

Recurrent Neural Networks: Vanishing Gradients, Gated Variants

LING 574 Deep Learning for NLP
Shane Steinert-Threlkeld

Announcements

- HW2, SGNS.forward: *one example at a time*
- Here: a _batch_ of examples all at once

Embedding Layer

```
class Embedding(nn.Module):
    def __init__(self, vocab_size: int, embedding_dim: int):
        super(Embedding, self).__init__()
        scale = 1 / np.sqrt(embedding_dim)
        self.weight = Tensor(
            util.initialize((vocab_size, embedding_dim), scale=scale), name="E"
        )

    def forward(self, indices: Tensor) -> Tensor:
        return ops.lookup_rows(self.weight, indices)
```

- Indices: [batch_size] integers
- Output of forward: [batch_size, embedding_dim]
- NB: don't need to call .forward, just call self.embedding(...) in Word2Vec.forward
 - True for *all Modules*, thanks to nn.Module.__call__
- dot_product_rows: [batch_size, embedding_dim] x [batch_size, embedding_dim] —> [batch_size]

Plan for Today

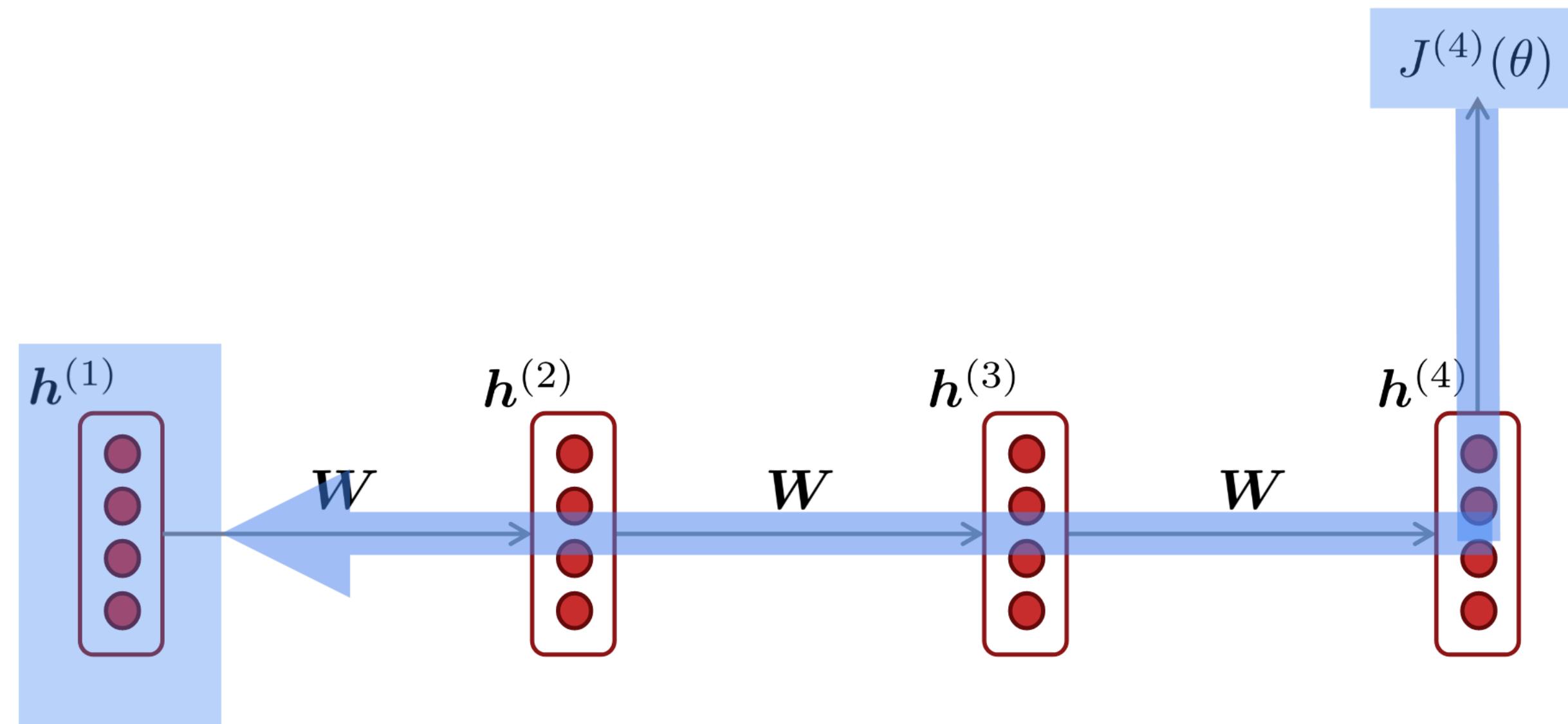
- Intro to RNNs
- Vanishing Gradients Problem
- Gating Based RNNs
 - LSTM
 - GRU

Vanishing Gradients

Vanishing/Exploding Gradients Problem

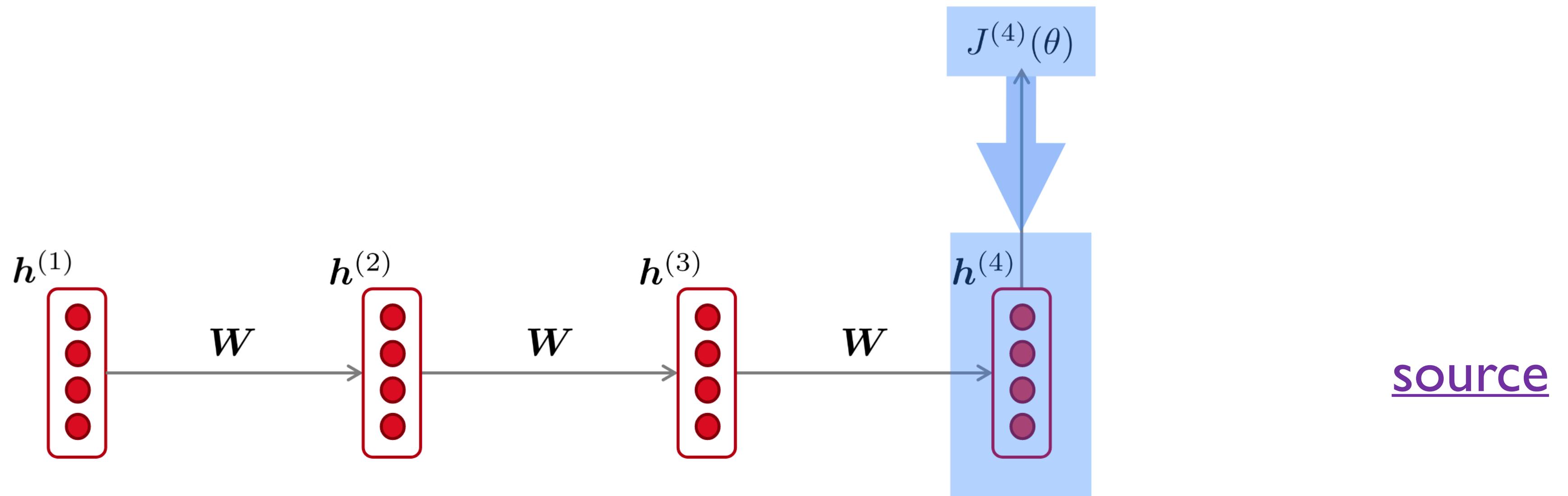
- BPTT with vanilla RNNs faces a major problem:
 - The gradients can *vanish* (approach 0) across time
 - This makes it hard/impossible to learn *long distance dependencies*, which are rampant in natural language

Vanishing Gradients



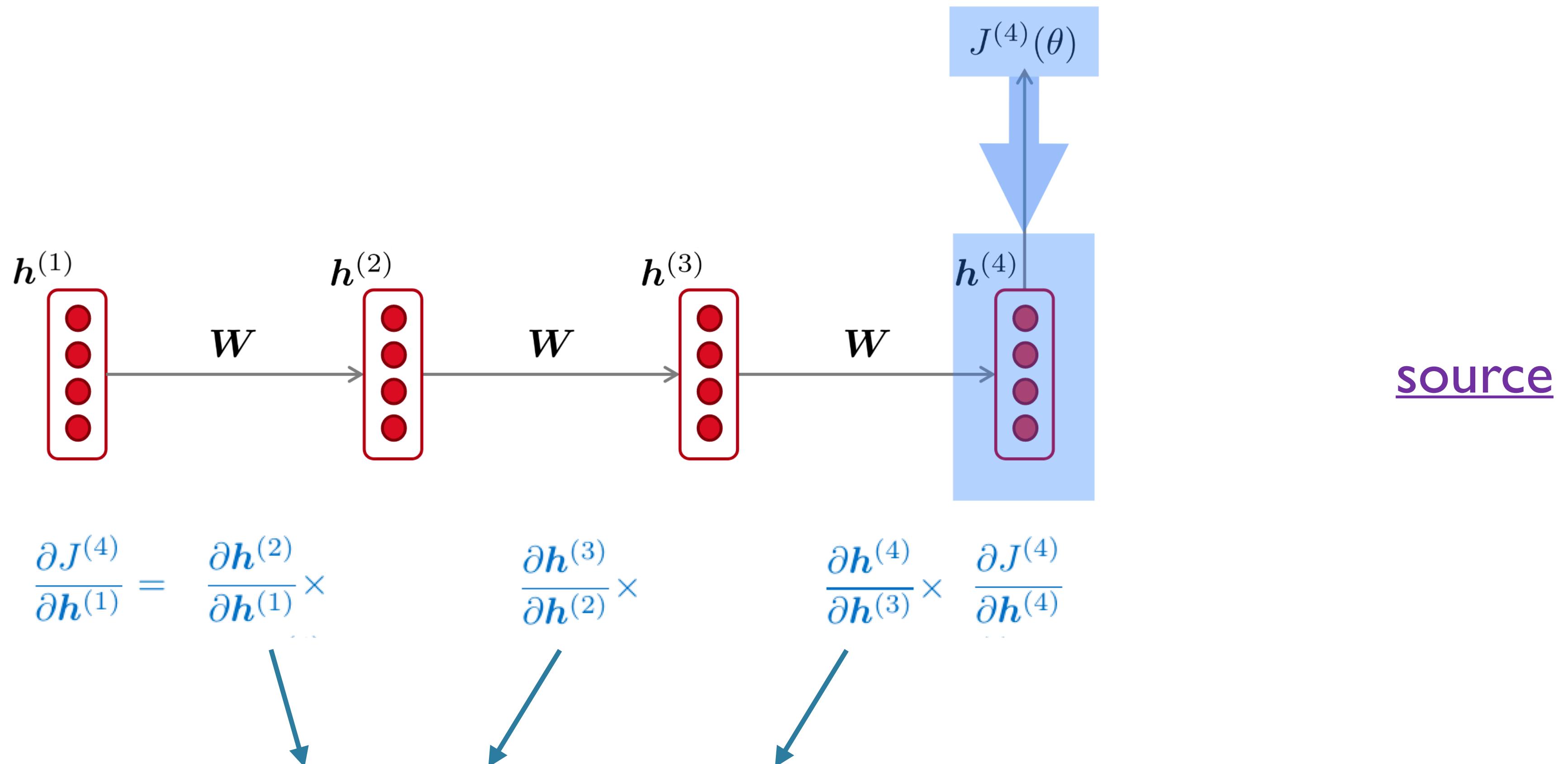
$$\frac{\partial J^{(4)}}{\partial h^{(1)}} = ?$$

Vanishing Gradients



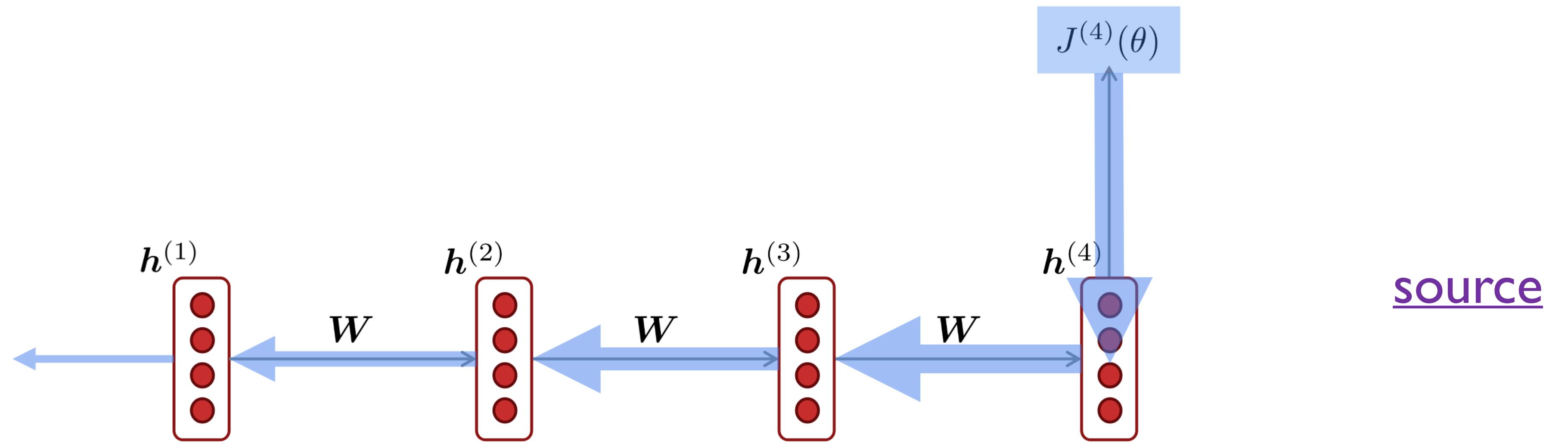
$$\frac{\partial J^{(4)}}{\partial \mathbf{h}^{(1)}} = \frac{\partial \mathbf{h}^{(2)}}{\partial \mathbf{h}^{(1)}} \times \frac{\partial \mathbf{h}^{(3)}}{\partial \mathbf{h}^{(2)}} \times \frac{\partial \mathbf{h}^{(4)}}{\partial \mathbf{h}^{(3)}} \times \frac{\partial J^{(4)}}{\partial \mathbf{h}^{(4)}}$$

Vanishing Gradients

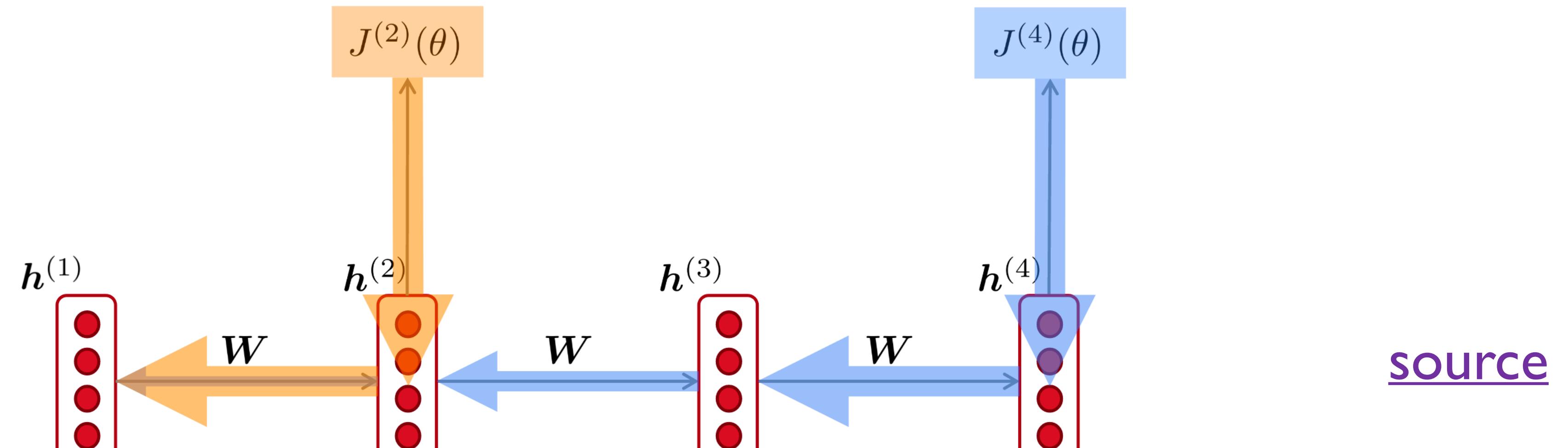


If these are small (depends on W), the effect from $t=4$ on $t=1$ will be very small

Vanishing Gradients



Vanishing Gradient Problem

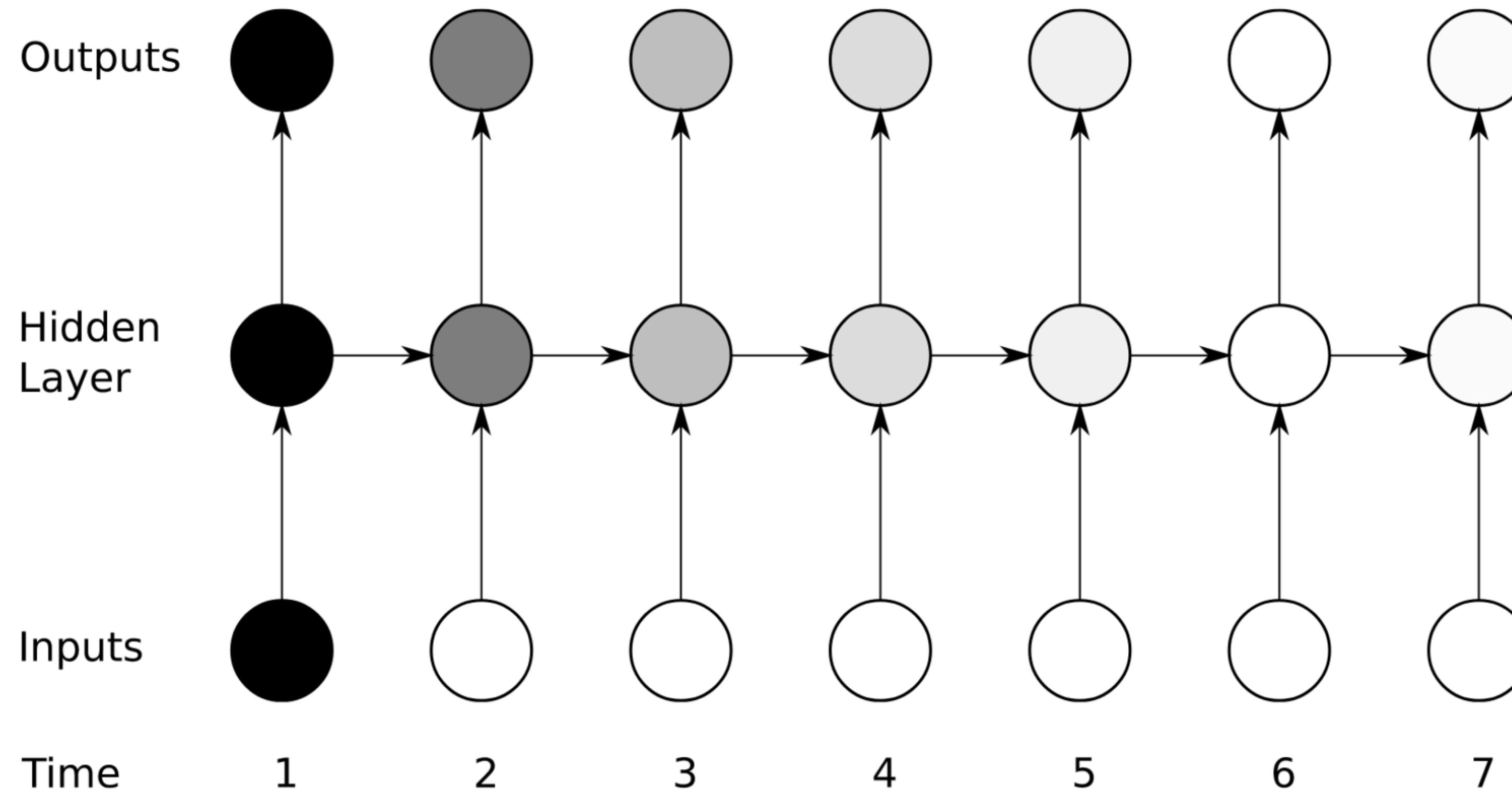


Gradient signal from faraway is lost because it's much smaller than gradient signal from close-by.

So model weights are updated only with respect to near effects, not long-term effects.

source

Vanishing Gradient Problem



Graves 2012

Vanishing Gradient Problem

- Gradient measures the effect of the past on the future
- If it vanishes between t and $t+n$, can't tell if:
 - There's no dependency in fact
 - The weights in our network just haven't yet captured the dependency

Examples of long-distance dependencies

- Number agreement
 - The keys ____
 - The keys on the table ____
 - The keys next to the book on top of the table ____
- Selectional Preferences
 - The **family** moved from the city because they wanted a larger **house**.
 - The **team** moved from the city because they wanted a larger **market**.

Gating Based RNNs: LSTM and GRU

LSTMs

- Long Short-Term Memory ([Hochreiter and Schmidhuber 1997](#))
- The gold standard / default RNN
 - If someone says “RNN” now, they almost always mean “LSTM”
- Originally: to solve the vanishing/exploding gradient problem for RNNs
 - Vanilla: re-writes the entire hidden state at every time-step
 - LSTM: separate hidden state and memory
 - Read, write to/from memory; can preserve long-term information

LSTMs

$$f_t = \sigma(W^f \cdot h_{t-1}x_t + b^f)$$

$$i_t = \sigma(W^i \cdot h_{t-1}x_t + b^i)$$

$$\hat{c}_t = \tanh(W^c \cdot h_{t-1}x_t + b^c)$$

$$c_t = f_t \odot c_{t-1} + i_t \odot \hat{c}_t$$

$$o_t = \sigma(W^o \cdot h_{t-1}x_t + b^o)$$

$$h_t = o_t \odot \tanh(c_t)$$

LSTMs

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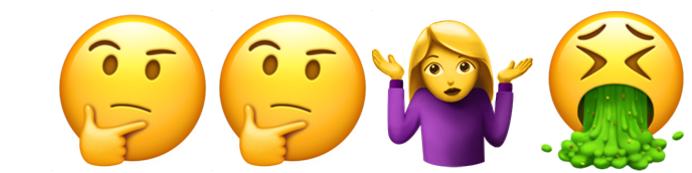
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LSTMs

- Key innovation:

- $c_t, h_t = f(x_t, c_{t-1}, h_{t-1})$
- c_t : a *memory cell*

- Reading/writing (smooth) controlled by *gates*

- f_t : forget gate
- i_t : input gate
- o_t : output gate

$$f_t = \sigma(W^f \cdot h_{t-1}x_t + b^f)$$

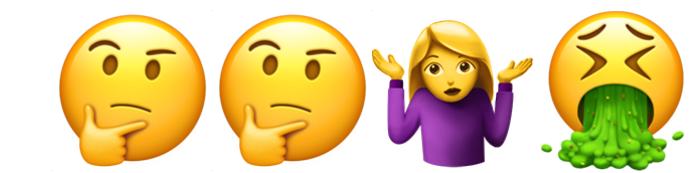
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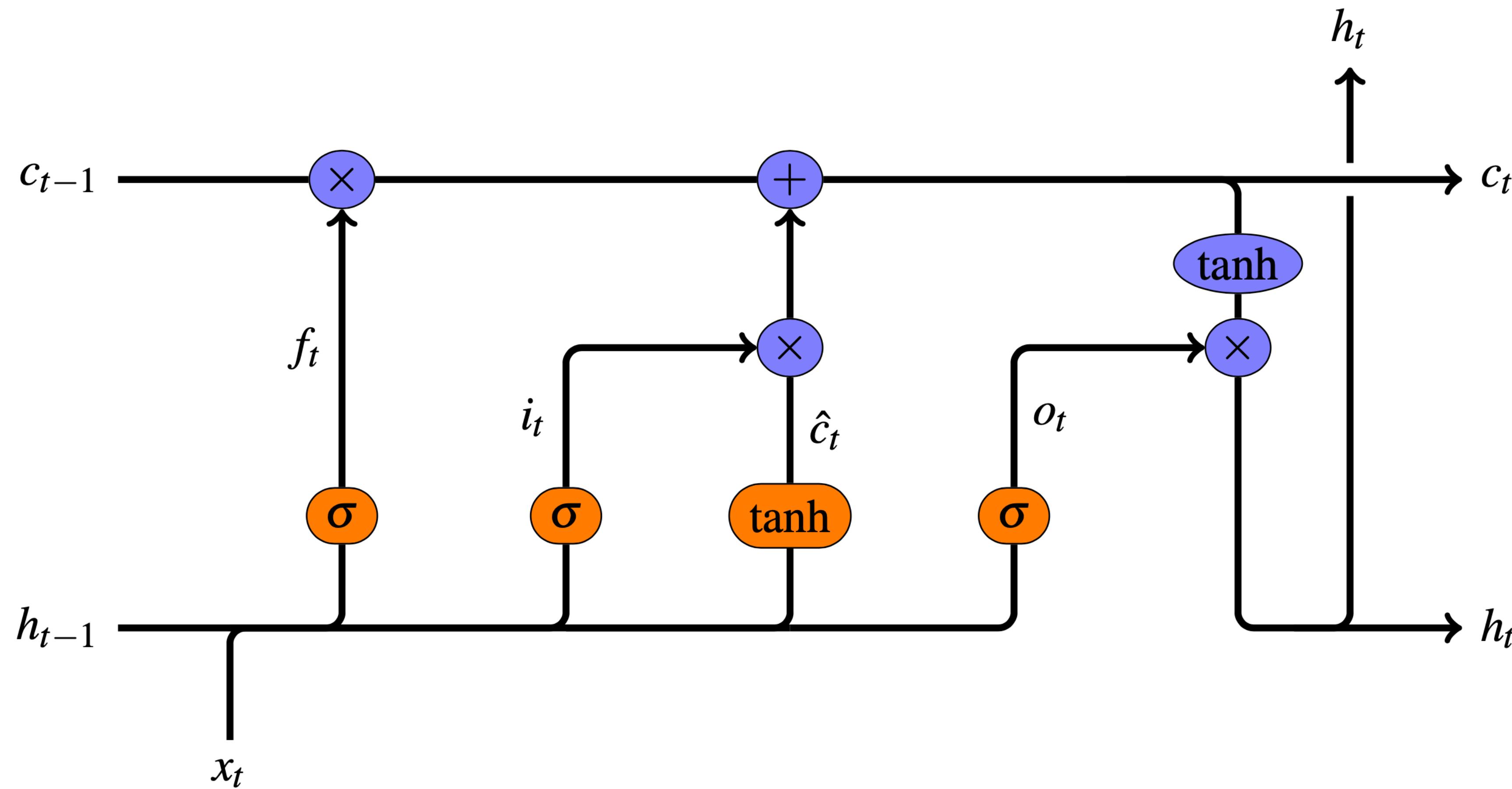
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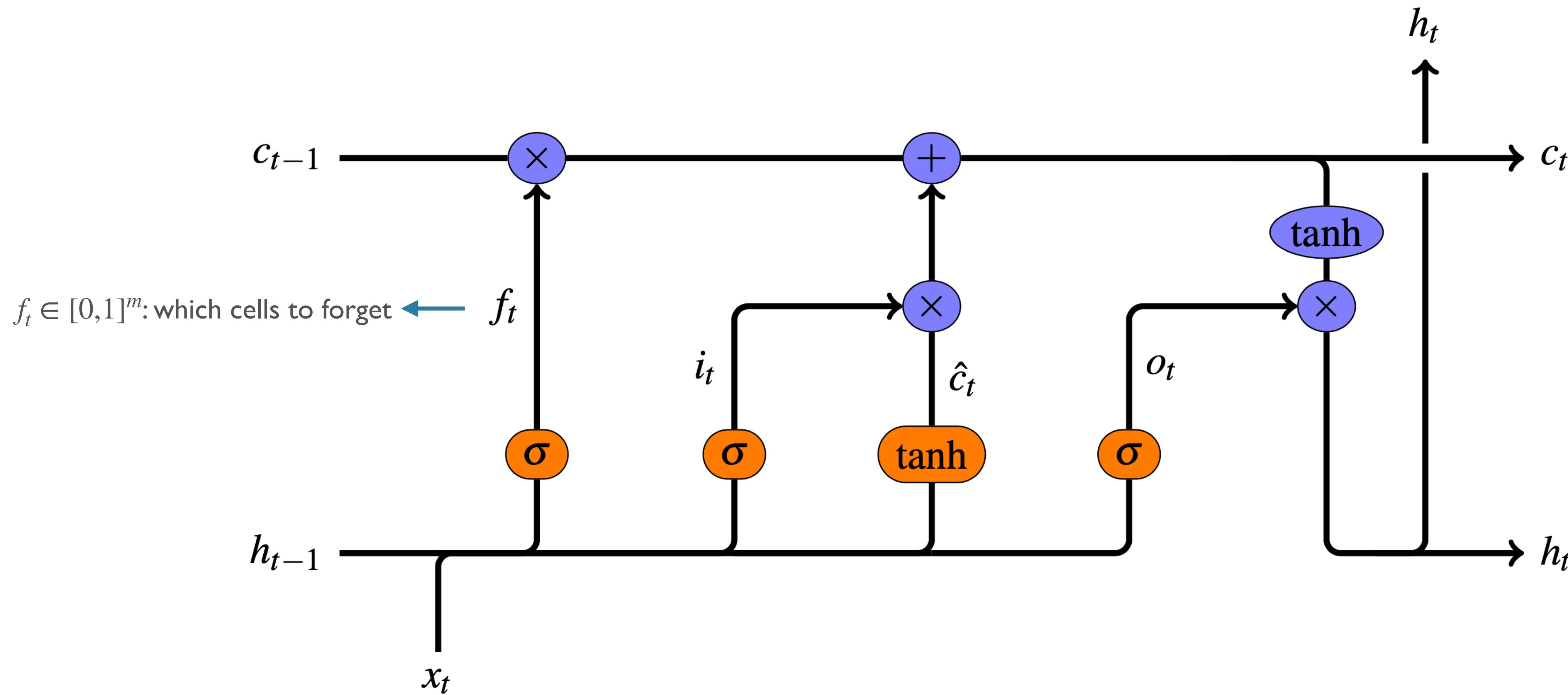
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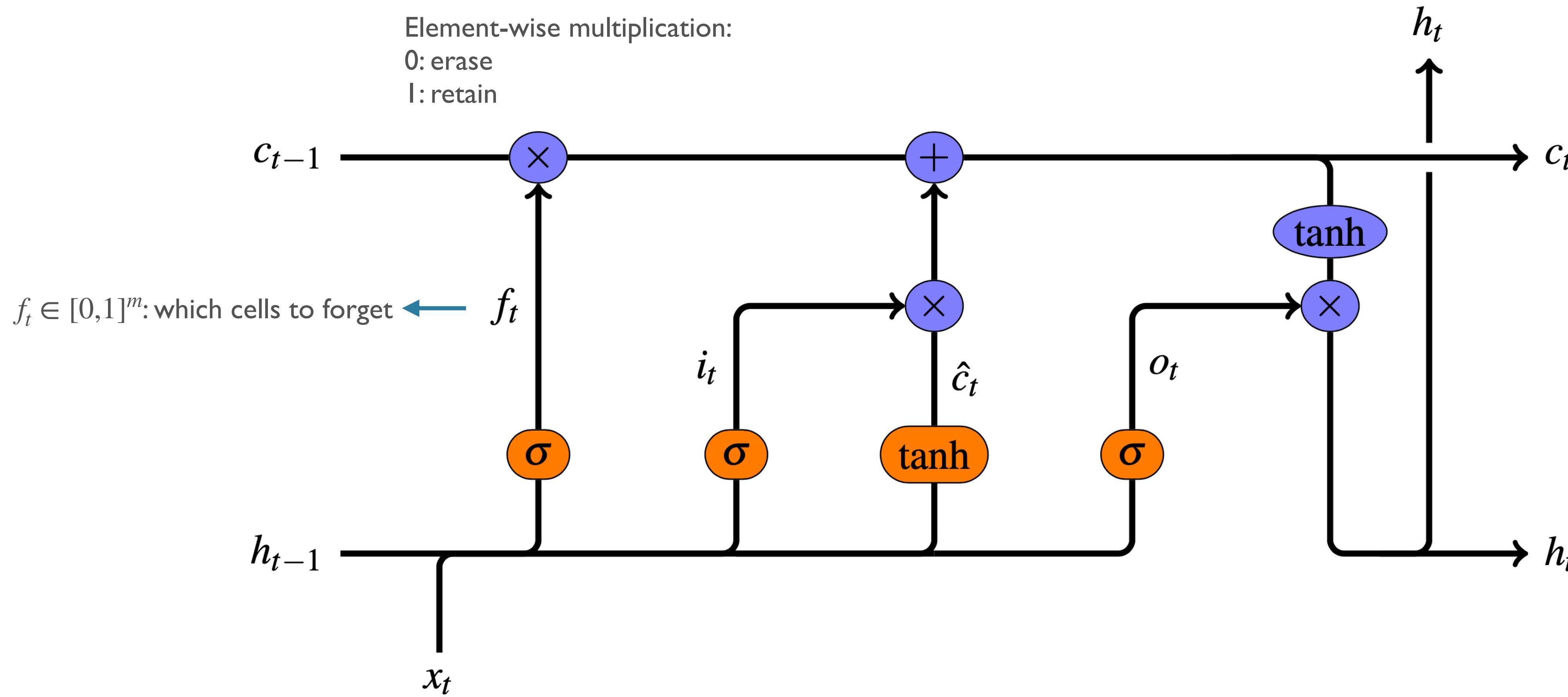
LSTMs



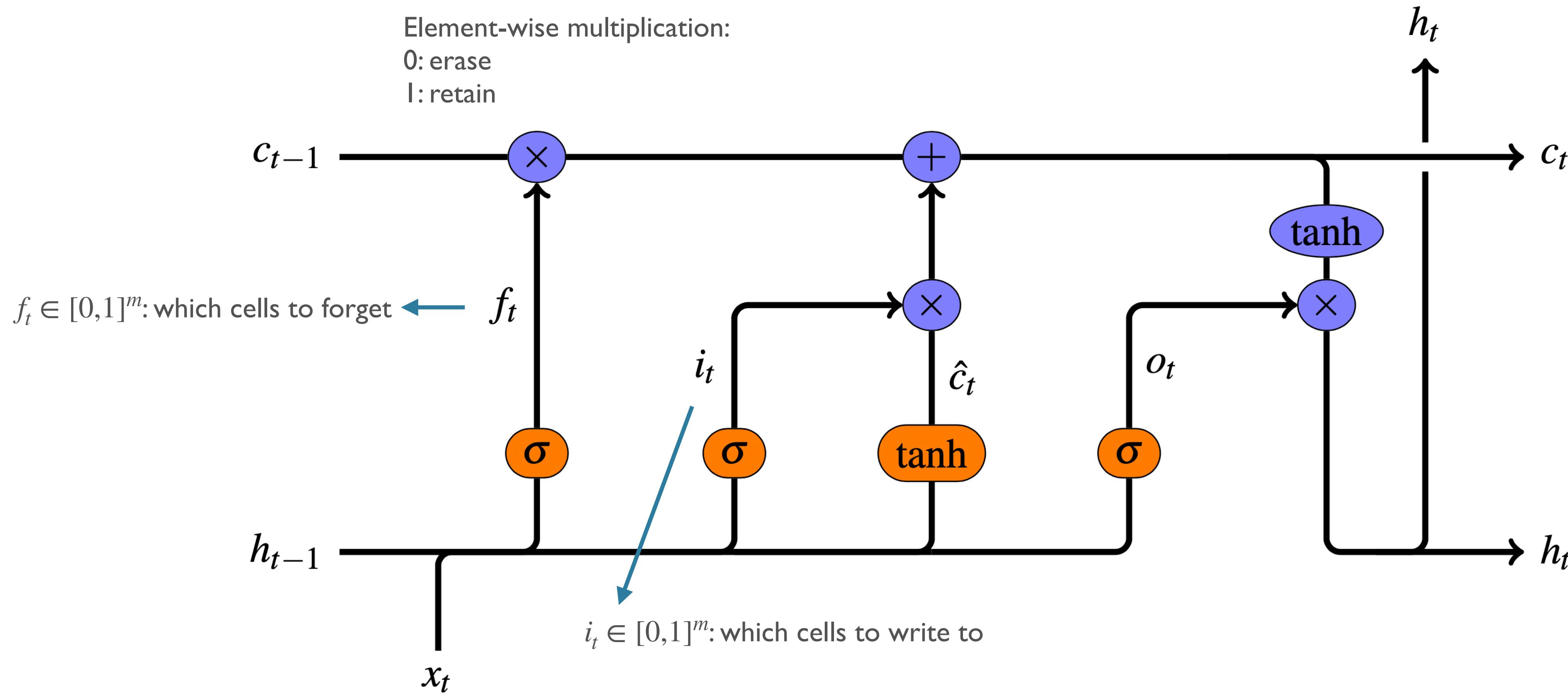
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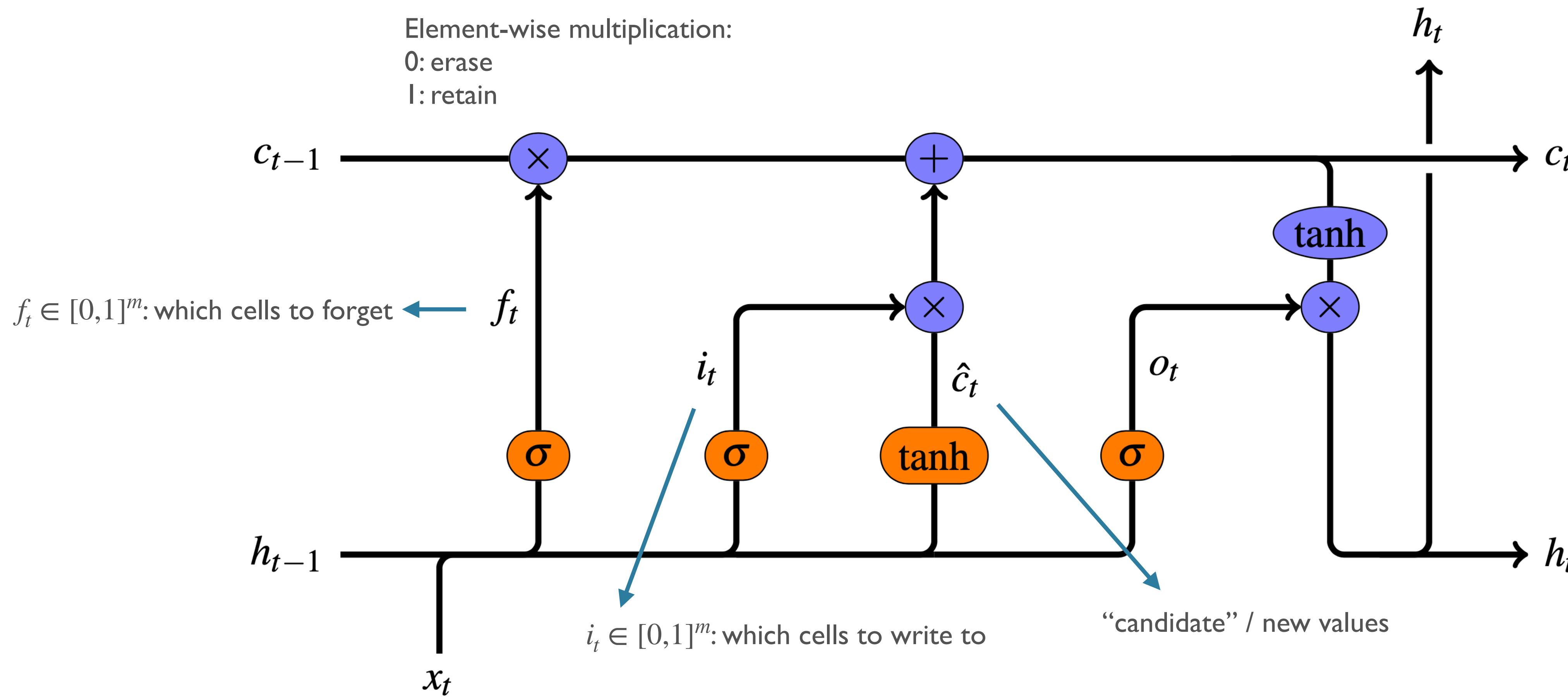
LSTMs



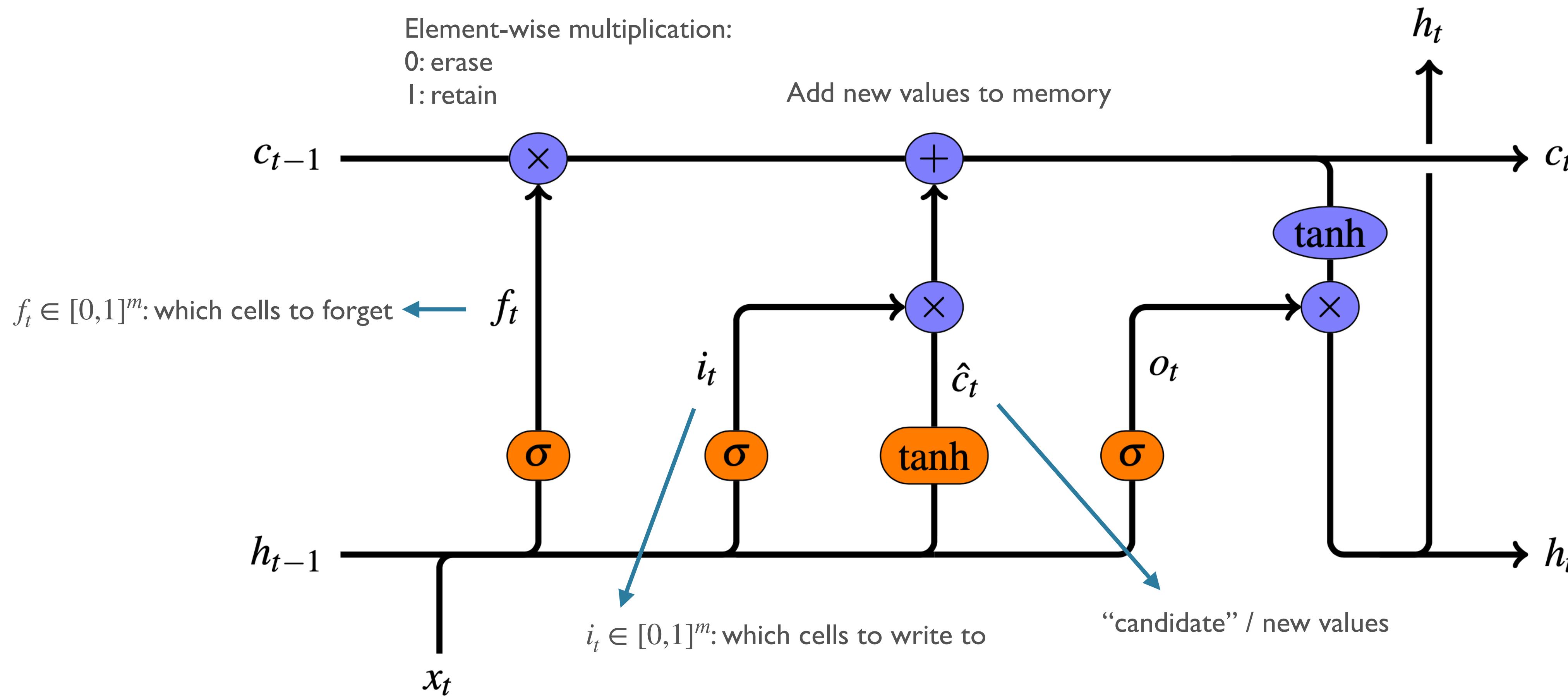
LSTMs



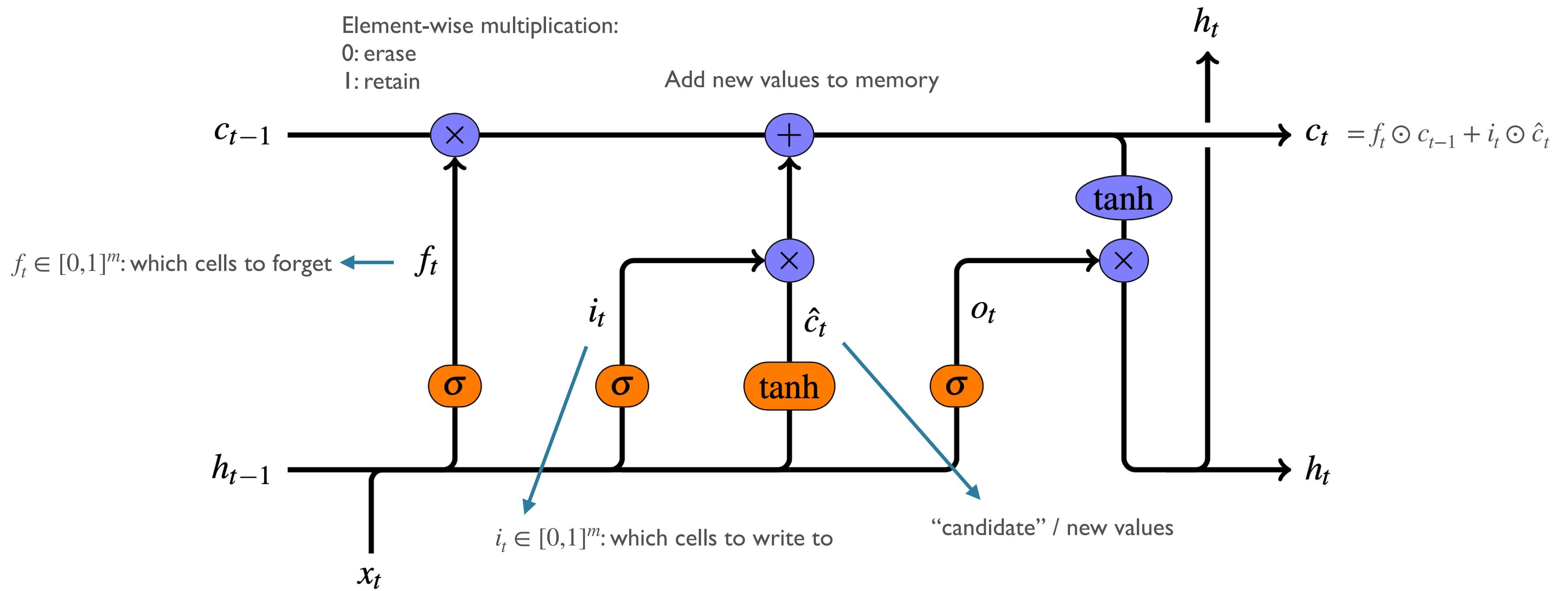
LSTMs



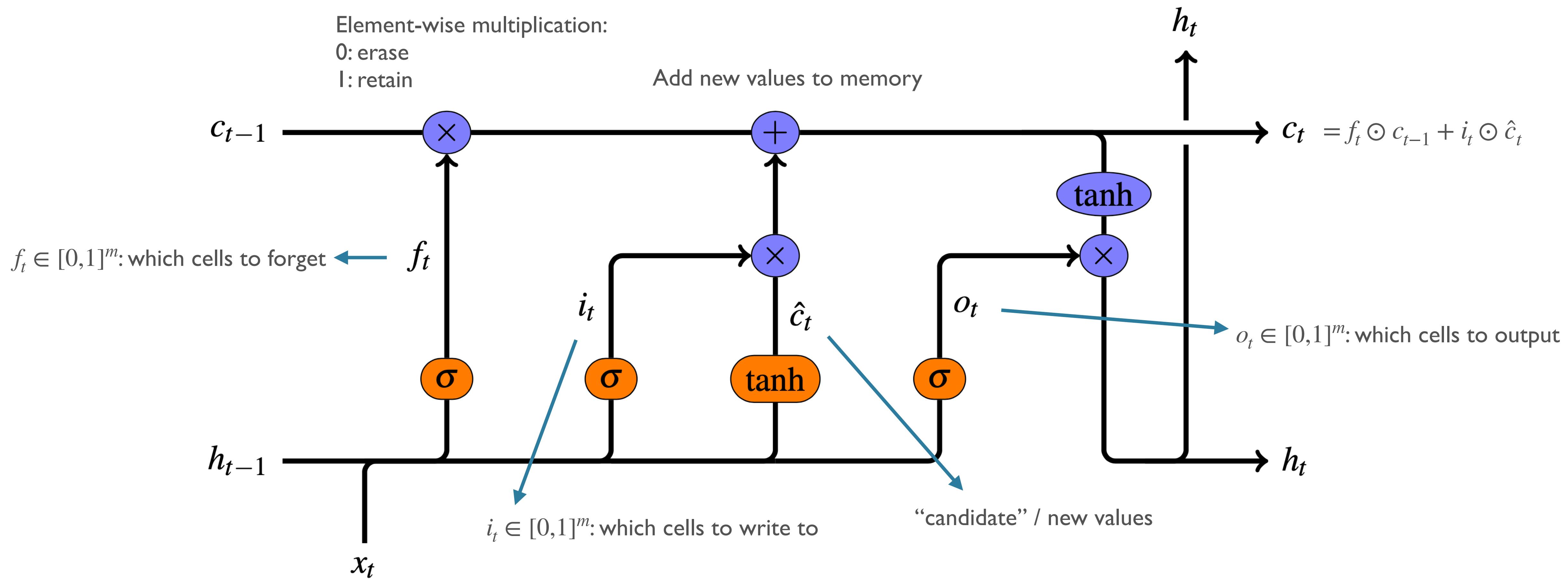
LSTMs



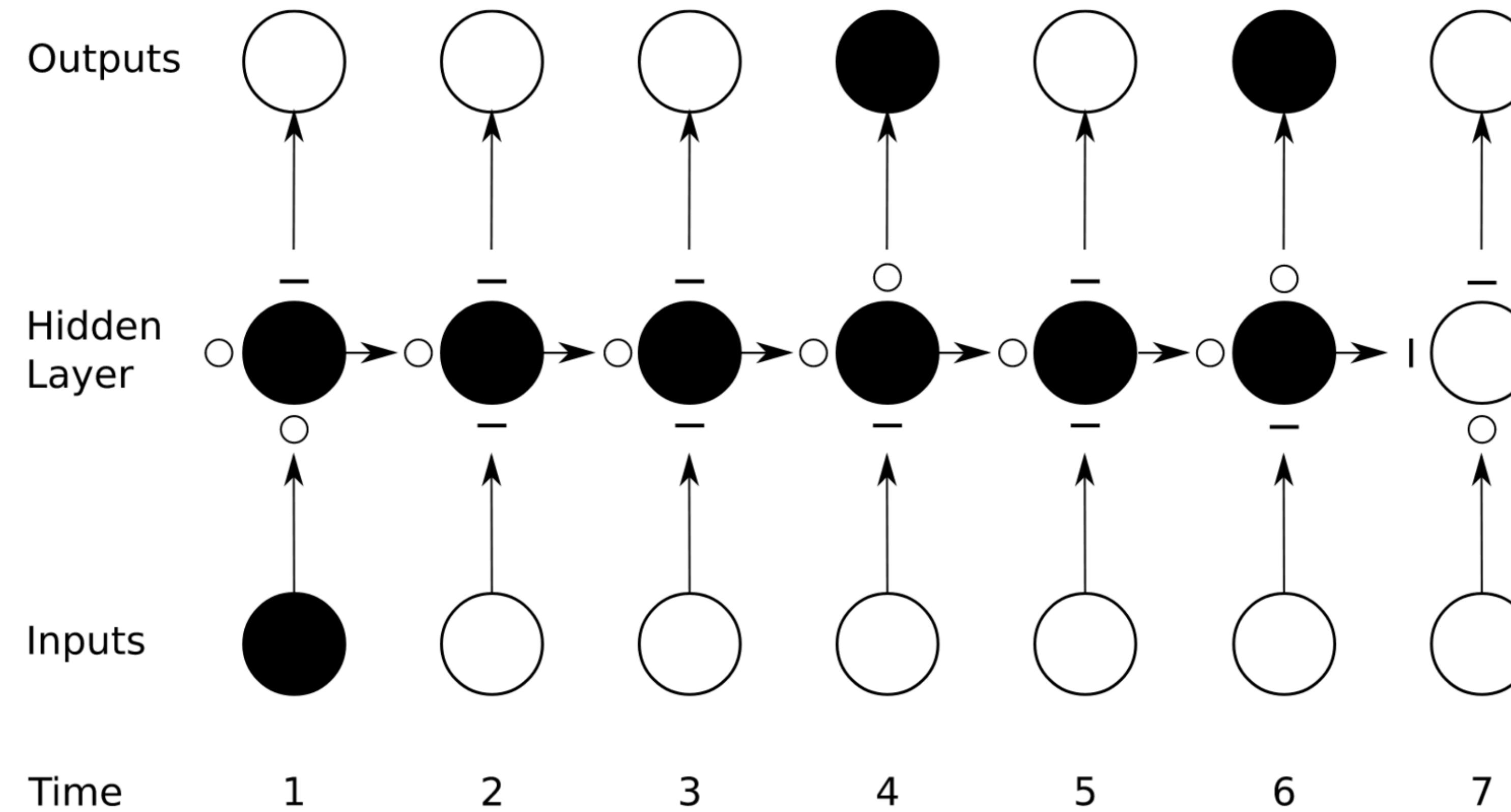
LSTMs



LSTMs



LSTMs solve vanishing gradients



Graves 2012

The Emergence of Number and Syntax Units in LSTM Language Models

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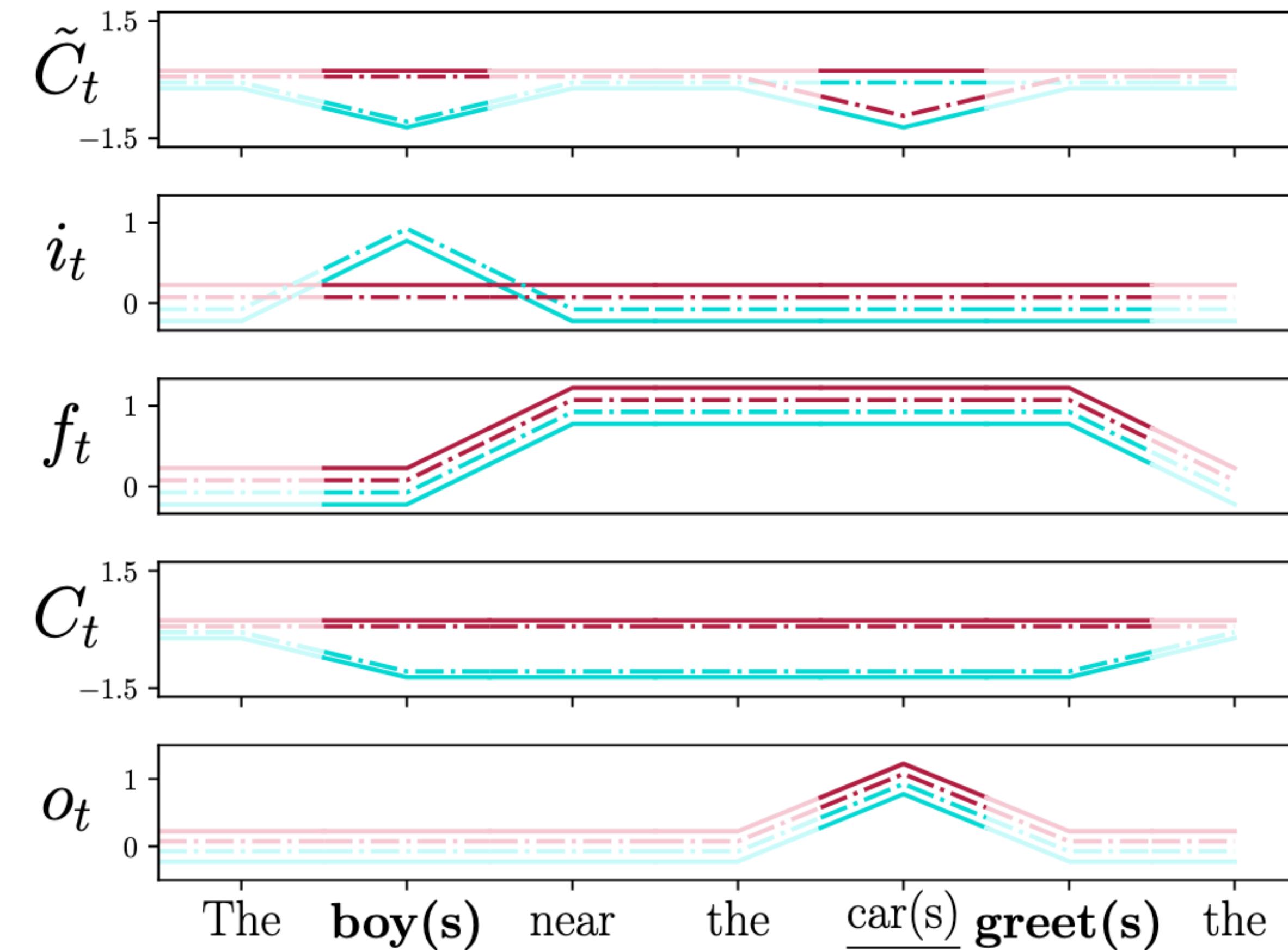
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Cell dynamics for storing number info



“The BiLSTM Hegemony”

- Chris Manning, in 2017:

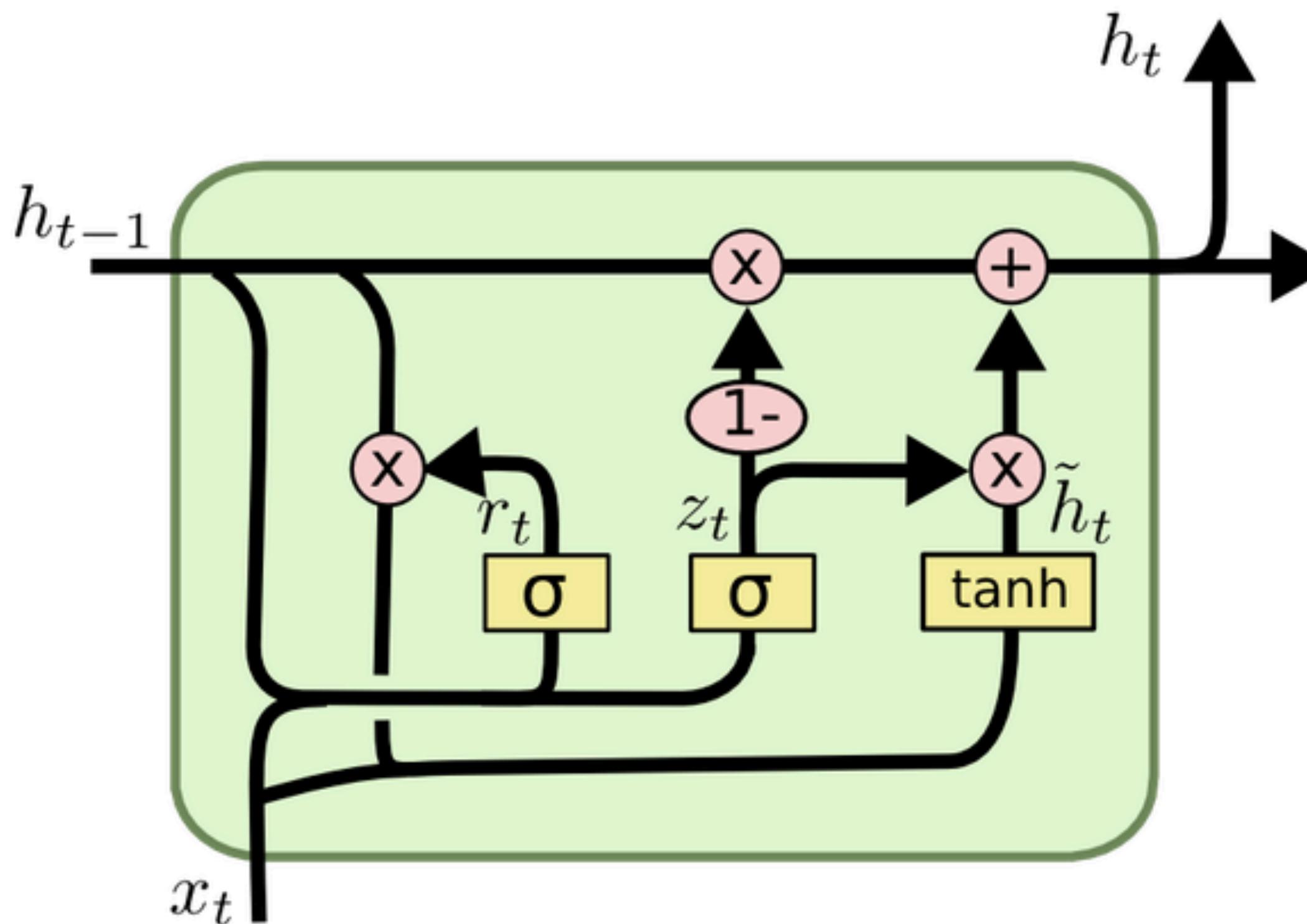
**To a first approximation,
the de facto consensus in NLP in 2017 is
that no matter what the task,
you throw a BiLSTM at it, with
attention if you need information flow**

[source](#)

Gated Recurrent Unit (GRU)

- Cho et al 2014: gated like LSTM, but no separate memory cell
 - “Collapses” execution/control and memory
- Fewer gates = fewer parameters, higher speed
 - Update gate $u_t = \sigma(W_u h_{t-1} + U_u x_t + b_u)$
 - Reset gate $r_t = \sigma(W_r h_{t-1} + U_r x_t + b_r)$
 $\tilde{h}_t = \tanh(W_h(r_t \odot h_t) + U_h x_t + b_h)$
 $h_t = (1 - u_t) \odot h_{t-1} + u_t \odot \tilde{h}_t$

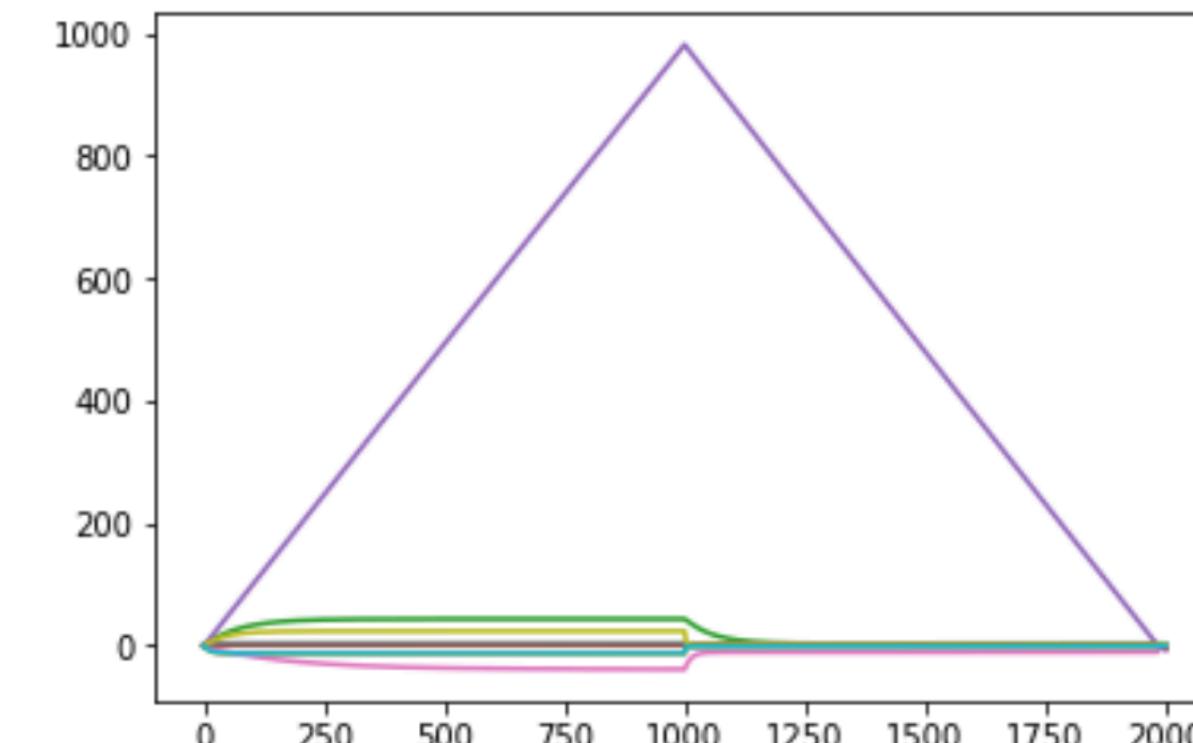
Gated Recurrent Unit



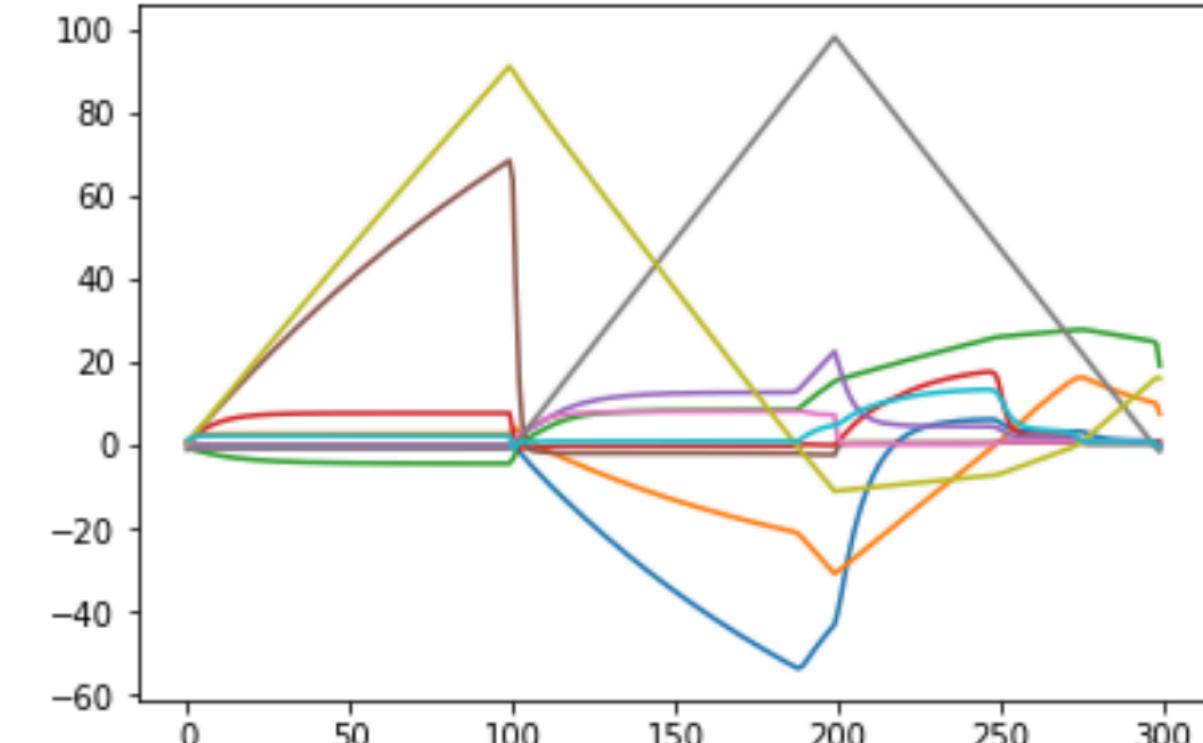
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LSTM vs GRU

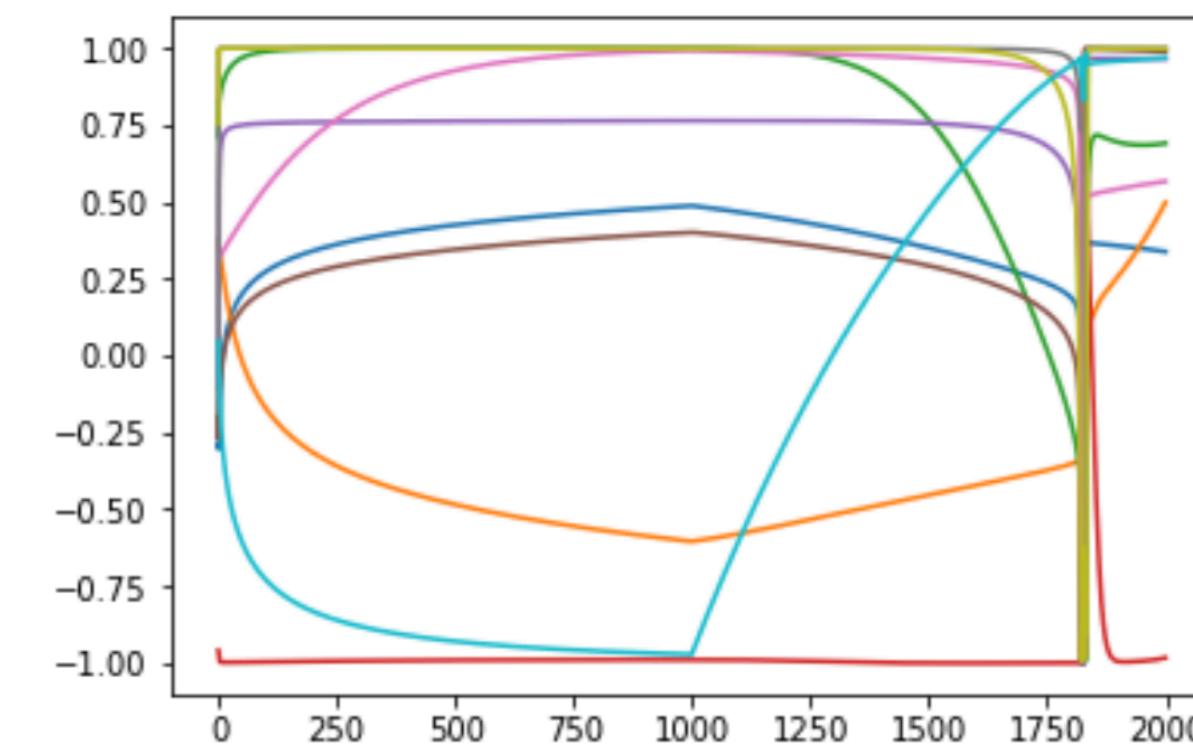
- Generally: LSTM a good default choice
- GRU can be used if speed and fewer parameters are important
- Full differences between them not fully understood
- Performance often comparable, but: LSTMs can store unboundedly large values in memory, and seem to e.g. count better



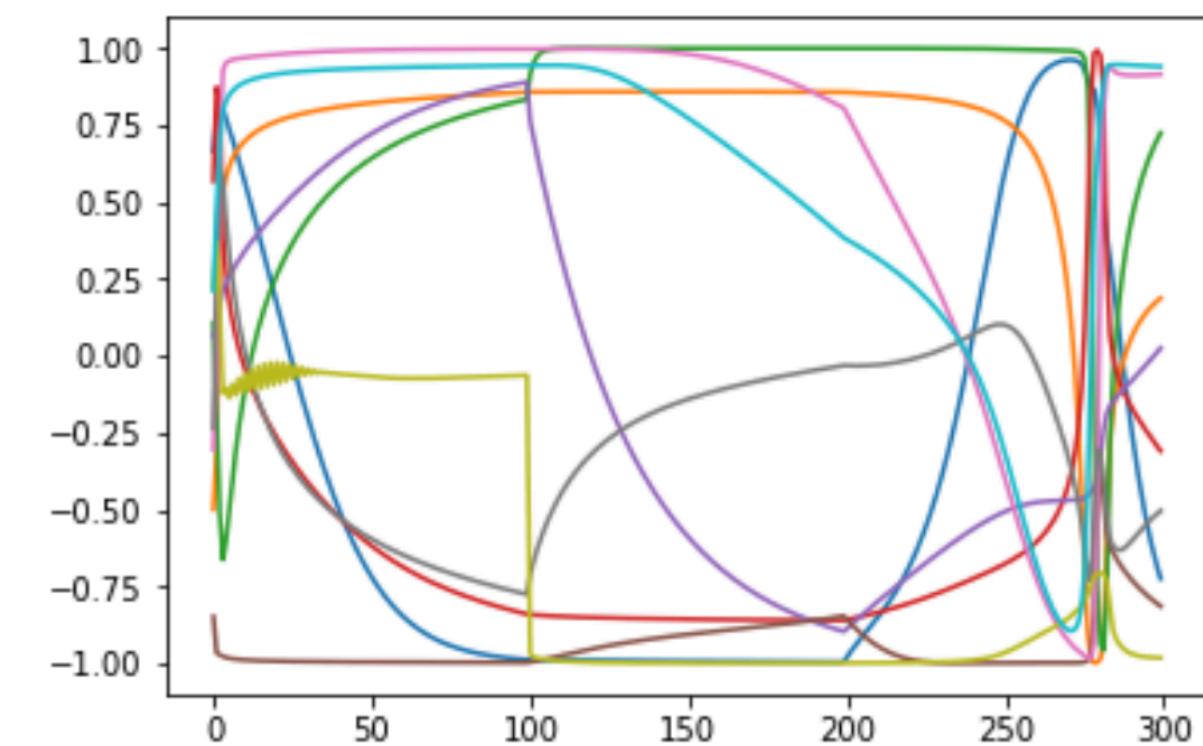
(a) $a^n b^n$ -LSTM on $a^{1000} b^{1000}$



(b) $a^n b^n c^n$ -LSTM on $a^{100} b^{100} c^{100}$



(c) $a^n b^n$ -GRU on $a^{1000} b^{1000}$



(d) $a^n b^n c^n$ -GRU on $a^{100} b^{100} c^{100}$

[source](#)

Odds and Ends

Fun with LSTM (character) LMs

- Generating text with an LM:
 - Feed initial token (e.g. BOS, or just a word/character)
 - Generate probability over next tokens
 - *Sample* next token from this distribution
 - Feed that token in to LM
 - Repeat until [EOS | max length | other criterion]

Fun with LSTM (character) LMs

and sexual power post. Many governments recognize the military housing of the [[Civil Liberalization and Infantry Resolution 265 National Party in Hungary]], that is sympathetic to be to the [[Punjab Resolution]] (PJS)[<http://www.humah.yahoo.com/guardian.cfm/7754800786d17551963s89.htm>] Official economics Adjoint for the Nazism, Montgomery was swear to advance to the resources for those Socialism's rule, was starting to signing a major tripad of aid exile.]]

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For $\bigoplus_{n=1,\dots,m} \mathcal{L}_{m,n} = 0$, hence we can find a closed subset H in \mathcal{H} and any sets \mathcal{F} on X , U is a closed immersion of S , then $U \rightarrow T$ is a separated algebraic space.

Proof. Proof of (1). It also start we get

$$S = \text{Spec}(R) = U \times_X U \times_X U$$

and the comparicoly in the fibre product covering we have to prove the lemma generated by $\coprod Z \times_U U \rightarrow V$. Consider the maps M along the set of points Sch_{fppf} and $U \rightarrow U$ is the fibre category of S in U in Section, ?? and the fact that any U affine, see Morphisms, Lemma ???. Hence we obtain a scheme S and any open subset $W \subset U$ in $\text{Sh}(G)$ such that $\text{Spec}(R') \rightarrow S$ is smooth or an

$$U = \bigcup U_i \times_{S_i} U_i$$

which has a nonzero morphism we may assume that f_i is of finite presentation over S . We claim that $\mathcal{O}_{X,x}$ is a scheme where $x, x' \in S'$ such that $\mathcal{O}_{X,x} \rightarrow \mathcal{O}'_{X',x'}$ is separated. By Algebra, Lemma ?? we can define a map of complexes $\text{GL}_{S'}(x'/S'')$ and we win. \square

To prove study we see that $\mathcal{F}|_U$ is a covering of X' , and \mathcal{T}_i is an object of $\mathcal{F}_{X/S}$ for $i > 0$ and \mathcal{F}_p exists and let \mathcal{F}_i be a presheaf of \mathcal{O}_X -modules on C as a \mathcal{F} -module. In particular $\mathcal{F} = U/\mathcal{F}$ we have to show that

$$\widetilde{\mathcal{M}}^\bullet = \mathcal{I}^\bullet \otimes_{\text{Spec}(k)} \mathcal{O}_{S,s} - i_X^{-1} \mathcal{F}$$

is a unique morphism of algebraic stacks. Note that

$$\text{Arrows} = (\text{Sch}/S)^{opp}_{fppf}, (\text{Sch}/S)_{fppf}$$

and

$$V = \Gamma(S, \mathcal{O}) \longrightarrow (U, \text{Spec}(A))$$

is an open subset of X . Thus U is affine. This is a continuous map of X is the inverse, the groupoid scheme S . \square

Proof. See discussion of sheaves of sets. \square

The result for prove any open covering follows from the less of Example ???. It may replace S by $X_{\text{spaces,étale}}$ which gives an open subspace of X and T equal to S_{Zar} , see Descent, Lemma ???. Namely, by Lemma ?? we see that R is geometrically regular over S .

Lemma 0.1. Assume (3) and (3) by the construction in the description.

Suppose $X = \lim|X|$ (by the formal open covering X and a single map $\text{Proj}_X(\mathcal{A}) = \text{Spec}(B)$ over U compatible with the complex $\text{Set}(\mathcal{A}) = \Gamma(X, \mathcal{O}_{X,\mathcal{O}_X})$.

When in this case of to show that $\mathcal{Q} \rightarrow \mathcal{C}_{Z/X}$ is stable under the following result in the second conditions of (1), and (3). This finishes the proof. By Definition ?? (without element is when the closed subschemes are catenary. If T is surjective we may assume that T is connected with residue fields of S . Moreover there exists a closed subspace $Z \subset X$ of X where U in X' is proper (some defining as a closed subset of the uniqueness it suffices to check the fact that the following theorem

(1) f is locally of finite type. Since $S = \text{Spec}(R)$ and $Y = \text{Spec}(R)$.

Proof. This is form all sheaves of sheaves on X . But given a scheme U and a surjective étale morphism $U \rightarrow X$. Let $U \cap U = \coprod_{i=1,\dots,n} U_i$ be the scheme X over S at the schemes $X_i \rightarrow X$ and $U = \lim_i X_i$. \square

The following lemma surjective restrocomposes of this implies that $\mathcal{F}_{x_0} = \mathcal{F}_{x_0} = \mathcal{F}_{x,\dots,0}$.

Lemma 0.2. Let X be a locally Noetherian scheme over S , $E = \mathcal{F}_{X/S}$. Set $\mathcal{I} = \mathcal{J}_1 \subset \mathcal{J}'_n$. Since $\mathcal{I}^n \subset \mathcal{J}^n$ are nonzero over $i_0 \leq p$ is a subset of $\mathcal{J}_{n,0} \circ \bar{A}_2$ works.

Lemma 0.3. In Situation ???. Hence we may assume $q' = 0$.

Proof. We will use the property we see that p is the next functor (??). On the other hand, by Lemma ?? we see that

$$D(\mathcal{O}_{X'}) = \mathcal{O}_X(D)$$

where K is an F -algebra where δ_{n+1} is a scheme over S . \square

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```
was swear /*
was start
```

* Increment the size file of the new incorrect UI_FILTER group information

* of the size generatively.

```
*/
```

```
static int indicate_policy(void)
```

```
{
```

```
    int error;
```

```
    if (fd == MARN_EPT) {
```

```
        /*
```

* The kernel blank will coeld it to userspace.

```
        */
```

```
        if (ss->segment < mem_total)
```

```
            unblock_graph_and_set_blocked();
```

```
        else
```

```
            ret = 1;
```

```
        goto bail;
```

```
}
```

For $\bigoplus_{n=1,\dots,m} \mathcal{L}_{m,n} = 0$, hence we can find a closed subset H in \mathcal{H} and any sets \mathcal{F} on X , U is a closed immersion of S , then $U \rightarrow T$ is a separated algebraic space.

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Fun with LSTM (character) LMs

- “The Unreasonable Effectiveness of RNNs” (Karpathy 2015):
<http://karpathy.github.io/2015/05/21/rnn-effectiveness/>

Cell sensitive to position in line:

```
The sole importance of the crossing of the Berezina lies in the fact  
that it plainly and indubitably proved the fallacy of all the plans for  
cutting off the enemy's retreat and the soundness of the only possible  
line of action--the one Kutuzov and the general mass of the army  
demanded--namely, simply to follow the enemy up. The French crowd fled  
at a continually increasing speed and all its energy was directed to  
reaching its goal. It fled like a wounded animal and it was impossible  
to block its path. This was shown not so much by the arrangements it  
made for crossing as by what took place at the bridges. When the bridges  
broke down, unarmed soldiers, people from Moscow and women with children  
who were with the French transport, all--carried on by vis inertiae--  
pressed forward into boats and into the ice-covered water and did not,  
surrender.
```

Cell that turns on inside quotes:

```
"You mean to imply that I have nothing to eat out of.... On the  
contrary, I can supply you with everything even if you want to give  
dinner parties," warmly replied Chichagov, who tried by every word he  
spoke to prove his own rectitude and therefore imagined Kutuzov to be  
animated by the same desire.
```

```
Kutuzov, shrugging his shoulders, replied with his subtle penetrating  
smile: "I meant merely to say what I said."
```

Cell that robustly activates inside if statements:

```
static int __dequeue_signal(struct sigpending *pending, sigset_t *mask,  
                           siginfo_t *info)  
{  
    int sig = next_signal(pending, mask);  
    if (sig) {  
        if (current->notifier) {  
            if (sigismember(current->notifier_mask, sig)) {  
                if (! (current->notifier)(current->notifier_data)) {  
                    clear_thread_flag(TIF_SIGPENDING);  
                    return 0;  
                }  
            }  
            collect_signal(sig, pending, info);  
        }  
    }  
    return sig;  
}
```

A large portion of cells are not easily interpretable. Here is a typical example:

```
/* Unpack a filter field's string representation from user-space  
 * buffer. */  
char *audit_unpack_string(void **bufp, size_t *remain, size_t len)  
{  
    char *str;  
    if (! *bufp || (len == 0) || (len > *remain))  
        return ERR_PTR(-EINVAL);  
    /* Off the currently implemented string fields, PATH_MAX  
     * defines the longest valid length.  
     */
```

ELMo (Embeddings from Language Models)

Peters et al NAACL 2018



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ELMo

Deep contextualized word representations

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Abstract

We introduce a new type of *deep contextualized* word representation that models both (1) complex characteristics of word use (e.g., syntax and semantics), and (2) how these uses vary across linguistic contexts (i.e., to model polysemy). Our word vectors are learned functions of the internal states of a deep bidirectional language model (biLM), which is pre-trained on a large text corpus. We show that these representations can be easily added to existing models and significantly improve the state of the art across six challenging NLP problems, including question answering, textual entailment and sentiment analysis. We also present an analysis showing that exposing the deep internals of the pre-trained network is crucial, allowing downstream models to mix different types of semi-supervision signals.

guage model (LM) objective on a large text corpus. For this reason, we call them ELMo (Embeddings from Language Models) representations. Unlike previous approaches for learning contextualized word vectors (Peters et al., 2017; McCann et al., 2017), ELMo representations are deep, in the sense that they are a function of all of the internal layers of the biLM. More specifically, we learn a linear combination of the vectors stacked above each input word for each end task, which markedly improves performance over just using the top LSTM layer.

Combining the internal states in this manner allows for very rich word representations. Using intrinsic evaluations, we show that the higher-level LSTM states capture context-dependent aspects of word meaning (e.g., they can be used without modification to perform well on supervised

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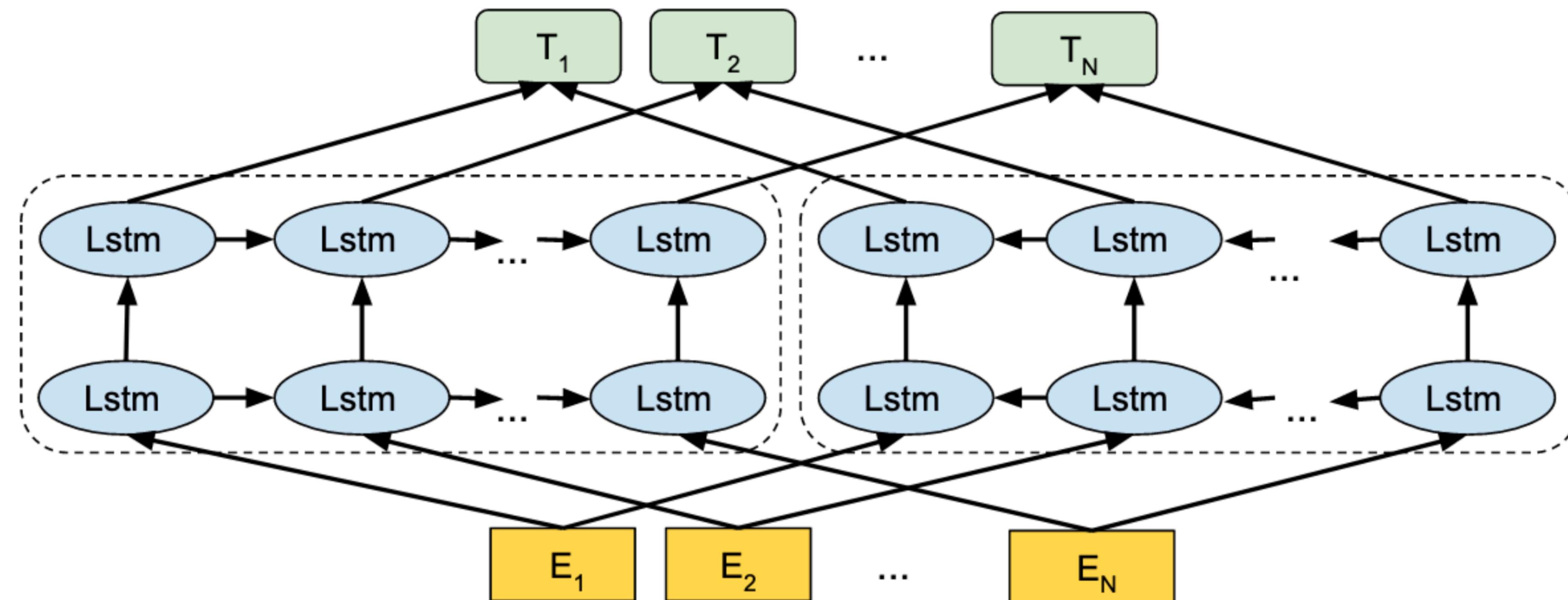
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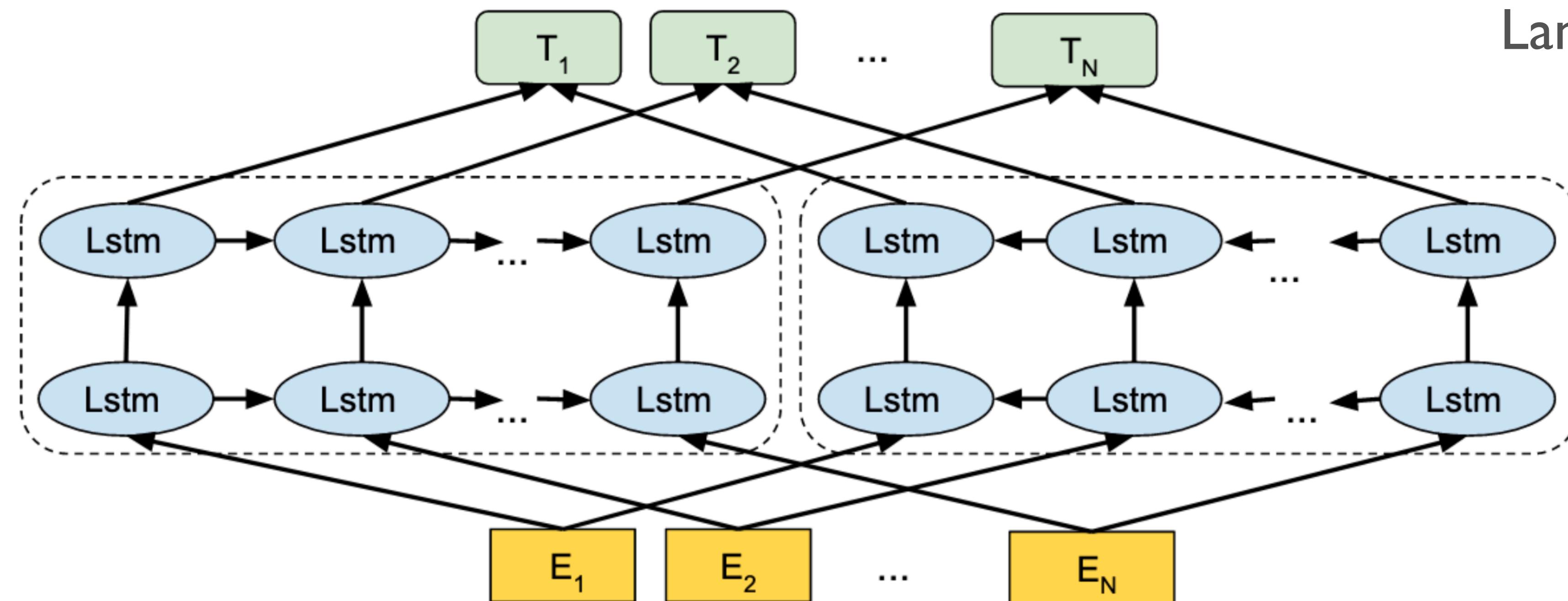
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ELMo Model



ELMo Model

Deep
Bidirectional
LSTM
Language Model



Summary

- Vanilla / Simple / Elman RNNs:
 - Powerful, but susceptible to *vanishing gradients*
 - Because re-write entire hidden state each time step
- LSTMs + GRUs:
 - Use *gates* to control information flow
 - Additive connections across time steps help alleviate vanishing gradient problem
 - Interpretable and very powerful
- Moving forward: sequence-to-sequence (+ attention), and then overcoming a major RNN bottleneck (Transformers)