769 408 α^{39} −

19 765 273 721 968 477 786 098 169 687 922 747 628 940 699 133 760 749 102 813 216 957 841 612 276 175 419 128 085 388 668 925 116 416 α^{40} −

4 282 295 863 642 263 359 523 536 041 564 333 442 595 919 725 019 544 594 756 468 157 755 049 017 241 110 674 455 876 313 118 932 992 α^{41} −

874 362 162 227 414 970 450 171 903 684 417 572 902 137 447 071 694 937 930 434 938 919 500 860 300 851 731 893 635 904 857 702 400 α^{42} −

168 157 656 884 014 178 126 269 856 033 061 999 894 588 464 084 452 430 950 073 353 569 894 860 304 630 729 318 882 382 641 627 136 α^{43} −

30 442 266 447 559 791 303 022 527 062 419 269 825 750 925 714 425 775 121 079 266 202 680 642 316 121
501 843 819 737 626 181 632 α^{44} −

5 183 803 715 076 498 084 116 103 731 681 915 276 717 901 768 800 831 257 456 257 747 055 481 235 363
025 880 987 804 310 175 744 α^{45} −

829 575 124 520 736 174 213 837 439 246 251 853 590 380 038 686 508 925 169 676 911 400 509 850 288
824 621 459 016 888 877 056 α^{46} −

124 642 680 150 398 984 049 280 106 027 215 703 256 766 367 272 764 519 723 822 584 142 909 182 877
355 066 112 738 546 679 808 α^{47} −

17 562 597 944 432 530 044 228 431 257 572 073 118 019 216 572 359 216 573 070 272 762 175 669 773 791
188 255 124 179 910 656 α^{48} −

2 317 721 697 379 175 541 166 365 900 549 051 276 395 794 926 192 446 477 164 329 752 998 125 801 708
320 273 277 892 165 632 α^{49} −

286 054 752 045 596 434 996 225 805 374 459 309 337 532 550 680 656 832 690 707 217 835 604 145 608
681 644 022 592 176 128 α^{50} −

32 963 511 742 594 906 627 117 821 988 259 525 423 386 023 417 967 463 745 493 227 793 961 808 767 127
546 071 988 830 208 α^{51} −

3 539 979 615 459 460 775 669 924 413 790 608 837 317 710 451 260 407 693 565 930 342 553 207 310 223
344 789 364 932 608 α^{52} −

353 533 002 074 238 107 485 679 831 206 999 094 486 121 636 260 495 251 632 569 886 431 074 145 744
956 127 201 722 368 α^{53} −

32 754 902 356 312 334 616 244 143 115 445 435 220 383 775 600 369 458 230 372 473 510 869 190 182 061
037 987 037 184 α^{54} −

2 807 705 164 300 135 377 681 003 921 834 642 517 554 550 991 224 048 660 342 815 728 532 813 162 752
875 778 015 232 α^{55} −

221 972 370 050 072 370 974 408 818 206 201 634 664 313 650 263 653 879 644 048 037 434 385 585 396
118 538 158 080 α^{56} −

16 127 325 759 243 892 477 342 389 403 287 721 141 472 724 991 433 790 738 867 594 216 047 404 909 118
317 658 112 α^{57} −

1 072 373 335 011 700 197 276 413 466 237 208 464 830 196 056 891 840 202 239 799 903 749 815 961 384
659 189 760 α^{58} −

64 947 501 428 776 982 587 529 592 343 850 035 072 214 387 483 057 435 707 500 072 359 214 907 389 080
764 416 α^{59} −

3 562 574 003 164 039 216 934 005 932 312 800 667 108 221 177 503 705 541 073 866 973 098 945 086 794
760 192 α^{60} −

175 812 330 617 496 371 796 956 243 868 828 871 344 848 504 404 444 298 879 940 200 894 959 270 110
429 184 α^{61} −

7 743 478 257 366 235 921 383 624 050 842 172 998 855 821 605 672 939 329 126 988 307 816 103 584 727
040 α^{62} −

301 423 420 576 976 621 411 161 857 574 837 688 592 798 457 767 454 098 394 133 282 514 661 940 396 032
α^{63} −

10 244 506 841 039 755 837 782 777 714 543 447 781 245 270 998 018 445 411 265 815 018 975 394 791 424
α^{64} −

299 329 428 801 384 738 696 145 364 096 674 996 679 606 593 983 651 606 141 680 087 276 367 904 768
α^{65} −

7 367 234 646 551 830 682 394 633 108 823 416 843 152 449 466 224 219 815 982 004 085 123 448 832 α^{66} −
148 534 033 917 753 828 808 591 132 120 729 277 686 805 241 105 303 428 214 539 375 792 357 376 α^{67} −
2 355 516 642 721 205 245 733 304 360 201 075 191 629 284 176 988 341 117 993 976 623 792 128 α^{68} −
27 552 093 717 335 486 156 074 554 935 235 606 914 308 723 449 674 265 603 923 666 534 400 α^{69} −
211 336 353 369 003 648 172 112 721 697 711 992 217 883 055 178 928 129 383 700 889 600 α^{70} −
797 441 937 110 990 115 062 213 625 434 396 035 590 691 401 524 154 386 192 793 600 α^{71} $\Big)$ S_α^2 +

$\Big($ 4 468 375 606 182 935 300 523 869 051 052 901 772 085 843 662 683 730 376 876 664 281 570 851 403 490

219 479 135 262 290 739 200 000 000 +

103 573 269 790 767 250 008 230 792 320 801 835 860 093 981 891 265 602 610 745 369 485 426 247 890 ╲
726 735 135 331 769 437 388 800 000 000 α +

1 179 596 533 329 213 832 037 767 121 648 351 256 754 376 020 234 822 361 124 753 826 866 927 813 193 ╲
887 120 219 924 669 111 730 176 000 000 α^2 +

8 799 663 054 985 121 823 231 167 007 348 984 071 490 294 719 527 492 805 252 080 751 710 454 124 505 ╲
049 722 921 783 015 558 348 800 000 000 α^3 +

48 363 248 509 835 713 813 013 025 344 180 043 345 846 508 185 287 209 352 213 761 230 688 744 545 068 ╲
149 187 425 761 735 114 070 425 600 000 α^4 +

208 845 586 204 425 335 555 798 182 449 883 509 942 506 868 960 398 127 724 546 251 200 682 262 460 ╲
171 523 246 807 572 881 809 793 351 680 000 α^5 +

737 965 843 262 148 507 714 070 029 874 203 194 618 529 028 906 536 570 409 471 764 232 298 857 025 ╲
516 953 742 175 108 493 764 347 717 222 400 α^6 +

2 194 278 373 178 619 223 331 056 595 265 342 942 379 831 410 870 813 657 967 847 180 507 854 816 758 ╲
648 482 293 127 840 810 832 724 859 289 600 α^7 +

5 603 408 637 237 925 504 063 854 770 125 649 419 081 209 587 806 017 707 386 520 407 299 465 121 951 ╲
651 401 030 836 276 994 354 531 111 272 448 α^8 +

12 481 301 234 156 442 655 056 858 400 305 899 091 690 002 460 712 939 282 945 424 850 646 353 116 616 ╲
089 631 954 014 653 576 062 631 503 986 688 α^9 +

24 547 567 609 658 176 283 756 101 591 989 993 978 970 082 478 335 210 929 760 852 367 381 423 493 231 ╲
834 019 801 573 412 893 717 556 117 897 216 α^{10} +

43 048 524 839 581 648 316 208 130 467 663 226 471 527 467 345 910 155 671 860 598 285 720 906 678 382 ╲
606 663 236 018 653 449 429 372 620 505 088 α^{11} +

67 858 614 006 675 961 865 009 120 756 342 804 113 606 690 058 319 196 887 833 856 583 273 784 885 926 ╲
904 762 655 617 891 111 612 655 178 088 448 α^{12} +

96 797 162 709 417 223 091 244 784 868 716 749 537 526 610 825 524 112 720 037 148 354 779 053 542 592 ╲
875 153 914 721 187 766 197 020 709 093 376 α^{13} +

125 658 538 190 247 725 464 006 374 254 014 895 801 167 769 460 176 290 401 815 332 512 045 776 667 ╲
539 405 032 009 556 968 664 193 708 368 855 040 α^{14} +

149 174 138 733 554 669 706 500 211 795 639 807 937 655 415 841 853 011 637 672 560 113 649 360 531 ╲
695 029 067 469 509 389 195 719 460 989 698 048 α^{15} +

162 620 787 553 726 991 628 076 265 644 508 484 970 095 236 326 105 544 986 062 384 100 205 964 690 ╲
670 203 890 618 836 117 932 118 393 460 097 024 α^{16} +

163 383 722 165 286 313 884 532 672 643 738 190 120 364 691 199 766 238 674 912 864 919 470 514 115 ╲
071 968 542 654 757 858 191 631 487 927 844 864 α^{17} +

151 761 409 577 155 020 017 257 347 060 850 503 037 756 979 763 259 598 357 491 205 309 049 486 122 ╲
489 304 698 909 009 609 691 852 323 218 784 256 α^{18} +

130 687 811 473 127 121 293 234 601 839 587 224 031 594 763 462 627 305 549 178 172 995 319 846 840 ╲
045 398 618 550 877 272 294 326 006 433 447 936 α^{19} +

104 589 426 222 824 212 520 672 003 951 167 708 199 731 631 344 658 879 882 976 979 890 443 219 150 ╲
695 324 725 072 026 423 682 129 332 281 540 608 α^{20} +

77 956 718 257 610 779 709 313 619 635 802 014 697 334 519 431 302 595 667 747 799 633 411 421 510 338 ╲
885 002 939 832 597 292 229 980 707 618 816 α^{21} +

54 219 921 318 623 322 027 345 901 268 739 920 490 807 960 155 421 176 777 913 580 757 916 816 688 942 ╲
319 824 351 712 229 386 657 659 959 115 776 α^{22} +

35 248 105 278 365 730 563 690 830 997 595 963 100 903 776 276 227 422 003 664 224 267 675 184 527 684 ╲
380 584 945 469 445 764 977 542 519 848 960 α^{23} +

21 450 257 222 409 812 171 936 921 327 700 238 661 529 326 977 157 135 980 309 107 699 192 883 997 824 ╲
997 774 741 983 998 158 518 738 369 904 640 α^{24} +

12 235 523 059 642 439 442 389 342 547 274 529 507 775 330 743 116 637 260 900 350 096 220 784 488 434 ╲
329 139 692 283 602 566 214 273 923 547 136 α^{25} +

6 549 557 605 376 442 753 835 306 387 290 204 507 965 824 525 587 797 752 936 317 255 681 071 102 424 230 704 611 394 312 136 915 554 142 257 152 α^{26} +

3 293 408 843 424 226 530 867 540 135 868 477 734 638 957 360 625 553 835 340 677 453 331 209 170 562 882 412 969 163 237 243 467 131 768 537 088 α^{27} +

1 557 085 195 543 455 385 994 674 510 529 557 482 141 259 833 139 784 780 801 395 942 671 580 976 388 883 389 956 678 833 317 873 536 924 123 136 α^{28} +

692 706 338 642 891 588 226 156 293 156 593 390 620 343 563 712 618 398 818 371 560 326 490 025 673 967 704 290 003 272 226 042 464 083 902 464 α^{29} +

290 164 846 546 335 017 300 747 495 288 487 155 401 028 873 308 630 056 580 320 799 171 352 763 708 091 751 020 469 990 717 974 375 141 736 448 α^{30} +

114 509 834 393 215 213 488 212 206 551 587 388 135 045 123 830 719 954 396 292 687 437 644 749 277 986 801 001 234 548 272 286 582 024 699 904 α^{31} +

42 593 540 806 579 690 220 802 290 269 859 889 023 152 112 166 912 479 954 625 851 601 075 540 557 966 465 050 179 368 591 818 088 024 899 584 α^{32} +

14 938 510 519 338 534 640 652 534 373 811 990 867 126 173 638 989 353 510 797 261 882 023 595 322 176 734 278 440 351 914 344 630 460 612 608 α^{33} +

4 941 440 375 676 828 145 706 281 368 378 732 941 641 716 044 297 295 058 295 557 314 955 923 884 733 627 846 057 260 120 160 763 474 083 840 α^{34} +

1 541 928 406 794 967 215 626 096 731 346 965 332 458 033 606 193 936 073 453 261 251 550 723 847 579 924 039 094 121 223 832 325 790 367 744 α^{35} +

453 924 049 422 488 284 781 071 861 564 917 584 271 126 028 053 403 104 926 638 027 038 180 861 412 729 018 242 260 871 172 159 231 229 952 α^{36} +

126 071 543 510 795 705 621 793 074 238 103 000 367 832 056 972 178 021 371 376 145 675 685 147 180 527 796 702 051 476 115 575 812 390 912 α^{37} +

33 032 011 228 596 190 795 414 661 011 410 140 717 869 174 934 164 267 772 533 270 847 725 322 000 862 571 219 371 738 566 010 788 118 528 α^{38} +

8 163 351 193 340 286 203 480 857 222 050 313 255 710 318 283 918 030 871 163 615 019 951 155 869 016 693 308 722 228 061 824 874 446 848 α^{39} +

1 902 437 819 759 508 536 003 971 328 220 906 503 470 867 194 281 428 801 068 559 033 041 173 278 680 377 815 806 171 773 958 780 616 704 α^{40} +

417 940 533 165 180 219 882 251 925 213 870 416 180 441 529 863 712 636 772 024 664 769 283 966 408 235 608 648 307 338 855 367 835 648 α^{41} +

86 515 329 848 764 718 803 034 071 834 708 670 314 142 026 744 537 107 907 684 360 155 777 998 088 359 299 319 726 230 296 474 943 488 α^{42} +

16 866 145 132 231 349 203 823 865 902 189 631 124 901 127 325 905 268 001 797 713 061 832 571 334 956 346 598 560 967 256 598 118 400 α^{43} +

3 094 618 708 323 661 629 477 115 566 212 479 275 667 316 109 324 783 646 299 617 676 917 063 176 459 685 703 164 242 898 253 250 560 α^{44} +

534 002 335 004 874 222 656 146 743 229 939 935 003 983 682 270 028 157 793 218 240 143 779 298 610 950 605 328 140 031 815 057 408 α^{45} +

86 586 111 512 753 287 656 807 298 226 788 340 792 316 583 227 310 072 066 621 674 029 747 228 349 324 782 114 124 131 746 185 216 α^{46} +

13 179 250 185 604 147 119 564 051 638 893 156 404 252 785 344 279 097 158 824 191 482 671 489 144 060 315 364 450 503 820 836 864 α^{47} +

1 880 951 775 813 895 305 113 684 206 478 201 632 709 605 571 764 388 962 780 555 524 051 554 291 526 233 220 052 058 420 281 344 α^{48} +

251 390 488 035 875 412 684 182 167 544 279 782 810 738 998 112 785 181 360 848 804 971 503 062 613 400 492 057 132 110 184 448 α^{49} +

31 417 323 527 168 943 586 841 691 959 358 888 110 394 666 539 129 702 511 356 024 692 852 692 604 152 959 107 888 563 879 936 α^{50} +

3 665 387 794 716 408 377 656 292 482 046 848 875 526 177 240 619 484 296 112 862 445 305 880 468 936

$599\,384\,615\,821\,508\,608\,\alpha^{51}\,+$

$398\,462\,842\,337\,699\,350\,494\,270\,309\,415\,298\,895\,847\,372\,907\,311\,683\,090\,770\,825\,472\,714\,860\,602\,159\,546\,409\,680\,443\,015\,168\,\alpha^{52}\,+$

$40\,276\,528\,745\,120\,179\,100\,354\,829\,966\,080\,818\,021\,111\,986\,784\,151\,102\,810\,558\,014\,604\,914\,176\,350\,114\,797\,811\,732\,054\,016\,\alpha^{53}\,+$

$3\,776\,313\,403\,839\,486\,487\,395\,004\,564\,220\,434\,979\,300\,530\,572\,673\,026\,400\,685\,847\,983\,159\,666\,462\,407\,443\,554\,941\,009\,920\,\alpha^{54}\,+$

$327\,527\,513\,149\,887\,370\,119\,392\,559\,002\,822\,979\,995\,682\,763\,097\,761\,836\,504\,694\,359\,248\,207\,473\,487\,096\,819\,019\,153\,408\,\alpha^{55}\,+$

$26\,196\,000\,314\,601\,809\,738\,006\,317\,528\,137\,520\,991\,060\,667\,235\,973\,755\,946\,365\,606\,063\,476\,517\,775\,531\,713\,153\,204\,224\,\alpha^{56}\,+$

$1\,925\,190\,643\,130\,626\,768\,898\,366\,804\,828\,721\,734\,640\,776\,746\,768\,425\,619\,671\,273\,033\,187\,208\,121\,525\,916\,951\,117\,824\,\alpha^{57}\,+$

$129\,469\,831\,404\,446\,136\,389\,483\,840\,873\,684\,564\,729\,622\,415\,057\,703\,903\,458\,941\,192\,889\,417\,653\,776\,572\,603\,170\,816\,\alpha^{58}\,+$

$7\,929\,256\,256\,585\,648\,177\,028\,869\,732\,043\,014\,995\,677\,363\,180\,069\,639\,754\,455\,199\,942\,272\,614\,498\,176\,509\,935\,616\,\alpha^{59}\,+$

$439\,762\,250\,720\,629\,933\,345\,306\,447\,479\,715\,801\,339\,446\,292\,196\,444\,905\,956\,938\,501\,966\,739\,222\,571\,555\,749\,888\,\alpha^{60}\,+$

$21\,939\,384\,800\,194\,062\,729\,564\,022\,515\,578\,368\,406\,494\,655\,634\,532\,959\,892\,333\,441\,641\,333\,935\,480\,279\,924\,736\,\alpha^{61}\,+$

$976\,719\,119\,729\,736\,382\,346\,389\,906\,268\,071\,933\,754\,543\,815\,848\,054\,305\,150\,742\,928\,437\,948\,090\,087\,899\,136\,\alpha^{62}\,+$

$38\,424\,387\,346\,687\,289\,823\,251\,799\,047\,812\,409\,114\,005\,182\,179\,324\,807\,504\,028\,351\,046\,188\,137\,699\,082\,240\,\alpha^{63}\,+$

$1\,319\,640\,607\,309\,279\,233\,820\,775\,937\,834\,999\,157\,831\,795\,261\,511\,671\,875\,629\,985\,271\,856\,190\,455\,808\,000\,\alpha^{64}\,+$

$38\,957\,174\,523\,022\,190\,943\,724\,486\,842\,094\,033\,036\,751\,438\,035\,965\,990\,559\,554\,050\,964\,050\,732\,384\,256\,\alpha^{65}\,+$

$968\,623\,922\,983\,076\,820\,926\,158\,315\,796\,909\,008\,360\,879\,337\,981\,330\,420\,441\,511\,819\,332\,322\,066\,432\,\alpha^{66}\,+$

$19\,725\,546\,183\,466\,059\,608\,546\,566\,244\,977\,269\,967\,227\,411\,468\,577\,174\,878\,616\,401\,095\,581\,237\,248\,\alpha^{67}\,+$

$315\,923\,421\,166\,603\,790\,161\,598\,727\,295\,160\,359\,375\,529\,368\,421\,396\,508\,749\,588\,684\,731\,318\,272\,\alpha^{68}\,+$

$3\,731\,500\,946\,797\,016\,077\,119\,898\,661\,686\,027\,019\,785\,513\,849\,563\,570\,215\,219\,473\,730\,764\,800\,\alpha^{69}\,+$

$28\,898\,659\,111\,438\,329\,418\,592\,192\,229\,728\,879\,929\,918\,061\,710\,669\,235\,100\,104\,156\,774\,400\,\alpha^{70}\,+$

$110\,082\,641\,333\,279\,807\,322\,029\,981\,964\,819\,894\,978\,260\,761\,567\,068\,714\,074\,269\,286\,400\,\alpha^{71}\big)\,S_\alpha\,+$

$\big(-18\,483\,642\,211\,509\,391\,438\,150\,747\,489\,614\,723\,639\,485\,575\,838\,976\,992\,584\,052\,824\,699\,266\,338\,411\,287\,464\,526\,991\,987\,834\,880\,000\,000\,000\,-$

$450\,699\,119\,183\,100\,536\,866\,236\,340\,763\,954\,656\,533\,350\,748\,524\,653\,102\,060\,293\,227\,757\,488\,257\,189\,975\,554\,392\,634\,760\,888\,320\,000\,000\,000\,\alpha\,-$

$5\,392\,816\,229\,834\,717\,814\,677\,572\,800\,621\,750\,128\,602\,809\,053\,559\,023\,457\,045\,722\,670\,485\,702\,477\,515\,964\,132\,969\,940\,292\,888\,166\,400\,000\,000\,\alpha^2\,-$

$42\,213\,149\,155\,990\,470\,122\,471\,602\,581\,899\,835\,322\,519\,583\,903\,561\,056\,320\,636\,298\,712\,486\,309\,746\,861\,383\,114\,498\,305\,307\,967\,488\,000\,000\,000\,\alpha^3\,-$

$243\,146\,145\,506\,187\,993\,227\,636\,316\,528\,577\,152\,214\,602\,723\,696\,805\,445\,836\,835\,280\,663\,646\,844\,525\,428\,176\,420\,690\,247\,081\,934\,192\,640\,000\,000\,\alpha^4\,-$

$1\,099\,086\,670\,799\,511\,578\,203\,921\,023\,472\,877\,101\,197\,166\,053\,727\,444\,549\,409\,581\,873\,630\,286\,276\,073\,404\,820\,301\,575\,585\,119\,518\,851\,072\,000\,000\,\alpha^5\,-$

$4\,060\,650\,942\,424\,294\,249\,473\,998\,790\,402\,257\,888\,648\,925\,390\,039\,755\,386\,155\,322\,135\,463\,532\,019\,374\,289\,473\,284\,305\,068\,184\,198\,038\,159\,360\,000\,\alpha^6\,-$

$12\,610\,001\,933\,098\,951\,917\,676\,824\,019\,872\,818\,415\,776\,075\,015\,853\,962\,455\,392\,667\,538\,359\,993\,828\,790$

027 340 639 395 544 052 879 998 320 640 000 α^7 −

33 594 173 024 943 982 878 495 347 776 298 683 235 274 172 811 753 917 565 125 228 171 161 889 566 860 166 461 330 507 000 832 885 844 554 547 200 α^8 −

77 982 394 164 746 003 914 336 840 230 951 289 958 759 981 908 162 030 139 210 281 386 675 928 356 740 306 350 951 244 585 422 017 780 724 531 200 α^9 −

159 668 529 815 752 163 236 285 513 209 538 271 924 183 722 295 088 837 204 909 279 895 601 844 436 144 908 752 753 445 079 647 783 873 832 550 400 α^{10} −

291 208 756 853 004 560 766 930 602 245 565 677 348 701 735 131 180 953 799 797 055 407 217 856 972 226 157 824 675 619 057 143 742 964 380 467 200 α^{11} −

476 935 098 086 976 424 264 863 180 068 749 361 497 886 895 403 717 236 961 947 667 655 002 856 629 268 826 511 325 712 853 985 046 648 009 523 200 α^{12} −

706 170 121 022 853 290 731 320 680 267 880 524 257 944 259 492 957 616 800 554 508 934 697 618 206 583 939 699 384 055 565 171 852 426 241 638 400 α^{13} −

950 662 864 014 482 635 408 909 985 879 885 471 365 663 585 358 527 587 744 921 341 863 952 047 683 237 229 142 616 743 188 023 838 746 083 328 000 α^{14} −

1 169 289 730 491 878 331 324 797 641 923 191 270 845 930 455 936 949 720 229 797 551 684 535 034 832 661 467 055 263 265 457 145 749 731 226 419 200 α^{15} −

1 319 518 710 997 666 424 549 733 060 404 046 630 824 685 101 330 308 008 952 805 548 666 225 252 020 065 068 457 578 947 375 791 567 130 958 233 600 α^{16} −

1 371 154 204 442 167 938 889 280 608 791 955 019 727 664 925 368 135 703 871 227 984 082 371 103 433 365 699 958 481 513 856 301 660 011 862 425 600 α^{17} −

1 316 176 217 949 148 966 025 859 528 989 575 898 387 390 483 313 796 984 250 224 610 209 800 222 741 156 501 475 320 823 312 086 017 037 985 382 400 α^{18} −

1 170 334 112 132 694 958 340 416 595 015 260 039 839 640 771 192 247 413 316 173 246 570 045 604 224 362 373 226 185 987 535 298 015 456 028 262 400 α^{19} −

966 364 733 839 595 465 644 605 623 413 304 421 616 012 019 810 865 277 286 382 616 472 147 972 204 973 771 686 425 478 273 334 264 171 017 011 200 α^{20} −

742 593 303 023 768 011 213 306 503 226 060 514 863 635 497 580 517 852 339 154 490 291 291 335 093 537 597 801 637 770 150 472 074 387 678 822 400 α^{21} −

532 077 908 805 551 221 045 285 462 308 628 598 198 613 899 597 617 234 945 189 408 495 278 597 168 147 441 236 231 681 499 046 695 825 466 982 400 α^{22} −

356 085 610 151 348 374 515 662 480 279 190 020 621 310 501 470 284 043 118 711 798 276 765 507 212 366 396 629 974 690 102 746 607 916 154 880 000 α^{23} −

222 918 140 313 841 478 047 960 004 903 947 801 112 279 764 407 862 844 757 595 757 882 503 206 214 634 918 550 817 466 306 498 415 990 669 312 000 α^{24} −

130 716 362 537 628 410 663 599 629 629 865 275 229 233 945 632 979 951 451 068 703 126 292 113 278 866 500 897 623 024 148 405 581 980 788 326 400 α^{25} −

71 882 338 415 319 433 929 152 027 236 571 799 872 064 956 993 759 826 139 357 487 050 674 829 203 524 247 940 838 187 834 457 113 173 478 604 800 α^{26} −

37 108 623 256 921 256 052 895 366 365 060 063 318 258 044 244 708 653 175 640 496 659 516 907 838 559 057 147 418 146 911 557 499 665 724 211 200 α^{27} −

18 000 489 086 579 598 037 472 798 470 889 046 555 403 159 169 593 333 662 793 938 245 137 739 841 768 829 841 816 443 889 738 703 102 699 110 400 α^{28} −

8 210 980 261 622 889 175 124 776 834 495 030 373 685 918 715 586 506 061 979 044 960 429 586 339 387 058 373 903 544 147 840 731 723 700 633 600 α^{29} −

3 524 544 074 330 651 272 117 473 668 201 354 932 551 101 424 009 895 225 406 824 737 771 756 042 963 290 035 358 467 495 557 264 846 304 051 200 α^{30} −

1 424 487 452 427 103 445 756 585 983 910 581 406 564 799 288 672 377 816 256 765 137 814 462 279 767 400 664 928 386 179 021 728 810 375 577 600 α^{31} −

542 337 300 428 998 930 531 315 148 077 690 226 840 369 035 181 883 806 030 484 541 611 050 908 890 402 942 664 454 630 375 580 138 838 425 600 α^{32} −

194 581 581 708 909 153 796 089 904 555 325 776 033 431 183 616 090 195 675 941 002 484 244 674 388
088 260 913 538 004 490 483 576 025 907 200 α^{33} −

65 808 491 492 594 688 205 647 524 280 863 691 630 039 750 022 584 250 039 693 265 383 426 612 342 091
350 364 123 555 533 558 269 345 792 000 α^{34} −

20 984 470 782 277 196 627 271 072 175 297 177 041 232 987 016 799 402 126 164 658 038 694 239 320 390
531 779 544 396 648 291 728 202 137 600 α^{35} −

6 309 573 484 805 826 587 965 847 381 912 888 308 762 935 326 402 513 844 265 105 565 365 340 871 124
557 271 558 042 615 558 200 675 532 800 α^{36} −

1 788 958 812 933 100 526 940 548 232 892 781 924 654 009 575 871 116 394 358 637 513 090 068 166 567
622 424 522 780 732 215 404 580 044 800 α^{37} −

478 270 889 886 496 335 578 144 952 489 914 815 068 368 519 575 954 311 411 873 997 664 687 857 961
458 294 505 672 893 166 771 188 531 200 α^{38} −

120 547 397 118 056 827 269 796 229 049 127 633 500 017 311 011 608 569 765 876 537 727 680 041 209
670 896 242 324 500 149 838 230 323 200 α^{39} −

28 638 511 003 995 691 616 127 911 063 262 179 516 209 412 186 676 794 548 833 277 066 240 142 244 174
737 448 600 321 317 253 257 625 600 α^{40} −

6 410 774 496 650 892 141 426 462 781 493 147 864 270 898 259 889 873 848 963 659 245 243 262 138 824
863 371 416 414 806 152 000 307 200 α^{41} −

1 351 623 299 020 126 870 625 872 930 603 005 193 552 066 837 104 018 702 560 784 628 436 144 282 426
552 651 539 907 621 464 257 331 200 α^{42} −

268 262 853 931 525 598 251 605 719 521 654 649 263 888 239 639 386 792 665 559 916 783 001 747 407
570 704 368 445 924 717 887 488 000 α^{43} −

50 090 376 458 112 537 309 255 223 503 518 676 168 620 651 728 805 819 034 656 144 055 578 046 067 663
030 676 906 987 080 384 512 000 α^{44} −

8 792 609 144 946 053 847 282 449 073 323 660 958 312 332 890 280 142 618 714 998 514 095 568 927 667
808 728 066 506 515 231 539 200 α^{45} −

1 449 705 830 561 977 236 915 433 885 310 131 283 647 619 332 197 242 431 538 528 512 131 317 572 537
353 110 757 512 082 515 558 400 α^{46} −

224 291 794 858 524 152 002 011 497 364 582 251 523 244 186 237 827 012 434 516 498 343 877 111 819
228 898 492 666 896 554 393 600 α^{47} −

32 525 926 396 358 827 814 619 012 907 449 209 072 823 232 505 792 750 729 264 713 976 975 618 282 911
279 214 129 254 603 161 600 α^{48} −

4 415 426 453 422 390 633 064 777 109 319 579 545 569 456 704 579 941 348 573 244 772 017 041 871 569
013 439 126 658 298 675 200 α^{49} −

560 288 007 094 529 700 006 995 916 058 650 399 442 207 030 125 347 351 824 590 195 335 277 901 145
122 152 368 159 745 638 400 α^{50} −

66 348 463 406 218 902 766 340 436 893 398 911 968 462 437 022 029 913 970 773 837 390 494 041 869 649
035 254 096 409 395 200 α^{51} −

7 318 496 441 909 181 389 571 695 079 928 883 815 882 580 405 144 210 914 934 866 511 960 456 523 749
497 495 660 737 331 200 α^{52} −

750 355 707 337 589 730 531 068 472 848 189 342 434 652 671 600 806 231 769 571 298 668 820 576 990
493 348 016 318 054 400 α^{53} −

71 338 823 705 491 184 368 543 125 055 195 206 026 618 686 232 559 250 053 386 536 254 006 487 170 396
708 667 392 000 000 α^{54} −

6 272 109 207 716 513 102 853 162 547 142 053 304 602 785 835 313 858 802 102 696 085 676 731 453 392
886 728 700 723 200 α^{55} −

508 366 926 548 788 261 386 517 992 519 164 392 458 109 539 521 160 002 686 714 591 120 200 300 832
691 630 741 913 600 α^{56} −

37 849 871 370 213 317 955 873 831 494 014 542 778 880 844 460 651 225 430 456 805 656 668 749 707 622
586 358 169 600 α^{57} −

2 577 998 882 219 583 820 586 550 919 438 389 271 878 260 215 253 664 113 378 837 473 085 885 516 579

$$965\,658\,726\,400\,\alpha^{58}\,-$$

$$159\,863\,132\,844\,861\,747\,376\,191\,090\,997\,699\,571\,336\,025\,321\,869\,440\,375\,626\,503\,578\,954\,263\,268\,359\,\backslash$$
$$347\,267\,174\,400\,\alpha^{59}\,-$$

$$8\,974\,635\,745\,199\,854\,066\,296\,931\,965\,950\,394\,805\,476\,346\,410\,668\,529\,481\,071\,859\,594\,394\,486\,393\,802\,\backslash$$
$$011\,443\,200\,\alpha^{60}\,-$$

$$453\,096\,391\,663\,935\,811\,971\,946\,872\,138\,000\,724\,105\,035\,723\,718\,533\,293\,433\,105\,125\,360\,506\,151\,339\,\backslash$$
$$714\,150\,400\,\alpha^{61}\,-$$

$$20\,407\,521\,204\,289\,312\,767\,376\,513\,187\,101\,959\,444\,823\,181\,774\,029\,987\,952\,937\,814\,124\,235\,836\,900\,140\,\backslash$$
$$646\,400\,\alpha^{62}\,-$$

$$812\,029\,601\,435\,024\,077\,508\,710\,956\,074\,476\,154\,286\,557\,391\,320\,313\,848\,216\,544\,793\,675\,620\,126\,031\,\backslash$$
$$872\,000\,\alpha^{63}\,-$$

$$28\,200\,549\,895\,014\,330\,040\,810\,707\,645\,758\,569\,512\,543\,174\,340\,796\,052\,673\,287\,285\,757\,480\,016\,019\,456\,\backslash$$
$$000\,\alpha^{64}\,-$$

$$841\,630\,862\,111\,283\,933\,141\,102\,145\,918\,501\,585\,926\,333\,150\,938\,290\,815\,933\,570\,126\,155\,061\,028\,454\,400$$
$$\alpha^{65}\,-$$

$$21\,150\,447\,412\,010\,103\,239\,587\,367\,925\,788\,003\,572\,311\,042\,827\,888\,129\,139\,023\,343\,384\,733\,207\,756\,800$$
$$\alpha^{66}\,-$$

$$435\,235\,130\,348\,031\,936\,213\,696\,690\,634\,580\,097\,978\,510\,781\,947\,317\,470\,017\,836\,893\,324\,129\,075\,200$$
$$\alpha^{67}\,-$$

$$7\,042\,227\,794\,099\,504\,054\,307\,305\,698\,260\,281\,476\,512\,796\,024\,703\,027\,939\,436\,115\,002\,182\,860\,800\,\alpha^{68}\,-$$
$$84\,013\,738\,052\,147\,996\,642\,568\,078\,403\,782\,765\,006\,981\,494\,446\,340\,827\,422\,059\,208\,376\,320\,000\,\alpha^{69}\,-$$
$$657\,037\,893\,580\,521\,387\,341\,846\,036\,768\,700\,261\,475\,785\,348\,354\,177\,993\,063\,278\,837\,760\,000\,\alpha^{70}\,-$$
$$2\,526\,895\,270\,964\,164\,390\,573\,681\,619\,328\,838\,310\,737\,173\,237\,266\,256\,961\,166\,376\,960\,000\,\alpha^{71}\big)$$

In[ ]:= `RecNormalizedOrderODD = OrePolynomialDegree[RECNormalizedinSODD, S[α]]`

Out[ ]= 6

Return to *r*(*n*)

In[ ]:= `RECNormalizedEVENnew = OrePolynomialSubstitute[`
`    ToOrePolynomial[RECNormalizedEVEN], {α → (α - 0) / 2, S[α] → S[α]²}];`
`ToOrePolynomial[RECNormalizedEVENnew]`

Out[ ]= $\Big\{\Big(-1\,998\,410\,332\,995\,385\,305\,084\,031\,314\,405\,967\,183\,796\,704\,055\,989\,393\,620\,529\,294\,600\,189\,766\,400\,000\,\backslash$
$$000\,000\,-$$
$$28\,060\,875\,926\,749\,961\,086\,143\,264\,676\,623\,843\,822\,485\,694\,346\,449\,336\,401\,291\,780\,648\,665\,923\,048\,\backslash$$
$$000\,000\,000\,\alpha\,-$$
$$193\,049\,775\,123\,846\,352\,154\,294\,776\,144\,898\,842\,507\,813\,221\,023\,575\,270\,707\,693\,245\,047\,023\,033\,057\,\backslash$$
$$600\,000\,000\,\alpha^2\,-$$
$$867\,514\,921\,140\,662\,930\,658\,991\,646\,580\,740\,398\,292\,930\,193\,049\,318\,358\,184\,456\,990\,227\,019\,940\,635\,\backslash$$
$$645\,000\,000\,\alpha^3\,-$$
$$2\,864\,328\,762\,951\,250\,207\,464\,489\,568\,352\,322\,007\,612\,532\,664\,282\,679\,372\,866\,029\,273\,618\,215\,368\,634\,\backslash$$
$$487\,250\,000\,\alpha^4\,-$$
$$7\,411\,030\,786\,727\,674\,303\,115\,166\,120\,905\,365\,313\,119\,041\,177\,578\,306\,865\,833\,459\,078\,232\,775\,216\,871\,\backslash$$
$$610\,825\,000\,\alpha^5\,-$$
$$15\,649\,930\,220\,193\,950\,749\,459\,880\,777\,848\,357\,226\,759\,050\,157\,859\,552\,043\,701\,863\,416\,926\,525\,855\,\backslash$$
$$739\,093\,376\,250\,\alpha^6\,-$$
$$27\,739\,238\,180\,031\,577\,145\,733\,607\,053\,026\,561\,046\,542\,225\,197\,037\,483\,791\,757\,457\,687\,645\,722\,628\,\backslash$$
$$286\,214\,159\,250\,\alpha^7\,-\dfrac{1}{2}$$

$$84\,244\,574\,889\,070\,707\,620\,709\,355\,364\,668\,030\,847\,880\,124\,513\,957\,874\,862\,322\,687\,554\,198\,821\,983\,667\,641\,247\,925\,\alpha^8 - \frac{1}{32}$$

$$1\,781\,075\,341\,760\,923\,447\,847\,896\,434\,897\,382\,009\,484\,210\,944\,112\,170\,597\,156\,337\,788\,146\,231\,098\,504\,843\,021\,864\,175\,\alpha^9 - \frac{1}{128}$$

$$8\,292\,487\,160\,559\,938\,494\,660\,805\,232\,949\,768\,061\,999\,889\,561\,007\,219\,714\,581\,462\,498\,799\,544\,975\,618\,776\,860\,403\,881\,\alpha^{10} - \frac{1}{1024}$$

$$68\,694\,860\,736\,291\,127\,975\,613\,465\,965\,434\,042\,354\,488\,002\,486\,234\,558\,706\,388\,492\,301\,120\,149\,022\,293\,804\,044\,629\,755\,\alpha^{11} - \frac{1}{4096}$$

$$255\,188\,034\,360\,550\,722\,231\,965\,458\,787\,606\,701\,675\,143\,095\,771\,106\,102\,976\,921\,779\,556\,791\,345\,407\,904\,465\,712\,832\,115\,\alpha^{12} - \frac{1}{4096}$$

$$213\,993\,420\,661\,019\,384\,876\,532\,998\,988\,311\,990\,111\,414\,161\,382\,438\,285\,352\,572\,625\,784\,671\,371\,974\,789\,863\,977\,488\,017\,\alpha^{13} - \frac{1}{16\,384}$$

$$651\,850\,773\,325\,650\,362\,013\,734\,559\,263\,116\,771\,804\,688\,791\,354\,639\,901\,602\,227\,940\,445\,954\,084\,312\,890\,298\,755\,231\,461\,\alpha^{14} - \frac{1}{32\,768}$$

$$906\,016\,823\,414\,235\,195\,514\,072\,037\,346\,191\,570\,778\,895\,024\,458\,352\,106\,240\,758\,655\,365\,205\,360\,079\,064\,630\,028\,436\,129\,\alpha^{15} - \frac{1}{65\,536}$$

$$1\,154\,051\,291\,903\,916\,779\,783\,601\,181\,326\,826\,249\,506\,598\,933\,064\,577\,828\,808\,069\,414\,001\,638\,118\,003\,741\,408\,182\,617\,717\,\alpha^{16} - \frac{1}{131\,072}$$

$$1\,352\,088\,181\,086\,107\,095\,724\,011\,333\,237\,655\,711\,271\,652\,294\,142\,114\,770\,512\,854\,118\,249\,933\,184\,438\,457\,191\,983\,007\,725\,\alpha^{17} - \frac{1}{262\,144}$$

$$1\,461\,726\,449\,683\,600\,271\,393\,045\,737\,613\,291\,344\,179\,309\,502\,571\,544\,858\,657\,145\,452\,654\,467\,603\,527\,248\,487\,352\,896\,677\,\alpha^{18} - \frac{1}{524\,288}$$

$$1\,462\,276\,964\,263\,325\,596\,631\,469\,635\,962\,165\,964\,172\,266\,511\,490\,168\,541\,441\,180\,256\,638\,562\,185\,885\,775\,146\,218\,690\,797\,\alpha^{19} - \frac{1}{262\,144}$$

$$339\,244\,486\,829\,756\,630\,325\,805\,804\,694\,627\,839\,018\,884\,552\,378\,751\,982\,676\,624\,969\,382\,101\,395\,888\,607\,803\,867\,283\,849\,\alpha^{20} - \frac{1}{2\,097\,152}$$

$$1\,170\,707\,793\,051\,148\,605\,467\,742\,218\,929\,025\,009\,659\,641\,350\,775\,307\,252\,253\,781\,128\,230\,671\,162\,152\,137\,983\,889\,982\,445\,\alpha^{21} - \frac{1}{2\,097\,152}$$

$$470\,404\,646\,365\,453\,655\,210\,668\,114\,571\,349\,927\,882\,834\,248\,720\,818\,472\,309\,232\,866\,482\,888\,175\,995\,778\,360\,770\,739\,385\,\alpha^{22} - \frac{1}{16\,384}$$

$$1\,377\,881\,521\,612\,797\,208\,116\,976\,192\,361\,559\,275\,800\,779\,406\,643\,351\,080\,620\,733\,066\,454\,834\,042\,122\,951\,478\,561\,793\,\alpha^{23} - \frac{1}{1\,048\,576}$$

$$30\,898\,314\,913\,609\,337\,463\,981\,853\,456\,580\,174\,833\,536\,066\,482\,322\,937\,565\,423\,326\,126\,812\,065\,608\,\\311\,505\,632\,531\,081\,\alpha^{24} - \frac{1}{2\,097\,152}$$

$$20\,262\,391\,146\,673\,052\,097\,423\,351\,950\,917\,857\,221\,897\,829\,007\,897\,013\,167\,569\,792\,328\,674\,254\,683\,\\102\,231\,552\,036\,353\,\alpha^{25} - \frac{1}{2\,097\,152}$$

$$6\,224\,750\,341\,452\,773\,827\,255\,133\,768\,817\,072\,272\,094\,998\,855\,766\,743\,310\,917\,336\,953\,111\,096\,591\,\\689\,080\,709\,346\,881\,\alpha^{26} - \frac{1}{1\,048\,576}$$

$$896\,786\,811\,229\,976\,311\,690\,024\,457\,137\,142\,707\,142\,118\,649\,026\,421\,372\,337\,282\,169\,051\,446\,942\,335\,\\727\,384\,716\,245\,\alpha^{27} - \frac{1}{32\,768}$$

$$7\,580\,654\,260\,170\,328\,049\,528\,832\,161\,869\,698\,605\,898\,891\,569\,233\,587\,814\,296\,878\,964\,162\,949\,736\,\\774\,926\,442\,655\,\alpha^{28} - \frac{1}{1\,048\,576}$$

$$61\,651\,867\,486\,944\,384\,981\,106\,260\,910\,135\,850\,918\,563\,649\,144\,317\,856\,980\,961\,224\,584\,995\,998\,187\,\\041\,823\,820\,117\,\alpha^{29} - \frac{1}{1\,048\,576}$$

$$14\,731\,982\,350\,859\,848\,785\,373\,964\,984\,423\,082\,543\,798\,257\,771\,954\,393\,307\,090\,298\,217\,321\,449\,532\,\\572\,676\,076\,273\,\alpha^{30} - \frac{1}{262\,144}$$

$$827\,940\,453\,334\,897\,036\,569\,492\,784\,409\,886\,027\,493\,317\,390\,087\,347\,693\,810\,100\,262\,541\,036\,935\,119\,\\819\,490\,893\,\alpha^{31} - \frac{1}{524\,288}$$

$$350\,367\,822\,502\,394\,933\,068\,709\,866\,767\,870\,948\,024\,812\,185\,071\,036\,197\,442\,779\,718\,673\,774\,252\,562\,\\953\,462\,251\,\alpha^{32} - \frac{1}{1\,048\,576}$$

$$139\,610\,927\,626\,380\,060\,783\,804\,043\,048\,682\,233\,041\,316\,313\,370\,049\,941\,578\,885\,000\,979\,384\,494\,770\,\\232\,330\,133\,\alpha^{33} - \frac{1}{1\,048\,576}$$

$$26\,199\,178\,883\,384\,199\,231\,927\,137\,803\,618\,903\,074\,779\,162\,295\,057\,393\,549\,333\,015\,137\,223\,610\,202\,\\947\,288\,329\,\alpha^{34} - \frac{1}{32\,768}$$

$$144\,744\,876\,261\,650\,342\,570\,909\,551\,519\,864\,253\,008\,754\,224\,562\,330\,774\,945\,498\,605\,081\,114\,670\,067\,\\695\,463\,\alpha^{35} - \frac{1}{131\,072}$$

$$96\,445\,504\,064\,148\,495\,736\,411\,836\,021\,018\,720\,351\,679\,116\,964\,765\,357\,968\,799\,756\,842\,029\,065\,545\,\\404\,961\,\alpha^{36} - \frac{1}{2\,097\,152}$$

$$242\,210\,182\,789\,630\,940\,422\,956\,909\,254\,314\,262\,331\,979\,226\,658\,019\,943\,422\,987\,797\,096\,037\,054\,193\,\\843\,049\,\alpha^{37} - \frac{1}{2\,097\,152}$$

$$35\,820\,781\,964\,247\,490\,628\,493\,251\,646\,258\,938\,251\,402\,613\,998\,759\,349\,149\,692\,044\,836\,698\,875\,104\,\\275\,957\,\alpha^{38} - \frac{1}{262\,144}$$

$$623\,853\,365\,044\,492\,409\,152\,739\,715\,386\,239\,938\,825\,491\,314\,197\,862\,518\,334\,995\,498\,691\,825\,967\,657\,\\721\,\alpha^{39} - \frac{1}{1\,048\,576}$$

$327\,475\,288\,378\,741\,547\,269\,024\,785\,309\,223\,843\,319\,636\,281\,956\,105\,144\,415\,889\,004\,571\,145\,084\,773\,\ldots$

$$305\,\alpha^{40} - \frac{1}{2\,097\,152}$$

$80\,929\,544\,388\,038\,604\,305\,846\,044\,514\,696\,501\,338\,584\,236\,823\,040\,579\,159\,907\,971\,546\,401\,443\,145\,\ldots$

$$669\,\alpha^{41} - \frac{1}{2\,097\,152}$$

$9\,412\,194\,683\,034\,409\,042\,004\,318\,890\,684\,885\,856\,824\,192\,417\,163\,174\,454\,892\,734\,472\,084\,401\,836\,709$

$$\alpha^{42} - \frac{1}{1\,048\,576}$$

$514\,884\,084\,224\,531\,012\,110\,713\,086\,676\,181\,015\,101\,222\,919\,138\,188\,088\,907\,580\,815\,627\,617\,405\,353$

$$\alpha^{43} - \frac{1}{262\,144}$$

$13\,240\,267\,246\,696\,215\,040\,046\,901\,981\,826\,980\,998\,085\,511\,347\,823\,977\,193\,572\,907\,960\,091\,231\,715$

$$\alpha^{44} - \frac{1}{32\,768}$$

$159\,933\,053\,275\,669\,506\,488\,607\,045\,660\,463\,973\,051\,354\,826\,672\,550\,989\,693\,336\,355\,351\,094\,697\,\alpha^{45} -$

$$\frac{1}{131\,072}$$

$58\,029\,297\,672\,829\,198\,665\,774\,028\,686\,035\,977\,684\,323\,206\,586\,924\,339\,211\,296\,156\,321\,737\,517\,\alpha^{46} -$

$$\frac{1}{65\,536}$$

$2\,468\,091\,012\,007\,039\,719\,877\,787\,340\,165\,075\,776\,430\,387\,187\,588\,455\,485\,764\,795\,937\,713\,557\,\alpha^{47} -$

$\frac{1}{2048} 6\,145\,616\,773\,235\,727\,751\,712\,544\,388\,075\,132\,610\,738\,683\,909\,365\,382\,052\,830\,009\,113\,501\,\alpha^{48} -$

$\frac{1}{1024} 229\,059\,470\,179\,824\,834\,309\,197\,653\,564\,806\,063\,545\,340\,840\,513\,841\,801\,565\,164\,382\,217\,\alpha^{49} -$

$\frac{1}{64} 996\,948\,154\,286\,991\,736\,583\,755\,187\,331\,898\,029\,343\,897\,354\,030\,289\,155\,774\,333\,875\,\alpha^{50} -$

$\frac{1}{8} 8\,093\,708\,161\,341\,587\,072\,151\,249\,882\,355\,772\,104\,627\,790\,309\,097\,664\,496\,072\,589\,\alpha^{51} -$

$\frac{1}{4} 244\,679\,489\,645\,661\,317\,515\,458\,188\,818\,973\,797\,281\,570\,559\,956\,744\,967\,332\,957\,\alpha^{52} -$

$\frac{1}{2} 6\,871\,463\,872\,649\,307\,494\,558\,343\,054\,515\,221\,679\,063\,514\,126\,056\,359\,623\,705\,\alpha^{53} -$

$178\,840\,299\,657\,903\,665\,169\,913\,111\,768\,946\,001\,189\,646\,293\,133\,522\,366\,392\,\alpha^{54} -$

$8\,603\,892\,192\,602\,196\,534\,010\,886\,458\,114\,308\,420\,500\,994\,394\,719\,619\,056\,\alpha^{55} -$

$381\,380\,552\,508\,438\,926\,230\,729\,982\,890\,551\,919\,885\,678\,519\,272\,234\,240\,\alpha^{56} -$

$15\,520\,544\,428\,032\,340\,327\,156\,480\,457\,130\,669\,565\,725\,217\,452\,108\,288\,\alpha^{57} -$

$577\,498\,998\,270\,643\,044\,246\,054\,565\,827\,373\,291\,144\,244\,492\,722\,176\,\alpha^{58} -$

$19\,552\,878\,238\,445\,810\,154\,509\,085\,327\,852\,191\,261\,022\,243\,766\,272\,\alpha^{59} -$

$599\,023\,852\,788\,934\,429\,875\,152\,467\,114\,477\,403\,786\,660\,020\,224\,\alpha^{60} -$

$16\,495\,174\,500\,518\,826\,390\,567\,524\,173\,569\,547\,480\,576\,032\,768\,\alpha^{61} -$

$405\,016\,496\,666\,544\,026\,817\,190\,215\,473\,542\,839\,851\,286\,528\,\alpha^{62} -$

$8\,781\,132\,310\,674\,958\,845\,697\,619\,440\,032\,981\,681\,438\,720\,\alpha^{63} -$

$166\,079\,248\,848\,772\,690\,148\,635\,754\,487\,227\,596\,406\,784\,\alpha^{64} -$

$2\,698\,014\,795\,686\,428\,526\,686\,308\,889\,220\,540\,792\,832\,\alpha^{65} -$

$36\,888\,892\,018\,666\,071\,126\,316\,188\,503\,151\,476\,736\,\alpha^{66} -$

$412\,804\,638\,295\,625\,368\,545\,061\,273\,514\,016\,768\,\alpha^{67} -$

$3\,630\,522\,290\,822\,092\,694\,945\,903\,702\,704\,128\,\alpha^{68} - 23\,531\,206\,238\,137\,756\,617\,166\,710\,374\,400\,\alpha^{69} -$

$$99\,935\,114\,612\,130\,684\,593\,189\,683\,200\,\alpha^{70} - 208\,617\,252\,601\,182\,372\,967\,219\,200\,\alpha^{71}\Big)\,S_\alpha^{12} +$$

$$\Big(249\,528\,655\,673\,068\,383\,326\,156\,991\,472\,400\,034\,179\,234\,447\,752\,888\,031\,463\,983\,730\,542\,176\,692\,720\,000\,000\,000\,000 +$$

$$3\,513\,904\,102\,474\,047\,279\,460\,317\,887\,031\,261\,581\,557\,516\,072\,368\,383\,513\,921\,093\,685\,281\,829\,095\,004\,300\,000\,000\,000\,\alpha +$$

$$24\,246\,319\,740\,825\,172\,993\,903\,223\,896\,124\,865\,123\,132\,548\,665\,582\,088\,181\,575\,460\,377\,593\,848\,523\,601\,968\,500\,000\,000\,\alpha^2 +$$

$$109\,289\,030\,003\,913\,231\,503\,918\,944\,794\,698\,930\,564\,346\,986\,204\,027\,186\,177\,155\,199\,383\,543\,447\,485\,151\,284\,637\,500\,000\,\alpha^3 +$$

$$361\,977\,130\,620\,024\,842\,235\,274\,789\,849\,287\,149\,753\,676\,751\,096\,753\,187\,923\,938\,011\,339\,939\,279\,668\,728\,988\,575\,937\,500\,\alpha^4 +$$

$$939\,574\,916\,420\,847\,826\,757\,055\,374\,269\,322\,569\,900\,944\,422\,018\,523\,709\,929\,597\,539\,475\,212\,830\,971\,197\,931\,746\,296\,875\,\alpha^5 +$$

$$1\,990\,654\,646\,078\,703\,868\,668\,234\,543\,039\,181\,797\,452\,029\,743\,679\,644\,653\,073\,733\,958\,439\,447\,561\,553\,943\,298\,635\,681\,250\,\alpha^6 + \frac{1}{8}$$

$$28\,322\,739\,655\,816\,739\,343\,071\,479\,578\,424\,611\,630\,102\,679\,606\,297\,124\,458\,443\,508\,514\,344\,888\,795\,162\,115\,951\,625\,598\,125\,\alpha^7 + \frac{1}{64}$$

$$345\,260\,357\,504\,141\,599\,762\,660\,688\,786\,796\,772\,364\,666\,841\,537\,391\,372\,640\,806\,077\,420\,541\,541\,281\,931\,953\,876\,255\,304\,625\,\alpha^8 + \frac{1}{256}$$

$$1\,831\,336\,972\,821\,701\,135\,176\,239\,990\,753\,548\,734\,034\,995\,714\,632\,775\,535\,320\,415\,368\,569\,490\,559\,621\,701\,534\,904\,933\,288\,925\,\alpha^9 + \frac{1}{256}$$

$$2\,139\,387\,421\,679\,724\,675\,656\,452\,559\,833\,236\,771\,185\,555\,595\,860\,669\,831\,563\,439\,436\,205\,234\,454\,986\,985\,778\,001\,321\,761\,375\,\alpha^{10} + \frac{1}{512}$$

$$4\,447\,186\,204\,313\,198\,966\,932\,383\,726\,933\,858\,776\,286\,638\,556\,584\,199\,011\,333\,304\,612\,130\,663\,953\,325\,739\,357\,722\,238\,771\,853\,\alpha^{11} + \frac{1}{2048}$$

$$16\,583\,488\,745\,997\,369\,315\,846\,127\,482\,406\,893\,992\,457\,918\,951\,232\,183\,172\,368\,580\,998\,154\,783\,375\,002\,473\,692\,902\,875\,025\,233\,\alpha^{12} + \frac{1}{2048}$$

$$13\,960\,756\,944\,342\,526\,842\,054\,645\,479\,048\,555\,329\,897\,572\,559\,318\,543\,528\,826\,670\,696\,864\,439\,545\,828\,478\,194\,286\,254\,338\,061\,\alpha^{13} + \frac{1}{1024}$$

$$5\,337\,015\,272\,924\,926\,462\,438\,846\,607\,399\,021\,192\,657\,212\,485\,497\,384\,888\,553\,909\,222\,862\,503\,080\,217\,583\,239\,170\,427\,765\,483\,\alpha^{14} + \frac{1}{1024}$$

$$3\,724\,151\,239\,756\,751\,794\,904\,148\,649\,115\,427\,072\,887\,590\,784\,888\,435\,012\,915\,589\,330\,944\,862\,582\,136\,054\,589\,733\,144\,979\,905\,\alpha^{15} + \frac{1}{2048}$$

$$4\,763\,502\,031\,984\,692\,799\,006\,502\,703\,627\,715\,046\,755\,531\,965\,285\,670\,818\,489\,349\,951\,647\,648\,437\,983\,664\,837\,448\,156\,327\,081\,\alpha^{16} + \frac{1}{65\,536}$$

$$89\,675\,991\,419\,280\,439\,503\,226\,920\,871\,011\,046\,412\,506\,552\,006\,544\,712\,075\,960\,033\,195\,778\,108\,352\,$$

$$420\,683\,941\,259\,737\,205\,173\,\alpha^{17} + \frac{1}{65\,536}$$

$$48\,685\,239\,605\,846\,083\,420\,405\,117\,699\,746\,018\,211\,953\,066\,449\,617\,111\,768\,685\,649\,913\,003\,318\,063 \,\,$$
$$200\,190\,346\,000\,147\,194\,221\,\alpha^{18} + \frac{1}{131\,072}$$

$$48\,920\,547\,179\,637\,635\,463\,062\,393\,287\,267\,061\,393\,452\,633\,980\,124\,786\,797\,664\,147\,708\,565\,143\,681 \,\,$$
$$312\,877\,227\,555\,372\,923\,387\,\alpha^{19} + \frac{1}{524\,288}$$

$$91\,208\,578\,998\,239\,533\,219\,849\,782\,534\,156\,145\,309\,254\,778\,943\,346\,677\,106\,973\,621\,084\,727\,782\,026 \,\,$$
$$407\,907\,430\,163\,365\,132\,725\,\alpha^{20} + \frac{1}{262\,144}$$

$$19\,763\,496\,379\,580\,138\,759\,360\,011\,021\,770\,072\,944\,572\,745\,585\,675\,951\,137\,306\,144\,383\,584\,103\,582 \,\,$$
$$006\,575\,394\,072\,976\,229\,623\,\alpha^{21} + \frac{1}{262\,144}$$

$$7\,978\,857\,511\,084\,567\,888\,028\,426\,892\,695\,755\,674\,813\,556\,078\,205\,760\,065\,637\,558\,161\,707\,075\,920 \,\,$$
$$789\,157\,917\,864\,077\,179\,037\,\alpha^{22} + \frac{1}{8192}$$

$$93\,936\,990\,807\,337\,079\,622\,489\,203\,669\,140\,290\,064\,939\,468\,178\,065\,646\,963\,622\,628\,957\,886\,365\,125 \,\,$$
$$909\,339\,353\,120\,610\,785\,\alpha^{23} + \frac{1}{524\,288}$$

$$2\,116\,885\,775\,385\,858\,891\,440\,162\,778\,071\,483\,589\,154\,859\,501\,661\,112\,404\,051\,032\,456\,454\,756\,471 \,\,$$
$$535\,530\,430\,764\,815\,426\,769\,\alpha^{24} + \frac{1}{262\,144}$$

$$348\,797\,809\,504\,447\,337\,941\,920\,861\,056\,899\,162\,460\,005\,891\,489\,232\,223\,061\,684\,368\,467\,732\,707\,988 \,\,$$
$$720\,491\,239\,548\,483\,095\,\alpha^{25} + \frac{1}{131\,072}$$

$$53\,851\,565\,395\,777\,586\,488\,575\,866\,771\,067\,454\,180\,968\,395\,196\,477\,750\,973\,629\,701\,677\,048\,381\,220 \,\,$$
$$925\,690\,590\,465\,442\,245\,\alpha^{26} + \frac{1}{32\,768}$$

$$3\,899\,439\,949\,480\,003\,331\,221\,851\,997\,974\,148\,927\,938\,705\,097\,100\,117\,883\,969\,733\,620\,140\,455\,038 \,\,$$
$$551\,962\,019\,681\,800\,631\,\alpha^{27} + \frac{1}{262\,144}$$

$$8\,483\,400\,406\,516\,936\,080\,017\,230\,282\,716\,894\,361\,926\,692\,541\,135\,323\,188\,931\,763\,823\,773\,622\,553 \,\,$$
$$707\,808\,131\,124\,400\,669\,\alpha^{28} + \frac{1}{131\,072}$$

$$1\,083\,886\,635\,142\,714\,485\,720\,036\,433\,930\,468\,956\,541\,053\,724\,958\,389\,675\,883\,001\,299\,862\,349\,671 \,\,$$
$$099\,179\,514\,840\,269\,375\,\alpha^{29} + \frac{1}{131\,072}$$

$$260\,433\,922\,650\,511\,284\,438\,709\,772\,514\,788\,446\,697\,824\,208\,367\,490\,172\,852\,037\,529\,606\,870\,316\,071 \,\,$$
$$395\,558\,939\,196\,771\,\alpha^{30} + \frac{1}{32\,768}$$

$$14\,719\,023\,474\,684\,943\,224\,877\,174\,030\,506\,135\,286\,364\,651\,644\,530\,284\,212\,757\,638\,266\,865\,911\,629 \,\,$$
$$514\,501\,263\,395\,517\,\alpha^{31} + \frac{1}{262\,144}$$

$$25\,058\,369\,668\,851\,396\,566\,680\,165\,239\,387\,137\,417\,398\,621\,008\,534\,561\,331\,882\,103\,046\,625\,032\,203 \,\,$$
$$350\,505\,657\,148\,253\,\alpha^{32} + \frac{1}{131\,072}$$

$$2\,510\,858\,825\,098\,695\,202\,727\,323\,010\,939\,153\,372\,634\,747\,123\,508\,868\,226\,089\,751\,303\,961\,452\,162 \,\,$$

$$419\,083\,040\,458\,437\,\alpha^{33} + \frac{1}{65\,536}$$

$$236\,995\,879\,404\,024\,816\,067\,550\,642\,744\,997\,858\,390\,266\,471\,059\,306\,814\,641\,287\,389\,837\,574\,626\,068\,852\,089\,663\,309\,\alpha^{34} + \frac{1}{131\,072}$$

$$84\,306\,849\,388\,808\,844\,262\,886\,149\,194\,309\,488\,215\,072\,820\,716\,891\,768\,806\,164\,687\,893\,346\,757\,759\,732\,216\,865\,719\,\alpha^{35} + \frac{1}{524\,288}$$

$$56\,521\,666\,005\,621\,811\,604\,963\,150\,020\,595\,135\,153\,485\,024\,540\,098\,431\,484\,553\,319\,539\,747\,455\,372\,878\,790\,329\,745\,\alpha^{36} + \frac{1}{262\,144}$$

$$4\,463\,708\,471\,283\,835\,434\,182\,385\,080\,580\,202\,887\,270\,671\,359\,034\,296\,896\,934\,348\,892\,584\,020\,632\,016\,202\,415\,691\,\alpha^{37} + \frac{1}{262\,144}$$

$$664\,364\,547\,826\,282\,955\,615\,349\,982\,004\,687\,277\,161\,644\,271\,508\,756\,424\,180\,049\,051\,533\,986\,296\,050\,027\,263\,189\,\alpha^{38} + \frac{1}{32\,768}$$

$$11\,645\,812\,502\,959\,830\,091\,771\,449\,538\,828\,741\,523\,451\,739\,855\,043\,875\,480\,928\,262\,618\,488\,354\,091\,349\,957\,445\,\alpha^{39} + \frac{1}{524\,288}$$

$$24\,614\,442\,414\,261\,332\,617\,774\,315\,085\,743\,682\,203\,697\,534\,599\,311\,508\,035\,341\,784\,434\,586\,402\,483\,761\,478\,517\,\alpha^{40} + \frac{1}{262\,144}$$

$$1\,530\,986\,989\,713\,710\,774\,947\,842\,827\,034\,028\,087\,640\,682\,599\,896\,577\,091\,983\,377\,095\,326\,378\,755\,016\,255\,179\,\alpha^{41} + \frac{1}{131\,072}$$

$$89\,637\,009\,544\,988\,002\,376\,698\,431\,812\,718\,581\,177\,190\,136\,525\,285\,752\,337\,175\,626\,035\,065\,110\,164\,507\,819\,\alpha^{42} + \frac{1}{65\,536}$$

$$4\,937\,618\,102\,797\,761\,607\,148\,036\,012\,722\,123\,316\,538\,129\,816\,469\,909\,472\,580\,975\,195\,573\,210\,973\,536\,877\,\alpha^{43} + \frac{1}{4096}$$

$$31\,967\,324\,192\,414\,696\,939\,542\,399\,306\,900\,147\,647\,782\,580\,259\,065\,996\,472\,684\,761\,054\,895\,616\,454\,763\,\alpha^{44} + \frac{1}{2048}$$

$$1\,555\,677\,523\,746\,534\,262\,852\,389\,709\,453\,939\,151\,270\,662\,712\,279\,056\,592\,886\,774\,498\,576\,583\,192\,565\,\alpha^{45} + \frac{1}{256}$$

$$17\,768\,110\,104\,259\,293\,569\,212\,734\,764\,641\,224\,730\,266\,075\,926\,582\,718\,338\,987\,719\,489\,428\,676\,233\,\alpha^{46} + \frac{1}{128}$$

$$761\,322\,694\,172\,019\,478\,963\,377\,276\,620\,403\,255\,857\,425\,251\,185\,631\,709\,075\,782\,336\,462\,131\,699\,\alpha^{47} + \frac{1}{2}$$
$$-955\,010\,838\,047\,909\,473\,372\,153\,753\,082\,307\,547\,662\,585\,089\,634\,936\,773\,505\,133\,762\,752\,829\,\alpha^{48} +$$

$$35\,868\,087\,940\,076\,068\,835\,267\,695\,908\,182\,787\,019\,992\,569\,218\,380\,111\,345\,673\,100\,262\,250\,\alpha^{49} +$$

$$2\,517\,224\,864\,371\,608\,277\,384\,324\,064\,890\,894\,074\,039\,223\,245\,252\,859\,101\,735\,968\,581\,432\,\alpha^{50} +$$

$$164\,781\,777\,154\,767\,462\,855\,687\,293\,804\,755\,438\,565\,092\,267\,785\,533\,490\,739\,383\,191\,712\,\alpha^{51} +$$

$$10\,043\,025\,123\,930\,271\,564\,741\,752\,223\,681\,377\,693\,342\,648\,676\,157\,865\,585\,009\,547\,392\,\alpha^{52} +$$

$$568\,689\,381\,276\,893\,499\,467\,118\,187\,674\,028\,082\,773\,978\,287\,731\,282\,972\,357\,091\,072\,\alpha^{53} +$$

$29\,847\,229\,857\,476\,807\,562\,331\,389\,264\,893\,821\,694\,701\,457\,786\,211\,792\,062\,705\,664\,\alpha^{54}\,+$

$1\,448\,007\,159\,110\,741\,511\,272\,112\,332\,801\,706\,254\,615\,226\,136\,780\,137\,116\,540\,928\,\alpha^{55}\,+$

$64\,733\,055\,119\,980\,520\,962\,543\,788\,769\,432\,966\,182\,508\,538\,993\,179\,614\,117\,888\,\alpha^{56}\,+$

$2\,657\,182\,694\,071\,590\,875\,779\,613\,389\,047\,268\,866\,359\,687\,692\,222\,450\,106\,368\,\alpha^{57}\,+$

$99\,739\,704\,848\,146\,789\,848\,275\,056\,315\,890\,477\,158\,978\,991\,337\,408\,299\,008\,\alpha^{58}\,+$

$3\,407\,107\,032\,327\,527\,629\,891\,653\,618\,115\,031\,772\,371\,850\,457\,948\,094\,464\,\alpha^{59}\,+$

$105\,325\,534\,402\,673\,427\,884\,036\,187\,000\,728\,248\,894\,020\,768\,095\,010\,816\,\alpha^{60}\,+$

$2\,926\,965\,173\,585\,230\,897\,557\,817\,749\,015\,307\,684\,044\,356\,548\,820\,992\,\alpha^{61}\,+$

$72\,537\,305\,892\,183\,846\,332\,235\,050\,320\,468\,757\,114\,181\,910\,528\,000\,\alpha^{62}\,+$

$1\,587\,539\,890\,584\,294\,959\,730\,558\,456\,255\,893\,348\,402\,109\,349\,888\,\alpha^{63}\,+$

$30\,313\,258\,740\,657\,232\,758\,833\,546\,529\,883\,764\,195\,468\,509\,184\,\alpha^{64}\,+$

$497\,236\,246\,863\,798\,371\,218\,359\,096\,366\,741\,541\,712\,035\,840\,\alpha^{65}\,+$

$6\,865\,523\,915\,905\,412\,696\,346\,612\,423\,908\,975\,414\,607\,872\,\alpha^{66}\,+$

$77\,596\,303\,300\,789\,279\,395\,315\,212\,004\,361\,869\,721\,600\,\alpha^{67}\,+$

$689\,355\,227\,380\,559\,607\,524\,961\,759\,497\,417\,654\,272\,\alpha^{68}\,+$

$4\,513\,932\,972\,571\,138\,046\,987\,253\,328\,537\,190\,400\,\alpha^{69}\,+$

$19\,369\,827\,760\,698\,970\,595\,767\,261\,908\,172\,800\,\alpha^{70}\,+$

$40\,861\,536\,751\,267\,322\,887\,175\,720\,140\,800\,\alpha^{71}\Bigg)\,S_{\alpha}^{10}\,+$

$\Bigg(-1\,316\,063\,612\,497\,041\,434\,176\,645\,749\,852\,191\,627\,293\,693\,123\,057\,125\,575\,565\,191\,161\,824\,488\,398\,172\,$
$774\,400\,000\,000\,000\,-$

$18\,604\,789\,122\,141\,375\,010\,453\,023\,944\,470\,017\,690\,209\,299\,979\,633\,476\,390\,360\,171\,101\,529\,719\,671\,$
$444\,075\,520\,000\,000\,000\,000\,\alpha\,-$

$128\,885\,075\,150\,461\,293\,009\,880\,537\,931\,950\,144\,622\,553\,137\,718\,386\,297\,592\,573\,973\,922\,309\,737\,347\,$
$174\,828\,672\,000\,000\,000\,000\,\alpha^2\,-$

$583\,309\,487\,205\,241\,739\,078\,571\,703\,034\,711\,857\,594\,133\,616\,720\,178\,927\,841\,949\,777\,418\,872\,792\,286\,$
$872\,312\,892\,800\,000\,000\,000\,\alpha^3\,-$

$1\,940\,050\,896\,304\,766\,507\,548\,735\,030\,087\,825\,766\,053\,670\,511\,418\,128\,098\,868\,432\,385\,793\,786\,952\,201\,$
$493\,472\,732\,160\,000\,000\,000\,\alpha^4\,-$

$5\,057\,278\,985\,641\,478\,239\,918\,920\,957\,195\,791\,202\,092\,142\,627\,368\,441\,106\,943\,308\,299\,840\,044\,013\,251\,$
$591\,515\,281\,136\,000\,000\,000\,\alpha^5\,-$

$10\,761\,654\,269\,676\,574\,479\,243\,234\,699\,511\,821\,233\,700\,858\,208\,289\,602\,191\,034\,416\,052\,210\,348\,064\,$
$701\,106\,842\,400\,510\,400\,000\,\alpha^6\,-$

$19\,225\,171\,555\,407\,517\,456\,813\,058\,709\,396\,007\,421\,031\,025\,388\,884\,584\,991\,561\,720\,679\,586\,434\,389\,$
$745\,589\,503\,597\,703\,660\,000\,\alpha^7\,-$

$29\,429\,159\,204\,747\,214\,114\,975\,581\,085\,682\,901\,521\,574\,673\,063\,329\,206\,885\,172\,092\,792\,681\,095\,436\,$
$609\,560\,284\,110\,689\,420\,000\,\alpha^8\,-$

$39\,207\,576\,038\,646\,426\,340\,204\,425\,454\,496\,032\,546\,431\,585\,548\,310\,172\,383\,829\,524\,158\,099\,131\,959\,$
$523\,107\,035\,550\,600\,104\,700\,\alpha^9\,-$

$46\,022\,081\,674\,966\,757\,487\,810\,345\,546\,726\,816\,137\,418\,275\,873\,451\,089\,885\,478\,102\,417\,080\,942\,991\,$
$302\,279\,672\,613\,138\,550\,665\,\alpha^{10}\,-\dfrac{1}{4}$

$192\,270\,124\,792\,908\,963\,948\,834\,206\,970\,176\,821\,856\,277\,790\,071\,416\,825\,501\,897\,198\,109\,071\,240\,638\,$
$637\,620\,350\,150\,736\,518\,609\,\alpha^{11}\,-\dfrac{1}{2}$

$90\,069\,290\,996\,429\,768\,713\,059\,880\,600\,134\,276\,337\,990\,634\,210\,485\,023\,384\,320\,864\,841\,514\,412\,456\,$
$966\,717\,076\,522\,679\,249\,083\,\alpha^{12}\,-\dfrac{1}{4}$

$152\,422\,423\,843\,326\,797\,384\,715\,282\,837\,090\,627\,046\,042\,690\,683\,218\,038\,295\,790\,845\,757\,693\,033\,798\,$
$375\,305\,271\,390\,343\,795\,383\,\alpha^{13}\,-$

$29\,286\,143\,288\,901\,487\,429\,490\,282\,372\,524\,865\,440\,791\,893\,004\,120\,221\,867\,467\,897\,164\,638\,642\,825\,\backslash$
$712\,750\,989\,462\,108\,168\,757\,\alpha^{14} - \dfrac{1}{32}$

$657\,415\,117\,197\,914\,499\,495\,901\,225\,595\,563\,427\,432\,307\,628\,726\,214\,245\,172\,057\,099\,508\,338\,320\,886\,\backslash$
$744\,142\,542\,275\,838\,376\,969\,\alpha^{15} - \dfrac{1}{32}$

$422\,719\,481\,807\,363\,432\,727\,755\,661\,791\,107\,760\,852\,074\,592\,674\,925\,098\,990\,420\,759\,599\,633\,921\,400\,\backslash$
$058\,899\,919\,660\,979\,086\,445\,\alpha^{16} - \dfrac{1}{64}$

$500\,115\,759\,421\,190\,530\,115\,054\,221\,263\,198\,284\,646\,955\,800\,471\,576\,930\,208\,760\,217\,659\,076\,728\,321\,\backslash$
$878\,131\,018\,339\,109\,404\,111\,\alpha^{17} - \dfrac{1}{256}$

$1\,092\,156\,837\,555\,764\,432\,391\,769\,635\,741\,801\,723\,738\,342\,960\,460\,564\,839\,250\,922\,129\,887\,871\,242\,\backslash$
$305\,750\,856\,895\,505\,274\,193\,031\,\alpha^{18} - \dfrac{1}{1024}$

$2\,207\,431\,804\,265\,484\,216\,086\,117\,567\,537\,736\,167\,710\,405\,365\,278\,938\,989\,500\,340\,945\,787\,887\,562\,\backslash$
$131\,110\,460\,212\,284\,576\,827\,357\,\alpha^{19} - \dfrac{1}{128}$

$129\,361\,472\,953\,668\,499\,241\,429\,116\,093\,304\,027\,164\,225\,262\,227\,286\,142\,605\,059\,042\,618\,905\,638\,943\,\backslash$
$111\,576\,954\,119\,995\,845\,831\,\alpha^{20} - \dfrac{1}{1024}$

$451\,150\,281\,441\,630\,428\,659\,589\,292\,560\,323\,520\,155\,611\,967\,563\,934\,223\,385\,174\,694\,189\,418\,733\,458\,\backslash$
$164\,053\,460\,957\,109\,913\,165\,\alpha^{21} - \dfrac{1}{128}$

$22\,904\,527\,608\,152\,529\,542\,840\,391\,800\,787\,919\,320\,418\,302\,856\,340\,021\,791\,377\,191\,479\,881\,326\,049\,\backslash$
$935\,987\,180\,485\,412\,256\,839\,\alpha^{22} - \dfrac{1}{256}$

$17\,364\,222\,876\,604\,593\,046\,481\,656\,744\,722\,157\,183\,146\,335\,983\,140\,540\,555\,488\,497\,106\,620\,870\,528\,\backslash$
$935\,028\,051\,067\,617\,983\,467\,\alpha^{23} - \dfrac{1}{512}$

$12\,304\,647\,573\,009\,369\,220\,902\,318\,609\,897\,222\,693\,958\,942\,031\,302\,229\,888\,653\,475\,675\,343\,346\,296\,\backslash$
$247\,905\,663\,491\,033\,109\,917\,\alpha^{24} - \dfrac{1}{512}$

$4\,080\,594\,288\,440\,871\,706\,090\,415\,177\,924\,453\,239\,933\,855\,972\,893\,649\,029\,172\,921\,884\,423\,643\,004\,\backslash$
$479\,093\,400\,638\,298\,503\,495\,\alpha^{25} - \dfrac{1}{512}$

$1\,268\,150\,424\,049\,019\,152\,855\,910\,957\,195\,276\,681\,597\,222\,005\,800\,322\,770\,952\,098\,142\,420\,712\,569\,\backslash$
$618\,979\,768\,275\,006\,688\,737\,\alpha^{26} - \dfrac{1}{512}$

$369\,719\,412\,132\,976\,775\,823\,974\,568\,615\,696\,077\,270\,907\,094\,110\,376\,517\,445\,001\,734\,233\,123\,493\,767\,\backslash$
$607\,550\,267\,860\,136\,581\,\alpha^{27} - \dfrac{1}{128}$

$25\,303\,019\,474\,170\,903\,460\,984\,382\,119\,239\,742\,182\,544\,519\,330\,501\,523\,655\,151\,947\,220\,489\,900\,044\,\backslash$
$815\,691\,297\,964\,371\,003\,\alpha^{28} - \dfrac{1}{512}$

$26\,037\,739\,277\,068\,338\,049\,629\,087\,652\,668\,913\,761\,424\,128\,349\,682\,587\,052\,366\,472\,604\,113\,239\,872\,\backslash$
$918\,937\,850\,532\,760\,735\,\alpha^{29} - \dfrac{1}{128}$

$1\,574\,811\,729\,149\,844\,528\,533\,224\,195\,181\,832\,963\,666\,986\,861\,345\,068\,401\,698\,280\,409\,209\,603\,132\,701\,746\,479\,414\,192\,449\,\alpha^{30} - \dfrac{1}{256}$

$716\,995\,261\,573\,978\,436\,343\,772\,943\,494\,788\,573\,184\,727\,654\,317\,752\,205\,571\,789\,938\,975\,145\,057\,098\,810\,195\,565\,491\,089\,\alpha^{31} - \dfrac{1}{256}$

$153\,659\,982\,809\,567\,124\,049\,042\,648\,615\,242\,639\,867\,307\,498\,457\,119\,721\,304\,829\,010\,322\,113\,016\,296\,796\,890\,276\,121\,291\,\alpha^{32} - \dfrac{1}{64}$

$7\,753\,633\,915\,428\,904\,219\,718\,159\,536\,408\,101\,963\,375\,288\,791\,793\,700\,870\,792\,170\,984\,782\,712\,296\,525\,362\,931\,127\,087\,\alpha^{33} - \dfrac{1}{128}$

$2\,948\,716\,744\,140\,511\,225\,125\,010\,783\,776\,347\,112\,338\,803\,006\,653\,819\,981\,084\,269\,399\,335\,545\,256\,745\,557\,485\,150\,213\,\alpha^{34} - \dfrac{1}{1024}$

$4\,226\,768\,995\,845\,236\,049\,986\,755\,373\,732\,603\,855\,840\,845\,646\,419\,558\,030\,633\,849\,715\,573\,935\,991\,660\,657\,933\,809\,821\,\alpha^{35} - \dfrac{1}{32}$

$22\,304\,271\,332\,984\,273\,378\,293\,682\,102\,251\,290\,758\,858\,145\,468\,182\,190\,709\,662\,993\,007\,172\,397\,119\,337\,471\,877\,257\,\alpha^{36} - \dfrac{1}{1024}$

$113\,587\,396\,237\,752\,041\,471\,470\,211\,664\,935\,886\,056\,919\,107\,550\,547\,885\,968\,903\,102\,129\,420\,212\,819\,237\,564\,465\,229\,\alpha^{37} - \dfrac{1}{64}$

$1\,064\,745\,374\,045\,761\,231\,439\,749\,613\,006\,990\,937\,465\,175\,530\,516\,693\,504\,234\,767\,437\,213\,738\,220\,863\,635\,891\,045\,\alpha^{38} - \dfrac{1}{128}$

$300\,952\,262\,874\,796\,706\,624\,413\,624\,207\,313\,006\,045\,754\,397\,451\,425\,963\,822\,890\,543\,524\,640\,073\,334\,015\,438\,757\,\alpha^{39} - \dfrac{1}{512}$

$160\,276\,457\,117\,578\,737\,402\,489\,577\,519\,113\,130\,159\,823\,054\,582\,329\,691\,941\,363\,626\,727\,512\,993\,221\,290\,373\,573\,\alpha^{40} - \dfrac{1}{512}$

$20\,097\,235\,777\,809\,670\,839\,736\,495\,701\,040\,436\,103\,638\,318\,120\,163\,528\,580\,986\,466\,873\,447\,020\,963\,464\,298\,397\,\alpha^{41} - \dfrac{1}{512}$

$2\,372\,358\,321\,596\,804\,629\,808\,326\,875\,765\,777\,431\,746\,014\,478\,595\,515\,526\,020\,286\,281\,507\,326\,827\,602\,436\,021\,\alpha^{42} - \dfrac{1}{256}$

$131\,750\,212\,326\,402\,772\,734\,562\,120\,723\,908\,525\,319\,149\,218\,182\,543\,623\,319\,904\,754\,041\,486\,860\,721\,352\,593\,\alpha^{43} - \dfrac{1}{16}$

$860\,049\,789\,859\,036\,966\,337\,486\,418\,942\,201\,526\,440\,905\,010\,498\,875\,559\,279\,294\,086\,679\,463\,562\,850\,893\,\alpha^{44} - \dfrac{1}{8}$

$42\,204\,884\,812\,953\,533\,428\,315\,356\,615\,663\,109\,518\,985\,495\,721\,028\,771\,483\,097\,557\,879\,165\,976\,085\,109\,\alpha^{45} -$

$$\frac{1}{2}\Big(972\,259\,777\,882\,892\,595\,343\,560\,386\,335\,740\,146\,427\,808\,547\,229\,843\,736\,843\,369\,221\,856\,031\,486\,023\,\alpha^{46} -$$

$$42\,016\,479\,622\,415\,533\,996\,451\,523\,439\,194\,289\,271\,568\,825\,267\,038\,330\,300\,358\,612\,690\,048\,073\,603\,\alpha^{47} -$$

$$3\,402\,440\,641\,422\,295\,309\,066\,258\,261\,313\,981\,665\,567\,489\,506\,459\,510\,860\,332\,758\,678\,269\,118\,880\,\alpha^{48} -$$

$$257\,817\,974\,165\,402\,125\,822\,684\,112\,711\,637\,243\,918\,806\,101\,407\,598\,093\,575\,321\,939\,272\,170\,560\,\alpha^{49} -$$

$$18\,254\,112\,286\,956\,878\,315\,336\,103\,181\,778\,898\,829\,450\,529\,517\,978\,427\,767\,409\,379\,501\,908\,992\,\alpha^{50} -$$

$$1\,205\,653\,051\,518\,865\,261\,981\,813\,454\,342\,778\,172\,132\,229\,267\,010\,819\,829\,687\,789\,702\,348\,800\,\alpha^{51} -$$

$$74\,146\,829\,783\,012\,274\,436\,827\,047\,714\,949\,714\,170\,549\,129\,213\,854\,237\,330\,897\,390\,387\,200\,\alpha^{52} -$$

$$4\,236\,996\,521\,720\,735\,096\,416\,510\,218\,536\,202\,048\,976\,127\,807\,674\,008\,204\,841\,986\,785\,280\,\alpha^{53} -$$

$$224\,430\,412\,450\,683\,263\,306\,909\,875\,523\,166\,763\,658\,913\,629\,809\,137\,269\,404\,466\,675\,712\,\alpha^{54} -$$

$$10\,989\,614\,538\,532\,390\,566\,694\,413\,634\,006\,147\,054\,670\,707\,558\,270\,498\,948\,638\,572\,544\,\alpha^{55} -$$

$$495\,919\,225\,506\,825\,903\,542\,481\,071\,274\,532\,250\,902\,872\,427\,358\,687\,091\,128\,008\,704\,\alpha^{56} -$$

$$20\,550\,291\,290\,474\,312\,658\,081\,636\,232\,863\,188\,414\,278\,485\,206\,045\,248\,790\,200\,320\,\alpha^{57} -$$

$$778\,779\,684\,449\,671\,385\,531\,617\,680\,381\,761\,190\,715\,869\,694\,756\,741\,168\,758\,784\,\alpha^{58} -$$

$$26\,860\,872\,471\,435\,851\,950\,493\,466\,162\,236\,364\,178\,320\,914\,306\,461\,469\,769\,728\,\alpha^{59} -$$

$$838\,481\,000\,668\,139\,667\,990\,720\,140\,739\,512\,866\,890\,326\,242\,340\,984\,848\,384\,\alpha^{60} -$$

$$23\,530\,941\,635\,174\,314\,060\,712\,806\,316\,881\,839\,491\,709\,721\,004\,918\,964\,224\,\alpha^{61} -$$

$$588\,954\,713\,446\,289\,843\,336\,598\,925\,455\,493\,427\,221\,344\,185\,319\,686\,144\,\alpha^{62} -$$

$$13\,019\,068\,945\,574\,624\,002\,829\,993\,966\,993\,664\,013\,124\,795\,608\,596\,480\,\alpha^{63} -$$

$$251\,106\,701\,195\,128\,488\,741\,392\,353\,400\,336\,775\,389\,339\,268\,939\,776\,\alpha^{64} -$$

$$4\,160\,964\,018\,470\,326\,087\,686\,851\,965\,555\,255\,133\,737\,301\,573\,632\,\alpha^{65} -$$

$$58\,042\,348\,405\,032\,793\,820\,340\,938\,904\,992\,746\,531\,811\,491\,840\,\alpha^{66} -$$

$$662\,806\,144\,271\,468\,245\,391\,292\,522\,444\,113\,554\,779\,930\,624\,\alpha^{67} -$$

$$5\,949\,717\,322\,715\,026\,751\,620\,096\,392\,325\,516\,109\,021\,184\,\alpha^{68} -$$

$$39\,368\,525\,740\,795\,936\,836\,971\,344\,463\,029\,862\,400\,000\,\alpha^{69} -$$

$$170\,723\,402\,393\,763\,344\,073\,977\,113\,360\,308\,633\,600\,\alpha^{70} -$$

$$363\,988\,065\,714\,259\,775\,685\,019\,353\,848\,217\,600\,\alpha^{71} \Big)\, S_\alpha^8 +$$

$$\Big(1\,428\,097\,370\,560\,157\,006\,739\,614\,116\,870\,591\,138\,019\,053\,716\,247\,320\,789\,806\,346\,750\,743\,152\,534\,510\,$$

$$121\,779\,200\,000\,000\,000 +$$

$$20\,310\,577\,658\,534\,409\,193\,860\,275\,537\,173\,140\,568\,797\,782\,332\,200\,855\,380\,881\,993\,815\,369\,962\,214\,$$
$$742\,547\,496\,960\,000\,000\,000\,\alpha +$$

$$141\,571\,220\,961\,447\,963\,608\,779\,430\,666\,405\,640\,715\,683\,397\,029\,960\,852\,878\,117\,207\,898\,372\,954\,962\,$$
$$536\,255\,537\,152\,000\,000\,000\,\alpha^2 +$$

$$644\,768\,723\,739\,224\,011\,161\,061\,923\,212\,540\,945\,678\,602\,412\,788\,621\,383\,417\,415\,966\,015\,063\,796\,380\,$$
$$811\,792\,191\,488\,000\,000\,000\,\alpha^3 +$$

$$2\,158\,280\,340\,067\,350\,684\,181\,759\,141\,660\,848\,406\,672\,721\,202\,832\,329\,147\,297\,584\,063\,679\,394\,822\,443\,$$
$$325\,466\,888\,094\,720\,000\,000\,\alpha^4 +$$

$$5\,663\,151\,063\,046\,299\,105\,395\,059\,866\,164\,122\,937\,063\,834\,801\,377\,914\,181\,306\,455\,682\,917\,964\,825\,007\,$$
$$920\,338\,211\,347\,456\,000\,000\,\alpha^5 +$$

$$12\,131\,734\,669\,693\,102\,133\,150\,813\,084\,955\,936\,615\,465\,568\,177\,479\,606\,011\,083\,103\,722\,166\,777\,018\,$$
$$939\,555\,688\,496\,187\,827\,200\,000\,\alpha^6 +$$

$$21\,820\,880\,300\,251\,682\,271\,142\,944\,174\,286\,958\,135\,968\,549\,260\,092\,782\,147\,829\,558\,445\,002\,399\,117\,$$
$$821\,553\,525\,048\,857\,301\,760\,000\,\alpha^7 +$$

$$33\,635\,121\,676\,007\,996\,104\,698\,281\,779\,942\,296\,340\,601\,025\,734\,356\,389\,648\,866\,416\,004\,691\,976\,382\,$$
$$459\,668\,163\,410\,445\,702\,304\,000\,\alpha^8 +$$

$$45\,128\,670\,921\,589\,257\,511\,203\,776\,645\,723\,887\,412\,276\,937\,661\,691\,088\,857\,052\,260\,080\,596\,835\,427\,$$
$$974\,772\,168\,001\,040\,020\,931\,200\,\alpha^9 +$$

$53\,354\,351\,928\,129\,535\,162\,328\,910\,487\,337\,123\,370\,253\,011\,505\,428\,061\,365\,809\,041\,608\,233\,611\,566\,216\,517\,478\,096\,401\,262\,023\,680\,\alpha^{10}\,+$

$56\,134\,441\,797\,036\,207\,485\,363\,776\,617\,671\,236\,408\,207\,498\,843\,953\,259\,293\,349\,801\,294\,523\,098\,307\,279\,859\,900\,346\,932\,206\,101\,440\,\alpha^{11}\,+$

$52\,984\,715\,090\,338\,745\,596\,697\,141\,114\,819\,586\,592\,485\,930\,056\,684\,249\,442\,437\,964\,331\,344\,802\,331\,070\,364\,942\,105\,331\,444\,283\,840\,\alpha^{12}\,+$

$45\,172\,126\,340\,624\,389\,464\,553\,047\,247\,072\,599\,787\,991\,593\,517\,729\,435\,585\,986\,367\,791\,740\,784\,822\,565\,452\,418\,079\,842\,320\,638\,000\,\alpha^{13}\,+$

$34\,984\,241\,097\,703\,909\,108\,795\,744\,501\,276\,890\,243\,914\,109\,591\,754\,931\,394\,205\,436\,134\,057\,586\,228\,906\,275\,494\,337\,742\,090\,650\,896\,\alpha^{14}\,+$

$24\,733\,105\,161\,505\,527\,538\,997\,920\,517\,500\,115\,272\,986\,220\,913\,132\,986\,004\,185\,662\,243\,425\,587\,791\,910\,618\,154\,009\,568\,410\,930\,904\,\alpha^{15}\,+$

$16\,029\,469\,791\,188\,838\,739\,300\,071\,336\,012\,583\,207\,740\,697\,570\,950\,732\,535\,550\,578\,474\,732\,500\,899\,689\,053\,494\,863\,830\,950\,434\,701\,\alpha^{16}\,+\dfrac{1}{2}$

$19\,116\,740\,861\,664\,204\,998\,595\,140\,256\,030\,557\,742\,314\,351\,115\,012\,163\,303\,483\,516\,579\,879\,447\,366\,375\,260\,191\,027\,037\,635\,055\,093\,\alpha^{17}\,+$

$5\,260\,928\,858\,960\,216\,129\,163\,833\,085\,160\,989\,201\,985\,539\,350\,470\,700\,256\,044\,381\,334\,610\,079\,312\,169\,711\,123\,349\,882\,801\,887\,693\,\alpha^{18}\,+\dfrac{1}{4}$

$10\,721\,008\,986\,355\,005\,290\,162\,332\,462\,646\,244\,949\,210\,625\,659\,916\,975\,640\,201\,720\,727\,704\,568\,945\,766\,790\,859\,531\,845\,612\,769\,713\,\alpha^{19}\,+\dfrac{1}{8}$

$10\,136\,552\,045\,514\,084\,349\,195\,467\,996\,913\,859\,511\,913\,684\,298\,643\,795\,947\,990\,965\,190\,462\,642\,677\,577\,036\,177\,084\,988\,710\,552\,151\,\alpha^{20}\,+\dfrac{1}{4}$

$2\,228\,171\,753\,835\,347\,973\,495\,505\,873\,895\,312\,532\,543\,251\,626\,194\,293\,904\,012\,075\,461\,946\,059\,477\,220\,355\,770\,802\,896\,695\,500\,191\,\alpha^{21}\,+\dfrac{1}{8}$

$1\,825\,471\,904\,237\,811\,766\,979\,339\,168\,404\,700\,129\,338\,690\,744\,411\,152\,638\,973\,149\,668\,428\,253\,032\,895\,065\,293\,941\,703\,883\,677\,587\,\alpha^{22}\,+\dfrac{1}{4}$

$348\,978\,746\,889\,948\,108\,393\,983\,007\,742\,184\,071\,210\,660\,552\,284\,556\,614\,039\,397\,049\,816\,997\,367\,489\,171\,041\,946\,328\,399\,356\,569\,\alpha^{23}\,+$

$31\,182\,801\,751\,731\,632\,419\,815\,863\,945\,659\,918\,445\,016\,362\,249\,113\,308\,577\,861\,889\,135\,585\,099\,346\,693\,666\,451\,795\,133\,895\,712\,\alpha^{24}\,+$

$10\,432\,857\,771\,976\,145\,250\,180\,747\,474\,934\,811\,871\,844\,558\,869\,230\,782\,672\,714\,240\,353\,568\,491\,716\,010\,152\,511\,510\,040\,479\,290\,\alpha^{25}\,+\dfrac{1}{2}$

$6\,542\,673\,253\,621\,068\,110\,134\,086\,255\,438\,941\,136\,442\,511\,811\,378\,264\,449\,873\,355\,422\,122\,496\,636\,809\,551\,145\,216\,808\,602\,429\,\alpha^{26}\,+\dfrac{1}{2}$

$1\,924\,735\,505\,890\,909\,466\,044\,792\,547\,461\,241\,529\,445\,625\,226\,784\,252\,948\,488\,977\,638\,769\,882\,145\,977\,747\,500\,990\,447\,890\,697\,\alpha^{27}\,+\dfrac{1}{4}$

$1\,063\,443\,176\,186\,856\,954\,285\,237\,908\,722\,041\,185\,368\,776\,591\,583\,718\,045\,115\,431\,991\,901\,487\,934\,059\,704\,582\,182\,043\,688\,713\,\alpha^{28}\,+\dfrac{1}{2}$

$138\,053\,119\,484\,797\,833\,456\,444\,546\,819\,736\,602\,813\,471\,626\,877\,264\,544\,576\,628\,989\,523\,111\,151\,378\,$

$$473\,310\,262\,839\,956\,345\,\alpha^{29} + \frac{1}{4}$$

$$67\,420\,110\,917\,705\,619\,429\,527\,880\,500\,958\,984\,217\,018\,726\,088\,775\,144\,106\,702\,386\,846\,155\,221\,806 \backslash$$
$$684\,435\,187\,604\,365\,277\,\alpha^{30} + \frac{1}{2}$$

$$7\,746\,060\,994\,932\,201\,055\,378\,494\,514\,922\,974\,555\,003\,888\,737\,750\,887\,471\,229\,491\,062\,764\,776\,721 \backslash$$
$$290\,262\,926\,334\,600\,105\,\alpha^{31} + \frac{1}{2}$$

$$1\,675\,807\,508\,837\,916\,673\,084\,760\,159\,772\,617\,359\,029\,139\,556\,951\,646\,344\,299\,452\,217\,813\,740\,352 \backslash$$
$$565\,986\,177\,311\,919\,647\,\alpha^{32} + \frac{1}{2}$$

$$341\,476\,873\,719\,788\,508\,101\,583\,104\,835\,645\,972\,916\,575\,454\,871\,804\,925\,953\,263\,742\,608\,903\,140\,186 \backslash$$
$$401\,997\,878\,298\,567\,\alpha^{33} + \frac{1}{2}$$

$$65\,557\,844\,042\,030\,109\,175\,406\,249\,298\,571\,090\,860\,126\,908\,234\,592\,005\,845\,455\,685\,133\,375\,167\,649 \backslash$$
$$727\,965\,118\,066\,861\,\alpha^{34} + \frac{1}{4}$$

$$23\,721\,254\,617\,352\,226\,570\,618\,624\,393\,257\,165\,549\,729\,498\,628\,296\,958\,872\,599\,422\,997\,952\,359\,266 \backslash$$
$$222\,198\,492\,836\,565\,\alpha^{35} + \frac{1}{8}$$

$$8\,089\,572\,948\,352\,844\,394\,499\,784\,250\,826\,700\,716\,605\,629\,340\,247\,019\,847\,566\,192\,248\,163\,217\,053 \backslash$$
$$035\,324\,272\,004\,719\,\alpha^{36} + \frac{1}{4}$$

$$650\,048\,945\,475\,900\,197\,145\,592\,963\,749\,062\,637\,315\,151\,310\,757\,760\,502\,743\,432\,320\,035\,482\,609\,381 \backslash$$
$$652\,511\,791\,127\,\alpha^{37} + \frac{1}{8}$$

$$196\,924\,091\,124\,142\,012\,753\,230\,667\,246\,842\,254\,981\,425\,407\,169\,824\,155\,746\,847\,352\,742\,124\,860\,804 \backslash$$
$$251\,156\,822\,795\,\alpha^{38} + \frac{1}{4}$$

$$14\,054\,187\,261\,816\,913\,098\,250\,580\,541\,325\,999\,348\,955\,187\,376\,836\,979\,638\,674\,017\,541\,833\,627\,260 \backslash$$
$$913\,029\,489\,429\,\alpha^{39} + \frac{1}{2}$$

$$944\,995\,385\,509\,415\,832\,870\,068\,080\,629\,639\,806\,173\,279\,862\,567\,373\,291\,606\,252\,827\,735\,288\,084\,348 \backslash$$
$$587\,692\,433\,\alpha^{40} +$$

$$59\,845\,824\,269\,245\,935\,647\,018\,928\,252\,252\,264\,435\,672\,931\,522\,103\,217\,377\,996\,627\,554\,037\,375\,394 \backslash$$
$$997\,508\,142\,\alpha^{41} +$$

$$7\,136\,250\,391\,059\,585\,835\,597\,282\,270\,961\,320\,276\,774\,828\,566\,709\,838\,506\,894\,577\,116\,831\,073\,159\,305 \backslash$$
$$794\,403\,\alpha^{42} +$$

$$800\,731\,721\,545\,788\,311\,350\,774\,890\,747\,182\,915\,572\,038\,921\,928\,680\,502\,480\,170\,417\,462\,007\,280\,410 \backslash$$
$$397\,474\,\alpha^{43} +$$

$$84\,492\,430\,747\,793\,681\,245\,535\,133\,095\,103\,211\,978\,424\,304\,719\,576\,682\,226\,357\,307\,132\,878\,446\,884 \backslash$$
$$856\,416\,\alpha^{44} +$$

$$8\,378\,127\,879\,376\,436\,522\,705\,056\,275\,166\,695\,818\,155\,799\,994\,269\,477\,980\,995\,201\,966\,850\,865\,531\,897 \backslash$$
$$408\,\alpha^{45} +$$

$$780\,022\,481\,797\,273\,811\,613\,530\,444\,520\,929\,886\,252\,261\,217\,313\,487\,238\,165\,213\,196\,051\,862\,416\,774\,656 \backslash$$
$$\alpha^{46} +$$

$$68\,119\,966\,704\,713\,033\,147\,530\,180\,772\,872\,428\,912\,980\,191\,155\,126\,002\,704\,292\,058\,420\,327\,595\,439\,104 \backslash$$
$$\alpha^{47} +$$

$$5\,573\,957\,544\,661\,229\,567\,685\,507\,393\,402\,946\,461\,506\,393\,710\,872\,471\,504\,403\,099\,103\,144\,312\,963\,072$$

α^{48} +

426 797 562 350 227 111 818 749 067 330 983 687 493 208 248 400 488 682 192 675 960 430 943 928 320 α^{49} +

30 536 646 511 364 086 497 316 538 925 041 098 611 957 759 752 424 763 274 093 798 047 777 554 432 α^{50} +

2 038 215 248 033 358 905 241 165 777 270 674 031 658 975 064 631 730 813 201 998 206 981 898 240 α^{51} +

126 678 083 988 207 236 721 879 344 796 862 102 641 731 175 681 785 269 596 208 169 131 966 464 α^{52} +

7 315 790 890 062 848 927 405 613 603 662 569 985 141 169 598 783 203 841 801 532 907 454 464 α^{53} +

391 643 733 805 630 263 688 431 944 806 683 632 532 871 033 143 209 819 563 552 791 330 816 α^{54} +

19 382 473 796 639 345 522 952 045 657 869 979 537 664 351 900 782 698 374 352 533 979 136 α^{55} +

884 025 693 931 499 496 478 392 059 961 518 789 787 435 853 205 314 347 312 586 162 176 α^{56} +

37 026 103 081 772 983 012 893 474 326 235 700 998 249 658 857 656 837 248 666 042 368 α^{57} +

1 418 236 195 604 293 959 681 464 675 661 132 147 499 344 060 806 813 440 123 338 752 α^{58} +

49 442 999 293 342 660 295 303 305 311 087 562 401 422 133 117 727 170 134 802 432 α^{59} +

1 560 035 382 279 074 079 668 495 369 773 719 212 393 125 825 273 629 427 892 224 α^{60} +

44 252 909 025 725 956 186 596 358 272 266 619 996 649 998 400 234 113 204 224 α^{61} +

1 119 565 402 196 584 967 580 513 553 204 481 598 225 071 539 797 987 688 448 α^{62} +

25 015 851 430 932 591 185 758 238 049 810 675 548 139 488 135 453 081 600 α^{63} +

487 711 735 682 524 432 368 776 866 359 202 139 258 730 044 773 629 952 α^{64} +

8 169 004 960 757 123 360 283 201 371 007 297 426 962 091 083 825 152 α^{65} +

115 183 492 667 014 059 983 389 533 073 024 403 809 137 235 853 312 α^{66} +

1 329 537 707 583 687 227 546 333 054 966 097 548 514 479 308 800 α^{67} +

12 063 606 545 924 571 714 534 427 870 231 615 668 398 063 616 α^{68} +

80 685 140 494 697 823 954 139 729 112 112 031 177 113 600 α^{69} +

353 668 982 828 502 948 833 657 319 270 052 685 414 400 α^{70} +

762 158 971 692 302 206 368 229 426 580 579 942 400 α^{71} $\Big)$ S_α^6 +

$\Big($ − 266 753 372 345 682 505 334 109 412 845 798 877 349 781 026 943 225 359 497 190 622 363 020 489 728 710 829 670 400 000 000 000 −

3 832 943 544 484 197 964 057 874 024 094 098 635 863 398 224 047 971 581 606 119 909 271 310 820 655 897 100 943 360 000 000 000 α −

26 997 201 511 324 113 499 744 572 309 281 542 843 402 766 240 539 838 035 064 947 227 635 626 891 201 906 477 105 152 000 000 000 α^2 −

124 266 614 200 711 777 989 150 309 498 848 691 575 172 250 198 882 074 916 288 641 852 141 691 601 690 124 660 139 622 400 000 000 α^3 −

420 470 683 471 761 357 069 618 493 783 300 868 147 318 020 633 909 012 065 765 878 558 251 907 698 753 294 840 129 781 760 000 000 α^4 −

1 115 402 253 053 224 797 216 754 864 188 600 221 703 059 089 938 247 937 334 032 125 793 982 489 674 441 823 920 041 328 640 000 000 α^5 −

2 416 058 365 457 731 993 783 967 026 053 147 820 885 400 582 708 191 991 025 198 708 275 947 958 877 615 792 992 481 047 347 200 000 α^6 −

4 394 718 544 061 641 822 313 904 540 524 593 530 381 961 110 177 709 202 305 731 372 357 888 304 991 412 905 523 352 338 432 000 000 α^7 −

6 851 516 418 020 067 179 535 581 411 644 345 776 780 077 445 143 405 519 185 533 197 156 924 030 890 017 002 943 010 207 150 080 000 α^8 −

9 299 064 126 759 766 230 769 766 816 832 701 808 258 706 271 332 706 960 632 746 608 875 585 831 540 424 271 118 090 076 314 214 400 α^9 −

11 122 569 424 906 038 593 883 562 256 503 835 157 341 873 334 429 881 841 102 802 137 322 842 958 695 472 373 282 472 693 753 999 360 α^{10} −

11 840 398 431 303 748 522 951 493 865 700 869 460 574 900 543 475 562 236 966 165 867 266 627 531 621 978 438 435 949 309 130 745 856 α^{11} −

11 309 403 009 134 659 469 308 447 858 735 302 970 567 265 142 861 447 622 920 081 393 238 058 901 \
760 814 357 084 034 541 274 370 048 α^{12} −

9 757 977 282 828 607 741 962 691 950 544 277 612 770 117 143 116 551 898 521 053 749 821 257 806 080 \
840 124 957 939 384 465 233 920 α^{13} −

7 649 048 861 371 385 626 057 709 551 174 575 250 003 960 248 587 618 349 653 441 755 028 697 251 929 \
497 468 310 380 222 502 597 632 α^{14} −

5 473 969 260 351 129 058 814 618 247 285 779 379 618 533 196 366 243 502 395 098 577 925 229 878 829 \
745 672 756 417 951 195 091 968 α^{15} −

3 591 469 162 812 086 611 301 588 979 924 163 553 967 619 190 738 143 845 848 201 029 055 146 853 241 \
646 938 222 723 522 618 959 616 α^{16} −

2 168 224 225 651 951 111 012 797 866 110 549 317 659 665 412 566 679 128 580 849 578 858 407 745 349 \
184 844 037 480 558 528 449 248 α^{17} −

1 208 330 516 392 113 958 288 005 809 813 316 428 024 205 171 628 782 793 880 523 535 620 606 885 627 \
345 401 650 218 912 211 007 952 α^{18} −

623 354 594 404 009 621 960 937 991 648 782 561 845 420 029 302 588 122 420 877 130 325 576 134 618 \
986 062 925 017 688 998 242 648 α^{19} −

298 419 186 556 327 655 100 196 030 865 452 150 172 220 266 875 170 019 431 735 496 410 429 614 249 \
563 116 224 460 042 428 422 216 α^{20} −

132 864 985 129 520 864 267 473 811 343 616 987 062 373 486 809 946 802 506 954 105 220 229 857 601 \
801 168 059 451 924 077 425 592 α^{21} −

55 122 447 791 128 822 569 175 074 258 946 675 694 043 177 416 050 121 289 762 717 122 872 078 064 \
467 370 299 689 716 838 010 088 α^{22} −

21 346 541 002 794 419 274 812 365 797 166 005 775 073 885 642 435 721 840 783 177 957 080 938 567 \
156 190 048 695 646 986 658 416 α^{23} −

7 728 056 612 395 395 639 028 156 681 333 095 651 328 208 115 601 754 607 366 113 405 046 458 463 061 \
047 134 855 935 341 160 288 α^{24} −

2 619 052 844 078 272 869 936 065 205 231 012 571 279 778 970 623 791 438 593 380 268 589 986 429 949 \
058 204 745 323 565 042 976 α^{25} −

831 895 869 244 367 632 748 931 924 963 493 350 018 682 055 118 048 102 957 059 343 460 422 881 979 \
857 573 059 390 738 822 016 α^{26} −

247 914 710 485 435 916 003 397 974 378 080 852 378 592 555 436 168 954 334 868 587 736 610 493 619 \
899 302 156 713 055 197 328 α^{27} −

69 381 808 979 412 206 919 845 131 497 607 392 088 906 952 766 429 265 628 829 140 275 093 245 389 \
959 641 119 149 621 673 840 α^{28} −

18 249 379 106 130 592 659 713 075 698 098 232 081 574 400 842 558 886 983 545 147 891 977 468 139 \
177 746 882 532 265 225 104 α^{29} −

4 514 506 115 922 604 326 040 513 971 852 229 165 094 276 853 813 503 121 286 073 263 009 090 933 340 \
508 638 287 688 555 376 α^{30} −

1 050 961 767 528 904 908 469 652 861 963 196 223 715 230 381 454 054 552 697 644 051 686 601 913 974 \
113 623 252 185 569 216 α^{31} −

230 350 769 414 702 696 170 530 251 512 742 487 137 653 022 127 218 360 783 827 325 449 872 456 404 \
270 450 911 333 766 944 α^{32} −

47 554 179 651 821 732 195 346 760 793 569 458 189 308 935 009 519 384 164 904 741 386 518 367 917 \
071 573 533 310 617 792 α^{33} −

9 249 416 214 211 306 294 816 216 632 311 876 671 393 124 274 119 650 363 677 164 289 725 965 384 163 \
179 468 208 025 840 α^{34} −

1 695 345 006 843 423 772 446 258 052 183 081 995 497 181 957 976 651 617 365 761 260 672 275 170 565 \
053 525 918 418 520 α^{35} −

292 869 043 674 167 678 839 760 796 422 858 769 532 129 933 390 724 824 937 108 553 255 301 274 419 \
468 295 082 352 776 α^{36} −

47 684 388 043 369 069 794 744 686 332 940 435 415 553 752 414 792 923 549 737 104 148 546 925 368 \

$860\,311\,875\,801\,464\,\alpha^{37}\,-$

$7\,317\,190\,885\,140\,049\,497\,164\,060\,222\,043\,291\,399\,056\,979\,167\,270\,958\,145\,650\,198\,743\,333\,876\,917\,175\,\backslash$
$024\,218\,317\,928\,\alpha^{38}\,-$

$1\,058\,078\,790\,495\,050\,463\,982\,342\,215\,039\,426\,350\,578\,005\,204\,155\,253\,563\,217\,424\,220\,682\,718\,365\,742\,\backslash$
$068\,746\,188\,688\,\alpha^{39}\,-$

$144\,144\,603\,222\,094\,181\,161\,847\,573\,319\,235\,133\,380\,858\,972\,918\,886\,424\,943\,280\,140\,894\,203\,404\,390\,\backslash$
$883\,422\,886\,464\,\alpha^{40}\,-$

$18\,494\,688\,917\,500\,132\,096\,664\,188\,266\,971\,136\,006\,206\,529\,162\,167\,208\,377\,498\,355\,100\,741\,708\,881\,\backslash$
$087\,041\,547\,904\,\alpha^{41}\,-$

$2\,234\,005\,307\,893\,583\,886\,128\,814\,548\,545\,921\,968\,568\,394\,909\,152\,393\,237\,805\,469\,563\,044\,752\,646\,166\,\backslash$
$239\,807\,744\,\alpha^{42}\,-$

$253\,914\,211\,281\,468\,123\,130\,322\,843\,437\,168\,538\,062\,992\,973\,829\,405\,669\,910\,931\,925\,838\,774\,197\,292\,\backslash$
$742\,873\,600\,\alpha^{43}\,-$

$27\,138\,574\,916\,389\,281\,884\,218\,195\,295\,364\,098\,930\,053\,216\,018\,311\,423\,056\,672\,219\,061\,097\,778\,465\,\backslash$
$615\,372\,288\,\alpha^{44}\,-$

$2\,725\,633\,268\,496\,008\,888\,130\,942\,081\,361\,734\,798\,970\,359\,721\,579\,988\,910\,038\,306\,339\,730\,240\,314\,150\,\backslash$
$436\,864\,\alpha^{45}\,-$

$257\,015\,481\,120\,150\,270\,968\,911\,258\,720\,375\,365\,074\,130\,577\,708\,785\,014\,704\,356\,802\,732\,635\,743\,199\,\backslash$
$789\,056\,\alpha^{46}\,-$

$22\,731\,990\,505\,915\,081\,646\,497\,365\,877\,931\,015\,802\,253\,710\,729\,480\,727\,665\,804\,893\,785\,822\,445\,938\,\backslash$
$868\,224\,\alpha^{47}\,-$

$1\,883\,715\,829\,459\,806\,715\,496\,922\,608\,796\,991\,500\,649\,968\,733\,214\,081\,654\,381\,940\,259\,600\,647\,095\,058\,\backslash$
$432\,\alpha^{48}\,-$

$146\,062\,550\,432\,445\,504\,972\,288\,384\,510\,760\,086\,711\,757\,114\,901\,814\,263\,181\,251\,319\,941\,482\,839\,801\,856$
$\alpha^{49}\,-$

$10\,582\,268\,818\,757\,701\,810\,361\,626\,861\,168\,979\,762\,476\,099\,259\,130\,780\,017\,065\,025\,794\,349\,228\,621\,824$
$\alpha^{50}\,-$

$715\,191\,045\,019\,131\,293\,577\,264\,978\,132\,940\,925\,773\,810\,552\,636\,639\,816\,010\,490\,843\,024\,051\,929\,088$
$\alpha^{51}\,-$

$45\,005\,023\,704\,598\,970\,507\,607\,257\,843\,312\,638\,709\,211\,278\,944\,834\,497\,814\,613\,694\,879\,438\,471\,168$
$\alpha^{52}\,-$

$2\,631\,358\,808\,069\,336\,127\,761\,156\,591\,465\,558\,906\,582\,946\,824\,576\,776\,790\,871\,260\,094\,579\,867\,648\,\alpha^{53}\,-$

$142\,606\,711\,164\,074\,061\,276\,094\,520\,679\,204\,721\,496\,470\,060\,753\,754\,971\,006\,899\,521\,153\,138\,688\,\alpha^{54}\,-$

$7\,144\,266\,662\,570\,693\,268\,981\,398\,483\,538\,980\,592\,241\,525\,714\,493\,440\,785\,436\,859\,298\,742\,272\,\alpha^{55}\,-$

$329\,823\,568\,437\,847\,767\,184\,546\,778\,348\,146\,795\,536\,824\,494\,501\,126\,692\,028\,338\,581\,536\,768\,\alpha^{56}\,-$

$13\,981\,728\,761\,548\,360\,545\,993\,727\,261\,376\,712\,376\,654\,318\,357\,039\,038\,756\,742\,756\,302\,848\,\alpha^{57}\,-$

$542\,006\,262\,304\,149\,155\,236\,610\,720\,938\,264\,422\,622\,690\,034\,474\,684\,375\,101\,425\,582\,080\,\alpha^{58}\,-$

$19\,121\,825\,264\,535\,847\,693\,508\,235\,001\,185\,146\,529\,423\,467\,824\,682\,720\,739\,274\,522\,624\,\alpha^{59}\,-$

$610\,510\,123\,885\,706\,521\,612\,650\,485\,970\,400\,976\,489\,254\,820\,678\,539\,291\,163\,361\,280\,\alpha^{60}\,-$

$17\,522\,594\,697\,816\,715\,851\,839\,024\,322\,322\,763\,515\,481\,722\,087\,198\,692\,751\,704\,064\,\alpha^{61}\,-$

$448\,505\,476\,404\,453\,477\,771\,163\,581\,928\,717\,603\,754\,896\,930\,009\,345\,087\,766\,528\,\alpha^{62}\,-$

$10\,138\,134\,657\,021\,770\,841\,850\,538\,010\,571\,098\,523\,267\,973\,095\,033\,556\,434\,944\,\alpha^{63}\,-$

$199\,936\,719\,492\,863\,645\,142\,914\,973\,179\,663\,199\,662\,943\,640\,674\,614\,902\,784\,\alpha^{64}\,-$

$3\,387\,244\,573\,904\,582\,050\,875\,370\,703\,732\,976\,029\,026\,929\,983\,220\,613\,120\,\alpha^{65}\,-$

$48\,303\,267\,574\,674\,710\,968\,399\,518\,761\,621\,146\,070\,247\,397\,222\,514\,688\,\alpha^{66}\,-$

$563\,840\,210\,134\,609\,225\,277\,511\,973\,641\,041\,297\,692\,457\,495\,953\,408\,\alpha^{67}\,-$

$5\,173\,224\,955\,306\,347\,444\,364\,800\,596\,736\,869\,181\,733\,457\,625\,088\,\alpha^{68}\,-$

$34\,983\,701\,036\,776\,306\,779\,711\,674\,876\,431\,674\,769\,617\,715\,200\,\alpha^{69}\,-$

$155\,030\,038\,660\,060\,281\,456\,527\,008\,911\,558\,760\,936\,243\,200\,\alpha^{70}\,-$

$337\,729\,797\,127\,650\,189\,121\,820\,294\,835\,730\,592\,563\,200\,\alpha^{71}\big)\,S_\alpha^4\,+$

$\big(10\,202\,203\,605\,889\,782\,821\,962\,791\,802\,895\,902\,304\,574\,306\,534\,543\,932\,233\,596\,320\,072\,166\,978\,249\,322\,\backslash$

`

103 675 289 600 000 000 000 +

149 947 073 487 089 538 764 462 594 224 912 502 327 316 332 242 401 624 882 201 966 937 847 885 064 601 373 088 153 600 000 000 000 α +

1 080 408 421 660 167 428 952 424 248 202 676 176 652 347 574 508 516 650 431 131 775 189 737 965 186 489 480 179 089 408 000 000 000 000 α^2 +

5 087 696 443 269 478 566 400 906 664 760 146 465 256 410 924 454 866 448 232 000 190 544 899 443 517 238 568 414 504 550 400 000 000 000 α^3 +

17 612 695 498 039 087 536 114 381 618 043 424 869 628 089 257 026 287 610 952 368 903 945 391 795 113 466 447 233 160 314 880 000 000 α^4 +

47 803 878 122 621 467 024 621 288 978 557 711 123 815 830 858 813 195 848 392 780 910 290 225 260 496 053 432 329 204 400 128 000 000 α^5 +

105 947 617 806 263 338 257 903 306 383 905 215 481 934 324 959 277 312 212 267 087 834 023 188 516 875 453 200 704 833 427 865 600 000 α^6 +

197 183 447 425 204 524 526 587 822 438 236 413 677 238 903 513 868 933 312 952 834 453 239 791 441 059 042 150 224 719 993 896 960 000 α^7 +

314 541 699 474 356 845 380 288 274 318 460 438 250 469 389 765 396 282 170 948 872 656 940 943 333 460 695 769 518 351 440 674 816 000 α^8 +

436 790 086 667 004 449 498 653 942 856 413 036 422 056 922 400 591 876 458 656 283 320 168 487 716 340 953 401 111 299 374 658 355 200 α^9 +

534 520 228 054 361 263 019 275 568 766 816 857 790 721 826 685 047 838 538 439 908 396 792 547 497 628 103 249 109 958 041 440 092 160 α^{10} +

582 141 020 179 629 836 171 738 857 028 985 888 547 023 147 794 314 067 857 058 569 423 003 528 002 757 352 325 275 312 799 979 929 600 α^{11} +

568 821 460 890 920 841 205 343 318 502 689 653 066 726 502 736 398 666 217 826 806 560 133 389 143 116 796 430 992 062 286 448 295 936 α^{12} +

502 037 870 472 813 725 020 395 392 718 710 948 255 297 575 241 875 422 825 301 748 232 018 157 448 269 950 538 184 758 239 495 979 008 α^{13} +

402 517 876 709 818 517 619 082 758 191 001 086 293 169 225 430 522 625 158 848 797 781 567 075 919 801 456 563 853 516 448 482 852 864 α^{14} +

294 602 753 065 248 515 872 925 240 915 070 448 274 527 410 131 440 969 113 561 209 230 490 918 266 525 673 480 709 461 701 439 324 160 α^{15} +

197 657 898 357 735 592 264 502 154 925 085 697 858 304 256 136 458 466 678 107 326 960 836 025 361 565 309 671 504 977 058 878 881 792 α^{16} +

122 011 332 584 976 607 137 108 331 465 921 661 873 207 897 422 895 430 099 331 801 731 444 696 853 202 642 938 514 852 656 214 851 584 α^{17} +

69 514 878 416 548 662 733 485 228 787 127 722 214 319 995 169 863 779 596 137 845 139 037 990 337 310 074 826 905 055 864 769 576 960 α^{18} +

36 657 371 264 726 969 160 451 936 482 402 352 796 507 424 908 570 441 237 931 791 754 706 528 871 067 073 832 729 180 861 950 414 848 α^{19} +

17 935 824 012 311 871 820 745 314 076 658 694 308 744 640 680 863 573 574 455 641 628 861 092 568 724 008 737 966 505 066 639 364 096 α^{20} +

8 160 266 503 446 269 965 529 193 812 936 348 049 180 470 693 253 290 202 600 638 015 332 724 965 274 090 251 684 192 706 282 213 376 α^{21} +

3 458 987 235 613 097 839 544 019 725 209 266 859 461 818 558 695 736 837 482 850 944 375 309 725 634 562 278 186 389 815 511 650 304 α^{22} +

1 368 355 716 164 267 182 657 399 343 146 521 956 051 366 740 412 389 202 041 153 077 412 368 085 340 119 073 413 699 241 434 324 992 α^{23} +

505 957 832 416 537 130 358 481 126 343 038 119 876 501 657 024 067 224 471 753 145 742 534 920 308 489 742 870 794 853 729 837 056 α^{24} +

175 097 380 826 903 046 572 039 559 836 624 962 041 226 792 860 999 465 044 786 769 369 986 673 917 276 862 231 246 674 968 117 248 α^{25} +

56 782 182 864 968 605 479 947 220 876 569 119 177 757 423 090 043 419 738 800 107 712 814 784 205 \
667 393 333 014 001 467 244 544 α^{26} +

17 272 978 801 937 428 571 478 875 411 879 310 270 024 915 608 176 803 346 151 271 348 683 584 913 \
828 552 109 741 614 581 800 960 α^{27} +

4 933 378 160 726 127 434 540 574 135 880 913 905 230 021 595 589 010 081 102 922 358 859 776 312 861 \
948 202 544 310 308 331 520 α^{28} +

1 324 008 718 769 528 471 252 622 646 603 199 684 420 137 606 907 040 036 717 168 322 057 833 982 953 \
884 346 120 023 035 109 376 α^{29} +

334 122 216 670 105 007 713 415 158 347 307 719 438 428 694 947 247 633 943 145 390 234 448 223 615 \
601 397 024 514 351 816 704 α^{30} +

79 330 687 010 687 733 166 339 968 486 433 786 787 665 413 424 228 825 455 948 458 835 416 007 146 \
666 630 878 148 963 500 032 α^{31} +

17 729 994 013 069 307 804 330 101 583 250 213 038 554 969 156 538 130 119 020 413 124 607 157 251 \
446 106 985 342 414 225 408 α^{32} +

3 731 439 696 251 013 963 802 058 273 540 166 199 859 900 639 919 696 160 998 347 392 659 196 580 835 \
250 804 454 986 678 272 α^{33} +

739 731 232 367 779 792 404 706 930 582 844 544 856 558 936 027 878 059 482 689 991 661 699 644 032 \
772 491 870 414 225 408 α^{34} +

138 162 999 237 391 901 068 867 038 255 556 043 926 383 946 556 176 924 301 224 348 331 090 536 170 \
372 360 567 884 304 384 α^{35} +

24 315 458 316 320 350 449 153 709 729 685 612 014 896 360 685 987 247 982 387 652 455 701 464 747 \
300 219 257 461 772 288 α^{36} +

4 032 377 078 482 390 743 459 244 661 107 378 022 023 182 527 558 161 893 980 293 707 913 134 439 786 \
595 741 375 188 992 α^{37} +

630 093 887 828 381 957 908 908 009 378 110 087 064 387 511 630 390 654 799 102 343 065 212 806 602 \
433 075 603 836 928 α^{38} +

92 758 648 325 624 987 329 089 422 275 020 642 591 039 456 757 660 588 492 739 571 305 270 420 972 \
020 941 748 592 640 α^{39} +

12 862 030 020 755 501 085 931 776 740 513 928 119 597 556 668 271 766 578 633 847 724 745 357 430 \
389 285 986 230 272 α^{40} +

1 679 313 777 289 646 145 281 077 217 819 581 623 354 576 078 478 785 157 958 727 434 154 513 521 659 \
342 353 285 120 α^{41} +

206 367 601 404 142 332 371 650 948 856 345 374 889 291 875 630 718 028 251 739 360 226 656 198 155 \
255 066 099 712 α^{42} +

23 856 985 604 803 487 985 814 705 776 051 576 492 134 723 715 862 159 700 944 355 222 612 523 755 \
761 804 836 864 α^{43} +

2 592 899 120 358 561 790 047 257 125 121 829 917 283 759 459 284 127 227 719 487 855 164 289 040 892 \
642 197 504 α^{44} +

264 749 357 430 429 005 288 268 067 721 992 024 081 953 691 069 252 859 018 220 447 377 971 536 792 \
605 687 808 α^{45} +

25 374 340 737 436 010 182 064 640 978 231 092 050 233 053 254 014 164 359 555 461 339 138 605 667 \
890 233 344 α^{46} +

2 280 553 597 335 652 720 892 090 298 556 167 920 136 884 565 376 269 413 473 170 275 688 045 036 101 \
959 680 α^{47} +

191 992 919 795 489 179 783 714 991 105 720 992 184 979 424 505 590 210 480 238 108 982 985 171 673 \
284 608 α^{48} +

15 120 835 421 972 736 277 631 943 023 405 499 832 731 519 718 974 491 477 418 774 463 986 970 304 \
446 464 α^{49} +

1 112 457 189 479 149 223 724 818 963 119 123 029 409 161 352 736 108 411 388 712 594 868 147 507 429 \
376 α^{50} +

76 329 996 158 722 622 615 462 980 928 765 245 240 057 556 294 965 990 619 477 724 640 934 319 095 808

$\alpha^{51}\,+$

$4\,875\,334\,678\,660\,145\,414\,530\,734\,798\,843\,751\,986\,214\,036\,297\,054\,612\,200\,285\,856\,212\,169\,990\,864\,896\,\alpha^{52}\,+$

$289\,265\,078\,535\,431\,855\,588\,099\,198\,195\,483\,229\,258\,061\,436\,894\,827\,557\,149\,913\,080\,196\,665\,180\,160\,\alpha^{53}\,+$

$15\,904\,912\,551\,829\,362\,188\,830\,890\,311\,252\,105\,765\,732\,967\,799\,950\,661\,319\,625\,649\,119\,893\,127\,168\,\alpha^{54}\,+$

$808\,216\,962\,154\,597\,700\,811\,874\,803\,353\,395\,115\,852\,532\,839\,161\,454\,373\,172\,261\,039\,474\,999\,296\,\alpha^{55}\,+$

$37\,838\,622\,215\,752\,498\,182\,364\,841\,349\,398\,307\,641\,328\,020\,594\,860\,101\,584\,107\,758\,535\,311\,360\,\alpha^{56}\,+$

$1\,626\,308\,556\,656\,269\,216\,343\,797\,570\,949\,928\,434\,409\,678\,719\,119\,772\,094\,740\,342\,205\,579\,264\,\alpha^{57}\,+$

$63\,905\,871\,375\,174\,789\,912\,959\,287\,926\,360\,026\,897\,380\,069\,821\,734\,331\,815\,635\,873\,431\,552\,\alpha^{58}\,+$

$2\,284\,898\,780\,940\,824\,257\,625\,970\,649\,713\,697\,674\,215\,292\,906\,918\,359\,531\,810\,614\,935\,552\,\alpha^{59}\,+$

$73\,916\,145\,217\,102\,344\,611\,071\,044\,100\,860\,439\,681\,332\,119\,868\,818\,787\,773\,209\,116\,672\,\alpha^{60}\,+$

$2\,149\,127\,736\,214\,686\,637\,478\,699\,816\,858\,835\,528\,939\,355\,906\,589\,998\,485\,281\,439\,744\,\alpha^{61}\,+$

$55\,713\,239\,767\,213\,017\,342\,963\,176\,984\,673\,607\,408\,467\,422\,546\,852\,003\,734\,093\,824\,\alpha^{62}\,+$

$1\,275\,222\,564\,701\,349\,049\,822\,055\,347\,329\,009\,475\,235\,820\,109\,402\,301\,723\,049\,984\,\alpha^{63}\,+$

$25\,460\,630\,132\,094\,568\,906\,358\,106\,649\,981\,613\,323\,082\,856\,547\,065\,979\,207\,680\,\alpha^{64}\,+$

$436\,600\,426\,346\,259\,335\,159\,105\,844\,932\,433\,226\,680\,552\,023\,685\,001\,641\,984\,\alpha^{65}\,+$

$6\,300\,695\,327\,981\,425\,048\,864\,047\,324\,419\,602\,951\,512\,706\,712\,025\,956\,352\,\alpha^{66}\,+$

$74\,414\,359\,110\,260\,277\,407\,297\,486\,837\,668\,817\,609\,379\,906\,217\,574\,400\,\alpha^{67}\,+$

$690\,662\,981\,822\,926\,435\,679\,521\,130\,690\,605\,409\,973\,035\,348\,262\,912\,\alpha^{68}\,+$

$4\,723\,795\,544\,356\,858\,078\,452\,588\,845\,265\,787\,462\,999\,238\,246\,400\,\alpha^{69}\,+$

$21\,167\,967\,742\,241\,603\,349\,565\,866\,601\,226\,697\,674\,902\,732\,800\,\alpha^{70}\,+$

$46\,621\,812\,065\,033\,028\,694\,080\,410\,983\,587\,472\,264\,396\,800\,\alpha^{71}\Big)\,S_\alpha^2\,+$

$\Big(-16\,281\,255\,224\,197\,574\,309\,419\,557\,226\,198\,092\,784\,819\,026\,725\,745\,200\,153\,463\,334\,186\,900\,214\,018\,$
$374\,411\,223\,040\,000\,000\,000\,000\,-$

$264\,065\,211\,450\,648\,177\,383\,549\,383\,029\,774\,638\,504\,473\,629\,027\,531\,366\,997\,039\,219\,184\,673\,909\,556\,$
$999\,398\,359\,040\,000\,000\,000\,000\,\alpha\,-$

$2\,091\,890\,718\,301\,507\,347\,515\,459\,594\,228\,048\,963\,674\,921\,954\,247\,978\,871\,255\,496\,687\,368\,397\,455\,277\,$
$117\,385\,421\,619\,200\,000\,000\,000\,\alpha^2\,-$

$10\,792\,399\,487\,117\,722\,873\,082\,051\,093\,200\,416\,574\,464\,281\,720\,948\,001\,631\,743\,559\,343\,521\,635\,285\,$
$843\,857\,892\,138\,024\,960\,000\,000\,000\,\alpha^3\,-$

$40\,794\,572\,081\,468\,140\,874\,343\,969\,677\,833\,515\,203\,396\,672\,259\,572\,488\,340\,181\,659\,618\,587\,798\,239\,$
$309\,163\,807\,440\,371\,712\,000\,000\,000\,\alpha^4\,-$

$120\,508\,073\,508\,523\,684\,678\,909\,790\,158\,637\,233\,909\,968\,955\,964\,695\,025\,292\,483\,384\,862\,759\,000\,429\,$
$340\,435\,108\,674\,614\,067\,200\,000\,000\,\alpha^5\,-$

$289\,785\,832\,032\,868\,129\,026\,013\,064\,510\,713\,136\,623\,897\,512\,182\,032\,740\,678\,945\,907\,827\,328\,266\,162\,$
$840\,869\,289\,988\,655\,677\,440\,000\,000\,\alpha^6\,-$

$583\,448\,776\,422\,017\,843\,195\,959\,692\,221\,085\,424\,043\,387\,009\,716\,670\,167\,489\,658\,451\,692\,900\,493\,699\,$
$240\,123\,838\,011\,386\,363\,904\,000\,000\,\alpha^7\,-$

$1\,003\,978\,543\,415\,641\,808\,704\,387\,848\,371\,925\,145\,552\,196\,293\,697\,992\,094\,345\,355\,780\,011\,533\,035\,816\,$
$235\,690\,615\,034\,712\,843\,878\,400\,000\,\alpha^8\,-$

$1\,499\,864\,963\,876\,683\,124\,020\,056\,376\,419\,467\,150\,296\,794\,638\,162\,493\,180\,655\,301\,441\,482\,655\,335\,681\,$
$327\,365\,481\,455\,069\,670\,932\,480\,000\,\alpha^9\,-$

$1\,969\,451\,200\,964\,059\,585\,488\,429\,758\,457\,739\,772\,664\,144\,588\,429\,479\,382\,839\,311\,575\,915\,858\,781\,155\,$
$619\,327\,344\,536\,398\,577\,270\,784\,000\,\alpha^{10}\,-$

$2\,295\,759\,750\,594\,055\,319\,636\,639\,062\,558\,692\,987\,235\,202\,807\,960\,524\,417\,807\,242\,623\,783\,755\,898\,660\,$
$171\,282\,203\,837\,663\,889\,326\,080\,000\,\alpha^{11}\,-$

$2\,395\,254\,198\,355\,154\,472\,489\,118\,687\,179\,344\,402\,615\,136\,539\,528\,927\,105\,881\,659\,383\,304\,096\,861\,097\,$
$449\,876\,422\,698\,372\,878\,984\,806\,400\,\alpha^{12}\,-$

$2\,252\,124\,951\,441\,436\,105\,019\,617\,361\,618\,860\,268\,961\,360\,914\,702\,469\,928\,404\,988\,415\,950\,171\,057\,309\,$

$817\,979\,075\,779\,565\,504\,901\,939\,200\,\alpha^{13}\,-$

$1\,919\,399\,011\,270\,881\,948\,203\,912\,472\,070\,959\,278\,519\,979\,836\,132\,271\,109\,571\,815\,089\,104\,513\,543\,273\,561\,647\,552\,126\,918\,208\,362\,905\,600\,\alpha^{14}\,-$

$1\,490\,128\,096\,903\,387\,783\,367\,047\,651\,858\,460\,588\,545\,227\,606\,584\,123\,098\,596\,946\,962\,853\,973\,922\,575\,798\,017\,195\,526\,922\,134\,618\,112\,000\,\alpha^{15}\,-$

$1\,058\,345\,403\,441\,376\,515\,227\,151\,814\,289\,939\,849\,398\,397\,105\,327\,051\,643\,554\,591\,456\,996\,744\,476\,732\,847\,218\,384\,956\,580\,519\,791\,820\,800\,\alpha^{16}\,-$

$690\,231\,953\,833\,745\,216\,364\,752\,319\,872\,963\,296\,718\,499\,196\,329\,432\,730\,603\,719\,360\,138\,904\,825\,147\,206\,928\,130\,305\,544\,577\,456\,537\,600\,\alpha^{17}\,-$

$414\,708\,862\,508\,881\,699\,022\,758\,695\,518\,562\,897\,706\,441\,214\,839\,708\,621\,573\,234\,379\,641\,474\,249\,435\,179\,114\,317\,132\,866\,627\,436\,544\,000\,\alpha^{18}\,-$

$230\,207\,179\,902\,086\,648\,491\,416\,719\,848\,086\,509\,209\,668\,432\,791\,732\,993\,334\,596\,775\,149\,717\,373\,978\,793\,145\,447\,204\,483\,172\,807\,475\,200\,\alpha^{19}\,-$

$118\,364\,940\,450\,880\,467\,207\,386\,161\,135\,237\,716\,014\,680\,589\,777\,146\,071\,950\,289\,818\,557\,181\,643\,561\,944\,558\,671\,817\,935\,325\,193\,830\,400\,\alpha^{20}\,-$

$56\,497\,858\,924\,178\,326\,603\,707\,875\,496\,387\,593\,612\,343\,684\,958\,565\,900\,270\,837\,212\,798\,317\,552\,857\,101\,881\,928\,451\,584\,994\,141\,798\,400\,\alpha^{21}\,-$

$25\,084\,900\,004\,984\,385\,012\,492\,370\,883\,569\,178\,268\,375\,039\,676\,739\,315\,438\,144\,882\,095\,850\,551\,350\,147\,539\,165\,158\,879\,773\,759\,897\,600\,\alpha^{22}\,-$

$10\,378\,509\,570\,676\,075\,879\,517\,826\,784\,925\,426\,069\,111\,373\,203\,429\,227\,724\,997\,561\,139\,863\,602\,369\,370\,815\,148\,089\,404\,185\,300\,172\,800\,\alpha^{23}\,-$

$4\,007\,609\,552\,608\,551\,971\,043\,764\,328\,297\,794\,244\,072\,070\,278\,979\,335\,005\,569\,377\,894\,229\,160\,689\,198\,068\,340\,918\,254\,078\,944\,870\,400\,\alpha^{24}\,-$

$1\,446\,348\,576\,887\,093\,858\,100\,347\,122\,168\,322\,192\,790\,899\,702\,328\,951\,950\,328\,677\,683\,067\,049\,488\,507\,473\,823\,930\,327\,630\,295\,859\,200\,\alpha^{25}\,-$

$488\,470\,478\,853\,499\,164\,593\,162\,958\,433\,308\,629\,848\,314\,757\,887\,282\,564\,952\,074\,768\,711\,942\,453\,768\,747\,803\,952\,619\,439\,888\,793\,600\,\alpha^{26}\,-$

$154\,546\,640\,301\,536\,414\,250\,179\,934\,975\,707\,684\,413\,878\,251\,970\,219\,557\,133\,992\,036\,757\,360\,444\,498\,782\,868\,387\,694\,640\,234\,496\,000\,\alpha^{27}\,-$

$45\,851\,920\,126\,231\,990\,784\,222\,497\,547\,843\,758\,192\,349\,151\,605\,056\,436\,638\,799\,029\,790\,606\,656\,027\,710\,732\,909\,331\,976\,945\,664\,000\,\alpha^{28}\,-$

$12\,767\,329\,126\,029\,793\,795\,607\,837\,339\,534\,264\,881\,887\,319\,986\,223\,953\,305\,094\,387\,986\,722\,179\,614\,024\,328\,063\,677\,026\,035\,302\,400\,\alpha^{29}\,-$

$3\,338\,917\,262\,221\,843\,675\,276\,345\,619\,049\,398\,478\,639\,593\,142\,686\,061\,955\,830\,963\,933\,336\,483\,610\,058\,345\,163\,979\,052\,521\,881\,600\,\alpha^{30}\,-$

$820\,628\,285\,945\,444\,970\,297\,898\,682\,356\,549\,422\,047\,457\,248\,422\,565\,651\,179\,541\,819\,974\,702\,213\,662\,810\,982\,429\,473\,688\,780\,800\,\alpha^{31}\,-$

$189\,649\,083\,230\,628\,006\,884\,325\,094\,485\,323\,432\,079\,046\,973\,993\,828\,201\,556\,597\,771\,191\,730\,857\,084\,762\,136\,812\,392\,493\,875\,200\,\alpha^{32}\,-$

$41\,229\,179\,973\,062\,083\,793\,053\,765\,581\,639\,978\,715\,380\,448\,334\,033\,476\,471\,302\,958\,688\,459\,765\,107\,189\,338\,432\,377\,507\,020\,800\,\alpha^{33}\,-$

$8\,434\,398\,481\,087\,923\,852\,345\,823\,434\,095\,614\,904\,150\,678\,082\,300\,451\,868\,229\,044\,156\,578\,383\,640\,393\,466\,835\,591\,050\,035\,200\,\alpha^{34}\,-$

$1\,624\,072\,617\,599\,287\,610\,763\,045\,366\,474\,230\,011\,181\,692\,975\,878\,468\,675\,775\,646\,456\,629\,974\,884\,446\,061\,099\,894\,479\,257\,600\,\alpha^{35}\,-$

$294\,392\,351\,917\,434\,136\,314\,511\,162\,130\,083\,326\,980\,892\,033\,230\,793\,521\,130\,911\,606\,881\,437\,025\,730\,442\,323\,847\,295\,795\,200\,\alpha^{36}\,-$

$50\,239\,692\,817\,635\,689\,507\,052\,092\,898\,602\,701\,775\,682\,245\,797\,722\,530\,715\,539\,825\,705\,796\,015\,606\,287\,388\,949\,335\,244\,800\,\alpha^{37}\,-$

$8\,071\,574\,157\,662\,963\,297\,908\,648\,640\,495\,508\,404\,223\,534\,259\,267\,573\,399\,091\,236\,804\,626\,347\,548\,939\,862\,139\,745\,075\,200\,\alpha^{38}\,-$

$1\,220\,712\,146\,358\,422\,058\,410\,643\,414\,484\,663\,970\,564\,686\,994\,562\,182\,151\,925\,948\,897\,952\,173\,587\,213\,246\,777\,655\,296\,000\,\alpha^{39}\,-$

$173\,750\,405\,985\,976\,670\,050\,994\,649\,235\,806\,240\,300\,132\,919\,619\,638\,606\,386\,606\,021\,472\,578\,791\,052\,375\,047\,326\,924\,800\,\alpha^{40}\,-$

$23\,268\,559\,349\,166\,033\,878\,001\,744\,497\,231\,740\,833\,517\,317\,594\,452\,319\,747\,465\,106\,422\,171\,831\,353\,645\,476\,085\,760\,000\,\alpha^{41}\,-$

$2\,930\,732\,498\,842\,477\,321\,844\,715\,671\,972\,662\,175\,008\,218\,444\,702\,109\,029\,742\,836\,676\,986\,044\,488\,128\,684\,412\,108\,800\,\alpha^{42}\,-$

$347\,003\,824\,901\,530\,891\,608\,089\,486\,498\,269\,687\,571\,639\,184\,140\,064\,535\,928\,986\,762\,292\,798\,725\,413\,444\,098\,457\,600\,\alpha^{43}\,-$

$38\,599\,903\,731\,733\,712\,950\,504\,578\,171\,886\,754\,371\,922\,876\,701\,324\,722\,136\,198\,576\,961\,132\,875\,313\,544\,010\,137\,600\,\alpha^{44}\,-$

$4\,031\,120\,063\,947\,974\,480\,747\,956\,882\,211\,756\,308\,249\,557\,060\,359\,940\,834\,225\,639\,763\,582\,549\,110\,537\,007\,923\,200\,\alpha^{45}\,-$

$394\,906\,360\,181\,684\,311\,331\,414\,662\,356\,617\,175\,403\,285\,258\,497\,908\,682\,755\,469\,342\,125\,793\,594\,377\,345\,433\,600\,\alpha^{46}\,-$

$36\,255\,686\,020\,159\,751\,188\,666\,624\,917\,833\,029\,768\,442\,790\,016\,761\,835\,658\,082\,019\,560\,190\,250\,544\,267\,264\,000\,\alpha^{47}\,-$

$3\,115\,980\,392\,071\,160\,082\,049\,953\,093\,933\,777\,485\,698\,334\,611\,829\,367\,592\,618\,821\,970\,559\,700\,560\,982\,835\,200\,\alpha^{48}\,-$

$250\,383\,090\,895\,249\,893\,262\,826\,442\,402\,458\,382\,167\,428\,708\,897\,306\,421\,525\,952\,721\,597\,009\,707\,506\,073\,600\,\alpha^{49}\,-$

$18\,783\,944\,483\,309\,389\,754\,408\,009\,151\,355\,628\,713\,043\,651\,772\,176\,884\,446\,745\,514\,090\,834\,784\,839\,270\,400\,\alpha^{50}\,-$

$1\,313\,517\,223\,666\,338\,359\,960\,453\,353\,951\,430\,516\,453\,127\,523\,591\,345\,860\,011\,346\,868\,511\,561\,691\,955\,200\,\alpha^{51}\,-$

$85\,457\,984\,326\,357\,120\,150\,265\,505\,918\,295\,110\,343\,737\,061\,648\,748\,346\,449\,650\,296\,626\,006\,615\,654\,400\,\alpha^{52}\,-$

$5\,162\,143\,859\,451\,916\,495\,657\,017\,930\,350\,091\,978\,773\,961\,572\,905\,769\,645\,755\,370\,710\,505\,619\,456\,000\,\alpha^{53}\,-$

$288\,826\,310\,875\,975\,153\,954\,031\,905\,767\,716\,102\,056\,656\,455\,552\,887\,775\,676\,832\,169\,155\,834\,675\,200\,\alpha^{54}\,-$

$14\,927\,850\,753\,053\,182\,988\,525\,894\,630\,579\,351\,975\,470\,696\,034\,865\,910\,969\,350\,850\,794\,120\,806\,400\,\alpha^{55}\,-$

$710\,505\,940\,388\,442\,420\,210\,023\,673\,133\,111\,756\,778\,469\,604\,559\,607\,890\,403\,042\,892\,185\,600\,000\,\alpha^{56}\,-$

$31\,031\,596\,487\,553\,572\,881\,373\,534\,695\,321\,815\,977\,734\,729\,948\,267\,785\,732\,761\,922\,935\,193\,600\,\alpha^{57}\,-$

$1\,238\,575\,941\,872\,713\,263\,329\,129\,017\,393\,609\,847\,082\,926\,434\,403\,607\,159\,763\,093\,998\,796\,800\,\alpha^{58}\,-$

$44\,962\,193\,073\,680\,496\,128\,749\,752\,955\,903\,263\,550\,627\,850\,765\,289\,168\,787\,393\,531\,084\,800\,\alpha^{59}\,-$

$1\,476\,189\,743\,388\,462\,967\,182\,003\,007\,015\,258\,764\,400\,282\,378\,984\,249\,712\,014\,314\,700\,800\,\alpha^{60}\,-$

$43\,542\,837\,939\,533\,639\,830\,752\,638\,942\,308\,887\,842\,747\,072\,401\,514\,800\,881\,441\,177\,600\,\alpha^{61}\,-$

$1\,144\,719\,754\,070\,327\,723\,685\,440\,443\,795\,466\,869\,687\,254\,115\,799\,553\,172\,674\,969\,600\,\alpha^{62}\,-$

$26\,561\,512\,910\,087\,927\,791\,181\,495\,356\,781\,638\,151\,396\,463\,008\,806\,050\,830\,745\,600\,\alpha^{63}\,-$

$537\,411\,294\,861\,365\,033\,283\,157\,923\,240\,613\,980\,243\,120\,640\,602\,383\,843\,328\,000\,\alpha^{64}\,-$

$9\,335\,598\,772\,809\,623\,833\,666\,131\,562\,303\,348\,442\,991\,684\,748\,683\,352\,473\,600\,\alpha^{65}\,-$

$136\,433\,512\,454\,338\,831\,381\,062\,229\,694\,349\,459\,475\,711\,074\,551\,778\,508\,800\,\alpha^{66}\,-$

$1\,631\,257\,467\,513\,017\,018\,862\,961\,098\,562\,262\,262\,260\,039\,990\,378\,496\,000\,\alpha^{67}\,-$

$15\,322\,444\,417\,825\,088\,917\,436\,223\,091\,378\,988\,156\,250\,695\,191\,756\,800\,\alpha^{68}\,-$

$106\,026\,917\,971\,658\,617\,233\,296\,637\,126\,114\,569\,726\,208\,245\,760\,000\,\alpha^{69}\,-$

$480\,549\,837\,476\,011\,955\,948\,512\,695\,382\,418\,806\,611\,640\,320\,000\,\alpha^{70}\,-$

$1\,070\,181\,774\,383\,865\,009\,668\,206\,113\,951\,143\,449\,067\,520\,000\,\alpha^{71}\big)\big\}$

In[ ]:= `RECNormalizedODDnew = OrePolynomialSubstitute[`
        `ToOrePolynomial[RECNormalizedODD], {α → (α - 1) / 2, S[α] → S[α]²}];`
    `ToOrePolynomial[RECNormalizedODDnew]`

Out[ ]= { ($-$ 1 998 410 332 995 385 305 084 031 314 405 967 183 796 704 055 989 393 620 529 294 600 189 766 400 000

  000 000 $-$

  28 060 875 926 749 961 086 143 264 676 623 843 822 485 694 346 449 336 401 291 780 648 665 923 048

  000 000 000 α $-$

  193 049 775 123 846 352 154 294 776 144 898 842 507 813 221 023 575 270 707 693 245 047 023 033 057

  600 000 000 α^2 $-$

  867 514 921 140 662 930 658 991 646 580 740 398 292 930 193 049 318 358 184 456 990 227 019 940 635

  645 000 000 α^3 $-$

  2 864 328 762 951 250 207 464 489 568 352 322 007 612 532 664 282 679 372 866 029 273 618 215 368 634

  487 250 000 α^4 $-$

  7 411 030 786 727 674 303 115 166 120 905 365 313 119 041 177 578 306 865 833 459 078 232 775 216 871

  610 825 000 α^5 $-$

  15 649 930 220 193 950 749 459 880 777 848 357 226 759 050 157 859 552 043 701 863 416 926 525 855

  739 093 376 250 α^6 $-$

  27 739 238 180 031 577 145 733 607 053 026 561 046 542 225 197 037 483 791 757 457 687 645 722 628

  286 214 159 250 α^7 $-$ $\dfrac{1}{2}$

  84 244 574 889 070 707 620 709 355 364 668 030 847 880 124 513 957 874 862 322 687 554 198 821 983

  667 641 247 925 α^8 $-$ $\dfrac{1}{32}$

  1 781 075 341 760 923 447 847 896 434 897 382 009 484 210 944 112 170 597 156 337 788 146 231 098

  504 843 021 864 175 α^9 $-$ $\dfrac{1}{128}$

  8 292 487 160 559 938 494 660 805 232 949 768 061 999 889 561 007 219 714 581 462 498 799 544 975

  618 776 860 403 881 α^{10} $-$ $\dfrac{1}{1024}$

  68 694 860 736 291 127 975 613 465 965 434 042 354 488 002 486 234 558 706 388 492 301 120 149 022

  293 804 044 629 755 α^{11} $-$ $\dfrac{1}{4096}$

  255 188 034 360 550 722 231 965 458 787 606 701 675 143 095 771 106 102 976 921 779 556 791 345 407

  904 465 712 832 115 α^{12} $-$ $\dfrac{1}{4096}$

  213 993 420 661 019 384 876 532 998 988 311 990 111 414 161 382 438 285 352 572 625 784 671 371 974

  789 863 977 488 017 α^{13} $-$ $\dfrac{1}{16 384}$

  651 850 773 325 650 362 013 734 559 263 116 771 804 688 791 354 639 901 602 227 940 445 954 084 312

  890 298 755 231 461 α^{14} $-$ $\dfrac{1}{32 768}$

  906 016 823 414 235 195 514 072 037 346 191 570 778 895 024 458 352 106 240 758 655 365 205 360 079

  064 630 028 436 129 α^{15} $-$ $\dfrac{1}{65 536}$

  1 154 051 291 903 916 779 783 601 181 326 826 249 506 598 933 064 577 828 808 069 414 001 638 118

  003 741 408 182 617 717 α^{16} $-$ $\dfrac{1}{131 072}$

  1 352 088 181 086 107 095 724 011 333 237 655 711 271 652 294 142 114 770 512 854 118 249 933 184

$$438\,457\,191\,983\,007\,725\,\alpha^{17} - \frac{1}{262\,144}$$

$1\,461\,726\,449\,683\,600\,271\,393\,045\,737\,613\,291\,344\,179\,309\,502\,571\,544\,858\,657\,145\,452\,654\,467\,603 \div$

$$527\,248\,487\,352\,896\,677\,\alpha^{18} - \frac{1}{524\,288}$$

$1\,462\,276\,964\,263\,325\,596\,631\,469\,635\,962\,165\,964\,172\,266\,511\,490\,168\,541\,441\,180\,256\,638\,562\,185 \div$

$$885\,775\,146\,218\,690\,797\,\alpha^{19} - \frac{1}{262\,144}$$

$339\,244\,486\,829\,756\,630\,325\,805\,804\,694\,627\,839\,018\,884\,552\,378\,751\,982\,676\,624\,969\,382\,101\,395\,888 \div$

$$607\,803\,867\,283\,849\,\alpha^{20} - \frac{1}{2\,097\,152}$$

$1\,170\,707\,793\,051\,148\,605\,467\,742\,218\,929\,025\,009\,659\,641\,350\,775\,307\,252\,253\,781\,128\,230\,671\,162 \div$

$$152\,137\,983\,889\,982\,445\,\alpha^{21} - \frac{1}{2\,097\,152}$$

$470\,404\,646\,365\,453\,655\,210\,668\,114\,571\,349\,927\,882\,834\,248\,720\,818\,472\,309\,232\,866\,482\,888\,175\,995 \div$

$$778\,360\,770\,739\,385\,\alpha^{22} - \frac{1}{16\,384}$$

$1\,377\,881\,521\,612\,797\,208\,116\,976\,192\,361\,559\,275\,800\,779\,406\,643\,351\,080\,620\,733\,066\,454\,834\,042 \div$

$$122\,951\,478\,561\,793\,\alpha^{23} - \frac{1}{1\,048\,576}$$

$30\,898\,314\,913\,609\,337\,463\,981\,853\,456\,580\,174\,833\,536\,066\,482\,322\,937\,565\,423\,326\,126\,812\,065\,608 \div$

$$311\,505\,632\,531\,081\,\alpha^{24} - \frac{1}{2\,097\,152}$$

$20\,262\,391\,146\,673\,052\,097\,423\,351\,950\,917\,857\,221\,897\,829\,007\,897\,013\,167\,569\,792\,328\,674\,254\,683 \div$

$$102\,231\,552\,036\,353\,\alpha^{25} - \frac{1}{2\,097\,152}$$

$6\,224\,750\,341\,452\,773\,827\,255\,133\,768\,817\,072\,272\,094\,998\,855\,766\,743\,310\,917\,336\,953\,111\,096\,591 \div$

$$689\,080\,709\,346\,881\,\alpha^{26} - \frac{1}{1\,048\,576}$$

$896\,786\,811\,229\,976\,311\,690\,024\,457\,137\,142\,707\,142\,118\,649\,026\,421\,372\,337\,282\,169\,051\,446\,942\,335 \div$

$$727\,384\,716\,245\,\alpha^{27} - \frac{1}{32\,768}$$

$7\,580\,654\,260\,170\,328\,049\,528\,832\,161\,869\,698\,605\,898\,891\,569\,233\,587\,814\,296\,878\,964\,162\,949\,736 \div$

$$774\,926\,442\,655\,\alpha^{28} - \frac{1}{1\,048\,576}$$

$61\,651\,867\,486\,944\,384\,981\,106\,260\,910\,135\,850\,918\,563\,649\,144\,317\,856\,980\,961\,224\,584\,995\,998\,187 \div$

$$041\,823\,820\,117\,\alpha^{29} - \frac{1}{1\,048\,576}$$

$14\,731\,982\,350\,859\,848\,785\,373\,964\,984\,423\,082\,543\,798\,257\,771\,954\,393\,307\,090\,298\,217\,321\,449\,532 \div$

$$572\,676\,076\,273\,\alpha^{30} - \frac{1}{262\,144}$$

$827\,940\,453\,334\,897\,036\,569\,492\,784\,409\,886\,027\,493\,317\,390\,087\,347\,693\,810\,100\,262\,541\,036\,935\,119 \div$

$$819\,490\,893\,\alpha^{31} - \frac{1}{524\,288}$$

$350\,367\,822\,502\,394\,933\,068\,709\,866\,767\,870\,948\,024\,812\,185\,071\,036\,197\,442\,779\,718\,673\,774\,252\,562 \div$

$$953\,462\,251\,\alpha^{32} - \frac{1}{1\,048\,576}$$

$139\,610\,927\,626\,380\,060\,783\,804\,043\,048\,682\,233\,041\,316\,313\,370\,049\,941\,578\,885\,000\,979\,384\,494\,770 \div$

$$232\,330\,133\,\alpha^{33} - \frac{1}{1\,048\,576}$$

$$26\,199\,178\,883\,384\,199\,231\,927\,137\,803\,618\,903\,074\,779\,162\,295\,057\,393\,549\,333\,015\,137\,223\,610\,202\,\backslash$$
$$947\,288\,329\,\alpha^{34} - \frac{1}{32\,768}$$

$$144\,744\,876\,261\,650\,342\,570\,909\,551\,519\,864\,253\,008\,754\,224\,562\,330\,774\,945\,498\,605\,081\,114\,670\,067\,\backslash$$
$$695\,463\,\alpha^{35} - \frac{1}{131\,072}$$

$$96\,445\,504\,064\,148\,495\,736\,411\,836\,021\,018\,720\,351\,679\,116\,964\,765\,357\,968\,799\,756\,842\,029\,065\,545\,\backslash$$
$$404\,961\,\alpha^{36} - \frac{1}{2\,097\,152}$$

$$242\,210\,182\,789\,630\,940\,422\,956\,909\,254\,314\,262\,331\,979\,226\,658\,019\,943\,422\,987\,797\,096\,037\,054\,193\,\backslash$$
$$843\,049\,\alpha^{37} - \frac{1}{2\,097\,152}$$

$$35\,820\,781\,964\,247\,490\,628\,493\,251\,646\,258\,938\,251\,402\,613\,998\,759\,349\,149\,692\,044\,836\,698\,875\,104\,\backslash$$
$$275\,957\,\alpha^{38} - \frac{1}{262\,144}$$

$$623\,853\,365\,044\,492\,409\,152\,739\,715\,386\,239\,938\,825\,491\,314\,197\,862\,518\,334\,995\,498\,691\,825\,967\,657\,\backslash$$
$$721\,\alpha^{39} - \frac{1}{1\,048\,576}$$

$$327\,475\,288\,378\,741\,547\,269\,024\,785\,309\,223\,843\,319\,636\,281\,956\,105\,144\,415\,889\,004\,571\,145\,084\,773\,\backslash$$
$$305\,\alpha^{40} - \frac{1}{2\,097\,152}$$

$$80\,929\,544\,388\,038\,604\,305\,846\,044\,514\,696\,501\,338\,584\,236\,823\,040\,579\,159\,907\,971\,546\,401\,443\,145\,\backslash$$
$$669\,\alpha^{41} - \frac{1}{2\,097\,152}$$

$$9\,412\,194\,683\,034\,409\,042\,004\,318\,890\,684\,885\,856\,824\,192\,417\,163\,174\,454\,892\,734\,472\,084\,401\,836\,709$$
$$\alpha^{42} - \frac{1}{1\,048\,576}$$

$$514\,884\,084\,224\,531\,012\,110\,713\,086\,676\,181\,015\,101\,222\,919\,138\,188\,088\,907\,580\,815\,627\,617\,405\,353$$
$$\alpha^{43} - \frac{1}{262\,144}$$

$$13\,240\,267\,246\,696\,215\,040\,046\,901\,981\,826\,980\,998\,085\,511\,347\,823\,977\,193\,572\,907\,960\,091\,231\,715$$
$$\alpha^{44} - \frac{1}{32\,768}$$

$$159\,933\,053\,275\,669\,506\,488\,607\,045\,660\,463\,973\,051\,354\,826\,672\,550\,989\,693\,336\,355\,351\,094\,697\,\alpha^{45} - $$
$$\frac{1}{131\,072}$$

$$58\,029\,297\,672\,829\,198\,665\,774\,028\,686\,035\,977\,684\,323\,206\,586\,924\,339\,211\,296\,156\,321\,737\,517\,\alpha^{46} - $$
$$\frac{1}{65\,536}$$

$$2\,468\,091\,012\,007\,039\,719\,877\,787\,340\,165\,075\,776\,430\,387\,187\,588\,455\,485\,764\,795\,937\,713\,557\,\alpha^{47} - $$
$$\frac{1}{2048} - 6\,145\,616\,773\,235\,727\,751\,712\,544\,388\,075\,132\,610\,738\,683\,909\,365\,382\,052\,830\,009\,113\,501\,\alpha^{48} - $$
$$\frac{1}{1024} - 229\,059\,470\,179\,824\,834\,309\,197\,653\,564\,806\,063\,545\,340\,840\,513\,841\,801\,565\,164\,382\,217\,\alpha^{49} - $$
$$\frac{1}{64} - 996\,948\,154\,286\,991\,736\,583\,755\,187\,331\,898\,029\,343\,897\,354\,030\,289\,155\,774\,333\,875\,\alpha^{50} - $$

$\frac{1}{8}$ 8 093 708 161 341 587 072 151 249 882 355 772 104 627 790 309 097 664 496 072 589 α^{51} −

$\frac{1}{4}$ 244 679 489 645 661 317 515 458 188 818 973 797 281 570 559 956 744 967 332 957 α^{52} −

$\frac{1}{2}$ 6 871 463 872 649 307 494 558 343 054 515 221 679 063 514 126 056 359 623 705 α^{53} −

178 840 299 657 903 665 169 913 111 768 946 001 189 646 293 133 522 366 392 α^{54} −

8 603 892 192 602 196 534 010 886 458 114 308 420 500 994 394 719 619 056 α^{55} −

381 380 552 508 438 926 230 729 982 890 551 919 885 678 519 272 234 240 α^{56} −

15 520 544 428 032 340 327 156 480 457 130 669 565 725 217 452 108 288 α^{57} −

577 498 998 270 643 044 246 054 565 827 373 291 144 244 492 722 176 α^{58} −

19 552 878 238 445 810 154 509 085 327 852 191 261 022 243 766 272 α^{59} −

599 023 852 788 934 429 875 152 467 114 477 403 786 660 020 224 α^{60} −

16 495 174 500 518 826 390 567 524 173 569 547 480 576 032 768 α^{61} −

405 016 496 666 544 026 817 190 215 473 542 839 851 286 528 α^{62} −

8 781 132 310 674 958 845 697 619 440 032 981 681 438 720 α^{63} −

166 079 248 848 772 690 148 635 754 487 227 596 406 784 α^{64} −

2 698 014 795 686 428 526 686 308 889 220 540 792 832 α^{65} −

36 888 892 018 666 071 126 316 188 503 151 476 736 α^{66} −

412 804 638 295 625 368 545 061 273 514 016 768 α^{67} −

3 630 522 290 822 092 694 945 903 702 704 128 α^{68} − 23 531 206 238 137 756 617 166 710 374 400 α^{69} −

99 935 114 612 130 684 593 189 683 200 α^{70} − 208 617 252 601 182 372 967 219 200 $\alpha^{71}$$\Big)$ S_{α}^{12} +

$\Big($ 249 528 655 673 068 383 326 156 991 472 400 034 179 234 447 752 888 031 463 983 730 542 176 692 720 \

 000 000 000 000 +

3 513 904 102 474 047 279 460 317 887 031 261 581 557 516 072 368 383 513 921 093 685 281 829 095 004 \

 300 000 000 000 α +

24 246 319 740 825 172 993 903 223 896 124 865 123 132 548 665 582 088 181 575 460 377 593 848 523 \

 601 968 500 000 000 α^2 +

109 289 030 003 913 231 503 918 944 794 698 930 564 346 986 204 027 186 177 155 199 383 543 447 485 \

 151 284 637 500 000 α^3 +

361 977 130 620 024 842 235 274 789 849 287 149 753 676 751 096 753 187 923 938 011 339 939 279 668 \

 728 988 575 937 500 α^4 +

939 574 916 420 847 826 757 055 374 269 322 569 900 944 422 018 523 709 929 597 539 475 212 830 971 \

 197 931 746 296 875 α^5 +

1 990 654 646 078 703 868 668 234 543 039 181 797 452 029 743 679 644 653 073 733 958 439 447 561 553 \

 943 298 635 681 250 α^6 + $\frac{1}{8}$

28 322 739 655 816 739 343 071 479 578 424 611 630 102 679 606 297 124 458 443 508 514 344 888 795 \

 162 115 951 625 598 125 α^7 + $\frac{1}{64}$

345 260 357 504 141 599 762 660 688 786 796 772 364 666 841 537 391 372 640 806 077 420 541 541 281 \

 931 953 876 255 304 625 α^8 + $\frac{1}{256}$

1 831 336 972 821 701 135 176 239 990 753 548 734 034 995 714 632 775 535 320 415 368 569 490 559 \

 621 701 534 904 933 288 925 α^9 + $\frac{1}{256}$

2 139 387 421 679 724 675 656 452 559 833 236 771 185 555 595 860 669 831 563 439 436 205 234 454 \

$$986\,985\,778\,001\,321\,761\,375\,\alpha^{10} + \frac{1}{512}$$

$$4\,447\,186\,204\,313\,198\,966\,932\,383\,726\,933\,858\,776\,286\,638\,556\,584\,199\,011\,333\,304\,612\,130\,663\,953 \setminus$$
$$325\,739\,357\,722\,238\,771\,853\,\alpha^{11} + \frac{1}{2048}$$

$$16\,583\,488\,745\,997\,369\,315\,846\,127\,482\,406\,893\,992\,457\,918\,951\,232\,183\,172\,368\,580\,998\,154\,783\,375 \setminus$$
$$002\,473\,692\,902\,875\,025\,233\,\alpha^{12} + \frac{1}{2048}$$

$$13\,960\,756\,944\,342\,526\,842\,054\,645\,479\,048\,555\,329\,897\,572\,559\,318\,543\,528\,826\,670\,696\,864\,439\,545 \setminus$$
$$828\,478\,194\,286\,254\,338\,061\,\alpha^{13} + \frac{1}{1024}$$

$$5\,337\,015\,272\,924\,926\,462\,438\,846\,607\,399\,021\,192\,657\,212\,485\,497\,384\,888\,553\,909\,222\,862\,503\,080 \setminus$$
$$217\,583\,239\,170\,427\,765\,483\,\alpha^{14} + \frac{1}{1024}$$

$$3\,724\,151\,239\,756\,751\,794\,904\,148\,649\,115\,427\,072\,887\,590\,784\,888\,435\,012\,915\,589\,330\,944\,862\,582 \setminus$$
$$136\,054\,589\,733\,144\,979\,905\,\alpha^{15} + \frac{1}{2048}$$

$$4\,763\,502\,031\,984\,692\,799\,006\,502\,703\,627\,715\,046\,755\,531\,965\,285\,670\,818\,489\,349\,951\,647\,648\,437 \setminus$$
$$983\,664\,837\,448\,156\,327\,081\,\alpha^{16} + \frac{1}{65\,536}$$

$$89\,675\,991\,419\,280\,439\,503\,226\,920\,871\,011\,046\,412\,506\,552\,006\,544\,712\,075\,960\,033\,195\,778\,108\,352 \setminus$$
$$420\,683\,941\,259\,737\,205\,173\,\alpha^{17} + \frac{1}{65\,536}$$

$$48\,685\,239\,605\,846\,083\,420\,405\,117\,699\,746\,018\,211\,953\,066\,449\,617\,111\,768\,685\,649\,913\,003\,318\,063 \setminus$$
$$200\,190\,346\,000\,147\,194\,221\,\alpha^{18} + \frac{1}{131\,072}$$

$$48\,920\,547\,179\,637\,635\,463\,062\,393\,287\,267\,061\,393\,452\,633\,980\,124\,786\,797\,664\,147\,708\,565\,143\,681 \setminus$$
$$312\,877\,227\,555\,372\,923\,387\,\alpha^{19} + \frac{1}{524\,288}$$

$$91\,208\,578\,998\,239\,533\,219\,849\,782\,534\,156\,145\,309\,254\,778\,943\,346\,677\,106\,973\,621\,084\,727\,782\,026 \setminus$$
$$407\,907\,430\,163\,365\,132\,725\,\alpha^{20} + \frac{1}{262\,144}$$

$$19\,763\,496\,379\,580\,138\,759\,360\,011\,021\,770\,072\,944\,572\,745\,585\,675\,951\,137\,306\,144\,383\,584\,103\,582 \setminus$$
$$006\,575\,394\,072\,976\,229\,623\,\alpha^{21} + \frac{1}{262\,144}$$

$$7\,978\,857\,511\,084\,567\,888\,028\,426\,892\,695\,755\,674\,813\,556\,078\,205\,760\,065\,637\,558\,161\,707\,075\,920 \setminus$$
$$789\,157\,917\,864\,077\,179\,037\,\alpha^{22} + \frac{1}{8192}$$

$$93\,936\,990\,807\,337\,079\,622\,489\,203\,669\,140\,290\,064\,939\,468\,178\,065\,646\,963\,622\,628\,957\,886\,365\,125 \setminus$$
$$909\,339\,353\,120\,610\,785\,\alpha^{23} + \frac{1}{524\,288}$$

$$2\,116\,885\,775\,385\,858\,891\,440\,162\,778\,071\,483\,589\,154\,859\,501\,661\,112\,404\,051\,032\,456\,454\,756\,471 \setminus$$
$$535\,530\,430\,764\,815\,426\,769\,\alpha^{24} + \frac{1}{262\,144}$$

$$348\,797\,809\,504\,447\,337\,941\,920\,861\,056\,899\,162\,460\,005\,891\,489\,232\,223\,061\,684\,368\,467\,732\,707\,988 \setminus$$
$$720\,491\,239\,548\,483\,095\,\alpha^{25} + \frac{1}{131\,072}$$

$$53\,851\,565\,395\,777\,586\,488\,575\,866\,771\,067\,454\,180\,968\,395\,196\,477\,750\,973\,629\,701\,677\,048\,381\,220 \setminus$$

$$925\,690\,590\,465\,442\,245\,\alpha^{26} + \frac{1}{32\,768}$$

$3\,899\,439\,949\,480\,003\,331\,221\,851\,997\,974\,148\,927\,938\,705\,097\,100\,117\,883\,969\,733\,620\,140\,455\,038$

$$551\,962\,019\,681\,800\,631\,\alpha^{27} + \frac{1}{262\,144}$$

$8\,483\,400\,406\,516\,936\,080\,017\,230\,282\,716\,894\,361\,926\,692\,541\,135\,323\,188\,931\,763\,823\,773\,622\,553$

$$707\,808\,131\,124\,400\,669\,\alpha^{28} + \frac{1}{131\,072}$$

$1\,083\,886\,635\,142\,714\,485\,720\,036\,433\,930\,468\,956\,541\,053\,724\,958\,389\,675\,883\,001\,299\,862\,349\,671$

$$099\,179\,514\,840\,269\,375\,\alpha^{29} + \frac{1}{131\,072}$$

$260\,433\,922\,650\,511\,284\,438\,709\,772\,514\,788\,446\,697\,824\,208\,367\,490\,172\,852\,037\,529\,606\,870\,316\,071$

$$395\,558\,939\,196\,771\,\alpha^{30} + \frac{1}{32\,768}$$

$14\,719\,023\,474\,684\,943\,224\,877\,174\,030\,506\,135\,286\,364\,651\,644\,530\,284\,212\,757\,638\,266\,865\,911\,629$

$$514\,501\,263\,395\,517\,\alpha^{31} + \frac{1}{262\,144}$$

$25\,058\,369\,668\,851\,396\,566\,680\,165\,239\,387\,137\,417\,398\,621\,008\,534\,561\,331\,882\,103\,046\,625\,032\,203$

$$350\,505\,657\,148\,253\,\alpha^{32} + \frac{1}{131\,072}$$

$2\,510\,858\,825\,098\,695\,202\,727\,323\,010\,939\,153\,372\,634\,747\,123\,508\,868\,226\,089\,751\,303\,961\,452\,162$

$$419\,083\,040\,458\,437\,\alpha^{33} + \frac{1}{65\,536}$$

$236\,995\,879\,404\,024\,816\,067\,550\,642\,744\,997\,858\,390\,266\,471\,059\,306\,814\,641\,287\,389\,837\,574\,626\,068$

$$852\,089\,663\,309\,\alpha^{34} + \frac{1}{131\,072}$$

$84\,306\,849\,388\,808\,844\,262\,886\,149\,194\,309\,488\,215\,072\,820\,716\,891\,768\,806\,164\,687\,893\,346\,757\,759$

$$732\,216\,865\,719\,\alpha^{35} + \frac{1}{524\,288}$$

$56\,521\,666\,005\,621\,811\,604\,963\,150\,020\,595\,135\,153\,485\,024\,540\,098\,431\,484\,553\,319\,539\,747\,455\,372$

$$878\,790\,329\,745\,\alpha^{36} + \frac{1}{262\,144}$$

$4\,463\,708\,471\,283\,835\,434\,182\,385\,080\,580\,202\,887\,270\,671\,359\,034\,296\,896\,934\,348\,892\,584\,020\,632$

$$016\,202\,415\,691\,\alpha^{37} + \frac{1}{262\,144}$$

$664\,364\,547\,826\,282\,955\,615\,349\,982\,004\,687\,277\,161\,644\,271\,508\,756\,424\,180\,049\,051\,533\,986\,296\,050$

$$027\,263\,189\,\alpha^{38} + \frac{1}{32\,768}$$

$11\,645\,812\,502\,959\,830\,091\,771\,449\,538\,828\,741\,523\,451\,739\,855\,043\,875\,480\,928\,262\,618\,488\,354\,091$

$$349\,957\,445\,\alpha^{39} + \frac{1}{524\,288}$$

$24\,614\,442\,414\,261\,332\,617\,774\,315\,085\,743\,682\,203\,697\,534\,599\,311\,508\,035\,341\,784\,434\,586\,402\,483$

$$761\,478\,517\,\alpha^{40} + \frac{1}{262\,144}$$

$1\,530\,986\,989\,713\,710\,774\,947\,842\,827\,034\,028\,087\,640\,682\,599\,896\,577\,091\,983\,377\,095\,326\,378\,755$

$$016\,255\,179\,\alpha^{41} + \frac{1}{131\,072}$$

$89\,637\,009\,544\,988\,002\,376\,698\,431\,812\,718\,581\,177\,190\,136\,525\,285\,752\,337\,175\,626\,035\,065\,110\,164$

$$507\,819\,\alpha^{42} + \frac{1}{65\,536}$$

$4\,937\,618\,102\,797\,761\,607\,148\,036\,012\,722\,123\,316\,538\,129\,816\,469\,909\,472\,580\,975\,195\,573\,210\,973\,$

$$536\,877\,\alpha^{43} + \frac{1}{4096}$$

$31\,967\,324\,192\,414\,696\,939\,542\,399\,306\,900\,147\,647\,782\,580\,259\,065\,996\,472\,684\,761\,054\,895\,616\,454\,$

$$763\,\alpha^{44} + \frac{1}{2048}$$

$1\,555\,677\,523\,746\,534\,262\,852\,389\,709\,453\,939\,151\,270\,662\,712\,279\,056\,592\,886\,774\,498\,576\,583\,192\,565$

$$\alpha^{45} + \frac{1}{256}$$

$17\,768\,110\,104\,259\,293\,569\,212\,734\,764\,641\,224\,730\,266\,075\,926\,582\,718\,338\,987\,719\,489\,428\,676\,233$

$$\alpha^{46} + \frac{1}{128}$$

$761\,322\,694\,172\,019\,478\,963\,377\,276\,620\,403\,255\,857\,425\,251\,185\,631\,709\,075\,782\,336\,462\,131\,699\,\alpha^{47} +$

$\frac{1}{2}-955\,010\,838\,047\,909\,473\,372\,153\,753\,082\,307\,547\,662\,585\,089\,634\,936\,773\,505\,133\,762\,752\,829\,\alpha^{48} +$

$35\,868\,087\,940\,076\,068\,835\,267\,695\,908\,182\,787\,019\,992\,569\,218\,380\,111\,345\,673\,100\,262\,250\,\alpha^{49} +$

$2\,517\,224\,864\,371\,608\,277\,384\,324\,064\,890\,894\,074\,039\,223\,245\,252\,859\,101\,735\,968\,581\,432\,\alpha^{50} +$

$164\,781\,777\,154\,767\,462\,855\,687\,293\,804\,755\,438\,565\,092\,267\,785\,533\,490\,739\,383\,191\,712\,\alpha^{51} +$

$10\,043\,025\,123\,930\,271\,564\,741\,752\,223\,681\,377\,693\,342\,648\,676\,157\,865\,585\,009\,547\,392\,\alpha^{52} +$

$568\,689\,381\,276\,893\,499\,467\,118\,187\,674\,028\,082\,773\,978\,287\,731\,282\,972\,357\,091\,072\,\alpha^{53} +$

$29\,847\,229\,857\,476\,807\,562\,331\,389\,264\,893\,821\,694\,701\,457\,786\,211\,792\,062\,705\,664\,\alpha^{54} +$

$1\,448\,007\,159\,110\,741\,511\,272\,112\,332\,801\,706\,254\,615\,226\,136\,780\,137\,116\,540\,928\,\alpha^{55} +$

$64\,733\,055\,119\,980\,520\,962\,543\,788\,769\,432\,966\,182\,508\,538\,993\,179\,614\,117\,888\,\alpha^{56} +$

$2\,657\,182\,694\,071\,590\,875\,779\,613\,389\,047\,268\,866\,359\,687\,692\,222\,450\,106\,368\,\alpha^{57} +$

$99\,739\,704\,848\,146\,789\,848\,275\,056\,315\,890\,477\,158\,978\,991\,337\,408\,299\,008\,\alpha^{58} +$

$3\,407\,107\,032\,327\,527\,629\,891\,653\,618\,115\,031\,772\,371\,850\,457\,948\,094\,464\,\alpha^{59} +$

$105\,325\,534\,402\,673\,427\,884\,036\,187\,000\,728\,248\,894\,020\,768\,095\,010\,816\,\alpha^{60} +$

$2\,926\,965\,173\,585\,230\,897\,557\,817\,749\,015\,307\,684\,044\,356\,548\,820\,992\,\alpha^{61} +$

$72\,537\,305\,892\,183\,846\,332\,235\,050\,320\,468\,757\,114\,181\,910\,528\,000\,\alpha^{62} +$

$1\,587\,539\,890\,584\,294\,959\,730\,558\,456\,255\,893\,348\,402\,109\,349\,888\,\alpha^{63} +$

$30\,313\,258\,740\,657\,232\,758\,833\,546\,529\,883\,764\,195\,468\,509\,184\,\alpha^{64} +$

$497\,236\,246\,863\,798\,371\,218\,359\,096\,366\,741\,541\,712\,035\,840\,\alpha^{65} +$

$6\,865\,523\,915\,905\,412\,696\,346\,612\,423\,908\,975\,414\,607\,872\,\alpha^{66} +$

$77\,596\,303\,300\,789\,279\,395\,315\,212\,004\,361\,869\,721\,600\,\alpha^{67} +$

$689\,355\,227\,380\,559\,607\,524\,961\,759\,497\,417\,654\,272\,\alpha^{68} +$

$4\,513\,932\,972\,571\,138\,046\,987\,253\,328\,537\,190\,400\,\alpha^{69} +$

$19\,369\,827\,760\,698\,970\,595\,767\,261\,908\,172\,800\,\alpha^{70} +$

$40\,861\,536\,751\,267\,322\,887\,175\,720\,140\,800\,\alpha^{71}\Big)\, S_\alpha^{10} +$

$\Big(-1\,316\,063\,612\,497\,041\,434\,176\,645\,749\,852\,191\,627\,293\,693\,123\,057\,125\,575\,565\,191\,161\,824\,488\,398\,172\,$
$774\,400\,000\,000\,000 -$

$18\,604\,789\,122\,141\,375\,010\,453\,023\,944\,470\,017\,690\,209\,299\,979\,633\,476\,390\,360\,171\,101\,529\,719\,671\,$
$444\,075\,520\,000\,000\,000\,\alpha -$

$128\,885\,075\,150\,461\,293\,009\,880\,537\,931\,950\,144\,622\,553\,137\,718\,386\,297\,592\,573\,973\,922\,309\,737\,347\,$
$174\,828\,672\,000\,000\,000\,\alpha^2 -$

$583\,309\,487\,205\,241\,739\,078\,571\,703\,034\,711\,857\,594\,133\,616\,720\,178\,927\,841\,949\,777\,418\,872\,792\,286\,$
$872\,312\,892\,800\,000\,000\,\alpha^3 -$

$1\,940\,050\,896\,304\,766\,507\,548\,735\,030\,087\,825\,766\,053\,670\,511\,418\,128\,098\,868\,432\,385\,793\,786\,952\,201\,$
$493\,472\,732\,160\,000\,000\,\alpha^4 -$

$5\,057\,278\,985\,641\,478\,239\,918\,920\,957\,195\,791\,202\,092\,142\,627\,368\,441\,106\,943\,308\,299\,840\,044\,013\,251\,$
$591\,515\,281\,136\,000\,000\,\alpha^5 -$

$10\,761\,654\,269\,676\,574\,479\,243\,234\,699\,511\,821\,233\,700\,858\,208\,289\,602\,191\,034\,416\,052\,210\,348\,064\,$
$701\,106\,842\,400\,510\,400\,000\,\alpha^6 -$

$19\,225\,171\,555\,407\,517\,456\,813\,058\,709\,396\,007\,421\,031\,025\,388\,884\,584\,991\,561\,720\,679\,586\,434\,389\,$
$745\,589\,503\,597\,703\,660\,000\,\alpha^7 -$

$29\,429\,159\,204\,747\,214\,114\,975\,581\,085\,682\,901\,521\,574\,673\,063\,329\,206\,885\,172\,092\,792\,681\,095\,436\,$
$609\,560\,284\,110\,689\,420\,000\,\alpha^8 -$

$39\,207\,576\,038\,646\,426\,340\,204\,425\,454\,496\,032\,546\,431\,585\,548\,310\,172\,383\,829\,524\,158\,099\,131\,959\,$
$523\,107\,035\,550\,600\,104\,700\,\alpha^9 -$

$46\,022\,081\,674\,966\,757\,487\,810\,345\,546\,726\,816\,137\,418\,275\,873\,451\,089\,885\,478\,102\,417\,080\,942\,991\,$
$302\,279\,672\,613\,138\,550\,665\,\alpha^{10} - \dfrac{1}{4}$

$192\,270\,124\,792\,908\,963\,948\,834\,206\,970\,176\,821\,856\,277\,790\,071\,416\,825\,501\,897\,198\,109\,071\,240\,638\,$
$637\,620\,350\,150\,736\,518\,609\,\alpha^{11} - \dfrac{1}{2}$

$90\,069\,290\,996\,429\,768\,713\,059\,880\,600\,134\,276\,337\,990\,634\,210\,485\,023\,384\,320\,864\,841\,514\,412\,456\,$
$966\,717\,076\,522\,679\,249\,083\,\alpha^{12} - \dfrac{1}{4}$

$152\,422\,423\,843\,326\,797\,384\,715\,282\,837\,090\,627\,046\,042\,690\,683\,218\,038\,295\,790\,845\,757\,693\,033\,798\,$
$375\,305\,271\,390\,343\,795\,383\,\alpha^{13} -$

$29\,286\,143\,288\,901\,487\,429\,490\,282\,372\,524\,865\,440\,791\,893\,004\,120\,221\,867\,467\,897\,164\,638\,642\,825\,$
$712\,750\,989\,462\,108\,168\,757\,\alpha^{14} - \dfrac{1}{32}$

$657\,415\,117\,197\,914\,499\,495\,901\,225\,595\,563\,427\,432\,307\,628\,726\,214\,245\,172\,057\,099\,508\,338\,320\,886\,$
$744\,142\,542\,275\,838\,376\,969\,\alpha^{15} - \dfrac{1}{32}$

$422\,719\,481\,807\,363\,432\,727\,755\,661\,791\,107\,760\,852\,074\,592\,674\,925\,098\,990\,420\,759\,599\,633\,921\,400\,$
$058\,899\,919\,660\,979\,086\,445\,\alpha^{16} - \dfrac{1}{64}$

$500\,115\,759\,421\,190\,530\,115\,054\,221\,263\,198\,284\,646\,955\,800\,471\,576\,930\,208\,760\,217\,659\,076\,728\,321\,$
$878\,131\,018\,339\,109\,404\,111\,\alpha^{17} - \dfrac{1}{256}$

$1\,092\,156\,837\,555\,764\,432\,391\,769\,635\,741\,801\,723\,738\,342\,960\,460\,564\,839\,250\,922\,129\,887\,871\,242\,$
$305\,750\,856\,895\,505\,274\,193\,031\,\alpha^{18} - \dfrac{1}{1024}$

$2\,207\,431\,804\,265\,484\,216\,086\,117\,567\,537\,736\,167\,710\,405\,365\,278\,938\,989\,500\,340\,945\,787\,887\,562\,$
$131\,110\,460\,212\,284\,576\,827\,357\,\alpha^{19} - \dfrac{1}{128}$

$129\,361\,472\,953\,668\,499\,241\,429\,116\,093\,304\,027\,164\,225\,262\,227\,286\,142\,605\,059\,042\,618\,905\,638\,943\,$
$111\,576\,954\,119\,995\,845\,831\,\alpha^{20} - \dfrac{1}{1024}$

$451\,150\,281\,441\,630\,428\,659\,589\,292\,560\,323\,520\,155\,611\,967\,563\,934\,223\,385\,174\,694\,189\,418\,733\,458\,$
$164\,053\,460\,957\,109\,913\,165\,\alpha^{21} - \dfrac{1}{128}$

$22\,904\,527\,608\,152\,529\,542\,840\,391\,800\,787\,919\,320\,418\,302\,856\,340\,021\,791\,377\,191\,479\,881\,326\,049\,$

$$935\,987\,180\,485\,412\,256\,839\, \alpha^{22} - \frac{1}{256}$$

$17\,364\,222\,876\,604\,593\,046\,481\,656\,744\,722\,157\,183\,146\,335\,983\,140\,540\,555\,488\,497\,106\,620\,870\,528$

$$935\,028\,051\,067\,617\,983\,467\, \alpha^{23} - \frac{1}{512}$$

$12\,304\,647\,573\,009\,369\,220\,902\,318\,609\,897\,222\,693\,958\,942\,031\,302\,229\,888\,653\,475\,675\,343\,346\,296$

$$247\,905\,663\,491\,033\,109\,917\, \alpha^{24} - \frac{1}{512}$$

$4\,080\,594\,288\,440\,871\,706\,090\,415\,177\,924\,453\,239\,933\,855\,972\,893\,649\,029\,172\,921\,884\,423\,643\,004$

$$479\,093\,400\,638\,298\,503\,495\, \alpha^{25} - \frac{1}{512}$$

$1\,268\,150\,424\,049\,019\,152\,855\,910\,957\,195\,276\,681\,597\,222\,005\,800\,322\,770\,952\,098\,142\,420\,712\,569$

$$618\,979\,768\,275\,006\,688\,737\, \alpha^{26} - \frac{1}{512}$$

$369\,719\,412\,132\,976\,775\,823\,974\,568\,615\,696\,077\,270\,907\,094\,110\,376\,517\,445\,001\,734\,233\,123\,493\,767$

$$607\,550\,267\,860\,136\,581\, \alpha^{27} - \frac{1}{128}$$

$25\,303\,019\,474\,170\,903\,460\,984\,382\,119\,239\,742\,182\,544\,519\,330\,501\,523\,655\,151\,947\,220\,489\,900\,044$

$$815\,691\,297\,964\,371\,003\, \alpha^{28} - \frac{1}{512}$$

$26\,037\,739\,277\,068\,338\,049\,629\,087\,652\,668\,913\,761\,424\,128\,349\,682\,587\,052\,366\,472\,604\,113\,239\,872$

$$918\,937\,850\,532\,760\,735\, \alpha^{29} - \frac{1}{128}$$

$1\,574\,811\,729\,149\,844\,528\,533\,224\,195\,181\,832\,963\,666\,986\,861\,345\,068\,401\,698\,280\,409\,209\,603\,132$

$$701\,746\,479\,414\,192\,449\, \alpha^{30} - \frac{1}{256}$$

$716\,995\,261\,573\,978\,436\,343\,772\,943\,494\,788\,573\,184\,727\,654\,317\,752\,205\,571\,789\,938\,975\,145\,057\,098$

$$810\,195\,565\,491\,089\, \alpha^{31} - \frac{1}{256}$$

$153\,659\,982\,809\,567\,124\,049\,042\,648\,615\,242\,639\,867\,307\,498\,457\,119\,721\,304\,829\,010\,322\,113\,016\,296$

$$796\,890\,276\,121\,291\, \alpha^{32} - \frac{1}{64}$$

$7\,753\,633\,915\,428\,904\,219\,718\,159\,536\,408\,101\,963\,375\,288\,791\,793\,700\,870\,792\,170\,984\,782\,712\,296$

$$525\,362\,931\,127\,087\, \alpha^{33} - \frac{1}{128}$$

$2\,948\,716\,744\,140\,511\,225\,125\,010\,783\,776\,347\,112\,338\,803\,006\,653\,819\,981\,084\,269\,399\,335\,545\,256$

$$745\,557\,485\,150\,213\, \alpha^{34} - \frac{1}{1024}$$

$4\,226\,768\,995\,845\,236\,049\,986\,755\,373\,732\,603\,855\,840\,845\,646\,419\,558\,030\,633\,849\,715\,573\,935\,991$

$$660\,657\,933\,809\,821\, \alpha^{35} - \frac{1}{32}$$

$22\,304\,271\,332\,984\,273\,378\,293\,682\,102\,251\,290\,758\,858\,145\,468\,182\,190\,709\,662\,993\,007\,172\,397\,119$

$$337\,471\,877\,257\, \alpha^{36} - \frac{1}{1024}$$

$113\,587\,396\,237\,752\,041\,471\,470\,211\,664\,935\,886\,056\,919\,107\,550\,547\,885\,968\,903\,102\,129\,420\,212\,819$

$$237\,564\,465\,229\, \alpha^{37} - \frac{1}{64}$$

$1\,064\,745\,374\,045\,761\,231\,439\,749\,613\,006\,990\,937\,465\,175\,530\,516\,693\,504\,234\,767\,437\,213\,738\,220$

$$863\,635\,891\,045\,\alpha^{38} - \frac{1}{128}$$

$$300\,952\,262\,874\,796\,706\,624\,413\,624\,207\,313\,006\,045\,754\,397\,451\,425\,963\,822\,890\,543\,524\,640\,073\,334\,015\,438\,757\,\alpha^{39} - \frac{1}{512}$$

$$160\,276\,457\,117\,578\,737\,402\,489\,577\,519\,113\,130\,159\,823\,054\,582\,329\,691\,941\,363\,626\,727\,512\,993\,221\,290\,373\,573\,\alpha^{40} - \frac{1}{512}$$

$$20\,097\,235\,777\,809\,670\,839\,736\,495\,701\,040\,436\,103\,638\,318\,120\,163\,528\,580\,986\,466\,873\,447\,020\,963\,464\,298\,397\,\alpha^{41} - \frac{1}{512}$$

$$2\,372\,358\,321\,596\,804\,629\,808\,326\,875\,765\,777\,431\,746\,014\,478\,595\,515\,526\,020\,286\,281\,507\,326\,827\,602\,436\,021\,\alpha^{42} - \frac{1}{256}$$

$$131\,750\,212\,326\,402\,772\,734\,562\,120\,723\,908\,525\,319\,149\,218\,182\,543\,623\,319\,904\,754\,041\,486\,860\,721\,352\,593\,\alpha^{43} - \frac{1}{16}$$

$$860\,049\,789\,859\,036\,966\,337\,486\,418\,942\,201\,526\,440\,905\,010\,498\,875\,559\,279\,294\,086\,679\,463\,562\,850\,893\,\alpha^{44} - \frac{1}{8}$$

$$42\,204\,884\,812\,953\,533\,428\,315\,356\,615\,663\,109\,518\,985\,495\,721\,028\,771\,483\,097\,557\,879\,165\,976\,085\,109\,\alpha^{45} - \frac{1}{2}$$

$$972\,259\,777\,882\,892\,595\,343\,560\,386\,335\,740\,146\,427\,808\,547\,229\,843\,736\,843\,369\,221\,856\,031\,486\,023\,\alpha^{46} -$$

$$42\,016\,479\,622\,415\,533\,996\,451\,523\,439\,194\,289\,271\,568\,825\,267\,038\,330\,300\,358\,612\,690\,048\,073\,603\,\alpha^{47} -$$

$$3\,402\,440\,641\,422\,295\,309\,066\,258\,261\,313\,981\,665\,567\,489\,506\,459\,510\,860\,332\,758\,678\,269\,118\,880\,\alpha^{48} -$$

$$257\,817\,974\,165\,402\,125\,822\,684\,112\,711\,637\,243\,918\,806\,101\,407\,598\,093\,575\,321\,939\,272\,170\,560\,\alpha^{49} -$$

$$18\,254\,112\,286\,956\,878\,315\,336\,103\,181\,778\,898\,829\,450\,529\,517\,978\,427\,767\,409\,379\,501\,908\,992\,\alpha^{50} -$$

$$1\,205\,653\,051\,518\,865\,261\,981\,813\,454\,342\,778\,172\,132\,229\,267\,010\,819\,829\,687\,789\,702\,348\,800\,\alpha^{51} -$$

$$74\,146\,829\,783\,012\,274\,436\,827\,047\,714\,949\,714\,170\,549\,129\,213\,854\,237\,330\,897\,390\,387\,200\,\alpha^{52} -$$

$$4\,236\,996\,521\,720\,735\,096\,416\,510\,218\,536\,202\,048\,976\,127\,807\,674\,008\,204\,841\,986\,785\,280\,\alpha^{53} -$$

$$224\,430\,412\,450\,683\,263\,306\,909\,875\,523\,166\,763\,658\,913\,629\,809\,137\,269\,404\,466\,675\,712\,\alpha^{54} -$$

$$10\,989\,614\,538\,532\,390\,566\,694\,413\,634\,006\,147\,054\,670\,707\,558\,270\,498\,948\,638\,572\,544\,\alpha^{55} -$$

$$495\,919\,225\,506\,825\,903\,542\,481\,071\,274\,532\,250\,902\,872\,427\,358\,687\,091\,128\,008\,704\,\alpha^{56} -$$

$$20\,550\,291\,290\,474\,312\,658\,081\,636\,232\,863\,188\,414\,278\,485\,206\,045\,248\,790\,200\,320\,\alpha^{57} -$$

$$778\,779\,684\,449\,671\,385\,531\,617\,680\,381\,761\,190\,715\,869\,694\,756\,741\,168\,758\,784\,\alpha^{58} -$$

$$26\,860\,872\,471\,435\,851\,950\,493\,466\,162\,236\,364\,178\,320\,914\,306\,461\,469\,769\,728\,\alpha^{59} -$$

$$838\,481\,000\,668\,139\,667\,990\,720\,140\,739\,512\,866\,890\,326\,242\,340\,984\,848\,384\,\alpha^{60} -$$

$$23\,530\,941\,635\,174\,314\,060\,712\,806\,316\,881\,839\,491\,709\,721\,004\,918\,964\,224\,\alpha^{61} -$$

$$588\,954\,713\,446\,289\,843\,336\,598\,925\,455\,493\,427\,221\,344\,185\,319\,686\,144\,\alpha^{62} -$$

$$13\,019\,068\,945\,574\,624\,002\,829\,993\,966\,993\,664\,013\,124\,795\,608\,596\,480\,\alpha^{63} -$$

$$251\,106\,701\,195\,128\,488\,741\,392\,353\,400\,336\,775\,389\,339\,268\,939\,776\,\alpha^{64} -$$

$$4\,160\,964\,018\,470\,326\,087\,686\,851\,965\,555\,255\,133\,737\,301\,573\,632\,\alpha^{65} -$$

$$58\,042\,348\,405\,032\,793\,820\,340\,938\,904\,992\,746\,531\,811\,491\,840\,\alpha^{66} -$$

$$662\,806\,144\,271\,468\,245\,391\,292\,522\,444\,113\,554\,779\,930\,624\,\alpha^{67} -$$

$$5\,949\,717\,322\,715\,026\,751\,620\,096\,392\,325\,516\,109\,021\,184\,\alpha^{68} -$$

$$39\,368\,525\,740\,795\,936\,836\,971\,344\,463\,029\,862\,400\,000\,\alpha^{69} -$$

$170\,723\,402\,393\,763\,344\,073\,977\,113\,360\,308\,633\,600\,\alpha^{70}\,-$

$363\,988\,065\,714\,259\,775\,685\,019\,353\,848\,217\,600\,\alpha^{71}\Big)\,S_\alpha^8\,+$

$\Big(1\,428\,097\,370\,560\,157\,006\,739\,614\,116\,870\,591\,138\,019\,053\,716\,247\,320\,789\,806\,346\,750\,743\,152\,534\,510\,$

$121\,779\,200\,000\,000\,000\,+$

$20\,310\,577\,658\,534\,409\,193\,860\,275\,537\,173\,140\,568\,797\,782\,332\,200\,855\,380\,881\,993\,815\,369\,962\,214\,$

$742\,547\,496\,960\,000\,000\,000\,\alpha\,+$

$141\,571\,220\,961\,447\,963\,608\,779\,430\,666\,405\,640\,715\,683\,397\,029\,960\,852\,878\,117\,207\,898\,372\,954\,962\,$

$536\,255\,537\,152\,000\,000\,000\,\alpha^2\,+$

$644\,768\,723\,739\,224\,011\,161\,061\,923\,212\,540\,945\,678\,602\,412\,788\,621\,383\,417\,415\,966\,015\,063\,796\,380\,$

$811\,792\,191\,488\,000\,000\,000\,\alpha^3\,+$

$2\,158\,280\,340\,067\,350\,684\,181\,759\,141\,660\,848\,406\,672\,721\,202\,832\,329\,147\,297\,584\,063\,679\,394\,822\,443\,$

$325\,466\,888\,094\,720\,000\,000\,\alpha^4\,+$

$5\,663\,151\,063\,046\,299\,105\,395\,059\,866\,164\,122\,937\,063\,834\,801\,377\,914\,181\,306\,455\,682\,917\,964\,825\,007\,$

$920\,338\,211\,347\,456\,000\,000\,\alpha^5\,+$

$12\,131\,734\,669\,693\,102\,133\,150\,813\,084\,955\,936\,615\,465\,568\,177\,479\,606\,011\,083\,103\,722\,166\,777\,018\,$

$939\,555\,688\,496\,187\,827\,200\,000\,\alpha^6\,+$

$21\,820\,880\,300\,251\,682\,271\,142\,944\,174\,286\,958\,135\,968\,549\,260\,092\,782\,147\,829\,558\,445\,002\,399\,117\,$

$821\,553\,525\,048\,857\,301\,760\,000\,\alpha^7\,+$

$33\,635\,121\,676\,007\,996\,104\,698\,281\,779\,942\,296\,340\,601\,025\,734\,356\,389\,648\,866\,416\,004\,691\,976\,382\,$

$459\,668\,163\,410\,445\,702\,304\,000\,\alpha^8\,+$

$45\,128\,670\,921\,589\,257\,511\,203\,776\,645\,723\,887\,412\,276\,937\,661\,691\,088\,857\,052\,260\,080\,596\,835\,427\,$

$974\,772\,168\,001\,040\,020\,931\,200\,\alpha^9\,+$

$53\,354\,351\,928\,129\,535\,162\,328\,910\,487\,337\,123\,370\,253\,011\,505\,428\,061\,365\,809\,041\,608\,233\,611\,566\,$

$216\,517\,478\,096\,401\,262\,023\,680\,\alpha^{10}\,+$

$56\,134\,441\,797\,036\,207\,485\,363\,776\,617\,671\,236\,408\,207\,498\,843\,953\,259\,293\,349\,801\,294\,523\,098\,307\,$

$279\,859\,900\,346\,932\,206\,101\,440\,\alpha^{11}\,+$

$52\,984\,715\,090\,338\,745\,596\,697\,141\,114\,819\,586\,592\,485\,930\,056\,684\,249\,442\,437\,964\,331\,344\,802\,331\,$

$070\,364\,942\,105\,331\,444\,283\,840\,\alpha^{12}\,+$

$45\,172\,126\,340\,624\,389\,464\,553\,047\,247\,072\,599\,787\,991\,593\,517\,729\,435\,585\,986\,367\,791\,740\,784\,822\,$

$565\,452\,418\,079\,842\,320\,638\,000\,\alpha^{13}\,+$

$34\,984\,241\,097\,703\,909\,108\,795\,744\,501\,276\,890\,243\,914\,109\,591\,754\,931\,394\,205\,436\,134\,057\,586\,228\,$

$906\,275\,494\,337\,742\,090\,650\,896\,\alpha^{14}\,+$

$24\,733\,105\,161\,505\,527\,538\,997\,920\,517\,500\,115\,272\,986\,220\,913\,132\,986\,004\,185\,662\,243\,425\,587\,791\,$

$910\,618\,154\,009\,568\,410\,930\,904\,\alpha^{15}\,+$

$16\,029\,469\,791\,188\,838\,739\,300\,071\,336\,012\,583\,207\,740\,697\,570\,950\,732\,535\,550\,578\,474\,732\,500\,899\,$

$689\,053\,494\,863\,830\,950\,434\,701\,\alpha^{16}\,+\dfrac{1}{2}$

$19\,116\,740\,861\,664\,204\,998\,595\,140\,256\,030\,557\,742\,314\,351\,115\,012\,163\,303\,483\,516\,579\,879\,447\,366\,$

$375\,260\,191\,027\,037\,635\,055\,093\,\alpha^{17}\,+$

$5\,260\,928\,858\,960\,216\,129\,163\,833\,085\,160\,989\,201\,985\,539\,350\,470\,700\,256\,044\,381\,334\,610\,079\,312\,169\,$

$711\,123\,349\,882\,801\,887\,693\,\alpha^{18}\,+\dfrac{1}{4}$

$10\,721\,008\,986\,355\,005\,290\,162\,332\,462\,646\,244\,949\,210\,625\,659\,916\,975\,640\,201\,720\,727\,704\,568\,945\,$

$766\,790\,859\,531\,845\,612\,769\,713\,\alpha^{19}\,+\dfrac{1}{8}$

$10\,136\,552\,045\,514\,084\,349\,195\,467\,996\,913\,859\,511\,913\,684\,298\,643\,795\,947\,990\,965\,190\,462\,642\,677\,$

$577\,036\,177\,084\,988\,710\,552\,151\,\alpha^{20}\,+\dfrac{1}{4}$

$2\,228\,171\,753\,835\,347\,973\,495\,505\,873\,895\,312\,532\,543\,251\,626\,194\,293\,904\,012\,075\,461\,946\,059\,477\,$
$220\,355\,770\,802\,896\,695\,500\,191\,\alpha^{21} + \dfrac{1}{8}$

$1\,825\,471\,904\,237\,811\,766\,979\,339\,168\,404\,700\,129\,338\,690\,744\,411\,152\,638\,973\,149\,668\,428\,253\,032\,$
$895\,065\,293\,941\,703\,883\,677\,587\,\alpha^{22} + \dfrac{1}{4}$

$348\,978\,746\,889\,948\,108\,393\,983\,007\,742\,184\,071\,210\,660\,552\,284\,556\,614\,039\,397\,049\,816\,997\,367\,489\,$
$171\,041\,946\,328\,399\,356\,569\,\alpha^{23} +$

$31\,182\,801\,751\,731\,632\,419\,815\,863\,945\,659\,918\,445\,016\,362\,249\,113\,308\,577\,861\,889\,135\,585\,099\,346\,$
$693\,666\,451\,795\,133\,895\,712\,\alpha^{24} +$

$10\,432\,857\,771\,976\,145\,250\,180\,747\,474\,934\,811\,871\,844\,558\,869\,230\,782\,672\,714\,240\,353\,568\,491\,716\,$
$010\,152\,511\,510\,040\,479\,290\,\alpha^{25} + \dfrac{1}{2}$

$6\,542\,673\,253\,621\,068\,110\,134\,086\,255\,438\,941\,136\,442\,511\,811\,378\,264\,449\,873\,355\,422\,122\,496\,636\,$
$809\,551\,145\,216\,808\,602\,429\,\alpha^{26} + \dfrac{1}{2}$

$1\,924\,735\,505\,890\,909\,466\,044\,792\,547\,461\,241\,529\,445\,625\,226\,784\,252\,948\,488\,977\,638\,769\,882\,145\,$
$977\,747\,500\,990\,447\,890\,697\,\alpha^{27} + \dfrac{1}{4}$

$1\,063\,443\,176\,186\,856\,954\,285\,237\,908\,722\,041\,185\,368\,776\,591\,583\,718\,045\,115\,431\,991\,901\,487\,934\,$
$059\,704\,582\,182\,043\,688\,713\,\alpha^{28} + \dfrac{1}{2}$

$138\,053\,119\,484\,797\,833\,456\,444\,546\,819\,736\,602\,813\,471\,626\,877\,264\,544\,576\,628\,989\,523\,111\,151\,378\,$
$473\,310\,262\,839\,956\,345\,\alpha^{29} + \dfrac{1}{4}$

$67\,420\,110\,917\,705\,619\,429\,527\,880\,500\,958\,984\,217\,018\,726\,088\,775\,144\,106\,702\,386\,846\,155\,221\,806\,$
$684\,435\,187\,604\,365\,277\,\alpha^{30} + \dfrac{1}{2}$

$7\,746\,060\,994\,932\,201\,055\,378\,494\,514\,922\,974\,555\,003\,888\,737\,750\,887\,471\,229\,491\,062\,764\,776\,721\,$
$290\,262\,926\,334\,600\,105\,\alpha^{31} + \dfrac{1}{2}$

$1\,675\,807\,508\,837\,916\,673\,084\,760\,159\,772\,617\,359\,029\,139\,556\,951\,646\,344\,299\,452\,217\,813\,740\,352\,$
$565\,986\,177\,311\,919\,647\,\alpha^{32} + \dfrac{1}{2}$

$341\,476\,873\,719\,788\,508\,101\,583\,104\,835\,645\,972\,916\,575\,454\,871\,804\,925\,953\,263\,742\,608\,903\,140\,186\,$
$401\,997\,878\,298\,567\,\alpha^{33} + \dfrac{1}{2}$

$65\,557\,844\,042\,030\,109\,175\,406\,249\,298\,571\,090\,860\,126\,908\,234\,592\,005\,845\,455\,685\,133\,375\,167\,649\,$
$727\,965\,118\,066\,861\,\alpha^{34} + \dfrac{1}{4}$

$23\,721\,254\,617\,352\,226\,570\,618\,624\,393\,257\,165\,549\,729\,498\,628\,296\,958\,872\,599\,422\,997\,952\,359\,266\,$
$222\,198\,492\,836\,565\,\alpha^{35} + \dfrac{1}{8}$

$8\,089\,572\,948\,352\,844\,394\,499\,784\,250\,826\,700\,716\,605\,629\,340\,247\,019\,847\,566\,192\,248\,163\,217\,053\,$
$035\,324\,272\,004\,719\,\alpha^{36} + \dfrac{1}{4}$

$650\,048\,945\,475\,900\,197\,145\,592\,963\,749\,062\,637\,315\,151\,310\,757\,760\,502\,743\,432\,320\,035\,482\,609\,381\,$
$652\,511\,791\,127\,\alpha^{37} + \dfrac{1}{8}$

196 924 091 124 142 012 753 230 667 246 842 254 981 425 407 169 824 155 746 847 352 742 124 860 804 ‚

251 156 822 795 $\alpha^{38} + \dfrac{1}{4}$

14 054 187 261 816 913 098 250 580 541 325 999 348 955 187 376 836 979 638 674 017 541 833 627 260 ‚

913 029 489 429 $\alpha^{39} + \dfrac{1}{2}$

944 995 385 509 415 832 870 068 080 629 639 806 173 279 862 567 373 291 606 252 827 735 288 084 348 ‚

587 692 433 $\alpha^{40} +$

59 845 824 269 245 935 647 018 928 252 252 264 435 672 931 522 103 217 377 996 627 554 037 375 394 ‚

997 508 142 $\alpha^{41} +$

7 136 250 391 059 585 835 597 282 270 961 320 276 774 828 566 709 838 506 894 577 116 831 073 159 305 ‚

794 403 $\alpha^{42} +$

800 731 721 545 788 311 350 774 890 747 182 915 572 038 921 928 680 502 480 170 417 462 007 280 410 ‚

397 474 $\alpha^{43} +$

84 492 430 747 793 681 245 535 133 095 103 211 978 424 304 719 576 682 226 357 307 132 878 446 884 ‚

856 416 $\alpha^{44} +$

8 378 127 879 376 436 522 705 056 275 166 695 818 155 799 994 269 477 980 995 201 966 850 865 531 897 ‚

408 $\alpha^{45} +$

780 022 481 797 273 811 613 530 444 520 929 886 252 261 217 313 487 238 165 213 196 051 862 416 774 656

$\alpha^{46} +$

68 119 966 704 713 033 147 530 180 772 872 428 912 980 191 155 126 002 704 292 058 420 327 595 439 104

$\alpha^{47} +$

5 573 957 544 661 229 567 685 507 393 402 946 461 506 393 710 872 471 504 403 099 103 144 312 963 072

$\alpha^{48} +$

426 797 562 350 227 111 818 749 067 330 983 687 493 208 248 400 488 682 192 675 960 430 943 928 320

$\alpha^{49} +$

30 536 646 511 364 086 497 316 538 925 041 098 611 957 759 752 424 763 274 093 798 047 777 554 432

$\alpha^{50} +$

2 038 215 248 033 358 905 241 165 777 270 674 031 658 975 064 631 730 813 201 998 206 981 898 240 $\alpha^{51} +$

126 678 083 988 207 236 721 879 344 796 862 102 641 731 175 681 785 269 596 208 169 131 966 464 $\alpha^{52} +$

7 315 790 890 062 848 927 405 613 603 662 569 985 141 169 598 783 203 841 801 532 907 454 464 $\alpha^{53} +$

391 643 733 805 630 263 688 431 944 806 683 632 532 871 033 143 209 819 563 552 791 330 816 $\alpha^{54} +$

19 382 473 796 639 345 522 952 045 657 869 979 537 664 351 900 782 698 374 352 533 979 136 $\alpha^{55} +$

884 025 693 931 499 496 478 392 059 961 518 789 787 435 853 205 314 347 312 586 162 176 $\alpha^{56} +$

37 026 103 081 772 983 012 893 474 326 235 700 998 249 658 857 656 837 248 666 042 368 $\alpha^{57} +$

1 418 236 195 604 293 959 681 464 675 661 132 147 499 344 060 806 813 440 123 338 752 $\alpha^{58} +$

49 442 999 293 342 660 295 303 305 311 087 562 401 422 133 117 727 170 134 802 432 $\alpha^{59} +$

1 560 035 382 279 074 079 668 495 369 773 719 212 393 125 825 273 629 427 892 224 $\alpha^{60} +$

44 252 909 025 725 956 186 596 358 272 266 619 996 649 998 400 234 113 204 224 $\alpha^{61} +$

1 119 565 402 196 584 967 580 513 553 204 481 598 225 071 539 797 987 688 448 $\alpha^{62} +$

25 015 851 430 932 591 185 758 238 049 810 675 548 139 488 135 453 081 600 $\alpha^{63} +$

487 711 735 682 524 432 368 776 866 359 202 139 258 730 044 773 629 952 $\alpha^{64} +$

8 169 004 960 757 123 360 283 201 371 007 297 426 962 091 083 825 152 $\alpha^{65} +$

115 183 492 667 014 059 983 389 533 073 024 403 809 137 235 853 312 $\alpha^{66} +$

1 329 537 707 583 687 227 546 333 054 966 097 548 514 479 308 800 $\alpha^{67} +$

12 063 606 545 924 571 714 534 427 870 231 615 668 398 063 616 $\alpha^{68} +$

80 685 140 494 697 823 954 139 729 112 112 031 177 113 600 $\alpha^{69} +$

353 668 982 828 502 948 833 657 319 270 052 685 414 400 $\alpha^{70} +$

762 158 971 692 302 206 368 229 426 580 579 942 400 α^{71} $\Big)$ $S_\alpha^6 +$

$\Big($ − 266 753 372 345 682 505 334 109 412 845 798 877 349 781 026 943 225 359 497 190 622 363 020 489 728 ‚

`

710 829 670 400 000 000 000 −

3 832 943 544 484 197 964 057 874 024 094 098 635 863 398 224 047 971 581 606 119 909 271 310 820 655 897 100 943 360 000 000 000 α −

26 997 201 511 324 113 499 744 572 309 281 542 843 402 766 240 539 838 035 064 947 227 635 626 891 201 906 477 105 152 000 000 000 α^2 −

124 266 614 200 711 777 989 150 309 498 848 691 575 172 250 198 882 074 916 288 641 852 141 691 601 690 124 660 139 622 400 000 000 α^3 −

420 470 683 471 761 357 069 618 493 783 300 868 147 318 020 633 909 012 065 765 878 558 251 907 698 753 294 840 129 781 760 000 000 α^4 −

1 115 402 253 053 224 797 216 754 864 188 600 221 703 059 089 938 247 937 334 032 125 793 982 489 674 441 823 920 041 328 640 000 000 α^5 −

2 416 058 365 457 731 993 783 967 026 053 147 820 885 400 582 708 191 991 025 198 708 275 947 958 877 615 792 992 481 047 347 200 000 α^6 −

4 394 718 544 061 641 822 313 904 540 524 593 530 381 961 110 177 709 202 305 731 372 357 888 304 991 412 905 523 352 338 432 000 000 α^7 −

6 851 516 418 020 067 179 535 581 411 644 345 776 780 077 445 143 405 519 185 533 197 156 924 030 890 017 002 943 010 207 150 080 000 α^8 −

9 299 064 126 759 766 230 769 766 816 832 701 808 258 706 271 332 706 960 632 746 608 875 585 831 540 424 271 118 090 076 314 214 400 α^9 −

11 122 569 424 906 038 593 883 562 256 503 835 157 341 873 334 429 881 841 102 802 137 322 842 958 695 472 373 282 472 693 753 999 360 α^{10} −

11 840 398 431 303 748 522 951 493 865 700 869 460 574 900 543 475 562 236 966 165 867 266 627 531 621 978 438 435 949 309 130 745 856 α^{11} −

11 309 403 009 134 659 469 308 447 858 735 302 970 567 265 142 861 447 622 920 081 393 238 058 901 760 814 357 084 034 541 274 370 048 α^{12} −

9 757 977 282 828 607 741 962 691 950 544 277 612 770 117 143 116 551 898 521 053 749 821 257 806 080 840 124 957 939 384 465 233 920 α^{13} −

7 649 048 861 371 385 626 057 709 551 174 575 250 003 960 248 587 618 349 653 441 755 028 697 251 929 497 468 310 380 222 502 597 632 α^{14} −

5 473 969 260 351 129 058 814 618 247 285 779 379 618 533 196 366 243 502 395 098 577 925 229 878 829 745 672 756 417 951 195 091 968 α^{15} −

3 591 469 162 812 086 611 301 588 979 924 163 553 967 619 190 738 143 845 848 201 029 055 146 853 241 646 938 222 723 522 618 959 616 α^{16} −

2 168 224 225 651 951 111 012 797 866 110 549 317 659 665 412 566 679 128 580 849 578 858 407 745 349 184 844 037 480 558 528 449 248 α^{17} −

1 208 330 516 392 113 958 288 005 809 813 316 428 024 205 171 628 782 793 880 523 535 620 606 885 627 345 401 650 218 912 211 007 952 α^{18} −

623 354 594 404 009 621 960 937 991 648 782 561 845 420 029 302 588 122 420 877 130 325 576 134 618 986 062 925 017 688 998 242 648 α^{19} −

298 419 186 556 327 655 100 196 030 865 452 150 172 220 266 875 170 019 431 735 496 410 429 614 249 563 116 224 460 042 428 422 216 α^{20} −

132 864 985 129 520 864 267 473 811 343 616 987 062 373 486 809 946 802 506 954 105 220 229 857 601 801 168 059 451 924 077 425 592 α^{21} −

55 122 447 791 128 822 569 175 074 258 946 675 694 043 177 416 050 121 289 762 717 122 872 078 064 467 370 299 689 716 838 010 088 α^{22} −

21 346 541 002 794 419 274 812 365 797 166 005 775 073 885 642 435 721 840 783 177 957 080 938 567 156 190 048 695 646 986 658 416 α^{23} −

7 728 056 612 395 395 639 028 156 681 333 095 651 328 208 115 601 754 607 366 113 405 046 458 463 061 047 134 855 935 341 160 288 α^{24} −

2 619 052 844 078 272 869 936 065 205 231 012 571 279 778 970 623 791 438 593 380 268 589 986 429 949 058 204 745 323 565 042 976 α^{25} −

831 895 869 244 367 632 748 931 924 963 493 350 018 682 055 118 048 102 957 059 343 460 422 881 979
857 573 059 390 738 822 016 α^{26} −

247 914 710 485 435 916 003 397 974 378 080 852 378 592 555 436 168 954 334 868 587 736 610 493 619
899 302 156 713 055 197 328 α^{27} −

69 381 808 979 412 206 919 845 131 497 607 392 088 906 952 766 429 265 628 829 140 275 093 245 389
959 641 119 149 621 673 840 α^{28} −

18 249 379 106 130 592 659 713 075 698 098 232 081 574 400 842 558 886 983 545 147 891 977 468 139
177 746 882 532 265 225 104 α^{29} −

4 514 506 115 922 604 326 040 513 971 852 229 165 094 276 853 813 503 121 286 073 263 009 090 933 340
508 638 287 688 555 376 α^{30} −

1 050 961 767 528 904 908 469 652 861 963 196 223 715 230 381 454 054 552 697 644 051 686 601 913 974
113 623 252 185 569 216 α^{31} −

230 350 769 414 702 696 170 530 251 512 742 487 137 653 022 127 218 360 783 827 325 449 872 456 404
270 450 911 333 766 944 α^{32} −

47 554 179 651 821 732 195 346 760 793 569 458 189 308 935 009 519 384 164 904 741 386 518 367 917
071 573 533 310 617 792 α^{33} −

9 249 416 214 211 306 294 816 216 632 311 876 671 393 124 274 119 650 363 677 164 289 725 965 384 163
179 468 208 025 840 α^{34} −

1 695 345 006 843 423 772 446 258 052 183 081 995 497 181 957 976 651 617 365 761 260 672 275 170 565
053 525 918 418 520 α^{35} −

292 869 043 674 167 678 839 760 796 422 858 769 532 129 933 390 724 824 937 108 553 255 301 274 419
468 295 082 352 776 α^{36} −

47 684 388 043 369 069 794 744 686 332 940 435 415 553 752 414 792 923 549 737 104 148 546 925 368
860 311 875 801 464 α^{37} −

7 317 190 885 140 049 497 164 060 222 043 291 399 056 979 167 270 958 145 650 198 743 333 876 917 175
024 218 317 928 α^{38} −

1 058 078 790 495 050 463 982 342 215 039 426 350 578 005 204 155 253 563 217 424 220 682 718 365 742
068 746 188 688 α^{39} −

144 144 603 222 094 181 161 847 573 319 235 133 380 858 972 918 886 424 943 280 140 894 203 404 390
883 422 886 464 α^{40} −

18 494 688 917 500 132 096 664 188 266 971 136 006 206 529 162 167 208 377 498 355 100 741 708 881
087 041 547 904 α^{41} −

2 234 005 307 893 583 886 128 814 548 545 921 968 568 394 909 152 393 237 805 469 563 044 752 646 166
239 807 744 α^{42} −

253 914 211 281 468 123 130 322 843 437 168 538 062 992 973 829 405 669 910 931 925 838 774 197 292
742 873 600 α^{43} −

27 138 574 916 389 281 884 218 195 295 364 098 930 053 216 018 311 423 056 672 219 061 097 778 465
615 372 288 α^{44} −

2 725 633 268 496 008 888 130 942 081 361 734 798 970 359 721 579 988 910 038 306 339 730 240 314 150
436 864 α^{45} −

257 015 481 120 150 270 968 911 258 720 375 365 074 130 577 708 785 014 704 356 802 732 635 743 199
789 056 α^{46} −

22 731 990 505 915 081 646 497 365 877 931 015 802 253 710 729 480 727 665 804 893 785 822 445 938
868 224 α^{47} −

1 883 715 829 459 806 715 496 922 608 796 991 500 649 968 733 214 081 654 381 940 259 600 647 095 058
432 α^{48} −

146 062 550 432 445 504 972 288 384 510 760 086 711 757 114 901 814 263 181 251 319 941 482 839 801 856
α^{49} −

10 582 268 818 757 701 810 361 626 861 168 979 762 476 099 259 130 780 017 065 025 794 349 228 621 824
α^{50} −

715 191 045 019 131 293 577 264 978 132 940 925 773 810 552 636 639 816 010 490 843 024 051 929 088

α^{51} −

45 005 023 704 598 970 507 607 257 843 312 638 709 211 278 944 834 497 814 613 694 879 438 471 168 α^{52} −

2 631 358 808 069 336 127 761 156 591 465 558 906 582 946 824 576 776 790 871 260 094 579 867 648 α^{53} −

142 606 711 164 074 061 276 094 520 679 204 721 496 470 060 753 754 971 006 899 521 153 138 688 α^{54} −

7 144 266 662 570 693 268 981 398 483 538 980 592 241 525 714 493 440 785 436 859 298 742 272 α^{55} −

329 823 568 437 847 767 184 546 778 348 146 795 536 824 494 501 126 692 028 338 581 536 768 α^{56} −

13 981 728 761 548 360 545 993 727 261 376 712 376 654 318 357 039 038 756 742 756 302 848 α^{57} −

542 006 262 304 149 155 236 610 720 938 264 422 622 690 034 474 684 375 101 425 582 080 α^{58} −

19 121 825 264 535 847 693 508 235 001 185 146 529 423 467 824 682 720 739 274 522 624 α^{59} −

610 510 123 885 706 521 612 650 485 970 400 976 489 254 820 678 539 291 163 361 280 α^{60} −

17 522 594 697 816 715 851 839 024 322 322 763 515 481 722 087 198 692 751 704 064 α^{61} −

448 505 476 404 453 477 771 163 581 928 717 603 754 896 930 009 345 087 766 528 α^{62} −

10 138 134 657 021 770 841 850 538 010 571 098 523 267 973 095 033 556 434 944 α^{63} −

199 936 719 492 863 645 142 914 973 179 663 199 662 943 640 674 614 902 784 α^{64} −

3 387 244 573 904 582 050 875 370 703 732 976 029 026 929 983 220 613 120 α^{65} −

48 303 267 574 674 710 968 399 518 761 621 146 070 247 397 222 514 688 α^{66} −

563 840 210 134 609 225 277 511 973 641 041 297 692 457 495 953 408 α^{67} −

5 173 224 955 306 347 444 364 800 596 736 869 181 733 457 625 088 α^{68} −

34 983 701 036 776 306 779 711 674 876 431 674 769 617 715 200 α^{69} −

155 030 038 660 060 281 456 527 008 911 558 760 936 243 200 α^{70} −

337 729 797 127 650 189 121 820 294 835 730 592 563 200 α^{71} $\big)$ S_α^4 +

$\big($ 10 202 203 605 889 782 821 962 791 802 895 902 304 574 306 534 543 932 233 596 320 072 166 978 249 322 ·

103 675 289 600 000 000 000 +

149 947 073 487 089 538 764 462 594 224 912 502 327 316 332 242 401 624 882 201 966 937 847 885 064 ·

601 373 088 153 600 000 000 000 α +

1 080 408 421 660 167 428 952 424 248 202 676 176 652 347 574 508 516 650 431 131 775 189 737 965 186 ·

489 480 179 089 408 000 000 000 α^2 +

5 087 696 443 269 478 566 400 906 664 760 146 465 256 410 924 454 866 448 232 000 190 544 899 443 517 ·

238 568 414 504 550 400 000 000 α^3 +

17 612 695 498 039 087 536 114 381 618 043 424 869 628 089 257 026 287 610 952 368 903 945 391 795 ·

113 466 447 233 160 314 880 000 000 α^4 +

47 803 878 122 621 467 024 621 288 978 557 711 123 815 830 858 813 195 848 392 780 910 290 225 260 ·

496 053 432 329 204 400 128 000 000 α^5 +

105 947 617 806 263 338 257 903 306 383 905 215 481 934 324 959 277 312 212 267 087 834 023 188 516 ·

875 453 200 704 833 427 865 600 000 α^6 +

197 183 447 425 204 524 526 587 822 438 236 413 677 238 903 513 868 933 312 952 834 453 239 791 441 ·

059 042 150 224 719 993 896 960 000 α^7 +

314 541 699 474 356 845 380 288 274 318 460 438 250 469 389 765 396 282 170 948 872 656 940 943 333 ·

460 695 769 518 351 440 674 816 000 α^8 +

436 790 086 667 004 449 498 653 942 856 413 036 422 056 922 400 591 876 458 656 283 320 168 487 716 ·

340 953 401 111 299 374 658 355 200 α^9 +

534 520 228 054 361 263 019 275 568 766 816 857 790 721 826 685 047 838 538 439 908 396 792 547 497 ·

628 103 249 109 958 041 440 092 160 α^{10} +

582 141 020 179 629 836 171 738 857 028 985 888 547 023 147 794 314 067 857 058 569 423 003 528 002 ·

757 352 325 275 312 799 979 929 600 α^{11} +

568 821 460 890 920 841 205 343 318 502 689 653 066 726 502 736 398 666 217 826 806 560 133 389 143 ·

116 796 430 992 062 286 448 295 936 α^{12} +

502 037 870 472 813 725 020 395 392 718 710 948 255 297 575 241 875 422 825 301 748 232 018 157 448 ·

269 950 538 184 758 239 495 979 008 α^{13} +

402 517 876 709 818 517 619 082 758 191 001 086 293 169 225 430 522 625 158 848 797 781 567 075 919 ·

$801\,456\,563\,853\,516\,448\,482\,852\,864\ \alpha^{14}\ +$

$294\,602\,753\,065\,248\,515\,872\,925\,240\,915\,070\,448\,274\,527\,410\,131\,440\,969\,113\,561\,209\,230\,490\,918\,266\ \backslash$
$525\,673\,480\,709\,461\,701\,439\,324\,160\ \alpha^{15}\ +$

$197\,657\,898\,357\,735\,592\,264\,502\,154\,925\,085\,697\,858\,304\,256\,136\,458\,466\,678\,107\,326\,960\,836\,025\,361\ \backslash$
$565\,309\,671\,504\,977\,058\,878\,881\,792\ \alpha^{16}\ +$

$122\,011\,332\,584\,976\,607\,137\,108\,331\,465\,921\,661\,873\,207\,897\,422\,895\,430\,099\,331\,801\,731\,444\,696\,853\ \backslash$
$202\,642\,938\,514\,852\,656\,214\,851\,584\ \alpha^{17}\ +$

$69\,514\,878\,416\,548\,662\,733\,485\,228\,787\,127\,722\,214\,319\,995\,169\,863\,779\,596\,137\,845\,139\,037\,990\,337\ \backslash$
$310\,074\,826\,905\,055\,864\,769\,576\,960\ \alpha^{18}\ +$

$36\,657\,371\,264\,726\,969\,160\,451\,936\,482\,402\,352\,796\,507\,424\,908\,570\,441\,237\,931\,791\,754\,706\,528\,871\ \backslash$
$067\,073\,832\,729\,180\,861\,950\,414\,848\ \alpha^{19}\ +$

$17\,935\,824\,012\,311\,871\,820\,745\,314\,076\,658\,694\,308\,744\,640\,680\,863\,573\,574\,455\,641\,628\,861\,092\,568\ \backslash$
$724\,008\,737\,966\,505\,066\,639\,364\,096\ \alpha^{20}\ +$

$8\,160\,266\,503\,446\,269\,965\,529\,193\,812\,936\,348\,049\,180\,470\,693\,253\,290\,202\,600\,638\,015\,332\,724\,965\,274\ \backslash$
$090\,251\,684\,192\,706\,282\,213\,376\ \alpha^{21}\ +$

$3\,458\,987\,235\,613\,097\,839\,544\,019\,725\,209\,266\,859\,461\,818\,558\,695\,736\,837\,482\,850\,944\,375\,309\,725\,634\ \backslash$
$562\,278\,186\,389\,815\,511\,650\,304\ \alpha^{22}\ +$

$1\,368\,355\,716\,164\,267\,182\,657\,399\,343\,146\,521\,956\,051\,366\,740\,412\,389\,202\,041\,153\,077\,412\,368\,085\,340\ \backslash$
$119\,073\,413\,699\,241\,434\,324\,992\ \alpha^{23}\ +$

$505\,957\,832\,416\,537\,130\,358\,481\,126\,343\,038\,119\,876\,501\,657\,024\,067\,224\,471\,753\,145\,742\,534\,920\,308\ \backslash$
$489\,742\,870\,794\,853\,729\,837\,056\ \alpha^{24}\ +$

$175\,097\,380\,826\,903\,046\,572\,039\,559\,836\,624\,962\,041\,226\,792\,860\,999\,465\,044\,786\,769\,369\,986\,673\,917\ \backslash$
$276\,862\,231\,246\,674\,968\,117\,248\ \alpha^{25}\ +$

$56\,782\,182\,864\,968\,605\,479\,947\,220\,876\,569\,119\,177\,757\,423\,090\,043\,419\,738\,800\,107\,712\,814\,784\,205\ \backslash$
$667\,393\,333\,014\,001\,467\,244\,544\ \alpha^{26}\ +$

$17\,272\,978\,801\,937\,428\,571\,478\,875\,411\,879\,310\,270\,024\,915\,608\,176\,803\,346\,151\,271\,348\,683\,584\,913\ \backslash$
$828\,552\,109\,741\,614\,581\,800\,960\ \alpha^{27}\ +$

$4\,933\,378\,160\,726\,127\,434\,540\,574\,135\,880\,913\,905\,230\,021\,595\,589\,010\,081\,102\,922\,358\,859\,776\,312\,861\ \backslash$
$948\,202\,544\,310\,308\,331\,520\ \alpha^{28}\ +$

$1\,324\,008\,718\,769\,528\,471\,252\,622\,646\,603\,199\,684\,420\,137\,606\,907\,040\,036\,717\,168\,322\,057\,833\,982\,953\ \backslash$
$884\,346\,120\,023\,035\,109\,376\ \alpha^{29}\ +$

$334\,122\,216\,670\,105\,007\,713\,415\,158\,347\,307\,719\,438\,428\,694\,947\,247\,633\,943\,145\,390\,234\,448\,223\,615\ \backslash$
$601\,397\,024\,514\,351\,816\,704\ \alpha^{30}\ +$

$79\,330\,687\,010\,687\,733\,166\,339\,968\,486\,433\,786\,787\,665\,413\,424\,228\,825\,455\,948\,458\,835\,416\,007\,146\ \backslash$
$666\,630\,878\,148\,963\,500\,032\ \alpha^{31}\ +$

$17\,729\,994\,013\,069\,307\,804\,330\,101\,583\,250\,213\,038\,554\,969\,156\,538\,130\,119\,020\,413\,124\,607\,157\,251\ \backslash$
$446\,106\,985\,342\,414\,225\,408\ \alpha^{32}\ +$

$3\,731\,439\,696\,251\,013\,963\,802\,058\,273\,540\,166\,199\,859\,900\,639\,919\,696\,160\,998\,347\,392\,659\,196\,580\,835\ \backslash$
$250\,804\,454\,986\,678\,272\ \alpha^{33}\ +$

$739\,731\,232\,367\,779\,792\,404\,706\,930\,582\,844\,544\,856\,558\,936\,027\,878\,059\,482\,689\,991\,661\,699\,644\,032\ \backslash$
$772\,491\,870\,414\,225\,408\ \alpha^{34}\ +$

$138\,162\,999\,237\,391\,901\,068\,867\,038\,255\,556\,043\,926\,383\,946\,556\,176\,924\,301\,224\,348\,331\,090\,536\,170\ \backslash$
$372\,360\,567\,884\,304\,384\ \alpha^{35}\ +$

$24\,315\,458\,316\,320\,350\,449\,153\,709\,729\,685\,612\,014\,896\,360\,685\,987\,247\,982\,387\,652\,455\,701\,464\,747\ \backslash$
$300\,219\,257\,461\,772\,288\ \alpha^{36}\ +$

$4\,032\,377\,078\,482\,390\,743\,459\,244\,661\,107\,378\,022\,023\,182\,527\,558\,161\,893\,980\,293\,707\,913\,134\,439\,786\ \backslash$
$595\,741\,375\,188\,992\ \alpha^{37}\ +$

$630\,093\,887\,828\,381\,957\,908\,908\,009\,378\,110\,087\,064\,387\,511\,630\,390\,654\,799\,102\,343\,065\,212\,806\,602\ \backslash$
$433\,075\,603\,836\,928\ \alpha^{38}\ +$

$92\,758\,648\,325\,624\,987\,329\,089\,422\,275\,020\,642\,591\,039\,456\,757\,660\,588\,492\,739\,571\,305\,270\,420\,972\ \backslash$
$020\,941\,748\,592\,640\ \alpha^{39}\ +$

12 862 030 020 755 501 085 931 776 740 513 928 119 597 556 668 271 766 578 633 847 724 745 357 430 ⸜ 389 285 986 230 272 α^{40} +

1 679 313 777 289 646 145 281 077 217 819 581 623 354 576 078 478 785 157 958 727 434 154 513 521 659 ⸜ 342 353 285 120 α^{41} +

206 367 601 404 142 332 371 650 948 856 345 374 889 291 875 630 718 028 251 739 360 226 656 198 155 ⸜ 255 066 099 712 α^{42} +

23 856 985 604 803 487 985 814 705 776 051 576 492 134 723 715 862 159 700 944 355 222 612 523 755 ⸜ 761 804 836 864 α^{43} +

2 592 899 120 358 561 790 047 257 125 121 829 917 283 759 459 284 127 227 719 487 855 164 289 040 892 ⸜ 642 197 504 α^{44} +

264 749 357 430 429 005 288 268 067 721 992 024 081 953 691 069 252 859 018 220 447 377 971 536 792 ⸜ 605 687 808 α^{45} +

25 374 340 737 436 010 182 064 640 978 231 092 050 233 053 254 014 164 359 555 461 339 138 605 667 ⸜ 890 233 344 α^{46} +

2 280 553 597 335 652 720 892 090 298 556 167 920 136 884 565 376 269 413 473 170 275 688 045 036 101 ⸜ 959 680 α^{47} +

191 992 919 795 489 179 783 714 991 105 720 992 184 979 424 505 590 210 480 238 108 982 985 171 673 ⸜ 284 608 α^{48} +

15 120 835 421 972 736 277 631 943 023 405 499 832 731 519 718 974 491 477 418 774 463 986 970 304 ⸜ 446 464 α^{49} +

1 112 457 189 479 149 223 724 818 963 119 123 029 409 161 352 736 108 411 388 712 594 868 147 507 429 ⸜ 376 α^{50} +

76 329 996 158 722 622 615 462 980 928 765 245 240 057 556 294 965 990 619 477 724 640 934 319 095 808 α^{51} +

4 875 334 678 660 145 414 530 734 798 843 751 986 214 036 297 054 612 200 285 856 212 169 990 864 896 α^{52} +

289 265 078 535 431 855 588 099 198 195 483 229 258 061 436 894 827 557 149 913 080 196 665 180 160 α^{53} +

15 904 912 551 829 362 188 830 890 311 252 105 765 732 967 799 950 661 319 625 649 119 893 127 168 α^{54} +

808 216 962 154 597 700 811 874 803 353 395 115 852 532 839 161 454 373 172 261 039 474 999 296 α^{55} +

37 838 622 215 752 498 182 364 841 349 398 307 641 328 020 594 860 101 584 107 758 535 311 360 α^{56} +

1 626 308 556 656 269 216 343 797 570 949 928 434 409 678 719 119 772 094 740 342 205 579 264 α^{57} +

63 905 871 375 174 789 912 959 287 926 360 026 897 380 069 821 734 331 815 635 873 431 552 α^{58} +

2 284 898 780 940 824 257 625 970 649 713 697 674 215 292 906 918 359 531 810 614 935 552 α^{59} +

73 916 145 217 102 344 611 071 044 100 860 439 681 332 119 868 818 787 773 209 116 672 α^{60} +

2 149 127 736 214 686 637 478 699 816 858 835 528 939 355 906 589 998 485 281 439 744 α^{61} +

55 713 239 767 213 017 342 963 176 984 673 607 408 467 422 546 852 003 734 093 824 α^{62} +

1 275 222 564 701 349 049 822 055 347 329 009 475 235 820 109 402 301 723 049 984 α^{63} +

25 460 630 132 094 568 906 358 106 649 981 613 323 082 856 547 065 979 207 680 α^{64} +

436 600 426 346 259 335 159 105 844 932 433 226 680 552 023 685 001 641 984 α^{65} +

6 300 695 327 981 425 048 864 047 324 419 602 951 512 706 712 025 956 352 α^{66} +

74 414 359 110 260 277 407 297 486 837 668 817 609 379 906 217 574 400 α^{67} +

690 662 981 822 926 435 679 521 130 690 605 409 973 035 348 262 912 α^{68} +

4 723 795 544 356 858 078 452 588 845 265 787 462 999 238 246 400 α^{69} +

21 167 967 742 241 603 349 565 866 601 226 697 674 902 732 800 α^{70} +

46 621 812 065 033 028 694 080 410 983 587 472 264 396 800 α^{71} $\Big)$ S_{α}^2 +

$\Big(-$16 281 255 224 197 574 309 419 557 226 198 092 784 819 026 725 745 200 153 463 334 186 900 214 018 ⸜ 374 411 223 040 000 000 000 000 −

264 065 211 450 648 177 383 549 383 029 774 638 504 473 629 027 531 366 997 039 219 184 673 909 556 ⸜ 999 398 359 040 000 000 000 000 α −

2 091 890 718 301 507 347 515 459 594 228 048 963 674 921 954 247 978 871 255 496 687 368 397 455 277 117 385 421 619 200 000 000 000 $\alpha^2 -$

10 792 399 487 117 722 873 082 051 093 200 416 574 464 281 720 948 001 631 743 559 343 521 635 285 843 857 892 138 024 960 000 000 000 $\alpha^3 -$

40 794 572 081 468 140 874 343 969 677 833 515 203 396 672 259 572 488 340 181 659 618 587 798 239 309 163 807 440 371 712 000 000 000 $\alpha^4 -$

120 508 073 508 523 684 678 909 790 158 637 233 909 968 955 964 695 025 292 483 384 862 759 000 429 340 435 108 674 614 067 200 000 000 $\alpha^5 -$

289 785 832 032 868 129 026 013 064 510 713 136 623 897 512 182 032 740 678 945 907 827 328 266 162 840 869 289 988 655 677 440 000 000 $\alpha^6 -$

583 448 776 422 017 843 195 959 692 221 085 424 043 387 009 716 670 167 489 658 451 692 900 493 699 240 123 838 011 386 363 904 000 000 $\alpha^7 -$

1 003 978 543 415 641 808 704 387 848 371 925 145 552 196 293 697 992 094 345 355 780 011 533 035 816 235 690 615 034 712 843 878 400 000 $\alpha^8 -$

1 499 864 963 876 683 124 020 056 376 419 467 150 296 794 638 162 493 180 655 301 441 482 655 335 681 327 365 481 455 069 670 932 480 000 $\alpha^9 -$

1 969 451 200 964 059 585 488 429 758 457 739 772 664 144 588 429 479 382 839 311 575 915 858 781 155 619 327 344 536 398 577 270 784 000 $\alpha^{10} -$

2 295 759 750 594 055 319 636 639 062 558 692 987 235 202 807 960 524 417 807 242 623 783 755 898 660 171 282 203 837 663 889 326 080 000 $\alpha^{11} -$

2 395 254 198 355 154 472 489 118 687 179 344 402 615 136 539 528 927 105 881 659 383 304 096 861 097 449 876 422 698 372 878 984 806 400 $\alpha^{12} -$

2 252 124 951 441 436 105 019 617 361 618 860 268 961 360 914 702 469 928 404 988 415 950 171 057 309 817 979 075 779 565 504 901 939 200 $\alpha^{13} -$

1 919 399 011 270 881 948 203 912 472 070 959 278 519 979 836 132 271 109 571 815 089 104 513 543 273 561 647 552 126 918 208 362 905 600 $\alpha^{14} -$

1 490 128 096 903 387 783 367 047 651 858 460 588 545 227 606 584 123 098 596 946 962 853 973 922 575 798 017 195 526 922 134 618 112 000 $\alpha^{15} -$

1 058 345 403 441 376 515 227 151 814 289 939 849 398 397 105 327 051 643 554 591 456 996 744 476 732 847 218 384 956 580 519 791 820 800 $\alpha^{16} -$

690 231 953 833 745 216 364 752 319 872 963 296 718 499 196 329 432 730 603 719 360 138 904 825 147 206 928 130 305 544 577 456 537 600 $\alpha^{17} -$

414 708 862 508 881 699 022 758 695 518 562 897 706 441 214 839 708 621 573 234 379 641 474 249 435 179 114 317 132 866 627 436 544 000 $\alpha^{18} -$

230 207 179 902 086 648 491 416 719 848 086 509 209 668 432 791 732 993 334 596 775 149 717 373 978 793 145 447 204 483 172 807 475 200 $\alpha^{19} -$

118 364 940 450 880 467 207 386 161 135 237 716 014 680 589 777 146 071 950 289 818 557 181 643 561 944 558 671 817 935 325 193 830 400 $\alpha^{20} -$

56 497 858 924 178 326 603 707 875 496 387 593 612 343 684 958 565 900 270 837 212 798 317 552 857 101 881 928 451 584 994 141 798 400 $\alpha^{21} -$

25 084 900 004 984 385 012 492 370 883 569 178 268 375 039 676 739 315 438 144 882 095 850 551 350 147 539 165 158 879 773 759 897 600 $\alpha^{22} -$

10 378 509 570 676 075 879 517 826 784 925 426 069 111 373 203 429 227 724 997 561 139 863 602 369 370 815 148 089 404 185 300 172 800 $\alpha^{23} -$

4 007 609 552 608 551 971 043 764 328 297 794 244 072 070 278 979 335 005 569 377 894 229 160 689 198 068 340 918 254 078 944 870 400 $\alpha^{24} -$

1 446 348 576 887 093 858 100 347 122 168 322 192 790 899 702 328 951 950 328 677 683 067 049 488 507 473 823 930 327 630 295 859 200 $\alpha^{25} -$

488 470 478 853 499 164 593 162 958 433 308 629 848 314 757 887 282 564 952 074 768 711 942 453 768 747 803 952 619 439 888 793 600 $\alpha^{26} -$

154 546 640 301 536 414 250 179 934 975 707 684 413 878 251 970 219 557 133 992 036 757 360 444 498

782 868 387 694 640 234 496 000 α^{27} −

45 851 920 126 231 990 784 222 497 547 843 758 192 349 151 605 056 436 638 799 029 790 606 656 027 710 732 909 331 976 945 664 000 α^{28} −

12 767 329 126 029 793 795 607 837 339 534 264 881 887 319 986 223 953 305 094 387 986 722 179 614 024 328 063 677 026 035 302 400 α^{29} −

3 338 917 262 221 843 675 276 345 619 049 398 478 639 593 142 686 061 955 830 963 933 336 483 610 058 345 163 979 052 521 881 600 α^{30} −

820 628 285 945 444 970 297 898 682 356 549 422 047 457 248 422 565 651 179 541 819 974 702 213 662 810 982 429 473 688 780 800 α^{31} −

189 649 083 230 628 006 884 325 094 485 323 432 079 046 973 993 828 201 556 597 771 191 730 857 084 762 136 812 392 493 875 200 α^{32} −

41 229 179 973 062 083 793 053 765 581 639 978 715 380 448 334 033 476 471 302 958 688 459 765 107 189 338 432 377 507 020 800 α^{33} −

8 434 398 481 087 923 852 345 823 434 095 614 904 150 678 082 300 451 868 229 044 156 578 383 640 393 466 835 591 050 035 200 α^{34} −

1 624 072 617 599 287 610 763 045 366 474 230 011 181 692 975 878 468 675 775 646 456 629 974 884 446 061 099 894 479 257 600 α^{35} −

294 392 351 917 434 136 314 511 162 130 083 326 980 892 033 230 793 521 130 911 606 881 437 025 730 442 323 847 295 795 200 α^{36} −

50 239 692 817 635 689 507 052 092 898 602 701 775 682 245 797 722 530 715 539 825 705 796 015 606 287 388 949 335 244 800 α^{37} −

8 071 574 157 662 963 297 908 648 640 495 508 404 223 534 259 267 573 399 091 236 804 626 347 548 939 862 139 745 075 200 α^{38} −

1 220 712 146 358 422 058 410 643 414 484 663 970 564 686 994 562 182 151 925 948 897 952 173 587 213 246 777 655 296 000 α^{39} −

173 750 405 985 976 670 050 994 649 235 806 240 300 132 919 619 638 606 386 606 021 472 578 791 052 375 047 326 924 800 α^{40} −

23 268 559 349 166 033 878 001 744 497 231 740 833 517 317 594 452 319 747 465 106 422 171 831 353 645 476 085 760 000 α^{41} −

2 930 732 498 842 477 321 844 715 671 972 662 175 008 218 444 702 109 029 742 836 676 986 044 488 128 684 412 108 800 α^{42} −

347 003 824 901 530 891 608 089 486 498 269 687 571 639 184 140 064 535 928 986 762 292 798 725 413 444 098 457 600 α^{43} −

38 599 903 731 733 712 950 504 578 171 886 754 371 922 876 701 324 722 136 198 576 961 132 875 313 544 010 137 600 α^{44} −

4 031 120 063 947 974 480 747 956 882 211 756 308 249 557 060 359 940 834 225 639 763 582 549 110 537 007 923 200 α^{45} −

394 906 360 181 684 311 331 414 662 356 617 175 403 285 258 497 908 682 755 469 342 125 793 594 377 345 433 600 α^{46} −

36 255 686 020 159 751 188 666 624 917 833 029 768 442 790 016 761 835 658 082 019 560 190 250 544 267 264 000 α^{47} −

3 115 980 392 071 160 082 049 953 093 933 777 485 698 334 611 829 367 592 618 821 970 559 700 560 982 835 200 α^{48} −

250 383 090 895 249 893 262 826 442 402 458 382 167 428 708 897 306 421 525 952 721 597 009 707 506 073 600 α^{49} −

18 783 944 483 309 389 754 408 009 151 355 628 713 043 651 772 176 884 446 745 514 090 834 784 839 270 400 α^{50} −

1 313 517 223 666 338 359 960 453 353 951 430 516 453 127 523 591 345 860 011 346 868 511 561 691 955 200 α^{51} −

85 457 984 326 357 120 150 265 505 918 295 110 343 737 061 648 748 346 449 650 296 626 006 615 654 400 α^{52} −

$5\,162\,143\,859\,451\,916\,495\,657\,017\,930\,350\,091\,978\,773\,961\,572\,905\,769\,645\,755\,370\,710\,505\,619\,456\,000$
$\alpha^{53}\,-$

$288\,826\,310\,875\,975\,153\,954\,031\,905\,767\,716\,102\,056\,656\,455\,552\,887\,775\,676\,832\,169\,155\,834\,675\,200$
$\alpha^{54}\,-$

$14\,927\,850\,753\,053\,182\,988\,525\,894\,630\,579\,351\,975\,470\,696\,034\,865\,910\,969\,350\,850\,794\,120\,806\,400$
$\alpha^{55}\,-$

$710\,505\,940\,388\,442\,420\,210\,023\,673\,133\,111\,756\,778\,469\,604\,559\,607\,890\,403\,042\,892\,185\,600\,000\,\alpha^{56}\,-$
$31\,031\,596\,487\,553\,572\,881\,373\,534\,695\,321\,815\,977\,734\,729\,948\,267\,785\,732\,761\,922\,935\,193\,600\,\alpha^{57}\,-$
$1\,238\,575\,941\,872\,713\,263\,329\,129\,017\,393\,609\,847\,082\,926\,434\,403\,607\,159\,763\,093\,998\,796\,800\,\alpha^{58}\,-$
$44\,962\,193\,073\,680\,496\,128\,749\,752\,955\,903\,263\,550\,627\,850\,765\,289\,168\,787\,393\,531\,084\,800\,\alpha^{59}\,-$
$1\,476\,189\,743\,388\,462\,967\,182\,003\,007\,015\,258\,764\,400\,282\,378\,984\,249\,712\,014\,314\,700\,800\,\alpha^{60}\,-$
$43\,542\,837\,939\,533\,639\,830\,752\,638\,942\,308\,887\,842\,747\,072\,401\,514\,800\,881\,441\,177\,600\,\alpha^{61}\,-$
$1\,144\,719\,754\,070\,327\,723\,685\,440\,443\,795\,466\,869\,687\,254\,115\,799\,553\,172\,674\,969\,600\,\alpha^{62}\,-$
$26\,561\,512\,910\,087\,927\,791\,181\,495\,356\,781\,638\,151\,396\,463\,008\,806\,050\,830\,745\,600\,\alpha^{63}\,-$
$537\,411\,294\,861\,365\,033\,283\,157\,923\,240\,613\,980\,243\,120\,640\,602\,383\,843\,328\,000\,\alpha^{64}\,-$
$9\,335\,598\,772\,809\,623\,833\,666\,131\,562\,303\,348\,442\,991\,684\,748\,683\,352\,473\,600\,\alpha^{65}\,-$
$136\,433\,512\,454\,338\,831\,381\,062\,229\,694\,349\,459\,475\,711\,074\,551\,778\,508\,800\,\alpha^{66}\,-$
$1\,631\,257\,467\,513\,017\,018\,862\,961\,098\,562\,262\,262\,260\,039\,990\,378\,496\,000\,\alpha^{67}\,-$
$15\,322\,444\,417\,825\,088\,917\,436\,223\,091\,378\,988\,156\,250\,695\,191\,756\,800\,\alpha^{68}\,-$
$106\,026\,917\,971\,658\,617\,233\,296\,637\,126\,114\,569\,726\,208\,245\,760\,000\,\alpha^{69}\,-$
$480\,549\,837\,476\,011\,955\,948\,512\,695\,382\,418\,806\,611\,640\,320\,000\,\alpha^{70}\,-$
$1\,070\,181\,774\,383\,865\,009\,668\,206\,113\,951\,143\,449\,067\,520\,000\,\alpha^{71}\big)\,\big\}$

In[ ]:= **RECNormalized = DFinitePlus[RECNormalizedEVENnew, RECNormalizedODDnew];**
ToOrePolynomial[RECNormalized]

Out[ ]= $\big\{\big(4\,190\,970\,226\,661\,938\,283\,327\,586\,439\,069\,102\,891\,433\,625\,504\,426\,268\,810\,080\,251\,229\,377\,168\,985\,292$
$\quad 800\,000\,000\,000\,+$

$58\,847\,922\,071\,535\,534\,391\,727\,519\,803\,111\,047\,320\,013\,518\,870\,044\,918\,732\,641\,860\,370\,911\,037\,851$
$\quad 959\,296\,000\,000\,000\,\alpha\,+$

$404\,854\,722\,000\,524\,625\,113\,083\,598\,381\,826\,897\,362\,945\,512\,096\,032\,926\,115\,180\,304\,236\,854\,447\,822$
$\quad 811\,955\,200\,000\,000\,\alpha^{2}\,+$

$1\,819\,310\,651\,899\,983\,546\,357\,365\,649\,610\,092\,887\,760\,815\,140\,213\,764\,093\,503\,250\,345\,968\,575\,322\,543$
$\quad 924\,183\,040\,000\,000\,\alpha^{3}\,+$

$6\,006\,932\,793\,880\,740\,275\,084\,569\,227\,249\,208\,802\,908\,638\,101\,965\,749\,612\,164\,739\,023\,226\,987\,596\,762$
$\quad 552\,205\,312\,000\,000\,\alpha^{4}\,+$

$15\,542\,058\,036\,447\,515\,620\,126\,576\,860\,788\,928\,677\,138\,223\,443\,640\,701\,400\,296\,370\,372\,834\,021\,011$
$\quad 612\,732\,384\,870\,400\,000\,\alpha^{5}\,+$

$32\,820\,282\,461\,140\,184\,202\,131\,287\,893\,026\,238\,054\,812\,195\,556\,655\,475\,287\,553\,450\,268\,534\,297\,551$
$\quad 414\,951\,152\,189\,440\,000\,\alpha^{6}\,+$

$58\,173\,398\,827\,729\,582\,074\,329\,525\,498\,468\,758\,551\,878\,120\,656\,417\,553\,208\,851\,735\,904\,561\,602\,501$
$\quad 355\,690\,596\,499\,456\,000\,\alpha^{7}\,+$

$88\,336\,839\,358\,882\,206\,314\,092\,933\,010\,862\,145\,114\,346\,749\,442\,347\,892\,591\,634\,874\,424\,831\,583\,960$
$\quad 346\,280\,589\,184\,204\,800\,\alpha^{8}\,+$

$116\,724\,553\,597\,643\,879\,078\,159\,740\,757\,434\,827\,373\,557\,248\,433\,335\,212\,255\,237\,753\,283\,951\,401\,271$
$\quad 613\,392\,280\,890\,572\,800\,\alpha^{9}\,+$

$135\,864\,109\,638\,614\,032\,296\,522\,632\,936\,648\,999\,927\,806\,190\,567\,542\,287\,803\,702\,681\,580\,331\,744\,880$
$\quad 538\,040\,080\,857\,186\,304\,\alpha^{10}\,+$

$140\,687\,074\,787\,924\,230\,094\,056\,378\,297\,208\,918\,741\,991\,429\,091\,808\,376\,230\,683\,632\,232\,694\,065\,197$
$\quad 657\,710\,683\,401\,738\,240\,\alpha^{11}\,+$

$130\,656\,273\,592\,601\,969\,782\,766\,314\,899\,254\,631\,257\,673\,265\,034\,806\,324\,724\,183\,951\,133\,077\,168\,848$
$\quad 847\,086\,444\,970\,042\,880\,\alpha^{12}\,+$

109 564 631 378 441 925 056 784 895 482 015 738 937 044 050 627 808 402 100 517 184 401 751 742 451 ⮌
092 410 356 473 864 704 α^{13} +

83 436 898 985 683 246 337 758 023 585 678 946 791 000 165 293 393 907 405 085 176 377 082 122 792 ⮌
049 958 240 669 627 008 α^{14} +

57 985 076 698 511 052 512 900 610 390 156 260 529 849 281 565 334 534 799 408 553 943 373 143 045 ⮌
060 136 321 819 912 256 α^{15} +

36 929 641 340 925 336 953 075 237 802 458 439 984 211 165 858 066 490 521 858 221 248 052 419 776 ⮌
119 725 061 843 766 944 α^{16} +

21 633 410 897 377 713 531 584 181 331 802 491 380 346 436 706 273 836 328 205 665 891 998 930 951 ⮌
015 315 071 728 123 600 α^{17} +

11 693 811 597 468 802 171 144 365 900 906 330 753 434 476 020 572 358 869 257 163 621 235 740 828 ⮌
217 987 898 823 173 416 α^{18} +

5 849 107 857 053 302 386 525 878 543 848 663 856 689 066 045 960 674 165 764 721 026 554 248 743 543 ⮌
100 584 874 763 188 α^{19} +

2 713 955 894 638 053 042 606 446 437 557 022 712 151 076 419 030 015 861 412 999 755 056 811 167 108 ⮌
862 430 938 270 792 α^{20} +

1 170 707 793 051 148 605 467 742 218 929 025 009 659 641 350 775 307 252 253 781 128 230 671 162 152 ⮌
137 983 889 982 445 α^{21} +

470 404 646 365 453 655 210 668 114 571 349 927 882 834 248 720 818 472 309 232 866 482 888 175 995 ⮌
778 360 770 739 385 α^{22} +

176 368 834 766 438 042 638 972 952 622 279 587 302 499 764 050 348 938 319 453 832 506 218 757 391 ⮌
737 789 255 909 504 α^{23} +

61 796 629 827 218 674 927 963 706 913 160 349 667 072 132 964 645 875 130 846 652 253 624 131 216 ⮌
623 011 265 062 162 α^{24} +

20 262 391 146 673 052 097 423 351 950 917 857 221 897 829 007 897 013 167 569 792 328 674 254 683 ⮌
102 231 552 036 353 α^{25} +

6 224 750 341 452 773 827 255 133 768 817 072 272 094 998 855 766 743 310 917 336 953 111 096 591 689 ⮌
080 709 346 881 α^{26} +

1 793 573 622 459 952 623 380 048 914 274 285 414 284 237 298 052 842 744 674 564 338 102 893 884 671 ⮌
454 769 432 490 α^{27} +

485 161 872 650 900 995 169 845 258 359 660 710 777 529 060 430 949 620 115 000 253 706 428 783 153 ⮌
595 292 329 920 α^{28} +

123 303 734 973 888 769 962 212 521 820 271 701 837 127 298 288 635 713 961 922 449 169 991 996 374 ⮌
083 647 640 234 α^{29} +

29 463 964 701 719 697 570 747 929 968 846 165 087 596 515 543 908 786 614 180 596 434 642 899 065 ⮌
145 352 152 546 α^{30} +

6 623 523 626 679 176 292 555 942 275 279 088 219 946 539 120 698 781 550 480 802 100 328 295 480 958 ⮌
555 927 144 α^{31} +

1 401 471 290 009 579 732 274 839 467 071 483 792 099 248 740 284 144 789 771 118 874 695 097 010 251 ⮌
813 849 004 α^{32} +

279 221 855 252 760 121 567 608 086 097 364 466 082 632 626 740 099 883 157 770 001 958 768 989 540 ⮌
464 660 266 α^{33} +

52 398 357 766 768 398 463 854 275 607 237 806 149 558 324 590 114 787 098 666 030 274 447 220 405 ⮌
894 576 658 α^{34} +

9 263 672 080 745 621 924 538 211 297 271 312 192 560 270 371 989 169 596 511 910 725 191 338 884 332 ⮌
509 632 α^{35} +

1 543 128 065 026 375 931 782 589 376 336 299 525 626 865 871 436 245 727 500 796 109 472 465 048 726 ⮌
479 376 α^{36} +

242 210 182 789 630 940 422 956 909 254 314 262 331 979 226 658 019 943 422 987 797 096 037 054 193 ⮌
843 049 α^{37} +

35 820 781 964 247 490 628 493 251 646 258 938 251 402 613 998 759 349 149 692 044 836 698 875 104 ⮌

$275\,957\,\alpha^{38}\,+$

$4\,990\,826\,920\,355\,939\,273\,221\,917\,723\,089\,919\,510\,603\,930\,513\,582\,900\,146\,679\,963\,989\,534\,607\,741\,261\,768\,\alpha^{39}\,+$

$654\,950\,576\,757\,483\,094\,538\,049\,570\,618\,447\,686\,639\,272\,563\,912\,210\,288\,831\,778\,009\,142\,290\,169\,546\,610\,\alpha^{40}\,+$

$80\,929\,544\,388\,038\,604\,305\,846\,044\,514\,696\,501\,338\,584\,236\,823\,040\,579\,159\,907\,971\,546\,401\,443\,145\,669\,\alpha^{41}\,+$

$9\,412\,194\,683\,034\,409\,042\,004\,318\,890\,684\,885\,856\,824\,192\,417\,163\,174\,454\,892\,734\,472\,084\,401\,836\,709\,\alpha^{42}\,+$

$1\,029\,768\,168\,449\,062\,024\,221\,426\,173\,352\,362\,030\,202\,445\,838\,276\,376\,177\,815\,161\,631\,255\,234\,810\,706\,\alpha^{43}\,+$

$105\,922\,137\,973\,569\,720\,320\,375\,215\,854\,615\,847\,984\,684\,090\,782\,591\,817\,548\,583\,263\,680\,729\,853\,720\,\alpha^{44}\,+$

$10\,235\,715\,409\,642\,848\,415\,270\,850\,922\,269\,694\,275\,286\,708\,907\,043\,263\,340\,373\,526\,742\,470\,060\,608\,\alpha^{45}\,+$

$928\,468\,762\,765\,267\,178\,652\,384\,458\,976\,575\,642\,949\,171\,305\,390\,789\,427\,380\,738\,501\,147\,800\,272\,\alpha^{46}\,+$

$78\,978\,912\,384\,225\,271\,036\,089\,194\,885\,282\,424\,845\,772\,390\,002\,830\,575\,544\,473\,470\,006\,833\,824\,\alpha^{47}\,+$

$6\,293\,111\,575\,793\,385\,217\,753\,645\,453\,388\,935\,793\,396\,412\,323\,190\,151\,222\,097\,929\,332\,225\,024\,\alpha^{48}\,+$

$469\,113\,794\,928\,281\,260\,665\,236\,794\,500\,722\,818\,140\,858\,041\,372\,348\,009\,605\,456\,654\,780\,416\,\alpha^{49}\,+$

$32\,667\,997\,119\,676\,145\,224\,376\,489\,978\,491\,634\,625\,540\,828\,496\,864\,515\,056\,413\,372\,416\,000\,\alpha^{50}\,+$

$2\,121\,717\,032\,246\,729\,001\,442\,017\,249\,160\,271\,522\,595\,547\,462\,788\,098\,161\,658\,452\,770\,816\,\alpha^{51}\,+$

$128\,282\,520\,267\,344\,480\,837\,544\,542\,899\,522\,134\,229\,160\,065\,738\,601\,905\,433\,061\,359\,616\,\alpha^{52}\,+$

$7\,205\,252\,101\,727\,120\,255\,414\,009\,126\,731\,353\,087\,345\,703\,388\,243\,673\,348\,786\,094\,080\,\alpha^{53}\,+$

$375\,055\,292\,108\,171\,987\,218\,413\,622\,172\,468\,644\,286\,869\,102\,937\,552\,697\,723\,715\,584\,\alpha^{54}\,+$

$18\,043\,669\,719\,500\,081\,665\,693\,998\,557\,407\,338\,132\,670\,501\,396\,875\,038\,542\,528\,512\,\alpha^{55}\,+$

$799\,812\,988\,454\,177\,711\,022\,627\,845\,078\,886\,739\,892\,090\,478\,048\,804\,580\,884\,480\,\alpha^{56}\,+$

$32\,548\,940\,788\,336\,878\,581\,776\,867\,303\,632\,497\,941\,099\,771\,230\,123\,800\,395\,776\,\alpha^{57}\,+$

$1\,211\,103\,179\,221\,275\,601\,526\,701\,824\,834\,007\,552\,269\,734\,626\,401\,296\,842\,752\,\alpha^{58}\,+$

$41\,005\,357\,703\,513\,107\,657\,149\,037\,313\,475\,878\,607\,435\,320\,558\,924\,857\,344\,\alpha^{59}\,+$

$1\,256\,244\,070\,924\,019\,417\,481\,535\,746\,714\,060\,516\,306\,001\,634\,732\,802\,048\,\alpha^{60}\,+$

$34\,592\,888\,194\,112\,057\,802\,631\,464\,455\,649\,723\,637\,984\,988\,271\,476\,736\,\alpha^{61}\,+$

$849\,381\,156\,017\,236\,138\,927\,724\,094\,760\,771\,313\,679\,805\,244\,768\,256\,\alpha^{62}\,+$

$18\,415\,369\,187\,596\,611\,293\,172\,454\,003\,904\,047\,599\,192\,574\,525\,440\,\alpha^{63}\,+$

$348\,293\,428\,881\,701\,344\,690\,591\,769\,794\,398\,328\,259\,679\,879\,168\,\alpha^{64}\,+$

$5\,658\,147\,124\,803\,384\,957\,597\,246\,059\,646\,635\,564\,769\,214\,464\,\alpha^{65}\,+$

$77\,361\,613\,674\,729\,588\,394\,696\,247\,351\,761\,125\,739\,855\,872\,\alpha^{66}\,+$

$865\,714\,072\,810\,947\,332\,895\,012\,339\,872\,467\,293\,044\,736\,\alpha^{67}\,+$

$7\,613\,757\,083\,242\,133\,339\,391\,191\,841\,933\,367\,443\,456\,\alpha^{68}\,+$

$49\,348\,516\,224\,723\,072\,565\,204\,400\,995\,093\,708\,800\,\alpha^{69}\,+$

$209\,579\,125\,479\,059\,089\,455\,976\,930\,502\,246\,400\,\alpha^{70}\,+$

$437\,502\,088\,527\,074\,815\,832\,949\,679\,718\,400\,\alpha^{71}\Big)\,S_{\alpha}^{12}\,+$

$\Big(-523\,299\,519\,302\,086\,706\,229\,216\,786\,980\,326\,676\,479\,049\,880\,573\,864\,640\,960\,756\,408\,473\,986\,935\,491\,133\,440\,000\,000\,000\,000\,-$

$7\,369\,191\,016\,311\,653\,200\,214\,764\,577\,423\,384\,288\,286\,507\,946\,199\,500\,222\,986\,649\,464\,276\,158\,450\,246\,457\,753\,600\,000\,000\,000\,000\,\alpha\,-$

$50\,848\,217\,937\,110\,993\,194\,510\,133\,800\,206\,053\,142\,707\,670\,699\,122\,807\,394\,167\,339\,881\,791\,694\,618\,968\,915\,443\,712\,000\,000\,000\,000\,\alpha^{2}\,-$

$229\,195\,707\,850\,766\,641\,274\,906\,622\,914\,092\,451\,630\,881\,410\,811\,748\,021\,545\,793\,380\,697\,596\,907\,980\,379\,986\,880\,102\,400\,000\,000\,000\,\alpha^{3}\,-$

$759\,121\,063\,434\,046\,337\,943\,390\,996\,082\,012\,244\,680\,222\,705\,916\,058\,141\,561\,062\,448\,357\,576\,340\,235\,834\,335\,850\,004\,480\,000\,000\,000\,\alpha^{4}\,-$

$1\,970\,431\,415\,121\,813\,861\,579\,212\,192\,259\,658\,366\,112\,905\,396\,524\,991\,035\,326\,275\,339\,105\,521\,538\,896\,909\,684\,957\,609\,984\,000\,000\,\alpha^5 -$

$4\,174\,705\,372\,333\,245\,975\,585\,325\,408\,403\,706\,184\,890\,119\,081\,017\,254\,143\,482\,887\,318\,409\,204\,332\,607\,975\,296\,620\,416\,204\,800\,000\,\alpha^6 -$

$7\,424\,636\,264\,334\,423\,318\,350\,129\,942\,606\,541\,391\,161\,636\,842\,713\,153\,394\,034\,215\,095\,984\,426\,528\,318\,977\,724\,022\,940\,794\,880\,000\,\alpha^7 -$

$11\,313\,491\,394\,695\,711\,941\,022\,865\,450\,165\,756\,636\,845\,403\,063\,497\,240\,498\,693\,933\,544\,916\,305\,224\,726\,346\,264\,617\,133\,821\,952\,000\,\alpha^8 -$

$15\,002\,312\,481\,355\,375\,699\,363\,758\,004\,253\,071\,229\,214\,684\,894\,271\,697\,185\,344\,842\,699\,321\,266\,664\,420\,978\,973\,941\,213\,502\,873\,600\,\alpha^9 -$

$17\,525\,861\,758\,400\,304\,542\,977\,659\,370\,153\,875\,629\,552\,071\,441\,290\,607\,260\,167\,695\,861\,393\,280\,655\,253\,387\,493\,386\,827\,869\,184\,000\,\alpha^{10} -$

$18\,215\,674\,692\,866\,862\,968\,555\,043\,745\,521\,085\,547\,670\,071\,527\,768\,879\,150\,421\,215\,691\,287\,199\,552\,822\,228\,409\,230\,290\,009\,509\,888\,\alpha^{11} -$

$16\,981\,492\,475\,901\,306\,179\,426\,434\,541\,984\,659\,448\,276\,909\,006\,061\,755\,568\,505\,426\,942\,110\,498\,176\,002\,533\,061\,532\,544\,025\,838\,592\,\alpha^{12} -$

$14\,295\,815\,111\,006\,747\,486\,263\,956\,970\,545\,720\,657\,815\,114\,300\,742\,188\,573\,518\,510\,793\,589\,186\,094\,928\,361\,670\,949\,124\,442\,174\,464\,\alpha^{13} -$

$10\,930\,207\,278\,950\,249\,395\,074\,757\,851\,953\,195\,402\,561\,971\,170\,298\,644\,251\,758\,406\,088\,422\,406\,308\,285\,610\,473\,821\,036\,063\,709\,184\,\alpha^{14} -$

$7\,627\,061\,739\,021\,827\,675\,963\,696\,433\,388\,394\,645\,273\,785\,927\,451\,514\,906\,451\,126\,949\,775\,078\,568\,214\,639\,799\,773\,480\,918\,845\,440\,\alpha^{15} -$

$4\,877\,826\,080\,752\,325\,426\,182\,658\,768\,514\,780\,207\,877\,664\,732\,452\,526\,918\,133\,094\,350\,487\,192\,000\,495\,272\,793\,546\,912\,078\,930\,944\,\alpha^{16} -$

$2\,869\,631\,725\,416\,974\,064\,103\,261\,467\,872\,353\,485\,200\,209\,664\,209\,430\,786\,430\,721\,062\,264\,899\,467\,277\,461\,886\,120\,311\,590\,565\,536\,\alpha^{17} -$

$1\,557\,927\,667\,387\,074\,669\,452\,963\,766\,391\,872\,582\,782\,498\,126\,387\,747\,576\,597\,940\,797\,216\,106\,178\,022\,406\,091\,072\,004\,710\,215\,072\,\alpha^{18} -$

$782\,728\,754\,874\,202\,167\,408\,998\,292\,596\,272\,982\,295\,242\,143\,681\,996\,588\,762\,626\,363\,337\,042\,298\,901\,006\,035\,640\,885\,966\,774\,192\,\alpha^{19} -$

$364\,834\,315\,992\,958\,132\,879\,399\,130\,136\,624\,581\,237\,019\,115\,773\,386\,708\,427\,894\,484\,338\,911\,128\,105\,631\,629\,720\,653\,460\,530\,900\,\alpha^{20} -$

$158\,107\,971\,036\,641\,110\,074\,880\,088\,174\,160\,583\,556\,581\,964\,685\,407\,609\,098\,449\,155\,068\,672\,828\,656\,052\,603\,152\,583\,809\,836\,984\,\alpha^{21} -$

$63\,830\,860\,088\,676\,543\,104\,227\,415\,141\,566\,045\,398\,508\,448\,625\,646\,080\,525\,100\,465\,293\,656\,607\,366\,313\,263\,342\,912\,617\,432\,296\,\alpha^{22} -$

$24\,047\,869\,646\,678\,292\,383\,357\,236\,139\,299\,914\,256\,624\,503\,853\,584\,805\,622\,687\,393\,013\,218\,909\,472\,232\,790\,874\,398\,876\,360\,960\,\alpha^{23} -$

$8\,467\,543\,101\,543\,435\,565\,760\,651\,112\,285\,934\,356\,619\,438\,006\,644\,449\,616\,204\,129\,825\,819\,025\,886\,142\,121\,723\,059\,261\,707\,076\,\alpha^{24} -$

$2\,790\,382\,476\,035\,578\,703\,535\,366\,888\,455\,193\,299\,680\,047\,131\,913\,857\,784\,493\,474\,947\,741\,861\,663\,909\,763\,929\,916\,387\,864\,760\,\alpha^{25} -$

$861\,625\,046\,332\,441\,383\,817\,213\,868\,337\,079\,266\,895\,494\,323\,143\,644\,015\,578\,075\,226\,832\,774\,099\,534\,811\,049\,447\,447\,075\,920\,\alpha^{26} -$

$249\,564\,156\,766\,720\,213\,198\,198\,527\,870\,345\,531\,388\,077\,126\,214\,407\,544\,574\,062\,951\,688\,989\,122\,467\,325\,569\,259\,635\,240\,384\,\alpha^{27} -$

$67\,867\,203\,252\,135\,488\,640\,137\,842\,261\,735\,154\,895\,413\,540\,329\,082\,585\,511\,454\,110\,590\,188\,980\,429\,662\,465\,048\,995\,205\,352\,\alpha^{28} -$

$17\,342\,186\,162\,283\,431\,771\,520\,582\,942\,887\,503\,304\,656\,859\,599\,334\,234\,814\,128\,020\,797\,797\,594\,737\,586\,872\,237\,444\,310\,000\,\alpha^{29} -$

$4\,166\,942\,762\,408\,180\,551\,019\,356\,360\,236\,615\,147\,165\,187\,333\,879\,842\,765\,632\,600\,473\,709\,925\,057\,142\,$

328 943 027 148 336 α^{30} −

942 017 502 379 836 366 392 139 137 952 392 658 327 337 705 249 938 189 616 488 849 079 418 344 288
928 080 857 313 088 α^{31} −

200 466 957 350 811 172 533 441 321 915 097 099 339 188 968 068 276 490 655 056 824 373 000 257 626
804 045 257 186 024 α^{32} −

40 173 741 201 579 123 243 637 168 175 026 453 962 155 953 976 141 891 617 436 020 863 383 234 598
705 328 647 334 992 α^{33} −

7 583 868 140 928 794 114 161 620 567 839 931 468 488 527 073 897 818 068 521 196 474 802 388 034 203
266 869 225 888 α^{34} −

1 348 909 590 220 941 508 206 178 387 108 951 811 441 165 131 470 268 300 898 635 006 293 548 124 155
715 469 851 504 α^{35} −

226 086 664 022 487 246 419 852 600 082 380 540 613 940 098 160 393 725 938 213 278 158 989 821 491
515 161 318 980 α^{36} −

35 709 667 770 270 683 473 459 080 644 641 623 098 165 370 872 274 375 175 474 791 140 672 165 056
129 619 325 528 α^{37} −

5 314 916 382 610 263 644 922 799 856 037 498 217 293 154 172 070 051 393 440 392 412 271 890 368 400
218 105 512 α^{38} −

745 332 000 189 429 125 873 372 770 485 039 457 500 911 350 722 808 030 779 408 807 583 254 661 846
397 276 480 α^{39} −

98 457 769 657 045 330 471 097 260 342 974 728 814 790 138 397 246 032 141 367 137 738 345 609 935
045 914 068 α^{40} −

12 247 895 917 709 686 199 582 742 616 272 224 701 125 460 799 172 616 735 867 016 762 611 030 040
130 041 432 α^{41} −

1 434 192 152 719 808 038 027 174 909 003 497 298 835 042 184 404 572 037 394 810 016 561 041 762 632
125 104 α^{42} −

158 003 779 289 528 371 428 737 152 407 107 946 129 220 154 127 037 103 122 591 206 258 342 751 153
180 064 α^{43} −

16 367 269 986 516 324 833 045 708 445 132 875 595 664 681 092 641 790 194 014 597 660 106 555 624
838 656 α^{44} −

1 593 013 784 316 451 085 160 847 062 480 833 690 901 158 617 373 753 951 116 057 086 542 421 189 186
560 α^{45} −

145 556 357 974 092 132 918 990 723 191 940 912 990 339 693 990 565 628 632 987 398 057 399 715 700 736
α^{46} −

12 473 511 021 314 367 143 335 973 300 148 686 943 968 055 315 425 389 921 497 617 800 595 565 756 416
α^{47} −

1 001 401 444 516 924 723 950 679 493 792 033 719 097 842 822 949 043 462 214 919 140 412 310 421 504
α^{48} −

75 220 832 359 706 407 910 019 319 009 237 348 164 551 456 521 464 287 268 801 033 561 178 112 000
α^{49} −

5 279 003 158 766 647 042 133 089 981 334 068 289 159 505 107 228 523 970 923 789 982 487 281 664 α^{50} −

345 572 433 523 674 894 262 730 319 577 230 477 497 660 379 570 967 131 171 078 939 265 204 224 α^{51} −

21 061 750 224 700 616 872 541 295 159 397 848 592 348 922 356 501 820 127 333 942 332 227 584 α^{52} −

1 192 628 073 323 599 756 194 465 841 516 963 341 845 614 114 072 235 548 044 618 255 826 944 α^{53} −

62 594 177 790 067 201 932 958 397 659 650 607 954 686 551 599 269 632 147 887 308 668 928 α^{54} −

3 036 691 109 743 409 781 847 332 922 959 763 875 278 830 723 200 738 114 228 040 237 056 α^{55} −

135 755 056 010 977 389 497 640 631 705 393 883 895 580 147 566 624 614 106 557 054 976 α^{56} −

5 572 516 001 237 624 948 322 967 778 067 257 997 623 951 763 119 695 685 469 863 936 α^{57} −

209 169 321 501 700 736 623 889 730 902 982 345 954 907 109 641 228 489 081 225 216 α^{58} −

7 145 221 327 059 739 224 082 541 168 537 175 111 493 170 931 586 762 201 366 528 α^{59} −

220 883 655 123 635 384 633 862 257 640 951 248 624 593 441 851 988 122 796 032 α^{60} −

6 138 290 867 714 614 147 275 172 607 982 950 540 208 990 425 073 041 014 784 α^{61} −

$152\,121\,756\,126\,405\,137\,703\,339\,400\,249\,671\,694\,919\,520\,822\,027\,616\,256\,000\,\alpha^{62}\,-$

$3\,329\,312\,456\,618\,635\,343\,388\,860\,127\,653\,959\,247\,388\,180\,427\,336\,318\,976\,\alpha^{63}\,-$

$63\,571\,511\,194\,486\,796\,994\,653\,289\,772\,238\,795\,850\,055\,174\,972\,243\,968\,\alpha^{64}\,-$

$1\,042\,779\,989\,582\,908\,481\,797\,324\,215\,663\,704\,757\,684\,479\,385\,927\,680\,\alpha^{65}\,-$

$14\,398\,047\,211\,288\,868\,046\,968\,690\,938\,025\,555\,608\,695\,727\,980\,544\,\alpha^{66}\,-$

$162\,731\,242\,659\,856\,838\,862\,444\,087\,485\,371\,503\,810\,392\,883\,200\,\alpha^{67}\,-$

$1\,445\,682\,693\,811\,595\,342\,040\,188\,603\,853\,528\,428\,491\,833\,344\,\alpha^{68}\,-$

$9\,466\,403\,561\,293\,507\,297\,515\,412\,292\,448\,425\,921\,740\,800\,\alpha^{69}\,-$

$40\,621\,473\,028\,005\,367\,582\,854\,504\,845\,248\,403\,865\,600\,\alpha^{70}\,-$

$85\,692\,853\,520\,993\,768\,727\,486\,335\,844\,719\,001\,600\,\alpha^{71}\big)\,S_\alpha^{10}\,+$

$\big(2\,759\,985\,437\,075\,395\,437\,766\,420\,987\,594\,023\,375\,562\,223\,120\,405\,497\,015\,047\,691\,775\,402\,549\,493\,204\,\backslash$
$830\,178\,508\,800\,000\,000\,000\,+$

$39\,017\,070\,717\,077\,028\,885\,921\,580\,071\,193\,186\,539\,057\,813\,870\,888\,304\,278\,996\,613\,545\,915\,254\,668\,\backslash$
$408\,285\,864\,919\,040\,000\,000\,000\,000\,\alpha\,+$

$270\,291\,593\,121\,940\,201\,558\,256\,989\,885\,065\,109\,695\,476\,557\,872\,389\,260\,768\,861\,694\,559\,119\,710\,297\,\backslash$
$102\,386\,299\,142\,144\,000\,000\,000\,000\,\alpha^2\,+$

$1\,223\,288\,657\,711\,447\,123\,592\,104\,804\,162\,652\,041\,577\,252\,502\,571\,956\,678\,881\,600\,659\,613\,543\,914\,089\,\backslash$
$998\,844\,727\,761\,305\,600\,000\,000\,000\,\alpha^3\,+$

$4\,068\,581\,617\,287\,333\,690\,838\,844\,765\,818\,743\,980\,930\,987\,220\,361\,550\,178\,798\,130\,714\,732\,211\,894\,383\,\backslash$
$266\,439\,327\,194\,808\,320\,000\,000\,\alpha^4\,+$

$10\,605\,882\,739\,295\,997\,373\,802\,444\,923\,225\,067\,911\,049\,941\,095\,270\,981\,004\,308\,372\,887\,626\,147\,982\,\backslash$
$478\,601\,649\,454\,864\,924\,672\,000\,000\,\alpha^5\,+$

$22\,568\,824\,774\,960\,767\,522\,293\,908\,136\,550\,614\,923\,898\,222\,193\,230\,955\,814\,132\,207\,692\,725\,035\,864\,\backslash$
$584\,055\,616\,753\,915\,186\,380\,800\,000\,\alpha^6\,+$

$40\,318\,106\,977\,765\,986\,049\,590\,419\,698\,527\,255\,755\,030\,056\,956\,350\,085\,184\,223\,645\,646\,636\,050\,053\,\backslash$
$323\,742\,518\,648\,931\,425\,976\,320\,000\,\alpha^7\,+$

$61\,717\,420\,084\,554\,029\,575\,649\,269\,825\,002\,068\,291\,773\,368\,764\,106\,972\,877\,652\,424\,744\,356\,744\,657\,\backslash$
$076\,612\,568\,943\,300\,538\,531\,840\,000\,\alpha^8\,+$

$82\,224\,246\,504\,599\,430\,292\,212\,391\,250\,747\,263\,646\,814\,092\,495\,809\,774\,635\,092\,854\,247\,205\,910\,787\,\backslash$
$177\,802\,965\,819\,012\,110\,771\,814\,400\,\alpha^9\,+$

$96\,515\,300\,628\,819\,885\,399\,076\,441\,784\,009\,235\,916\,219\,012\,084\,559\,700\,055\,510\,173\,440\,186\,133\,756\,\backslash$
$095\,558\,419\,979\,988\,737\,804\,206\,080\,\alpha^{10}\,+$

$100\,804\,919\,187\,424\,654\,890\,806\,388\,703\,980\,065\,577\,384\,170\,000\,962\,984\,608\,738\,678\,202\,208\,742\,611\,\backslash$
$950\,040\,698\,139\,829\,347\,868\,475\,392\,\alpha^{11}\,+$

$94\,444\,496\,875\,872\,341\,158\,065\,477\,360\,166\,398\,945\,384\,867\,257\,893\,543\,880\,237\,635\,172\,055\,816\,556\,\backslash$
$476\,332\,325\,231\,844\,916\,286\,455\,808\,\alpha^{12}\,+$

$79\,913\,247\,751\,970\,119\,947\,237\,606\,208\,092\,570\,672\,715\,630\,212\,923\,018\,862\,023\,590\,940\,609\,365\,304\,\backslash$
$082\,592\,050\,126\,700\,567\,793\,762\,304\,\alpha^{13}\,+$

$61\,417\,493\,970\,606\,332\,165\,730\,404\,658\,105\,266\,608\,887\,599\,997\,376\,731\,529\,804\,035\,474\,616\,259\,079\,\backslash$
$229\,147\,163\,052\,439\,070\,325\,080\,064\,\alpha^{14}\,+$

$43\,084\,357\,120\,682\,524\,638\,963\,382\,720\,630\,844\,780\,203\,712\,756\,201\,176\,771\,595\,934\,073\,378\,460\,197\,\backslash$
$633\,664\,125\,650\,589\,343\,873\,040\,384\,\alpha^{15}\,+$

$27\,703\,343\,959\,727\,369\,927\,246\,195\,051\,142\,038\,215\,201\,560\,505\,543\,891\,287\,436\,214\,901\,121\,608\,672\,\backslash$
$874\,260\,065\,134\,901\,925\,409\,259\,520\,\alpha^{16}\,+$

$16\,387\,793\,204\,713\,571\,290\,810\,096\,722\,352\,481\,391\,311\,447\,669\,852\,632\,849\,080\,654\,812\,252\,626\,233\,\backslash$
$651\,302\,597\,208\,935\,936\,953\,909\,248\,\alpha^{17}\,+$

$8\,946\,948\,813\,256\,822\,230\,153\,376\,855\,996\,839\,720\,864\,505\,532\,092\,947\,163\,143\,554\,088\,041\,441\,216\,968\,\backslash$
$711\,019\,687\,979\,206\,189\,309\,952\,\alpha^{18}\,+$

$4\,520\,820\,335\,135\,711\,674\,544\,368\,778\,317\,283\,671\,470\,910\,188\,091\,267\,050\,496\,698\,256\,973\,593\,727\,244\,\backslash$
$514\,222\,514\,758\,813\,342\,427\,136\,\alpha^{19}\,+$

$2\,119\,458\,372\,872\,904\,691\,571\,574\,638\,072\,693\,181\,058\,666\,696\,331\,856\,160\,441\,287\,354\,268\,149\,988\,443\,\backslash$

$940\,076\,816\,302\,011\,938\,095\,104\ \alpha^{20}\ +$

$923\,955\,776\,392\,459\,117\,894\,838\,871\,163\,542\,569\,278\,693\,309\,570\,937\,289\,492\,837\,773\,699\,929\,566\,122\,319\,981\,488\,040\,161\,102\,161\,920\ \alpha^{21}\ +$

$375\,267\,780\,331\,971\,044\,029\,896\,979\,264\,109\,270\,145\,733\,473\,998\,274\,917\,029\,923\,905\,206\,375\,646\,002\,151\,213\,965\,072\,994\,416\,050\,176\ \alpha^{22}\ +$

$142\,247\,713\,805\,144\,826\,236\,777\,732\,052\,763\,911\,644\,334\,784\,373\,887\,308\,230\,561\,768\,297\,438\,171\,373\,035\,749\,794\,345\,926\,520\,561\,664\ \alpha^{23}\ +$

$50\,399\,836\,459\,046\,376\,328\,815\,897\,026\,139\,024\,154\,455\,826\,560\,213\,933\,623\,924\,636\,366\,206\,346\,429\,431\,421\,597\,659\,271\,618\,220\,032\ \alpha^{24}\ +$

$16\,714\,114\,205\,453\,810\,508\,146\,340\,568\,778\,560\,470\,769\,074\,064\,972\,386\,423\,492\,288\,038\,599\,241\,746\,346\,366\,569\,014\,470\,670\,315\,520\ \alpha^{25}\ +$

$5\,194\,344\,136\,904\,782\,450\,097\,811\,280\,671\,853\,287\,822\,221\,335\,758\,122\,069\,819\,793\,991\,355\,238\,685\,159\,341\,130\,854\,427\,397\,066\,752\ \alpha^{26}\ +$

$1\,514\,370\,712\,096\,672\,873\,774\,999\,833\,049\,891\,132\,501\,635\,457\,476\,102\,215\,454\,727\,103\,418\,873\,830\,472\,120\,525\,897\,155\,119\,435\,776\ \alpha^{27}\ +$

$414\,564\,671\,064\,816\,082\,304\,768\,116\,641\,623\,935\,918\,809\,404\,710\,936\,963\,566\,009\,503\,260\,506\,522\,334\,260\,286\,225\,848\,254\,513\,152\ \alpha^{28}\ +$

$106\,650\,580\,078\,871\,912\,651\,280\,743\,025\,331\,870\,766\,793\,229\,720\,299\,876\,566\,493\,071\,786\,447\,830\,519\,475\,969\,435\,782\,187\,970\,560\ \alpha^{29}\ +$

$25\,801\,715\,370\,391\,052\,755\,488\,345\,213\,859\,151\,276\,719\,912\,736\,277\,600\,693\,424\,626\,224\,490\,137\,726\,185\,414\,318\,722\,129\,084\,416\ \alpha^{30}\ +$

$5\,873\,625\,182\,814\,031\,350\,528\,187\,953\,109\,307\,991\,529\,288\,944\,171\,026\,068\,044\,103\,180\,084\,388\,307\,753\,453\,122\,072\,503\,001\,088\ \alpha^{31}\ +$

$1\,258\,782\,579\,175\,973\,880\,209\,757\,377\,456\,067\,705\,792\,983\,027\,360\,724\,756\,929\,159\,252\,558\,749\,829\,503\,360\,125\,141\,985\,615\,872\ \alpha^{32}\ +$

$254\,071\,076\,140\,774\,333\,471\,724\,651\,689\,020\,685\,135\,881\,463\,129\,495\,990\,134\,117\,858\,829\,359\,916\,532\,543\,092\,527\,172\,386\,816\ \alpha^{33}\ +$

$48\,311\,775\,135\,998\,135\,912\,448\,176\,681\,391\,671\,088\,558\,948\,461\,016\,186\,570\,084\,669\,838\,713\,573\,486\,519\,213\,836\,701\,089\,792\ \alpha^{34}\ +$

$8\,656\,422\,903\,491\,043\,430\,372\,875\,005\,404\,372\,696\,762\,051\,883\,867\,254\,846\,738\,124\,217\,495\,420\,910\,921\,027\,448\,442\,513\,408\ \alpha^{35}\ +$

$1\,461\,732\,726\,078\,457\,340\,119\,854\,750\,253\,140\,591\,172\,527\,421\,402\,788\,050\,348\,473\,909\,718\,050\,217\,612\,900\,556\,947\,914\,752\ \alpha^{36}\ +$

$232\,626\,987\,494\,916\,180\,933\,570\,993\,489\,788\,694\,644\,570\,332\,263\,522\,070\,464\,313\,553\,161\,052\,595\,853\,798\,532\,024\,788\,992\ \alpha^{37}\ +$

$34\,889\,576\,416\,731\,504\,031\,817\,715\,319\,013\,079\,038\,858\,871\,783\,971\,012\,746\,764\,859\,382\,619\,774\,021\,259\,620\,877\,762\,560\ \alpha^{38}\ +$

$4\,930\,801\,874\,940\,669\,241\,334\,392\,819\,012\,616\,291\,053\,640\,047\,844\,162\,991\,274\,238\,665\,107\,702\,961\,504\,508\,948\,594\,688\ \alpha^{39}\ +$

$656\,492\,368\,353\,602\,508\,400\,597\,309\,518\,287\,381\,134\,635\,231\,569\,222\,418\,191\,825\,415\,075\,893\,220\,234\,405\,370\,155\,008\ \alpha^{40}\ +$

$82\,318\,277\,745\,908\,411\,759\,560\,686\,391\,461\,626\,280\,502\,551\,020\,189\,813\,067\,720\,568\,313\,638\,997\,866\,349\,766\,234\,112\ \alpha^{41}\ +$

$9\,717\,179\,685\,260\,511\,763\,694\,906\,883\,136\,624\,360\,431\,675\,304\,327\,231\,594\,579\,092\,609\,054\,010\,685\,859\,577\,942\,016\ \alpha^{42}\ +$

$1\,079\,297\,739\,377\,891\,514\,241\,532\,892\,970\,258\,639\,414\,470\,395\,351\,397\,362\,236\,659\,745\,107\,860\,363\,029\,320\,441\,856\ \alpha^{43}\ +$

$112\,728\,446\,056\,403\,693\,251\,787\,019\,903\,592\,238\,473\,662\,301\,536\,108\,617\,305\,855\,634\,529\,250\,648\,109\,992\,247\,296\ \alpha^{44}\ +$

$11\,063\,757\,324\,406\,891\,067\,032\,300\,844\,656\,390\,181\,744\,933\,790\,293\,366\,271\,665\,126\,212\,676\,085\,634\,854\,813\,696\ \alpha^{45}\ +$

1 019 488 268 853 331 986 054 969 175 662 385 059 780 685 775 220 080 626 204 272 725 176 910 071 488 053 248 α^{46} +

88 114 944 273 107 981 951 726 305 283 553 182 134 449 105 046 419 968 466 057 665 320 159 697 652 678 656 α^{47} +

7 135 435 196 040 049 451 998 921 645 231 139 277 908 191 753 450 576 119 768 565 527 649 439 197 429 760 α^{48} +

540 683 480 156 921 398 973 293 632 341 435 469 358 812 053 179 147 157 137 673 555 588 511 034 245 120 α^{49} +

38 281 648 090 816 191 272 763 739 459 873 981 237 979 836 879 687 495 749 278 115 041 187 446 390 784 α^{50} +

2 528 437 708 298 891 321 895 684 049 401 865 929 243 448 871 770 274 827 469 407 549 860 190 617 600 α^{51} +

155 497 172 373 103 757 359 740 716 769 502 222 972 195 447 429 092 841 526 966 124 045 297 254 400 α^{52} +

8 885 625 729 519 683 048 920 077 237 823 633 199 414 384 384 119 161 654 800 782 270 723 522 560 α^{53} +

470 664 688 331 775 307 010 612 659 273 160 224 740 818 036 581 491 842 806 116 097 902 772 224 α^{54} +

23 046 892 108 712 279 941 724 322 941 383 259 307 996 783 697 242 093 411 135 279 687 794 688 α^{55} +

1 040 017 995 610 090 957 265 921 263 585 527 859 045 460 716 780 125 350 533 285 709 611 008 α^{56} +

43 097 084 480 400 785 739 521 219 589 021 501 309 380 953 806 828 205 590 866 181 488 640 α^{57} +

1 633 219 372 802 997 245 510 403 081 647 971 244 632 167 562 098 489 255 544 821 383 168 α^{58} +

56 331 332 425 216 639 789 681 273 549 066 315 609 294 062 079 624 284 250 524 614 656 α^{59} +

1 758 422 107 513 190 441 006 074 724 592 150 887 824 781 459 777 881 056 758 202 368 α^{60} +

49 347 961 312 089 083 081 051 983 193 061 383 453 718 024 824 907 815 660 290 048 α^{61} +

1 235 127 555 213 313 637 533 035 109 716 838 951 884 096 400 931 550 436 261 888 α^{62} +

27 302 966 477 349 713 876 782 927 507 868 696 472 452 691 360 159 325 224 960 α^{63} +

526 608 920 624 766 100 420 988 456 718 223 069 181 303 626 535 589 117 952 α^{64} +

8 726 174 013 263 081 295 444 656 973 268 134 414 227 449 469 745 496 064 α^{65} +

121 723 627 042 311 333 625 915 640 706 483 348 374 681 533 735 239 680 α^{66} +

1 390 005 231 071 198 173 758 839 896 028 717 629 633 841 067 982 848 α^{67} +

12 477 461 582 766 463 782 213 588 389 358 240 759 065 994 067 968 α^{68} +

82 561 782 494 361 680 529 528 128 983 332 001 991 884 800 000 α^{69} +

358 032 924 776 885 584 551 429 251 237 797 971 571 507 200 α^{70} +

763 338 299 988 791 317 097 389 707 961 497 236 275 200 α^{71} $\Big)$ S_α^8 +

$\Big($ $-$ 2 994 937 256 864 974 386 997 995 224 423 393 946 278 934 539 135 501 288 983 959 701 014 503 824 052 970 909 492 838 400 000 000 000 $-$

42 594 368 557 750 753 309 722 464 563 333 726 090 135 406 813 539 688 263 727 435 093 890 746 998 571 762 968 344 657 920 000 000 000 000 α $-$

296 896 369 181 742 519 778 079 000 580 913 922 238 176 867 448 176 462 535 049 258 778 488 639 245 592 833 372 249 391 104 000 000 000 000 α^2 $-$

1 352 178 018 527 161 113 454 443 334 389 026 669 311 772 407 184 482 911 476 600 727 960 423 070 707 612 211 617 963 442 176 000 000 000 000 α^3 $-$

4 526 241 931 732 924 622 033 144 547 452 331 557 750 510 615 962 224 735 913 423 014 313 370 210 676 664 889 535 301 618 237 440 000 000 α^4 $-$

11 876 488 578 169 672 261 477 460 588 445 822 745 709 295 281 379 295 481 155 196 148 342 775 768 695 010 153 120 603 740 045 312 000 000 α^5 $-$

25 442 091 626 016 228 524 741 493 962 741 512 384 996 847 234 537 710 705 354 953 137 149 500 758 823 127 091 241 157 294 188 134 400 000 α^6 $-$

45 761 702 763 433 415 978 291 967 660 994 242 828 762 715 017 902 098 266 885 054 152 053 671 314 737 706 618 163 261 188 100 587 520 000 α^7 $-$

70 537 962 693 083 521 046 960 211 031 369 546 655 284 122 320 856 971 264 899 502 057 071 787 654 428 058 008 232 543 025 478 238 208 000 α^8 $-$

$94\,641\,682\,480\,552\,754\,568\,136\,022\,600\,133\,141\,934\,431\,404\,371\,090\,790\,378\,744\,861\,332\,543\,814\,611\,448\,149\,401\,667\,717\,081\,975\,907\,942\,400\ \alpha^9\ -$

$111\,892\,185\,854\,780\,710\,924\,748\,399\,286\,340\,022\,950\,172\,843\,584\,631\,469\,749\,429\,163\,226\,790\,334\,963\,314\,102\,062\,224\,824\,099\,455\,484\,559\,360\ \alpha^{10}\ -$

$117\,722\,456\,883\,538\,076\,600\,345\,614\,861\,302\,468\,775\,945\,172\,615\,594\,265\,633\,567\,122\,484\,411\,704\,661\,308\,572\,749\,732\,369\,569\,890\,047\,098\,880\ \alpha^{11}\ -$

$111\,117\,001\,221\,134\,081\,005\,604\,602\,883\,226\,125\,661\,605\,053\,190\,235\,487\,086\,707\,661\,773\,408\,414\,898\,208\,877\,979\,066\,080\,049\,042\,743\,623\,680\ \alpha^{12}\ -$

$94\,732\,815\,099\,493\,119\,614\,366\,352\,140\,292\,796\,790\,586\,146\,328\,893\,321\,298\,022\,483\,187\,184\,770\,372\,212\,783\,669\,480\,977\,482\,410\,622\,976\,000\ \alpha^{13}\ -$

$73\,367\,271\,186\,531\,948\,395\,329\,213\,172\,341\,832\,928\,804\,962\,758\,568\,037\,883\,220\,718\,799\,411\,135\,075\,123\,253\,465\,501\,384\,500\,892\,707\,848\,192\ \alpha^{14}\ -$

$51\,869\,080\,955\,661\,640\,089\,464\,567\,009\,116\,401\,744\,973\,599\,160\,418\,667\,864\,649\,969\,945\,124\,458\,288\,980\,936\,682\,917\,474\,412\,120\,567\,185\,408\ \alpha^{15}\ -$

$33\,616\,234\,631\,531\,255\,539\,800\,623\,202\,461\,460\,899\,279\,819\,392\,314\,470\,638\,394\,966\,749\,442\,213\,726\,784\,697\,914\,860\,672\,805\,366\,034\,071\,552\ \alpha^{16}\ -$

$20\,045\,355\,665\,760\,405\,420\,606\,897\,789\,107\,498\,115\,205\,013\,034\,774\,994\,148\,113\,531\,881\,263\,671\,401\,644\,304\,830\,066\,367\,015\,215\,529\,197\,568\ \alpha^{17}\ -$

$11\,032\,967\,478\,426\,135\,175\,708\,190\,882\,211\,538\,826\,922\,377\,819\,918\,329\,983\,363\,986\,404\,640\,197\,049\,675\,334\,021\,755\,453\,417\,744\,379\,150\,336\ \alpha^{18}\ -$

$5\,620\,896\,359\,438\,093\,013\,568\,628\,962\,175\,874\,471\,931\,740\,505\,986\,551\,324\,450\,079\,756\,886\,773\,043\,438\,179\,246\,162\,232\,272\,627\,807\,289\,344\ \alpha^{19}\ -$

$2\,657\,236\,299\,419\,244\,127\,635\,496\,762\,582\,986\,787\,891\,100\,856\,783\,679\,244\,990\,143\,578\,888\,639\,002\,070\,754\,571\,605\,767\,280\,538\,983\,071\,744\ \alpha^{20}\ -$

$1\,168\,203\,712\,474\,826\,918\,328\,011\,783\,612\,825\,617\,062\,036\,308\,594\,153\,962\,346\,683\,019\,792\,775\,631\,192\,905\,886\,362\,709\,102\,690\,404\,139\,008\ \alpha^{21}\ -$

$478\,536\,506\,864\,516\,927\,843\,031\,886\,962\,281\,710\,705\,361\,746\,502\,917\,197\,390\,977\,346\,680\,455\,963\,055\,243\,996\,415\,054\,022\,882\,777\,366\,528\ \alpha^{22}\ -$

$182\,965\,369\,249\,437\,113\,853\,664\,563\,163\,134\,202\,326\,894\,799\,636\,165\,618\,061\,487\,400\,454\,453\,915\,806\,162\,507\,239\,956\,623\,841\,856\,847\,872\ \alpha^{23}\ -$

$65\,395\,075\,059\,247\,496\,392\,481\,678\,705\,368\,589\,286\,802\,954\,123\,452\,473\,310\,680\,216\,524\,470\,562\,265\,117\,315\,986\,715\,068\,639\,660\,212\,224\ \alpha^{24}\ -$

$21\,879\,288\,542\,215\,316\,963\,707\,054\,928\,554\,490\,586\,662\,560\,321\,725\,074\,343\,648\,014\,585\,966\,869\,539\,214\,123\,359\,818\,304\,411\,223\,982\,080\ \alpha^{25}\ -$

$6\,860\,490\,149\,588\,965\,114\,651\,959\,629\,383\,143\,141\,086\,343\,265\,127\,775\,023\,790\,403\,535\,107\,519\,033\,439\,211\,901\,646\,860\,297\,100\,591\,104\ \alpha^{26}\ -$

$2\,018\,231\,457\,825\,066\,284\,267\,384\,390\,246\,718\,797\,979\,975\,917\,800\,524\,819\,714\,778\,216\,550\,767\,941\,100\,762\,563\,598\,559\,887\,435\,497\,472\ \alpha^{27}\ -$

$557\,550\,495\,956\,654\,858\,848\,298\,812\,688\,061\,528\,994\,625\,141\,648\,244\,366\,437\,479\,608\,170\,047\,305\,972\,294\,395\,983\,059\,321\,467\,961\,344\ \alpha^{28}\ -$

$144\,759\,187\,816\,891\,373\,014\,424\,797\,126\,052\,128\,031\,738\,824\,624\,454\,547\,093\,983\,319\,318\,185\,798\,667\,834\,029\,782\,167\,670\,064\,414\,720\ \alpha^{29}\ -$

$35\,347\,555\,112\,822\,043\,799\,468\,313\,412\,086\,783\,917\,172\,313\,863\,631\,742\,753\,414\,780\,994\,797\,028\,930\,582\,969\,155\,638\,717\,462\,347\,776\ \alpha^{30}\ -$

$8\,122\,333\,653\,822\,027\,653\,844\,560\,264\,479\,872\,966\,987\,757\,637\,075\,874\,581\,031\,934\,820\,629\,638\,515\,303\,658\,738\,244\,229\,639\,700\,480\ \alpha^{31}\ -$

$1\,757\,211\,534\,387\,227\,313\,396\,525\,469\,293\,732\,019\,861\,339\,040\,070\,129\,517\,120\,142\,408\,746\,260\,603\,932\,231\,521\,861\,023\,455\,772\,672\ \alpha^{32}\ -$

$358\,064\,454\,337\,600\,954\,671\,125\,605\,736\,142\,311\,696\,971\,024\,167\,657\,722\,036\,369\,482\,169\,873\,219\,124\,096\,661\,327\,234\,798\,190\,592\ \alpha^{33}\ -$

$68\,742\,381\,874\,215\,763\,758\,710\,783\,264\,498\,480\,169\,748\,432\,928\,995\,547\,121\,404\,540\,494\,413\,999\,793$

$481\,150\,751\,642\,076\,839\,936\,\alpha^{34}\,-$

$12\,436\,769\,140\,822\,364\,164\,256\,497\,345\,892\,012\,811\,736\,579\,376\,832\,555\,973\,397\,406\,284\,750\,446\,534$
$969\,104\,003\,412\,296\,990\,720\,\alpha^{35}\,-$

$2\,120\,633\,010\,973\,008\,040\,951\,751\,442\,648\,714\,632\,653\,866\,097\,769\,714\,770\,920\,391\,900\,702\,498\,371\,150$
$892\,045\,960\,405\,057\,536\,\alpha^{36}\,-$

$340\,812\,861\,525\,668\,762\,561\,068\,643\,778\,068\,551\,992\,686\,050\,414\,564\,738\,462\,348\,644\,206\,763\,106\,307$
$487\,832\,101\,946\,392\,576\,\alpha^{37}\,-$

$51\,622\,468\,943\,647\,083\,791\,182\,900\,034\,756\,216\,089\,850\,781\,937\,126\,383\,484\,101\,552\,437\,231\,579\,510$
$669\,615\,254\,154\,772\,480\,\alpha^{38}\,-$

$7\,368\,441\,731\,123\,465\,734\,455\,600\,370\,850\,725\,546\,665\,017\,279\,427\,106\,380\,801\,123\,308\,972\,868\,769\,369$
$570\,404\,953\,751\,552\,\alpha^{39}\,-$

$990\,899\,481\,355\,921\,216\,367\,564\,507\,714\,305\,189\,397\,953\,105\,171\,446\,016\,619\,318\,165\,095\,357\,438\,333$
$904\,688\,180\,625\,408\,\alpha^{40}\,-$

$125\,505\,790\,057\,897\,652\,434\,017\,039\,422\,067\,340\,865\,800\,359\,687\,441\,806\,530\,700\,383\,468\,204\,589\,884$
$369\,814\,195\,011\,584\,\alpha^{41}\,-$

$14\,965\,801\,780\,111\,392\,554\,294\,511\,709\,111\,074\,741\,078\,885\,278\,332\,671\,244\,410\,976\,189\,716\,518\,738$
$184\,465\,343\,840\,256\,\alpha^{42}\,-$

$1\,679\,256\,131\,303\,193\,048\,725\,900\,263\,680\,236\,145\,757\,732\,569\,200\,576\,173\,137\,294\,351\,321\,283\,492\,127$
$225\,883\,394\,048\,\alpha^{43}\,-$

$177\,193\,470\,127\,597\,014\,211\,436\,495\,440\,661\,891\,206\,976\,487\,491\,269\,678\,284\,369\,679\,368\,330\,300\,641$
$470\,402\,527\,232\,\alpha^{44}\,-$

$17\,570\,207\,638\,490\,052\,606\,463\,954\,177\,578\,386\,468\,437\,072\,269\,582\,224\,286\,800\,049\,795\,185\,226\,351$
$949\,712\,982\,016\,\alpha^{45}\,-$

$1\,635\,825\,707\,746\,116\,368\,572\,938\,598\,787\,957\,152\,813\,702\,116\,411\,414\,388\,492\,653\,184\,526\,555\,371\,063$
$803\,379\,712\,\alpha^{46}\,-$

$142\,857\,924\,414\,722\,346\,891\,409\,213\,668\,190\,960\,039\,714\,233\,841\,354\,806\,823\,311\,498\,900\,306\,857\,430$
$307\,831\,808\,\alpha^{47}\,-$

$11\,689\,436\,212\,701\,386\,910\,330\,797\,201\,089\,775\,977\,641\,056\,583\,543\,625\,360\,401\,968\,090\,357\,302\,219$
$132\,370\,944\,\alpha^{48}\,-$

$895\,059\,361\,477\,903\,488\,004\,913\,244\,051\,307\,102\,193\,756\,664\,549\,581\,640\,837\,734\,775\,769\,674\,921\,164$
$144\,640\,\alpha^{49}\,-$

$64\,039\,989\,304\,600\,216\,726\,020\,374\,239\,727\,790\,036\,264\,439\,780\,317\,097\,149\,792\,356\,763\,492\,793\,832$
$177\,664\,\alpha^{50}\,-$

$4\,274\,447\,183\,843\,654\,694\,844\,321\,292\,134\,748\,586\,841\,682\,874\,742\,563\,538\,368\,196\,943\,768\,501\,857\,812$
$480\,\alpha^{51}\,-$

$265\,663\,197\,192\,036\,782\,905\,762\,711\,699\,428\,952\,279\,311\,818\,543\,407\,341\,704\,227\,154\,311\,441\,733\,910\,528$
$\alpha^{52}\,-$

$15\,342\,325\,496\,677\,083\,753\,806\,537\,380\,148\,165\,969\,478\,774\,106\,427\,393\,503\,241\,768\,339\,933\,944\,086\,528$
$\alpha^{53}\,-$

$821\,336\,439\,637\,945\,118\,754\,722\,429\,915\,226\,193\,333\,575\,552\,898\,348\,759\,517\,343\,863\,445\,003\,436\,032$
$\alpha^{54}\,-$

$40\,647\,993\,687\,569\,796\,742\,149\,928\,455\,493\,343\,327\,371\,870\,917\,430\,237\,461\,170\,165\,339\,413\,020\,672$
$\alpha^{55}\,-$

$1\,853\,936\,252\,079\,832\,032\,038\,652\,865\,332\,419\,053\,040\,300\,674\,421\,231\,394\,095\,284\,695\,179\,722\,752\,\alpha^{56}\,-$

$77\,649\,366\,130\,146\,374\,871\,455\,575\,470\,213\,852\,819\,881\,268\,572\,652\,751\,549\,714\,488\,084\,135\,936\,\alpha^{57}\,-$

$2\,974\,256\,874\,083\,936\,286\,133\,903\,007\,492\,094\,605\,392\,544\,395\,809\,130\,419\,581\,540\,110\,434\,304\,\alpha^{58}\,-$

$103\,689\,484\,854\,032\,146\,723\,615\,917\,339\,757\,903\,665\,267\,229\,312\,107\,770\,302\,541\,189\,873\,664\,\alpha^{59}\,-$

$3\,271\,631\,322\,017\,324\,764\,324\,944\,401\,711\,694\,793\,708\,668\,610\,724\,242\,501\,963\,033\,346\,048\,\alpha^{60}\,-$

$92\,805\,076\,669\,119\,240\,468\,632\,925\,943\,400\,486\,659\,214\,537\,445\,047\,770\,974\,464\,770\,048\,\alpha^{61}\,-$

$2\,347\,898\,822\,347\,372\,557\,931\,409\,159\,129\,884\,992\,680\,905\,229\,830\,429\,476\,804\,100\,096\,\alpha^{62}\,-$

$52\,462\,042\,860\,083\,145\,470\,395\,260\,442\,636\,557\,847\,131\,823\,822\,241\,700\,983\,603\,200\,\alpha^{63}\,-$

$1\,022\,805\,641\,910\,077\,478\,391\,045\,142\,838\,933\,484\,750\,724\,230\,857\,107\,601\,096\,704\,\alpha^{64}\,-$

$17\,131\,645\,091\,461\,722\,769\,264\,636\,321\,610\,695\,813\,548\,403\,240\,626\,085\,167\,104\,\alpha^{65}\,-$

$241\,557\,292\,013\,613\,869\,922\,285\,326\,063\,159\,274\,497\,139\,772\,444\,244\,967\,424\,\alpha^{66}\,-$

$2\,788\,242\,662\,534\,544\,836\,623\,247\,458\,888\,261\,406\,062\,237\,311\,408\,537\,600\,\alpha^{67}\,-$

$25\,299\,216\,594\,998\,807\,420\,279\,304\,476\,911\,973\,262\,212\,335\,908\,421\,632\,\alpha^{68}\,-$

$169\,209\,003\,758\,736\,530\,901\,072\,041\,186\,923\,970\,407\,146\,140\,467\,200\,\alpha^{69}\,-$

$741\,697\,614\,676\,760\,616\,152\,402\,114\,421\,829\,529\,322\,179\,788\,800\,\alpha^{70}\,-$

$1\,598\,363\,211\,802\,454\,956\,689\,545\,078\,412\,316\,387\,364\,044\,800\,\alpha^{71}\Big)\,S_\alpha^6\,+$

$\Big(559\,422\,368\,321\,492\,757\,426\,438\,223\,368\,392\,807\,231\,847\,980\,216\,038\,949\,120\,252\,308\,069\,853\,146\,075\,$
$545\,373\,864\,938\,700\,800\,000\,000\,000\,+$

$8\,038\,265\,220\,202\,124\,728\,719\,898\,625\,376\,987\,142\,398\,197\,312\,358\,651\,698\,308\,437\,579\,968\,148\,030\,160\,$
$155\,917\,037\,569\,310\,720\,000\,000\,000\,\alpha\,+$

$56\,617\,235\,143\,876\,387\,274\,216\,329\,307\,554\,406\,137\,127\,798\,026\,880\,602\,414\,912\,524\,208\,330\,510\,206\,$
$137\,860\,572\,274\,023\,727\,104\,000\,000\,000\,\alpha^2\,+$

$260\,605\,978\,504\,251\,106\,633\,502\,549\,866\,129\,531\,234\,255\,634\,849\,085\,941\,174\,844\,557\,837\,502\,652\,825\,$
$867\,648\,311\,261\,129\,395\,404\,800\,000\,000\,\alpha^3\,+$

$881\,790\,934\,784\,171\,273\,501\,264\,563\,474\,636\,982\,236\,884\,281\,608\,443\,552\,471\,745\,043\,750\,195\,104\,734\,$
$255\,869\,780\,567\,852\,077\,547\,520\,000\,000\,\alpha^4\,+$

$2\,339\,168\,065\,795\,076\,489\,932\,711\,896\,942\,851\,332\,145\,013\,776\,582\,176\,538\,275\,940\,140\,673\,101\,966\,185\,$
$735\,019\,917\,562\,512\,440\,033\,280\,000\,000\,\alpha^5\,+$

$5\,066\,841\,633\,236\,413\,566\,228\,034\,016\,621\,411\,058\,865\,459\,602\,827\,650\,250\,362\,477\,521\,458\,320\,813\,856\,$
$109\,715\,505\,767\,613\,406\,275\,174\,400\,000\,\alpha^6\,+$

$9\,216\,392\,784\,115\,960\,270\,949\,249\,534\,970\,232\,371\,427\,590\,506\,131\,403\,209\,033\,869\,159\,003\,090\,174\,589\,$
$351\,557\,644\,109\,403\,247\,345\,664\,000\,000\,\alpha^7\,+$

$14\,368\,671\,359\,083\,619\,925\,697\,403\,628\,592\,763\,034\,465\,892\,974\,237\,383\,171\,370\,979\,315\,484\,037\,545\,$
$229\,060\,937\,755\,939\,741\,945\,204\,572\,160\,000\,\alpha^8\,+$

$19\,501\,550\,931\,562\,497\,270\,391\,278\,019\,454\,334\,262\,593\,362\,374\,337\,929\,067\,904\,885\,816\,296\,652\,577\,$
$786\,663\,841\,023\,844\,839\,722\,507\,357\,388\,800\,\alpha^9\,+$

$23\,325\,718\,714\,580\,548\,649\,240\,100\,353\,351\,530\,907\,889\,824\,347\,046\,295\,562\,832\,423\,707\,890\,874\,756\,$
$514\,127\,278\,574\,084\,174\,651\,587\,265\,822\,720\,\alpha^{10}\,+$

$24\,831\,115\,251\,005\,518\,822\,404\,771\,263\,442\,309\,790\,983\,573\,824\,550\,862\,296\,378\,068\,680\,869\,942\,461\,$
$196\,095\,326\,122\,827\,965\,542\,161\,933\,402\,112\,\alpha^{11}\,+$

$23\,717\,537\,139\,412\,769\,375\,379\,150\,043\,842\,458\,095\,331\,081\,228\,882\,170\,605\,302\,094\,533\,991\,981\,701\,$
$945\,495\,350\,587\,497\,206\,302\,627\,694\,903\,296\,\alpha^{12}\,+$

$20\,463\,961\,574\,638\,580\,383\,272\,543\,349\,467\,832\,884\,176\,076\,706\,921\,163\,047\,087\,224\,913\,545\,150\,450\,$
$538\,046\,029\,735\,792\,496\,010\,034\,245\,795\,840\,\alpha^{13}\,+$

$16\,041\,218\,117\,722\,724\,108\,458\,177\,700\,664\,862\,834\,696\,305\,243\,246\,020\,997\,212\,414\,683\,441\,942\,499\,$
$278\,449\,474\,662\,050\,504\,381\,767\,629\,144\,064\,\alpha^{14}\,+$

$11\,479\,745\,582\,283\,891\,007\,951\,194\,286\,531\,866\,797\,525\,766\,129\,825\,860\,293\,534\,885\,772\,893\,051\,690\,$
$847\,558\,797\,112\,467\,419\,184\,689\,510\,875\,136\,\alpha^{15}\,+$

$7\,531\,856\,737\,729\,693\,061\,064\,349\,932\,425\,919\,445\,530\,300\,521\,094\,879\,842\,608\,246\,484\,485\,059\,333\,569\,$
$426\,359\,787\,661\,080\,907\,396\,396\,613\,632\,\alpha^{16}\,+$

$4\,547\,095\,771\,274\,440\,576\,362\,711\,070\,509\,470\,722\,628\,602\,639\,295\,036\,267\,861\,585\,856\,002\,067\,519\,974\,$
$533\,694\,042\,890\,428\,279\,054\,397\,341\,696\,\alpha^{17}\,+$

$2\,534\,052\,759\,112\,754\,571\,851\,607\,960\,061\,616\,173\,663\,817\,924\,091\,645\,093\,752\,127\,693\,773\,826\,971\,407\,$
$158\,663\,761\,559\,892\,181\,139\,748\,552\,704\,\alpha^{18}\,+$

$1\,307\,269\,334\,363\,557\,586\,714\,625\,031\,062\,227\,647\,139\,246\,305\,291\,981\,286\,111\,187\,315\,616\,542\,641\,868\,$
$475\,859\,835\,326\,696\,518\,042\,565\,738\,496\,\alpha^{19}\,+$

$625\,830\,393\,924\,975\,654\,548\,686\,306\,521\,544\,707\,637\,972\,077\,117\,796\,556\,591\,302\,959\,768\,125\,286\,382\,$
$699\,788\,316\,358\,826\,898\,850\,507\,128\,832\,\alpha^{20}\,+$

$278\,638\,069\,294\,344\,939\,540\,261\,238\,406\,889\,051\,651\,830\,682\,610\,453\,556\,771\,063\,815\,670\,815\,486\,329\,$

$332\,523\,198\,215\,721\,482\,821\,235\,113\,984\,\alpha^{21}\,+$

$115\,600\,151\,630\,061\,392\,508\,590\,645\,332\,298\,538\,825\,114\,037\,604\,424\,343\,963\,068\,461\,739\,665\,424\,257\,053\,874\,558\,734\,889\,046\,266\,532\,069\,376\,\alpha^{22}\,+$

$44\,766\,941\,157\,092\,321\,971\,011\,302\,556\,258\,283\,343\,207\,749\,422\,805\,358\,929\,842\,123\,219\,048\,204\,477\,988\,738\,273\,002\,173\,469\,364\,670\,431\,232\,\alpha^{23}\,+$

$16\,206\,909\,380\,798\,228\,755\,179\,176\,840\,571\,064\,211\,374\,254\,306\,050\,450\,878\,347\,059\,459\,619\,990\,458\,725\,401\,120\,957\,394\,512\,584\,980\,299\,776\,\alpha^{24}\,+$

$5\,492\,551\,910\,064\,438\,105\,732\,159\,017\,280\,628\,475\,884\,531\,027\,801\,625\,463\,028\,984\,617\,034\,027\,221\,540\,527\,312\,198\,064\,805\,077\,007\,204\,352\,\alpha^{25}\,+$

$1\,744\,612\,085\,977\,564\,069\,754\,688\,084\,301\,040\,005\,978\,379\,109\,254\,924\,815\,212\,602\,916\,256\,712\,767\,789\,822\,269\,056\,647\,406\,702\,068\,498\,432\,\alpha^{26}\,+$

$519\,914\,830\,923\,952\,902\,118\,358\,068\,762\,941\,015\,727\,470\,134\,818\,072\,594\,921\,278\,328\,509\,008\,169\,915\,959\,061\,316\,555\,097\,133\,186\,809\,856\,\alpha^{27}\,+$

$145\,504\,199\,464\,792\,268\,566\,367\,057\,210\,470\,337\,534\,035\,393\,808\,022\,667\,272\,030\,289\,186\,192\,349\,756\,044\,641\,292\,306\,867\,392\,536\,903\,680\,\alpha^{28}\,+$

$38\,271\,721\,891\,179\,984\,657\,502\,596\,126\,418\,103\,606\,337\,917\,875\,774\,054\,955\,315\,673\,991\,956\,331\,263\,012\,890\,230\,196\,305\,081\,357\,303\,808\,\alpha^{29}\,+$

$9\,467\,605\,530\,019\,321\,507\,564\,515\,957\,097\,846\,098\,035\,792\,892\,528\,695\,697\,811\,331\,115\,666\,041\,069\,036\,914\,371\,802\,302\,629\,283\,889\,152\,\alpha^{30}\,+$

$2\,204\,026\,572\,696\,777\,986\,606\,949\,438\,771\,840\,886\,956\,842\,824\,927\,133\,413\,298\,969\,618\,282\,660\,577\,094\,640\,333\,230\,567\,470\,852\,472\,832\,\alpha^{31}\,+$

$483\,080\,576\,779\,582\,588\,679\,419\,858\,020\,450\,932\,385\,703\,310\,660\,140\,239\,754\,525\,043\,221\,850\,921\,693\,128\,584\,669\,605\,432\,014\,143\,488\,\alpha^{32}\,+$

$99\,728\,342\,965\,177\,249\,316\,935\,850\,091\,755\,776\,380\,625\,611\,673\,083\,595\,540\,198\,308\,208\,219\,768\,314\,022\,484\,578\,529\,428\,723\,728\,384\,\alpha^{33}\,+$

$19\,397\,431\,712\,465\,669\,418\,786\,418\,342\,886\,116\,785\,165\,433\,357\,718\,572\,999\,486\,292\,444\,527\,387\,757\,328\,580\,148\,111\,397\,806\,407\,680\,\alpha^{34}\,+$

$3\,555\,396\,171\,791\,699\,851\,233\,214\,966\,651\,854\,773\,020\,906\,137\,534\,650\,892\,661\,840\,959\,341\,383\,218\,500\,843\,131\,986\,863\,236\,055\,040\,\alpha^{35}\,+$

$614\,190\,900\,679\,368\,096\,014\,162\,033\,739\,791\,114\,241\,845\,354\,070\,225\,348\,066\,507\,076\,676\,461\,578\,251\,336\,773\,968\,546\,288\,893\,952\,\alpha^{36}\,+$

$100\,001\,409\,753\,927\,531\,458\,188\,408\,432\,498\,700\,012\,599\,382\,984\,187\,809\,208\,178\,267\,439\,333\,481\,631\,156\,140\,770\,960\,791\,830\,528\,\alpha^{37}\,+$

$15\,345\,261\,499\,153\,225\,083\,076\,603\,222\,778\,532\,644\,115\,141\,974\,600\,624\,417\,066\,605\,594\,980\,126\,644\,607\,436\,389\,493\,879\,341\,056\,\alpha^{38}\,+$

$2\,218\,952\,051\,644\,276\,070\,641\,496\,940\,954\,363\,049\,967\,364\,769\,904\,598\,320\,608\,547\,639\,253\,204\,186\,152\,710\,955\,207\,099\,416\,576\,\alpha^{39}\,+$

$302\,293\,142\,936\,421\,256\,211\,930\,962\,081\,580\,598\,439\,935\,156\,774\,788\,503\,842\,649\,834\,036\,560\,457\,925\,149\,952\,073\,193\,750\,528\,\alpha^{40}\,+$

$38\,786\,173\,852\,713\,237\,026\,783\,495\,752\,455\,051\,817\,688\,035\,045\,497\,285\,383\,287\,430\,396\,230\,676\,263\,389\,451\,356\,269\,969\,408\,\alpha^{41}\,+$

$4\,685\,048\,699\,459\,645\,233\,962\,815\,688\,112\,177\,348\,227\,146\,520\,518\,759\,783\,450\,216\,105\,078\,429\,101\,412\,822\,145\,289\,945\,088\,\alpha^{42}\,+$

$532\,496\,696\,017\,353\,437\,359\,002\,811\,759\,944\,873\,935\,881\,841\,052\,285\,759\,465\,050\,710\,136\,636\,985\,400\,870\,302\,855\,987\,200\,\alpha^{43}\,+$

$56\,913\,716\,663\,055\,615\,282\,051\,956\,700\,063\,410\,799\,358\,962\,079\,233\,837\,486\,146\,257\,548\,419\,328\,304\,722\,209\,224\,523\,776\,\alpha^{44}\,+$

$5\,716\,067\,260\,292\,942\,031\,761\,581\,447\,811\,924\,857\,130\,287\,830\,830\,916\,902\,664\,654\,216\,977\,952\,935\,301\,216\,970\,211\,328\,\alpha^{45}\,+$

$539\,000\,530\,262\,085\,381\,062\,994\,184\,047\,952\,637\,615\,943\,089\,303\,133\,911\,157\,271\,277\,564\,352\,514\,122\,924\,018\,368\,512\,\alpha^{46}\,+$

47 672 439 353 460 825 305 115 243 845 634 785 651 727 973 963 751 966 985 798 064 612 725 114 145 589 373 698 048 α^{47} +

3 950 438 419 183 292 573 017 802 242 883 828 319 571 083 228 797 377 769 650 394 779 302 016 256 695 980 785 664 α^{48} +

306 315 369 764 503 955 643 644 530 153 509 537 367 734 857 030 569 585 659 087 568 117 920 620 456 141 914 112 α^{49} +

22 192 626 217 795 351 867 003 506 495 154 248 246 836 276 513 484 633 574 347 952 974 671 073 502 715 445 248 α^{50} +

1 499 864 330 443 961 230 588 148 403 421 453 328 368 398 348 083 034 463 426 032 892 429 576 551 190 757 376 α^{51} +

94 382 375 472 147 140 197 969 576 000 618 786 894 299 852 061 717 556 760 912 739 443 804 148 686 913 536 α^{52} +

5 518 359 387 060 224 399 006 565 068 105 179 792 058 240 099 054 836 600 529 244 849 868 358 597 738 496 α^{53} +

299 067 949 531 160 245 753 284 176 231 435 540 095 765 180 849 858 744 957 061 344 585 347 105 816 576 α^{54} +

14 982 613 119 943 454 530 430 877 792 550 740 226 980 500 135 201 348 330 060 480 352 075 953 209 344 α^{55} +

691 690 156 196 569 320 646 606 645 306 372 748 553 642 562 292 026 844 440 614 312 946 996 084 736 α^{56} +

29 321 810 435 738 667 415 751 837 113 650 695 114 125 357 051 101 134 206 780 584 866 030 288 896 α^{57} +

1 136 669 517 003 671 009 202 768 646 637 123 110 432 019 651 178 653 286 612 704 862 310 236 160 α^{58} +

40 101 374 097 171 882 062 136 182 049 205 432 414 473 484 395 469 017 163 811 043 669 966 848 α^{59} +

1 280 332 527 327 157 203 213 013 191 953 798 348 646 393 725 695 640 031 541 825 435 074 560 α^{60} +

36 747 544 515 715 721 282 115 913 535 607 828 152 019 524 438 612 912 901 621 681 225 728 α^{61} +

940 584 156 852 552 419 814 751 248 168 973 980 149 789 606 562 958 069 499 749 728 256 α^{62} +

21 261 209 372 242 520 764 528 539 489 945 200 410 268 476 312 195 812 944 655 679 488 α^{63} +

419 297 691 157 897 979 138 754 421 833 677 038 499 541 581 928 049 992 603 271 168 α^{64} +

7 103 566 732 653 142 057 157 385 422 075 018 145 225 884 268 171 075 245 834 240 α^{65} +

101 299 294 200 764 219 456 800 987 569 971 309 723 511 469 579 991 122 968 576 α^{66} +

1 182 458 624 364 216 006 009 184 790 545 257 039 538 332 622 553 681 494 016 α^{67} +

10 849 039 061 470 617 155 644 530 301 047 918 678 210 684 125 368 549 376 α^{68} +

73 366 138 596 677 505 315 685 898 390 458 439 606 453 330 667 110 400 α^{69} +

325 121 555 636 022 739 377 118 529 792 893 278 614 964 299 366 400 α^{70} +

708 270 719 505 845 849 417 203 674 955 342 083 655 100 006 400 $\alpha^{71}\big)$ S_α^4 +

$\big($ − 21 395 571 696 498 969 824 644 912 755 026 747 309 842 616 097 531 876 571 550 989 831 985 122 769 522 348 366 840 935 219 200 000 000 000 −

314 461 805 057 596 800 398 970 258 403 963 704 080 736 100 794 817 052 424 959 619 367 641 567 858 998 898 774 567 498 547 200 000 000 000 α −

2 265 780 682 301 463 443 962 434 416 966 738 749 218 824 020 575 684 710 484 948 864 602 709 353 166 776 786 336 537 710 166 016 000 000 000 α^2 −

10 669 672 771 395 473 514 484 794 213 815 070 679 905 412 683 042 372 081 642 635 663 601 616 957 771 063 898 227 615 046 880 460 800 000 000 α^3 −

36 936 499 589 103 668 504 537 347 639 043 004 552 190 286 641 551 193 115 883 982 351 646 886 293 905 796 386 747 916 620 671 221 760 000 000 α^4 −

100 251 998 612 611 854 813 618 585 423 960 260 998 732 617 317 221 811 299 848 617 271 576 966 485 499 819 447 716 055 666 137 235 456 000 000 α^5 −

222 188 258 577 640 772 354 238 434 789 619 590 458 369 533 456 998 333 860 580 347 785 297 397 844 542 390 430 764 542 832 915 198 771 200 000 α^6 −

413 523 661 134 662 519 019 982 705 001 992 371 416 048 920 981 917 261 235 125 662 679 280 735 100

199 852 363 428 071 984 640 997 457 920 000 α^7 −

659 641 754 136 046 407 002 962 315 063 507 944 997 848 381 685 280 343 947 369 770 190 249 013 193
653 765 054 436 949 760 514 071 724 032 000 α^8 −

916 015 203 833 881 715 275 001 113 569 212 312 158 589 518 926 246 054 899 023 941 877 457 984 351
299 863 107 047 363 706 163 518 924 390 400 α^9 −

1 120 970 165 304 659 831 463 399 797 590 467 506 949 527 860 276 201 444 686 566 330 774 150 284 569
745 771 985 077 446 726 522 172 153 528 320 α^{10} −

1 220 838 204 751 751 070 187 234 487 496 051 814 138 166 688 443 141 336 034 566 092 982 590 694 758
038 586 943 655 772 789 103 509 320 499 200 α^{11} −

1 192 905 064 350 316 423 975 468 151 084 552 611 308 191 618 666 643 935 656 047 923 031 196 857 308
265 675 868 847 865 408 149 616 718 774 272 α^{12} −

1 052 849 724 137 802 249 053 972 238 630 830 102 555 493 820 513 649 526 728 927 211 908 273 342 928
954 223 311 055 242 111 475 471 368 585 216 α^{13} −

844 141 170 177 749 323 861 894 644 505 774 310 121 892 427 450 071 384 397 130 073 965 208 956 399
363 464 235 798 529 726 968 711 849 443 328 α^{14} −

617 826 752 796 292 055 559 936 914 835 521 820 739 821 707 211 971 691 258 443 117 060 142 490 224
480 849 191 416 809 026 096 881 540 792 320 α^{15} −

414 518 656 856 721 912 788 685 223 205 453 321 434 938 487 365 086 146 310 926 136 950 571 192 259
057 412 308 216 005 648 981 964 707 856 384 α^{16} −

255 876 310 153 248 861 610 801 011 550 420 545 040 721 688 496 219 997 023 673 886 664 702 708 895
087 629 043 792 300 277 686 288 429 088 768 α^{17} −

145 783 266 301 021 861 148 854 014 521 382 476 897 205 606 510 470 165 107 599 674 209 023 799 511
870 498 043 393 591 716 913 247 860 817 920 α^{18} −

76 876 079 462 564 692 828 780 099 497 943 058 971 901 139 161 858 317 983 011 132 941 966 306 435
016 056 022 455 667 103 001 036 399 312 896 α^{19} −

37 614 149 199 067 866 612 619 676 906 492 934 086 972 440 693 154 405 048 816 797 753 249 298 002
684 692 372 843 932 033 512 875 692 654 592 α^{20} −

17 113 319 218 235 351 950 749 479 863 187 088 184 034 922 475 297 524 054 964 333 215 131 054 826
374 488 919 500 008 102 365 156 345 905 152 α^{21} −

7 254 021 999 140 479 360 395 420 054 762 064 412 854 071 714 005 881 900 200 835 823 698 569 541 733
973 550 823 143 774 379 888 458 334 208 α^{22} −

2 869 649 926 865 325 250 644 330 347 278 414 813 177 035 862 389 322 839 839 008 258 601 502 554 907
201 395 047 686 191 572 477 525 622 784 α^{23} −

1 061 070 480 168 005 676 005 549 411 072 555 079 175 245 203 031 336 627 935 386 053 100 248 593 194
789 881 240 973 169 089 235 241 664 512 α^{24} −

367 205 822 395 901 377 924 645 906 990 497 712 394 682 851 102 030 750 117 604 662 957 806 293 178
965 006 181 983 426 902 737 022 877 696 α^{25} −

119 080 868 359 634 640 919 482 274 155 738 681 421 872 335 348 130 737 792 064 123 490 144 950 326
483 785 263 116 979 205 034 829 938 688 α^{26} −

36 224 062 040 440 682 203 534 066 527 773 519 291 403 291 817 519 199 490 987 831 011 434 477 469
205 375 714 048 846 503 453 046 865 920 α^{27} −

10 346 043 876 523 119 601 601 634 130 210 930 358 180 950 249 232 683 669 605 155 830 727 497 614
071 060 396 862 205 451 738 063 831 040 α^{28} −

2 776 647 532 584 954 172 544 380 088 569 193 424 581 060 422 600 312 827 081 482 980 940 230 653 019
704 464 234 298 548 125 698 097 152 α^{29} −

700 705 074 934 144 057 136 204 026 158 373 078 435 739 614 466 010 270 019 135 241 420 953 561 051
905 700 972 754 321 941 104 427 008 α^{30} −

166 368 508 925 837 800 985 256 197 591 261 588 829 326 097 093 448 329 762 593 222 343 610 350 219
646 218 279 371 855 102 019 108 864 α^{31} −

37 182 492 404 496 325 000 466 481 195 516 350 774 231 630 676 572 252 655 363 897 425 096 149 044
184 706 156 524 814 677 642 838 016 α^{32} −

$\alpha^{58}-$

$4\,791\,780\,048\,247\,611\,473\,528\,819\,599\,988\,380\,504\,875\,949\,950\,329\,651\,528\,855\,694\,733\,322\,747\,904\,\alpha^{59}-$

$155\,013\,391\,774\,336\,616\,205\,796\,862\,278\,207\,672\,798\,585\,017\,847\,133\,058\,416\,161\,045\,446\,918\,144\,\alpha^{60}-$

$4\,507\,047\,530\,258\,102\,511\,161\,730\,278\,325\,140\,647\,186\,228\,118\,217\,028\,503\,404\,941\,922\,009\,088\,\alpha^{61}-$

$116\,839\,132\,204\,290\,313\,746\,829\,912\,539\,762\,225\,123\,882\,272\,128\,975\,773\,334\,962\,331\,189\,248\,\alpha^{62}-$

$2\,674\,335\,552\,008\,563\,562\,532\,423\,015\,761\,726\,879\,009\,750\,614\,073\,255\,863\,097\,720\,045\,568\,\alpha^{63}-$

$53\,394\,811\,402\,782\,389\,371\,106\,716\,077\,222\,240\,343\,729\,858\,773\,392\,512\,427\,344\,527\,360\,\alpha^{64}-$

$915\,617\,457\,312\,910\,457\,247\,589\,140\,911\,742\,206\,199\,573\,037\,575\,048\,563\,490\,029\,568\,\alpha^{65}-$

$13\,213\,515\,808\,466\,901\,504\,075\,334\,574\,501\,219\,168\,970\,775\,906\,538\,658\,415\,509\,504\,\alpha^{66}-$

$156\,058\,222\,036\,800\,561\,285\,268\,739\,116\,590\,836\,187\,146\,289\,083\,998\,588\,108\,800\,\alpha^{67}-$

$1\,448\,425\,253\,655\,913\,820\,438\,179\,098\,270\,064\,516\,735\,771\,026\,680\,262\,426\,624\,\alpha^{68}-$

$9\,906\,517\,273\,439\,073\,632\,943\,003\,602\,026\,836\,709\,603\,778\,486\,914\,252\,800\,\alpha^{69}-$

$44\,392\,445\,886\,577\,462\,947\,748\,756\,274\,495\,771\,482\,317\,615\,896\,985\,600\,\alpha^{70}-$

$97\,773\,026\,415\,808\,146\,191\,848\,122\,055\,052\,434\,634\,224\,277\,913\,600\,\alpha^{71}\Big)\,S_\alpha^2+$

$\Big(34\,144\,266\,955\,936\,391\,358\,147\,843\,276\,035\,782\,679\,868\,791\,535\,949\,997\,992\,235\,938\,216\,726\,157\,629\,061\,$
$933\,245\,220\,782\,080\,000\,000\,000\,000\,000+$

$553\,784\,886\,324\,149\,726\,496\,265\,355\,719\,657\,942\,688\,933\,880\,062\,345\,461\,360\,574\,792\,591\,577\,258\,775\,$
$280\,402\,267\,457\,454\,080\,000\,000\,000\,000\,000\,\alpha+$

$4\,387\,012\,803\,667\,442\,736\,856\,741\,118\,954\,541\,340\,268\,789\,926\,195\,057\,385\,811\,207\,388\,908\,009\,460\,129\,$
$317\,279\,071\,719\,548\,518\,400\,000\,000\,000\,000\,\alpha^2+$

$22\,633\,302\,169\,207\,906\,758\,729\,769\,614\,207\,440\,019\,970\,917\,339\,649\,543\,518\,014\,268\,964\,385\,084\,482\,$
$978\,018\,266\,213\,043\,320\,913\,920\,000\,000\,000\,\alpha^3+$

$85\,552\,418\,429\,795\,074\,570\,912\,204\,697\,807\,912\,075\,833\,738\,022\,506\,963\,067\,588\,647\,832\,440\,638\,253\,$
$163\,691\,497\,101\,190\,416\,564\,224\,000\,000\,000\,\alpha^4+$

$252\,723\,747\,374\,547\,462\,371\,745\,024\,250\,766\,392\,368\,759\,215\,939\,272\,101\,682\,182\,115\,531\,704\,763\,268\,$
$392\,152\,169\,027\,184\,240\,256\,614\,400\,000\,000\,\alpha^5+$

$607\,724\,937\,219\,393\,462\,523\,161\,350\,264\,771\,075\,897\,079\,915\,467\,574\,326\,180\,332\,768\,491\,897\,128\,039\,$
$934\,054\,713\,238\,289\,231\,254\,650\,880\,000\,000\,\alpha^6+$

$1\,223\,580\,768\,370\,987\,563\,894\,093\,260\,460\,833\,739\,203\,437\,154\,201\,334\,275\,091\,272\,201\,284\,669\,656\,162\,$
$348\,824\,187\,133\,254\,935\,834\,001\,408\,000\,000\,\alpha^7+$

$2\,105\,495\,610\,281\,200\,050\,408\,024\,384\,988\,879\,562\,845\,079\,561\,721\,331\,516\,640\,551\,564\,762\,746\,529\,128\,$
$090\,311\,044\,701\,278\,109\,965\,274\,316\,800\,000\,\alpha^8+$

$3\,145\,444\,808\,723\,913\,766\,904\,909\,269\,920\,838\,373\,179\,223\,469\,011\,748\,898\,797\,626\,728\,608\,233\,602\,534\,$
$767\,047\,174\,164\,462\,270\,535\,392\,296\,960\,000\,\alpha^9+$

$4\,130\,238\,525\,004\,179\,487\,826\,231\,444\,809\,165\,879\,722\,156\,151\,914\,059\,546\,680\,227\,950\,055\,095\,074\,618\,$
$069\,383\,579\,249\,197\,349\,120\,579\,207\,168\,000\,\alpha^{10}+$

$4\,814\,557\,152\,477\,824\,301\,686\,616\,883\,323\,088\,115\,566\,280\,039\,120\,029\,703\,853\,294\,482\,953\,351\,250\,386\,$
$975\,524\,816\,342\,564\,500\,827\,967\,324\,160\,000\,\alpha^{11}+$

$5\,023\,212\,132\,588\,908\,912\,289\,500\,233\,055\,536\,472\,633\,138\,824\,146\,168\,537\,953\,933\,739\,014\,953\,340\,444\,$
$239\,203\,239\,614\,738\,079\,908\,744\,711\,372\,800\,\alpha^{12}+$

$4\,723\,048\,346\,165\,310\,610\,514\,100\,589\,153\,716\,050\,772\,855\,964\,990\,114\,215\,294\,378\,266\,486\,733\,133\,179\,$
$399\,394\,454\,729\,267\,357\,736\,111\,597\,158\,400\,\alpha^{13}+$

$4\,025\,271\,475\,284\,752\,619\,439\,731\,448\,628\,556\,392\,866\,732\,753\,304\,464\,621\,980\,751\,157\,745\,708\,786\,303\,$
$236\,356\,287\,238\,070\,774\,504\,684\,204\,851\,200\,\alpha^{14}+$

$3\,125\,025\,118\,677\,133\,496\,663\,770\,717\,190\,274\,340\,188\,801\,165\,603\,106\,924\,468\,784\,517\,043\,137\,119\,677\,$
$679\,963\,357\,633\,675\,808\,458\,642\,817\,024\,000\,\alpha^{15}+$

$2\,219\,511\,179\,517\,889\,641\,661\,651\,881\,641\,775\,935\,045\,547\,286\,230\,837\,008\,383\,798\,583\,223\,636\,672\,869\,$
$244\,009\,730\,448\,462\,750\,242\,456\,574\,361\,600\,\alpha^{16}+$

$1\,447\,521\,322\,446\,346\,447\,989\,773\,057\,126\,224\,723\,639\,794\,026\,580\,662\,509\,851\,051\,263\,554\,024\,531\,867\,$
$115\,303\,742\,326\,533\,421\,702\,132\,740\,915\,200\,\alpha^{17}+$

$869\,707\,520\,428\,226\,272\,868\,976\,443\,824\,145\,218\,050\,858\,606\,583\,524\,615\,149\,551\,625\,733\,877\,005\,151\,$

484 749 948 403 825 513 461 803 122 688 000 α^{18} +

482 779 447 746 020 819 057 071 556 862 854 318 962 074 573 166 048 430 437 636 296 198 780 090 274 374 002 560 895 776 294 819 542 230 630 400 α^{19} +

248 229 271 596 444 873 564 904 302 597 086 046 615 619 428 212 321 439 082 694 193 566 830 598 159 219 155 107 720 326 703 100 891 811 020 800 α^{20} +

118 484 597 838 558 425 993 619 178 513 000 234 719 313 783 598 226 394 884 786 802 494 417 252 609 376 925 890 016 098 373 634 460 798 156 800 α^{21} +

52 606 848 215 253 012 997 718 400 583 218 869 343 879 251 208 153 208 849 736 415 777 077 175 465 064 612 055 291 275 035 300 116 771 635 200 α^{22} +

21 765 312 103 162 473 882 882 569 477 659 927 131 689 054 536 318 011 781 934 085 339 587 233 436 130 743 729 445 990 166 010 627 987 865 600 α^{23} +

8 404 566 388 472 129 983 178 372 448 618 375 794 544 230 329 702 070 365 599 831 989 638 472 797 673 107 417 293 398 378 167 392 849 100 800 α^{24} +

3 033 212 810 715 922 658 702 859 167 949 541 223 255 820 892 538 566 240 535 687 060 399 428 968 922 425 744 803 134 450 530 221 712 998 400 α^{25} +

1 024 396 841 668 573 480 024 880 884 604 330 059 703 652 991 132 830 405 654 373 505 353 787 540 806 036 994 554 843 763 601 663 275 827 200 α^{26} +

324 107 795 801 647 694 217 593 350 994 175 321 783 933 603 875 849 884 682 665 667 869 771 970 901 511 490 004 990 590 157 053 755 392 000 α^{27} +

96 158 445 996 567 671 937 113 779 177 455 633 180 601 407 986 847 316 209 930 662 923 430 329 901 825 618 942 271 374 115 553 148 928 000 α^{28} +

26 775 029 811 311 634 118 046 567 292 278 962 665 579 756 883 749 536 121 685 305 955 130 392 421 910 347 647 396 402 503 986 498 764 800 α^{29} +

7 002 217 014 303 063 907 293 138 767 680 684 118 275 980 038 370 360 202 794 817 674 724 473 275 801 078 677 328 997 954 369 041 203 200 α^{30} +

1 720 982 251 127 061 810 350 178 817 501 402 333 545 669 063 443 880 400 502 478 486 843 586 696 787 391 377 423 935 605 374 032 281 600 α^{31} +

397 722 954 195 277 985 893 476 140 550 085 006 231 437 519 605 104 800 550 822 129 050 280 750 397 023 084 740 382 543 315 363 430 400 α^{32} +

86 463 857 238 867 095 150 770 290 597 067 444 642 917 537 984 614 973 248 745 942 419 420 773 314 072 335 472 137 353 603 684 761 600 α^{33} +

17 688 215 643 410 501 682 794 748 306 460 486 987 469 402 841 652 557 236 360 276 411 056 670 408 218 439 761 193 441 763 419 750 400 α^{34} +

3 405 927 138 143 581 211 486 942 116 392 164 416 409 709 787 749 482 340 340 248 517 814 465 088 865 825 927 765 906 964 034 355 200 α^{35} +

617 385 509 608 350 833 840 249 712 683 428 509 344 631 689 274 025 094 426 733 538 194 619 421 384 648 580 341 004 071 495 270 400 α^{36} +

105 360 272 271 890 321 521 093 310 726 490 453 234 275 573 139 185 400 735 155 776 558 561 525 720 756 810 309 876 307 302 809 600 α^{37} +

16 927 317 887 891 198 806 135 718 313 712 436 440 934 193 318 891 510 089 050 985 447 295 754 014 954 329 766 090 663 945 830 400 α^{38} +

2 560 018 919 159 857 536 639 997 657 973 342 015 197 674 460 020 069 424 275 807 583 238 196 742 771 434 906 253 359 316 992 000 α^{39} +

364 381 011 414 302 945 550 783 530 634 169 528 457 904 352 646 164 342 660 883 591 143 261 556 813 070 435 251 754 998 169 600 α^{40} +

48 797 705 776 222 246 279 319 114 475 858 539 752 492 509 627 840 871 263 035 942 863 470 500 466 960 317 464 203 755 520 000 α^{41} +

6 146 191 521 412 499 000 461 289 160 908 812 425 642 835 327 743 917 355 943 249 422 814 637 170 368 046 772 222 794 137 600 α^{42} +

727 719 765 399 895 312 397 688 082 788 819 271 830 238 258 297 704 621 652 546 446 515 867 432 598 255 117 968 552 755 200 α^{43} +

80 949 865 310 812 819 581 576 577 122 328 650 704 586 804 719 936 543 677 373 118 071 193 731 729 $\backslash$
549 447 948 088 115 200 α^{44} +

8 453 871 504 348 622 578 249 539 271 444 149 165 358 175 088 247 970 640 377 968 881 476 670 032 260 $\backslash$
907 240 154 726 400 α^{45} +

828 178 663 067 739 616 877 298 921 990 504 422 631 350 486 429 406 189 857 998 041 777 792 288 035 $\backslash$
638 730 765 107 200 α^{46} +

76 033 684 448 550 062 524 814 589 779 683 374 044 949 333 969 232 117 174 018 023 484 692 104 309 $\backslash$
411 181 232 128 000 α^{47} +

6 534 684 511 192 817 508 391 223 230 849 409 321 687 233 827 867 181 905 595 747 733 203 217 150 866 $\backslash$
274 805 350 400 α^{48} +

525 091 399 837 155 104 155 922 999 337 200 401 079 187 451 721 403 956 515 994 802 002 612 102 115 $\backslash$
777 262 387 200 α^{49} +

39 392 786 741 061 253 342 236 265 207 783 759 466 816 920 401 324 297 571 261 248 366 622 350 695 $\backslash$
245 597 900 800 α^{50} +

2 754 645 272 646 308 824 267 784 672 145 950 410 440 709 292 354 638 153 014 516 107 992 758 625 407 $\backslash$
231 590 400 α^{51} +

179 218 382 745 988 487 237 369 606 267 564 427 247 588 866 310 795 892 253 577 018 869 823 026 032 $\backslash$
856 268 800 α^{52} +

10 825 800 319 137 305 582 700 106 466 669 556 093 469 771 060 542 480 624 135 167 196 278 280 853 $\backslash$
389 312 000 α^{53} +

605 712 675 506 173 046 065 005 919 244 577 358 860 321 199 075 649 704 536 219 937 209 497 000 765 $\backslash$
030 400 α^{54} +

31 305 972 062 466 988 810 753 056 976 308 749 154 062 321 130 911 114 921 196 075 444 592 037 383 $\backslash$
372 800 α^{55} +

1 490 038 953 897 502 798 428 291 566 158 451 586 951 481 088 141 390 806 574 522 207 432 815 411 200 $\backslash$
000 α^{56} +

65 077 974 637 065 950 475 318 271 033 363 537 021 338 344 380 469 683 385 033 132 207 387 128 627 200 $\backslash$
α^{57} +

2 597 482 013 650 244 365 617 209 577 085 043 678 029 653 337 762 393 562 311 492 105 764 706 713 600 $\backslash$
α^{58} +

94 292 553 128 855 199 817 399 801 910 978 440 961 726 298 488 127 710 900 819 918 501 550 489 600 $\backslash$
α^{59} +

3 095 794 272 726 601 888 551 671 970 168 063 948 279 580 991 651 577 252 050 244 103 412 121 600 α^{60} +

91 315 949 670 568 851 838 342 558 263 140 968 757 192 708 380 981 567 698 116 128 486 195 200 α^{61} +

2 400 651 321 688 095 926 382 368 797 586 550 936 698 364 343 457 264 535 181 657 846 579 200 α^{62} +

55 703 529 922 416 717 943 131 855 350 465 326 012 477 395 191 843 627 111 799 796 531 200 α^{63} +

1 127 033 171 841 101 402 279 841 205 039 900 089 894 820 937 680 570 481 803 001 856 000 α^{64} +

19 578 169 637 595 248 242 020 595 138 147 591 793 916 897 654 070 790 006 715 187 200 α^{65} +

286 121 813 510 641 588 908 457 417 127 964 357 638 406 431 418 411 403 286 937 600 α^{66} +

3 420 994 860 509 858 667 142 496 593 772 045 427 823 167 385 902 243 643 392 000 α^{67} +

32 133 494 955 730 720 873 379 210 128 531 627 769 857 457 922 783 156 633 600 α^{68} +

222 354 563 078 099 812 448 042 509 142 305 422 130 457 075 012 075 520 000 α^{69} +

1 007 786 052 762 493 425 441 335 296 146 630 365 123 214 720 368 640 000 α^{70} +

2 244 333 848 512 671 272 755 697 788 284 868 386 498 847 703 040 000 α^{71} $\big)$ }

In[ ]:= **RECNormalizedinS = RECNormalized[[1]];**
ToOrePolynomial[RECNormalizedinS]

Out[ ]= $\big($4 190 970 226 661 938 283 327 586 439 069 102 891 433 625 504 426 268 810 080 251 229 377 168 985 292 800 $\backslash$
000 000 000 +

58 847 922 071 535 534 391 727 519 803 111 047 320 013 518 870 044 918 732 641 860 370 911 037 851 959 $\backslash$
296 000 000 000 α +

404 854 722 000 524 625 113 083 598 381 826 897 362 945 512 096 032 926 115 180 304 236 854 447 822 \
811 955 200 000 000 α^2 +

1 819 310 651 899 983 546 357 365 649 610 092 887 760 815 140 213 764 093 503 250 345 968 575 322 543 \
924 183 040 000 000 α^3 +

6 006 932 793 880 740 275 084 569 227 249 208 802 908 638 101 965 749 612 164 739 023 226 987 596 762 \
552 205 312 000 000 α^4 +

15 542 058 036 447 515 620 126 576 860 788 928 677 138 223 443 640 701 400 296 370 372 834 021 011 612 \
732 384 870 400 000 α^5 +

32 820 282 461 140 184 202 131 287 893 026 238 054 812 195 556 655 475 287 553 450 268 534 297 551 414 \
951 152 189 440 000 α^6 +

58 173 398 827 729 582 074 329 525 498 468 758 551 878 120 656 417 553 208 851 735 904 561 602 501 355 \
690 596 499 456 000 α^7 +

88 336 839 358 882 206 314 092 933 010 862 145 114 346 749 442 347 892 591 634 874 424 831 583 960 346 \
280 589 184 204 800 α^8 +

116 724 553 597 643 879 078 159 740 757 434 827 373 557 248 433 335 212 255 237 753 283 951 401 271 \
613 392 280 890 572 800 α^9 +

135 864 109 638 614 032 296 522 632 936 648 999 927 806 190 567 542 287 803 702 681 580 331 744 880 \
538 040 080 857 186 304 α^{10} +

140 687 074 787 924 230 094 056 378 297 208 918 741 991 429 091 808 376 230 683 632 232 694 065 197 \
657 710 683 401 738 240 α^{11} +

130 656 273 592 601 969 782 766 314 899 254 631 257 673 265 034 806 324 724 183 951 133 077 168 848 \
847 086 444 970 042 880 α^{12} +

109 564 631 378 441 925 056 784 895 482 015 738 937 044 050 627 808 402 100 517 184 401 751 742 451 \
092 410 356 473 864 704 α^{13} +

83 436 898 985 683 246 337 758 023 585 678 946 791 000 165 293 393 907 405 085 176 377 082 122 792 049 \
958 240 669 627 008 α^{14} +

57 985 076 698 511 052 512 900 610 390 156 260 529 849 281 565 334 534 799 408 553 943 373 143 045 060 \
136 321 819 912 256 α^{15} +

36 929 641 340 925 336 953 075 237 802 458 439 984 211 165 858 066 490 521 858 221 248 052 419 776 119 \
725 061 843 766 944 α^{16} +

21 633 410 897 377 713 531 584 181 331 802 491 380 346 436 706 273 836 328 205 665 891 998 930 951 015 \
315 071 728 123 600 α^{17} +

11 693 811 597 468 802 171 144 365 900 906 330 753 434 476 020 572 358 869 257 163 621 235 740 828 217 \
987 898 823 173 416 α^{18} +

5 849 107 857 053 302 386 525 878 543 848 663 856 689 066 045 960 674 165 764 721 026 554 248 743 543 \
100 584 874 763 188 α^{19} +

2 713 955 894 638 053 042 606 446 437 557 022 712 151 076 419 030 015 861 412 999 755 056 811 167 108 \
862 430 938 270 792 α^{20} +

1 170 707 793 051 148 605 467 742 218 929 025 009 659 641 350 775 307 252 253 781 128 230 671 162 152 \
137 983 889 982 445 α^{21} +

470 404 646 365 453 655 210 668 114 571 349 927 882 834 248 720 818 472 309 232 866 482 888 175 995 \
778 360 770 739 385 α^{22} +

176 368 834 766 438 042 638 972 952 622 279 587 302 499 764 050 348 938 319 453 832 506 218 757 391 \
737 789 255 909 504 α^{23} +

61 796 629 827 218 674 927 963 706 913 160 349 667 072 132 964 645 875 130 846 652 253 624 131 216 623 \
011 265 062 162 α^{24} +

20 262 391 146 673 052 097 423 351 950 917 857 221 897 829 007 897 013 167 569 792 328 674 254 683 102 \
231 552 036 353 α^{25} +

6 224 750 341 452 773 827 255 133 768 817 072 272 094 998 855 766 743 310 917 336 953 111 096 591 689 \
080 709 346 881 α^{26} +

1 793 573 622 459 952 623 380 048 914 274 285 414 284 237 298 052 842 744 674 564 338 102 893 884 671

$454\,769\,432\,490\,\alpha^{27}\,+$

$485\,161\,872\,650\,900\,995\,169\,845\,258\,359\,660\,710\,777\,529\,060\,430\,949\,620\,115\,000\,253\,706\,428\,783\,153\,595\,292\,329\,920\,\alpha^{28}\,+$

$123\,303\,734\,973\,888\,769\,962\,212\,521\,820\,271\,701\,837\,127\,298\,288\,635\,713\,961\,922\,449\,169\,991\,996\,374\,083\,647\,640\,234\,\alpha^{29}\,+$

$29\,463\,964\,701\,719\,697\,570\,747\,929\,968\,846\,165\,087\,596\,515\,543\,908\,786\,614\,180\,596\,434\,642\,899\,065\,145\,352\,152\,546\,\alpha^{30}\,+$

$6\,623\,523\,626\,679\,176\,292\,555\,942\,275\,279\,088\,219\,946\,539\,120\,698\,781\,550\,480\,802\,100\,328\,295\,480\,958\,555\,927\,144\,\alpha^{31}\,+$

$1\,401\,471\,290\,009\,579\,732\,274\,839\,467\,071\,483\,792\,099\,248\,740\,284\,144\,789\,771\,118\,874\,695\,097\,010\,251\,813\,849\,004\,\alpha^{32}\,+$

$279\,221\,855\,252\,760\,121\,567\,608\,086\,097\,364\,466\,082\,632\,626\,740\,099\,883\,157\,770\,001\,958\,768\,989\,540\,464\,660\,266\,\alpha^{33}\,+$

$52\,398\,357\,766\,768\,398\,463\,854\,275\,607\,237\,806\,149\,558\,324\,590\,114\,787\,098\,666\,030\,274\,447\,220\,405\,894\,576\,658\,\alpha^{34}\,+$

$9\,263\,672\,080\,745\,621\,924\,538\,211\,297\,271\,312\,192\,560\,270\,371\,989\,169\,596\,511\,910\,725\,191\,338\,884\,332\,509\,632\,\alpha^{35}\,+$

$1\,543\,128\,065\,026\,375\,931\,782\,589\,376\,336\,299\,525\,626\,865\,871\,436\,245\,727\,500\,796\,109\,472\,465\,048\,726\,479\,376\,\alpha^{36}\,+$

$242\,210\,182\,789\,630\,940\,422\,956\,909\,254\,314\,262\,331\,979\,226\,658\,019\,943\,422\,987\,797\,096\,037\,054\,193\,843\,049\,\alpha^{37}\,+$

$35\,820\,781\,964\,247\,490\,628\,493\,251\,646\,258\,938\,251\,402\,613\,998\,759\,349\,149\,692\,044\,836\,698\,875\,104\,275\,957\,\alpha^{38}\,+$

$4\,990\,826\,920\,355\,939\,273\,221\,917\,723\,089\,919\,510\,603\,930\,513\,582\,900\,146\,679\,963\,989\,534\,607\,741\,261\,768\,\alpha^{39}\,+$

$654\,950\,576\,757\,483\,094\,538\,049\,570\,618\,447\,686\,639\,272\,563\,912\,210\,288\,831\,778\,009\,142\,290\,169\,546\,610\,\alpha^{40}\,+$

$80\,929\,544\,388\,038\,604\,305\,846\,044\,514\,696\,501\,338\,584\,236\,823\,040\,579\,159\,907\,971\,546\,401\,443\,145\,669\,\alpha^{41}\,+$

$9\,412\,194\,683\,034\,409\,042\,004\,318\,890\,684\,885\,856\,824\,192\,417\,163\,174\,454\,892\,734\,472\,084\,401\,836\,709\,\alpha^{42}\,+$

$1\,029\,768\,168\,449\,062\,024\,221\,426\,173\,352\,362\,030\,202\,445\,838\,276\,376\,177\,815\,161\,631\,255\,234\,810\,706\,\alpha^{43}\,+$

$105\,922\,137\,973\,569\,720\,320\,375\,215\,854\,615\,847\,984\,684\,090\,782\,591\,817\,548\,583\,263\,680\,729\,853\,720\,\alpha^{44}\,+$

$10\,235\,715\,409\,642\,848\,415\,270\,850\,922\,269\,694\,275\,286\,708\,907\,043\,263\,340\,373\,526\,742\,470\,060\,608\,\alpha^{45}\,+$

$928\,468\,762\,765\,267\,178\,652\,384\,458\,976\,575\,642\,949\,171\,305\,390\,789\,427\,380\,738\,501\,147\,800\,272\,\alpha^{46}\,+$

$78\,978\,912\,384\,225\,271\,036\,089\,194\,885\,282\,424\,845\,772\,390\,002\,830\,575\,544\,473\,470\,006\,833\,824\,\alpha^{47}\,+$

$6\,293\,111\,575\,793\,385\,217\,753\,645\,453\,388\,935\,793\,396\,412\,323\,190\,151\,222\,097\,929\,332\,225\,024\,\alpha^{48}\,+$

$469\,113\,794\,928\,281\,260\,665\,236\,794\,500\,722\,818\,140\,858\,041\,372\,348\,009\,605\,456\,654\,780\,416\,\alpha^{49}\,+$

$32\,667\,997\,119\,676\,145\,224\,376\,489\,978\,491\,634\,625\,540\,828\,496\,864\,515\,056\,413\,372\,416\,000\,\alpha^{50}\,+$

$2\,121\,717\,032\,246\,729\,001\,442\,017\,249\,160\,271\,522\,595\,547\,462\,788\,098\,161\,658\,452\,770\,816\,\alpha^{51}\,+$

$128\,282\,520\,267\,344\,480\,837\,544\,542\,899\,522\,134\,229\,160\,065\,738\,601\,905\,433\,061\,359\,616\,\alpha^{52}\,+$

$7\,205\,252\,101\,727\,120\,255\,414\,009\,126\,731\,353\,087\,345\,703\,388\,243\,673\,348\,786\,094\,080\,\alpha^{53}\,+$

$375\,055\,292\,108\,171\,987\,218\,413\,622\,172\,468\,644\,286\,869\,102\,937\,552\,697\,723\,715\,584\,\alpha^{54}\,+$

$18\,043\,669\,719\,500\,081\,665\,693\,998\,557\,407\,338\,132\,670\,501\,396\,875\,038\,542\,528\,512\,\alpha^{55}\,+$

$799\,812\,988\,454\,177\,711\,022\,627\,845\,078\,886\,739\,892\,090\,478\,048\,804\,580\,884\,480\,\alpha^{56}\,+$

$32\,548\,940\,788\,336\,878\,581\,776\,867\,303\,632\,497\,941\,099\,771\,230\,123\,800\,395\,776\,\alpha^{57}\,+$

$1\,211\,103\,179\,221\,275\,601\,526\,701\,824\,834\,007\,552\,269\,734\,626\,401\,296\,842\,752\,\alpha^{58}\,+$

$41\,005\,357\,703\,513\,107\,657\,149\,037\,313\,475\,878\,607\,435\,320\,558\,924\,857\,344\,\alpha^{59}\,+$

$1\,256\,244\,070\,924\,019\,417\,481\,535\,746\,714\,060\,516\,306\,001\,634\,732\,802\,048\,\alpha^{60}\,+$

34 592 888 194 112 057 802 631 464 455 649 723 637 984 988 271 476 736 α^{61} +

849 381 156 017 236 138 927 724 094 760 771 313 679 805 244 768 256 α^{62} +

18 415 369 187 596 611 293 172 454 003 904 047 599 192 574 525 440 α^{63} +

348 293 428 881 701 344 690 591 769 794 398 328 259 679 879 168 α^{64} +

5 658 147 124 803 384 957 597 246 059 646 635 564 769 214 464 α^{65} +

77 361 613 674 729 588 394 696 247 351 761 125 739 855 872 α^{66} +

865 714 072 810 947 332 895 012 339 872 467 293 044 736 α^{67} +

7 613 757 083 242 133 339 391 191 841 933 367 443 456 α^{68} +

49 348 516 224 723 072 565 204 400 995 093 708 800 α^{69} +

209 579 125 479 059 089 455 976 930 502 246 400 α^{70} +

437 502 088 527 074 815 832 949 679 718 400 α^{71}) S_α^{12} +

$\big($ − 523 299 519 302 086 706 229 216 786 980 326 676 479 049 880 573 864 640 960 756 408 473 986 935 491 133 440 000 000 000 000 −

7 369 191 016 311 653 200 214 764 577 423 384 288 286 507 946 199 500 222 986 649 464 276 158 450 246 457 753 600 000 000 000 000 α −

50 848 217 937 110 993 194 510 133 800 206 053 142 707 670 699 122 807 394 167 339 881 791 694 618 968 915 443 712 000 000 000 000 α^2 −

229 195 707 850 766 641 274 906 622 914 092 451 630 881 410 811 748 021 545 793 380 697 596 907 980 379 986 880 102 400 000 000 000 α^3 −

759 121 063 434 046 337 943 390 996 082 012 244 680 222 705 916 058 141 561 062 448 357 576 340 235 834 335 850 004 480 000 000 α^4 −

1 970 431 415 121 813 861 579 212 192 259 658 366 112 905 396 524 991 035 326 275 339 105 521 538 896 909 684 957 609 984 000 000 α^5 −

4 174 705 372 333 245 975 585 325 408 403 706 184 890 119 081 017 254 143 482 887 318 409 204 332 607 975 296 620 416 204 800 000 α^6 −

7 424 636 264 334 423 318 350 129 942 606 541 391 161 636 842 713 153 394 034 215 095 984 426 528 318 977 724 022 940 794 880 000 α^7 −

11 313 491 394 695 711 941 022 865 450 165 756 636 845 403 063 497 240 498 693 933 544 916 305 224 726 346 264 617 133 821 952 000 α^8 −

15 002 312 481 355 375 699 363 758 004 253 071 229 214 684 894 271 697 185 344 842 699 321 266 664 420 978 973 941 213 502 873 600 α^9 −

17 525 861 758 400 304 542 977 659 370 153 875 629 552 071 441 290 607 260 167 695 861 393 280 655 253 387 493 386 827 869 184 000 α^{10} −

18 215 674 692 866 862 968 555 043 745 521 085 547 670 071 527 768 879 150 421 215 691 287 199 552 822 228 409 230 290 009 509 888 α^{11} −

16 981 492 475 901 306 179 426 434 541 984 659 448 276 909 006 061 755 568 505 426 942 110 498 176 002 533 061 532 544 025 838 592 α^{12} −

14 295 815 111 006 747 486 263 956 970 545 720 657 815 114 300 742 188 573 518 510 793 589 186 094 928 361 670 949 124 442 174 464 α^{13} −

10 930 207 278 950 249 395 074 757 851 953 195 402 561 971 170 298 644 251 758 406 088 422 406 308 285 610 473 821 036 063 709 184 α^{14} −

7 627 061 739 021 827 675 963 696 433 388 394 645 273 785 927 451 514 906 451 126 949 775 078 568 214 639 799 773 480 918 845 440 α^{15} −

4 877 826 080 752 325 426 182 658 768 514 780 207 877 664 732 452 526 918 133 094 350 487 192 000 495 272 793 546 912 078 930 944 α^{16} −

2 869 631 725 416 974 064 103 261 467 872 353 485 200 209 664 209 430 786 430 721 062 264 899 467 277 461 886 120 311 590 565 536 α^{17} −

1 557 927 667 387 074 669 452 963 766 391 872 582 782 498 126 387 747 576 597 940 797 216 106 178 022 406 091 072 004 710 215 072 α^{18} −

782 728 754 874 202 167 408 998 292 596 272 982 295 242 143 681 996 588 762 626 363 337 042 298 901 006 035 640 885 966 774 192 α^{19} −

364 834 315 992 958 132 879 399 130 136 624 581 237 019 115 773 386 708 427 894 484 338 911 128 105 ⟍
631 629 720 653 460 530 900 α^{20} −

158 107 971 036 641 110 074 880 088 174 160 583 556 581 964 685 407 609 098 449 155 068 672 828 656 ⟍
052 603 152 583 809 836 984 α^{21} −

63 830 860 088 676 543 104 227 415 141 566 045 398 508 448 625 646 080 525 100 465 293 656 607 366 313 ⟍
263 342 912 617 432 296 α^{22} −

24 047 869 646 678 292 383 357 236 139 299 914 256 624 503 853 584 805 622 687 393 013 218 909 472 232 ⟍
790 874 398 876 360 960 α^{23} −

8 467 543 101 543 435 565 760 651 112 285 934 356 619 438 006 644 449 616 204 129 825 819 025 886 142 ⟍
121 723 059 261 707 076 α^{24} −

2 790 382 476 035 578 703 535 366 888 455 193 299 680 047 131 913 857 784 493 474 947 741 861 663 909 ⟍
763 929 916 387 864 760 α^{25} −

861 625 046 332 441 383 817 213 868 337 079 266 895 494 323 143 644 015 578 075 226 832 774 099 534 ⟍
811 049 447 447 075 920 α^{26} −

249 564 156 766 720 213 198 198 527 870 345 531 388 077 126 214 407 544 574 062 951 688 989 122 467 ⟍
325 569 259 635 240 384 α^{27} −

67 867 203 252 135 488 640 137 842 261 735 154 895 413 540 329 082 585 511 454 110 590 188 980 429 662 ⟍
465 048 995 205 352 α^{28} −

17 342 186 162 283 431 771 520 582 942 887 503 304 656 859 599 334 234 814 128 020 797 797 594 737 586 ⟍
872 237 444 310 000 α^{29} −

4 166 942 762 408 180 551 019 356 360 236 615 147 165 187 333 879 842 765 632 600 473 709 925 057 142 ⟍
328 943 027 148 336 α^{30} −

942 017 502 379 836 366 392 139 137 952 392 658 327 337 705 249 938 189 616 488 849 079 418 344 288 ⟍
928 080 857 313 088 α^{31} −

200 466 957 350 811 172 533 441 321 915 097 099 339 188 968 068 276 490 655 056 824 373 000 257 626 ⟍
804 045 257 186 024 α^{32} −

40 173 741 201 579 123 243 637 168 175 026 453 962 155 953 976 141 891 617 436 020 863 383 234 598 705 ⟍
328 647 334 992 α^{33} −

7 583 868 140 928 794 114 161 620 567 839 931 468 488 527 073 897 818 068 521 196 474 802 388 034 203 ⟍
266 869 225 888 α^{34} −

1 348 909 590 220 941 508 206 178 387 108 951 811 441 165 131 470 268 300 898 635 006 293 548 124 155 ⟍
715 469 851 504 α^{35} −

226 086 664 022 487 246 419 852 600 082 380 540 613 940 098 160 393 725 938 213 278 158 989 821 491 ⟍
515 161 318 980 α^{36} −

35 709 667 770 270 683 473 459 080 644 641 623 098 165 370 872 274 375 175 474 791 140 672 165 056 129 ⟍
619 325 528 α^{37} −

5 314 916 382 610 263 644 922 799 856 037 498 217 293 154 172 070 051 393 440 392 412 271 890 368 400 ⟍
218 105 512 α^{38} −

745 332 000 189 429 125 873 372 770 485 039 457 500 911 350 722 808 030 779 408 807 583 254 661 846 ⟍
397 276 480 α^{39} −

98 457 769 657 045 330 471 097 260 342 974 728 814 790 138 397 246 032 141 367 137 738 345 609 935 045 ⟍
914 068 α^{40} −

12 247 895 917 709 686 199 582 742 616 272 224 701 125 460 799 172 616 735 867 016 762 611 030 040 130 ⟍
041 432 α^{41} −

1 434 192 152 719 808 038 027 174 909 003 497 298 835 042 184 404 572 037 394 810 016 561 041 762 632 ⟍
125 104 α^{42} −

158 003 779 289 528 371 428 737 152 407 107 946 129 220 154 127 037 103 122 591 206 258 342 751 153 ⟍
180 064 α^{43} −

16 367 269 986 516 324 833 045 708 445 132 875 595 664 681 092 641 790 194 014 597 660 106 555 624 838 ⟍
656 α^{44} −

1 593 013 784 316 451 085 160 847 062 480 833 690 901 158 617 373 753 951 116 057 086 542 421 189 186 ⟍

$560\, \alpha^{45}\,-$

$145\,556\,357\,974\,092\,132\,918\,990\,723\,191\,940\,912\,990\,339\,693\,990\,565\,628\,632\,987\,398\,057\,399\,715\,700\,736\,\alpha^{46}\,-$

$12\,473\,511\,021\,314\,367\,143\,335\,973\,300\,148\,686\,943\,968\,055\,315\,425\,389\,921\,497\,617\,800\,595\,565\,756\,416\,\alpha^{47}\,-$

$1\,001\,401\,444\,516\,924\,723\,950\,679\,493\,792\,033\,719\,097\,842\,822\,949\,043\,462\,214\,919\,140\,412\,310\,421\,504\,\alpha^{48}\,-$

$75\,220\,832\,359\,706\,407\,910\,019\,319\,009\,237\,348\,164\,551\,456\,521\,464\,287\,268\,801\,033\,561\,178\,112\,000\,\alpha^{49}\,-$

$5\,279\,003\,158\,766\,647\,042\,133\,089\,981\,334\,068\,289\,159\,505\,107\,228\,523\,970\,923\,789\,982\,487\,281\,664\,\alpha^{50}\,-$

$345\,572\,433\,523\,674\,894\,262\,730\,319\,577\,230\,477\,497\,660\,379\,570\,967\,131\,171\,078\,939\,265\,204\,224\,\alpha^{51}\,-$

$21\,061\,750\,224\,700\,616\,872\,541\,295\,159\,397\,848\,592\,348\,922\,356\,501\,820\,127\,333\,942\,332\,227\,584\,\alpha^{52}\,-$

$1\,192\,628\,073\,323\,599\,756\,194\,465\,841\,516\,963\,341\,845\,614\,114\,072\,235\,548\,044\,618\,255\,826\,944\,\alpha^{53}\,-$

$62\,594\,177\,790\,067\,201\,932\,958\,397\,659\,650\,607\,954\,686\,551\,599\,269\,632\,147\,887\,308\,668\,928\,\alpha^{54}\,-$

$3\,036\,691\,109\,743\,409\,781\,847\,332\,922\,959\,763\,875\,278\,830\,723\,200\,738\,114\,228\,040\,237\,056\,\alpha^{55}\,-$

$135\,755\,056\,010\,977\,389\,497\,640\,631\,705\,393\,883\,895\,580\,147\,566\,624\,614\,106\,557\,054\,976\,\alpha^{56}\,-$

$5\,572\,516\,001\,237\,624\,948\,322\,967\,778\,067\,257\,997\,623\,951\,763\,119\,695\,685\,469\,863\,936\,\alpha^{57}\,-$

$209\,169\,321\,501\,700\,736\,623\,889\,730\,902\,982\,345\,954\,907\,109\,641\,228\,489\,081\,225\,216\,\alpha^{58}\,-$

$7\,145\,221\,327\,059\,739\,224\,082\,541\,168\,537\,175\,111\,493\,170\,931\,586\,762\,201\,366\,528\,\alpha^{59}\,-$

$220\,883\,655\,123\,635\,384\,633\,862\,257\,640\,951\,248\,624\,593\,441\,851\,988\,122\,796\,032\,\alpha^{60}\,-$

$6\,138\,290\,867\,714\,614\,147\,275\,172\,607\,982\,950\,540\,208\,990\,425\,073\,041\,014\,784\,\alpha^{61}\,-$

$152\,121\,756\,126\,405\,137\,703\,339\,400\,249\,671\,694\,919\,520\,822\,027\,616\,256\,000\,\alpha^{62}\,-$

$3\,329\,312\,456\,618\,635\,343\,388\,860\,127\,653\,959\,247\,388\,180\,427\,336\,318\,976\,\alpha^{63}\,-$

$63\,571\,511\,194\,486\,796\,994\,653\,289\,772\,238\,795\,850\,055\,174\,972\,243\,968\,\alpha^{64}\,-$

$1\,042\,779\,989\,582\,908\,481\,797\,324\,215\,663\,704\,757\,684\,479\,385\,927\,680\,\alpha^{65}\,-$

$14\,398\,047\,211\,288\,868\,046\,968\,690\,938\,025\,555\,608\,695\,727\,980\,544\,\alpha^{66}\,-$

$162\,731\,242\,659\,856\,838\,862\,444\,087\,485\,371\,503\,810\,392\,883\,200\,\alpha^{67}\,-$

$1\,445\,682\,693\,811\,595\,342\,040\,188\,603\,853\,528\,428\,491\,833\,344\,\alpha^{68}\,-$

$9\,466\,403\,561\,293\,507\,297\,515\,412\,292\,448\,425\,921\,740\,800\,\alpha^{69}\,-$

$40\,621\,473\,028\,005\,367\,582\,854\,504\,845\,248\,403\,865\,600\,\alpha^{70}\,-$

$85\,692\,853\,520\,993\,768\,727\,486\,335\,844\,719\,001\,600\,\alpha^{71}\big)\,S_\alpha^{10}\,+$

$\big(2\,759\,985\,437\,075\,395\,437\,766\,420\,987\,594\,023\,375\,562\,223\,120\,405\,497\,015\,047\,691\,775\,402\,549\,493\,204\,830\,178\,508\,800\,000\,000\,000\,+$

$39\,017\,070\,717\,077\,028\,885\,921\,580\,071\,193\,186\,539\,057\,813\,870\,888\,304\,278\,996\,613\,545\,915\,254\,668\,408\,285\,864\,919\,040\,000\,000\,000\,\alpha\,+$

$270\,291\,593\,121\,940\,201\,558\,256\,989\,885\,065\,109\,695\,476\,557\,872\,389\,260\,768\,861\,694\,559\,119\,710\,297\,102\,386\,299\,142\,144\,000\,000\,000\,\alpha^2\,+$

$1\,223\,288\,657\,711\,447\,123\,592\,104\,804\,162\,652\,041\,577\,252\,502\,571\,956\,678\,881\,600\,659\,613\,543\,914\,089\,998\,844\,727\,761\,305\,600\,000\,000\,\alpha^3\,+$

$4\,068\,581\,617\,287\,333\,690\,838\,844\,765\,818\,743\,980\,930\,987\,220\,361\,550\,178\,798\,130\,714\,732\,211\,894\,383\,266\,439\,327\,194\,808\,320\,000\,000\,\alpha^4\,+$

$10\,605\,882\,739\,295\,997\,373\,802\,444\,923\,225\,067\,911\,049\,941\,095\,270\,981\,004\,308\,372\,887\,626\,147\,982\,478\,601\,649\,454\,864\,924\,672\,000\,000\,\alpha^5\,+$

$22\,568\,824\,774\,960\,767\,522\,293\,908\,136\,550\,614\,923\,898\,222\,193\,230\,955\,814\,132\,207\,692\,725\,035\,864\,584\,055\,616\,753\,915\,186\,380\,800\,000\,\alpha^6\,+$

$40\,318\,106\,977\,765\,986\,049\,590\,419\,698\,527\,255\,755\,030\,056\,956\,350\,085\,184\,223\,645\,646\,636\,050\,053\,323\,742\,518\,648\,931\,425\,976\,320\,000\,\alpha^7\,+$

$61\,717\,420\,084\,554\,029\,575\,649\,269\,825\,002\,068\,291\,773\,368\,764\,106\,972\,877\,652\,424\,744\,356\,744\,657\,076\,612\,568\,943\,300\,538\,531\,840\,000\,\alpha^8\,+$

$82\,224\,246\,504\,599\,430\,292\,212\,391\,250\,747\,263\,646\,814\,092\,495\,809\,774\,635\,092\,854\,247\,205\,910\,787\,177\,802\,965\,819\,012\,110\,771\,814\,400\,\alpha^9\,+$

$96\,515\,300\,628\,819\,885\,399\,076\,441\,784\,009\,235\,916\,219\,012\,084\,559\,700\,055\,510\,173\,440\,186\,133\,756\,095\,$

$558\,419\,979\,988\,737\,804\,206\,080\;\alpha^{10}\;+$

$100\,804\,919\,187\,424\,654\,890\,806\,388\,703\,980\,065\,577\,384\,170\,000\,962\,984\,608\,738\,678\,202\,208\,742\,611\,950\,040\,698\,139\,829\,347\,868\,475\,392\;\alpha^{11}\;+$

$94\,444\,496\,875\,872\,341\,158\,065\,477\,360\,166\,398\,945\,384\,867\,257\,893\,543\,880\,237\,635\,172\,055\,816\,556\,476\,332\,325\,231\,844\,916\,286\,455\,808\;\alpha^{12}\;+$

$79\,913\,247\,751\,970\,119\,947\,237\,606\,208\,092\,570\,672\,715\,630\,212\,923\,018\,862\,023\,590\,940\,609\,365\,304\,082\,592\,050\,126\,700\,567\,793\,762\,304\;\alpha^{13}\;+$

$61\,417\,493\,970\,606\,332\,165\,730\,404\,658\,105\,266\,608\,887\,599\,997\,376\,731\,529\,804\,035\,474\,616\,259\,079\,229\,147\,163\,052\,439\,070\,325\,080\,064\;\alpha^{14}\;+$

$43\,084\,357\,120\,682\,524\,638\,963\,382\,720\,630\,844\,780\,203\,712\,756\,201\,176\,771\,595\,934\,073\,378\,460\,197\,633\,664\,125\,650\,589\,343\,873\,040\,384\;\alpha^{15}\;+$

$27\,703\,343\,959\,727\,369\,927\,246\,195\,051\,142\,038\,215\,201\,560\,505\,543\,891\,287\,436\,214\,901\,121\,608\,672\,874\,260\,065\,134\,901\,925\,409\,259\,520\;\alpha^{16}\;+$

$16\,387\,793\,204\,713\,571\,290\,810\,096\,722\,352\,481\,391\,311\,447\,669\,852\,632\,849\,080\,654\,812\,252\,626\,233\,651\,302\,597\,208\,935\,936\,953\,909\,248\;\alpha^{17}\;+$

$8\,946\,948\,813\,256\,822\,230\,153\,376\,855\,996\,839\,720\,864\,505\,532\,092\,947\,163\,143\,554\,088\,041\,441\,216\,968\,711\,019\,687\,979\,206\,189\,309\,952\;\alpha^{18}\;+$

$4\,520\,820\,335\,135\,711\,674\,544\,368\,778\,317\,283\,671\,470\,910\,188\,091\,267\,050\,496\,698\,256\,973\,593\,727\,244\,514\,222\,514\,758\,813\,342\,427\,136\;\alpha^{19}\;+$

$2\,119\,458\,372\,872\,904\,691\,571\,574\,638\,072\,693\,181\,058\,666\,696\,331\,856\,160\,441\,287\,354\,268\,149\,988\,443\,940\,076\,816\,302\,011\,938\,095\,104\;\alpha^{20}\;+$

$923\,955\,776\,392\,459\,117\,894\,838\,871\,163\,542\,569\,278\,693\,309\,570\,937\,289\,492\,837\,773\,699\,929\,566\,122\,319\,981\,488\,040\,161\,102\,161\,920\;\alpha^{21}\;+$

$375\,267\,780\,331\,971\,044\,029\,896\,979\,264\,109\,270\,145\,733\,473\,998\,274\,917\,029\,923\,905\,206\,375\,646\,002\,151\,213\,965\,072\,994\,416\,050\,176\;\alpha^{22}\;+$

$142\,247\,713\,805\,144\,826\,236\,777\,732\,052\,763\,911\,644\,334\,784\,373\,887\,308\,230\,561\,768\,297\,438\,171\,373\,035\,749\,794\,345\,926\,520\,561\,664\;\alpha^{23}\;+$

$50\,399\,836\,459\,046\,376\,328\,815\,897\,026\,139\,024\,154\,455\,826\,560\,213\,933\,623\,924\,636\,366\,206\,346\,429\,431\,421\,597\,659\,271\,618\,220\,032\;\alpha^{24}\;+$

$16\,714\,114\,205\,453\,810\,508\,146\,340\,568\,778\,560\,470\,769\,074\,064\,972\,386\,423\,492\,288\,038\,599\,241\,746\,346\,366\,569\,014\,470\,670\,315\,520\;\alpha^{25}\;+$

$5\,194\,344\,136\,904\,782\,450\,097\,811\,280\,671\,853\,287\,822\,221\,335\,758\,122\,069\,819\,793\,991\,355\,238\,685\,159\,341\,130\,854\,427\,397\,066\,752\;\alpha^{26}\;+$

$1\,514\,370\,712\,096\,672\,873\,774\,999\,833\,049\,891\,132\,501\,635\,457\,476\,102\,215\,454\,727\,103\,418\,873\,830\,472\,120\,525\,897\,155\,119\,435\,776\;\alpha^{27}\;+$

$414\,564\,671\,064\,816\,082\,304\,768\,116\,641\,623\,935\,918\,809\,404\,710\,936\,963\,566\,009\,503\,260\,506\,522\,334\,260\,286\,225\,848\,254\,513\,152\;\alpha^{28}\;+$

$106\,650\,580\,078\,871\,912\,651\,280\,743\,025\,331\,870\,766\,793\,229\,720\,299\,876\,566\,493\,071\,786\,447\,830\,519\,475\,969\,435\,782\,187\,970\,560\;\alpha^{29}\;+$

$25\,801\,715\,370\,391\,052\,755\,488\,345\,213\,859\,151\,276\,719\,912\,736\,277\,600\,693\,424\,626\,224\,490\,137\,726\,185\,414\,318\,722\,129\,084\,416\;\alpha^{30}\;+$

$5\,873\,625\,182\,814\,031\,350\,528\,187\,953\,109\,307\,991\,529\,288\,944\,171\,026\,068\,044\,103\,180\,084\,388\,307\,753\,453\,122\,072\,503\,001\,088\;\alpha^{31}\;+$

$1\,258\,782\,579\,175\,973\,880\,209\,757\,377\,456\,067\,705\,792\,983\,027\,360\,724\,756\,929\,159\,252\,558\,749\,829\,503\,360\,125\,141\,985\,615\,872\;\alpha^{32}\;+$

$254\,071\,076\,140\,774\,333\,471\,724\,651\,689\,020\,685\,135\,881\,463\,129\,495\,990\,134\,117\,858\,829\,359\,916\,532\,543\,092\,527\,172\,386\,816\;\alpha^{33}\;+$

$48\,311\,775\,135\,998\,135\,912\,448\,176\,681\,391\,671\,088\,558\,948\,461\,016\,186\,570\,084\,669\,838\,713\,573\,486\,519\,213\,836\,701\,089\,792\;\alpha^{34}\;+$

$8\,656\,422\,903\,491\,043\,430\,372\,875\,005\,404\,372\,696\,762\,051\,883\,867\,254\,846\,738\,124\,217\,495\,420\,910\,921\,027\,448\,442\,513\,408\;\alpha^{35}\;+$

1 461 732 726 078 457 340 119 854 750 253 140 591 172 527 421 402 788 050 348 473 909 718 050 217 612 ↖
900 556 947 914 752 α^{36} +

232 626 987 494 916 180 933 570 993 489 788 694 644 570 332 263 522 070 464 313 553 161 052 595 853 ↖
798 532 024 788 992 α^{37} +

34 889 576 416 731 504 031 817 715 319 013 079 038 858 871 783 971 012 746 764 859 382 619 774 021 259 ↖
620 877 762 560 α^{38} +

4 930 801 874 940 669 241 334 392 819 012 616 291 053 640 047 844 162 991 274 238 665 107 702 961 504 ↖
508 948 594 688 α^{39} +

656 492 368 353 602 508 400 597 309 518 287 381 134 635 231 569 222 418 191 825 415 075 893 220 234 ↖
405 370 155 008 α^{40} +

82 318 277 745 908 411 759 560 686 391 461 626 280 502 551 020 189 813 067 720 568 313 638 997 866 349 ↖
766 234 112 α^{41} +

9 717 179 685 260 511 763 694 906 883 136 624 360 431 675 304 327 231 594 579 092 609 054 010 685 859 ↖
577 942 016 α^{42} +

1 079 297 739 377 891 514 241 532 892 970 258 639 414 470 395 351 397 362 236 659 745 107 860 363 029 ↖
320 441 856 α^{43} +

112 728 446 056 403 693 251 787 019 903 592 238 473 662 301 536 108 617 305 855 634 529 250 648 109 ↖
992 247 296 α^{44} +

11 063 757 324 406 891 067 032 300 844 656 390 181 744 933 790 293 366 271 665 126 212 676 085 634 854 ↖
813 696 α^{45} +

1 019 488 268 853 331 986 054 969 175 662 385 059 780 685 775 220 080 626 204 272 725 176 910 071 488 ↖
053 248 α^{46} +

88 114 944 273 107 981 951 726 305 283 553 182 134 449 105 046 419 968 466 057 665 320 159 697 652 678 ↖
656 α^{47} +

7 135 435 196 040 049 451 998 921 645 231 139 277 908 191 753 450 576 119 768 565 527 649 439 197 429 ↖
760 α^{48} +

540 683 480 156 921 398 973 293 632 341 435 469 358 812 053 179 147 157 137 673 555 588 511 034 245 120 ↖
α^{49} +

38 281 648 090 816 191 272 763 739 459 873 981 237 979 836 879 687 495 749 278 115 041 187 446 390 784 ↖
α^{50} +

2 528 437 708 298 891 321 895 684 049 401 865 929 243 448 871 770 274 827 469 407 549 860 190 617 600 ↖
α^{51} +

155 497 172 373 103 757 359 740 716 769 502 222 972 195 447 429 092 841 526 966 124 045 297 254 400 ↖
α^{52} +

8 885 625 729 519 683 048 920 077 237 823 633 199 414 384 384 119 161 654 800 782 270 723 522 560 α^{53} +
470 664 688 331 775 307 010 612 659 273 160 224 740 818 036 581 491 842 806 116 097 902 772 224 α^{54} +
23 046 892 108 712 279 941 724 322 941 383 259 307 996 783 697 242 093 411 135 279 687 794 688 α^{55} +
1 040 017 995 610 090 957 265 921 263 585 527 859 045 460 716 780 125 350 533 285 709 611 008 α^{56} +
43 097 084 480 400 785 739 521 219 589 021 501 309 380 953 806 828 205 590 866 181 488 640 α^{57} +
1 633 219 372 802 997 245 510 403 081 647 971 244 632 167 562 098 489 255 544 821 383 168 α^{58} +
56 331 332 425 216 639 789 681 273 549 066 315 609 294 062 079 624 284 250 524 614 656 α^{59} +
1 758 422 107 513 190 441 006 074 724 592 150 887 824 781 459 777 881 056 758 202 368 α^{60} +
49 347 961 312 089 083 081 051 983 193 061 383 453 718 024 824 907 815 660 290 048 α^{61} +
1 235 127 555 213 313 637 533 035 109 716 838 951 884 096 400 931 550 436 261 888 α^{62} +
27 302 966 477 349 713 876 782 927 507 868 696 472 452 691 360 159 325 224 960 α^{63} +
526 608 920 624 766 100 420 988 456 718 223 069 181 303 626 535 589 117 952 α^{64} +
8 726 174 013 263 081 295 444 656 973 268 134 414 227 449 469 745 496 064 α^{65} +
121 723 627 042 311 333 625 915 640 706 483 348 374 681 533 735 239 680 α^{66} +
1 390 005 231 071 198 173 758 839 896 028 717 629 633 841 067 982 848 α^{67} +
12 477 461 582 766 463 782 213 588 389 358 240 759 065 994 067 968 α^{68} +
82 561 782 494 361 680 529 528 128 983 332 001 991 884 800 000 α^{69} +

$358\,032\,924\,776\,885\,584\,551\,429\,251\,237\,797\,971\,571\,507\,200\,\alpha^{70}\,+$

$763\,338\,299\,988\,791\,317\,097\,389\,707\,961\,497\,236\,275\,200\,\alpha^{71}\big)\,S_\alpha^8\,+$

$\big(-2\,994\,937\,256\,864\,974\,386\,997\,995\,224\,423\,393\,946\,278\,934\,539\,135\,501\,288\,983\,959\,701\,014\,503\,824\,052\,970\,909\,492\,838\,400\,000\,000\,000\,-$

$42\,594\,368\,557\,750\,753\,309\,722\,464\,563\,333\,726\,090\,135\,406\,813\,539\,688\,263\,727\,435\,093\,890\,746\,998\,571\,762\,968\,344\,657\,920\,000\,000\,000\,000\,\alpha\,-$

$296\,896\,369\,181\,742\,519\,778\,079\,000\,580\,913\,922\,238\,176\,867\,448\,176\,462\,535\,049\,258\,778\,488\,639\,245\,592\,833\,372\,249\,391\,104\,000\,000\,000\,\alpha^2\,-$

$1\,352\,178\,018\,527\,161\,113\,454\,443\,334\,389\,026\,669\,311\,772\,407\,184\,482\,911\,476\,600\,727\,960\,423\,070\,707\,612\,211\,617\,963\,442\,176\,000\,000\,000\,\alpha^3\,-$

$4\,526\,241\,931\,732\,924\,622\,033\,144\,547\,452\,331\,557\,750\,510\,615\,962\,224\,735\,913\,423\,014\,313\,370\,210\,676\,664\,889\,535\,301\,618\,237\,440\,000\,000\,\alpha^4\,-$

$11\,876\,488\,578\,169\,672\,261\,477\,460\,588\,445\,822\,745\,709\,295\,281\,379\,295\,481\,155\,196\,148\,342\,775\,768\,695\,010\,153\,120\,603\,740\,045\,312\,000\,000\,\alpha^5\,-$

$25\,442\,091\,626\,016\,228\,524\,741\,493\,962\,741\,512\,384\,996\,847\,234\,537\,710\,705\,354\,953\,137\,149\,500\,758\,823\,127\,091\,241\,157\,294\,188\,134\,400\,000\,\alpha^6\,-$

$45\,761\,702\,763\,433\,415\,978\,291\,967\,660\,994\,242\,828\,762\,715\,017\,902\,098\,266\,885\,054\,152\,053\,671\,314\,737\,706\,618\,163\,261\,188\,100\,587\,520\,000\,\alpha^7\,-$

$70\,537\,962\,693\,083\,521\,046\,960\,211\,031\,369\,546\,655\,284\,122\,320\,856\,971\,264\,899\,502\,057\,071\,787\,654\,428\,058\,008\,232\,543\,025\,478\,238\,208\,000\,\alpha^8\,-$

$94\,641\,682\,480\,552\,754\,568\,136\,022\,600\,133\,141\,934\,431\,404\,371\,090\,790\,378\,744\,861\,332\,543\,814\,611\,448\,149\,401\,667\,717\,081\,975\,907\,942\,400\,\alpha^9\,-$

$111\,892\,185\,854\,780\,710\,924\,748\,399\,286\,340\,022\,950\,172\,843\,584\,631\,469\,749\,429\,163\,226\,790\,334\,963\,314\,102\,062\,224\,824\,099\,455\,484\,559\,360\,\alpha^{10}\,-$

$117\,722\,456\,883\,538\,076\,600\,345\,614\,861\,302\,468\,775\,945\,172\,615\,594\,265\,633\,567\,122\,484\,411\,704\,661\,308\,572\,749\,732\,369\,569\,890\,047\,098\,880\,\alpha^{11}\,-$

$111\,117\,001\,221\,134\,081\,005\,604\,602\,883\,226\,125\,661\,605\,053\,190\,235\,487\,086\,707\,661\,773\,408\,414\,898\,208\,877\,979\,066\,080\,049\,042\,743\,623\,680\,\alpha^{12}\,-$

$94\,732\,815\,099\,493\,119\,614\,366\,352\,140\,292\,796\,790\,586\,146\,328\,893\,321\,298\,022\,483\,187\,184\,770\,372\,212\,783\,669\,480\,977\,482\,410\,622\,976\,000\,\alpha^{13}\,-$

$73\,367\,271\,186\,531\,948\,395\,329\,213\,172\,341\,832\,928\,804\,962\,758\,568\,037\,883\,220\,718\,799\,411\,135\,075\,123\,253\,465\,501\,384\,500\,892\,707\,848\,192\,\alpha^{14}\,-$

$51\,869\,080\,955\,661\,640\,089\,464\,567\,009\,116\,401\,744\,973\,599\,160\,418\,667\,864\,649\,969\,945\,124\,458\,288\,980\,936\,682\,917\,474\,412\,120\,567\,185\,408\,\alpha^{15}\,-$

$33\,616\,234\,631\,531\,255\,539\,800\,623\,202\,461\,460\,899\,279\,819\,392\,314\,470\,638\,394\,966\,749\,442\,213\,726\,784\,697\,914\,860\,672\,805\,366\,034\,071\,552\,\alpha^{16}\,-$

$20\,045\,355\,665\,760\,405\,420\,606\,897\,789\,107\,498\,115\,205\,013\,034\,774\,994\,148\,113\,531\,881\,263\,671\,401\,644\,304\,830\,066\,367\,015\,215\,529\,197\,568\,\alpha^{17}\,-$

$11\,032\,967\,478\,426\,135\,175\,708\,190\,882\,211\,538\,826\,922\,377\,819\,918\,329\,983\,363\,986\,404\,640\,197\,049\,675\,334\,021\,755\,453\,417\,744\,379\,150\,336\,\alpha^{18}\,-$

$5\,620\,896\,359\,438\,093\,013\,568\,628\,962\,175\,874\,471\,931\,740\,505\,986\,551\,324\,450\,079\,756\,886\,773\,043\,438\,179\,246\,162\,232\,272\,627\,807\,289\,344\,\alpha^{19}\,-$

$2\,657\,236\,299\,419\,244\,127\,635\,496\,762\,582\,986\,787\,891\,100\,856\,783\,679\,244\,990\,143\,578\,888\,639\,002\,070\,754\,571\,605\,767\,280\,538\,983\,071\,744\,\alpha^{20}\,-$

$1\,168\,203\,712\,474\,826\,918\,328\,011\,783\,612\,825\,617\,062\,036\,308\,594\,153\,962\,346\,683\,019\,792\,775\,631\,192\,905\,886\,362\,709\,102\,690\,404\,139\,008\,\alpha^{21}\,-$

$478\,536\,506\,864\,516\,927\,843\,031\,886\,962\,281\,710\,705\,361\,746\,502\,917\,197\,390\,977\,346\,680\,455\,963\,055\,243\,996\,415\,054\,022\,882\,777\,366\,528\,\alpha^{22}\,-$

$182\,965\,369\,249\,437\,113\,853\,664\,563\,163\,134\,202\,326\,894\,799\,636\,165\,618\,061\,487\,400\,454\,453\,915\,806\,162\,507\,239\,956\,623\,841\,856\,847\,872\,\alpha^{23}\,-$

$65\,395\,075\,059\,247\,496\,392\,481\,678\,705\,368\,589\,286\,802\,954\,123\,452\,473\,310\,680\,216\,524\,470\,562\,265\,117\,$

315 986 715 068 639 660 212 224 α^{24} −

21 879 288 542 215 316 963 707 054 928 554 490 586 662 560 321 725 074 343 648 014 585 966 869 539 214 123 359 818 304 411 223 982 080 α^{25} −

6 860 490 149 588 965 114 651 959 629 383 143 141 086 343 265 127 775 023 790 403 535 107 519 033 439 211 901 646 860 297 100 591 104 α^{26} −

2 018 231 457 825 066 284 267 384 390 246 718 797 979 975 917 800 524 819 714 778 216 550 767 941 100 762 563 598 559 887 435 497 472 α^{27} −

557 550 495 956 654 858 848 298 812 688 061 528 994 625 141 648 244 366 437 479 608 170 047 305 972 294 395 983 059 321 467 961 344 α^{28} −

144 759 187 816 891 373 014 424 797 126 052 128 031 738 824 624 454 547 093 983 319 318 185 798 667 834 029 782 167 670 064 414 720 α^{29} −

35 347 555 112 822 043 799 468 313 412 086 783 917 172 313 863 631 742 753 414 780 994 797 028 930 582 969 155 638 717 462 347 776 α^{30} −

8 122 333 653 822 027 653 844 560 264 479 872 966 987 757 637 075 874 581 031 934 820 629 638 515 303 658 738 244 229 639 700 480 α^{31} −

1 757 211 534 387 227 313 396 525 469 293 732 019 861 339 040 070 129 517 120 142 408 746 260 603 932 231 521 861 023 455 772 672 α^{32} −

358 064 454 337 600 954 671 125 605 736 142 311 696 971 024 167 657 722 036 369 482 169 873 219 124 096 661 327 234 798 190 592 α^{33} −

68 742 381 874 215 763 758 710 783 264 498 480 169 748 432 928 995 547 121 404 540 494 413 999 793 481 150 751 642 076 839 936 α^{34} −

12 436 769 140 822 364 164 256 497 345 892 012 811 736 579 376 832 555 973 397 406 284 750 446 534 969 104 003 412 296 990 720 α^{35} −

2 120 633 010 973 008 040 951 751 442 648 714 632 653 866 097 769 714 770 920 391 900 702 498 371 150 892 045 960 405 057 536 α^{36} −

340 812 861 525 668 762 561 068 643 778 068 551 992 686 050 414 564 738 462 348 644 206 763 106 307 487 832 101 946 392 576 α^{37} −

51 622 468 943 647 083 791 182 900 034 756 216 089 850 781 937 126 383 484 101 552 437 231 579 510 669 615 254 154 772 480 α^{38} −

7 368 441 731 123 465 734 455 600 370 850 725 546 665 017 279 427 106 380 801 123 308 972 868 769 369 570 404 953 751 552 α^{39} −

990 899 481 355 921 216 367 564 507 714 305 189 397 953 105 171 446 016 619 318 165 095 357 438 333 904 688 180 625 408 α^{40} −

125 505 790 057 897 652 434 017 039 422 067 340 865 800 359 687 441 806 530 700 383 468 204 589 884 369 814 195 011 584 α^{41} −

14 965 801 780 111 392 554 294 511 709 111 074 741 078 885 278 332 671 244 410 976 189 716 518 738 184 465 343 840 256 α^{42} −

1 679 256 131 303 193 048 725 900 263 680 236 145 757 732 569 200 576 173 137 294 351 321 283 492 127 225 883 394 048 α^{43} −

177 193 470 127 597 014 211 436 495 440 661 891 206 976 487 491 269 678 284 369 679 368 330 300 641 470 402 527 232 α^{44} −

17 570 207 638 490 052 606 463 954 177 578 386 468 437 072 269 582 224 286 800 049 795 185 226 351 949 712 982 016 α^{45} −

1 635 825 707 746 116 368 572 938 598 787 957 152 813 702 116 411 414 388 492 653 184 526 555 371 063 803 379 712 α^{46} −

142 857 924 414 722 346 891 409 213 668 190 960 039 714 233 841 354 806 823 311 498 900 306 857 430 307 831 808 α^{47} −

11 689 436 212 701 386 910 330 797 201 089 775 977 641 056 583 543 625 360 401 968 090 357 302 219 132 370 944 α^{48} −

895 059 361 477 903 488 004 913 244 051 307 102 193 756 664 549 581 640 837 734 775 769 674 921 164 144 640 α^{49} −

$64\,039\,989\,304\,600\,216\,726\,020\,374\,239\,727\,790\,036\,264\,439\,780\,317\,097\,149\,792\,356\,763\,492\,793\,832\,177\,664\,\alpha^{50}\,-$

$4\,274\,447\,183\,843\,654\,694\,844\,321\,292\,134\,748\,586\,841\,682\,874\,742\,563\,538\,368\,196\,943\,768\,501\,857\,812\,480\,\alpha^{51}\,-$

$265\,663\,197\,192\,036\,782\,905\,762\,711\,699\,428\,952\,279\,311\,818\,543\,407\,341\,704\,227\,154\,311\,441\,733\,910\,528\,\alpha^{52}\,-$

$15\,342\,325\,496\,677\,083\,753\,806\,537\,380\,148\,165\,969\,478\,774\,106\,427\,393\,503\,241\,768\,339\,933\,944\,086\,528\,\alpha^{53}\,-$

$821\,336\,439\,637\,945\,118\,754\,722\,429\,915\,226\,193\,333\,575\,552\,898\,348\,759\,517\,343\,863\,445\,003\,436\,032\,\alpha^{54}\,-$

$40\,647\,993\,687\,569\,796\,742\,149\,928\,455\,493\,343\,327\,371\,870\,917\,430\,237\,461\,170\,165\,339\,413\,020\,672\,\alpha^{55}\,-$

$1\,853\,936\,252\,079\,832\,032\,038\,652\,865\,332\,419\,053\,040\,300\,674\,421\,231\,394\,095\,284\,695\,179\,722\,752\,\alpha^{56}\,-$

$77\,649\,366\,130\,146\,374\,871\,455\,575\,470\,213\,852\,819\,881\,268\,572\,652\,751\,549\,714\,488\,084\,135\,936\,\alpha^{57}\,-$

$2\,974\,256\,874\,083\,936\,286\,133\,903\,007\,492\,094\,605\,392\,544\,395\,809\,130\,419\,581\,540\,110\,434\,304\,\alpha^{58}\,-$

$103\,689\,484\,854\,032\,146\,723\,615\,917\,339\,757\,903\,665\,267\,229\,312\,107\,770\,302\,541\,189\,873\,664\,\alpha^{59}\,-$

$3\,271\,631\,322\,017\,324\,764\,324\,944\,401\,711\,694\,793\,708\,668\,610\,724\,242\,501\,963\,033\,346\,048\,\alpha^{60}\,-$

$92\,805\,076\,669\,119\,240\,468\,632\,925\,943\,400\,486\,659\,214\,537\,445\,047\,770\,974\,464\,770\,048\,\alpha^{61}\,-$

$2\,347\,898\,822\,347\,372\,557\,931\,409\,159\,129\,884\,992\,680\,905\,229\,830\,429\,476\,804\,100\,096\,\alpha^{62}\,-$

$52\,462\,042\,860\,083\,145\,470\,395\,260\,442\,636\,557\,847\,131\,823\,822\,241\,700\,983\,603\,200\,\alpha^{63}\,-$

$1\,022\,805\,641\,910\,077\,478\,391\,045\,142\,838\,933\,484\,750\,724\,230\,857\,107\,601\,096\,704\,\alpha^{64}\,-$

$17\,131\,645\,091\,461\,722\,769\,264\,636\,321\,610\,695\,813\,548\,403\,240\,626\,085\,167\,104\,\alpha^{65}\,-$

$241\,557\,292\,013\,613\,869\,922\,285\,326\,063\,159\,274\,497\,139\,772\,444\,244\,967\,424\,\alpha^{66}\,-$

$2\,788\,242\,662\,534\,544\,836\,623\,247\,458\,888\,261\,406\,062\,237\,311\,408\,537\,600\,\alpha^{67}\,-$

$25\,299\,216\,594\,998\,807\,420\,279\,304\,476\,911\,973\,262\,212\,335\,908\,421\,632\,\alpha^{68}\,-$

$169\,209\,003\,758\,736\,530\,901\,072\,041\,186\,923\,970\,407\,146\,140\,467\,200\,\alpha^{69}\,-$

$741\,697\,614\,676\,760\,616\,152\,402\,114\,421\,829\,529\,322\,179\,788\,800\,\alpha^{70}\,-$

$1\,598\,363\,211\,802\,454\,956\,689\,545\,078\,412\,316\,387\,364\,044\,800\,\alpha^{71}\big)\,S_\alpha^6\,+$

$\big(559\,422\,368\,321\,492\,757\,426\,438\,223\,368\,392\,807\,231\,847\,980\,216\,038\,949\,120\,252\,308\,069\,853\,146\,075\,545\,373\,864\,938\,700\,800\,000\,000\,000\,+$

$8\,038\,265\,220\,202\,124\,728\,719\,898\,625\,376\,987\,142\,398\,197\,312\,358\,651\,698\,308\,437\,579\,968\,148\,030\,160\,155\,917\,037\,569\,310\,720\,000\,000\,000\,000\,\alpha\,+$

$56\,617\,235\,143\,876\,387\,274\,216\,329\,307\,554\,406\,137\,127\,798\,026\,880\,602\,414\,912\,524\,208\,330\,510\,206\,137\,860\,572\,274\,023\,727\,104\,000\,000\,000\,000\,\alpha^2\,+$

$260\,605\,978\,504\,251\,106\,633\,502\,549\,866\,129\,531\,234\,255\,634\,849\,085\,941\,174\,844\,557\,837\,502\,652\,825\,867\,648\,311\,261\,129\,395\,404\,800\,000\,000\,\alpha^3\,+$

$881\,790\,934\,784\,171\,273\,501\,264\,563\,474\,636\,982\,236\,884\,281\,608\,443\,552\,471\,745\,043\,750\,195\,104\,734\,255\,869\,780\,567\,852\,077\,547\,520\,000\,000\,\alpha^4\,+$

$2\,339\,168\,065\,795\,076\,489\,932\,711\,896\,942\,851\,332\,145\,013\,776\,582\,176\,538\,275\,940\,140\,673\,101\,966\,185\,735\,019\,917\,562\,512\,440\,033\,280\,000\,000\,\alpha^5\,+$

$5\,066\,841\,633\,236\,413\,566\,228\,034\,016\,621\,411\,058\,865\,459\,602\,827\,650\,250\,362\,477\,521\,458\,320\,813\,856\,109\,715\,505\,767\,613\,406\,275\,174\,400\,000\,\alpha^6\,+$

$9\,216\,392\,784\,115\,960\,270\,949\,249\,534\,970\,232\,371\,427\,590\,506\,131\,403\,209\,033\,869\,159\,003\,090\,174\,589\,351\,557\,644\,109\,403\,247\,345\,664\,000\,000\,\alpha^7\,+$

$14\,368\,671\,359\,083\,619\,925\,697\,403\,628\,592\,763\,034\,465\,892\,974\,237\,383\,171\,370\,979\,315\,484\,037\,545\,229\,060\,937\,755\,939\,741\,945\,204\,572\,160\,000\,\alpha^8\,+$

$19\,501\,550\,931\,562\,497\,270\,391\,278\,019\,454\,334\,262\,593\,362\,374\,337\,929\,067\,904\,885\,816\,296\,652\,577\,786\,663\,841\,023\,844\,839\,722\,507\,357\,388\,800\,\alpha^9\,+$

$23\,325\,718\,714\,580\,548\,649\,240\,100\,353\,351\,530\,907\,889\,824\,347\,046\,295\,562\,832\,423\,707\,890\,874\,756\,514\,127\,278\,574\,084\,174\,651\,587\,265\,822\,720\,\alpha^{10}\,+$

$24\,831\,115\,251\,005\,518\,822\,404\,771\,263\,442\,309\,790\,983\,573\,824\,550\,862\,296\,378\,068\,680\,869\,942\,461\,196\,095\,326\,122\,827\,965\,542\,161\,933\,402\,112\,\alpha^{11}\,+$

23 717 537 139 412 769 375 379 150 043 842 458 095 331 081 228 882 170 605 302 094 533 991 981 701 945 ⸜
495 350 587 497 206 302 627 694 903 296 α^{12} +

20 463 961 574 638 580 383 272 543 349 467 832 884 176 076 706 921 163 047 087 224 913 545 150 450 538 ⸜
046 029 735 792 496 010 034 245 795 840 α^{13} +

16 041 218 117 722 724 108 458 177 700 664 862 834 696 305 243 246 020 997 212 414 683 441 942 499 278 ⸜
449 474 662 050 504 381 767 629 144 064 α^{14} +

11 479 745 582 283 891 007 951 194 286 531 866 797 525 766 129 825 860 293 534 885 772 893 051 690 847 ⸜
558 797 112 467 419 184 689 510 875 136 α^{15} +

7 531 856 737 729 693 061 064 349 932 425 919 445 530 300 521 094 879 842 608 246 484 485 059 333 569 ⸜
426 359 787 661 080 907 396 396 613 632 α^{16} +

4 547 095 771 274 440 576 362 711 070 509 470 722 628 602 639 295 036 267 861 585 856 002 067 519 974 ⸜
533 694 042 890 428 279 054 397 341 696 α^{17} +

2 534 052 759 112 754 571 851 607 960 061 616 173 663 817 924 091 645 093 752 127 693 773 826 971 407 ⸜
158 663 761 559 892 181 139 748 552 704 α^{18} +

1 307 269 334 363 557 586 714 625 031 062 227 647 139 246 305 291 981 286 111 187 315 616 542 641 868 ⸜
475 859 835 326 696 518 042 565 738 496 α^{19} +

625 830 393 924 975 654 548 686 306 521 544 707 637 972 077 117 796 556 591 302 959 768 125 286 382 ⸜
699 788 316 358 826 898 850 507 128 832 α^{20} +

278 638 069 294 344 939 540 261 238 406 889 051 651 830 682 610 453 556 771 063 815 670 815 486 329 ⸜
332 523 198 215 721 482 821 235 113 984 α^{21} +

115 600 151 630 061 392 508 590 645 332 298 538 825 114 037 604 424 343 963 068 461 739 665 424 257 ⸜
053 874 558 734 889 046 266 532 069 376 α^{22} +

44 766 941 157 092 321 971 011 302 556 258 283 343 207 749 422 805 358 929 842 123 219 048 204 477 988 ⸜
738 273 002 173 469 364 670 431 232 α^{23} +

16 206 909 380 798 228 755 179 176 840 571 064 211 374 254 306 050 450 878 347 059 459 619 990 458 725 ⸜
401 120 957 394 512 584 980 299 776 α^{24} +

5 492 551 910 064 438 105 732 159 017 280 628 475 884 531 027 801 625 463 028 984 617 034 027 221 540 ⸜
527 312 198 064 805 077 007 204 352 α^{25} +

1 744 612 085 977 564 069 754 688 084 301 040 005 978 379 109 254 924 815 212 602 916 256 712 767 789 ⸜
822 269 056 647 406 702 068 498 432 α^{26} +

519 914 830 923 952 902 118 358 068 762 941 015 727 470 134 818 072 594 921 278 328 509 008 169 915 ⸜
959 061 316 555 097 133 186 809 856 α^{27} +

145 504 199 464 792 268 566 367 057 210 470 337 534 035 393 808 022 667 272 030 289 186 192 349 756 ⸜
044 641 292 306 867 392 536 903 680 α^{28} +

38 271 721 891 179 984 657 502 596 126 418 103 606 337 917 875 774 054 955 315 673 991 956 331 263 012 ⸜
890 230 196 305 081 357 303 808 α^{29} +

9 467 605 530 019 321 507 564 515 957 097 846 098 035 792 892 528 695 697 811 331 115 666 041 069 036 ⸜
914 371 802 302 629 283 889 152 α^{30} +

2 204 026 572 696 777 986 606 949 438 771 840 886 956 842 824 927 133 413 298 969 618 282 660 577 094 ⸜
640 333 230 567 470 852 472 832 α^{31} +

483 080 576 779 582 588 679 419 858 020 450 932 385 703 310 660 140 239 754 525 043 221 850 921 693 ⸜
128 584 669 605 432 014 143 488 α^{32} +

99 728 342 965 177 249 316 935 850 091 755 776 380 625 611 673 083 595 540 198 308 208 219 768 314 022 ⸜
484 578 529 428 723 728 384 α^{33} +

19 397 431 712 465 669 418 786 418 342 886 116 785 165 433 357 718 572 999 486 292 444 527 387 757 328 ⸜
580 148 111 397 806 407 680 α^{34} +

3 555 396 171 791 699 851 233 214 966 651 854 773 020 906 137 534 650 892 661 840 959 341 383 218 500 ⸜
843 131 986 863 236 055 040 α^{35} +

614 190 900 679 368 096 014 162 033 739 791 114 241 845 354 070 225 348 066 507 076 676 461 578 251 ⸜
336 773 968 546 288 893 952 α^{36} +

100 001 409 753 927 531 458 188 408 432 498 700 012 599 382 984 187 809 208 178 267 439 333 481 631 ⸜

156 140 770 960 791 830 528 α^{37} +

15 345 261 499 153 225 083 076 603 222 778 532 644 115 141 974 600 624 417 066 605 594 980 126 644 607 436 389 493 879 341 056 α^{38} +

2 218 952 051 644 276 070 641 496 940 954 363 049 967 364 769 904 598 320 608 547 639 253 204 186 152 710 955 207 099 416 576 α^{39} +

302 293 142 936 421 256 211 930 962 081 580 598 439 935 156 774 788 503 842 649 834 036 560 457 925 149 952 073 193 750 528 α^{40} +

38 786 173 852 713 237 026 783 495 752 455 051 817 688 035 045 497 285 383 287 430 396 230 676 263 389 451 356 269 969 408 α^{41} +

4 685 048 699 459 645 233 962 815 688 112 177 348 227 146 520 518 759 783 450 216 105 078 429 101 412 822 145 289 945 088 α^{42} +

532 496 696 017 353 437 359 002 811 759 944 873 935 881 841 052 285 759 465 050 710 136 636 985 400 870 302 855 987 200 α^{43} +

56 913 716 663 055 615 282 051 956 700 063 410 799 358 962 079 233 837 486 146 257 548 419 328 304 722 209 224 523 776 α^{44} +

5 716 067 260 292 942 031 761 581 447 811 924 857 130 287 830 830 916 902 664 654 216 977 952 935 301 216 970 211 328 α^{45} +

539 000 530 262 085 381 062 994 184 047 952 637 615 943 089 303 133 911 157 271 277 564 352 514 122 924 018 368 512 α^{46} +

47 672 439 353 460 825 305 115 243 845 634 785 651 727 973 963 751 966 985 798 064 612 725 114 145 589 373 698 048 α^{47} +

3 950 438 419 183 292 573 017 802 242 883 828 319 571 083 228 797 377 769 650 394 779 302 016 256 695 980 785 664 α^{48} +

306 315 369 764 503 955 643 644 530 153 509 537 367 734 857 030 569 585 659 087 568 117 920 620 456 141 914 112 α^{49} +

22 192 626 217 795 351 867 003 506 495 154 248 246 836 276 513 484 633 574 347 952 974 671 073 502 715 445 248 α^{50} +

1 499 864 330 443 961 230 588 148 403 421 453 328 368 398 348 083 034 463 426 032 892 429 576 551 190 757 376 α^{51} +

94 382 375 472 147 140 197 969 576 000 618 786 894 299 852 061 717 556 760 912 739 443 804 148 686 913 536 α^{52} +

5 518 359 387 060 224 399 006 565 068 105 179 792 058 240 099 054 836 600 529 244 849 868 358 597 738 496 α^{53} +

299 067 949 531 160 245 753 284 176 231 435 540 095 765 180 849 858 744 957 061 344 585 347 105 816 576 α^{54} +

14 982 613 119 943 454 530 430 877 792 550 740 226 980 500 135 201 348 330 060 480 352 075 953 209 344 α^{55} +

691 690 156 196 569 320 646 606 645 306 372 748 553 642 562 292 026 844 440 614 312 946 996 084 736 α^{56} +

29 321 810 435 738 667 415 751 837 113 650 695 114 125 357 051 101 134 206 780 584 866 030 288 896 α^{57} +

1 136 669 517 003 671 009 202 768 646 637 123 110 432 019 651 178 653 286 612 704 862 310 236 160 α^{58} +

40 101 374 097 171 882 062 136 182 049 205 432 414 473 484 395 469 017 163 811 043 669 966 848 α^{59} +

1 280 332 527 327 157 203 213 013 191 953 798 348 646 393 725 695 640 031 541 825 435 074 560 α^{60} +

36 747 544 515 715 721 282 115 913 535 607 828 152 019 524 438 612 912 901 621 681 225 728 α^{61} +

940 584 156 852 552 419 814 751 248 168 973 980 149 789 606 562 958 069 499 749 728 256 α^{62} +

21 261 209 372 242 520 764 528 539 489 945 200 410 268 476 312 195 812 944 655 679 488 α^{63} +

419 297 691 157 897 979 138 754 421 833 677 038 499 541 581 928 049 992 603 271 168 α^{64} +

7 103 566 732 653 142 057 157 385 422 075 018 145 225 884 268 171 075 245 834 240 α^{65} +

101 299 294 200 764 219 456 800 987 569 971 309 723 511 469 579 991 122 968 576 α^{66} +

1 182 458 624 364 216 006 009 184 790 545 257 039 538 332 622 553 681 494 016 α^{67} +

10 849 039 061 470 617 155 644 530 301 047 918 678 210 684 125 368 549 376 α^{68} +

$73\,366\,138\,596\,677\,505\,315\,685\,898\,390\,458\,439\,606\,453\,330\,667\,110\,400\,\alpha^{69}\,+$

$325\,121\,555\,636\,022\,739\,377\,118\,529\,792\,893\,278\,614\,964\,299\,366\,400\,\alpha^{70}\,+$

$708\,270\,719\,505\,845\,849\,417\,203\,674\,955\,342\,083\,655\,100\,006\,400\,\alpha^{71}\big)\,S_\alpha^4\,+$

$\big(-21\,395\,571\,696\,498\,969\,824\,644\,912\,755\,026\,747\,309\,842\,616\,097\,531\,876\,571\,550\,989\,831\,985\,122\,769\,522\,348\,366\,840\,935\,219\,200\,000\,000\,000\,-$

$314\,461\,805\,057\,596\,800\,398\,970\,258\,403\,963\,704\,080\,736\,100\,794\,817\,052\,424\,959\,619\,367\,641\,567\,858\,998\,898\,774\,567\,498\,547\,200\,000\,000\,000\,\alpha\,-$

$2\,265\,780\,682\,301\,463\,443\,962\,434\,416\,966\,738\,749\,218\,824\,020\,575\,684\,710\,484\,948\,864\,602\,709\,353\,166\,776\,786\,336\,537\,710\,166\,016\,000\,000\,000\,\alpha^{2}\,-$

$10\,669\,672\,771\,395\,473\,514\,484\,794\,213\,815\,070\,679\,905\,412\,683\,042\,372\,081\,642\,635\,663\,601\,616\,957\,771\,063\,898\,227\,615\,046\,880\,460\,800\,000\,000\,\alpha^{3}\,-$

$36\,936\,499\,589\,103\,668\,504\,537\,347\,639\,043\,004\,552\,190\,286\,641\,551\,193\,115\,883\,982\,351\,646\,886\,293\,905\,796\,386\,747\,916\,620\,671\,221\,760\,000\,000\,\alpha^{4}\,-$

$100\,251\,998\,612\,611\,854\,813\,618\,585\,423\,960\,260\,998\,732\,617\,317\,221\,811\,299\,848\,617\,271\,576\,966\,485\,499\,819\,447\,716\,055\,666\,137\,235\,456\,000\,000\,\alpha^{5}\,-$

$222\,188\,258\,577\,640\,772\,354\,238\,434\,789\,619\,590\,458\,369\,533\,456\,998\,333\,860\,580\,347\,785\,297\,397\,844\,542\,390\,430\,764\,542\,832\,915\,198\,771\,200\,000\,\alpha^{6}\,-$

$413\,523\,661\,134\,662\,519\,019\,982\,705\,001\,992\,371\,416\,048\,920\,981\,917\,261\,235\,125\,662\,679\,280\,735\,100\,199\,852\,363\,428\,071\,984\,640\,997\,457\,920\,000\,\alpha^{7}\,-$

$659\,641\,754\,136\,046\,407\,002\,962\,315\,063\,507\,944\,997\,848\,381\,685\,280\,343\,947\,369\,770\,190\,249\,013\,193\,653\,765\,054\,436\,949\,760\,514\,071\,724\,032\,000\,\alpha^{8}\,-$

$916\,015\,203\,833\,881\,715\,275\,001\,113\,569\,212\,312\,158\,589\,518\,926\,246\,054\,899\,023\,941\,877\,457\,984\,351\,299\,863\,107\,047\,363\,706\,163\,518\,924\,390\,400\,\alpha^{9}\,-$

$1\,120\,970\,165\,304\,659\,831\,463\,399\,797\,590\,467\,506\,949\,527\,860\,276\,201\,444\,686\,566\,330\,774\,150\,284\,569\,745\,771\,985\,077\,446\,726\,522\,172\,153\,528\,320\,\alpha^{10}\,-$

$1\,220\,838\,204\,751\,751\,070\,187\,234\,487\,496\,051\,814\,138\,166\,688\,443\,141\,336\,034\,566\,092\,982\,590\,694\,758\,038\,586\,943\,655\,772\,789\,103\,509\,320\,499\,200\,\alpha^{11}\,-$

$1\,192\,905\,064\,350\,316\,423\,975\,468\,151\,084\,552\,611\,308\,191\,618\,666\,643\,935\,656\,047\,923\,031\,196\,857\,308\,265\,675\,868\,847\,865\,408\,149\,616\,718\,774\,272\,\alpha^{12}\,-$

$1\,052\,849\,724\,137\,802\,249\,053\,972\,238\,630\,830\,102\,555\,493\,820\,513\,649\,526\,728\,927\,211\,908\,273\,342\,928\,954\,223\,311\,055\,242\,111\,475\,471\,368\,585\,216\,\alpha^{13}\,-$

$844\,141\,170\,177\,749\,323\,861\,894\,644\,505\,774\,310\,121\,892\,427\,450\,071\,384\,397\,130\,073\,965\,208\,956\,399\,363\,464\,235\,798\,529\,726\,968\,711\,849\,443\,328\,\alpha^{14}\,-$

$617\,826\,752\,796\,292\,055\,559\,936\,914\,835\,521\,820\,739\,821\,707\,211\,971\,691\,258\,443\,117\,060\,142\,490\,224\,480\,849\,191\,416\,809\,026\,096\,881\,540\,792\,320\,\alpha^{15}\,-$

$414\,518\,656\,856\,721\,912\,788\,685\,223\,205\,453\,321\,434\,938\,487\,365\,086\,146\,310\,926\,136\,950\,571\,192\,259\,057\,412\,308\,216\,005\,648\,981\,964\,707\,856\,384\,\alpha^{16}\,-$

$255\,876\,310\,153\,248\,861\,610\,801\,011\,550\,420\,545\,040\,721\,688\,496\,219\,997\,023\,673\,886\,664\,702\,708\,895\,087\,629\,043\,792\,300\,277\,686\,288\,429\,088\,768\,\alpha^{17}\,-$

$145\,783\,266\,301\,021\,861\,148\,854\,014\,521\,382\,476\,897\,205\,606\,510\,470\,165\,107\,599\,674\,209\,023\,799\,511\,870\,498\,043\,393\,591\,716\,913\,247\,860\,817\,920\,\alpha^{18}\,-$

$76\,876\,079\,462\,564\,692\,828\,780\,099\,497\,943\,058\,971\,901\,139\,161\,858\,317\,983\,011\,132\,941\,966\,306\,435\,016\,056\,022\,455\,667\,103\,001\,036\,399\,312\,896\,\alpha^{19}\,-$

$37\,614\,149\,199\,067\,866\,612\,619\,676\,906\,492\,934\,086\,972\,440\,693\,154\,405\,048\,816\,797\,753\,249\,298\,002\,684\,692\,372\,843\,932\,033\,512\,875\,692\,654\,592\,\alpha^{20}\,-$

$17\,113\,319\,218\,235\,351\,950\,749\,479\,863\,187\,088\,184\,034\,922\,475\,297\,524\,054\,964\,333\,215\,131\,054\,826\,374\,488\,919\,500\,008\,102\,365\,156\,345\,905\,152\,\alpha^{21}\,-$

$7\,254\,021\,999\,140\,479\,360\,395\,420\,054\,762\,064\,412\,854\,071\,714\,005\,881\,900\,200\,835\,823\,698\,569\,541\,733\,973\,550\,823\,143\,774\,379\,888\,458\,334\,208\,\alpha^{22}\,-$

$2\,869\,649\,926\,865\,325\,250\,644\,330\,347\,278\,414\,813\,177\,035\,862\,389\,322\,839\,839\,008\,258\,601\,502\,554\,907\,201\,395\,047\,686\,191\,572\,477\,525\,622\,784\,\alpha^{23}\,-$

1 061 070 480 168 005 676 005 549 411 072 555 079 175 245 203 031 336 627 935 386 053 100 248 593 194 ⸲
789 881 240 973 169 089 235 241 664 512 α^{24} −

367 205 822 395 901 377 924 645 906 990 497 712 394 682 851 102 030 750 117 604 662 957 806 293 178 ⸲
965 006 181 983 426 902 737 022 877 696 α^{25} −

119 080 868 359 634 640 919 482 274 155 738 681 421 872 335 348 130 737 792 064 123 490 144 950 326 ⸲
483 785 263 116 979 205 034 829 938 688 α^{26} −

36 224 062 040 440 682 203 534 066 527 773 519 291 403 291 817 519 199 490 987 831 011 434 477 469 205 ⸲
375 714 048 846 503 453 046 865 920 α^{27} −

10 346 043 876 523 119 601 601 634 130 210 930 358 180 950 249 232 683 669 605 155 830 727 497 614 071 ⸲
060 396 862 205 451 738 063 831 040 α^{28} −

2 776 647 532 584 954 172 544 380 088 569 193 424 581 060 422 600 312 827 081 482 980 940 230 653 019 ⸲
704 464 234 298 548 125 698 097 152 α^{29} −

700 705 074 934 144 057 136 204 026 158 373 078 435 739 614 466 010 270 019 135 241 420 953 561 051 ⸲
905 700 972 754 321 941 104 427 008 α^{30} −

166 368 508 925 837 800 985 256 197 591 261 588 829 326 097 093 448 329 762 593 222 343 610 350 219 ⸲
646 218 279 371 855 102 019 108 864 α^{31} −

37 182 492 404 496 325 000 466 481 195 516 350 774 231 630 676 572 252 655 363 897 425 096 149 044 184 ⸲
706 156 524 814 677 642 838 016 α^{32} −

7 825 396 221 872 206 436 215 414 112 471 306 626 368 590 346 808 870 643 430 006 231 210 019 427 891 ⸲
807 895 064 384 222 311 481 344 α^{33} −

1 551 328 833 422 554 127 201 115 948 885 673 602 935 022 285 808 736 528 200 242 281 393 316 731 882 ⸲
616 896 871 022 933 642 838 016 α^{34} −

289 748 810 176 694 900 110 376 647 011 715 868 632 303 946 288 179 549 152 161 244 551 243 180 110 ⸲
768 736 709 659 704 707 514 368 α^{35} −

50 993 212 038 987 855 585 143 600 667 029 640 608 263 932 605 339 529 080 760 230 122 779 238 197 730 ⸲
149 416 224 470 677 323 776 α^{36} −

8 456 507 654 893 502 712 427 041 859 530 660 033 641 961 284 033 654 332 284 560 910 137 445 716 667 ⸲
338 832 216 460 344 950 784 α^{37} −

1 321 402 657 047 066 879 792 582 249 683 322 325 307 254 398 790 697 022 493 247 076 963 897 167 791 ⸲
905 729 368 737 821 229 056 α^{38} −

194 528 984 853 381 093 427 174 540 102 904 090 651 083 578 818 241 418 478 725 777 441 990 473 882 ⸲
315 662 029 944 552 161 280 α^{39} −

26 973 631 982 087 440 613 363 997 454 922 265 383 870 255 161 979 471 823 915 131 023 645 175 825 855 ⸲
751 884 594 787 385 344 α^{40} −

3 521 776 246 670 535 992 868 501 649 504 771 240 581 295 932 133 941 251 583 461 155 992 006 340 974 ⸲
933 134 876 595 978 240 α^{41} −

432 784 228 019 899 900 617 872 530 695 982 415 639 828 235 562 711 574 384 191 702 778 052 499 273 ⸲
689 472 381 143 220 224 α^{42} −

50 031 725 075 084 844 436 427 281 847 658 115 743 633 320 110 167 759 941 154 856 443 812 299 419 443 ⸲
380 537 239 011 328 α^{43} −

5 437 703 576 058 198 575 121 185 374 463 495 854 691 470 717 556 625 983 866 379 394 433 499 090 686 ⸲
086 369 779 908 608 α^{44} −

555 219 644 433 939 049 298 301 954 759 311 017 287 517 347 133 265 771 795 779 047 659 607 764 327 ⸲
686 603 397 922 816 α^{45} −

53 213 849 426 195 403 625 337 225 956 779 291 155 330 348 097 762 312 814 970 454 858 297 205 153 627 ⸲
338 637 836 288 α^{46} −

4 782 667 537 759 658 774 924 288 953 797 664 666 050 907 740 047 974 153 004 085 989 999 735 023 551 ⸲
296 946 831 360 α^{47} −

402 638 335 734 949 724 361 777 461 027 344 990 202 713 970 060 747 521 089 052 310 729 885 318 744 ⸲
972 162 236 416 α^{48} −

31 710 690 246 860 967 830 108 384 575 420 890 785 212 572 041 686 792 750 851 737 704 699 202 747 910 ⸲

510 870 528 α^{49} −

2 332 991 819 830 576 752 832 951 538 143 195 099 371 481 549 213 235 227 160 661 395 752 925 281 500 ∖ 530 737 152 α^{50} −

160 075 604 104 257 465 463 263 421 380 721 891 585 677 184 299 100 517 159 618 949 186 184 689 160 ∖ 411 938 816 α^{51} −

10 224 317 872 021 481 276 373 959 544 864 772 165 392 738 648 440 674 085 053 883 927 064 720 682 298 ∖ 376 192 α^{52} −

606 632 837 980 737 986 810 293 409 694 054 045 205 002 058 506 861 401 132 054 515 960 596 775 902 ∖ 904 320 α^{53} −

33 355 019 167 894 050 573 031 079 278 022 976 110 818 424 887 602 129 287 775 569 303 082 111 426 625 ∖ 536 α^{54} −

1 694 953 818 616 438 877 453 024 867 602 179 274 000 370 948 713 122 361 606 953 583 457 073 723 604 ∖ 992 α^{55} −

79 353 342 257 009 783 068 142 791 765 573 359 666 626 341 046 552 051 757 314 754 027 845 289 246 720 α^{56} −

3 410 616 242 208 808 299 593 827 763 512 784 316 079 126 545 159 468 288 028 898 137 114 964 656 128 α^{57} −

134 020 325 966 190 561 015 542 396 593 341 783 127 894 408 186 789 797 435 824 403 238 726 139 904 α^{58} −

4 791 780 048 247 611 473 528 819 599 988 380 504 875 949 950 329 651 528 855 694 733 322 747 904 α^{59} −

155 013 391 774 336 616 205 796 862 278 207 672 798 585 017 847 133 058 416 161 045 446 918 144 α^{60} −

4 507 047 530 258 102 511 161 730 278 325 140 647 186 228 118 217 028 503 404 941 922 009 088 α^{61} −

116 839 132 204 290 313 746 829 912 539 762 225 123 882 272 128 975 773 334 962 331 189 248 α^{62} −

2 674 335 552 008 563 562 532 423 015 761 726 879 009 750 614 073 255 863 097 720 045 568 α^{63} −

53 394 811 402 782 389 371 106 716 077 222 240 343 729 858 773 392 512 427 344 527 360 α^{64} −

915 617 457 312 910 457 247 589 140 911 742 206 199 573 037 575 048 563 490 029 568 α^{65} −

13 213 515 808 466 901 504 075 334 574 501 219 168 970 775 906 538 658 415 509 504 α^{66} −

156 058 222 036 800 561 285 268 739 116 590 836 187 146 289 083 998 588 108 800 α^{67} −

1 448 425 253 655 913 820 438 179 098 270 064 516 735 771 026 680 262 426 624 α^{68} −

9 906 517 273 439 073 632 943 003 602 026 836 709 603 778 486 914 252 800 α^{69} −

44 392 445 886 577 462 947 748 756 274 495 771 482 317 615 896 985 600 α^{70} −

97 773 026 415 808 146 191 848 122 055 052 434 634 224 277 913 600 α^{71} $\Big)$ S_α^2 +

$\Big($ 34 144 266 955 936 391 358 147 843 276 035 782 679 868 791 535 949 997 992 235 938 216 726 157 629 061 ∖ 933 245 220 782 080 000 000 000 000 +

553 784 886 324 149 726 496 265 355 719 657 942 688 933 880 062 345 461 360 574 792 591 577 258 775 ∖ 280 402 267 457 454 080 000 000 000 000 α +

4 387 012 803 667 442 736 856 741 118 954 541 340 268 789 926 195 057 385 811 207 388 908 009 460 129 ∖ 317 279 071 719 548 518 400 000 000 000 α^2 +

22 633 302 169 207 906 758 729 769 614 207 440 019 970 917 339 649 543 518 014 268 964 385 084 482 978 ∖ 018 266 213 043 320 913 920 000 000 000 α^3 +

85 552 418 429 795 074 570 912 204 697 807 912 075 833 738 022 506 963 067 588 647 832 440 638 253 163 ∖ 691 497 101 190 416 564 224 000 000 000 α^4 +

252 723 747 374 547 462 371 745 024 250 766 392 368 759 215 939 272 101 682 182 115 531 704 763 268 ∖ 392 152 169 027 184 240 256 614 400 000 000 α^5 +

607 724 937 219 393 462 523 161 350 264 771 075 897 079 915 467 574 326 180 332 768 491 897 128 039 ∖ 934 054 713 238 289 231 254 650 880 000 000 α^6 +

1 223 580 768 370 987 563 894 093 260 460 833 739 203 437 154 201 334 275 091 272 201 284 669 656 162 ∖ 348 824 187 133 254 935 834 001 408 000 000 α^7 +

2 105 495 610 281 200 050 408 024 384 988 879 562 845 079 561 721 331 516 640 551 564 762 746 529 128 ∖ 090 311 044 701 278 109 965 274 316 800 000 α^8 +

3 145 444 808 723 913 766 904 909 269 920 838 373 179 223 469 011 748 898 797 626 728 608 233 602 534 ∖

767 047 174 164 462 270 535 392 296 960 000 α^9 +

4 130 238 525 004 179 487 826 231 444 809 165 879 722 156 151 914 059 546 680 227 950 055 095 074 618 069 383 579 249 197 349 120 579 207 168 000 α^{10} +

4 814 557 152 477 824 301 686 616 883 323 088 115 566 280 039 120 029 703 853 294 482 953 351 250 386 975 524 816 342 564 500 827 967 324 160 000 α^{11} +

5 023 212 132 588 908 912 289 500 233 055 536 472 633 138 824 146 168 537 953 933 739 014 953 340 444 239 203 239 614 738 079 908 744 711 372 800 α^{12} +

4 723 048 346 165 310 610 514 100 589 153 716 050 772 855 964 990 114 215 294 378 266 486 733 133 179 399 394 454 729 267 357 736 111 597 158 400 α^{13} +

4 025 271 475 284 752 619 439 731 448 628 556 392 866 732 753 304 464 621 980 751 157 745 708 786 303 236 356 287 238 070 774 504 684 204 851 200 α^{14} +

3 125 025 118 677 133 496 663 770 717 190 274 340 188 801 165 603 106 924 468 784 517 043 137 119 677 679 963 357 633 675 808 458 642 817 024 000 α^{15} +

2 219 511 179 517 889 641 661 651 881 641 775 935 045 547 286 230 837 008 383 798 583 223 636 672 869 244 009 730 448 462 750 242 456 574 361 600 α^{16} +

1 447 521 322 446 346 447 989 773 057 126 224 723 639 794 026 580 662 509 851 051 263 554 024 531 867 115 303 742 326 533 421 702 132 740 915 200 α^{17} +

869 707 520 428 226 272 868 976 443 824 145 218 050 858 606 583 524 615 149 551 625 733 877 005 151 484 749 948 403 825 513 461 803 122 688 000 α^{18} +

482 779 447 746 020 819 057 071 556 862 854 318 962 074 573 166 048 430 437 636 296 198 780 090 274 374 002 560 895 776 294 819 542 230 630 400 α^{19} +

248 229 271 596 444 873 564 904 302 597 086 046 615 619 428 212 321 439 082 694 193 566 830 598 159 219 155 107 720 326 703 100 891 811 020 800 α^{20} +

118 484 597 838 558 425 993 619 178 513 000 234 719 313 783 598 226 394 884 786 802 494 417 252 609 376 925 890 016 098 373 634 460 798 156 800 α^{21} +

52 606 848 215 253 012 997 718 400 583 218 869 343 879 251 208 153 208 849 736 415 777 077 175 465 064 612 055 291 275 035 300 116 771 635 200 α^{22} +

21 765 312 103 162 473 882 882 569 477 659 927 131 689 054 536 318 011 781 934 085 339 587 233 436 130 743 729 445 990 166 010 627 987 865 600 α^{23} +

8 404 566 388 472 129 983 178 372 448 618 375 794 544 230 329 702 070 365 599 831 989 638 472 797 673 107 417 293 398 378 167 392 849 100 800 α^{24} +

3 033 212 810 715 922 658 702 859 167 949 541 223 255 820 892 538 566 240 535 687 060 399 428 968 922 425 744 803 134 450 530 221 712 998 400 α^{25} +

1 024 396 841 668 573 480 024 880 884 604 330 059 703 652 991 132 830 405 654 373 505 353 787 540 806 036 994 554 843 763 601 663 275 827 200 α^{26} +

324 107 795 801 647 694 217 593 350 994 175 321 783 933 603 875 849 884 682 665 667 869 771 970 901 511 490 004 990 590 157 053 755 392 000 α^{27} +

96 158 445 996 567 671 937 113 779 177 455 633 180 601 407 986 847 316 209 930 662 923 430 329 901 825 618 942 271 374 115 553 148 928 000 α^{28} +

26 775 029 811 311 634 118 046 567 292 278 962 665 579 756 883 749 536 121 685 305 955 130 392 421 910 347 647 396 402 503 986 498 764 800 α^{29} +

7 002 217 014 303 063 907 293 138 767 680 684 118 275 980 038 370 360 202 794 817 674 724 473 275 801 078 677 328 997 954 369 041 203 200 α^{30} +

1 720 982 251 127 061 810 350 178 817 501 402 333 545 669 063 443 880 400 502 478 486 843 586 696 787 391 377 423 935 605 374 032 281 600 α^{31} +

397 722 954 195 277 985 893 476 140 550 085 006 231 437 519 605 104 800 550 822 129 050 280 750 397 023 084 740 382 543 315 363 430 400 α^{32} +

86 463 857 238 867 095 150 770 290 597 067 444 642 917 537 984 614 973 248 745 942 419 420 773 314 072 335 472 137 353 603 684 761 600 α^{33} +

17 688 215 643 410 501 682 794 748 306 460 486 987 469 402 841 652 557 236 360 276 411 056 670 408 218 439 761 193 441 763 419 750 400 α^{34} +

3 405 927 138 143 581 211 486 942 116 392 164 416 409 709 787 749 482 340 340 248 517 814 465 088 865 825 927 765 906 964 034 355 200 α^{35} +

617 385 509 608 350 833 840 249 712 683 428 509 344 631 689 274 025 094 426 733 538 194 619 421 384 648 580 341 004 071 495 270 400 α^{36} +

105 360 272 271 890 321 521 093 310 726 490 453 234 275 573 139 185 400 735 155 776 558 561 525 720 756 810 309 876 307 302 809 600 α^{37} +

16 927 317 887 891 198 806 135 718 313 712 436 440 934 193 318 891 510 089 050 985 447 295 754 014 954 329 766 090 663 945 830 400 α^{38} +

2 560 018 919 159 857 536 639 997 657 973 342 015 197 674 460 020 069 424 275 807 583 238 196 742 771 434 906 253 359 316 992 000 α^{39} +

364 381 011 414 302 945 550 783 530 634 169 528 457 904 352 646 164 342 660 883 591 143 261 556 813 070 435 251 754 998 169 600 α^{40} +

48 797 705 776 222 246 279 319 114 475 858 539 752 492 509 627 840 871 263 035 942 863 470 500 466 960 317 464 203 755 520 000 α^{41} +

6 146 191 521 412 499 000 461 289 160 908 812 425 642 835 327 743 917 355 943 249 422 814 637 170 368 046 772 222 794 137 600 α^{42} +

727 719 765 399 895 312 397 688 082 788 819 271 830 238 258 297 704 621 652 546 446 515 867 432 598 255 117 968 552 755 200 α^{43} +

80 949 865 310 812 819 581 576 577 122 328 650 704 586 804 719 936 543 677 373 118 071 193 731 729 549 447 948 088 115 200 α^{44} +

8 453 871 504 348 622 578 249 539 271 444 149 165 358 175 088 247 970 640 377 968 881 476 670 032 260 907 240 154 726 400 α^{45} +

828 178 663 067 739 616 877 298 921 990 504 422 631 350 486 429 406 189 857 998 041 777 792 288 035 638 730 765 107 200 α^{46} +

76 033 684 448 550 062 524 814 589 779 683 374 044 949 333 969 232 117 174 018 023 484 692 104 309 411 181 232 128 000 α^{47} +

6 534 684 511 192 817 508 391 223 230 849 409 321 687 233 827 867 181 905 595 747 733 203 217 150 866 274 805 350 400 α^{48} +

525 091 399 837 155 104 155 922 999 337 200 401 079 187 451 721 403 956 515 994 802 002 612 102 115 777 262 387 200 α^{49} +

39 392 786 741 061 253 342 236 265 207 783 759 466 816 920 401 324 297 571 261 248 366 622 350 695 245 597 900 800 α^{50} +

2 754 645 272 646 308 824 267 784 672 145 950 410 440 709 292 354 638 153 014 516 107 992 758 625 407 231 590 400 α^{51} +

179 218 382 745 988 487 237 369 606 267 564 427 247 588 866 310 795 892 253 577 018 869 823 026 032 856 268 800 α^{52} +

10 825 800 319 137 305 582 700 106 466 669 556 093 469 771 060 542 480 624 135 167 196 278 280 853 389 312 000 α^{53} +

605 712 675 506 173 046 065 005 919 244 577 358 860 321 199 075 649 704 536 219 937 209 497 000 765 030 400 α^{54} +

31 305 972 062 466 988 810 753 056 976 308 749 154 062 321 130 911 114 921 196 075 444 592 037 383 372 800 α^{55} +

1 490 038 953 897 502 798 428 291 566 158 451 586 951 481 088 141 390 806 574 522 207 432 815 411 200 000 α^{56} +

65 077 974 637 065 950 475 318 271 033 363 537 021 338 344 380 469 683 385 033 132 207 387 128 627 200 α^{57} +

2 597 482 013 650 244 365 617 209 577 085 043 678 029 653 337 762 393 562 311 492 105 764 706 713 600 α^{58} +

94 292 553 128 855 199 817 399 801 910 978 440 961 726 298 488 127 710 900 819 918 501 550 489 600 α^{59} +

3 095 794 272 726 601 888 551 671 970 168 063 948 279 580 991 651 577 252 050 244 103 412 121 600 α^{60} +

91 315 949 670 568 851 838 342 558 263 140 968 757 192 708 380 981 567 698 116 128 486 195 200 α^{61} +

$2\,400\,651\,321\,688\,095\,926\,382\,368\,797\,586\,550\,936\,698\,364\,343\,457\,264\,535\,181\,657\,846\,579\,200\,\alpha^{62}\,+$

$55\,703\,529\,922\,416\,717\,943\,131\,855\,350\,465\,326\,012\,477\,395\,191\,843\,627\,111\,799\,796\,531\,200\,\alpha^{63}\,+$

$1\,127\,033\,171\,841\,101\,402\,279\,841\,205\,039\,900\,089\,894\,820\,937\,680\,570\,481\,803\,001\,856\,000\,\alpha^{64}\,+$

$19\,578\,169\,637\,595\,248\,242\,020\,595\,138\,147\,591\,793\,916\,897\,654\,070\,790\,006\,715\,187\,200\,\alpha^{65}\,+$

$286\,121\,813\,510\,641\,588\,908\,457\,417\,127\,964\,357\,638\,406\,431\,418\,411\,403\,286\,937\,600\,\alpha^{66}\,+$

$3\,420\,994\,860\,509\,858\,667\,142\,496\,593\,772\,045\,427\,823\,167\,385\,902\,243\,643\,392\,000\,\alpha^{67}\,+$

$32\,133\,494\,955\,730\,720\,873\,379\,210\,128\,531\,627\,769\,857\,457\,922\,783\,156\,633\,600\,\alpha^{68}\,+$

$222\,354\,563\,078\,099\,812\,448\,042\,509\,142\,305\,422\,130\,457\,075\,012\,075\,520\,000\,\alpha^{69}\,+$

$1\,007\,786\,052\,762\,493\,425\,441\,335\,296\,146\,630\,365\,123\,214\,720\,368\,640\,000\,\alpha^{70}\,+$

$2\,244\,333\,848\,512\,671\,272\,755\,697\,788\,284\,868\,386\,498\,847\,703\,040\,000\,\alpha^{71}\Big)$

In[●]:= **RecNormalizedOrder = OrePolynomialDegree[RECNormalizedinS, S[α]]**

Out[●]= 12

ODE for *R*(*z*).

In[●]:= **RecNormalizedOrder = OrePolynomialDegree[RECNormalizedinS, S[α]]**
RECNormalizedinSDetails = First[RECNormalizedinS]

Out[●]= 12

Out[●]= $\Big\{\Big\{4\,190\,970\,226\,661\,938\,283\,327\,586\,439\,069\,102\,891\,433\,625\,504\,426\,268\,810\,080\,251\,229\,377\,168\,985\,292\,\backslash$
$800\,000\,000\,000\,+$
$58\,847\,922\,071\,535\,534\,391\,727\,519\,803\,111\,047\,320\,013\,518\,870\,044\,918\,732\,641\,860\,370\,911\,037\,851\,959\,\backslash$
$296\,000\,000\,000\,\alpha\,+$
$404\,854\,722\,000\,524\,625\,113\,083\,598\,381\,826\,897\,362\,945\,512\,096\,032\,926\,115\,180\,304\,236\,854\,447\,822\,\backslash$
$811\,955\,200\,000\,000\,\alpha^2\,+$
$1\,819\,310\,651\,899\,983\,546\,357\,365\,649\,610\,092\,887\,760\,815\,140\,213\,764\,093\,503\,250\,345\,968\,575\,322\,543\,\backslash$
$924\,183\,040\,000\,000\,\alpha^3\,+$
$6\,006\,932\,793\,880\,740\,275\,084\,569\,227\,249\,208\,802\,908\,638\,101\,965\,749\,612\,164\,739\,023\,226\,987\,596\,762\,\backslash$
$552\,205\,312\,000\,000\,\alpha^4\,+$
$15\,542\,058\,036\,447\,515\,620\,126\,576\,860\,788\,928\,677\,138\,223\,443\,640\,701\,400\,296\,370\,372\,834\,021\,011\,612\,\backslash$
$732\,384\,870\,400\,000\,\alpha^5\,+$
$32\,820\,282\,461\,140\,184\,202\,131\,287\,893\,026\,238\,054\,812\,195\,556\,655\,475\,287\,553\,450\,268\,534\,297\,551\,414\,\backslash$
$951\,152\,189\,440\,000\,\alpha^6\,+$
$58\,173\,398\,827\,729\,582\,074\,329\,525\,498\,468\,758\,551\,878\,120\,656\,417\,553\,208\,851\,735\,904\,561\,602\,501\,355\,\backslash$
$690\,596\,499\,456\,000\,\alpha^7\,+$
$88\,336\,839\,358\,882\,206\,314\,092\,933\,010\,862\,145\,114\,346\,749\,442\,347\,892\,591\,634\,874\,424\,831\,583\,960\,346\,\backslash$
$280\,589\,184\,204\,800\,\alpha^8\,+$
$116\,724\,553\,597\,643\,879\,078\,159\,740\,757\,434\,827\,373\,557\,248\,433\,335\,212\,255\,237\,753\,283\,951\,401\,271\,\backslash$
$613\,392\,280\,890\,572\,800\,\alpha^9\,+$
$135\,864\,109\,638\,614\,032\,296\,522\,632\,936\,648\,999\,927\,806\,190\,567\,542\,287\,803\,702\,681\,580\,331\,744\,880\,\backslash$
$538\,040\,080\,857\,186\,304\,\alpha^{10}\,+$
$140\,687\,074\,787\,924\,230\,094\,056\,378\,297\,208\,918\,741\,991\,429\,091\,808\,376\,230\,683\,632\,232\,694\,065\,197\,\backslash$
$657\,710\,683\,401\,738\,240\,\alpha^{11}\,+$
$130\,656\,273\,592\,601\,969\,782\,766\,314\,899\,254\,631\,257\,673\,265\,034\,806\,324\,724\,183\,951\,133\,077\,168\,848\,\backslash$
$847\,086\,444\,970\,042\,880\,\alpha^{12}\,+$
$109\,564\,631\,378\,441\,925\,056\,784\,895\,482\,015\,738\,937\,044\,050\,627\,808\,402\,100\,517\,184\,401\,751\,742\,451\,\backslash$
$092\,410\,356\,473\,864\,704\,\alpha^{13}\,+$
$83\,436\,898\,985\,683\,246\,337\,758\,023\,585\,678\,946\,791\,000\,165\,293\,393\,907\,405\,085\,176\,377\,082\,122\,792\,049\,\backslash$
$958\,240\,669\,627\,008\,\alpha^{14}\,+$

57 985 076 698 511 052 512 900 610 390 156 260 529 849 281 565 334 534 799 408 553 943 373 143 045 060
136 321 819 912 256 α^{15} +

36 929 641 340 925 336 953 075 237 802 458 439 984 211 165 858 066 490 521 858 221 248 052 419 776 119
725 061 843 766 944 α^{16} +

21 633 410 897 377 713 531 584 181 331 802 491 380 346 436 706 273 836 328 205 665 891 998 930 951 015
315 071 728 123 600 α^{17} +

11 693 811 597 468 802 171 144 365 900 906 330 753 434 476 020 572 358 869 257 163 621 235 740 828 217
987 898 823 173 416 α^{18} +

5 849 107 857 053 302 386 525 878 543 848 663 856 689 066 045 960 674 165 764 721 026 554 248 743 543
100 584 874 763 188 α^{19} +

2 713 955 894 638 053 042 606 446 437 557 022 712 151 076 419 030 015 861 412 999 755 056 811 167 108
862 430 938 270 792 α^{20} +

1 170 707 793 051 148 605 467 742 218 929 025 009 659 641 350 775 307 252 253 781 128 230 671 162 152
137 983 889 982 445 α^{21} +

470 404 646 365 453 655 210 668 114 571 349 927 882 834 248 720 818 472 309 232 866 482 888 175 995
778 360 770 739 385 α^{22} +

176 368 834 766 438 042 638 972 952 622 279 587 302 499 764 050 348 938 319 453 832 506 218 757 391
737 789 255 909 504 α^{23} +

61 796 629 827 218 674 927 963 706 913 160 349 667 072 132 964 645 875 130 846 652 253 624 131 216 623
011 265 062 162 α^{24} +

20 262 391 146 673 052 097 423 351 950 917 857 221 897 829 007 897 013 167 569 792 328 674 254 683 102
231 552 036 353 α^{25} +

6 224 750 341 452 773 827 255 133 768 817 072 272 094 998 855 766 743 310 917 336 953 111 096 591 689
080 709 346 881 α^{26} +

1 793 573 622 459 952 623 380 048 914 274 285 414 284 237 298 052 842 744 674 564 338 102 893 884 671
454 769 432 490 α^{27} +

485 161 872 650 900 995 169 845 258 359 660 710 777 529 060 430 949 620 115 000 253 706 428 783 153
595 292 329 920 α^{28} +

123 303 734 973 888 769 962 212 521 820 271 701 837 127 298 288 635 713 961 922 449 169 991 996 374
083 647 640 234 α^{29} +

29 463 964 701 719 697 570 747 929 968 846 165 087 596 515 543 908 786 614 180 596 434 642 899 065 145
352 152 546 α^{30} +

6 623 523 626 679 176 292 555 942 275 279 088 219 946 539 120 698 781 550 480 802 100 328 295 480 958
555 927 144 α^{31} +

1 401 471 290 009 579 732 274 839 467 071 483 792 099 248 740 284 144 789 771 118 874 695 097 010 251
813 849 004 α^{32} +

279 221 855 252 760 121 567 608 086 097 364 466 082 632 626 740 099 883 157 770 001 958 768 989 540
464 660 266 α^{33} +

52 398 357 766 768 398 463 854 275 607 237 806 149 558 324 590 114 787 098 666 030 274 447 220 405 894
576 658 α^{34} +

9 263 672 080 745 621 924 538 211 297 271 312 192 560 270 371 989 169 596 511 910 725 191 338 884 332
509 632 α^{35} +

1 543 128 065 026 375 931 782 589 376 336 299 525 626 865 871 436 245 727 500 796 109 472 465 048 726
479 376 α^{36} +

242 210 182 789 630 940 422 956 909 254 314 262 331 979 226 658 019 943 422 987 797 096 037 054 193
843 049 α^{37} +

35 820 781 964 247 490 628 493 251 646 258 938 251 402 613 998 759 349 149 692 044 836 698 875 104 275
957 α^{38} +

4 990 826 920 355 939 273 221 917 723 089 919 510 603 930 513 582 900 146 679 963 989 534 607 741 261
768 α^{39} +

654 950 576 757 483 094 538 049 570 618 447 686 639 272 563 912 210 288 831 778 009 142 290 169 546 610

$\alpha^{40}+$

$80\,929\,544\,388\,038\,604\,305\,846\,044\,514\,696\,501\,338\,584\,236\,823\,040\,579\,159\,907\,971\,546\,401\,443\,145\,669$
$\alpha^{41}+$

$9\,412\,194\,683\,034\,409\,042\,004\,318\,890\,684\,885\,856\,824\,192\,417\,163\,174\,454\,892\,734\,472\,084\,401\,836\,709$
$\alpha^{42}+$

$1\,029\,768\,168\,449\,062\,024\,221\,426\,173\,352\,362\,030\,202\,445\,838\,276\,376\,177\,815\,161\,631\,255\,234\,810\,706$
$\alpha^{43}+$

$105\,922\,137\,973\,569\,720\,320\,375\,215\,854\,615\,847\,984\,684\,090\,782\,591\,817\,548\,583\,263\,680\,729\,853\,720$
$\alpha^{44}+$

$10\,235\,715\,409\,642\,848\,415\,270\,850\,922\,269\,694\,275\,286\,708\,907\,043\,263\,340\,373\,526\,742\,470\,060\,608\,\alpha^{45}+$

$928\,468\,762\,765\,267\,178\,652\,384\,458\,976\,575\,642\,949\,171\,305\,390\,789\,427\,380\,738\,501\,147\,800\,272\,\alpha^{46}+$

$78\,978\,912\,384\,225\,271\,036\,089\,194\,885\,282\,424\,845\,772\,390\,002\,830\,575\,544\,473\,470\,006\,833\,824\,\alpha^{47}+$

$6\,293\,111\,575\,793\,385\,217\,753\,645\,453\,388\,935\,793\,396\,412\,323\,190\,151\,222\,097\,929\,332\,225\,024\,\alpha^{48}+$

$469\,113\,794\,928\,281\,260\,665\,236\,794\,500\,722\,818\,140\,858\,041\,372\,348\,009\,605\,456\,654\,780\,416\,\alpha^{49}+$

$32\,667\,997\,119\,676\,145\,224\,376\,489\,978\,491\,634\,625\,540\,828\,496\,864\,515\,056\,413\,372\,416\,000\,\alpha^{50}+$

$2\,121\,717\,032\,246\,729\,001\,442\,017\,249\,160\,271\,522\,595\,547\,462\,788\,098\,161\,658\,452\,770\,816\,\alpha^{51}+$

$128\,282\,520\,267\,344\,480\,837\,544\,542\,899\,522\,134\,229\,160\,065\,738\,601\,905\,433\,061\,359\,616\,\alpha^{52}+$

$7\,205\,252\,101\,727\,120\,255\,414\,009\,126\,731\,353\,087\,345\,703\,388\,243\,673\,348\,786\,094\,080\,\alpha^{53}+$

$375\,055\,292\,108\,171\,987\,218\,413\,622\,172\,468\,644\,286\,869\,102\,937\,552\,697\,723\,715\,584\,\alpha^{54}+$

$18\,043\,669\,719\,500\,081\,665\,693\,998\,557\,407\,338\,132\,670\,501\,396\,875\,038\,542\,528\,512\,\alpha^{55}+$

$799\,812\,988\,454\,177\,711\,022\,627\,845\,078\,886\,739\,892\,090\,478\,048\,804\,580\,884\,480\,\alpha^{56}+$

$32\,548\,940\,788\,336\,878\,581\,776\,867\,303\,632\,497\,941\,099\,771\,230\,123\,800\,395\,776\,\alpha^{57}+$

$1\,211\,103\,179\,221\,275\,601\,526\,701\,824\,834\,007\,552\,269\,734\,626\,401\,296\,842\,752\,\alpha^{58}+$

$41\,005\,357\,703\,513\,107\,657\,149\,037\,313\,475\,878\,607\,435\,320\,558\,924\,857\,344\,\alpha^{59}+$

$1\,256\,244\,070\,924\,019\,417\,481\,535\,746\,714\,060\,516\,306\,001\,634\,732\,802\,048\,\alpha^{60}+$

$34\,592\,888\,194\,112\,057\,802\,631\,464\,455\,649\,723\,637\,984\,988\,271\,476\,736\,\alpha^{61}+$

$849\,381\,156\,017\,236\,138\,927\,724\,094\,760\,771\,313\,679\,805\,244\,768\,256\,\alpha^{62}+$

$18\,415\,369\,187\,596\,611\,293\,172\,454\,003\,904\,047\,599\,192\,574\,525\,440\,\alpha^{63}+$

$348\,293\,428\,881\,701\,344\,690\,591\,769\,794\,398\,328\,259\,679\,879\,168\,\alpha^{64}+$

$5\,658\,147\,124\,803\,384\,957\,597\,246\,059\,646\,635\,564\,769\,214\,464\,\alpha^{65}+$

$77\,361\,613\,674\,729\,588\,394\,696\,247\,351\,761\,125\,739\,855\,872\,\alpha^{66}+$

$865\,714\,072\,810\,947\,332\,895\,012\,339\,872\,467\,293\,044\,736\,\alpha^{67}+$

$7\,613\,757\,083\,242\,133\,339\,391\,191\,841\,933\,367\,443\,456\,\alpha^{68}+$

$49\,348\,516\,224\,723\,072\,565\,204\,400\,995\,093\,708\,800\,\alpha^{69}+$

$209\,579\,125\,479\,059\,089\,455\,976\,930\,502\,246\,400\,\alpha^{70}+$

$437\,502\,088\,527\,074\,815\,832\,949\,679\,718\,400\,\alpha^{71},\ \{12\}\big\},$

$\big\{-523\,299\,519\,302\,086\,706\,229\,216\,786\,980\,326\,676\,479\,049\,880\,573\,864\,640\,960\,756\,408\,473\,986\,935\,491\,$ \
$133\,440\,000\,000\,000\,000-$

$7\,369\,191\,016\,311\,653\,200\,214\,764\,577\,423\,384\,288\,286\,507\,946\,199\,500\,222\,986\,649\,464\,276\,158\,450\,246\,$ \
$457\,753\,600\,000\,000\,000\,\alpha-$

$50\,848\,217\,937\,110\,993\,194\,510\,133\,800\,206\,053\,142\,707\,670\,699\,122\,807\,394\,167\,339\,881\,791\,694\,618\,968\,$ \
$915\,443\,712\,000\,000\,000\,\alpha^{2}-$

$229\,195\,707\,850\,766\,641\,274\,906\,622\,914\,092\,451\,630\,881\,410\,811\,748\,021\,545\,793\,380\,697\,596\,907\,980\,$ \
$379\,986\,880\,102\,400\,000\,000\,\alpha^{3}-$

$759\,121\,063\,434\,046\,337\,943\,390\,996\,082\,012\,244\,680\,222\,705\,916\,058\,141\,561\,062\,448\,357\,576\,340\,235\,$ \
$834\,335\,850\,004\,480\,000\,000\,\alpha^{4}-$

$1\,970\,431\,415\,121\,813\,861\,579\,212\,192\,259\,658\,366\,112\,905\,396\,524\,991\,035\,326\,275\,339\,105\,521\,538\,896\,$ \
$909\,684\,957\,609\,984\,000\,000\,\alpha^{5}-$

$4\,174\,705\,372\,333\,245\,975\,585\,325\,408\,403\,706\,184\,890\,119\,081\,017\,254\,143\,482\,887\,318\,409\,204\,332\,607\,$ \
$975\,296\,620\,416\,204\,800\,000\,\alpha^{6}-$

$7\,424\,636\,264\,334\,423\,318\,350\,129\,942\,606\,541\,391\,161\,636\,842\,713\,153\,394\,034\,215\,095\,984\,426\,528\,318\,$

977 724 022 940 794 880 000 α^7 −

11 313 491 394 695 711 941 022 865 450 165 756 636 845 403 063 497 240 498 693 933 544 916 305 224 726 346 264 617 133 821 952 000 α^8 −

15 002 312 481 355 375 699 363 758 004 253 071 229 214 684 894 271 697 185 344 842 699 321 266 664 420 978 973 941 213 502 873 600 α^9 −

17 525 861 758 400 304 542 977 659 370 153 875 629 552 071 441 290 607 260 167 695 861 393 280 655 253 387 493 386 827 869 184 000 α^{10} −

18 215 674 692 866 862 968 555 043 745 521 085 547 670 071 527 768 879 150 421 215 691 287 199 552 822 228 409 230 290 009 509 888 α^{11} −

16 981 492 475 901 306 179 426 434 541 984 659 448 276 909 006 061 755 568 505 426 942 110 498 176 002 533 061 532 544 025 838 592 α^{12} −

14 295 815 111 006 747 486 263 956 970 545 720 657 815 114 300 742 188 573 518 510 793 589 186 094 928 361 670 949 124 442 174 464 α^{13} −

10 930 207 278 950 249 395 074 757 851 953 195 402 561 971 170 298 644 251 758 406 088 422 406 308 285 610 473 821 036 063 709 184 α^{14} −

7 627 061 739 021 827 675 963 696 433 388 394 645 273 785 927 451 514 906 451 126 949 775 078 568 214 639 799 773 480 918 845 440 α^{15} −

4 877 826 080 752 325 426 182 658 768 514 780 207 877 664 732 452 526 918 133 094 350 487 192 000 495 272 793 546 912 078 930 944 α^{16} −

2 869 631 725 416 974 064 103 261 467 872 353 485 200 209 664 209 430 786 430 721 062 264 899 467 277 461 886 120 311 590 565 536 α^{17} −

1 557 927 667 387 074 669 452 963 766 391 872 582 782 498 126 387 747 576 597 940 797 216 106 178 022 406 091 072 004 710 215 072 α^{18} −

782 728 754 874 202 167 408 998 292 596 272 982 295 242 143 681 996 588 762 626 363 337 042 298 901 006 035 640 885 966 774 192 α^{19} −

364 834 315 992 958 132 879 399 130 136 624 581 237 019 115 773 386 708 427 894 484 338 911 128 105 631 629 720 653 460 530 900 α^{20} −

158 107 971 036 641 110 074 880 088 174 160 583 556 581 964 685 407 609 098 449 155 068 672 828 656 052 603 152 583 809 836 984 α^{21} −

63 830 860 088 676 543 104 227 415 141 566 045 398 508 448 625 646 080 525 100 465 293 656 607 366 313 263 342 912 617 432 296 α^{22} −

24 047 869 646 678 292 383 357 236 139 299 914 256 624 503 853 584 805 622 687 393 013 218 909 472 232 790 874 398 876 360 960 α^{23} −

8 467 543 101 543 435 565 760 651 112 285 934 356 619 438 006 644 449 616 204 129 825 819 025 886 142 121 723 059 261 707 076 α^{24} −

2 790 382 476 035 578 703 535 366 888 455 193 299 680 047 131 913 857 784 493 474 947 741 861 663 909 763 929 916 387 864 760 α^{25} −

861 625 046 332 441 383 817 213 868 337 079 266 895 494 323 143 644 015 578 075 226 832 774 099 534 811 049 447 447 075 920 α^{26} −

249 564 156 766 720 213 198 198 527 870 345 531 388 077 126 214 407 544 574 062 951 688 989 122 467 325 569 259 635 240 384 α^{27} −

67 867 203 252 135 488 640 137 842 261 735 154 895 413 540 329 082 585 511 454 110 590 188 980 429 662 465 048 995 205 352 α^{28} −

17 342 186 162 283 431 771 520 582 942 887 503 304 656 859 599 334 234 814 128 020 797 797 594 737 586 872 237 444 310 000 α^{29} −

4 166 942 762 408 180 551 019 356 360 236 615 147 165 187 333 879 842 765 632 600 473 709 925 057 142 328 943 027 148 336 α^{30} −

942 017 502 379 836 366 392 139 137 952 392 658 327 337 705 249 938 189 616 488 849 079 418 344 288 928 080 857 313 088 α^{31} −

200 466 957 350 811 172 533 441 321 915 097 099 339 188 968 068 276 490 655 056 824 373 000 257 626 804 045 257 186 024 α^{32} −

40 173 741 201 579 123 243 637 168 175 026 453 962 155 953 976 141 891 617 436 020 863 383 234 598 705 ⧵
    328 647 334 992 α^{33} −

7 583 868 140 928 794 114 161 620 567 839 931 468 488 527 073 897 818 068 521 196 474 802 388 034 203 ⧵
    266 869 225 888 α^{34} −

1 348 909 590 220 941 508 206 178 387 108 951 811 441 165 131 470 268 300 898 635 006 293 548 124 155 ⧵
    715 469 851 504 α^{35} −

226 086 664 022 487 246 419 852 600 082 380 540 613 940 098 160 393 725 938 213 278 158 989 821 491 ⧵
    515 161 318 980 α^{36} −

35 709 667 770 270 683 473 459 080 644 641 623 098 165 370 872 274 375 175 474 791 140 672 165 056 129 ⧵
    619 325 528 α^{37} −

5 314 916 382 610 263 644 922 799 856 037 498 217 293 154 172 070 051 393 440 392 412 271 890 368 400 ⧵
    218 105 512 α^{38} −

745 332 000 189 429 125 873 372 770 485 039 457 500 911 350 722 808 030 779 408 807 583 254 661 846 ⧵
    397 276 480 α^{39} −

98 457 769 657 045 330 471 097 260 342 974 728 814 790 138 397 246 032 141 367 137 738 345 609 935 045 ⧵
    914 068 α^{40} −

12 247 895 917 709 686 199 582 742 616 272 224 701 125 460 799 172 616 735 867 016 762 611 030 040 130 ⧵
    041 432 α^{41} −

1 434 192 152 719 808 038 027 174 909 003 497 298 835 042 184 404 572 037 394 810 016 561 041 762 632 ⧵
    125 104 α^{42} −

158 003 779 289 528 371 428 737 152 407 107 946 129 220 154 127 037 103 122 591 206 258 342 751 153 ⧵
    180 064 α^{43} −

16 367 269 986 516 324 833 045 708 445 132 875 595 664 681 092 641 790 194 014 597 660 106 555 624 838 ⧵
    656 α^{44} −

1 593 013 784 316 451 085 160 847 062 480 833 690 901 158 617 373 753 951 116 057 086 542 421 189 186 ⧵
    560 α^{45} −

145 556 357 974 092 132 918 990 723 191 940 912 990 339 693 990 565 628 632 987 398 057 399 715 700 736 ⧵
    α^{46} −

12 473 511 021 314 367 143 335 973 300 148 686 943 968 055 315 425 389 921 497 617 800 595 565 756 416 ⧵
    α^{47} −

1 001 401 444 516 924 723 950 679 493 792 033 719 097 842 822 949 043 462 214 919 140 412 310 421 504 ⧵
    α^{48} −

75 220 832 359 706 407 910 019 319 009 237 348 164 551 456 521 464 287 268 801 033 561 178 112 000 α^{49} −
5 279 003 158 766 647 042 133 089 981 334 068 289 159 505 107 228 523 970 923 789 982 487 281 664 α^{50} −
345 572 433 523 674 894 262 730 319 577 230 477 497 660 379 570 967 131 171 078 939 265 204 224 α^{51} −
21 061 750 224 700 616 872 541 295 159 397 848 592 348 922 356 501 820 127 333 942 332 227 584 α^{52} −
1 192 628 073 323 599 756 194 465 841 516 963 341 845 614 114 072 235 548 044 618 255 826 944 α^{53} −
62 594 177 790 067 201 932 958 397 659 650 607 954 686 551 599 269 632 147 887 308 668 928 α^{54} −
3 036 691 109 743 409 781 847 332 922 959 763 875 278 830 723 200 738 114 228 040 237 056 α^{55} −
135 755 056 010 977 389 497 640 631 705 393 883 895 580 147 566 624 614 106 557 054 976 α^{56} −
5 572 516 001 237 624 948 322 967 778 067 257 997 623 951 763 119 695 685 469 863 936 α^{57} −
209 169 321 501 700 736 623 889 730 902 982 345 954 907 109 641 228 489 081 225 216 α^{58} −
7 145 221 327 059 739 224 082 541 168 537 175 111 493 170 931 586 762 201 366 528 α^{59} −
220 883 655 123 635 384 633 862 257 640 951 248 624 593 441 851 988 122 796 032 α^{60} −
6 138 290 867 714 614 147 275 172 607 982 950 540 208 990 425 073 041 014 784 α^{61} −
152 121 756 126 405 137 703 339 400 249 671 694 919 520 822 027 616 256 000 α^{62} −
3 329 312 456 618 635 343 388 860 127 653 959 247 388 180 427 336 318 976 α^{63} −
63 571 511 194 486 796 994 653 289 772 238 795 850 055 174 972 243 968 α^{64} −
1 042 779 989 582 908 481 797 324 215 663 704 757 684 479 385 927 680 α^{65} −
14 398 047 211 288 868 046 968 690 938 025 555 608 695 727 980 544 α^{66} −
162 731 242 659 856 838 862 444 087 485 371 503 810 392 883 200 α^{67} −

$1\,445\,682\,693\,811\,595\,342\,040\,188\,603\,853\,528\,428\,491\,833\,344\,\alpha^{68}\,-$

$9\,466\,403\,561\,293\,507\,297\,515\,412\,292\,448\,425\,921\,740\,800\,\alpha^{69}\,-$

$40\,621\,473\,028\,005\,367\,582\,854\,504\,845\,248\,403\,865\,600\,\alpha^{70}\,-$

$85\,692\,853\,520\,993\,768\,727\,486\,335\,844\,719\,001\,600\,\alpha^{71},\ \{10\}\,\big\},$

$\big\{2\,759\,985\,437\,075\,395\,437\,766\,420\,987\,594\,023\,375\,562\,223\,120\,405\,497\,015\,047\,691\,775\,402\,549\,493\,204\,$
$830\,178\,508\,800\,000\,000\,000\,+$

$39\,017\,070\,717\,077\,028\,885\,921\,580\,071\,193\,186\,539\,057\,813\,870\,888\,304\,278\,996\,613\,545\,915\,254\,668\,408\,$
$285\,864\,919\,040\,000\,000\,000\,\alpha\,+$

$270\,291\,593\,121\,940\,201\,558\,256\,989\,885\,065\,109\,695\,476\,557\,872\,389\,260\,768\,861\,694\,559\,119\,710\,297\,$
$102\,386\,299\,142\,144\,000\,000\,000\,\alpha^2\,+$

$1\,223\,288\,657\,711\,447\,123\,592\,104\,804\,162\,652\,041\,577\,252\,502\,571\,956\,678\,881\,600\,659\,613\,543\,914\,089\,$
$998\,844\,727\,761\,305\,600\,000\,000\,\alpha^3\,+$

$4\,068\,581\,617\,287\,333\,690\,838\,844\,765\,818\,743\,980\,930\,987\,220\,361\,550\,178\,798\,130\,714\,732\,211\,894\,383\,$
$266\,439\,327\,194\,808\,320\,000\,000\,\alpha^4\,+$

$10\,605\,882\,739\,295\,997\,373\,802\,444\,923\,225\,067\,911\,049\,941\,095\,270\,981\,004\,308\,372\,887\,626\,147\,982\,478\,$
$601\,649\,454\,864\,924\,672\,000\,000\,\alpha^5\,+$

$22\,568\,824\,774\,960\,767\,522\,293\,908\,136\,550\,614\,923\,898\,222\,193\,230\,955\,814\,132\,207\,692\,725\,035\,864\,584\,$
$055\,616\,753\,915\,186\,380\,800\,000\,\alpha^6\,+$

$40\,318\,106\,977\,765\,986\,049\,590\,419\,698\,527\,255\,755\,030\,056\,956\,350\,085\,184\,223\,645\,646\,636\,050\,053\,323\,$
$742\,518\,648\,931\,425\,976\,320\,000\,\alpha^7\,+$

$61\,717\,420\,084\,554\,029\,575\,649\,269\,825\,002\,068\,291\,773\,368\,764\,106\,972\,877\,652\,424\,744\,356\,744\,657\,076\,$
$612\,568\,943\,300\,538\,531\,840\,000\,\alpha^8\,+$

$82\,224\,246\,504\,599\,430\,292\,212\,391\,250\,747\,263\,646\,814\,092\,495\,809\,774\,635\,092\,854\,247\,205\,910\,787\,177\,$
$802\,965\,819\,012\,110\,771\,814\,400\,\alpha^9\,+$

$96\,515\,300\,628\,819\,885\,399\,076\,441\,784\,009\,235\,916\,219\,012\,084\,559\,700\,055\,510\,173\,440\,186\,133\,756\,095\,$
$558\,419\,979\,988\,737\,804\,206\,080\,\alpha^{10}\,+$

$100\,804\,919\,187\,424\,654\,890\,806\,388\,703\,980\,065\,577\,384\,170\,000\,962\,984\,608\,738\,678\,202\,208\,742\,611\,$
$950\,040\,698\,139\,829\,347\,868\,475\,392\,\alpha^{11}\,+$

$94\,444\,496\,875\,872\,341\,158\,065\,477\,360\,166\,398\,945\,384\,867\,257\,893\,543\,880\,237\,635\,172\,055\,816\,556\,476\,$
$332\,325\,231\,844\,916\,286\,455\,808\,\alpha^{12}\,+$

$79\,913\,247\,751\,970\,119\,947\,237\,606\,208\,092\,570\,672\,715\,630\,212\,923\,018\,862\,023\,590\,940\,609\,365\,304\,082\,$
$592\,050\,126\,700\,567\,793\,762\,304\,\alpha^{13}\,+$

$61\,417\,493\,970\,606\,332\,165\,730\,404\,658\,105\,266\,608\,887\,599\,997\,376\,731\,529\,804\,035\,474\,616\,259\,079\,229\,$
$147\,163\,052\,439\,070\,325\,080\,064\,\alpha^{14}\,+$

$43\,084\,357\,120\,682\,524\,638\,963\,382\,720\,630\,844\,780\,203\,712\,756\,201\,176\,771\,595\,934\,073\,378\,460\,197\,633\,$
$664\,125\,650\,589\,343\,873\,040\,384\,\alpha^{15}\,+$

$27\,703\,343\,959\,727\,369\,927\,246\,195\,051\,142\,038\,215\,201\,560\,505\,543\,891\,287\,436\,214\,901\,121\,608\,672\,874\,$
$260\,065\,134\,901\,925\,409\,259\,520\,\alpha^{16}\,+$

$16\,387\,793\,204\,713\,571\,290\,810\,096\,722\,352\,481\,391\,311\,447\,669\,852\,632\,849\,080\,654\,812\,252\,626\,233\,651\,$
$302\,597\,208\,935\,936\,953\,909\,248\,\alpha^{17}\,+$

$8\,946\,948\,813\,256\,822\,230\,153\,376\,855\,996\,839\,720\,864\,505\,532\,092\,947\,163\,143\,554\,088\,041\,441\,216\,968\,$
$711\,019\,687\,979\,206\,189\,309\,952\,\alpha^{18}\,+$

$4\,520\,820\,335\,135\,711\,674\,544\,368\,778\,317\,283\,671\,470\,910\,188\,091\,267\,050\,496\,698\,256\,973\,593\,727\,244\,$
$514\,222\,514\,758\,813\,342\,427\,136\,\alpha^{19}\,+$

$2\,119\,458\,372\,872\,904\,691\,571\,574\,638\,072\,693\,181\,058\,666\,696\,331\,856\,160\,441\,287\,354\,268\,149\,988\,443\,$
$940\,076\,816\,302\,011\,938\,095\,104\,\alpha^{20}\,+$

$923\,955\,776\,392\,459\,117\,894\,838\,871\,163\,542\,569\,278\,693\,309\,570\,937\,289\,492\,837\,773\,699\,929\,566\,122\,$
$319\,981\,488\,040\,161\,102\,161\,920\,\alpha^{21}\,+$

$375\,267\,780\,331\,971\,044\,029\,896\,979\,264\,109\,270\,145\,733\,473\,998\,274\,917\,029\,923\,905\,206\,375\,646\,002\,$
$151\,213\,965\,072\,994\,416\,050\,176\,\alpha^{22}\,+$

$142\,247\,713\,805\,144\,826\,236\,777\,732\,052\,763\,911\,644\,334\,784\,373\,887\,308\,230\,561\,768\,297\,438\,171\,373\,$

035 749 794 345 926 520 561 664 α^{23} +

50 399 836 459 046 376 328 815 897 026 139 024 154 455 826 560 213 933 623 924 636 366 206 346 429 431 421 597 659 271 618 220 032 α^{24} +

16 714 114 205 453 810 508 146 340 568 778 560 470 769 074 064 972 386 423 492 288 038 599 241 746 346 366 569 014 470 670 315 520 α^{25} +

5 194 344 136 904 782 450 097 811 280 671 853 287 822 221 335 758 122 069 819 793 991 355 238 685 159 341 130 854 427 397 066 752 α^{26} +

1 514 370 712 096 672 873 774 999 833 049 891 132 501 635 457 476 102 215 454 727 103 418 873 830 472 120 525 897 155 119 435 776 α^{27} +

414 564 671 064 816 082 304 768 116 641 623 935 918 809 404 710 936 963 566 009 503 260 506 522 334 260 286 225 848 254 513 152 α^{28} +

106 650 580 078 871 912 651 280 743 025 331 870 766 793 229 720 299 876 566 493 071 786 447 830 519 475 969 435 782 187 970 560 α^{29} +

25 801 715 370 391 052 755 488 345 213 859 151 276 719 912 736 277 600 693 424 626 224 490 137 726 185 414 318 722 129 084 416 α^{30} +

5 873 625 182 814 031 350 528 187 953 109 307 991 529 288 944 171 026 068 044 103 180 084 388 307 753 453 122 072 503 001 088 α^{31} +

1 258 782 579 175 973 880 209 757 377 456 067 705 792 983 027 360 724 756 929 159 252 558 749 829 503 360 125 141 985 615 872 α^{32} +

254 071 076 140 774 333 471 724 651 689 020 685 135 881 463 129 495 990 134 117 858 829 359 916 532 543 092 527 172 386 816 α^{33} +

48 311 775 135 998 135 912 448 176 681 391 671 088 558 948 461 016 186 570 084 669 838 713 573 486 519 213 836 701 089 792 α^{34} +

8 656 422 903 491 043 430 372 875 005 404 372 696 762 051 883 867 254 846 738 124 217 495 420 910 921 027 448 442 513 408 α^{35} +

1 461 732 726 078 457 340 119 854 750 253 140 591 172 527 421 402 788 050 348 473 909 718 050 217 612 900 556 947 914 752 α^{36} +

232 626 987 494 916 180 933 570 993 489 788 694 644 570 332 263 522 070 464 313 553 161 052 595 853 798 532 024 788 992 α^{37} +

34 889 576 416 731 504 031 817 715 319 013 079 038 858 871 783 971 012 746 764 859 382 619 774 021 259 620 877 762 560 α^{38} +

4 930 801 874 940 669 241 334 392 819 012 616 291 053 640 047 844 162 991 274 238 665 107 702 961 504 508 948 594 688 α^{39} +

656 492 368 353 602 508 400 597 309 518 287 381 134 635 231 569 222 418 191 825 415 075 893 220 234 405 370 155 008 α^{40} +

82 318 277 745 908 411 759 560 686 391 461 626 280 502 551 020 189 813 067 720 568 313 638 997 866 349 766 234 112 α^{41} +

9 717 179 685 260 511 763 694 906 883 136 624 360 431 675 304 327 231 594 579 092 609 054 010 685 859 577 942 016 α^{42} +

1 079 297 739 377 891 514 241 532 892 970 258 639 414 470 395 351 397 362 236 659 745 107 860 363 029 320 441 856 α^{43} +

112 728 446 056 403 693 251 787 019 903 592 238 473 662 301 536 108 617 305 855 634 529 250 648 109 992 247 296 α^{44} +

11 063 757 324 406 891 067 032 300 844 656 390 181 744 933 790 293 366 271 665 126 212 676 085 634 854 813 696 α^{45} +

1 019 488 268 853 331 986 054 969 175 662 385 059 780 685 775 220 080 626 204 272 725 176 910 071 488 053 248 α^{46} +

88 114 944 273 107 981 951 726 305 283 553 182 134 449 105 046 419 968 466 057 665 320 159 697 652 678 656 α^{47} +

7 135 435 196 040 049 451 998 921 645 231 139 277 908 191 753 450 576 119 768 565 527 649 439 197 429 760 α^{48} +

540 683 480 156 921 398 973 293 632 341 435 469 358 812 053 179 147 157 137 673 555 588 511 034 245 120 α^{49} +

38 281 648 090 816 191 272 763 739 459 873 981 237 979 836 879 687 495 749 278 115 041 187 446 390 784 α^{50} +

2 528 437 708 298 891 321 895 684 049 401 865 929 243 448 871 770 274 827 469 407 549 860 190 617 600 α^{51} +

155 497 172 373 103 757 359 740 716 769 502 222 972 195 447 429 092 841 526 966 124 045 297 254 400 α^{52} +

8 885 625 729 519 683 048 920 077 237 823 633 199 414 384 384 119 161 654 800 782 270 723 522 560 α^{53} +

470 664 688 331 775 307 010 612 659 273 160 224 740 818 036 581 491 842 806 116 097 902 772 224 α^{54} +

23 046 892 108 712 279 941 724 322 941 383 259 307 996 783 697 242 093 411 135 279 687 794 688 α^{55} +

1 040 017 995 610 090 957 265 921 263 585 527 859 045 460 716 780 125 350 533 285 709 611 008 α^{56} +

43 097 084 480 400 785 739 521 219 589 021 501 309 380 953 806 828 205 590 866 181 488 640 α^{57} +

1 633 219 372 802 997 245 510 403 081 647 971 244 632 167 562 098 489 255 544 821 383 168 α^{58} +

56 331 332 425 216 639 789 681 273 549 066 315 609 294 062 079 624 284 250 524 614 656 α^{59} +

1 758 422 107 513 190 441 006 074 724 592 150 887 824 781 459 777 881 056 758 202 368 α^{60} +

49 347 961 312 089 083 081 051 983 193 061 383 453 718 024 824 907 815 660 290 048 α^{61} +

1 235 127 555 213 313 637 533 035 109 716 838 951 884 096 400 931 550 436 261 888 α^{62} +

27 302 966 477 349 713 876 782 927 507 868 696 472 452 691 360 159 325 224 960 α^{63} +

526 608 920 624 766 100 420 988 456 718 223 069 181 303 626 535 589 117 952 α^{64} +

8 726 174 013 263 081 295 444 656 973 268 134 414 227 449 469 745 496 064 α^{65} +

121 723 627 042 311 333 625 915 640 706 483 348 374 681 533 735 239 680 α^{66} +

1 390 005 231 071 198 173 758 839 896 028 717 629 633 841 067 982 848 α^{67} +

12 477 461 582 766 463 782 213 588 389 358 240 759 065 994 067 968 α^{68} +

82 561 782 494 361 680 529 528 128 983 332 001 991 884 800 000 α^{69} +

358 032 924 776 885 584 551 429 251 237 797 971 571 507 200 α^{70} +

763 338 299 988 791 317 097 389 707 961 497 236 275 200 α^{71}, {8} },

{ − 2 994 937 256 864 974 386 997 995 224 423 393 946 278 934 539 135 501 288 983 959 701 014 503 824 052 970 909 492 838 400 000 000 000 −

42 594 368 557 750 753 309 722 464 563 333 726 090 135 406 813 539 688 263 727 435 093 890 746 998 571 762 968 344 657 920 000 000 000 000 α −

296 896 369 181 742 519 778 079 000 580 913 922 238 176 867 448 176 462 535 049 258 778 488 639 245 592 833 372 249 391 104 000 000 000 α^2 −

1 352 178 018 527 161 113 454 443 334 389 026 669 311 772 407 184 482 911 476 600 727 960 423 070 707 612 211 617 963 442 176 000 000 000 α^3 −

4 526 241 931 732 924 622 033 144 547 452 331 557 750 510 615 962 224 735 913 423 014 313 370 210 676 664 889 535 301 618 237 440 000 000 α^4 −

11 876 488 578 169 672 261 477 460 588 445 822 745 709 295 281 379 295 481 155 196 148 342 775 768 695 010 153 120 603 740 045 312 000 000 α^5 −

25 442 091 626 016 228 524 741 493 962 741 512 384 996 847 234 537 710 705 354 953 137 149 500 758 823 127 091 241 157 294 188 134 400 000 α^6 −

45 761 702 763 433 415 978 291 967 660 994 242 828 762 715 017 902 098 266 885 054 152 053 671 314 737 706 618 163 261 188 100 587 520 000 α^7 −

70 537 962 693 083 521 046 960 211 031 369 546 655 284 122 320 856 971 264 899 502 057 071 787 654 428 058 008 232 543 025 478 238 208 000 α^8 −

94 641 682 480 552 754 568 136 022 600 133 141 934 431 404 371 090 790 378 744 861 332 543 814 611 448 149 401 667 717 081 975 907 942 400 α^9 −

111 892 185 854 780 710 924 748 399 286 340 022 950 172 843 584 631 469 749 429 163 226 790 334 963 314 102 062 224 824 099 455 484 559 360 α^{10} −

117 722 456 883 538 076 600 345 614 861 302 468 775 945 172 615 594 265 633 567 122 484 411 704 661 308 572 749 732 369 569 890 047 098 880 α^{11} −

111 117 001 221 134 081 005 604 602 883 226 125 661 605 053 190 235 487 086 707 661 773 408 414 898 \
208 877 979 066 080 049 042 743 623 680 α^{12} −

94 732 815 099 493 119 614 366 352 140 292 796 790 586 146 328 893 321 298 022 483 187 184 770 372 212 \
783 669 480 977 482 410 622 976 000 α^{13} −

73 367 271 186 531 948 395 329 213 172 341 832 928 804 962 758 568 037 883 220 718 799 411 135 075 123 \
253 465 501 384 500 892 707 848 192 α^{14} −

51 869 080 955 661 640 089 464 567 009 116 401 744 973 599 160 418 667 864 649 969 945 124 458 288 980 \
936 682 917 474 412 120 567 185 408 α^{15} −

33 616 234 631 531 255 539 800 623 202 461 460 899 279 819 392 314 470 638 394 966 749 442 213 726 784 \
697 914 860 672 805 366 034 071 552 α^{16} −

20 045 355 665 760 405 420 606 897 789 107 498 115 205 013 034 774 994 148 113 531 881 263 671 401 644 \
304 830 066 367 015 215 529 197 568 α^{17} −

11 032 967 478 426 135 175 708 190 882 211 538 826 922 377 819 918 329 983 363 986 404 640 197 049 675 \
334 021 755 453 417 744 379 150 336 α^{18} −

5 620 896 359 438 093 013 568 628 962 175 874 471 931 740 505 986 551 324 450 079 756 886 773 043 438 \
179 246 162 232 272 627 807 289 344 α^{19} −

2 657 236 299 419 244 127 635 496 762 582 986 787 891 100 856 783 679 244 990 143 578 888 639 002 070 \
754 571 605 767 280 538 983 071 744 α^{20} −

1 168 203 712 474 826 918 328 011 783 612 825 617 062 036 308 594 153 962 346 683 019 792 775 631 192 \
905 886 362 709 102 690 404 139 008 α^{21} −

478 536 506 864 516 927 843 031 886 962 281 710 705 361 746 502 917 197 390 977 346 680 455 963 055 \
243 996 415 054 022 882 777 366 528 α^{22} −

182 965 369 249 437 113 853 664 563 163 134 202 326 894 799 636 165 618 061 487 400 454 453 915 806 \
162 507 239 956 623 841 856 847 872 α^{23} −

65 395 075 059 247 496 392 481 678 705 368 589 286 802 954 123 452 473 310 680 216 524 470 562 265 117 \
315 986 715 068 639 660 212 224 α^{24} −

21 879 288 542 215 316 963 707 054 928 554 490 586 662 560 321 725 074 343 648 014 585 966 869 539 214 \
123 359 818 304 411 223 982 080 α^{25} −

6 860 490 149 588 965 114 651 959 629 383 143 141 086 343 265 127 775 023 790 403 535 107 519 033 439 \
211 901 646 860 297 100 591 104 α^{26} −

2 018 231 457 825 066 284 267 384 390 246 718 797 979 975 917 800 524 819 714 778 216 550 767 941 100 \
762 563 598 559 887 435 497 472 α^{27} −

557 550 495 956 654 858 848 298 812 688 061 528 994 625 141 648 244 366 437 479 608 170 047 305 972 \
294 395 983 059 321 467 961 344 α^{28} −

144 759 187 816 891 373 014 424 797 126 052 128 031 738 824 624 454 547 093 983 319 318 185 798 667 \
834 029 782 167 670 064 414 720 α^{29} −

35 347 555 112 822 043 799 468 313 412 086 783 917 172 313 863 631 742 753 414 780 994 797 028 930 582 \
969 155 638 717 462 347 776 α^{30} −

8 122 333 653 822 027 653 844 560 264 479 872 966 987 757 637 075 874 581 031 934 820 629 638 515 303 \
658 738 244 229 639 700 480 α^{31} −

1 757 211 534 387 227 313 396 525 469 293 732 019 861 339 040 070 129 517 120 142 408 746 260 603 932 \
231 521 861 023 455 772 672 α^{32} −

358 064 454 337 600 954 671 125 605 736 142 311 696 971 024 167 657 722 036 369 482 169 873 219 124 \
096 661 327 234 798 190 592 α^{33} −

68 742 381 874 215 763 758 710 783 264 498 480 169 748 432 928 995 547 121 404 540 494 413 999 793 481 \
150 751 642 076 839 936 α^{34} −

12 436 769 140 822 364 164 256 497 345 892 012 811 736 579 376 832 555 973 397 406 284 750 446 534 969 \
104 003 412 296 990 720 α^{35} −

2 120 633 010 973 008 040 951 751 442 648 714 632 653 866 097 769 714 770 920 391 900 702 498 371 150 \
892 045 960 405 057 536 α^{36} −

340 812 861 525 668 762 561 068 643 778 068 551 992 686 050 414 564 738 462 348 644 206 763 106 307 \

$487\,832\,101\,946\,392\,576\,\alpha^{37}\,-$

$51\,622\,468\,943\,647\,083\,791\,182\,900\,034\,756\,216\,089\,850\,781\,937\,126\,383\,484\,101\,552\,437\,231\,579\,510\,669\,$
$615\,254\,154\,772\,480\,\alpha^{38}\,-$

$7\,368\,441\,731\,123\,465\,734\,455\,600\,370\,850\,725\,546\,665\,017\,279\,427\,106\,380\,801\,123\,308\,972\,868\,769\,369\,$
$570\,404\,953\,751\,552\,\alpha^{39}\,-$

$990\,899\,481\,355\,921\,216\,367\,564\,507\,714\,305\,189\,397\,953\,105\,171\,446\,016\,619\,318\,165\,095\,357\,438\,333\,$
$904\,688\,180\,625\,408\,\alpha^{40}\,-$

$125\,505\,790\,057\,897\,652\,434\,017\,039\,422\,067\,340\,865\,800\,359\,687\,441\,806\,530\,700\,383\,468\,204\,589\,884\,$
$369\,814\,195\,011\,584\,\alpha^{41}\,-$

$14\,965\,801\,780\,111\,392\,554\,294\,511\,709\,111\,074\,741\,078\,885\,278\,332\,671\,244\,410\,976\,189\,716\,518\,738\,184\,$
$465\,343\,840\,256\,\alpha^{42}\,-$

$1\,679\,256\,131\,303\,193\,048\,725\,900\,263\,680\,236\,145\,757\,732\,569\,200\,576\,173\,137\,294\,351\,321\,283\,492\,127\,$
$225\,883\,394\,048\,\alpha^{43}\,-$

$177\,193\,470\,127\,597\,014\,211\,436\,495\,440\,661\,891\,206\,976\,487\,491\,269\,678\,284\,369\,679\,368\,330\,300\,641\,$
$470\,402\,527\,232\,\alpha^{44}\,-$

$17\,570\,207\,638\,490\,052\,606\,463\,954\,177\,578\,386\,468\,437\,072\,269\,582\,224\,286\,800\,049\,795\,185\,226\,351\,949\,$
$712\,982\,016\,\alpha^{45}\,-$

$1\,635\,825\,707\,746\,116\,368\,572\,938\,598\,787\,957\,152\,813\,702\,116\,411\,414\,388\,492\,653\,184\,526\,555\,371\,063\,$
$803\,379\,712\,\alpha^{46}\,-$

$142\,857\,924\,414\,722\,346\,891\,409\,213\,668\,190\,960\,039\,714\,233\,841\,354\,806\,823\,311\,498\,900\,306\,857\,430\,$
$307\,831\,808\,\alpha^{47}\,-$

$11\,689\,436\,212\,701\,386\,910\,330\,797\,201\,089\,775\,977\,641\,056\,583\,543\,625\,360\,401\,968\,090\,357\,302\,219\,132\,$
$370\,944\,\alpha^{48}\,-$

$895\,059\,361\,477\,903\,488\,004\,913\,244\,051\,307\,102\,193\,756\,664\,549\,581\,640\,837\,734\,775\,769\,674\,921\,164\,$
$144\,640\,\alpha^{49}\,-$

$64\,039\,989\,304\,600\,216\,726\,020\,374\,239\,727\,790\,036\,264\,439\,780\,317\,097\,149\,792\,356\,763\,492\,793\,832\,177\,$
$664\,\alpha^{50}\,-$

$4\,274\,447\,183\,843\,654\,694\,844\,321\,292\,134\,748\,586\,841\,682\,874\,742\,563\,538\,368\,196\,943\,768\,501\,857\,812\,$
$480\,\alpha^{51}\,-$

$265\,663\,197\,192\,036\,782\,905\,762\,711\,699\,428\,952\,279\,311\,818\,543\,407\,341\,704\,227\,154\,311\,441\,733\,910\,528\,$
$\alpha^{52}\,-$

$15\,342\,325\,496\,677\,083\,753\,806\,537\,380\,148\,165\,969\,478\,774\,106\,427\,393\,503\,241\,768\,339\,933\,944\,086\,528\,$
$\alpha^{53}\,-$

$821\,336\,439\,637\,945\,118\,754\,722\,429\,915\,226\,193\,333\,575\,552\,898\,348\,759\,517\,343\,863\,445\,003\,436\,032\,$
$\alpha^{54}\,-$

$40\,647\,993\,687\,569\,796\,742\,149\,928\,455\,493\,343\,327\,371\,870\,917\,430\,237\,461\,170\,165\,339\,413\,020\,672\,\alpha^{55}\,-$

$1\,853\,936\,252\,079\,832\,032\,038\,652\,865\,332\,419\,053\,040\,300\,674\,421\,231\,394\,095\,284\,695\,179\,722\,752\,\alpha^{56}\,-$

$77\,649\,366\,130\,146\,374\,871\,455\,575\,470\,213\,852\,819\,881\,268\,572\,652\,751\,549\,714\,488\,084\,135\,936\,\alpha^{57}\,-$

$2\,974\,256\,874\,083\,936\,286\,133\,903\,007\,492\,094\,605\,392\,544\,395\,809\,130\,419\,581\,540\,110\,434\,304\,\alpha^{58}\,-$

$103\,689\,484\,854\,032\,146\,723\,615\,917\,339\,757\,903\,665\,267\,229\,312\,107\,770\,302\,541\,189\,873\,664\,\alpha^{59}\,-$

$3\,271\,631\,322\,017\,324\,764\,324\,944\,401\,711\,694\,793\,708\,668\,610\,724\,242\,501\,963\,033\,346\,048\,\alpha^{60}\,-$

$92\,805\,076\,669\,119\,240\,468\,632\,925\,943\,400\,486\,659\,214\,537\,445\,047\,770\,974\,464\,770\,048\,\alpha^{61}\,-$

$2\,347\,898\,822\,347\,372\,557\,931\,409\,159\,129\,884\,992\,680\,905\,229\,830\,429\,476\,804\,100\,096\,\alpha^{62}\,-$

$52\,462\,042\,860\,083\,145\,470\,395\,260\,442\,636\,557\,847\,131\,823\,822\,241\,700\,983\,603\,200\,\alpha^{63}\,-$

$1\,022\,805\,641\,910\,077\,478\,391\,045\,142\,838\,933\,484\,750\,724\,230\,857\,107\,601\,096\,704\,\alpha^{64}\,-$

$17\,131\,645\,091\,461\,722\,769\,264\,636\,321\,610\,695\,813\,548\,403\,240\,626\,085\,167\,104\,\alpha^{65}\,-$

$241\,557\,292\,013\,613\,869\,922\,285\,326\,063\,159\,274\,497\,139\,772\,444\,244\,967\,424\,\alpha^{66}\,-$

$2\,788\,242\,662\,534\,544\,836\,623\,247\,458\,888\,261\,406\,062\,237\,311\,408\,537\,600\,\alpha^{67}\,-$

$25\,299\,216\,594\,998\,807\,420\,279\,304\,476\,911\,973\,262\,212\,335\,908\,421\,632\,\alpha^{68}\,-$

$169\,209\,003\,758\,736\,530\,901\,072\,041\,186\,923\,970\,407\,146\,140\,467\,200\,\alpha^{69}\,-$

$741\,697\,614\,676\,760\,616\,152\,402\,114\,421\,829\,529\,322\,179\,788\,800\,\alpha^{70}\,-$

1 598 363 211 802 454 956 689 545 078 412 316 387 364 044 800 α^{71}, {6}},

{559 422 368 321 492 757 426 438 223 368 392 807 231 847 980 216 038 949 120 252 308 069 853 146 075 545 \
373 864 938 700 800 000 000 000 +

8 038 265 220 202 124 728 719 898 625 376 987 142 398 197 312 358 651 698 308 437 579 968 148 030 160 \
155 917 037 569 310 720 000 000 000 000 α +

56 617 235 143 876 387 274 216 329 307 554 406 137 127 798 026 880 602 414 912 524 208 330 510 206 137 \
860 572 274 023 727 104 000 000 000 000 α^2 +

260 605 978 504 251 106 633 502 549 866 129 531 234 255 634 849 085 941 174 844 557 837 502 652 825 \
867 648 311 261 129 395 404 800 000 000 000 α^3 +

881 790 934 784 171 273 501 264 563 474 636 982 236 884 281 608 443 552 471 745 043 750 195 104 734 \
255 869 780 567 852 077 547 520 000 000 α^4 +

2 339 168 065 795 076 489 932 711 896 942 851 332 145 013 776 582 176 538 275 940 140 673 101 966 185 \
735 019 917 562 512 440 033 280 000 000 α^5 +

5 066 841 633 236 413 566 228 034 016 621 411 058 865 459 602 827 650 250 362 477 521 458 320 813 856 \
109 715 505 767 613 406 275 174 400 000 α^6 +

9 216 392 784 115 960 270 949 249 534 970 232 371 427 590 506 131 403 209 033 869 159 003 090 174 589 \
351 557 644 109 403 247 345 664 000 000 α^7 +

14 368 671 359 083 619 925 697 403 628 592 763 034 465 892 974 237 383 171 370 979 315 484 037 545 229 \
060 937 755 939 741 945 204 572 160 000 α^8 +

19 501 550 931 562 497 270 391 278 019 454 334 262 593 362 374 337 929 067 904 885 816 296 652 577 786 \
663 841 023 844 839 722 507 357 388 800 α^9 +

23 325 718 714 580 548 649 240 100 353 351 530 907 889 824 347 046 295 562 832 423 707 890 874 756 514 \
127 278 574 084 174 651 587 265 822 720 α^{10} +

24 831 115 251 005 518 822 404 771 263 442 309 790 983 573 824 550 862 296 378 068 680 869 942 461 196 \
095 326 122 827 965 542 161 933 402 112 α^{11} +

23 717 537 139 412 769 375 379 150 043 842 458 095 331 081 228 882 170 605 302 094 533 991 981 701 945 \
495 350 587 497 206 302 627 694 903 296 α^{12} +

20 463 961 574 638 580 383 272 543 349 467 832 884 176 076 706 921 163 047 087 224 913 545 150 450 538 \
046 029 735 792 496 010 034 245 795 840 α^{13} +

16 041 218 117 722 724 108 458 177 700 664 862 834 696 305 243 246 020 997 212 414 683 441 942 499 278 \
449 474 662 050 504 381 767 629 144 064 α^{14} +

11 479 745 582 283 891 007 951 194 286 531 866 797 525 766 129 825 860 293 534 885 772 893 051 690 847 \
558 797 112 467 419 184 689 510 875 136 α^{15} +

7 531 856 737 729 693 061 064 349 932 425 919 445 530 300 521 094 879 842 608 246 484 485 059 333 569 \
426 359 787 661 080 907 396 396 613 632 α^{16} +

4 547 095 771 274 440 576 362 711 070 509 470 722 628 602 639 295 036 267 861 585 856 002 067 519 974 \
533 694 042 890 428 279 054 397 341 696 α^{17} +

2 534 052 759 112 754 571 851 607 960 061 616 173 663 817 924 091 645 093 752 127 693 773 826 971 407 \
158 663 761 559 892 181 139 748 552 704 α^{18} +

1 307 269 334 363 557 586 714 625 031 062 227 647 139 246 305 291 981 286 111 187 315 616 542 641 868 \
475 859 835 326 696 518 042 565 738 496 α^{19} +

625 830 393 924 975 654 548 686 306 521 544 707 637 972 077 117 796 556 591 302 959 768 125 286 382 \
699 788 316 358 826 898 850 507 128 832 α^{20} +

278 638 069 294 344 939 540 261 238 406 889 051 651 830 682 610 453 556 771 063 815 670 815 486 329 \
332 523 198 215 721 482 821 235 113 984 α^{21} +

115 600 151 630 061 392 508 590 645 332 298 538 825 114 037 604 424 343 963 068 461 739 665 424 257 \
053 874 558 734 889 046 266 532 069 376 α^{22} +

44 766 941 157 092 321 971 011 302 556 258 283 343 207 749 422 805 358 929 842 123 219 048 204 477 988 \
738 273 002 173 469 364 670 431 232 α^{23} +

16 206 909 380 798 228 755 179 176 840 571 064 211 374 254 306 050 450 878 347 059 459 619 990 458 725 \
401 120 957 394 512 584 980 299 776 α^{24} +

5 492 551 910 064 438 105 732 159 017 280 628 475 884 531 027 801 625 463 028 984 617 034 027 221 540
527 312 198 064 805 077 007 204 352 α^{25} +

1 744 612 085 977 564 069 754 688 084 301 040 005 978 379 109 254 924 815 212 602 916 256 712 767 789
822 269 056 647 406 702 068 498 432 α^{26} +

519 914 830 923 952 902 118 358 068 762 941 015 727 470 134 818 072 594 921 278 328 509 008 169 915
959 061 316 555 097 133 186 809 856 α^{27} +

145 504 199 464 792 268 566 367 057 210 470 337 534 035 393 808 022 667 272 030 289 186 192 349 756
044 641 292 306 867 392 536 903 680 α^{28} +

38 271 721 891 179 984 657 502 596 126 418 103 606 337 917 875 774 054 955 315 673 991 956 331 263 012
890 230 196 305 081 357 303 808 α^{29} +

9 467 605 530 019 321 507 564 515 957 097 846 098 035 792 892 528 695 697 811 331 115 666 041 069 036
914 371 802 302 629 283 889 152 α^{30} +

2 204 026 572 696 777 986 606 949 438 771 840 886 956 842 824 927 133 413 298 969 618 282 660 577 094
640 333 230 567 470 852 472 832 α^{31} +

483 080 576 779 582 588 679 419 858 020 450 932 385 703 310 660 140 239 754 525 043 221 850 921 693
128 584 669 605 432 014 143 488 α^{32} +

99 728 342 965 177 249 316 935 850 091 755 776 380 625 611 673 083 595 540 198 308 208 219 768 314 022
484 578 529 428 723 728 384 α^{33} +

19 397 431 712 465 669 418 786 418 342 886 116 785 165 433 357 718 572 999 486 292 444 527 387 757 328
580 148 111 397 806 407 680 α^{34} +

3 555 396 171 791 699 851 233 214 966 651 854 773 020 906 137 534 650 892 661 840 959 341 383 218 500
843 131 986 863 236 055 040 α^{35} +

614 190 900 679 368 096 014 162 033 739 791 114 241 845 354 070 225 348 066 507 076 676 461 578 251
336 773 968 546 288 893 952 α^{36} +

100 001 409 753 927 531 458 188 408 432 498 700 012 599 382 984 187 809 208 178 267 439 333 481 631
156 140 770 960 791 830 528 α^{37} +

15 345 261 499 153 225 083 076 603 222 778 532 644 115 141 974 600 624 417 066 605 594 980 126 644 607
436 389 493 879 341 056 α^{38} +

2 218 952 051 644 276 070 641 496 940 954 363 049 967 364 769 904 598 320 608 547 639 253 204 186 152
710 955 207 099 416 576 α^{39} +

302 293 142 936 421 256 211 930 962 081 580 598 439 935 156 774 788 503 842 649 834 036 560 457 925
149 952 073 193 750 528 α^{40} +

38 786 173 852 713 237 026 783 495 752 455 051 817 688 035 045 497 285 383 287 430 396 230 676 263 389
451 356 269 969 408 α^{41} +

4 685 048 699 459 645 233 962 815 688 112 177 348 227 146 520 518 759 783 450 216 105 078 429 101 412
822 145 289 945 088 α^{42} +

532 496 696 017 353 437 359 002 811 759 944 873 935 881 841 052 285 759 465 050 710 136 636 985 400
870 302 855 987 200 α^{43} +

56 913 716 663 055 615 282 051 956 700 063 410 799 358 962 079 233 837 486 146 257 548 419 328 304 722
209 224 523 776 α^{44} +

5 716 067 260 292 942 031 761 581 447 811 924 857 130 287 830 830 916 902 664 654 216 977 952 935 301
216 970 211 328 α^{45} +

539 000 530 262 085 381 062 994 184 047 952 637 615 943 089 303 133 911 157 271 277 564 352 514 122
924 018 368 512 α^{46} +

47 672 439 353 460 825 305 115 243 845 634 785 651 727 973 963 751 966 985 798 064 612 725 114 145 589
373 698 048 α^{47} +

3 950 438 419 183 292 573 017 802 242 883 828 319 571 083 228 797 377 769 650 394 779 302 016 256 695
980 785 664 α^{48} +

306 315 369 764 503 955 643 644 530 153 509 537 367 734 857 030 569 585 659 087 568 117 920 620 456
141 914 112 α^{49} +

22 192 626 217 795 351 867 003 506 495 154 248 246 836 276 513 484 633 574 347 952 974 671 073 502 715

$445\,248\,\alpha^{50}\,+$

$1\,499\,864\,330\,443\,961\,230\,588\,148\,403\,421\,453\,328\,368\,398\,348\,083\,034\,463\,426\,032\,892\,429\,576\,551\,190\,\\757\,376\,\alpha^{51}\,+$

$94\,382\,375\,472\,147\,140\,197\,969\,576\,000\,618\,786\,894\,299\,852\,061\,717\,556\,760\,912\,739\,443\,804\,148\,686\,913\,\\536\,\alpha^{52}\,+$

$5\,518\,359\,387\,060\,224\,399\,006\,565\,068\,105\,179\,792\,058\,240\,099\,054\,836\,600\,529\,244\,849\,868\,358\,597\,738\,\\496\,\alpha^{53}\,+$

$299\,067\,949\,531\,160\,245\,753\,284\,176\,231\,435\,540\,095\,765\,180\,849\,858\,744\,957\,061\,344\,585\,347\,105\,816\,576\\\alpha^{54}\,+$

$14\,982\,613\,119\,943\,454\,530\,430\,877\,792\,550\,740\,226\,980\,500\,135\,201\,348\,330\,060\,480\,352\,075\,953\,209\,344\\\alpha^{55}\,+$

$691\,690\,156\,196\,569\,320\,646\,606\,645\,306\,372\,748\,553\,642\,562\,292\,026\,844\,440\,614\,312\,946\,996\,084\,736\\\alpha^{56}\,+$

$29\,321\,810\,435\,738\,667\,415\,751\,837\,113\,650\,695\,114\,125\,357\,051\,101\,134\,206\,780\,584\,866\,030\,288\,896\,\alpha^{57}\,+$

$1\,136\,669\,517\,003\,671\,009\,202\,768\,646\,637\,123\,110\,432\,019\,651\,178\,653\,286\,612\,704\,862\,310\,236\,160\,\alpha^{58}\,+$

$40\,101\,374\,097\,171\,882\,062\,136\,182\,049\,205\,432\,414\,473\,484\,395\,469\,017\,163\,811\,043\,669\,966\,848\,\alpha^{59}\,+$

$1\,280\,332\,527\,327\,157\,203\,213\,013\,191\,953\,798\,348\,646\,393\,725\,695\,640\,031\,541\,825\,435\,074\,560\,\alpha^{60}\,+$

$36\,747\,544\,515\,715\,721\,282\,115\,913\,535\,607\,828\,152\,019\,524\,438\,612\,912\,901\,621\,681\,225\,728\,\alpha^{61}\,+$

$940\,584\,156\,852\,552\,419\,814\,751\,248\,168\,973\,980\,149\,789\,606\,562\,958\,069\,499\,749\,728\,256\,\alpha^{62}\,+$

$21\,261\,209\,372\,242\,520\,764\,528\,539\,489\,945\,200\,410\,268\,476\,312\,195\,812\,944\,655\,679\,488\,\alpha^{63}\,+$

$419\,297\,691\,157\,897\,979\,138\,754\,421\,833\,677\,038\,499\,541\,581\,928\,049\,992\,603\,271\,168\,\alpha^{64}\,+$

$7\,103\,566\,732\,653\,142\,057\,157\,385\,422\,075\,018\,145\,225\,884\,268\,171\,075\,245\,834\,240\,\alpha^{65}\,+$

$101\,299\,294\,200\,764\,219\,456\,800\,987\,569\,971\,309\,723\,511\,469\,579\,991\,122\,968\,576\,\alpha^{66}\,+$

$1\,182\,458\,624\,364\,216\,006\,009\,184\,790\,545\,257\,039\,538\,332\,622\,553\,681\,494\,016\,\alpha^{67}\,+$

$10\,849\,039\,061\,470\,617\,155\,644\,530\,301\,047\,918\,678\,210\,684\,125\,368\,549\,376\,\alpha^{68}\,+$

$73\,366\,138\,596\,677\,505\,315\,685\,898\,390\,458\,439\,606\,453\,330\,667\,110\,400\,\alpha^{69}\,+$

$325\,121\,555\,636\,022\,739\,377\,118\,529\,792\,893\,278\,614\,964\,299\,366\,400\,\alpha^{70}\,+$

$708\,270\,719\,505\,845\,849\,417\,203\,674\,955\,342\,083\,655\,100\,006\,400\,\alpha^{71},\ \{4\}\Big\},$

$\Big\{-21\,395\,571\,696\,498\,969\,824\,644\,912\,755\,026\,747\,309\,842\,616\,097\,531\,876\,571\,550\,989\,831\,985\,122\,769\,522\,\\348\,366\,840\,935\,219\,200\,000\,000\,000\,-$

$314\,461\,805\,057\,596\,800\,398\,970\,258\,403\,963\,704\,080\,736\,100\,794\,817\,052\,424\,959\,619\,367\,641\,567\,858\,\\998\,898\,774\,567\,498\,547\,200\,000\,000\,000\,\alpha\,-$

$2\,265\,780\,682\,301\,463\,443\,962\,434\,416\,966\,738\,749\,218\,824\,020\,575\,684\,710\,484\,948\,864\,602\,709\,353\,166\,\\776\,786\,336\,537\,710\,166\,016\,000\,000\,000\,\alpha^{2}\,-$

$10\,669\,672\,771\,395\,473\,514\,484\,794\,213\,815\,070\,679\,905\,412\,683\,042\,372\,081\,642\,635\,663\,601\,616\,957\,771\,\\063\,898\,227\,615\,046\,880\,460\,800\,000\,000\,\alpha^{3}\,-$

$36\,936\,499\,589\,103\,668\,504\,537\,347\,639\,043\,004\,552\,190\,286\,641\,551\,193\,115\,883\,982\,351\,646\,886\,293\,905\,\\796\,386\,747\,916\,620\,671\,221\,760\,000\,000\,\alpha^{4}\,-$

$100\,251\,998\,612\,611\,854\,813\,618\,585\,423\,960\,260\,998\,732\,617\,317\,221\,811\,299\,848\,617\,271\,576\,966\,485\,\\499\,819\,447\,716\,055\,666\,137\,235\,456\,000\,000\,\alpha^{5}\,-$

$222\,188\,258\,577\,640\,772\,354\,238\,434\,789\,619\,590\,458\,369\,533\,456\,998\,333\,860\,580\,347\,785\,297\,397\,844\,\\542\,390\,430\,764\,542\,832\,915\,198\,771\,200\,000\,\alpha^{6}\,-$

$413\,523\,661\,134\,662\,519\,019\,982\,705\,001\,992\,371\,416\,048\,920\,981\,917\,261\,235\,125\,662\,679\,280\,735\,100\,\\199\,852\,363\,428\,071\,984\,640\,997\,457\,920\,000\,\alpha^{7}\,-$

$659\,641\,754\,136\,046\,407\,002\,962\,315\,063\,507\,944\,997\,848\,381\,685\,280\,343\,947\,369\,770\,190\,249\,013\,193\,\\653\,765\,054\,436\,949\,760\,514\,071\,724\,032\,000\,\alpha^{8}\,-$

$916\,015\,203\,833\,881\,715\,275\,001\,113\,569\,212\,312\,158\,589\,518\,926\,246\,054\,899\,023\,941\,877\,457\,984\,351\,\\299\,863\,107\,047\,363\,706\,163\,518\,924\,390\,400\,\alpha^{9}\,-$

$1\,120\,970\,165\,304\,659\,831\,463\,399\,797\,590\,467\,506\,949\,527\,860\,276\,201\,444\,686\,566\,330\,774\,150\,284\,569\,\\745\,771\,985\,077\,446\,726\,522\,172\,153\,528\,320\,\alpha^{10}\,-$

$1\,220\,838\,204\,751\,751\,070\,187\,234\,487\,496\,051\,814\,138\,166\,688\,443\,141\,336\,034\,566\,092\,982\,590\,694\,758\,$

038 586 943 655 772 789 103 509 320 499 200 α^{11} −

1 192 905 064 350 316 423 975 468 151 084 552 611 308 191 618 666 643 935 656 047 923 031 196 857 308 265 675 868 847 865 408 149 616 718 774 272 α^{12} −

1 052 849 724 137 802 249 053 972 238 630 830 102 555 493 820 513 649 526 728 927 211 908 273 342 928 954 223 311 055 242 111 475 471 368 585 216 α^{13} −

844 141 170 177 749 323 861 894 644 505 774 310 121 892 427 450 071 384 397 130 073 965 208 956 399 363 464 235 798 529 726 968 711 849 443 328 α^{14} −

617 826 752 796 292 055 559 936 914 835 521 820 739 821 707 211 971 691 258 443 117 060 142 490 224 480 849 191 416 809 026 096 881 540 792 320 α^{15} −

414 518 656 856 721 912 788 685 223 205 453 321 434 938 487 365 086 146 310 926 136 950 571 192 259 057 412 308 216 005 648 981 964 707 856 384 α^{16} −

255 876 310 153 248 861 610 801 011 550 420 545 040 721 688 496 219 997 023 673 886 664 702 708 895 087 629 043 792 300 277 686 288 429 088 768 α^{17} −

145 783 266 301 021 861 148 854 014 521 382 476 897 205 606 510 470 165 107 599 674 209 023 799 511 870 498 043 393 591 716 913 247 860 817 920 α^{18} −

76 876 079 462 564 692 828 780 099 497 943 058 971 901 139 161 858 317 983 011 132 941 966 306 435 016 056 022 455 667 103 001 036 399 312 896 α^{19} −

37 614 149 199 067 866 612 619 676 906 492 934 086 972 440 693 154 405 048 816 797 753 249 298 002 684 692 372 843 932 033 512 875 692 654 592 α^{20} −

17 113 319 218 235 351 950 749 479 863 187 088 184 034 922 475 297 524 054 964 333 215 131 054 826 374 488 919 500 008 102 365 156 345 905 152 α^{21} −

7 254 021 999 140 479 360 395 420 054 762 064 412 854 071 714 005 881 900 200 835 823 698 569 541 733 973 550 823 143 774 379 888 458 334 208 α^{22} −

2 869 649 926 865 325 250 644 330 347 278 414 813 177 035 862 389 322 839 839 008 258 601 502 554 907 201 395 047 686 191 572 477 525 622 784 α^{23} −

1 061 070 480 168 005 676 005 549 411 072 555 079 175 245 203 031 336 627 935 386 053 100 248 593 194 789 881 240 973 169 089 235 241 664 512 α^{24} −

367 205 822 395 901 377 924 645 906 990 497 712 394 682 851 102 030 750 117 604 662 957 806 293 178 965 006 181 983 426 902 737 022 877 696 α^{25} −

119 080 868 359 634 640 919 482 274 155 738 681 421 872 335 348 130 737 792 064 123 490 144 950 326 483 785 263 116 979 205 034 829 938 688 α^{26} −

36 224 062 040 440 682 203 534 066 527 773 519 291 403 291 817 519 199 490 987 831 011 434 477 469 205 375 714 048 846 503 453 046 865 920 α^{27} −

10 346 043 876 523 119 601 601 634 130 210 930 358 180 950 249 232 683 669 605 155 830 727 497 614 071 060 396 862 205 451 738 063 831 040 α^{28} −

2 776 647 532 584 954 172 544 380 088 569 193 424 581 060 422 600 312 827 081 482 980 940 230 653 019 704 464 234 298 548 125 698 097 152 α^{29} −

700 705 074 934 144 057 136 204 026 158 373 078 435 739 614 466 010 270 019 135 241 420 953 561 051 905 700 972 754 321 941 104 427 008 α^{30} −

166 368 508 925 837 800 985 256 197 591 261 588 829 326 097 093 448 329 762 593 222 343 610 350 219 646 218 279 371 855 102 019 108 864 α^{31} −

37 182 492 404 496 325 000 466 481 195 516 350 774 231 630 676 572 252 655 363 897 425 096 149 044 184 706 156 524 814 677 642 838 016 α^{32} −

7 825 396 221 872 206 436 215 414 112 471 306 626 368 590 346 808 870 643 430 006 231 210 019 427 891 807 895 064 384 222 311 481 344 α^{33} −

1 551 328 833 422 554 127 201 115 948 885 673 602 935 022 285 808 736 528 200 242 281 393 316 731 882 616 896 871 022 933 642 838 016 α^{34} −

289 748 810 176 694 900 110 376 647 011 715 868 632 303 946 288 179 549 152 161 244 551 243 180 110 768 736 709 659 704 707 514 368 α^{35} −

50 993 212 038 987 855 585 143 600 667 029 640 608 263 932 605 339 529 080 760 230 122 779 238 197 730 149 416 224 470 677 323 776 α^{36} −

8 456 507 654 893 502 712 427 041 859 530 660 033 641 961 284 033 654 332 284 560 910 137 445 716 667 \
338 832 216 460 344 950 784 α^{37} –

1 321 402 657 047 066 879 792 582 249 683 322 325 307 254 398 790 697 022 493 247 076 963 897 167 791 \
905 729 368 737 821 229 056 α^{38} –

194 528 984 853 381 093 427 174 540 102 904 090 651 083 578 818 241 418 478 725 777 441 990 473 882 \
315 662 029 944 552 161 280 α^{39} –

26 973 631 982 087 440 613 363 997 454 922 265 383 870 255 161 979 471 823 915 131 023 645 175 825 855 \
751 884 594 787 385 344 α^{40} –

3 521 776 246 670 535 992 868 501 649 504 771 240 581 295 932 133 941 251 583 461 155 992 006 340 974 \
933 134 876 595 978 240 α^{41} –

432 784 228 019 899 900 617 872 530 695 982 415 639 828 235 562 711 574 384 191 702 778 052 499 273 \
689 472 381 143 220 224 α^{42} –

50 031 725 075 084 844 436 427 281 847 658 115 743 633 320 110 167 759 941 154 856 443 812 299 419 443 \
380 537 239 011 328 α^{43} –

5 437 703 576 058 198 575 121 185 374 463 495 854 691 470 717 556 625 983 866 379 394 433 499 090 686 \
086 369 779 908 608 α^{44} –

555 219 644 433 939 049 298 301 954 759 311 017 287 517 347 133 265 771 795 779 047 659 607 764 327 \
686 603 397 922 816 α^{45} –

53 213 849 426 195 403 625 337 225 956 779 291 155 330 348 097 762 312 814 970 454 858 297 205 153 627 \
338 637 836 288 α^{46} –

4 782 667 537 759 658 774 924 288 953 797 664 666 050 907 740 047 974 153 004 085 989 999 735 023 551 \
296 946 831 360 α^{47} –

402 638 335 734 949 724 361 777 461 027 344 990 202 713 970 060 747 521 089 052 310 729 885 318 744 \
972 162 236 416 α^{48} –

31 710 690 246 860 967 830 108 384 575 420 890 785 212 572 041 686 792 750 851 737 704 699 202 747 910 \
510 870 528 α^{49} –

2 332 991 819 830 576 752 832 951 538 143 195 099 371 481 549 213 235 227 160 661 395 752 925 281 500 \
530 737 152 α^{50} –

160 075 604 104 257 465 463 263 421 380 721 891 585 677 184 299 100 517 159 618 949 186 184 689 160 \
411 938 816 α^{51} –

10 224 317 872 021 481 276 373 959 544 864 772 165 392 738 648 440 674 085 053 883 927 064 720 682 298 \
376 192 α^{52} –

606 632 837 980 737 986 810 293 409 694 054 045 205 002 058 506 861 401 132 054 515 960 596 775 902 \
904 320 α^{53} –

33 355 019 167 894 050 573 031 079 278 022 976 110 818 424 887 602 129 287 775 569 303 082 111 426 625 \
536 α^{54} –

1 694 953 818 616 438 877 453 024 867 602 179 274 000 370 948 713 122 361 606 953 583 457 073 723 604 \
992 α^{55} –

79 353 342 257 009 783 068 142 791 765 573 359 666 626 341 046 552 051 757 314 754 027 845 289 246 720 \
α^{56} –

3 410 616 242 208 808 299 593 827 763 512 784 316 079 126 545 159 468 288 028 898 137 114 964 656 128 \
α^{57} –

134 020 325 966 190 561 015 542 396 593 341 783 127 894 408 186 789 797 435 824 403 238 726 139 904 \
α^{58} –

4 791 780 048 247 611 473 528 819 599 988 380 504 875 949 950 329 651 528 855 694 733 322 747 904 α^{59} –

155 013 391 774 336 616 205 796 862 278 207 672 798 585 017 847 133 058 416 161 045 446 918 144 α^{60} –

4 507 047 530 258 102 511 161 730 278 325 140 647 186 228 118 217 028 503 404 941 922 009 088 α^{61} –

116 839 132 204 290 313 746 829 912 539 762 225 123 882 272 128 975 773 334 962 331 189 248 α^{62} –

2 674 335 552 008 563 562 532 423 015 761 726 879 009 750 614 073 255 863 097 720 045 568 α^{63} –

53 394 811 402 782 389 371 106 716 077 222 240 343 729 858 773 392 512 427 344 527 360 α^{64} –

915 617 457 312 910 457 247 589 140 911 742 206 199 573 037 575 048 563 490 029 568 α^{65} –

$13\,213\,515\,808\,466\,901\,504\,075\,334\,574\,501\,219\,168\,970\,775\,906\,538\,658\,415\,509\,504\,\alpha^{66}\,-$

$156\,058\,222\,036\,800\,561\,285\,268\,739\,116\,590\,836\,187\,146\,289\,083\,998\,588\,108\,800\,\alpha^{67}\,-$

$1\,448\,425\,253\,655\,913\,820\,438\,179\,098\,270\,064\,516\,735\,771\,026\,680\,262\,426\,624\,\alpha^{68}\,-$

$9\,906\,517\,273\,439\,073\,632\,943\,003\,602\,026\,836\,709\,603\,778\,486\,914\,252\,800\,\alpha^{69}\,-$

$44\,392\,445\,886\,577\,462\,947\,748\,756\,274\,495\,771\,482\,317\,615\,896\,985\,600\,\alpha^{70}\,-$

$97\,773\,026\,415\,808\,146\,191\,848\,122\,055\,052\,434\,634\,224\,277\,913\,600\,\alpha^{71},\ \{2\}\big\},$

$\big\{34\,144\,266\,955\,936\,391\,358\,147\,843\,276\,035\,782\,679\,868\,791\,535\,949\,997\,992\,235\,938\,216\,726\,157\,629\,061\,$
$933\,245\,220\,782\,080\,000\,000\,000\,000\,+$

$553\,784\,886\,324\,149\,726\,496\,265\,355\,719\,657\,942\,688\,933\,880\,062\,345\,461\,360\,574\,792\,591\,577\,258\,775\,$
$280\,402\,267\,457\,454\,080\,000\,000\,000\,000\,\alpha\,+$

$4\,387\,012\,803\,667\,442\,736\,856\,741\,118\,954\,541\,340\,268\,789\,926\,195\,057\,385\,811\,207\,388\,908\,009\,460\,129\,$
$317\,279\,071\,719\,548\,518\,400\,000\,000\,000\,\alpha^{2}\,+$

$22\,633\,302\,169\,207\,906\,758\,729\,769\,614\,207\,440\,019\,970\,917\,339\,649\,543\,518\,014\,268\,964\,385\,084\,482\,978\,$
$018\,266\,213\,043\,320\,913\,920\,000\,000\,000\,\alpha^{3}\,+$

$85\,552\,418\,429\,795\,074\,570\,912\,204\,697\,807\,912\,075\,833\,738\,022\,506\,963\,067\,588\,647\,832\,440\,638\,253\,163\,$
$691\,497\,101\,190\,416\,564\,224\,000\,000\,000\,\alpha^{4}\,+$

$252\,723\,747\,374\,547\,462\,371\,745\,024\,250\,766\,392\,368\,759\,215\,939\,272\,101\,682\,182\,115\,531\,704\,763\,268\,$
$392\,152\,169\,027\,184\,240\,256\,614\,400\,000\,000\,\alpha^{5}\,+$

$607\,724\,937\,219\,393\,462\,523\,161\,350\,264\,771\,075\,897\,079\,915\,467\,574\,326\,180\,332\,768\,491\,897\,128\,039\,$
$934\,054\,713\,238\,289\,231\,254\,650\,880\,000\,000\,\alpha^{6}\,+$

$1\,223\,580\,768\,370\,987\,563\,894\,093\,260\,460\,833\,739\,203\,437\,154\,201\,334\,275\,091\,272\,201\,284\,669\,656\,162\,$
$348\,824\,187\,133\,254\,935\,834\,001\,408\,000\,000\,\alpha^{7}\,+$

$2\,105\,495\,610\,281\,200\,050\,408\,024\,384\,988\,879\,562\,845\,079\,561\,721\,331\,516\,640\,551\,564\,762\,746\,529\,128\,$
$090\,311\,044\,701\,278\,109\,965\,274\,316\,800\,000\,\alpha^{8}\,+$

$3\,145\,444\,808\,723\,913\,766\,904\,909\,269\,920\,838\,373\,179\,223\,469\,011\,748\,898\,797\,626\,728\,608\,233\,602\,534\,$
$767\,047\,174\,164\,462\,270\,535\,392\,296\,960\,000\,\alpha^{9}\,+$

$4\,130\,238\,525\,004\,179\,487\,826\,231\,444\,809\,165\,879\,722\,156\,151\,914\,059\,546\,680\,227\,950\,055\,095\,074\,618\,$
$069\,383\,579\,249\,197\,349\,120\,579\,207\,168\,000\,\alpha^{10}\,+$

$4\,814\,557\,152\,477\,824\,301\,686\,616\,883\,323\,088\,115\,566\,280\,039\,120\,029\,703\,853\,294\,482\,953\,351\,250\,386\,$
$975\,524\,816\,342\,564\,500\,827\,967\,324\,160\,000\,\alpha^{11}\,+$

$5\,023\,212\,132\,588\,908\,912\,289\,500\,233\,055\,536\,472\,633\,138\,824\,146\,168\,537\,953\,933\,739\,014\,953\,340\,444\,$
$239\,203\,239\,614\,738\,079\,908\,744\,711\,372\,800\,\alpha^{12}\,+$

$4\,723\,048\,346\,165\,310\,610\,514\,100\,589\,153\,716\,050\,772\,855\,964\,990\,114\,215\,294\,378\,266\,486\,733\,133\,179\,$
$399\,394\,454\,729\,267\,357\,736\,111\,597\,158\,400\,\alpha^{13}\,+$

$4\,025\,271\,475\,284\,752\,619\,439\,731\,448\,628\,556\,392\,866\,732\,753\,304\,464\,621\,980\,751\,157\,745\,708\,786\,303\,$
$236\,356\,287\,238\,070\,774\,504\,684\,204\,851\,200\,\alpha^{14}\,+$

$3\,125\,025\,118\,677\,133\,496\,663\,770\,717\,190\,274\,340\,188\,801\,165\,603\,106\,924\,468\,784\,517\,043\,137\,119\,677\,$
$679\,963\,357\,633\,675\,808\,458\,642\,817\,024\,000\,\alpha^{15}\,+$

$2\,219\,511\,179\,517\,889\,641\,661\,651\,881\,641\,775\,935\,045\,547\,286\,230\,837\,008\,383\,798\,583\,223\,636\,672\,869\,$
$244\,009\,730\,448\,462\,750\,242\,456\,574\,361\,600\,\alpha^{16}\,+$

$1\,447\,521\,322\,446\,346\,447\,989\,773\,057\,126\,224\,723\,639\,794\,026\,580\,662\,509\,851\,051\,263\,554\,024\,531\,867\,$
$115\,303\,742\,326\,533\,421\,702\,132\,740\,915\,200\,\alpha^{17}\,+$

$869\,707\,520\,428\,226\,272\,868\,976\,443\,824\,145\,218\,050\,858\,606\,583\,524\,615\,149\,551\,625\,733\,877\,005\,151\,$
$484\,749\,948\,403\,825\,513\,461\,803\,122\,688\,000\,\alpha^{18}\,+$

$482\,779\,447\,746\,020\,819\,057\,071\,556\,862\,854\,318\,962\,074\,573\,166\,048\,430\,437\,636\,296\,198\,780\,090\,274\,$
$374\,002\,560\,895\,776\,294\,819\,542\,230\,630\,400\,\alpha^{19}\,+$

$248\,229\,271\,596\,444\,873\,564\,904\,302\,597\,086\,046\,615\,619\,428\,212\,321\,439\,082\,694\,193\,566\,830\,598\,159\,$
$219\,155\,107\,720\,326\,703\,100\,891\,811\,020\,800\,\alpha^{20}\,+$

$118\,484\,597\,838\,558\,425\,993\,619\,178\,513\,000\,234\,719\,313\,783\,598\,226\,394\,884\,786\,802\,494\,417\,252\,609\,$
$376\,925\,890\,016\,098\,373\,634\,460\,798\,156\,800\,\alpha^{21}\,+$

$52\,606\,848\,215\,253\,012\,997\,718\,400\,583\,218\,869\,343\,879\,251\,208\,153\,208\,849\,736\,415\,777\,077\,175\,465\,064\,$

612 055 291 275 035 300 116 771 635 200 α^{22} +

21 765 312 103 162 473 882 882 569 477 659 927 131 689 054 536 318 011 781 934 085 339 587 233 436 130 743 729 445 990 166 010 627 987 865 600 α^{23} +

8 404 566 388 472 129 983 178 372 448 618 375 794 544 230 329 702 070 365 599 831 989 638 472 797 673 107 417 293 398 378 167 392 849 100 800 α^{24} +

3 033 212 810 715 922 658 702 859 167 949 541 223 255 820 892 538 566 240 535 687 060 399 428 968 922 425 744 803 134 450 530 221 712 998 400 α^{25} +

1 024 396 841 668 573 480 024 880 884 604 330 059 703 652 991 132 830 405 654 373 505 353 787 540 806 036 994 554 843 763 601 663 275 827 200 α^{26} +

324 107 795 801 647 694 217 593 350 994 175 321 783 933 603 875 849 884 682 665 667 869 771 970 901 511 490 004 990 590 157 053 755 392 000 α^{27} +

96 158 445 996 567 671 937 113 779 177 455 633 180 601 407 986 847 316 209 930 662 923 430 329 901 825 618 942 271 374 115 553 148 928 000 α^{28} +

26 775 029 811 311 634 118 046 567 292 278 962 665 579 756 883 749 536 121 685 305 955 130 392 421 910 347 647 396 402 503 986 498 764 800 α^{29} +

7 002 217 014 303 063 907 293 138 767 680 684 118 275 980 038 370 360 202 794 817 674 724 473 275 801 078 677 328 997 954 369 041 203 200 α^{30} +

1 720 982 251 127 061 810 350 178 817 501 402 333 545 669 063 443 880 400 502 478 486 843 586 696 787 391 377 423 935 605 374 032 281 600 α^{31} +

397 722 954 195 277 985 893 476 140 550 085 006 231 437 519 605 104 800 550 822 129 050 280 750 397 023 084 740 382 543 315 363 430 400 α^{32} +

86 463 857 238 867 095 150 770 290 597 067 444 642 917 537 984 614 973 248 745 942 419 420 773 314 072 335 472 137 353 603 684 761 600 α^{33} +

17 688 215 643 410 501 682 794 748 306 460 486 987 469 402 841 652 557 236 360 276 411 056 670 408 218 439 761 193 441 763 419 750 400 α^{34} +

3 405 927 138 143 581 211 486 942 116 392 164 416 409 709 787 749 482 340 340 248 517 814 465 088 865 825 927 765 906 964 034 355 200 α^{35} +

617 385 509 608 350 833 840 249 712 683 428 509 344 631 689 274 025 094 426 733 538 194 619 421 384 648 580 341 004 071 495 270 400 α^{36} +

105 360 272 271 890 321 521 093 310 726 490 453 234 275 573 139 185 400 735 155 776 558 561 525 720 756 810 309 876 307 302 809 600 α^{37} +

16 927 317 887 891 198 806 135 718 313 712 436 440 934 193 318 891 510 089 050 985 447 295 754 014 954 329 766 090 663 945 830 400 α^{38} +

2 560 018 919 159 857 536 639 997 657 973 342 015 197 674 460 020 069 424 275 807 583 238 196 742 771 434 906 253 359 316 992 000 α^{39} +

364 381 011 414 302 945 550 783 530 634 169 528 457 904 352 646 164 342 660 883 591 143 261 556 813 070 435 251 754 998 169 600 α^{40} +

48 797 705 776 222 246 279 319 114 475 858 539 752 492 509 627 840 871 263 035 942 863 470 500 466 960 317 464 203 755 520 000 α^{41} +

6 146 191 521 412 499 000 461 289 160 908 812 425 642 835 327 743 917 355 943 249 422 814 637 170 368 046 772 222 794 137 600 α^{42} +

727 719 765 399 895 312 397 688 082 788 819 271 830 238 258 297 704 621 652 546 446 515 867 432 598 255 117 968 552 755 200 α^{43} +

80 949 865 310 812 819 581 576 577 122 328 650 704 586 804 719 936 543 677 373 118 071 193 731 729 549 447 948 088 115 200 α^{44} +

8 453 871 504 348 622 578 249 539 271 444 149 165 358 175 088 247 970 640 377 968 881 476 670 032 260 907 240 154 726 400 α^{45} +

828 178 663 067 739 616 877 298 921 990 504 422 631 350 486 429 406 189 857 998 041 777 792 288 035 638 730 765 107 200 α^{46} +

76 033 684 448 550 062 524 814 589 779 683 374 044 949 333 969 232 117 174 018 023 484 692 104 309 411 181 232 128 000 α^{47} +

6 534 684 511 192 817 508 391 223 230 849 409 321 687 233 827 867 181 905 595 747 733 203 217 150 866 ⋰
274 805 350 400 α^{48} +

525 091 399 837 155 104 155 922 999 337 200 401 079 187 451 721 403 956 515 994 802 002 612 102 115 ⋰
777 262 387 200 α^{49} +

39 392 786 741 061 253 342 236 265 207 783 759 466 816 920 401 324 297 571 261 248 366 622 350 695 245 ⋰
597 900 800 α^{50} +

2 754 645 272 646 308 824 267 784 672 145 950 410 440 709 292 354 638 153 014 516 107 992 758 625 407 ⋰
231 590 400 α^{51} +

179 218 382 745 988 487 237 369 606 267 564 427 247 588 866 310 795 892 253 577 018 869 823 026 032 ⋰
856 268 800 α^{52} +

10 825 800 319 137 305 582 700 106 466 669 556 093 469 771 060 542 480 624 135 167 196 278 280 853 389 ⋰
312 000 α^{53} +

605 712 675 506 173 046 065 005 919 244 577 358 860 321 199 075 649 704 536 219 937 209 497 000 765 ⋰
030 400 α^{54} +

31 305 972 062 466 988 810 753 056 976 308 749 154 062 321 130 911 114 921 196 075 444 592 037 383 372 ⋰
800 α^{55} +

1 490 038 953 897 502 798 428 291 566 158 451 586 951 481 088 141 390 806 574 522 207 432 815 411 200 ⋰
000 α^{56} +

65 077 974 637 065 950 475 318 271 033 363 537 021 338 344 380 469 683 385 033 132 207 387 128 627 200
α^{57} +

2 597 482 013 650 244 365 617 209 577 085 043 678 029 653 337 762 393 562 311 492 105 764 706 713 600
α^{58} +

94 292 553 128 855 199 817 399 801 910 978 440 961 726 298 488 127 710 900 819 918 501 550 489 600 α^{59} +
3 095 794 272 726 601 888 551 671 970 168 063 948 279 580 991 651 577 252 050 244 103 412 121 600 α^{60} +
91 315 949 670 568 851 838 342 558 263 140 968 757 192 708 380 981 567 698 116 128 486 195 200 α^{61} +
2 400 651 321 688 095 926 382 368 797 586 550 936 698 364 343 457 264 535 181 657 846 579 200 α^{62} +
55 703 529 922 416 717 943 131 855 350 465 326 012 477 395 191 843 627 111 799 796 531 200 α^{63} +
1 127 033 171 841 101 402 279 841 205 039 900 089 894 820 937 680 570 481 803 001 856 000 α^{64} +
19 578 169 637 595 248 242 020 595 138 147 591 793 916 897 654 070 790 006 715 187 200 α^{65} +
286 121 813 510 641 588 908 457 417 127 964 357 638 406 431 418 411 403 286 937 600 α^{66} +
3 420 994 860 509 858 667 142 496 593 772 045 427 823 167 385 902 243 643 392 000 α^{67} +
32 133 494 955 730 720 873 379 210 128 531 627 769 857 457 922 783 156 633 600 α^{68} +
222 354 563 078 099 812 448 042 509 142 305 422 130 457 075 012 075 520 000 α^{69} +
1 007 786 052 762 493 425 441 335 296 146 630 365 123 214 720 368 640 000 α^{70} +
2 244 333 848 512 671 272 755 697 788 284 868 386 498 847 703 040 000 α^{71}, {0}}}

```
In[•]:= ODEinTheta = Sum[
    z^RecNormalizedOrder-RECNormalizedinSDetails[[i,2]][[1]] ** Expand[RECNormalizedinSDetails[[i, 1]] /.
        {α → Euler[z] - RECNormalizedinSDetails[[i, 2]][[1]]}],
    {i, 1, Length@RECNormalizedinSDetails}];
ToOrePolynomial[ODEinTheta]
```

Out[•]= (437 502 088 527 074 815 832 949 679 718 400 − 85 692 853 520 993 768 727 486 335 844 719 001 600 z^2 +
763 338 299 988 791 317 097 389 707 961 497 236 275 200 z^4 −
1 598 363 211 802 454 956 689 545 078 412 316 387 364 044 800 z^6 +
708 270 719 505 845 849 417 203 674 955 342 083 655 100 006 400 z^8 −
97 773 026 415 808 146 191 848 122 055 052 434 634 224 277 913 600 z^{10} +
2 244 333 848 512 671 272 755 697 788 284 868 386 498 847 703 040 000 z^{12}) θ_z^{71} +

(−163 172 653 946 008 653 633 696 196 617 830 400 +
20 220 452 971 900 208 213 660 793 604 502 087 270 400 z^2 −
75 543 229 616 747 883 559 888 102 884 332 458 632 806 400 z^4 −
60 794 886 448 914 804 602 655 911 018 182 748 305 096 704 000 z^6 +

$123\,972\,671\,296\,362\,518\,142\,632\,686\,105\,576\,126\,856\,915\,897\,548\,800\,z^8 -$

$30\,508\,676\,135\,532\,706\,188\,506\,322\,942\,678\,325\,764\,257\,768\,433\,254\,400\,z^{10} +$

$1\,007\,786\,052\,762\,493\,425\,441\,335\,296\,146\,630\,365\,123\,214\,720\,368\,640\,000\,z^{12}\big)\,\Theta_z^{70} +$

$\big(29\,857\,798\,180\,841\,889\,519\,846\,492\,763\,638\,988\,800 -$

$2\,326\,046\,541\,656\,701\,518\,297\,613\,358\,187\,215\,113\,420\,800\,z^2 +$

$3\,464\,667\,849\,523\,124\,251\,896\,607\,444\,361\,658\,369\,048\,576\,000\,z^4 -$

$685\,578\,522\,344\,692\,542\,509\,855\,844\,521\,392\,105\,418\,076\,979\,200\,z^6 +$

$10\,492\,946\,826\,143\,569\,262\,920\,728\,164\,672\,722\,840\,390\,103\,098\,982\,400\,z^8 -$

$4\,663\,438\,731\,891\,361\,793\,405\,148\,056\,824\,649\,902\,343\,501\,583\,797\,452\,800\,z^{10} +$

$222\,354\,563\,078\,099\,812\,448\,042\,509\,142\,305\,422\,130\,457\,075\,012\,075\,520\,000\,z^{12}\big)\,\Theta_z^{69} +$

$\big(-3\,572\,963\,945\,184\,834\,574\,342\,423\,726\,302\,318\,034\,944 +$

$173\,825\,070\,210\,027\,273\,605\,564\,483\,013\,310\,460\,414\,918\,656\,z^2 -$

$96\,916\,974\,965\,744\,198\,912\,103\,822\,499\,129\,618\,488\,499\,372\,032\,z^4 +$

$2\,681\,405\,163\,520\,023\,186\,325\,721\,278\,374\,920\,950\,923\,204\,231\,168\,z^6 +$

$571\,884\,088\,268\,720\,688\,546\,904\,669\,786\,140\,717\,868\,121\,973\,353\,086\,976\,z^8 -$

$465\,451\,158\,587\,295\,834\,402\,536\,951\,473\,538\,028\,117\,485\,056\,217\,761\,972\,224\,z^{10} +$

$32\,133\,494\,955\,730\,720\,873\,379\,210\,128\,531\,627\,769\,857\,457\,922\,783\,156\,633\,600\,z^{12}\big)\,\Theta_z^{68} +$

$\big(314\,475\,861\,226\,255\,566\,940\,946\,613\,758\,825\,689\,251\,840 -$

$9\,487\,610\,103\,122\,801\,562\,087\,824\,729\,310\,737\,269\,553\,889\,280\,z^2 +$

$1\,823\,294\,621\,842\,479\,392\,287\,288\,834\,233\,278\,214\,616\,180\,064\,256\,z^4 +$

$114\,782\,564\,402\,275\,648\,598\,886\,381\,333\,963\,379\,966\,658\,589\,229\,056\,z^6 +$

$22\,547\,763\,716\,126\,363\,145\,248\,539\,444\,340\,405\,760\,106\,544\,793\,747\,718\,144\,z^8 -$

$34\,114\,800\,843\,242\,926\,073\,137\,253\,806\,722\,083\,303\,679\,948\,523\,407\,604\,187\,136\,z^{10} +$

$3\,420\,994\,860\,509\,858\,667\,142\,496\,593\,772\,045\,427\,823\,167\,385\,902\,243\,643\,392\,000\,z^{12}\big)\,\Theta_z^{67} +$

$\big(-21\,708\,684\,362\,625\,691\,472\,817\,299\,576\,332\,516\,149\,166\,080 +$

$403\,176\,270\,182\,847\,161\,214\,372\,313\,210\,004\,194\,307\,663\,200\,256\,z^2 -$

$23\,765\,992\,172\,760\,041\,711\,032\,640\,615\,636\,520\,159\,095\,755\,374\,592\,z^4 +$

$534\,456\,500\,026\,944\,785\,879\,813\,202\,248\,614\,645\,645\,886\,326\,046\,720\,z^6 +$

$684\,905\,741\,392\,366\,855\,952\,923\,259\,476\,573\,872\,466\,034\,638\,797\,391\,527\,936\,z^8 -$

$1\,957\,943\,956\,379\,724\,135\,322\,253\,273\,755\,697\,520\,124\,836\,022\,603\,356\,718\,497\,792\,z^{10} +$

$286\,121\,813\,510\,641\,588\,908\,457\,417\,127\,964\,357\,638\,406\,431\,418\,411\,403\,286\,937\,600\,z^{12}\big)\,\Theta_z^{66} +$

$\big(1\,223\,947\,667\,091\,946\,282\,683\,532\,136\,081\,805\,768\,891\,826\,176 -$

$13\,885\,177\,455\,891\,453\,036\,671\,886\,546\,161\,702\,965\,185\,494\,384\,640\,z^2 +$

$207\,679\,840\,177\,420\,843\,100\,135\,419\,314\,140\,896\,473\,412\,020\,469\,760\,z^4 -$

$6\,433\,375\,459\,886\,916\,435\,691\,907\,746\,417\,755\,804\,463\,247\,925\,444\,608\,z^6 +$

$16\,666\,510\,914\,359\,207\,786\,397\,500\,382\,479\,771\,644\,125\,428\,038\,767\,495\,610\,368\,z^8 -$

$91\,628\,304\,129\,805\,632\,185\,767\,583\,923\,301\,400\,764\,391\,600\,695\,041\,940\,697\,120\,768\,z^{10} +$

$19\,578\,169\,637\,595\,248\,242\,020\,595\,138\,147\,591\,793\,916\,897\,654\,070\,790\,006\,715\,187\,200\,z^{12}\big)\,\Theta_z^{65} +$

$\big(-57\,952\,531\,391\,496\,656\,997\,244\,107\,170\,175\,748\,935\,644\,086\,272 +$

$398\,323\,127\,265\,515\,425\,400\,214\,672\,979\,864\,476\,622\,872\,255\,660\,032\,z^2 -$

$986\,569\,234\,680\,989\,072\,001\,292\,700\,945\,169\,233\,755\,298\,414\,460\,928\,z^4 -$

$68\,025\,042\,294\,212\,584\,558\,860\,166\,565\,035\,257\,910\,604\,989\,196\,140\,544\,z^6 +$

$333\,495\,644\,095\,330\,539\,523\,371\,816\,505\,573\,849\,226\,502\,597\,465\,791\,296\,176\,128\,z^8 -$

$3\,595\,134\,918\,369\,839\,275\,356\,617\,286\,398\,672\,283\,487\,666\,881\,265\,818\,764\,448\,890\,880\,z^{10} +$

$1\,127\,033\,171\,841\,101\,402\,279\,841\,205\,039\,900\,089\,894\,820\,937\,680\,570\,481\,803\,001\,856\,000\,z^{12}\big)\,\Theta_z^{64} +$

$\big(2\,351\,663\,347\,692\,414\,747\,455\,732\,473\,483\,943\,448\,344\,883\,363\,840 -$

$9\,708\,522\,709\,119\,529\,405\,273\,928\,199\,540\,214\,953\,135\,564\,920\,979\,456\,z^2 -$

$1\,657\,367\,455\,379\,755\,891\,482\,606\,134\,677\,919\,241\,832\,851\,168\,034\,816\,z^4 +$

$91\,730\,219\,842\,373\,070\,317\,240\,667\,209\,109\,895\,573\,296\,474\,176\,356\,352\,z^6 +$

$5\,588\,376\,947\,624\,233\,900\,991\,431\,772\,747\,970\,665\,160\,244\,105\,952\,145\,700\,814\,848\,z^8 -$

$$120\,685\,865\,444\,809\,893\,403\,916\,797\,182\,458\,234\,267\,142\,454\,159\,828\,244\,836\,776\,935\,424\,z^{10} +$$

$$55\,703\,529\,922\,416\,717\,943\,131\,855\,350\,465\,326\,012\,477\,395\,191\,843\,627\,111\,799\,796\,531\,200\,z^{12}\big)\,\theta_z^{63} +$$

$$\big(-83\,054\,639\,196\,164\,027\,474\,970\,298\,581\,932\,454\,980\,606\,075\,338\,752 +$$

$$204\,064\,676\,862\,657\,842\,924\,086\,701\,824\,728\,367\,003\,448\,287\,250\,350\,080\,z^{2} +$$

$$68\,551\,115\,773\,553\,495\,709\,782\,502\,346\,793\,899\,861\,324\,288\,629\,932\,032\,z^{4} +$$

$$3\,747\,560\,615\,009\,527\,793\,348\,672\,743\,392\,153\,628\,001\,267\,545\,530\,171\,392\,z^{6} +$$

$$79\,440\,630\,134\,588\,153\,630\,470\,524\,283\,938\,382\,316\,784\,327\,775\,646\,328\,763\,187\,200\,z^{8} -$$

$$3\,519\,914\,289\,568\,885\,516\,985\,425\,891\,441\,240\,122\,058\,382\,097\,728\,631\,013\,766\,137\,380\,864\,z^{10} +$$

$$2\,400\,651\,321\,688\,095\,926\,382\,368\,797\,586\,550\,936\,698\,364\,343\,457\,264\,535\,181\,657\,846\,579\,200\,z^{12}\big)\,\theta_z^{62} +$$

$$\big(2\,583\,938\,232\,529\,027\,522\,973\,460\,681\,912\,788\,389\,036\,472\,250\,925\,056 -$$

$$3\,741\,689\,973\,894\,675\,965\,429\,602\,547\,236\,072\,816\,938\,942\,330\,604\,355\,584\,z^{2} -$$

$$524\,010\,392\,547\,276\,700\,838\,339\,825\,319\,905\,344\,766\,773\,042\,524\,192\,768\,z^{4} +$$

$$8\,037\,036\,145\,451\,847\,782\,197\,655\,716\,493\,819\,175\,747\,230\,050\,738\,503\,680\,z^{6} +$$

$$966\,654\,596\,225\,840\,636\,368\,632\,077\,337\,329\,175\,923\,940\,837\,032\,597\,925\,327\,273\,984\,z^{8} -$$

$$90\,275\,736\,114\,953\,956\,594\,426\,485\,740\,241\,687\,224\,536\,548\,380\,804\,322\,461\,469\,250\,682\,880\,z^{10} +$$

$$91\,315\,949\,670\,568\,851\,838\,342\,558\,263\,140\,968\,757\,192\,708\,380\,981\,567\,698\,116\,128\,486\,195\,200\,z^{12}\big)\,\theta_z^{61} +$$

$$\big(-71\,505\,243\,033\,831\,344\,152\,768\,951\,258\,331\,747\,601\,220\,661\,567\,029\,248 +$$

$$60\,391\,436\,324\,790\,496\,158\,005\,205\,832\,431\,551\,719\,526\,330\,578\,614\,878\,208\,z^{2} +$$

$$1\,337\,366\,264\,077\,922\,417\,682\,501\,085\,286\,950\,885\,651\,800\,182\,518\,448\,128\,z^{4} -$$

$$120\,818\,863\,194\,150\,046\,112\,935\,387\,582\,183\,304\,286\,937\,693\,582\,436\,335\,616\,z^{6} +$$

$$10\,127\,349\,777\,449\,369\,215\,314\,496\,216\,129\,190\,903\,202\,585\,157\,514\,403\,129\,447\,153\,664\,z^{8} -$$

$$2\,055\,729\,376\,378\,509\,307\,431\,120\,452\,367\,633\,494\,024\,978\,366\,511\,978\,257\,100\,962\,757\,869\,568\,z^{10} +$$

$$3\,095\,794\,272\,726\,601\,888\,551\,671\,970\,168\,063\,948\,279\,580\,991\,651\,577\,252\,050\,244\,103\,412\,121\,600\,z^{12}\big)$$

$$\theta_z^{60} + \big(1\,774\,079\,359\,594\,851\,409\,135\,263\,072\,560\,021\,473\,094\,354\,441\,173\,204\,992 -$$

$$864\,192\,646\,668\,177\,749\,475\,326\,653\,981\,098\,816\,777\,857\,862\,291\,138\,019\,328\,z^{2} +$$

$$9\,295\,639\,722\,284\,267\,242\,219\,550\,102\,300\,861\,593\,982\,713\,990\,326\,779\,904\,z^{4} -$$

$$585\,156\,530\,027\,448\,100\,378\,081\,506\,618\,004\,158\,102\,268\,692\,882\,706\,661\,376\,z^{6} +$$

$$91\,614\,961\,289\,955\,574\,069\,833\,547\,910\,193\,184\,137\,757\,774\,166\,899\,491\,449\,407\,012\,864\,z^{8} -$$

$$41\,893\,107\,432\,994\,876\,074\,463\,985\,914\,023\,343\,174\,849\,363\,032\,628\,965\,164\,131\,490\,363\,080\,704\,z^{10} +$$

$$94\,292\,553\,128\,855\,199\,817\,399\,801\,910\,978\,440\,961\,726\,298\,488\,127\,710\,900\,819\,918\,501\,550\,489\,600\,z^{12}\big)$$

$$\theta_z^{59} + \big(-39\,723\,363\,094\,123\,094\,493\,679\,481\,187\,674\,379\,684\,473\,246\,746\,360\,676\,352 +$$

$$11\,027\,240\,717\,597\,336\,240\,754\,430\,159\,657\,934\,831\,868\,470\,166\,411\,546\,722\,304\,z^{2} -$$

$$102\,538\,277\,946\,886\,363\,759\,465\,942\,292\,741\,718\,857\,443\,082\,574\,856\,454\,144\,z^{4} +$$

$$2\,291\,471\,417\,790\,422\,146\,927\,769\,844\,648\,081\,394\,339\,459\,766\,218\,196\,516\,864\,z^{6} +$$

$$715\,445\,218\,621\,893\,978\,754\,847\,203\,428\,309\,708\,318\,930\,867\,091\,326\,164\,542\,894\,899\,200\,z^{8} -$$

$$769\,028\,554\,113\,094\,113\,206\,930\,206\,189\,180\,202\,956\,044\,720\,242\,041\,541\,939\,395\,783\,450\,165\,248\,z^{10} +$$

$$2\,597\,482\,013\,650\,244\,365\,617\,209\,577\,085\,043\,678\,029\,653\,337\,762\,393\,562\,311\,492\,105\,764\,706\,713\,600$$

$$z^{12}\big)\,\theta_z^{58} + \big(807\,160\,806\,284\,777\,148\,936\,901\,585\,555\,411\,944\,587\,363\,744\,924\,081\,061\,888 -$$

$$126\,046\,361\,082\,167\,200\,354\,081\,860\,769\,946\,895\,344\,155\,481\,961\,769\,736\,339\,456\,z^{2} +$$

$$338\,003\,639\,557\,685\,030\,283\,821\,214\,525\,244\,255\,752\,267\,016\,616\,990\,998\,528\,z^{4} +$$

$$20\,773\,535\,299\,468\,147\,258\,992\,227\,168\,004\,033\,508\,376\,075\,880\,935\,247\,052\,800\,z^{6} +$$

$$4\,802\,926\,791\,175\,773\,660\,506\,008\,743\,599\,013\,667\,296\,560\,466\,931\,977\,443\,244\,760\,891\,392\,z^{8} -$$

$$12\,786\,484\,160\,078\,102\,468\,474\,598\,452\,696\,943\,394\,528\,562\,591\,420\,137\,901\,970\,481\,015\,487\,987\,712\,z^{10} +$$

$$65\,077\,974\,637\,065\,950\,475\,318\,271\,033\,363\,537\,021\,338\,344\,380\,469\,683\,385\,033\,132\,207\,387\,128\,627\,200$$

$$z^{12}\big)\,\theta_z^{57} + \big(-14\,953\,955\,313\,586\,458\,485\,805\,103\,138\,688\,541\,361\,299\,000\,616\,167\,577\,485\,312 +$$

$$1\,295\,271\,126\,020\,543\,922\,319\,050\,969\,961\,555\,343\,692\,460\,940\,562\,720\,037\,535\,744\,z^{2} +$$

$$807\,732\,648\,570\,876\,122\,215\,897\,052\,369\,080\,560\,845\,155\,441\,316\,491\,952\,128\,z^{4} -$$

$$15\,357\,055\,117\,981\,548\,309\,695\,359\,617\,572\,579\,032\,053\,337\,186\,126\,031\,486\,976\,z^{6} +$$

$$27\,437\,135\,459\,695\,258\,783\,041\,737\,609\,936\,690\,014\,064\,648\,751\,285\,452\,692\,067\,807\,395\,840\,z^{8} -$$

$$193\,459\,832\,877\,452\,406\,042\,715\,458\,848\,385\,604\,111\,977\,404\,078\,893\,528\,027\,789\,412\,729\,339\,510\,784$$

z^{10} +

1 490 038 953 897 502 798 428 291 566 158 451 586 951 481 088 141 390 806 574 522 207 432 815 411 200

000 z^{12} $)$ Θ_z^{56} + $($ 253 618 625 167 232 287 965 766 806 366 024 221 624 319 126 347 164 013 297 664 −

11 998 985 442 271 795 094 645 968 790 664 573 083 342 689 878 861 044 143 620 096 z^2 −

11 870 122 918 904 049 961 583 040 541 312 141 790 344 602 788 920 666 619 904 z^4 −

486 079 377 041 405 952 041 213 662 488 490 669 153 285 149 634 688 314 245 120 z^6 +

130 577 398 734 422 352 346 919 638 061 407 696 926 808 691 348 496 395 672 280 417 435 648 z^8 −

2 674 169 097 861 152 881 088 976 668 166 462 671 665 396 232 000 668 956 474 306 942 477 457 686 528

z^{10} +

31 305 972 062 466 988 810 753 056 976 308 749 154 062 321 130 911 114 921 196 075 444 592 037 383 372

800 z^{12} $)$ Θ_z^{55} + $($ − 3 951 303 885 862 786 466 918 968 856 449 431 682 210 551 905 717 786 574 323 712 +

100 398 259 057 141 379 225 814 712 012 290 751 414 496 673 747 994 479 660 367 872 z^2 +

37 818 279 621 570 013 189 971 634 219 814 422 289 151 233 178 851 610 722 304 z^4 −

501 825 564 166 737 246 328 754 369 449 448 520 181 548 748 673 813 978 284 032 z^6 +

493 938 189 382 687 157 234 344 584 987 724 550 516 226 778 808 150 254 415 858 790 039 552 z^8 −

33 886 733 176 694 911 381 830 975 065 256 456 333 701 892 921 765 819 354 789 955 168 341 042 659 328

z^{10} +

605 712 675 506 173 046 065 005 919 244 577 358 860 321 199 075 649 704 536 219 937 209 497 000 765

030 400 z^{12} $)$ Θ_z^{54} +

$($ 56 720 107 249 812 880 149 001 506 125 791 232 027 685 699 900 492 091 122 253 824 −

759 659 274 329 105 983 672 998 373 843 298 323 368 354 123 815 265 984 602 701 824 z^2 +

64 337 487 525 943 106 996 278 547 811 042 979 321 562 795 984 686 355 054 592 z^4 +

8 059 161 143 964 776 944 860 582 783 874 417 781 840 026 808 750 862 747 303 936 z^6 +

1 298 037 301 401 589 758 926 874 397 861 044 090 264 636 373 441 820 296 620 531 901 267 968 z^8 −

394 815 719 119 392 764 148 855 522 666 561 647 592 696 400 666 358 495 178 017 624 851 684 301 733 888

z^{10} +

10 825 800 319 137 305 582 700 106 466 669 556 093 469 771 060 542 480 624 135 167 196 278 280 853 389

312 000 z^{12} $)$ Θ_z^{53} +

$($ − 752 147 669 434 241 042 115 625 065 707 192 342 120 312 178 243 464 441 252 806 656 +

5 199 897 849 338 936 100 986 975 015 477 589 087 625 462 927 260 450 045 019 815 936 z^2 −

912 743 317 809 923 988 511 509 603 563 269 011 432 407 466 111 578 111 213 568 z^4 +

19 886 002 926 841 969 524 071 627 554 853 561 358 568 015 010 308 816 745 005 056 z^6 +

887 909 940 722 907 707 581 170 064 735 752 821 202 168 609 461 135 772 514 963 031 064 576 z^8 −

4 240 254 206 581 006 409 752 361 647 800 137 893 934 884 027 294 558 625 490 937 525 288 901 120 360

448 z^{10} +

179 218 382 745 988 487 237 369 606 267 564 427 247 588 866 310 795 892 253 577 018 869 823 026 032

856 268 800 z^{12} $)$ Θ_z^{52} +

$($ 9 234 734 026 510 367 605 894 546 120 708 482 223 541 085 344 696 730 570 724 737 024 −

32 184 756 677 038 245 566 274 515 493 148 462 290 638 529 950 794 549 063 260 831 744 z^2 +

2 377 949 671 619 339 144 281 261 519 438 993 710 969 207 259 772 919 490 805 760 z^4 −

95 098 083 230 272 886 415 516 371 469 693 943 747 015 710 958 909 126 254 526 464 z^6 −

13 149 348 208 175 930 509 644 418 448 571 091 778 626 787 237 770 138 064 375 720 253 063 168 z^8 −

42 071 023 181 522 156 065 434 362 925 863 932 493 327 219 551 342 034 596 927 296 911 259 621 321 080

832 z^{10} +

2 754 645 272 646 308 824 267 784 672 145 950 410 440 709 292 354 638 153 014 516 107 992 758 625 407

231 590 400 z^{12} $)$ Θ_z^{51} +

$($ − 105 186 468 685 155 007 510 024 413 275 509 558 532 853 739 597 881 040 147 462 914 048 +

179 859 585 751 596 471 433 672 569 885 825 422 758 561 463 686 829 973 374 475 698 176 z^2 +

4 908 753 558 424 288 483 025 625 698 365 006 223 887 456 824 457 927 996 735 488 z^4 −

394 018 487 283 895 456 279 824 235 028 500 284 915 622 622 882 938 106 142 523 392 z^6 −

$87\,649\,976\,647\,996\,092\,530\,238\,771\,974\,733\,082\,080\,129\,584\,944\,273\,733\,850\,769\,774\,153\,302\,016\ z^8 -$

$386\,367\,535\,805\,600\,806\,705\,100\,948\,146\,622\,468\,869\,898\,652\,276\,217\,411\,913\,353\,906\,398\,072\,677\,421\,023\,232\ z^{10} +$

$39\,392\,786\,741\,061\,253\,342\,236\,265\,207\,783\,759\,466\,816\,920\,401\,324\,297\,571\,261\,248\,366\,622\,350\,695\,245\,597\,900\,800\ z^{12}\big)\ \Theta_z^{50} +$

$\big(1\,113\,416\,491\,839\,904\,833\,020\,924\,032\,923\,949\,355\,763\,732\,449\,722\,400\,227\,751\,989\,364\,736 -$

$904\,932\,209\,778\,040\,271\,478\,642\,027\,853\,776\,866\,639\,175\,775\,765\,021\,504\,834\,109\,440\,000\ z^2 -$

$47\,354\,068\,647\,948\,937\,678\,077\,686\,594\,535\,509\,456\,883\,875\,842\,574\,094\,025\,359\,360\ z^4 +$

$738\,922\,944\,961\,911\,793\,058\,866\,615\,956\,958\,260\,303\,430\,756\,902\,852\,260\,989\,501\,440\ z^6 -$

$313\,711\,997\,573\,164\,394\,988\,435\,227\,706\,901\,771\,974\,478\,204\,888\,240\,209\,852\,108\,200\,506\,032\,128\ z^8 -$

$3\,289\,762\,333\,247\,484\,928\,564\,341\,446\,604\,205\,399\,722\,752\,674\,219\,348\,006\,134\,116\,993\,345\,010\,866\,520\,588\,288\ z^{10} +$

$525\,091\,399\,837\,155\,104\,155\,922\,999\,337\,200\,401\,079\,187\,451\,721\,403\,956\,515\,994\,802\,002\,612\,102\,115\,777\,262\,387\,200\ z^{12}\big)\ \Theta_z^{49} +$

$\big(-10\,969\,017\,899\,234\,593\,599\,491\,331\,136\,363\,927\,410\,829\,263\,935\,244\,223\,444\,776\,092\,888\,064 +$

$4\,079\,979\,309\,929\,534\,142\,809\,381\,934\,139\,639\,490\,106\,448\,610\,833\,889\,187\,030\,285\,418\,496\ z^2 +$

$85\,245\,093\,212\,775\,778\,840\,887\,630\,166\,617\,366\,967\,512\,762\,379\,458\,317\,763\,215\,360\ z^4 +$

$5\,385\,795\,062\,129\,515\,715\,149\,102\,675\,393\,469\,974\,378\,484\,508\,830\,060\,202\,715\,774\,976\ z^6 -$

$606\,508\,998\,887\,691\,592\,816\,833\,397\,051\,322\,857\,630\,218\,121\,491\,528\,796\,773\,179\,962\,832\,191\,488\ z^8 -$

$26\,007\,266\,770\,560\,293\,174\,241\,827\,932\,785\,343\,270\,523\,654\,585\,428\,376\,203\,315\,046\,423\,161\,394\,637\,519\,716\,352\ z^{10} +$

$6\,534\,684\,511\,192\,817\,508\,391\,223\,230\,849\,409\,321\,687\,233\,827\,867\,181\,905\,595\,747\,733\,203\,217\,150\,866\,274\,805\,350\,400\ z^{12}\big)\ \Theta_z^{48} +$

$\big(100\,705\,372\,156\,230\,322\,713\,274\,713\,291\,320\,457\,049\,773\,866\,404\,144\,224\,800\,882\,464\,961\,184 -$

$16\,359\,503\,338\,285\,128\,354\,926\,378\,294\,320\,803\,843\,772\,251\,547\,829\,416\,089\,000\,752\,234\,496\ z^2 +$

$279\,276\,191\,002\,081\,639\,354\,991\,648\,272\,445\,672\,333\,352\,821\,528\,498\,694\,998\,982\,656\ z^4 -$

$2\,245\,002\,530\,596\,323\,505\,319\,284\,984\,790\,453\,192\,099\,796\,931\,481\,983\,643\,776\,188\,416\ z^6 +$

$361\,345\,475\,309\,798\,651\,911\,322\,911\,289\,943\,458\,942\,404\,868\,860\,015\,328\,780\,621\,597\,525\,409\,792\ z^8 -$

$191\,126\,718\,838\,263\,821\,686\,746\,073\,939\,962\,788\,461\,848\,629\,385\,463\,749\,788\,604\,463\,925\,176\,826\,592\,290\,144\,256\ z^{10} +$

$76\,033\,684\,448\,550\,062\,524\,814\,589\,779\,683\,374\,044\,949\,333\,969\,232\,117\,174\,018\,023\,484\,692\,104\,309\,411\,181\,232\,128\,000\ z^{12}\big)\ \Theta_z^{47} +$

$\big(-862\,573\,005\,803\,973\,049\,625\,878\,604\,317\,549\,478\,064\,300\,037\,692\,229\,475\,637\,757\,241\,251\,248 +$

$57\,612\,702\,643\,683\,384\,066\,440\,869\,187\,771\,243\,792\,859\,165\,083\,537\,019\,369\,954\,404\,163\,584\ z^2 -$

$1\,614\,713\,091\,091\,570\,964\,995\,143\,975\,215\,539\,995\,242\,024\,820\,403\,180\,633\,150\,455\,808\ z^4 -$

$54\,828\,484\,238\,596\,205\,470\,076\,889\,578\,550\,469\,809\,046\,262\,696\,559\,581\,605\,897\,699\,328\ z^6 +$

$7\,419\,185\,404\,293\,334\,707\,777\,515\,130\,646\,203\,999\,571\,610\,431\,461\,130\,745\,380\,518\,996\,148\,748\,288\ z^8 -$

$1\,307\,053\,649\,804\,517\,190\,780\,099\,334\,848\,339\,307\,742\,194\,719\,069\,327\,649\,563\,727\,231\,280\,765\,110\,268\,790\,308\,864\ z^{10} +$

$828\,178\,663\,067\,739\,616\,877\,298\,921\,990\,504\,422\,631\,350\,486\,429\,406\,189\,857\,998\,041\,777\,792\,288\,035\,638\,730\,765\,107\,200\ z^{12}\big)\ \Theta_z^{46} +$

$\big(6\,899\,364\,181\,271\,615\,444\,522\,674\,922\,507\,094\,537\,119\,821\,509\,105\,185\,972\,969\,127\,946\,421\,184 -$

$174\,279\,146\,454\,537\,633\,485\,327\,552\,780\,351\,809\,002\,992\,333\,660\,587\,939\,769\,171\,998\,233\,600\ z^2 +$

$1\,492\,026\,357\,475\,355\,383\,419\,320\,515\,944\,680\,520\,309\,293\,205\,455\,051\,525\,494\,931\,456\ z^4 -$

$30\,904\,322\,367\,383\,532\,244\,860\,102\,294\,929\,905\,125\,168\,962\,648\,661\,381\,224\,939\,388\,928\ z^6 +$

$28\,099\,966\,214\,952\,262\,081\,105\,342\,789\,855\,708\,273\,213\,219\,169\,239\,258\,015\,294\,514\,779\,226\,374\,144\ z^8 -$

$8\,325\,013\,090\,882\,655\,958\,656\,330\,853\,819\,494\,983\,884\,384\,871\,319\,307\,138\,543\,077\,566\,652\,652\,752\,125\,160\,325\,120\ z^{10} +$

$8\,453\,871\,504\,348\,622\,578\,249\,539\,271\,444\,149\,165\,358\,175\,088\,247\,970\,640\,377\,968\,881\,476\,670\,032\,260\,907\,240\,154\,726\,400\ z^{12}\big)\ \Theta_z^{45} +$

$$\big(-51\,574\,832\,108\,508\,167\,254\,291\,247\,846\,132\,758\,951\,608\,221\,180\,789\,247\,327\,320\,127\,785\,210\,088 +$$
$$432\,696\,862\,032\,426\,031\,225\,908\,212\,221\,283\,124\,249\,565\,039\,054\,139\,400\,088\,022\,285\,177\,344\,z^2 +$$
$$10\,192\,687\,433\,057\,751\,553\,590\,385\,293\,320\,258\,162\,224\,698\,543\,829\,614\,200\,494\,882\,816\,z^4 +$$
$$425\,295\,903\,499\,596\,054\,505\,532\,108\,840\,507\,821\,308\,872\,652\,493\,043\,416\,297\,549\,856\,768\,z^6 +$$
$$51\,127\,086\,225\,613\,783\,442\,340\,074\,527\,711\,620\,224\,014\,356\,060\,067\,270\,421\,716\,865\,588\,609\,941\,504\,z^8 -$$
$$49\,419\,793\,139\,798\,248\,072\,441\,476\,544\,799\,147\,830\,309\,057\,932\,431\,140\,228\,137\,249\,557\,552\,840\,606\,699\,\backslash$$
$$596\,283\,904\,z^{10} +$$
$$80\,949\,865\,310\,812\,819\,581\,576\,577\,122\,328\,650\,704\,586\,804\,719\,936\,543\,677\,373\,118\,071\,193\,731\,729\,549\,\backslash$$
$$447\,948\,088\,115\,200\,z^{12}\big)\;\Theta_z^{44} +$$

$$\big(360\,550\,682\,045\,069\,508\,756\,456\,713\,466\,097\,958\,325\,801\,833\,514\,059\,325\,124\,691\,633\,740\,003\,794 -$$
$$779\,373\,884\,388\,633\,928\,740\,669\,720\,408\,318\,826\,334\,370\,076\,717\,295\,475\,961\,297\,397\,931\,424\,z^2 -$$
$$34\,462\,598\,078\,595\,112\,153\,173\,132\,316\,091\,689\,535\,433\,675\,909\,389\,661\,058\,401\,951\,744\,z^4 +$$
$$591\,033\,121\,912\,879\,671\,291\,906\,023\,684\,797\,422\,524\,672\,774\,992\,677\,843\,869\,798\,236\,160\,z^6 -$$
$$20\,553\,398\,218\,946\,331\,246\,279\,967\,504\,712\,885\,503\,465\,342\,783\,882\,861\,336\,165\,571\,790\,316\,240\,896\,z^8 -$$
$$273\,578\,212\,035\,585\,952\,677\,784\,626\,993\,379\,492\,898\,159\,285\,435\,125\,671\,861\,868\,876\,380\,948\,440\,054\,\backslash$$
$$364\,270\,231\,552\,z^{10} +$$
$$727\,719\,765\,399\,895\,312\,397\,688\,082\,788\,819\,271\,830\,238\,258\,297\,704\,621\,652\,546\,446\,515\,867\,432\,598\,\backslash$$
$$255\,117\,968\,552\,755\,200\,z^{12}\big)\;\Theta_z^{43} +$$

$$\big(-2\,358\,420\,370\,658\,404\,756\,361\,599\,853\,635\,765\,148\,342\,966\,716\,216\,840\,054\,341\,077\,539\,508\,923\,299 +$$
$$471\,952\,697\,336\,641\,806\,828\,675\,784\,752\,672\,408\,064\,836\,279\,565\,240\,564\,851\,460\,957\,644\,816\,z^2 -$$
$$352\,856\,023\,860\,169\,782\,603\,688\,861\,728\,134\,482\,876\,608\,420\,860\,893\,348\,759\,580\,672\,z^4 -$$
$$2\,498\,704\,766\,394\,909\,928\,122\,746\,680\,730\,805\,950\,094\,532\,316\,956\,437\,151\,340\,992\,397\,312\,z^6 -$$
$$431\,306\,205\,452\,207\,381\,409\,718\,661\,884\,566\,353\,132\,965\,028\,539\,886\,635\,841\,863\,631\,444\,388\,085\,760\,z^8 -$$
$$1\,412\,879\,791\,574\,775\,237\,647\,940\,657\,155\,096\,382\,200\,076\,955\,697\,095\,338\,355\,358\,936\,292\,885\,487\,119\,\backslash$$
$$868\,631\,187\,456\,z^{10} +$$
$$6\,146\,191\,521\,412\,499\,000\,461\,289\,160\,908\,812\,425\,642\,835\,327\,743\,917\,355\,943\,249\,422\,814\,637\,170\,368\,\backslash$$
$$046\,772\,222\,794\,137\,600\,z^{12}\big)\;\Theta_z^{42} +$$

$$\big(14\,440\,247\,913\,438\,947\,161\,249\,122\,047\,204\,313\,484\,916\,122\,298\,132\,998\,594\,655\,021\,169\,037\,278\,669 +$$
$$3\,316\,798\,291\,393\,614\,838\,618\,926\,809\,607\,125\,465\,903\,423\,965\,479\,845\,595\,944\,073\,297\,187\,048\,z^2 +$$
$$226\,908\,007\,500\,754\,644\,378\,014\,288\,469\,076\,998\,756\,441\,206\,195\,884\,188\,975\,096\,188\,928\,z^4 -$$
$$5\,694\,980\,405\,812\,099\,792\,858\,324\,607\,609\,754\,519\,198\,572\,578\,612\,581\,988\,430\,140\,932\,096\,z^6 -$$
$$1\,317\,836\,606\,563\,921\,728\,221\,423\,157\,352\,814\,469\,468\,769\,495\,457\,939\,411\,458\,637\,282\,719\,834\,308\,608\,$$
$$z^8 -$$
$$6\,809\,127\,567\,726\,466\,350\,882\,889\,746\,731\,634\,928\,304\,620\,755\,564\,290\,663\,831\,464\,937\,165\,278\,457\,555\,\backslash$$
$$670\,200\,745\,984\,z^{10} +$$
$$48\,797\,705\,776\,222\,246\,279\,319\,114\,475\,858\,539\,752\,492\,509\,627\,840\,871\,263\,035\,942\,863\,470\,500\,466\,960\,\backslash$$
$$317\,464\,203\,755\,520\,000\,z^{12}\big)\;\Theta_z^{41} +$$

$$\big(-82\,784\,034\,214\,323\,936\,419\,268\,457\,304\,977\,741\,972\,502\,556\,814\,734\,686\,364\,546\,314\,350\,180\,437\,786 -$$
$$17\,284\,871\,190\,631\,268\,163\,603\,994\,500\,617\,115\,623\,902\,418\,613\,818\,309\,284\,881\,901\,077\,117\,348\,z^2 -$$
$$421\,122\,235\,452\,055\,092\,223\,694\,350\,390\,176\,976\,693\,634\,138\,615\,565\,672\,078\,489\,300\,992\,z^4 +$$
$$10\,633\,333\,781\,760\,516\,103\,413\,753\,972\,741\,230\,854\,860\,073\,313\,350\,187\,416\,548\,235\,280\,384\,z^6 -$$
$$1\,611\,952\,872\,128\,220\,570\,293\,865\,593\,133\,853\,899\,164\,266\,932\,413\,203\,362\,946\,115\,917\,046\,955\,900\,928\,$$
$$z^8 -$$
$$30\,626\,844\,010\,509\,762\,922\,452\,746\,937\,789\,209\,725\,376\,620\,056\,485\,694\,442\,573\,702\,517\,358\,201\,527\,002\,\backslash$$
$$282\,592\,305\,152\,z^{10} +$$
$$364\,381\,011\,414\,302\,945\,550\,783\,530\,634\,169\,528\,457\,904\,352\,646\,164\,342\,660\,883\,591\,143\,261\,556\,813\,\backslash$$
$$070\,435\,251\,754\,998\,169\,600\,z^{12}\big)\;\Theta_z^{40} +$$

$$\big(444\,433\,260\,338\,720\,254\,822\,324\,016\,480\,689\,098\,985\,328\,381\,809\,970\,281\,300\,916\,663\,016\,087\,264\,840 +$$
$$50\,192\,975\,132\,097\,102\,458\,290\,501\,871\,348\,453\,543\,884\,568\,853\,766\,137\,141\,728\,719\,507\,246\,720\,z^2 -$$
$$513\,269\,702\,236\,224\,410\,639\,476\,352\,390\,419\,580\,852\,420\,447\,632\,293\,650\,004\,838\,105\,088\,z^4 +$$

$38\,320\,989\,750\,136\,944\,338\,205\,787\,761\,301\,386\,078\,535\,307\,389\,867\,755\,044\,048\,532\,406\,272\ z^6\ +$

$2\,446\,623\,342\,497\,782\,567\,655\,163\,029\,733\,044\,213\,331\,934\,215\,513\,749\,200\,775\,479\,741\,643\,155\,832\,832$
$z^8\ -$

$128\,570\,976\,104\,696\,055\,925\,142\,262\,351\,719\,591\,485\,566\,795\,128\,052\,697\,672\,345\,964\,976\,177\,595\,121\ \backslash$
$\quad 224\,315\,205\,320\,704\ z^{10}\ +$

$2\,560\,018\,919\,159\,857\,536\,639\,997\,657\,973\,342\,015\,197\,674\,460\,020\,069\,424\,275\,807\,583\,238\,196\,742\,771\ \backslash$
$\quad 434\,906\,253\,359\,316\,992\,000\ z^{12}\big)\ \Theta_z^{39}\ +$

$\big(-2\,234\,471\,319\,410\,478\,616\,570\,953\,853\,125\,569\,741\,354\,463\,581\,619\,763\,455\,368\,967\,260\,724\,566\,710\,059\ -$

$96\,620\,209\,300\,915\,300\,517\,062\,372\,020\,861\,531\,731\,905\,052\,611\,761\,264\,634\,612\,895\,304\,462\,312\ z^2\ +$

$2\,976\,757\,106\,247\,452\,268\,766\,791\,727\,472\,436\,848\,385\,874\,820\,317\,911\,062\,672\,131\,784\,704\ z^4\ -$

$27\,641\,846\,274\,652\,220\,273\,180\,394\,873\,331\,766\,552\,490\,296\,064\,107\,890\,160\,417\,577\,369\,600\ z^6\ +$

$15\,297\,723\,842\,697\,001\,475\,042\,110\,511\,898\,113\,738\,904\,806\,989\,520\,925\,558\,818\,664\,115\,725\,056\,081\,920$
$z^8\ -$

$503\,689\,081\,207\,252\,796\,740\,562\,722\,523\,202\,055\,407\,067\,067\,558\,129\,824\,112\,961\,324\,844\,742\,005\,778\ \backslash$
$\quad 111\,003\,564\,703\,744\ z^{10}\ +$

$16\,927\,317\,887\,891\,198\,806\,135\,718\,313\,712\,436\,440\,934\,193\,318\,891\,510\,089\,050\,985\,447\,295\,754\,014\,954\ \backslash$
$\quad 329\,766\,090\,663\,945\,830\,400\ z^{12}\big)\ \Theta_z^{38}\ +$

$\big(10\,520\,172\,257\,418\,407\,410\,429\,821\,168\,777\,865\,241\,357\,675\,664\,331\,717\,315\,358\,808\,668\,398\,205\,504\,385\ +$

$93\,275\,599\,404\,054\,981\,335\,398\,620\,923\,732\,553\,484\,171\,502\,364\,241\,566\,674\,403\,257\,850\,241\,032\ z^2\ -$

$2\,235\,209\,250\,689\,929\,160\,410\,731\,455\,146\,357\,210\,716\,081\,631\,525\,456\,112\,541\,873\,051\,648\ z^4\ -$

$193\,513\,234\,377\,845\,009\,386\,549\,620\,745\,673\,542\,666\,987\,543\,407\,631\,657\,320\,572\,590\,227\,456\ z^6\ +$

$30\,048\,710\,245\,603\,387\,576\,304\,583\,781\,502\,169\,453\,744\,579\,626\,527\,113\,834\,350\,869\,598\,024\,673\,263\,616$
$z^8\ -$

$1\,840\,996\,645\,439\,069\,264\,543\,834\,257\,471\,295\,216\,785\,142\,944\,869\,886\,181\,686\,723\,626\,722\,469\,630\,935\ \backslash$
$\quad 131\,912\,434\,352\,128\ z^{10}\ +$

$105\,360\,272\,271\,890\,321\,521\,093\,310\,726\,490\,453\,234\,275\,573\,139\,185\,400\,735\,155\,776\,558\,561\,525\,720\ \backslash$
$\quad 756\,810\,309\,876\,307\,302\,809\,600\ z^{12}\big)\ \Theta_z^{37}\ +$

$\big(-46\,373\,915\,274\,861\,844\,382\,599\,995\,289\,794\,411\,296\,586\,691\,787\,192\,417\,647\,816\,410\,057\,448\,353\,506\,268\ +$

$137\,155\,694\,476\,699\,876\,673\,438\,068\,732\,795\,929\,760\,186\,101\,420\,353\,407\,868\,970\,989\,986\,752\,780\ z^2\ -$

$9\,386\,989\,757\,537\,414\,138\,393\,361\,701\,844\,144\,271\,164\,068\,228\,832\,372\,153\,232\,360\,685\,568\ z^4\ -$

$2\,234\,684\,391\,689\,554\,107\,956\,160\,057\,178\,764\,650\,279\,137\,515\,609\,498\,655\,423\,498\,813\,440\ z^6\ +$

$10\,659\,664\,675\,540\,148\,641\,854\,921\,431\,423\,647\,019\,410\,363\,710\,738\,497\,164\,433\,379\,675\,040\,068\,403\,200$
$z^8\ -$

$6\,275\,493\,431\,484\,849\,689\,866\,565\,008\,645\,172\,868\,937\,907\,645\,217\,923\,522\,807\,773\,533\,410\,763\,676\,822\ \backslash$
$\quad 448\,464\,340\,189\,184\ z^{10}\ +$

$617\,385\,509\,608\,350\,833\,840\,249\,712\,683\,428\,509\,344\,631\,689\,274\,025\,094\,426\,733\,538\,194\,619\,421\,384\ \backslash$
$\quad 648\,580\,341\,004\,071\,495\,270\,400\ z^{12}\big)\ \Theta_z^{36}\ +$

$\big(191\,338\,153\,236\,005\,515\,242\,611\,084\,741\,507\,114\,034\,234\,029\,186\,378\,526\,691\,115\,372\,722\,151\,228\,425\,056\ -$

$853\,423\,487\,588\,459\,411\,177\,893\,308\,471\,498\,379\,939\,189\,289\,806\,166\,069\,914\,834\,559\,982\,351\,504\ z^2\ +$

$21\,518\,701\,236\,643\,087\,173\,258\,634\,545\,649\,754\,794\,953\,288\,937\,893\,902\,740\,545\,029\,597\,184\ z^4\ +$

$747\,005\,386\,038\,720\,285\,644\,099\,842\,772\,505\,873\,810\,724\,784\,998\,439\,186\,290\,536\,246\,411\,264\ z^6\ -$

$95\,441\,486\,242\,026\,177\,307\,467\,049\,738\,934\,650\,833\,438\,066\,541\,796\,470\,173\,757\,084\,614\,694\,394\,658\,816$
$z^8\ -$

$19\,939\,767\,066\,563\,437\,692\,300\,974\,994\,438\,609\,343\,623\,084\,762\,393\,970\,645\,391\,890\,767\,461\,391\,088\,191\ \backslash$
$\quad 512\,466\,809\,683\,968\ z^{10}\ +$

$3\,405\,927\,138\,143\,581\,211\,486\,942\,116\,392\,164\,416\,409\,709\,787\,749\,482\,340\,340\,248\,517\,814\,465\,088\,865\ \backslash$
$\quad 825\,927\,765\,906\,964\,034\,355\,200\ z^{12}\big)\ \Theta_z^{35}\ +$

$\big(-738\,635\,998\,622\,284\,140\,900\,554\,744\,292\,030\,205\,026\,209\,317\,129\,948\,551\,573\,532\,908\,662\,604\,971\,816\,814$
$+$

$2\,074\,644\,855\,316\,539\,405\,847\,459\,197\,674\,360\,825\,285\,075\,779\,773\,394\,986\,939\,995\,616\,648\,820\,512\ z^2\ +$

$5\,852\,403\,585\,044\,098\,146\,342\,478\,443\,962\,747\,155\,394\,484\,785\,215\,857\,383\,200\,654\,589\,952\,z^4 +$

$433\,946\,418\,933\,730\,403\,382\,442\,358\,837\,690\,791\,867\,477\,000\,049\,114\,550\,746\,809\,551\,028\,224\,z^6 -$

$263\,109\,935\,501\,705\,695\,447\,590\,493\,765\,643\,895\,051\,317\,776\,934\,319\,080\,057\,171\,969\,084\,868\,708\,532\,224$
$z^8 -$

$59\,017\,202\,396\,561\,010\,742\,076\,257\,602\,677\,405\,217\,699\,047\,011\,871\,044\,707\,513\,239\,397\,808\,173\,782\,875$
$830\,175\,704\,023\,040\,z^{10} +$

$17\,688\,215\,643\,410\,501\,682\,794\,748\,306\,460\,486\,987\,469\,402\,841\,652\,557\,236\,360\,276\,411\,056\,670\,408\,218$
$439\,761\,193\,441\,763\,419\,750\,400\,z^{12}\Big)\,\Theta_z^{34} +$

$\Big(2\,666\,449\,027\,076\,199\,125\,835\,878\,332\,846\,862\,479\,497\,635\,886\,060\,334\,143\,243\,261\,482\,298\,829\,377\,876\,858$
$- 2\,884\,799\,203\,292\,257\,410\,493\,644\,020\,758\,697\,707\,898\,583\,671\,735\,771\,282\,105\,722\,436\,535\,021\,072$
$z^2 - 77\,158\,785\,252\,228\,954\,571\,767\,985\,194\,798\,715\,847\,449\,140\,447\,014\,503\,205\,045\,271\,429\,120\,z^4 -$
$2\,186\,272\,099\,096\,508\,717\,663\,801\,424\,537\,678\,819\,031\,242\,688\,092\,208\,653\,666\,866\,829\,459\,456\,z^6 -$

$257\,350\,860\,392\,386\,031\,913\,895\,446\,949\,333\,637\,898\,777\,355\,440\,830\,764\,279\,458\,930\,432\,165\,676\,056\,576$
$z^8 -$

$162\,578\,936\,664\,455\,598\,497\,807\,054\,201\,984\,021\,108\,671\,396\,865\,160\,754\,711\,813\,674\,984\,702\,672\,186$
$633\,420\,394\,897\,342\,464\,z^{10} +$

$86\,463\,857\,238\,867\,095\,150\,770\,290\,597\,067\,444\,642\,917\,537\,984\,614\,973\,248\,745\,942\,419\,420\,773\,314\,072$
$335\,472\,137\,353\,603\,684\,761\,600\,z^{12}\Big)\,\Theta_z^{33} +$

$\Big(-8\,995\,587\,001\,940\,615\,599\,582\,875\,648\,911\,070\,000\,282\,945\,266\,578\,729\,277\,977\,572\,604\,785\,326\,848\,235$
$820 +$

$906\,038\,535\,541\,860\,959\,546\,299\,731\,549\,705\,954\,656\,359\,687\,951\,477\,145\,631\,221\,791\,505\,324\,536\,z^2 +$
$69\,323\,731\,127\,591\,779\,375\,524\,149\,423\,495\,846\,907\,998\,957\,851\,263\,685\,887\,216\,089\,653\,248\,z^4 -$
$2\,455\,502\,472\,880\,633\,947\,340\,704\,653\,518\,549\,492\,607\,636\,247\,560\,360\,010\,264\,137\,086\,009\,344\,z^6 +$

$287\,994\,635\,461\,425\,955\,620\,791\,921\,639\,788\,550\,641\,695\,286\,647\,621\,097\,166\,219\,790\,990\,011\,707\,424\,768$
$z^8 -$

$416\,431\,816\,285\,535\,209\,356\,409\,978\,199\,523\,993\,199\,064\,896\,155\,402\,006\,592\,687\,092\,785\,638\,596\,469$
$422\,085\,078\,001\,909\,760\,z^{10} +$

$397\,722\,954\,195\,277\,985\,893\,476\,140\,550\,085\,006\,231\,437\,519\,605\,104\,800\,550\,822\,129\,050\,280\,750\,397$
$023\,084\,740\,382\,543\,315\,363\,430\,400\,z^{12}\Big)\,\Theta_z^{32} +$

$\Big(28\,338\,874\,258\,383\,641\,435\,685\,485\,095\,069\,897\,294\,069\,373\,171\,951\,045\,088\,746\,855\,463\,618\,551\,096\,760$
$936 +$

$6\,590\,703\,047\,593\,834\,937\,730\,677\,677\,123\,790\,627\,588\,012\,799\,172\,718\,834\,312\,018\,713\,958\,028\,992\,z^2 +$
$137\,439\,120\,290\,324\,528\,381\,664\,425\,960\,303\,375\,601\,182\,581\,337\,373\,662\,341\,809\,258\,504\,192\,z^4 +$
$4\,663\,700\,642\,116\,358\,683\,847\,592\,638\,291\,502\,853\,694\,069\,928\,343\,034\,290\,425\,077\,022\,326\,784\,z^6 +$

$1\,331\,267\,403\,347\,197\,506\,025\,997\,243\,086\,436\,066\,699\,857\,865\,229\,034\,980\,097\,074\,191\,477\,170\,436\,571$
$136\,z^8 -$

$990\,610\,677\,452\,803\,837\,656\,165\,707\,205\,457\,526\,376\,990\,428\,369\,992\,859\,049\,164\,167\,208\,823\,735\,155$
$130\,093\,917\,869\,965\,312\,z^{10} +$

$1\,720\,982\,251\,127\,061\,810\,350\,178\,817\,501\,402\,333\,545\,669\,063\,443\,880\,400\,502\,478\,486\,843\,586\,696\,787$
$391\,377\,423\,935\,605\,374\,032\,281\,600\,z^{12}\Big)\,\Theta_z^{31} +$

$\Big(-83\,290\,719\,356\,846\,181\,218\,843\,272\,421\,784\,002\,499\,794\,073\,320\,202\,684\,312\,906\,269\,244\,811\,811\,932\,253$
$502 -$

$18\,716\,661\,811\,049\,504\,681\,239\,726\,691\,467\,693\,264\,051\,812\,975\,885\,535\,141\,705\,375\,097\,536\,609\,456\,z^2 -$
$308\,125\,959\,781\,175\,873\,078\,037\,995\,433\,280\,244\,879\,271\,938\,540\,062\,386\,468\,371\,564\,511\,232\,z^4 +$
$8\,421\,667\,330\,129\,961\,534\,847\,373\,504\,296\,406\,817\,759\,784\,972\,591\,268\,234\,865\,862\,591\,905\,792\,z^6 +$

$1\,792\,352\,496\,159\,743\,837\,460\,726\,588\,735\,348\,917\,315\,990\,287\,806\,617\,534\,103\,508\,826\,594\,588\,472\,901$
$632\,z^8 -$

$2\,185\,426\,759\,238\,487\,149\,778\,201\,399\,461\,878\,813\,559\,875\,559\,349\,556\,903\,195\,790\,854\,912\,361\,697\,805$
$707\,771\,455\,175\,917\,568\,z^{10} +$

$7\,002\,217\,014\,303\,063\,907\,293\,138\,767\,680\,684\,118\,275\,980\,038\,370\,360\,202\,794\,817\,674\,724\,473\,275\,801$

$$078\,677\,328\,997\,954\,369\,041\,203\,200\,z^{12}\big)\,\Theta_z^{30}\,+$$

$$\big(228\,145\,591\,844\,228\,014\,491\,080\,170\,134\,241\,754\,180\,515\,776\,686\,431\,029\,063\,968\,371\,408\,358\,123\,711\,610\,714\,+$$

$$26\,229\,688\,028\,840\,164\,042\,419\,372\,671\,464\,565\,401\,350\,750\,622\,957\,967\,387\,642\,128\,694\,087\,038\,800\,z^{2}\,-$$

$$29\,343\,263\,336\,285\,289\,653\,835\,477\,556\,716\,317\,802\,273\,597\,760\,427\,630\,642\,362\,743\,132\,160\,z^{4}\,-$$

$$6\,418\,010\,388\,991\,102\,789\,396\,390\,244\,464\,729\,387\,398\,297\,095\,467\,622\,307\,505\,648\,660\,643\,840\,z^{6}\,+$$

$$25\,819\,279\,001\,149\,173\,634\,534\,639\,042\,557\,247\,162\,847\,169\,048\,312\,495\,320\,588\,093\,828\,764\,224\,454\,656\,z^{8}\,-$$

$$4\,464\,113\,400\,765\,944\,652\,300\,176\,344\,261\,096\,807\,518\,802\,646\,525\,954\,538\,677\,229\,997\,335\,615\,096\,980\,441\,270\,493\,823\,107\,072\,z^{10}\,+$$

$$26\,775\,029\,811\,311\,634\,118\,046\,567\,292\,278\,962\,665\,579\,756\,883\,749\,536\,121\,685\,305\,955\,130\,392\,421\,910\,347\,647\,396\,402\,503\,986\,498\,764\,800\,z^{12}\big)\,\Theta_z^{29}\,+$$

$$\big(-581\,702\,428\,574\,068\,462\,925\,131\,317\,794\,050\,526\,562\,857\,233\,991\,091\,508\,364\,788\,685\,398\,273\,946\,001\,343\,992\,-$$

$$13\,175\,719\,900\,484\,873\,165\,759\,283\,657\,922\,522\,266\,195\,721\,854\,137\,424\,010\,678\,468\,150\,818\,561\,352\,z^{2}\,+$$

$$666\,042\,675\,168\,014\,807\,622\,540\,577\,713\,611\,310\,539\,425\,220\,765\,479\,552\,372\,115\,752\,435\,712\,z^{4}\,-$$

$$20\,329\,008\,250\,181\,766\,944\,781\,600\,812\,537\,707\,299\,540\,321\,861\,454\,072\,030\,304\,512\,336\,461\,824\,z^{6}\,-$$

$$3\,979\,182\,749\,810\,173\,945\,890\,588\,872\,478\,617\,449\,737\,834\,215\,087\,884\,026\,117\,708\,523\,494\,168\,447\,680\,512\,z^{8}\,-$$

$$8\,426\,988\,119\,760\,757\,114\,532\,857\,718\,692\,075\,022\,168\,090\,310\,422\,035\,542\,883\,081\,750\,633\,214\,067\,743\,068\,596\,400\,872\,751\,104\,z^{10}\,+$$

$$96\,158\,445\,996\,567\,671\,937\,113\,779\,177\,455\,633\,180\,601\,407\,986\,847\,316\,209\,930\,662\,923\,430\,329\,901\,825\,618\,942\,271\,374\,115\,553\,148\,928\,000\,z^{12}\big)\,\Theta_z^{28}\,+$$

$$\big(1\,378\,669\,136\,430\,598\,166\,726\,261\,562\,497\,367\,908\,337\,936\,507\,831\,345\,249\,258\,755\,016\,098\,515\,267\,012\,440\,426\,-$$

$$28\,617\,881\,569\,892\,209\,669\,497\,301\,797\,542\,299\,322\,976\,081\,258\,520\,014\,223\,192\,610\,681\,332\,381\,824\,z^{2}\,-$$

$$480\,468\,428\,286\,121\,571\,072\,614\,048\,559\,582\,271\,739\,397\,167\,787\,848\,191\,686\,713\,812\,692\,992\,z^{4}\,+$$

$$2\,605\,916\,461\,581\,864\,009\,698\,550\,833\,731\,452\,130\,982\,902\,285\,429\,560\,958\,752\,384\,997\,130\,240\,z^{6}\,-$$

$$6\,718\,145\,375\,824\,567\,360\,506\,868\,438\,853\,631\,416\,345\,839\,459\,677\,135\,525\,149\,221\,051\,770\,184\,826\,617\,856\,z^{8}\,-$$

$$14\,668\,312\,841\,572\,115\,354\,327\,896\,290\,752\,720\,048\,809\,542\,228\,206\,830\,334\,077\,660\,457\,569\,845\,483\,067\,099\,378\,687\,722\,651\,648\,z^{10}\,+$$

$$324\,107\,795\,801\,647\,694\,217\,593\,350\,994\,175\,321\,783\,933\,603\,875\,849\,884\,682\,665\,667\,869\,771\,970\,901\,511\,490\,004\,990\,590\,157\,053\,755\,392\,000\,z^{12}\big)\,\Theta_z^{27}\,+$$

$$\big(-3\,032\,524\,827\,395\,606\,981\,347\,781\,349\,296\,235\,025\,639\,094\,593\,607\,892\,061\,936\,081\,055\,456\,591\,234\,392\,502\,247\,+$$

$$79\,407\,419\,532\,166\,915\,479\,211\,476\,446\,252\,416\,350\,621\,726\,562\,663\,748\,616\,677\,123\,852\,433\,522\,160\,z^{2}\,-$$

$$789\,934\,949\,050\,951\,604\,593\,230\,022\,873\,293\,967\,275\,358\,638\,822\,066\,397\,606\,003\,362\,590\,720\,z^{4}\,+$$

$$35\,541\,773\,411\,430\,693\,761\,168\,998\,289\,818\,975\,007\,362\,066\,518\,107\,774\,965\,250\,951\,031\,554\,048\,z^{6}\,-$$

$$3\,326\,746\,384\,958\,131\,381\,104\,520\,596\,090\,300\,753\,139\,847\,836\,198\,518\,063\,227\,249\,902\,088\,042\,760\,372\,224\,z^{8}\,-$$

$$23\,481\,335\,008\,678\,045\,361\,900\,234\,981\,320\,751\,778\,511\,600\,045\,486\,574\,753\,746\,597\,639\,111\,476\,028\,794\,992\,673\,108\,434\,878\,464\,z^{10}\,+$$

$$1\,024\,396\,841\,668\,573\,480\,024\,880\,884\,604\,330\,059\,703\,652\,991\,132\,830\,405\,654\,373\,505\,353\,787\,540\,806\,036\,994\,554\,843\,763\,601\,663\,275\,827\,200\,z^{12}\big)\,\Theta_z^{26}\,+$$

$$\big(6\,179\,555\,112\,846\,248\,844\,688\,718\,022\,282\,046\,226\,205\,685\,043\,645\,779\,747\,498\,209\,198\,164\,149\,326\,280\,225\,065\,-$$

$$90\,965\,358\,723\,370\,686\,612\,211\,037\,029\,281\,654\,175\,924\,616\,696\,728\,875\,608\,639\,093\,442\,938\,851\,960\,z^{2}\,+$$

$$1\,313\,214\,409\,602\,664\,659\,262\,676\,519\,825\,627\,065\,714\,724\,457\,224\,691\,171\,683\,524\,567\,855\,104\,z^{4}\,+$$

$$11\,445\,402\,962\,485\,812\,805\,805\,584\,833\,795\,504\,676\,783\,671\,741\,584\,134\,605\,153\,966\,831\,435\,776\,z^{6}\,+$$

6 292 580 455 512 144 404 676 574 989 875 313 482 991 456 764 311 155 896 242 965 933 718 781 388 914 $\times$ 688 z^8 −

34 463 372 636 188 669 876 061 768 179 559 106 881 480 595 524 185 058 528 979 728 189 677 815 379 684 $\times$ 217 960 819 192 758 272 z^{10} +

3 033 212 810 715 922 658 702 859 167 949 541 223 255 820 892 538 566 240 535 687 060 399 428 968 922 $\times$ 425 744 803 134 450 530 221 712 998 400 z^{12} $\Big)$ θ_z^{25} +

$\Big(-$ 11 642 322 938 463 103 696 659 875 123 110 856 264 460 768 854 674 595 703 521 860 120 969 246 868 388 $\times$ 812 490 +

25 065 912 046 021 643 767 319 591 800 140 798 633 838 333 404 310 589 389 386 728 842 638 282 924 z^2 +

261 471 681 756 678 988 374 851 956 013 063 315 910 109 098 294 079 520 400 613 595 041 792 z^4 −

44 372 284 366 556 786 140 881 620 291 440 220 845 928 351 364 624 311 756 024 469 335 834 624 z^6 +

14 314 685 318 567 803 425 333 224 629 849 327 126 062 004 704 678 804 745 904 036 082 312 318 149 459 $\times$ 968 z^8 −

46 204 241 599 685 357 484 747 605 512 604 926 740 200 319 386 779 339 936 767 002 505 468 606 081 497 $\times$ 207 832 338 283 626 496 z^{10} +

8 404 566 388 472 129 983 178 372 448 618 375 794 544 230 329 702 070 365 599 831 989 638 472 797 673 $\times$ 107 417 293 398 378 167 392 849 100 800 z^{12} $\Big)$ θ_z^{24} +

$\Big($ 20 232 846 318 084 717 684 984 320 292 282 994 264 839 594 873 576 741 980 323 792 486 057 258 677 461 $\times$ 250 816 +

93 122 543 436 017 363 354 402 816 857 464 380 421 419 489 854 661 712 340 522 841 305 446 537 280 z^2 −

1 863 211 664 790 628 279 981 484 185 109 882 269 948 457 996 959 425 319 675 216 377 323 520 z^4 −

32 330 897 400 596 136 599 924 676 668 047 644 209 573 526 009 843 232 726 482 501 379 817 472 z^6 +

11 367 855 569 325 817 240 526 558 112 436 073 721 077 999 357 205 413 104 471 606 169 411 227 010 203 $\times$ 648 z^8 −

56 331 604 857 490 275 807 578 961 570 023 203 507 425 463 200 324 093 313 592 283 946 686 138 084 925 $\times$ 354 578 232 700 043 264 z^{10} +

21 765 312 103 162 473 882 882 569 477 659 927 131 689 054 536 318 011 781 934 085 339 587 233 436 130 $\times$ 743 729 445 990 166 010 627 987 865 600 z^{12} $\Big)$ θ_z^{23} +

$\Big(-$ 32 350 605 166 788 972 083 164 828 233 368 734 687 887 017 894 661 873 366 627 337 405 083 022 063 274 $\times$ 144 199 −

171 100 536 560 632 273 923 787 418 938 445 687 782 419 959 720 803 255 754 240 183 527 709 709 096 z^2 +

778 459 010 363 695 551 086 882 173 109 918 014 696 209 396 884 724 060 393 586 267 832 320 z^4 +

37 312 793 396 635 834 206 951 900 955 056 607 297 123 820 359 991 797 369 191 184 608 788 480 z^6 −

2 479 632 781 909 895 200 437 373 758 153 519 350 459 944 290 807 383 184 931 655 457 813 753 694 781 $\times$ 440 z^8 −

62 110 740 590 063 910 002 011 827 548 979 663 471 963 746 981 966 412 223 510 338 372 621 984 519 367 $\times$ 087 266 777 897 369 600 z^{10} +

52 606 848 215 253 012 997 718 400 583 218 869 343 879 251 208 153 208 849 736 415 777 077 175 465 064 $\times$ 612 055 291 275 035 300 116 771 635 200 z^{12} $\Big)$ θ_z^{22} +

$\Big($ 47 450 049 678 809 709 732 836 064 105 070 346 371 436 638 712 936 239 087 323 525 689 400 940 268 410 $\times$ 604 325 +

126 481 100 598 321 965 318 564 326 781 877 622 110 522 591 706 416 261 188 486 350 777 794 804 136 z^2 +

1 535 133 887 496 645 175 536 558 945 066 126 654 324 043 773 345 519 274 256 900 182 927 360 z^4 +

46 723 755 079 438 347 449 248 565 180 315 391 608 265 625 453 471 595 305 609 276 197 175 296 z^6 −

15 712 460 078 745 329 880 561 534 837 134 060 211 994 009 455 196 514 102 611 801 002 193 105 113 317 $\times$ 376 z^8 −

61 499 819 941 087 002 913 195 485 611 974 888 764 288 469 706 367 333 018 810 311 190 147 554 381 785 $\times$ 434 599 461 062 967 296 z^{10} +

118 484 597 838 558 425 993 619 178 513 000 234 719 313 783 598 226 394 884 786 802 494 417 252 609 $\times$ 376 925 890 016 098 373 634 460 798 156 800 z^{12} $\Big)$ θ_z^{21} +

$\Big(-63\,630\,128\,729\,340\,427\,392\,465\,264\,834\,546\,168\,899\,920\,225\,378\,726\,324\,277\,398\,383\,714\,042\,749\,010\,000\,$
$608\,916\,+$
$20\,551\,349\,930\,476\,374\,804\,030\,470\,001\,601\,116\,230\,173\,836\,667\,882\,463\,536\,223\,473\,772\,763\,598\,140\,z^2\,-$
$1\,519\,172\,133\,284\,042\,319\,246\,181\,096\,803\,412\,904\,645\,833\,249\,324\,199\,445\,264\,533\,910\,880\,256\,z^4\,-$
$17\,386\,070\,925\,802\,963\,479\,867\,932\,483\,002\,887\,823\,715\,573\,214\,375\,619\,040\,718\,342\,200\,229\,888\,z^6\,-$
$16\,769\,691\,617\,479\,064\,779\,951\,577\,117\,325\,180\,005\,514\,684\,448\,023\,891\,301\,982\,925\,737\,529\,630\,141\,710\,$
$336\,z^8\,-$
$54\,180\,935\,633\,477\,492\,118\,706\,568\,286\,620\,040\,243\,376\,078\,827\,350\,307\,768\,483\,419\,364\,686\,763\,457\,066\,$
$454\,941\,098\,898\,882\,560\,z^{10}\,+$
$248\,229\,271\,596\,444\,873\,564\,904\,302\,597\,086\,046\,615\,619\,428\,212\,321\,439\,082\,694\,193\,566\,830\,598\,159\,$
$219\,155\,107\,720\,326\,703\,100\,891\,811\,020\,800\,z^{12}\Big)\,\theta_z^{20}\,+$
$\Big(77\,713\,096\,981\,868\,072\,771\,465\,839\,543\,677\,786\,137\,270\,988\,009\,050\,353\,670\,724\,259\,806\,087\,692\,690\,993\,$
$453\,268\,-$
$150\,796\,067\,304\,422\,404\,072\,962\,433\,219\,402\,122\,081\,352\,253\,611\,098\,237\,020\,415\,070\,677\,879\,018\,192\,z^2\,-$
$559\,027\,902\,069\,260\,620\,760\,063\,246\,080\,254\,565\,260\,606\,311\,510\,588\,582\,116\,098\,700\,548\,096\,z^4\,-$
$44\,058\,662\,120\,916\,300\,666\,793\,523\,209\,682\,064\,698\,306\,172\,855\,359\,837\,159\,572\,932\,036\,919\,296\,z^6\,-$
$5\,958\,805\,491\,037\,176\,531\,852\,376\,734\,225\,055\,320\,180\,840\,350\,359\,320\,935\,280\,331\,381\,834\,124\,881\,821\,$
$696\,z^8\,-$
$41\,925\,516\,637\,071\,910\,232\,802\,673\,709\,790\,451\,760\,915\,128\,663\,198\,162\,149\,763\,243\,191\,329\,792\,004\,682\,$
$632\,830\,594\,247\,032\,832\,z^{10}\,+$
$482\,779\,447\,746\,020\,819\,057\,071\,556\,862\,854\,318\,962\,074\,573\,166\,048\,430\,437\,636\,296\,198\,780\,090\,274\,$
$374\,002\,560\,895\,776\,294\,819\,542\,230\,630\,400\,z^{12}\Big)\,\theta_z^{19}\,+$
$\Big(-86\,062\,500\,240\,102\,378\,256\,787\,949\,111\,355\,263\,707\,894\,314\,276\,494\,707\,768\,661\,178\,136\,473\,008\,965\,122\,$
$154\,664\,+$
$159\,770\,335\,446\,457\,327\,540\,901\,186\,427\,463\,973\,121\,406\,312\,949\,108\,156\,421\,136\,027\,002\,634\,101\,408\,z^2\,+$
$1\,374\,383\,643\,431\,554\,634\,856\,158\,292\,176\,249\,952\,466\,363\,968\,055\,163\,476\,677\,777\,373\,470\,720\,z^4\,-$
$990\,655\,264\,652\,106\,046\,694\,477\,277\,950\,314\,559\,598\,666\,167\,644\,780\,016\,429\,143\,591\,747\,584\,z^6\,+$
$6\,103\,478\,872\,936\,368\,694\,264\,169\,124\,308\,905\,535\,216\,880\,249\,480\,690\,379\,889\,828\,361\,614\,413\,560\,545\,$
$280\,z^8\,-$
$27\,946\,618\,208\,620\,705\,676\,674\,318\,084\,149\,244\,663\,096\,643\,937\,387\,974\,798\,054\,967\,118\,853\,549\,281\,814\,$
$659\,045\,661\,582\,819\,328\,z^{10}\,+$
$869\,707\,520\,428\,226\,272\,868\,976\,443\,824\,145\,218\,050\,858\,606\,583\,524\,615\,149\,551\,625\,733\,877\,005\,151\,$
$484\,749\,948\,403\,825\,513\,461\,803\,122\,688\,000\,z^{12}\Big)\,\theta_z^{18}\,+$
$\Big(85\,980\,868\,298\,422\,433\,563\,331\,257\,669\,094\,518\,879\,897\,992\,950\,991\,308\,816\,333\,919\,518\,578\,729\,310\,701\,$
$900\,752\,-$
$58\,797\,965\,707\,353\,244\,575\,831\,760\,863\,089\,643\,816\,313\,767\,285\,774\,518\,775\,154\,130\,635\,650\,535\,776\,z^2\,-$
$201\,162\,350\,943\,747\,603\,572\,438\,716\,027\,488\,652\,328\,817\,953\,285\,498\,171\,525\,643\,978\,178\,560\,z^4\,+$
$28\,733\,203\,833\,973\,895\,749\,404\,349\,823\,463\,147\,494\,835\,587\,177\,147\,953\,246\,902\,081\,291\,288\,576\,z^6\,+$
$10\,271\,489\,914\,717\,508\,070\,495\,023\,715\,187\,548\,357\,468\,702\,774\,168\,231\,886\,079\,431\,526\,352\,268\,812\,091\,$
$392\,z^8\,-$
$15\,526\,216\,022\,311\,511\,512\,600\,837\,496\,457\,815\,489\,021\,218\,132\,190\,178\,973\,641\,135\,932\,660\,383\,702\,116\,$
$411\,759\,883\,368\,529\,920\,z^{10}\,+$
$1\,447\,521\,322\,446\,346\,447\,989\,773\,057\,126\,224\,723\,639\,794\,026\,580\,662\,509\,851\,051\,263\,554\,024\,531\,867\,$
$115\,303\,742\,326\,533\,421\,702\,132\,740\,915\,200\,z^{12}\Big)\,\theta_z^{17}\,+$
$\Big(-77\,030\,827\,588\,447\,654\,593\,227\,668\,165\,083\,195\,486\,642\,284\,564\,823\,632\,131\,965\,645\,817\,960\,782\,169\,940\,$
$207\,520\,-$
$50\,407\,584\,620\,473\,842\,116\,360\,006\,188\,922\,269\,991\,270\,424\,727\,425\,380\,290\,431\,259\,120\,992\,743\,424\,z^2\,-$
$704\,586\,546\,424\,945\,555\,463\,529\,931\,326\,151\,709\,738\,957\,775\,527\,911\,638\,328\,149\,518\,254\,080\,z^4\,+$
$8\,137\,964\,507\,005\,419\,769\,178\,136\,006\,238\,955\,613\,752\,715\,748\,544\,975\,882\,691\,013\,798\,526\,976\,z^6\,+$
$6\,406\,674\,929\,254\,328\,055\,126\,758\,289\,524\,089\,808\,094\,169\,941\,229\,349\,948\,254\,879\,451\,176\,964\,047\,503\,$

$$360 \, z^8 - $$

$$6\,712\,809\,695\,787\,239\,795\,220\,454\,175\,811\,430\,687\,259\,706\,429\,883\,010\,031\,248\,816\,586\,211\,806\,217\,062 \, \backslash$$
$$223\,713\,650\,041\,946\,112 \, z^{10} + $$

$$2\,219\,511\,179\,517\,889\,641\,661\,651\,881\,641\,775\,935\,045\,547\,286\,230\,837\,008\,383\,798\,583\,223\,636\,672\,869 \, \backslash$$
$$\Big. 244\,009\,730\,448\,462\,750\,242\,456\,574\,361\,600 \, z^{12}\Big) \, \theta_z^{16} + $$

$$\Big(61\,452\,813\,412\,485\,935\,525\,078\,712\,355\,448\,053\,057\,571\,599\,800\,332\,632\,064\,395\,269\,798\,071\,354\,546\,198 \, \backslash$$
$$153\,280 + $$

$$87\,236\,966\,415\,423\,623\,315\,881\,742\,888\,386\,540\,840\,978\,616\,434\,489\,554\,286\,731\,842\,245\,659\,648\,000 \, z^2 + $$

$$337\,132\,203\,176\,608\,677\,702\,995\,211\,231\,336\,267\,879\,377\,658\,030\,377\,979\,828\,415\,513\,559\,040 \, z^4 - $$

$$13\,250\,908\,387\,631\,973\,047\,054\,802\,604\,053\,444\,921\,962\,427\,945\,941\,055\,765\,532\,414\,819\,958\,784 \, z^6 + $$

$$386\,956\,477\,860\,766\,187\,022\,193\,239\,104\,752\,852\,138\,630\,217\,795\,556\,620\,944\,549\,026\,011\,357\,242\,195\,968$$
$$z^8 - $$

$$1\,822\,962\,210\,556\,630\,063\,218\,981\,816\,763\,029\,789\,344\,607\,086\,687\,613\,139\,657\,891\,525\,251\,497\,068\,386 \, \backslash$$
$$639\,222\,380\,056\,018\,944 \, z^{10} + $$

$$3\,125\,025\,118\,677\,133\,496\,663\,770\,717\,190\,274\,340\,188\,801\,165\,603\,106\,924\,468\,784\,517\,043\,137\,119\,677 \, \backslash$$
$$\Big. 679\,963\,357\,633\,675\,808\,458\,642\,817\,024\,000 \, z^{12}\Big) \, \theta_z^{15} + $$

$$\Big(-43\,288\,843\,619\,280\,699\,760\,831\,928\,267\,334\,335\,259\,737\,743\,651\,778\,543\,315\,977\,157\,384\,117\,553\,555\,387 \, \backslash$$
$$460\,224 - $$

$$56\,053\,652\,013\,573\,205\,427\,673\,839\,881\,350\,315\,324\,309\,967\,966\,048\,661\,039\,312\,263\,852\,389\,341\,184 \, z^2 + $$

$$198\,816\,854\,472\,230\,044\,511\,279\,122\,769\,948\,434\,560\,538\,761\,661\,620\,686\,755\,061\,863\,809\,024 \, z^4 - $$

$$6\,674\,418\,666\,453\,214\,598\,560\,299\,959\,132\,241\,165\,846\,303\,710\,497\,948\,456\,970\,517\,208\,891\,392 \, z^6 - $$

$$2\,884\,835\,960\,510\,831\,273\,460\,164\,529\,950\,443\,793\,668\,749\,747\,655\,231\,212\,774\,716\,245\,744\,807\,971\,913 \, \backslash$$
$$728 \, z^8 + $$

$$116\,874\,226\,980\,405\,491\,131\,652\,203\,182\,310\,728\,797\,175\,595\,642\,393\,451\,898\,162\,427\,168\,502\,636\,707 \, \backslash$$
$$682\,778\,187\,718\,197\,248 \, z^{10} + $$

$$4\,025\,271\,475\,284\,752\,619\,439\,731\,448\,628\,556\,392\,866\,732\,753\,304\,464\,621\,980\,751\,157\,745\,708\,786\,303 \, \backslash$$
$$\Big. 236\,356\,287\,238\,070\,774\,504\,684\,204\,851\,200 \, z^{12}\Big) \, \theta_z^{14} + $$

$$\Big(26\,651\,893\,291\,022\,228\,855\,942\,579\,133\,642\,007\,830\,099\,834\,264\,073\,988\,507\,080\,316\,608\,993\,559\,212\,180 \, \backslash$$
$$013\,568 + $$

$$10\,222\,684\,488\,008\,153\,001\,251\,617\,454\,097\,569\,172\,810\,076\,146\,408\,172\,197\,548\,853\,298\,517\,431\,296 \, z^2 - $$

$$175\,008\,309\,058\,933\,234\,253\,459\,457\,003\,861\,221\,055\,223\,610\,407\,535\,393\,956\,723\,073\,482\,752 \, z^4 + $$

$$4\,296\,599\,092\,535\,027\,411\,677\,446\,019\,518\,068\,962\,424\,136\,548\,435\,611\,967\,958\,848\,876\,052\,480 \, z^6 - $$

$$2\,695\,263\,074\,177\,662\,603\,984\,559\,873\,375\,251\,116\,297\,095\,825\,068\,276\,262\,938\,950\,845\,282\,550\,118\,612 \, \backslash$$
$$992 \, z^8 + $$

$$474\,395\,742\,952\,357\,562\,772\,786\,793\,590\,682\,255\,453\,415\,073\,382\,858\,520\,968\,530\,583\,346\,737\,800\,659 \, \backslash$$
$$406\,169\,587\,887\,112\,192 \, z^{10} + $$

$$4\,723\,048\,346\,165\,310\,610\,514\,100\,589\,153\,716\,050\,772\,855\,964\,990\,114\,215\,294\,378\,266\,486\,733\,133\,179 \, \backslash$$
$$\Big. 399\,394\,454\,729\,267\,357\,736\,111\,597\,158\,400 \, z^{12}\Big) \, \theta_z^{13} + $$

$$\Big(-14\,161\,381\,738\,246\,742\,490\,828\,580\,086\,352\,682\,171\,370\,097\,445\,021\,604\,677\,052\,503\,106\,450\,206\,289\,382 \, \backslash$$
$$746\,624 + $$

$$13\,379\,143\,643\,313\,913\,927\,593\,314\,460\,471\,411\,210\,872\,803\,823\,270\,040\,359\,786\,195\,867\,226\,467\,328 \, z^2 - $$

$$25\,487\,751\,187\,039\,072\,544\,162\,139\,161\,262\,002\,726\,405\,510\,837\,476\,812\,243\,240\,144\,076\,800 \, z^4 + $$

$$3\,227\,493\,892\,488\,127\,043\,735\,201\,236\,806\,010\,230\,464\,958\,015\,488\,902\,421\,221\,289\,049\,980\,928 \, z^6 - $$

$$1\,033\,475\,866\,983\,765\,630\,387\,003\,451\,795\,526\,456\,645\,336\,923\,374\,157\,235\,617\,519\,780\,751\,316\,294\,303 \, \backslash$$
$$744 \, z^8 + $$

$$300\,253\,169\,701\,634\,374\,265\,925\,951\,461\,059\,558\,508\,640\,166\,333\,537\,282\,827\,027\,120\,743\,093\,254\,328 \, \backslash$$
$$348\,068\,933\,458\,198\,528 \, z^{10} + $$

$$5\,023\,212\,132\,588\,908\,912\,289\,500\,233\,055\,536\,472\,633\,138\,824\,146\,168\,537\,953\,933\,739\,014\,953\,340\,444 \, \backslash$$
$$\Big. 239\,203\,239\,614\,738\,079\,908\,744\,711\,372\,800 \, z^{12}\Big) \, \theta_z^{12} + $$

$$\Big(6\,390\,668\,972\,900\,612\,369\,410\,796\,185\,402\,673\,971\,155\,085\,434\,901\,540\,547\,780\,235\,014\,401\,594\,795\,264 \, \backslash$$

112 640 −

14 437 876 968 313 077 512 436 413 197 410 903 406 018 110 091 904 349 710 557 300 444 299 522 048 z^2 +

54 405 053 443 981 752 090 021 446 879 115 530 140 819 526 686 408 228 606 890 717 216 768 z^4 −

907 928 438 011 012 534 037 810 761 108 214 514 224 707 345 505 228 039 467 758 413 414 400 z^6 +

188 726 796 666 231 704 670 644 240 812 769 476 089 825 986 615 044 688 035 517 668 802 180 658 757 632 z^8 +

106 551 812 053 458 246 791 565 211 061 531 063 573 210 152 995 894 216 881 914 002 837 181 920 915 ⋰ 062 122 453 300 936 704 z^{10} +

4 814 557 152 477 824 301 686 616 883 323 088 115 566 280 039 120 029 703 853 294 482 953 351 250 386 ⋰ 975 524 816 342 564 500 827 967 324 160 000 z^{12}) θ_z^{11} +

$\left(\right.$ − 2 398 520 892 904 879 094 316 978 391 473 445 020 772 999 426 625 126 964 370 682 432 473 094 470 226 ⋰ 534 400 +

7 776 802 965 231 402 654 834 006 978 389 086 132 672 352 067 573 456 773 222 013 881 367 060 480 z^2 −

2 756 765 190 221 061 010 863 934 875 597 574 762 694 480 304 076 103 141 640 137 342 976 z^4 −

1 049 279 992 954 913 315 206 086 051 689 076 623 711 599 240 698 770 608 535 947 318 394 880 z^6 +

466 176 181 168 350 719 602 647 614 278 359 668 401 534 801 693 366 641 617 918 098 039 281 951 965 184 z^8 +

15 303 728 189 014 924 220 778 351 837 898 516 259 518 381 408 734 855 538 898 299 975 249 970 634 203 ⋰ 446 415 909 191 680 z^{10} +

4 130 238 525 004 179 487 826 231 444 809 165 879 722 156 151 914 059 546 680 227 950 055 095 074 618 ⋰ 069 383 579 249 197 349 120 579 207 168 000 z^{12}) θ_z^{10} +

$\left(\right.$727 575 029 130 893 257 843 107 068 383 640 198 275 368 415 590 150 928 657 505 625 014 210 903 814 144 ⋰ 000 −

2 753 024 276 091 687 148 010 993 287 804 180 829 672 591 745 742 412 623 785 719 332 779 417 600 z^2 −

11 864 313 192 847 255 247 560 305 243 122 787 523 912 201 266 232 826 307 488 891 535 360 z^4 +

87 099 251 393 615 862 518 873 281 271 225 668 035 754 908 802 051 503 768 513 124 761 600 z^6 +

263 841 191 914 560 746 264 085 021 940 781 288 635 407 196 301 995 129 470 710 907 612 892 414 083 072 z^8 −

6 901 425 896 253 837 845 135 900 799 259 047 335 666 866 903 049 718 929 855 305 513 569 668 285 416 ⋰ 997 385 771 417 600 z^{10} +

3 145 444 808 723 913 766 904 909 269 920 838 373 179 223 469 011 748 898 797 626 728 608 233 602 534 ⋰ 767 047 174 164 462 270 535 392 296 960 000 z^{12}) θ_z^9 +

$\left(\right.$ − 171 157 777 558 214 884 268 922 791 766 754 761 090 653 705 313 227 251 433 801 438 208 088 585 666 ⋰ 560 000 +

678 219 428 446 875 117 243 384 482 420 597 279 050 470 157 692 067 139 605 807 448 174 592 000 z^2 +

2 634 323 743 299 127 326 832 679 495 632 664 009 402 779 108 367 830 888 582 521 815 040 z^4 +

226 143 337 554 303 053 621 124 275 781 696 024 248 715 810 725 918 739 118 115 782 656 000 z^6 +

67 521 955 033 207 479 708 422 766 884 895 426 302 939 563 522 180 405 654 121 512 315 792 889 217 024 z^8 −

6 000 081 555 384 320 379 596 149 387 034 276 039 468 296 903 242 749 668 684 553 564 266 135 565 223 ⋰ 496 708 521 984 000 z^{10} +

2 105 495 610 281 200 050 408 024 384 988 879 562 845 079 561 721 331 516 640 551 564 762 746 529 128 ⋰ 090 311 044 701 278 109 965 274 316 800 000 z^{12}) θ_z^8 +

$\left(\right.$29 255 067 239 917 161 862 300 538 355 323 425 866 762 948 415 211 513 634 601 275 721 669 499 289 600 ⋰ 000 − 112 617 099 553 807 235 115 204 786 402 600 127 928 394 326 421 494 073 711 979 454 791 680 000 z^2 + 1 521 673 549 675 750 441 385 558 431 985 857 216 462 557 635 649 223 869 806 621 491 200 z^4 +

8 131 949 486 026 593 595 671 018 826 430 450 807 441 302 606 410 360 603 468 103 680 000 z^6 +

1 312 688 699 976 359 419 911 691 386 404 084 914 122 668 479 533 886 147 474 081 729 436 209 643 520 z^8 −

2 640 013 397 868 585 051 650 658 807 562 787 503 028 735 410 298 789 354 017 666 894 566 121 015 150 ⋰ 847 679 528 960 000 z^{10} +

$1\,223\,580\,768\,370\,987\,563\,894\,093\,260\,460\,833\,739\,203\,437\,154\,201\,334\,275\,091\,272\,201\,284\,669\,656\,162$
$348\,824\,187\,133\,254\,935\,834\,001\,408\,000\,000\ z^{12}\Big)\ \theta_z^7\ +$

$\Big(-3\,227\,091\,805\,202\,614\,190\,777\,406\,695\,918\,363\,248\,427\,980\,844\,640\,930\,725\,647\,846\,426\,311\,131\,136\,000$
$000\ +$
$8\,734\,396\,391\,422\,585\,073\,545\,371\,906\,007\,962\,722\,272\,886\,546\,809\,713\,406\,447\,317\,811\,200\,000\ z^2\ -$
$723\,525\,394\,688\,407\,111\,115\,374\,130\,843\,749\,083\,563\,682\,138\,673\,130\,973\,702\,389\,760\,000\ z^4\ -$
$30\,414\,169\,196\,068\,058\,775\,503\,241\,424\,467\,814\,111\,323\,762\,407\,076\,425\,820\,536\,832\,000\,000\ z^6\ -$
$2\,440\,619\,035\,018\,395\,769\,554\,763\,281\,194\,934\,900\,879\,627\,411\,633\,904\,150\,729\,867\,565\,505\,026\,457\,600$
$z^8\ -$
$911\,178\,923\,059\,621\,718\,192\,640\,243\,866\,045\,197\,957\,589\,682\,356\,112\,153\,177\,035\,749\,553\,502\,254\,680$
$719\,438\,643\,200\,000\ z^{10}\ +$
$607\,724\,937\,219\,393\,462\,523\,161\,350\,264\,771\,075\,897\,079\,915\,467\,574\,326\,180\,332\,768\,491\,897\,128\,039$
$934\,054\,713\,238\,289\,231\,254\,650\,880\,000\,000\ z^{12}\Big)\ \theta_z^6\ +$

$\Big(172\,142\,909\,247\,389\,744\,035\,364\,765\,409\,413\,509\,688\,996\,112\,577\,868\,085\,704\,654\,186\,332\,815\,360\,000\,000\ +$
$1\,197\,914\,401\,610\,452\,770\,197\,485\,462\,553\,794\,633\,148\,618\,382\,839\,974\,217\,424\,470\,016\,000\,000\ z^2\ +$
$28\,611\,135\,301\,495\,502\,595\,449\,267\,800\,046\,721\,082\,414\,427\,159\,378\,852\,692\,623\,360\,000\ z^4\ -$
$3\,017\,500\,422\,519\,936\,005\,978\,905\,072\,569\,015\,631\,648\,209\,053\,823\,636\,319\,764\,480\,000\,000\ z^6\ +$
$714\,686\,650\,031\,231\,446\,286\,792\,330\,195\,522\,977\,107\,716\,990\,162\,692\,045\,171\,885\,260\,008\,325\,120\,000\ z^8\ -$
$276\,258\,671\,373\,001\,884\,926\,656\,936\,692\,417\,908\,342\,059\,181\,443\,660\,362\,770\,809\,063\,801\,955\,741\,503$
$240\,273\,920\,000\,000\ z^{10}\ +$
$252\,723\,747\,374\,547\,462\,371\,745\,024\,250\,766\,392\,368\,759\,215\,939\,272\,101\,682\,182\,115\,531\,704\,763\,268$
$392\,152\,169\,027\,184\,240\,256\,614\,400\,000\,000\ z^{12}\Big)\ \theta_z^5\ +$

$\Big(-361\,380\,571\,297\,897\,983\,195\,232\,812\,500\,733\,430\,630\,777\,731\,979\,591\,592\,271\,544\,320\,000\,000\ z^2\ +$
$44\,748\,247\,271\,125\,133\,506\,464\,406\,323\,777\,224\,899\,413\,986\,002\,168\,825\,302\,220\,800\,000\ z^4\ +$
$2\,367\,651\,772\,603\,616\,121\,881\,413\,349\,660\,096\,297\,609\,346\,466\,134\,838\,046\,883\,840\,000\,000\ z^6\ +$
$695\,899\,585\,605\,920\,821\,130\,041\,683\,952\,604\,000\,700\,424\,127\,074\,009\,944\,863\,566\,707\,252\,264\,960\,000\ z^8\ -$
$70\,343\,552\,258\,863\,419\,423\,553\,759\,767\,916\,130\,777\,247\,247\,400\,193\,939\,048\,572\,440\,519\,445\,953\,184\,645$
$775\,360\,000\,000\ z^{10}\ +$
$85\,552\,418\,429\,795\,074\,570\,912\,204\,697\,807\,912\,075\,833\,738\,022\,506\,963\,067\,588\,647\,832\,440\,638\,253\,163$
$691\,497\,101\,190\,416\,564\,224\,000\,000\,000\ z^{12}\Big)\ \theta_z^4\ +$

$\Big(11\,988\,074\,821\,799\,086\,955\,355\,352\,071\,070\,892\,649\,202\,496\,916\,875\,684\,845\,977\,600\,000\,000\ z^2\ -$
$16\,448\,975\,296\,517\,850\,314\,680\,239\,395\,506\,520\,663\,972\,172\,305\,578\,913\,169\,408\,000\,000\ z^4\ +$
$260\,249\,151\,847\,833\,746\,117\,244\,453\,306\,058\,848\,581\,577\,147\,254\,796\,661\,555\,200\,000\,000\ z^6\ +$
$166\,575\,916\,217\,028\,234\,895\,660\,811\,185\,505\,604\,219\,289\,484\,818\,517\,457\,227\,131\,598\,458\,060\,800\,000\ z^8\ -$
$12\,994\,093\,240\,000\,171\,381\,204\,386\,329\,396\,172\,272\,068\,216\,013\,860\,888\,176\,342\,743\,988\,837\,493\,687\,241$
$932\,800\,000\,000\ z^{10}\ +$
$22\,633\,302\,169\,207\,906\,758\,729\,769\,614\,207\,440\,019\,970\,917\,339\,649\,543\,518\,014\,268\,964\,385\,084\,482\,978$
$018\,266\,213\,043\,320\,913\,920\,000\,000\,000\ z^{12}\Big)\ \theta_z^3\ +$

$\Big(2\,494\,686\,975\,393\,070\,041\,472\,301\,688\,879\,950\,239\,351\,344\,781\,162\,787\,635\,200\,000\,000\,000\ z^2\ +$
$4\,310\,037\,985\,561\,916\,270\,162\,603\,960\,543\,269\,889\,907\,378\,400\,446\,728\,110\,080\,000\,000\ z^4\ -$
$115\,091\,274\,356\,377\,043\,431\,745\,001\,055\,634\,310\,698\,314\,570\,840\,179\,474\,432\,000\,000\,000\ z^6\ +$
$12\,831\,716\,982\,584\,118\,224\,245\,180\,563\,037\,575\,022\,893\,184\,790\,427\,570\,193\,614\,583\,627\,776\,000\,000\ z^8\ -$
$1\,375\,344\,146\,416\,153\,269\,606\,357\,272\,235\,146\,845\,568\,546\,299\,224\,885\,945\,973\,031\,529\,623\,396\,208\,869$
$376\,000\,000\,000\ z^{10}\ +$
$4\,387\,012\,803\,667\,442\,736\,856\,741\,118\,954\,541\,340\,268\,789\,926\,195\,057\,385\,811\,207\,388\,908\,009\,460\,129$
$317\,279\,071\,719\,548\,518\,400\,000\,000\,000\ z^{12}\Big)\ \theta_z^2\ +$

$\Big(-127\,862\,233\,816\,729\,244\,835\,669\,260\,641\,806\,103\,342\,800\,787\,731\,382\,272\,000\,000\,000\,000\ z^2\ -$
$597\,993\,741\,691\,265\,590\,847\,197\,575\,748\,916\,387\,119\,495\,544\,787\,959\,808\,000\,000\,000\ z^4\ -$
$13\,311\,612\,665\,688\,510\,017\,598\,017\,903\,213\,616\,631\,009\,347\,528\,881\,602\,560\,000\,000\,000\ z^6\ -$
$624\,227\,588\,615\,063\,142\,896\,499\,598\,119\,375\,733\,231\,905\,803\,454\,275\,212\,060\,026\,470\,400\,000\,000\ z^8\ -$

31 797 081 593 837 522 134 465 629 426 673 686 218 208 740 906 695 249 665 500 252 663 046 828 195 840 ⁚ 000 000 000 z^{10} +

553 784 886 324 149 726 496 265 355 719 657 942 688 933 880 062 345 461 360 574 792 591 577 258 775 ⁚ 280 402 267 457 454 080 000 000 000 000 z^{12} $\big)$ Θ_z +

$\big($ 2 301 951 431 684 277 200 875 340 189 583 219 952 111 739 209 777 152 000 000 000 000 z^6 −

58 226 516 932 931 980 866 174 504 344 491 099 785 843 463 141 012 430 691 237 888 000 000 000 z^8 +

5 562 944 177 879 591 134 448 646 835 313 386 081 006 071 073 345 752 719 161 046 907 054 194 688 000 ⁚ 000 000 000 z^{10} +

34 144 266 955 936 391 358 147 843 276 035 782 679 868 791 535 949 997 992 235 938 216 726 157 629 061 ⁚ 933 245 220 782 080 000 000 000 000 z^{12} $\big)$

$In[\circ]:=$ **ODEinD = ChangeOreAlgebra$\big[$ToOrePolynomial$\big[z^{-1}$ ** ODEinTheta$\big]$, OreAlgebra[Der[z]]$\big]$;**
ToOrePolynomial[ODEinD]

$Out[\circ]=$ $\big($ 437 502 088 527 074 815 832 949 679 718 400 z^{70} − 85 692 853 520 993 768 727 486 335 844 719 001 600 z^{72} +

763 338 299 988 791 317 097 389 707 961 497 236 275 200 z^{74} −

1 598 363 211 802 454 956 689 545 078 412 316 387 364 044 800 z^{76} +

708 270 719 505 845 849 417 203 674 955 342 083 655 100 006 400 z^{78} −

97 773 026 415 808 146 191 848 122 055 052 434 634 224 277 913 600 z^{80} +

2 244 333 848 512 671 272 755 697 788 284 868 386 498 847 703 040 000 z^{82} $\big)$ D_z^{71} +

$\big($ 924 020 036 043 772 263 711 183 757 482 393 600 z^{69} −

192 726 288 027 769 307 074 142 750 969 624 631 705 600 z^{71} +

1 821 352 445 855 398 539 427 125 321 399 988 173 511 065 600 z^{73} −

4 032 727 467 778 015 371 976 175 430 872 788 970 904 748 032 000 z^{75} +

1 884 025 409 268 389 453 944 383 818 369 601 204 739 839 413 452 800 z^{77} −

273 474 646 778 815 949 475 248 906 249 483 625 830 305 099 048 550 400 z^{79} +

6 584 955 666 316 481 538 239 244 300 034 528 305 572 851 262 423 040 000 z^{81} $\big)$ D_z^{70} +

$\big($ 936 078 296 129 008 968 138 946 603 035 446 476 800 z^{68} −

208 177 954 850 122 438 966 519 836 113 970 230 250 700 800 z^{70} +

2 089 714 996 189 764 107 347 234 894 422 746 246 814 892 032 000 z^{72} −

4 897 936 596 566 078 224 236 653 226 699 541 771 491 409 605 427 200 z^{74} +

2 414 910 022 621 403 265 796 273 019 297 413 062 347 818 520 700 518 400 z^{76} −

368 929 192 488 569 606 209 592 047 598 331 945 502 018 619 766 000 844 800 z^{78} +

9 326 452 738 310 091 217 795 166 417 986 343 690 680 785 928 999 403 520 000 z^{80} $\big)$ D_z^{69} +

$\big($ 605 971 421 720 555 089 666 520 849 477 395 971 833 856 z^{67} −

143 889 180 102 446 303 860 799 466 745 606 029 557 727 494 144 z^{69} +

1 536 096 175 423 593 877 816 103 852 115 762 268 532 082 336 595 968 z^{71} −

3 815 559 329 921 249 287 427 733 981 547 506 471 125 729 574 263 980 032 z^{73} +

1 987 456 104 517 408 051 473 499 325 471 782 761 779 901 965 933 924 581 376 z^{75} −

319 864 964 518 625 985 962 144 322 605 413 715 232 592 481 489 451 718 017 024 z^{77} +

8 496 905 093 146 654 538 981 187 768 308 854 990 366 989 717 906 216 556 953 600 z^{79} $\big)$ D_z^{68} +

$\big($ 281 760 827 192 509 368 620 059 458 620 709 479 129 284 608 z^{66} −

71 535 949 349 143 157 158 794 401 617 602 621 435 573 448 998 912 z^{68} +

813 228 007 564 855 324 520 307 172 803 004 517 610 580 594 560 860 160 z^{70} −

2 143 270 652 365 270 805 781 541 539 381 560 916 524 748 988 594 614 435 840 z^{72} +

1 180 690 707 726 744 138 210 701 757 719 193 813 784 391 013 919 553 457 487 872 z^{74} −

200 383 737 279 014 669 657 741 744 355 074 201 897 667 294 705 304 939 064 721 408 z^{76} +

5 598 521 999 894 838 118 271 010 000 597 131 661 834 848 970 603 717 903 305 932 800 z^{78} $\big)$ D_z^{67} +

$\big($ 100 285 506 371 189 844 071 152 991 749 303 462 518 520 283 136 z^{65} −

27 263 978 561 962 925 991 308 146 151 713 474 078 638 178 616 475 648 z^{67} +

330 489 002 343 707 044 615 586 134 537 518 203 242 189 959 034 623 229 952 z^{69} −

$$925\,289\,256\,132\,255\,374\,604\,996\,304\,903\,571\,197\,330\,327\,637\,306\,996\,043\,022\,336\,z^{71}\,+$$

$$539\,687\,334\,422\,527\,512\,377\,300\,538\,840\,720\,929\,491\,182\,770\,474\,917\,454\,220\,886\,016\,z^{73}\,-$$

$$96\,687\,760\,773\,125\,087\,260\,373\,031\,332\,166\,367\,099\,173\,454\,883\,810\,929\,113\,921\,748\,992\,z^{75}\,+$$

$$2\,843\,867\,711\,196\,955\,949\,564\,514\,668\,270\,322\,783\,958\,258\,701\,213\,424\,401\,991\,807\,795\,200\,z^{77}\Big)\,D_z^{66}\,+$$

$$\Big(28\,434\,762\,594\,261\,729\,381\,303\,857\,722\,784\,551\,256\,370\,997\,886\,976\,z^{64}\,-$$

$$8\,290\,379\,577\,984\,474\,002\,239\,925\,285\,757\,143\,660\,542\,433\,008\,361\,144\,320\,z^{66}\,+$$

$$107\,306\,916\,664\,514\,497\,969\,532\,929\,286\,309\,530\,558\,540\,057\,917\,353\,980\,067\,840\,z^{68}\,-$$

$$319\,562\,525\,833\,894\,025\,839\,703\,195\,998\,158\,132\,828\,471\,393\,585\,345\,818\,041\,253\,888\,z^{70}\,+$$

$$197\,574\,283\,199\,437\,882\,847\,741\,658\,101\,206\,266\,377\,290\,627\,254\,389\,066\,016\,822\,919\,168\,z^{72}\,-$$

$$37\,404\,584\,951\,979\,168\,085\,786\,845\,174\,461\,740\,774\,634\,682\,791\,900\,139\,523\,806\,465\,097\,728\,z^{74}\,+$$

$$1\,159\,349\,871\,905\,039\,350\,807\,774\,272\,625\,335\,447\,452\,558\,335\,991\,117\,073\,960\,527\,934\,259\,200\,z^{76}\Big)\,D_z^{65}\,+$$

$$\Big(6\,599\,766\,831\,964\,319\,672\,226\,509\,132\,541\,143\,613\,691\,183\,377\,678\,336\,z^{63}\,-$$

$$2\,066\,912\,359\,117\,537\,761\,143\,253\,408\,593\,487\,409\,797\,060\,840\,120\,878\,366\,720\,z^{65}\,+$$

$$28\,608\,274\,162\,003\,761\,938\,912\,531\,614\,783\,813\,053\,278\,001\,469\,427\,864\,007\,868\,416\,z^{67}\,-$$

$$90\,740\,527\,400\,191\,426\,605\,879\,136\,392\,393\,763\,953\,451\,848\,579\,936\,575\,918\,440\,448\,000\,z^{69}\,+$$

$$59\,540\,099\,556\,630\,864\,440\,832\,873\,964\,487\,329\,765\,629\,000\,946\,320\,244\,208\,459\,501\,797\,376\,z^{71}\,-$$

$$11\,924\,733\,294\,189\,750\,237\,105\,782\,381\,382\,954\,639\,496\,294\,802\,922\,011\,538\,154\,648\,472\,911\,872\,z^{73}\,+$$

$$389\,879\,507\,183\,231\,760\,838\,014\,360\,654\,922\,928\,776\,141\,291\,195\,253\,937\,556\,777\,641\,757\,900\,800\,z^{75}\Big)$$

$$D_z^{64}\,+\,\Big(1\,278\,766\,756\,112\,921\,964\,917\,211\,244\,675\,394\,230\,949\,197\,176\,631\,197\,696\,z^{62}\,-$$

$$430\,902\,162\,383\,200\,298\,304\,295\,758\,371\,247\,582\,886\,832\,408\,253\,928\,178\,712\,576\,z^{64}\,+$$

$$6\,387\,367\,832\,183\,526\,754\,407\,012\,266\,575\,438\,218\,218\,435\,221\,878\,112\,416\,104\,972\,288\,z^{66}\,-$$

$$21\,607\,790\,319\,861\,896\,014\,277\,759\,849\,552\,427\,035\,675\,383\,796\,240\,732\,774\,482\,900\,418\,560\,z^{68}\,+$$

$$15\,065\,959\,063\,523\,685\,782\,864\,493\,008\,690\,566\,683\,848\,806\,196\,656\,488\,052\,278\,250\,581\,262\,336\,z^{70}\,-$$

$$3\,195\,791\,547\,260\,371\,246\,781\,366\,573\,168\,673\,623\,537\,965\,848\,331\,129\,498\,986\,071\,037\,170\,417\,664\,z^{72}\,+$$

$$110\,333\,850\,348\,731\,399\,738\,197\,394\,551\,958\,484\,539\,079\,959\,708\,306\,664\,709\,809\,039\,829\,106\,688\,000$$
$$z^{74}\Big)\,D_z^{63}\,+\,\Big(209\,903\,484\,069\,527\,649\,284\,813\,276\,951\,129\,797\,231\,219\,024\,154\,591\,232\,000\,z^{61}\,-$$

$$76\,235\,683\,739\,823\,735\,383\,185\,670\,123\,303\,303\,703\,579\,060\,125\,535\,961\,801\,031\,680\,z^{63}\,+$$

$$1\,212\,162\,399\,400\,069\,033\,100\,047\,127\,506\,468\,068\,848\,214\,408\,714\,690\,484\,017\,565\,794\,304\,z^{65}\,-$$

$$4\,379\,757\,898\,278\,333\,020\,252\,753\,573\,203\,755\,333\,010\,833\,125\,345\,446\,571\,058\,071\,420\,796\,928\,z^{67}\,+$$

$$3\,249\,234\,382\,403\,091\,488\,207\,422\,494\,396\,702\,291\,721\,741\,330\,040\,185\,163\,764\,841\,819\,249\,049\,600\,z^{69}\,-$$

$$730\,840\,204\,295\,749\,589\,763\,992\,836\,390\,530\,393\,339\,587\,028\,745\,331\,380\,319\,125\,328\,591\,522\,365\,440$$
$$z^{71}\,+$$

$$26\,673\,196\,335\,310\,879\,659\,364\,139\,689\,887\,000\,543\,733\,856\,252\,408\,142\,497\,299\,792\,998\,358\,528\,819\,200$$
$$z^{73}\Big)\,D_z^{62}\,+\,\Big(29\,520\,976\,457\,772\,109\,911\,039\,163\,968\,543\,826\,960\,093\,797\,275\,396\,669\,964\,288\,z^{60}\,-$$

$$11\,577\,439\,028\,820\,244\,519\,187\,031\,911\,218\,008\,469\,401\,678\,374\,951\,251\,734\,505\,193\,472\,z^{62}\,+$$

$$197\,783\,426\,148\,674\,065\,148\,479\,275\,087\,677\,149\,166\,334\,247\,975\,293\,397\,844\,547\,208\,216\,576\,z^{64}\,-$$

$$764\,413\,680\,335\,515\,590\,406\,327\,055\,535\,819\,008\,997\,295\,714\,322\,261\,229\,874\,176\,520\,651\,538\,432\,z^{66}\,+$$

$$604\,217\,627\,155\,872\,363\,551\,359\,379\,156\,920\,823\,215\,990\,277\,016\,450\,268\,708\,131\,030\,352\,204\,398\,592$$
$$z^{68}\,-$$

$$144\,288\,641\,070\,592\,371\,886\,083\,344\,974\,681\,195\,480\,014\,771\,442\,206\,527\,375\,043\,726\,645\,623\,173\,152\,768$$
$$z^{70}\,+$$

$$5\,573\,126\,443\,385\,652\,467\,835\,561\,675\,827\,240\,538\,236\,979\,199\,707\,231\,757\,559\,334\,332\,556\,102\,126\,796\,$$
$$800\,z^{72}\Big)\,D_z^{61}\,+\,\Big(3\,589\,136\,442\,336\,453\,028\,832\,101\,008\,661\,751\,271\,992\,050\,873\,338\,758\,877\,413\,376$$
$$z^{59}\,-\,1\,522\,801\,757\,522\,081\,291\,768\,185\,034\,713\,713\,765\,131\,017\,855\,962\,443\,056\,649\,097\,707\,520\,z^{61}\,+$$

$$27\,999\,047\,016\,445\,528\,408\,811\,277\,077\,120\,378\,740\,801\,347\,737\,104\,557\,724\,349\,005\,285\,031\,936\,z^{63}\,-$$

$$115\,933\,091\,330\,548\,280\,684\,601\,174\,977\,191\,615\,669\,055\,853\,639\,124\,585\,468\,717\,207\,354\,270\,023\,680$$
$$z^{65}\,+$$

$$97\,773\,330\,224\,212\,658\,233\,143\,704\,336\,144\,940\,847\,974\,681\,898\,809\,121\,890\,600\,749\,918\,121\,663\,397\,888$$
$$z^{67}\,-$$

$$24\,820\,801\,020\,447\,473\,046\,111\,494\,353\,221\,246\,970\,203\,986\,685\,372\,328\,043\,593\,373\,161\,097\,875\,842\,662\,$$

$400 \, z^{69} +$

$1\,015\,798\,643\,062\,319\,414\,775\,709\,415\,771\,561\,072\,861\,862\,187\,286\,093\,463\,744\,263\,796\,543\,940\,922\,336 \,\backslash$
$870\,400 \, z^{71} \big) \, D_z^{60} +$

$\big(379\,908\,600\,639\,176\,627\,623\,220\,990\,403\,708\,079\,828\,603\,786\,146\,255\,341\,692\,649\,472 \, z^{58} -$

$174\,731\,743\,091\,578\,837\,415\,801\,095\,916\,440\,088\,391\,492\,150\,109\,222\,404\,317\,857\,877\,852\,160 \, z^{60} +$

$3\,463\,983\,879\,248\,247\,128\,518\,522\,635\,648\,373\,459\,019\,697\,196\,483\,324\,766\,080\,451\,629\,757\,235\,200 \, z^{62} -$

$15\,391\,173\,457\,277\,348\,482\,356\,874\,002\,781\,722\,895\,028\,699\,043\,115\,315\,933\,688\,724\,909\,535\,321\,391\,104 \, z^{64} +$

$13\,869\,885\,711\,773\,398\,735\,197\,677\,191\,881\,955\,427\,408\,833\,291\,306\,416\,293\,225\,078\,576\,797\,175\,211\,098 \,\backslash$
$112 \, z^{66} -$

$3\,748\,064\,842\,651\,528\,305\,453\,907\,461\,493\,292\,536\,297\,910\,411\,313\,335\,481\,148\,003\,763\,148\,899\,119\,162 \,\backslash$
$982\,400 \, z^{68} +$

$162\,725\,349\,159\,022\,006\,702\,810\,767\,407\,969\,962\,902\,056\,896\,418\,463\,262\,680\,782\,957\,554\,063\,092\,077 \,\backslash$
$297\,664\,000 \, z^{70} \big) \, D_z^{59} +$

$\big(35\,210\,942\,690\,348\,072\,885\,191\,687\,125\,090\,068\,276\,075\,011\,818\,819\,922\,525\,144\,743\,936 \, z^{57} -$

$17\,592\,161\,617\,998\,903\,092\,357\,958\,136\,089\,929\,363\,816\,627\,386\,489\,185\,402\,175\,320\,823\,431\,168 \, z^{59} +$

$376\,743\,262\,404\,864\,353\,628\,386\,988\,552\,090\,684\,183\,226\,976\,488\,971\,453\,394\,143\,038\,326\,024\,699\,904 \, z^{61} -$

$1\,799\,330\,040\,422\,057\,944\,133\,529\,673\,102\,477\,149\,953\,703\,252\,005\,662\,600\,131\,752\,570\,992\,566\,747\,529 \,\backslash$
$216 \, z^{63} +$

$1\,735\,273\,517\,370\,213\,786\,483\,962\,253\,659\,430\,741\,995\,983\,803\,869\,969\,066\,807\,847\,573\,869\,784\,195\,882 \,\backslash$
$024\,960 \, z^{65} -$

$499\,858\,965\,114\,075\,848\,993\,737\,700\,318\,833\,255\,409\,304\,386\,982\,532\,964\,540\,399\,283\,133\,717\,489\,424 \,\backslash$
$932\,012\,032 \, z^{67} +$

$23\,051\,782\,020\,704\,387\,972\,844\,893\,179\,397\,315\,754\,360\,157\,651\,721\,342\,317\,491\,494\,893\,706\,687\,801\,662 \,\backslash$
$950\,604\,800 \, z^{69} \big) \, D_z^{58} +$

$\big(2\,870\,712\,174\,561\,960\,339\,919\,904\,926\,113\,230\,588\,159\,098\,480\,110\,935\,064\,421\,758\,664\,704 \, z^{56} -$

$1\,561\,473\,353\,182\,289\,997\,225\,233\,791\,616\,810\,884\,101\,042\,694\,527\,656\,625\,309\,486\,057\,560\,997\,888 \, z^{58} +$

$36\,194\,288\,273\,800\,616\,790\,553\,544\,015\,689\,145\,302\,303\,462\,280\,904\,231\,893\,740\,856\,841\,461\,672\,443\,904 \, z^{60} -$

$186\,142\,855\,624\,112\,119\,941\,500\,078\,933\,931\,476\,412\,161\,095\,227\,790\,921\,404\,708\,619\,494\,298\,707\,923 \,\backslash$
$304\,448 \, z^{62} +$

$192\,422\,875\,093\,893\,528\,563\,230\,483\,707\,489\,117\,270\,911\,241\,157\,544\,642\,081\,578\,872\,404\,007\,684\,135 \,\backslash$
$035\,338\,752 \, z^{64} -$

$59\,171\,679\,197\,182\,064\,056\,534\,985\,400\,637\,012\,513\,037\,262\,488\,296\,365\,971\,630\,134\,328\,599\,235\,179\,584 \,\backslash$
$927\,301\,632 \, z^{66} +$

$2\,902\,385\,750\,060\,628\,029\,631\,539\,012\,072\,668\,913\,959\,580\,373\,830\,529\,706\,258\,621\,691\,613\,860\,970\,870 \,\backslash$
$737\,574\,297\,600 \, z^{68} \big) \, D_z^{57} +$

$\big(206\,649\,821\,111\,073\,388\,782\,672\,281\,538\,269\,215\,602\,867\,852\,102\,990\,871\,784\,685\,897\,252\,864 \, z^{55} -$

$122\,655\,218\,366\,844\,282\,547\,643\,511\,086\,132\,237\,738\,967\,349\,714\,865\,754\,043\,930\,542\,794\,826\,842\,112 \, z^{57} +$

$3\,083\,679\,378\,682\,805\,862\,127\,956\,329\,144\,388\,104\,263\,609\,856\,943\,656\,566\,557\,871\,665\,490\,295\,665\,983 \,\backslash$
$488 \, z^{59} -$

$17\,108\,979\,988\,771\,724\,336\,724\,397\,093\,444\,900\,197\,696\,716\,371\,829\,390\,875\,346\,900\,802\,782\,702\,482\,801 \,\backslash$
$819\,648 \, z^{61} +$

$18\,989\,621\,294\,568\,958\,865\,690\,732\,495\,605\,244\,391\,145\,022\,303\,921\,962\,300\,650\,682\,417\,018\,630\,161\,121 \,\backslash$
$903\,902\,720 \, z^{63} -$

$6\,243\,252\,357\,800\,322\,160\,218\,061\,373\,242\,595\,636\,123\,364\,809\,892\,553\,081\,599\,561\,011\,944\,292\,418\,972 \,\backslash$
$118\,683\,746\,304 \, z^{65} +$

$326\,163\,787\,289\,627\,901\,149\,160\,081\,270\,273\,455\,247\,587\,405\,244\,694\,467\,028\,485\,262\,677\,320\,301\,646 \,\backslash$

$$545\,386\,314\,137\,600\,z^{67}\Big)\,D_z^{56}\,+$$

$$\Big(13\,173\,963\,143\,645\,628\,029\,902\,110\,004\,522\,913\,743\,359\,450\,448\,345\,719\,796\,092\,162\,168\,324\,096\,z^{54}\,-$$

$$8\,553\,187\,686\,321\,459\,830\,310\,791\,677\,004\,523\,039\,475\,363\,748\,942\,625\,614\,993\,315\,026\,157\,426\,442\,240\,z^{56}\,+$$

$$233\,739\,466\,578\,112\,290\,431\,209\,681\,873\,535\,666\,296\,431\,526\,463\,643\,627\,450\,543\,134\,490\,852\,283\,887\,124\,480\,z^{58}\,-$$

$$1\,401\,785\,716\,819\,758\,451\,790\,121\,395\,264\,279\,415\,194\,222\,861\,531\,197\,597\,749\,727\,911\,095\,451\,189\,550\,291\,877\,888\,z^{60}\,+$$

$$1\,673\,469\,400\,265\,546\,829\,665\,682\,170\,628\,327\,153\,052\,963\,514\,476\,932\,803\,346\,986\,811\,277\,839\,756\,991\,221\,794\,340\,864\,z^{62}\,-$$

$$589\,167\,363\,964\,271\,205\,532\,369\,455\,079\,053\,145\,879\,689\,554\,078\,046\,146\,268\,548\,859\,890\,126\,952\,601\,437\,244\,470\,853\,632\,z^{64}\,+$$

$$32\,830\,091\,832\,293\,480\,670\,730\,430\,820\,532\,475\,928\,519\,033\,855\,499\,443\,962\,400\,119\,866\,569\,915\,884\,586\,499\,361\,577\,369\,600\,z^{66}\Big)\,D_z^{55}\,+$$

$$\Big(745\,537\,026\,589\,719\,635\,869\,052\,525\,595\,199\,482\,434\,204\,818\,424\,205\,074\,233\,705\,603\,723\,689\,984\,z^{53}\,-$$

$$530\,825\,256\,749\,453\,519\,865\,244\,128\,342\,229\,002\,070\,776\,854\,672\,289\,005\,273\,067\,212\,188\,326\,914\,162\,688\,z^{55}\,+$$

$$15\,804\,016\,717\,457\,050\,359\,975\,505\,135\,464\,214\,302\,763\,557\,751\,870\,760\,433\,211\,142\,265\,982\,154\,756\,535\,091\,200\,z^{57}\,-$$

$$102\,659\,489\,209\,160\,939\,314\,847\,453\,966\,094\,218\,824\,385\,154\,530\,291\,088\,935\,899\,271\,878\,601\,767\,555\,849\,965\,797\,376\,z^{59}\,+$$

$$132\,061\,746\,019\,706\,149\,667\,691\,807\,068\,241\,496\,411\,929\,790\,103\,220\,013\,914\,547\,805\,779\,125\,289\,139\,826\,994\,496\,667\,648\,z^{61}\,-$$

$$49\,870\,564\,012\,132\,967\,165\,275\,800\,430\,081\,248\,076\,728\,507\,442\,578\,067\,706\,586\,883\,693\,715\,051\,073\,254\,293\,170\,083\,069\,952\,z^{63}\,+$$

$$2\,968\,509\,073\,150\,330\,113\,150\,371\,868\,322\,612\,181\,093\,697\,732\,866\,183\,056\,298\,220\,132\,856\,454\,295\,435\,974\,988\,236\,901\,580\,800\,z^{65}\Big)\,D_z^{54}\,+$$

$$\Big(37\,523\,137\,612\,761\,320\,259\,057\,034\,374\,013\,966\,915\,764\,060\,428\,436\,847\,605\,518\,172\,052\,534\,591\,488\,z^{52}\,-$$

$$29\,378\,029\,420\,547\,467\,878\,316\,558\,885\,585\,467\,285\,139\,821\,333\,356\,923\,977\,010\,013\,596\,998\,413\,039\,173\,632\,z^{54}\,+$$

$$955\,196\,800\,683\,432\,897\,600\,429\,491\,243\,611\,317\,139\,174\,802\,477\,973\,021\,588\,593\,850\,300\,971\,245\,945\,290\,227\,712\,z^{56}\,-$$

$$6\,735\,007\,536\,887\,013\,793\,385\,374\,632\,694\,050\,600\,571\,098\,247\,398\,869\,202\,383\,376\,474\,993\,767\,017\,335\,030\,628\,220\,928\,z^{58}\,+$$

$$9\,353\,924\,175\,253\,264\,978\,380\,238\,799\,843\,592\,648\,706\,819\,256\,415\,403\,246\,107\,858\,738\,502\,206\,526\,671\,927\,970\,659\,041\,280\,z^{60}\,-$$

$$3\,795\,426\,696\,895\,602\,732\,041\,717\,892\,372\,296\,553\,444\,234\,244\,701\,204\,953\,150\,132\,692\,775\,659\,492\,513\,342\,297\,077\,668\,904\,960\,z^{62}\,+$$

$$241\,711\,006\,241\,334\,330\,869\,332\,145\,789\,624\,706\,283\,506\,199\,887\,622\,669\,836\,994\,647\,242\,834\,194\,121\,090\,889\,153\,039\,984\,230\,400\,z^{64}\Big)\,D_z^{53}\,+$$

$$\Big(1\,681\,942\,969\,448\,702\,495\,458\,810\,817\,561\,616\,207\,783\,243\,538\,940\,043\,606\,957\,194\,854\,805\,065\,433\,088\,z^{51}\,-$$

$$1\,452\,149\,094\,684\,718\,597\,011\,847\,481\,011\,363\,708\,249\,953\,537\,124\,267\,090\,892\,929\,751\,247\,643\,187\,852\,869\,632\,z^{53}\,+$$

$$51\,693\,213\,651\,679\,159\,140\,147\,864\,176\,215\,851\,214\,725\,053\,972\,356\,980\,035\,249\,708\,699\,437\,243\,596\,967\,419\,838\,464\,z^{55}\,-$$

$$396\,525\,759\,302\,731\,983\,910\,338\,625\,357\,572\,587\,759\,455\,626\,549\,020\,892\,527\,688\,506\,138\,490\,100\,342\,963\,760\,655\,237\,120\,z^{57}\,+$$

$$595\,774\,513\,041\,617\,851\,001\,412\,831\,999\,401\,906\,396\,708\,097\,518\,269\,583\,726\,409\,120\,484\,280\,683\,590\,243\,570\,775\,958\,224\,896\,z^{59}\,-$$

$$260\,217\,676\,013\,858\,337\,493\,514\,265\,450\,971\,152\,893\,358\,164\,410\,479\,409\,367\,836\,799\,873\,825\,213\,909\,\ldots$$

$$435\,826\,464\,795\,144\,486\,912\,z^{61}\,+$$

$$17\,759\,313\,165\,456\,168\,019\,815\,955\,337\,920\,804\,261\,882\,900\,692\,291\,864\,493\,476\,319\,001\,759\,261\,478\,230\,230\,406\,024\,942\,478\,950\,400\,z^{63}\Big)\,D_z^{52}\,+$$

$$\Big(67\,209\,685\,187\,311\,775\,211\,157\,734\,150\,619\,554\,507\,978\,670\,854\,995\,155\,670\,534\,295\,336\,792\,932\,745\,216\,z^{50}\,-$$

$$64\,182\,074\,930\,076\,455\,449\,315\,727\,092\,538\,641\,290\,686\,029\,451\,619\,191\,595\,061\,030\,981\,825\,990\,739\,204\,505\,600\,z^{52}\,+$$

$$2\,508\,105\,322\,364\,622\,052\,930\,452\,871\,809\,403\,145\,865\,995\,218\,214\,634\,424\,361\,883\,454\,292\,580\,700\,967\,262\,171\,955\,200\,z^{54}\,-$$

$$20\,980\,042\,521\,036\,195\,074\,546\,566\,352\,803\,310\,998\,379\,479\,227\,846\,413\,591\,368\,917\,525\,797\,496\,884\,077\,061\,082\,219\,282\,432\,z^{56}\,+$$

$$34\,173\,732\,839\,930\,924\,290\,901\,764\,185\,208\,141\,882\,260\,403\,006\,150\,649\,742\,222\,186\,570\,976\,282\,751\,153\,801\,101\,399\,660\,953\,600\,z^{58}\,-$$

$$16\,097\,627\,249\,809\,607\,251\,859\,430\,184\,675\,410\,293\,284\,490\,491\,855\,166\,875\,351\,302\,913\,615\,220\,339\,815\,196\,177\,553\,221\,178\,359\,808\,z^{60}\,+$$

$$1\,179\,368\,400\,623\,613\,291\,725\,281\,774\,959\,275\,905\,836\,598\,435\,250\,888\,351\,420\,214\,674\,581\,889\,194\,391\,910\,349\,249\,584\,004\,752\,998\,400\,z^{62}\Big)\,D_z^{51}\,+$$

$$\Big(2\,395\,660\,319\,290\,069\,280\,847\,030\,845\,195\,413\,945\,517\,551\,818\,619\,096\,810\,992\,695\,222\,633\,633\,044\,856\,832\,z^{49}\,-$$

$$2\,538\,462\,556\,062\,385\,526\,897\,113\,569\,792\,944\,047\,540\,066\,198\,127\,451\,723\,074\,954\,129\,604\,992\,603\,021\,213\,958\,144\,z^{51}\,+$$

$$109\,203\,001\,719\,894\,351\,600\,158\,631\,032\,548\,630\,961\,588\,330\,131\,838\,330\,448\,634\,580\,302\,640\,556\,619\,308\,154\,925\,088\,768\,z^{53}\,-$$

$$998\,626\,138\,334\,634\,171\,702\,206\,059\,377\,310\,386\,967\,469\,441\,878\,595\,928\,317\,598\,202\,404\,006\,778\,064\,567\,986\,872\,807\,063\,552\,z^{55}\,+$$

$$1\,767\,390\,022\,140\,405\,604\,956\,216\,914\,508\,385\,359\,686\,536\,224\,642\,617\,077\,768\,357\,632\,926\,749\,866\,196\,161\,186\,129\,882\,585\,759\,744\,z^{57}\,-$$

$$899\,670\,406\,405\,441\,297\,930\,968\,746\,863\,207\,085\,115\,805\,576\,120\,917\,015\,302\,489\,162\,816\,517\,823\,638\,694\,560\,322\,394\,401\,340\,915\,712\,z^{59}\,+$$

$$70\,884\,143\,714\,496\,296\,607\,100\,483\,616\,153\,655\,552\,920\,787\,950\,422\,088\,284\,597\,654\,411\,540\,049\,085\,602\,769\,713\,462\,897\,269\,329\,100\,800\,z^{61}\Big)\,D_z^{50}\,+$$

$$\Big(76\,191\,472\,299\,411\,478\,780\,688\,056\,886\,393\,945\,196\,028\,869\,904\,878\,748\,564\,365\,513\,569\,017\,820\,357\,707\,776\,z^{48}\,-$$

$$89\,883\,490\,528\,453\,525\,362\,107\,830\,618\,339\,467\,098\,809\,325\,315\,738\,772\,957\,493\,932\,999\,735\,068\,629\,576\,187\,904\,000\,z^{50}\,+$$

$$4\,269\,406\,435\,747\,425\,109\,520\,587\,427\,972\,363\,157\,048\,014\,685\,776\,888\,383\,202\,162\,951\,525\,310\,196\,455\,112\,166\,961\,315\,840\,z^{52}\,-$$

$$42\,794\,498\,541\,652\,616\,972\,560\,837\,881\,421\,121\,351\,153\,074\,647\,837\,281\,912\,601\,649\,926\,532\,642\,119\,655\,740\,407\,689\,217\,310\,720\,z^{54}\,+$$

$$82\,485\,828\,038\,620\,186\,900\,947\,870\,315\,853\,458\,869\,453\,462\,090\,085\,349\,999\,108\,308\,596\,527\,916\,326\,283\,518\,507\,301\,966\,092\,173\,312\,z^{56}\,-$$

$$45\,469\,739\,791\,422\,508\,687\,300\,137\,229\,761\,386\,506\,741\,090\,818\,576\,625\,905\,344\,051\,060\,289\,938\,154\,164\,756\,536\,972\,734\,419\,013\,992\,448\,z^{58}\,+$$

$$3\,859\,966\,222\,367\,300\,690\,574\,058\,025\,857\,618\,008\,287\,414\,231\,264\,873\,719\,691\,340\,555\,444\,115\,962\,888\,799\,253\,530\,367\,764\,175\,467\,315\,200\,z^{60}\Big)\,D_z^{49}\,+$$

$$\Big(2\,161\,972\,379\,689\,431\,719\,613\,454\,251\,730\,849\,558\,753\,838\,113\,858\,616\,552\,102\,309\,285\,595\,120\,847\,165\,707\,264\,z^{47}\,-$$

$$2\,849\,746\,419\,876\,172\,739\,535\,792\,411\,937\,715\,077\,976\,570\,845\,867\,459\,815\,164\,512\,691\,462\,875\,333\,566\,175\,953\,027\,072\,z^{49}\,+$$

$$149\,928\,865\,304\,188\,427\,931\,552\,945\,422\,495\,190\,762\,768\,744\,306\,788\,854\,998\,478\,238\,895\,274\,271\,733\,983\,667\,245\,165\,838\,336\,z^{51}\,-$$

$1\,651\,833\,187\,942\,937\,788\,090\,759\,144\,946\,681\,988\,517\,856\,121\,784\,560\,734\,537\,271\,884\,058\,750\,032\,384\,540\,536\,949\,590\,047\,326\,208\,z^{53}\,+$

$3\,476\,102\,500\,871\,289\,979\,538\,297\,094\,811\,868\,735\,667\,513\,887\,936\,016\,574\,522\,472\,537\,342\,043\,993\,243\,547\,433\,728\,479\,516\,463\,988\,736\,z^{55}\,-$

$2\,079\,624\,907\,314\,065\,481\,553\,061\,186\,395\,511\,422\,680\,734\,679\,324\,559\,081\,266\,879\,194\,400\,000\,306\,028\,991\,586\,215\,338\,862\,485\,866\,283\,008\,z^{57}\,+$

$190\,589\,492\,897\,806\,784\,613\,569\,405\,374\,356\,807\,998\,197\,805\,156\,259\,881\,572\,896\,893\,915\,390\,813\,589\,992\,989\,394\,371\,860\,421\,151\,608\,012\,800\,z^{59}\Big)\,D_z^{48}\,+$

$\Big(54\,713\,926\,767\,387\,875\,795\,263\,571\,735\,687\,634\,068\,933\,751\,133\,597\,409\,954\,784\,719\,489\,657\,668\,442\,769\,912\,480\,z^{46}\,-$

$80\,888\,949\,657\,211\,855\,471\,480\,145\,457\,114\,179\,060\,160\,486\,925\,239\,792\,585\,561\,691\,793\,290\,626\,966\,682\,244\,988\,321\,792\,z^{48}\,+$

$4\,729\,440\,033\,336\,892\,087\,196\,787\,354\,275\,013\,026\,484\,182\,428\,993\,665\,034\,526\,699\,287\,490\,348\,891\,525\,570\,230\,298\,351\,763\,456\,z^{50}\,-$

$57\,441\,916\,565\,577\,808\,353\,743\,096\,466\,732\,961\,254\,935\,672\,232\,957\,835\,403\,507\,486\,019\,111\,498\,137\,383\,551\,772\,509\,254\,386\,188\,288\,z^{52}\,+$

$132\,319\,003\,330\,958\,212\,258\,222\,706\,557\,706\,582\,915\,768\,376\,710\,256\,535\,794\,824\,863\,493\,992\,858\,928\,014\,468\,206\,552\,544\,321\,455\,783\,936\,z^{54}\,-$

$86\,113\,534\,568\,974\,485\,351\,790\,619\,498\,515\,467\,944\,614\,973\,971\,272\,020\,754\,567\,294\,704\,926\,760\,850\,867\,762\,525\,398\,002\,637\,697\,296\,891\,904\,z^{56}\,+$

$8\,537\,661\,393\,382\,630\,263\,887\,535\,382\,667\,864\,937\,287\,290\,268\,137\,525\,936\,898\,934\,191\,638\,129\,963\,772\,945\,187\,747\,834\,310\,507\,409\,650\,483\,200\,z^{58}\Big)\,D_z^{47}\,+$

$\Big(1\,234\,131\,432\,738\,785\,072\,950\,249\,581\,306\,451\,623\,165\,928\,446\,499\,235\,704\,158\,492\,787\,266\,554\,792\,276\,897\,529\,840\,z^{45}\,-$

$2\,054\,698\,616\,202\,472\,717\,219\,780\,389\,416\,113\,439\,055\,728\,092\,359\,381\,305\,456\,278\,613\,059\,678\,645\,618\,128\,681\,840\,893\,952\,z^{47}\,+$

$133\,983\,031\,666\,463\,666\,766\,026\,547\,532\,223\,724\,994\,509\,576\,827\,397\,634\,983\,048\,802\,569\,325\,422\,269\,802\,203\,033\,472\,290\,783\,232\,z^{49}\,-$

$1\,799\,534\,946\,765\,117\,269\,032\,202\,756\,739\,330\,724\,231\,040\,786\,104\,129\,344\,495\,267\,508\,428\,628\,272\,878\,874\,672\,194\,885\,932\,548\,096\,000\,z^{51}\,+$

$4\,550\,048\,670\,861\,093\,267\,961\,448\,759\,691\,700\,695\,566\,551\,778\,541\,942\,339\,740\,651\,816\,694\,757\,645\,805\,399\,076\,563\,267\,106\,215\,439\,630\,336\,z^{53}\,-$

$3\,229\,115\,494\,271\,176\,108\,783\,537\,956\,467\,134\,782\,034\,829\,854\,277\,561\,069\,278\,285\,131\,154\,536\,938\,517\,741\,878\,130\,646\,650\,811\,565\,048\,070\,144\,z^{55}\,+$

$347\,097\,619\,996\,394\,758\,589\,500\,451\,804\,817\,534\,557\,343\,400\,958\,757\,405\,022\,564\,669\,278\,404\,023\,999\,564\,293\,918\,313\,370\,342\,527\,606\,141\,747\,200\,z^{57}\Big)\,D_z^{46}\,+$

$\Big(24\,787\,058\,732\,262\,100\,887\,562\,089\,987\,367\,168\,563\,285\,413\,974\,113\,473\,197\,104\,693\,341\,679\,697\,765\,754\,406\,447\,600\,z^{44}\,-$

$46\,675\,078\,990\,444\,947\,667\,338\,982\,528\,772\,622\,329\,613\,415\,719\,675\,113\,331\,003\,898\,243\,828\,608\,055\,986\,638\,520\,002\,196\,480\,z^{46}\,+$

$3\,407\,260\,606\,497\,228\,120\,293\,452\,288\,528\,168\,021\,348\,296\,505\,863\,820\,387\,052\,062\,183\,724\,351\,422\,792\,852\,304\,268\,012\,239\,978\,496\,z^{48}\,-$

$50\,774\,064\,669\,181\,532\,686\,934\,009\,837\,706\,981\,627\,448\,319\,130\,468\,024\,114\,815\,309\,897\,313\,253\,522\,063\,974\,953\,237\,523\,665\,585\,700\,864\,z^{50}\,+$

$141\,326\,821\,420\,496\,576\,639\,279\,655\,641\,133\,166\,592\,742\,623\,024\,492\,011\,666\,431\,685\,172\,999\,921\,599\,509\,301\,163\,479\,914\,000\,444\,165\,193\,728\,z^{52}\,-$

$109\,655\,513\,769\,021\,112\,064\,480\,915\,263\,046\,127\,397\,764\,073\,820\,553\,720\,662\,645\,346\,793\,394\,534\,411\,397\,054\,668\,249\,713\,183\,184\,757\,328\,969\,728\,z^{54}\,+$

$12\,808\,429\,802\,557\,025\,741\,909\,797\,808\,273\,129\,805\,527\,821\,354\,181\,494\,954\,183\,461\,262\,956\,796\,102\,722\,680\,098\,230\,350\,275\,778\,477\,181\,999\,513\,600\,z^{56}\Big)\,D_z^{45}\,+$

$\Big(442\,736\,518\,668\,538\,128\,718\,813\,348\,215\,865\,183\,290\,692\,913\,350\,970\,215\,687\,260\,345\,226\,267\,435\,926\,438$

$$447\,581\,960\ z^{43}\ -$$

$$947\,296\,985\,711\,560\,197\,100\,483\,863\,388\,229\,565\,240\,837\,844\,292\,483\,849\,603\,580\,927\,013\,786\,506\,831\ \backslash$$
$$967\,418\,903\,556\,810\,240\ z^{45}\ +$$

$$77\,726\,576\,475\,051\,009\,536\,398\,238\,520\,939\,023\,359\,262\,283\,802\,998\,595\,861\,131\,994\,714\,781\,605\,955\,351\ \backslash$$
$$124\,905\,078\,359\,003\,889\,664\ z^{47}\ -$$

$$1\,289\,603\,222\,681\,381\,802\,315\,574\,740\,061\,036\,422\,450\,777\,379\,433\,490\,787\,745\,959\,137\,809\,815\,833\,438\ \backslash$$
$$066\,862\,278\,827\,518\,869\,217\,738\,752\ z^{49}\ +$$

$$3\,963\,737\,380\,181\,995\,819\,494\,230\,393\,698\,672\,035\,205\,761\,526\,039\,412\,950\,834\,795\,448\,815\,710\,948\,409\ \backslash$$
$$334\,329\,120\,713\,896\,095\,910\,373\,359\,616\ z^{51}\ -$$

$$3\,371\,570\,685\,704\,968\,131\,456\,776\,999\,357\,879\,348\,776\,596\,892\,768\,937\,900\,952\,981\,574\,600\,246\,052\,270\ \backslash$$
$$974\,530\,343\,828\,313\,041\,812\,046\,756\,184\,064\ z^{53}\ +$$

$$428\,988\,419\,034\,586\,402\,991\,432\,892\,613\,420\,892\,897\,199\,638\,479\,223\,720\,728\,463\,494\,222\,308\,284\,224\ \backslash$$
$$828\,942\,974\,925\,854\,054\,817\,202\,521\,610\,649\,600\ z^{55}\Big)\ D_z^{44}\ +$$

$$\Big(7\,021\,821\,100\,318\,923\,777\,653\,937\,656\,084\,158\,796\,210\,309\,369\,678\,756\,043\,296\,567\,232\,490\,899\,545\,750\ \backslash$$
$$788\,521\,562\,530\ z^{42}\ -$$

$$17\,156\,210\,243\,258\,193\,799\,921\,517\,635\,237\,109\,813\,100\,722\,605\,022\,997\,301\,763\,973\,852\,146\,008\,597\,454\ \backslash$$
$$824\,342\,752\,450\,356\,640\ z^{44}\ +$$

$$1\,589\,021\,032\,824\,264\,118\,052\,621\,604\,499\,855\,114\,036\,614\,232\,264\,055\,323\,281\,903\,770\,070\,189\,025\,412\ \backslash$$
$$078\,057\,938\,473\,789\,298\,974\,720\ z^{46}\ -$$

$$29\,463\,704\,775\,248\,115\,650\,930\,650\,363\,865\,661\,424\,517\,720\,584\,747\,279\,302\,476\,797\,275\,620\,937\,864\,720\ \backslash$$
$$090\,396\,129\,436\,422\,967\,293\,640\,704\ z^{48}\ +$$

$$100\,328\,125\,349\,925\,147\,100\,655\,294\,225\,584\,984\,195\,027\,728\,985\,996\,618\,211\,943\,141\,536\,258\,908\,082\ \backslash$$
$$578\,124\,168\,757\,240\,859\,375\,674\,700\,333\,056\ z^{50}\ -$$

$$93\,825\,998\,182\,225\,585\,395\,551\,797\,606\,614\,858\,707\,590\,609\,765\,619\,066\,203\,781\,745\,410\,739\,850\,717\,602\ \backslash$$
$$194\,160\,893\,123\,960\,504\,684\,110\,147\,485\,696\ z^{52}\ +$$

$$13\,037\,456\,268\,475\,984\,454\,126\,426\,415\,162\,442\,916\,687\,503\,045\,221\,558\,347\,088\,377\,257\,661\,482\,174\,764\ \backslash$$
$$511\,721\,123\,885\,012\,590\,782\,686\,770\,180\,915\,200\ z^{54}\Big)\ D_z^{43}\ +$$

$$\Big(98\,703\,468\,815\,382\,911\,006\,983\,219\,803\,774\,684\,904\,565\,559\,261\,207\,897\,892\,334\,865\,996\,291\,070\,573\,450\ \backslash$$
$$277\,024\,428\,275\ z^{41}\ -$$

$$276\,848\,715\,286\,086\,514\,087\,235\,017\,620\,565\,433\,556\,921\,156\,425\,629\,090\,454\,365\,143\,763\,384\,185\,205\ \backslash$$
$$597\,722\,898\,292\,550\,764\,880\ z^{43}\ +$$

$$29\,078\,132\,192\,792\,042\,487\,396\,801\,405\,179\,783\,738\,658\,734\,396\,828\,171\,437\,139\,212\,647\,793\,365\,391\,261\ \backslash$$
$$692\,805\,449\,114\,901\,570\,990\,080\ z^{45}\ -$$

$$604\,954\,782\,618\,447\,590\,518\,755\,144\,342\,847\,509\,059\,694\,032\,590\,386\,643\,958\,875\,903\,146\,271\,483\,280\ \backslash$$
$$496\,302\,082\,770\,252\,892\,737\,309\,245\,440\ z^{47}\ +$$

$$2\,290\,096\,958\,351\,030\,117\,907\,238\,106\,674\,375\,509\,814\,917\,057\,594\,144\,165\,438\,725\,109\,173\,875\,527\,870\ \backslash$$
$$903\,124\,762\,320\,671\,916\,025\,550\,368\,407\,552\ z^{49}\ -$$

$$2\,361\,855\,383\,411\,455\,854\,331\,776\,097\,139\,482\,006\,124\,021\,649\,923\,740\,578\,629\,956\,745\,240\,576\,021\,746\ \backslash$$
$$720\,904\,132\,350\,063\,394\,299\,997\,499\,256\,995\,840\ z^{51}\ +$$

$$359\,377\,206\,597\,605\,023\,424\,032\,585\,751\,678\,461\,892\,388\,959\,265\,029\,422\,057\,625\,768\,352\,086\,718\,786\ \backslash$$
$$392\,772\,795\,418\,195\,935\,826\,127\,657\,786\,513\,817\,600\ z^{53}\Big)\ D_z^{42}\ +$$

$$\Big(1\,227\,011\,924\,620\,953\,045\,656\,418\,184\,035\,972\,913\,883\,149\,058\,707\,469\,759\,759\,479\,762\,934\,821\,233\,464\ \backslash$$
$$134\,980\,535\,124\,100\ z^{40}\ -$$

$$3\,973\,560\,845\,848\,513\,472\,067\,181\,486\,510\,108\,985\,075\,140\,477\,166\,648\,854\,998\,841\,308\,165\,825\,009\,862\ \backslash$$
$$528\,970\,964\,493\,833\,033\,000\ z^{42}\ +$$

$$475\,611\,759\,051\,685\,056\,919\,445\,896\,668\,147\,227\,359\,573\,504\,617\,568\,322\,887\,415\,760\,668\,021\,350\,933\ \backslash$$
$$103\,657\,409\,198\,614\,622\,221\,844\,480\ z^{44}\ -$$

$$11\,149\,412\,370\,292\,625\,125\,228\,546\,811\,302\,784\,882\,571\,402\,082\,993\,699\,228\,075\,041\,850\,373\,178\,839\,259\ \backslash$$
$$600\,867\,328\,778\,408\,038\,943\,661\,490\,176\ z^{46}\ +$$

$$47\,096\,027\,493\,242\,942\,059\,264\,034\,282\,217\,717\,852\,598\,988\,919\,295\,583\,502\,119\,302\,122\,748\,665\,582\,201\ \backslash$$
$$930\,335\,433\,191\,317\,504\,463\,066\,193\,985\,536\ z^{48}\ -$$

53 738 956 787 753 788 921 421 084 237 494 833 728 127 199 602 214 541 121 120 843 352 347 273 994 235 ⸜
393 655 208 168 166 036 192 268 386 555 658 240 z^{50} +

8 979 519 879 307 089 553 815 931 367 591 452 031 024 993 351 729 965 688 605 646 327 965 821 256 717 ⸜
539 503 859 402 081 866 039 519 092 184 344 166 400 z^{52}) D_z^{41} +

(13 455 754 727 309 664 097 312 369 282 170 690 639 995 666 760 485 539 457 916 333 241 336 709 593 159 ⸜
640 819 015 684 400 z^{39} −

50 621 733 344 408 358 250 402 882 001 404 661 457 341 952 967 848 508 273 885 819 993 183 518 550 299 ⸜
074 202 448 830 482 029 860 z^{41} +

6 941 425 835 614 641 215 997 653 925 537 462 767 743 581 806 957 140 929 179 656 931 707 075 966 469 ⸜
736 171 803 514 022 704 399 052 800 z^{43} −

184 189 016 121 375 509 470 811 467 378 850 723 107 550 371 419 646 557 093 553 400 676 313 896 511 ⸜
120 017 495 908 812 446 220 895 483 068 416 z^{45} +

871 583 376 871 970 867 138 375 375 408 461 313 236 487 053 698 570 645 111 450 446 219 362 173 678 ⸜
337 533 115 056 063 992 742 091 140 611 702 784 z^{47} −

1 104 114 225 829 995 935 524 887 339 918 255 742 784 737 169 040 646 487 472 827 520 912 211 155 147 ⸜
165 735 765 385 063 488 666 975 417 444 209 786 880 z^{49} +

203 215 758 122 921 008 631 282 607 479 825 130 242 908 842 525 390 220 016 117 554 620 767 273 542 ⸜
159 057 304 825 603 231 736 726 259 981 621 395 456 000 z^{51}) D_z^{40} +

(129 796 639 224 437 584 973 546 812 381 448 424 404 946 371 135 287 294 103 879 778 802 012 832 156 150 ⸜
426 987 655 129 300 z^{38} −

571 063 072 849 313 050 540 793 497 334 122 836 666 043 036 194 626 954 014 716 465 131 888 275 689 ⸜
340 780 116 356 816 065 909 920 z^{40} +

90 219 270 357 483 323 533 344 915 325 918 261 162 933 703 757 555 953 667 263 110 946 156 578 905 434 ⸜
399 209 496 223 175 340 703 498 240 z^{42} −

2 722 978 535 331 587 157 846 628 667 614 340 390 717 187 747 061 622 994 577 768 507 765 671 109 665 ⸜
392 270 652 563 544 817 872 205 496 451 072 z^{44} +

14 495 394 668 887 030 607 036 247 171 568 998 715 472 097 765 115 910 308 566 205 192 047 044 097 072 ⸜
923 052 626 047 904 399 924 719 623 056 916 480 z^{46} −

20 460 956 631 289 333 220 465 913 646 868 784 824 790 714 949 664 255 102 048 770 976 128 821 261 030 ⸜
543 637 881 058 387 967 692 833 918 411 016 765 440 z^{48} +

4 161 422 731 308 550 812 966 788 115 974 022 092 739 004 949 905 736 868 531 681 554 275 279 302 230 ⸜
503 291 465 108 510 681 106 411 962 931 940 950 016 000 z^{50}) D_z^{39} +

(1 097 741 271 108 056 103 912 012 794 324 231 503 089 146 489 252 863 365 308 453 372 234 811 099 012 ⸜
283 203 409 737 678 600 z^{37} −

5 689 172 560 543 267 467 725 649 721 626 125 920 600 610 257 072 779 041 910 461 997 740 428 401 740 ⸜
042 851 173 294 888 378 573 360 z^{39} +

1 041 901 056 969 322 951 940 586 912 713 004 741 072 073 420 232 200 860 233 255 195 143 715 809 127 ⸜
137 166 714 607 786 648 430 718 668 800 z^{41} −

35 956 055 377 524 282 873 235 914 590 261 049 980 748 579 112 165 074 899 503 766 208 221 705 259 571 ⸜
401 790 326 921 040 764 463 312 328 196 096 z^{43} +

216 298 717 759 076 629 716 950 345 076 687 966 099 629 751 722 728 103 602 479 887 299 823 973 968 ⸜
454 757 550 691 343 108 638 949 964 584 247 623 680 z^{45} −

341 536 096 346 398 110 061 705 263 670 583 013 036 451 014 148 637 434 560 762 840 223 924 276 246 ⸜
042 912 995 437 948 563 858 570 266 821 500 505 948 160 z^{47} +

77 020 350 751 477 203 426 096 997 052 994 129 339 566 731 042 604 337 917 192 485 677 832 817 124 238 ⸜
000 670 675 777 692 308 745 668 793 306 020 052 992 000 z^{49}) D_z^{38} +

(8 109 978 794 937 585 036 931 504 507 812 950 273 264 982 933 286 803 165 367 792 732 622 600 081 553 ⸜
162 663 139 248 060 000 z^{36} −

49 900 781 759 033 741 938 986 132 983 995 671 013 694 635 774 714 749 384 892 650 278 056 133 249 092 ⸜
259 405 529 752 305 623 847 440 z^{38} +

10 664 046 045 416 746 981 847 031 706 811 914 881 518 965 298 163 837 113 848 419 498 710 999 894 281 ⸜

$522\,580\,536\,584\,780\,352\,437\,714\,585\,600\,z^{40}\,-$

$423\,167\,887\,139\,405\,065\,673\,085\,802\,430\,736\,063\,229\,842\,754\,904\,301\,936\,653\,842\,902\,214\,098\,767\,901\,\backslash$
$434\,249\,176\,044\,922\,630\,305\,609\,344\,921\,370\,624\,z^{42}\,+$

$2\,890\,593\,899\,231\,921\,128\,830\,834\,809\,242\,377\,381\,830\,757\,936\,809\,743\,068\,825\,273\,440\,143\,756\,690\,611\,\backslash$
$488\,557\,183\,949\,119\,724\,822\,693\,051\,103\,770\,050\,560\,z^{44}\,-$

$5\,127\,055\,062\,224\,947\,102\,616\,987\,957\,899\,730\,660\,697\,058\,908\,589\,446\,567\,418\,142\,851\,540\,947\,842\,152\,\backslash$
$536\,171\,611\,995\,790\,120\,651\,565\,616\,247\,947\,552\,358\,400\,z^{46}\,+$

$1\,286\,665\,980\,019\,665\,702\,127\,113\,657\,321\,735\,471\,207\,158\,801\,451\,889\,462\,638\,328\,823\,488\,513\,413\,246\,\backslash$
$933\,197\,081\,594\,751\,647\,332\,012\,951\,916\,994\,097\,053\,696\,000\,z^{48}\Big)\,D_z^{37}\,+$

$\Big(52\,122\,295\,885\,306\,996\,704\,879\,556\,124\,087\,658\,178\,674\,119\,293\,373\,707\,843\,527\,431\,369\,975\,142\,612\,864\,\backslash$
$725\,534\,103\,920\,661\,000\,z^{35}\,-$

$384\,032\,723\,179\,817\,694\,764\,094\,427\,831\,061\,760\,819\,946\,177\,376\,062\,817\,062\,752\,650\,739\,867\,686\,396\,\backslash$
$675\,928\,036\,713\,681\,622\,778\,131\,600\,z^{37}\,+$

$96\,457\,943\,809\,625\,087\,538\,088\,648\,828\,892\,897\,456\,937\,506\,110\,988\,541\,070\,177\,662\,641\,410\,816\,239\,756\,\backslash$
$286\,640\,284\,065\,179\,810\,820\,310\,732\,800\,z^{39}\,-$

$4\,428\,040\,706\,975\,208\,618\,760\,949\,508\,059\,426\,268\,969\,422\,289\,623\,251\,689\,525\,788\,894\,217\,818\,171\,433\,\backslash$
$782\,209\,267\,404\,526\,637\,116\,356\,949\,801\,697\,280\,z^{41}\,+$

$34\,524\,768\,644\,651\,670\,938\,915\,660\,576\,919\,948\,835\,803\,361\,597\,748\,647\,815\,504\,567\,515\,211\,951\,874\,642\,\backslash$
$466\,131\,956\,876\,577\,501\,413\,562\,086\,980\,667\,310\,080\,z^{43}\,-$

$69\,095\,295\,885\,190\,941\,478\,346\,026\,520\,618\,067\,928\,998\,978\,404\,651\,638\,434\,914\,418\,114\,571\,432\,012\,200\,\backslash$
$452\,549\,465\,807\,795\,729\,581\,717\,900\,094\,012\,286\,566\,400\,z^{45}\,+$

$19\,371\,169\,820\,997\,653\,270\,650\,863\,630\,135\,924\,320\,426\,114\,897\,177\,415\,650\,322\,437\,658\,969\,914\,566\,221\,\backslash$
$124\,862\,796\,741\,454\,770\,282\,392\,057\,472\,209\,381\,228\,544\,000\,z^{47}\Big)\,D_z^{36}\,+$

$\Big(290\,061\,039\,384\,179\,316\,835\,864\,753\,485\,538\,582\,467\,848\,055\,687\,251\,821\,523\,084\,252\,299\,787\,736\,958\,411\,\backslash$
$276\,495\,340\,288\,730\,000\,z^{34}\,-$

$2\,583\,209\,427\,280\,155\,917\,808\,422\,725\,340\,755\,745\,893\,510\,195\,839\,055\,087\,343\,826\,334\,341\,565\,836\,072\,\backslash$
$029\,287\,109\,896\,393\,882\,578\,124\,800\,z^{36}\,+$

$768\,555\,569\,923\,402\,820\,511\,836\,878\,379\,727\,537\,920\,474\,054\,789\,705\,786\,105\,496\,615\,244\,735\,311\,966\,\backslash$
$970\,119\,971\,983\,082\,583\,555\,571\,057\,459\,200\,z^{38}\,-$

$41\,085\,205\,831\,396\,586\,410\,512\,245\,467\,712\,941\,428\,395\,603\,936\,652\,736\,100\,598\,310\,100\,477\,576\,229\,871\,\backslash$
$432\,551\,805\,937\,653\,054\,254\,176\,483\,742\,842\,880\,z^{40}\,+$

$367\,684\,046\,871\,156\,546\,767\,405\,395\,363\,950\,201\,934\,944\,350\,357\,780\,872\,757\,025\,090\,908\,351\,070\,084\,\backslash$
$860\,101\,862\,486\,826\,092\,382\,150\,062\,480\,905\,753\,067\,520\,z^{42}\,-$

$834\,272\,885\,098\,878\,820\,313\,896\,459\,256\,753\,230\,381\,128\,690\,616\,093\,603\,306\,458\,863\,535\,946\,420\,436\,\backslash$
$568\,427\,260\,793\,714\,565\,498\,816\,738\,199\,396\,030\,401\,740\,800\,z^{44}\,+$

$262\,373\,786\,991\,611\,938\,262\,162\,431\,976\,597\,264\,318\,004\,266\,808\,894\,251\,727\,982\,000\,556\,374\,616\,548\,\backslash$
$255\,267\,669\,819\,947\,953\,242\,807\,002\,312\,921\,152\,288\,194\,560\,000\,z^{46}\Big)\,D_z^{35}\,+$

$\Big(1\,390\,419\,758\,920\,943\,246\,926\,358\,864\,789\,270\,604\,014\,637\,853\,750\,919\,840\,457\,686\,701\,405\,735\,863\,048\,\backslash$
$653\,990\,432\,227\,946\,364\,000\,z^{33}\,-$

$15\,121\,988\,288\,298\,591\,081\,083\,471\,888\,432\,934\,978\,612\,193\,652\,903\,990\,368\,917\,689\,638\,271\,153\,044\,674\,\backslash$
$720\,927\,425\,486\,794\,582\,852\,377\,600\,z^{35}\,+$

$5\,374\,889\,813\,059\,062\,748\,159\,116\,532\,218\,835\,519\,911\,500\,596\,627\,451\,252\,958\,853\,076\,784\,593\,449\,611\,\backslash$
$429\,154\,269\,499\,060\,963\,614\,545\,961\,984\,000\,z^{37}\,-$

$336\,986\,122\,123\,124\,166\,290\,080\,276\,503\,148\,040\,947\,436\,846\,564\,629\,685\,179\,827\,874\,855\,578\,421\,080\,\backslash$
$149\,416\,259\,489\,782\,747\,746\,250\,367\,596\,741\,263\,360\,z^{39}\,+$

$3\,482\,486\,885\,061\,805\,751\,999\,806\,928\,945\,717\,900\,098\,092\,534\,431\,762\,514\,640\,714\,017\,910\,438\,934\,532\,\backslash$
$419\,320\,877\,388\,759\,654\,241\,843\,780\,305\,419\,658\,854\,400\,z^{41}\,-$

$9\,004\,768\,116\,086\,399\,017\,719\,869\,706\,940\,252\,545\,844\,200\,179\,383\,817\,278\,435\,194\,111\,561\,128\,570\,759\,\backslash$
$255\,561\,988\,076\,996\,583\,854\,026\,244\,081\,709\,207\,676\,518\,400\,z^{43}\,+$

$3\,190\,888\,467\,655\,077\,268\,232\,769\,402\,068\,861\,883\,949\,388\,747\,239\,417\,281\,413\,912\,977\,310\,612\,725\,624\,\backslash$
$392\,295\,198\,881\,298\,910\,434\,143\,794\,661\,695\,371\,880\,693\,760\,000\,z^{45}\Big)\,D_z^{34}\,+$

$\big($5 707 430 073 707 160 830 033 565 887 288 117 220 229 528 277 595 708 009 832 288 934 584 462 927 765 ‿
664 234 574 837 831 252 000 z^{32} −

76 669 091 971 804 676 541 350 001 169 978 631 464 619 351 417 811 069 113 081 057 880 975 544 188 038 ‿
708 778 979 450 476 155 593 372 800 z^{34} +

32 860 560 402 003 894 305 329 576 239 367 133 854 412 334 545 151 733 854 492 264 395 671 586 103 636 ‿
269 841 684 549 557 961 212 996 327 424 000 z^{36} −

2 435 104 833 728 810 415 639 668 522 648 218 762 858 128 694 201 501 501 344 253 562 708 419 162 282 ‿
037 971 478 812 327 502 412 152 201 741 630 177 280 z^{38} +

29 249 371 049 261 685 456 542 473 156 648 700 118 578 737 061 839 954 965 267 975 777 367 804 542 806 ‿
553 066 716 926 256 285 580 097 071 263 548 597 862 400 z^{40} −

86 667 380 321 842 276 397 778 888 432 676 150 891 146 440 265 505 566 255 447 943 045 946 099 024 617 ‿
921 904 066 248 579 952 502 366 470 182 122 827 651 481 600 z^{42} +

34 768 255 350 562 416 278 670 824 553 463 725 056 516 607 536 277 186 845 232 853 684 334 356 877 333 ‿
862 633 686 417 077 942 505 592 883 369 952 416 597 278 720 000 $z^{44}\big)$ D_z^{33} +

$\big($19 929 717 787 389 356 830 391 901 377 521 285 144 945 930 971 365 693 502 408 271 869 059 988 756 112 ‿
180 621 120 453 200 300 000 z^{31} −

334 848 048 214 399 049 463 053 639 288 732 893 873 158 551 413 579 725 521 223 886 398 429 501 672 ‿
936 724 735 934 251 197 291 280 195 200 z^{33} +

174 841 372 226 378 029 023 317 647 763 612 104 818 207 236 572 480 169 098 072 075 956 977 957 074 ‿
567 051 889 442 065 512 624 161 929 920 512 000 z^{35} −

15 444 109 168 652 022 478 140 446 017 065 449 865 383 510 145 397 179 236 502 307 685 152 675 707 578 ‿
263 121 569 153 499 699 575 396 079 945 090 334 720 z^{37} +

217 148 944 585 615 101 717 276 065 431 773 302 780 907 920 068 709 170 169 034 430 725 593 917 369 ‿
487 197 062 866 060 332 023 892 328 749 579 362 946 252 800 z^{39} −

741 739 274 935 102 904 149 802 958 447 243 331 875 748 003 269 774 569 065 122 702 654 439 044 047 ‿
751 475 619 903 977 510 592 001 366 988 186 677 034 352 640 000 z^{41} +

338 596 510 193 617 825 907 731 968 640 459 647 899 106 117 926 183 672 174 516 576 186 864 690 602 ‿
416 578 770 449 458 765 309 042 681 406 562 959 031 334 338 560 000 $z^{43}\big)$ D_z^{32} +

$\big($58 760 934 325 026 741 905 229 352 896 749 376 054 634 264 886 660 376 270 264 942 332 770 456 907 595 ‿
606 278 228 164 694 280 000 z^{30} −

1 252 166 405 035 984 947 421 841 923 550 100 900 271 338 575 556 320 574 485 392 599 249 327 268 074 ‿
111 789 720 127 135 571 861 089 920 000 z^{32} +

805 573 422 560 166 503 364 922 398 989 952 120 805 914 416 603 375 281 021 243 598 569 573 176 068 ‿
049 776 956 757 004 367 735 061 269 831 680 000 z^{34} −

85 610 048 852 244 413 574 316 695 037 373 023 334 492 294 768 579 829 533 129 375 537 336 117 660 964 ‿
561 707 020 211 285 244 640 924 948 006 699 008 000 z^{36} +

1 419 913 519 443 453 685 526 805 453 606 121 290 293 602 715 402 572 893 708 490 033 817 653 000 997 ‿
473 566 018 483 893 184 651 041 481 638 084 392 412 774 400 z^{38} −

5 627 593 140 453 910 641 244 727 358 493 998 721 631 973 359 078 475 126 405 686 859 011 082 589 711 ‿
029 844 006 951 610 022 168 721 727 104 452 863 931 187 200 000 z^{40} +

2 939 308 970 966 127 792 203 852 829 813 182 147 194 994 066 302 121 031 600 335 942 537 693 697 029 ‿
185 099 237 309 222 633 567 302 299 310 075 751 309 969 981 440 000 $z^{42}\big)$ D_z^{31} +

$\big($145 057 540 591 466 193 905 578 869 505 793 156 870 051 290 886 749 099 488 196 914 443 010 330 214 237 ‿
205 699 507 302 107 240 000 z^{29} −

3 982 092 242 909 235 738 952 013 134 633 513 057 694 323 211 657 763 896 747 652 148 647 440 127 906 ‿
409 037 617 927 854 515 534 104 704 000 z^{31} +

3 196 189 783 915 694 616 702 348 688 592 585 551 559 490 011 157 792 349 147 006 000 921 871 198 612 ‿
643 696 809 048 477 003 559 067 492 712 448 000 z^{33} −

412 834 989 963 336 144 226 496 589 144 332 425 956 193 434 822 646 071 246 838 908 068 925 989 497 ‿
165 200 506 249 432 701 167 565 988 090 722 910 208 000 z^{35} +

8 145 343 175 308 063 337 477 615 735 580 852 461 265 430 433 428 597 979 388 943 900 958 245 571 983 ‿

$$426\,480\,582\,516\,579\,516\,492\,156\,672\,366\,909\,729\,642\,905\,600\ z^{37}\,-$$

$$37\,721\,667\,874\,750\,700\,936\,094\,636\,385\,910\,574\,977\,438\,123\,947\,983\,324\,903\,799\,629\,113\,093\,627\,364\,050$$
$$590\,911\,259\,858\,851\,804\,659\,640\,268\,413\,739\,522\,704\,015\,360\,000\ z^{39}\,+$$

$$22\,676\,878\,471\,316\,604\,876\,245\,766\,949\,186\,559\,754\,081\,952\,496\,311\,643\,530\,108\,928\,626\,480\,539\,774\,755$$
$$880\,225\,223\,806\,961\,443\,976\,177\,228\,465\,845\,546\,617\,143\,296\,000\,000\ z^{41}\Big)\ D_z^{30}\,+$$

$$\Big(296\,960\,240\,678\,971\,624\,685\,612\,364\,144\,090\,367\,704\,706\,055\,498\,793\,866\,494\,934\,589\,682\,503\,813\,156\,882$$
$$842\,947\,579\,311\,982\,560\,000\ z^{28}\,-$$

$$10\,687\,426\,303\,817\,155\,126\,690\,687\,101\,153\,156\,763\,602\,811\,021\,368\,013\,827\,340\,616\,260\,374\,867\,813\,380$$
$$899\,428\,984\,881\,443\,057\,399\,488\,768\,000\ z^{30}\,+$$

$$10\,852\,119\,316\,124\,252\,095\,169\,641\,615\,718\,193\,938\,998\,123\,146\,370\,296\,200\,589\,576\,791\,281\,934\,657\,772$$
$$688\,255\,038\,524\,785\,606\,650\,764\,219\,203\,584\,000\ z^{32}\,-$$

$$1\,722\,911\,125\,913\,509\,299\,915\,657\,802\,426\,660\,217\,940\,715\,948\,766\,581\,339\,767\,565\,075\,151\,105\,702\,591$$
$$681\,023\,870\,510\,133\,650\,991\,571\,319\,915\,278\,237\,696\,000\ z^{34}\,+$$

$$40\,812\,549\,896\,479\,770\,505\,780\,729\,251\,818\,700\,026\,941\,170\,795\,587\,062\,321\,964\,948\,728\,877\,558\,649\,560$$
$$618\,522\,268\,415\,644\,013\,930\,448\,063\,930\,485\,167\,882\,240\,000\ z^{36}\,-$$

$$222\,546\,302\,886\,822\,330\,602\,480\,731\,755\,612\,110\,150\,775\,219\,338\,295\,121\,304\,126\,907\,016\,736\,445\,327$$
$$604\,493\,662\,169\,696\,074\,520\,420\,947\,304\,693\,461\,024\,977\,715\,200\,000\ z^{38}\,+$$

$$154\,979\,684\,311\,643\,521\,151\,962\,403\,092\,311\,569\,862\,118\,872\,010\,298\,379\,444\,798\,129\,286\,401\,127\,472$$
$$136\,383\,505\,360\,289\,089\,944\,041\,968\,849\,852\,956\,726\,022\,635\,520\,000\,000\ z^{40}\Big)\ D_z^{29}\,+$$

$$\Big(498\,680\,409\,984\,158\,171\,464\,942\,828\,927\,491\,716\,040\,519\,409\,414\,169\,783\,628\,189\,126\,060\,987\,954\,245\,269$$
$$393\,050\,135\,344\,436\,000\,000\ z^{27}\,-$$

$$23\,999\,147\,896\,551\,753\,540\,928\,556\,125\,082\,561\,589\,915\,223\,555\,114\,646\,546\,891\,095\,466\,263\,480\,639\,710$$
$$554\,017\,139\,011\,759\,587\,836\,385\,024\,000\ z^{29}\,+$$

$$31\,312\,070\,056\,367\,158\,957\,007\,335\,487\,641\,226\,670\,266\,367\,757\,783\,907\,111\,618\,819\,522\,737\,221\,764\,252$$
$$735\,561\,865\,616\,475\,792\,763\,140\,301\,127\,680\,000\ z^{31}\,-$$

$$6\,186\,869\,759\,523\,482\,764\,524\,430\,813\,740\,868\,106\,982\,590\,955\,311\,919\,802\,516\,001\,107\,796\,749\,544\,296$$
$$227\,782\,648\,116\,813\,272\,952\,628\,413\,415\,615\,889\,408\,000\ z^{33}\,+$$

$$177\,746\,057\,670\,309\,707\,118\,795\,126\,302\,694\,594\,100\,832\,419\,607\,860\,592\,954\,248\,553\,187\,485\,352\,770$$
$$595\,557\,875\,780\,412\,877\,063\,530\,785\,897\,369\,289\,820\,733\,440\,000\ z^{35}\,-$$

$$1\,150\,807\,560\,968\,925\,983\,265\,756\,002\,009\,375\,601\,115\,483\,332\,318\,599\,672\,057\,617\,019\,782\,469\,328\,385$$
$$040\,552\,163\,308\,691\,755\,554\,355\,962\,410\,385\,816\,647\,012\,188\,160\,000\ z^{37}\,+$$

$$934\,869\,610\,976\,506\,152\,841\,167\,042\,230\,098\,245\,967\,101\,625\,943\,639\,302\,155\,957\,842\,305\,031\,715\,753$$
$$423\,481\,022\,697\,010\,533\,756\,380\,741\,740\,475\,681\,369\,273\,401\,344\,000\,000\ z^{39}\Big)\ D_z^{28}\,+$$

$$\Big(678\,389\,265\,944\,373\,416\,314\,158\,598\,120\,133\,916\,899\,350\,998\,274\,808\,514\,780\,846\,932\,002\,920\,832\,809\,643$$
$$649\,498\,425\,642\,862\,400\,000\ z^{26}\,-$$

$$44\,650\,500\,024\,519\,238\,585\,425\,887\,916\,552\,924\,428\,300\,581\,874\,905\,085\,437\,400\,681\,931\,279\,709\,273\,060$$
$$943\,961\,356\,239\,226\,983\,790\,739\,456\,000\ z^{28}\,+$$

$$76\,174\,247\,315\,913\,580\,535\,880\,066\,069\,920\,127\,833\,234\,207\,652\,238\,606\,810\,375\,227\,989\,283\,386\,254\,364$$
$$515\,168\,332\,221\,658\,940\,869\,826\,615\,050\,240\,000\ z^{30}\,-$$

$$18\,993\,074\,373\,185\,880\,103\,644\,936\,168\,654\,901\,157\,956\,441\,987\,297\,393\,033\,054\,017\,516\,541\,514\,103\,426$$
$$914\,151\,785\,670\,710\,757\,257\,596\,827\,607\,416\,963\,072\,000\ z^{32}\,+$$

$$669\,235\,564\,512\,646\,063\,083\,306\,575\,292\,250\,363\,378\,772\,004\,549\,239\,263\,507\,317\,596\,325\,164\,904\,780$$
$$110\,981\,678\,422\,483\,327\,323\,373\,995\,233\,699\,931\,283\,783\,680\,000\ z^{34}\,-$$

$$5\,192\,026\,386\,179\,290\,842\,716\,940\,295\,767\,413\,632\,312\,637\,037\,706\,241\,291\,879\,220\,913\,715\,610\,580\,509$$
$$264\,382\,129\,310\,603\,092\,800\,386\,885\,266\,646\,521\,541\,705\,072\,640\,000\ z^{36}\,+$$

$$4\,957\,711\,611\,825\,359\,213\,134\,394\,184\,939\,323\,202\,195\,560\,081\,969\,144\,278\,174\,400\,266\,090\,652\,308\,954$$
$$355\,690\,103\,351\,544\,125\,011\,046\,839\,600\,013\,586\,737\,817\,190\,400\,000\,000\ z^{38}\Big)\ D_z^{27}\,+$$

$$\Big(736\,889\,012\,191\,029\,298\,542\,711\,118\,815\,088\,392\,282\,804\,717\,676\,979\,933\,165\,174\,638\,341\,460\,092\,620\,590$$
$$582\,918\,102\,226\,740\,800\,000\ z^{25}\,-$$

$$68\,064\,499\,223\,541\,864\,056\,513\,767\,632\,843\,941\,759\,992\,165\,976\,676\,926\,012\,171\,422\,145\,798\,202\,233\,261$$
$$969\,136\,963\,313\,982\,332\,644\,433\,920\,000\ z^{27}\,+$$

$154\,864\,142\,805\,463\,225\,653\,040\,840\,472\,114\,406\,865\,777\,642\,110\,410\,504\,752\,161\,215\,879\,868\,749\,978\,714\,619\,334\,308\,656\,136\,968\,698\,578\,439\,372\,800\,000\,z^{29} -$

$49\,487\,501\,508\,136\,487\,001\,394\,098\,747\,063\,581\,376\,185\,833\,875\,222\,309\,089\,997\,227\,374\,937\,348\,983\,723\,059\,519\,817\,325\,771\,088\,890\,901\,027\,231\,513\,968\,640\,000\,z^{31} +$

$2\,165\,294\,450\,011\,693\,849\,744\,834\,469\,354\,098\,783\,082\,221\,577\,425\,843\,944\,150\,478\,602\,708\,454\,172\,997\,824\,321\,979\,769\,230\,706\,657\,216\,675\,127\,710\,420\,555\,530\,240\,000\,z^{33} -$

$20\,333\,234\,687\,328\,443\,975\,774\,510\,935\,114\,680\,317\,591\,020\,813\,497\,502\,747\,605\,269\,021\,872\,251\,641\,200\,358\,569\,413\,122\,629\,349\,721\,938\,367\,316\,516\,219\,810\,102\,640\,640\,000\,z^{35} +$

$23\,012\,011\,803\,081\,676\,018\,110\,099\,319\,422\,323\,381\,056\,390\,837\,638\,497\,580\,911\,718\,488\,737\,433\,889\,653\,911\,730\,295\,551\,826\,370\,650\,385\,801\,955\,186\,389\,109\,308\,391\,424\,000\,000\,z^{37}\Big)\,D_z^{26} +$

$\Big(628\,511\,116\,282\,630\,283\,865\,570\,261\,764\,423\,597\,624\,148\,230\,674\,460\,603\,977\,609\,500\,128\,168\,941\,913\,403\,131\,727\,914\,895\,014\,400\,000\,z^{24} -$

$83\,932\,781\,991\,326\,019\,888\,574\,248\,128\,828\,263\,383\,639\,857\,721\,866\,476\,032\,786\,677\,963\,491\,566\,437\,819\,315\,231\,752\,610\,932\,102\,617\,630\,720\,000\,z^{26} +$

$260\,481\,144\,002\,965\,419\,484\,313\,357\,624\,640\,804\,989\,587\,819\,463\,672\,307\,927\,619\,102\,986\,158\,254\,401\,848\,780\,500\,851\,519\,223\,635\,184\,553\,267\,036\,160\,000\,z^{28} -$

$108\,554\,007\,483\,804\,445\,572\,122\,220\,097\,928\,444\,454\,084\,646\,594\,087\,928\,199\,856\,992\,016\,682\,047\,084\,164\,843\,612\,911\,358\,422\,850\,232\,379\,332\,192\,622\,346\,240\,000\,z^{30} +$

$5\,979\,964\,732\,794\,702\,954\,835\,048\,967\,262\,988\,115\,534\,120\,271\,553\,309\,374\,764\,547\,791\,351\,143\,047\,280\,025\,452\,029\,761\,741\,649\,420\,156\,911\,679\,678\,529\,992\,130\,560\,000\,z^{32} -$

$68\,730\,931\,581\,514\,893\,219\,536\,793\,852\,889\,832\,599\,804\,104\,902\,888\,372\,771\,907\,750\,156\,561\,410\,195\,545\,299\,563\,964\,324\,908\,142\,995\,998\,860\,030\,320\,695\,345\,183\,457\,280\,000\,z^{34} +$

$93\,037\,736\,849\,454\,396\,991\,831\,764\,101\,083\,674\,169\,608\,028\,431\,719\,714\,457\,120\,313\,612\,441\,326\,435\,409\,233\,932\,334\,990\,943\,599\,568\,997\,306\,753\,072\,495\,904\,084\,197\,376\,000\,000\,z^{36}\Big)\,D_z^{25} +$

$\Big(412\,749\,524\,396\,954\,159\,795\,008\,789\,659\,492\,454\,974\,255\,340\,229\,366\,776\,436\,130\,349\,532\,377\,478\,145\,976\,063\,119\,251\,781\,849\,600\,000\,z^{23} -$

$82\,502\,401\,836\,545\,995\,538\,011\,019\,196\,811\,724\,331\,592\,334\,243\,629\,541\,500\,595\,683\,267\,012\,473\,491\,766\,426\,299\,088\,913\,125\,204\,083\,619\,840\,000\,z^{25} +$

$358\,359\,089\,640\,391\,524\,225\,880\,492\,111\,470\,102\,831\,528\,179\,708\,763\,696\,066\,912\,491\,083\,176\,021\,846\,209\,720\,322\,284\,414\,780\,218\,868\,941\,132\,922\,880\,000\,z^{27} -$

$198\,642\,699\,544\,255\,279\,148\,833\,511\,333\,303\,043\,577\,382\,460\,965\,855\,381\,873\,896\,349\,024\,706\,709\,100\,438\,607\,467\,280\,916\,155\,264\,328\,427\,283\,321\,590\,906\,880\,000\,z^{29} +$

$13\,991\,473\,843\,026\,141\,556\,546\,919\,864\,488\,170\,790\,192\,693\,260\,931\,625\,236\,671\,632\,163\,739\,141\,376\,116\,872\,197\,311\,912\,180\,295\,677\,081\,522\,277\,002\,984\,292\,352\,000\,000\,z^{31} -$

$199\,268\,999\,910\,479\,206\,945\,665\,506\,364\,581\,310\,926\,373\,414\,437\,466\,564\,084\,796\,494\,300\,586\,208\,037\,725\,200\,688\,536\,557\,784\,248\,597\,315\,791\,953\,808\,661\,969\,465\,507\,840\,000\,z^{33} +$

$325\,879\,568\,022\,131\,531\,840\,404\,018\,759\,634\,127\,217\,077\,847\,574\,616\,977\,365\,416\,910\,537\,368\,237\,387\,506\,042\,811\,454\,932\,297\,575\,333\,330\,210\,199\,362\,552\,402\,307\,710\,976\,000\,000\,z^{35}\Big)\,D_z^{24} +$

$\Big(203\,911\,733\,935\,900\,359\,958\,882\,748\,379\,089\,586\,178\,630\,019\,401\,304\,122\,253\,363\,243\,180\,781\,121\,588\,292\,823\,386\,815\,959\,168\,000\,000\,z^{22} -$

$63\,548\,455\,133\,125\,384\,260\,029\,490\,800\,233\,689\,295\,376\,327\,941\,837\,943\,715\,561\,441\,925\,739\,012\,682\,652\,794\,934\,023\,489\,245\,757\,298\,360\,320\,000\,z^{24} +$

$398\,010\,061\,630\,273\,523\,682\,255\,152\,876\,899\,216\,437\,467\,137\,372\,990\,986\,387\,682\,993\,602\,838\,366\,692\,700\,848\,268\,728\,157\,174\,751\,766\,342\,637\,977\,600\,000\,z^{26} -$

$300\,108\,313\,793\,644\,338\,999\,496\,842\,366\,757\,629\,845\,368\,594\,867\,526\,378\,491\,387\,018\,576\,322\,063\,879\,514\,881\,064\,534\,895\,200\,840\,421\,508\,113\,885\,078\,487\,040\,000\,z^{28} +$

$27\,501\,248\,279\,669\,149\,150\,469\,688\,878\,064\,223\,393\,931\,643\,833\,010\,613\,452\,155\,636\,197\,304\,487\,305\,544\,091\,540\,090\,498\,129\,074\,388\,936\,170\,471\,689\,180\,676\,096\,000\,000\,z^{30} -$

$492\,062\,866\,358\,690\,450\,939\,019\,419\,965\,495\,743\,122\,222\,489\,930\,175\,107\,012\,727\,668\,106\,166\,653\,290\,980\,514\,481\,044\,242\,177\,506\,458\,218\,722\,295\,948\,946\,213\,028\,495\,360\,000\,z^{32} +$

$983\,004\,400\,043\,502\,436\,700\,702\,263\,064\,315\,641\,950\,768\,702\,995\,742\,573\,559\,168\,314\,340\,427\,808\,428$

$158\,437\,582\,116\,817\,701\,481\,093\,732\,560\,846\,588\,335\,791\,173\,271\,552\,000\,000\,z^{34}\big)\,D_z^{23}\,+$

$\big(73\,710\,086\,566\,767\,374\,443\,806\,956\,184\,074\,471\,676\,891\,250\,510\,600\,519\,276\,865\,757\,255\,269\,867\,215\,464\,165\,548\,287\,695\,744\,000\,000\,z^{21}\,-$

$37\,597\,666\,286\,572\,748\,675\,278\,894\,229\,352\,281\,936\,586\,917\,262\,646\,464\,320\,817\,430\,017\,449\,826\,800\,416\,082\,150\,754\,056\,757\,992\,010\,055\,680\,000\,z^{23}\,+$

$351\,525\,900\,344\,805\,016\,737\,515\,003\,088\,289\,377\,367\,129\,628\,242\,778\,736\,413\,636\,932\,847\,333\,400\,607\,953\,236\,565\,171\,940\,118\,334\,207\,401\,027\,174\,400\,000\,z^{25}\,-$

$369\,952\,259\,604\,759\,150\,006\,933\,098\,362\,104\,666\,428\,447\,411\,374\,725\,808\,914\,244\,131\,622\,097\,168\,529\,130\,860\,807\,773\,718\,336\,101\,670\,987\,786\,170\,306\,396\,160\,000\,z^{27}\,+$

$44\,982\,431\,189\,668\,338\,898\,892\,414\,000\,276\,632\,775\,577\,800\,096\,974\,023\,729\,343\,776\,901\,131\,446\,366\,042\,538\,544\,328\,721\,471\,458\,576\,584\,319\,296\,935\,894\,712\,320\,000\,000\,z^{29}\,-$

$1\,026\,799\,631\,187\,605\,646\,778\,662\,499\,053\,452\,816\,157\,726\,610\,659\,584\,375\,563\,548\,824\,696\,933\,099\,595\,704\,137\,680\,164\,215\,866\,007\,732\,057\,024\,888\,824\,521\,066\,073\,292\,800\,000\,z^{31}\,+$

$2\,536\,708\,760\,652\,151\,671\,007\,846\,837\,613\,403\,976\,060\,872\,944\,687\,546\,590\,022\,166\,751\,144\,704\,105\,407\,223\,143\,701\,623\,394\,307\,048\,222\,652\,801\,716\,459\,536\,869\,129\,977\,856\,000\,000\,z^{33}\big)\,D_z^{22}\,+$

$\big(18\,851\,370\,860\,409\,359\,054\,029\,893\,352\,998\,868\,571\,017\,998\,750\,682\,424\,496\,981\,059\,066\,822\,251\,429\,143\,683\,188\,648\,601\,088\,000\,000\,z^{20}\,-$

$16\,686\,652\,290\,294\,791\,118\,397\,438\,761\,176\,302\,255\,946\,914\,988\,918\,099\,488\,208\,393\,327\,225\,156\,596\,188\,776\,265\,863\,663\,942\,507\,360\,256\,000\,000\,z^{22}\,+$

$242\,612\,635\,156\,070\,051\,922\,788\,613\,301\,085\,057\,080\,681\,774\,660\,124\,460\,453\,722\,987\,058\,516\,533\,090\,448\,021\,831\,567\,335\,429\,693\,945\,985\,525\,350\,400\,000\,z^{24}\,-$

$367\,131\,829\,078\,763\,333\,473\,644\,908\,608\,411\,564\,165\,257\,748\,188\,876\,989\,713\,748\,178\,767\,599\,736\,808\,519\,029\,633\,061\,805\,743\,295\,347\,787\,798\,174\,236\,672\,000\,000\,z^{26}\,+$

$60\,571\,638\,856\,729\,857\,877\,911\,107\,853\,284\,375\,029\,995\,133\,886\,098\,488\,889\,724\,197\,045\,807\,372\,182\,898\,087\,763\,521\,920\,076\,383\,350\,922\,791\,030\,717\,115\,531\,264\,000\,000\,z^{28}\,-$

$1\,794\,770\,022\,819\,745\,540\,725\,899\,634\,604\,612\,519\,753\,925\,827\,244\,364\,267\,636\,271\,706\,925\,375\,385\,725\,750\,959\,358\,485\,477\,086\,021\,579\,160\,721\,020\,313\,552\,705\,866\,956\,800\,000\,z^{30}\,+$

$5\,558\,871\,335\,986\,209\,995\,325\,264\,490\,307\,955\,035\,125\,308\,443\,034\,436\,593\,782\,371\,517\,816\,300\,427\,114\,707\,370\,086\,900\,094\,226\,574\,333\,653\,850\,853\,196\,622\,473\,696\,641\,024\,000\,000\,z^{32}\big)\,D_z^{21}\,+$

$\big(3\,272\,967\,512\,429\,041\,208\,252\,120\,532\,292\,044\,842\,084\,266\,965\,345\,026\,580\,729\,797\,716\,002\,156\,898\,543\,494\,692\,595\,500\,544\,000\,000\,z^{19}\,-$

$5\,400\,870\,636\,895\,845\,743\,514\,314\,943\,613\,514\,032\,289\,368\,470\,217\,082\,980\,675\,774\,754\,924\,342\,045\,194\,375\,448\,984\,209\,135\,511\,949\,312\,000\,000\,z^{21}\,+$

$128\,196\,508\,157\,444\,244\,908\,937\,310\,306\,771\,682\,769\,676\,692\,853\,302\,706\,150\,005\,936\,302\,072\,312\,669\,314\,191\,704\,118\,651\,172\,407\,526\,828\,277\,760\,000\,000\,z^{23}\,-$

$288\,779\,622\,555\,090\,668\,642\,517\,727\,947\,769\,595\,406\,448\,711\,261\,862\,363\,993\,712\,933\,270\,305\,058\,812\,655\,225\,357\,717\,577\,194\,829\,450\,266\,146\,305\,474\,560\,000\,000\,z^{25}\,+$

$66\,332\,124\,745\,273\,530\,173\,148\,146\,154\,091\,516\,464\,915\,586\,670\,125\,394\,965\,381\,749\,334\,630\,405\,929\,083\,695\,698\,005\,563\,006\,320\,805\,463\,674\,023\,398\,753\,697\,792\,000\,000\,z^{27}\,-$

$2\,601\,821\,370\,329\,584\,467\,927\,202\,700\,322\,176\,235\,939\,647\,137\,998\,592\,210\,127\,238\,749\,057\,211\,923\,858\,099\,191\,181\,023\,596\,240\,353\,295\,720\,411\,370\,610\,208\,085\,219\,737\,600\,000\,z^{29}\,+$

$10\,258\,986\,343\,600\,362\,830\,857\,683\,565\,370\,364\,839\,649\,871\,145\,768\,178\,760\,515\,735\,769\,674\,108\,842\,214\,745\,791\,628\,572\,964\,526\,486\,094\,321\,678\,507\,311\,377\,648\,472\,555\,520\,000\,000\,z^{31}\big)\,D_z^{20}\,+$

$\big(366\,316\,905\,709\,624\,004\,327\,885\,366\,595\,029\,833\,067\,542\,946\,649\,718\,552\,753\,743\,075\,520\,484\,603\,621\,710\,280\,977\,007\,616\,000\,000\,z^{18}\,-$

$1\,231\,963\,168\,939\,898\,529\,032\,449\,615\,767\,412\,560\,828\,158\,416\,980\,835\,922\,064\,284\,049\,775\,121\,472\,785\,238\,857\,224\,973\,064\,544\,763\,904\,000\,000\,z^{20}\,+$

$50\,623\,066\,594\,804\,615\,588\,643\,818\,282\,999\,490\,702\,519\,358\,892\,959\,185\,388\,363\,164\,519\,297\,854\,871\,110\,462\,834\,343\,662\,567\,982\,406\,393\,082\,675\,200\,000\,z^{22}\,-$

$176\,831\,492\,781\,578\,711\,630\,682\,467\,088\,394\,764\,987\,663\,922\,510\,859\,108\,157\,625\,331\,006\,558\,883\,235\,356\,071\,299\,590\,605\,883\,943\,698\,521\,354\,278\,010\,880\,000\,000\,z^{24}\,+$

58 255 002 850 335 230 001 991 416 587 961 848 512 885 178 749 026 481 741 512 039 958 144 189 434 288
220 853 898 788 197 214 542 331 725 185 956 897 095 680 000 000 z^{26} −

3 093 202 085 801 902 324 731 856 637 914 332 136 985 298 075 581 668 588 526 161 569 183 704 463 956
651 148 571 344 080 595 338 311 117 654 295 115 229 215 640 780 800 000 z^{28} +

15 797 211 244 196 422 432 363 093 488 276 752 989 701 201 531 500 512 258 877 423 056 638 682 490 806
897 778 797 002 373 595 124 743 861 945 227 733 737 399 249 797 120 000 000 z^{30} $\Big)$ D_z^{19} +

$\Big($24 737 629 975 644 335 143 067 607 676 666 939 440 426 134 070 260 974 942 084 656 709 194 448 713 806
596 670 499 840 000 000 z^{17} −

189 901 708 497 199 391 828 711 720 720 852 735 141 718 988 007 235 410 200 259 263 466 791 160 891
110 106 275 491 732 983 857 152 000 000 z^{19} +

14 514 164 605 283 272 408 634 358 136 140 588 400 901 200 546 731 323 960 208 324 628 225 512 667 738
887 637 311 410 104 648 764 613 459 968 000 000 z^{21} −

82 537 848 067 515 131 495 624 902 747 894 874 288 037 662 538 305 179 506 372 648 111 036 609 287 962
983 522 185 400 877 962 720 716 938 788 470 784 000 000 z^{23} +

40 373 967 976 987 960 865 177 791 746 673 282 664 034 306 368 041 426 901 713 001 127 436 156 549 983
052 155 709 323 802 626 657 516 730 209 307 207 925 760 000 000 z^{25} −

2 977 429 814 083 356 279 712 858 389 879 662 647 385 261 151 773 509 817 492 983 612 148 608 172 011
583 307 872 199 765 492 332 277 208 292 104 296 246 937 858 867 200 000 z^{27} +

20 084 034 441 130 273 176 445 673 886 900 102 480 357 397 475 909 024 682 676 750 181 516 227 537 278
724 004 246 357 792 002 108 033 681 625 835 783 275 652 411 555 840 000 000 z^{29} $\Big)$ D_z^{18} +

$\Big($924 114 062 422 979 018 938 683 863 039 190 939 913 131 276 574 045 124 270 867 859 174 712 474 583 102
615 715 840 000 000 z^{16} −

18 769 031 476 105 228 684 602 508 486 082 175 647 165 170 787 359 318 763 574 799 616 751 222 066 148
176 861 172 675 198 353 408 000 000 z^{18} +

2 917 685 918 215 487 106 494 234 591 628 075 775 053 193 882 179 768 547 227 970 403 107 365 678 364
751 201 584 109 136 940 409 907 314 688 000 000 z^{20} −

28 644 511 317 664 506 723 164 399 536 301 925 438 054 122 061 410 308 044 165 644 885 241 768 026 511
674 002 590 401 609 060 846 903 216 874 455 040 000 000 z^{22} +

21 672 527 013 611 130 592 506 711 168 859 924 560 876 875 896 107 713 906 945 878 651 803 700 330 885
554 840 332 578 614 709 450 012 391 788 407 045 488 640 000 000 z^{24} −

2 286 699 469 258 502 457 109 529 220 353 859 903 741 055 369 529 531 685 510 835 124 267 798 383 466
860 919 072 341 794 938 431 030 505 048 827 060 302 152 466 432 000 000 z^{26} +

20 832 413 939 380 580 318 486 358 780 689 770 588 033 180 236 520 881 259 775 061 404 807 449 113 200
569 355 431 655 618 029 494 411 636 544 670 070 119 055 721 758 720 000 000 z^{28} $\Big)$ D_z^{17} +

$\Big($16 973 675 437 613 400 321 790 089 567 624 461 273 129 776 508 393 222 709 754 601 197 255 667 724 050
612 551 680 000 000 z^{15} −

1 112 212 155 020 832 271 306 964 692 096 274 564 401 344 580 681 431 847 745 547 438 492 094 686 147
359 193 316 000 346 112 000 000 000 z^{17} +

393 968 687 964 876 378 223 612 561 620 366 033 795 853 053 945 085 344 234 028 982 966 723 370 655
543 585 108 288 607 831 628 391 120 896 000 000 z^{19} −

7 174 956 804 183 206 006 155 392 466 810 386 464 630 755 261 945 528 647 418 839 432 384 340 708 677
809 834 529 077 093 364 492 423 436 450 136 064 000 000 z^{21} +

8 815 657 751 149 785 382 179 754 491 424 706 006 813 707 525 904 069 217 360 918 931 780 936 140 346
354 680 847 224 403 743 415 209 201 082 753 603 338 240 000 000 z^{23} −

1 377 739 276 515 156 740 357 452 297 448 248 635 283 378 406 316 932 709 897 054 062 921 298 815 829
368 964 245 898 550 562 836 624 685 644 527 727 234 359 754 752 000 000 z^{25} +

17 391 665 548 588 432 871 651 629 097 344 322 996 075 358 329 530 353 814 657 569 974 559 237 137 004
250 976 823 881 662 521 705 400 592 491 813 423 269 028 539 924 480 000 000 z^{27} $\Big)$ D_z^{16} +

$\Big($129 715 920 806 575 043 814 067 429 767 973 896 283 667 956 829 564 400 334 307 950 227 218 160 271 610
019 840 000 000 z^{14} −

36 186 103 913 828 924 780 777 042 084 107 216 978 689 733 426 520 004 372 638 077 583 808 090 613 527

689 297 160 351 252 480 000 000 z^{16} +

33 867 503 178 654 892 527 717 173 477 624 917 627 190 862 224 445 226 150 179 432 580 000 191 701 372 ⸫
932 377 347 149 675 061 657 468 928 000 000 z^{18} −

1 251 344 765 663 365 245 264 675 353 007 346 092 560 819 269 920 704 818 155 075 239 033 952 002 313 ⸫
678 804 885 863 699 015 174 800 130 602 696 704 000 000 z^{20} +

2 647 928 225 924 684 508 000 904 241 870 831 940 871 453 255 129 155 509 667 668 579 907 495 127 562 ⸫
172 666 561 152 455 028 120 158 360 300 066 449 653 760 000 000 z^{22} −

638 529 025 171 771 235 855 944 010 491 201 868 715 850 561 304 954 936 048 979 240 538 286 621 322 ⸫
672 233 189 821 637 330 693 947 917 468 191 503 282 102 861 824 000 000 z^{24} +

11 504 715 100 333 350 206 514 882 481 436 211 484 966 355 674 316 966 256 848 890 859 286 122 197 739 ⸫
400 554 808 601 499 519 477 833 005 208 612 366 732 743 199 948 800 000 000 z^{26}) D_z^{15} +

(320 874 274 711 707 638 568 788 301 055 343 354 223 198 706 587 895 098 687 722 318 779 790 209 183 580 ⸫
160 000 000 z^{13} −

573 731 062 624 248 260 438 571 743 244 151 875 825 406 759 529 732 796 406 521 056 643 502 097 607 ⸫
155 603 259 304 181 760 000 000 z^{15} +

1 730 973 498 744 629 029 700 800 514 981 017 122 859 621 856 813 956 862 579 377 550 362 593 070 902 ⸫
013 883 110 919 984 664 262 213 632 000 000 z^{17} −

145 395 714 107 435 003 157 307 018 098 028 237 098 827 427 372 091 580 712 159 974 218 532 933 756 ⸫
713 101 630 578 912 813 520 961 990 670 942 208 000 000 z^{19} +

569 434 411 855 373 214 719 703 345 109 992 859 297 982 147 576 499 109 452 922 818 358 082 878 908 ⸫
587 116 673 491 988 701 983 935 078 696 693 488 680 960 000 000 z^{21} −

222 456 215 795 621 168 403 515 984 869 753 267 538 152 177 807 979 802 344 729 638 457 108 517 695 ⸫
368 843 835 811 554 014 361 071 190 884 034 367 814 801 293 312 000 000 z^{23} +

5 922 474 113 510 908 905 213 552 048 447 394 614 959 139 048 406 970 496 090 768 548 980 195 506 008 ⸫
234 474 386 940 140 858 444 864 467 524 316 018 508 779 277 516 800 000 000 z^{25}) D_z^{14} +

(170 026 569 419 922 154 579 710 022 906 277 295 108 187 266 085 755 660 744 712 297 623 041 576 140 800 ⸫
000 000 z^{12} −

3 744 772 294 791 958 972 976 065 668 438 123 861 854 306 896 538 695 576 784 565 589 446 582 436 600 ⸫
282 556 902 932 480 000 000 z^{14} +

48 091 354 814 514 715 990 294 180 975 636 880 717 596 568 262 057 555 595 825 140 345 522 199 623 138 ⸫
657 271 634 542 958 204 682 240 000 000 z^{16} −

10 651 348 645 444 296 513 437 410 391 386 969 619 885 132 899 650 527 590 127 065 841 164 210 823 990 ⸫
532 792 199 917 748 858 704 193 382 252 544 000 000 z^{18} +

84 454 961 935 589 219 454 085 636 311 423 038 930 328 276 024 880 908 262 020 181 368 454 120 221 275 ⸫
763 908 532 375 058 498 764 341 865 558 583 541 760 000 000 z^{20} −

56 690 836 352 753 096 614 718 390 128 191 227 428 812 390 098 198 030 007 632 643 880 916 115 654 958 ⸫
811 030 269 678 319 181 872 192 962 200 271 438 026 375 168 000 000 z^{22} +

2 323 173 550 616 750 143 864 698 706 556 496 954 481 254 514 101 896 762 240 116 889 855 565 801 726 ⸫
552 089 863 507 482 227 093 676 430 938 801 726 092 530 522 521 600 000 000 z^{24}) D_z^{13} +

(8 749 381 594 759 784 420 362 328 050 324 958 038 775 256 441 552 070 579 129 578 115 625 779 200 000 000 ⸫
z^{11} −

7 811 572 554 950 171 552 293 288 471 836 016 700 675 014 903 393 494 919 547 254 150 408 229 500 778 ⸫
998 262 661 120 000 000 z^{13} +

643 367 957 451 072 808 782 859 809 768 392 449 745 774 301 684 746 839 384 785 481 573 496 245 888 ⸫
790 329 902 565 830 992 855 040 000 000 z^{15} −

458 565 324 307 823 305 848 464 019 324 416 017 572 948 687 356 962 331 247 497 546 903 437 330 060 ⸫
881 739 836 326 751 916 390 017 920 925 696 000 000 z^{17} +

8 250 896 131 689 261 601 822 937 824 658 966 116 133 541 233 648 165 595 126 857 206 804 853 833 264 ⸫
864 582 184 937 431 559 014 470 407 369 019 883 520 000 000 z^{19} −

10 228 255 791 243 855 121 409 009 306 655 201 598 351 242 905 806 937 618 995 609 227 448 781 122 404 ⸫
398 961 010 597 174 806 602 664 502 314 252 808 979 742 720 000 000 z^{21} +

677 413 892 194 879 844 274 721 395 983 120 322 365 166 319 752 836 242 469 046 373 233 039 688 731 ⸱
123 287 945 730 093 945 862 273 044 003 714 882 366 142 729 420 800 000 000 z^{23}) D_z^{12} +

(5 101 781 395 765 999 717 448 887 218 923 918 607 682 969 932 174 419 988 753 344 102 400 000 000 z^{10} −

3 437 509 672 582 421 202 267 106 960 658 150 489 440 625 807 047 814 298 125 441 513 595 294 754 287 ⸱
491 481 600 000 000 z^{12} +

3 492 480 325 254 800 644 522 718 416 276 591 102 419 231 811 351 655 940 489 385 844 797 254 392 841 ⸱
309 709 038 863 127 674 880 000 000 z^{14} −

10 582 481 562 065 922 015 957 629 977 125 580 414 988 630 229 720 367 451 577 527 533 147 665 818 999 ⸱
563 332 242 915 782 711 449 118 310 400 000 000 z^{16} +

501 348 546 886 696 819 726 896 275 866 005 933 974 727 381 959 726 918 279 553 633 413 244 611 040 ⸱
617 350 966 109 849 689 469 328 026 267 245 608 960 000 000 z^{18} −

1 255 756 911 904 671 861 319 514 940 410 621 367 628 893 256 632 160 745 974 428 878 786 141 433 962 ⸱
815 780 926 456 399 266 590 146 502 054 067 526 193 643 520 000 000 z^{20} +

142 569 921 439 269 693 922 523 825 110 526 143 410 520 229 979 099 795 082 262 773 685 069 596 237 ⸱
960 779 897 940 194 496 856 664 774 137 836 490 983 862 383 411 200 000 000 z^{22}) D_z^{11} +

(−6 228 777 314 565 039 674 606 582 493 606 456 534 038 872 106 078 915 788 800 000 000 z^9 −

144 207 252 013 568 263 045 657 537 723 589 015 884 952 178 072 479 494 003 637 979 893 324 166 935 ⸱
347 200 000 000 z^{11} +

5 953 646 036 625 546 757 049 730 895 131 640 062 127 946 926 738 286 782 608 882 859 632 225 864 881 ⸱
733 453 132 060 426 240 000 000 z^{13} −

115 606 416 473 076 291 736 039 063 588 610 305 003 349 879 711 141 446 372 372 654 073 998 719 776 ⸱
097 116 816 237 191 030 333 715 251 200 000 000 z^{15} +

17 608 859 301 616 648 995 811 242 518 594 908 597 443 429 747 951 808 635 263 405 232 936 675 554 155 ⸱
185 876 791 936 722 117 726 070 561 298 186 240 000 000 z^{17} −

99 916 996 028 970 793 580 970 424 047 309 817 855 065 028 796 848 532 804 630 179 940 654 649 237 388 ⸱
193 201 808 163 964 244 578 053 846 112 061 452 451 840 000 000 z^{19} +

20 902 840 783 566 588 922 587 613 091 016 798 972 363 657 820 636 030 356 037 565 291 760 994 436 919 ⸱
973 928 796 811 068 915 842 898 139 419 442 182 931 611 648 000 000 000 z^{21}) D_z^{10} +

(−388 077 640 465 586 228 358 915 120 878 257 004 704 417 048 638 259 200 000 000 z^8 −

67 018 091 465 034 097 687 000 250 310 002 171 294 281 802 318 091 086 194 925 435 875 649 126 400 000 ⸱
000 z^{10} +

2 095 424 406 856 639 449 460 329 175 080 514 810 741 990 114 595 766 688 785 973 949 309 295 870 209 ⸱
222 158 067 957 760 000 000 z^{12} −

501 791 027 341 779 332 157 867 657 383 218 896 227 852 982 914 958 887 413 250 086 430 875 101 773 ⸱
296 468 126 944 260 812 229 836 800 000 000 z^{14} +

324 828 054 321 448 745 774 592 354 989 380 472 855 765 969 125 651 411 771 429 720 829 429 158 726 ⸱
517 704 937 918 634 647 037 927 774 329 241 600 000 000 z^{16} −

4 846 771 650 360 160 705 920 309 741 688 649 663 075 372 537 894 240 348 525 514 785 646 058 382 620 ⸱
314 329 129 426 070 105 410 301 954 909 728 271 237 120 000 000 z^{18} +

2 044 525 017 096 388 489 203 491 074 346 831 324 537 118 305 950 983 822 754 752 140 314 459 899 708 ⸱
828 811 554 368 673 303 717 221 784 610 014 589 058 285 568 000 000 000 z^{20}) D_z^9 +

(−1 955 611 964 782 686 904 479 717 467 344 654 371 498 491 904 000 000 000 z^7 +

63 395 509 835 593 410 250 535 504 184 556 647 984 963 272 930 174 427 374 341 324 800 000 000 z^9 +

68 451 995 815 235 182 291 415 228 436 403 574 379 709 333 397 204 113 431 885 004 196 194 297 547 172 ⸱
347 904 000 000 000 z^{11} −

666 208 324 405 225 664 238 484 068 436 476 864 115 496 105 129 252 738 424 757 115 645 403 050 666 ⸱
776 396 243 383 011 927 654 400 000 000 z^{13} +

2 764 996 993 403 166 293 897 385 435 793 746 453 867 375 710 640 293 846 900 540 764 178 360 225 510 ⸱
087 127 237 847 605 666 497 512 970 649 600 000 000 z^{15} −

132 545 568 019 618 871 668 533 635 120 810 999 636 516 384 325 763 683 807 227 440 024 538 491 087 ⸱
623 325 526 785 169 522 430 650 825 089 001 749 217 280 000 000 z^{17} +

$$126\,436\,658\,174\,215\,548\,138\,684\,796\,782\,873\,553\,018\,606\,062\,621\,210\,088\,958\,927\,106\,780\,625\,907\,606\,019\,711\,644\,946\,836\,259\,496\,179\,027\,488\,928\,627\,431\,571\,456\,000\,000\,000\,z^{19}\Big)\,D_z^8\,+$$

$$\Big(367\,019\,558\,498\,586\,581\,644\,117\,960\,962\,639\,868\,723\,200\,000\,000\,000\,z^6\,+$$

$$2\,952\,918\,659\,339\,059\,758\,451\,871\,287\,928\,301\,489\,741\,906\,619\,926\,848\,942\,899\,200\,000\,000\,z^8\,+$$

$$23\,953\,499\,831\,746\,809\,527\,729\,341\,581\,009\,846\,071\,966\,124\,793\,776\,174\,510\,530\,165\,109\,719\,474\,110\,464\,000\,000\,000\,z^{10}\,-$$

$$176\,599\,201\,884\,180\,888\,857\,139\,843\,259\,060\,634\,712\,107\,764\,686\,311\,223\,561\,461\,169\,640\,608\,083\,217\,567\,274\,309\,057\,196\,851\,200\,000\,000\,z^{12}\,+$$

$$9\,051\,719\,463\,495\,139\,096\,628\,902\,463\,605\,685\,680\,176\,044\,720\,289\,589\,184\,707\,470\,511\,175\,868\,264\,778\,733\,188\,831\,231\,489\,315\,355\,964\,211\,200\,000\,000\,z^{14}\,-$$

$$1\,844\,008\,842\,371\,145\,612\,856\,221\,609\,284\,272\,129\,157\,205\,350\,093\,737\,672\,826\,316\,069\,102\,881\,509\,658\,807\,233\,476\,024\,807\,097\,328\,532\,861\,761\,460\,633\,600\,000\,000\,z^{16}\,+$$

$$4\,619\,073\,547\,075\,548\,999\,401\,272\,962\,105\,435\,445\,349\,912\,956\,414\,443\,032\,967\,842\,963\,069\,936\,956\,809\,591\,661\,654\,108\,347\,119\,825\,945\,324\,011\,737\,273\,335\,808\,000\,000\,000\,z^{18}\Big)\,D_z^7\,+$$

$$\Big(-571\,601\,665\,251\,133\,635\,795\,981\,627\,873\,181\,040\,640\,000\,000\,000\,000\,z^5\,+$$

$$10\,527\,247\,763\,571\,435\,139\,279\,499\,189\,214\,341\,341\,834\,664\,761\,884\,672\,000\,000\,000\,z^7\,-$$

$$16\,282\,308\,294\,448\,293\,108\,497\,800\,504\,038\,236\,570\,963\,138\,474\,862\,866\,426\,765\,122\,732\,032\,000\,000\,000\,z^9\,-$$

$$4\,159\,634\,088\,470\,946\,127\,639\,638\,346\,419\,946\,135\,987\,637\,425\,319\,662\,245\,026\,189\,355\,282\,682\,321\,809\,115\,873\,856\,716\,800\,000\,000\,z^{11}\,+$$

$$8\,685\,987\,278\,995\,594\,234\,228\,209\,392\,957\,887\,832\,328\,425\,557\,633\,288\,025\,575\,424\,859\,058\,028\,813\,851\,207\,196\,939\,740\,632\,994\,912\,665\,600\,000\,000\,z^{13}\,-$$

$$11\,354\,367\,616\,664\,587\,740\,720\,052\,074\,481\,496\,389\,334\,141\,977\,842\,381\,988\,681\,170\,940\,221\,308\,150\,161\,021\,814\,380\,674\,033\,713\,319\,399\,732\,648\,345\,600\,000\,000\,z^{15}\,+$$

$$91\,295\,649\,864\,522\,397\,729\,685\,650\,754\,164\,446\,097\,090\,153\,656\,854\,344\,736\,594\,870\,280\,069\,974\,445\,063\,122\,452\,876\,099\,244\,194\,904\,011\,317\,548\,156\,977\,152\,000\,000\,000\,z^{17}\Big)\,D_z^6\,+$$

$$\Big(-1\,206\,412\,294\,497\,792\,246\,048\,288\,503\,520\,274\,508\,326\,895\,616\,000\,000\,000\,000\,z^6\,-$$

$$515\,768\,346\,931\,864\,873\,308\,109\,333\,721\,022\,663\,469\,172\,319\,321\,715\,713\,031\,274\,496\,000\,000\,000\,z^8\,-$$

$$990\,508\,185\,173\,139\,497\,677\,784\,959\,489\,937\,291\,671\,283\,109\,253\,676\,369\,001\,792\,058\,483\,775\,998\,410\,935\,500\,800\,000\,000\,z^{10}\,+$$

$$1\,571\,383\,383\,987\,880\,715\,754\,367\,791\,060\,623\,860\,506\,884\,182\,328\,359\,851\,960\,919\,832\,447\,297\,954\,720\,798\,676\,039\,910\,925\,166\,182\,400\,000\,000\,z^{12}\,-$$

$$25\,414\,045\,556\,694\,619\,747\,231\,054\,836\,116\,699\,203\,118\,494\,014\,454\,576\,603\,463\,247\,617\,716\,193\,230\,260\,238\,484\,958\,694\,635\,229\,490\,890\,093\,363\,200\,000\,000\,z^{14}\,+$$

$$868\,262\,368\,066\,984\,954\,605\,339\,822\,220\,132\,885\,337\,891\,765\,829\,761\,825\,168\,723\,586\,618\,259\,081\,187\,604\,934\,625\,730\,983\,801\,319\,018\,453\,377\,734\,410\,240\,000\,000\,z^{16}\Big)\,D_z^5\,+$$

$$\Big(1\,243\,540\,158\,315\,847\,081\,801\,774\,872\,700\,335\,683\,971\,055\,616\,000\,000\,000\,000\,z^5\,-$$

$$976\,268\,883\,433\,210\,226\,142\,189\,525\,544\,779\,205\,053\,926\,899\,339\,864\,571\,904\,000\,000\,000\,z^7\,+$$

$$415\,450\,310\,304\,929\,502\,015\,238\,399\,058\,104\,927\,699\,688\,721\,387\,581\,888\,685\,887\,283\,607\,791\,206\,400\,000\,000\,z^9\,+$$

$$23\,309\,262\,232\,102\,036\,804\,699\,389\,137\,990\,958\,496\,884\,481\,813\,227\,574\,307\,597\,568\,053\,306\,170\,629\,263\,448\,798\,834\,720\,768\,000\,000\,000\,z^{11}\,-$$

$$15\,399\,283\,269\,946\,213\,056\,207\,473\,668\,894\,723\,743\,949\,335\,061\,049\,391\,423\,530\,170\,556\,580\,633\,748\,391\,770\,838\,098\,578\,546\,436\,397\,963\,673\,600\,000\,000\,z^{13}\,+$$

$$3\,378\,330\,898\,960\,324\,695\,775\,679\,370\,073\,996\,768\,209\,992\,204\,665\,143\,352\,979\,266\,761\,396\,214\,270\,253\,053\,334\,572\,530\,696\,688\,923\,511\,331\,267\,543\,040\,000\,000\,000\,z^{15}\Big)\,D_z^4\,+$$

$$\Big(842\,360\,420\,565\,993\,559\,445\,652\,631\,073\,873\,938\,948\,514\,221\,601\,587\,200\,000\,000\,000\,z^6\,+$$

$$7\,258\,359\,253\,471\,870\,836\,331\,064\,878\,022\,687\,611\,425\,006\,117\,304\,312\,185\,925\,601\,014\,579\,200\,000\,000\,z^8\,+$$

$$3\,114\,626\,828\,354\,530\,815\,390\,023\,384\,578\,336\,330\,337\,354\,228\,737\,817\,255\,060\,204\,452\,383\,713\,000\,206$$

$796\,587\,008\,000\,000\,000\,z^{10}\,-$

$1\,561\,799\,775\,424\,008\,911\,650\,216\,700\,739\,997\,754\,904\,412\,288\,912\,017\,910\,085\,646\,566\,628\,760\,984\,909\,\backslash$
$380\,820\,767\,475\,631\,806\,375\,526\,400\,000\,000\,z^{12}\,+$

$4\,246\,414\,320\,551\,393\,585\,380\,983\,279\,657\,250\,992\,914\,174\,597\,253\,315\,849\,095\,665\,887\,973\,755\,341\,676\,\backslash$
$428\,424\,751\,494\,217\,674\,451\,483\,235\,450\,880\,000\,000\,000\,z^{14}\Big)\,D_z^3\,+$

$\Big(-24\,989\,533\,556\,457\,635\,094\,947\,048\,127\,219\,570\,039\,723\,167\,789\,875\,200\,000\,000\,000\,z^5\,+$

$3\,972\,010\,891\,158\,922\,953\,464\,741\,915\,605\,148\,874\,751\,338\,014\,628\,987\,869\,646\,028\,800\,000\,000\,z^7\,-$

$532\,923\,040\,074\,762\,796\,867\,319\,645\,544\,853\,340\,994\,486\,860\,332\,083\,127\,734\,008\,142\,611\,783\,614\,464\,\backslash$
$000\,000\,000\,z^9\,-$

$10\,697\,785\,385\,637\,669\,397\,691\,624\,162\,349\,263\,455\,162\,388\,279\,704\,101\,957\,674\,044\,007\,867\,505\,173\,990\,\backslash$
$818\,872\,001\,403\,289\,600\,000\,000\,000\,z^{11}\,+$

$1\,190\,819\,717\,591\,995\,157\,796\,020\,077\,903\,133\,621\,801\,087\,103\,942\,977\,714\,587\,316\,478\,824\,425\,897\,494\,\backslash$
$313\,512\,509\,044\,652\,638\,596\,224\,778\,240\,000\,000\,000\,z^{13}\Big)\,D_z^2\,+$

$\Big(-9\,929\,105\,981\,349\,762\,143\,660\,443\,820\,506\,668\,334\,496\,827\,338\,440\,205\,926\,400\,000\,000\,000\,z^6\,-$

$2\,551\,101\,684\,909\,412\,170\,708\,219\,704\,514\,382\,879\,157\,892\,404\,607\,491\,162\,669\,624\,529\,518\,592\,000\,000\,\backslash$
$000\,z^8\,-$

$462\,611\,815\,517\,412\,304\,304\,103\,905\,766\,983\,243\,186\,718\,529\,368\,604\,486\,444\,797\,932\,570\,350\,878\,764\,\backslash$
$946\,161\,664\,000\,000\,000\,000\,z^{10}\,+$

$38\,762\,973\,086\,884\,387\,336\,909\,358\,251\,497\,220\,874\,211\,774\,473\,070\,742\,001\,633\,557\,187\,777\,583\,405\,750\,\backslash$
$699\,745\,777\,056\,051\,112\,181\,760\,000\,000\,000\,z^{12}\Big)\,D_z\,+$

$\Big(2\,301\,951\,431\,684\,277\,200\,875\,340\,189\,583\,219\,952\,111\,739\,209\,777\,152\,000\,000\,000\,000\,z^5\,-$

$58\,226\,516\,932\,931\,980\,866\,174\,504\,344\,491\,099\,785\,843\,463\,141\,012\,430\,691\,237\,888\,000\,000\,000\,z^7\,+$

$5\,562\,944\,177\,879\,591\,134\,448\,646\,835\,313\,386\,081\,006\,071\,073\,345\,752\,719\,161\,046\,907\,054\,194\,688\,000\,\backslash$
$000\,000\,000\,z^9\,+$

$34\,144\,266\,955\,936\,391\,358\,147\,843\,276\,035\,782\,679\,868\,791\,535\,949\,997\,992\,235\,938\,216\,726\,157\,629\,061\,\backslash$
$933\,245\,220\,782\,080\,000\,000\,000\,000\,z^{11}\Big)$

In[ ]:= **ODE = {ODEinD};**
ToOrePolynomial[ODE]

Out[ ]= $\Big\{\Big(437\,502\,088\,527\,074\,815\,832\,949\,679\,718\,400\,z^{70}\,-\,85\,692\,853\,520\,993\,768\,727\,486\,335\,844\,719\,001\,600\,z^{72}\,+$

$763\,338\,299\,988\,791\,317\,097\,389\,707\,961\,497\,236\,275\,200\,z^{74}\,-$

$1\,598\,363\,211\,802\,454\,956\,689\,545\,078\,412\,316\,387\,364\,044\,800\,z^{76}\,+$

$708\,270\,719\,505\,845\,849\,417\,203\,674\,955\,342\,083\,655\,100\,006\,400\,z^{78}\,-$

$97\,773\,026\,415\,808\,146\,191\,848\,122\,055\,052\,434\,634\,224\,277\,913\,600\,z^{80}\,+$

$2\,244\,333\,848\,512\,671\,272\,755\,697\,788\,284\,868\,386\,498\,847\,703\,040\,000\,z^{82}\Big)\,D_z^{71}\,+$

$\Big(924\,020\,036\,043\,772\,263\,711\,183\,757\,482\,393\,600\,z^{69}\,-$

$192\,726\,288\,027\,769\,307\,074\,142\,750\,969\,624\,631\,705\,600\,z^{71}\,+$

$1\,821\,352\,445\,855\,398\,539\,427\,125\,321\,399\,988\,173\,511\,065\,600\,z^{73}\,-$

$4\,032\,727\,467\,778\,015\,371\,976\,175\,430\,872\,788\,970\,904\,748\,032\,000\,z^{75}\,+$

$1\,884\,025\,409\,268\,389\,453\,944\,383\,818\,369\,601\,204\,739\,839\,413\,452\,800\,z^{77}\,-$

$273\,474\,646\,778\,815\,949\,475\,248\,906\,249\,483\,625\,830\,305\,099\,048\,550\,400\,z^{79}\,+$

$6\,584\,955\,666\,316\,481\,538\,239\,244\,300\,034\,528\,305\,572\,851\,262\,423\,040\,000\,z^{81}\Big)\,D_z^{70}\,+$

$\Big(936\,078\,296\,129\,008\,968\,138\,946\,603\,035\,446\,476\,800\,z^{68}\,-$

$208\,177\,954\,850\,122\,438\,966\,519\,836\,113\,970\,230\,250\,700\,800\,z^{70}\,+$

$2\,089\,714\,996\,189\,764\,107\,347\,234\,894\,422\,746\,246\,814\,892\,032\,000\,z^{72}\,-$

$4\,897\,936\,596\,566\,078\,224\,236\,653\,226\,699\,541\,771\,491\,409\,605\,427\,200\,z^{74}\,+$

$2\,414\,910\,022\,621\,403\,265\,796\,273\,019\,297\,413\,062\,347\,818\,520\,700\,518\,400\,z^{76}\,-$

$368\,929\,192\,488\,569\,606\,209\,592\,047\,598\,331\,945\,502\,018\,619\,766\,000\,844\,800\,z^{78}\,+$

$9\,326\,452\,738\,310\,091\,217\,795\,166\,417\,986\,343\,690\,680\,785\,928\,999\,403\,520\,000\,z^{80}\Big)\,D_z^{69}\,+$

$\Big(605\,971\,421\,720\,555\,089\,666\,520\,849\,477\,395\,971\,833\,856\,z^{67}\,-$

$143\,889\,180\,102\,446\,303\,860\,799\,466\,745\,606\,029\,557\,727\,494\,144\,z^{69} +$

$1\,536\,096\,175\,423\,593\,877\,816\,103\,852\,115\,762\,268\,532\,082\,336\,595\,968\,z^{71} -$

$3\,815\,559\,329\,921\,249\,287\,427\,733\,981\,547\,506\,471\,125\,729\,574\,263\,980\,032\,z^{73} +$

$1\,987\,456\,104\,517\,408\,051\,473\,499\,325\,471\,782\,761\,779\,901\,965\,933\,924\,581\,376\,z^{75} -$

$319\,864\,964\,518\,625\,985\,962\,144\,322\,605\,413\,715\,232\,592\,481\,489\,451\,718\,017\,024\,z^{77} +$

$8\,496\,905\,093\,146\,654\,538\,981\,187\,768\,308\,854\,990\,366\,989\,717\,906\,216\,556\,953\,600\,z^{79}\Big)\,D_z^{68} +$

$\Big(281\,760\,827\,192\,509\,368\,620\,059\,458\,620\,709\,479\,129\,284\,608\,z^{66} -$

$71\,535\,949\,349\,143\,157\,158\,794\,401\,617\,602\,621\,435\,573\,448\,998\,912\,z^{68} +$

$813\,228\,007\,564\,855\,324\,520\,307\,172\,803\,004\,517\,610\,580\,594\,560\,860\,160\,z^{70} -$

$2\,143\,270\,652\,365\,270\,805\,781\,541\,539\,381\,560\,916\,524\,748\,988\,594\,614\,435\,840\,z^{72} +$

$1\,180\,690\,707\,726\,744\,138\,210\,701\,757\,719\,193\,813\,784\,391\,013\,919\,553\,457\,487\,872\,z^{74} -$

$200\,383\,737\,279\,014\,669\,657\,741\,744\,355\,074\,201\,897\,667\,294\,705\,304\,939\,064\,721\,408\,z^{76} +$

$5\,598\,521\,999\,894\,838\,118\,271\,010\,000\,597\,131\,661\,834\,848\,970\,603\,717\,903\,305\,932\,800\,z^{78}\Big)\,D_z^{67} +$

$\Big(100\,285\,506\,371\,189\,844\,071\,152\,991\,749\,303\,462\,518\,520\,283\,136\,z^{65} -$

$27\,263\,978\,561\,962\,925\,991\,308\,146\,151\,713\,474\,078\,638\,178\,616\,475\,648\,z^{67} +$

$330\,489\,002\,343\,707\,044\,615\,586\,134\,537\,518\,203\,242\,189\,959\,034\,623\,229\,952\,z^{69} -$

$925\,289\,256\,132\,255\,374\,604\,996\,304\,903\,571\,197\,330\,327\,637\,306\,996\,043\,022\,336\,z^{71} +$

$539\,687\,334\,422\,527\,512\,377\,300\,538\,840\,720\,929\,491\,182\,770\,474\,917\,454\,220\,886\,016\,z^{73} -$

$96\,687\,760\,773\,125\,087\,260\,373\,031\,332\,166\,367\,099\,173\,454\,883\,810\,929\,113\,921\,748\,992\,z^{75} +$

$2\,843\,867\,711\,196\,955\,949\,564\,514\,668\,270\,322\,783\,958\,258\,701\,213\,424\,401\,991\,807\,795\,200\,z^{77}\Big)\,D_z^{66} +$

$\Big(28\,434\,762\,594\,261\,729\,381\,303\,857\,722\,784\,551\,256\,370\,997\,886\,976\,z^{64} -$

$8\,290\,379\,577\,984\,474\,002\,239\,925\,285\,757\,143\,660\,542\,433\,008\,361\,144\,320\,z^{66} +$

$107\,306\,916\,664\,514\,497\,969\,532\,929\,286\,309\,530\,558\,540\,057\,917\,353\,980\,067\,840\,z^{68} -$

$319\,562\,525\,833\,894\,025\,839\,703\,195\,998\,158\,132\,828\,471\,393\,585\,345\,818\,041\,253\,888\,z^{70} +$

$197\,574\,283\,199\,437\,882\,847\,741\,658\,101\,206\,266\,377\,290\,627\,254\,389\,066\,016\,822\,919\,168\,z^{72} -$

$37\,404\,584\,951\,979\,168\,085\,786\,845\,174\,461\,740\,774\,634\,682\,791\,900\,139\,523\,806\,465\,097\,728\,z^{74} +$

$1\,159\,349\,871\,905\,039\,350\,807\,774\,272\,625\,335\,447\,452\,558\,335\,991\,117\,073\,960\,527\,934\,259\,200\,z^{76}\Big)\,D_z^{65} +$

$\Big(6\,599\,766\,831\,964\,319\,672\,226\,509\,132\,541\,143\,613\,691\,183\,377\,678\,336\,z^{63} -$

$2\,066\,912\,359\,117\,537\,761\,143\,253\,408\,593\,487\,409\,797\,060\,840\,120\,878\,366\,720\,z^{65} +$

$28\,608\,274\,162\,003\,761\,938\,912\,531\,614\,783\,813\,053\,278\,001\,469\,427\,864\,007\,868\,416\,z^{67} -$

$90\,740\,527\,400\,191\,426\,605\,879\,136\,392\,393\,763\,953\,451\,848\,579\,936\,575\,918\,440\,448\,000\,z^{69} +$

$59\,540\,099\,556\,630\,864\,440\,832\,873\,964\,487\,329\,765\,629\,000\,946\,320\,244\,208\,459\,501\,797\,376\,z^{71} -$

$11\,924\,733\,294\,189\,750\,237\,105\,782\,381\,382\,954\,639\,496\,294\,802\,922\,011\,538\,154\,648\,472\,911\,872\,z^{73} +$

$389\,879\,507\,183\,231\,760\,838\,014\,360\,654\,922\,928\,776\,141\,291\,195\,253\,937\,556\,777\,641\,757\,900\,800\,z^{75}\Big)$

$D_z^{64} + \Big(1\,278\,766\,756\,112\,921\,964\,917\,211\,244\,675\,394\,230\,949\,197\,176\,631\,197\,696\,z^{62} -$

$430\,902\,162\,383\,200\,298\,304\,295\,758\,371\,247\,582\,886\,832\,408\,253\,928\,178\,712\,576\,z^{64} +$

$6\,387\,367\,832\,183\,526\,754\,407\,012\,266\,575\,438\,218\,218\,435\,221\,878\,112\,416\,104\,972\,288\,z^{66} -$

$21\,607\,790\,319\,861\,896\,014\,277\,759\,849\,552\,427\,035\,675\,383\,796\,240\,732\,774\,482\,900\,418\,560\,z^{68} +$

$15\,065\,959\,063\,523\,685\,782\,864\,493\,008\,690\,566\,683\,848\,806\,196\,656\,488\,052\,278\,250\,581\,262\,336\,z^{70} -$

$3\,195\,791\,547\,260\,371\,246\,781\,366\,573\,168\,673\,623\,537\,965\,848\,331\,129\,498\,986\,071\,037\,170\,417\,664\,z^{72} +$

$110\,333\,850\,348\,731\,399\,738\,197\,394\,551\,958\,484\,539\,079\,959\,708\,306\,664\,709\,809\,039\,829\,106\,688\,000\,z^{74}\Big)\,D_z^{63} + \Big(209\,903\,484\,069\,527\,649\,284\,813\,276\,951\,129\,797\,231\,219\,024\,154\,591\,232\,000\,z^{61} -$

$76\,235\,683\,739\,823\,735\,383\,185\,670\,123\,303\,303\,703\,579\,060\,125\,535\,961\,801\,031\,680\,z^{63} +$

$1\,212\,162\,399\,400\,069\,033\,100\,047\,127\,506\,468\,068\,848\,214\,408\,714\,690\,484\,017\,565\,794\,304\,z^{65} -$

$4\,379\,757\,898\,278\,333\,020\,252\,753\,573\,203\,755\,333\,010\,833\,125\,345\,446\,571\,058\,071\,420\,796\,928\,z^{67} +$

$3\,249\,234\,382\,403\,091\,488\,207\,422\,494\,396\,702\,291\,721\,741\,330\,040\,185\,163\,764\,841\,819\,249\,049\,600\,z^{69} -$

$730\,840\,204\,295\,749\,589\,763\,992\,836\,390\,530\,393\,339\,587\,028\,745\,331\,380\,319\,125\,328\,591\,522\,365\,440\,z^{71} +$

$26\,673\,196\,335\,310\,879\,659\,364\,139\,689\,887\,000\,543\,733\,856\,252\,408\,142\,497\,299\,792\,998\,358\,528\,819\,200\,z^{73}\Big)\,D_z^{62} + \Big(29\,520\,976\,457\,772\,109\,911\,039\,163\,968\,543\,826\,960\,093\,797\,275\,396\,669\,964\,288\,z^{60} -$

11 577 439 028 820 244 519 187 031 911 218 008 469 401 678 374 951 251 734 505 193 472 z^{62} +

197 783 426 148 674 065 148 479 275 087 677 149 166 334 247 975 293 397 844 547 208 216 576 z^{64} −

764 413 680 335 515 590 406 327 055 535 819 008 997 295 714 322 261 229 874 176 520 651 538 432 z^{66} +

604 217 627 155 872 363 551 359 379 156 920 823 215 990 277 016 450 268 708 131 030 352 204 398 592 z^{68} −

144 288 641 070 592 371 886 083 344 974 681 195 480 014 771 442 206 527 375 043 726 645 623 173 152 768 z^{70} +

5 573 126 443 385 652 467 835 561 675 827 240 538 236 979 199 707 231 757 559 334 332 556 102 126 796 800 z^{72}) D_z^{61} + (3 589 136 442 336 453 028 832 101 008 661 751 271 992 050 873 338 758 877 413 376 z^{59} − 1 522 801 757 522 081 291 768 185 034 713 713 765 131 017 855 962 443 056 649 097 707 520 z^{61} +

27 999 047 016 445 528 408 811 277 077 120 378 740 801 347 737 104 557 724 349 005 285 031 936 z^{63} −

115 933 091 330 548 280 684 601 174 977 191 615 669 055 853 639 124 585 468 717 207 354 270 023 680 z^{65} +

97 773 330 224 212 658 233 143 704 336 144 940 847 974 681 898 809 121 890 600 749 918 121 663 397 888 z^{67} −

24 820 801 020 447 473 046 111 494 353 221 246 970 203 986 685 372 328 043 593 373 161 097 875 842 662 400 z^{69} +

1 015 798 643 062 319 414 775 709 415 771 561 072 861 862 187 286 093 463 744 263 796 543 940 922 336 870 400 z^{71}) D_z^{60} +

(379 908 600 639 176 627 623 220 990 403 708 079 828 603 786 146 255 341 692 649 472 z^{58} −

174 731 743 091 578 837 415 801 095 916 440 088 391 492 150 109 222 404 317 857 877 852 160 z^{60} +

3 463 983 879 248 247 128 518 522 635 648 373 459 019 697 196 483 324 766 080 451 629 757 235 200 z^{62} −

15 391 173 457 277 348 482 356 874 002 781 722 895 028 699 043 115 315 933 688 724 909 535 321 391 104 z^{64} +

13 869 885 711 773 398 735 197 677 191 881 955 427 408 833 291 306 416 293 225 078 576 797 175 211 098 112 z^{66} −

3 748 064 842 651 528 305 453 907 461 493 292 536 297 910 411 313 335 481 148 003 763 148 899 119 162 982 400 z^{68} +

162 725 349 159 022 006 702 810 767 407 969 962 902 056 896 418 463 262 680 782 957 554 063 092 077 297 664 000 z^{70}) D_z^{59} +

(35 210 942 690 348 072 885 191 687 125 090 068 276 075 011 818 819 922 525 144 743 936 z^{57} −

17 592 161 617 998 903 092 357 958 136 089 929 363 816 627 386 489 185 402 175 320 823 431 168 z^{59} +

376 743 262 404 864 353 628 386 988 552 090 684 183 226 976 488 971 453 394 143 038 326 024 699 904 z^{61} −

1 799 330 040 422 057 944 133 529 673 102 477 149 953 703 252 005 662 600 131 752 570 992 566 747 529 216 z^{63} +

1 735 273 517 370 213 786 483 962 253 659 430 741 995 983 803 869 969 066 807 847 573 869 784 195 882 024 960 z^{65} −

499 858 965 114 075 848 993 737 700 318 833 255 409 304 386 982 532 964 540 399 283 133 717 489 424 932 012 032 z^{67} +

23 051 782 020 704 387 972 844 893 179 397 315 754 360 157 651 721 342 317 491 494 893 706 687 801 662 950 604 800 z^{69}) D_z^{58} +

(2 870 712 174 561 960 339 919 904 926 113 230 588 159 098 480 110 935 064 421 758 664 704 z^{56} −

1 561 473 353 182 289 997 225 233 791 616 810 884 101 042 694 527 656 625 309 486 057 560 997 888 z^{58} +

36 194 288 273 800 616 790 553 544 015 689 145 302 303 462 280 904 231 893 740 856 841 461 672 443 904 z^{60} −

186 142 855 624 112 119 941 500 078 933 931 476 412 161 095 227 790 921 404 708 619 494 298 707 923 304 448 z^{62} +

192 422 875 093 893 528 563 230 483 707 489 117 270 911 241 157 544 642 081 578 872 404 007 684 135 035 338 752 z^{64} −

59 171 679 197 182 064 056 534 985 400 637 012 513 037 262 488 296 365 971 630 134 328 599 235 179

$$584\,927\,301\,632\,z^{66} +$$

$$2\,902\,385\,750\,060\,628\,029\,631\,539\,012\,072\,668\,913\,959\,580\,373\,830\,529\,706\,258\,621\,691\,613\,860\,970\,870 \setminus$$
$$737\,574\,297\,600\,z^{68}\Big)\,D_z^{57} +$$

$$\Big(206\,649\,821\,111\,073\,388\,782\,672\,281\,538\,269\,215\,602\,867\,852\,102\,990\,871\,784\,685\,897\,252\,864\,z^{55} -$$

$$122\,655\,218\,366\,844\,282\,547\,643\,511\,086\,132\,237\,738\,967\,349\,714\,865\,754\,043\,930\,542\,794\,826\,842\,112 \setminus$$
$$z^{57} +$$

$$3\,083\,679\,378\,682\,805\,862\,127\,956\,329\,144\,388\,104\,263\,609\,856\,943\,656\,566\,557\,871\,665\,490\,295\,665\,983 \setminus$$
$$488\,z^{59} -$$

$$17\,108\,979\,988\,771\,724\,336\,724\,397\,093\,444\,900\,197\,696\,716\,371\,829\,390\,875\,346\,900\,802\,782\,702\,482 \setminus$$
$$801\,819\,648\,z^{61} +$$

$$18\,989\,621\,294\,568\,958\,865\,690\,732\,495\,605\,244\,391\,145\,022\,303\,921\,962\,300\,650\,682\,417\,018\,630\,161 \setminus$$
$$121\,903\,902\,720\,z^{63} -$$

$$6\,243\,252\,357\,800\,322\,160\,218\,061\,373\,242\,595\,636\,123\,364\,809\,892\,553\,081\,599\,561\,011\,944\,292\,418\,972 \setminus$$
$$118\,683\,746\,304\,z^{65} +$$

$$326\,163\,787\,289\,627\,901\,149\,160\,081\,270\,273\,455\,247\,587\,405\,244\,694\,467\,028\,485\,262\,677\,320\,301\,646 \setminus$$
$$545\,386\,314\,137\,600\,z^{67}\Big)\,D_z^{56} +$$

$$\Big(13\,173\,963\,143\,645\,628\,029\,902\,110\,004\,522\,913\,743\,359\,450\,448\,345\,719\,796\,092\,162\,168\,324\,096\,z^{54} -$$

$$8\,553\,187\,686\,321\,459\,830\,310\,791\,677\,004\,523\,039\,475\,363\,748\,942\,625\,614\,993\,315\,026\,157\,426\,442\,240 \setminus$$
$$z^{56} +$$

$$233\,739\,466\,578\,112\,290\,431\,209\,681\,873\,535\,666\,296\,431\,526\,463\,643\,627\,450\,543\,134\,490\,852\,283\,887 \setminus$$
$$124\,480\,z^{58} -$$

$$1\,401\,785\,716\,819\,758\,451\,790\,121\,395\,264\,279\,415\,194\,222\,861\,531\,197\,597\,749\,727\,911\,095\,451\,189\,550 \setminus$$
$$291\,877\,888\,z^{60} +$$

$$1\,673\,469\,400\,265\,546\,829\,665\,682\,170\,628\,327\,153\,052\,963\,514\,476\,932\,803\,346\,986\,811\,277\,839\,756\,991 \setminus$$
$$221\,794\,340\,864\,z^{62} -$$

$$589\,167\,363\,964\,271\,205\,532\,369\,455\,079\,053\,145\,879\,689\,554\,078\,046\,146\,268\,548\,859\,890\,126\,952\,601 \setminus$$
$$437\,244\,470\,853\,632\,z^{64} +$$

$$32\,830\,091\,832\,293\,480\,670\,730\,430\,820\,532\,475\,928\,519\,033\,855\,499\,443\,962\,400\,119\,866\,569\,915\,884 \setminus$$
$$586\,499\,361\,577\,369\,600\,z^{66}\Big)\,D_z^{55} +$$

$$\Big(745\,537\,026\,589\,719\,635\,869\,052\,525\,595\,199\,482\,434\,204\,818\,424\,205\,074\,233\,705\,603\,723\,689\,984\,z^{53} -$$

$$530\,825\,256\,749\,453\,519\,865\,244\,128\,342\,229\,002\,070\,776\,854\,672\,289\,005\,273\,067\,212\,188\,326\,914\,162\,688 \setminus$$
$$z^{55} +$$

$$15\,804\,016\,717\,457\,050\,359\,975\,505\,135\,464\,214\,302\,763\,557\,751\,870\,760\,433\,211\,142\,265\,982\,154\,756 \setminus$$
$$535\,091\,200\,z^{57} -$$

$$102\,659\,489\,209\,160\,939\,314\,847\,453\,966\,094\,218\,824\,385\,154\,530\,291\,088\,935\,899\,271\,878\,601\,767\,555 \setminus$$
$$849\,965\,797\,376\,z^{59} +$$

$$132\,061\,746\,019\,706\,149\,667\,691\,807\,068\,241\,496\,411\,929\,790\,103\,220\,013\,914\,547\,805\,779\,125\,289\,139 \setminus$$
$$826\,994\,496\,667\,648\,z^{61} -$$

$$49\,870\,564\,012\,132\,967\,165\,275\,800\,430\,081\,248\,076\,728\,507\,442\,578\,067\,706\,586\,883\,693\,715\,051\,073 \setminus$$
$$254\,293\,170\,083\,069\,952\,z^{63} +$$

$$2\,968\,509\,073\,150\,330\,113\,150\,371\,868\,322\,612\,181\,093\,697\,732\,866\,183\,056\,298\,220\,132\,856\,454\,295\,435 \setminus$$
$$974\,988\,236\,901\,580\,800\,z^{65}\Big)\,D_z^{54} +$$

$$\Big(37\,523\,137\,612\,761\,320\,259\,057\,034\,374\,013\,966\,915\,764\,060\,428\,436\,847\,605\,518\,172\,052\,534\,591\,488\,z^{52} -$$

$$29\,378\,029\,420\,547\,467\,878\,316\,558\,885\,585\,467\,285\,139\,821\,333\,356\,923\,977\,010\,013\,596\,998\,413\,039 \setminus$$
$$173\,632\,z^{54} +$$

$$955\,196\,800\,683\,432\,897\,600\,429\,491\,243\,611\,317\,139\,174\,802\,477\,973\,021\,588\,593\,850\,300\,971\,245\,945 \setminus$$
$$290\,227\,712\,z^{56} -$$

$$6\,735\,007\,536\,887\,013\,793\,385\,374\,632\,694\,050\,600\,571\,098\,247\,398\,869\,202\,383\,376\,474\,993\,767\,017\,335 \setminus$$
$$030\,628\,220\,928\,z^{58} +$$

$$9\,353\,924\,175\,253\,264\,978\,380\,238\,799\,843\,592\,648\,706\,819\,256\,415\,403\,246\,107\,858\,738\,502\,206\,526\,671 \setminus$$
$$927\,970\,659\,041\,280\,z^{60} -$$

$3\,795\,426\,696\,895\,602\,732\,041\,717\,892\,372\,296\,553\,444\,234\,244\,701\,204\,953\,150\,132\,692\,775\,659\,492\,513\,342\,297\,077\,668\,904\,960\ z^{62}\ +$

$241\,711\,006\,241\,334\,330\,869\,332\,145\,789\,624\,706\,283\,506\,199\,887\,622\,669\,836\,994\,647\,242\,834\,194\,121\,090\,889\,153\,039\,984\,230\,400\ z^{64}\big)\ D_z^{53}\ +$

$\big(1\,681\,942\,969\,448\,702\,495\,458\,810\,817\,561\,616\,207\,783\,243\,538\,940\,043\,606\,957\,194\,854\,805\,065\,433\,088\ z^{51}\ -$

$1\,452\,149\,094\,684\,718\,597\,011\,847\,481\,011\,363\,708\,249\,953\,537\,124\,267\,090\,892\,929\,751\,247\,643\,187\,852\,869\,632\ z^{53}\ +$

$51\,693\,213\,651\,679\,159\,140\,147\,864\,176\,215\,851\,214\,725\,053\,972\,356\,980\,035\,249\,708\,699\,437\,243\,596\,967\,419\,838\,464\ z^{55}\ -$

$396\,525\,759\,302\,731\,983\,910\,338\,625\,357\,572\,587\,759\,455\,626\,549\,020\,892\,527\,688\,506\,138\,490\,100\,342\,963\,760\,655\,237\,120\ z^{57}\ +$

$595\,774\,513\,041\,617\,851\,001\,412\,831\,999\,401\,906\,396\,708\,097\,518\,269\,583\,726\,409\,120\,484\,280\,683\,590\,243\,570\,775\,958\,224\,896\ z^{59}\ -$

$260\,217\,676\,013\,858\,337\,493\,514\,265\,450\,971\,152\,893\,358\,164\,410\,479\,409\,367\,836\,799\,873\,825\,213\,909\,435\,826\,464\,795\,144\,486\,912\ z^{61}\ +$

$17\,759\,313\,165\,456\,168\,019\,815\,955\,337\,920\,804\,261\,882\,900\,692\,291\,864\,493\,476\,319\,001\,759\,261\,478\,230\,230\,406\,024\,942\,478\,950\,400\ z^{63}\big)\ D_z^{52}\ +$

$\big(67\,209\,685\,187\,311\,775\,211\,157\,734\,150\,619\,554\,507\,978\,670\,854\,995\,155\,670\,534\,295\,336\,792\,932\,745\,216\ z^{50}\ -$

$64\,182\,074\,930\,076\,455\,449\,315\,727\,092\,538\,641\,290\,686\,029\,451\,619\,191\,595\,061\,030\,981\,825\,990\,739\,204\,505\,600\ z^{52}\ +$

$2\,508\,105\,322\,364\,622\,052\,930\,452\,871\,809\,403\,145\,865\,995\,218\,214\,634\,424\,361\,883\,454\,292\,580\,700\,967\,262\,171\,955\,200\ z^{54}\ -$

$20\,980\,042\,521\,036\,195\,074\,546\,566\,352\,803\,310\,998\,379\,479\,227\,846\,413\,591\,368\,917\,525\,797\,496\,884\,077\,061\,082\,219\,282\,432\ z^{56}\ +$

$34\,173\,732\,839\,930\,924\,290\,901\,764\,185\,208\,141\,882\,260\,403\,006\,150\,649\,742\,222\,186\,570\,976\,282\,751\,153\,801\,101\,399\,660\,953\,600\ z^{58}\ -$

$16\,097\,627\,249\,809\,607\,251\,859\,430\,184\,675\,410\,293\,284\,490\,491\,855\,166\,875\,351\,302\,913\,615\,220\,339\,815\,196\,177\,553\,221\,178\,359\,808\ z^{60}\ +$

$1\,179\,368\,400\,623\,613\,291\,725\,281\,774\,959\,275\,905\,836\,598\,435\,250\,888\,351\,420\,214\,674\,581\,889\,194\,391\,910\,349\,249\,584\,004\,752\,998\,400\ z^{62}\big)\ D_z^{51}\ +$

$\big(2\,395\,660\,319\,290\,069\,280\,847\,030\,845\,195\,413\,945\,517\,551\,818\,619\,096\,810\,992\,695\,222\,633\,633\,044\,856\,832\ z^{49}\ -$

$2\,538\,462\,556\,062\,385\,526\,897\,113\,569\,792\,944\,047\,540\,066\,198\,127\,451\,723\,074\,954\,129\,604\,992\,603\,021\,213\,958\,144\ z^{51}\ +$

$109\,203\,001\,719\,894\,351\,600\,158\,631\,032\,548\,630\,961\,588\,330\,131\,838\,330\,448\,634\,580\,302\,640\,556\,619\,308\,154\,925\,088\,768\ z^{53}\ -$

$998\,626\,138\,334\,634\,171\,702\,206\,059\,377\,310\,386\,967\,469\,441\,878\,595\,928\,317\,598\,202\,404\,006\,778\,064\,567\,986\,872\,807\,063\,552\ z^{55}\ +$

$1\,767\,390\,022\,140\,405\,604\,956\,216\,914\,508\,385\,359\,686\,536\,224\,642\,617\,077\,768\,357\,632\,926\,749\,866\,196\,161\,186\,129\,882\,585\,759\,744\ z^{57}\ -$

$899\,670\,406\,405\,441\,297\,930\,968\,746\,863\,207\,085\,115\,805\,576\,120\,917\,015\,302\,489\,162\,816\,517\,823\,638\,694\,560\,322\,394\,401\,340\,915\,712\ z^{59}\ +$

$70\,884\,143\,714\,496\,296\,607\,100\,483\,616\,153\,655\,552\,920\,787\,950\,422\,088\,284\,597\,654\,411\,540\,049\,085\,602\,769\,713\,462\,897\,269\,329\,100\,800\ z^{61}\big)\ D_z^{50}\ +$

$\big(76\,191\,472\,299\,411\,478\,780\,688\,056\,886\,393\,945\,196\,028\,869\,904\,878\,748\,564\,365\,513\,569\,017\,820\,357\,707\,776\ z^{48}\ -$

$89\,883\,490\,528\,453\,525\,362\,107\,830\,618\,339\,467\,098\,809\,325\,315\,738\,772\,957\,493\,932\,999\,735\,068\,629\,576\,187\,904\,000\ z^{50}\ +$

$4\,269\,406\,435\,747\,425\,109\,520\,587\,427\,972\,363\,157\,048\,014\,685\,776\,888\,383\,202\,162\,951\,525\,310\,196\,455$

$$112\,166\,961\,315\,840\,z^{52}\,-$$

$$42\,794\,498\,541\,652\,616\,972\,560\,837\,881\,421\,121\,351\,153\,074\,647\,837\,281\,912\,601\,649\,926\,532\,642\,119\,\backslash$$
$$655\,740\,407\,689\,217\,310\,720\,z^{54}\,+$$

$$82\,485\,828\,038\,620\,186\,900\,947\,870\,315\,853\,458\,869\,453\,462\,090\,085\,349\,999\,108\,308\,596\,527\,916\,326\,\backslash$$
$$283\,518\,507\,301\,966\,092\,173\,312\,z^{56}\,-$$

$$45\,469\,739\,791\,422\,508\,687\,300\,137\,229\,761\,386\,506\,741\,090\,818\,576\,625\,905\,344\,051\,060\,289\,938\,154\,\backslash$$
$$164\,756\,536\,972\,734\,419\,013\,992\,448\,z^{58}\,+$$

$$3\,859\,966\,222\,367\,300\,690\,574\,058\,025\,857\,618\,008\,287\,414\,231\,264\,873\,719\,691\,340\,555\,444\,115\,962\,888\,\backslash$$
$$799\,253\,530\,367\,764\,175\,467\,315\,200\,z^{60}\Big)\,D_z^{49}\,+$$

$$\Big(2\,161\,972\,379\,689\,431\,719\,613\,454\,251\,730\,849\,558\,753\,838\,113\,858\,616\,552\,102\,309\,285\,595\,120\,847\,165\,\backslash$$
$$707\,264\,z^{47}\,-$$

$$2\,849\,746\,419\,876\,172\,739\,535\,792\,411\,937\,715\,077\,976\,570\,845\,867\,459\,815\,164\,512\,691\,462\,875\,333\,566\,\backslash$$
$$175\,953\,027\,072\,z^{49}\,+$$

$$149\,928\,865\,304\,188\,427\,931\,552\,945\,422\,495\,190\,762\,768\,744\,306\,788\,854\,998\,478\,238\,895\,274\,271\,733\,\backslash$$
$$983\,667\,245\,165\,838\,336\,z^{51}\,-$$

$$1\,651\,833\,187\,942\,937\,788\,090\,759\,144\,946\,681\,988\,517\,856\,121\,784\,560\,734\,537\,271\,884\,058\,750\,032\,384\,\backslash$$
$$540\,536\,949\,590\,047\,326\,208\,z^{53}\,+$$

$$3\,476\,102\,500\,871\,289\,979\,538\,297\,094\,811\,868\,735\,667\,513\,887\,936\,016\,574\,522\,472\,537\,342\,043\,993\,243\,\backslash$$
$$547\,433\,728\,479\,516\,463\,988\,736\,z^{55}\,-$$

$$2\,079\,624\,907\,314\,065\,481\,553\,061\,186\,395\,511\,422\,680\,734\,679\,324\,559\,081\,266\,879\,194\,400\,000\,306\,028\,\backslash$$
$$991\,586\,215\,338\,862\,485\,866\,283\,008\,z^{57}\,+$$

$$190\,589\,492\,897\,806\,784\,613\,569\,405\,374\,356\,807\,998\,197\,805\,156\,259\,881\,572\,896\,893\,915\,390\,813\,589\,\backslash$$
$$992\,989\,394\,371\,860\,421\,151\,608\,012\,800\,z^{59}\Big)\,D_z^{48}\,+$$

$$\Big(54\,713\,926\,767\,387\,875\,795\,263\,571\,735\,687\,634\,068\,933\,751\,133\,597\,409\,954\,784\,719\,489\,657\,668\,442\,769\,\backslash$$
$$912\,480\,z^{46}\,-$$

$$80\,888\,949\,657\,211\,855\,471\,480\,145\,457\,114\,179\,060\,160\,486\,925\,239\,792\,585\,561\,691\,793\,290\,626\,966\,\backslash$$
$$682\,244\,988\,321\,792\,z^{48}\,+$$

$$4\,729\,440\,033\,336\,892\,087\,196\,787\,354\,275\,013\,026\,484\,182\,428\,993\,665\,034\,526\,699\,287\,490\,348\,891\,525\,\backslash$$
$$570\,230\,298\,351\,763\,456\,z^{50}\,-$$

$$57\,441\,916\,565\,577\,808\,353\,743\,096\,466\,732\,961\,254\,935\,672\,232\,957\,835\,403\,507\,486\,019\,111\,498\,137\,\backslash$$
$$383\,551\,772\,509\,254\,386\,188\,288\,z^{52}\,+$$

$$132\,319\,003\,330\,958\,212\,258\,222\,706\,557\,706\,582\,915\,768\,376\,710\,256\,535\,794\,824\,863\,493\,992\,858\,928\,\backslash$$
$$014\,468\,206\,552\,544\,321\,455\,783\,936\,z^{54}\,-$$

$$86\,113\,534\,568\,974\,485\,351\,790\,619\,498\,515\,467\,944\,614\,973\,971\,272\,020\,754\,567\,294\,704\,926\,760\,850\,\backslash$$
$$867\,762\,525\,398\,002\,637\,697\,296\,891\,904\,z^{56}\,+$$

$$8\,537\,661\,393\,382\,630\,263\,887\,535\,382\,667\,864\,937\,287\,290\,268\,137\,525\,936\,898\,934\,191\,638\,129\,963\,772\,\backslash$$
$$945\,187\,747\,834\,310\,507\,409\,650\,483\,200\,z^{58}\Big)\,D_z^{47}\,+$$

$$\Big(1\,234\,131\,432\,738\,785\,072\,950\,249\,581\,306\,451\,623\,165\,928\,446\,499\,235\,704\,158\,492\,787\,266\,554\,792\,276\,\backslash$$
$$897\,529\,840\,z^{45}\,-$$

$$2\,054\,698\,616\,202\,472\,717\,219\,780\,389\,416\,113\,439\,055\,728\,092\,359\,381\,305\,456\,278\,613\,059\,678\,645\,618\,\backslash$$
$$128\,681\,840\,893\,952\,z^{47}\,+$$

$$133\,983\,031\,666\,463\,666\,766\,026\,547\,532\,223\,724\,994\,509\,576\,827\,397\,634\,983\,048\,802\,569\,325\,422\,269\,\backslash$$
$$802\,203\,033\,472\,290\,783\,232\,z^{49}\,-$$

$$1\,799\,534\,946\,765\,117\,269\,032\,202\,756\,739\,330\,724\,231\,040\,786\,104\,129\,344\,495\,267\,508\,428\,628\,272\,878\,\backslash$$
$$874\,672\,194\,885\,932\,548\,096\,000\,z^{51}\,+$$

$$4\,550\,048\,670\,861\,093\,267\,961\,448\,759\,691\,700\,695\,566\,551\,778\,541\,942\,339\,740\,651\,816\,694\,757\,645\,805\,\backslash$$
$$399\,076\,563\,267\,106\,215\,439\,630\,336\,z^{53}\,-$$

$$3\,229\,115\,494\,271\,176\,108\,783\,537\,956\,467\,134\,782\,034\,829\,854\,277\,561\,069\,278\,285\,131\,154\,536\,938\,517\,\backslash$$
$$741\,878\,130\,646\,650\,811\,565\,048\,070\,144\,z^{55}\,+$$

$$347\,097\,619\,996\,394\,758\,589\,500\,451\,804\,817\,534\,557\,343\,400\,958\,757\,405\,022\,564\,669\,278\,404\,023\,999\,\backslash$$
$$564\,293\,918\,313\,370\,342\,527\,606\,141\,747\,200\,z^{57}\Big)\,D_z^{46}\,+$$

$\Big($24 787 058 732 262 100 887 562 089 987 367 168 563 285 413 974 113 473 197 104 693 341 679 697 765 754 406 447 600 z^{44} −

46 675 078 990 444 947 667 338 982 528 772 622 329 613 415 719 675 113 331 003 898 243 828 608 055 986 638 520 002 196 480 z^{46} +

3 407 260 606 497 228 120 293 452 288 528 168 021 348 296 505 863 820 387 052 062 183 724 351 422 792 852 304 268 012 239 978 496 z^{48} −

50 774 064 669 181 532 686 934 009 837 706 981 627 448 319 130 468 024 114 815 309 897 313 253 522 063 974 953 237 523 665 585 700 864 z^{50} +

141 326 821 420 496 576 639 279 655 641 133 166 592 742 623 024 492 011 666 431 685 172 999 921 599 509 301 163 479 914 000 444 165 193 728 z^{52} −

109 655 513 769 021 112 064 480 915 263 046 127 397 764 073 820 553 720 662 645 346 793 394 534 411 397 054 668 249 713 183 184 757 328 969 728 z^{54} +

12 808 429 802 557 025 741 909 797 808 273 129 805 527 821 354 181 494 954 183 461 262 956 796 102 722 680 098 230 350 275 778 477 181 999 513 600 $z^{56}\Big)$ D_z^{45} +

$\Big($442 736 518 668 538 128 718 813 348 215 865 183 290 692 913 350 970 215 687 260 345 226 267 435 926 438 447 581 960 z^{43} −

947 296 985 711 560 197 100 483 863 388 229 565 240 837 844 292 483 849 603 580 927 013 786 506 831 967 418 903 556 810 240 z^{45} +

77 726 576 475 051 009 536 398 238 520 939 023 359 262 283 802 998 595 861 131 994 714 781 605 955 351 124 905 078 359 003 889 664 z^{47} −

1 289 603 222 681 381 802 315 574 740 061 036 422 450 777 379 433 490 787 745 959 137 809 815 833 438 066 862 278 827 518 869 217 738 752 z^{49} +

3 963 737 380 181 995 819 494 230 393 698 672 035 205 761 526 039 412 950 834 795 448 815 710 948 409 334 329 120 713 896 095 910 373 359 616 z^{51} −

3 371 570 685 704 968 131 456 776 999 357 879 348 776 596 892 768 937 900 952 981 574 600 246 052 270 974 530 343 828 313 041 812 046 756 184 064 z^{53} +

428 988 419 034 586 402 991 432 892 613 420 892 897 199 638 479 223 720 728 463 494 222 308 284 224 828 942 974 925 854 054 817 202 521 610 649 600 $z^{55}\Big)$ D_z^{44} +

$\Big($7 021 821 100 318 923 777 653 937 656 084 158 796 210 309 369 678 756 043 296 567 232 490 899 545 750 788 521 562 530 z^{42} −

17 156 210 243 258 193 799 921 517 635 237 109 813 100 722 605 022 997 301 763 973 852 146 008 597 454 824 342 752 450 356 640 z^{44} +

1 589 021 032 824 264 118 052 621 604 499 855 114 036 614 232 264 055 323 281 903 770 070 189 025 412 078 057 938 473 789 298 974 720 z^{46} −

29 463 704 775 248 115 650 930 650 363 865 661 424 517 720 584 747 279 302 476 797 275 620 937 864 720 090 396 129 436 422 967 293 640 704 z^{48} +

100 328 125 349 925 147 100 655 294 225 584 984 195 027 728 985 996 618 211 943 141 536 258 908 082 578 124 168 757 240 859 375 674 700 333 056 z^{50} −

93 825 998 182 225 585 395 551 797 606 614 858 707 590 609 765 619 066 203 781 745 410 739 850 717 602 194 160 893 123 960 504 684 110 147 485 696 z^{52} +

13 037 456 268 475 984 454 126 426 415 162 442 916 687 503 045 221 558 347 088 377 257 661 482 174 764 511 721 123 885 012 590 782 686 770 180 915 200 $z^{54}\Big)$ D_z^{43} +

$\Big($98 703 468 815 382 911 006 983 219 803 774 684 904 565 559 261 207 897 892 334 865 996 291 070 573 450 277 024 428 275 z^{41} −

276 848 715 286 086 514 087 235 017 620 565 433 556 921 156 425 629 090 454 365 143 763 384 185 205 597 722 898 292 550 764 880 z^{43} +

29 078 132 192 792 042 487 396 801 405 179 783 738 658 734 396 828 171 437 139 212 647 793 365 391 261 692 805 449 114 901 570 990 080 z^{45} −

604 954 782 618 447 590 518 755 144 342 847 509 059 694 032 590 386 643 958 875 903 146 271 483 280 496 302 082 770 252 892 737 309 245 440 z^{47} +

2 290 096 958 351 030 117 907 238 106 674 375 509 814 917 057 594 144 165 438 725 109 173 875 527 870

$903\,124\,762\,320\,671\,916\,025\,550\,368\,407\,552\ z^{49}\ -$

$2\,361\,855\,383\,411\,455\,854\,331\,776\,097\,139\,482\,006\,124\,021\,649\,923\,740\,578\,629\,956\,745\,240\,576\,021\,746\ \textrm{\small$\smallsetminus$}$
$720\,904\,132\,350\,063\,394\,299\,997\,499\,256\,995\,840\ z^{51}\ +$

$359\,377\,206\,597\,605\,023\,424\,032\,585\,751\,678\,461\,892\,388\,959\,265\,029\,422\,057\,625\,768\,352\,086\,718\,786\ \textrm{\small$\smallsetminus$}$
$392\,772\,795\,418\,195\,935\,826\,127\,657\,786\,513\,817\,600\ z^{53}\big)\ D_z^{42}\ +$

$\big(1\,227\,011\,924\,620\,953\,045\,656\,418\,184\,035\,972\,913\,883\,149\,058\,707\,469\,759\,759\,479\,762\,934\,821\,233\,464\ \textrm{\small$\smallsetminus$}$
$134\,980\,535\,124\,100\ z^{40}\ -$

$3\,973\,560\,845\,848\,513\,472\,067\,181\,486\,510\,108\,985\,075\,140\,477\,166\,648\,854\,998\,841\,308\,165\,825\,009\,862\ \textrm{\small$\smallsetminus$}$
$528\,970\,964\,493\,833\,033\,000\ z^{42}\ +$

$475\,611\,759\,051\,685\,056\,919\,445\,896\,668\,147\,227\,359\,573\,504\,617\,568\,322\,887\,415\,760\,668\,021\,350\,933\ \textrm{\small$\smallsetminus$}$
$103\,657\,409\,198\,614\,622\,221\,844\,480\ z^{44}\ -$

$11\,149\,412\,370\,292\,625\,125\,228\,546\,811\,302\,784\,882\,571\,402\,082\,993\,699\,228\,075\,041\,850\,373\,178\,839\ \textrm{\small$\smallsetminus$}$
$259\,600\,867\,328\,778\,408\,038\,943\,661\,490\,176\ z^{46}\ +$

$47\,096\,027\,493\,242\,942\,059\,264\,034\,282\,217\,717\,852\,598\,988\,919\,295\,583\,502\,119\,302\,122\,748\,665\,582\ \textrm{\small$\smallsetminus$}$
$201\,930\,335\,433\,191\,317\,504\,463\,066\,193\,985\,536\ z^{48}\ -$

$53\,738\,956\,787\,753\,788\,921\,421\,084\,237\,494\,833\,728\,127\,199\,602\,214\,541\,121\,120\,843\,352\,347\,273\,994\ \textrm{\small$\smallsetminus$}$
$235\,393\,655\,208\,168\,166\,036\,192\,268\,386\,555\,658\,240\ z^{50}\ +$

$8\,979\,519\,879\,307\,089\,553\,815\,931\,367\,591\,452\,031\,024\,993\,351\,729\,965\,688\,605\,646\,327\,965\,821\,256\,717\ \textrm{\small$\smallsetminus$}$
$539\,503\,859\,402\,081\,866\,039\,519\,092\,184\,344\,166\,400\ z^{52}\big)\ D_z^{41}\ +$

$\big(13\,455\,754\,727\,309\,664\,097\,312\,369\,282\,170\,690\,639\,995\,666\,760\,485\,539\,457\,916\,333\,241\,336\,709\,593\,159\ \textrm{\small$\smallsetminus$}$
$640\,819\,015\,684\,400\ z^{39}\ -$

$50\,621\,733\,344\,408\,358\,250\,402\,882\,001\,404\,661\,457\,341\,952\,967\,848\,508\,273\,885\,819\,993\,183\,518\,550\ \textrm{\small$\smallsetminus$}$
$299\,074\,202\,448\,830\,482\,029\,860\ z^{41}\ +$

$6\,941\,425\,835\,614\,641\,215\,997\,653\,925\,537\,462\,767\,743\,581\,806\,957\,140\,929\,179\,656\,931\,707\,075\,966\,469\ \textrm{\small$\smallsetminus$}$
$736\,171\,803\,514\,022\,704\,399\,052\,800\ z^{43}\ -$

$184\,189\,016\,121\,375\,509\,470\,811\,467\,378\,850\,723\,107\,550\,371\,419\,646\,557\,093\,553\,400\,676\,313\,896\,511\ \textrm{\small$\smallsetminus$}$
$120\,017\,495\,908\,812\,446\,220\,895\,483\,068\,416\ z^{45}\ +$

$871\,583\,376\,871\,970\,867\,138\,375\,375\,408\,461\,313\,236\,487\,053\,698\,570\,645\,111\,450\,446\,219\,362\,173\,678\ \textrm{\small$\smallsetminus$}$
$337\,533\,115\,056\,063\,992\,742\,091\,140\,611\,702\,784\ z^{47}\ -$

$1\,104\,114\,225\,829\,995\,935\,524\,887\,339\,918\,255\,742\,784\,737\,169\,040\,646\,487\,472\,827\,520\,912\,211\,155\,147\ \textrm{\small$\smallsetminus$}$
$165\,735\,765\,385\,063\,488\,666\,975\,417\,444\,209\,786\,880\ z^{49}\ +$

$203\,215\,758\,122\,921\,008\,631\,282\,607\,479\,825\,130\,242\,908\,842\,525\,390\,220\,016\,117\,554\,620\,767\,273\,542\ \textrm{\small$\smallsetminus$}$
$159\,057\,304\,825\,603\,231\,736\,726\,259\,981\,621\,395\,456\,000\ z^{51}\big)\ D_z^{40}\ +$

$\big(129\,796\,639\,224\,437\,584\,973\,546\,812\,381\,448\,424\,404\,946\,371\,135\,287\,294\,103\,879\,778\,802\,012\,832\,156\ \textrm{\small$\smallsetminus$}$
$150\,426\,987\,655\,129\,300\ z^{38}\ -$

$571\,063\,072\,849\,313\,050\,540\,793\,497\,334\,122\,836\,666\,043\,036\,194\,626\,954\,014\,716\,465\,131\,888\,275\,689\ \textrm{\small$\smallsetminus$}$
$340\,780\,116\,356\,816\,065\,909\,920\ z^{40}\ +$

$90\,219\,270\,357\,483\,323\,533\,344\,915\,325\,918\,261\,162\,933\,703\,757\,555\,953\,667\,263\,110\,946\,156\,578\,905\ \textrm{\small$\smallsetminus$}$
$434\,399\,209\,496\,223\,175\,340\,703\,498\,240\ z^{42}\ -$

$2\,722\,978\,535\,331\,587\,157\,846\,628\,667\,614\,340\,390\,717\,187\,747\,061\,622\,994\,577\,768\,507\,765\,671\,109\,665\ \textrm{\small$\smallsetminus$}$
$392\,270\,652\,563\,544\,817\,872\,205\,496\,451\,072\ z^{44}\ +$

$14\,495\,394\,668\,887\,030\,607\,036\,247\,171\,568\,998\,715\,472\,097\,765\,115\,910\,308\,566\,205\,192\,047\,044\,097\ \textrm{\small$\smallsetminus$}$
$072\,923\,052\,626\,047\,904\,399\,924\,719\,623\,056\,916\,480\ z^{46}\ -$

$20\,460\,956\,631\,289\,333\,220\,465\,913\,646\,868\,784\,824\,790\,714\,949\,664\,255\,102\,048\,770\,976\,128\,821\,261\ \textrm{\small$\smallsetminus$}$
$030\,543\,637\,881\,058\,387\,967\,692\,833\,918\,411\,016\,765\,440\ z^{48}\ +$

$4\,161\,422\,731\,308\,550\,812\,966\,788\,115\,974\,022\,092\,739\,004\,949\,905\,736\,868\,531\,681\,554\,275\,279\,302\,230\ \textrm{\small$\smallsetminus$}$
$503\,291\,465\,108\,510\,681\,106\,411\,962\,931\,940\,950\,016\,000\ z^{50}\big)\ D_z^{39}\ +$

$\big(1\,097\,741\,271\,108\,056\,103\,912\,012\,794\,324\,231\,503\,089\,146\,489\,252\,863\,365\,308\,453\,372\,234\,811\,099\,012\ \textrm{\small$\smallsetminus$}$
$283\,203\,409\,737\,678\,600\ z^{37}\ -$

$5\,689\,172\,560\,543\,267\,467\,725\,649\,721\,626\,125\,920\,600\,610\,257\,072\,779\,041\,910\,461\,997\,740\,428\,401\,740\ \textrm{\small$\smallsetminus$}$
$042\,851\,173\,294\,888\,378\,573\,360\ z^{39}\ +$

1 041 901 056 969 322 951 940 586 912 713 004 741 072 073 420 232 200 860 233 255 195 143 715 809 127
137 166 714 607 786 648 430 718 668 800 z^{41} −

35 956 055 377 524 282 873 235 914 590 261 049 980 748 579 112 165 074 899 503 766 208 221 705 259
571 401 790 326 921 040 764 463 312 328 196 096 z^{43} +

216 298 717 759 076 629 716 950 345 076 687 966 099 629 751 722 728 103 602 479 887 299 823 973 968
454 757 550 691 343 108 638 949 964 584 247 623 680 z^{45} −

341 536 096 346 398 110 061 705 263 670 583 013 036 451 014 148 637 434 560 762 840 223 924 276 246
042 912 995 437 948 563 858 570 266 821 500 505 948 160 z^{47} +

77 020 350 751 477 203 426 096 997 052 994 129 339 566 731 042 604 337 917 192 485 677 832 817 124
238 000 670 675 777 692 308 745 668 793 306 020 052 992 000 z^{49}) D_z^{38} +

(8 109 978 794 937 585 036 931 504 507 812 950 273 264 982 933 286 803 165 367 792 732 622 600 081 553
162 663 139 248 060 000 z^{36} −

49 900 781 759 033 741 938 986 132 983 995 671 013 694 635 774 714 749 384 892 650 278 056 133 249
092 259 405 529 752 305 623 847 440 z^{38} +

10 664 046 045 416 746 981 847 031 706 811 914 881 518 965 298 163 837 113 848 419 498 710 999 894
281 522 580 536 584 780 352 437 714 585 600 z^{40} −

423 167 887 139 405 065 673 085 802 430 736 063 229 842 754 904 301 936 653 842 902 214 098 767 901
434 249 176 044 922 630 305 609 344 921 370 624 z^{42} +

2 890 593 899 231 921 128 830 834 809 242 377 381 830 757 936 809 743 068 825 273 440 143 756 690 611
488 557 183 949 119 724 822 693 051 103 770 050 560 z^{44} −

5 127 055 062 224 947 102 616 987 957 899 730 660 697 058 908 589 446 567 418 142 851 540 947 842 152
536 171 611 995 790 120 651 565 616 247 947 552 358 400 z^{46} +

1 286 665 980 019 665 702 127 113 657 321 735 471 207 158 801 451 889 462 638 328 823 488 513 413 246
933 197 081 594 751 647 332 012 951 916 994 097 053 696 000 z^{48}) D_z^{37} +

(52 122 295 885 306 996 704 879 556 124 087 658 178 674 119 293 373 707 843 527 431 369 975 142 612 864
725 534 103 920 661 000 z^{35} −

384 032 723 179 817 694 764 094 427 831 061 760 819 946 177 376 062 817 062 752 650 739 867 686 396
675 928 036 713 681 622 778 131 600 z^{37} +

96 457 943 809 625 087 538 088 648 828 892 897 456 937 506 110 988 541 070 177 662 641 410 816 239
756 286 640 284 065 179 810 820 310 732 800 z^{39} −

4 428 040 706 975 208 618 760 949 508 059 426 268 969 422 289 623 251 689 525 788 894 217 818 171 433
782 209 267 404 526 637 116 356 949 801 697 280 z^{41} +

34 524 768 644 651 670 938 915 660 576 919 948 835 803 361 597 748 647 815 504 567 515 211 951 874
642 466 131 956 876 577 501 413 562 086 980 667 310 080 z^{43} −

69 095 295 885 190 941 478 346 026 520 618 067 928 998 978 404 651 638 434 914 418 114 571 432 012
200 452 549 465 807 795 729 581 717 900 094 012 286 566 400 z^{45} +

19 371 169 820 997 653 270 650 863 630 135 924 320 426 114 897 177 415 650 322 437 658 969 914 566
221 124 862 796 741 454 770 282 392 057 472 209 381 228 544 000 z^{47}) D_z^{36} +

(290 061 039 384 179 316 835 864 753 485 538 582 467 848 055 687 251 821 523 084 252 299 787 736 958
411 276 495 340 288 730 000 z^{34} −

2 583 209 427 280 155 917 808 422 725 340 755 745 893 510 195 839 055 087 343 826 334 341 565 836 072
029 287 109 896 393 882 578 124 800 z^{36} +

768 555 569 923 402 820 511 836 878 379 727 537 920 474 054 789 705 786 105 496 615 244 735 311 966
970 119 971 983 082 583 555 571 057 459 200 z^{38} −

41 085 205 831 396 586 410 512 245 467 712 941 428 395 603 936 652 736 100 598 310 100 477 576 229
871 432 551 805 937 653 054 254 176 483 742 842 880 z^{40} +

367 684 046 871 156 546 767 405 395 363 950 201 934 944 350 357 780 872 757 025 090 908 351 070 084
860 101 862 486 826 092 382 150 062 480 905 753 067 520 z^{42} −

834 272 885 098 878 820 313 896 459 256 753 230 381 128 690 616 093 603 306 458 863 535 946 420 436
568 427 260 793 714 565 498 816 738 199 396 030 401 740 800 z^{44} +

262 373 786 991 611 938 262 162 431 976 597 264 318 004 266 808 894 251 727 982 000 556 374 616 548

$255\,267\,669\,819\,947\,953\,242\,807\,002\,312\,921\,152\,288\,194\,560\,000\,z^{46}\Big)\,D_z^{35}\,+$

$\Big(1\,390\,419\,758\,920\,943\,246\,926\,358\,864\,789\,270\,604\,014\,637\,853\,750\,919\,840\,457\,686\,701\,405\,735\,863\,048\,653\,990\,432\,227\,946\,364\,000\,z^{33}\,-$

$15\,121\,988\,288\,298\,591\,081\,083\,471\,888\,432\,934\,978\,612\,193\,652\,903\,990\,368\,917\,689\,638\,271\,153\,044\,674\,720\,927\,425\,486\,794\,582\,852\,377\,600\,z^{35}\,+$

$5\,374\,889\,813\,059\,062\,748\,159\,116\,532\,218\,835\,519\,911\,500\,596\,627\,451\,252\,958\,853\,076\,784\,593\,449\,611\,429\,154\,269\,499\,060\,963\,614\,545\,961\,984\,000\,z^{37}\,-$

$336\,986\,122\,123\,124\,166\,290\,080\,276\,503\,148\,040\,947\,436\,846\,564\,629\,685\,179\,827\,874\,855\,578\,421\,080\,149\,416\,259\,489\,782\,747\,746\,250\,367\,596\,741\,263\,360\,z^{39}\,+$

$3\,482\,486\,885\,061\,805\,751\,999\,806\,928\,945\,717\,900\,098\,092\,534\,431\,762\,514\,640\,714\,017\,910\,438\,934\,532\,419\,320\,877\,388\,759\,654\,241\,843\,780\,305\,419\,658\,854\,400\,z^{41}\,-$

$9\,004\,768\,116\,086\,399\,017\,719\,869\,706\,940\,252\,545\,844\,200\,179\,383\,817\,278\,435\,194\,111\,561\,128\,570\,759\,255\,561\,988\,076\,996\,583\,854\,026\,244\,081\,709\,207\,676\,518\,400\,z^{43}\,+$

$3\,190\,888\,467\,655\,077\,268\,232\,769\,402\,068\,861\,883\,949\,388\,747\,239\,417\,281\,413\,912\,977\,310\,612\,725\,624\,392\,295\,198\,881\,298\,910\,434\,143\,794\,661\,695\,371\,880\,693\,760\,000\,z^{45}\Big)\,D_z^{34}\,+$

$\Big(5\,707\,430\,073\,707\,160\,830\,033\,565\,887\,288\,117\,220\,229\,528\,277\,595\,708\,009\,832\,288\,934\,584\,462\,927\,765\,664\,234\,574\,837\,831\,252\,000\,z^{32}\,-$

$76\,669\,091\,971\,804\,676\,541\,350\,001\,169\,978\,631\,464\,619\,351\,417\,811\,069\,113\,081\,057\,880\,975\,544\,188\,038\,708\,778\,979\,450\,476\,155\,593\,372\,800\,z^{34}\,+$

$32\,860\,560\,402\,003\,894\,305\,329\,576\,239\,367\,133\,854\,412\,334\,545\,151\,733\,854\,492\,264\,395\,671\,586\,103\,636\,269\,841\,684\,549\,557\,961\,212\,996\,327\,424\,000\,z^{36}\,-$

$2\,435\,104\,833\,728\,810\,415\,639\,668\,522\,648\,218\,762\,858\,128\,694\,201\,501\,501\,344\,253\,562\,708\,419\,162\,282\,037\,971\,478\,812\,327\,502\,412\,152\,201\,741\,630\,177\,280\,z^{38}\,+$

$29\,249\,371\,049\,261\,685\,456\,542\,473\,156\,648\,700\,118\,578\,737\,061\,839\,954\,965\,267\,975\,777\,367\,804\,542\,806\,553\,066\,716\,926\,256\,285\,580\,097\,071\,263\,548\,597\,862\,400\,z^{40}\,-$

$86\,667\,380\,321\,842\,276\,397\,778\,888\,432\,676\,150\,891\,146\,440\,265\,505\,566\,255\,447\,943\,045\,946\,099\,024\,617\,921\,904\,066\,248\,579\,952\,502\,366\,470\,182\,122\,827\,651\,481\,600\,z^{42}\,+$

$34\,768\,255\,350\,562\,416\,278\,670\,824\,553\,463\,725\,056\,516\,607\,536\,277\,186\,845\,232\,853\,684\,334\,356\,877\,333\,862\,633\,686\,417\,077\,942\,505\,592\,883\,369\,952\,416\,597\,278\,720\,000\,z^{44}\Big)\,D_z^{33}\,+$

$\Big(19\,929\,717\,787\,389\,356\,830\,391\,901\,377\,521\,285\,144\,945\,930\,971\,365\,693\,502\,408\,271\,869\,059\,988\,756\,112\,180\,621\,120\,453\,200\,300\,000\,z^{31}\,-$

$334\,848\,048\,214\,399\,049\,463\,053\,639\,288\,732\,893\,873\,158\,551\,413\,579\,725\,521\,223\,886\,398\,429\,501\,672\,936\,724\,735\,934\,251\,197\,291\,280\,195\,200\,z^{33}\,+$

$174\,841\,372\,226\,378\,029\,023\,317\,647\,763\,612\,104\,818\,207\,236\,572\,480\,169\,098\,072\,075\,956\,977\,957\,074\,567\,051\,889\,442\,065\,512\,624\,161\,929\,920\,512\,000\,z^{35}\,-$

$15\,444\,109\,168\,652\,022\,478\,140\,446\,017\,065\,449\,865\,383\,510\,145\,397\,179\,236\,502\,307\,685\,152\,675\,707\,578\,263\,121\,569\,153\,499\,699\,575\,396\,079\,945\,090\,334\,720\,z^{37}\,+$

$217\,148\,944\,585\,615\,101\,717\,276\,065\,431\,773\,302\,780\,907\,920\,068\,709\,170\,169\,034\,430\,725\,593\,917\,369\,487\,197\,062\,866\,060\,332\,023\,892\,328\,749\,579\,362\,946\,252\,800\,z^{39}\,-$

$741\,739\,274\,935\,102\,904\,149\,802\,958\,447\,243\,331\,875\,748\,003\,269\,774\,569\,065\,122\,702\,654\,439\,044\,047\,751\,475\,619\,903\,977\,510\,592\,001\,366\,988\,186\,677\,034\,352\,640\,000\,z^{41}\,+$

$338\,596\,510\,193\,617\,825\,907\,731\,968\,640\,459\,647\,899\,106\,117\,926\,183\,672\,174\,516\,576\,186\,864\,690\,602\,416\,578\,770\,449\,458\,765\,309\,042\,681\,406\,562\,959\,031\,334\,338\,560\,000\,z^{43}\Big)\,D_z^{32}\,+$

$\Big(58\,760\,934\,325\,026\,741\,905\,229\,352\,896\,749\,376\,054\,634\,264\,886\,660\,376\,270\,264\,942\,332\,770\,456\,907\,595\,606\,278\,228\,164\,694\,280\,000\,z^{30}\,-$

$1\,252\,166\,405\,035\,984\,947\,421\,841\,923\,550\,100\,900\,271\,338\,575\,556\,320\,574\,485\,392\,599\,249\,327\,268\,074\,111\,789\,720\,127\,135\,571\,861\,089\,920\,000\,z^{32}\,+$

$805\,573\,422\,560\,166\,503\,364\,922\,398\,989\,952\,120\,805\,914\,416\,603\,375\,281\,021\,243\,598\,569\,573\,176\,068\,049\,776\,956\,757\,004\,367\,735\,061\,269\,831\,680\,000\,z^{34}\,-$

$85\,610\,048\,852\,244\,413\,574\,316\,695\,037\,373\,023\,334\,492\,294\,768\,579\,829\,533\,129\,375\,537\,336\,117\,660\,964\,561\,707\,020\,211\,285\,244\,640\,924\,948\,006\,699\,008\,000\,z^{36}\,+$

$1\,419\,913\,519\,443\,453\,685\,526\,805\,453\,606\,121\,290\,293\,602\,715\,402\,572\,893\,708\,490\,033\,817\,653\,000\,997\,473\,566\,018\,483\,893\,184\,651\,041\,481\,638\,084\,392\,412\,774\,400\,z^{38}\,-$

$5\,627\,593\,140\,453\,910\,641\,244\,727\,358\,493\,998\,721\,631\,973\,359\,078\,475\,126\,405\,686\,859\,011\,082\,589\,711\,029\,844\,006\,951\,610\,022\,168\,721\,727\,104\,452\,863\,931\,187\,200\,000\,z^{40}\,+$

$2\,939\,308\,970\,966\,127\,792\,203\,852\,829\,813\,182\,147\,194\,994\,066\,302\,121\,031\,600\,335\,942\,537\,693\,697\,029\,185\,099\,237\,309\,222\,633\,567\,302\,299\,310\,075\,751\,309\,969\,981\,440\,000\,z^{42}\Big)\,D_z^{31}\,+$

$\Big(145\,057\,540\,591\,466\,193\,905\,578\,869\,505\,793\,156\,870\,051\,290\,886\,749\,099\,488\,196\,914\,443\,010\,330\,214\,237\,205\,699\,507\,302\,107\,240\,000\,z^{29}\,-$

$3\,982\,092\,242\,909\,235\,738\,952\,013\,134\,633\,513\,057\,694\,323\,211\,657\,763\,896\,747\,652\,148\,647\,440\,127\,906\,409\,037\,617\,927\,854\,515\,534\,104\,704\,000\,z^{31}\,+$

$3\,196\,189\,783\,915\,694\,616\,702\,348\,688\,592\,585\,551\,559\,490\,011\,157\,792\,349\,147\,006\,000\,921\,871\,198\,612\,643\,696\,809\,048\,477\,003\,559\,067\,492\,712\,448\,000\,z^{33}\,-$

$412\,834\,989\,963\,336\,144\,226\,496\,589\,144\,332\,425\,956\,193\,434\,822\,646\,071\,246\,838\,908\,068\,925\,989\,497\,165\,200\,506\,249\,432\,701\,167\,565\,988\,090\,722\,910\,208\,000\,z^{35}\,+$

$8\,145\,343\,175\,308\,063\,337\,477\,615\,735\,580\,852\,461\,265\,430\,433\,428\,597\,979\,388\,943\,900\,958\,245\,571\,983\,426\,480\,582\,516\,579\,516\,492\,156\,672\,366\,909\,729\,642\,905\,600\,z^{37}\,-$

$37\,721\,667\,874\,750\,700\,936\,094\,636\,385\,910\,574\,977\,438\,123\,947\,983\,324\,903\,799\,629\,113\,093\,627\,364\,050\,590\,911\,259\,858\,851\,804\,659\,640\,268\,413\,739\,522\,704\,015\,360\,000\,z^{39}\,+$

$22\,676\,878\,471\,316\,604\,876\,245\,766\,949\,186\,559\,754\,081\,952\,496\,311\,643\,530\,108\,928\,626\,480\,539\,774\,755\,880\,225\,223\,806\,961\,443\,976\,177\,228\,465\,845\,546\,617\,143\,296\,000\,000\,z^{41}\Big)\,D_z^{30}\,+$

$\Big(296\,960\,240\,678\,971\,624\,685\,612\,364\,144\,090\,367\,704\,706\,055\,498\,793\,866\,494\,934\,589\,682\,503\,813\,156\,882\,842\,947\,579\,311\,982\,560\,000\,z^{28}\,-$

$10\,687\,426\,303\,817\,155\,126\,690\,687\,101\,153\,156\,763\,602\,811\,021\,368\,013\,827\,340\,616\,260\,374\,867\,813\,380\,899\,428\,984\,881\,443\,057\,399\,488\,768\,000\,z^{30}\,+$

$10\,852\,119\,316\,124\,252\,095\,169\,641\,615\,718\,193\,938\,998\,123\,146\,370\,296\,200\,589\,576\,791\,281\,934\,657\,772\,688\,255\,038\,524\,785\,606\,650\,764\,219\,203\,584\,000\,z^{32}\,-$

$1\,722\,911\,125\,913\,509\,299\,915\,657\,802\,426\,660\,217\,940\,715\,948\,766\,581\,339\,767\,565\,075\,151\,105\,702\,591\,681\,023\,870\,510\,133\,650\,991\,571\,319\,915\,278\,237\,696\,000\,z^{34}\,+$

$40\,812\,549\,896\,479\,770\,505\,780\,729\,251\,818\,700\,026\,941\,170\,795\,587\,062\,321\,964\,948\,728\,877\,558\,649\,560\,618\,522\,268\,415\,644\,013\,930\,448\,063\,930\,485\,167\,882\,240\,000\,z^{36}\,-$

$222\,546\,302\,886\,822\,330\,602\,480\,731\,755\,612\,110\,150\,775\,219\,338\,295\,121\,304\,126\,907\,016\,736\,445\,327\,604\,493\,662\,169\,696\,074\,520\,420\,947\,304\,693\,461\,024\,977\,715\,200\,000\,z^{38}\,+$

$154\,979\,684\,311\,643\,521\,151\,962\,403\,092\,311\,569\,862\,118\,872\,010\,298\,379\,444\,798\,129\,286\,401\,127\,472\,136\,383\,505\,360\,289\,089\,944\,041\,968\,849\,852\,956\,726\,022\,635\,520\,000\,000\,z^{40}\Big)\,D_z^{29}\,+$

$\Big(498\,680\,409\,984\,158\,171\,464\,942\,828\,927\,491\,716\,040\,519\,409\,414\,169\,783\,628\,189\,126\,060\,987\,954\,245\,269\,393\,050\,135\,344\,436\,000\,000\,z^{27}\,-$

$23\,999\,147\,896\,551\,753\,540\,928\,556\,125\,082\,561\,589\,915\,223\,555\,114\,646\,546\,891\,095\,466\,263\,480\,639\,710\,554\,017\,139\,011\,759\,587\,836\,385\,024\,000\,z^{29}\,+$

$31\,312\,070\,056\,367\,158\,957\,007\,335\,487\,641\,226\,670\,266\,367\,757\,783\,907\,111\,618\,819\,522\,737\,221\,764\,252\,735\,561\,865\,616\,475\,792\,763\,140\,301\,127\,680\,000\,z^{31}\,-$

$6\,186\,869\,759\,523\,482\,764\,524\,430\,813\,740\,868\,106\,982\,590\,955\,311\,919\,802\,516\,001\,107\,796\,749\,544\,296\,227\,782\,648\,116\,813\,272\,952\,628\,413\,415\,615\,889\,408\,000\,z^{33}\,+$

$177\,746\,057\,670\,309\,707\,118\,795\,126\,302\,694\,594\,100\,832\,419\,607\,860\,592\,954\,248\,553\,187\,485\,352\,770\,595\,557\,875\,780\,412\,877\,063\,530\,785\,897\,369\,289\,820\,733\,440\,000\,z^{35}\,-$

$1\,150\,807\,560\,968\,925\,983\,265\,756\,002\,009\,375\,601\,115\,483\,332\,318\,599\,672\,057\,617\,019\,782\,469\,328\,385\,040\,552\,163\,308\,691\,755\,554\,355\,962\,410\,385\,816\,647\,012\,188\,160\,000\,z^{37}\,+$

$934\,869\,610\,976\,506\,152\,841\,167\,042\,230\,098\,245\,967\,101\,625\,943\,639\,302\,155\,957\,842\,305\,031\,715\,753\,423\,481\,022\,697\,010\,533\,756\,380\,741\,740\,475\,681\,369\,273\,401\,344\,000\,000\,z^{39}\Big)\,D_z^{28}\,+$

$\Big(678\,389\,265\,944\,373\,416\,314\,158\,598\,120\,133\,916\,899\,350\,998\,274\,808\,514\,780\,846\,932\,002\,920\,832\,809\,643\,649\,498\,425\,642\,862\,400\,000\,z^{26}\,-$

$44\,650\,500\,024\,519\,238\,585\,425\,887\,916\,552\,924\,428\,300\,581\,874\,905\,085\,437\,400\,681\,931\,279\,709\,273\,$

060 943 961 356 239 226 983 790 739 456 000 z^{28} +

76 174 247 315 913 580 535 880 066 069 920 127 833 234 207 652 238 606 810 375 227 989 283 386 254 \
364 515 168 332 221 658 940 869 826 615 050 240 000 z^{30} −

18 993 074 373 185 880 103 644 936 168 654 901 157 956 441 987 297 393 033 054 017 516 541 514 103 \
426 914 151 785 670 710 757 257 596 827 607 416 963 072 000 z^{32} +

669 235 564 512 646 063 083 306 575 292 250 363 378 772 004 549 239 263 507 317 596 325 164 904 780 \
110 981 678 422 483 327 323 373 995 233 699 931 283 783 680 000 z^{34} −

5 192 026 386 179 290 842 716 940 295 767 413 632 312 637 037 706 241 291 879 220 913 715 610 580 509 \
264 382 129 310 603 092 800 386 885 266 646 521 541 705 072 640 000 z^{36} +

4 957 711 611 825 359 213 134 394 184 939 323 202 195 560 081 969 144 278 174 400 266 090 652 308 954 \
355 690 103 351 544 125 011 046 839 600 013 586 737 817 190 400 000 000 $z^{38}\big)$ D_z^{27} +

$\big($736 889 012 191 029 298 542 711 118 815 088 392 282 804 717 676 979 933 165 174 638 341 460 092 620 \
590 582 918 102 226 740 800 000 z^{25} −

68 064 499 223 541 864 056 513 767 632 843 941 759 992 165 976 676 926 012 171 422 145 798 202 233 \
261 969 136 963 313 982 332 644 433 920 000 z^{27} +

154 864 142 805 463 225 653 040 840 472 114 406 865 777 642 110 410 504 752 161 215 879 868 749 978 \
714 619 334 308 656 136 968 698 578 439 372 800 000 z^{29} −

49 487 501 508 136 487 001 394 098 747 063 581 376 185 833 875 222 309 089 997 227 374 937 348 983 \
723 059 519 817 325 771 088 890 901 027 231 513 968 640 000 z^{31} +

2 165 294 450 011 693 849 744 834 469 354 098 783 082 221 577 425 843 944 150 478 602 708 454 172 997 \
824 321 979 769 230 706 657 216 675 127 710 420 555 530 240 000 z^{33} −

20 333 234 687 328 443 975 774 510 935 114 680 317 591 020 813 497 502 747 605 269 021 872 251 641 \
200 358 569 413 122 629 349 721 938 367 316 516 219 810 102 640 640 000 z^{35} +

23 012 011 803 081 676 018 110 099 319 422 323 381 056 390 837 638 497 580 911 718 488 737 433 889 \
653 911 730 295 551 826 370 650 385 801 955 186 389 109 308 391 424 000 000 $z^{37}\big)$ D_z^{26} +

$\big($628 511 116 282 630 283 865 570 261 764 423 597 624 148 230 674 460 603 977 609 500 128 168 941 913 \
403 131 727 914 895 014 400 000 z^{24} −

83 932 781 991 326 019 888 574 248 128 828 263 383 639 857 721 866 476 032 786 677 963 491 566 437 \
819 315 231 752 610 932 102 617 630 720 000 z^{26} +

260 481 144 002 965 419 484 313 357 624 640 804 989 587 819 463 672 307 927 619 102 986 158 254 401 \
848 780 500 851 519 223 635 184 553 267 036 160 000 z^{28} −

108 554 007 483 804 445 572 122 220 097 928 444 454 084 646 594 087 928 199 856 992 016 682 047 084 \
164 843 612 911 358 422 850 232 379 332 192 622 346 240 000 z^{30} +

5 979 964 732 794 702 954 835 048 967 262 988 115 534 120 271 553 309 374 764 547 791 351 143 047 280 \
025 452 029 761 741 649 420 156 911 679 678 529 992 130 560 000 z^{32} −

68 730 931 581 514 893 219 536 793 852 889 832 599 804 104 902 888 372 771 907 750 156 561 410 195 \
545 299 563 964 324 908 142 995 998 860 030 320 695 345 183 457 280 000 z^{34} +

93 037 736 849 454 396 991 831 764 101 083 674 169 608 028 431 719 714 457 120 313 612 441 326 435 \
409 233 932 334 990 943 599 568 997 306 753 072 495 904 084 197 376 000 000 $z^{36}\big)$ D_z^{25} +

$\big($412 749 524 396 954 159 795 008 789 659 492 454 974 255 340 229 366 776 436 130 349 532 377 478 145 \
976 063 119 251 781 849 600 000 z^{23} −

82 502 401 836 545 995 538 011 019 196 811 724 331 592 334 243 629 541 500 595 683 267 012 473 491 \
766 426 299 088 913 125 204 083 619 840 000 z^{25} +

358 359 089 640 391 524 225 880 492 111 470 102 831 528 179 708 763 696 066 912 491 083 176 021 846 \
209 720 322 284 414 780 218 868 941 132 922 880 000 z^{27} −

198 642 699 544 255 279 148 833 511 333 303 043 577 382 460 965 855 381 873 896 349 024 706 709 100 \
438 607 467 280 916 155 264 328 427 283 321 590 906 880 000 z^{29} +

13 991 473 843 026 141 556 546 919 864 488 170 790 192 693 260 931 625 236 671 632 163 739 141 376 \
116 872 197 311 912 180 295 677 081 522 277 002 984 292 352 000 000 z^{31} −

199 268 999 910 479 206 945 665 506 364 581 310 926 373 414 437 466 564 084 796 494 300 586 208 037 \
725 200 688 536 557 784 248 597 315 791 953 808 661 969 465 507 840 000 z^{33} +

$$325\,879\,568\,022\,131\,531\,840\,404\,018\,759\,634\,127\,217\,077\,847\,574\,616\,977\,365\,416\,910\,537\,368\,237\,387\,506\,042\,811\,454\,932\,297\,575\,333\,330\,210\,199\,362\,552\,402\,307\,710\,976\,000\,000\,z^{35}\Big)\,D_z^{24}\,+$$

$$\Big(203\,911\,733\,935\,900\,359\,958\,882\,748\,379\,089\,586\,178\,630\,019\,401\,304\,122\,253\,363\,243\,180\,781\,121\,588\,292\,823\,386\,815\,959\,168\,000\,000\,z^{22}\,-$$

$$63\,548\,455\,133\,125\,384\,260\,029\,490\,800\,233\,689\,295\,376\,327\,941\,837\,943\,715\,561\,441\,925\,739\,012\,682\,652\,794\,934\,023\,489\,245\,757\,298\,360\,320\,000\,z^{24}\,+$$

$$398\,010\,061\,630\,273\,523\,682\,255\,152\,876\,899\,216\,437\,467\,137\,372\,990\,986\,387\,682\,993\,602\,838\,366\,692\,700\,848\,268\,728\,157\,174\,751\,766\,342\,637\,977\,600\,000\,z^{26}\,-$$

$$300\,108\,313\,793\,644\,338\,999\,496\,842\,366\,757\,629\,845\,368\,594\,867\,526\,378\,491\,387\,018\,576\,322\,063\,879\,514\,881\,064\,534\,895\,200\,840\,421\,508\,113\,885\,078\,487\,040\,000\,z^{28}\,+$$

$$27\,501\,248\,279\,669\,149\,150\,469\,688\,878\,064\,223\,393\,931\,643\,833\,010\,613\,452\,155\,636\,197\,304\,487\,305\,544\,091\,540\,090\,498\,129\,074\,388\,936\,170\,471\,689\,180\,676\,096\,000\,000\,z^{30}\,-$$

$$492\,062\,866\,358\,690\,450\,939\,019\,419\,965\,495\,743\,122\,222\,489\,930\,175\,107\,012\,727\,668\,106\,166\,653\,290\,980\,514\,481\,044\,242\,177\,506\,458\,218\,722\,295\,948\,946\,213\,028\,495\,360\,000\,z^{32}\,+$$

$$983\,004\,400\,043\,502\,436\,700\,702\,263\,064\,315\,641\,950\,768\,702\,995\,742\,573\,559\,168\,314\,340\,427\,808\,428\,158\,437\,582\,116\,817\,701\,481\,093\,732\,560\,846\,588\,335\,791\,173\,271\,552\,000\,000\,z^{34}\Big)\,D_z^{23}\,+$$

$$\Big(73\,710\,086\,566\,767\,374\,443\,806\,956\,184\,074\,471\,676\,891\,250\,510\,600\,519\,276\,865\,757\,255\,269\,867\,215\,464\,165\,548\,287\,695\,744\,000\,000\,z^{21}\,-$$

$$37\,597\,666\,286\,572\,748\,675\,278\,894\,229\,352\,281\,936\,586\,917\,262\,646\,464\,320\,817\,430\,017\,449\,826\,800\,416\,082\,150\,754\,056\,757\,992\,010\,055\,680\,000\,z^{23}\,+$$

$$351\,525\,900\,344\,805\,016\,737\,515\,003\,088\,289\,377\,367\,129\,628\,242\,778\,736\,413\,636\,932\,847\,333\,400\,607\,953\,236\,565\,171\,940\,118\,334\,207\,401\,027\,174\,400\,000\,z^{25}\,-$$

$$369\,952\,259\,604\,759\,150\,006\,933\,098\,362\,104\,666\,428\,447\,411\,374\,725\,808\,914\,244\,131\,622\,097\,168\,529\,130\,860\,807\,773\,718\,336\,101\,670\,987\,786\,170\,306\,396\,160\,000\,z^{27}\,+$$

$$44\,982\,431\,189\,668\,338\,898\,892\,414\,000\,276\,632\,775\,577\,800\,096\,974\,023\,729\,343\,776\,901\,131\,446\,366\,042\,538\,544\,328\,721\,471\,458\,576\,584\,319\,296\,935\,894\,712\,320\,000\,000\,z^{29}\,-$$

$$1\,026\,799\,631\,187\,605\,646\,778\,662\,499\,053\,452\,816\,157\,726\,610\,659\,584\,375\,563\,548\,824\,696\,933\,099\,595\,704\,137\,680\,164\,215\,866\,007\,732\,057\,024\,888\,824\,521\,066\,073\,292\,800\,000\,z^{31}\,+$$

$$2\,536\,708\,760\,652\,151\,671\,007\,846\,837\,613\,403\,976\,060\,872\,944\,687\,546\,590\,022\,166\,751\,144\,704\,105\,407\,223\,143\,701\,623\,394\,307\,048\,222\,652\,801\,716\,459\,536\,869\,129\,977\,856\,000\,000\,z^{33}\Big)\,D_z^{22}\,+$$

$$\Big(18\,851\,370\,860\,409\,359\,054\,029\,893\,352\,998\,868\,571\,017\,998\,750\,682\,424\,496\,981\,059\,066\,822\,251\,429\,143\,683\,188\,648\,601\,088\,000\,000\,z^{20}\,-$$

$$16\,686\,652\,290\,294\,791\,118\,397\,438\,761\,176\,302\,255\,946\,914\,988\,918\,099\,488\,208\,393\,327\,225\,156\,596\,188\,776\,265\,863\,663\,942\,507\,360\,256\,000\,000\,z^{22}\,+$$

$$242\,612\,635\,156\,070\,051\,922\,788\,613\,301\,085\,057\,080\,681\,774\,660\,124\,460\,453\,722\,987\,058\,516\,533\,090\,448\,021\,831\,567\,335\,429\,693\,945\,985\,525\,350\,400\,000\,z^{24}\,-$$

$$367\,131\,829\,078\,763\,333\,473\,644\,908\,608\,411\,564\,165\,257\,748\,188\,876\,989\,713\,748\,178\,767\,599\,736\,808\,519\,029\,633\,061\,805\,743\,295\,347\,787\,798\,174\,236\,672\,000\,000\,z^{26}\,+$$

$$60\,571\,638\,856\,729\,857\,877\,911\,107\,853\,284\,375\,029\,995\,133\,886\,098\,488\,889\,724\,197\,045\,807\,372\,182\,898\,087\,763\,521\,920\,076\,383\,350\,922\,791\,030\,717\,115\,531\,264\,000\,000\,z^{28}\,-$$

$$1\,794\,770\,022\,819\,745\,540\,725\,899\,634\,604\,612\,519\,753\,925\,827\,244\,364\,267\,636\,271\,706\,925\,375\,385\,725\,750\,959\,358\,485\,477\,086\,021\,579\,160\,721\,020\,313\,552\,705\,866\,956\,800\,000\,z^{30}\,+$$

$$5\,558\,871\,335\,986\,209\,995\,325\,264\,490\,307\,955\,035\,125\,308\,443\,034\,436\,593\,782\,371\,517\,816\,300\,427\,114\,707\,370\,086\,900\,094\,226\,574\,333\,653\,850\,853\,196\,622\,473\,696\,641\,024\,000\,000\,z^{32}\Big)\,D_z^{21}\,+$$

$$\Big(3\,272\,967\,512\,429\,041\,208\,252\,120\,532\,292\,044\,842\,084\,266\,965\,345\,026\,580\,729\,797\,716\,002\,156\,898\,543\,494\,692\,595\,500\,544\,000\,000\,z^{19}\,-$$

$$5\,400\,870\,636\,895\,845\,743\,514\,314\,943\,613\,514\,032\,289\,368\,470\,217\,082\,980\,675\,774\,754\,924\,342\,045\,194\,375\,448\,984\,209\,135\,511\,949\,312\,000\,000\,z^{21}\,+$$

$$128\,196\,508\,157\,444\,244\,908\,937\,310\,306\,771\,682\,769\,676\,692\,853\,302\,706\,150\,005\,936\,302\,072\,312\,669\,314\,191\,704\,118\,651\,172\,407\,526\,828\,277\,760\,000\,000\,z^{23}\,-$$

$$288\,779\,622\,555\,090\,668\,642\,517\,727\,947\,769\,595\,406\,448\,711\,261\,862\,363\,993\,712\,933\,270\,305\,058\,812$$

$655\,225\,357\,717\,577\,194\,829\,450\,266\,146\,305\,474\,560\,000\,000\,z^{25}\,+$

$66\,332\,124\,745\,273\,530\,173\,148\,146\,154\,091\,516\,464\,915\,586\,670\,125\,394\,965\,381\,749\,334\,630\,405\,929\,083\,695\,698\,005\,563\,006\,320\,805\,463\,674\,023\,398\,753\,697\,792\,000\,000\,z^{27}\,-$

$2\,601\,821\,370\,329\,584\,467\,927\,202\,700\,322\,176\,235\,939\,647\,137\,998\,592\,210\,127\,238\,749\,057\,211\,923\,858\,099\,191\,181\,023\,596\,240\,353\,295\,720\,411\,370\,610\,208\,085\,219\,737\,600\,000\,z^{29}\,+$

$10\,258\,986\,343\,600\,362\,830\,857\,683\,565\,370\,364\,839\,649\,871\,145\,768\,178\,760\,515\,735\,769\,674\,108\,842\,214\,745\,791\,628\,572\,964\,526\,486\,094\,321\,678\,507\,311\,377\,648\,472\,555\,520\,000\,000\,z^{31}\Big)\,D_z^{20}\,+$

$\Big(366\,316\,905\,709\,624\,004\,327\,885\,366\,595\,029\,833\,067\,542\,946\,649\,718\,552\,753\,743\,075\,520\,484\,603\,621\,710\,280\,977\,007\,616\,000\,000\,z^{18}\,-$

$1\,231\,963\,168\,939\,898\,529\,032\,449\,615\,767\,412\,560\,828\,158\,416\,980\,835\,922\,064\,284\,049\,775\,121\,472\,785\,238\,857\,224\,973\,064\,544\,763\,904\,000\,000\,z^{20}\,+$

$50\,623\,066\,594\,804\,615\,588\,643\,818\,282\,999\,490\,702\,519\,358\,892\,959\,185\,388\,363\,164\,519\,297\,854\,871\,110\,462\,834\,343\,662\,567\,982\,406\,393\,082\,675\,200\,000\,z^{22}\,-$

$176\,831\,492\,781\,578\,711\,630\,682\,467\,088\,394\,764\,987\,663\,922\,510\,859\,108\,157\,625\,331\,006\,558\,883\,235\,356\,071\,299\,590\,605\,883\,943\,698\,521\,354\,278\,010\,880\,000\,000\,z^{24}\,+$

$58\,255\,002\,850\,335\,230\,001\,991\,416\,587\,961\,848\,512\,885\,178\,749\,026\,481\,741\,512\,039\,958\,144\,189\,434\,288\,220\,853\,898\,788\,197\,214\,542\,331\,725\,185\,956\,897\,095\,680\,000\,000\,z^{26}\,-$

$3\,093\,202\,085\,801\,902\,324\,731\,856\,637\,914\,332\,136\,985\,298\,075\,581\,668\,588\,526\,161\,569\,183\,704\,463\,956\,651\,148\,571\,344\,080\,595\,338\,311\,117\,654\,295\,115\,229\,215\,640\,780\,800\,000\,z^{28}\,+$

$15\,797\,211\,244\,196\,422\,432\,363\,093\,488\,276\,752\,989\,701\,201\,531\,500\,512\,258\,877\,423\,056\,638\,682\,490\,806\,897\,778\,797\,002\,373\,595\,124\,743\,861\,945\,227\,733\,737\,399\,249\,797\,120\,000\,000\,z^{30}\Big)\,D_z^{19}\,+$

$\Big(24\,737\,629\,975\,644\,335\,143\,067\,607\,676\,666\,939\,440\,426\,134\,070\,260\,974\,942\,084\,656\,709\,194\,448\,713\,806\,596\,670\,499\,840\,000\,000\,z^{17}\,-$

$189\,901\,708\,497\,199\,391\,828\,711\,720\,720\,852\,735\,141\,718\,988\,007\,235\,410\,200\,259\,263\,466\,791\,160\,891\,110\,106\,275\,491\,732\,983\,857\,152\,000\,000\,z^{19}\,+$

$14\,514\,164\,605\,283\,272\,408\,634\,358\,136\,140\,588\,400\,901\,200\,546\,731\,323\,960\,208\,324\,628\,225\,512\,667\,738\,887\,637\,311\,410\,104\,648\,764\,613\,459\,968\,000\,000\,z^{21}\,-$

$82\,537\,848\,067\,515\,131\,495\,624\,902\,747\,894\,874\,288\,037\,662\,538\,305\,179\,506\,372\,648\,111\,036\,609\,287\,962\,983\,522\,185\,400\,877\,962\,720\,716\,938\,788\,470\,784\,000\,000\,z^{23}\,+$

$40\,373\,967\,976\,987\,960\,865\,177\,791\,746\,673\,282\,664\,034\,306\,368\,041\,426\,901\,713\,001\,127\,436\,156\,549\,983\,052\,155\,709\,323\,802\,626\,657\,516\,730\,209\,307\,207\,925\,760\,000\,000\,z^{25}\,-$

$2\,977\,429\,814\,083\,356\,279\,712\,858\,389\,879\,662\,647\,385\,261\,151\,773\,509\,817\,492\,983\,612\,148\,608\,172\,011\,583\,307\,872\,199\,765\,492\,332\,277\,208\,292\,104\,296\,246\,937\,858\,867\,200\,000\,z^{27}\,+$

$20\,084\,034\,441\,130\,273\,176\,445\,673\,886\,900\,102\,480\,357\,397\,475\,909\,024\,682\,676\,750\,181\,516\,227\,537\,278\,724\,004\,246\,357\,792\,002\,108\,033\,681\,625\,835\,783\,275\,652\,411\,555\,840\,000\,000\,z^{29}\Big)\,D_z^{18}\,+$

$\Big(924\,114\,062\,422\,979\,018\,938\,683\,863\,039\,190\,939\,913\,131\,276\,574\,045\,124\,270\,867\,859\,174\,712\,474\,583\,102\,615\,715\,840\,000\,000\,z^{16}\,-$

$18\,769\,031\,476\,105\,228\,684\,602\,508\,486\,082\,175\,647\,165\,170\,787\,359\,318\,763\,574\,799\,616\,751\,222\,066\,148\,176\,861\,172\,675\,198\,353\,408\,000\,000\,z^{18}\,+$

$2\,917\,685\,918\,215\,487\,106\,494\,234\,591\,628\,075\,775\,053\,193\,882\,179\,768\,547\,227\,970\,403\,107\,365\,678\,364\,751\,201\,584\,109\,136\,940\,409\,907\,314\,688\,000\,000\,z^{20}\,-$

$28\,644\,511\,317\,664\,506\,723\,164\,399\,536\,301\,925\,438\,054\,122\,061\,410\,308\,044\,165\,644\,885\,241\,768\,026\,511\,674\,002\,590\,401\,609\,060\,846\,903\,216\,874\,455\,040\,000\,000\,z^{22}\,+$

$21\,672\,527\,013\,611\,130\,592\,506\,711\,168\,859\,924\,560\,876\,875\,896\,107\,713\,906\,945\,878\,651\,803\,700\,330\,885\,554\,840\,332\,578\,614\,709\,450\,012\,391\,788\,407\,045\,488\,640\,000\,000\,z^{24}\,-$

$2\,286\,699\,469\,258\,502\,457\,109\,529\,220\,353\,859\,903\,741\,055\,369\,529\,531\,685\,510\,835\,124\,267\,798\,383\,466\,860\,919\,072\,341\,794\,938\,431\,030\,505\,048\,827\,060\,302\,152\,466\,432\,000\,000\,z^{26}\,+$

$20\,832\,413\,939\,380\,580\,318\,486\,358\,780\,689\,770\,588\,033\,180\,236\,520\,881\,259\,775\,061\,404\,807\,449\,113\,200\,569\,355\,431\,655\,618\,029\,494\,411\,636\,544\,670\,070\,119\,055\,721\,758\,720\,000\,000\,z^{28}\Big)\,D_z^{17}\,+$

$\Big(16\,973\,675\,437\,613\,400\,321\,790\,089\,567\,624\,461\,273\,129\,776\,508\,393\,222\,709\,754\,601\,197\,255\,667\,724\,050\,612\,551\,680\,000\,000\,z^{15}\,-$

$1\,112\,212\,155\,020\,832\,271\,306\,964\,692\,096\,274\,564\,401\,344\,580\,681\,431\,847\,745\,547\,438\,492\,094\,686\,147\,359\,193\,316\,000\,346\,112\,000\,000\,000\,z^{17}\,+$

$393\,968\,687\,964\,876\,378\,223\,612\,561\,620\,366\,033\,795\,853\,053\,945\,085\,344\,234\,028\,982\,966\,723\,370\,655\,543\,585\,108\,288\,607\,831\,628\,391\,120\,896\,000\,000\,z^{19}\,-$

$7\,174\,956\,804\,183\,206\,006\,155\,392\,466\,810\,386\,464\,630\,755\,261\,945\,528\,647\,418\,839\,432\,384\,340\,708\,677\,809\,834\,529\,077\,093\,364\,492\,423\,436\,450\,136\,064\,000\,000\,z^{21}\,+$

$8\,815\,657\,751\,149\,785\,382\,179\,754\,491\,424\,706\,006\,813\,707\,525\,904\,069\,217\,360\,918\,931\,780\,936\,140\,346\,354\,680\,847\,224\,403\,743\,415\,209\,201\,082\,753\,603\,338\,240\,000\,000\,z^{23}\,-$

$1\,377\,739\,276\,515\,156\,740\,357\,452\,297\,448\,248\,635\,283\,378\,406\,316\,932\,709\,897\,054\,062\,921\,298\,815\,829\,368\,964\,245\,898\,550\,562\,836\,624\,685\,644\,527\,727\,234\,359\,754\,752\,000\,000\,z^{25}\,+$

$17\,391\,665\,548\,588\,432\,871\,651\,629\,097\,344\,322\,996\,075\,358\,329\,530\,353\,814\,657\,569\,974\,559\,237\,137\,004\,250\,976\,823\,881\,662\,521\,705\,400\,592\,491\,813\,423\,269\,028\,539\,924\,480\,000\,000\,z^{27}\Big)\,D_z^{16}\,+$

$\Big(129\,715\,920\,806\,575\,043\,814\,067\,429\,767\,973\,896\,283\,667\,956\,829\,564\,400\,334\,307\,950\,227\,218\,160\,271\,610\,019\,840\,000\,000\,z^{14}\,-$

$36\,186\,103\,913\,828\,924\,780\,777\,042\,084\,107\,216\,978\,689\,733\,426\,520\,004\,372\,638\,077\,583\,808\,090\,613\,527\,689\,297\,160\,351\,252\,480\,000\,000\,z^{16}\,+$

$33\,867\,503\,178\,654\,892\,527\,717\,173\,477\,624\,917\,627\,190\,862\,224\,445\,226\,150\,179\,432\,580\,000\,191\,701\,372\,932\,377\,347\,149\,675\,061\,657\,468\,928\,000\,000\,z^{18}\,-$

$1\,251\,344\,765\,663\,365\,245\,264\,675\,353\,007\,346\,092\,560\,819\,269\,920\,704\,818\,155\,075\,239\,033\,952\,002\,313\,678\,804\,885\,863\,699\,015\,174\,800\,130\,602\,696\,704\,000\,000\,z^{20}\,+$

$2\,647\,928\,225\,924\,684\,508\,000\,904\,241\,870\,831\,940\,871\,453\,255\,129\,155\,509\,667\,668\,579\,907\,495\,127\,562\,172\,666\,561\,152\,455\,028\,120\,158\,360\,300\,066\,449\,653\,760\,000\,000\,z^{22}\,-$

$638\,529\,025\,171\,771\,235\,855\,944\,010\,491\,201\,868\,715\,850\,561\,304\,954\,936\,048\,979\,240\,538\,286\,621\,322\,672\,233\,189\,821\,637\,330\,693\,947\,917\,468\,191\,503\,282\,102\,861\,824\,000\,000\,z^{24}\,+$

$11\,504\,715\,100\,333\,350\,206\,514\,882\,481\,436\,211\,484\,966\,355\,674\,316\,966\,256\,848\,890\,859\,286\,122\,197\,739\,400\,554\,808\,601\,499\,519\,477\,833\,005\,208\,612\,366\,732\,743\,199\,948\,800\,000\,000\,z^{26}\Big)\,D_z^{15}\,+$

$\Big(320\,874\,274\,711\,707\,638\,568\,788\,301\,055\,343\,354\,223\,198\,706\,587\,895\,098\,687\,722\,318\,779\,790\,209\,183\,580\,160\,000\,000\,z^{13}\,-$

$573\,731\,062\,624\,248\,260\,438\,571\,743\,244\,151\,875\,825\,406\,759\,529\,732\,796\,406\,521\,056\,643\,502\,097\,607\,155\,603\,259\,304\,181\,760\,000\,000\,z^{15}\,+$

$1\,730\,973\,498\,744\,629\,029\,700\,800\,514\,981\,017\,122\,859\,621\,856\,813\,956\,862\,579\,377\,550\,362\,593\,070\,902\,013\,883\,110\,919\,984\,664\,262\,213\,632\,000\,000\,z^{17}\,-$

$145\,395\,714\,107\,435\,003\,157\,307\,018\,098\,028\,237\,098\,827\,427\,372\,091\,580\,712\,159\,974\,218\,532\,933\,756\,713\,101\,630\,578\,912\,813\,520\,961\,990\,670\,942\,208\,000\,000\,z^{19}\,+$

$569\,434\,411\,855\,373\,214\,719\,703\,345\,109\,992\,859\,297\,982\,147\,576\,499\,109\,452\,922\,818\,358\,082\,878\,908\,587\,116\,673\,491\,988\,701\,983\,935\,078\,696\,693\,488\,680\,960\,000\,000\,z^{21}\,-$

$222\,456\,215\,795\,621\,168\,403\,515\,984\,869\,753\,267\,538\,152\,177\,807\,979\,802\,344\,729\,638\,457\,108\,517\,695\,368\,843\,835\,811\,554\,014\,361\,071\,190\,884\,034\,367\,814\,801\,293\,312\,000\,000\,z^{23}\,+$

$5\,922\,474\,113\,510\,908\,905\,213\,552\,048\,447\,394\,614\,959\,139\,048\,406\,970\,496\,090\,768\,548\,980\,195\,506\,008\,234\,474\,386\,940\,140\,858\,444\,864\,467\,524\,316\,018\,508\,779\,277\,516\,800\,000\,000\,z^{25}\Big)\,D_z^{14}\,+$

$\Big(170\,026\,569\,419\,922\,154\,579\,710\,022\,906\,277\,295\,108\,187\,266\,085\,755\,660\,744\,712\,297\,623\,041\,576\,140\,800\,000\,000\,z^{12}\,-$

$3\,744\,772\,294\,791\,958\,972\,976\,065\,668\,438\,123\,861\,854\,306\,896\,538\,695\,576\,784\,565\,589\,446\,582\,436\,600\,282\,556\,902\,932\,480\,000\,000\,z^{14}\,+$

$48\,091\,354\,814\,514\,715\,990\,294\,180\,975\,636\,880\,717\,596\,568\,262\,057\,555\,595\,825\,140\,345\,522\,199\,623\,138\,657\,271\,634\,542\,958\,204\,682\,240\,000\,000\,z^{16}\,-$

$10\,651\,348\,645\,444\,296\,513\,437\,410\,391\,386\,969\,619\,885\,132\,899\,650\,527\,590\,127\,065\,841\,164\,210\,823\,990\,532\,792\,199\,917\,748\,858\,704\,193\,382\,252\,544\,000\,000\,z^{18}\,+$

$84\,454\,961\,935\,589\,219\,454\,085\,636\,311\,423\,038\,930\,328\,276\,024\,880\,908\,262\,020\,181\,368\,454\,120\,221\,275\,763\,908\,532\,375\,058\,498\,764\,341\,865\,558\,583\,541\,760\,000\,000\,z^{20}\,-$

$56\,690\,836\,352\,753\,096\,614\,718\,390\,128\,191\,227\,428\,812\,390\,098\,198\,030\,007\,632\,643\,880\,916\,115\,654$

$958\,811\,030\,269\,678\,319\,181\,872\,192\,962\,200\,271\,438\,026\,375\,168\,000\,000\,z^{22}\,+$

$2\,323\,173\,550\,616\,750\,143\,864\,698\,706\,556\,496\,954\,481\,254\,514\,101\,896\,762\,240\,116\,889\,855\,565\,801\,726\,552\,089\,863\,507\,482\,227\,093\,676\,430\,938\,801\,726\,092\,530\,522\,521\,600\,000\,000\,z^{24}\big)\,D_z^{13}\,+$

$\big(8\,749\,381\,594\,759\,784\,420\,362\,328\,050\,324\,958\,038\,775\,256\,441\,552\,070\,579\,129\,578\,115\,625\,779\,200\,000\,000\,z^{11}\,-$

$7\,811\,572\,554\,950\,171\,552\,293\,288\,471\,836\,016\,700\,675\,014\,903\,393\,494\,919\,547\,254\,150\,408\,229\,500\,778\,998\,262\,661\,120\,000\,000\,z^{13}\,+$

$643\,367\,957\,451\,072\,808\,782\,859\,809\,768\,392\,449\,745\,774\,301\,684\,746\,839\,384\,785\,481\,573\,496\,245\,888\,790\,329\,902\,565\,830\,992\,855\,040\,000\,000\,z^{15}\,-$

$458\,565\,324\,307\,823\,305\,848\,464\,019\,324\,416\,017\,572\,948\,687\,356\,962\,331\,247\,497\,546\,903\,437\,330\,060\,881\,739\,836\,326\,751\,916\,390\,017\,920\,925\,696\,000\,000\,z^{17}\,+$

$8\,250\,896\,131\,689\,261\,601\,822\,937\,824\,658\,966\,116\,133\,541\,233\,648\,165\,595\,126\,857\,206\,804\,853\,833\,264\,864\,582\,184\,937\,431\,559\,014\,470\,407\,369\,019\,883\,520\,000\,000\,z^{19}\,-$

$10\,228\,255\,791\,243\,855\,121\,409\,009\,306\,655\,201\,598\,351\,242\,905\,806\,937\,618\,995\,609\,227\,448\,781\,122\,404\,398\,961\,010\,597\,174\,806\,602\,664\,502\,314\,252\,808\,979\,742\,720\,000\,000\,z^{21}\,+$

$677\,413\,892\,194\,879\,844\,274\,721\,395\,983\,120\,322\,365\,166\,319\,752\,836\,242\,469\,046\,373\,233\,039\,688\,731\,123\,287\,945\,730\,093\,945\,862\,273\,044\,003\,714\,882\,366\,142\,729\,420\,800\,000\,000\,z^{23}\big)\,D_z^{12}\,+$

$\big(5\,101\,781\,395\,765\,999\,717\,448\,887\,218\,923\,918\,607\,682\,969\,932\,174\,419\,988\,753\,344\,102\,400\,000\,000\,z^{10}\,-$

$3\,437\,509\,672\,582\,421\,202\,267\,106\,960\,658\,150\,489\,440\,625\,807\,047\,814\,298\,125\,441\,513\,595\,294\,754\,287\,491\,481\,600\,000\,000\,z^{12}\,+$

$3\,492\,480\,325\,254\,800\,644\,522\,718\,416\,276\,591\,102\,419\,231\,811\,351\,655\,940\,489\,385\,844\,797\,254\,392\,841\,309\,709\,038\,863\,127\,674\,880\,000\,000\,z^{14}\,-$

$10\,582\,481\,562\,065\,922\,015\,957\,629\,977\,125\,580\,414\,988\,630\,229\,720\,367\,451\,577\,527\,533\,147\,665\,818\,999\,563\,332\,242\,915\,782\,711\,449\,118\,310\,400\,000\,000\,z^{16}\,+$

$501\,348\,546\,886\,696\,819\,726\,896\,275\,866\,005\,933\,974\,727\,381\,959\,726\,918\,279\,553\,633\,413\,244\,611\,040\,617\,350\,966\,109\,849\,689\,469\,328\,026\,267\,245\,608\,960\,000\,000\,z^{18}\,-$

$1\,255\,756\,911\,904\,671\,861\,319\,514\,940\,410\,621\,367\,628\,893\,256\,632\,160\,745\,974\,428\,878\,786\,141\,433\,962\,815\,780\,926\,456\,399\,266\,590\,146\,502\,054\,067\,526\,193\,643\,520\,000\,000\,z^{20}\,+$

$142\,569\,921\,439\,269\,693\,922\,523\,825\,110\,526\,143\,410\,520\,229\,979\,099\,795\,082\,262\,773\,685\,069\,596\,237\,960\,779\,897\,940\,194\,496\,856\,664\,774\,137\,836\,490\,983\,862\,383\,411\,200\,000\,000\,z^{22}\big)\,D_z^{11}\,+$

$\big(-6\,228\,777\,314\,565\,039\,674\,606\,582\,493\,606\,456\,534\,038\,872\,106\,078\,915\,788\,800\,000\,000\,z^{9}\,-$

$144\,207\,252\,013\,568\,263\,045\,657\,537\,723\,589\,015\,884\,952\,178\,072\,479\,494\,003\,637\,979\,893\,324\,166\,935\,347\,200\,000\,000\,z^{11}\,+$

$5\,953\,646\,036\,625\,546\,757\,049\,730\,895\,131\,640\,062\,127\,946\,926\,738\,286\,782\,608\,882\,859\,632\,225\,864\,881\,733\,453\,132\,060\,426\,240\,000\,000\,z^{13}\,-$

$115\,606\,416\,473\,076\,291\,736\,039\,063\,588\,610\,305\,003\,349\,879\,711\,141\,446\,372\,372\,654\,073\,998\,719\,776\,097\,116\,816\,237\,191\,030\,333\,715\,251\,200\,000\,000\,z^{15}\,+$

$17\,608\,859\,301\,616\,648\,995\,811\,242\,518\,594\,908\,597\,443\,429\,747\,951\,808\,635\,263\,405\,232\,936\,675\,554\,155\,185\,876\,791\,936\,722\,117\,726\,070\,561\,298\,186\,240\,000\,000\,z^{17}\,-$

$99\,916\,996\,028\,970\,793\,580\,970\,424\,047\,309\,817\,855\,065\,028\,796\,848\,532\,804\,630\,179\,940\,654\,649\,237\,388\,193\,201\,808\,163\,964\,244\,578\,053\,846\,112\,061\,452\,451\,840\,000\,000\,z^{19}\,+$

$20\,902\,840\,783\,566\,588\,922\,587\,613\,091\,016\,798\,972\,363\,657\,820\,636\,030\,356\,037\,565\,291\,760\,994\,436\,919\,973\,928\,796\,811\,068\,915\,842\,898\,139\,419\,442\,182\,931\,611\,648\,000\,000\,000\,z^{21}\big)\,D_z^{10}\,+$

$\big(-388\,077\,640\,465\,586\,228\,358\,915\,120\,878\,257\,004\,704\,417\,048\,638\,259\,200\,000\,000\,z^{8}\,-$

$67\,018\,091\,465\,034\,097\,687\,000\,250\,310\,002\,171\,294\,281\,802\,318\,091\,086\,194\,925\,435\,875\,649\,126\,400\,000\,000\,z^{10}\,+$

$2\,095\,424\,406\,856\,639\,449\,460\,329\,175\,080\,514\,810\,741\,990\,114\,595\,766\,688\,785\,973\,949\,309\,295\,870\,209\,222\,158\,067\,957\,760\,000\,000\,z^{12}\,-$

$501\,791\,027\,341\,779\,332\,157\,867\,657\,383\,218\,896\,227\,852\,982\,914\,958\,887\,413\,250\,086\,430\,875\,101\,773\,296\,468\,126\,944\,260\,812\,229\,836\,800\,000\,000\,z^{14}\,+$

$324\,828\,054\,321\,448\,745\,774\,592\,354\,989\,380\,472\,855\,765\,969\,125\,651\,411\,771\,429\,720\,829\,429\,158\,726$

$$517\,704\,937\,918\,634\,647\,037\,927\,774\,329\,241\,600\,000\,000\,z^{16} -$$

$$4\,846\,771\,650\,360\,160\,705\,920\,309\,741\,688\,649\,663\,075\,372\,537\,894\,240\,348\,525\,514\,785\,646\,058\,382\,620\,314\,329\,129\,426\,070\,105\,410\,301\,954\,909\,728\,271\,237\,120\,000\,000\,z^{18} +$$

$$2\,044\,525\,017\,096\,388\,489\,203\,491\,074\,346\,831\,324\,537\,118\,305\,950\,983\,822\,754\,752\,140\,314\,459\,899\,708\,828\,811\,554\,368\,673\,303\,717\,221\,784\,610\,014\,589\,058\,285\,568\,000\,000\,000\,z^{20}\Big)\,D_z^9 +$$

$$\Big(-1\,955\,611\,964\,782\,686\,904\,479\,717\,467\,344\,654\,371\,498\,491\,904\,000\,000\,000\,z^7 +$$

$$63\,395\,509\,835\,593\,410\,250\,535\,504\,184\,556\,647\,984\,963\,272\,930\,174\,427\,374\,341\,324\,800\,000\,000\,z^9 +$$

$$68\,451\,995\,815\,235\,182\,291\,415\,228\,436\,403\,574\,379\,709\,333\,397\,204\,113\,431\,885\,004\,196\,194\,297\,547\,172\,347\,904\,000\,000\,000\,z^{11} -$$

$$666\,208\,324\,405\,225\,664\,238\,484\,068\,436\,476\,864\,115\,496\,105\,129\,252\,738\,424\,757\,115\,645\,403\,050\,666\,776\,396\,243\,383\,011\,927\,654\,400\,000\,000\,z^{13} +$$

$$2\,764\,996\,993\,403\,166\,293\,897\,385\,435\,793\,746\,453\,867\,375\,710\,640\,293\,846\,900\,540\,764\,178\,360\,225\,510\,087\,127\,237\,847\,605\,666\,497\,512\,970\,649\,600\,000\,000\,z^{15} -$$

$$132\,545\,568\,019\,618\,871\,668\,533\,635\,120\,810\,999\,636\,516\,384\,325\,763\,683\,807\,227\,440\,024\,538\,491\,087\,623\,325\,526\,785\,169\,522\,430\,650\,825\,089\,001\,749\,217\,280\,000\,000\,z^{17} +$$

$$126\,436\,658\,174\,215\,548\,138\,684\,796\,782\,873\,553\,018\,606\,062\,621\,210\,088\,958\,927\,106\,780\,625\,907\,606\,019\,711\,644\,946\,836\,259\,496\,179\,027\,488\,928\,627\,431\,571\,456\,000\,000\,000\,z^{19}\Big)\,D_z^8 +$$

$$\Big(367\,019\,558\,498\,586\,581\,644\,117\,960\,962\,639\,868\,723\,200\,000\,000\,000\,z^6 +$$

$$2\,952\,918\,659\,339\,059\,758\,451\,871\,287\,928\,301\,489\,741\,906\,619\,926\,848\,942\,899\,200\,000\,000\,z^8 +$$

$$23\,953\,499\,831\,746\,809\,527\,729\,341\,581\,009\,846\,071\,966\,124\,793\,776\,174\,510\,530\,165\,109\,719\,474\,110\,464\,000\,000\,000\,z^{10} -$$

$$176\,599\,201\,884\,180\,888\,857\,139\,843\,259\,060\,634\,712\,107\,764\,686\,311\,223\,561\,461\,169\,640\,608\,083\,217\,567\,274\,309\,057\,196\,851\,200\,000\,000\,z^{12} +$$

$$9\,051\,719\,463\,495\,139\,096\,628\,902\,463\,605\,685\,680\,176\,044\,720\,289\,589\,184\,707\,470\,511\,175\,868\,264\,778\,733\,188\,831\,231\,489\,315\,355\,964\,211\,200\,000\,000\,z^{14} -$$

$$1\,844\,008\,842\,371\,145\,612\,856\,221\,609\,284\,272\,129\,157\,205\,350\,093\,737\,672\,826\,316\,069\,102\,881\,509\,658\,807\,233\,476\,024\,807\,097\,328\,532\,861\,761\,460\,633\,600\,000\,000\,z^{16} +$$

$$4\,619\,073\,547\,075\,548\,999\,401\,272\,962\,105\,435\,445\,349\,912\,956\,414\,443\,032\,967\,842\,963\,069\,936\,956\,809\,591\,661\,654\,108\,347\,119\,825\,945\,324\,011\,737\,273\,335\,808\,000\,000\,000\,z^{18}\Big)\,D_z^7 +$$

$$\Big(-571\,601\,665\,251\,133\,635\,795\,981\,627\,873\,181\,040\,640\,000\,000\,000\,000\,z^5 +$$

$$10\,527\,247\,763\,571\,435\,139\,279\,499\,189\,214\,341\,341\,834\,664\,761\,884\,672\,000\,000\,000\,z^7 -$$

$$16\,282\,308\,294\,448\,293\,108\,497\,800\,504\,038\,236\,570\,963\,138\,474\,862\,866\,426\,765\,122\,732\,032\,000\,000\,000\,z^9 -$$

$$4\,159\,634\,088\,470\,946\,127\,639\,638\,346\,419\,946\,135\,987\,637\,425\,319\,662\,245\,026\,189\,355\,282\,682\,321\,809\,115\,873\,856\,716\,800\,000\,000\,z^{11} +$$

$$8\,685\,987\,278\,995\,594\,234\,228\,209\,392\,957\,887\,832\,328\,425\,557\,633\,288\,025\,575\,424\,859\,058\,028\,813\,851\,207\,196\,939\,740\,632\,994\,912\,665\,600\,000\,000\,z^{13} -$$

$$11\,354\,367\,616\,664\,587\,740\,720\,052\,074\,481\,496\,389\,334\,141\,977\,842\,381\,988\,681\,170\,940\,221\,308\,150\,161\,021\,814\,380\,674\,033\,713\,319\,399\,732\,648\,345\,600\,000\,000\,z^{15} +$$

$$91\,295\,649\,864\,522\,397\,729\,685\,650\,754\,164\,446\,097\,090\,153\,656\,854\,344\,736\,594\,870\,280\,069\,974\,445\,063\,122\,452\,876\,099\,244\,194\,904\,011\,317\,548\,156\,977\,152\,000\,000\,000\,z^{17}\Big)\,D_z^6 +$$

$$\Big(-1\,206\,412\,294\,497\,792\,246\,048\,288\,503\,520\,274\,508\,326\,895\,616\,000\,000\,000\,000\,z^6 -$$

$$515\,768\,346\,931\,864\,873\,308\,109\,333\,721\,022\,663\,469\,172\,319\,321\,715\,713\,031\,274\,496\,000\,000\,000\,z^8 -$$

$$990\,508\,185\,173\,139\,497\,677\,784\,959\,489\,937\,291\,671\,283\,109\,253\,676\,369\,001\,792\,058\,483\,775\,998\,410\,935\,500\,800\,000\,000\,z^{10} +$$

$$1\,571\,383\,383\,987\,880\,715\,754\,367\,791\,060\,623\,860\,506\,884\,182\,328\,359\,851\,960\,919\,832\,447\,297\,954\,720\,798\,676\,039\,910\,925\,166\,182\,400\,000\,000\,z^{12} -$$

$$25\,414\,045\,556\,694\,619\,747\,231\,054\,836\,116\,699\,203\,118\,494\,014\,454\,576\,603\,463\,247\,617\,716\,193\,230\,260\,238\,484\,958\,694\,635\,229\,490\,890\,093\,363\,200\,000\,000\,z^{14} +$$

$$868\,262\,368\,066\,984\,954\,605\,339\,822\,220\,132\,885\,337\,891\,765\,829\,761\,825\,168\,723\,586\,618\,259\,081\,187$$

$604\,934\,625\,730\,983\,801\,319\,018\,453\,377\,734\,410\,240\,000\,000\,000\,000\,z^{16}\Big)\,D_z^5\,+$

$\Big(1\,243\,540\,158\,315\,847\,081\,801\,774\,872\,700\,335\,683\,971\,055\,616\,000\,000\,000\,000\,z^5\,-$

$976\,268\,883\,433\,210\,226\,142\,189\,525\,544\,779\,205\,053\,926\,899\,339\,864\,571\,904\,000\,000\,000\,000\,z^7\,+$

$415\,450\,310\,304\,929\,502\,015\,238\,399\,058\,104\,927\,699\,688\,721\,387\,581\,888\,685\,887\,283\,607\,791\,206\,400\,000\,000\,z^9\,+$

$23\,309\,262\,232\,102\,036\,804\,699\,389\,137\,990\,958\,496\,884\,481\,813\,227\,574\,307\,597\,568\,053\,306\,170\,629\,263\,448\,798\,834\,720\,768\,000\,000\,000\,z^{11}\,-$

$15\,399\,283\,269\,946\,213\,056\,207\,473\,668\,894\,723\,743\,949\,335\,061\,049\,391\,423\,530\,170\,556\,580\,633\,748\,391\,770\,838\,098\,578\,546\,436\,397\,963\,673\,600\,000\,000\,z^{13}\,+$

$3\,378\,330\,898\,960\,324\,695\,775\,679\,370\,073\,996\,768\,209\,992\,204\,665\,143\,352\,979\,266\,761\,396\,214\,270\,253\,053\,334\,572\,530\,696\,688\,923\,511\,331\,267\,543\,040\,000\,000\,000\,z^{15}\Big)\,D_z^4\,+$

$\Big(842\,360\,420\,565\,993\,559\,445\,652\,631\,073\,873\,938\,948\,514\,221\,601\,587\,200\,000\,000\,000\,z^6\,+$

$7\,258\,359\,253\,471\,870\,836\,331\,064\,878\,022\,687\,611\,425\,006\,117\,304\,312\,185\,925\,601\,014\,579\,200\,000\,000\,z^8\,+$

$3\,114\,626\,828\,354\,530\,815\,390\,023\,384\,578\,336\,330\,337\,354\,228\,737\,817\,255\,060\,204\,452\,383\,713\,000\,206\,796\,587\,008\,000\,000\,000\,z^{10}\,-$

$1\,561\,799\,775\,424\,008\,911\,650\,216\,700\,739\,997\,754\,904\,412\,288\,912\,017\,910\,085\,646\,566\,628\,760\,984\,909\,380\,820\,767\,475\,631\,806\,375\,526\,400\,000\,000\,z^{12}\,+$

$4\,246\,414\,320\,551\,393\,585\,380\,983\,279\,657\,250\,992\,914\,174\,597\,253\,315\,849\,095\,665\,887\,973\,755\,341\,676\,428\,424\,751\,494\,217\,674\,451\,483\,235\,450\,880\,000\,000\,000\,z^{14}\Big)\,D_z^3\,+$

$\Big(-24\,989\,533\,556\,457\,635\,094\,947\,048\,127\,219\,570\,039\,723\,167\,789\,875\,200\,000\,000\,000\,z^5\,+$

$3\,972\,010\,891\,158\,922\,953\,464\,741\,915\,605\,148\,874\,751\,338\,014\,628\,987\,869\,646\,028\,800\,000\,000\,z^7\,-$

$532\,923\,040\,074\,762\,796\,867\,319\,645\,544\,853\,340\,994\,486\,860\,332\,083\,127\,734\,008\,142\,611\,783\,614\,464\,000\,000\,000\,z^9\,-$

$10\,697\,785\,385\,637\,669\,397\,691\,624\,162\,349\,263\,455\,162\,388\,279\,704\,101\,957\,674\,044\,007\,867\,505\,173\,990\,818\,872\,001\,403\,289\,600\,000\,000\,000\,z^{11}\,+$

$1\,190\,819\,717\,591\,995\,157\,796\,020\,077\,903\,133\,621\,801\,087\,103\,942\,977\,714\,587\,316\,478\,824\,425\,897\,494\,313\,512\,509\,044\,652\,638\,596\,224\,778\,240\,000\,000\,000\,z^{13}\Big)\,D_z^2\,+$

$\Big(-9\,929\,105\,981\,349\,762\,143\,660\,443\,820\,506\,668\,334\,496\,827\,338\,440\,205\,926\,400\,000\,000\,000\,z^6\,-$

$2\,551\,101\,684\,909\,412\,170\,708\,219\,704\,514\,382\,879\,157\,892\,404\,607\,491\,162\,669\,624\,529\,518\,592\,000\,000\,000\,z^8\,-$

$462\,611\,815\,517\,412\,304\,304\,103\,905\,766\,983\,243\,186\,718\,529\,368\,604\,486\,444\,797\,932\,570\,350\,878\,764\,946\,161\,664\,000\,000\,000\,000\,z^{10}\,+$

$38\,762\,973\,086\,884\,387\,336\,909\,358\,251\,497\,220\,874\,211\,774\,473\,070\,742\,001\,633\,557\,187\,777\,583\,405\,750\,699\,745\,777\,056\,051\,112\,181\,760\,000\,000\,000\,z^{12}\Big)\,D_z\,+$

$\Big(2\,301\,951\,431\,684\,277\,200\,875\,340\,189\,583\,219\,952\,111\,739\,209\,777\,152\,000\,000\,000\,000\,z^5\,-$

$58\,226\,516\,932\,931\,980\,866\,174\,504\,344\,491\,099\,785\,843\,463\,141\,012\,430\,691\,237\,888\,000\,000\,000\,z^7\,+$

$5\,562\,944\,177\,879\,591\,134\,448\,646\,835\,313\,386\,081\,006\,071\,073\,345\,752\,719\,161\,046\,907\,054\,194\,688\,000\,000\,000\,000\,z^9\,+$

$34\,144\,266\,955\,936\,391\,358\,147\,843\,276\,035\,782\,679\,868\,791\,535\,949\,997\,992\,235\,938\,216\,726\,157\,629\,061\,933\,245\,220\,782\,080\,000\,000\,000\,000\,z^{11}\Big)\Big\}$

Write recurrence explicitly for *r*(*n*)

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$553\,784\,886\,324\,149\,726\,496\,265\,355\,719\,657\,942\,688\,933\,880\,062\,345\,461\,360\,574\,792\,591\,577\,258\,775$

$280\,402\,267\,457\,454\,080\,000\,000\,000\,000\,\alpha\ +$

$4\,387\,012\,803\,667\,442\,736\,856\,741\,118\,954\,541\,340\,268\,789\,926\,195\,057\,385\,811\,207\,388\,908\,009\,460\,129\,\text{\textbackslash}$
$317\,279\,071\,719\,548\,518\,400\,000\,000\,000\,000\,\alpha^2\ +$

$22\,633\,302\,169\,207\,906\,758\,729\,769\,614\,207\,440\,019\,970\,917\,339\,649\,543\,518\,014\,268\,964\,385\,084\,482\,\text{\textbackslash}$
$978\,018\,266\,213\,043\,320\,913\,920\,000\,000\,000\,000\,\alpha^3\ +$

$85\,552\,418\,429\,795\,074\,570\,912\,204\,697\,807\,912\,075\,833\,738\,022\,506\,963\,067\,588\,647\,832\,440\,638\,253\,\text{\textbackslash}$
$163\,691\,497\,101\,190\,416\,564\,224\,000\,000\,000\,\alpha^4\ +$

$252\,723\,747\,374\,547\,462\,371\,745\,024\,250\,766\,392\,368\,759\,215\,939\,272\,101\,682\,182\,115\,531\,704\,763\,268\,\text{\textbackslash}$
$392\,152\,169\,027\,184\,240\,256\,614\,400\,000\,000\,\alpha^5\ +$

$607\,724\,937\,219\,393\,462\,523\,161\,350\,264\,771\,075\,897\,079\,915\,467\,574\,326\,180\,332\,768\,491\,897\,128\,039\,\text{\textbackslash}$
$934\,054\,713\,238\,289\,231\,254\,650\,880\,000\,000\,\alpha^6\ +$

$1\,223\,580\,768\,370\,987\,563\,894\,093\,260\,460\,833\,739\,203\,437\,154\,201\,334\,275\,091\,272\,201\,284\,669\,656\,162\,\text{\textbackslash}$
$348\,824\,187\,133\,254\,935\,834\,001\,408\,000\,000\,\alpha^7\ +$

$2\,105\,495\,610\,281\,200\,050\,408\,024\,384\,988\,879\,562\,845\,079\,561\,721\,331\,516\,640\,551\,564\,762\,746\,529\,128\,\text{\textbackslash}$
$090\,311\,044\,701\,278\,109\,965\,274\,316\,800\,000\,\alpha^8\ +$

$3\,145\,444\,808\,723\,913\,766\,904\,909\,269\,920\,838\,373\,179\,223\,469\,011\,748\,898\,797\,626\,728\,608\,233\,602\,534\,\text{\textbackslash}$
$767\,047\,174\,164\,462\,270\,535\,392\,296\,960\,000\,\alpha^9\ +$

$4\,130\,238\,525\,004\,179\,487\,826\,231\,444\,809\,165\,879\,722\,156\,151\,914\,059\,546\,680\,227\,950\,055\,095\,074\,618\,\text{\textbackslash}$
$069\,383\,579\,249\,197\,349\,120\,579\,207\,168\,000\,\alpha^{10}\ +$

$4\,814\,557\,152\,477\,824\,301\,686\,616\,883\,323\,088\,115\,566\,280\,039\,120\,029\,703\,853\,294\,482\,953\,351\,250\,386\,\text{\textbackslash}$
$975\,524\,816\,342\,564\,500\,827\,967\,324\,160\,000\,\alpha^{11}\ +$

$5\,023\,212\,132\,588\,908\,912\,289\,500\,233\,055\,536\,472\,633\,138\,824\,146\,168\,537\,953\,933\,739\,014\,953\,340\,444\,\text{\textbackslash}$
$239\,203\,239\,614\,738\,079\,908\,744\,711\,372\,800\,\alpha^{12}\ +$

$4\,723\,048\,346\,165\,310\,610\,514\,100\,589\,153\,716\,050\,772\,855\,964\,990\,114\,215\,294\,378\,266\,486\,733\,133\,179\,\text{\textbackslash}$
$399\,394\,454\,729\,267\,357\,736\,111\,597\,158\,400\,\alpha^{13}\ +$

$4\,025\,271\,475\,284\,752\,619\,439\,731\,448\,628\,556\,392\,866\,732\,753\,304\,464\,621\,980\,751\,157\,745\,708\,786\,303\,\text{\textbackslash}$
$236\,356\,287\,238\,070\,774\,504\,684\,204\,851\,200\,\alpha^{14}\ +$

$3\,125\,025\,118\,677\,133\,496\,663\,770\,717\,190\,274\,340\,188\,801\,165\,603\,106\,924\,468\,784\,517\,043\,137\,119\,677\,\text{\textbackslash}$
$679\,963\,357\,633\,675\,808\,458\,642\,817\,024\,000\,\alpha^{15}\ +$

$2\,219\,511\,179\,517\,889\,641\,661\,651\,881\,641\,775\,935\,045\,547\,286\,230\,837\,008\,383\,798\,583\,223\,636\,672\,869\,\text{\textbackslash}$
$244\,009\,730\,448\,462\,750\,242\,456\,574\,361\,600\,\alpha^{16}\ +$

$1\,447\,521\,322\,446\,346\,447\,989\,773\,057\,126\,224\,723\,639\,794\,026\,580\,662\,509\,851\,051\,263\,554\,024\,531\,867\,\text{\textbackslash}$
$115\,303\,742\,326\,533\,421\,702\,132\,740\,915\,200\,\alpha^{17}\ +$

$869\,707\,520\,428\,226\,272\,868\,976\,443\,824\,145\,218\,050\,858\,606\,583\,524\,615\,149\,551\,625\,733\,877\,005\,151\,\text{\textbackslash}$
$484\,749\,948\,403\,825\,513\,461\,803\,122\,688\,000\,\alpha^{18}\ +$

$482\,779\,447\,746\,020\,819\,057\,071\,556\,862\,854\,318\,962\,074\,573\,166\,048\,430\,437\,636\,296\,198\,780\,090\,274\,\text{\textbackslash}$
$374\,002\,560\,895\,776\,294\,819\,542\,230\,630\,400\,\alpha^{19}\ +$

$248\,229\,271\,596\,444\,873\,564\,904\,302\,597\,086\,046\,615\,619\,428\,212\,321\,439\,082\,694\,193\,566\,830\,598\,159\,\text{\textbackslash}$
$219\,155\,107\,720\,326\,703\,100\,891\,811\,020\,800\,\alpha^{20}\ +$

$118\,484\,597\,838\,558\,425\,993\,619\,178\,513\,000\,234\,719\,313\,783\,598\,226\,394\,884\,786\,802\,494\,417\,252\,609\,\text{\textbackslash}$
$376\,925\,890\,016\,098\,373\,634\,460\,798\,156\,800\,\alpha^{21}\ +$

$52\,606\,848\,215\,253\,012\,997\,718\,400\,583\,218\,869\,343\,879\,251\,208\,153\,208\,849\,736\,415\,777\,077\,175\,465\,\text{\textbackslash}$
$064\,612\,055\,291\,275\,035\,300\,116\,771\,635\,200\,\alpha^{22}\ +$

$21\,765\,312\,103\,162\,473\,882\,882\,569\,477\,659\,927\,131\,689\,054\,536\,318\,011\,781\,934\,085\,339\,587\,233\,436\,\text{\textbackslash}$
$130\,743\,729\,445\,990\,166\,010\,627\,987\,865\,600\,\alpha^{23}\ +$

$8\,404\,566\,388\,472\,129\,983\,178\,372\,448\,618\,375\,794\,544\,230\,329\,702\,070\,365\,599\,831\,989\,638\,472\,797\,673\,\text{\textbackslash}$
$107\,417\,293\,398\,378\,167\,392\,849\,100\,800\,\alpha^{24}\ +$

$3\,033\,212\,810\,715\,922\,658\,702\,859\,167\,949\,541\,223\,255\,820\,892\,538\,566\,240\,535\,687\,060\,399\,428\,968\,922\,\text{\textbackslash}$
$425\,744\,803\,134\,450\,530\,221\,712\,998\,400\,\alpha^{25}\ +$

$1\,024\,396\,841\,668\,573\,480\,024\,880\,884\,604\,330\,059\,703\,652\,991\,132\,830\,405\,654\,373\,505\,353\,787\,540\,806\,\text{\textbackslash}$
$036\,994\,554\,843\,763\,601\,663\,275\,827\,200\,\alpha^{26}\ +$

324 107 795 801 647 694 217 593 350 994 175 321 783 933 603 875 849 884 682 665 667 869 771 970 901
511 490 004 990 590 157 053 755 392 000 α^{27} +

96 158 445 996 567 671 937 113 779 177 455 633 180 601 407 986 847 316 209 930 662 923 430 329 901
825 618 942 271 374 115 553 148 928 000 α^{28} +

26 775 029 811 311 634 118 046 567 292 278 962 665 579 756 883 749 536 121 685 305 955 130 392 421
910 347 647 396 402 503 986 498 764 800 α^{29} +

7 002 217 014 303 063 907 293 138 767 680 684 118 275 980 038 370 360 202 794 817 674 724 473 275 801
078 677 328 997 954 369 041 203 200 α^{30} +

1 720 982 251 127 061 810 350 178 817 501 402 333 545 669 063 443 880 400 502 478 486 843 586 696 787
391 377 423 935 605 374 032 281 600 α^{31} +

397 722 954 195 277 985 893 476 140 550 085 006 231 437 519 605 104 800 550 822 129 050 280 750 397
023 084 740 382 543 315 363 430 400 α^{32} +

86 463 857 238 867 095 150 770 290 597 067 444 642 917 537 984 614 973 248 745 942 419 420 773 314
072 335 472 137 353 603 684 761 600 α^{33} +

17 688 215 643 410 501 682 794 748 306 460 486 987 469 402 841 652 557 236 360 276 411 056 670 408
218 439 761 193 441 763 419 750 400 α^{34} +

3 405 927 138 143 581 211 486 942 116 392 164 416 409 709 787 749 482 340 340 248 517 814 465 088 865
825 927 765 906 964 034 355 200 α^{35} +

617 385 509 608 350 833 840 249 712 683 428 509 344 631 689 274 025 094 426 733 538 194 619 421 384
648 580 341 004 071 495 270 400 α^{36} +

105 360 272 271 890 321 521 093 310 726 490 453 234 275 573 139 185 400 735 155 776 558 561 525 720
756 810 309 876 307 302 809 600 α^{37} +

16 927 317 887 891 198 806 135 718 313 712 436 440 934 193 318 891 510 089 050 985 447 295 754 014
954 329 766 090 663 945 830 400 α^{38} +

2 560 018 919 159 857 536 639 997 657 973 342 015 197 674 460 020 069 424 275 807 583 238 196 742 771
434 906 253 359 316 992 000 α^{39} +

364 381 011 414 302 945 550 783 530 634 169 528 457 904 352 646 164 342 660 883 591 143 261 556 813
070 435 251 754 998 169 600 α^{40} +

48 797 705 776 222 246 279 319 114 475 858 539 752 492 509 627 840 871 263 035 942 863 470 500 466
960 317 464 203 755 520 000 α^{41} +

6 146 191 521 412 499 000 461 289 160 908 812 425 642 835 327 743 917 355 943 249 422 814 637 170 368
046 772 222 794 137 600 α^{42} +

727 719 765 399 895 312 397 688 082 788 819 271 830 238 258 297 704 621 652 546 446 515 867 432 598
255 117 968 552 755 200 α^{43} +

80 949 865 310 812 819 581 576 577 122 328 650 704 586 804 719 936 543 677 373 118 071 193 731 729
549 447 948 088 115 200 α^{44} +

8 453 871 504 348 622 578 249 539 271 444 149 165 358 175 088 247 970 640 377 968 881 476 670 032 260
907 240 154 726 400 α^{45} +

828 178 663 067 739 616 877 298 921 990 504 422 631 350 486 429 406 189 857 998 041 777 792 288 035
638 730 765 107 200 α^{46} +

76 033 684 448 550 062 524 814 589 779 683 374 044 949 333 969 232 117 174 018 023 484 692 104 309
411 181 232 128 000 α^{47} +

6 534 684 511 192 817 508 391 223 230 849 409 321 687 233 827 867 181 905 595 747 733 203 217 150 866
274 805 350 400 α^{48} +

525 091 399 837 155 104 155 922 999 337 200 401 079 187 451 721 403 956 515 994 802 002 612 102 115
777 262 387 200 α^{49} +

39 392 786 741 061 253 342 236 265 207 783 759 466 816 920 401 324 297 571 261 248 366 622 350 695
245 597 900 800 α^{50} +

2 754 645 272 646 308 824 267 784 672 145 950 410 440 709 292 354 638 153 014 516 107 992 758 625 407
231 590 400 α^{51} +

179 218 382 745 988 487 237 369 606 267 564 427 247 588 866 310 795 892 253 577 018 869 823 026 032

856 268 800 α^{52} +

10 825 800 319 137 305 582 700 106 466 669 556 093 469 771 060 542 480 624 135 167 196 278 280 853 \
389 312 000 α^{53} +

605 712 675 506 173 046 065 005 919 244 577 358 860 321 199 075 649 704 536 219 937 209 497 000 765 \
030 400 α^{54} +

31 305 972 062 466 988 810 753 056 976 308 749 154 062 321 130 911 114 921 196 075 444 592 037 383 \
372 800 α^{55} +

1 490 038 953 897 502 798 428 291 566 158 451 586 951 481 088 141 390 806 574 522 207 432 815 411 200 \
000 α^{56} +

65 077 974 637 065 950 475 318 271 033 363 537 021 338 344 380 469 683 385 033 132 207 387 128 627 200 \
α^{57} +

2 597 482 013 650 244 365 617 209 577 085 043 678 029 653 337 762 393 562 311 492 105 764 706 713 600 \
α^{58} +

94 292 553 128 855 199 817 399 801 910 978 440 961 726 298 488 127 710 900 819 918 501 550 489 600 \
α^{59} +

3 095 794 272 726 601 888 551 671 970 168 063 948 279 580 991 651 577 252 050 244 103 412 121 600 α^{60} +

91 315 949 670 568 851 838 342 558 263 140 968 757 192 708 380 981 567 698 116 128 486 195 200 α^{61} +

2 400 651 321 688 095 926 382 368 797 586 550 936 698 364 343 457 264 535 181 657 846 579 200 α^{62} +

55 703 529 922 416 717 943 131 855 350 465 326 012 477 395 191 843 627 111 799 796 531 200 α^{63} +

1 127 033 171 841 101 402 279 841 205 039 900 089 894 820 937 680 570 481 803 001 856 000 α^{64} +

19 578 169 637 595 248 242 020 595 138 147 591 793 916 897 654 070 790 006 715 187 200 α^{65} +

286 121 813 510 641 588 908 457 417 127 964 357 638 406 431 418 411 403 286 937 600 α^{66} +

3 420 994 860 509 858 667 142 496 593 772 045 427 823 167 385 902 243 643 392 000 α^{67} +

32 133 494 955 730 720 873 379 210 128 531 627 769 857 457 922 783 156 633 600 α^{68} +

222 354 563 078 099 812 448 042 509 142 305 422 130 457 075 012 075 520 000 α^{69} +

1 007 786 052 762 493 425 441 335 296 146 630 365 123 214 720 368 640 000 α^{70} +

2 244 333 848 512 671 272 755 697 788 284 868 386 498 847 703 040 000 α^{71}) Seq[α] +

$\big($ − 21 395 571 696 498 969 824 644 912 755 026 747 309 842 616 097 531 876 571 550 989 831 985 122 769 522 \
348 366 840 935 219 200 000 000 000 −

314 461 805 057 596 800 398 970 258 403 963 704 080 736 100 794 817 052 424 959 619 367 641 567 858 \
998 898 774 567 498 547 200 000 000 000 α −

2 265 780 682 301 463 443 962 434 416 966 738 749 218 824 020 575 684 710 484 948 864 602 709 353 166 \
776 786 336 537 710 166 016 000 000 000 α^2 −

10 669 672 771 395 473 514 484 794 213 815 070 679 905 412 683 042 372 081 642 635 663 601 616 957 \
771 063 898 227 615 046 880 460 800 000 000 α^3 −

36 936 499 589 103 668 504 537 347 639 043 004 552 190 286 641 551 193 115 883 982 351 646 886 293 \
905 796 386 747 916 620 671 221 760 000 000 α^4 −

100 251 998 612 611 854 813 618 585 423 960 260 998 732 617 317 221 811 299 848 617 271 576 966 485 \
499 819 447 716 055 666 137 235 456 000 000 α^5 −

222 188 258 577 640 772 354 238 434 789 619 590 458 369 533 456 998 333 860 580 347 785 297 397 844 \
542 390 430 764 542 832 915 198 771 200 000 α^6 −

413 523 661 134 662 519 019 982 705 001 992 371 416 048 920 981 917 261 235 125 662 679 280 735 100 \
199 852 363 428 071 984 640 997 457 920 000 α^7 −

659 641 754 136 046 407 002 962 315 063 507 944 997 848 381 685 280 343 947 369 770 190 249 013 193 \
653 765 054 436 949 760 514 071 724 032 000 α^8 −

916 015 203 833 881 715 275 001 113 569 212 312 158 589 518 926 246 054 899 023 941 877 457 984 351 \
299 863 107 047 363 706 163 518 924 390 400 α^9 −

1 120 970 165 304 659 831 463 399 797 590 467 506 949 527 860 276 201 444 686 566 330 774 150 284 569 \
745 771 985 077 446 726 522 172 153 528 320 α^{10} −

1 220 838 204 751 751 070 187 234 487 496 051 814 138 166 688 443 141 336 034 566 092 982 590 694 758 \
038 586 943 655 772 789 103 509 320 499 200 α^{11} −

1 192 905 064 350 316 423 975 468 151 084 552 611 308 191 618 666 643 935 656 047 923 031 196 857 308
265 675 868 847 865 408 149 616 718 774 272 α^{12} −

1 052 849 724 137 802 249 053 972 238 630 830 102 555 493 820 513 649 526 728 927 211 908 273 342 928
954 223 311 055 242 111 475 471 368 585 216 α^{13} −

844 141 170 177 749 323 861 894 644 505 774 310 121 892 427 450 071 384 397 130 073 965 208 956 399
363 464 235 798 529 726 968 711 849 443 328 α^{14} −

617 826 752 796 292 055 559 936 914 835 521 820 739 821 707 211 971 691 258 443 117 060 142 490 224
480 849 191 416 809 026 096 881 540 792 320 α^{15} −

414 518 656 856 721 912 788 685 223 205 453 321 434 938 487 365 086 146 310 926 136 950 571 192 259
057 412 308 216 005 648 981 964 707 856 384 α^{16} −

255 876 310 153 248 861 610 801 011 550 420 545 040 721 688 496 219 997 023 673 886 664 702 708 895
087 629 043 792 300 277 686 288 429 088 768 α^{17} −

145 783 266 301 021 861 148 854 014 521 382 476 897 205 606 510 470 165 107 599 674 209 023 799 511
870 498 043 393 591 716 913 247 860 817 920 α^{18} −

76 876 079 462 564 692 828 780 099 497 943 058 971 901 139 161 858 317 983 011 132 941 966 306 435
016 056 022 455 667 103 001 036 399 312 896 α^{19} −

37 614 149 199 067 866 612 619 676 906 492 934 086 972 440 693 154 405 048 816 797 753 249 298 002
684 692 372 843 932 033 512 875 692 654 592 α^{20} −

17 113 319 218 235 351 950 749 479 863 187 088 184 034 922 475 297 524 054 964 333 215 131 054 826
374 488 919 500 008 102 365 156 345 905 152 α^{21} −

7 254 021 999 140 479 360 395 420 054 762 064 412 854 071 714 005 881 900 200 835 823 698 569 541 733
973 550 823 143 774 379 888 458 334 208 α^{22} −

2 869 649 926 865 325 250 644 330 347 278 414 813 177 035 862 389 322 839 839 008 258 601 502 554 907
201 395 047 686 191 572 477 525 622 784 α^{23} −

1 061 070 480 168 005 676 005 549 411 072 555 079 175 245 203 031 336 627 935 386 053 100 248 593 194
789 881 240 973 169 089 235 241 664 512 α^{24} −

367 205 822 395 901 377 924 645 906 990 497 712 394 682 851 102 030 750 117 604 662 957 806 293 178
965 006 181 983 426 902 737 022 877 696 α^{25} −

119 080 868 359 634 640 919 482 274 155 738 681 421 872 335 348 130 737 792 064 123 490 144 950 326
483 785 263 116 979 205 034 829 938 688 α^{26} −

36 224 062 040 440 682 203 534 066 527 773 519 291 403 291 817 519 199 490 987 831 011 434 477 469
205 375 714 048 846 503 453 046 865 920 α^{27} −

10 346 043 876 523 119 601 601 634 130 210 930 358 180 950 249 232 683 669 605 155 830 727 497 614
071 060 396 862 205 451 738 063 831 040 α^{28} −

2 776 647 532 584 954 172 544 380 088 569 193 424 581 060 422 600 312 827 081 482 980 940 230 653 019
704 464 234 298 548 125 698 097 152 α^{29} −

700 705 074 934 144 057 136 204 026 158 373 078 435 739 614 466 010 270 019 135 241 420 953 561 051
905 700 972 754 321 941 104 427 008 α^{30} −

166 368 508 925 837 800 985 256 197 591 261 588 829 326 097 093 448 329 762 593 222 343 610 350 219
646 218 279 371 855 102 019 108 864 α^{31} −

37 182 492 404 496 325 000 466 481 195 516 350 774 231 630 676 572 252 655 363 897 425 096 149 044
184 706 156 524 814 677 642 838 016 α^{32} −

7 825 396 221 872 206 436 215 414 112 471 306 626 368 590 346 808 870 643 430 006 231 210 019 427 891
807 895 064 384 222 311 481 344 α^{33} −

1 551 328 833 422 554 127 201 115 948 885 673 602 935 022 285 808 736 528 200 242 281 393 316 731 882
616 896 871 022 933 642 838 016 α^{34} −

289 748 810 176 694 900 110 376 647 011 715 868 632 303 946 288 179 549 152 161 244 551 243 180 110
768 736 709 659 704 707 514 368 α^{35} −

50 993 212 038 987 855 585 143 600 667 029 640 608 263 932 605 339 529 080 760 230 122 779 238 197
730 149 416 224 470 677 323 776 α^{36} −

8 456 507 654 893 502 712 427 041 859 530 660 033 641 961 284 033 654 332 284 560 910 137 445 716 667

338 832 216 460 344 950 784 α^{37} −

1 321 402 657 047 066 879 792 582 249 683 322 325 307 254 398 790 697 022 493 247 076 963 897 167 791
905 729 368 737 821 229 056 α^{38} −

194 528 984 853 381 093 427 174 540 102 904 090 651 083 578 818 241 418 478 725 777 441 990 473 882
315 662 029 944 552 161 280 α^{39} −

26 973 631 982 087 440 613 363 997 454 922 265 383 870 255 161 979 471 823 915 131 023 645 175 825
855 751 884 594 787 385 344 α^{40} −

3 521 776 246 670 535 992 868 501 649 504 771 240 581 295 932 133 941 251 583 461 155 992 006 340 974
933 134 876 595 978 240 α^{41} −

432 784 228 019 899 900 617 872 530 695 982 415 639 828 235 562 711 574 384 191 702 778 052 499 273
689 472 381 143 220 224 α^{42} −

50 031 725 075 084 844 436 427 281 847 658 115 743 633 320 110 167 759 941 154 856 443 812 299 419
443 380 537 239 011 328 α^{43} −

5 437 703 576 058 198 575 121 185 374 463 495 854 691 470 717 556 625 983 866 379 394 433 499 090 686
086 369 779 908 608 α^{44} −

555 219 644 433 939 049 298 301 954 759 311 017 287 517 347 133 265 771 795 779 047 659 607 764 327
686 603 397 922 816 α^{45} −

53 213 849 426 195 403 625 337 225 956 779 291 155 330 348 097 762 312 814 970 454 858 297 205 153
627 338 637 836 288 α^{46} −

4 782 667 537 759 658 774 924 288 953 797 664 666 050 907 740 047 974 153 004 085 989 999 735 023 551
296 946 831 360 α^{47} −

402 638 335 734 949 724 361 777 461 027 344 990 202 713 970 060 747 521 089 052 310 729 885 318 744
972 162 236 416 α^{48} −

31 710 690 246 860 967 830 108 384 575 420 890 785 212 572 041 686 792 750 851 737 704 699 202 747
910 510 870 528 α^{49} −

2 332 991 819 830 576 752 832 951 538 143 195 099 371 481 549 213 235 227 160 661 395 752 925 281 500
530 737 152 α^{50} −

160 075 604 104 257 465 463 263 421 380 721 891 585 677 184 299 100 517 159 618 949 186 184 689 160
411 938 816 α^{51} −

10 224 317 872 021 481 276 373 959 544 864 772 165 392 738 648 440 674 085 053 883 927 064 720 682
298 376 192 α^{52} −

606 632 837 980 737 986 810 293 409 694 054 045 205 002 058 506 861 401 132 054 515 960 596 775 902
904 320 α^{53} −

33 355 019 167 894 050 573 031 079 278 022 976 110 818 424 887 602 129 287 775 569 303 082 111 426
625 536 α^{54} −

1 694 953 818 616 438 877 453 024 867 602 179 274 000 370 948 713 122 361 606 953 583 457 073 723 604
992 α^{55} −

79 353 342 257 009 783 068 142 791 765 573 359 666 626 341 046 552 051 757 314 754 027 845 289 246 720
α^{56} −

3 410 616 242 208 808 299 593 827 763 512 784 316 079 126 545 159 468 288 028 898 137 114 964 656 128
α^{57} −

134 020 325 966 190 561 015 542 396 593 341 783 127 894 408 186 789 797 435 824 403 238 726 139 904
α^{58} −

4 791 780 048 247 611 473 528 819 599 988 380 504 875 949 950 329 651 528 855 694 733 322 747 904 α^{59} −

155 013 391 774 336 616 205 796 862 278 207 672 798 585 017 847 133 058 416 161 045 446 918 144 α^{60} −

4 507 047 530 258 102 511 161 730 278 325 140 647 186 228 118 217 028 503 404 941 922 009 088 α^{61} −

116 839 132 204 290 313 746 829 912 539 762 225 123 882 272 128 975 773 334 962 331 189 248 α^{62} −

2 674 335 552 008 563 562 532 423 015 761 726 879 009 750 614 073 255 863 097 720 045 568 α^{63} −

53 394 811 402 782 389 371 106 716 077 222 240 343 729 858 773 392 512 427 344 527 360 α^{64} −

915 617 457 312 910 457 247 589 140 911 742 206 199 573 037 575 048 563 490 029 568 α^{65} −

13 213 515 808 466 901 504 075 334 574 501 219 168 970 775 906 538 658 415 509 504 α^{66} −

$156\,058\,222\,036\,800\,561\,285\,268\,739\,116\,590\,836\,187\,146\,289\,083\,998\,588\,108\,800\,\alpha^{67} -$

$1\,448\,425\,253\,655\,913\,820\,438\,179\,098\,270\,064\,516\,735\,771\,026\,680\,262\,426\,624\,\alpha^{68} -$

$9\,906\,517\,273\,439\,073\,632\,943\,003\,602\,026\,836\,709\,603\,778\,486\,914\,252\,800\,\alpha^{69} -$

$44\,392\,445\,886\,577\,462\,947\,748\,756\,274\,495\,771\,482\,317\,615\,896\,985\,600\,\alpha^{70} -$

$97\,773\,026\,415\,808\,146\,191\,848\,122\,055\,052\,434\,634\,224\,277\,913\,600\,\alpha^{71}\Big)\,\mathrm{Seq}\,[\,2 + \alpha\,] \,+$

$\Big(559\,422\,368\,321\,492\,757\,426\,438\,223\,368\,392\,807\,231\,847\,980\,216\,038\,949\,120\,252\,308\,069\,853\,146\,075\,545\,$
$373\,864\,938\,700\,800\,000\,000\,000\,000 \,+$

$8\,038\,265\,220\,202\,124\,728\,719\,898\,625\,376\,987\,142\,398\,197\,312\,358\,651\,698\,308\,437\,579\,968\,148\,030\,160\,$
$155\,917\,037\,569\,310\,720\,000\,000\,000\,000\,\alpha \,+$

$56\,617\,235\,143\,876\,387\,274\,216\,329\,307\,554\,406\,137\,127\,798\,026\,880\,602\,414\,912\,524\,208\,330\,510\,206\,$
$137\,860\,572\,274\,023\,727\,104\,000\,000\,000\,000\,\alpha^{2} \,+$

$260\,605\,978\,504\,251\,106\,633\,502\,549\,866\,129\,531\,234\,255\,634\,849\,085\,941\,174\,844\,557\,837\,502\,652\,825\,$
$867\,648\,311\,261\,129\,395\,404\,800\,000\,000\,000\,\alpha^{3} \,+$

$881\,790\,934\,784\,171\,273\,501\,264\,563\,474\,636\,982\,236\,884\,281\,608\,443\,552\,471\,745\,043\,750\,195\,104\,734\,$
$255\,869\,780\,567\,852\,077\,547\,520\,000\,000\,\alpha^{4} \,+$

$2\,339\,168\,065\,795\,076\,489\,932\,711\,896\,942\,851\,332\,145\,013\,776\,582\,176\,538\,275\,940\,140\,673\,101\,966\,185\,$
$735\,019\,917\,562\,512\,440\,033\,280\,000\,000\,\alpha^{5} \,+$

$5\,066\,841\,633\,236\,413\,566\,228\,034\,016\,621\,411\,058\,865\,459\,602\,827\,650\,250\,362\,477\,521\,458\,320\,813\,856\,$
$109\,715\,505\,767\,613\,406\,275\,174\,400\,000\,\alpha^{6} \,+$

$9\,216\,392\,784\,115\,960\,270\,949\,249\,534\,970\,232\,371\,427\,590\,506\,131\,403\,209\,033\,869\,159\,003\,090\,174\,589\,$
$351\,557\,644\,109\,403\,247\,345\,664\,000\,000\,\alpha^{7} \,+$

$14\,368\,671\,359\,083\,619\,925\,697\,403\,628\,592\,763\,034\,465\,892\,974\,237\,383\,171\,370\,979\,315\,484\,037\,545\,$
$229\,060\,937\,755\,939\,741\,945\,204\,572\,160\,000\,\alpha^{8} \,+$

$19\,501\,550\,931\,562\,497\,270\,391\,278\,019\,454\,334\,262\,593\,362\,374\,337\,929\,067\,904\,885\,816\,296\,652\,577\,$
$786\,663\,841\,023\,844\,839\,722\,507\,357\,388\,800\,\alpha^{9} \,+$

$23\,325\,718\,714\,580\,548\,649\,240\,100\,353\,351\,530\,907\,889\,824\,347\,046\,295\,562\,832\,423\,707\,890\,874\,756\,$
$514\,127\,278\,574\,084\,174\,651\,587\,265\,822\,720\,\alpha^{10} \,+$

$24\,831\,115\,251\,005\,518\,822\,404\,771\,263\,442\,309\,790\,983\,573\,824\,550\,862\,296\,378\,068\,680\,869\,942\,461\,$
$196\,095\,326\,122\,827\,965\,542\,161\,933\,402\,112\,\alpha^{11} \,+$

$23\,717\,537\,139\,412\,769\,375\,379\,150\,043\,842\,458\,095\,331\,081\,228\,882\,170\,605\,302\,094\,533\,991\,981\,701\,$
$945\,495\,350\,587\,497\,206\,302\,627\,694\,903\,296\,\alpha^{12} \,+$

$20\,463\,961\,574\,638\,580\,383\,272\,543\,349\,467\,832\,884\,176\,076\,706\,921\,163\,047\,087\,224\,913\,545\,150\,450\,$
$538\,046\,029\,735\,792\,496\,010\,034\,245\,795\,840\,\alpha^{13} \,+$

$16\,041\,218\,117\,722\,724\,108\,458\,177\,700\,664\,862\,834\,696\,305\,243\,246\,020\,997\,212\,414\,683\,441\,942\,499\,$
$278\,449\,474\,662\,050\,504\,381\,767\,629\,144\,064\,\alpha^{14} \,+$

$11\,479\,745\,582\,283\,891\,007\,951\,194\,286\,531\,866\,797\,525\,766\,129\,825\,860\,293\,534\,885\,772\,893\,051\,690\,$
$847\,558\,797\,112\,467\,419\,184\,689\,510\,875\,136\,\alpha^{15} \,+$

$7\,531\,856\,737\,729\,693\,061\,064\,349\,932\,425\,919\,445\,530\,300\,521\,094\,879\,842\,608\,246\,484\,485\,059\,333\,569\,$
$426\,359\,787\,661\,080\,907\,396\,396\,613\,632\,\alpha^{16} \,+$

$4\,547\,095\,771\,274\,440\,576\,362\,711\,070\,509\,470\,722\,628\,602\,639\,295\,036\,267\,861\,585\,856\,002\,067\,519\,974\,$
$533\,694\,042\,890\,428\,279\,054\,397\,341\,696\,\alpha^{17} \,+$

$2\,534\,052\,759\,112\,754\,571\,851\,607\,960\,061\,616\,173\,663\,817\,924\,091\,645\,093\,752\,127\,693\,773\,826\,971\,407\,$
$158\,663\,761\,559\,892\,181\,139\,748\,552\,704\,\alpha^{18} \,+$

$1\,307\,269\,334\,363\,557\,586\,714\,625\,031\,062\,227\,647\,139\,246\,305\,291\,981\,286\,111\,187\,315\,616\,542\,641\,868\,$
$475\,859\,835\,326\,696\,518\,042\,565\,738\,496\,\alpha^{19} \,+$

$625\,830\,393\,924\,975\,654\,548\,686\,306\,521\,544\,707\,637\,972\,077\,117\,796\,556\,591\,302\,959\,768\,125\,286\,382\,$
$699\,788\,316\,358\,826\,898\,850\,507\,128\,832\,\alpha^{20} \,+$

$278\,638\,069\,294\,344\,939\,540\,261\,238\,406\,889\,051\,651\,830\,682\,610\,453\,556\,771\,063\,815\,670\,815\,486\,329\,$
$332\,523\,198\,215\,721\,482\,821\,235\,113\,984\,\alpha^{21} \,+$

$115\,600\,151\,630\,061\,392\,508\,590\,645\,332\,298\,538\,825\,114\,037\,604\,424\,343\,963\,068\,461\,739\,665\,424\,257\,$
$053\,874\,558\,734\,889\,046\,266\,532\,069\,376\,\alpha^{22} \,+$

$44\,766\,941\,157\,092\,321\,971\,011\,302\,556\,258\,283\,343\,207\,749\,422\,805\,358\,929\,842\,123\,219\,048\,204\,477\,988\,738\,273\,002\,173\,469\,364\,670\,431\,232\,\alpha^{23} +$

$16\,206\,909\,380\,798\,228\,755\,179\,176\,840\,571\,064\,211\,374\,254\,306\,050\,450\,878\,347\,059\,459\,619\,990\,458\,725\,401\,120\,957\,394\,512\,584\,980\,299\,776\,\alpha^{24} +$

$5\,492\,551\,910\,064\,438\,105\,732\,159\,017\,280\,628\,475\,884\,531\,027\,801\,625\,463\,028\,984\,617\,034\,027\,221\,540\,527\,312\,198\,064\,805\,077\,007\,204\,352\,\alpha^{25} +$

$1\,744\,612\,085\,977\,564\,069\,754\,688\,084\,301\,040\,005\,978\,379\,109\,254\,924\,815\,212\,602\,916\,256\,712\,767\,789\,822\,269\,056\,647\,406\,702\,068\,498\,432\,\alpha^{26} +$

$519\,914\,830\,923\,952\,902\,118\,358\,068\,762\,941\,015\,727\,470\,134\,818\,072\,594\,921\,278\,328\,509\,008\,169\,915\,959\,061\,316\,555\,097\,133\,186\,809\,856\,\alpha^{27} +$

$145\,504\,199\,464\,792\,268\,566\,367\,057\,210\,470\,337\,534\,035\,393\,808\,022\,667\,272\,030\,289\,186\,192\,349\,756\,044\,641\,292\,306\,867\,392\,536\,903\,680\,\alpha^{28} +$

$38\,271\,721\,891\,179\,984\,657\,502\,596\,126\,418\,103\,606\,337\,917\,875\,774\,054\,955\,315\,673\,991\,956\,331\,263\,012\,890\,230\,196\,305\,081\,357\,303\,808\,\alpha^{29} +$

$9\,467\,605\,530\,019\,321\,507\,564\,515\,957\,097\,846\,098\,035\,792\,892\,528\,695\,697\,811\,331\,115\,666\,041\,069\,036\,914\,371\,802\,302\,629\,283\,889\,152\,\alpha^{30} +$

$2\,204\,026\,572\,696\,777\,986\,606\,949\,438\,771\,840\,886\,956\,842\,824\,927\,133\,413\,298\,969\,618\,282\,660\,577\,094\,640\,333\,230\,567\,470\,852\,472\,832\,\alpha^{31} +$

$483\,080\,576\,779\,582\,588\,679\,419\,858\,020\,450\,932\,385\,703\,310\,660\,140\,239\,754\,525\,043\,221\,850\,921\,693\,128\,584\,669\,605\,432\,014\,143\,488\,\alpha^{32} +$

$99\,728\,342\,965\,177\,249\,316\,935\,850\,091\,755\,776\,380\,625\,611\,673\,083\,595\,540\,198\,308\,208\,219\,768\,314\,022\,484\,578\,529\,428\,723\,728\,384\,\alpha^{33} +$

$19\,397\,431\,712\,465\,669\,418\,786\,418\,342\,886\,116\,785\,165\,433\,357\,718\,572\,999\,486\,292\,444\,527\,387\,757\,328\,580\,148\,111\,397\,806\,407\,680\,\alpha^{34} +$

$3\,555\,396\,171\,791\,699\,851\,233\,214\,966\,651\,854\,773\,020\,906\,137\,534\,650\,892\,661\,840\,959\,341\,383\,218\,500\,843\,131\,986\,863\,236\,055\,040\,\alpha^{35} +$

$614\,190\,900\,679\,368\,096\,014\,162\,033\,739\,791\,114\,241\,845\,354\,070\,225\,348\,066\,507\,076\,676\,461\,578\,251\,336\,773\,968\,546\,288\,893\,952\,\alpha^{36} +$

$100\,001\,409\,753\,927\,531\,458\,188\,408\,432\,498\,700\,012\,599\,382\,984\,187\,809\,208\,178\,267\,439\,333\,481\,631\,156\,140\,770\,960\,791\,830\,528\,\alpha^{37} +$

$15\,345\,261\,499\,153\,225\,083\,076\,603\,222\,778\,532\,644\,115\,141\,974\,600\,624\,417\,066\,605\,594\,980\,126\,644\,607\,436\,389\,493\,879\,341\,056\,\alpha^{38} +$

$2\,218\,952\,051\,644\,276\,070\,641\,496\,940\,954\,363\,049\,967\,364\,769\,904\,598\,320\,608\,547\,639\,253\,204\,186\,152\,710\,955\,207\,099\,416\,576\,\alpha^{39} +$

$302\,293\,142\,936\,421\,256\,211\,930\,962\,081\,580\,598\,439\,935\,156\,774\,788\,503\,842\,649\,834\,036\,560\,457\,925\,149\,952\,073\,193\,750\,528\,\alpha^{40} +$

$38\,786\,173\,852\,713\,237\,026\,783\,495\,752\,455\,051\,817\,688\,035\,045\,497\,285\,383\,287\,430\,396\,230\,676\,263\,389\,451\,356\,269\,969\,408\,\alpha^{41} +$

$4\,685\,048\,699\,459\,645\,233\,962\,815\,688\,112\,177\,348\,227\,146\,520\,518\,759\,783\,450\,216\,105\,078\,429\,101\,412\,822\,145\,289\,945\,088\,\alpha^{42} +$

$532\,496\,696\,017\,353\,437\,359\,002\,811\,759\,944\,873\,935\,881\,841\,052\,285\,759\,465\,050\,710\,136\,636\,985\,400\,870\,302\,855\,987\,200\,\alpha^{43} +$

$56\,913\,716\,663\,055\,615\,282\,051\,956\,700\,063\,410\,799\,358\,962\,079\,233\,837\,486\,146\,257\,548\,419\,328\,304\,722\,209\,224\,523\,776\,\alpha^{44} +$

$5\,716\,067\,260\,292\,942\,031\,761\,581\,447\,811\,924\,857\,130\,287\,830\,830\,916\,902\,664\,654\,216\,977\,952\,935\,301\,216\,970\,211\,328\,\alpha^{45} +$

$539\,000\,530\,262\,085\,381\,062\,994\,184\,047\,952\,637\,615\,943\,089\,303\,133\,911\,157\,271\,277\,564\,352\,514\,122\,924\,018\,368\,512\,\alpha^{46} +$

$47\,672\,439\,353\,460\,825\,305\,115\,243\,845\,634\,785\,651\,727\,973\,963\,751\,966\,985\,798\,064\,612\,725\,114\,145\,589\,373\,698\,048\,\alpha^{47} +$

$3\,950\,438\,419\,183\,292\,573\,017\,802\,242\,883\,828\,319\,571\,083\,228\,797\,377\,769\,650\,394\,779\,302\,016\,256\,695\,$

$980\,785\,664\,\alpha^{48}\,+$

$306\,315\,369\,764\,503\,955\,643\,644\,530\,153\,509\,537\,367\,734\,857\,030\,569\,585\,659\,087\,568\,117\,920\,620\,456\,$
$141\,914\,112\,\alpha^{49}\,+$

$22\,192\,626\,217\,795\,351\,867\,003\,506\,495\,154\,248\,246\,836\,276\,513\,484\,633\,574\,347\,952\,974\,671\,073\,502\,$
$715\,445\,248\,\alpha^{50}\,+$

$1\,499\,864\,330\,443\,961\,230\,588\,148\,403\,421\,453\,328\,368\,398\,348\,083\,034\,463\,426\,032\,892\,429\,576\,551\,190\,$
$757\,376\,\alpha^{51}\,+$

$94\,382\,375\,472\,147\,140\,197\,969\,576\,000\,618\,786\,894\,299\,852\,061\,717\,556\,760\,912\,739\,443\,804\,148\,686\,$
$913\,536\,\alpha^{52}\,+$

$5\,518\,359\,387\,060\,224\,399\,006\,565\,068\,105\,179\,792\,058\,240\,099\,054\,836\,600\,529\,244\,849\,868\,358\,597\,738\,$
$496\,\alpha^{53}\,+$

$299\,067\,949\,531\,160\,245\,753\,284\,176\,231\,435\,540\,095\,765\,180\,849\,858\,744\,957\,061\,344\,585\,347\,105\,816\,576\,$
$\alpha^{54}\,+$

$14\,982\,613\,119\,943\,454\,530\,430\,877\,792\,550\,740\,226\,980\,500\,135\,201\,348\,330\,060\,480\,352\,075\,953\,209\,344\,$
$\alpha^{55}\,+$

$691\,690\,156\,196\,569\,320\,646\,606\,645\,306\,372\,748\,553\,642\,562\,292\,026\,844\,440\,614\,312\,946\,996\,084\,736\,$
$\alpha^{56}\,+$

$29\,321\,810\,435\,738\,667\,415\,751\,837\,113\,650\,695\,114\,125\,357\,051\,101\,134\,206\,780\,584\,866\,030\,288\,896\,$
$\alpha^{57}\,+$

$1\,136\,669\,517\,003\,671\,009\,202\,768\,646\,637\,123\,110\,432\,019\,651\,178\,653\,286\,612\,704\,862\,310\,236\,160\,\alpha^{58}\,+$

$40\,101\,374\,097\,171\,882\,062\,136\,182\,049\,205\,432\,414\,473\,484\,395\,469\,017\,163\,811\,043\,669\,966\,848\,\alpha^{59}\,+$

$1\,280\,332\,527\,327\,157\,203\,213\,013\,191\,953\,798\,348\,646\,393\,725\,695\,640\,031\,541\,825\,435\,074\,560\,\alpha^{60}\,+$

$36\,747\,544\,515\,715\,721\,282\,115\,913\,535\,607\,828\,152\,019\,524\,438\,612\,912\,901\,621\,681\,225\,728\,\alpha^{61}\,+$

$940\,584\,156\,852\,552\,419\,814\,751\,248\,168\,973\,980\,149\,789\,606\,562\,958\,069\,499\,749\,728\,256\,\alpha^{62}\,+$

$21\,261\,209\,372\,242\,520\,764\,528\,539\,489\,945\,200\,410\,268\,476\,312\,195\,812\,944\,655\,679\,488\,\alpha^{63}\,+$

$419\,297\,691\,157\,897\,979\,138\,754\,421\,833\,677\,038\,499\,541\,581\,928\,049\,992\,603\,271\,168\,\alpha^{64}\,+$

$7\,103\,566\,732\,653\,142\,057\,157\,385\,422\,075\,018\,145\,225\,884\,268\,171\,075\,245\,834\,240\,\alpha^{65}\,+$

$101\,299\,294\,200\,764\,219\,456\,800\,987\,569\,971\,309\,723\,511\,469\,579\,991\,122\,968\,576\,\alpha^{66}\,+$

$1\,182\,458\,624\,364\,216\,006\,009\,184\,790\,545\,257\,039\,538\,332\,622\,553\,681\,494\,016\,\alpha^{67}\,+$

$10\,849\,039\,061\,470\,617\,155\,644\,530\,301\,047\,918\,678\,210\,684\,125\,368\,549\,376\,\alpha^{68}\,+$

$73\,366\,138\,596\,677\,505\,315\,685\,898\,390\,458\,439\,606\,453\,330\,667\,110\,400\,\alpha^{69}\,+$

$325\,121\,555\,636\,022\,739\,377\,118\,529\,792\,893\,278\,614\,964\,299\,366\,400\,\alpha^{70}\,+$

$708\,270\,719\,505\,845\,849\,417\,203\,674\,955\,342\,083\,655\,100\,006\,400\,\alpha^{71}\Big)\,\text{Seq}\,[4+\alpha]\,+$

$\Big(-2\,994\,937\,256\,864\,974\,386\,997\,995\,224\,423\,393\,946\,278\,934\,539\,135\,501\,288\,983\,959\,701\,014\,503\,824\,052\,$
$970\,909\,492\,838\,400\,000\,000\,000\,-$

$42\,594\,368\,557\,750\,753\,309\,722\,464\,563\,333\,726\,090\,135\,406\,813\,539\,688\,263\,727\,435\,093\,890\,746\,998\,$
$571\,762\,968\,344\,657\,920\,000\,000\,000\,\alpha\,-$

$296\,896\,369\,181\,742\,519\,778\,079\,000\,580\,913\,922\,238\,176\,867\,448\,176\,462\,535\,049\,258\,778\,488\,639\,245\,$
$592\,833\,372\,249\,391\,104\,000\,000\,000\,\alpha^2\,-$

$1\,352\,178\,018\,527\,161\,113\,454\,443\,334\,389\,026\,669\,311\,772\,407\,184\,482\,911\,476\,600\,727\,960\,423\,070\,707\,$
$612\,211\,617\,963\,442\,176\,000\,000\,000\,\alpha^3\,-$

$4\,526\,241\,931\,732\,924\,622\,033\,144\,547\,452\,331\,557\,750\,510\,615\,962\,224\,735\,913\,423\,014\,313\,370\,210\,676\,$
$664\,889\,535\,301\,618\,237\,440\,000\,000\,\alpha^4\,-$

$11\,876\,488\,578\,169\,672\,261\,477\,460\,588\,445\,822\,745\,709\,295\,281\,379\,295\,481\,155\,196\,148\,342\,775\,768\,$
$695\,010\,153\,120\,603\,740\,045\,312\,000\,000\,\alpha^5\,-$

$25\,442\,091\,626\,016\,228\,524\,741\,493\,962\,741\,512\,384\,996\,847\,234\,537\,710\,705\,354\,953\,137\,149\,500\,758\,$
$823\,127\,091\,241\,157\,294\,188\,134\,400\,000\,\alpha^6\,-$

$45\,761\,702\,763\,433\,415\,978\,291\,967\,660\,994\,242\,828\,762\,715\,017\,902\,098\,266\,885\,054\,152\,053\,671\,314\,$
$737\,706\,618\,163\,261\,188\,100\,587\,520\,000\,\alpha^7\,-$

$70\,537\,962\,693\,083\,521\,046\,960\,211\,031\,369\,546\,655\,284\,122\,320\,856\,971\,264\,899\,502\,057\,071\,787\,654\,$
$428\,058\,008\,232\,543\,025\,478\,238\,208\,000\,\alpha^8\,-$

94 641 682 480 552 754 568 136 022 600 133 141 934 431 404 371 090 790 378 744 861 332 543 814 611 \
448 149 401 667 717 081 975 907 942 400 α^9 −

111 892 185 854 780 710 924 748 399 286 340 022 950 172 843 584 631 469 749 429 163 226 790 334 963 \
314 102 062 224 824 099 455 484 559 360 α^{10} −

117 722 456 883 538 076 600 345 614 861 302 468 775 945 172 615 594 265 633 567 122 484 411 704 661 \
308 572 749 732 369 569 890 047 098 880 α^{11} −

111 117 001 221 134 081 005 604 602 883 226 125 661 605 053 190 235 487 086 707 661 773 408 414 898 \
208 877 979 066 080 049 042 743 623 680 α^{12} −

94 732 815 099 493 119 614 366 352 140 292 796 790 586 146 328 893 321 298 022 483 187 184 770 372 \
212 783 669 480 977 482 410 622 976 000 α^{13} −

73 367 271 186 531 948 395 329 213 172 341 832 928 804 962 758 568 037 883 220 718 799 411 135 075 \
123 253 465 501 384 500 892 707 848 192 α^{14} −

51 869 080 955 661 640 089 464 567 009 116 401 744 973 599 160 418 667 864 649 969 945 124 458 288 \
980 936 682 917 474 412 120 567 185 408 α^{15} −

33 616 234 631 531 255 539 800 623 202 461 460 899 279 819 392 314 470 638 394 966 749 442 213 726 \
784 697 914 860 672 805 366 034 071 552 α^{16} −

20 045 355 665 760 405 420 606 897 789 107 498 115 205 013 034 774 994 148 113 531 881 263 671 401 \
644 304 830 066 367 015 215 529 197 568 α^{17} −

11 032 967 478 426 135 175 708 190 882 211 538 826 922 377 819 918 329 983 363 986 404 640 197 049 \
675 334 021 755 453 417 744 379 150 336 α^{18} −

5 620 896 359 438 093 013 568 628 962 175 874 471 931 740 505 986 551 324 450 079 756 886 773 043 438 \
179 246 162 232 272 627 807 289 344 α^{19} −

2 657 236 299 419 244 127 635 496 762 582 986 787 891 100 856 783 679 244 990 143 578 888 639 002 070 \
754 571 605 767 280 538 983 071 744 α^{20} −

1 168 203 712 474 826 918 328 011 783 612 825 617 062 036 308 594 153 962 346 683 019 792 775 631 192 \
905 886 362 709 102 690 404 139 008 α^{21} −

478 536 506 864 516 927 843 031 886 962 281 710 705 361 746 502 917 197 390 977 346 680 455 963 055 \
243 996 415 054 022 882 777 366 528 α^{22} −

182 965 369 249 437 113 853 664 563 163 134 202 326 894 799 636 165 618 061 487 400 454 453 915 806 \
162 507 239 956 623 841 856 847 872 α^{23} −

65 395 075 059 247 496 392 481 678 705 368 589 286 802 954 123 452 473 310 680 216 524 470 562 265 \
117 315 986 715 068 639 660 212 224 α^{24} −

21 879 288 542 215 316 963 707 054 928 554 490 586 662 560 321 725 074 343 648 014 585 966 869 539 \
214 123 359 818 304 411 223 982 080 α^{25} −

6 860 490 149 588 965 114 651 959 629 383 143 141 086 343 265 127 775 023 790 403 535 107 519 033 439 \
211 901 646 860 297 100 591 104 α^{26} −

2 018 231 457 825 066 284 267 384 390 246 718 797 979 975 917 800 524 819 714 778 216 550 767 941 100 \
762 563 598 559 887 435 497 472 α^{27} −

557 550 495 956 654 858 848 298 812 688 061 528 994 625 141 648 244 366 437 479 608 170 047 305 972 \
294 395 983 059 321 467 961 344 α^{28} −

144 759 187 816 891 373 014 424 797 126 052 128 031 738 824 624 454 547 093 983 319 318 185 798 667 \
834 029 782 167 670 064 414 720 α^{29} −

35 347 555 112 822 043 799 468 313 412 086 783 917 172 313 863 631 742 753 414 780 994 797 028 930 \
582 969 155 638 717 462 347 776 α^{30} −

8 122 333 653 822 027 653 844 560 264 479 872 966 987 757 637 075 874 581 031 934 820 629 638 515 303 \
658 738 244 229 639 700 480 α^{31} −

1 757 211 534 387 227 313 396 525 469 293 732 019 861 339 040 070 129 517 120 142 408 746 260 603 932 \
231 521 861 023 455 772 672 α^{32} −

358 064 454 337 600 954 671 125 605 736 142 311 696 971 024 167 657 722 036 369 482 169 873 219 124 \
096 661 327 234 798 190 592 α^{33} −

68 742 381 874 215 763 758 710 783 264 498 480 169 748 432 928 995 547 121 404 540 494 413 999 793 \

$481\,150\,751\,642\,076\,839\,936\,\alpha^{34}\,-$

$12\,436\,769\,140\,822\,364\,164\,256\,497\,345\,892\,012\,811\,736\,579\,376\,832\,555\,973\,397\,406\,284\,750\,446\,534\,969\,104\,003\,412\,296\,990\,720\,\alpha^{35}\,-$

$2\,120\,633\,010\,973\,008\,040\,951\,751\,442\,648\,714\,632\,653\,866\,097\,769\,714\,770\,920\,391\,900\,702\,498\,371\,150\,892\,045\,960\,405\,057\,536\,\alpha^{36}\,-$

$340\,812\,861\,525\,668\,762\,561\,068\,643\,778\,068\,551\,992\,686\,050\,414\,564\,738\,462\,348\,644\,206\,763\,106\,307\,487\,832\,101\,946\,392\,576\,\alpha^{37}\,-$

$51\,622\,468\,943\,647\,083\,791\,182\,900\,034\,756\,216\,089\,850\,781\,937\,126\,383\,484\,101\,552\,437\,231\,579\,510\,669\,615\,254\,154\,772\,480\,\alpha^{38}\,-$

$7\,368\,441\,731\,123\,465\,734\,455\,600\,370\,850\,725\,546\,665\,017\,279\,427\,106\,380\,801\,123\,308\,972\,868\,769\,369\,570\,404\,953\,751\,552\,\alpha^{39}\,-$

$990\,899\,481\,355\,921\,216\,367\,564\,507\,714\,305\,189\,397\,953\,105\,171\,446\,016\,619\,318\,165\,095\,357\,438\,333\,904\,688\,180\,625\,408\,\alpha^{40}\,-$

$125\,505\,790\,057\,897\,652\,434\,017\,039\,422\,067\,340\,865\,800\,359\,687\,441\,806\,530\,700\,383\,468\,204\,589\,884\,369\,814\,195\,011\,584\,\alpha^{41}\,-$

$14\,965\,801\,780\,111\,392\,554\,294\,511\,709\,111\,074\,741\,078\,885\,278\,332\,671\,244\,410\,976\,189\,716\,518\,738\,184\,465\,343\,840\,256\,\alpha^{42}\,-$

$1\,679\,256\,131\,303\,193\,048\,725\,900\,263\,680\,236\,145\,757\,732\,569\,200\,576\,173\,137\,294\,351\,321\,283\,492\,127\,225\,883\,394\,048\,\alpha^{43}\,-$

$177\,193\,470\,127\,597\,014\,211\,436\,495\,440\,661\,891\,206\,976\,487\,491\,269\,678\,284\,369\,679\,368\,330\,300\,641\,470\,402\,527\,232\,\alpha^{44}\,-$

$17\,570\,207\,638\,490\,052\,606\,463\,954\,177\,578\,386\,468\,437\,072\,269\,582\,224\,286\,800\,049\,795\,185\,226\,351\,949\,712\,982\,016\,\alpha^{45}\,-$

$1\,635\,825\,707\,746\,116\,368\,572\,938\,598\,787\,957\,152\,813\,702\,116\,411\,414\,388\,492\,653\,184\,526\,555\,371\,063\,803\,379\,712\,\alpha^{46}\,-$

$142\,857\,924\,414\,722\,346\,891\,409\,213\,668\,190\,960\,039\,714\,233\,841\,354\,806\,823\,311\,498\,900\,306\,857\,430\,307\,831\,808\,\alpha^{47}\,-$

$11\,689\,436\,212\,701\,386\,910\,330\,797\,201\,089\,775\,977\,641\,056\,583\,543\,625\,360\,401\,968\,090\,357\,302\,219\,132\,370\,944\,\alpha^{48}\,-$

$895\,059\,361\,477\,903\,488\,004\,913\,244\,051\,307\,102\,193\,756\,664\,549\,581\,640\,837\,734\,775\,769\,674\,921\,164\,144\,640\,\alpha^{49}\,-$

$64\,039\,989\,304\,600\,216\,726\,020\,374\,239\,727\,790\,036\,264\,439\,780\,317\,097\,149\,792\,356\,763\,492\,793\,832\,177\,664\,\alpha^{50}\,-$

$4\,274\,447\,183\,843\,654\,694\,844\,321\,292\,134\,748\,586\,841\,682\,874\,742\,563\,538\,368\,196\,943\,768\,501\,857\,812\,480\,\alpha^{51}\,-$

$265\,663\,197\,192\,036\,782\,905\,762\,711\,699\,428\,952\,279\,311\,818\,543\,407\,341\,704\,227\,154\,311\,441\,733\,910\,528\,\alpha^{52}\,-$

$15\,342\,325\,496\,677\,083\,753\,806\,537\,380\,148\,165\,969\,478\,774\,106\,427\,393\,503\,241\,768\,339\,933\,944\,086\,528\,\alpha^{53}\,-$

$821\,336\,439\,637\,945\,118\,754\,722\,429\,915\,226\,193\,333\,575\,552\,898\,348\,759\,517\,343\,863\,445\,003\,436\,032\,\alpha^{54}\,-$

$40\,647\,993\,687\,569\,796\,742\,149\,928\,455\,493\,343\,327\,371\,870\,917\,430\,237\,461\,170\,165\,339\,413\,020\,672\,\alpha^{55}\,-$

$1\,853\,936\,252\,079\,832\,032\,038\,652\,865\,332\,419\,053\,040\,300\,674\,421\,231\,394\,095\,284\,695\,179\,722\,752\,\alpha^{56}\,-$

$77\,649\,366\,130\,146\,374\,871\,455\,575\,470\,213\,852\,819\,881\,268\,572\,652\,751\,549\,714\,488\,084\,135\,936\,\alpha^{57}\,-$

$2\,974\,256\,874\,083\,936\,286\,133\,903\,007\,492\,094\,605\,392\,544\,395\,809\,130\,419\,581\,540\,110\,434\,304\,\alpha^{58}\,-$

$103\,689\,484\,854\,032\,146\,723\,615\,917\,339\,757\,903\,665\,267\,229\,312\,107\,770\,302\,541\,189\,873\,664\,\alpha^{59}\,-$

$3\,271\,631\,322\,017\,324\,764\,324\,944\,401\,711\,694\,793\,708\,668\,610\,724\,242\,501\,963\,033\,346\,048\,\alpha^{60}\,-$

$92\,805\,076\,669\,119\,240\,468\,632\,925\,943\,400\,486\,659\,214\,537\,445\,047\,770\,974\,464\,770\,048\,\alpha^{61}\,-$

$2\,347\,898\,822\,347\,372\,557\,931\,409\,159\,129\,884\,992\,680\,905\,229\,830\,429\,476\,804\,100\,096\,\alpha^{62}\,-$

$52\,462\,042\,860\,083\,145\,470\,395\,260\,442\,636\,557\,847\,131\,823\,822\,241\,700\,983\,603\,200\,\alpha^{63}\,-$

1 022 805 641 910 077 478 391 045 142 838 933 484 750 724 230 857 107 601 096 704 α^{64} −
17 131 645 091 461 722 769 264 636 321 610 695 813 548 403 240 626 085 167 104 α^{65} −
241 557 292 013 613 869 922 285 326 063 159 274 497 139 772 444 244 967 424 α^{66} −
2 788 242 662 534 544 836 623 247 458 888 261 406 062 237 311 408 537 600 α^{67} −
25 299 216 594 998 807 420 279 304 476 911 973 262 212 335 908 421 632 α^{68} −
169 209 003 758 736 530 901 072 041 186 923 970 407 146 140 467 200 α^{69} −
741 697 614 676 760 616 152 402 114 421 829 529 322 179 788 800 α^{70} −
1 598 363 211 802 454 956 689 545 078 412 316 387 364 044 800 α^{71}) Seq[6 + α] +

(2 759 985 437 075 395 437 766 420 987 594 023 375 562 223 120 405 497 015 047 691 775 402 549 493 204 \
   830 178 508 800 000 000 000 +
39 017 070 717 077 028 885 921 580 071 193 186 539 057 813 870 888 304 278 996 613 545 915 254 668 \
   408 285 864 919 040 000 000 000 α +
270 291 593 121 940 201 558 256 989 885 065 109 695 476 557 872 389 260 768 861 694 559 119 710 297 \
   102 386 299 142 144 000 000 000 α^2 +
1 223 288 657 711 447 123 592 104 804 162 652 041 577 252 502 571 956 678 881 600 659 613 543 914 089 \
   998 844 727 761 305 600 000 000 α^3 +
4 068 581 617 287 333 690 838 844 765 818 743 980 930 987 220 361 550 178 798 130 714 732 211 894 383 \
   266 439 327 194 808 320 000 000 α^4 +
10 605 882 739 295 997 373 802 444 923 225 067 911 049 941 095 270 981 004 308 372 887 626 147 982 \
   478 601 649 454 864 924 672 000 000 α^5 +
22 568 824 774 960 767 522 293 908 136 550 614 923 898 222 193 230 955 814 132 207 692 725 035 864 \
   584 055 616 753 915 186 380 800 000 α^6 +
40 318 106 977 765 986 049 590 419 698 527 255 755 030 056 956 350 085 184 223 645 646 636 050 053 \
   323 742 518 648 931 425 976 320 000 α^7 +
61 717 420 084 554 029 575 649 269 825 002 068 291 773 368 764 106 972 877 652 424 744 356 744 657 \
   076 612 568 943 300 538 531 840 000 α^8 +
82 224 246 504 599 430 292 212 391 250 747 263 646 814 092 495 809 774 635 092 854 247 205 910 787 \
   177 802 965 819 012 110 771 814 400 α^9 +
96 515 300 628 819 885 399 076 441 784 009 235 916 219 012 084 559 700 055 510 173 440 186 133 756 \
   095 558 419 979 988 737 804 206 080 α^{10} +
100 804 919 187 424 654 890 806 388 703 980 065 577 384 170 000 962 984 608 738 678 202 208 742 611 \
   950 040 698 139 829 347 868 475 392 α^{11} +
94 444 496 875 872 341 158 065 477 360 166 398 945 384 867 257 893 543 880 237 635 172 055 816 556 \
   476 332 325 231 844 916 286 455 808 α^{12} +
79 913 247 751 970 119 947 237 606 208 092 570 672 715 630 212 923 018 862 023 590 940 609 365 304 \
   082 592 050 126 700 567 793 762 304 α^{13} +
61 417 493 970 606 332 165 730 404 658 105 266 608 887 599 997 376 731 529 804 035 474 616 259 079 \
   229 147 163 052 439 070 325 080 064 α^{14} +
43 084 357 120 682 524 638 963 382 720 630 844 780 203 712 756 201 176 771 595 934 073 378 460 197 \
   633 664 125 650 589 343 873 040 384 α^{15} +
27 703 343 959 727 369 927 246 195 051 142 038 215 201 560 505 543 891 287 436 214 901 121 608 672 \
   874 260 065 134 901 925 409 259 520 α^{16} +
16 387 793 204 713 571 290 810 096 722 352 481 391 311 447 669 852 632 849 080 654 812 252 626 233 \
   651 302 597 208 935 936 953 909 248 α^{17} +
8 946 948 813 256 822 230 153 376 855 996 839 720 864 505 532 092 947 163 143 554 088 041 441 216 968 \
   711 019 687 979 206 189 309 952 α^{18} +
4 520 820 335 135 711 674 544 368 778 317 283 671 470 910 188 091 267 050 496 698 256 973 593 727 244 \
   514 222 514 758 813 342 427 136 α^{19} +
2 119 458 372 872 904 691 571 574 638 072 693 181 058 666 696 331 856 160 441 287 354 268 149 988 443 \
   940 076 816 302 011 938 095 104 α^{20} +
923 955 776 392 459 117 894 838 871 163 542 569 278 693 309 570 937 289 492 837 773 699 929 566 122 \

$319\,981\,488\,040\,161\,102\,161\,920\,\alpha^{21} +$

$375\,267\,780\,331\,971\,044\,029\,896\,979\,264\,109\,270\,145\,733\,473\,998\,274\,917\,029\,923\,905\,206\,375\,646\,002\,$
$151\,213\,965\,072\,994\,416\,050\,176\,\alpha^{22} +$

$142\,247\,713\,805\,144\,826\,236\,777\,732\,052\,763\,911\,644\,334\,784\,373\,887\,308\,230\,561\,768\,297\,438\,171\,373\,$
$035\,749\,794\,345\,926\,520\,561\,664\,\alpha^{23} +$

$50\,399\,836\,459\,046\,376\,328\,815\,897\,026\,139\,024\,154\,455\,826\,560\,213\,933\,623\,924\,636\,366\,206\,346\,429\,$
$431\,421\,597\,659\,271\,618\,220\,032\,\alpha^{24} +$

$16\,714\,114\,205\,453\,810\,508\,146\,340\,568\,778\,560\,470\,769\,074\,064\,972\,386\,423\,492\,288\,038\,599\,241\,746\,$
$346\,366\,569\,014\,470\,670\,315\,520\,\alpha^{25} +$

$5\,194\,344\,136\,904\,782\,450\,097\,811\,280\,671\,853\,287\,822\,221\,335\,758\,122\,069\,819\,793\,991\,355\,238\,685\,159\,$
$341\,130\,854\,427\,397\,066\,752\,\alpha^{26} +$

$1\,514\,370\,712\,096\,672\,873\,774\,999\,833\,049\,891\,132\,501\,635\,457\,476\,102\,215\,454\,727\,103\,418\,873\,830\,472\,$
$120\,525\,897\,155\,119\,435\,776\,\alpha^{27} +$

$414\,564\,671\,064\,816\,082\,304\,768\,116\,641\,623\,935\,918\,809\,404\,710\,936\,963\,566\,009\,503\,260\,506\,522\,334\,$
$260\,286\,225\,848\,254\,513\,152\,\alpha^{28} +$

$106\,650\,580\,078\,871\,912\,651\,280\,743\,025\,331\,870\,766\,793\,229\,720\,299\,876\,566\,493\,071\,786\,447\,830\,519\,$
$475\,969\,435\,782\,187\,970\,560\,\alpha^{29} +$

$25\,801\,715\,370\,391\,052\,755\,488\,345\,213\,859\,151\,276\,719\,912\,736\,277\,600\,693\,424\,626\,224\,490\,137\,726\,$
$185\,414\,318\,722\,129\,084\,416\,\alpha^{30} +$

$5\,873\,625\,182\,814\,031\,350\,528\,187\,953\,109\,307\,991\,529\,288\,944\,171\,026\,068\,044\,103\,180\,084\,388\,307\,753\,$
$453\,122\,072\,503\,001\,088\,\alpha^{31} +$

$1\,258\,782\,579\,175\,973\,880\,209\,757\,377\,456\,067\,705\,792\,983\,027\,360\,724\,756\,929\,159\,252\,558\,749\,829\,503\,$
$360\,125\,141\,985\,615\,872\,\alpha^{32} +$

$254\,071\,076\,140\,774\,333\,471\,724\,651\,689\,020\,685\,135\,881\,463\,129\,495\,990\,134\,117\,858\,829\,359\,916\,532\,$
$543\,092\,527\,172\,386\,816\,\alpha^{33} +$

$48\,311\,775\,135\,998\,135\,912\,448\,176\,681\,391\,671\,088\,558\,948\,461\,016\,186\,570\,084\,669\,838\,713\,573\,486\,$
$519\,213\,836\,701\,089\,792\,\alpha^{34} +$

$8\,656\,422\,903\,491\,043\,430\,372\,875\,005\,404\,372\,696\,762\,051\,883\,867\,254\,846\,738\,124\,217\,495\,420\,910\,921\,$
$027\,448\,442\,513\,408\,\alpha^{35} +$

$1\,461\,732\,726\,078\,457\,340\,119\,854\,750\,253\,140\,591\,172\,527\,421\,402\,788\,050\,348\,473\,909\,718\,050\,217\,612\,$
$900\,556\,947\,914\,752\,\alpha^{36} +$

$232\,626\,987\,494\,916\,180\,933\,570\,993\,489\,788\,694\,644\,570\,332\,263\,522\,070\,464\,313\,553\,161\,052\,595\,853\,$
$798\,532\,024\,788\,992\,\alpha^{37} +$

$34\,889\,576\,416\,731\,504\,031\,817\,715\,319\,013\,079\,038\,858\,871\,783\,971\,012\,746\,764\,859\,382\,619\,774\,021\,$
$259\,620\,877\,762\,560\,\alpha^{38} +$

$4\,930\,801\,874\,940\,669\,241\,334\,392\,819\,012\,616\,291\,053\,640\,047\,844\,162\,991\,274\,238\,665\,107\,702\,961\,504\,$
$508\,948\,594\,688\,\alpha^{39} +$

$656\,492\,368\,353\,602\,508\,400\,597\,309\,518\,287\,381\,134\,635\,231\,569\,222\,418\,191\,825\,415\,075\,893\,220\,234\,$
$405\,370\,155\,008\,\alpha^{40} +$

$82\,318\,277\,745\,908\,411\,759\,560\,686\,391\,461\,626\,280\,502\,551\,020\,189\,813\,067\,720\,568\,313\,638\,997\,866\,$
$349\,766\,234\,112\,\alpha^{41} +$

$9\,717\,179\,685\,260\,511\,763\,694\,906\,883\,136\,624\,360\,431\,675\,304\,327\,231\,594\,579\,092\,609\,054\,010\,685\,859\,$
$577\,942\,016\,\alpha^{42} +$

$1\,079\,297\,739\,377\,891\,514\,241\,532\,892\,970\,258\,639\,414\,470\,395\,351\,397\,362\,236\,659\,745\,107\,860\,363\,029\,$
$320\,441\,856\,\alpha^{43} +$

$112\,728\,446\,056\,403\,693\,251\,787\,019\,903\,592\,238\,473\,662\,301\,536\,108\,617\,305\,855\,634\,529\,250\,648\,109\,$
$992\,247\,296\,\alpha^{44} +$

$11\,063\,757\,324\,406\,891\,067\,032\,300\,844\,656\,390\,181\,744\,933\,790\,293\,366\,271\,665\,126\,212\,676\,085\,634\,$
$854\,813\,696\,\alpha^{45} +$

$1\,019\,488\,268\,853\,331\,986\,054\,969\,175\,662\,385\,059\,780\,685\,775\,220\,080\,626\,204\,272\,725\,176\,910\,071\,488\,$
$053\,248\,\alpha^{46} +$

$88\,114\,944\,273\,107\,981\,951\,726\,305\,283\,553\,182\,134\,449\,105\,046\,419\,968\,466\,057\,665\,320\,159\,697\,652\,678\,656\,\alpha^{47}\,+$

$7\,135\,435\,196\,040\,049\,451\,998\,921\,645\,231\,139\,277\,908\,191\,753\,450\,576\,119\,768\,565\,527\,649\,439\,197\,429\,760\,\alpha^{48}\,+$

$540\,683\,480\,156\,921\,398\,973\,293\,632\,341\,435\,469\,358\,812\,053\,179\,147\,157\,137\,673\,555\,588\,511\,034\,245\,120\,\alpha^{49}\,+$

$38\,281\,648\,090\,816\,191\,272\,763\,739\,459\,873\,981\,237\,979\,836\,879\,687\,495\,749\,278\,115\,041\,187\,446\,390\,784\,\alpha^{50}\,+$

$2\,528\,437\,708\,298\,891\,321\,895\,684\,049\,401\,865\,929\,243\,448\,871\,770\,274\,827\,469\,407\,549\,860\,190\,617\,600\,\alpha^{51}\,+$

$155\,497\,172\,373\,103\,757\,359\,740\,716\,769\,502\,222\,972\,195\,447\,429\,092\,841\,526\,966\,124\,045\,297\,254\,400\,\alpha^{52}\,+$

$8\,885\,625\,729\,519\,683\,048\,920\,077\,237\,823\,633\,199\,414\,384\,384\,119\,161\,654\,800\,782\,270\,723\,522\,560\,\alpha^{53}\,+$

$470\,664\,688\,331\,775\,307\,010\,612\,659\,273\,160\,224\,740\,818\,036\,581\,491\,842\,806\,116\,097\,902\,772\,224\,\alpha^{54}\,+$

$23\,046\,892\,108\,712\,279\,941\,724\,322\,941\,383\,259\,307\,996\,783\,697\,242\,093\,411\,135\,279\,687\,794\,688\,\alpha^{55}\,+$

$1\,040\,017\,995\,610\,090\,957\,265\,921\,263\,585\,527\,859\,045\,460\,716\,780\,125\,350\,533\,285\,709\,611\,008\,\alpha^{56}\,+$

$43\,097\,084\,480\,400\,785\,739\,521\,219\,589\,021\,501\,309\,380\,953\,806\,828\,205\,590\,866\,181\,488\,640\,\alpha^{57}\,+$

$1\,633\,219\,372\,802\,997\,245\,510\,403\,081\,647\,971\,244\,632\,167\,562\,098\,489\,255\,544\,821\,383\,168\,\alpha^{58}\,+$

$56\,331\,332\,425\,216\,639\,789\,681\,273\,549\,066\,315\,609\,294\,062\,079\,624\,284\,250\,524\,614\,656\,\alpha^{59}\,+$

$1\,758\,422\,107\,513\,190\,441\,006\,074\,724\,592\,150\,887\,824\,781\,459\,777\,881\,056\,758\,202\,368\,\alpha^{60}\,+$

$49\,347\,961\,312\,089\,083\,081\,051\,983\,193\,061\,383\,453\,718\,024\,824\,907\,815\,660\,290\,048\,\alpha^{61}\,+$

$1\,235\,127\,555\,213\,313\,637\,533\,035\,109\,716\,838\,951\,884\,096\,400\,931\,550\,436\,261\,888\,\alpha^{62}\,+$

$27\,302\,966\,477\,349\,713\,876\,782\,927\,507\,868\,696\,472\,452\,691\,360\,159\,325\,224\,960\,\alpha^{63}\,+$

$526\,608\,920\,624\,766\,100\,420\,988\,456\,718\,223\,069\,181\,303\,626\,535\,589\,117\,952\,\alpha^{64}\,+$

$8\,726\,174\,013\,263\,081\,295\,444\,656\,973\,268\,134\,414\,227\,449\,469\,745\,496\,064\,\alpha^{65}\,+$

$121\,723\,627\,042\,311\,333\,625\,915\,640\,706\,483\,348\,374\,681\,533\,735\,239\,680\,\alpha^{66}\,+$

$1\,390\,005\,231\,071\,198\,173\,758\,839\,896\,028\,717\,629\,633\,841\,067\,982\,848\,\alpha^{67}\,+$

$12\,477\,461\,582\,766\,463\,782\,213\,588\,389\,358\,240\,759\,065\,994\,067\,968\,\alpha^{68}\,+$

$82\,561\,782\,494\,361\,680\,529\,528\,128\,983\,332\,001\,991\,884\,800\,000\,\alpha^{69}\,+$

$358\,032\,924\,776\,885\,584\,551\,429\,251\,237\,797\,971\,571\,507\,200\,\alpha^{70}\,+$

$763\,338\,299\,988\,791\,317\,097\,389\,707\,961\,497\,236\,275\,200\,\alpha^{71}\big)\,\mathrm{Seq}[8+\alpha]\,+$

$\big(-523\,299\,519\,302\,086\,706\,229\,216\,786\,980\,326\,676\,479\,049\,880\,573\,864\,640\,960\,756\,408\,473\,986\,935\,491\,133\,440\,000\,000\,000\,000\,-$

$7\,369\,191\,016\,311\,653\,200\,214\,764\,577\,423\,384\,288\,286\,507\,946\,199\,500\,222\,986\,649\,464\,276\,158\,450\,246\,457\,753\,600\,000\,000\,000\,000\,\alpha\,-$

$50\,848\,217\,937\,110\,993\,194\,510\,133\,800\,206\,053\,142\,707\,670\,699\,122\,807\,394\,167\,339\,881\,791\,694\,618\,968\,915\,443\,712\,000\,000\,000\,000\,\alpha^2\,-$

$229\,195\,707\,850\,766\,641\,274\,906\,622\,914\,092\,451\,630\,881\,410\,811\,748\,021\,545\,793\,380\,697\,596\,907\,980\,379\,986\,880\,102\,400\,000\,000\,000\,\alpha^3\,-$

$759\,121\,063\,434\,046\,337\,943\,390\,996\,082\,012\,244\,680\,222\,705\,916\,058\,141\,561\,062\,448\,357\,576\,340\,235\,834\,335\,850\,004\,480\,000\,000\,000\,\alpha^4\,-$

$1\,970\,431\,415\,121\,813\,861\,579\,212\,192\,259\,658\,366\,112\,905\,396\,524\,991\,035\,326\,275\,339\,105\,521\,538\,896\,909\,684\,957\,609\,984\,000\,000\,000\,\alpha^5\,-$

$4\,174\,705\,372\,333\,245\,975\,585\,325\,408\,403\,706\,184\,890\,119\,081\,017\,254\,143\,482\,887\,318\,409\,204\,332\,607\,975\,296\,620\,416\,204\,800\,000\,000\,\alpha^6\,-$

$7\,424\,636\,264\,334\,423\,318\,350\,129\,942\,606\,541\,391\,161\,636\,842\,713\,153\,394\,034\,215\,095\,984\,426\,528\,318\,977\,724\,022\,940\,794\,880\,000\,000\,\alpha^7\,-$

$11\,313\,491\,394\,695\,711\,941\,022\,865\,450\,165\,756\,636\,845\,403\,063\,497\,240\,498\,693\,933\,544\,916\,305\,224\,726\,346\,264\,617\,133\,821\,952\,000\,\alpha^8\,-$

$15\,002\,312\,481\,355\,375\,699\,363\,758\,004\,253\,071\,229\,214\,684\,894\,271\,697\,185\,344\,842\,699\,321\,266\,664\,420\,978\,973\,941\,213\,502\,873\,600\,\alpha^9\,-$

17 525 861 758 400 304 542 977 659 370 153 875 629 552 071 441 290 607 260 167 695 861 393 280 655 \
253 387 493 386 827 869 184 000 α^{10} −

18 215 674 692 866 862 968 555 043 745 521 085 547 670 071 527 768 879 150 421 215 691 287 199 552 \
822 228 409 230 290 009 509 888 α^{11} −

16 981 492 475 901 306 179 426 434 541 984 659 448 276 909 006 061 755 568 505 426 942 110 498 176 \
002 533 061 532 544 025 838 592 α^{12} −

14 295 815 111 006 747 486 263 956 970 545 720 657 815 114 300 742 188 573 518 510 793 589 186 094 \
928 361 670 949 124 442 174 464 α^{13} −

10 930 207 278 950 249 395 074 757 851 953 195 402 561 971 170 298 644 251 758 406 088 422 406 308 \
285 610 473 821 036 063 709 184 α^{14} −

7 627 061 739 021 827 675 963 696 433 388 394 645 273 785 927 451 514 906 451 126 949 775 078 568 214 \
639 799 773 480 918 845 440 α^{15} −

4 877 826 080 752 325 426 182 658 768 514 780 207 877 664 732 452 526 918 133 094 350 487 192 000 495 \
272 793 546 912 078 930 944 α^{16} −

2 869 631 725 416 974 064 103 261 467 872 353 485 200 209 664 209 430 786 430 721 062 264 899 467 277 \
461 886 120 311 590 565 536 α^{17} −

1 557 927 667 387 074 669 452 963 766 391 872 582 782 498 126 387 747 576 597 940 797 216 106 178 022 \
406 091 072 004 710 215 072 α^{18} −

782 728 754 874 202 167 408 998 292 596 272 982 295 242 143 681 996 588 762 626 363 337 042 298 901 \
006 035 640 885 966 774 192 α^{19} −

364 834 315 992 958 132 879 399 130 136 624 581 237 019 115 773 386 708 427 894 484 338 911 128 105 \
631 629 720 653 460 530 900 α^{20} −

158 107 971 036 641 110 074 880 088 174 160 583 556 581 964 685 407 609 098 449 155 068 672 828 656 \
052 603 152 583 809 836 984 α^{21} −

63 830 860 088 676 543 104 227 415 141 566 045 398 508 448 625 646 080 525 100 465 293 656 607 366 \
313 263 342 912 617 432 296 α^{22} −

24 047 869 646 678 292 383 357 236 139 299 914 256 624 503 853 584 805 622 687 393 013 218 909 472 \
232 790 874 398 876 360 960 α^{23} −

8 467 543 101 543 435 565 760 651 112 285 934 356 619 438 006 644 449 616 204 129 825 819 025 886 142 \
121 723 059 261 707 076 α^{24} −

2 790 382 476 035 578 703 535 366 888 455 193 299 680 047 131 913 857 784 493 474 947 741 861 663 909 \
763 929 916 387 864 760 α^{25} −

861 625 046 332 441 383 817 213 868 337 079 266 895 494 323 143 644 015 578 075 226 832 774 099 534 \
811 049 447 447 075 920 α^{26} −

249 564 156 766 720 213 198 198 527 870 345 531 388 077 126 214 407 544 574 062 951 688 989 122 467 \
325 569 259 635 240 384 α^{27} −

67 867 203 252 135 488 640 137 842 261 735 154 895 413 540 329 082 585 511 454 110 590 188 980 429 \
662 465 048 995 205 352 α^{28} −

17 342 186 162 283 431 771 520 582 942 887 503 304 656 859 599 334 234 814 128 020 797 797 594 737 \
586 872 237 444 310 000 α^{29} −

4 166 942 762 408 180 551 019 356 360 236 615 147 165 187 333 879 842 765 632 600 473 709 925 057 142 \
328 943 027 148 336 α^{30} −

942 017 502 379 836 366 392 139 137 952 392 658 327 337 705 249 938 189 616 488 849 079 418 344 288 \
928 080 857 313 088 α^{31} −

200 466 957 350 811 172 533 441 321 915 097 099 339 188 968 068 276 490 655 056 824 373 000 257 626 \
804 045 257 186 024 α^{32} −

40 173 741 201 579 123 243 637 168 175 026 453 962 155 953 976 141 891 617 436 020 863 383 234 598 \
705 328 647 334 992 α^{33} −

7 583 868 140 928 794 114 161 620 567 839 931 468 488 527 073 897 818 068 521 196 474 802 388 034 203 \
266 869 225 888 α^{34} −

1 348 909 590 220 941 508 206 178 387 108 951 811 441 165 131 470 268 300 898 635 006 293 548 124 155 \

$715\,469\,851\,504\,\alpha^{35}\,-$

$226\,086\,664\,022\,487\,246\,419\,852\,600\,082\,380\,540\,613\,940\,098\,160\,393\,725\,938\,213\,278\,158\,989\,821\,491\,\backslash$
$515\,161\,318\,980\,\alpha^{36}\,-$

$35\,709\,667\,770\,270\,683\,473\,459\,080\,644\,641\,623\,098\,165\,370\,872\,274\,375\,175\,474\,791\,140\,672\,165\,056\,\backslash$
$129\,619\,325\,528\,\alpha^{37}\,-$

$5\,314\,916\,382\,610\,263\,644\,922\,799\,856\,037\,498\,217\,293\,154\,172\,070\,051\,393\,440\,392\,412\,271\,890\,368\,400\,\backslash$
$218\,105\,512\,\alpha^{38}\,-$

$745\,332\,000\,189\,429\,125\,873\,372\,770\,485\,039\,457\,500\,911\,350\,722\,808\,030\,779\,408\,807\,583\,254\,661\,846\,\backslash$
$397\,276\,480\,\alpha^{39}\,-$

$98\,457\,769\,657\,045\,330\,471\,097\,260\,342\,974\,728\,814\,790\,138\,397\,246\,032\,141\,367\,137\,738\,345\,609\,935\,\backslash$
$045\,914\,068\,\alpha^{40}\,-$

$12\,247\,895\,917\,709\,686\,199\,582\,742\,616\,272\,224\,701\,125\,460\,799\,172\,616\,735\,867\,016\,762\,611\,030\,040\,\backslash$
$130\,041\,432\,\alpha^{41}\,-$

$1\,434\,192\,152\,719\,808\,038\,027\,174\,909\,003\,497\,298\,835\,042\,184\,404\,572\,037\,394\,810\,016\,561\,041\,762\,632\,\backslash$
$125\,104\,\alpha^{42}\,-$

$158\,003\,779\,289\,528\,371\,428\,737\,152\,407\,107\,946\,129\,220\,154\,127\,037\,103\,122\,591\,206\,258\,342\,751\,153\,\backslash$
$180\,064\,\alpha^{43}\,-$

$16\,367\,269\,986\,516\,324\,833\,045\,708\,445\,132\,875\,595\,664\,681\,092\,641\,790\,194\,014\,597\,660\,106\,555\,624\,\backslash$
$838\,656\,\alpha^{44}\,-$

$1\,593\,013\,784\,316\,451\,085\,160\,847\,062\,480\,833\,690\,901\,158\,617\,373\,753\,951\,116\,057\,086\,542\,421\,189\,186\,\backslash$
$560\,\alpha^{45}\,-$

$145\,556\,357\,974\,092\,132\,918\,990\,723\,191\,940\,912\,990\,339\,693\,990\,565\,628\,632\,987\,398\,057\,399\,715\,700\,736$
$\alpha^{46}\,-$

$12\,473\,511\,021\,314\,367\,143\,335\,973\,300\,148\,686\,943\,968\,055\,315\,425\,389\,921\,497\,617\,800\,595\,565\,756\,416$
$\alpha^{47}\,-$

$1\,001\,401\,444\,516\,924\,723\,950\,679\,493\,792\,033\,719\,097\,842\,822\,949\,043\,462\,214\,919\,140\,412\,310\,421\,504$
$\alpha^{48}\,-$

$75\,220\,832\,359\,706\,407\,910\,019\,319\,009\,237\,348\,164\,551\,456\,521\,464\,287\,268\,801\,033\,561\,178\,112\,000$
$\alpha^{49}\,-$

$5\,279\,003\,158\,766\,647\,042\,133\,089\,981\,334\,068\,289\,159\,505\,107\,228\,523\,970\,923\,789\,982\,487\,281\,664\,\alpha^{50}\,-$

$345\,572\,433\,523\,674\,894\,262\,730\,319\,577\,230\,477\,497\,660\,379\,570\,967\,131\,171\,078\,939\,265\,204\,224\,\alpha^{51}\,-$

$21\,061\,750\,224\,700\,616\,872\,541\,295\,159\,397\,848\,592\,348\,922\,356\,501\,820\,127\,333\,942\,332\,227\,584\,\alpha^{52}\,-$

$1\,192\,628\,073\,323\,599\,756\,194\,465\,841\,516\,963\,341\,845\,614\,114\,072\,235\,548\,044\,618\,255\,826\,944\,\alpha^{53}\,-$

$62\,594\,177\,790\,067\,201\,932\,958\,397\,659\,650\,607\,954\,686\,551\,599\,269\,632\,147\,887\,308\,668\,928\,\alpha^{54}\,-$

$3\,036\,691\,109\,743\,409\,781\,847\,332\,922\,959\,763\,875\,278\,830\,723\,200\,738\,114\,228\,040\,237\,056\,\alpha^{55}\,-$

$135\,755\,056\,010\,977\,389\,497\,640\,631\,705\,393\,883\,895\,580\,147\,566\,624\,614\,106\,557\,054\,976\,\alpha^{56}\,-$

$5\,572\,516\,001\,237\,624\,948\,322\,967\,778\,067\,257\,997\,623\,951\,763\,119\,695\,685\,469\,863\,936\,\alpha^{57}\,-$

$209\,169\,321\,501\,700\,736\,623\,889\,730\,902\,982\,345\,954\,907\,109\,641\,228\,489\,081\,225\,216\,\alpha^{58}\,-$

$7\,145\,221\,327\,059\,739\,224\,082\,541\,168\,537\,175\,111\,493\,170\,931\,586\,762\,201\,366\,528\,\alpha^{59}\,-$

$220\,883\,655\,123\,635\,384\,633\,862\,257\,640\,951\,248\,624\,593\,441\,851\,988\,122\,796\,032\,\alpha^{60}\,-$

$6\,138\,290\,867\,714\,614\,147\,275\,172\,607\,982\,950\,540\,208\,990\,425\,073\,041\,014\,784\,\alpha^{61}\,-$

$152\,121\,756\,126\,405\,137\,703\,339\,400\,249\,671\,694\,919\,520\,822\,027\,616\,256\,000\,\alpha^{62}\,-$

$3\,329\,312\,456\,618\,635\,343\,388\,860\,127\,653\,959\,247\,388\,180\,427\,336\,318\,976\,\alpha^{63}\,-$

$63\,571\,511\,194\,486\,796\,994\,653\,289\,772\,238\,795\,850\,055\,174\,972\,243\,968\,\alpha^{64}\,-$

$1\,042\,779\,989\,582\,908\,481\,797\,324\,215\,663\,704\,757\,684\,479\,385\,927\,680\,\alpha^{65}\,-$

$14\,398\,047\,211\,288\,868\,046\,968\,690\,938\,025\,555\,608\,695\,727\,980\,544\,\alpha^{66}\,-$

$162\,731\,242\,659\,856\,838\,862\,444\,087\,485\,371\,503\,810\,392\,883\,200\,\alpha^{67}\,-$

$1\,445\,682\,693\,811\,595\,342\,040\,188\,603\,853\,528\,428\,491\,833\,344\,\alpha^{68}\,-$

$9\,466\,403\,561\,293\,507\,297\,515\,412\,292\,448\,425\,921\,740\,800\,\alpha^{69}\,-$

$40\,621\,473\,028\,005\,367\,582\,854\,504\,845\,248\,403\,865\,600\,\alpha^{70}\,-$

$85\,692\,853\,520\,993\,768\,727\,486\,335\,844\,719\,001\,600\,\alpha^{71}\big)\,\texttt{Seq}\,[\,10+\alpha\,]\,+$

102 231 552 036 353 α^{25} +

6 224 750 341 452 773 827 255 133 768 817 072 272 094 998 855 766 743 310 917 336 953 111 096 591 689 080 709 346 881 α^{26} +

1 793 573 622 459 952 623 380 048 914 274 285 414 284 237 298 052 842 744 674 564 338 102 893 884 671 454 769 432 490 α^{27} +

485 161 872 650 900 995 169 845 258 359 660 710 777 529 060 430 949 620 115 000 253 706 428 783 153 595 292 329 920 α^{28} +

123 303 734 973 888 769 962 212 521 820 271 701 837 127 298 288 635 713 961 922 449 169 991 996 374 083 647 640 234 α^{29} +

29 463 964 701 719 697 570 747 929 968 846 165 087 596 515 543 908 786 614 180 596 434 642 899 065 145 352 152 546 α^{30} +

6 623 523 626 679 176 292 555 942 275 279 088 219 946 539 120 698 781 550 480 802 100 328 295 480 958 555 927 144 α^{31} +

1 401 471 290 009 579 732 274 839 467 071 483 792 099 248 740 284 144 789 771 118 874 695 097 010 251 813 849 004 α^{32} +

279 221 855 252 760 121 567 608 086 097 364 466 082 632 626 740 099 883 157 770 001 958 768 989 540 464 660 266 α^{33} +

52 398 357 766 768 398 463 854 275 607 237 806 149 558 324 590 114 787 098 666 030 274 447 220 405 894 576 658 α^{34} +

9 263 672 080 745 621 924 538 211 297 271 312 192 560 270 371 989 169 596 511 910 725 191 338 884 332 509 632 α^{35} +

1 543 128 065 026 375 931 782 589 376 336 299 525 626 865 871 436 245 727 500 796 109 472 465 048 726 479 376 α^{36} +

242 210 182 789 630 940 422 956 909 254 314 262 331 979 226 658 019 943 422 987 797 096 037 054 193 843 049 α^{37} +

35 820 781 964 247 490 628 493 251 646 258 938 251 402 613 998 759 349 149 692 044 836 698 875 104 275 957 α^{38} +

4 990 826 920 355 939 273 221 917 723 089 919 510 603 930 513 582 900 146 679 963 989 534 607 741 261 768 α^{39} +

654 950 576 757 483 094 538 049 570 618 447 686 639 272 563 912 210 288 831 778 009 142 290 169 546 610 α^{40} +

80 929 544 388 038 604 305 846 044 514 696 501 338 584 236 823 040 579 159 907 971 546 401 443 145 669 α^{41} +

9 412 194 683 034 409 042 004 318 890 684 885 856 824 192 417 163 174 454 892 734 472 084 401 836 709 α^{42} +

1 029 768 168 449 062 024 221 426 173 352 362 030 202 445 838 276 376 177 815 161 631 255 234 810 706 α^{43} +

105 922 137 973 569 720 320 375 215 854 615 847 984 684 090 782 591 817 548 583 263 680 729 853 720 α^{44} +

10 235 715 409 642 848 415 270 850 922 269 694 275 286 708 907 043 263 340 373 526 742 470 060 608 α^{45} +

928 468 762 765 267 178 652 384 458 976 575 642 949 171 305 390 789 427 380 738 501 147 800 272 α^{46} +

78 978 912 384 225 271 036 089 194 885 282 424 845 772 390 002 830 575 544 473 470 006 833 824 α^{47} +

6 293 111 575 793 385 217 753 645 453 388 935 793 396 412 323 190 151 222 097 929 332 225 024 α^{48} +

469 113 794 928 281 260 665 236 794 500 722 818 140 858 041 372 348 009 605 456 654 780 416 α^{49} +

32 667 997 119 676 145 224 376 489 978 491 634 625 540 828 496 864 515 056 413 372 416 000 α^{50} +

2 121 717 032 246 729 001 442 017 249 160 271 522 595 547 462 788 098 161 658 452 770 816 α^{51} +

128 282 520 267 344 480 837 544 542 899 522 134 229 160 065 738 601 905 433 061 359 616 α^{52} +

7 205 252 101 727 120 255 414 009 126 731 353 087 345 703 388 243 673 348 786 094 080 α^{53} +

375 055 292 108 171 987 218 413 622 172 468 644 286 869 102 937 552 697 723 715 584 α^{54} +

18 043 669 719 500 081 665 693 998 557 407 338 132 670 501 396 875 038 542 528 512 α^{55} +

$799\,812\,988\,454\,177\,711\,022\,627\,845\,078\,886\,739\,892\,090\,478\,048\,804\,580\,884\,480\,\alpha^{56}\,+$

$32\,548\,940\,788\,336\,878\,581\,776\,867\,303\,632\,497\,941\,099\,771\,230\,123\,800\,395\,776\,\alpha^{57}\,+$

$1\,211\,103\,179\,221\,275\,601\,526\,701\,824\,834\,007\,552\,269\,734\,626\,401\,296\,842\,752\,\alpha^{58}\,+$

$41\,005\,357\,703\,513\,107\,657\,149\,037\,313\,475\,878\,607\,435\,320\,558\,924\,857\,344\,\alpha^{59}\,+$

$1\,256\,244\,070\,924\,019\,417\,481\,535\,746\,714\,060\,516\,306\,001\,634\,732\,802\,048\,\alpha^{60}\,+$

$34\,592\,888\,194\,112\,057\,802\,631\,464\,455\,649\,723\,637\,984\,988\,271\,476\,736\,\alpha^{61}\,+$

$849\,381\,156\,017\,236\,138\,927\,724\,094\,760\,771\,313\,679\,805\,244\,768\,256\,\alpha^{62}\,+$

$18\,415\,369\,187\,596\,611\,293\,172\,454\,003\,904\,047\,599\,192\,574\,525\,440\,\alpha^{63}\,+$

$348\,293\,428\,881\,701\,344\,690\,591\,769\,794\,398\,328\,259\,679\,879\,168\,\alpha^{64}\,+$

$5\,658\,147\,124\,803\,384\,957\,597\,246\,059\,646\,635\,564\,769\,214\,464\,\alpha^{65}\,+$

$77\,361\,613\,674\,729\,588\,394\,696\,247\,351\,761\,125\,739\,855\,872\,\alpha^{66}\,+$

$865\,714\,072\,810\,947\,332\,895\,012\,339\,872\,467\,293\,044\,736\,\alpha^{67}\,+$

$7\,613\,757\,083\,242\,133\,339\,391\,191\,841\,933\,367\,443\,456\,\alpha^{68}\,+$

$49\,348\,516\,224\,723\,072\,565\,204\,400\,995\,093\,708\,800\,\alpha^{69}\,+$

$209\,579\,125\,479\,059\,089\,455\,976\,930\,502\,246\,400\,\alpha^{70}\,+$

$437\,502\,088\,527\,074\,815\,832\,949\,679\,718\,400\,\alpha^{71}\big)\,\text{Seq}\,[12+\alpha]$

Also for $\tilde{r}_e(n)$ and $\tilde{r}_o(n)$

In[ ]:= `ClearAll[Seq];`
`SeqNormalizedEVEN = ApplyOreOperator[RECNormalizedinSEVEN, Seq[α]]`

Out[ ]= $\big(-16\,281\,255\,224\,197\,574\,309\,419\,557\,226\,198\,092\,784\,819\,026\,725\,745\,200\,153\,463\,334\,186\,900\,214\,018\,374\,$
$411\,223\,040\,000\,000\,000\,000\,000\,-$

$528\,130\,422\,901\,296\,354\,767\,098\,766\,059\,549\,277\,008\,947\,258\,055\,062\,733\,994\,078\,438\,369\,347\,819\,113\,$
$998\,796\,718\,080\,000\,000\,000\,000\,000\,\alpha\,-$

$8\,367\,562\,873\,206\,029\,390\,061\,838\,376\,912\,195\,854\,699\,687\,816\,991\,915\,485\,021\,986\,749\,473\,589\,821\,108\,$
$469\,541\,686\,476\,800\,000\,000\,000\,000\,\alpha^2\,-$

$86\,339\,195\,896\,941\,782\,984\,656\,408\,745\,603\,332\,595\,714\,253\,767\,584\,013\,053\,948\,474\,748\,173\,082\,286\,$
$750\,863\,137\,104\,199\,680\,000\,000\,000\,\alpha^3\,-$

$652\,713\,153\,303\,490\,253\,989\,503\,514\,845\,336\,243\,254\,346\,756\,153\,159\,813\,442\,906\,553\,897\,404\,771\,828\,$
$946\,620\,919\,045\,947\,392\,000\,000\,000\,\alpha^4\,-$

$3\,856\,258\,352\,272\,757\,909\,725\,113\,285\,076\,391\,485\,119\,006\,590\,870\,240\,809\,359\,468\,315\,608\,288\,013\,738\,$
$893\,923\,477\,587\,650\,150\,400\,000\,000\,\alpha^5\,-$

$18\,546\,293\,250\,103\,560\,257\,664\,836\,128\,685\,640\,743\,929\,440\,779\,650\,095\,403\,452\,538\,100\,949\,009\,034\,$
$421\,815\,634\,559\,273\,963\,356\,160\,000\,000\,\alpha^6\,-$

$74\,681\,443\,382\,018\,283\,929\,082\,840\,604\,298\,934\,277\,553\,537\,243\,733\,781\,438\,676\,281\,816\,691\,263\,193\,$
$502\,735\,851\,265\,457\,454\,579\,712\,000\,000\,\alpha^7\,-$

$257\,018\,507\,114\,404\,303\,028\,323\,289\,183\,212\,837\,261\,362\,251\,186\,685\,976\,152\,411\,079\,682\,952\,457\,168\,$
$956\,336\,797\,448\,886\,488\,032\,870\,400\,000\,\alpha^8\,-$

$767\,930\,861\,504\,861\,759\,498\,268\,864\,726\,767\,180\,951\,958\,854\,739\,196\,508\,495\,514\,338\,039\,119\,531\,868\,$
$839\,611\,126\,504\,995\,671\,517\,429\,760\,000\,\alpha^9\,-$

$2\,016\,718\,029\,787\,197\,015\,540\,152\,072\,660\,725\,527\,208\,084\,058\,551\,786\,888\,027\,455\,053\,737\,839\,391\,903\,$
$354\,191\,200\,805\,272\,143\,125\,282\,816\,000\,\alpha^{10}\,-$

$4\,701\,715\,969\,216\,625\,294\,615\,836\,800\,120\,203\,237\,857\,695\,350\,703\,154\,007\,669\,232\,893\,509\,132\,080\,456\,$
$030\,785\,953\,459\,535\,645\,339\,811\,840\,000\,\alpha^{11}\,-$

$9\,810\,961\,196\,462\,712\,719\,315\,430\,142\,686\,594\,673\,111\,599\,265\,910\,485\,425\,691\,276\,834\,013\,580\,743\,055\,$
$154\,693\,827\,372\,535\,312\,321\,767\,014\,400\,\alpha^{12}\,-$

$18\,449\,407\,602\,208\,244\,572\,320\,705\,426\,381\,703\,323\,331\,468\,613\,242\,633\,653\,493\,665\,103\,463\,801\,301\,$
$482\,028\,884\,588\,786\,200\,616\,156\,685\,926\,400\,\alpha^{13}\,-$

$31\,447\,433\,400\,662\,129\,839\,372\,901\,942\,410\,596\,819\,271\,349\,635\,191\,129\,859\,224\,618\,419\,888\,349\,892\,$

$994\,034\,033\,494\,047\,427\,925\,817\,845\,350\,400\,\alpha^{14}\,-$

$48\,828\,517\,479\,330\,210\,885\,371\,417\,456\,098\,036\,565\,450\,018\,212\,548\,545\,694\,824\,758\,078\,799\,017\,494$
$\quad 963\,749\,427\,463\,026\,184\,507\,166\,294\,016\,000\,\alpha^{15}\,-$

$69\,359\,724\,359\,934\,051\,301\,926\,621\,301\,305\,497\,970\,173\,352\,694\,713\,656\,511\,993\,705\,725\,738\,646\,027$
$\quad 163\,875\,304\,076\,514\,460\,945\,076\,767\,948\,800\,\alpha^{16}\,-$

$90\,470\,082\,652\,896\,652\,999\,360\,816\,070\,389\,045\,227\,487\,126\,661\,291\,406\,865\,690\,703\,972\,126\,533\,241$
$\quad 694\,706\,483\,895\,408\,338\,856\,383\,296\,307\,200\,\alpha^{17}\,-$

$108\,713\,440\,053\,528\,284\,108\,622\,055\,478\,018\,152\,256\,357\,325\,822\,940\,576\,893\,693\,953\,216\,734\,625\,643$
$\quad 935\,593\,743\,550\,478\,189\,182\,725\,390\,336\,000\,\alpha^{18}\,-$

$120\,694\,861\,936\,505\,204\,764\,267\,889\,215\,713\,579\,740\,518\,643\,291\,512\,107\,609\,409\,074\,049\,695\,022\,568$
$\quad 593\,500\,640\,223\,944\,073\,704\,885\,557\,657\,600\,\alpha^{19}\,-$

$124\,114\,635\,798\,222\,436\,782\,452\,151\,298\,543\,023\,307\,809\,714\,106\,160\,719\,541\,347\,096\,783\,415\,299\,079$
$\quad 609\,577\,553\,860\,163\,351\,550\,445\,905\,510\,400\,\alpha^{20}\,-$

$118\,484\,597\,838\,558\,425\,993\,619\,178\,513\,000\,234\,719\,313\,783\,598\,226\,394\,884\,786\,802\,494\,417\,252\,609$
$\quad 376\,925\,890\,016\,098\,373\,634\,460\,798\,156\,800\,\alpha^{21}\,-$

$105\,213\,696\,430\,506\,025\,995\,436\,801\,166\,437\,738\,687\,758\,502\,416\,306\,417\,699\,472\,831\,554\,154\,350\,930$
$\quad 129\,224\,110\,582\,550\,070\,600\,233\,543\,270\,400\,\alpha^{22}\,-$

$87\,061\,248\,412\,649\,895\,531\,530\,277\,910\,639\,708\,526\,756\,218\,145\,272\,047\,127\,736\,341\,358\,348\,933\,744$
$\quad 522\,974\,917\,783\,960\,664\,042\,511\,951\,462\,400\,\alpha^{23}\,-$

$67\,236\,531\,107\,777\,039\,865\,426\,979\,588\,947\,006\,356\,353\,842\,637\,616\,562\,924\,798\,655\,917\,107\,782\,381$
$\quad 384\,859\,338\,347\,187\,025\,339\,142\,792\,806\,400\,\alpha^{24}\,-$

$48\,531\,404\,971\,454\,762\,539\,245\,746\,687\,192\,659\,572\,093\,134\,280\,617\,059\,848\,570\,992\,966\,390\,863\,502$
$\quad 758\,811\,916\,850\,151\,208\,483\,547\,407\,974\,400\,\alpha^{25}\,-$

$32\,780\,698\,933\,394\,351\,360\,796\,188\,307\,338\,561\,910\,516\,895\,716\,250\,572\,980\,939\,952\,171\,321\,201\,305$
$\quad 793\,183\,825\,755\,000\,435\,253\,224\,826\,470\,400\,\alpha^{26}\,-$

$20\,742\,898\,931\,305\,452\,429\,925\,974\,463\,627\,220\,594\,171\,750\,648\,054\,392\,619\,690\,602\,743\,665\,406\,137$
$\quad 696\,735\,360\,319\,397\,770\,051\,440\,345\,088\,000\,\alpha^{27}\,-$

$12\,308\,281\,087\,560\,662\,007\,950\,563\,734\,714\,321\,047\,116\,980\,222\,316\,456\,474\,871\,124\,854\,199\,082\,227$
$\quad 433\,679\,224\,610\,735\,886\,790\,803\,062\,784\,000\,\alpha^{28}\,-$

$6\,854\,407\,631\,695\,778\,334\,219\,921\,226\,823\,414\,442\,388\,417\,762\,239\,881\,247\,151\,438\,324\,513\,380\,460\,009$
$\quad 048\,997\,733\,479\,041\,020\,543\,683\,788\,800\,\alpha^{29}\,-$

$3\,585\,135\,111\,323\,168\,720\,534\,087\,049\,052\,510\,268\,557\,301\,779\,645\,624\,423\,830\,946\,649\,458\,930\,317\,210$
$\quad 152\,282\,792\,446\,952\,636\,949\,096\,038\,400\,\alpha^{30}\,-$

$1\,762\,285\,825\,154\,111\,293\,798\,583\,109\,121\,435\,989\,550\,765\,120\,966\,533\,530\,114\,537\,970\,527\,832\,777\,510$
$\quad 288\,770\,482\,110\,059\,903\,009\,056\,358\,400\,\alpha^{31}\,-$

$814\,536\,610\,191\,929\,315\,109\,839\,135\,846\,574\,092\,761\,984\,040\,151\,254\,631\,528\,083\,720\,294\,974\,976\,813$
$\quad 103\,277\,548\,303\,448\,709\,864\,305\,459\,200\,\alpha^{32}\,-$

$354\,155\,959\,250\,399\,621\,737\,555\,110\,285\,588\,253\,257\,390\,235\,584\,982\,930\,426\,863\,380\,149\,947\,487\,494$
$\quad 440\,286\,093\,874\,600\,360\,692\,783\,513\,600\,\alpha^{33}\,-$

$144\,901\,862\,550\,818\,829\,785\,454\,578\,126\,524\,309\,401\,349\,348\,078\,817\,748\,880\,263\,384\,359\,376\,243\,984$
$\quad 125\,458\,523\,696\,674\,925\,934\,595\,276\,800\,\alpha^{34}\,-$

$55\,802\,710\,231\,344\,434\,569\,002\,059\,634\,969\,221\,798\,456\,685\,162\,487\,518\,664\,134\,631\,715\,872\,196\,015$
$\quad 977\,692\,000\,516\,619\,698\,738\,875\,596\,800\,\alpha^{35}\,-$

$20\,230\,488\,378\,846\,440\,123\,277\,302\,585\,210\,585\,394\,204\,891\,194\,131\,254\,294\,175\,204\,579\,561\,289\,199$
$\quad 932\,164\,680\,614\,021\,414\,757\,020\,467\,200\,\alpha^{36}\,-$

$6\,904\,890\,803\,610\,604\,111\,206\,371\,211\,771\,278\,343\,161\,483\,961\,249\,654\,422\,579\,168\,972\,541\,888\,149\,635$
$\quad 518\,320\,468\,053\,675\,396\,929\,945\,600\,\alpha^{37}\,-$

$2\,218\,697\,410\,201\,675\,209\,917\,820\,870\,814\,916\,469\,186\,126\,586\,693\,748\,010\,392\,090\,764\,547\,949\,070\,248$
$\quad 093\,911\,101\,035\,504\,707\,882\,188\,800\,\alpha^{38}\,-$

$671\,093\,599\,544\,241\,694\,084\,955\,546\,051\,763\,769\,231\,979\,173\,647\,501\,079\,157\,357\,303\,100\,393\,846\,937$
$\quad 075\,032\,064\,880\,624\,793\,550\,848\,000\,\alpha^{39}\,-$

191 040 591 712 382 062 716 929 195 709 127 473 736 137 757 240 152 210 884 989 336 233 318 315 098
411 072 357 272 124 480 343 244 800 α^{40} −

51 168 103 132 008 018 114 583 319 780 637 844 179 509 585 775 522 869 425 509 176 824 006 443 497
643 381 845 344 917 148 139 520 000 α^{41} −

12 889 497 841 513 265 103 815 393 486 378 237 796 061 723 393 248 811 770 851 097 413 554 561 971
111 690 024 460 577 171 256 115 200 α^{42} −

3 052 277 922 895 842 508 370 872 716 393 475 827 114 655 647 731 095 685 415 762 170 807 288 836 016
591 834 315 972 695 346 380 800 α^{43} −

679 056 687 745 206 904 844 569 927 460 983 097 929 702 506 768 097 449 784 361 557 236 960 307 536
352 335 452 915 547 871 641 600 α^{44} −

141 832 428 264 701 780 297 769 422 257 501 122 483 433 820 821 355 264 995 279 505 565 812 492 091
968 209 124 039 718 233 702 400 α^{45} −

27 789 064 633 757 380 368 215 379 021 603 685 294 882 910 965 062 432 797 969 284 948 966 090 439
016 253 368 024 097 515 110 400 α^{46} −

5 102 534 189 076 661 143 169 278 930 740 561 511 843 634 740 231 778 335 863 239 871 583 008 509 974
088 881 386 230 382 592 000 α^{47} −

877 070 508 289 090 535 894 890 917 185 427 229 298 881 650 981 076 241 131 771 747 211 685 968 279
904 636 197 772 931 891 200 α^{48} −

140 953 149 356 965 056 126 822 685 427 969 087 427 074 575 712 313 056 027 575 235 969 200 892 822
567 234 223 339 680 563 200 α^{49} −

21 148 841 343 895 062 929 709 431 821 576 736 443 738 633 792 890 381 644 842 411 400 847 051 777
340 338 208 987 781 529 600 α^{50} −

2 957 777 839 524 224 943 836 586 578 309 234 787 920 155 839 426 618 425 277 797 624 273 525 625 236
493 590 666 516 889 600 α^{51} −

384 868 546 368 015 613 938 507 923 991 792 920 300 682 737 829 292 264 480 126 517 531 532 389 059
437 147 982 292 582 400 α^{52} −

46 496 458 323 721 090 411 255 180 650 063 857 460 290 185 869 637 190 299 374 211 391 507 229 180
410 065 795 940 352 000 α^{53} −

5 203 032 264 143 346 957 931 803 826 403 753 563 294 270 764 170 841 821 870 254 955 555 926 237 791
785 096 891 596 800 α^{54} −

537 832 504 711 141 544 087 129 251 381 082 897 661 461 339 212 451 893 077 739 044 952 285 842 494
382 360 703 795 200 α^{55} −

51 197 348 614 046 610 042 543 939 822 425 359 359 647 292 898 638 135 505 541 077 341 997 362 466
470 336 921 600 000 α^{56} −

4 472 124 364 097 851 626 986 362 068 472 968 262 168 535 092 238 442 740 131 070 059 314 752 113 042
710 016 819 200 α^{57} −

356 995 209 618 432 804 247 493 823 627 464 115 451 805 273 725 015 109 401 881 496 295 090 828 990
196 429 619 200 α^{58} −

25 918 939 644 465 635 656 657 748 541 729 965 266 667 599 341 417 136 805 783 311 971 170 859 399
986 439 782 400 α^{59} −

1 701 930 900 032 622 062 149 282 293 502 940 452 031 671 785 437 026 985 519 788 463 740 403 748 092
824 780 800 α^{60} −

100 402 948 464 198 449 244 659 396 245 802 245 900 774 514 500 091 121 060 408 005 800 535 647 096
877 875 200 α^{61} −

5 279 088 084 863 768 328 357 425 959 242 280 961 309 512 228 782 828 929 139 641 277 501 158 130 607
718 400 α^{62} −

244 986 715 431 462 114 149 793 491 503 156 422 252 102 144 295 153 688 976 587 839 284 181 241 482
444 800 α^{63} −

9 913 488 618 628 461 837 131 075 206 593 743 382 949 306 382 569 685 635 004 121 264 429 673 218 048
000 α^{64} −

344 422 802 673 712 182 413 229 871 418 574 883 946 623 169 191 989 921 168 283 031 185 480 954 675 200

α^{65} −

10 067 016 349 289 812 560 603 553 336 305 558 840 202 063 187 952 794 578 049 957 035 972 440 883 200 α^{66} −

240 731 112 172 321 584 921 955 084 567 221 573 902 775 621 936 479 402 416 415 154 307 596 288 000 α^{67} −

4 522 387 372 148 143 355 778 441 691 409 786 397 431 666 978 326 110 242 110 093 877 103 820 800 α^{68} −
62 587 245 463 916 235 213 247 366 822 886 296 655 874 476 127 596 259 801 969 060 741 120 000 α^{69} −
567 333 111 461 293 551 476 480 339 282 526 501 444 615 698 431 225 870 941 872 455 680 000 α^{70} −
2 526 895 270 964 164 390 573 681 619 328 838 310 737 173 237 266 256 961 166 376 960 000

α^{71}) Seq [α] +

(10 202 203 605 889 782 821 962 791 802 895 902 304 574 306 534 543 932 233 596 320 072 166 978 249 322
103 675 289 600 000 000 000 +

299 894 146 974 179 077 528 925 188 449 825 004 654 632 664 484 803 249 764 403 933 875 695 770 129
202 746 176 307 200 000 000 000 α +

4 321 633 686 640 669 715 809 696 992 810 704 706 609 390 298 034 066 601 724 527 100 758 951 860 745
957 920 716 357 632 000 000 000 α^2 +

40 701 571 546 155 828 531 207 253 318 081 171 722 051 287 395 638 931 585 856 001 524 359 195 548
137 908 547 316 036 403 200 000 000 α^3 +

281 803 127 968 625 400 577 830 105 888 694 797 914 049 428 112 420 601 775 237 902 463 126 268 721
815 463 155 730 565 038 080 000 000 α^4 +

1 529 724 099 923 886 944 787 881 247 313 846 755 962 106 587 482 022 267 148 568 989 129 287 208 335
873 709 834 534 540 804 096 000 000 α^5 +

6 780 647 539 600 853 648 505 811 608 569 933 790 843 796 797 393 747 981 585 093 621 377 484 065 080
029 004 845 109 339 383 398 400 000 α^6 +

25 239 481 270 426 179 139 403 241 272 094 260 950 686 579 649 775 223 464 057 962 810 014 693 304
455 557 395 228 764 159 218 810 880 000 α^7 +

80 522 675 065 435 352 417 353 798 225 525 872 192 120 163 779 941 448 235 762 911 400 176 881 493
365 938 116 996 697 968 812 752 896 000 α^8 +

223 636 524 373 506 278 143 310 818 742 483 474 648 093 144 269 103 040 746 832 017 059 926 265 710
766 568 141 368 985 279 825 077 862 400 α^9 +

547 348 713 527 665 933 331 738 182 417 220 462 377 699 150 525 488 986 663 362 466 198 315 568 637
571 177 727 088 597 034 434 654 371 840 α^{10} +

1 192 224 809 327 881 904 479 721 179 195 363 099 744 303 406 682 755 210 971 255 950 178 311 225 349
647 057 562 163 840 614 358 895 820 800 α^{11} +

2 329 892 703 809 211 765 577 086 232 587 016 818 961 311 755 208 288 936 828 218 599 670 306 361 930
206 398 181 343 487 125 292 220 153 856 α^{12} +

4 112 694 234 913 290 035 367 079 057 151 680 088 107 397 736 381 443 463 784 871 921 516 692 745 816
227 434 808 809 539 497 951 060 033 536 α^{13} +

6 594 852 892 013 666 592 671 051 910 201 361 797 827 284 589 453 682 690 602 578 702 853 194 971 870
027 064 342 176 013 491 943 061 323 776 α^{14} +

9 653 543 012 442 063 368 124 014 294 305 028 449 059 714 175 187 057 675 913 173 704 064 726 409 757
513 268 615 887 641 032 763 774 074 880 α^{15} +

12 953 708 026 772 559 774 646 413 225 170 416 294 841 827 730 158 942 072 216 441 779 705 349 758
095 544 134 631 750 176 530 686 397 120 512 α^{16} +

15 992 269 384 578 053 850 675 063 221 901 284 065 045 105 531 013 749 813 979 617 916 543 919 305
942 976 815 237 018 767 355 393 026 818 048 α^{17} +

18 222 908 287 627 732 643 606 751 815 172 809 612 150 700 813 808 770 638 449 959 276 127 974 938
983 812 255 424 198 964 614 155 982 602 240 α^{18} +

19 219 019 865 641 173 207 195 024 874 485 764 742 975 284 790 464 579 495 752 783 235 491 576 608
754 014 005 613 916 775 750 259 099 828 224 α^{19} +

18 807 074 599 533 933 306 309 838 453 246 467 043 486 220 346 577 202 524 408 398 876 624 649 001

$342\,346\,186\,421\,966\,016\,756\,437\,846\,327\,296\ \alpha^{20}\ +$

$17\,113\,319\,218\,235\,351\,950\,749\,479\,863\,187\,088\,184\,034\,922\,475\,297\,524\,054\,964\,333\,215\,131\,054\,826\,374\,488\,919\,500\,008\,102\,365\,156\,345\,905\,152\ \alpha^{21}\ +$

$14\,508\,043\,998\,280\,958\,720\,790\,840\,109\,524\,128\,825\,708\,143\,428\,011\,763\,800\,401\,671\,647\,397\,139\,083\,467\,947\,101\,646\,287\,548\,759\,776\,916\,668\,416\ \alpha^{22}\ +$

$11\,478\,599\,707\,461\,301\,002\,577\,321\,389\,113\,659\,252\,708\,143\,449\,557\,291\,359\,356\,033\,034\,406\,010\,219\,628\,805\,580\,190\,744\,766\,289\,910\,102\,491\,136\ \alpha^{23}\ +$

$8\,488\,563\,841\,344\,045\,408\,044\,395\,288\,580\,440\,633\,401\,961\,624\,250\,693\,023\,483\,088\,424\,801\,988\,745\,558\,319\,049\,927\,785\,352\,713\,881\,933\,316\,096\ \alpha^{24}\ +$

$5\,875\,293\,158\,334\,422\,046\,794\,334\,511\,847\,963\,398\,314\,925\,617\,632\,492\,001\,881\,674\,607\,324\,900\,690\,863\,440\,098\,911\,734\,830\,443\,792\,366\,043\,136\ \alpha^{25}\ +$

$3\,810\,587\,787\,508\,308\,509\,423\,432\,772\,983\,637\,805\,499\,914\,731\,140\,183\,609\,346\,051\,951\,684\,638\,410\,447\,481\,128\,419\,743\,334\,561\,114\,558\,038\,016\ \alpha^{26}\ +$

$2\,318\,339\,970\,588\,203\,661\,026\,180\,257\,777\,505\,234\,649\,810\,676\,321\,228\,767\,423\,221\,184\,731\,806\,558\,029\,144\,045\,699\,126\,176\,220\,994\,999\,418\,880\ \alpha^{27}\ +$

$1\,324\,293\,616\,194\,959\,309\,005\,009\,168\,666\,999\,085\,847\,161\,631\,901\,783\,509\,709\,459\,946\,333\,119\,694\,601\,095\,730\,798\,362\,297\,822\,472\,170\,373\,120\ \alpha^{28}\ +$

$710\,821\,768\,341\,748\,268\,171\,361\,302\,673\,713\,516\,692\,751\,468\,185\,680\,083\,732\,859\,643\,120\,699\,047\,173\,044\,342\,843\,980\,428\,320\,178\,712\,870\,912\ \alpha^{29}\ +$

$358\,760\,998\,366\,281\,757\,253\,736\,461\,393\,087\,016\,159\,098\,682\,606\,597\,258\,249\,797\,243\,607\,528\,223\,258\,575\,718\,898\,050\,212\,833\,845\,466\,628\,096\ \alpha^{30}\ +$

$170\,361\,353\,140\,057\,908\,208\,902\,346\,333\,451\,866\,961\,229\,923\,423\,691\,089\,676\,895\,459\,679\,856\,998\,624\,917\,727\,518\,076\,779\,624\,467\,567\,476\,736\ \alpha^{31}\ +$

$76\,149\,744\,444\,408\,473\,600\,955\,353\,488\,417\,486\,385\,626\,379\,625\,619\,973\,438\,185\,261\,926\,596\,913\,242\,490\,278\,208\,562\,820\,459\,812\,532\,256\,768\ \alpha^{32}\ +$

$32\,052\,822\,924\,788\,557\,562\,738\,336\,204\,682\,471\,941\,605\,746\,060\,529\,134\,155\,489\,305\,523\,036\,239\,576\,644\,845\,138\,183\,717\,774\,587\,827\,585\,024\ \alpha^{33}\ +$

$12\,708\,485\,803\,397\,563\,410\,031\,541\,853\,271\,438\,155\,243\,702\,565\,345\,169\,639\,016\,384\,769\,174\,050\,667\,582\,397\,619\,167\,419\,872\,402\,129\,027\,072\ \alpha^{34}\ +$

$4\,747\,244\,505\,934\,969\,243\,408\,410\,984\,639\,952\,791\,671\,667\,855\,985\,533\,733\,309\,009\,830\,727\,568\,262\,934\,834\,982\,251\,064\,601\,927\,915\,405\,312\ \alpha^{35}\ +$

$1\,670\,945\,572\,093\,554\,051\,813\,985\,506\,657\,227\,263\,451\,592\,543\,611\,765\,688\,918\,351\,220\,663\,230\,077\,263\,221\,536\,070\,843\,455\,154\,545\,491\,968\ \alpha^{36}\ +$

$554\,205\,685\,671\,100\,593\,761\,618\,615\,306\,201\,335\,964\,759\,574\,710\,429\,570\,320\,600\,983\,806\,767\,642\,487\,510\,717\,708\,137\,945\,166\,694\,580\,224\ \alpha^{37}\ +$

$173\,198\,889\,064\,473\,150\,068\,173\,340\,630\,492\,423\,822\,672\,448\,558\,294\,240\,132\,234\,880\,871\,811\,929\,576\,820\,667\,759\,819\,203\,704\,134\,828\,032\ \alpha^{38}\ +$

$50\,994\,606\,205\,404\,733\,355\,373\,242\,640\,735\,689\,939\,637\,653\,685\,729\,078\,405\,687\,090\,201\,753\,150\,785\,405\,756\,907\,177\,784\,681\,766\,584\,320\ \alpha^{39}\ +$

$14\,141\,951\,564\,624\,660\,064\,299\,383\,497\,646\,284\,673\,578\,568\,338\,363\,893\,323\,616\,816\,214\,124\,881\,943\,386\,260\,444\,070\,431\,888\,687\,235\,072\ \alpha^{40}\ +$

$3\,692\,850\,049\,628\,803\,949\,258\,081\,985\,631\,115\,008\,363\,772\,963\,333\,279\,581\,820\,379\,365\,105\,474\,040\,994\,131\,486\,836\,361\,504\,478\,986\,240\ \alpha^{41}\ +$

$907\,614\,309\,360\,389\,116\,380\,572\,613\,494\,140\,914\,923\,897\,063\,866\,811\,703\,642\,956\,397\,864\,398\,354\,956\,816\,424\,383\,059\,266\,579\,202\,048\ \alpha^{42}\ +$

$209\,848\,264\,609\,328\,663\,359\,084\,693\,962\,759\,825\,495\,984\,209\,071\,357\,076\,192\,225\,579\,001\,707\,702\,704\,169\,048\,760\,863\,734\,169\,075\,712\ \alpha^{43}\ +$

$45\,614\,763\,719\,750\,413\,032\,850\,176\,601\,707\,477\,034\,631\,708\,793\,061\,253\,181\,269\,381\,119\,180\,005\,940\,122\,029\,610\,226\,699\,588\,337\,664\ \alpha^{44}\ +$

$9\,315\,039\,902\,111\,393\,160\,912\,260\,328\,219\,188\,948\,212\,412\,636\,601\,780\,638\,824\,492\,970\,859\,533\,937\,402\,692\,925\,513\,285\,035\,360\,256\ \alpha^{45}\ +$

1 785 560 492 029 512 689 658 931 425 435 385 664 079 733 602 782 694 877 512 654 709 551 803 206 117 ⸱
438 087 664 250 352 828 416 α^{46} +

320 959 385 348 727 805 412 800 717 697 109 761 591 615 784 603 426 850 909 466 398 147 197 577 731 ⸱
540 783 828 520 969 175 040 α^{47} +

54 041 202 628 046 162 198 064 020 860 698 790 457 190 528 495 413 554 262 204 686 819 315 229 182 ⸱
505 975 038 619 154 382 848 α^{48} +

8 512 273 596 490 876 468 076 474 742 926 473 209 854 734 832 943 045 221 252 380 599 153 323 832 471 ⸱
811 032 723 140 640 768 α^{49} +

1 252 515 446 000 981 426 779 425 275 934 739 939 593 497 926 117 282 478 876 271 454 061 065 922 547 ⸱
046 665 338 826 522 624 α^{50} +

171 879 871 128 807 297 132 141 471 065 816 922 307 935 272 144 500 350 854 312 549 644 137 263 739 ⸱
973 743 775 668 240 384 α^{51} +

21 956 555 442 120 287 745 751 246 855 610 620 596 426 457 745 463 968 295 750 576 932 261 512 302 ⸱
923 165 929 272 508 416 α^{52} +

2 605 468 199 806 936 331 295 089 550 800 291 489 811 989 456 899 648 309 466 911 523 339 873 177 146 ⸱
014 925 817 118 720 α^{53} +

286 517 432 967 116 160 808 277 090 181 383 947 865 108 813 372 967 242 301 919 685 489 038 361 159 ⸱
969 161 516 941 312 α^{54} +

29 119 084 876 751 683 786 574 774 330 504 359 680 642 465 266 365 415 316 592 606 588 552 553 050 ⸱
977 535 449 366 528 α^{55} +

2 726 560 078 577 214 760 237 822 640 730 205 427 656 044 779 576 667 806 874 929 578 623 038 325 298 ⸱
583 002 152 960 α^{56} +

234 375 763 511 891 943 198 221 765 243 907 691 447 385 207 355 286 134 429 331 612 829 185 551 844 ⸱
250 335 838 208 α^{57} +

18 419 613 344 769 537 960 500 708 514 235 672 636 308 194 192 113 178 854 826 575 062 689 448 050 ⸱
816 018 546 688 α^{58} +

1 317 154 470 198 322 776 890 921 593 307 769 359 900 555 108 710 315 375 072 742 987 710 761 194 274 ⸱
083 045 376 α^{59} +

85 219 513 358 439 830 873 497 744 525 352 705 045 272 505 181 313 640 097 007 263 752 151 440 956 ⸱
034 383 872 α^{60} +

4 955 551 166 457 886 905 460 507 267 117 940 923 971 871 792 470 466 368 620 556 851 150 954 387 145 ⸱
228 288 α^{61} +

256 931 968 875 749 011 677 293 413 392 803 356 939 911 120 562 239 099 110 385 697 715 067 364 778 ⸱
704 896 α^{62} +

11 761 852 144 032 652 915 726 343 979 350 332 901 202 972 418 622 004 510 970 839 908 227 266 297 ⸱
987 072 α^{63} +

469 665 728 002 126 327 303 457 490 693 379 958 374 751 318 201 179 168 454 079 121 686 071 743 610 880
α^{64} +

16 107 712 654 563 845 949 254 867 087 608 497 758 249 183 828 165 479 324 882 766 301 728 801 292 288
α^{65} +

464 909 256 806 763 248 504 477 882 103 732 730 616 690 937 842 305 355 401 859 062 638 028 259 328
α^{66} +

10 981 621 103 328 705 236 085 521 794 284 151 970 809 227 627 455 049 446 809 116 504 961 843 200
α^{67} +

203 847 732 269 962 175 964 000 931 573 291 328 313 431 858 640 849 160 472 090 368 039 452 672 α^{68} +

2 788 436 718 824 974 627 767 983 059 941 160 581 993 626 187 813 688 425 334 468 037 836 800 α^{69} +

24 990 725 344 106 896 258 660 127 869 977 773 658 189 804 675 038 295 750 467 597 107 200 α^{70} +

110 082 641 333 279 807 322 029 981 964 819 894 978 260 761 567 068 714 074 269 286 400 α^{71}) Seq[1 +
α] +

($-$266 753 372 345 682 505 334 109 412 845 798 877 349 781 026 943 225 359 497 190 622 363 020 489 728 ⸱
710 829 670 400 000 000 000 $-$

7 665 887 088 968 395 928 115 748 048 188 197 271 726 796 448 095 943 163 212 239 818 542 621 641 311 794 201 886 720 000 000 000 α −

107 988 806 045 296 453 998 978 289 237 126 171 373 611 064 962 159 352 140 259 788 910 542 507 564 807 625 908 420 608 000 000 000 α^2 −

994 132 913 605 694 223 913 202 475 990 789 532 601 378 001 591 056 599 330 309 134 817 133 532 813 520 997 281 116 979 200 000 000 α^3 −

6 727 530 935 548 181 713 113 895 900 532 813 890 357 088 330 142 544 193 052 254 056 932 030 523 180 052 717 442 076 508 160 000 000 α^4 −

35 692 872 097 703 193 510 936 155 654 035 207 094 497 890 878 023 933 994 689 028 025 407 439 669 582 138 365 441 322 516 480 000 000 α^5 −

154 627 735 389 294 847 602 173 889 667 401 460 536 665 637 293 324 287 425 612 717 329 660 669 368 167 410 751 518 787 030 220 800 000 α^6 −

562 523 973 639 890 153 256 179 781 187 147 971 888 891 022 102 746 777 895 133 615 661 809 703 038 900 851 906 989 099 319 296 000 000 α^7 −

1 753 988 203 013 137 197 961 108 841 380 952 518 855 699 825 956 711 812 911 496 498 472 172 551 907 844 352 753 410 613 030 420 480 000 α^8 −

4 761 120 832 901 000 310 154 120 610 218 343 325 828 457 610 922 345 963 843 966 263 744 299 945 748 697 226 812 462 119 072 877 772 800 α^9 −

11 389 511 091 103 783 520 136 767 750 659 927 201 118 078 294 456 199 005 289 269 388 618 591 189 704 163 710 241 252 038 404 095 344 640 α^{10} −

24 249 135 987 310 076 975 004 659 436 955 380 655 257 396 313 037 951 461 306 707 696 162 053 184 761 811 841 916 824 185 099 767 513 088 α^{11} −

46 323 314 725 415 565 186 287 402 429 379 800 967 443 518 025 160 489 463 480 653 386 703 089 261 612 295 606 616 205 481 059 819 716 608 α^{12} −

79 937 349 900 931 954 622 158 372 458 858 722 203 812 799 636 410 793 152 684 472 318 535 743 947 414 242 303 655 439 437 539 196 272 640 α^{13} −

125 322 016 544 708 782 097 329 513 286 444 240 896 064 884 712 859 539 040 721 989 714 390 175 775 612 886 520 797 269 565 482 559 602 688 α^{14} −

179 371 024 723 185 796 999 237 410 727 060 418 711 340 095 778 529 067 086 482 590 201 453 932 669 493 106 204 882 303 424 760 773 607 424 α^{15} −

235 370 523 054 052 908 158 260 935 388 309 982 672 821 891 284 214 995 081 507 702 640 158 104 174 044 573 743 364 408 778 356 137 394 176 α^{16} −

284 193 485 704 652 536 022 669 441 906 841 920 164 287 664 955 939 766 741 349 116 000 129 219 998 408 355 877 680 651 767 440 899 833 856 α^{17} −

316 756 594 889 094 321 481 450 995 007 702 021 707 977 240 511 455 636 719 015 961 721 728 371 425 894 832 970 194 986 522 642 468 569 088 α^{18} −

326 817 333 590 889 396 678 656 257 765 556 911 784 811 576 322 995 321 527 796 828 904 135 660 467 118 964 958 831 674 129 510 641 434 624 α^{19} −

312 915 196 962 487 827 274 343 153 260 772 353 818 986 038 558 898 278 295 651 479 884 062 643 191 349 894 158 179 413 449 425 253 564 416 α^{20} −

278 638 069 294 344 939 540 261 238 406 889 051 651 830 682 610 453 556 771 063 815 670 815 486 329 332 523 198 215 721 482 821 235 113 984 α^{21} −

231 200 303 260 122 785 017 181 290 664 597 077 650 228 075 208 848 687 926 136 923 479 330 848 514 107 749 117 469 778 092 533 064 138 752 α^{22} −

179 067 764 628 369 287 884 045 210 225 033 133 372 830 997 691 221 435 719 368 492 876 192 817 911 954 953 092 008 693 877 458 681 724 928 α^{23} −

129 655 275 046 385 830 041 433 414 724 568 513 690 994 034 448 403 607 026 776 475 676 959 923 669 803 208 967 659 156 100 679 842 398 208 α^{24} −

87 880 830 561 031 009 691 714 544 276 490 055 614 152 496 444 826 007 408 463 753 872 544 435 544 648 436 995 169 036 881 232 115 269 632 α^{25} −

55 827 586 751 282 050 232 150 018 697 633 280 191 308 131 496 157 594 086 803 293 320 214 808 569

274 312 609 812 717 014 466 191 949 824 α^{26} −

33 274 549 179 132 985 735 574 916 400 828 225 006 558 088 628 356 646 074 961 813 024 576 522 874
621 379 924 259 526 216 523 955 830 784 α^{27} −

18 624 537 531 493 410 376 494 983 322 940 203 204 356 530 407 426 901 410 819 877 015 832 620 768
773 714 085 415 279 026 244 723 671 040 α^{28} −

9 797 560 804 142 076 072 320 664 608 363 034 523 222 506 976 198 158 068 560 812 541 940 820 803 331
299 898 930 254 100 827 469 774 848 α^{29} −

4 847 414 031 369 892 611 873 032 170 034 097 202 194 325 960 974 692 197 279 401 531 221 013 027 346
900 158 362 778 946 193 351 245 824 α^{30} −

2 256 923 210 441 500 658 285 516 225 302 365 068 243 807 052 725 384 615 218 144 889 121 444 430 944
911 701 228 101 090 152 932 179 968 α^{31} −

989 349 021 244 585 141 615 451 869 225 883 509 525 920 380 231 967 211 017 267 288 518 350 687 627
527 341 403 351 924 764 965 863 424 α^{32} −

408 487 292 785 366 013 202 169 241 975 831 660 055 042 505 412 950 407 332 652 270 420 868 171 014
236 096 833 656 540 052 391 460 864 α^{33} −

158 903 760 588 518 763 878 698 339 064 923 068 704 075 230 066 430 550 011 791 707 705 568 360 508
035 728 573 328 570 830 091 714 560 α^{34} −

58 251 610 878 635 210 362 604 994 013 623 988 601 174 526 157 367 720 225 371 602 277 849 222 651
917 813 874 472 767 259 525 775 360 α^{35} −

20 125 807 433 461 533 770 192 061 521 585 475 231 476 788 562 173 144 205 443 303 888 534 292 996
139 803 409 401 324 794 477 019 136 α^{36} −

6 553 692 389 633 394 701 643 835 535 032 234 804 025 713 163 251 732 264 267 170 934 904 159 052 179
448 841 565 686 453 405 483 008 α^{37} −

2 011 334 115 217 011 518 089 016 537 616 027 830 729 459 888 894 853 043 593 754 128 545 235 159 561
985 902 443 741 752 990 892 032 α^{38} −

581 684 966 626 237 106 262 244 574 089 540 547 370 644 870 241 871 022 157 607 112 344 391 958 174
816 260 641 809 869 458 898 944 α^{39} −

158 488 667 323 850 427 576 840 860 247 827 728 794 876 723 475 140 315 102 655 196 187 360 209 364
661 018 072 550 605 076 824 064 α^{40} −

40 670 251 033 782 635 228 596 530 842 126 308 414 784 049 035 867 361 518 066 000 615 157 977 593
559 857 345 352 139 441 963 008 α^{41} −

9 825 259 250 169 193 921 695 586 845 955 828 950 189 256 779 798 958 117 382 187 605 197 437 746 886
102 787 639 098 921 189 376 α^{42} −

2 233 453 022 092 369 591 728 614 929 375 983 824 528 764 949 452 966 370 067 300 053 728 937 054 414
811 914 750 078 536 908 800 α^{43} −

477 426 858 909 441 638 799 943 300 389 805 528 338 788 984 169 557 603 006 986 385 240 730 764 771
619 162 078 513 943 543 808 α^{44} −

95 899 695 096 462 911 742 342 912 451 533 390 703 843 979 080 021 752 354 055 879 363 549 983 633
382 542 172 101 015 502 848 α^{45} −

18 085 856 640 643 086 097 072 326 065 032 511 518 104 804 505 891 934 208 820 700 388 586 192 059
166 693 615 512 986 845 184 α^{46} −

3 199 243 249 119 650 454 728 737 403 563 541 823 970 963 969 728 971 682 182 412 249 558 582 354 580
833 479 347 480 297 472 α^{47} −

530 218 869 226 693 144 709 723 520 593 171 604 994 888 725 468 088 216 600 183 341 580 978 047 792
799 327 783 477 051 392 α^{48} −

82 225 905 962 543 231 947 005 492 953 663 082 663 656 946 034 095 752 666 128 231 891 665 083 523
947 382 715 367 555 072 α^{49} −

11 914 575 477 222 901 186 199 075 239 251 384 836 953 392 886 478 675 525 046 005 318 844 772 131
421 875 566 779 826 176 α^{50} −

1 610 467 061 923 437 661 517 003 059 472 439 137 533 154 986 229 264 328 213 929 847 001 329 317 623
193 196 847 693 824 α^{51} −

202 684 607 985 832 263 025 103 147 262 822 082 737 105 636 711 357 539 938 571 953 510 454 024 219 707 490 149 859 328 α^{52} −

23 701 173 094 998 269 376 154 451 856 807 759 895 090 221 752 756 323 709 896 922 921 761 030 082 487 259 880 226 816 α^{53} −

2 568 974 125 036 223 576 891 356 843 016 632 343 686 816 319 691 337 591 620 366 798 519 705 000 580 890 589 396 992 α^{54} −

257 399 333 435 110 650 309 854 627 630 312 406 781 891 459 641 653 477 810 855 907 256 867 138 968 634 886 455 296 α^{55} −

23 766 292 798 635 175 836 592 904 919 737 142 843 388 208 853 743 184 787 412 143 106 054 860 523 049 318 350 848 α^{56} −

2 014 979 470 096 145 378 452 399 610 480 780 330 925 366 338 860 837 955 306 072 215 157 642 114 460 031 123 456 α^{57} −

156 222 668 860 508 252 687 014 603 838 739 972 442 602 266 657 332 599 018 383 424 055 124 714 023 571 947 520 α^{58} −

11 022 981 777 408 944 611 049 212 275 176 934 080 364 923 682 413 168 595 189 190 866 312 667 492 108 992 512 α^{59} −

703 870 250 608 021 309 497 691 875 975 441 184 053 128 565 785 903 204 513 350 233 572 634 434 763 489 280 α^{60} −

40 404 352 487 245 614 320 573 193 809 049 434 468 995 065 297 232 696 452 034 966 074 633 972 170 620 928 α^{61} −

2 068 366 434 722 532 831 861 769 722 501 592 640 828 569 365 231 929 279 242 608 723 478 736 443 277 312 α^{62} −

93 507 787 701 442 884 468 993 017 823 190 176 352 531 341 660 806 863 406 519 911 814 776 857 034 752 α^{63} −

3 688 181 495 421 911 434 251 142 119 323 711 962 688 847 883 004 066 495 045 819 533 680 070 098 944 α^{64} −

124 967 267 539 758 368 551 457 313 229 534 656 071 072 773 998 492 311 199 798 153 367 613 603 840 α^{65} −

3 564 152 059 495 749 884 100 011 019 415 791 918 454 936 077 328 062 292 953 893 729 816 543 232 α^{66} −
83 208 128 438 558 007 926 606 858 666 188 619 656 903 353 175 866 966 363 326 704 856 858 624 α^{67} −
1 526 866 508 580 219 595 929 347 668 190 227 505 210 406 866 657 092 682 281 163 400 675 328 α^{68} −
20 650 732 152 850 561 079 033 009 890 616 805 723 793 533 551 608 661 987 916 408 422 400 α^{69} −
183 027 164 601 563 499 087 404 137 994 790 932 954 413 510 424 820 648 673 856 716 800 α^{70} −
797 441 937 110 990 115 062 213 625 434 396 035 590 691 401 524 154 386 192 793 600 α^{71} $\big)$ Seq [2 + α] +
$\big($ 1 428 097 370 560 157 006 739 614 116 870 591 138 019 053 716 247 320 789 806 346 750 743 152 534 510 121 779 200 000 000 000 +

40 621 155 317 068 818 387 720 551 074 346 281 137 595 564 664 401 710 761 763 987 630 739 924 429 485 094 993 920 000 000 000 α +

566 284 883 845 791 854 435 117 722 665 622 562 862 733 588 119 843 411 512 468 831 593 491 819 850 145 022 148 608 000 000 000 α^2 +

5 158 149 789 913 792 089 288 495 385 700 327 565 428 819 302 308 971 067 339 327 728 120 510 371 046 494 337 531 904 000 000 000 α^3 +

34 532 485 441 077 610 946 908 146 266 573 574 506 763 539 245 317 266 356 761 345 018 870 317 159 093 207 470 209 515 520 000 000 α^4 +

181 220 834 017 481 571 372 641 915 717 251 933 986 042 713 644 093 253 801 806 581 853 374 874 400 253 450 822 763 118 592 000 000 α^5 +

776 431 018 860 358 536 521 652 037 437 179 943 389 796 363 358 694 784 709 318 638 218 673 729 212 131 564 063 756 020 940 800 000 α^6 +

2 793 072 678 432 215 330 706 296 854 308 730 641 403 974 305 291 876 114 922 183 480 960 307 087 081 158 851 206 253 734 625 280 000 α^7 +

8 610 591 149 058 047 002 802 760 135 665 227 863 193 862 587 995 235 750 109 802 497 201 145 953 909

$675\,049\,833\,074\,099\,789\,824\,000\,\alpha^8\,+$

$23\,105\,879\,511\,853\,699\,845\,736\,333\,642\,610\,630\,355\,085\,792\,082\,785\,837\,494\,810\,757\,161\,265\,579\,739\,\backslash$
$123\,083\,350\,016\,532\,490\,716\,774\,400\,\alpha^9\,+$

$54\,634\,856\,374\,404\,644\,006\,224\,804\,339\,033\,214\,331\,139\,083\,781\,558\,334\,838\,588\,458\,606\,831\,218\,243\,\backslash$
$805\,713\,897\,570\,714\,892\,312\,248\,320\,\alpha^{10}\,+$

$114\,963\,336\,800\,330\,152\,930\,025\,014\,512\,990\,692\,164\,008\,957\,632\,416\,275\,032\,780\,393\,051\,183\,305\,333\,\backslash$
$309\,153\,075\,910\,517\,158\,095\,749\,120\,\alpha^{11}\,+$

$217\,025\,393\,010\,027\,501\,964\,071\,490\,006\,301\,026\,682\,822\,369\,512\,178\,685\,716\,225\,901\,901\,188\,310\,348\,\backslash$
$064\,214\,802\,863\,437\,595\,786\,608\,640\,\alpha^{12}\,+$

$370\,050\,058\,982\,394\,998\,493\,618\,563\,048\,018\,737\,463\,227\,134\,097\,239\,536\,320\,400\,324\,949\,940\,509\,266\,\backslash$
$456\,186\,208\,910\,068\,290\,666\,496\,000\,\alpha^{13}\,+$

$573\,181\,806\,144\,780\,846\,838\,509\,477\,908\,920\,569\,756\,288\,771\,551\,312\,795\,962\,661\,865\,620\,399\,492\,774\,\backslash$
$400\,417\,699\,229\,566\,413\,224\,280\,064\,\alpha^{14}\,+$

$810\,454\,389\,932\,213\,126\,397\,883\,859\,517\,443\,777\,265\,212\,486\,881\,541\,685\,385\,155\,780\,392\,569\,660\,765\,\backslash$
$327\,135\,670\,585\,537\,689\,383\,862\,272\,\alpha^{15}\,+$

$1\,050\,507\,332\,235\,351\,735\,618\,769\,475\,076\,920\,653\,102\,494\,356\,009\,827\,207\,449\,842\,710\,920\,069\,178\,962\,\backslash$
$021\,809\,839\,396\,025\,167\,688\,564\,736\,\alpha^{16}\,+$

$1\,252\,834\,729\,110\,025\,338\,787\,931\,111\,819\,218\,632\,200\,313\,314\,673\,437\,134\,257\,095\,742\,578\,979\,462\,602\,\backslash$
$769\,051\,879\,147\,938\,450\,970\,574\,848\,\alpha^{17}\,+$

$1\,379\,120\,934\,803\,266\,896\,963\,523\,860\,276\,442\,353\,365\,297\,227\,489\,791\,247\,920\,498\,300\,580\,024\,631\,209\,\backslash$
$416\,752\,719\,431\,677\,218\,047\,393\,792\,\alpha^{18}\,+$

$1\,405\,224\,089\,859\,523\,253\,392\,157\,240\,543\,968\,617\,982\,935\,126\,496\,637\,831\,112\,519\,939\,221\,693\,260\,859\,\backslash$
$544\,811\,540\,558\,068\,156\,951\,822\,336\,\alpha^{19}\,+$

$1\,328\,618\,149\,709\,622\,063\,817\,748\,381\,291\,493\,393\,945\,550\,428\,391\,839\,622\,495\,071\,789\,444\,319\,501\,035\,\backslash$
$377\,285\,802\,883\,640\,269\,491\,535\,872\,\alpha^{20}\,+$

$1\,168\,203\,712\,474\,826\,918\,328\,011\,783\,612\,825\,617\,062\,036\,308\,594\,153\,962\,346\,683\,019\,792\,775\,631\,192\,\backslash$
$905\,886\,362\,709\,102\,690\,404\,139\,008\,\alpha^{21}\,+$

$957\,073\,013\,729\,033\,855\,686\,063\,773\,924\,563\,421\,410\,723\,493\,005\,834\,394\,781\,954\,693\,360\,911\,926\,110\,\backslash$
$487\,992\,830\,108\,045\,765\,554\,733\,056\,\alpha^{22}\,+$

$731\,861\,476\,997\,748\,455\,414\,658\,252\,652\,536\,809\,307\,579\,198\,544\,662\,472\,245\,949\,601\,817\,815\,663\,224\,\backslash$
$650\,028\,959\,826\,495\,367\,427\,391\,488\,\alpha^{23}\,+$

$523\,160\,600\,473\,979\,971\,139\,853\,429\,642\,948\,714\,294\,423\,632\,987\,619\,786\,485\,441\,732\,195\,764\,498\,120\,\backslash$
$938\,527\,893\,720\,549\,117\,281\,697\,792\,\alpha^{24}\,+$

$350\,068\,616\,675\,445\,071\,419\,312\,878\,856\,871\,849\,386\,600\,965\,147\,601\,189\,498\,368\,233\,375\,469\,912\,627\,\backslash$
$425\,973\,757\,092\,870\,579\,583\,713\,280\,\alpha^{25}\,+$

$219\,535\,684\,786\,846\,883\,668\,862\,708\,140\,260\,580\,514\,762\,984\,484\,088\,800\,761\,292\,913\,123\,440\,609\,070\,\backslash$
$054\,780\,852\,699\,529\,507\,218\,915\,328\,\alpha^{26}\,+$

$129\,166\,813\,300\,804\,242\,193\,112\,600\,975\,790\,003\,070\,718\,458\,739\,233\,588\,461\,745\,805\,859\,249\,148\,230\,\backslash$
$448\,804\,070\,307\,832\,795\,871\,838\,208\,\alpha^{27}\,+$

$71\,366\,463\,482\,451\,821\,932\,582\,248\,024\,071\,875\,711\,312\,018\,130\,975\,278\,903\,997\,389\,845\,766\,055\,164\,\backslash$
$453\,682\,685\,831\,593\,147\,899\,052\,032\,\alpha^{28}\,+$

$37\,058\,352\,081\,124\,191\,491\,692\,748\,064\,269\,344\,776\,125\,139\,103\,860\,364\,056\,059\,729\,745\,455\,564\,458\,\backslash$
$965\,511\,624\,234\,923\,536\,490\,168\,320\,\alpha^{29}\,+$

$18\,097\,948\,217\,764\,886\,425\,327\,776\,466\,988\,433\,365\,592\,224\,698\,179\,452\,289\,748\,367\,869\,336\,078\,812\,\backslash$
$458\,480\,207\,687\,023\,340\,722\,061\,312\,\alpha^{30}\,+$

$8\,317\,269\,661\,513\,756\,317\,536\,829\,710\,827\,389\,918\,195\,463\,820\,365\,695\,570\,976\,701\,256\,324\,749\,839\,670\,\backslash$
$946\,547\,962\,091\,151\,053\,291\,520\,\alpha^{31}\,+$

$3\,598\,769\,222\,425\,041\,537\,836\,084\,161\,113\,563\,176\,676\,022\,354\,063\,625\,251\,062\,051\,653\,112\,341\,716\,853\,\backslash$
$210\,156\,771\,376\,037\,422\,432\,256\,\alpha^{32}\,+$

$1\,466\,632\,004\,966\,813\,510\,332\,930\,481\,095\,238\,908\,710\,793\,314\,990\,726\,029\,460\,969\,398\,967\,800\,705\,532\,\backslash$
$299\,924\,796\,353\,733\,388\,664\,832\,\alpha^{33}\,+$

563 137 592 313 575 536 711 358 736 502 771 549 550 579 162 554 331 522 018 545 995 730 239 486 308 \
197 586 957 451 893 472 755 712 α^{34} +

203 764 025 603 233 614 467 178 452 515 094 737 907 492 116 510 024 597 068 143 104 569 351 316 028 \
933 799 991 907 073 895 956 480 α^{35} +

69 488 902 503 563 527 485 906 991 272 713 081 082 801 884 291 718 013 613 519 401 802 219 466 625 \
872 430 562 030 552 925 339 648 α^{36} +

22 335 511 692 946 228 023 202 194 638 639 500 623 392 672 999 968 914 699 868 480 746 734 426 934 \
967 522 564 633 158 783 860 736 α^{37} +

6 766 260 249 381 710 566 677 925 073 355 566 755 328 921 690 063 029 336 028 158 681 052 817 589 622 \
487 810 592 574 338 498 560 α^{38} +

1 931 592 789 163 629 801 493 128 903 616 292 597 704 954 289 698 139 375 088 729 668 707 383 710 677 \
616 664 236 196 246 847 488 α^{39} +

519 516 707 281 133 222 686 917 660 620 517 639 139 074 037 604 127 089 161 309 082 141 514 760 629 \
206 221 156 843 733 909 504 α^{40} +

131 602 359 315 750 088 798 651 851 129 033 684 015 697 477 959 618 979 724 735 685 295 556 096 042 \
592 962 289 348 466 704 384 α^{41} +

31 385 561 134 764 167 118 023 843 819 785 708 615 403 066 419 225 918 165 558 967 538 216 376 704 \
821 027 864 765 280 550 912 α^{42} +

7 043 310 708 549 507 817 043 238 379 555 069 187 096 240 745 928 253 445 294 446 246 924 264 636 163 \
192 031 623 189 102 592 α^{43} +

1 486 406 561 060 121 334 190 169 877 145 499 865 873 972 618 781 164 753 413 689 767 306 610 506 603 \
443 750 403 158 573 056 α^{44} +

294 779 168 715 797 526 430 008 755 451 334 946 712 445 943 874 391 206 620 090 384 224 578 302 515 \
552 355 837 286 547 456 α^{45} +

54 889 202 474 418 934 953 367 605 253 205 790 703 000 976 333 382 888 122 498 313 779 779 754 392 \
595 158 165 916 483 584 α^{46} +

9 587 033 020 869 881 575 296 403 688 405 568 263 334 617 117 723 677 306 851 883 409 336 842 453 557 \
917 762 937 946 112 α^{47} +

1 568 929 570 069 704 893 553 539 328 759 028 855 747 961 414 162 667 584 756 333 323 816 255 812 061 \
304 959 356 895 232 α^{48} +

240 265 667 845 389 856 726 589 416 907 351 909 373 419 670 601 405 982 367 505 556 540 790 438 434 \
461 217 288 355 840 α^{49} +

34 381 207 462 430 964 149 096 212 448 663 965 268 513 802 858 027 919 596 001 623 186 245 744 530 \
109 197 417 709 568 α^{50} +

4 589 652 715 771 949 122 868 304 940 258 801 801 416 810 969 155 643 704 123 361 769 993 216 618 554 \
960 925 163 520 α^{51} +

570 507 371 845 298 507 104 651 348 342 661 965 957 594 459 015 110 444 512 976 266 361 393 822 877 \
625 975 046 144 α^{52} +

65 894 786 252 815 031 395 251 993 558 737 892 473 291 468 953 277 278 494 946 265 001 224 500 651 \
930 354 188 288 α^{53} +

7 055 226 294 516 104 731 388 738 164 087 097 105 620 560 436 887 051 869 058 321 276 565 159 304 730 \
136 018 944 α^{54} +

698 327 214 144 506 874 899 605 149 780 334 804 547 048 028 882 785 545 028 959 720 094 766 654 491 \
247 771 648 α^{55} +

63 700 764 572 413 524 470 233 906 115 995 456 011 003 046 133 167 460 525 501 882 188 849 904 497 \
496 948 736 α^{56} +

5 336 023 809 345 740 156 253 726 408 982 853 119 800 758 833 960 578 685 926 992 711 339 928 664 613 \
584 896 α^{57} +

408 778 752 130 998 281 852 569 974 208 466 857 878 368 109 511 305 427 529 647 128 948 082 049 168 \
703 488 α^{58} +

28 501 948 568 777 945 850 278 650 613 715 169 075 189 841 983 746 268 817 721 243 916 820 048 108 \

$322\,816\,\alpha^{59}\,+$

$1\,798\,598\,340\,177\,107\,789\,847\,877\,596\,463\,361\,991\,643\,161\,374\,049\,584\,181\,798\,968\,834\,845\,902\,188\,314\,624\,\alpha^{60}\,+$

$102\,040\,260\,914\,339\,776\,239\,907\,361\,473\,457\,929\,531\,343\,548\,255\,807\,378\,814\,214\,205\,045\,842\,009\,653\,248\,\alpha^{61}\,+$

$5\,163\,084\,112\,025\,026\,092\,975\,753\,087\,824\,750\,520\,220\,511\,910\,808\,093\,812\,996\,096\,261\,647\,595\,732\,992\,\alpha^{62}\,+$

$230\,730\,504\,566\,177\,191\,563\,425\,976\,109\,595\,135\,966\,661\,991\,134\,578\,506\,887\,154\,458\,870\,729\,932\,800\,\alpha^{63}\,+$

$8\,996\,693\,569\,880\,206\,832\,672\,124\,083\,717\,873\,484\,848\,486\,981\,316\,671\,889\,128\,155\,982\,627\,602\,432\,\alpha^{64}\,+$

$301\,383\,087\,695\,900\,787\,219\,702\,443\,911\,789\,267\,202\,025\,495\,066\,662\,725\,047\,182\,848\,126\,091\,264\,\alpha^{65}\,+$

$8\,499\,041\,642\,977\,636\,827\,858\,645\,295\,283\,941\,494\,000\,043\,361\,803\,584\,458\,741\,066\,674\,208\,768\,\alpha^{66}\,+$

$196\,205\,134\,625\,142\,121\,161\,400\,498\,736\,991\,228\,024\,197\,699\,880\,396\,991\,482\,860\,824\,166\,400\,\alpha^{67}\,+$

$3\,560\,548\,200\,937\,565\,553\,593\,605\,813\,500\,749\,815\,219\,107\,113\,678\,843\,426\,208\,057\,655\,296\,\alpha^{68}\,+$

$47\,628\,100\,392\,223\,668\,600\,871\,179\,271\,392\,688\,585\,910\,811\,230\,158\,596\,387\,058\,483\,200\,\alpha^{69}\,+$

$417\,538\,637\,634\,980\,604\,489\,941\,179\,863\,270\,395\,337\,223\,076\,620\,296\,137\,578\,905\,600\,\alpha^{70}\,+$

$1\,799\,596\,991\,269\,061\,329\,287\,824\,680\,392\,760\,881\,927\,537\,311\,686\,029\,685\,555\,200\,\alpha^{71}\Big)\,\mathrm{Seq}\,[\,3+\alpha\,]\,+$

$\Big(-1\,316\,063\,612\,497\,041\,434\,176\,645\,749\,852\,191\,627\,293\,693\,123\,057\,125\,575\,565\,191\,161\,824\,488\,398\,172\,774\,400\,000\,000\,000\,-$

$37\,209\,578\,244\,282\,750\,020\,906\,047\,888\,940\,035\,380\,418\,599\,959\,266\,952\,780\,720\,342\,203\,059\,439\,342\,888\,151\,040\,000\,000\,000\,\alpha\,-$

$515\,540\,300\,601\,845\,172\,039\,522\,151\,727\,800\,578\,490\,212\,550\,873\,545\,190\,370\,295\,895\,689\,238\,949\,388\,699\,314\,688\,000\,000\,000\,\alpha^{2}\,-$

$4\,666\,475\,897\,641\,933\,912\,628\,573\,624\,277\,694\,860\,753\,068\,933\,761\,431\,422\,735\,598\,219\,350\,982\,338\,294\,978\,503\,142\,400\,000\,000\,\alpha^{3}\,-$

$31\,040\,814\,340\,876\,264\,120\,779\,760\,481\,405\,212\,256\,858\,728\,182\,690\,049\,581\,894\,918\,172\,700\,591\,235\,223\,895\,563\,714\,560\,000\,000\,\alpha^{4}\,-$

$161\,832\,927\,540\,527\,303\,677\,405\,470\,630\,265\,318\,466\,948\,564\,075\,790\,115\,422\,185\,865\,594\,881\,408\,424\,050\,928\,488\,996\,352\,000\,000\,\alpha^{5}\,-$

$688\,745\,873\,259\,300\,766\,671\,567\,020\,768\,756\,558\,956\,854\,925\,330\,534\,540\,226\,202\,627\,341\,462\,276\,140\,870\,837\,913\,632\,665\,600\,000\,\alpha^{6}\,-$

$2\,460\,821\,959\,092\,162\,234\,472\,071\,514\,802\,688\,949\,891\,971\,249\,777\,226\,878\,919\,900\,246\,987\,063\,601\,887\,435\,456\,460\,506\,068\,480\,000\,\alpha^{7}\,-$

$7\,533\,864\,756\,415\,286\,813\,433\,748\,757\,934\,822\,789\,523\,116\,304\,212\,276\,962\,604\,055\,754\,926\,360\,431\,772\,047\,432\,732\,336\,491\,520\,000\,\alpha^{8}\,-$

$20\,074\,278\,931\,786\,970\,286\,184\,665\,832\,701\,968\,663\,772\,971\,800\,734\,808\,260\,520\,716\,368\,946\,755\,563\,275\,830\,802\,201\,907\,253\,606\,400\,\alpha^{9}\,-$

$47\,126\,611\,635\,165\,959\,667\,517\,793\,839\,848\,259\,724\,716\,314\,494\,413\,916\,042\,729\,576\,875\,090\,885\,623\,093\,534\,384\,755\,853\,875\,880\,960\,\alpha^{10}\,-$

$98\,442\,303\,893\,969\,389\,541\,803\,113\,968\,730\,532\,790\,414\,228\,516\,565\,414\,656\,971\,365\,431\,844\,475\,206\,982\,461\,619\,277\,177\,097\,527\,808\,\alpha^{11}\,-$

$184\,461\,907\,960\,688\,166\,324\,346\,635\,469\,074\,997\,940\,204\,818\,863\,073\,327\,891\,089\,131\,195\,421\,516\,711\,867\,836\,572\,718\,447\,102\,121\,984\,\alpha^{12}\,-$

$312\,161\,124\,031\,133\,281\,043\,896\,899\,250\,361\,604\,190\,295\,430\,519\,230\,542\,429\,779\,652\,111\,755\,333\,219\,072\,625\,195\,807\,424\,092\,944\,384\,\alpha^{13}\,-$

$479\,824\,171\,645\,361\,970\,044\,768\,786\,391\,447\,395\,381\,934\,374\,979\,505\,715\,076\,594\,027\,145\,439\,524\,056\,477\,712\,211\,347\,180\,236\,914\,688\,\alpha^{14}\,-$

$673\,193\,080\,010\,664\,447\,483\,802\,855\,009\,856\,949\,690\,683\,011\,815\,643\,387\,056\,186\,469\,896\,538\,440\,588\,026\,001\,963\,290\,458\,498\,016\,256\,\alpha^{15}\,-$

$865\,729\,498\,741\,480\,310\,226\,443\,595\,348\,188\,694\,225\,048\,765\,798\,246\,602\,732\,381\,715\,660\,050\,271\,027\,320\,627\,035\,465\,685\,169\,039\,360\,\alpha^{16}\,-$

$1\,024\,237\,075\,294\,598\,205\,675\,631\,045\,147\,030\,086\,956\,965\,479\,365\,789\,553\,067\,540\,925\,765\,789\,139\,603\,206\,412\,325\,558\,496\,059\,619\,328\,\alpha^{17}\,-$

$1\,118\,368\,601\,657\,102\,778\,769\,172\,106\,999\,604\,965\,108\,063\,191\,511\,618\,395\,392\,944\,261\,005\,180\,152\,121\,088\,877\,460\,997\,400\,773\,663\,744\,\alpha^{18}\,-$

$1\,130\,205\,083\,783\,927\,918\,636\,092\,194\,579\,320\,917\,867\,727\,547\,022\,816\,762\,624\,174\,564\,243\,398\,431\,811\,128\,555\,628\,689\,703\,335\,606\,784\,\alpha^{19}\,-$

$1\,059\,729\,186\,436\,452\,345\,785\,787\,319\,036\,346\,590\,529\,333\,348\,165\,928\,080\,220\,643\,677\,134\,074\,994\,221\,970\,038\,408\,151\,005\,969\,047\,552\,\alpha^{20}\,-$

$923\,955\,776\,392\,459\,117\,894\,838\,871\,163\,542\,569\,278\,693\,309\,570\,937\,289\,492\,837\,773\,699\,929\,566\,122\,319\,981\,488\,040\,161\,102\,161\,920\,\alpha^{21}\,-$

$750\,535\,560\,663\,942\,088\,059\,793\,958\,528\,218\,540\,291\,466\,947\,996\,549\,834\,059\,847\,810\,412\,751\,292\,004\,302\,427\,930\,145\,988\,832\,100\,352\,\alpha^{22}\,-$

$568\,990\,855\,220\,579\,304\,947\,110\,928\,211\,055\,646\,577\,339\,137\,495\,549\,232\,922\,247\,073\,189\,752\,685\,492\,142\,999\,177\,383\,706\,082\,246\,656\,\alpha^{23}\,-$

$403\,198\,691\,672\,371\,010\,630\,527\,176\,209\,112\,193\,235\,646\,612\,481\,711\,468\,991\,397\,090\,929\,650\,771\,435\,451\,372\,781\,274\,172\,945\,760\,256\,\alpha^{24}\,-$

$267\,425\,827\,287\,260\,968\,130\,341\,449\,100\,456\,967\,532\,305\,185\,039\,558\,182\,775\,876\,608\,617\,587\,867\,941\,541\,865\,104\,231\,530\,725\,048\,320\,\alpha^{25}\,-$

$166\,219\,012\,380\,953\,038\,403\,129\,960\,981\,499\,305\,210\,311\,082\,744\,259\,906\,234\,233\,407\,723\,367\,637\,925\,098\,916\,187\,341\,676\,706\,136\,064\,\alpha^{26}\,-$

$96\,919\,725\,574\,187\,063\,921\,599\,989\,315\,193\,032\,480\,104\,669\,278\,470\,541\,789\,102\,534\,618\,807\,925\,150\,215\,713\,657\,417\,927\,643\,889\,664\,\alpha^{27}\,-$

$53\,064\,277\,896\,296\,458\,535\,010\,318\,930\,127\,863\,797\,607\,603\,802\,999\,931\,336\,449\,216\,417\,344\,834\,858\,785\,316\,636\,908\,576\,577\,683\,456\,\alpha^{28}\,-$

$27\,302\,548\,500\,191\,209\,638\,727\,870\,214\,484\,958\,916\,299\,066\,808\,396\,768\,401\,022\,226\,377\,330\,644\,612\,985\,848\,175\,560\,240\,120\,463\,360\,\alpha^{29}\,-$

$13\,210\,478\,269\,640\,219\,010\,810\,032\,749\,495\,885\,453\,680\,595\,320\,974\,131\,555\,033\,408\,626\,938\,950\,515\,806\,932\,131\,185\,730\,091\,220\,992\,\alpha^{30}\,-$

$6\,014\,592\,187\,201\,568\,102\,940\,864\,463\,983\,931\,383\,325\,991\,878\,831\,130\,693\,677\,161\,656\,406\,413\,627\,139\,535\,997\,002\,243\,073\,114\,112\,\alpha^{31}\,-$

$2\,577\,986\,722\,152\,394\,506\,669\,583\,109\,030\,026\,661\,464\,029\,240\,034\,764\,302\,190\,918\,149\,240\,319\,650\,822\,881\,536\,290\,786\,541\,305\,856\,\alpha^{32}\,-$

$1\,040\,675\,127\,872\,611\,669\,900\,184\,173\,318\,228\,726\,316\,570\,472\,978\,415\,575\,589\,346\,749\,765\,058\,218\,117\,296\,506\,991\,298\,096\,398\,336\,\alpha^{33}\,-$

$395\,770\,061\,914\,096\,729\,394\,775\,463\,373\,960\,569\,557\,474\,905\,792\,644\,600\,382\,133\,615\,318\,741\,594\,001\,565\,399\,750\,255\,327\,576\,064\,\alpha^{34}\,-$

$141\,826\,832\,850\,797\,255\,563\,229\,184\,088\,545\,242\,263\,749\,458\,065\,281\,103\,408\,957\,427\,179\,444\,976\,204\,530\,113\,715\,282\,139\,676\,672\,\alpha^{35}\,-$

$47\,898\,057\,968\,138\,890\,121\,047\,400\,456\,294\,910\,891\,541\,378\,544\,526\,558\,833\,818\,793\,073\,641\,069\,530\,739\,525\,450\,069\,270\,593\,536\,\alpha^{36}\,-$

$15\,245\,442\,252\,466\,826\,833\,662\,508\,629\,346\,791\,892\,226\,561\,295\,222\,182\,409\,949\,253\,019\,962\,742\,921\,874\,540\,594\,776\,571\,379\,712\,\alpha^{37}\,-$

$4\,573\,046\,560\,093\,831\,696\,458\,411\,582\,293\,682\,295\,781\,310\,042\,468\,648\,582\,743\,963\,648\,998\,739\,020\,514\,541\,027\,690\,094\,264\,320\,\alpha^{38}\,-$

$1\,292\,580\,126\,704\,446\,797\,600\,363\,071\,147\,243\,285\,001\,965\,416\,702\,060\,263\,184\,594\,020\,625\,993\,685\,140\,637\,993\,820\,405\,891\,072\,\alpha^{39}\,-$

$344\,191\,070\,819\,373\,551\,924\,332\,362\,212\,723\,854\,480\,315\,636\,288\,964\,483\,188\,955\,763\,219\,309\,904\,650\,255\,922\,707\,828\,834\,304\,\alpha^{40}\,-$

$86\,316\,970\,405\,693\,658\,769\,193\,106\,293\,613\,266\,238\,704\,242\,938\,546\,553\,427\,298\,162\,640\,042\,325\,826\,705\,572\,478\,700\,224\,512\,\alpha^{41}\,-$

$20\,378\,402\,811\,303\,452\,766\,256\,301\,359\,783\,738\,050\,728\,008\,727\,820\,462\,393\,034\,733\,223\,262\,836\,617\,$

871 785 600 254 738 432 α^{42} −

4 526 902 825 463 647 889 749 318 379 116 727 692 330 670 837 103 947 362 018 670 915 544 879 152 095 330 846 558 388 224 α^{43} −

945 634 744 416 316 472 441 486 609 459 433 080 398 071 371 964 213 036 000 839 022 657 148 220 740 665 845 605 203 968 α^{44} −

185 619 046 403 156 483 320 071 390 247 782 703 859 414 011 105 450 509 306 840 502 137 328 626 730 456 338 017 550 336 α^{45} −

34 208 349 792 036 846 099 506 411 466 859 554 446 226 955 757 989 480 406 488 687 266 403 316 963 861 021 522 395 136 α^{46} −

5 913 293 811 591 582 418 112 855 186 496 451 936 627 974 705 481 911 350 672 952 478 128 113 608 054 731 161 206 784 α^{47} −

957 701 900 303 730 034 454 940 321 672 945 548 732 398 089 736 472 487 086 392 750 940 228 909 553 165 826 785 280 α^{48} −

145 138 616 547 590 147 289 554 008 019 469 577 911 906 741 113 440 616 817 355 055 673 543 307 838 620 402 974 720 α^{49} −

20 552 303 323 379 547 432 975 109 564 352 931 712 305 124 063 209 060 117 911 064 963 803 221 906 771 314 475 008 α^{50} −

2 714 889 316 779 231 505 150 042 928 932 465 631 869 315 731 625 357 002 228 286 966 786 252 018 729 510 502 400 α^{51} −

333 927 634 981 477 673 937 402 842 782 305 408 932 439 682 014 020 516 653 015 102 437 215 465 123 296 051 200 α^{52} −

38 163 471 912 783 180 483 397 299 854 246 518 807 384 627 281 764 901 074 306 601 247 974 147 653 118 197 760 α^{53} −

4 042 978 887 534 015 482 461 881 793 003 628 591 659 647 086 808 878 207 486 083 018 543 081 779 634 372 608 α^{54} −

395 942 591 525 438 876 093 211 011 523 934 494 918 935 109 011 363 026 381 612 433 963 565 101 290 094 592 α^{55} −

35 734 746 227 174 497 832 339 723 219 286 702 827 977 212 446 586 854 426 567 986 257 627 457 932 754 944 α^{56} −

2 961 609 094 340 328 443 583 149 005 326 110 540 233 797 993 689 821 512 050 153 692 897 750 328 279 040 α^{57} −

224 467 961 388 240 160 647 848 450 030 580 936 974 194 407 321 761 935 474 316 624 091 777 435 959 296 α^{58} −

15 484 238 752 410 229 351 148 376 842 039 659 320 136 467 857 854 723 124 698 309 810 593 426 571 264 α^{59} −

966 702 776 874 566 250 590 836 259 770 303 360 192 614 521 355 921 736 058 163 065 639 648 886 784 α^{60} −

54 258 657 269 682 140 485 566 767 383 075 915 789 884 018 234 545 969 785 790 054 920 773 173 248 α^{61} −

2 716 074 217 487 163 585 021 534 164 917 040 700 846 649 151 750 304 285 859 502 823 022 002 176 α^{62} −

120 079 716 458 497 378 156 277 808 473 533 270 027 606 911 282 243 644 611 206 187 937 955 840 α^{63} −

4 632 101 052 139 991 631 785 159 175 369 276 558 062 478 480 622 700 629 396 124 667 478 016 α^{64} −

153 512 476 697 272 338 055 676 376 998 399 932 612 767 795 519 690 535 068 371 857 178 624 α^{65} −

4 282 769 385 858 894 939 532 925 131 892 591 136 258 719 267 290 932 415 049 771 253 760 α^{66} −

97 812 922 510 863 879 435 536 674 723 321 978 816 036 664 800 838 366 805 016 707 072 α^{67} −

1 756 046 604 208 647 672 632 961 552 190 634 671 744 046 203 786 119 124 566 933 504 α^{68} −

23 239 075 804 790 700 262 681 691 835 300 621 691 476 513 482 309 684 428 800 000 α^{69} −

201 554 618 326 443 842 913 203 842 465 675 320 617 174 453 377 896 441 446 400 α^{70} −

859 442 520 846 787 116 663 322 559 817 088 095 222 856 117 350 354 124 800 α^{71}) Seq [4 + α] +

(249 528 655 673 068 383 326 156 991 472 400 034 179 234 447 752 888 031 463 983 730 542 176 692 720 000 000 000 000 +

7 027 808 204 948 094 558 920 635 774 062 523 163 115 032 144 736 767 027 842 187 370 563 658 190 008
600 000 000 000 α +

96 985 278 963 300 691 975 612 895 584 499 460 492 530 194 662 328 352 726 301 841 510 375 394 094
407 874 000 000 000 α^2 +

874 312 240 031 305 852 031 351 558 357 591 444 514 775 889 632 217 489 417 241 595 068 347 579 881
210 277 100 000 000 α^3 +

5 791 634 089 920 397 475 764 396 637 588 594 396 058 828 017 548 051 006 783 008 181 439 028 474 699
663 817 215 000 000 α^4 +

30 066 397 325 467 130 456 225 771 976 618 322 236 830 221 504 592 758 717 747 121 263 206 810 591
078 333 815 881 500 000 α^5 +

127 401 897 349 037 047 594 767 010 754 507 635 036 929 903 595 497 257 796 718 973 340 124 643 939
452 371 112 683 600 000 α^6 +

453 163 834 493 067 829 489 143 673 254 793 786 081 642 873 700 753 991 335 096 136 229 518 220 722
593 855 226 009 570 000 α^7 +

1 381 041 430 016 566 399 050 642 755 147 187 089 458 667 366 149 565 490 563 224 309 682 166 165 127
727 815 505 021 218 500 α^8 +

3 662 673 945 643 402 270 352 479 981 507 097 468 069 991 429 265 551 070 640 830 737 138 981 119 243
403 069 809 866 577 850 α^9 +

8 557 549 686 718 898 702 625 810 239 332 947 084 742 222 383 442 679 326 253 757 744 820 937 819 947
943 112 005 287 045 500 α^{10} +

17 788 744 817 252 795 867 729 534 907 735 435 105 146 554 226 336 796 045 333 218 448 522 655 813
302 957 430 888 955 087 412 α^{11} +

33 166 977 491 994 738 631 692 254 964 813 787 984 915 837 902 464 366 344 737 161 996 309 566 750
004 947 385 805 750 050 466 α^{12} +

55 843 027 777 370 107 368 218 581 916 194 221 319 590 290 237 274 174 115 306 682 787 457 758 183
313 912 777 145 017 352 244 α^{13} +

85 392 244 366 798 823 399 021 545 718 384 339 082 515 399 767 958 158 216 862 547 565 800 049 283
481 331 826 726 844 247 728 α^{14} +

119 172 839 672 216 057 436 932 756 771 693 666 332 402 905 116 429 920 413 298 858 590 235 602 628
353 746 871 460 639 356 960 α^{15} +

152 432 065 023 510 169 568 208 086 516 086 881 496 177 022 889 141 466 191 659 198 452 724 750 015
477 274 798 341 002 466 592 α^{16} +

179 351 982 838 560 879 006 453 841 742 022 092 825 013 104 013 089 424 151 920 066 391 556 216 704
841 367 882 519 474 410 346 α^{17} +

194 740 958 423 384 333 681 620 470 798 984 072 847 812 265 798 468 447 074 742 599 652 013 272 252
800 761 384 000 588 776 884 α^{18} +

195 682 188 718 550 541 852 249 573 149 068 245 573 810 535 920 499 147 190 656 590 834 260 574 725
251 508 910 221 491 693 548 α^{19} +

182 417 157 996 479 066 439 699 565 068 312 290 618 509 557 886 693 354 213 947 242 169 455 564 052
815 814 860 326 730 265 450 α^{20} +

158 107 971 036 641 110 074 880 088 174 160 583 556 581 964 685 407 609 098 449 155 068 672 828 656
052 603 152 583 809 836 984 α^{21} +

127 661 720 177 353 086 208 454 830 283 132 090 797 016 897 251 292 161 050 200 930 587 313 214 732
626 526 685 825 234 864 592 α^{22} +

96 191 478 586 713 169 533 428 944 557 199 657 026 498 015 414 339 222 490 749 572 052 875 637 888
931 163 497 595 505 443 840 α^{23} +

67 740 344 812 347 484 526 085 208 898 287 474 852 955 504 053 155 596 929 633 038 606 552 207 089
136 973 784 474 093 656 608 α^{24} +

44 646 119 616 569 259 256 565 870 215 283 092 794 880 754 110 621 724 551 895 599 163 869 786 622
556 222 878 662 205 836 160 α^{25} +

27 572 001 482 638 124 282 150 843 786 786 536 540 655 818 340 596 608 498 498 407 258 648 771 185

$113\,953\,582\,318\,306\,429\,440\,\alpha^{26}\, +$

$15\,972\,106\,033\,070\,093\,644\,684\,705\,783\,702\,114\,008\,836\,936\,077\,722\,082\,852\,740\,028\,908\,095\,303\,837\,$
$908\,836\,432\,616\,655\,384\,576\,\alpha^{27}\, +$

$8\,687\,002\,016\,273\,342\,545\,937\,643\,809\,502\,099\,826\,612\,933\,162\,122\,570\,945\,466\,126\,155\,544\,189\,494\,996\,$
$795\,526\,271\,386\,285\,056\,\alpha^{28}\, +$

$4\,439\,599\,657\,544\,558\,533\,509\,269\,233\,379\,200\,845\,992\,156\,057\,429\,564\,112\,416\,773\,324\,236\,184\,252\,822\,$
$239\,292\,785\,743\,360\,000\,\alpha^{29}\, +$

$2\,133\,474\,694\,352\,988\,442\,121\,910\,456\,441\,146\,955\,348\,575\,914\,946\,479\,496\,003\,891\,442\,539\,481\,629\,256\,$
$872\,418\,829\,899\,948\,032\,\alpha^{30}\, +$

$964\,625\,922\,436\,952\,439\,185\,550\,477\,263\,250\,082\,127\,193\,810\,175\,936\,706\,167\,284\,581\,457\,324\,384\,551\,$
$862\,354\,797\,888\,602\,112\,\alpha^{31}\, +$

$410\,556\,328\,654\,461\,281\,348\,487\,827\,282\,118\,859\,446\,659\,006\,603\,830\,252\,861\,556\,376\,315\,904\,527\,619\,$
$694\,684\,686\,716\,977\,152\,\alpha^{32}\, +$

$164\,551\,643\,961\,668\,088\,805\,937\,840\,844\,908\,355\,428\,990\,787\,486\,277\,188\,065\,017\,941\,456\,417\,728\,916\,$
$297\,026\,139\,484\,127\,232\,\alpha^{33}\, +$

$62\,127\,047\,810\,488\,681\,383\,211\,995\,691\,744\,718\,589\,858\,013\,789\,370\,925\,617\,325\,641\,521\,581\,162\,776\,$
$193\,162\,192\,698\,474\,496\,\alpha^{34}\, +$

$22\,100\,534\,726\,179\,905\,670\,450\,026\,694\,393\,066\,478\,652\,049\,514\,008\,875\,841\,923\,235\,943\,113\,492\,466\,$
$167\,242\,258\,047\,041\,536\,\alpha^{35}\, +$

$7\,408\,407\,806\,688\,862\,090\,685\,729\,999\,499\,445\,554\,837\,589\,136\,519\,781\,611\,543\,372\,698\,713\,778\,470\,633\,$
$968\,806\,100\,336\,640\,\alpha^{36}\, +$

$2\,340\,268\,786\,992\,459\,512\,116\,614\,309\,127\,233\,411\,361\,365\,745\,485\,373\,451\,499\,915\,912\,195\,091\,009\,118\,$
$510\,732\,117\,803\,008\,\alpha^{37}\, +$

$696\,636\,720\,101\,492\,476\,467\,321\,222\,730\,546\,966\,337\,048\,303\,641\,565\,776\,241\,019\,114\,261\,301\,214\,366\,$
$953\,387\,525\,668\,864\,\alpha^{38}\, +$

$195\,384\,311\,857\,657\,708\,772\,949\,431\,546\,030\,183\,547\,118\,905\,123\,879\,788\,420\,637\,342\,455\,104\,710\,075\,$
$061\,967\,645\,573\,120\,\alpha^{39}\, +$

$51\,620\,227\,137\,952\,982\,222\,030\,640\,430\,697\,534\,620\,848\,692\,080\,015\,327\,699\,333\,093\,910\,561\,743\,141\,$
$625\,352\,194\,883\,584\,\alpha^{40}\, +$

$12\,842\,849\,709\,808\,351\,916\,413\,673\,921\,600\,264\,288\,207\,331\,182\,953\,225\,766\,428\,492\,968\,871\,623\,435\,$
$359\,398\,324\,600\,832\,\alpha^{41}\, +$

$3\,007\,718\,941\,460\,650\,866\,564\,765\,914\,766\,502\,367\,246\,506\,387\,108\,417\,057\,366\,600\,615\,851\,021\,854\,587\,$
$486\,426\,103\,808\,\alpha^{42}\, +$

$662\,715\,883\,489\,186\,006\,397\,037\,953\,289\,742\,486\,881\,572\,609\,335\,648\,229\,775\,496\,786\,774\,192\,034\,532\,$
$787\,755\,155\,456\,\alpha^{43}\, +$

$137\,298\,611\,947\,050\,734\,625\,085\,894\,228\,509\,201\,284\,797\,509\,131\,183\,662\,355\,832\,406\,048\,351\,133\,366\,$
$966\,548\,430\,848\,\alpha^{44}\, +$

$26\,726\,336\,350\,454\,512\,209\,177\,925\,910\,206\,442\,692\,325\,972\,773\,940\,822\,768\,727\,530\,809\,252\,893\,453\,$
$959\,781\,416\,960\,\alpha^{45}\, +$

$4\,884\,060\,915\,809\,332\,235\,765\,235\,729\,974\,804\,312\,952\,269\,918\,907\,243\,027\,502\,828\,604\,973\,950\,857\,299\,$
$678\,461\,952\,\alpha^{46}\, +$

$837\,083\,154\,731\,886\,965\,868\,202\,338\,507\,309\,411\,901\,327\,844\,507\,359\,594\,388\,754\,309\,304\,146\,941\,350\,$
$378\,471\,424\,\alpha^{47}\, +$

$134\,405\,826\,698\,979\,693\,995\,687\,385\,712\,956\,870\,276\,702\,673\,397\,326\,873\,271\,740\,294\,729\,853\,288\,004\,$
$989\,222\,912\,\alpha^{48}\, +$

$20\,191\,938\,435\,177\,345\,633\,448\,042\,867\,054\,095\,766\,782\,133\,266\,803\,439\,740\,715\,600\,017\,266\,150\,391\,$
$939\,072\,000\,\alpha^{49}\, +$

$2\,834\,143\,240\,297\,930\,592\,692\,094\,443\,656\,884\,219\,071\,343\,220\,386\,435\,456\,683\,716\,610\,394\,410\,935\,352\,$
$557\,568\,\alpha^{50}\, +$

$371\,055\,575\,095\,829\,428\,148\,671\,188\,562\,958\,361\,776\,728\,811\,693\,062\,584\,867\,681\,556\,294\,605\,603\,210\,$
$264\,576\,\alpha^{51}\, +$

255 188 034 360 550 722 231 965 458 787 606 701 675 143 095 771 106 102 976 921 779 556 791 345 407
904 465 712 832 115 α^{12} −

427 986 841 322 038 769 753 065 997 976 623 980 222 828 322 764 876 570 705 145 251 569 342 743 949
579 727 954 976 034 α^{13} −

651 850 773 325 650 362 013 734 559 263 116 771 804 688 791 354 639 901 602 227 940 445 954 084 312
890 298 755 231 461 α^{14} −

906 016 823 414 235 195 514 072 037 346 191 570 778 895 024 458 352 106 240 758 655 365 205 360 079
064 630 028 436 129 α^{15} −

1 154 051 291 903 916 779 783 601 181 326 826 249 506 598 933 064 577 828 808 069 414 001 638 118 003
741 408 182 617 717 α^{16} −

1 352 088 181 086 107 095 724 011 333 237 655 711 271 652 294 142 114 770 512 854 118 249 933 184 438
457 191 983 007 725 α^{17} −

1 461 726 449 683 600 271 393 045 737 613 291 344 179 309 502 571 544 858 657 145 452 654 467 603 527
248 487 352 896 677 α^{18} −

1 462 276 964 263 325 596 631 469 635 962 165 964 172 266 511 490 168 541 441 180 256 638 562 185 885
775 146 218 690 797 α^{19} −

1 356 977 947 319 026 521 303 223 218 778 511 356 075 538 209 515 007 930 706 499 877 528 405 583 554
431 215 469 135 396 α^{20} −

1 170 707 793 051 148 605 467 742 218 929 025 009 659 641 350 775 307 252 253 781 128 230 671 162 152
137 983 889 982 445 α^{21} −

940 809 292 730 907 310 421 336 229 142 699 855 765 668 497 441 636 944 618 465 732 965 776 351 991
556 721 541 478 770 α^{22} −

705 475 339 065 752 170 555 891 810 489 118 349 209 999 056 201 395 753 277 815 330 024 875 029 566
951 157 023 638 016 α^{23} −

494 373 038 617 749 399 423 709 655 305 282 797 336 577 063 717 167 001 046 773 218 028 993 049 732
984 090 120 497 296 α^{24} −

324 198 258 346 768 833 558 773 631 214 685 715 550 365 264 126 352 210 681 116 677 258 788 074 929
635 704 832 581 648 α^{25} −

199 192 010 926 488 762 472 164 280 602 146 312 707 039 963 384 535 785 949 354 782 499 555 090 934
050 582 699 100 192 α^{26} −

114 788 711 837 436 967 896 323 130 513 554 266 514 191 187 075 381 935 659 172 117 638 585 208 618
973 105 243 679 360 α^{27} −

62 100 719 699 315 327 381 740 193 070 036 570 979 523 719 735 161 551 374 720 032 474 422 884 243
660 197 418 229 760 α^{28} −

31 565 756 153 315 525 110 326 405 585 989 555 670 304 588 361 890 742 774 252 146 987 517 951 071
765 413 795 899 904 α^{29} −

15 085 549 927 280 485 156 222 940 144 049 236 524 849 415 958 481 298 746 460 465 374 537 164 321
354 420 302 103 552 α^{30} −

6 782 488 193 719 476 523 577 284 889 885 786 337 225 256 059 595 552 307 692 341 350 736 174 572 501
561 269 395 456 α^{31} −

2 870 213 201 939 619 291 698 871 228 562 398 806 219 261 420 101 928 529 451 251 455 375 558 676 995
714 762 760 192 α^{32} −

1 143 692 719 115 305 457 940 922 720 654 804 853 074 463 239 127 449 121 414 225 928 023 117 781 157
743 248 449 536 α^{33} −

429 247 346 825 366 720 215 894 225 774 492 107 977 181 795 042 220 335 912 272 120 008 271 629 565
088 371 982 336 α^{34} −

151 776 003 370 936 269 611 634 053 894 493 178 962 907 469 774 670 554 669 251 145 321 534 896 280
903 837 810 688 α^{35} −

50 565 220 434 784 286 532 651 888 683 787 862 855 741 140 875 222 899 998 746 086 915 193 734 716
669 276 192 768 α^{36} −

15 873 486 539 301 253 311 558 904 004 890 739 496 188 590 598 259 995 012 168 928 270 485 884 383

$647\,698\,059\,264\,\alpha^{37}\,-$

$4\,695\,101\,533\,617\,847\,091\,657\,867\,479\,778\,451\,554\,487\,843\,422\,045\,385\,411\,748\,435\,700\,835\,794\,957\,667\,658\,235\,904\,\alpha^{38}\,-$

$1\,308\,315\,332\,209\,787\,344\,839\,486\,399\,601\,683\,860\,187\,756\,760\,552\,675\,776\,051\,272\,480\,072\,560\,211\,725\,324\,910\,592\,\alpha^{39}\,-$

$343\,382\,727\,987\,027\,296\,669\,164\,933\,280\,404\,700\,732\,730\,933\,988\,404\,907\,911\,035\,228\,857\,193\,028\,411\,253\,063\,680\,\alpha^{40}\,-$

$84\,860\,777\,936\,231\,967\,548\,606\,821\,973\,042\,398\,587\,607\,304\,710\,956\,598\,333\,179\,661\,172\,239\,439\,647\,913\,017\,344\,\alpha^{41}\,-$

$19\,738\,802\,903\,914\,976\,991\,257\,441\,370\,237\,589\,744\,410\,568\,776\,038\,585\,634\,427\,207\,883\,600\,747\,480\,657\,952\,768\,\alpha^{42}\,-$

$4\,319\,160\,747\,998\,574\,644\,440\,024\,684\,596\,505\,472\,726\,239\,389\,265\,957\,708\,114\,843\,690\,620\,356\,387\,483\,418\,624\,\alpha^{43}\,-$

$888\,539\,293\,982\,190\,744\,437\,262\,098\,719\,757\,339\,331\,104\,841\,411\,575\,981\,422\,585\,954\,378\,279\,896\,754\,421\,760\,\alpha^{44}\,-$

$171\,726\,808\,342\,106\,550\,718\,256\,764\,426\,717\,871\,110\,448\,577\,262\,588\,750\,406\,328\,178\,840\,196\,580\,353\,507\,328\,\alpha^{45}\,-$

$31\,154\,241\,964\,331\,289\,507\,923\,285\,966\,586\,297\,004\,194\,248\,023\,086\,477\,267\,365\,928\,146\,545\,786\,176\,405\,504\,\alpha^{46}\,-$

$5\,300\,185\,090\,060\,889\,459\,324\,048\,871\,425\,913\,850\,565\,160\,295\,654\,916\,709\,255\,796\,050\,296\,690\,165\,415\,936\,\alpha^{47}\,-$

$844\,647\,137\,753\,487\,961\,355\,679\,556\,471\,392\,862\,527\,543\,865\,369\,783\,809\,006\,407\,468\,475\,799\,906\,025\,472\,\alpha^{48}\,-$

$125\,926\,775\,457\,463\,667\,502\,927\,702\,279\,779\,822\,017\,246\,300\,567\,053\,103\,749\,133\,137\,214\,215\,548\,829\,696\,\alpha^{49}\,-$

$17\,538\,497\,406\,853\,905\,231\,255\,450\,806\,111\,664\,265\,784\,883\,088\,347\,241\,338\,774\,378\,697\,973\,563\,392\,000\,\alpha^{50}\,-$

$2\,278\,176\,316\,216\,469\,616\,042\,050\,231\,352\,812\,413\,007\,000\,346\,972\,664\,645\,590\,193\,943\,153\,825\,808\,384\,\alpha^{51}\,-$

$275\,484\,614\,598\,350\,860\,981\,676\,250\,348\,358\,290\,271\,182\,325\,948\,252\,634\,299\,141\,628\,356\,007\,559\,168\,\alpha^{52}\,-$

$30\,946\,322\,136\,353\,246\,613\,262\,336\,139\,556\,680\,887\,978\,427\,498\,622\,967\,911\,943\,075\,373\,179\,207\,680\,\alpha^{53}\,-$

$3\,221\,700\,427\,592\,651\,158\,892\,833\,032\,463\,306\,597\,595\,120\,078\,699\,292\,733\,999\,864\,153\,771\,081\,728\,\alpha^{54}\,-$

$309\,987\,885\,380\,313\,376\,893\,939\,715\,790\,142\,783\,320\,934\,050\,574\,002\,428\,555\,597\,856\,750\,174\,208\,\alpha^{55}\,-$

$27\,481\,365\,026\,613\,750\,907\,314\,602\,484\,742\,184\,703\,396\,697\,378\,340\,972\,534\,350\,626\,831\,728\,640\,\alpha^{56}\,-$

$2\,236\,746\,179\,285\,557\,627\,831\,272\,106\,214\,932\,490\,556\,973\,627\,303\,414\,603\,697\,436\,424\,667\,136\,\alpha^{57}\,-$

$166\,452\,753\,498\,784\,174\,590\,717\,184\,268\,978\,658\,099\,696\,665\,311\,755\,139\,571\,452\,628\,434\,944\,\alpha^{58}\,-$

$11\,271\,466\,899\,031\,709\,548\,466\,066\,934\,992\,806\,317\,043\,246\,351\,094\,957\,005\,692\,506\,996\,736\,\alpha^{59}\,-$

$690\,627\,481\,652\,808\,691\,065\,877\,339\,646\,954\,160\,755\,091\,423\,961\,590\,079\,309\,033\,242\,624\,\alpha^{60}\,-$

$38\,035\,282\,807\,781\,321\,733\,520\,323\,219\,866\,113\,396\,885\,418\,999\,023\,654\,590\,675\,419\,136\,\alpha^{61}\,-$

$1\,867\,808\,914\,909\,543\,848\,449\,990\,397\,290\,863\,480\,826\,737\,122\,267\,614\,524\,905\,357\,312\,\alpha^{62}\,-$

$80\,991\,650\,206\,201\,379\,168\,870\,357\,027\,668\,112\,138\,812\,849\,759\,034\,900\,490\,485\,760\,\alpha^{63}\,-$

$3\,063\,621\,399\,467\,231\,494\,728\,324\,895\,034\,780\,598\,010\,670\,441\,381\,461\,380\,562\,944\,\alpha^{64}\,-$

$99\,539\,176\,886\,218\,624\,298\,920\,012\,045\,709\,988\,114\,900\,033\,169\,367\,733\,633\,024\,\alpha^{65}\,-$

$2\,721\,919\,800\,924\,159\,703\,439\,454\,390\,106\,035\,347\,921\,508\,548\,555\,260\,821\,504\,\alpha^{66}\,-$

$60\,919\,212\,120\,637\,138\,297\,856\,049\,172\,786\,115\,943\,740\,037\,283\,083\,976\,704\,\alpha^{67}\,-$

$1\,071\,541\,048\,843\,085\,818\,821\,228\,544\,378\,988\,612\,183\,479\,065\,476\,333\,568\,\alpha^{68}\,-$

$13\,890\,372\,455\,059\,356\,603\,133\,967\,062\,086\,276\,595\,800\,303\,520\,972\,800\,\alpha^{69}\,-$

$117\,982\,558\,926\,515\,617\,407\,298\,351\,692\,200\,429\,818\,181\,635\,276\,800\,\alpha^{70}\,-$

$492\,583\,560\,716\,086\,973\,444\,323\,245\,714\,100\,057\,393\,437\,081\,600\,\alpha^{71}\big)\,\mathrm{Seq}\,[\,6+\alpha\,]$

In[◦]:= **ClearAll[Seq];**
SeqNormalizedODD = ApplyOreOperator[RECNormalizedinSODD, Seq[α]]

Out[◦]= $\big($ $-$18 483 642 211 509 391 438 150 747 489 614 723 639 485 575 838 976 992 584 052 824 699 266 338 411 287 ⸜
464 526 991 987 834 880 000 000 000 000 $-$
450 699 119 183 100 536 866 236 340 763 954 656 533 350 748 524 653 102 060 293 227 757 488 257 189 ⸜
975 554 392 634 760 888 320 000 000 000 000 α $-$
5 392 816 229 834 717 814 677 572 800 621 750 128 602 809 053 559 023 457 045 722 670 485 702 477 515 ⸜
964 132 969 940 292 888 166 400 000 000 000 α^2 $-$
42 213 149 155 990 470 122 471 602 581 899 835 322 519 583 903 561 056 320 636 298 712 486 309 746 ⸜
861 383 114 498 305 307 967 488 000 000 000 000 α^3 $-$
243 146 145 506 187 993 227 636 316 528 577 152 214 602 723 696 805 445 836 835 280 663 646 844 525 ⸜
428 176 420 690 247 081 934 192 640 000 000 000 α^4 $-$
1 099 086 670 799 511 578 203 921 023 472 877 101 197 166 053 727 444 549 409 581 873 630 286 276 073 ⸜
404 820 301 575 585 119 518 851 072 000 000 000 α^5 $-$
4 060 650 942 424 294 249 473 998 790 402 257 888 648 925 390 039 755 386 155 322 135 463 532 019 374 ⸜
289 473 284 305 068 184 198 038 159 360 000 000 α^6 $-$
12 610 001 933 098 951 917 676 824 019 872 818 415 776 075 015 853 962 455 392 667 538 359 993 828 ⸜
790 027 340 639 395 544 052 879 998 320 640 000 α^7 $-$
33 594 173 024 943 982 878 495 347 776 298 683 235 274 172 811 753 917 565 125 228 171 161 889 566 ⸜
860 166 461 330 507 000 832 885 844 554 547 200 α^8 $-$
77 982 394 164 746 003 914 336 840 230 951 289 958 759 981 908 162 030 139 210 281 386 675 928 356 ⸜
740 306 350 951 244 585 422 017 780 724 531 200 α^9 $-$
159 668 529 815 752 163 236 285 513 209 538 271 924 183 722 295 088 837 204 909 279 895 601 844 436 ⸜
144 908 752 753 445 079 647 783 873 832 550 400 α^{10} $-$
291 208 756 853 004 560 766 930 602 245 565 677 348 701 735 131 180 953 799 797 055 407 217 856 972 ⸜
226 157 824 675 619 057 143 742 964 380 467 200 α^{11} $-$
476 935 098 086 976 424 264 863 180 068 749 361 497 886 895 403 717 236 961 947 667 655 002 856 629 ⸜
268 826 511 325 712 853 985 046 648 009 523 200 α^{12} $-$
706 170 121 022 853 290 731 320 680 267 880 524 257 944 259 492 957 616 800 554 508 934 697 618 206 ⸜
583 939 699 384 055 565 171 852 426 241 638 400 α^{13} $-$
950 662 864 014 482 635 408 909 985 879 885 471 365 663 585 358 527 587 744 921 341 863 952 047 683 ⸜
237 229 142 616 743 188 023 838 746 083 328 000 α^{14} $-$
1 169 289 730 491 878 331 324 797 641 923 191 270 845 930 455 936 949 720 229 797 551 684 535 034 832 ⸜
661 467 055 263 265 457 145 749 731 226 419 200 α^{15} $-$
1 319 518 710 997 666 424 549 733 060 404 046 630 824 685 101 330 308 008 952 805 548 666 225 252 020 ⸜
065 068 457 578 947 375 791 567 130 958 233 600 α^{16} $-$
1 371 154 204 442 167 938 889 280 608 791 955 019 727 664 925 368 135 703 871 227 984 082 371 103 433 ⸜
365 699 958 481 513 856 301 660 011 862 425 600 α^{17} $-$
1 316 176 217 949 148 966 025 859 528 989 575 898 387 390 483 313 796 984 250 224 610 209 800 222 741 ⸜
156 501 475 320 823 312 086 017 037 985 382 400 α^{18} $-$
1 170 334 112 132 694 958 340 416 595 015 260 039 839 640 771 192 247 413 316 173 246 570 045 604 224 ⸜
362 373 226 185 987 535 298 015 456 028 262 400 α^{19} $-$
966 364 733 839 595 465 644 605 623 413 304 421 616 012 019 810 865 277 286 382 616 472 147 972 204 ⸜
973 771 686 425 478 273 334 264 171 017 011 200 α^{20} $-$
742 593 303 023 768 011 213 306 503 226 060 514 863 635 497 580 517 852 339 154 490 291 291 335 093 ⸜
537 597 801 637 770 150 472 074 387 678 822 400 α^{21} $-$
532 077 908 805 551 221 045 285 462 308 628 598 198 613 899 597 617 234 945 189 408 495 278 597 168 ⸜
147 441 236 231 681 499 046 695 825 466 982 400 α^{22} $-$
356 085 610 151 348 374 515 662 480 279 190 020 621 310 501 470 284 043 118 711 798 276 765 507 212 ⸜
366 396 629 974 690 102 746 607 916 154 880 000 α^{23} $-$
222 918 140 313 841 478 047 960 004 903 947 801 112 279 764 407 862 844 757 595 757 882 503 206 214 ⸜

$634\,918\,550\,817\,466\,306\,498\,415\,990\,669\,312\,000\,\alpha^{24}\,-$

$130\,716\,362\,537\,628\,410\,663\,599\,629\,629\,865\,275\,229\,233\,945\,632\,979\,951\,451\,068\,703\,126\,292\,113\,278$ $866\,500\,897\,623\,024\,148\,405\,581\,980\,788\,326\,400\,\alpha^{25}\,-$

$71\,882\,338\,415\,319\,433\,929\,152\,027\,236\,571\,799\,872\,064\,956\,993\,759\,826\,139\,357\,487\,050\,674\,829\,203$ $524\,247\,940\,838\,187\,834\,457\,113\,173\,478\,604\,800\,\alpha^{26}\,-$

$37\,108\,623\,256\,921\,256\,052\,895\,366\,365\,060\,063\,318\,258\,044\,244\,708\,653\,175\,640\,496\,659\,516\,907\,838$ $559\,057\,147\,418\,146\,911\,557\,499\,665\,724\,211\,200\,\alpha^{27}\,-$

$18\,000\,489\,086\,579\,598\,037\,472\,798\,470\,889\,046\,555\,403\,159\,169\,593\,333\,662\,793\,938\,245\,137\,739\,841$ $768\,829\,841\,816\,443\,889\,738\,703\,102\,699\,110\,400\,\alpha^{28}\,-$

$8\,210\,980\,261\,622\,889\,175\,124\,776\,834\,495\,030\,373\,685\,918\,715\,586\,506\,061\,979\,044\,960\,429\,586\,339\,387$ $058\,373\,903\,544\,147\,840\,731\,723\,700\,633\,600\,\alpha^{29}\,-$

$3\,524\,544\,074\,330\,651\,272\,117\,473\,668\,201\,354\,932\,551\,101\,424\,009\,895\,225\,406\,824\,737\,771\,756\,042\,963$ $290\,035\,358\,467\,495\,557\,264\,846\,304\,051\,200\,\alpha^{30}\,-$

$1\,424\,487\,452\,427\,103\,445\,756\,585\,983\,910\,581\,406\,564\,799\,288\,672\,377\,816\,256\,765\,137\,814\,462\,279\,767$ $400\,664\,928\,386\,179\,021\,728\,810\,375\,577\,600\,\alpha^{31}\,-$

$542\,337\,300\,428\,998\,930\,531\,315\,148\,077\,690\,226\,840\,369\,035\,181\,883\,806\,030\,484\,541\,611\,050\,908\,890$ $402\,942\,664\,454\,630\,375\,580\,138\,838\,425\,600\,\alpha^{32}\,-$

$194\,581\,581\,708\,909\,153\,796\,089\,904\,555\,325\,776\,033\,431\,183\,616\,090\,195\,675\,941\,002\,484\,244\,674\,388$ $088\,260\,913\,538\,004\,490\,483\,576\,025\,907\,200\,\alpha^{33}\,-$

$65\,808\,491\,492\,594\,688\,205\,647\,524\,280\,863\,691\,630\,039\,750\,022\,584\,250\,039\,693\,265\,383\,426\,612\,342$ $091\,350\,364\,123\,555\,533\,558\,269\,345\,792\,000\,\alpha^{34}\,-$

$20\,984\,470\,782\,277\,196\,627\,271\,072\,175\,297\,177\,041\,232\,987\,016\,799\,402\,126\,164\,658\,038\,694\,239\,320$ $390\,531\,779\,544\,396\,648\,291\,728\,202\,137\,600\,\alpha^{35}\,-$

$6\,309\,573\,484\,805\,826\,587\,965\,847\,381\,912\,888\,308\,762\,935\,326\,402\,513\,844\,265\,105\,565\,365\,340\,871\,124$ $557\,271\,558\,042\,615\,558\,200\,675\,532\,800\,\alpha^{36}\,-$

$1\,788\,958\,812\,933\,100\,526\,940\,548\,232\,892\,781\,924\,654\,009\,575\,871\,116\,394\,358\,637\,513\,090\,068\,166\,567$ $622\,424\,522\,780\,732\,215\,404\,580\,044\,800\,\alpha^{37}\,-$

$478\,270\,889\,886\,496\,335\,578\,144\,952\,489\,914\,815\,068\,368\,519\,575\,954\,311\,411\,873\,997\,664\,687\,857\,961$ $458\,294\,505\,672\,893\,166\,771\,188\,531\,200\,\alpha^{38}\,-$

$120\,547\,397\,118\,056\,827\,269\,796\,229\,049\,127\,633\,500\,017\,311\,011\,608\,569\,765\,876\,537\,727\,680\,041\,209$ $670\,896\,242\,324\,500\,149\,838\,230\,323\,200\,\alpha^{39}\,-$

$28\,638\,511\,003\,995\,691\,616\,127\,911\,063\,262\,179\,516\,209\,412\,186\,676\,794\,548\,833\,277\,066\,240\,142\,244$ $174\,737\,448\,600\,321\,317\,253\,257\,625\,600\,\alpha^{40}\,-$

$6\,410\,774\,496\,650\,892\,141\,426\,462\,781\,493\,147\,864\,270\,898\,259\,889\,873\,848\,963\,659\,245\,243\,262\,138\,824$ $863\,371\,416\,414\,806\,152\,000\,307\,200\,\alpha^{41}\,-$

$1\,351\,623\,299\,020\,126\,870\,625\,872\,930\,603\,005\,193\,552\,066\,837\,104\,018\,702\,560\,784\,628\,436\,144\,282\,426$ $552\,651\,539\,907\,621\,464\,257\,331\,200\,\alpha^{42}\,-$

$268\,262\,853\,931\,525\,598\,251\,605\,719\,521\,654\,649\,263\,888\,239\,639\,386\,792\,665\,559\,916\,783\,001\,747\,407$ $570\,704\,368\,445\,924\,717\,887\,488\,000\,\alpha^{43}\,-$

$50\,090\,376\,458\,112\,537\,309\,255\,223\,503\,518\,676\,168\,620\,651\,728\,805\,819\,034\,656\,144\,055\,578\,046\,067$ $663\,030\,676\,906\,987\,080\,384\,512\,000\,\alpha^{44}\,-$

$8\,792\,609\,144\,946\,053\,847\,282\,449\,073\,323\,660\,958\,312\,332\,890\,280\,142\,618\,714\,998\,514\,095\,568\,927\,667$ $808\,728\,066\,506\,515\,231\,539\,200\,\alpha^{45}\,-$

$1\,449\,705\,830\,561\,977\,236\,915\,433\,885\,310\,131\,283\,647\,619\,332\,197\,242\,431\,538\,528\,512\,131\,317\,572\,537$ $353\,110\,757\,512\,082\,515\,558\,400\,\alpha^{46}\,-$

$224\,291\,794\,858\,524\,152\,002\,011\,497\,364\,582\,251\,523\,244\,186\,237\,827\,012\,434\,516\,498\,343\,877\,111\,819$ $228\,898\,492\,666\,896\,554\,393\,600\,\alpha^{47}\,-$

$32\,525\,926\,396\,358\,827\,814\,619\,012\,907\,449\,209\,072\,823\,232\,505\,792\,750\,729\,264\,713\,976\,975\,618\,282$ $911\,279\,214\,129\,254\,603\,161\,600\,\alpha^{48}\,-$

$4\,415\,426\,453\,422\,390\,633\,064\,777\,109\,319\,579\,545\,569\,456\,704\,579\,941\,348\,573\,244\,772\,017\,041\,871\,569$ $013\,439\,126\,658\,298\,675\,200\,\alpha^{49}\,-$

560 288 007 094 529 700 006 995 916 058 650 399 442 207 030 125 347 351 824 590 195 335 277 901 145 ⸴
    122 152 368 159 745 638 400 α^{50} −

66 348 463 406 218 902 766 340 436 893 398 911 968 462 437 022 029 913 970 773 837 390 494 041 869 ⸴
    649 035 254 096 409 395 200 α^{51} −

7 318 496 441 909 181 389 571 695 079 928 883 815 882 580 405 144 210 914 934 866 511 960 456 523 749 ⸴
    497 495 660 737 331 200 α^{52} −

750 355 707 337 589 730 531 068 472 848 189 342 434 652 671 600 806 231 769 571 298 668 820 576 990 ⸴
    493 348 016 318 054 400 α^{53} −

71 338 823 705 491 184 368 543 125 055 195 206 026 618 686 232 559 250 053 386 536 254 006 487 170 ⸴
    396 708 667 392 000 000 α^{54} −

6 272 109 207 716 513 102 853 162 547 142 053 304 602 785 835 313 858 802 102 696 085 676 731 453 392 ⸴
    886 728 700 723 200 α^{55} −

508 366 926 548 788 261 386 517 992 519 164 392 458 109 539 521 160 002 686 714 591 120 200 300 832 ⸴
    691 630 741 913 600 α^{56} −

37 849 871 370 213 317 955 873 831 494 014 542 778 880 844 460 651 225 430 456 805 656 668 749 707 ⸴
    622 586 358 169 600 α^{57} −

2 577 998 882 219 583 820 586 550 919 438 389 271 878 260 215 253 664 113 378 837 473 085 885 516 579 ⸴
    965 658 726 400 α^{58} −

159 863 132 844 861 747 376 191 090 997 699 571 336 025 321 869 440 375 626 503 578 954 263 268 359 ⸴
    347 267 174 400 α^{59} −

8 974 635 745 199 854 066 296 931 965 950 394 805 476 346 410 668 529 481 071 859 594 394 486 393 802 ⸴
    011 443 200 α^{60} −

453 096 391 663 935 811 971 946 872 138 000 724 105 035 723 718 533 293 433 105 125 360 506 151 339 ⸴
    714 150 400 α^{61} −

20 407 521 204 289 312 767 376 513 187 101 959 444 823 181 774 029 987 952 937 814 124 235 836 900 ⸴
    140 646 400 α^{62} −

812 029 601 435 024 077 508 710 956 074 476 154 286 557 391 320 313 848 216 544 793 675 620 126 031 ⸴
    872 000 α^{63} −

28 200 549 895 014 330 040 810 707 645 758 569 512 543 174 340 796 052 673 287 285 757 480 016 019 ⸴
    456 000 α^{64} −

841 630 862 111 283 933 141 102 145 918 501 585 926 333 150 938 290 815 933 570 126 155 061 028 454 400
    α^{65} −

21 150 447 412 010 103 239 587 367 925 788 003 572 311 042 827 888 129 139 023 343 384 733 207 756 800
    α^{66} −

435 235 130 348 031 936 213 696 690 634 580 097 978 510 781 947 317 470 017 836 893 324 129 075 200
    α^{67} −

7 042 227 794 099 504 054 307 305 698 260 281 476 512 796 024 703 027 939 436 115 002 182 860 800 α^{68} −

84 013 738 052 147 996 642 568 078 403 782 765 006 981 494 446 340 827 422 059 208 376 320 000 α^{69} −

657 037 893 580 521 387 341 846 036 768 700 261 475 785 348 354 177 993 063 278 837 760 000 α^{70} −

2 526 895 270 964 164 390 573 681 619 328 838 310 737 173 237 266 256 961 166 376 960 000
    α^{71}⟩ Seq [α] +

⟨4 468 375 606 182 935 300 523 869 051 052 901 772 085 843 662 683 730 376 876 664 281 570 851 403 490 ⸴
    219 479 135 262 290 739 200 000 000 +

103 573 269 790 767 250 008 230 792 320 801 835 860 093 981 891 265 602 610 745 369 485 426 247 890 ⸴
    726 735 135 331 769 437 388 800 000 000 α +

1 179 596 533 329 213 832 037 767 121 648 351 256 754 376 020 234 822 361 124 753 826 866 927 813 193 ⸴
    887 120 219 924 669 111 730 176 000 000 α^2 +

8 799 663 054 985 121 823 231 167 007 348 984 071 490 294 719 527 492 805 252 080 751 710 454 124 505 ⸴
    049 722 921 783 015 558 348 800 000 000 α^3 +

48 363 248 509 835 713 813 013 025 344 180 043 345 846 508 185 287 209 352 213 761 230 688 744 545 ⸴
    068 149 187 425 761 735 114 070 425 600 000 α^4 +

208 845 586 204 425 335 555 798 182 449 883 509 942 506 868 960 398 127 724 546 251 200 682 262 460
171 523 246 807 572 881 809 793 351 680 000 α^5 +

737 965 843 262 148 507 714 070 029 874 203 194 618 529 028 906 536 570 409 471 764 232 298 857 025
516 953 742 175 108 493 764 347 717 222 400 α^6 +

2 194 278 373 178 619 223 331 056 595 265 342 942 379 831 410 870 813 657 967 847 180 507 854 816 758
648 482 293 127 840 810 832 724 859 289 600 α^7 +

5 603 408 637 237 925 504 063 854 770 125 649 419 081 209 587 806 017 707 386 520 407 299 465 121 951
651 401 030 836 276 994 354 531 111 272 448 α^8 +

12 481 301 234 156 442 655 056 858 400 305 899 091 690 002 460 712 939 282 945 424 850 646 353 116
616 089 631 954 014 653 576 062 631 503 986 688 α^9 +

24 547 567 609 658 176 283 756 101 591 989 993 978 970 082 478 335 210 929 760 852 367 381 423 493
231 834 019 801 573 412 893 717 556 117 897 216 α^{10} +

43 048 524 839 581 648 316 208 130 467 663 226 471 527 467 345 910 155 671 860 598 285 720 906 678
382 606 663 236 018 653 449 429 372 620 505 088 α^{11} +

67 858 614 006 675 961 865 009 120 756 342 804 113 606 690 058 319 196 887 833 856 583 273 784 885
926 904 762 655 617 891 111 612 655 178 088 448 α^{12} +

96 797 162 709 417 223 091 244 784 868 716 749 537 526 610 825 524 112 720 037 148 354 779 053 542
592 875 153 914 721 187 766 197 020 709 093 376 α^{13} +

125 658 538 190 247 725 464 006 374 254 014 895 801 167 769 460 176 290 401 815 332 512 045 776 667
539 405 032 009 556 968 664 193 708 368 855 040 α^{14} +

149 174 138 733 554 669 706 500 211 795 639 807 937 655 415 841 853 011 637 672 560 113 649 360 531
695 029 067 469 509 389 195 719 460 989 698 048 α^{15} +

162 620 787 553 726 991 628 076 265 644 508 484 970 095 236 326 105 544 986 062 384 100 205 964 690
670 203 890 618 836 117 932 118 393 460 097 024 α^{16} +

163 383 722 165 286 313 884 532 672 643 738 190 120 364 691 199 766 238 674 912 864 919 470 514 115
071 968 542 654 757 858 191 631 487 927 844 864 α^{17} +

151 761 409 577 155 020 017 257 347 060 850 503 037 756 979 763 259 598 357 491 205 309 049 486 122
489 304 698 909 009 609 691 852 323 218 784 256 α^{18} +

130 687 811 473 127 121 293 234 601 839 587 224 031 594 763 462 627 305 549 178 172 995 319 846 840
045 398 618 550 877 272 294 326 006 433 447 936 α^{19} +

104 589 426 222 824 212 520 672 003 951 167 708 199 731 631 344 658 879 882 976 979 890 443 219 150
695 324 725 072 026 423 682 129 332 281 540 608 α^{20} +

77 956 718 257 610 779 709 313 619 635 802 014 697 334 519 431 302 595 667 747 799 633 411 421 510
338 885 002 939 832 597 292 229 980 707 618 816 α^{21} +

54 219 921 318 623 322 027 345 901 268 739 920 490 807 960 155 421 176 777 913 580 757 916 816 688
942 319 824 351 712 229 386 657 659 959 115 776 α^{22} +

35 248 105 278 365 730 563 690 830 997 595 963 100 903 776 276 227 422 003 664 224 267 675 184 527
684 380 584 945 469 445 764 977 542 519 848 960 α^{23} +

21 450 257 222 409 812 171 936 921 327 700 238 661 529 326 977 157 135 980 309 107 699 192 883 997
824 997 774 741 983 998 158 518 738 369 904 640 α^{24} +

12 235 523 059 642 439 442 389 342 547 274 529 507 775 330 743 116 637 260 900 350 096 220 784 488
434 329 139 692 283 602 566 214 273 923 547 136 α^{25} +

6 549 557 605 376 442 753 835 306 387 290 204 507 965 824 525 587 797 752 936 317 255 681 071 102 424
230 704 611 394 312 136 915 554 142 257 152 α^{26} +

3 293 408 843 424 226 530 867 540 135 868 477 734 638 957 360 625 553 835 340 677 453 331 209 170 562
882 412 969 163 237 243 467 131 768 537 088 α^{27} +

1 557 085 195 543 455 385 994 674 510 529 557 482 141 259 833 139 784 780 801 395 942 671 580 976 388
883 389 956 678 833 317 873 536 924 123 136 α^{28} +

692 706 338 642 891 588 226 156 293 156 593 390 620 343 563 712 618 398 818 371 560 326 490 025 673
967 704 290 003 272 226 042 464 083 902 464 α^{29} +

290 164 846 546 335 017 300 747 495 288 487 155 401 028 873 308 630 056 580 320 799 171 352 763 708

$091\,751\,020\,469\,990\,717\,974\,375\,141\,736\,448\ \alpha^{30}\ +$

$114\,509\,834\,393\,215\,213\,488\,212\,206\,551\,587\,388\,135\,045\,123\,830\,719\,954\,396\,292\,687\,437\,644\,749\,277\,$ $986\,801\,001\,234\,548\,272\,286\,582\,024\,699\,904\ \alpha^{31}\ +$

$42\,593\,540\,806\,579\,690\,220\,802\,290\,269\,859\,889\,023\,152\,112\,166\,912\,479\,954\,625\,851\,601\,075\,540\,557\,$ $966\,465\,050\,179\,368\,591\,818\,088\,024\,899\,584\ \alpha^{32}\ +$

$14\,938\,510\,519\,338\,534\,640\,652\,534\,373\,811\,990\,867\,126\,173\,638\,989\,353\,510\,797\,261\,882\,023\,595\,322\,$ $176\,734\,278\,440\,351\,914\,344\,630\,460\,612\,608\ \alpha^{33}\ +$

$4\,941\,440\,375\,676\,828\,145\,706\,281\,368\,378\,732\,941\,641\,716\,044\,297\,295\,058\,295\,557\,314\,955\,923\,884\,733\,$ $627\,846\,057\,260\,120\,160\,763\,474\,083\,840\ \alpha^{34}\ +$

$1\,541\,928\,406\,794\,967\,215\,626\,096\,731\,346\,965\,332\,458\,033\,606\,193\,936\,073\,453\,261\,251\,550\,723\,847\,579\,$ $924\,039\,094\,121\,223\,832\,325\,790\,367\,744\ \alpha^{35}\ +$

$453\,924\,049\,422\,488\,284\,781\,071\,861\,564\,917\,584\,271\,126\,028\,053\,403\,104\,926\,638\,027\,038\,180\,861\,412\,$ $729\,018\,242\,260\,871\,172\,159\,231\,229\,952\ \alpha^{36}\ +$

$126\,071\,543\,510\,795\,705\,621\,793\,074\,238\,103\,000\,367\,832\,056\,972\,178\,021\,371\,376\,145\,675\,685\,147\,180\,$ $527\,796\,702\,051\,476\,115\,575\,812\,390\,912\ \alpha^{37}\ +$

$33\,032\,011\,228\,596\,190\,795\,414\,661\,011\,410\,140\,717\,869\,174\,934\,164\,267\,772\,533\,270\,847\,725\,322\,000\,$ $862\,571\,219\,371\,738\,566\,010\,788\,118\,528\ \alpha^{38}\ +$

$8\,163\,351\,193\,340\,286\,203\,480\,857\,222\,050\,313\,255\,710\,318\,283\,918\,030\,871\,163\,615\,019\,951\,155\,869\,016\,$ $693\,308\,722\,228\,061\,824\,874\,446\,848\ \alpha^{39}\ +$

$1\,902\,437\,819\,759\,508\,536\,003\,971\,328\,220\,906\,503\,470\,867\,194\,281\,428\,801\,068\,559\,033\,041\,173\,278\,680\,$ $377\,815\,806\,171\,773\,958\,780\,616\,704\ \alpha^{40}\ +$

$417\,940\,533\,165\,180\,219\,882\,251\,925\,213\,870\,416\,180\,441\,529\,863\,712\,636\,772\,024\,664\,769\,283\,966\,408\,$ $235\,608\,648\,307\,338\,855\,367\,835\,648\ \alpha^{41}\ +$

$86\,515\,329\,848\,764\,718\,803\,034\,071\,834\,708\,670\,314\,142\,026\,744\,537\,107\,907\,684\,360\,155\,777\,998\,088\,$ $359\,299\,319\,726\,230\,296\,474\,943\,488\ \alpha^{42}\ +$

$16\,866\,145\,132\,231\,349\,203\,823\,865\,902\,189\,631\,124\,901\,127\,325\,905\,268\,001\,797\,713\,061\,832\,571\,334\,$ $956\,346\,598\,560\,967\,256\,598\,118\,400\ \alpha^{43}\ +$

$3\,094\,618\,708\,323\,661\,629\,477\,115\,566\,212\,479\,275\,667\,316\,109\,324\,783\,646\,299\,617\,676\,917\,063\,176\,459\,$ $685\,703\,164\,242\,898\,253\,250\,560\ \alpha^{44}\ +$

$534\,002\,335\,004\,874\,222\,656\,146\,743\,229\,939\,935\,003\,983\,682\,270\,028\,157\,793\,218\,240\,143\,779\,298\,610\,$ $950\,605\,328\,140\,031\,815\,057\,408\ \alpha^{45}\ +$

$86\,586\,111\,512\,753\,287\,656\,807\,298\,226\,788\,340\,792\,316\,583\,227\,310\,072\,066\,621\,674\,029\,747\,228\,349\,$ $324\,782\,114\,124\,131\,746\,185\,216\ \alpha^{46}\ +$

$13\,179\,250\,185\,604\,147\,119\,564\,051\,638\,893\,156\,404\,252\,785\,344\,279\,097\,158\,824\,191\,482\,671\,489\,144\,$ $060\,315\,364\,450\,503\,820\,836\,864\ \alpha^{47}\ +$

$1\,880\,951\,775\,813\,895\,305\,113\,684\,206\,478\,201\,632\,709\,605\,571\,764\,388\,962\,780\,555\,524\,051\,554\,291\,526\,$ $233\,220\,052\,058\,420\,281\,344\ \alpha^{48}\ +$

$251\,390\,488\,035\,875\,412\,684\,182\,167\,544\,279\,782\,810\,738\,998\,112\,785\,181\,360\,848\,804\,971\,503\,062\,613\,$ $400\,492\,057\,132\,110\,184\,448\ \alpha^{49}\ +$

$31\,417\,323\,527\,168\,943\,586\,841\,691\,959\,358\,888\,110\,394\,666\,539\,129\,702\,511\,356\,024\,692\,852\,692\,604\,$ $152\,959\,107\,888\,563\,879\,936\ \alpha^{50}\ +$

$3\,665\,387\,794\,716\,408\,377\,656\,292\,482\,046\,848\,875\,526\,177\,240\,619\,484\,296\,112\,862\,445\,305\,880\,468\,936\,$ $599\,384\,615\,821\,508\,608\ \alpha^{51}\ +$

$398\,462\,842\,337\,699\,350\,494\,270\,309\,415\,298\,895\,847\,372\,907\,311\,683\,090\,770\,825\,472\,714\,860\,602\,159\,$ $546\,409\,680\,443\,015\,168\ \alpha^{52}\ +$

$40\,276\,528\,745\,120\,179\,100\,354\,829\,966\,080\,818\,021\,111\,986\,784\,151\,102\,810\,558\,014\,604\,914\,176\,350\,$ $114\,797\,811\,732\,054\,016\ \alpha^{53}\ +$

$3\,776\,313\,403\,839\,486\,487\,395\,004\,564\,220\,434\,979\,300\,530\,572\,673\,026\,400\,685\,847\,983\,159\,666\,462\,407\,$ $443\,554\,941\,009\,920\ \alpha^{54}\ +$

$327\,527\,513\,149\,887\,370\,119\,392\,559\,002\,822\,979\,995\,682\,763\,097\,761\,836\,504\,694\,359\,248\,207\,473\,487\,$ $096\,819\,019\,153\,408\ \alpha^{55}\ +$

26 196 000 314 601 809 738 006 317 528 137 520 991 060 667 235 973 755 946 365 606 063 476 517 775 \
531 713 153 204 224 α^{56} +

1 925 190 643 130 626 768 898 366 804 828 721 734 640 776 746 768 425 619 671 273 033 187 208 121 525 \
916 951 117 824 α^{57} +

129 469 831 404 446 136 389 483 840 873 684 564 729 622 415 057 703 903 458 941 192 889 417 653 776 \
572 603 170 816 α^{58} +

7 929 256 256 585 648 177 028 869 732 043 014 995 677 363 180 069 639 754 455 199 942 272 614 498 176 \
509 935 616 α^{59} +

439 762 250 720 629 933 345 306 447 479 715 801 339 446 292 196 444 905 956 938 501 966 739 222 571 \
555 749 888 α^{60} +

21 939 384 800 194 062 729 564 022 515 578 368 406 494 655 634 532 959 892 333 441 641 333 935 480 \
279 924 736 α^{61} +

976 719 119 729 736 382 346 389 906 268 071 933 754 543 815 848 054 305 150 742 928 437 948 090 087 \
899 136 α^{62} +

38 424 387 346 687 289 823 251 799 047 812 409 114 005 182 179 324 807 504 028 351 046 188 137 699 \
082 240 α^{63} +

1 319 640 607 309 279 233 820 775 937 834 999 157 831 795 261 511 671 875 629 985 271 856 190 455 808 \
000 α^{64} +

38 957 174 523 022 190 943 724 486 842 094 033 036 751 438 035 965 990 559 554 050 964 050 732 384 256 \
α^{65} +

968 623 922 983 076 820 926 158 315 796 909 008 360 879 337 981 330 420 441 511 819 332 322 066 432 \
α^{66} +

19 725 546 183 466 059 608 546 566 244 977 269 967 227 411 468 577 174 878 616 401 095 581 237 248 \
α^{67} +

315 923 421 166 603 790 161 598 727 295 160 359 375 529 368 421 396 508 749 588 684 731 318 272 α^{68} +

3 731 500 946 797 016 077 119 898 661 686 027 019 785 513 849 563 570 215 219 473 730 764 800 α^{69} +

28 898 659 111 438 329 418 592 192 229 728 879 929 918 061 710 669 235 100 104 156 774 400 α^{70} +

110 082 641 333 279 807 322 029 981 964 819 894 978 260 761 567 068 714 074 269 286 400 α^{71}) Seq[1 + α] +

(− 89 916 612 238 979 537 842 097 908 129 376 325 531 105 758 675 411 717 578 117 967 681 721 954 394 664 \
180 947 039 027 200 000 000 000 −

2 046 693 180 192 141 842 995 255 870 676 156 274 522 225 542 881 288 012 403 272 440 252 880 830 751 \
141 801 098 579 825 131 520 000 000 α −

22 890 785 956 610 213 196 713 140 909 196 329 397 101 978 690 268 493 988 242 273 525 533 106 675 \
784 900 270 267 608 776 835 072 000 000 α^{2} −

167 697 231 398 509 632 372 957 480 036 426 101 328 716 567 745 583 831 087 298 866 175 867 558 286 \
580 083 092 743 859 068 521 676 800 000 α^{3} −

905 151 827 547 869 451 844 008 580 380 120 763 849 014 045 139 970 370 336 491 116 182 603 428 617 \
226 873 406 051 150 627 896 033 280 000 α^{4} −

3 838 785 103 138 818 131 423 801 671 609 502 359 096 124 003 852 002 935 027 951 180 824 690 346 019 \
035 857 503 866 571 138 214 658 048 000 α^{5} −

13 322 524 929 061 391 871 624 986 090 564 732 729 748 989 232 081 742 546 725 603 885 187 716 008 \
625 726 091 445 187 175 153 830 513 868 800 α^{6} −

38 908 615 806 946 130 646 653 607 123 947 230 354 595 707 121 112 789 276 126 087 626 438 391 801 \
476 855 146 850 519 328 646 208 862 289 920 α^{7} −

97 596 621 313 130 514 882 245 873 836 278 496 969 377 012 243 121 393 544 740 148 319 765 518 759 \
498 838 960 303 624 708 411 329 863 483 392 α^{8} −

213 549 224 734 239 309 572 926 147 829 389 004 655 137 006 716 434 055 362 209 186 016 831 535 555 \
724 468 063 134 515 526 379 455 729 631 232 α^{9} −

412 602 575 093 277 318 467 677 869 071 176 523 033 187 326 626 374 629 394 567 021 420 448 212 654 \
335 661 672 162 166 092 286 585 133 334 528 α^{10} −

710 884 668 014 682 193 374 250 440 876 720 940 267 934 709 181 684 586 711 418 876 761 259 184 722 439 692 793 926 412 779 455 221 604 548 608 α^{11} −

1 101 026 119 129 276 393 764 620 801 443 962 836 792 366 584 749 700 340 437 797 166 429 557 632 338 597 158 005 699 987 620 328 858 135 298 048 α^{12} −

1 543 275 930 679 359 847 268 806 505 347 946 208 859 158 264 307 263 734 302 609 749 107 505 153 159 204 383 246 731 100 215 646 928 406 315 008 α^{13} −

1 968 792 470 693 059 772 503 009 179 708 752 379 558 410 807 272 519 163 712 358 540 360 590 413 571 120 784 083 302 030 245 834 803 457 818 624 α^{14} −

2 297 043 059 584 344 654 195 680 259 598 272 515 109 348 890 282 327 446 665 002 093 982 090 661 745 490 226 625 907 736 894 181 304 761 843 712 α^{15} −

2 461 285 112 043 715 999 668 272 996 773 220 930 076 094 310 629 826 576 598 801 156 114 225 776 640 611 138 551 402 357 879 101 239 580 426 240 α^{16} −

2 430 800 762 628 674 065 787 562 872 492 228 116 434 531 516 912 149 981 677 447 081 441 673 969 840 947 982 742 905 796 421 423 155 759 808 512 α^{17} −

2 219 743 746 050 282 216 604 515 010 051 528 946 962 287 747 637 426 209 055 093 571 602 153 846 165 290 572 561 054 716 590 678 180 647 403 520 α^{18} −

1 879 426 516 414 375 292 764 438 267 372 528 705 695 449 757 346 167 445 392 691 221 246 702 863 182 929 740 276 677 589 271 185 151 466 930 176 α^{19} −

1 479 027 557 649 311 043 124 319 639 258 826 856 342 687 288 524 919 345 308 076 172 191 598 097 255 630 490 345 431 051 645 864 851 477 102 592 α^{20} −

1 084 154 554 249 403 709 445 683 720 814 031 926 331 539 923 033 298 224 672 706 788 021 532 086 273 768 112 346 765 779 523 416 580 186 701 824 α^{21} −

741 648 390 222 958 023 354 137 923 957 151 067 437 252 024 567 287 774 084 438 467 393 085 002 517 370 810 766 566 168 637 812 068 906 434 560 α^{22} −

474 274 936 778 362 012 364 938 051 939 845 805 301 289 064 915 628 536 485 523 087 898 552 128 369 229 549 393 704 741 653 424 452 227 039 232 α^{23} −

283 946 866 454 843 121 791 150 389 349 025 410 324 912 142 055 307 997 554 730 043 417 963 137 327 434 374 227 529 585 291 601 906 703 007 744 α^{24} −

159 365 177 557 932 951 422 562 690 233 702 476 042 269 285 929 672 855 580 698 668 256 574 404 488 062 188 685 403 084 948 096 379 086 962 688 α^{25} −

83 947 238 920 103 114 017 012 958 092 743 642 049 205 291 909 389 607 582 267 884 013 713 698 156 759 216 800 489 225 987 043 526 141 018 112 α^{26} −

41 545 303 342 020 014 005 613 904 184 187 901 008 049 976 119 912 162 507 234 099 225 388 548 121 504 459 516 244 688 619 313 513 466 167 296 α^{27} −

19 334 357 263 464 109 910 749 278 139 404 552 171 914 101 009 409 203 584 665 258 115 108 460 004 989 815 472 439 211 618 149 107 524 173 824 α^{28} −

8 467 744 302 913 977 684 532 019 406 993 282 096 315 407 076 560 832 472 513 292 588 778 351 973 132 987 925 652 368 911 701 582 058 356 736 α^{29} −

3 492 412 538 378 534 376 819 901 557 500 582 564 453 273 480 554 044 600 433 306 482 893 789 496 625 481 116 729 385 630 115 937 013 202 944 α^{30} −

1 357 211 141 158 913 686 390 231 581 229 423 673 202 721 857 148 131 537 414 044 115 469 005 071 925 615 691 783 698 693 465 125 456 707 584 α^{31} −

497 204 071 480 710 150 096 768 982 440 021 448 176 424 936 269 008 522 938 887 053 892 664 522 564 549 315 714 174 347 864 767 299 846 144 α^{32} −

171 770 104 952 404 411 200 445 197 615 025 044 818 690 891 241 807 319 813 640 624 328 717 060 981 932 002 763 926 883 838 585 968 001 024 α^{33} −

55 976 639 134 502 185 162 010 355 879 851 195 468 457 820 862 298 456 884 883 175 973 602 635 363 139 384 965 036 260 860 516 884 283 392 α^{34} −

17 210 543 583 519 565 161 126 079 313 989 297 880 280 922 881 597 443 727 570 903 414 343 438 878 678 912 638 073 137 053 664 601 440 256 α^{35} −

4 992 927 854 189 447 203 602 770 742 348 902 213 096 025 467 322 535 657 568 519 046 801 145 632 823

796 807 216 293 963 725 935 738 880 α^{36} −

1 366 771 445 136 380 638 427 839 910 681 561 892 389 920 882 186 125 554 762 006 005 008 748 605 354 180 353 787 819 090 795 640 651 776 α^{37} −

353 009 129 089 552 484 734 518 920 775 255 759 810 949 038 082 111 402 416 167 893 581 015 479 062 627 039 345 943 773 816 836 587 520 α^{38} −

86 011 626 371 854 649 868 724 498 615 893 873 036 331 552 671 580 275 736 957 452 308 704 635 212 515 649 026 067 076 633 914 769 408 α^{39} −

19 765 273 721 968 477 786 098 169 687 922 747 628 940 699 133 760 749 102 813 216 957 841 612 276 175 419 128 085 388 668 925 116 416 α^{40} −

4 282 295 863 642 263 359 523 536 041 564 333 442 595 919 725 019 544 594 756 468 157 755 049 017 241 110 674 455 876 313 118 932 992 α^{41} −

874 362 162 227 414 970 450 171 903 684 417 572 902 137 447 071 694 937 930 434 938 919 500 860 300 851 731 893 635 904 857 702 400 α^{42} −

168 157 656 884 014 178 126 269 856 033 061 999 894 588 464 084 452 430 950 073 353 569 894 860 304 630 729 318 882 382 641 627 136 α^{43} −

30 442 266 447 559 791 303 022 527 062 419 269 825 750 925 714 425 775 121 079 266 202 680 642 316 121 501 843 819 737 626 181 632 α^{44} −

5 183 803 715 076 498 084 116 103 731 681 915 276 717 901 768 800 831 257 456 257 747 055 481 235 363 025 880 987 804 310 175 744 α^{45} −

829 575 124 520 736 174 213 837 439 246 251 853 590 380 038 686 508 925 169 676 911 400 509 850 288 824 621 459 016 888 877 056 α^{46} −

124 642 680 150 398 984 049 280 106 027 215 703 256 766 367 272 764 519 723 822 584 142 909 182 877 355 066 112 738 546 679 808 α^{47} −

17 562 597 944 432 530 044 228 431 257 572 073 118 019 216 572 359 216 573 070 272 762 175 669 773 791 188 255 124 179 910 656 α^{48} −

2 317 721 697 379 175 541 166 365 900 549 051 276 395 794 926 192 446 477 164 329 752 998 125 801 708 320 273 277 892 165 632 α^{49} −

286 054 752 045 596 434 996 225 805 374 459 309 337 532 550 680 656 832 690 707 217 835 604 145 608 681 644 022 592 176 128 α^{50} −

32 963 511 742 594 906 627 117 821 988 259 525 423 386 023 417 967 463 745 493 227 793 961 808 767 127 546 071 988 830 208 α^{51} −

3 539 979 615 459 460 775 669 924 413 790 608 837 317 710 451 260 407 693 565 930 342 553 207 310 223 344 789 364 932 608 α^{52} −

353 533 002 074 238 107 485 679 831 206 999 094 486 121 636 260 495 251 632 569 886 431 074 145 744 956 127 201 722 368 α^{53} −

32 754 902 356 312 334 616 244 143 115 445 435 220 383 775 600 369 458 230 372 473 510 869 190 182 061 037 987 037 184 α^{54} −

2 807 705 164 300 135 377 681 003 921 834 642 517 554 550 991 224 048 660 342 815 728 532 813 162 752 875 778 015 232 α^{55} −

221 972 370 050 072 370 974 408 818 206 201 634 664 313 650 263 653 879 644 048 037 434 385 585 396 118 538 158 080 α^{56} −

16 127 325 759 243 892 477 342 389 403 287 721 141 472 724 991 433 790 738 867 594 216 047 404 909 118 317 658 112 α^{57} −

1 072 373 335 011 700 197 276 413 466 237 208 464 830 196 056 891 840 202 239 799 903 749 815 961 384 659 189 760 α^{58} −

64 947 501 428 776 982 587 529 592 343 850 035 072 214 387 483 057 435 707 500 072 359 214 907 389 080 764 416 α^{59} −

3 562 574 003 164 039 216 934 005 932 312 800 667 108 221 177 503 705 541 073 866 973 098 945 086 794 760 192 α^{60} −

175 812 330 617 496 371 796 956 243 868 828 871 344 848 504 404 444 298 879 940 200 894 959 270 110 429 184 α^{61} −

7 743 478 257 366 235 921 383 624 050 842 172 998 855 821 605 672 939 329 126 988 307 816 103 584 727 040 α^{62} −

301 423 420 576 976 621 411 161 857 574 837 688 592 798 457 767 454 098 394 133 282 514 661 940 396 032 α^{63} −

10 244 506 841 039 755 837 782 777 714 543 447 781 245 270 998 018 445 411 265 815 018 975 394 791 424 α^{64} −

299 329 428 801 384 738 696 145 364 096 674 996 679 606 593 983 651 606 141 680 087 276 367 904 768 α^{65} −

7 367 234 646 551 830 682 394 633 108 823 416 843 152 449 466 224 219 815 982 004 085 123 448 832 α^{66} −

148 534 033 917 753 828 808 591 132 120 729 277 686 805 241 105 303 428 214 539 375 792 357 376 α^{67} −

2 355 516 642 721 205 245 733 304 360 201 075 191 629 284 176 988 341 117 993 976 623 792 128 α^{68} −

27 552 093 717 335 486 156 074 554 935 235 606 914 308 723 449 674 265 603 923 666 534 400 α^{69} −

211 336 353 369 003 648 172 112 721 697 711 992 217 883 055 178 928 129 383 700 889 600 α^{70} −

797 441 937 110 990 115 062 213 625 434 396 035 590 691 401 524 154 386 192 793 600 α^{71}) Seq[2 + α] +

(424 423 666 980 063 273 446 443 293 357 929 145 245 419 258 616 048 805 221 571 030 852 693 263 181 565 979 398 452 019 200 000 000 +

9 569 192 818 580 567 981 704 562 973 514 988 256 376 219 956 155 919 003 172 688 690 995 844 929 087 259 118 751 174 361 088 000 000 α +

106 000 349 241 406 296 775 356 294 917 950 566 689 565 983 314 451 513 089 162 878 428 074 060 545 951 501 990 170 938 834 944 000 000 α^2 +

769 057 667 142 852 758 899 773 709 831 388 923 404 013 565 751 353 654 923 986 555 380 404 884 261 386 062 432 846 507 325 521 920 000 α^3 +

4 110 593 619 926 158 473 659 577 193 093 042 015 705 259 137 330 464 147 976 118 986 604 820 018 971 164 075 594 986 309 093 949 440 000 α^4 +

17 262 034 417 475 332 768 165 443 259 009 309 300 416 543 466 220 903 503 316 048 793 893 468 246 040 031 480 565 055 598 243 164 979 200 α^5 +

59 315 207 669 812 451 058 457 301 962 947 606 090 150 756 224 694 523 298 929 648 163 442 377 016 451 993 832 484 473 048 672 432 947 200 α^6 +

171 503 982 872 760 888 562 967 888 991 859 766 523 090 559 858 559 627 428 397 556 864 849 171 260 859 972 253 841 480 736 622 605 631 488 α^7 +

425 873 898 111 956 471 951 171 698 498 137 466 379 475 415 615 875 977 683 111 058 847 326 289 770 714 694 478 067 070 731 184 510 173 184 α^8 +

922 427 547 275 315 189 254 217 786 333 445 578 417 331 565 078 038 773 549 145 279 212 624 871 934 432 301 012 503 927 363 251 409 059 840 α^9 +

1 764 110 411 669 223 465 096 898 586 502 519 796 540 935 628 698 519 417 362 604 678 608 317 994 408 996 706 884 105 797 340 467 327 107 072 α^{10} +

3 008 329 518 824 719 409 779 400 490 261 220 902 640 914 747 639 647 064 222 305 111 680 667 646 583 176 949 200 274 611 010 414 547 042 304 α^{11} +

4 611 375 617 898 069 299 929 238 319 015 642 278 621 691 799 691 937 028 465 701 821 874 069 015 806 336 086 524 009 253 700 461 590 675 456 α^{12} +

6 396 738 512 960 891 958 922 305 475 369 894 300 472 730 646 501 104 685 250 572 236 009 373 481 441 725 747 932 469 301 099 638 888 464 384 α^{13} +

8 075 583 939 147 569 483 423 003 134 174 275 027 981 884 008 458 220 784 261 111 523 312 942 961 897 208 574 798 993 888 357 628 944 384 000 α^{14} +

9 323 527 981 385 271 531 208 812 488 813 309 901 093 357 953 465 098 729 372 493 277 734 894 445 151 458 909 896 356 703 489 279 335 464 960 α^{15} +

9 885 296 441 311 779 750 097 923 837 162 435 286 667 118 618 309 471 722 727 464 426 143 193 764 944 047 049 980 860 613 768 358 444 367 872 α^{16} +

9 659 943 042 551 815 481 216 060 726 622 762 412 328 890 019 844 032 150 018 199 704 498 026 105 193 601 034 797 947 475 355 609 264 619 520 α^{17} +

8 727 856 123 237 745 835 115 107 702 535 705 207 660 211 076 362 501 594 873 036 554 828 608 181 823

$563\,282\,050\,349\,720\,463\,273\,125\,052\,416\,\alpha^{18}\,+$

$7\,311\,273\,507\,509\,917\,440\,228\,935\,713\,021\,370\,246\,998\,972\,387\,522\,958\,987\,863\,304\,182\,052\,124\,448\,946\,\\174\,549\,402\,379\,127\,608\,313\,500\,663\,808\,\alpha^{19}\,+$

$5\,692\,349\,955\,637\,702\,975\,766\,050\,067\,634\,914\,058\,514\,189\,613\,226\,495\,291\,323\,896\,857\,277\,835\,104\,553\,\\874\,346\,951\,768\,610\,274\,625\,462\,468\,608\,\alpha^{20}\,+$

$4\,128\,004\,444\,505\,948\,421\,837\,462\,983\,960\,252\,239\,927\,497\,406\,350\,562\,557\,038\,334\,754\,540\,181\,296\,627\,\\278\,276\,592\,302\,370\,162\,510\,710\,439\,936\,\alpha^{21}\,+$

$2\,793\,623\,723\,566\,605\,550\,554\,828\,375\,735\,957\,333\,963\,077\,782\,343\,632\,302\,816\,631\,100\,673\,774\,184\,265\,\\213\,389\,145\,605\,106\,164\,297\,397\,436\,416\,\alpha^{22}\,+$

$1\,767\,296\,624\,068\,769\,646\,189\,505\,912\,356\,397\,075\,053\,442\,177\,580\,025\,216\,114\,707\,461\,839\,699\,630\,113\,\\972\,321\,848\,301\,061\,117\,689\,817\,202\,688\,\alpha^{23}\,+$

$1\,046\,683\,929\,497\,966\,188\,007\,589\,432\,641\,512\,472\,377\,945\,717\,461\,865\,907\,971\,967\,881\,345\,665\,044\,166\,\\564\,153\,822\,211\,713\,525\,601\,714\,307\,072\,\alpha^{24}\,+$

$581\,115\,063\,590\,886\,553\,158\,854\,878\,599\,106\,487\,217\,650\,448\,451\,637\,586\,854\,074\,659\,094\,634\,889\,242\,\\105\,017\,469\,906\,575\,026\,069\,480\,407\,040\,\alpha^{25}\,+$

$302\,801\,204\,674\,675\,068\,012\,435\,156\,231\,223\,357\,399\,753\,806\,125\,005\,020\,768\,263\,138\,469\,738\,824\,809\,\\270\,498\,710\,897\,241\,697\,037\,037\,076\,480\,\alpha^{26}\,+$

$148\,234\,422\,562\,553\,301\,894\,467\,322\,269\,342\,350\,007\,260\,629\,870\,452\,528\,732\,265\,306\,097\,114\,658\,296\,\\691\,180\,333\,329\,175\,222\,519\,750\,197\,248\,\alpha^{27}\,+$

$68\,238\,189\,023\,486\,348\,538\,913\,678\,932\,736\,295\,207\,260\,738\,020\,163\,564\,396\,183\,397\,609\,379\,869\,460\,\\754\,943\,182\,325\,322\,521\,303\,662\,460\,928\,\alpha^{28}\,+$

$29\,561\,874\,593\,644\,959\,722\,696\,281\,930\,135\,625\,072\,670\,187\,125\,810\,302\,344\,761\,799\,998\,284\,743\,514\,\\545\,967\,056\,936\,955\,624\,072\,570\,470\,400\,\alpha^{29}\,+$

$12\,060\,166\,079\,294\,600\,996\,467\,878\,755\,400\,353\,538\,412\,970\,470\,698\,648\,762\,599\,293\,930\,543\,699\,905\,\\238\,869\,867\,413\,978\,867\,097\,399\,197\,696\,\alpha^{30}\,+$

$4\,635\,930\,011\,469\,017\,322\,792\,421\,432\,547\,321\,963\,526\,815\,253\,720\,461\,568\,558\,753\,815\,540\,413\,828\,329\,\\487\,277\,530\,871\,451\,324\,851\,945\,472\,\alpha^{31}\,+$

$1\,679\,906\,720\,700\,955\,684\,457\,040\,350\,515\,945\,304\,195\,194\,995\,763\,952\,558\,129\,075\,464\,569\,821\,311\,559\,\\418\,070\,102\,020\,938\,264\,947\,458\,048\,\alpha^{32}\,+$

$574\,063\,011\,238\,831\,196\,492\,659\,182\,751\,518\,660\,475\,545\,511\,216\,257\,300\,489\,042\,438\,269\,137\,279\,351\,\\739\,002\,490\,308\,510\,564\,296\,425\,472\,\alpha^{33}\,+$

$185\,046\,919\,378\,589\,814\,873\,995\,152\,812\,582\,710\,033\,428\,052\,375\,581\,583\,999\,068\,546\,699\,302\,462\,058\,\\677\,998\,865\,007\,248\,196\,176\,445\,440\,\alpha^{34}\,+$

$56\,277\,570\,010\,335\,302\,445\,288\,728\,632\,798\,168\,753\,425\,872\,577\,447\,740\,880\,656\,092\,812\,031\,850\,263\,\\432\,288\,806\,952\,728\,612\,160\,143\,360\,\alpha^{35}\,+$

$16\,149\,737\,800\,597\,301\,210\,951\,843\,927\,930\,963\,077\,029\,537\,633\,723\,672\,018\,126\,326\,761\,042\,798\,186\,\\024\,023\,170\,773\,588\,466\,955\,452\,416\,\alpha^{36}\,+$

$4\,373\,008\,256\,323\,465\,104\,683\,006\,021\,937\,072\,582\,882\,928\,226\,525\,171\,885\,869\,418\,070\,663\,187\,139\,235\,\\381\,551\,053\,721\,892\,793\,876\,480\,\alpha^{37}\,+$

$1\,117\,250\,012\,091\,946\,531\,736\,526\,641\,120\,383\,572\,937\,964\,257\,933\,165\,954\,162\,460\,156\,334\,612\,754\,103\,\\529\,030\,543\,911\,691\,661\,344\,768\,\alpha^{38}\,+$

$269\,282\,700\,507\,978\,541\,073\,732\,296\,699\,379\,514\,879\,889\,253\,822\,013\,822\,932\,385\,548\,952\,624\,015\,539\,\\829\,771\,428\,647\,895\,327\,309\,824\,\alpha^{39}\,+$

$61\,213\,726\,677\,749\,058\,611\,295\,830\,404\,177\,528\,348\,067\,452\,848\,381\,120\,781\,874\,973\,351\,630\,007\,415\,\\510\,012\,833\,528\,773\,349\,474\,304\,\alpha^{40}\,+$

$13\,119\,768\,047\,117\,143\,578\,505\,723\,961\,275\,971\,238\,107\,307\,744\,061\,492\,069\,111\,955\,022\,064\,264\,451\,\\173\,131\,725\,886\,908\,004\,302\,848\,\alpha^{41}\,+$

$2\,650\,050\,256\,425\,091\,451\,373\,456\,959\,910\,061\,880\,154\,140\,683\,189\,950\,451\,237\,494\,655\,625\,703\,642\,670\,\\280\,567\,585\,052\,764\,930\,048\,\alpha^{42}\,+$

$504\,200\,619\,134\,172\,994\,849\,940\,723\,815\,845\,887\,555\,025\,268\,886\,037\,261\,419\,931\,095\,563\,708\,306\,942\,\\628\,154\,023\,039\,220\,056\,064\,\alpha^{43}\,+$

90 302 402 983 908 373 448 861 892 875 898 517 480 604 283 143 807 142 135 357 422 976 268 608 628 \
888 990 401 505 437 679 616 α^{44} +

15 213 144 597 821 228 583 516 710 873 258 758 347 873 063 750 891 152 141 876 895 066 461 822 239 \
554 889 079 609 213 583 360 α^{45} +

2 408 727 591 103 668 427 662 117 908 743 187 247 788 171 385 314 714 699 749 002 785 950 566 937 364 \
787 915 774 838 702 080 α^{46} +

358 075 434 115 446 239 779 916 224 422 445 498 893 647 625 966 361 919 104 245 636 228 984 649 833 \
769 399 343 906 816 000 α^{47} +

49 921 472 483 486 434 633 200 449 595 887 201 188 436 712 694 752 987 103 408 506 999 157 736 310 \
457 878 731 074 568 192 α^{48} +

6 518 785 759 292 981 993 430 359 762 014 035 799 469 144 000 500 641 541 451 193 493 179 814 511 057 \
343 106 473 000 960 α^{49} +

796 119 192 931 619 685 670 522 121 842 069 400 173 572 360 436 007 823 936 514 754 336 960 012 232 \
928 747 409 375 232 α^{50} +

90 782 762 255 562 677 409 556 250 804 203 944 493 240 777 228 588 112 581 352 297 282 695 318 239 \
270 704 643 047 424 α^{51} +

9 647 836 104 319 241 537 754 866 847 375 048 217 264 747 481 564 400 258 992 889 271 707 730 271 003 \
656 423 735 296 α^{52} +

953 536 518 591 124 465 938 620 876 943 082 007 286 052 109 942 778 411 266 422 911 339 371 774 850 \
599 164 575 744 α^{53} +

87 434 248 827 975 079 739 840 306 651 935 199 582 489 894 582 000 074 299 984 073 803 649 903 733 \
171 090 882 560 α^{54} +

7 417 799 068 476 261 709 962 444 292 809 864 578 932 224 431 758 259 450 079 821 207 641 237 934 897 \
920 737 280 α^{55} +

580 446 012 217 255 879 597 006 431 073 760 900 598 375 627 948 606 719 863 037 810 435 457 528 400 \
825 024 512 α^{56} +

41 743 256 884 385 906 842 627 706 149 152 279 970 214 737 600 728 204 691 089 883 697 048 313 916 \
083 404 800 α^{57} +

2 747 599 198 636 543 160 739 654 520 983 678 561 302 815 207 513 291 036 628 121 816 195 424 533 365 \
129 216 α^{58} +

164 731 320 650 960 375 060 541 336 087 282 595 203 771 838 619 991 463 966 697 541 789 417 373 819 \
731 968 α^{59} +

8 945 559 957 321 783 354 460 669 729 147 659 307 012 364 041 939 331 445 091 656 333 058 467 417 817 \
088 α^{60} +

437 065 967 030 143 161 494 982 879 342 404 040 984 452 177 822 618 065 515 100 566 641 092 608 393 216 \
α^{61} +

19 059 540 949 284 547 379 278 178 546 128 060 725 803 233 038 388 841 723 381 305 179 653 260 967 936 \
α^{62} +

734 610 689 116 589 871 244 929 241 596 946 013 807 713 810 572 780 318 362 420 998 695 863 451 648 \
α^{63} +

24 722 985 698 769 881 280 347 388 744 327 591 453 291 320 982 422 118 024 693 772 717 456 883 712 \
α^{64} +

715 344 261 315 828 460 920 105 845 372 908 711 702 503 142 366 154 770 196 101 154 314 649 600 α^{65} +

17 436 233 838 827 976 332 862 949 701 741 497 419 836 939 895 300 719 616 943 087 408 906 240 α^{66} +

348 163 946 928 989 118 554 509 126 532 736 300 041 098 460 353 480 064 542 173 523 083 264 α^{67} +

5 468 663 612 695 899 560 318 894 188 157 228 103 643 699 583 009 995 672 959 578 013 696 α^{68} +

63 359 952 340 273 894 108 839 181 649 301 155 120 611 101 466 753 907 144 471 347 200 α^{69} +

481 424 330 825 032 281 679 658 956 017 213 406 645 650 651 185 150 191 416 115 200 α^{70} +

1 799 596 991 269 061 329 287 824 680 392 760 881 927 537 311 686 029 685 555 200 α^{71}) Seq [3 + α] +

$\left(\right.$ − 362 592 911 064 493 598 447 609 681 667 306 346 033 206 358 102 363 166 323 133 519 732 371 326 604 \
909 475 423 846 400 000 000 −

8 126 449 235 632 877 638 953 616 283 708 175 368 146 659 938 943 179 040 254 614 937 424 176 565 270 579 539 542 671 360 000 000 $\alpha -$

89 474 695 887 403 395 715 028 026 033 403 602 787 547 033 469 042 456 371 037 376 181 420 253 573 012 622 697 373 753 344 000 000 $\alpha^2 -$

645 180 368 744 395 300 826 486 457 395 826 101 757 857 606 717 933 364 818 148 946 925 962 258 539 063 172 635 916 846 694 400 000 $\alpha^3 -$

3 427 032 881 525 764 517 970 950 934 967 673 495 104 442 292 153 864 286 747 830 305 836 701 772 367 645 285 203 145 107 783 680 000 $\alpha^4 -$

14 300 778 909 258 558 075 860 289 615 287 061 789 215 973 628 560 794 240 434 874 811 258 393 357 174 274 978 761 296 177 301 504 000 $\alpha^5 -$

48 825 936 231 235 106 407 725 138 266 227 133 560 341 327 973 278 294 820 632 178 972 906 042 111 509 918 621 406 397 156 200 089 600 $\alpha^6 -$

140 261 573 962 206 800 756 952 415 734 966 361 083 936 879 938 702 490 182 860 269 521 101 666 714 730 298 616 583 168 143 064 693 760 $\alpha^7 -$

346 010 288 107 863 673 699 434 332 700 846 113 109 215 632 421 329 902 628 694 978 645 811 504 185 430 354 791 230 290 413 470 437 888 $\alpha^8 -$

744 470 735 066 216 146 217 681 032 076 936 828 567 792 213 540 733 542 484 208 498 369 509 975 058 932 861 618 733 970 667 609 949 440 $\alpha^9 -$

1 414 206 319 090 443 077 332 642 233 762 497 833 726 801 295 859 095 860 099 192 747 051 275 446 558 549 693 309 474 604 011 703 368 448 $\alpha^{10} -$

2 395 238 264 766 535 330 182 789 275 901 992 834 951 035 200 820 741 552 054 747 870 935 962 163 686 375 427 619 569 796 576 881 240 576 $\alpha^{11} -$

3 646 323 438 510 455 758 954 886 559 270 783 430 447 229 368 935 696 111 432 763 954 261 117 953 052 190 020 260 230 840 643 904 693 248 $\alpha^{12} -$

5 022 849 328 272 403 445 923 203 706 607 986 726 045 670 683 781 143 126 845 750 280 110 530 511 143 456 482 548 413 414 853 344 177 664 $\alpha^{13} -$

6 296 486 425 423 792 134 648 089 455 434 797 615 417 130 631 503 151 399 635 025 072 268 272 467 137 139 677 582 380 310 942 484 140 544 $\alpha^{14} -$

7 217 782 009 530 966 612 800 454 098 447 694 725 812 273 085 226 210 491 038 718 159 631 908 954 313 665 921 159 700 274 731 872 959 488 $\alpha^{15} -$

7 597 647 620 060 825 122 769 211 106 659 083 056 738 845 762 436 555 864 977 945 546 625 585 436 648 818 479 571 187 494 594 357 194 240 $\alpha^{16} -$

7 370 505 391 946 340 990 465 997 618 359 609 422 100 040 138 318 017 781 208 288 260 590 494 306 577 623 411 248 453 565 652 997 299 456 $\alpha^{17} -$

6 610 454 161 160 132 007 289 156 608 276 262 991 260 601 812 289 584 283 646 486 685 189 177 610 718 524 624 395 167 267 877 719 823 104 $\alpha^{18} -$

5 496 497 316 072 113 900 255 796 303 170 927 580 184 074 874 690 026 321 402 623 082 232 326 092 947 303 206 706 932 975 921 520 657 920 $\alpha^{19} -$

4 247 394 526 153 140 292 284 104 713 671 998 222 436 521 947 266 252 676 881 440 588 662 189 215 150 634 480 999 678 775 894 700 520 448 $\alpha^{20} -$

3 056 880 418 482 262 003 920 824 423 374 036 447 708 633 823 961 952 931 283 220 964 830 325 333 495 332 429 012 036 144 345 078 024 192 $\alpha^{21} -$

2 052 973 136 977 968 152 216 673 543 899 449 008 438 116 565 867 232 811 105 295 902 716 510 914 840 597 714 013 056 799 564 068 257 792 $\alpha^{22} -$

1 288 760 380 272 496 454 552 905 622 183 431 436 831 827 405 677 629 777 658 617 766 547 981 748 033 974 383 403 111 334 260 259 586 048 $\alpha^{23} -$

757 349 780 136 730 402 365 761 648 514 163 119 998 688 924 402 614 644 250 935 541 287 851 063 013 621 816 881 788 194 006 051 291 136 $\alpha^{24} -$

417 188 851 479 072 577 677 614 941 886 051 688 662 486 332 193 116 789 930 206 350 735 390 719 160 916 456 604 363 623 130 558 955 520 $\alpha^{25} -$

215 669 992 664 551 696 044 370 730 832 760 296 306 066 291 076 792 947 402 346 862 432 851 736 102

341 122 990 280 374 089 610 690 560 α^{26} −

104 740 651 238 698 436 740 504 867 990 479 743 831 613 853 477 323 604 811 047 063 639 088 705 594 698 532 752 991 342 811 112 275 968 α^{27} −

47 830 053 130 692 712 926 114 575 543 873 942 427 194 048 720 134 717 743 336 806 716 271 934 443 428 374 000 123 239 190 836 543 488 α^{28} −

20 553 518 415 988 877 520 745 693 229 789 964 616 291 037 341 093 863 904 019 467 295 842 395 149 074 775 399 655 230 233 279 201 280 α^{29} −

8 316 921 206 034 943 990 140 739 864 197 243 001 149 637 132 937 510 605 763 994 447 655 372 924 335 731 314 338 340 801 110 605 824 α^{30} −

3 170 853 042 468 681 291 883 722 601 707 568 348 286 711 421 233 740 820 550 244 200 622 344 772 685 104 539 839 423 878 432 555 008 α^{31} −

1 139 540 623 720 532 982 359 832 207 647 790 162 489 215 194 563 514 066 553 408 473 321 464 250 548 858 912 538 607 056 588 898 304 α^{32} −

386 176 351 662 477 670 618 448 798 662 448 299 707 268 091 740 605 978 293 076 158 995 987 776 485 678 395 863 779 806 808 113 152 α^{33} −

123 442 900 452 628 588 376 029 319 123 841 387 770 705 636 309 416 525 688 719 767 387 956 475 617 682 203 178 440 401 272 963 072 α^{34} −

37 226 743 442 958 296 334 064 683 445 598 559 938 607 956 846 159 155 441 562 530 415 426 288 104 535 285 510 626 640 557 768 704 α^{35} −

10 592 502 335 130 392 667 195 973 742 303 368 699 683 858 819 375 776 023 011 179 919 838 953 711 207 683 649 171 149 322 977 280 α^{36} −

2 843 841 183 951 437 844 679 909 535 277 695 915 693 797 787 155 084 575 078 242 303 514 555 968 266 133 455 478 086 264 946 688 α^{37} −

720 354 982 596 868 094 204 073 231 542 761 099 478 912 702 436 899 124 301 682 625 941 182 892 686 784 001 860 055 326 523 392 α^{38} −

172 129 637 531 801 076 413 284 295 466 717 849 195 988 846 766 008 241 450 711 929 079 037 526 367 828 744 948 854 816 768 000 α^{39} −

38 790 691 566 540 545 020 669 920 127 510 127 793 269 630 830 555 994 383 991 422 888 122 212 432 295 753 119 504 745 365 504 α^{40} −

8 241 713 488 796 924 209 621 097 292 183 151 751 461 047 249 603 368 188 731 587 304 591 220 041 040 066 728 391 046 332 416 α^{41} −

1 650 212 713 260 372 693 833 001 531 180 574 415 398 386 431 446 800 565 638 680 987 844 213 992 823 947 968 618 510 155 776 α^{42} −

311 219 016 445 591 544 561 071 094 945 698 415 691 272 009 079 689 981 939 695 089 189 420 923 642 073 522 121 520 185 344 α^{43} −

55 248 707 950 778 052 503 721 070 085 460 340 209 436 375 788 440 262 763 416 506 122 738 937 488 477 320 305 136 631 808 α^{44} −

9 225 410 125 013 058 975 982 903 246 744 565 634 760 636 225 237 451 381 523 397 878 975 813 132 133 471 960 873 041 920 α^{45} −

1 447 713 819 634 661 510 156 958 945 191 030 249 589 086 938 276 393 720 240 977 890 874 509 491 845 885 209 702 563 840 α^{46} −

213 296 166 568 460 738 836 330 297 923 269 454 387 169 203 399 723 341 624 155 938 015 413 279 950 483 689 322 840 064 α^{47} −

29 471 023 751 621 512 352 478 813 775 838 213 089 901 034 524 501 341 261 277 609 555 932 801 808 117 928 998 993 920 α^{48} −

3 813 821 440 331 006 324 947 993 798 588 747 385 918 648 329 101 190 963 286 908 334 638 918 953 665 690 263 879 680 α^{49} −

461 577 608 506 177 009 404 292 718 876 278 742 226 730 414 663 137 846 848 771 358 799 960 077 025 104 183 164 928 α^{50} −

52 159 195 169 523 937 116 348 361 208 966 170 004 882 544 296 868 223 325 646 356 448 095 404 222 877 339 222 016 α^{51} −

5 492 964 549 230 851 169 865 384 649 416 943 977 870 005 872 948 439 940 386 810 403 927 746 897 944 $\,$ 560 795 648 α^{52} −

537 963 514 823 282 005 309 362 963 796 386 570 223 410 197 833 729 143 153 225 185 805 261 304 366 $\,$ 507 229 184 α^{53} −

48 879 369 305 728 376 576 454 267 734 925 996 513 140 277 073 592 687 288 205 266 651 683 196 854 $\,$ 320 758 784 α^{54} −

4 109 019 301 871 204 599 126 638 998 986 201 430 694 894 325 619 240 504 475 039 173 449 044 424 925 $\,$ 380 608 α^{55} −

318 592 335 962 180 267 257 334 573 525 656 064 963 006 934 494 228 153 459 954 016 833 260 087 861 $\,$ 575 680 α^{56} −

22 701 897 113 197 274 282 541 429 639 457 268 555 209 083 854 294 446 869 041 488 542 944 369 632 $\,$ 608 256 α^{57} −

1 480 553 696 875 535 323 575 607 467 992 595 506 304 910 680 911 630 694 696 581 008 061 828 383 637 $\,$ 504 α^{58} −

87 949 877 083 790 511 933 770 602 615 753 506 631 343 932 664 420 988 366 599 260 544 446 003 937 280 α^{59} −

4 732 044 870 537 431 773 850 387 638 576 783 248 845 895 538 107 693 638 834 020 240 692 869 070 848 α^{60} −

229 068 435 236 352 542 737 495 393 763 856 671 838 518 918 944 156 502 116 701 065 185 949 908 992 α^{61} −

9 896 986 415 629 832 399 089 610 569 147 202 643 115 337 120 010 195 650 068 459 163 570 143 232 α^{62} −

377 934 098 293 794 877 569 349 823 690 985 967 155 270 654 123 984 501 427 793 616 812 638 208 α^{63} −

12 601 572 257 715 686 146 797 530 157 228 255 515 514 269 829 798 724 953 033 838 277 165 056 α^{64} −

361 244 506 149 335 053 559 658 015 512 724 578 204 783 398 467 608 461 804 935 745 372 160 α^{65} −

8 723 669 307 876 466 657 192 528 813 025 086 352 824 564 196 543 849 484 178 476 236 800 α^{66} −

172 579 554 016 475 273 504 259 975 014 741 747 933 170 843 321 903 160 316 508 766 208 α^{67} −

2 685 623 499 948 392 066 560 938 265 510 450 803 682 912 787 826 103 150 134 165 504 α^{68} −

30 827 416 112 292 301 260 870 915 461 885 623 892 234 818 713 439 967 379 456 000 α^{69} −

232 064 827 816 504 785 554 751 793 339 181 947 997 585 845 543 834 012 876 800 α^{70} −

859 442 520 846 787 116 663 322 559 817 088 095 222 856 117 350 354 124 800 α^{71}) Seq[4 + α] +

(65 431 662 746 387 834 417 615 876 200 745 220 390 138 448 858 713 002 204 244 906 113 192 427 090 818 $\,$ 872 320 000 000 000 +

1 460 590 952 081 916 197 804 380 677 528 089 232 261 770 237 475 245 737 297 802 642 329 763 427 756 $\,$ 115 167 148 800 000 000 α +

16 016 026 347 982 191 255 782 210 449 398 884 721 629 465 251 166 281 413 960 036 347 102 197 073 $\,$ 694 917 044 643 520 000 000 α^2 +

115 008 501 938 660 561 758 133 691 768 786 598 666 981 430 635 427 834 666 732 463 537 052 850 771 $\,$ 184 240 298 720 656 000 000 α^3 +

608 315 234 675 283 711 725 738 792 346 982 896 991 755 363 075 207 414 832 474 538 350 259 647 950 $\,$ 743 845 012 667 858 400 000 α^4 +

2 527 545 413 966 083 003 086 590 474 995 988 433 548 771 212 969 792 541 697 819 151 545 382 948 283 $\,$ 043 061 968 133 743 840 000 α^5 +

8 591 832 865 096 887 312 171 967 840 044 421 028 433 795 320 840 245 093 137 959 430 815 913 134 718 $\,$ 145 368 981 461 929 908 000 α^6 +

24 571 796 524 932 704 008 346 626 211 142 779 261 176 734 404 172 717 739 089 962 532 637 906 850 $\,$ 019 793 804 991 368 097 966 400 α^7 +

60 341 633 344 383 774 597 470 508 910 948 487 947 156 824 425 142 578 153 737 113 334 407 499 518 $\,$ 480 671 701 584 282 386 464 560 α^8 +

129 232 667 251 243 142 351 463 750 147 878 438 247 690 990 703 487 338 221 736 454 789 595 853 527 $\,$ 877 393 286 893 788 201 229 968 α^9 +

244 343 482 965 220 949 068 213 526 200 146 962 060 512 187 105 020 221 705 511 247 990 161 802 018 $\,$

$970\,412\,713\,725\,160\,332\,545\,974\,\alpha^{10}\,+$

$411\,876\,112\,069\,809\,988\,224\,858\,305\,125\,815\,453\,050\,937\,742\,513\,108\,802\,197\,984\,812\,396\,136\,620\,320\,\backslash$
$584\,989\,215\,510\,790\,629\,036\,028\,\alpha^{11}\,+$

$623\,978\,274\,153\,755\,948\,568\,461\,494\,673\,426\,899\,164\,786\,327\,413\,143\,051\,170\,091\,646\,948\,820\,478\,000\,\backslash$
$033\,781\,876\,742\,305\,973\,871\,086\,\alpha^{12}\,+$

$855\,317\,273\,107\,720\,207\,983\,275\,173\,826\,711\,218\,735\,957\,487\,769\,880\,032\,753\,739\,963\,064\,662\,584\,562\,\backslash$
$516\,718\,825\,518\,095\,784\,455\,624\,\alpha^{13}\,+$

$1\,066\,852\,834\,137\,380\,410\,340\,690\,300\,799\,989\,011\,798\,581\,565\,403\,293\,819\,185\,268\,516\,601\,205\,389\,717\,\backslash$
$503\,495\,245\,709\,883\,260\,149\,564\,\alpha^{14}\,+$

$1\,216\,761\,403\,267\,770\,582\,915\,684\,242\,047\,214\,678\,289\,623\,815\,627\,438\,771\,292\,656\,249\,327\,353\,546\,049\,\backslash$
$794\,377\,808\,638\,260\,536\,097\,416\,\alpha^{15}\,+$

$1\,274\,214\,176\,156\,505\,440\,249\,708\,876\,427\,892\,625\,126\,459\,727\,434\,861\,680\,353\,721\,530\,253\,315\,117\,091\,\backslash$
$331\,248\,753\,008\,373\,603\,286\,876\,\alpha^{16}\,+$

$1\,229\,669\,262\,427\,921\,152\,529\,069\,244\,281\,443\,293\,468\,770\,781\,195\,738\,624\,041\,746\,673\,018\,187\,315\,129\,\backslash$
$425\,809\,905\,564\,247\,059\,725\,488\,\alpha^{17}\,+$

$1\,097\,024\,174\,726\,261\,291\,615\,047\,855\,292\,658\,457\,962\,077\,899\,242\,280\,945\,227\,056\,948\,316\,276\,412\,208\,\backslash$
$830\,945\,339\,580\,009\,384\,338\,878\,\alpha^{18}\,+$

$907\,258\,007\,410\,138\,617\,511\,026\,312\,972\,130\,586\,352\,639\,229\,133\,249\,499\,143\,326\,222\,585\,957\,653\,805\,\backslash$
$131\,994\,002\,043\,056\,655\,302\,108\,\alpha^{19}\,+$

$697\,257\,634\,650\,850\,217\,387\,358\,108\,004\,066\,508\,694\,539\,847\,082\,170\,587\,316\,267\,243\,054\,864\,970\,346\,\backslash$
$071\,140\,252\,955\,327\,298\,615\,206\,\alpha^{20}\,+$

$499\,046\,449\,106\,188\,575\,421\,086\,537\,536\,829\,108\,097\,006\,256\,235\,073\,095\,870\,276\,446\,102\,064\,182\,077\,\backslash$
$032\,409\,462\,148\,062\,248\,263\,640\,\alpha^{21}\,+$

$333\,275\,630\,743\,199\,692\,836\,595\,956\,317\,258\,445\,146\,965\,250\,706\,317\,271\,828\,888\,019\,191\,796\,947\,469\,\backslash$
$582\,079\,787\,811\,812\,573\,484\,720\,\alpha^{22}\,+$

$208\,025\,293\,909\,777\,496\,880\,055\,944\,260\,034\,532\,626\,310\,924\,954\,088\,601\,864\,043\,458\,100\,051\,485\,750\,\backslash$
$217\,669\,233\,162\,663\,688\,178\,432\,\alpha^{23}\,+$

$121\,543\,022\,364\,507\,975\,606\,210\,166\,341\,091\,398\,439\,535\,193\,477\,268\,601\,593\,458\,022\,142\,278\,926\,259\,\backslash$
$760\,058\,374\,796\,339\,568\,950\,368\,\alpha^{24}\,+$

$66\,561\,278\,288\,782\,594\,591\,138\,326\,195\,950\,894\,738\,490\,337\,569\,766\,656\,620\,526\,587\,597\,700\,671\,511\,\backslash$
$024\,182\,721\,289\,781\,544\,356\,736\,\alpha^{25}\,+$

$34\,205\,817\,967\,563\,245\,765\,874\,194\,276\,898\,563\,751\,074\,657\,201\,876\,583\,985\,917\,499\,829\,003\,146\,583\,\backslash$
$290\,167\,613\,500\,066\,182\,076\,928\,\alpha^{26}\,+$

$16\,512\,494\,617\,384\,603\,662\,414\,721\,184\,797\,717\,726\,085\,853\,852\,887\,962\,633\,454\,932\,660\,977\,401\,331\,\backslash$
$900\,629\,727\,344\,444\,463\,206\,400\,\alpha^{27}\,+$

$7\,494\,649\,324\,939\,430\,099\,285\,609\,944\,851\,693\,442\,907\,454\,599\,380\,517\,725\,871\,063\,022\,011\,979\,099\,004\,\backslash$
$310\,065\,786\,074\,955\,713\,536\,\alpha^{28}\,+$

$3\,200\,777\,973\,051\,209\,645\,169\,428\,802\,310\,002\,133\,021\,798\,715\,005\,323\,575\,759\,361\,972\,214\,854\,986\,584\,\backslash$
$264\,886\,968\,089\,981\,693\,952\,\alpha^{29}\,+$

$1\,287\,113\,319\,012\,302\,054\,960\,964\,168\,476\,672\,745\,624\,682\,690\,610\,196\,867\,328\,803\,157\,492\,636\,259\,791\,\backslash$
$939\,975\,336\,223\,202\,746\,368\,\alpha^{30}\,+$

$487\,619\,502\,584\,336\,779\,278\,408\,670\,440\,741\,062\,489\,583\,713\,012\,636\,016\,889\,142\,555\,499\,420\,138\,792\,\backslash$
$918\,468\,450\,531\,814\,342\,656\,\alpha^{31}\,+$

$174\,121\,132\,874\,147\,557\,515\,016\,430\,633\,502\,773\,277\,518\,358\,632\,810\,050\,222\,101\,207\,181\,820\,188\,406\,\backslash$
$325\,938\,370\,189\,152\,468\,992\,\alpha^{32}\,+$

$58\,625\,974\,019\,426\,017\,885\,626\,203\,794\,235\,232\,702\,236\,545\,808\,458\,403\,018\,492\,927\,167\,753\,918\,315\,\backslash$
$985\,029\,429\,336\,651\,530\,240\,\alpha^{33}\,+$

$18\,617\,411\,098\,484\,375\,995\,019\,737\,115\,470\,306\,287\,207\,935\,497\,520\,229\,701\,376\,782\,395\,158\,362\,824\,\backslash$
$550\,435\,084\,401\,953\,865\,728\,\alpha^{34}\,+$

$5\,577\,288\,349\,462\,496\,068\,513\,803\,096\,165\,133\,918\,133\,809\,919\,772\,473\,344\,979\,836\,381\,640\,966\,305\,031\,\backslash$
$976\,207\,526\,688\,194\,560\,\alpha^{35}\,+$

1 576 331 914 962 370 401 311 850 860 195 874 093 016 952 706 127 606 328 891 411 894 617 927 394 688
027 746 843 082 227 712 α^{36} +

420 340 970 940 660 062 520 241 389 841 185 220 703 351 499 271 704 824 742 489 993 551 401 243 937
634 884 756 543 373 312 α^{37} +

105 744 197 006 793 633 285 775 549 908 097 951 858 575 892 581 788 237 264 252 836 682 513 167 465
469 828 445 487 759 360 α^{38} +

25 092 597 712 531 012 586 288 209 019 346 213 458 922 611 374 116 501 533 136 564 257 190 199 824
541 522 642 260 197 376 α^{39} +

5 615 183 703 735 644 578 102 924 223 947 015 343 239 506 313 606 464 525 547 959 535 092 399 271 827
117 370 456 932 352 α^{40} +

1 184 587 161 207 854 322 430 002 703 908 233 569 975 706 944 317 625 634 320 549 630 120 651 952 883
137 537 940 389 888 α^{41} +

235 488 221 851 976 609 827 839 609 757 702 769 881 220 740 588 297 115 500 774 772 744 872 177 748
827 827 177 783 296 α^{42} +

44 090 187 585 851 787 062 736 199 744 261 788 240 085 753 439 004 270 229 886 922 373 021 027 373
553 830 716 243 968 α^{43} +

7 769 828 510 303 480 973 707 690 550 924 879 594 130 141 274 389 367 121 306 711 726 647 800 423 337
964 787 990 528 α^{44} +

1 287 821 094 105 680 818 138 858 270 390 709 124 185 732 994 329 512 382 942 374 053 883 599 437 716
574 076 665 856 α^{45} +

200 585 859 240 644 680 654 560 583 037 192 641 698 650 127 264 248 692 462 871 276 370 823 815 594
097 497 866 240 α^{46} +

29 330 247 433 290 004 758 939 465 196 041 241 447 850 958 952 633 403 217 762 254 795 738 370 460
301 878 362 112 α^{47} +

4 021 707 486 685 496 863 214 481 146 235 688 155 306 381 001 722 668 703 637 575 368 088 573 393 693
753 475 072 α^{48} +

516 447 112 726 634 016 420 181 350 439 820 462 583 140 412 464 432 039 510 318 402 357 265 109 485
071 892 480 α^{49} +

62 019 505 995 889 197 773 371 529 655 580 023 149 927 926 744 438 800 075 528 510 302 501 842 700
581 470 208 α^{50} +

6 953 453 177 430 843 168 780 994 272 178 862 260 416 647 274 994 342 718 940 056 842 375 696 592 211
542 016 α^{51} +

726 491 825 080 541 361 515 838 411 490 999 367 637 428 589 471 973 139 711 375 983 020 567 154 258
870 272 α^{52} +

70 582 890 017 450 429 081 497 133 399 521 061 389 307 893 782 546 022 972 351 320 479 792 990 452
187 136 α^{53} +

6 361 557 952 652 208 555 197 568 841 809 491 705 035 317 721 091 983 035 317 869 931 589 854 778 359
808 α^{54} +

530 439 884 193 186 716 695 895 856 971 217 847 289 510 336 041 652 169 180 880 095 920 628 405 633 024
α^{55} +

40 790 821 230 173 162 594 281 308 272 897 438 294 124 143 117 900 660 772 925 481 027 544 769 626 112
α^{56} +

2 882 621 891 848 377 471 214 596 976 482 533 054 215 923 635 289 524 554 884 257 171 079 639 859 200
α^{57} +

186 430 776 301 533 126 023 768 161 912 917 045 033 200 414 932 902 570 379 241 897 231 449 587 712
α^{58} +

10 981 618 629 888 590 652 200 850 205 689 170 042 061 294 276 653 145 618 483 661 307 396 489 216
α^{59} +

585 851 665 367 734 729 700 567 598 323 320 874 282 037 657 002 172 329 278 228 678 880 264 192 α^{60} +

28 117 845 726 221 625 706 954 380 061 300 879 699 394 990 456 697 629 876 773 962 878 287 872 α^{61} +

1 204 393 243 698 763 828 429 204 306 649 862 469 720 290 780 836 271 252 093 944 813 584 384 α^{62} +

$45\,593\,276\,407\,745\,402\,361\,845\,847\,407\,174\,195\,730\,615\,885\,631\,441\,960\,824\,752\,150\,937\,600\,\alpha^{63}\,+$

$1\,506\,953\,980\,648\,023\,160\,556\,830\,690\,022\,492\,390\,667\,300\,722\,837\,822\,846\,950\,864\,584\,704\,\alpha^{64}\,+$

$42\,819\,193\,429\,210\,702\,314\,291\,760\,386\,780\,073\,638\,318\,383\,613\,099\,388\,617\,053\,175\,808\,\alpha^{65}\,+$

$1\,024\,873\,250\,646\,178\,768\,502\,015\,040\,567\,725\,891\,061\,898\,737\,520\,971\,201\,151\,762\,432\,\alpha^{66}\,+$

$20\,093\,987\,020\,897\,125\,171\,056\,304\,436\,834\,794\,356\,730\,605\,453\,067\,684\,610\,572\,288\,\alpha^{67}\,+$

$309\,884\,692\,521\,842\,276\,423\,849\,453\,078\,347\,965\,370\,237\,223\,295\,153\,898\,258\,432\,\alpha^{68}\,+$

$3\,524\,869\,873\,127\,977\,676\,085\,174\,790\,272\,071\,112\,998\,501\,256\,855\,866\,572\,800\,\alpha^{69}\,+$

$26\,292\,952\,289\,791\,678\,951\,486\,508\,813\,143\,404\,901\,545\,773\,399\,172\,710\,400\,\alpha^{70}\,+$

$96\,481\,575\,796\,365\,508\,242\,136\,458\,524\,083\,000\,752\,674\,353\,604\,198\,400\,\alpha^{71}\big)\,\text{Seq}\,[5+\alpha]\,+$

$\big(-504\,881\,604\,636\,936\,829\,912\,680\,665\,896\,591\,544\,580\,389\,362\,629\,071\,998\,307\,678\,835\,099\,377\,120\,194\,$
$560\,000\,000\,000\,-$

$11\,235\,689\,513\,473\,914\,237\,304\,717\,071\,566\,566\,655\,999\,663\,141\,717\,846\,542\,988\,295\,121\,354\,938\,775\,$
$597\,593\,600\,000\,000\,\alpha\,-$

$122\,819\,671\,878\,128\,417\,429\,641\,508\,275\,509\,974\,610\,638\,790\,647\,351\,808\,819\,402\,767\,008\,569\,921\,113\,$
$162\,461\,440\,000\,000\,\alpha^{2}\,-$

$879\,138\,643\,432\,641\,468\,013\,953\,027\,508\,367\,304\,401\,352\,132\,426\,414\,205\,833\,024\,450\,689\,064\,957\,306\,$
$969\,863\,232\,000\,000\,\alpha^{3}\,-$

$4\,634\,921\,056\,574\,418\,965\,756\,125\,831\,805\,684\,836\,272\,035\,075\,886\,035\,757\,360\,323\,872\,893\,161\,365\,076\,$
$349\,731\,548\,800\,000\,\alpha^{4}\,-$

$19\,194\,222\,595\,593\,939\,038\,446\,926\,419\,773\,421\,189\,407\,820\,637\,038\,729\,125\,582\,471\,166\,196\,338\,988\,$
$434\,387\,578\,706\,880\,000\,\alpha^{5}\,-$

$65\,025\,949\,698\,013\,602\,382\,284\,630\,660\,124\,753\,373\,529\,230\,323\,182\,951\,930\,318\,045\,716\,278\,079\,701\,$
$178\,315\,101\,812\,336\,000\,\alpha^{6}\,-$

$185\,326\,812\,720\,016\,379\,995\,590\,171\,909\,004\,749\,241\,091\,732\,906\,688\,991\,430\,848\,904\,036\,469\,507\,324\,$
$503\,377\,776\,909\,460\,800\,\alpha^{7}\,-$

$453\,512\,993\,386\,748\,689\,289\,363\,685\,336\,435\,518\,545\,901\,843\,860\,739\,202\,470\,415\,568\,366\,314\,761\,303\,$
$491\,325\,208\,337\,074\,720\,\alpha^{8}\,-$

$967\,802\,844\,097\,437\,324\,899\,886\,494\,128\,401\,572\,704\,280\,636\,089\,513\,503\,777\,809\,145\,590\,530\,531\,288\,$
$024\,345\,816\,977\,374\,256\,\alpha^{9}\,-$

$1\,823\,171\,693\,121\,009\,599\,793\,697\,365\,695\,590\,643\,800\,086\,066\,806\,733\,098\,756\,020\,083\,605\,677\,365\,398\,$
$188\,655\,104\,244\,582\,952\,\alpha^{10}\,-$

$3\,061\,791\,882\,660\,727\,051\,356\,569\,051\,324\,050\,920\,759\,269\,284\,098\,525\,799\,209\,418\,806\,929\,980\,238\,277\,$
$311\,686\,909\,901\,092\,860\,\alpha^{11}\,-$

$4\,620\,942\,193\,476\,665\,141\,511\,377\,313\,004\,030\,162\,089\,019\,467\,221\,919\,105\,478\,627\,100\,568\,080\,521\,253\,$
$011\,728\,271\,200\,968\,682\,\alpha^{12}\,-$

$6\,309\,715\,581\,383\,561\,887\,237\,600\,657\,021\,882\,915\,003\,871\,267\,141\,620\,605\,671\,118\,906\,479\,512\,662\,831\,$
$945\,419\,128\,296\,547\,047\,\alpha^{13}\,-$

$7\,839\,307\,781\,624\,689\,644\,683\,316\,707\,767\,283\,626\,837\,625\,973\,677\,827\,992\,797\,334\,036\,838\,108\,698\,879\,$
$598\,224\,144\,984\,754\,032\,\alpha^{14}\,-$

$8\,905\,087\,425\,908\,851\,048\,023\,869\,618\,963\,887\,423\,104\,220\,543\,323\,775\,949\,051\,903\,605\,188\,603\,852\,870\,$
$170\,425\,105\,233\,697\,866\,\alpha^{15}\,-$

$9\,287\,597\,228\,577\,375\,544\,686\,887\,131\,282\,107\,830\,216\,641\,296\,717\,755\,897\,324\,866\,608\,562\,162\,191\,300\,$
$699\,801\,472\,965\,605\,070\,\alpha^{16}\,-$

$8\,925\,771\,518\,074\,602\,419\,344\,216\,530\,351\,682\,689\,468\,961\,032\,870\,730\,550\,876\,236\,657\,076\,252\,251\,151\,$
$282\,095\,621\,810\,304\,256\,\alpha^{17}\,-$

$7\,929\,361\,071\,525\,207\,613\,671\,366\,737\,513\,929\,204\,521\,653\,003\,111\,234\,601\,354\,059\,519\,298\,479\,082\,321\,$
$021\,655\,239\,533\,388\,810\,\alpha^{18}\,-$

$6\,529\,577\,854\,045\,734\,515\,217\,659\,871\,963\,965\,315\,005\,708\,893\,616\,920\,761\,731\,026\,268\,488\,980\,777\,419\,$
$440\,141\,534\,731\,871\,450\,\alpha^{19}\,-$

$4\,996\,286\,449\,584\,770\,176\,206\,816\,007\,681\,699\,474\,498\,565\,594\,546\,887\,323\,790\,849\,607\,427\,285\,105\,028\,$
$244\,001\,820\,733\,071\,536\,\alpha^{20}\,-$

3 560 097 919 130 823 664 887 426 276 312 957 141 286 958 042 365 780 324 532 387 705 617 472 467 023 $-$
509 435 363 320 400 121 α^{21} $-$

2 366 782 368 389 945 431 950 092 090 111 082 590 864 864 723 428 184 471 287 417 268 396 965 768 348 $-$
549 455 011 813 210 982 α^{22} $-$

1 470 521 158 914 451 131 733 842 535 667 455 638 268 344 903 799 250 793 651 190 229 136 594 645 792 $-$
619 422 649 697 372 160 α^{23} $-$

855 168 724 369 172 783 877 791 270 025 237 615 908 620 679 450 273 178 582 783 823 786 288 851 309 $-$
006 657 606 556 348 944 α^{24} $-$

466 096 727 235 019 353 134 312 314 155 534 390 667 512 116 725 807 831 919 625 742 596 804 209 617 $-$
192 731 816 008 164 368 α^{25} $-$

238 370 594 242 710 968 754 156 426 107 997 972 644 998 851 370 542 311 077 261 451 968 796 615 942 $-$
610 079 872 410 256 864 α^{26} $-$

114 506 215 932 513 031 674 020 225 231 397 370 519 114 564 501 232 430 386 516 839 620 223 147 309 $-$
216 661 740 487 078 016 α^{27} $-$

51 712 607 665 715 940 336 365 308 535 802 394 112 710 288 677 992 254 570 110 241 116 096 061 546 $-$
347 816 608 917 045 248 α^{28} $-$

21 973 244 396 760 517 740 231 729 200 521 681 595 854 758 977 846 408 356 695 030 435 264 163 418 $-$
102 737 883 220 054 528 α^{29} $-$

8 790 496 366 346 175 114 941 574 746 566 159 681 347 014 014 029 718 765 521 130 824 358 657 141 818 $-$
574 349 606 439 936 α^{30} $-$

3 312 835 070 207 636 178 299 904 061 558 149 949 553 928 320 076 540 845 704 874 979 319 905 955 224 $-$
241 982 904 360 960 α^{31} $-$

1 176 674 152 092 573 137 262 006 401 616 590 108 657 540 652 025 940 734 756 642 425 267 659 948 317 $-$
590 845 263 405 056 α^{32} $-$

394 043 638 781 637 261 407 760 915 044 610 233 095 072 779 232 065 863 529 681 405 722 238 608 438 $-$
651 373 588 750 336 α^{33} $-$

124 447 531 869 824 176 415 517 719 916 949 368 010 560 823 440 789 858 244 877 805 572 791 090 340 $-$
425 841 273 389 056 α^{34} $-$

37 073 685 821 382 415 520 245 389 774 246 365 699 015 960 657 509 961 258 837 229 318 505 545 331 $-$
526 533 013 372 928 α^{35} $-$

10 419 061 697 408 617 550 421 328 974 733 669 555 583 338 064 599 142 171 125 469 474 373 437 936 $-$
217 369 945 047 040 α^{36} $-$

2 762 378 804 322 953 110 815 238 460 335 069 479 925 444 571 045 384 024 440 119 785 377 762 803 182 $-$
651 586 183 168 α^{37} $-$

690 876 791 274 610 093 022 542 338 486 319 982 594 147 396 501 959 435 398 621 819 149 554 687 978 $-$
454 245 048 320 α^{38} $-$

162 972 340 136 836 696 555 417 146 906 162 701 207 036 429 339 491 238 110 562 236 605 525 049 688 $-$
331 669 995 520 α^{39} $-$

36 250 818 590 236 092 726 275 506 041 679 961 125 710 556 802 357 518 696 526 048 232 282 476 736 $-$
100 332 208 128 α^{40} $-$

7 600 943 085 524 327 249 753 227 239 900 207 702 443 415 143 465 935 453 921 913 695 801 798 444 067 $-$
998 138 368 α^{41} $-$

1 501 678 573 753 184 010 764 738 784 944 788 099 161 510 838 042 656 601 214 289 101 317 985 505 935 $-$
817 179 136 α^{42} $-$

279 394 262 958 422 736 628 836 448 038 413 761 293 849 062 309 543 059 519 324 913 770 945 926 294 $-$
059 089 920 α^{43} $-$

48 923 194 694 209 599 959 882 788 809 394 886 744 460 784 794 603 854 501 268 151 030 574 097 548 $-$
854 689 792 α^{44} $-$

8 056 502 131 926 363 578 068 634 250 429 517 602 517 315 214 815 417 118 743 049 018 417 652 405 532 $-$
360 704 α^{45} $-$

1 246 632 329 664 318 258 835 988 275 266 775 005 741 326 946 188 218 290 265 751 832 956 332 636 448 $-$

489 472 α^{46} −

181 075 639 819 006 546 907 626 059 445 204 372 922 507 820 782 612 640 371 769 772 257 333 767 168
851 968 α^{47} −

24 661 520 248 955 304 211 302 072 874 545 043 344 549 368 633 766 985 089 812 285 929 088 585 526
411 264 α^{48} −

3 145 276 304 589 398 340 748 109 866 929 939 524 210 665 721 145 224 863 450 617 044 964 438 825 762
816 α^{49} −

375 096 526 648 152 271 132 605 085 836 933 926 512 151 857 158 903 540 984 715 009 453 705 408 806 912
α^{50} −

41 759 468 173 882 421 149 950 297 363 537 781 926 707 986 169 112 872 990 242 765 064 992 645 447 680
α^{51} −

4 331 939 896 982 138 676 911 171 405 897 667 553 704 308 335 284 691 941 134 851 290 926 533 312 512
α^{52} −

417 835 815 989 364 731 544 084 232 703 418 936 058 772 593 927 770 931 997 321 203 681 320 763 392
α^{53} −

37 383 607 863 847 322 484 661 888 618 884 259 261 367 978 557 959 420 468 861 464 265 162 227 712
α^{54} −

3 094 012 363 986 635 532 838 989 946 199 102 737 755 624 447 903 472 625 417 568 659 970 195 456 α^{55} −

236 141 770 315 825 012 964 406 185 214 933 856 348 049 332 220 758 431 800 465 383 741 194 240 α^{56} −

16 560 695 678 101 642 095 972 079 693 754 274 752 309 295 735 064 623 451 654 792 912 306 176 α^{57} −

1 062 783 412 316 170 863 017 702 953 291 153 961 707 217 169 675 048 194 176 562 044 600 320 α^{58} −

62 113 386 839 534 418 445 381 817 826 916 649 926 491 988 184 216 613 532 276 862 484 480 α^{59} −

3 287 406 011 087 680 594 274 030 127 209 853 066 739 102 214 171 662 152 087 461 953 536 α^{60} −

156 512 624 252 332 465 896 811 305 646 199 990 277 937 143 048 376 973 705 279 963 136 α^{61} −

6 649 543 435 941 184 657 455 603 993 839 908 048 620 328 606 424 377 498 357 727 232 α^{62} −

249 651 825 154 395 518 173 582 339 941 373 607 517 201 502 716 626 256 128 901 120 α^{63} −

8 182 731 608 464 280 274 644 263 791 336 642 965 096 705 716 074 285 644 120 064 α^{64} −

230 544 534 341 257 795 944 317 456 464 157 939 474 135 220 844 300 785 942 528 α^{65} −

5 470 889 075 766 353 529 634 261 206 873 804 745 200 350 032 816 886 513 664 α^{66} −

106 335 520 099 900 075 345 527 991 273 592 300 148 025 203 378 635 145 216 α^{67} −

1 625 510 070 171 108 419 509 908 074 743 729 837 838 856 936 298 119 168 α^{68} −

18 325 779 554 582 272 244 641 695 187 713 176 300 092 333 542 604 800 α^{69} −

135 469 275 331 936 704 964 571 826 915 050 981 855 648 651 673 600 α^{70} −

492 583 560 716 086 973 444 323 245 714 100 057 393 437 081 600 α^{71}) Seq [6 + α]

Initial values of {r(0), r(1), r(2), ...}

```
In[•]:= SeqListIni = {};

MAX = 20;

For[n = 0, n ≤ MAX, n++,
  coord = Select[Tuples[Table[i, {i, 0, n}], NN], Total[#] == n &];
  size = Length@coord;
  p = Sum[Multinomial[Sequence @@ (2 coord[[i]])] *
      Product[Binomial[2 n - 2 coord[[i, j]], n - coord[[i, j]]], {j, 1, NN}], {i, 1, size}];
  SeqListIni = Append[SeqListIni, p];

  coord = Select[Tuples[Table[i, {i, 0, n}], NN], Total[#] == n + (1 - NN) / 2 &];
  size = Length@coord;
  p = Sum[Multinomial[Sequence @@ (2 coord[[i]] + 1)] *
      Product[Binomial[2 n - 2 coord[[i, j]], n - coord[[i, j]]], {j, 1, NN}], {i, 1, size}];
  SeqListIni = Append[SeqListIni, p];
 ];

SeqListIni

seq[n_] := SeqListIni[[n + 1]];
```

Out[•]= {1, 0, 80, 0, 58 320, 933 120, 107 360 000, 4 032 000 000, 305 742 850 000,
    16 007 947 200 000, 1 092 754 448 110 080, 66 052 872 139 161 600, 4 433 464 272 394 080 000,
    287 105 556 124 600 012 800, 19 441 756 158 387 587 481 600, 1 307 659 624 636 945 150 771 200,
    89 869 341 860 254 106 893 314 000, 6 191 536 013 119 541 254 794 624 000,
    431 788 153 780 445 031 117 712 736 000, 30 259 578 124 053 738 011 950 295 040 000,
    2 137 643 722 042 861 014 846 923 875 678 720, 151 778 757 062 056 398 402 787 590 848 716 800,
    10 840 750 037 089 338 687 405 094 405 540 454 400, 777 883 218 982 271 229 558 388 389 382 825 574 400,
    56 080 935 388 938 320 492 345 601 400 578 969 030 400,
    4 059 518 371 465 289 501 011 809 299 957 269 579 653 120,
    295 006 495 123 163 326 450 011 592 999 699 774 386 176 000,
    21 513 746 057 744 924 699 009 848 676 027 694 742 870 425 600,
    1 574 148 924 348 897 968 127 657 314 112 417 503 459 217 408 000,
    115 532 761 111 124 106 137 388 311 120 877 422 599 980 279 398 400,
    8 503 842 442 314 663 173 760 541 941 753 193 179 094 810 125 926 400,
    627 609 496 898 499 522 225 265 285 115 906 238 911 179 967 692 800 000,
    46 436 433 389 594 145 887 536 322 203 955 919 558 553 470 641 486 850 000,
    3 443 934 036 721 437 625 596 385 616 851 665 233 141 061 945 297 580 800 000,
    255 987 247 247 218 119 955 440 370 898 615 088 710 853 711 642 084 487 200 000,
    19 067 482 593 646 334 342 036 067 557 315 656 461 776 897 366 982 437 990 400 000,
    1 423 081 446 108 803 178 035 349 924 075 427 821 311 627 222 594 248 532 220 000 000,
    106 409 576 497 910 521 328 093 928 056 177 350 881 687 619 362 437 540 913 600 000 000,
    7 970 830 048 553 981 080 058 702 593 590 669 197 116 023 210 365 395 365 879 360 000 000,
    598 079 060 794 011 278 983 455 745 029 821 926 281 050 762 038 228 190 896 727 040 000 000,
    44 947 891 716 233 478 275 997 236 905 855 509 440 585 640 503 537 143 428 499 957 569 600 000,
    3 383 154 085 138 020 637 793 497 624 953 038 417 160 337 631 975 043 003 579 851 781 888 000 000}

Verify recurrence by initial values

In[ ]:= `Table[SeqNormalized /. {Seq → seq, α → n}, {n, 0, 2 MAX – RecNormalizedOrder}]`

Out[ ]= `{0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0}`

Generate more terms in the sequence
SeqList[[n]] = r(n)

In[ ]:= `Bound = 10 000;`

`SeqList = UnrollRecurrence[SeqNormalized, Seq[α], SeqListIni, Bound];`

`seq[n_] := SeqList[[n + 1]];`

Let's guess (and prove!) a shorter recurrence.

In[ ]:= `<< RISC`Guess``

Package GeneratingFunctions version 0.8 written by Christian Mallinger

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Johannes Kepler University, Linz, Austria

Guess Package version 0.52

written by Manuel Kauers

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Johannes Kepler University, Linz, Austria

In[ ]:= `SeqGuess = GuessMinRE[Take[SeqList, 200], Seq[α]]`

Out[ ]=
$$\Big(-\frac{839\,014\,160\,464\,878\,334\,200\,000}{49} - \frac{60\,378\,917\,161\,327\,444\,738\,417\,500\,\alpha}{343} -$$
$$\frac{295\,253\,382\,097\,523\,870\,722\,179\,000\,\alpha^2}{343} - \frac{914\,561\,589\,936\,050\,911\,362\,890\,700\,\alpha^3}{343} -$$
$$\frac{32\,257\,781\,051\,913\,317\,606\,478\,802\,245\,\alpha^4}{5488} - \frac{13\,475\,608\,031\,359\,817\,361\,664\,160\,535\,\alpha^5}{1372} -$$
$$\frac{40\,572\,825\,849\,119\,393\,669\,101\,437\,045\,\alpha^6}{3136} - \frac{302\,784\,920\,890\,621\,266\,276\,866\,033\,415\,\alpha^7}{21\,952} -$$
$$\frac{532\,323\,647\,275\,797\,644\,864\,880\,788\,565\,\alpha^8}{43\,904} - \frac{55\,866\,913\,963\,786\,414\,517\,133\,215\,505\,\alpha^9}{6272} -$$
$$\frac{242\,484\,985\,196\,765\,161\,344\,650\,271\,585\,\alpha^{10}}{43\,904} - \frac{127\,817\,608\,674\,118\,712\,947\,652\,539\,635\,\alpha^{11}}{43\,904} -$$
$$\frac{57\,565\,467\,800\,714\,678\,074\,960\,914\,795\,\alpha^{12}}{43\,904} - \frac{22\,223\,652\,535\,998\,880\,970\,405\,304\,465\,\alpha^{13}}{43\,904} -$$
$$\frac{1\,052\,404\,012\,670\,862\,457\,642\,855\,635\,\alpha^{14}}{6272} - \frac{299\,600\,766\,861\,108\,295\,078\,187\,205\,\alpha^{15}}{6272} -$$

$$\frac{128\,018\,992\,381\,312\,391\,740\,640\,355\,\alpha^{16}}{10\,976} - \frac{26\,733\,254\,832\,666\,098\,464\,954\,365\,\alpha^{17}}{10\,976} -$$

$$\frac{21\,214\,914\,493\,292\,327\,516\,610\,\alpha^{18}}{49} - \frac{44\,639\,215\,000\,200\,873\,006\,555\,\alpha^{19}}{686} -$$

$$\frac{401\,351\,202\,097\,745\,724\,240\,\alpha^{20}}{49} - \frac{292\,322\,347\,238\,801\,262\,240\,\alpha^{21}}{343} -$$

$$\frac{24\,688\,816\,722\,475\,292\,160\,\alpha^{22}}{343} - \frac{1\,649\,161\,788\,132\,641\,280\,\alpha^{23}}{343} - \frac{83\,811\,547\,465\,482\,240\,\alpha^{24}}{343} -$$

$$\frac{434\,818\,220\,851\,200\,\alpha^{25}}{49} - \frac{1\,435\,395\,686\,400\,\alpha^{26}}{7} - 2\,264\,924\,160\,\alpha^{27}\Bigg)\,\mathrm{Seq}\,[\alpha] +$$

$$\Bigg(-\frac{2\,186\,847\,101\,186\,124\,636\,476\,250}{343} - \frac{40\,166\,638\,365\,783\,202\,562\,183\,625\,\alpha}{686} -$$

$$\frac{706\,033\,778\,688\,919\,165\,504\,551\,975\,\alpha^2}{2744} - \frac{3\,953\,067\,424\,847\,557\,748\,562\,097\,035\,\alpha^3}{5488} -$$

$$\frac{63\,348\,838\,563\,981\,017\,139\,490\,197\,423\,\alpha^4}{43\,904} - \frac{386\,743\,276\,684\,702\,710\,173\,649\,683\,709\,\alpha^5}{175\,616} -$$

$$\frac{467\,588\,326\,085\,452\,464\,693\,549\,418\,521\,\alpha^6}{175\,616} - \frac{1\,838\,729\,787\,942\,510\,422\,531\,790\,217\,569\,\alpha^7}{702\,464} -$$

$$\frac{1\,497\,046\,507\,490\,797\,080\,597\,799\,518\,397\,\alpha^8}{702\,464} - \frac{1\,022\,891\,275\,901\,803\,244\,496\,188\,387\,873\,\alpha^9}{702\,464} -$$

$$\frac{592\,233\,220\,127\,607\,867\,106\,505\,173\,863\,\alpha^{10}}{702\,464} - \frac{292\,583\,716\,313\,062\,639\,375\,940\,650\,123\,\alpha^{11}}{702\,464} -$$

$$\frac{123\,937\,814\,731\,698\,977\,948\,555\,179\,581\,\alpha^{12}}{702\,464} - \frac{45\,152\,803\,017\,480\,289\,278\,728\,463\,787\,\alpha^{13}}{702\,464} -$$

$$\frac{14\,169\,052\,042\,991\,173\,800\,791\,007\,881\,\alpha^{14}}{702\,464} - \frac{478\,727\,120\,493\,253\,981\,881\,514\,701\,\alpha^{15}}{87\,808} -$$

$$\frac{445\,174\,518\,113\,897\,119\,575\,925\,953\,\alpha^{16}}{351\,232} - \frac{44\,371\,967\,143\,805\,451\,055\,219\,387\,\alpha^{17}}{175\,616} -$$

$$\frac{471\,772\,951\,489\,604\,551\,054\,557\,\alpha^{18}}{10\,976} - \frac{34\,007\,172\,418\,504\,523\,417\,927\,\alpha^{19}}{5488} -$$

$$\frac{257\,194\,224\,994\,051\,571\,599\,\alpha^{20}}{343} - \frac{25\,779\,469\,528\,374\,602\,442\,\alpha^{21}}{343} -$$

$$\frac{300\,216\,059\,140\,647\,264\,\alpha^{22}}{49} - \frac{135\,741\,234\,263\,244\,224\,\alpha^{23}}{343} - \frac{6\,682\,209\,462\,884\,352\,\alpha^{24}}{343} -$$

$$\frac{33\,635\,591\,229\,440\,\alpha^{25}}{49} - \frac{107\,895\,848\,960\,\alpha^{26}}{7} - 165\,675\,008\,\alpha^{27}\Bigg)\,\mathrm{Seq}\,[1+\alpha] +$$

$$\Bigg(\frac{1\,649\,256\,896\,641\,607\,710\,441\,875}{343} + \frac{32\,958\,285\,910\,807\,944\,252\,614\,625\,\alpha}{784} +$$

$$\frac{1\,103\,458\,985\,345\,938\,205\,500\,476\,525\,\alpha^2}{6272} + \frac{20\,602\,673\,094\,845\,310\,029\,416\,662\,615\,\alpha^3}{43\,904} +$$

$$\frac{78\,681\,548\,034\,330\,539\,256\,292\,880\,601\,\alpha^4}{87\,808} + \frac{523\,592\,632\,484\,061\,654\,815\,021\,764\,971\,\alpha^5}{401\,408} +$$

$$\frac{4\,229\,039\,942\,303\,989\,304\,357\,540\,727\,981\,\alpha^6}{2\,809\,856} + \frac{15\,881\,609\,866\,660\,453\,928\,750\,384\,380\,533\,\alpha^7}{11\,239\,424} +$$

$$
\Bigg(-\frac{4\,419\,384\,939\,575\,213\,940\,613\,125}{351\,232} - \frac{73\,896\,327\,740\,551\,207\,708\,059\,975\,\alpha}{702\,464} -
$$

$$
\frac{4\,726\,813\,741\,768\,598\,178\,034\,340\,415\,\alpha^2}{11\,239\,424} - \frac{24\,063\,615\,057\,887\,161\,846\,291\,073\,475\,\alpha^3}{22\,478\,848} -
$$

$$
\frac{350\,473\,988\,703\,646\,433\,544\,341\,504\,871\,\alpha^4}{179\,830\,784} - \frac{971\,981\,293\,004\,161\,406\,004\,149\,585\,057\,\alpha^5}{359\,661\,568} -
$$

$$
\frac{2\,134\,942\,083\,071\,700\,595\,449\,995\,108\,667\,\alpha^6}{719\,323\,136} - \frac{3\,812\,670\,769\,513\,017\,728\,547\,893\,063\,139\,\alpha^7}{1\,438\,646\,272} -
$$

$$
\frac{8\,458\,645\,995\,200\,530\,372\,433\,532\,903\,685\,\alpha^8}{4\,315\,938\,816} - \frac{1\,750\,138\,732\,404\,017\,358\,372\,499\,248\,829\,\alpha^9}{1\,438\,646\,272} -
$$

$$
\frac{2\,762\,310\,206\,216\,888\,720\,786\,991\,407\,675\,\alpha^{10}}{4\,315\,938\,816} - \frac{413\,514\,204\,526\,007\,006\,688\,227\,545\,697\,\alpha^{11}}{1\,438\,646\,272} -
$$

$$
\frac{159\,309\,089\,707\,252\,746\,029\,199\,932\,491\,\alpha^{12}}{1\,438\,646\,272} - \frac{7\,545\,374\,813\,173\,180\,280\,949\,286\,951\,\alpha^{13}}{205\,520\,896} -
$$

$$
\frac{45\,281\,313\,203\,748\,981\,543\,845\,347\,391\,\alpha^{14}}{4\,315\,938\,816} - \frac{3\,112\,423\,988\,881\,255\,072\,454\,483\,\alpha^{15}}{1\,204\,224} -
$$

$$
\frac{168\,973\,759\,260\,877\,096\,654\,959\,805\,\alpha^{16}}{308\,281\,344} - \frac{71\,767\,561\,403\,421\,381\,098\,320\,645\,\alpha^{17}}{719\,323\,136} -
$$

$$
\frac{348\,744\,316\,702\,179\,875\,002\,013\,\alpha^{18}}{22\,478\,848} - \frac{92\,020\,158\,251\,229\,783\,294\,949\,\alpha^{19}}{44\,957\,696} -
$$

$$
\frac{956\,461\,666\,447\,158\,357\,035\,\alpha^{20}}{4\,214\,784} - \frac{6\,282\,135\,940\,307\,582\,357\,\alpha^{21}}{301\,056} - \frac{205\,814\,757\,110\,694\,097\,\alpha^{22}}{131\,712} -
$$

$$
\frac{4\,076\,333\,527\,083\,171\,\alpha^{23}}{43\,904} - \frac{2\,888\,385\,846\,483\,\alpha^{24}}{686} - \frac{13\,413\,211\,503\,\alpha^{25}}{98} - \frac{59\,632\,960\,\alpha^{26}}{21} - \frac{84\,736\,\alpha^{27}}{3} \Bigg)
$$

$$
\mathrm{Seq}\,[4+\alpha] + \Bigg(\frac{1\,482\,995\,691\,311\,402\,622\,448\,125}{5\,619\,712} + \frac{49\,120\,268\,681\,441\,035\,003\,795\,875\,\alpha}{22\,478\,848} +
$$

$$
\frac{1\,555\,210\,724\,161\,568\,864\,074\,302\,375\,\alpha^2}{179\,830\,784} + \frac{3\,916\,871\,062\,121\,715\,879\,283\,191\,765\,\alpha^3}{179\,830\,784} +
$$

$$
\frac{112\,828\,553\,049\,907\,076\,462\,969\,385\,195\,\alpha^4}{2\,877\,292\,544} + \frac{309\,268\,898\,119\,752\,733\,341\,269\,762\,043\,\alpha^5}{5\,754\,585\,088} +
$$

$$
\frac{671\,017\,198\,653\,537\,435\,260\,390\,175\,387\,\alpha^6}{11\,509\,170\,176} + \frac{1\,183\,027\,137\,799\,027\,893\,546\,692\,024\,049\,\alpha^7}{23\,018\,340\,352} +
$$

$$
\frac{863\,190\,685\,234\,800\,265\,012\,672\,648\,825\,\alpha^8}{23\,018\,340\,352} + \frac{28\,303\,132\,104\,759\,274\,210\,019\,109\,065\,\alpha^9}{1\,233\,125\,376} +
$$

$$
\frac{410\,874\,812\,236\,773\,868\,776\,053\,851\,001\,\alpha^{10}}{34\,527\,510\,528} + \frac{473\,249\,211\,404\,965\,193\,556\,167\,879\,\alpha^{11}}{89\,915\,392} +
$$

$$
\frac{34\,454\,496\,503\,156\,427\,024\,996\,220\,207\,\alpha^{12}}{17\,263\,755\,264} + \frac{22\,472\,432\,036\,750\,355\,443\,386\,156\,283\,\alpha^{13}}{34\,527\,510\,528} +
$$

$$
\frac{1\,052\,166\,450\,270\,881\,274\,335\,880\,241\,\alpha^{14}}{5\,754\,585\,088} + \frac{3\,055\,704\,549\,326\,297\,996\,829\,726\,013\,\alpha^{15}}{69\,055\,021\,056} +
$$

$$
\frac{636\,241\,612\,781\,535\,908\,458\,849\,745\,\alpha^{16}}{69\,055\,021\,056} + \frac{56\,818\,312\,604\,888\,156\,792\,646\,271\,\alpha^{17}}{34\,527\,510\,528} +
$$

$$
\frac{77\,357\,012\,727\,303\,251\,245\,363\,\alpha^{18}}{308\,281\,344} + \frac{11\,668\,959\,386\,477\,675\,026\,105\,\alpha^{19}}{359\,661\,568} +
$$

$$\frac{237\,590\,743\,539\,978\,740\,959\,\alpha^{20}}{67\,436\,544} + \frac{509\,187\,873\,065\,043\,581\,\alpha^{21}}{1\,605\,632} + \frac{16\,320\,343\,684\,018\,743\,\alpha^{22}}{702\,464} +$$

$$\frac{1\,422\,245\,199\,841\,003\,\alpha^{23}}{1\,053\,696} + \frac{93\,793\,644\,143\,\alpha^{24}}{1568} + \frac{638\,138\,003\,\alpha^{25}}{336} + \frac{115\,400\,\alpha^{26}}{3} + \frac{1120\,\alpha^{27}}{3}\Bigg)$$

$$\mathrm{Seq}[5+\alpha] + \Bigg(\frac{785\,341\,830\,999\,948\,217\,875}{702\,464} + \frac{51\,486\,324\,798\,788\,205\,041\,925\,\alpha}{5\,619\,712} +$$

$$\frac{3\,225\,027\,121\,699\,280\,931\,891\,765\,\alpha^2}{89\,915\,392} + \frac{32\,123\,559\,509\,852\,979\,601\,399\,455\,\alpha^3}{359\,661\,568} +$$

$$\frac{114\,310\,948\,559\,286\,846\,963\,490\,857\,\alpha^4}{719\,323\,136} + \frac{309\,507\,129\,617\,708\,730\,209\,089\,185\,\alpha^5}{1\,438\,646\,272} +$$

$$\frac{663\,013\,045\,370\,981\,288\,961\,028\,341\,\alpha^6}{2\,877\,292\,544} + \frac{1\,153\,514\,151\,621\,108\,277\,195\,532\,787\,\alpha^7}{5\,754\,585\,088} +$$

$$\frac{1\,660\,305\,700\,739\,472\,910\,780\,103\,631\,\alpha^8}{11\,509\,170\,176} + \frac{2\,003\,625\,816\,322\,075\,651\,412\,187\,699\,\alpha^9}{23\,018\,340\,352} +$$

$$\frac{2\,047\,134\,304\,101\,269\,446\,240\,428\,109\,\alpha^{10}}{46\,036\,680\,704} + \frac{891\,696\,839\,884\,154\,921\,234\,208\,665\,\alpha^{11}}{46\,036\,680\,704} +$$

$$\frac{332\,817\,237\,515\,941\,370\,381\,552\,171\,\alpha^{12}}{46\,036\,680\,704} + \frac{106\,779\,127\,285\,418\,758\,855\,705\,263\,\alpha^{13}}{46\,036\,680\,704} +$$

$$\frac{29\,495\,048\,698\,276\,929\,257\,157\,175\,\alpha^{14}}{46\,036\,680\,704} + \frac{7\,015\,213\,927\,487\,117\,733\,632\,683\,\alpha^{15}}{46\,036\,680\,704} +$$

$$\frac{1\,434\,713\,394\,049\,843\,466\,425\,409\,\alpha^{16}}{46\,036\,680\,704} + \frac{35\,937\,079\,012\,043\,616\,892\,813\,\alpha^{17}}{6\,576\,668\,672} +$$

$$\frac{9\,409\,230\,504\,177\,818\,313\,585\,\alpha^{18}}{11\,509\,170\,176} + \frac{1\,193\,017\,768\,598\,578\,183\,589\,\alpha^{19}}{11\,509\,170\,176} +$$

$$\frac{3\,967\,914\,975\,639\,479\,329\,\alpha^{20}}{359\,661\,568} + \frac{87\,464\,276\,448\,348\,855\,\alpha^{21}}{89\,915\,392} + \frac{392\,080\,160\,267\,685\,\alpha^{22}}{5\,619\,712} +$$

$$\frac{6\,368\,124\,341\,793\,\alpha^{23}}{1\,605\,632} + \frac{15\,093\,086\,207\,\alpha^{24}}{87\,808} + \frac{133\,821\,991\,\alpha^{25}}{25\,088} + \frac{2955\,\alpha^{26}}{28} + \alpha^{27}\Bigg)\,\mathrm{Seq}[6+\alpha]$$

In[ ]:= **SeqGuess1 = SeqGuess * 46 036 680 704 * 3;**
RECGuess = ToOrePolynomial[{ReplaceAll[SeqGuess1, Seq[n_] :> S[α]^(n-α)]}]

Out[ ]= $\Big\{\Big(154\,404\,486\,709\,237\,819\,219\,968\,000 + 1\,265\,327\,918\,255\,018\,927\,110\,348\,800\,\alpha +$

$4\,953\,641\,658\,930\,095\,511\,385\,751\,040\,\alpha^2 + 12\,335\,446\,851\,783\,544\,166\,937\,390\,720\,\alpha^3 +$

$21\,947\,702\,123\,383\,074\,616\,990\,244\,544\,\alpha^4 + 29\,712\,684\,443\,300\,038\,100\,072\,561\,760\,\alpha^5 +$

$31\,824\,626\,177\,807\,101\,870\,129\,360\,368\,\alpha^6 + 27\,684\,339\,638\,906\,598\,652\,692\,786\,888\,\alpha^7 +$

$19\,923\,668\,408\,873\,674\,929\,361\,243\,572\,\alpha^8 + 12\,021\,754\,897\,932\,453\,908\,473\,126\,194\,\alpha^9 +$

$6\,141\,402\,912\,303\,808\,338\,721\,284\,327\,\alpha^{10} + 2\,675\,090\,519\,652\,464\,763\,702\,625\,995\,\alpha^{11} +$

$998\,451\,712\,547\,824\,111\,144\,656\,513\,\alpha^{12} + 320\,337\,381\,856\,256\,276\,567\,115\,789\,\alpha^{13} +$

$88\,485\,146\,094\,830\,787\,771\,471\,525\,\alpha^{14} + 21\,045\,641\,782\,461\,353\,200\,898\,049\,\alpha^{15} +$

$4\,304\,140\,182\,149\,530\,399\,276\,227\,\alpha^{16} + 754\,678\,659\,252\,915\,954\,749\,073\,\alpha^{17} +$

$112\,910\,766\,050\,133\,819\,763\,020\,\alpha^{18} + 14\,316\,213\,223\,182\,938\,203\,068\,\alpha^{19} +$

$1\,523\,679\,350\,645\,560\,062\,336\,\alpha^{20} + 134\,345\,128\,624\,663\,841\,280\,\alpha^{21} +$

$9\,635\,762\,018\,738\,626\,560\,\alpha^{22} + 547\,760\,583\,383\,666\,688\,\alpha^{23} + 23\,739\,371\,943\,886\,848\,\alpha^{24} +$

$736\,693\,272\,182\,784\,\alpha^{25} + 14\,575\,541\,944\,320\,\alpha^{26} + 138\,110\,042\,112\,\alpha^{27}\Big)\,S_{\alpha}^6 +$

$\Big(36\,446\,102\,109\,669\,030\,849\,285\,120\,000 + 301\,794\,930\,778\,773\,719\,063\,321\,856\,000\,\alpha +$

$1\,194\,401\,836\,156\,084\,887\,609\,064\,224\,000\,\alpha^2 + 3\,008\,156\,975\,709\,477\,795\,289\,491\,275\,520\,\alpha^3 +$

$5\,415\,770\,546\,395\,539\,670\,222\,530\,489\,360\,\alpha^4 + 7\,422\,453\,554\,874\,065\,600\,190\,474\,289\,032\,\alpha^5 +$
$8\,052\,206\,383\,842\,449\,223\,124\,682\,104\,644\,\alpha^6 + 7\,098\,162\,826\,794\,167\,361\,280\,152\,144\,294\,\alpha^7 +$
$5\,179\,144\,111\,408\,801\,590\,076\,035\,892\,950\,\alpha^8 + 3\,169\,950\,795\,733\,038\,711\,522\,140\,215\,280\,\alpha^9 +$
$1\,643\,499\,248\,947\,095\,475\,104\,215\,404\,004\,\alpha^{10} + 726\,910\,788\,718\,026\,537\,302\,273\,862\,144\,\alpha^{11} +$
$275\,635\,972\,025\,251\,416\,199\,969\,761\,656\,\alpha^{12} + 89\,889\,728\,147\,001\,421\,773\,544\,625\,132\,\alpha^{13} +$
$25\,251\,994\,806\,501\,150\,584\,061\,125\,784\,\alpha^{14} + 6\,111\,409\,098\,652\,595\,993\,659\,452\,026\,\alpha^{15} +$
$1\,272\,483\,225\,563\,071\,816\,917\,699\,490\,\alpha^{16} + 227\,273\,250\,419\,552\,627\,170\,585\,084\,\alpha^{17} +$
$34\,655\,941\,701\,831\,856\,557\,922\,624\,\alpha^{18} + 4\,480\,880\,404\,407\,427\,210\,024\,320\,\alpha^{19} +$
$486\,585\,842\,769\,876\,461\,484\,032\,\alpha^{20} + 43\,798\,304\,089\,562\,788\,663\,296\,\alpha^{21} +$
$3\,208\,710\,131\,027\,557\,023\,744\,\alpha^{22} + 186\,416\,522\,833\,559\,945\,216\,\alpha^{23} + 8\,261\,380\,192\,874\,790\,912\,\alpha^{24} +$
$262\,301\,388\,296\,421\,376\,\alpha^{25} + 5\,312\,632\,953\,241\,600\,\alpha^{26} + 51\,561\,082\,388\,480\,\alpha^{27}\Big)\,S_\alpha^5 +$

$\Big(-1\,737\,772\,868\,400\,007\,324\,872\,130\,560\,000 - 14\,528\,609\,204\,414\,291\,845\,066\,255\,564\,800\,\alpha -$
$58\,083\,087\,258\,852\,534\,411\,685\,975\,019\,520\,\alpha^2 - 147\,846\,850\,915\,658\,722\,383\,612\,355\,430\,400\,\alpha^3 -$
$269\,164\,023\,324\,400\,460\,962\,054\,275\,740\,928\,\alpha^4 - 373\,240\,816\,513\,597\,979\,905\,593\,440\,661\,888\,\alpha^5 -$
$409\,908\,879\,949\,766\,514\,326\,399\,060\,864\,064\,\alpha^6 - 366\,016\,393\,873\,249\,701\,940\,597\,734\,061\,344\,\alpha^7 -$
$270\,676\,671\,846\,416\,971\,917\,873\,052\,917\,920\,\alpha^8 - 168\,013\,318\,310\,785\,666\,403\,759\,927\,887\,584\,\alpha^9 -$
$88\,393\,926\,598\,940\,439\,065\,183\,725\,045\,600\,\alpha^{10} - 39\,697\,363\,634\,496\,672\,642\,069\,844\,386\,912\,\alpha^{11} -$
$15\,293\,672\,611\,896\,263\,618\,803\,193\,519\,136\,\alpha^{12} - 5\,070\,491\,874\,452\,377\,148\,797\,920\,831\,072\,\alpha^{13} -$
$1\,449\,002\,022\,519\,967\,409\,403\,051\,116\,512\,\alpha^{14} - 356\,957\,682\,436\,813\,381\,749\,659\,746\,304\,\alpha^{15} -$
$75\,700\,244\,148\,872\,939\,301\,421\,992\,640\,\alpha^{16} - 13\,779\,371\,789\,456\,905\,170\,877\,563\,840\,\alpha^{17} -$
$2\,142\,685\,081\,818\,193\,152\,012\,367\,872\,\alpha^{18} - 282\,685\,926\,147\,777\,894\,282\,083\,328\,\alpha^{19} -$
$31\,341\,335\,886\,140\,485\,043\,322\,880\,\alpha^{20} - 2\,881\,942\,426\,887\,984\,021\,438\,464\,\alpha^{21} -$
$215\,812\,414\,752\,103\,173\,455\,872\,\alpha^{22} - 12\,823\,036\,513\,484\,289\,343\,488\,\alpha^{23} -$
$581\,508\,878\,853\,457\,575\,936\,\alpha^{24} - 18\,903\,053\,117\,719\,314\,432\,\alpha^{25} -$
$392\,186\,219\,850\,629\,120\,\alpha^{26} - 3\,900\,964\,176\,134\,144\,\alpha^{27}\Big)\,S_\alpha^4 +$

$\Big(-36\,337\,840\,931\,616\,555\,318\,702\,833\,664\,000 - 310\,343\,693\,247\,202\,072\,877\,171\,431\,833\,600\,\alpha -$
$1\,268\,062\,726\,217\,635\,641\,408\,454\,051\,430\,400\,\alpha^2 - 3\,300\,521\,955\,790\,071\,740\,463\,976\,232\,263\,680\,\alpha^3 -$
$6\,146\,984\,578\,367\,464\,065\,862\,054\,879\,242\,240\,\alpha^4 - 8\,723\,512\,529\,514\,925\,026\,222\,139\,080\,468\,480\,\alpha^5 -$
$9\,808\,817\,646\,565\,897\,068\,529\,809\,213\,239\,808\,\alpha^6 - 8\,970\,447\,157\,798\,999\,809\,214\,350\,039\,412\,224\,\alpha^7 -$
$6\,796\,618\,106\,855\,403\,262\,931\,535\,421\,469\,184\,\alpha^8 - 4\,323\,600\,610\,674\,086\,572\,350\,145\,316\,732\,416\,\alpha^9 -$
$2\,331\,860\,127\,398\,843\,166\,087\,931\,718\,971\,904\,\alpha^{10} - 1\,073\,804\,990\,271\,736\,796\,663\,841\,511\,156\,224\,\alpha^{11} -$
$424\,279\,297\,446\,148\,516\,898\,147\,199\,947\,264\,\alpha^{12} - 144\,293\,344\,557\,135\,741\,340\,883\,292\,465\,664\,\alpha^{13} -$
$42\,304\,696\,119\,152\,808\,149\,756\,544\,291\,840\,\alpha^{14} - 10\,693\,366\,157\,119\,575\,923\,154\,101\,714\,944\,\alpha^{15} -$
$2\,327\,102\,570\,668\,214\,059\,453\,238\,664\,192\,\alpha^{16} - 434\,708\,874\,971\,795\,823\,099\,840\,116\,736\,\alpha^{17} -$
$69\,373\,988\,097\,051\,870\,247\,906\,934\,784\,\alpha^{18} - 9\,393\,304\,762\,567\,159\,143\,035\,764\,736\,\alpha^{19} -$
$1\,068\,815\,757\,774\,279\,757\,481\,902\,080\,\alpha^{20} - 100\,861\,570\,825\,855\,881\,262\,923\,776\,\alpha^{21} -$
$7\,750\,770\,733\,439\,394\,600\,976\,384\,\alpha^{22} - 472\,551\,963\,878\,997\,639\,561\,216\,\alpha^{23} -$
$21\,986\,541\,883\,647\,884\,001\,280\,\alpha^{24} - 733\,188\,729\,988\,561\,502\,208\,\alpha^{25} -$
$15\,602\,375\,112\,618\,147\,840\,\alpha^{26} - 159\,149\,910\,074\,064\,896\,\alpha^{27}\Big)\,S_\alpha^3 +$

$\Big(664\,078\,540\,666\,702\,251\,488\,371\,015\,680\,000 + 5\,805\,956\,958\,011\,506\,960\,041\,778\,348\,032\,000\,\alpha +$
$24\,298\,272\,789\,380\,152\,495\,188\,221\,126\,246\,400\,\alpha^2 + 64\,810\,405\,629\,301\,547\,428\,216\,819\,254\,558\,720\,\alpha^3 +$
$123\,755\,374\,367\,469\,269\,296\,809\,845\,353\,611\,264\,\alpha^4 +$
$180\,149\,375\,502\,996\,189\,202\,275\,648\,542\,982\,144\,\alpha^5 +$
$207\,865\,771\,244\,125\,682\,287\,781\,841\,861\,722\,112\,\alpha^6 + 195\,153\,222\,041\,523\,657\,876\,484\,723\,267\,989\,504\,\alpha^7 + 151\,846\,270\,858\,495\,120\,363\,896\,477\,860\,167\,680\,\alpha^8 +$
$99\,230\,231\,828\,276\,421\,932\,960\,434\,682\,314\,752\,\alpha^9 + 54\,993\,115\,047\,787\,497\,911\,079\,580\,675\,899\,392\,\alpha^{10} +$
$26\,028\,017\,908\,489\,825\,928\,212\,462\,245\,453\,824\,\alpha^{11} +$
$10\,572\,113\,416\,646\,586\,933\,511\,582\,698\,766\,336\,\alpha^{12} + 3\,696\,722\,231\,163\,815\,760\,173\,082\,026\,344\,448\,\alpha^{13} +$
$1\,114\,468\,173\,061\,041\,282\,670\,805\,399\,093\,248\,\alpha^{14} + 289\,688\,969\,845\,746\,113\,335\,461\,572\,931\,584\,\alpha^{15} +$
$64\,831\,091\,647\,102\,802\,811\,533\,842\,055\,168\,\alpha^{16} + 12\,454\,053\,009\,083\,005\,771\,527\,566\,163\,968\,\alpha^{17} +$
$2\,043\,760\,292\,966\,696\,499\,523\,264\,184\,320\,\alpha^{18} + 284\,532\,912\,366\,921\,324\,027\,166\,588\,928\,\alpha^{19} +$

$33\,284\,416\,956\,384\,385\,896\,458\,223\,616\,\alpha^{20} + 3\,228\,606\,478\,351\,534\,833\,828\,626\,432\,\alpha^{21} +$
$254\,974\,947\,491\,313\,890\,128\,560\,128\,\alpha^{22} + 15\,972\,126\,457\,377\,261\,067\,698\,176\,\alpha^{23} +$
$763\,333\,007\,662\,980\,725\,211\,136\,\alpha^{24} + 26\,138\,887\,552\,462\,651\,129\,856\,\alpha^{25} +$
$570\,997\,443\,951\,748\,710\,400\,\alpha^{26} + 5\,976\,795\,675\,008\,958\,464\,\alpha^{27}\Big)\,S_\alpha^2 +$

$\Big(-880\,540\,948\,213\,763\,261\,498\,004\,602\,880\,000 - 8\,086\,612\,414\,279\,581\,582\,690\,097\,299\,456\,000\,\alpha -$
$35\,535\,843\,625\,080\,580\,938\,628\,852\,403\,404\,800\,\alpha^2 - 99\,482\,199\,073\,846\,865\,130\,149\,987\,053\,731\,840\,\alpha^3 -$
$199\,278\,215\,238\,194\,877\,084\,174\,219\,759\,058\,944\,\alpha^4 -$
$304\,147\,288\,569\,704\,121\,767\,283\,668\,058\,636\,288\,\alpha^5 -$
$367\,726\,422\,460\,034\,552\,713\,877\,456\,306\,307\,072\,\alpha^6 - 361\,508\,986\,147\,801\,089\,153\,130\,211\,095\,805\,952$
$\alpha^7 - 294\,331\,319\,744\,750\,632\,422\,172\,167\,712\,997\,376\,\alpha^8 -$
$201\,108\,607\,972\,501\,732\,293\,906\,606\,562\,934\,784\,\alpha^9 - 116\,437\,788\,942\,848\,727\,536\,075\,769\,222\,856\,704$
$\alpha^{10} - 57\,524\,299\,296\,878\,619\,402\,424\,939\,339\,382\,784\,\alpha^{11} -$
$24\,367\,165\,878\,769\,872\,656\,509\,536\,747\,061\,248\,\alpha^{12} - 8\,877\,402\,295\,660\,764\,714\,512\,245\,808\,234\,496\,\alpha^{13} -$
$2\,785\,748\,984\,068\,408\,698\,625\,918\,477\,467\,648\,\alpha^{14} - 752\,972\,653\,647\,501\,430\,958\,086\,738\,673\,664\,\alpha^{15} -$
$175\,049\,743\,314\,674\,169\,771\,167\,299\,534\,848\,\alpha^{16} - 34\,895\,534\,864\,837\,208\,484\,258\,292\,957\,184\,\alpha^{17} -$
$5\,936\,277\,532\,573\,962\,980\,718\,997\,929\,984\,\alpha^{18} - 855\,818\,515\,821\,739\,179\,539\,429\,326\,848\,\alpha^{19} -$
$103\,560\,073\,600\,267\,246\,364\,541\,321\,216\,\alpha^{20} - 10\,380\,185\,487\,431\,012\,018\,005\,475\,328\,\alpha^{21} -$
$846\,180\,664\,706\,397\,472\,693\,420\,032\,\alpha^{22} - 54\,656\,640\,176\,185\,180\,963\,209\,216\,\alpha^{23} -$
$2\,690\,612\,916\,385\,314\,156\,576\,768\,\alpha^{24} - 94\,804\,345\,329\,795\,433\,758\,720\,\alpha^{25} -$
$2\,128\,785\,749\,082\,227\,343\,360\,\alpha^{26} - 22\,881\,382\,331\,785\,936\,896\,\alpha^{27}\Big)\,S_\alpha +$

$\Big(-2\,364\,822\,061\,925\,891\,270\,067\,722\,649\,600\,000 - 24\,311\,763\,241\,480\,737\,290\,507\,853\,496\,320\,000\,\alpha -$
$118\,884\,714\,388\,336\,585\,062\,289\,753\,767\,936\,000\,\alpha^2 -$
$368\,251\,136\,151\,853\,255\,846\,369\,719\,798\,988\,800\,\alpha^3 -$
$811\,793\,640\,582\,985\,414\,140\,746\,797\,028\,474\,880\,\alpha^4 - 1\,356\,499\,120\,040\,750\,577\,583\,138\,444\,526\,223\,360$
$\alpha^5 - 1\,786\,835\,040\,377\,781\,128\,110\,811\,754\,937\,712\,640\,\alpha^6 -$
$1\,904\,958\,007\,246\,824\,509\,445\,186\,467\,125\,002\,240\,\alpha^7 -$
$1\,674\,545\,402\,297\,600\,373\,785\,511\,713\,251\,000\,320\,\alpha^8 -$
$1\,230\,194\,808\,706\,317\,371\,163\,067\,050\,208\,788\,480\,\alpha^9 -$
$762\,791\,807\,513\,049\,677\,466\,384\,009\,532\,538\,880\,\alpha^{10} -$
$402\,079\,430\,499\,218\,110\,643\,393\,128\,200\,929\,280\,\alpha^{11} - 181\,085\,303\,893\,806\,582\,831\,390\,648\,576\,245\,760$
$\alpha^{12} - 69\,909\,566\,044\,762\,687\,837\,271\,137\,604\,075\,520\,\alpha^{13} -$
$23\,174\,037\,389\,797\,607\,720\,091\,614\,796\,840\,960\,\alpha^{14} - 6\,597\,237\,647\,955\,223\,324\,018\,009\,760\,071\,680\,\alpha^{15} -$
$1\,610\,851\,715\,462\,724\,269\,782\,004\,410\,613\,760\,\alpha^{16} - 336\,382\,193\,033\,012\,242\,367\,855\,858\,810\,880\,\alpha^{17} -$
$59\,795\,770\,083\,083\,316\,221\,336\,805\,703\,680\,\alpha^{18} - 8\,987\,061\,025\,545\,721\,077\,834\,511\,810\,560\,\alpha^{19} -$
$1\,131\,237\,375\,988\,193\,565\,613\,353\,861\,120\,\alpha^{20} - 117\,704\,523\,870\,056\,936\,584\,154\,972\,160\,\alpha^{21} -$
$9\,941\,030\,662\,497\,120\,749\,554\,237\,440\,\alpha^{22} - 664\,040\,244\,922\,741\,425\,721\,835\,520\,\alpha^{23} -$
$33\,746\,986\,442\,943\,554\,031\,452\,160\,\alpha^{24} - 1\,225\,566\,587\,608\,656\,091\,545\,600\,\alpha^{25} -$
$28\,320\,365\,528\,012\,449\,382\,400\,\alpha^{26} - 312\,808\,771\,118\,086\,225\,920\,\alpha^{27}\Big)\Big\}$

In[●]:= **ClearAll[Seq];**
SeqGuess = ApplyOreOperator[RECGuess[[1]], Seq[α]]

Out[●]= $\Big(-2\,364\,822\,061\,925\,891\,270\,067\,722\,649\,600\,000 -$
$24\,311\,763\,241\,480\,737\,290\,507\,853\,496\,320\,000\,\alpha - 118\,884\,714\,388\,336\,585\,062\,289\,753\,767\,936\,000\,\alpha^2 -$
$368\,251\,136\,151\,853\,255\,846\,369\,719\,798\,988\,800\,\alpha^3 -$
$811\,793\,640\,582\,985\,414\,140\,746\,797\,028\,474\,880\,\alpha^4 - 1\,356\,499\,120\,040\,750\,577\,583\,138\,444\,526\,223\,360$
$\alpha^5 - 1\,786\,835\,040\,377\,781\,128\,110\,811\,754\,937\,712\,640\,\alpha^6 -$
$1\,904\,958\,007\,246\,824\,509\,445\,186\,467\,125\,002\,240\,\alpha^7 -$
$1\,674\,545\,402\,297\,600\,373\,785\,511\,713\,251\,000\,320\,\alpha^8 -$
$1\,230\,194\,808\,706\,317\,371\,163\,067\,050\,208\,788\,480\,\alpha^9 -$
$762\,791\,807\,513\,049\,677\,466\,384\,009\,532\,538\,880\,\alpha^{10} -$
$402\,079\,430\,499\,218\,110\,643\,393\,128\,200\,929\,280\,\alpha^{11} -$

$181\,085\,303\,893\,806\,582\,831\,390\,648\,576\,245\,760\,\alpha^{12} -$

$69\,909\,566\,044\,762\,687\,837\,271\,137\,604\,075\,520\,\alpha^{13} -$

$23\,174\,037\,389\,797\,607\,720\,091\,614\,796\,840\,960\,\alpha^{14} - 6\,597\,237\,647\,955\,223\,324\,018\,009\,760\,071\,680\,\alpha^{15} -$

$1\,610\,851\,715\,462\,724\,269\,782\,004\,410\,613\,760\,\alpha^{16} - 336\,382\,193\,033\,012\,242\,367\,855\,858\,810\,880\,\alpha^{17} -$

$59\,795\,770\,083\,083\,316\,221\,336\,805\,703\,680\,\alpha^{18} - 8\,987\,061\,025\,545\,721\,077\,834\,511\,810\,560\,\alpha^{19} -$

$1\,131\,237\,375\,988\,193\,565\,613\,353\,861\,120\,\alpha^{20} - 117\,704\,523\,870\,056\,936\,584\,154\,972\,160\,\alpha^{21} -$

$9\,941\,030\,662\,497\,120\,749\,554\,237\,440\,\alpha^{22} - 664\,040\,244\,922\,741\,425\,721\,835\,520\,\alpha^{23} -$

$33\,746\,986\,442\,943\,554\,031\,452\,160\,\alpha^{24} - 1\,225\,566\,587\,608\,656\,091\,545\,600\,\alpha^{25} -$

$28\,320\,365\,528\,012\,449\,382\,400\,\alpha^{26} - 312\,808\,771\,118\,086\,225\,920\,\alpha^{27}\Big)\,\text{Seq}[\alpha]\,+$

$\Big(-880\,540\,948\,213\,763\,261\,498\,004\,602\,880\,000 - 8\,086\,612\,414\,279\,581\,582\,690\,097\,299\,456\,000\,\alpha -$

$35\,535\,843\,625\,080\,580\,938\,628\,852\,403\,404\,800\,\alpha^2 - 99\,482\,199\,073\,846\,865\,130\,149\,987\,053\,731\,840\,\alpha^3 -$

$199\,278\,215\,238\,194\,877\,084\,174\,219\,759\,058\,944\,\alpha^4 -$

$304\,147\,288\,569\,704\,121\,767\,283\,668\,058\,636\,288\,\alpha^5 -$

$367\,726\,422\,460\,034\,552\,713\,877\,456\,306\,307\,072\,\alpha^6 -$

$361\,508\,986\,147\,801\,089\,153\,130\,211\,095\,805\,952\,\alpha^7 -$

$294\,331\,319\,744\,750\,632\,422\,172\,167\,712\,997\,376\,\alpha^8 -$

$201\,108\,607\,972\,501\,732\,293\,906\,606\,562\,934\,784\,\alpha^9 -$

$116\,437\,788\,942\,848\,727\,536\,075\,769\,222\,856\,704\,\alpha^{10} -$

$57\,524\,299\,296\,878\,619\,402\,424\,939\,339\,382\,784\,\alpha^{11} -$

$24\,367\,165\,878\,769\,872\,656\,509\,536\,747\,061\,248\,\alpha^{12} - 8\,877\,402\,295\,660\,764\,714\,512\,245\,808\,234\,496\,\alpha^{13} -$

$2\,785\,748\,984\,068\,408\,698\,625\,918\,477\,467\,648\,\alpha^{14} - 752\,972\,653\,647\,501\,430\,958\,086\,738\,673\,664\,\alpha^{15} -$

$175\,049\,743\,314\,674\,169\,771\,167\,299\,534\,848\,\alpha^{16} - 34\,895\,534\,864\,837\,208\,484\,258\,292\,957\,184\,\alpha^{17} -$

$5\,936\,277\,532\,573\,962\,980\,718\,997\,929\,984\,\alpha^{18} - 855\,818\,515\,821\,739\,179\,539\,429\,326\,848\,\alpha^{19} -$

$103\,560\,073\,600\,267\,246\,364\,541\,321\,216\,\alpha^{20} - 10\,380\,185\,487\,431\,012\,018\,005\,475\,328\,\alpha^{21} -$

$846\,180\,664\,706\,397\,472\,693\,420\,032\,\alpha^{22} - 54\,656\,640\,176\,185\,180\,963\,209\,216\,\alpha^{23} -$

$2\,690\,612\,916\,385\,314\,156\,576\,768\,\alpha^{24} - 94\,804\,345\,329\,795\,433\,758\,720\,\alpha^{25} -$

$2\,128\,785\,749\,082\,227\,343\,360\,\alpha^{26} - 22\,881\,382\,331\,785\,936\,896\,\alpha^{27}\Big)\,\text{Seq}[1+\alpha]\,+$

$\Big(664\,078\,540\,666\,702\,251\,488\,371\,015\,680\,000 + 5\,805\,956\,958\,011\,506\,960\,041\,778\,348\,032\,000\,\alpha +$

$24\,298\,272\,789\,380\,152\,495\,188\,221\,126\,246\,400\,\alpha^2 + 64\,810\,405\,629\,301\,547\,428\,216\,819\,254\,558\,720\,\alpha^3 +$

$123\,755\,374\,367\,469\,269\,296\,809\,845\,353\,611\,264\,\alpha^4 +$

$180\,149\,375\,502\,996\,189\,202\,275\,648\,542\,982\,144\,\alpha^5 +$

$207\,865\,771\,244\,125\,682\,287\,781\,841\,861\,722\,112\,\alpha^6 + 195\,153\,222\,041\,523\,657\,876\,484\,723\,267\,989\,504$
$\quad\alpha^7 + 151\,846\,270\,858\,495\,120\,363\,896\,477\,860\,167\,680\,\alpha^8 +$

$99\,230\,231\,828\,276\,421\,932\,960\,434\,682\,314\,752\,\alpha^9 + 54\,993\,115\,047\,787\,497\,911\,079\,580\,675\,899\,392\,\alpha^{10} +$

$26\,028\,017\,908\,489\,825\,928\,212\,462\,245\,453\,824\,\alpha^{11} +$

$10\,572\,113\,416\,646\,586\,933\,511\,582\,698\,766\,336\,\alpha^{12} + 3\,696\,722\,231\,163\,815\,760\,173\,082\,026\,344\,448\,\alpha^{13} +$

$1\,114\,468\,173\,061\,041\,282\,670\,805\,399\,093\,248\,\alpha^{14} + 289\,688\,969\,845\,746\,113\,335\,461\,572\,931\,584\,\alpha^{15} +$

$64\,831\,091\,647\,102\,802\,811\,533\,842\,055\,168\,\alpha^{16} + 12\,454\,053\,009\,083\,005\,771\,527\,566\,163\,968\,\alpha^{17} +$

$2\,043\,760\,292\,966\,696\,499\,523\,264\,184\,320\,\alpha^{18} + 284\,532\,912\,366\,921\,324\,027\,166\,588\,928\,\alpha^{19} +$

$33\,284\,416\,956\,384\,385\,896\,458\,223\,616\,\alpha^{20} + 3\,228\,606\,478\,351\,534\,833\,828\,626\,432\,\alpha^{21} +$

$254\,974\,947\,491\,313\,890\,128\,560\,128\,\alpha^{22} + 15\,972\,126\,457\,377\,261\,067\,698\,176\,\alpha^{23} +$

$763\,333\,007\,662\,980\,725\,211\,136\,\alpha^{24} + 26\,138\,887\,552\,462\,651\,129\,856\,\alpha^{25} +$

$570\,997\,443\,951\,748\,710\,400\,\alpha^{26} + 5\,976\,795\,675\,008\,958\,464\,\alpha^{27}\Big)\,\text{Seq}[2+\alpha]\,+$

$\Big(-36\,337\,840\,931\,616\,555\,318\,702\,833\,664\,000 - 310\,343\,693\,247\,202\,072\,877\,171\,431\,833\,600\,\alpha -$

$1\,268\,062\,726\,217\,635\,641\,408\,454\,051\,430\,400\,\alpha^2 - 3\,300\,521\,955\,790\,071\,740\,463\,976\,232\,263\,680\,\alpha^3 -$

$6\,146\,984\,578\,367\,464\,065\,862\,054\,879\,242\,240\,\alpha^4 - 8\,723\,512\,529\,514\,925\,026\,222\,139\,080\,468\,480\,\alpha^5 -$

$9\,808\,817\,646\,565\,897\,068\,529\,809\,213\,239\,808\,\alpha^6 - 8\,970\,447\,157\,798\,999\,809\,214\,350\,039\,412\,224\,\alpha^7 -$

$6\,796\,618\,106\,855\,403\,262\,931\,535\,421\,469\,184\,\alpha^8 - 4\,323\,600\,610\,674\,086\,572\,350\,145\,316\,732\,416\,\alpha^9 -$

$2\,331\,860\,127\,398\,843\,166\,087\,931\,718\,971\,904\,\alpha^{10} - 1\,073\,804\,990\,271\,736\,796\,663\,841\,511\,156\,224\,\alpha^{11} -$

$424\,279\,297\,446\,148\,516\,898\,147\,199\,947\,264\,\alpha^{12} - 144\,293\,344\,557\,135\,741\,340\,883\,292\,465\,664\,\alpha^{13} -$

$42\,304\,696\,119\,152\,808\,149\,756\,544\,291\,840\,\alpha^{14} - 10\,693\,366\,157\,119\,575\,923\,154\,101\,714\,944\,\alpha^{15} -$

$2\,327\,102\,570\,668\,214\,059\,453\,238\,664\,192\,\alpha^{16} - 434\,708\,874\,971\,795\,823\,099\,840\,116\,736\,\alpha^{17} -$
$69\,373\,988\,097\,051\,870\,247\,906\,934\,784\,\alpha^{18} - 9\,393\,304\,762\,567\,159\,143\,035\,764\,736\,\alpha^{19} -$
$1\,068\,815\,757\,774\,279\,757\,481\,902\,080\,\alpha^{20} - 100\,861\,570\,825\,855\,881\,262\,923\,776\,\alpha^{21} -$
$7\,750\,770\,733\,439\,394\,600\,976\,384\,\alpha^{22} - 472\,551\,963\,878\,997\,639\,561\,216\,\alpha^{23} -$
$21\,986\,541\,883\,647\,884\,001\,280\,\alpha^{24} - 733\,188\,729\,988\,561\,502\,208\,\alpha^{25} -$
$15\,602\,375\,112\,618\,147\,840\,\alpha^{26} - 159\,149\,910\,074\,064\,896\,\alpha^{27}\big)\ \text{Seq}[3+\alpha] +$

$\big(-1\,737\,772\,868\,400\,007\,324\,872\,130\,560\,000 - 14\,528\,609\,204\,414\,291\,845\,066\,255\,564\,800\,\alpha -$
$58\,083\,087\,258\,852\,534\,411\,685\,975\,019\,520\,\alpha^{2} - 147\,846\,850\,915\,658\,722\,383\,612\,355\,430\,400\,\alpha^{3} -$
$269\,164\,023\,324\,400\,460\,962\,054\,275\,740\,928\,\alpha^{4} - 373\,240\,816\,513\,597\,979\,905\,593\,440\,661\,888\,\alpha^{5} -$
$409\,908\,879\,949\,766\,514\,326\,399\,060\,864\,064\,\alpha^{6} - 366\,016\,393\,873\,249\,701\,940\,597\,734\,061\,344\,\alpha^{7} -$
$270\,676\,671\,846\,416\,971\,917\,873\,052\,917\,920\,\alpha^{8} - 168\,013\,318\,310\,785\,666\,403\,759\,927\,887\,584\,\alpha^{9} -$
$88\,393\,926\,598\,940\,439\,065\,183\,725\,045\,600\,\alpha^{10} - 39\,697\,363\,634\,496\,672\,642\,069\,844\,386\,912\,\alpha^{11} -$
$15\,293\,672\,611\,896\,263\,618\,803\,193\,519\,136\,\alpha^{12} - 5\,070\,491\,874\,452\,377\,148\,797\,920\,831\,072\,\alpha^{13} -$
$1\,449\,002\,022\,519\,967\,409\,403\,051\,116\,512\,\alpha^{14} - 356\,957\,682\,436\,813\,381\,749\,659\,746\,304\,\alpha^{15} -$
$75\,700\,244\,148\,872\,939\,301\,421\,992\,640\,\alpha^{16} - 13\,779\,371\,789\,456\,905\,170\,877\,563\,840\,\alpha^{17} -$
$2\,142\,685\,081\,818\,193\,152\,012\,367\,872\,\alpha^{18} - 282\,685\,926\,147\,777\,894\,282\,083\,328\,\alpha^{19} -$
$31\,341\,335\,886\,140\,485\,043\,322\,880\,\alpha^{20} - 2\,881\,942\,426\,887\,984\,021\,438\,464\,\alpha^{21} -$
$215\,812\,414\,752\,103\,173\,455\,872\,\alpha^{22} - 12\,823\,036\,513\,484\,289\,343\,488\,\alpha^{23} -$
$581\,508\,878\,853\,457\,575\,936\,\alpha^{24} - 18\,903\,053\,117\,719\,314\,432\,\alpha^{25} -$
$392\,186\,219\,850\,629\,120\,\alpha^{26} - 3\,900\,964\,176\,134\,144\,\alpha^{27}\big)\ \text{Seq}[4+\alpha] +$

$\big(36\,446\,102\,109\,669\,030\,849\,285\,120\,000 + 301\,794\,930\,778\,773\,719\,063\,321\,856\,000\,\alpha +$
$1\,194\,401\,836\,156\,084\,887\,609\,064\,224\,000\,\alpha^{2} + 3\,008\,156\,975\,709\,477\,795\,289\,491\,275\,520\,\alpha^{3} +$
$5\,415\,770\,546\,395\,539\,670\,222\,530\,489\,360\,\alpha^{4} + 7\,422\,453\,554\,874\,065\,600\,190\,474\,289\,032\,\alpha^{5} +$
$8\,052\,206\,383\,842\,449\,223\,124\,682\,104\,644\,\alpha^{6} + 7\,098\,162\,826\,794\,167\,361\,280\,152\,144\,294\,\alpha^{7} +$
$5\,179\,144\,111\,408\,801\,590\,076\,035\,892\,950\,\alpha^{8} + 3\,169\,950\,795\,733\,038\,711\,522\,140\,215\,280\,\alpha^{9} +$
$1\,643\,499\,248\,947\,095\,475\,104\,215\,404\,004\,\alpha^{10} + 726\,910\,788\,718\,026\,537\,302\,273\,862\,144\,\alpha^{11} +$
$275\,635\,972\,025\,251\,416\,199\,969\,761\,656\,\alpha^{12} + 89\,889\,728\,147\,001\,421\,773\,544\,625\,132\,\alpha^{13} +$
$25\,251\,994\,806\,501\,150\,584\,061\,125\,784\,\alpha^{14} + 6\,111\,409\,098\,652\,595\,993\,659\,452\,026\,\alpha^{15} +$
$1\,272\,483\,225\,563\,071\,816\,917\,699\,490\,\alpha^{16} + 227\,273\,250\,419\,552\,627\,170\,585\,084\,\alpha^{17} +$
$34\,655\,941\,701\,831\,856\,557\,922\,624\,\alpha^{18} + 4\,480\,880\,404\,407\,427\,210\,024\,320\,\alpha^{19} +$
$486\,585\,842\,769\,876\,461\,484\,032\,\alpha^{20} + 43\,798\,304\,089\,562\,788\,663\,296\,\alpha^{21} +$
$3\,208\,710\,131\,027\,557\,023\,744\,\alpha^{22} + 186\,416\,522\,833\,559\,945\,216\,\alpha^{23} + 8\,261\,380\,192\,874\,790\,912\,\alpha^{24} +$
$262\,301\,388\,296\,421\,376\,\alpha^{25} + 5\,312\,632\,953\,241\,600\,\alpha^{26} + 51\,561\,082\,388\,480\,\alpha^{27}\big)\ \text{Seq}[5+\alpha] +$

$\big(154\,404\,486\,709\,237\,819\,219\,968\,000 + 1\,265\,327\,918\,255\,018\,927\,110\,348\,800\,\alpha +$
$4\,953\,641\,658\,930\,095\,511\,385\,751\,040\,\alpha^{2} + 12\,335\,446\,851\,783\,544\,166\,937\,390\,720\,\alpha^{3} +$
$21\,947\,702\,123\,383\,074\,616\,990\,244\,544\,\alpha^{4} + 29\,712\,684\,443\,300\,038\,100\,072\,561\,760\,\alpha^{5} +$
$31\,824\,626\,177\,807\,101\,870\,129\,360\,368\,\alpha^{6} + 27\,684\,339\,638\,906\,598\,652\,692\,786\,888\,\alpha^{7} +$
$19\,923\,668\,408\,873\,674\,929\,361\,243\,572\,\alpha^{8} + 12\,021\,754\,897\,932\,453\,908\,473\,126\,194\,\alpha^{9} +$
$6\,141\,402\,912\,303\,808\,338\,721\,284\,327\,\alpha^{10} + 2\,675\,090\,519\,652\,464\,763\,702\,625\,995\,\alpha^{11} +$
$998\,451\,712\,547\,824\,111\,144\,656\,513\,\alpha^{12} + 320\,337\,381\,856\,256\,276\,567\,115\,789\,\alpha^{13} +$
$88\,485\,146\,094\,830\,787\,771\,471\,525\,\alpha^{14} + 21\,045\,641\,782\,461\,353\,200\,898\,049\,\alpha^{15} +$
$4\,304\,140\,182\,149\,530\,399\,276\,227\,\alpha^{16} + 754\,678\,659\,252\,915\,954\,749\,073\,\alpha^{17} +$
$112\,910\,766\,050\,133\,819\,763\,020\,\alpha^{18} + 14\,316\,213\,223\,182\,938\,203\,068\,\alpha^{19} +$
$1\,523\,679\,350\,645\,560\,062\,336\,\alpha^{20} + 134\,345\,128\,624\,663\,841\,280\,\alpha^{21} +$
$9\,635\,762\,018\,738\,626\,560\,\alpha^{22} + 547\,760\,583\,383\,666\,688\,\alpha^{23} + 23\,739\,371\,943\,886\,848\,\alpha^{24} +$
$736\,693\,272\,182\,784\,\alpha^{25} + 14\,575\,541\,944\,320\,\alpha^{26} + 138\,110\,042\,112\,\alpha^{27}\big)\ \text{Seq}[6+\alpha]$

```
In[•]:= RECCompare = DFinitePlus[RECNormalized, RECGuess];
       ToOrePolynomial[RECCompare]
```

$Out[•]= \big\{\big(4\,190\,970\,226\,661\,938\,283\,327\,586\,439\,069\,102\,891\,433\,625\,504\,426\,268\,810\,080\,251\,229\,377\,168\,985\,292\,\times$
$800\,000\,000\,000 +$

58 847 922 071 535 534 391 727 519 803 111 047 320 013 518 870 044 918 732 641 860 370 911 037 851 ∖
959 296 000 000 000 α +

404 854 722 000 524 625 113 083 598 381 826 897 362 945 512 096 032 926 115 180 304 236 854 447 822 ∖
811 955 200 000 000 α^2 +

1 819 310 651 899 983 546 357 365 649 610 092 887 760 815 140 213 764 093 503 250 345 968 575 322 543 ∖
924 183 040 000 000 α^3 +

6 006 932 793 880 740 275 084 569 227 249 208 802 908 638 101 965 749 612 164 739 023 226 987 596 762 ∖
552 205 312 000 000 α^4 +

15 542 058 036 447 515 620 126 576 860 788 928 677 138 223 443 640 701 400 296 370 372 834 021 011 ∖
612 732 384 870 400 000 α^5 +

32 820 282 461 140 184 202 131 287 893 026 238 054 812 195 556 655 475 287 553 450 268 534 297 551 ∖
414 951 152 189 440 000 α^6 +

58 173 398 827 729 582 074 329 525 498 468 758 551 878 120 656 417 553 208 851 735 904 561 602 501 ∖
355 690 596 499 456 000 α^7 +

88 336 839 358 882 206 314 092 933 010 862 145 114 346 749 442 347 892 591 634 874 424 831 583 960 ∖
346 280 589 184 204 800 α^8 +

116 724 553 597 643 879 078 159 740 757 434 827 373 557 248 433 335 212 255 237 753 283 951 401 271 ∖
613 392 280 890 572 800 α^9 +

135 864 109 638 614 032 296 522 632 936 648 999 927 806 190 567 542 287 803 702 681 580 331 744 880 ∖
538 040 080 857 186 304 α^{10} +

140 687 074 787 924 230 094 056 378 297 208 918 741 991 429 091 808 376 230 683 632 232 694 065 197 ∖
657 710 683 401 738 240 α^{11} +

130 656 273 592 601 969 782 766 314 899 254 631 257 673 265 034 806 324 724 183 951 133 077 168 848 ∖
847 086 444 970 042 880 α^{12} +

109 564 631 378 441 925 056 784 895 482 015 738 937 044 050 627 808 402 100 517 184 401 751 742 451 ∖
092 410 356 473 864 704 α^{13} +

83 436 898 985 683 246 337 758 023 585 678 946 791 000 165 293 393 907 405 085 176 377 082 122 792 ∖
049 958 240 669 627 008 α^{14} +

57 985 076 698 511 052 512 900 610 390 156 260 529 849 281 565 334 534 799 408 553 943 373 143 045 ∖
060 136 321 819 912 256 α^{15} +

36 929 641 340 925 336 953 075 237 802 458 439 984 211 165 858 066 490 521 858 221 248 052 419 776 ∖
119 725 061 843 766 944 α^{16} +

21 633 410 897 377 713 531 584 181 331 802 491 380 346 436 706 273 836 328 205 665 891 998 930 951 ∖
015 315 071 728 123 600 α^{17} +

11 693 811 597 468 802 171 144 365 900 906 330 753 434 476 020 572 358 869 257 163 621 235 740 828 ∖
217 987 898 823 173 416 α^{18} +

5 849 107 857 053 302 386 525 878 543 848 663 856 689 066 045 960 674 165 764 721 026 554 248 743 543 ∖
100 584 874 763 188 α^{19} +

2 713 955 894 638 053 042 606 446 437 557 022 712 151 076 419 030 015 861 412 999 755 056 811 167 108 ∖
862 430 938 270 792 α^{20} +

1 170 707 793 051 148 605 467 742 218 929 025 009 659 641 350 775 307 252 253 781 128 230 671 162 152 ∖
137 983 889 982 445 α^{21} +

470 404 646 365 453 655 210 668 114 571 349 927 882 834 248 720 818 472 309 232 866 482 888 175 995 ∖
778 360 770 739 385 α^{22} +

176 368 834 766 438 042 638 972 952 622 279 587 302 499 764 050 348 938 319 453 832 506 218 757 391 ∖
737 789 255 909 504 α^{23} +

61 796 629 827 218 674 927 963 706 913 160 349 667 072 132 964 645 875 130 846 652 253 624 131 216 ∖
623 011 265 062 162 α^{24} +

20 262 391 146 673 052 097 423 351 950 917 857 221 897 829 007 897 013 167 569 792 328 674 254 683 ∖
102 231 552 036 353 α^{25} +

6 224 750 341 452 773 827 255 133 768 817 072 272 094 998 855 766 743 310 917 336 953 111 096 591 689 ∖

080 709 346 881 α^{26} +

1 793 573 622 459 952 623 380 048 914 274 285 414 284 237 298 052 842 744 674 564 338 102 893 884 671 ⸜
454 769 432 490 α^{27} +

485 161 872 650 900 995 169 845 258 359 660 710 777 529 060 430 949 620 115 000 253 706 428 783 153 ⸜
595 292 329 920 α^{28} +

123 303 734 973 888 769 962 212 521 820 271 701 837 127 298 288 635 713 961 922 449 169 991 996 374 ⸜
083 647 640 234 α^{29} +

29 463 964 701 719 697 570 747 929 968 846 165 087 596 515 543 908 786 614 180 596 434 642 899 065 ⸜
145 352 152 546 α^{30} +

6 623 523 626 679 176 292 555 942 275 279 088 219 946 539 120 698 781 550 480 802 100 328 295 480 958 ⸜
555 927 144 α^{31} +

1 401 471 290 009 579 732 274 839 467 071 483 792 099 248 740 284 144 789 771 118 874 695 097 010 251 ⸜
813 849 004 α^{32} +

279 221 855 252 760 121 567 608 086 097 364 466 082 632 626 740 099 883 157 770 001 958 768 989 540 ⸜
464 660 266 α^{33} +

52 398 357 766 768 398 463 854 275 607 237 806 149 558 324 590 114 787 098 666 030 274 447 220 405 ⸜
894 576 658 α^{34} +

9 263 672 080 745 621 924 538 211 297 271 312 192 560 270 371 989 169 596 511 910 725 191 338 884 332 ⸜
509 632 α^{35} +

1 543 128 065 026 375 931 782 589 376 336 299 525 626 865 871 436 245 727 500 796 109 472 465 048 726 ⸜
479 376 α^{36} +

242 210 182 789 630 940 422 956 909 254 314 262 331 979 226 658 019 943 422 987 797 096 037 054 193 ⸜
843 049 α^{37} +

35 820 781 964 247 490 628 493 251 646 258 938 251 402 613 998 759 349 149 692 044 836 698 875 104 ⸜
275 957 α^{38} +

4 990 826 920 355 939 273 221 917 723 089 919 510 603 930 513 582 900 146 679 963 989 534 607 741 261 ⸜
768 α^{39} +

654 950 576 757 483 094 538 049 570 618 447 686 639 272 563 912 210 288 831 778 009 142 290 169 546 610
α^{40} +

80 929 544 388 038 604 305 846 044 514 696 501 338 584 236 823 040 579 159 907 971 546 401 443 145 669
α^{41} +

9 412 194 683 034 409 042 004 318 890 684 885 856 824 192 417 163 174 454 892 734 472 084 401 836 709
α^{42} +

1 029 768 168 449 062 024 221 426 173 352 362 030 202 445 838 276 376 177 815 161 631 255 234 810 706
α^{43} +

105 922 137 973 569 720 320 375 215 854 615 847 984 684 090 782 591 817 548 583 263 680 729 853 720
α^{44} +

10 235 715 409 642 848 415 270 850 922 269 694 275 286 708 907 043 263 340 373 526 742 470 060 608
α^{45} +

928 468 762 765 267 178 652 384 458 976 575 642 949 171 305 390 789 427 380 738 501 147 800 272 α^{46} +

78 978 912 384 225 271 036 089 194 885 282 424 845 772 390 002 830 575 544 473 470 006 833 824 α^{47} +

6 293 111 575 793 385 217 753 645 453 388 935 793 396 412 323 190 151 222 097 929 332 225 024 α^{48} +

469 113 794 928 281 260 665 236 794 500 722 818 140 858 041 372 348 009 605 456 654 780 416 α^{49} +

32 667 997 119 676 145 224 376 489 978 491 634 625 540 828 496 864 515 056 413 372 416 000 α^{50} +

2 121 717 032 246 729 001 442 017 249 160 271 522 595 547 462 788 098 161 658 452 770 816 α^{51} +

128 282 520 267 344 480 837 544 542 899 522 134 229 160 065 738 601 905 433 061 359 616 α^{52} +

7 205 252 101 727 120 255 414 009 126 731 353 087 345 703 388 243 673 348 786 094 080 α^{53} +

375 055 292 108 171 987 218 413 622 172 468 644 286 869 102 937 552 697 723 715 584 α^{54} +

18 043 669 719 500 081 665 693 998 557 407 338 132 670 501 396 875 038 542 528 512 α^{55} +

799 812 988 454 177 711 022 627 845 078 886 739 892 090 478 048 804 580 884 480 α^{56} +

32 548 940 788 336 878 581 776 867 303 632 497 941 099 771 230 123 800 395 776 α^{57} +

1 211 103 179 221 275 601 526 701 824 834 007 552 269 734 626 401 296 842 752 α^{58} +

41 005 357 703 513 107 657 149 037 313 475 878 607 435 320 558 924 857 344 α^{59} +

1 256 244 070 924 019 417 481 535 746 714 060 516 306 001 634 732 802 048 α^{60} +

34 592 888 194 112 057 802 631 464 455 649 723 637 984 988 271 476 736 α^{61} +

849 381 156 017 236 138 927 724 094 760 771 313 679 805 244 768 256 α^{62} +

18 415 369 187 596 611 293 172 454 003 904 047 599 192 574 525 440 α^{63} +

348 293 428 881 701 344 690 591 769 794 398 328 259 679 879 168 α^{64} +

5 658 147 124 803 384 957 597 246 059 646 635 564 769 214 464 α^{65} +

77 361 613 674 729 588 394 696 247 351 761 125 739 855 872 α^{66} +

865 714 072 810 947 332 895 012 339 872 467 293 044 736 α^{67} +

7 613 757 083 242 133 339 391 191 841 933 367 443 456 α^{68} +

49 348 516 224 723 072 565 204 400 995 093 708 800 α^{69} +

209 579 125 479 059 089 455 976 930 502 246 400 α^{70} +

437 502 088 527 074 815 832 949 679 718 400 α^{71} $\big)$ S_α^{12} +

$\big(-$ 523 299 519 302 086 706 229 216 786 980 326 676 479 049 880 573 864 640 960 756 408 473 986 935 491 133 440 000 000 000 000 $-$

7 369 191 016 311 653 200 214 764 577 423 384 288 286 507 946 199 500 222 986 649 464 276 158 450 246 457 753 600 000 000 000 α $-$

50 848 217 937 110 993 194 510 133 800 206 053 142 707 670 699 122 807 394 167 339 881 791 694 618 968 915 443 712 000 000 000 α^2 $-$

229 195 707 850 766 641 274 906 622 914 092 451 630 881 410 811 748 021 545 793 380 697 596 907 980 379 986 880 102 400 000 000 α^3 $-$

759 121 063 434 046 337 943 390 996 082 012 244 680 222 705 916 058 141 561 062 448 357 576 340 235 834 335 850 004 480 000 000 α^4 $-$

1 970 431 415 121 813 861 579 212 192 259 658 366 112 905 396 524 991 035 326 275 339 105 521 538 896 909 684 957 609 984 000 000 α^5 $-$

4 174 705 372 333 245 975 585 325 408 403 706 184 890 119 081 017 254 143 482 887 318 409 204 332 607 975 296 620 416 204 800 000 α^6 $-$

7 424 636 264 334 423 318 350 129 942 606 541 391 161 636 842 713 153 394 034 215 095 984 426 528 318 977 724 022 940 794 880 000 α^7 $-$

11 313 491 394 695 711 941 022 865 450 165 756 636 845 403 063 497 240 498 693 933 544 916 305 224 726 346 264 617 133 821 952 000 α^8 $-$

15 002 312 481 355 375 699 363 758 004 253 071 229 214 684 894 271 697 185 344 842 699 321 266 664 420 978 973 941 213 502 873 600 α^9 $-$

17 525 861 758 400 304 542 977 659 370 153 875 629 552 071 441 290 607 260 167 695 861 393 280 655 253 387 493 386 827 869 184 000 α^{10} $-$

18 215 674 692 866 862 968 555 043 745 521 085 547 670 071 527 768 879 150 421 215 691 287 199 552 822 228 409 230 290 009 509 888 α^{11} $-$

16 981 492 475 901 306 179 426 434 541 984 659 448 276 909 006 061 755 568 505 426 942 110 498 176 002 533 061 532 544 025 838 592 α^{12} $-$

14 295 815 111 006 747 486 263 956 970 545 720 657 815 114 300 742 188 573 518 510 793 589 186 094 928 361 670 949 124 442 174 464 α^{13} $-$

10 930 207 278 950 249 395 074 757 851 953 195 402 561 971 170 298 644 251 758 406 088 422 406 308 285 610 473 821 036 063 709 184 α^{14} $-$

7 627 061 739 021 827 675 963 696 433 388 394 645 273 785 927 451 514 906 451 126 949 775 078 568 214 639 799 773 480 918 845 440 α^{15} $-$

4 877 826 080 752 325 426 182 658 768 514 780 207 877 664 732 452 526 918 133 094 350 487 192 000 495 272 793 546 912 078 930 944 α^{16} $-$

2 869 631 725 416 974 064 103 261 467 872 353 485 200 209 664 209 430 786 430 721 062 264 899 467 277 461 886 120 311 590 565 536 α^{17} $-$

1 557 927 667 387 074 669 452 963 766 391 872 582 782 498 126 387 747 576 597 940 797 216 106 178 022

$406\,091\,072\,004\,710\,215\,072\,\alpha^{18} -$

$782\,728\,754\,874\,202\,167\,408\,998\,292\,596\,272\,982\,295\,242\,143\,681\,996\,588\,762\,626\,363\,337\,042\,298\,901\,$
$006\,035\,640\,885\,966\,774\,192\,\alpha^{19} -$

$364\,834\,315\,992\,958\,132\,879\,399\,130\,136\,624\,581\,237\,019\,115\,773\,386\,708\,427\,894\,484\,338\,911\,128\,105\,$
$631\,629\,720\,653\,460\,530\,900\,\alpha^{20} -$

$158\,107\,971\,036\,641\,110\,074\,880\,088\,174\,160\,583\,556\,581\,964\,685\,407\,609\,098\,449\,155\,068\,672\,828\,656\,$
$052\,603\,152\,583\,809\,836\,984\,\alpha^{21} -$

$63\,830\,860\,088\,676\,543\,104\,227\,415\,141\,566\,045\,398\,508\,448\,625\,646\,080\,525\,100\,465\,293\,656\,607\,366\,$
$313\,263\,342\,912\,617\,432\,296\,\alpha^{22} -$

$24\,047\,869\,646\,678\,292\,383\,357\,236\,139\,299\,914\,256\,624\,503\,853\,584\,805\,622\,687\,393\,013\,218\,909\,472\,$
$232\,790\,874\,398\,876\,360\,960\,\alpha^{23} -$

$8\,467\,543\,101\,543\,435\,565\,760\,651\,112\,285\,934\,356\,619\,438\,006\,644\,449\,616\,204\,129\,825\,819\,025\,886\,142\,$
$121\,723\,059\,261\,707\,076\,\alpha^{24} -$

$2\,790\,382\,476\,035\,578\,703\,535\,366\,888\,455\,193\,299\,680\,047\,131\,913\,857\,784\,493\,474\,947\,741\,861\,663\,909\,$
$763\,929\,916\,387\,864\,760\,\alpha^{25} -$

$861\,625\,046\,332\,441\,383\,817\,213\,868\,337\,079\,266\,895\,494\,323\,143\,644\,015\,578\,075\,226\,832\,774\,099\,534\,$
$811\,049\,447\,447\,075\,920\,\alpha^{26} -$

$249\,564\,156\,766\,720\,213\,198\,198\,527\,870\,345\,531\,388\,077\,126\,214\,407\,544\,574\,062\,951\,688\,989\,122\,467\,$
$325\,569\,259\,635\,240\,384\,\alpha^{27} -$

$67\,867\,203\,252\,135\,488\,640\,137\,842\,261\,735\,154\,895\,413\,540\,329\,082\,585\,511\,454\,110\,590\,188\,980\,429\,$
$662\,465\,048\,995\,205\,352\,\alpha^{28} -$

$17\,342\,186\,162\,283\,431\,771\,520\,582\,942\,887\,503\,304\,656\,859\,599\,334\,234\,814\,128\,020\,797\,797\,594\,737\,$
$586\,872\,237\,444\,310\,000\,\alpha^{29} -$

$4\,166\,942\,762\,408\,180\,551\,019\,356\,360\,236\,615\,147\,165\,187\,333\,879\,842\,765\,632\,600\,473\,709\,925\,057\,142\,$
$328\,943\,027\,148\,336\,\alpha^{30} -$

$942\,017\,502\,379\,836\,366\,392\,139\,137\,952\,392\,658\,327\,337\,705\,249\,938\,189\,616\,488\,849\,079\,418\,344\,288\,$
$928\,080\,857\,313\,088\,\alpha^{31} -$

$200\,466\,957\,350\,811\,172\,533\,441\,321\,915\,097\,099\,339\,188\,968\,068\,276\,490\,655\,056\,824\,373\,000\,257\,626\,$
$804\,045\,257\,186\,024\,\alpha^{32} -$

$40\,173\,741\,201\,579\,123\,243\,637\,168\,175\,026\,453\,962\,155\,953\,976\,141\,891\,617\,436\,020\,863\,383\,234\,598\,$
$705\,328\,647\,334\,992\,\alpha^{33} -$

$7\,583\,868\,140\,928\,794\,114\,161\,620\,567\,839\,931\,468\,488\,527\,073\,897\,818\,068\,521\,196\,474\,802\,388\,034\,203\,$
$266\,869\,225\,888\,\alpha^{34} -$

$1\,348\,909\,590\,220\,941\,508\,206\,178\,387\,108\,951\,811\,441\,165\,131\,470\,268\,300\,898\,635\,006\,293\,548\,124\,155\,$
$715\,469\,851\,504\,\alpha^{35} -$

$226\,086\,664\,022\,487\,246\,419\,852\,600\,082\,380\,540\,613\,940\,098\,160\,393\,725\,938\,213\,278\,158\,989\,821\,491\,$
$515\,161\,318\,980\,\alpha^{36} -$

$35\,709\,667\,770\,270\,683\,473\,459\,080\,644\,641\,623\,098\,165\,370\,872\,274\,375\,175\,474\,791\,140\,672\,165\,056\,$
$129\,619\,325\,528\,\alpha^{37} -$

$5\,314\,916\,382\,610\,263\,644\,922\,799\,856\,037\,498\,217\,293\,154\,172\,070\,051\,393\,440\,392\,412\,271\,890\,368\,400\,$
$218\,105\,512\,\alpha^{38} -$

$745\,332\,000\,189\,429\,125\,873\,372\,770\,485\,039\,457\,500\,911\,350\,722\,808\,030\,779\,408\,807\,583\,254\,661\,846\,$
$397\,276\,480\,\alpha^{39} -$

$98\,457\,769\,657\,045\,330\,471\,097\,260\,342\,974\,728\,814\,790\,138\,397\,246\,032\,141\,367\,137\,738\,345\,609\,935\,$
$045\,914\,068\,\alpha^{40} -$

$12\,247\,895\,917\,709\,686\,199\,582\,742\,616\,272\,224\,701\,125\,460\,799\,172\,616\,735\,867\,016\,762\,611\,030\,040\,$
$130\,041\,432\,\alpha^{41} -$

$1\,434\,192\,152\,719\,808\,038\,027\,174\,909\,003\,497\,298\,835\,042\,184\,404\,572\,037\,394\,810\,016\,561\,041\,762\,632\,$
$125\,104\,\alpha^{42} -$

$158\,003\,779\,289\,528\,371\,428\,737\,152\,407\,107\,946\,129\,220\,154\,127\,037\,103\,122\,591\,206\,258\,342\,751\,153\,$
$180\,064\,\alpha^{43} -$

16 367 269 986 516 324 833 045 708 445 132 875 595 664 681 092 641 790 194 014 597 660 106 555 624 ⸗
838 656 α^{44} −

1 593 013 784 316 451 085 160 847 062 480 833 690 901 158 617 373 753 951 116 057 086 542 421 189 186 ⸗
560 α^{45} −

145 556 357 974 092 132 918 990 723 191 940 912 990 339 693 990 565 628 632 987 398 057 399 715 700 736 ⸗
α^{46} −

12 473 511 021 314 367 143 335 973 300 148 686 943 968 055 315 425 389 921 497 617 800 595 565 756 416 ⸗
α^{47} −

1 001 401 444 516 924 723 950 679 493 792 033 719 097 842 822 949 043 462 214 919 140 412 310 421 504 ⸗
α^{48} −

75 220 832 359 706 407 910 019 319 009 237 348 164 551 456 521 464 287 268 801 033 561 178 112 000 ⸗
α^{49} −

5 279 003 158 766 647 042 133 089 981 334 068 289 159 505 107 228 523 970 923 789 982 487 281 664 α^{50} −
345 572 433 523 674 894 262 730 319 577 230 477 497 660 379 570 967 131 171 078 939 265 204 224 α^{51} −
21 061 750 224 700 616 872 541 295 159 397 848 592 348 922 356 501 820 127 333 942 332 227 584 α^{52} −
1 192 628 073 323 599 756 194 465 841 516 963 341 845 614 114 072 235 548 044 618 255 826 944 α^{53} −
62 594 177 790 067 201 932 958 397 659 650 607 954 686 551 599 269 632 147 887 308 668 928 α^{54} −
3 036 691 109 743 409 781 847 332 922 959 763 875 278 830 723 200 738 114 228 040 237 056 α^{55} −
135 755 056 010 977 389 497 640 631 705 393 883 895 580 147 566 624 614 106 557 054 976 α^{56} −
5 572 516 001 237 624 948 322 967 778 067 257 997 623 951 763 119 695 685 469 863 936 α^{57} −
209 169 321 501 700 736 623 889 730 902 982 345 954 907 109 641 228 489 081 225 216 α^{58} −
7 145 221 327 059 739 224 082 541 168 537 175 111 493 170 931 586 762 201 366 528 α^{59} −
220 883 655 123 635 384 633 862 257 640 951 248 624 593 441 851 988 122 796 032 α^{60} −
6 138 290 867 714 614 147 275 172 607 982 950 540 208 990 425 073 041 014 784 α^{61} −
152 121 756 126 405 137 703 339 400 249 671 694 919 520 822 027 616 256 000 α^{62} −
3 329 312 456 618 635 343 388 860 127 653 959 247 388 180 427 336 318 976 α^{63} −
63 571 511 194 486 796 994 653 289 772 238 795 850 055 174 972 243 968 α^{64} −
1 042 779 989 582 908 481 797 324 215 663 704 757 684 479 385 927 680 α^{65} −
14 398 047 211 288 868 046 968 690 938 025 555 608 695 727 980 544 α^{66} −
162 731 242 659 856 838 862 444 087 485 371 503 810 392 883 200 α^{67} −
1 445 682 693 811 595 342 040 188 603 853 528 428 491 833 344 α^{68} −
9 466 403 561 293 507 297 515 412 292 448 425 921 740 800 α^{69} −
40 621 473 028 005 367 582 854 504 845 248 403 865 600 α^{70} −
85 692 853 520 993 768 727 486 335 844 719 001 600 α^{71} $\Big)$ S_α^{10} +

$\Big($ 2 759 985 437 075 395 437 766 420 987 594 023 375 562 223 120 405 497 015 047 691 775 402 549 493 204 ⸗
830 178 508 800 000 000 000 +

39 017 070 717 077 028 885 921 580 071 193 186 539 057 813 870 888 304 278 996 613 545 915 254 668 ⸗
408 285 864 919 040 000 000 000 α +

270 291 593 121 940 201 558 256 989 885 065 109 695 476 557 872 389 260 768 861 694 559 119 710 297 ⸗
102 386 299 142 144 000 000 000 α^2 +

1 223 288 657 711 447 123 592 104 804 162 652 041 577 252 502 571 956 678 881 600 659 613 543 914 089 ⸗
998 844 727 761 305 600 000 000 α^3 +

4 068 581 617 287 333 690 838 844 765 818 743 980 930 987 220 361 550 178 798 130 714 732 211 894 383 ⸗
266 439 327 194 808 320 000 000 α^4 +

10 605 882 739 295 997 373 802 444 923 225 067 911 049 941 095 270 981 004 308 372 887 626 147 982 ⸗
478 601 649 454 864 924 672 000 000 α^5 +

22 568 824 774 960 767 522 293 908 136 550 614 923 898 222 193 230 955 814 132 207 692 725 035 864 ⸗
584 055 616 753 915 186 380 800 000 α^6 +

40 318 106 977 765 986 049 590 419 698 527 255 755 030 056 956 350 085 184 223 645 646 636 050 053 ⸗
323 742 518 648 931 425 976 320 000 α^7 +

61 717 420 084 554 029 575 649 269 825 002 068 291 773 368 764 106 972 877 652 424 744 356 744 657 ⸗

076 612 568 943 300 538 531 840 000 α^8 +

82 224 246 504 599 430 292 212 391 250 747 263 646 814 092 495 809 774 635 092 854 247 205 910 787 \
177 802 965 819 012 110 771 814 400 α^9 +

96 515 300 628 819 885 399 076 441 784 009 235 916 219 012 084 559 700 055 510 173 440 186 133 756 \
095 558 419 979 988 737 804 206 080 α^{10} +

100 804 919 187 424 654 890 806 388 703 980 065 577 384 170 000 962 984 608 738 678 202 208 742 611 \
950 040 698 139 829 347 868 475 392 α^{11} +

94 444 496 875 872 341 158 065 477 360 166 398 945 384 867 257 893 543 880 237 635 172 055 816 556 \
476 332 325 231 844 916 286 455 808 α^{12} +

79 913 247 751 970 119 947 237 606 208 092 570 672 715 630 212 923 018 862 023 590 940 609 365 304 \
082 592 050 126 700 567 793 762 304 α^{13} +

61 417 493 970 606 332 165 730 404 658 105 266 608 887 599 997 376 731 529 804 035 474 616 259 079 \
229 147 163 052 439 070 325 080 064 α^{14} +

43 084 357 120 682 524 638 963 382 720 630 844 780 203 712 756 201 176 771 595 934 073 378 460 197 \
633 664 125 650 589 343 873 040 384 α^{15} +

27 703 343 959 727 369 927 246 195 051 142 038 215 201 560 505 543 891 287 436 214 901 121 608 672 \
874 260 065 134 901 925 409 259 520 α^{16} +

16 387 793 204 713 571 290 810 096 722 352 481 391 311 447 669 852 632 849 080 654 812 252 626 233 \
651 302 597 208 935 936 953 909 248 α^{17} +

8 946 948 813 256 822 230 153 376 855 996 839 720 864 505 532 092 947 163 143 554 088 041 441 216 968 \
711 019 687 979 206 189 309 952 α^{18} +

4 520 820 335 135 711 674 544 368 778 317 283 671 470 910 188 091 267 050 496 698 256 973 593 727 244 \
514 222 514 758 813 342 427 136 α^{19} +

2 119 458 372 872 904 691 571 574 638 072 693 181 058 666 696 331 856 160 441 287 354 268 149 988 443 \
940 076 816 302 011 938 095 104 α^{20} +

923 955 776 392 459 117 894 838 871 163 542 569 278 693 309 570 937 289 492 837 773 699 929 566 122 \
319 981 488 040 161 102 161 920 α^{21} +

375 267 780 331 971 044 029 896 979 264 109 270 145 733 473 998 274 917 029 923 905 206 375 646 002 \
151 213 965 072 994 416 050 176 α^{22} +

142 247 713 805 144 826 236 777 732 052 763 911 644 334 784 373 887 308 230 561 768 297 438 171 373 \
035 749 794 345 926 520 561 664 α^{23} +

50 399 836 459 046 376 328 815 897 026 139 024 154 455 826 560 213 933 623 924 636 366 206 346 429 \
431 421 597 659 271 618 220 032 α^{24} +

16 714 114 205 453 810 508 146 340 568 778 560 470 769 074 064 972 386 423 492 288 038 599 241 746 \
346 366 569 014 470 670 315 520 α^{25} +

5 194 344 136 904 782 450 097 811 280 671 853 287 822 221 335 758 122 069 819 793 991 355 238 685 159 \
341 130 854 427 397 066 752 α^{26} +

1 514 370 712 096 672 873 774 999 833 049 891 132 501 635 457 476 102 215 454 727 103 418 873 830 472 \
120 525 897 155 119 435 776 α^{27} +

414 564 671 064 816 082 304 768 116 641 623 935 918 809 404 710 936 963 566 009 503 260 506 522 334 \
260 286 225 848 254 513 152 α^{28} +

106 650 580 078 871 912 651 280 743 025 331 870 766 793 229 720 299 876 566 493 071 786 447 830 519 \
475 969 435 782 187 970 560 α^{29} +

25 801 715 370 391 052 755 488 345 213 859 151 276 719 912 736 277 600 693 424 626 224 490 137 726 \
185 414 318 722 129 084 416 α^{30} +

5 873 625 182 814 031 350 528 187 953 109 307 991 529 288 944 171 026 068 044 103 180 084 388 307 753 \
453 122 072 503 001 088 α^{31} +

1 258 782 579 175 973 880 209 757 377 456 067 705 792 983 027 360 724 756 929 159 252 558 749 829 503 \
360 125 141 985 615 872 α^{32} +

254 071 076 140 774 333 471 724 651 689 020 685 135 881 463 129 495 990 134 117 858 829 359 916 532 \
543 092 527 172 386 816 α^{33} +

48 311 775 135 998 135 912 448 176 681 391 671 088 558 948 461 016 186 570 084 669 838 713 573 486 519 213 836 701 089 792 α^{34} +

8 656 422 903 491 043 430 372 875 005 404 372 696 762 051 883 867 254 846 738 124 217 495 420 910 921 027 448 442 513 408 α^{35} +

1 461 732 726 078 457 340 119 854 750 253 140 591 172 527 421 402 788 050 348 473 909 718 050 217 612 900 556 947 914 752 α^{36} +

232 626 987 494 916 180 933 570 993 489 788 694 644 570 332 263 522 070 464 313 553 161 052 595 853 798 532 024 788 992 α^{37} +

34 889 576 416 731 504 031 817 715 319 013 079 038 858 871 783 971 012 746 764 859 382 619 774 021 259 620 877 762 560 α^{38} +

4 930 801 874 940 669 241 334 392 819 012 616 291 053 640 047 844 162 991 274 238 665 107 702 961 504 508 948 594 688 α^{39} +

656 492 368 353 602 508 400 597 309 518 287 381 134 635 231 569 222 418 191 825 415 075 893 220 234 405 370 155 008 α^{40} +

82 318 277 745 908 411 759 560 686 391 461 626 280 502 551 020 189 813 067 720 568 313 638 997 866 349 766 234 112 α^{41} +

9 717 179 685 260 511 763 694 906 883 136 624 360 431 675 304 327 231 594 579 092 609 054 010 685 859 577 942 016 α^{42} +

1 079 297 739 377 891 514 241 532 892 970 258 639 414 470 395 351 397 362 236 659 745 107 860 363 029 320 441 856 α^{43} +

112 728 446 056 403 693 251 787 019 903 592 238 473 662 301 536 108 617 305 855 634 529 250 648 109 992 247 296 α^{44} +

11 063 757 324 406 891 067 032 300 844 656 390 181 744 933 790 293 366 271 665 126 212 676 085 634 854 813 696 α^{45} +

1 019 488 268 853 331 986 054 969 175 662 385 059 780 685 775 220 080 626 204 272 725 176 910 071 488 053 248 α^{46} +

88 114 944 273 107 981 951 726 305 283 553 182 134 449 105 046 419 968 466 057 665 320 159 697 652 678 656 α^{47} +

7 135 435 196 040 049 451 998 921 645 231 139 277 908 191 753 450 576 119 768 565 527 649 439 197 429 760 α^{48} +

540 683 480 156 921 398 973 293 632 341 435 469 358 812 053 179 147 157 137 673 555 588 511 034 245 120 α^{49} +

38 281 648 090 816 191 272 763 739 459 873 981 237 979 836 879 687 495 749 278 115 041 187 446 390 784 α^{50} +

2 528 437 708 298 891 321 895 684 049 401 865 929 243 448 871 770 274 827 469 407 549 860 190 617 600 α^{51} +

155 497 172 373 103 757 359 740 716 769 502 222 972 195 447 429 092 841 526 966 124 045 297 254 400 α^{52} +

8 885 625 729 519 683 048 920 077 237 823 633 199 414 384 384 119 161 654 800 782 270 723 522 560 α^{53} +

470 664 688 331 775 307 010 612 659 273 160 224 740 818 036 581 491 842 806 116 097 902 772 224 α^{54} +

23 046 892 108 712 279 941 724 322 941 383 259 307 996 783 697 242 093 411 135 279 687 794 688 α^{55} +

1 040 017 995 610 090 957 265 921 263 585 527 859 045 460 716 780 125 350 533 285 709 611 008 α^{56} +

43 097 084 480 400 785 739 521 219 589 021 501 309 380 953 806 828 205 590 866 181 488 640 α^{57} +

1 633 219 372 802 997 245 510 403 081 647 971 244 632 167 562 098 489 255 544 821 383 168 α^{58} +

56 331 332 425 216 639 789 681 273 549 066 315 609 294 062 079 624 284 250 524 614 656 α^{59} +

1 758 422 107 513 190 441 006 074 724 592 150 887 824 781 459 777 881 056 758 202 368 α^{60} +

49 347 961 312 089 083 081 051 983 193 061 383 453 718 024 824 907 815 660 290 048 α^{61} +

1 235 127 555 213 313 637 533 035 109 716 838 951 884 096 400 931 550 436 261 888 α^{62} +

27 302 966 477 349 713 876 782 927 507 868 696 472 452 691 360 159 325 224 960 α^{63} +

526 608 920 624 766 100 420 988 456 718 223 069 181 303 626 535 589 117 952 α^{64} +

8 726 174 013 263 081 295 444 656 973 268 134 414 227 449 469 745 496 064 α^{65} +

$121\,723\,627\,042\,311\,333\,625\,915\,640\,706\,483\,348\,374\,681\,533\,735\,239\,680\,\alpha^{66} +$

$1\,390\,005\,231\,071\,198\,173\,758\,839\,896\,028\,717\,629\,633\,841\,067\,982\,848\,\alpha^{67} +$

$12\,477\,461\,582\,766\,463\,782\,213\,588\,389\,358\,240\,759\,065\,994\,067\,968\,\alpha^{68} +$

$82\,561\,782\,494\,361\,680\,529\,528\,128\,983\,332\,001\,991\,884\,800\,000\,\alpha^{69} +$

$358\,032\,924\,776\,885\,584\,551\,429\,251\,237\,797\,971\,571\,507\,200\,\alpha^{70} +$

$763\,338\,299\,988\,791\,317\,097\,389\,707\,961\,497\,236\,275\,200\,\alpha^{71}\Big)\,S_\alpha^8 +$

$\Big(- 2\,994\,937\,256\,864\,974\,386\,997\,995\,224\,423\,393\,946\,278\,934\,539\,135\,501\,288\,983\,959\,701\,014\,503\,824\,052\,$
$970\,909\,492\,838\,400\,000\,000\,000 -$

$42\,594\,368\,557\,750\,753\,309\,722\,464\,563\,333\,726\,090\,135\,406\,813\,539\,688\,263\,727\,435\,093\,890\,746\,998\,$
$571\,762\,968\,344\,657\,920\,000\,000\,000\,\alpha -$

$296\,896\,369\,181\,742\,519\,778\,079\,000\,580\,913\,922\,238\,176\,867\,448\,176\,462\,535\,049\,258\,778\,488\,639\,245\,$
$592\,833\,372\,249\,391\,104\,000\,000\,000\,\alpha^2 -$

$1\,352\,178\,018\,527\,161\,113\,454\,443\,334\,389\,026\,669\,311\,772\,407\,184\,482\,911\,476\,600\,727\,960\,423\,070\,707\,$
$612\,211\,617\,963\,442\,176\,000\,000\,000\,\alpha^3 -$

$4\,526\,241\,931\,732\,924\,622\,033\,144\,547\,452\,331\,557\,750\,510\,615\,962\,224\,735\,913\,423\,014\,313\,370\,210\,676\,$
$664\,889\,535\,301\,618\,237\,440\,000\,000\,\alpha^4 -$

$11\,876\,488\,578\,169\,672\,261\,477\,460\,588\,445\,822\,745\,709\,295\,281\,379\,295\,481\,155\,196\,148\,342\,775\,768\,$
$695\,010\,153\,120\,603\,740\,045\,312\,000\,000\,\alpha^5 -$

$25\,442\,091\,626\,016\,228\,524\,741\,493\,962\,741\,512\,384\,996\,847\,234\,537\,710\,705\,354\,953\,137\,149\,500\,758\,$
$823\,127\,091\,241\,157\,294\,188\,134\,400\,000\,\alpha^6 -$

$45\,761\,702\,763\,433\,415\,978\,291\,967\,660\,994\,242\,828\,762\,715\,017\,902\,098\,266\,885\,054\,152\,053\,671\,314\,$
$737\,706\,618\,163\,261\,188\,100\,587\,520\,000\,\alpha^7 -$

$70\,537\,962\,693\,083\,521\,046\,960\,211\,031\,369\,546\,655\,284\,122\,320\,856\,971\,264\,899\,502\,057\,071\,787\,654\,$
$428\,058\,008\,232\,543\,025\,478\,238\,208\,000\,\alpha^8 -$

$94\,641\,682\,480\,552\,754\,568\,136\,022\,600\,133\,141\,934\,431\,404\,371\,090\,790\,378\,744\,861\,332\,543\,814\,611\,$
$448\,149\,401\,667\,717\,081\,975\,907\,942\,400\,\alpha^9 -$

$111\,892\,185\,854\,780\,710\,924\,748\,399\,286\,340\,022\,950\,172\,843\,584\,631\,469\,749\,429\,163\,226\,790\,334\,963\,$
$314\,102\,062\,224\,824\,099\,455\,484\,559\,360\,\alpha^{10} -$

$117\,722\,456\,883\,538\,076\,600\,345\,614\,861\,302\,468\,775\,945\,172\,615\,594\,265\,633\,567\,122\,484\,411\,704\,661\,$
$308\,572\,749\,732\,369\,569\,890\,047\,098\,880\,\alpha^{11} -$

$111\,117\,001\,221\,134\,081\,005\,604\,602\,883\,226\,125\,661\,605\,053\,190\,235\,487\,086\,707\,661\,773\,408\,414\,898\,$
$208\,877\,979\,066\,080\,049\,042\,743\,623\,680\,\alpha^{12} -$

$94\,732\,815\,099\,493\,119\,614\,366\,352\,140\,292\,796\,790\,586\,146\,328\,893\,321\,298\,022\,483\,187\,184\,770\,372\,$
$212\,783\,669\,480\,977\,482\,410\,622\,976\,000\,\alpha^{13} -$

$73\,367\,271\,186\,531\,948\,395\,329\,213\,172\,341\,832\,928\,804\,962\,758\,568\,037\,883\,220\,718\,799\,411\,135\,075\,$
$123\,253\,465\,501\,384\,500\,892\,707\,848\,192\,\alpha^{14} -$

$51\,869\,080\,955\,661\,640\,089\,464\,567\,009\,116\,401\,744\,973\,599\,160\,418\,667\,864\,649\,969\,945\,124\,458\,288\,$
$980\,936\,682\,917\,474\,412\,120\,567\,185\,408\,\alpha^{15} -$

$33\,616\,234\,631\,531\,255\,539\,800\,623\,202\,461\,460\,899\,279\,819\,392\,314\,470\,638\,394\,966\,749\,442\,213\,726\,$
$784\,697\,914\,860\,672\,805\,366\,034\,071\,552\,\alpha^{16} -$

$20\,045\,355\,665\,760\,405\,420\,606\,897\,789\,107\,498\,115\,205\,013\,034\,774\,994\,148\,113\,531\,881\,263\,671\,401\,$
$644\,304\,830\,066\,367\,015\,215\,529\,197\,568\,\alpha^{17} -$

$11\,032\,967\,478\,426\,135\,175\,708\,190\,882\,211\,538\,826\,922\,377\,819\,918\,329\,983\,363\,986\,404\,640\,197\,049\,$
$675\,334\,021\,755\,453\,417\,744\,379\,150\,336\,\alpha^{18} -$

$5\,620\,896\,359\,438\,093\,013\,568\,628\,962\,175\,874\,471\,931\,740\,505\,986\,551\,324\,450\,079\,756\,886\,773\,043\,438\,$
$179\,246\,162\,232\,272\,627\,807\,289\,344\,\alpha^{19} -$

$2\,657\,236\,299\,419\,244\,127\,635\,496\,762\,582\,986\,787\,891\,100\,856\,783\,679\,244\,990\,143\,578\,888\,639\,002\,070\,$
$754\,571\,605\,767\,280\,538\,983\,071\,744\,\alpha^{20} -$

$1\,168\,203\,712\,474\,826\,918\,328\,011\,783\,612\,825\,617\,062\,036\,308\,594\,153\,962\,346\,683\,019\,792\,775\,631\,192\,$
$905\,886\,362\,709\,102\,690\,404\,139\,008\,\alpha^{21} -$

$478\,536\,506\,864\,516\,927\,843\,031\,886\,962\,281\,710\,705\,361\,746\,502\,917\,197\,390\,977\,346\,680\,455\,963\,055\,$

243 996 415 054 022 882 777 366 528 α^{22} −

182 965 369 249 437 113 853 664 563 163 134 202 326 894 799 636 165 618 061 487 400 454 453 915 806
162 507 239 956 623 841 856 847 872 α^{23} −

65 395 075 059 247 496 392 481 678 705 368 589 286 802 954 123 452 473 310 680 216 524 470 562 265
117 315 986 715 068 639 660 212 224 α^{24} −

21 879 288 542 215 316 963 707 054 928 554 490 586 662 560 321 725 074 343 648 014 585 966 869 539
214 123 359 818 304 411 223 982 080 α^{25} −

6 860 490 149 588 965 114 651 959 629 383 143 141 086 343 265 127 775 023 790 403 535 107 519 033 439
211 901 646 860 297 100 591 104 α^{26} −

2 018 231 457 825 066 284 267 384 390 246 718 797 979 975 917 800 524 819 714 778 216 550 767 941 100
762 563 598 559 887 435 497 472 α^{27} −

557 550 495 956 654 858 848 298 812 688 061 528 994 625 141 648 244 366 437 479 608 170 047 305 972
294 395 983 059 321 467 961 344 α^{28} −

144 759 187 816 891 373 014 424 797 126 052 128 031 738 824 624 454 547 093 983 319 318 185 798 667
834 029 782 167 670 064 414 720 α^{29} −

35 347 555 112 822 043 799 468 313 412 086 783 917 172 313 863 631 742 753 414 780 994 797 028 930
582 969 155 638 717 462 347 776 α^{30} −

8 122 333 653 822 027 653 844 560 264 479 872 966 987 757 637 075 874 581 031 934 820 629 638 515 303
658 738 244 229 639 700 480 α^{31} −

1 757 211 534 387 227 313 396 525 469 293 732 019 861 339 040 070 129 517 120 142 408 746 260 603 932
231 521 861 023 455 772 672 α^{32} −

358 064 454 337 600 954 671 125 605 736 142 311 696 971 024 167 657 722 036 369 482 169 873 219 124
096 661 327 234 798 190 592 α^{33} −

68 742 381 874 215 763 758 710 783 264 498 480 169 748 432 928 995 547 121 404 540 494 413 999 793
481 150 751 642 076 839 936 α^{34} −

12 436 769 140 822 364 164 256 497 345 892 012 811 736 579 376 832 555 973 397 406 284 750 446 534
969 104 003 412 296 990 720 α^{35} −

2 120 633 010 973 008 040 951 751 442 648 714 632 653 866 097 769 714 770 920 391 900 702 498 371 150
892 045 960 405 057 536 α^{36} −

340 812 861 525 668 762 561 068 643 778 068 551 992 686 050 414 564 738 462 348 644 206 763 106 307
487 832 101 946 392 576 α^{37} −

51 622 468 943 647 083 791 182 900 034 756 216 089 850 781 937 126 383 484 101 552 437 231 579 510
669 615 254 154 772 480 α^{38} −

7 368 441 731 123 465 734 455 600 370 850 725 546 665 017 279 427 106 380 801 123 308 972 868 769 369
570 404 953 751 552 α^{39} −

990 899 481 355 921 216 367 564 507 714 305 189 397 953 105 171 446 016 619 318 165 095 357 438 333
904 688 180 625 408 α^{40} −

125 505 790 057 897 652 434 017 039 422 067 340 865 800 359 687 441 806 530 700 383 468 204 589 884
369 814 195 011 584 α^{41} −

14 965 801 780 111 392 554 294 511 709 111 074 741 078 885 278 332 671 244 410 976 189 716 518 738
184 465 343 840 256 α^{42} −

1 679 256 131 303 193 048 725 900 263 680 236 145 757 732 569 200 576 173 137 294 351 321 283 492 127
225 883 394 048 α^{43} −

177 193 470 127 597 014 211 436 495 440 661 891 206 976 487 491 269 678 284 369 679 368 330 300 641
470 402 527 232 α^{44} −

17 570 207 638 490 052 606 463 954 177 578 386 468 437 072 269 582 224 286 800 049 795 185 226 351
949 712 982 016 α^{45} −

1 635 825 707 746 116 368 572 938 598 787 957 152 813 702 116 411 414 388 492 653 184 526 555 371 063
803 379 712 α^{46} −

142 857 924 414 722 346 891 409 213 668 190 960 039 714 233 841 354 806 823 311 498 900 306 857 430
307 831 808 α^{47} −

11 689 436 212 701 386 910 330 797 201 089 775 977 641 056 583 543 625 360 401 968 090 357 302 219 ⁚
132 370 944 α^{48} −

895 059 361 477 903 488 004 913 244 051 307 102 193 756 664 549 581 640 837 734 775 769 674 921 164 ⁚
144 640 α^{49} −

64 039 989 304 600 216 726 020 374 239 727 790 036 264 439 780 317 097 149 792 356 763 492 793 832 ⁚
177 664 α^{50} −

4 274 447 183 843 654 694 844 321 292 134 748 586 841 682 874 742 563 538 368 196 943 768 501 857 812 ⁚
480 α^{51} −

265 663 197 192 036 782 905 762 711 699 428 952 279 311 818 543 407 341 704 227 154 311 441 733 910 528
α^{52} −

15 342 325 496 677 083 753 806 537 380 148 165 969 478 774 106 427 393 503 241 768 339 933 944 086 528
α^{53} −

821 336 439 637 945 118 754 722 429 915 226 193 333 575 552 898 348 759 517 343 863 445 003 436 032
α^{54} −

40 647 993 687 569 796 742 149 928 455 493 343 327 371 870 917 430 237 461 170 165 339 413 020 672
α^{55} −

1 853 936 252 079 832 032 038 652 865 332 419 053 040 300 674 421 231 394 095 284 695 179 722 752 α^{56} −

77 649 366 130 146 374 871 455 575 470 213 852 819 881 268 572 652 751 549 714 488 084 135 936 α^{57} −

2 974 256 874 083 936 286 133 903 007 492 094 605 392 544 395 809 130 419 581 540 110 434 304 α^{58} −

103 689 484 854 032 146 723 615 917 339 757 903 665 267 229 312 107 770 302 541 189 873 664 α^{59} −

3 271 631 322 017 324 764 324 944 401 711 694 793 708 668 610 724 242 501 963 033 346 048 α^{60} −

92 805 076 669 119 240 468 632 925 943 400 486 659 214 537 445 047 770 974 464 770 048 α^{61} −

2 347 898 822 347 372 557 931 409 159 129 884 992 680 905 229 830 429 476 804 100 096 α^{62} −

52 462 042 860 083 145 470 395 260 442 636 557 847 131 823 822 241 700 983 603 200 α^{63} −

1 022 805 641 910 077 478 391 045 142 838 933 484 750 724 230 857 107 601 096 704 α^{64} −

17 131 645 091 461 722 769 264 636 321 610 695 813 548 403 240 626 085 167 104 α^{65} −

241 557 292 013 613 869 922 285 326 063 159 274 497 139 772 444 244 967 424 α^{66} −

2 788 242 662 534 544 836 623 247 458 888 261 406 062 237 311 408 537 600 α^{67} −

25 299 216 594 998 807 420 279 304 476 911 973 262 212 335 908 421 632 α^{68} −

169 209 003 758 736 530 901 072 041 186 923 970 407 146 140 467 200 α^{69} −

741 697 614 676 760 616 152 402 114 421 829 529 322 179 788 800 α^{70} −

1 598 363 211 802 454 956 689 545 078 412 316 387 364 044 800 α^{71}) S_α^6 +

(559 422 368 321 492 757 426 438 223 368 392 807 231 847 980 216 038 949 120 252 308 069 853 146 075 ⁚
545 373 864 938 700 800 000 000 000 +

8 038 265 220 202 124 728 719 898 625 376 987 142 398 197 312 358 651 698 308 437 579 968 148 030 160 ⁚
155 917 037 569 310 720 000 000 000 α +

56 617 235 143 876 387 274 216 329 307 554 406 137 127 798 026 880 602 414 912 524 208 330 510 206 ⁚
137 860 572 274 023 727 104 000 000 000 α^2 +

260 605 978 504 251 106 633 502 549 866 129 531 234 255 634 849 085 941 174 844 557 837 502 652 825 ⁚
867 648 311 261 129 395 404 800 000 000 α^3 +

881 790 934 784 171 273 501 264 563 474 636 982 236 884 281 608 443 552 471 745 043 750 195 104 734 ⁚
255 869 780 567 852 077 547 520 000 000 α^4 +

2 339 168 065 795 076 489 932 711 896 942 851 332 145 013 776 582 176 538 275 940 140 673 101 966 185 ⁚
735 019 917 562 512 440 033 280 000 000 α^5 +

5 066 841 633 236 413 566 228 034 016 621 411 058 865 459 602 827 650 250 362 477 521 458 320 813 856 ⁚
109 715 505 767 613 406 275 174 400 000 α^6 +

9 216 392 784 115 960 270 949 249 534 970 232 371 427 590 506 131 403 209 033 869 159 003 090 174 589 ⁚
351 557 644 109 403 247 345 664 000 000 α^7 +

14 368 671 359 083 619 925 697 403 628 592 763 034 465 892 974 237 383 171 370 979 315 484 037 545 ⁚
229 060 937 755 939 741 945 204 572 160 000 α^8 +

19 501 550 931 562 497 270 391 278 019 454 334 262 593 362 374 337 929 067 904 885 816 296 652 577 ⁚

786 663 841 023 844 839 722 507 357 388 800 α^9 +

23 325 718 714 580 548 649 240 100 353 351 530 907 889 824 347 046 295 562 832 423 707 890 874 756 ⸦ 514 127 278 574 084 174 651 587 265 822 720 α^{10} +

24 831 115 251 005 518 822 404 771 263 442 309 790 983 573 824 550 862 296 378 068 680 869 942 461 ⸦ 196 095 326 122 827 965 542 161 933 402 112 α^{11} +

23 717 537 139 412 769 375 379 150 043 842 458 095 331 081 228 882 170 605 302 094 533 991 981 701 ⸦ 945 495 350 587 497 206 302 627 694 903 296 α^{12} +

20 463 961 574 638 580 383 272 543 349 467 832 884 176 076 706 921 163 047 087 224 913 545 150 450 ⸦ 538 046 029 735 792 496 010 034 245 795 840 α^{13} +

16 041 218 117 722 724 108 458 177 700 664 862 834 696 305 243 246 020 997 212 414 683 441 942 499 ⸦ 278 449 474 662 050 504 381 767 629 144 064 α^{14} +

11 479 745 582 283 891 007 951 194 286 531 866 797 525 766 129 825 860 293 534 885 772 893 051 690 ⸦ 847 558 797 112 467 419 184 689 510 875 136 α^{15} +

7 531 856 737 729 693 061 064 349 932 425 919 445 530 300 521 094 879 842 608 246 484 485 059 333 569 ⸦ 426 359 787 661 080 907 396 396 613 632 α^{16} +

4 547 095 771 274 440 576 362 711 070 509 470 722 628 602 639 295 036 267 861 585 856 002 067 519 974 ⸦ 533 694 042 890 428 279 054 397 341 696 α^{17} +

2 534 052 759 112 754 571 851 607 960 061 616 173 663 817 924 091 645 093 752 127 693 773 826 971 407 ⸦ 158 663 761 559 892 181 139 748 552 704 α^{18} +

1 307 269 334 363 557 586 714 625 031 062 227 647 139 246 305 291 981 286 111 187 315 616 542 641 868 ⸦ 475 859 835 326 696 518 042 565 738 496 α^{19} +

625 830 393 924 975 654 548 686 306 521 544 707 637 972 077 117 796 556 591 302 959 768 125 286 382 ⸦ 699 788 316 358 826 898 850 507 128 832 α^{20} +

278 638 069 294 344 939 540 261 238 406 889 051 651 830 682 610 453 556 771 063 815 670 815 486 329 ⸦ 332 523 198 215 721 482 821 235 113 984 α^{21} +

115 600 151 630 061 392 508 590 645 332 298 538 825 114 037 604 424 343 963 068 461 739 665 424 257 ⸦ 053 874 558 734 889 046 266 532 069 376 α^{22} +

44 766 941 157 092 321 971 011 302 556 258 283 343 207 749 422 805 358 929 842 123 219 048 204 477 ⸦ 988 738 273 002 173 469 364 670 431 232 α^{23} +

16 206 909 380 798 228 755 179 176 840 571 064 211 374 254 306 050 450 878 347 059 459 619 990 458 ⸦ 725 401 120 957 394 512 584 980 299 776 α^{24} +

5 492 551 910 064 438 105 732 159 017 280 628 475 884 531 027 801 625 463 028 984 617 034 027 221 540 ⸦ 527 312 198 064 805 077 007 204 352 α^{25} +

1 744 612 085 977 564 069 754 688 084 301 040 005 978 379 109 254 924 815 212 602 916 256 712 767 789 ⸦ 822 269 056 647 406 702 068 498 432 α^{26} +

519 914 830 923 952 902 118 358 068 762 941 015 727 470 134 818 072 594 921 278 328 509 008 169 915 ⸦ 959 061 316 555 097 133 186 809 856 α^{27} +

145 504 199 464 792 268 566 367 057 210 470 337 534 035 393 808 022 667 272 030 289 186 192 349 756 ⸦ 044 641 292 306 867 392 536 903 680 α^{28} +

38 271 721 891 179 984 657 502 596 126 418 103 606 337 917 875 774 054 955 315 673 991 956 331 263 ⸦ 012 890 230 196 305 081 357 303 808 α^{29} +

9 467 605 530 019 321 507 564 515 957 097 846 098 035 792 892 528 695 697 811 331 115 666 041 069 036 ⸦ 914 371 802 302 629 283 889 152 α^{30} +

2 204 026 572 696 777 986 606 949 438 771 840 886 956 842 824 927 133 413 298 969 618 282 660 577 094 ⸦ 640 333 230 567 470 852 472 832 α^{31} +

483 080 576 779 582 588 679 419 858 020 450 932 385 703 310 660 140 239 754 525 043 221 850 921 693 ⸦ 128 584 669 605 432 014 143 488 α^{32} +

99 728 342 965 177 249 316 935 850 091 755 776 380 625 611 673 083 595 540 198 308 208 219 768 314 ⸦ 022 484 578 529 428 723 728 384 α^{33} +

19 397 431 712 465 669 418 786 418 342 886 116 785 165 433 357 718 572 999 486 292 444 527 387 757 ⸦ 328 580 148 111 397 806 407 680 α^{34} +

3 555 396 171 791 699 851 233 214 966 651 854 773 020 906 137 534 650 892 661 840 959 341 383 218 500 $\;$ 843 131 986 863 236 055 040 α^{35} +

614 190 900 679 368 096 014 162 033 739 791 114 241 845 354 070 225 348 066 507 076 676 461 578 251 $\;$ 336 773 968 546 288 893 952 α^{36} +

100 001 409 753 927 531 458 188 408 432 498 700 012 599 382 984 187 809 208 178 267 439 333 481 631 $\;$ 156 140 770 960 791 830 528 α^{37} +

15 345 261 499 153 225 083 076 603 222 778 532 644 115 141 974 600 624 417 066 605 594 980 126 644 $\;$ 607 436 389 493 879 341 056 α^{38} +

2 218 952 051 644 276 070 641 496 940 954 363 049 967 364 769 904 598 320 608 547 639 253 204 186 152 $\;$ 710 955 207 099 416 576 α^{39} +

302 293 142 936 421 256 211 930 962 081 580 598 439 935 156 774 788 503 842 649 834 036 560 457 925 $\;$ 149 952 073 193 750 528 α^{40} +

38 786 173 852 713 237 026 783 495 752 455 051 817 688 035 045 497 285 383 287 430 396 230 676 263 $\;$ 389 451 356 269 969 408 α^{41} +

4 685 048 699 459 645 233 962 815 688 112 177 348 227 146 520 518 759 783 450 216 105 078 429 101 412 $\;$ 822 145 289 945 088 α^{42} +

532 496 696 017 353 437 359 002 811 759 944 873 935 881 841 052 285 759 465 050 710 136 636 985 400 $\;$ 870 302 855 987 200 α^{43} +

56 913 716 663 055 615 282 051 956 700 063 410 799 358 962 079 233 837 486 146 257 548 419 328 304 $\;$ 722 209 224 523 776 α^{44} +

5 716 067 260 292 942 031 761 581 447 811 924 857 130 287 830 830 916 902 664 654 216 977 952 935 301 $\;$ 216 970 211 328 α^{45} +

539 000 530 262 085 381 062 994 184 047 952 637 615 943 089 303 133 911 157 271 277 564 352 514 122 $\;$ 924 018 368 512 α^{46} +

47 672 439 353 460 825 305 115 243 845 634 785 651 727 973 963 751 966 985 798 064 612 725 114 145 $\;$ 589 373 698 048 α^{47} +

3 950 438 419 183 292 573 017 802 242 883 828 319 571 083 228 797 377 769 650 394 779 302 016 256 695 $\;$ 980 785 664 α^{48} +

306 315 369 764 503 955 643 644 530 153 509 537 367 734 857 030 569 585 659 087 568 117 920 620 456 $\;$ 141 914 112 α^{49} +

22 192 626 217 795 351 867 003 506 495 154 248 246 836 276 513 484 633 574 347 952 974 671 073 502 $\;$ 715 445 248 α^{50} +

1 499 864 330 443 961 230 588 148 403 421 453 328 368 398 348 083 034 463 426 032 892 429 576 551 190 $\;$ 757 376 α^{51} +

94 382 375 472 147 140 197 969 576 000 618 786 894 299 852 061 717 556 760 912 739 443 804 148 686 $\;$ 913 536 α^{52} +

5 518 359 387 060 224 399 006 565 068 105 179 792 058 240 099 054 836 600 529 244 849 868 358 597 738 $\;$ 496 α^{53} +

299 067 949 531 160 245 753 284 176 231 435 540 095 765 180 849 858 744 957 061 344 585 347 105 816 576 α^{54} +

14 982 613 119 943 454 530 430 877 792 550 740 226 980 500 135 201 348 330 060 480 352 075 953 209 344 α^{55} +

691 690 156 196 569 320 646 606 645 306 372 748 553 642 562 292 026 844 440 614 312 946 996 084 736 α^{56} +

29 321 810 435 738 667 415 751 837 113 650 695 114 125 357 051 101 134 206 780 584 866 030 288 896 α^{57} +

1 136 669 517 003 671 009 202 768 646 637 123 110 432 019 651 178 653 286 612 704 862 310 236 160 α^{58} +

40 101 374 097 171 882 062 136 182 049 205 432 414 473 484 395 469 017 163 811 043 669 966 848 α^{59} +

1 280 332 527 327 157 203 213 013 191 953 798 348 646 393 725 695 640 031 541 825 435 074 560 α^{60} +

36 747 544 515 715 721 282 115 913 535 607 828 152 019 524 438 612 912 901 621 681 225 728 α^{61} +

940 584 156 852 552 419 814 751 248 168 973 980 149 789 606 562 958 069 499 749 728 256 α^{62} +

21 261 209 372 242 520 764 528 539 489 945 200 410 268 476 312 195 812 944 655 679 488 α^{63} +

419 297 691 157 897 979 138 754 421 833 677 038 499 541 581 928 049 992 603 271 168 α^{64} +

7 103 566 732 653 142 057 157 385 422 075 018 145 225 884 268 171 075 245 834 240 α^{65} +

101 299 294 200 764 219 456 800 987 569 971 309 723 511 469 579 991 122 968 576 α^{66} +

1 182 458 624 364 216 006 009 184 790 545 257 039 538 332 622 553 681 494 016 α^{67} +

10 849 039 061 470 617 155 644 530 301 047 918 678 210 684 125 368 549 376 α^{68} +

73 366 138 596 677 505 315 685 898 390 458 439 606 453 330 667 110 400 α^{69} +

325 121 555 636 022 739 377 118 529 792 893 278 614 964 299 366 400 α^{70} +

708 270 719 505 845 849 417 203 674 955 342 083 655 100 006 400 α^{71} $\big)$ S_α^4 +

$\big($ − 21 395 571 696 498 969 824 644 912 755 026 747 309 842 616 097 531 876 571 550 989 831 985 122 769
522 348 366 840 935 219 200 000 000 000 −

314 461 805 057 596 800 398 970 258 403 963 704 080 736 100 794 817 052 424 959 619 367 641 567 858
998 898 774 567 498 547 200 000 000 000 α −

2 265 780 682 301 463 443 962 434 416 966 738 749 218 824 020 575 684 710 484 948 864 602 709 353 166
776 786 336 537 710 166 016 000 000 000 α^2 −

10 669 672 771 395 473 514 484 794 213 815 070 679 905 412 683 042 372 081 642 635 663 601 616 957
771 063 898 227 615 046 880 460 800 000 000 α^3 −

36 936 499 589 103 668 504 537 347 639 043 004 552 190 286 641 551 193 115 883 982 351 646 886 293
905 796 386 747 916 620 671 221 760 000 000 α^4 −

100 251 998 612 611 854 813 618 585 423 960 260 998 732 617 317 221 811 299 848 617 271 576 966 485
499 819 447 716 055 666 137 235 456 000 000 α^5 −

222 188 258 577 640 772 354 238 434 789 619 590 458 369 533 456 998 333 860 580 347 785 297 397 844
542 390 430 764 542 832 915 198 771 200 000 α^6 −

413 523 661 134 662 519 019 982 705 001 992 371 416 048 920 981 917 261 235 125 662 679 280 735 100
199 852 363 428 071 984 640 997 457 920 000 α^7 −

659 641 754 136 046 407 002 962 315 063 507 944 997 848 381 685 280 343 947 369 770 190 249 013 193
653 765 054 436 949 760 514 071 724 032 000 α^8 −

916 015 203 833 881 715 275 001 113 569 212 312 158 589 518 926 246 054 899 023 941 877 457 984 351
299 863 107 047 363 706 163 518 924 390 400 α^9 −

1 120 970 165 304 659 831 463 399 797 590 467 506 949 527 860 276 201 444 686 566 330 774 150 284 569
745 771 985 077 446 726 522 172 153 528 320 α^{10} −

1 220 838 204 751 751 070 187 234 487 496 051 814 138 166 688 443 141 336 034 566 092 982 590 694 758
038 586 943 655 772 789 103 509 320 499 200 α^{11} −

1 192 905 064 350 316 423 975 468 151 084 552 611 308 191 618 666 643 935 656 047 923 031 196 857 308
265 675 868 847 865 408 149 616 718 774 272 α^{12} −

1 052 849 724 137 802 249 053 972 238 630 830 102 555 493 820 513 649 526 728 927 211 908 273 342 928
954 223 311 055 242 111 475 471 368 585 216 α^{13} −

844 141 170 177 749 323 861 894 644 505 774 310 121 892 427 450 071 384 397 130 073 965 208 956 399
363 464 235 798 529 726 968 711 849 443 328 α^{14} −

617 826 752 796 292 055 559 936 914 835 521 820 739 821 707 211 971 691 258 443 117 060 142 490 224
480 849 191 416 809 026 096 881 540 792 320 α^{15} −

414 518 656 856 721 912 788 685 223 205 453 321 434 938 487 365 086 146 310 926 136 950 571 192 259
057 412 308 216 005 648 981 964 707 856 384 α^{16} −

255 876 310 153 248 861 610 801 011 550 420 545 040 721 688 496 219 997 023 673 886 664 702 708 895
087 629 043 792 300 277 686 288 429 088 768 α^{17} −

145 783 266 301 021 861 148 854 014 521 382 476 897 205 606 510 470 165 107 599 674 209 023 799 511
870 498 043 393 591 716 913 247 860 817 920 α^{18} −

76 876 079 462 564 692 828 780 099 497 943 058 971 901 139 161 858 317 983 011 132 941 966 306 435
016 056 022 455 667 103 001 036 399 312 896 α^{19} −

37 614 149 199 067 866 612 619 676 906 492 934 086 972 440 693 154 405 048 816 797 753 249 298 002
684 692 372 843 932 033 512 875 692 654 592 α^{20} −

17 113 319 218 235 351 950 749 479 863 187 088 184 034 922 475 297 524 054 964 333 215 131 054 826 ∴
374 488 919 500 008 102 365 156 345 905 152 α^{21} −

7 254 021 999 140 479 360 395 420 054 762 064 412 854 071 714 005 881 900 200 835 823 698 569 541 733 ∴
973 550 823 143 774 379 888 458 334 208 α^{22} −

2 869 649 926 865 325 250 644 330 347 278 414 813 177 035 862 389 322 839 839 008 258 601 502 554 907 ∴
201 395 047 686 191 572 477 525 622 784 α^{23} −

1 061 070 480 168 005 676 005 549 411 072 555 079 175 245 203 031 336 627 935 386 053 100 248 593 194 ∴
789 881 240 973 169 089 235 241 664 512 α^{24} −

367 205 822 395 901 377 924 645 906 990 497 712 394 682 851 102 030 750 117 604 662 957 806 293 178 ∴
965 006 181 983 426 902 737 022 877 696 α^{25} −

119 080 868 359 634 640 919 482 274 155 738 681 421 872 335 348 130 737 792 064 123 490 144 950 326 ∴
483 785 263 116 979 205 034 829 938 688 α^{26} −

36 224 062 040 440 682 203 534 066 527 773 519 291 403 291 817 519 199 490 987 831 011 434 477 469 ∴
205 375 714 048 846 503 453 046 865 920 α^{27} −

10 346 043 876 523 119 601 601 634 130 210 930 358 180 950 249 232 683 669 605 155 830 727 497 614 ∴
071 060 396 862 205 451 738 063 831 040 α^{28} −

2 776 647 532 584 954 172 544 380 088 569 193 424 581 060 422 600 312 827 081 482 980 940 230 653 019 ∴
704 464 234 298 548 125 698 097 152 α^{29} −

700 705 074 934 144 057 136 204 026 158 373 078 435 739 614 466 010 270 019 135 241 420 953 561 051 ∴
905 700 972 754 321 941 104 427 008 α^{30} −

166 368 508 925 837 800 985 256 197 591 261 588 829 326 097 093 448 329 762 593 222 343 610 350 219 ∴
646 218 279 371 855 102 019 108 864 α^{31} −

37 182 492 404 496 325 000 466 481 195 516 350 774 231 630 676 572 252 655 363 897 425 096 149 044 ∴
184 706 156 524 814 677 642 838 016 α^{32} −

7 825 396 221 872 206 436 215 414 112 471 306 626 368 590 346 808 870 643 430 006 231 210 019 427 891 ∴
807 895 064 384 222 311 481 344 α^{33} −

1 551 328 833 422 554 127 201 115 948 885 673 602 935 022 285 808 736 528 200 242 281 393 316 731 882 ∴
616 896 871 022 933 642 838 016 α^{34} −

289 748 810 176 694 900 110 376 647 011 715 868 632 303 946 288 179 549 152 161 244 551 243 180 110 ∴
768 736 709 659 704 707 514 368 α^{35} −

50 993 212 038 987 855 585 143 600 667 029 640 608 263 932 605 339 529 080 760 230 122 779 238 197 ∴
730 149 416 224 470 677 323 776 α^{36} −

8 456 507 654 893 502 712 427 041 859 530 660 033 641 961 284 033 654 332 284 560 910 137 445 716 667 ∴
338 832 216 460 344 950 784 α^{37} −

1 321 402 657 047 066 879 792 582 249 683 322 325 307 254 398 790 697 022 493 247 076 963 897 167 791 ∴
905 729 368 737 821 229 056 α^{38} −

194 528 984 853 381 093 427 174 540 102 904 090 651 083 578 818 241 418 478 725 777 441 990 473 882 ∴
315 662 029 944 552 161 280 α^{39} −

26 973 631 982 087 440 613 363 997 454 922 265 383 870 255 161 979 471 823 915 131 023 645 175 825 ∴
855 751 884 594 787 385 344 α^{40} −

3 521 776 246 670 535 992 868 501 649 504 771 240 581 295 932 133 941 251 583 461 155 992 006 340 974 ∴
933 134 876 595 978 240 α^{41} −

432 784 228 019 899 900 617 872 530 695 982 415 639 828 235 562 711 574 384 191 702 778 052 499 273 ∴
689 472 381 143 220 224 α^{42} −

50 031 725 075 084 844 436 427 281 847 658 115 743 633 320 110 167 759 941 154 856 443 812 299 419 ∴
443 380 537 239 011 328 α^{43} −

5 437 703 576 058 198 575 121 185 374 463 495 854 691 470 717 556 625 983 866 379 394 433 499 090 686 ∴
086 369 779 908 608 α^{44} −

555 219 644 433 939 049 298 301 954 759 311 017 287 517 347 133 265 771 795 779 047 659 607 764 327 ∴
686 603 397 922 816 α^{45} −

53 213 849 426 195 403 625 337 225 956 779 291 155 330 348 097 762 312 814 970 454 858 297 205 153 ∴

$$627\,338\,637\,836\,288\,\alpha^{46}\,-$$

$$4\,782\,667\,537\,759\,658\,774\,924\,288\,953\,797\,664\,666\,050\,907\,740\,047\,974\,153\,004\,085\,989\,999\,735\,023\,551\,\backslash$$
$$296\,946\,831\,360\,\alpha^{47}\,-$$

$$402\,638\,335\,734\,949\,724\,361\,777\,461\,027\,344\,990\,202\,713\,970\,060\,747\,521\,089\,052\,310\,729\,885\,318\,744\,\backslash$$
$$972\,162\,236\,416\,\alpha^{48}\,-$$

$$31\,710\,690\,246\,860\,967\,830\,108\,384\,575\,420\,890\,785\,212\,572\,041\,686\,792\,750\,851\,737\,704\,699\,202\,747\,\backslash$$
$$910\,510\,870\,528\,\alpha^{49}\,-$$

$$2\,332\,991\,819\,830\,576\,752\,832\,951\,538\,143\,195\,099\,371\,481\,549\,213\,235\,227\,160\,661\,395\,752\,925\,281\,500\,\backslash$$
$$530\,737\,152\,\alpha^{50}\,-$$

$$160\,075\,604\,104\,257\,465\,463\,263\,421\,380\,721\,891\,585\,677\,184\,299\,100\,517\,159\,618\,949\,186\,184\,689\,160\,\backslash$$
$$411\,938\,816\,\alpha^{51}\,-$$

$$10\,224\,317\,872\,021\,481\,276\,373\,959\,544\,864\,772\,165\,392\,738\,648\,440\,674\,085\,053\,883\,927\,064\,720\,682\,\backslash$$
$$298\,376\,192\,\alpha^{52}\,-$$

$$606\,632\,837\,980\,737\,986\,810\,293\,409\,694\,054\,045\,205\,002\,058\,506\,861\,401\,132\,054\,515\,960\,596\,775\,902\,\backslash$$
$$904\,320\,\alpha^{53}\,-$$

$$33\,355\,019\,167\,894\,050\,573\,031\,079\,278\,022\,976\,110\,818\,424\,887\,602\,129\,287\,775\,569\,303\,082\,111\,426\,\backslash$$
$$625\,536\,\alpha^{54}\,-$$

$$1\,694\,953\,818\,616\,438\,877\,453\,024\,867\,602\,179\,274\,000\,370\,948\,713\,122\,361\,606\,953\,583\,457\,073\,723\,604\,\backslash$$
$$992\,\alpha^{55}\,-$$

$$79\,353\,342\,257\,009\,783\,068\,142\,791\,765\,573\,359\,666\,626\,341\,046\,552\,051\,757\,314\,754\,027\,845\,289\,246\,720\,\backslash$$
$$\alpha^{56}\,-$$

$$3\,410\,616\,242\,208\,808\,299\,593\,827\,763\,512\,784\,316\,079\,126\,545\,159\,468\,288\,028\,898\,137\,114\,964\,656\,128\,\backslash$$
$$\alpha^{57}\,-$$

$$134\,020\,325\,966\,190\,561\,015\,542\,396\,593\,341\,783\,127\,894\,408\,186\,789\,797\,435\,824\,403\,238\,726\,139\,904\,\backslash$$
$$\alpha^{58}\,-$$

$$4\,791\,780\,048\,247\,611\,473\,528\,819\,599\,988\,380\,504\,875\,949\,950\,329\,651\,528\,855\,694\,733\,322\,747\,904\,\alpha^{59}\,-$$

$$155\,013\,391\,774\,336\,616\,205\,796\,862\,278\,207\,672\,798\,585\,017\,847\,133\,058\,416\,161\,045\,446\,918\,144\,\alpha^{60}\,-$$

$$4\,507\,047\,530\,258\,102\,511\,161\,730\,278\,325\,140\,647\,186\,228\,118\,217\,028\,503\,404\,941\,922\,009\,088\,\alpha^{61}\,-$$

$$116\,839\,132\,204\,290\,313\,746\,829\,912\,539\,762\,225\,123\,882\,272\,128\,975\,773\,334\,962\,331\,189\,248\,\alpha^{62}\,-$$

$$2\,674\,335\,552\,008\,563\,562\,532\,423\,015\,761\,726\,879\,009\,750\,614\,073\,255\,863\,097\,720\,045\,568\,\alpha^{63}\,-$$

$$53\,394\,811\,402\,782\,389\,371\,106\,716\,077\,222\,240\,343\,729\,858\,773\,392\,512\,427\,344\,527\,360\,\alpha^{64}\,-$$

$$915\,617\,457\,312\,910\,457\,247\,589\,140\,911\,742\,206\,199\,573\,037\,575\,048\,563\,490\,029\,568\,\alpha^{65}\,-$$

$$13\,213\,515\,808\,466\,901\,504\,075\,334\,574\,501\,219\,168\,970\,775\,906\,538\,658\,415\,509\,504\,\alpha^{66}\,-$$

$$156\,058\,222\,036\,800\,561\,285\,268\,739\,116\,590\,836\,187\,146\,289\,083\,998\,588\,108\,800\,\alpha^{67}\,-$$

$$1\,448\,425\,253\,655\,913\,820\,438\,179\,098\,270\,064\,516\,735\,771\,026\,680\,262\,426\,624\,\alpha^{68}\,-$$

$$9\,906\,517\,273\,439\,073\,632\,943\,003\,602\,026\,836\,709\,603\,778\,486\,914\,252\,800\,\alpha^{69}\,-$$

$$44\,392\,445\,886\,577\,462\,947\,748\,756\,274\,495\,771\,482\,317\,615\,896\,985\,600\,\alpha^{70}\,-$$

$$97\,773\,026\,415\,808\,146\,191\,848\,122\,055\,052\,434\,634\,224\,277\,913\,600\,\alpha^{71}\Big)\,S_{\alpha}^{2}\,+$$

$$\Big(34\,144\,266\,955\,936\,391\,358\,147\,843\,276\,035\,782\,679\,868\,791\,535\,949\,997\,992\,235\,938\,216\,726\,157\,629\,061\,\backslash$$
$$933\,245\,220\,782\,080\,000\,000\,000\,000\,000\,+$$

$$553\,784\,886\,324\,149\,726\,496\,265\,355\,719\,657\,942\,688\,933\,880\,062\,345\,461\,360\,574\,792\,591\,577\,258\,775\,\backslash$$
$$280\,402\,267\,457\,454\,080\,000\,000\,000\,000\,000\,\alpha\,+$$

$$4\,387\,012\,803\,667\,442\,736\,856\,741\,118\,954\,541\,340\,268\,789\,926\,195\,057\,385\,811\,207\,388\,908\,009\,460\,129\,\backslash$$
$$317\,279\,071\,719\,548\,518\,400\,000\,000\,000\,000\,\alpha^{2}\,+$$

$$22\,633\,302\,169\,207\,906\,758\,729\,769\,614\,207\,440\,019\,970\,917\,339\,649\,543\,518\,014\,268\,964\,385\,084\,482\,\backslash$$
$$978\,018\,266\,213\,043\,320\,913\,920\,000\,000\,000\,000\,\alpha^{3}\,+$$

$$85\,552\,418\,429\,795\,074\,570\,912\,204\,697\,807\,912\,075\,833\,738\,022\,506\,963\,067\,588\,647\,832\,440\,638\,253\,\backslash$$
$$163\,691\,497\,101\,190\,416\,564\,224\,000\,000\,000\,000\,\alpha^{4}\,+$$

$$252\,723\,747\,374\,547\,462\,371\,745\,024\,250\,766\,392\,368\,759\,215\,939\,272\,101\,682\,182\,115\,531\,704\,763\,268\,\backslash$$
$$392\,152\,169\,027\,184\,240\,256\,614\,400\,000\,000\,\alpha^{5}\,+$$

$$607\,724\,937\,219\,393\,462\,523\,161\,350\,264\,771\,075\,897\,079\,915\,467\,574\,326\,180\,332\,768\,491\,897\,128\,039\,\backslash$$

934 054 713 238 289 231 254 650 880 000 000 α^6 +

1 223 580 768 370 987 563 894 093 260 460 833 739 203 437 154 201 334 275 091 272 201 284 669 656 162 348 824 187 133 254 935 834 001 408 000 000 α^7 +

2 105 495 610 281 200 050 408 024 384 988 879 562 845 079 561 721 331 516 640 551 564 762 746 529 128 090 311 044 701 278 109 965 274 316 800 000 α^8 +

3 145 444 808 723 913 766 904 909 269 920 838 373 179 223 469 011 748 898 797 626 728 608 233 602 534 767 047 174 164 462 270 535 392 296 960 000 α^9 +

4 130 238 525 004 179 487 826 231 444 809 165 879 722 156 151 914 059 546 680 227 950 055 095 074 618 069 383 579 249 197 349 120 579 207 168 000 α^{10} +

4 814 557 152 477 824 301 686 616 883 323 088 115 566 280 039 120 029 703 853 294 482 953 351 250 386 975 524 816 342 564 500 827 967 324 160 000 α^{11} +

5 023 212 132 588 908 912 289 500 233 055 536 472 633 138 824 146 168 537 953 933 739 014 953 340 444 239 203 239 614 738 079 908 744 711 372 800 α^{12} +

4 723 048 346 165 310 610 514 100 589 153 716 050 772 855 964 990 114 215 294 378 266 486 733 133 179 399 394 454 729 267 357 736 111 597 158 400 α^{13} +

4 025 271 475 284 752 619 439 731 448 628 556 392 866 732 753 304 464 621 980 751 157 745 708 786 303 236 356 287 238 070 774 504 684 204 851 200 α^{14} +

3 125 025 118 677 133 496 663 770 717 190 274 340 188 801 165 603 106 924 468 784 517 043 137 119 677 679 963 357 633 675 808 458 642 817 024 000 α^{15} +

2 219 511 179 517 889 641 661 651 881 641 775 935 045 547 286 230 837 008 383 798 583 223 636 672 869 244 009 730 448 462 750 242 456 574 361 600 α^{16} +

1 447 521 322 446 346 447 989 773 057 126 224 723 639 794 026 580 662 509 851 051 263 554 024 531 867 115 303 742 326 533 421 702 132 740 915 200 α^{17} +

869 707 520 428 226 272 868 976 443 824 145 218 050 858 606 583 524 615 149 551 625 733 877 005 151 484 749 948 403 825 513 461 803 122 688 000 α^{18} +

482 779 447 746 020 819 057 071 556 862 854 318 962 074 573 166 048 430 437 636 296 198 780 090 274 374 002 560 895 776 294 819 542 230 630 400 α^{19} +

248 229 271 596 444 873 564 904 302 597 086 046 615 619 428 212 321 439 082 694 193 566 830 598 159 219 155 107 720 326 703 100 891 811 020 800 α^{20} +

118 484 597 838 558 425 993 619 178 513 000 234 719 313 783 598 226 394 884 786 802 494 417 252 609 376 925 890 016 098 373 634 460 798 156 800 α^{21} +

52 606 848 215 253 012 997 718 400 583 218 869 343 879 251 208 153 208 849 736 415 777 077 175 465 064 612 055 291 275 035 300 116 771 635 200 α^{22} +

21 765 312 103 162 473 882 882 569 477 659 927 131 689 054 536 318 011 781 934 085 339 587 233 436 130 743 729 445 990 166 010 627 987 865 600 α^{23} +

8 404 566 388 472 129 983 178 372 448 618 375 794 544 230 329 702 070 365 599 831 989 638 472 797 673 107 417 293 398 378 167 392 849 100 800 α^{24} +

3 033 212 810 715 922 658 702 859 167 949 541 223 255 820 892 538 566 240 535 687 060 399 428 968 922 425 744 803 134 450 530 221 712 998 400 α^{25} +

1 024 396 841 668 573 480 024 880 884 604 330 059 703 652 991 132 830 405 654 373 505 353 787 540 806 036 994 554 843 763 601 663 275 827 200 α^{26} +

324 107 795 801 647 694 217 593 350 994 175 321 783 933 603 875 849 884 682 665 667 869 771 970 901 511 490 004 990 590 157 053 755 392 000 α^{27} +

96 158 445 996 567 671 937 113 779 177 455 633 180 601 407 986 847 316 209 930 662 923 430 329 901 825 618 942 271 374 115 553 148 928 000 α^{28} +

26 775 029 811 311 634 118 046 567 292 278 962 665 579 756 883 749 536 121 685 305 955 130 392 421 910 347 647 396 402 503 986 498 764 800 α^{29} +

7 002 217 014 303 063 907 293 138 767 680 684 118 275 980 038 370 360 202 794 817 674 724 473 275 801 078 677 328 997 954 369 041 203 200 α^{30} +

1 720 982 251 127 061 810 350 178 817 501 402 333 545 669 063 443 880 400 502 478 486 843 586 696 787 391 377 423 935 605 374 032 281 600 α^{31} +

397 722 954 195 277 985 893 476 140 550 085 006 231 437 519 605 104 800 550 822 129 050 280 750 397
023 084 740 382 543 315 363 430 400 α^{32} +

86 463 857 238 867 095 150 770 290 597 067 444 642 917 537 984 614 973 248 745 942 419 420 773 314
072 335 472 137 353 603 684 761 600 α^{33} +

17 688 215 643 410 501 682 794 748 306 460 486 987 469 402 841 652 557 236 360 276 411 056 670 408
218 439 761 193 441 763 419 750 400 α^{34} +

3 405 927 138 143 581 211 486 942 116 392 164 416 409 709 787 749 482 340 340 248 517 814 465 088 865
825 927 765 906 964 034 355 200 α^{35} +

617 385 509 608 350 833 840 249 712 683 428 509 344 631 689 274 025 094 426 733 538 194 619 421 384
648 580 341 004 071 495 270 400 α^{36} +

105 360 272 271 890 321 521 093 310 726 490 453 234 275 573 139 185 400 735 155 776 558 561 525 720
756 810 309 876 307 302 809 600 α^{37} +

16 927 317 887 891 198 806 135 718 313 712 436 440 934 193 318 891 510 089 050 985 447 295 754 014
954 329 766 090 663 945 830 400 α^{38} +

2 560 018 919 159 857 536 639 997 657 973 342 015 197 674 460 020 069 424 275 807 583 238 196 742 771
434 906 253 359 316 992 000 α^{39} +

364 381 011 414 302 945 550 783 530 634 169 528 457 904 352 646 164 342 660 883 591 143 261 556 813
070 435 251 754 998 169 600 α^{40} +

48 797 705 776 222 246 279 319 114 475 858 539 752 492 509 627 840 871 263 035 942 863 470 500 466
960 317 464 203 755 520 000 α^{41} +

6 146 191 521 412 499 000 461 289 160 908 812 425 642 835 327 743 917 355 943 249 422 814 637 170 368
046 772 222 794 137 600 α^{42} +

727 719 765 399 895 312 397 688 082 788 819 271 830 238 258 297 704 621 652 546 446 515 867 432 598
255 117 968 552 755 200 α^{43} +

80 949 865 310 812 819 581 576 577 122 328 650 704 586 804 719 936 543 677 373 118 071 193 731 729
549 447 948 088 115 200 α^{44} +

8 453 871 504 348 622 578 249 539 271 444 149 165 358 175 088 247 970 640 377 968 881 476 670 032 260
907 240 154 726 400 α^{45} +

828 178 663 067 739 616 877 298 921 990 504 422 631 350 486 429 406 189 857 998 041 777 792 288 035
638 730 765 107 200 α^{46} +

76 033 684 448 550 062 524 814 589 779 683 374 044 949 333 969 232 117 174 018 023 484 692 104 309
411 181 232 128 000 α^{47} +

6 534 684 511 192 817 508 391 223 230 849 409 321 687 233 827 867 181 905 595 747 733 203 217 150 866
274 805 350 400 α^{48} +

525 091 399 837 155 104 155 922 999 337 200 401 079 187 451 721 403 956 515 994 802 002 612 102 115
777 262 387 200 α^{49} +

39 392 786 741 061 253 342 236 265 207 783 759 466 816 920 401 324 297 571 261 248 366 622 350 695
245 597 900 800 α^{50} +

2 754 645 272 646 308 824 267 784 672 145 950 410 440 709 292 354 638 153 014 516 107 992 758 625 407
231 590 400 α^{51} +

179 218 382 745 988 487 237 369 606 267 564 427 247 588 866 310 795 892 253 577 018 869 823 026 032
856 268 800 α^{52} +

10 825 800 319 137 305 582 700 106 466 669 556 093 469 771 060 542 480 624 135 167 196 278 280 853
389 312 000 α^{53} +

605 712 675 506 173 046 065 005 919 244 577 358 860 321 199 075 649 704 536 219 937 209 497 000 765
030 400 α^{54} +

31 305 972 062 466 988 810 753 056 976 308 749 154 062 321 130 911 114 921 196 075 444 592 037 383
372 800 α^{55} +

1 490 038 953 897 502 798 428 291 566 158 451 586 951 481 088 141 390 806 574 522 207 432 815 411 200
000 α^{56} +

65 077 974 637 065 950 475 318 271 033 363 537 021 338 344 380 469 683 385 033 132 207 387 128 627 200

$\alpha^{57} +$

$2\,597\,482\,013\,650\,244\,365\,617\,209\,577\,085\,043\,678\,029\,653\,337\,762\,393\,562\,311\,492\,105\,764\,706\,713\,600$
$\alpha^{58} +$

$94\,292\,553\,128\,855\,199\,817\,399\,801\,910\,978\,440\,961\,726\,298\,488\,127\,710\,900\,819\,918\,501\,550\,489\,600$
$\alpha^{59} +$

$3\,095\,794\,272\,726\,601\,888\,551\,671\,970\,168\,063\,948\,279\,580\,991\,651\,577\,252\,050\,244\,103\,412\,121\,600\,\alpha^{60} +$

$91\,315\,949\,670\,568\,851\,838\,342\,558\,263\,140\,968\,757\,192\,708\,380\,981\,567\,698\,116\,128\,486\,195\,200\,\alpha^{61} +$

$2\,400\,651\,321\,688\,095\,926\,382\,368\,797\,586\,550\,936\,698\,364\,343\,457\,264\,535\,181\,657\,846\,579\,200\,\alpha^{62} +$

$55\,703\,529\,922\,416\,717\,943\,131\,855\,350\,465\,326\,012\,477\,395\,191\,843\,627\,111\,799\,796\,531\,200\,\alpha^{63} +$

$1\,127\,033\,171\,841\,101\,402\,279\,841\,205\,039\,900\,089\,894\,820\,937\,680\,570\,481\,803\,001\,856\,000\,\alpha^{64} +$

$19\,578\,169\,637\,595\,248\,242\,020\,595\,138\,147\,591\,793\,916\,897\,654\,070\,790\,006\,715\,187\,200\,\alpha^{65} +$

$286\,121\,813\,510\,641\,588\,908\,457\,417\,127\,964\,357\,638\,406\,431\,418\,411\,403\,286\,937\,600\,\alpha^{66} +$

$3\,420\,994\,860\,509\,858\,667\,142\,496\,593\,772\,045\,427\,823\,167\,385\,902\,243\,643\,392\,000\,\alpha^{67} +$

$32\,133\,494\,955\,730\,720\,873\,379\,210\,128\,531\,627\,769\,857\,457\,922\,783\,156\,633\,600\,\alpha^{68} +$

$222\,354\,563\,078\,099\,812\,448\,042\,509\,142\,305\,422\,130\,457\,075\,012\,075\,520\,000\,\alpha^{69} +$

$1\,007\,786\,052\,762\,493\,425\,441\,335\,296\,146\,630\,365\,123\,214\,720\,368\,640\,000\,\alpha^{70} +$

$2\,244\,333\,848\,512\,671\,272\,755\,697\,788\,284\,868\,386\,498\,847\,703\,040\,000\,\alpha^{71} \big) \}$

In[ ]:= **RECCompareOrder = OrePolynomialDegree[RECNormalizedinS, S[α]]**

Out[ ]= 12

The above argument means that if the sequence generated by "RECGuess" matches with that by "RECNormalized" for the first "RECCompareOrder" terms, then the two sequences are identical.

Hence, we get a rigorous proof of the shorter recurrence "RECGuess" by the following verification!

In[ ]:= **SeqListIni**

Out[ ]= {1, 0, 80, 0, 58 320, 933 120, 107 360 000, 4 032 000 000, 305 742 850 000,
16 007 947 200 000, 1 092 754 448 110 080, 66 052 872 139 161 600, 4 433 464 272 394 080 000,
287 105 556 124 600 012 800, 19 441 756 158 387 587 481 600, 1 307 659 624 636 945 150 771 200,
89 869 341 860 254 106 893 314 000, 6 191 536 013 119 541 254 794 624 000,
431 788 153 780 445 031 117 712 736 000, 30 259 578 124 053 738 011 950 295 040 000,
2 137 643 722 042 861 014 846 923 875 678 720, 151 778 757 062 056 398 402 787 590 848 716 800,
10 840 750 037 089 338 687 405 094 405 540 454 400, 777 883 218 982 271 229 558 388 389 382 825 574 400,
56 080 935 388 938 320 492 345 601 400 578 969 030 400,
4 059 518 371 465 289 501 011 809 299 957 269 579 653 120,
295 006 495 123 163 326 450 011 592 999 699 774 386 176 000,
21 513 746 057 744 924 699 009 848 676 027 694 742 870 425 600,
1 574 148 924 348 897 968 127 657 314 112 417 503 459 217 408 000,
115 532 761 111 124 106 137 388 311 120 877 422 599 980 279 398 400,
8 503 842 442 314 663 173 760 541 941 753 193 179 094 810 125 926 400,
627 609 496 898 499 522 225 265 285 115 906 238 911 179 967 692 800 000,
46 436 433 389 594 145 887 536 322 203 955 919 558 553 470 641 486 850 000,
3 443 934 036 721 437 625 596 385 616 851 665 233 141 061 945 297 580 800 000,
255 987 247 247 218 119 955 440 370 898 615 088 710 853 711 642 084 487 200 000,
19 067 482 593 646 334 342 036 067 557 315 656 461 776 897 366 982 437 990 400 000,
1 423 081 446 108 803 178 035 349 924 075 427 821 311 627 222 594 248 532 220 000 000,
106 409 576 497 910 521 328 093 928 056 177 350 881 687 619 362 437 540 913 600 000 000,
7 970 830 048 553 981 080 058 702 593 590 669 197 116 023 210 365 395 365 879 360 000 000,
598 079 060 794 011 278 983 455 745 029 821 926 281 050 762 038 228 190 896 727 040 000 000,
44 947 891 716 233 478 275 997 236 905 855 509 440 585 640 503 537 143 428 499 957 569 600 000,
3 383 154 085 138 020 637 793 497 624 953 038 417 160 337 631 975 043 003 579 851 781 888 000 000}

In[ ]:= **CheckNum = RECCompareOrder + 20 + Length@SeqListIni**

SeqGuessList = UnrollRecurrence[SeqGuess, Seq[α], SeqListIni, CheckNum];
SeqGuessList – Take[SeqList, Length@SeqGuessList]

Out[ ]= 74

Out[ ]= {0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0,
0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0,
0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0}

Asymptotic estimation of SeqList[[n]] = r(n)

In[ ]:= **<< RISC`Asymptotics`**

Asymptotics Package version 0.3
written by Manuel Kauers

We may directly use "RECGuess" for our asymptotic analysis.

In[ ]:= `AsyList = Asymptotics[SeqGuess, Seq[α]];`
`N[AsyList]`

Out[ ]= $\left\{ \dfrac{(-432.)^{\alpha}}{\alpha^{5/2}}, \dfrac{(-48.)^{\alpha}}{\alpha^{5/2}}, \dfrac{(-5.33333)^{\alpha}}{\alpha^{5/2}}, \dfrac{16.^{\alpha}}{\alpha^{9/4}}, \dfrac{16.^{\alpha}}{\alpha^{7/4}}, \dfrac{80.^{\alpha}}{\alpha^{5/2}} \right\}$

In[ ]:= `Ind = Reverse[Table[Floor[Bound / i], {i, 1, 3}]]`
`Table[N[` $\dfrac{\text{seq[Ind[[i]]]}}{\text{AsyList[[4]] /. \{α → Ind[[i]]\}}}$ `], {i, 1, Length@Ind}]`
`Table[N[` $\dfrac{\text{seq[Ind[[i]]]}}{\text{AsyList[[5]] /. \{α → Ind[[i]]\}}}$ `], {i, 1, Length@Ind}]`
`Table[N[` $\dfrac{\text{seq[Ind[[i]]]}}{\text{AsyList[[6]] /. \{α → Ind[[i]]\}}}$ `], {i, 1, Length@Ind}]`

Out[ ]= `{3333, 5000, 10000}`

Out[ ]= $\left\{ 2.157784655879568 \times 10^{2327}, 2.971843676012373 \times 10^{3492}, 1.769474996617337 \times 10^{6987} \right\}$

Out[ ]= $\left\{ 3.737579539425117 \times 10^{2325}, 4.202821631869412 \times 10^{3490}, 1.769474996617337 \times 10^{6985} \right\}$

Out[ ]= `{0.0352933, 0.0352977, 0.0353021}`

Approximate Polya number

In[ ]:= `AtOne = N[Sum[seq[n] * (` $\dfrac{1}{2^{MM} \text{Binomial[NN, MM]}}$ `)` ^{n} `, {n, 0, Bound}], 11]`

`N[1 -` $\dfrac{1}{\text{AtOne}}$ `, 10]`

Out[ ]= `1.0158559936`

Out[ ]= `0.01560850527`