The initial expressions of $U_5(\xi^i)$ for $1 \le i \le 5$. Here UofXi[i] denotes $U_5(\xi^i)$.

```
UofXi[1] = 11 \xi - 60 \xi^2 + 175 \xi^3 - 250 \xi^4 + 125 \xi^5;
UofXi[2] = -24 \xi + 675 \xi^2 - 6700 \xi^3 + 37300 \xi^4 -
     132 500 \xi^5 + 316 875 \xi^6 - 512 500 \xi^7 + 531 250 \xi^8 - 312 500 \xi^9 + 78 125 \xi^{10};
UofXi[3] = 21 \xi - 2010 \xi^2 + 49 865 \xi^3 - 615 750 \xi^4 + 4 744 125 \xi^5 - 25 301 250 \xi^6 +
     98 718 750 \xi^7 - 290 062 500 \xi^8 + 649 187 500 \xi^9 - 1103 906 250 \xi^{10} + 1401 562 500 \xi^{11} -
     1 281 250 000 \xi^{12} + 791 015 625 \xi^{13} - 292 968 750 \xi^{14} + 48 828 125 \xi^{15};
UofXi[4] = -8 \xi + 2984 \xi^2 - 164200 \xi^3 + 3899475 \xi^4 - 54212000 \xi^5 + 508067500 \xi^6 -
     3\,469\,550\,000\,\xi^7 + 18\,095\,862\,500\,\xi^8 - 74\,240\,000\,000\,\xi^9 + 243\,974\,062\,500\,\xi^{10} -
     648 743 750 000 \xi^{11} + 1400 732 421 875 \xi^{12} - 2449 687 500 000 \xi^{13} +
     3\,439\,882\,812\,500\,\,\xi^{14} - 3\,816\,406\,250\,000\,\,\xi^{15} + 3\,260\,253\,906\,250\,\,\xi^{16} -
     2\,060\,546\,875\,000\,\xi^{17}+903\,320\,312\,500\,\xi^{18}-244\,140\,625\,000\,\xi^{19}+30\,517\,578\,125\,\xi^{20};
UofXi[5] = \xi - 2650 \xi^2 + 316 275 \xi^3 - 13 553 000 \xi^4 + 314 189 375 \xi^5 - 4710 706 250 \xi^6 +
     50 353 584 375 \xi^7 - 407 308 906 250 \xi^8 + 2 592 548 671 875 \xi^9 - 13 334 386 718 750 \xi^{10} +
     56 443 662 109 375 \xi^{11} - 199 097 265 625 000 \xi^{12} + 589 929 902 343 750 \xi^{13} -
     1474 730 957 031 250 \xi^{14} + 3 113 805 664 062 500 \xi^{15} - 5 542 136 230 468 750 \xi^{16} +
     8 271 881 103 515 625 \xi^{17} – 10 261 718 750 000 000 \xi^{18} + 10 441 009 521 484 375 \xi^{19} –
     8\,547\,973\,632\,812\,500\,\,\xi^{20} + 5\,478\,668\,212\,890\,625\,\,\xi^{21} - 2\,639\,770\,507\,812\,500\,\,\xi^{22} +
     896 453 857 421 875 \xi^{23} - 190 734 863 281 250 \xi^{24} + 19 073 486 328 125 \xi^{25};
```