

# Computational Semantics

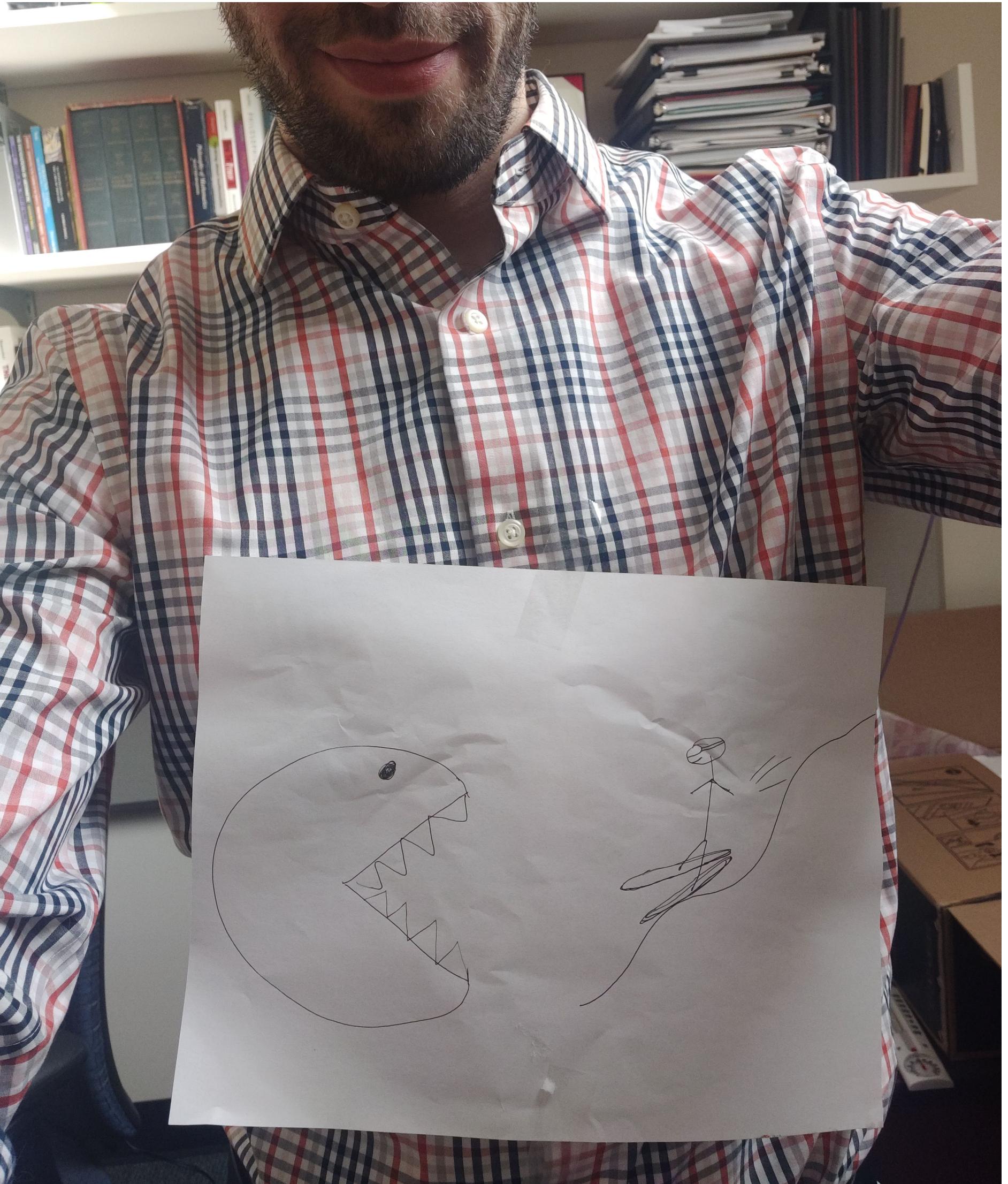
LING 571 — Deep Processing for NLP

October 31, 2022

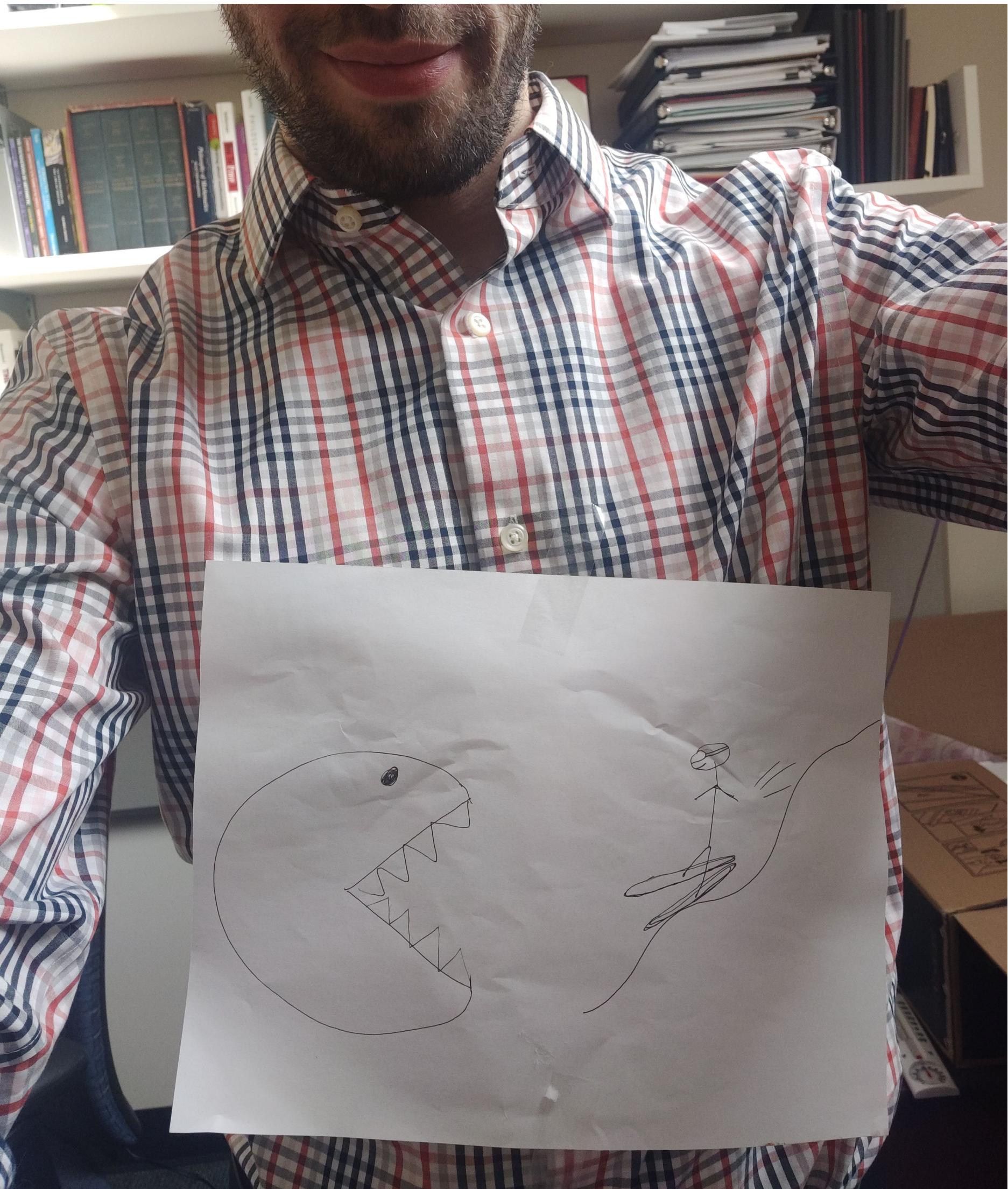
# Announcements

- No class on **December 5**
- Happy Halloween!!

# Happy Hallowe'en!

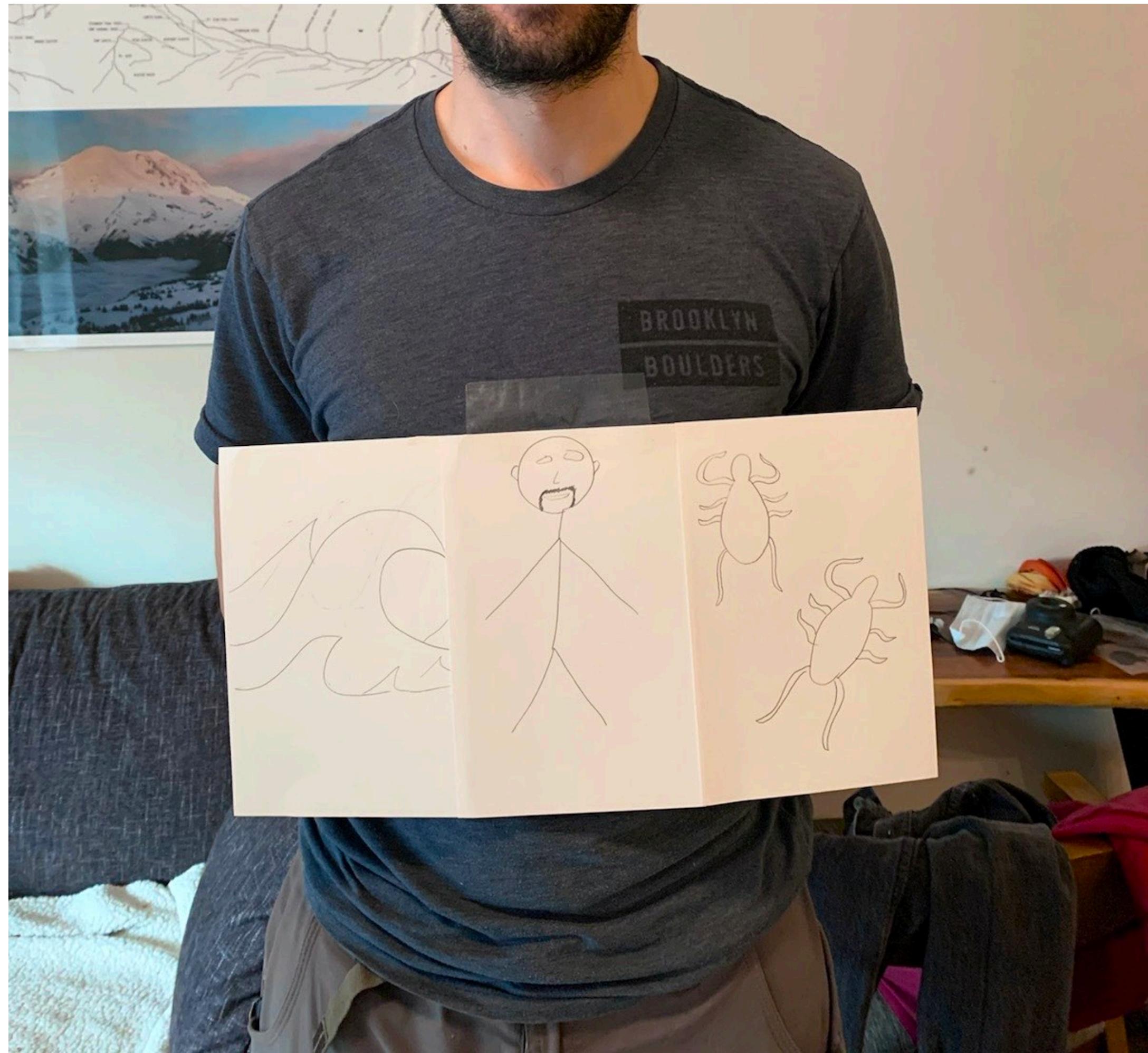


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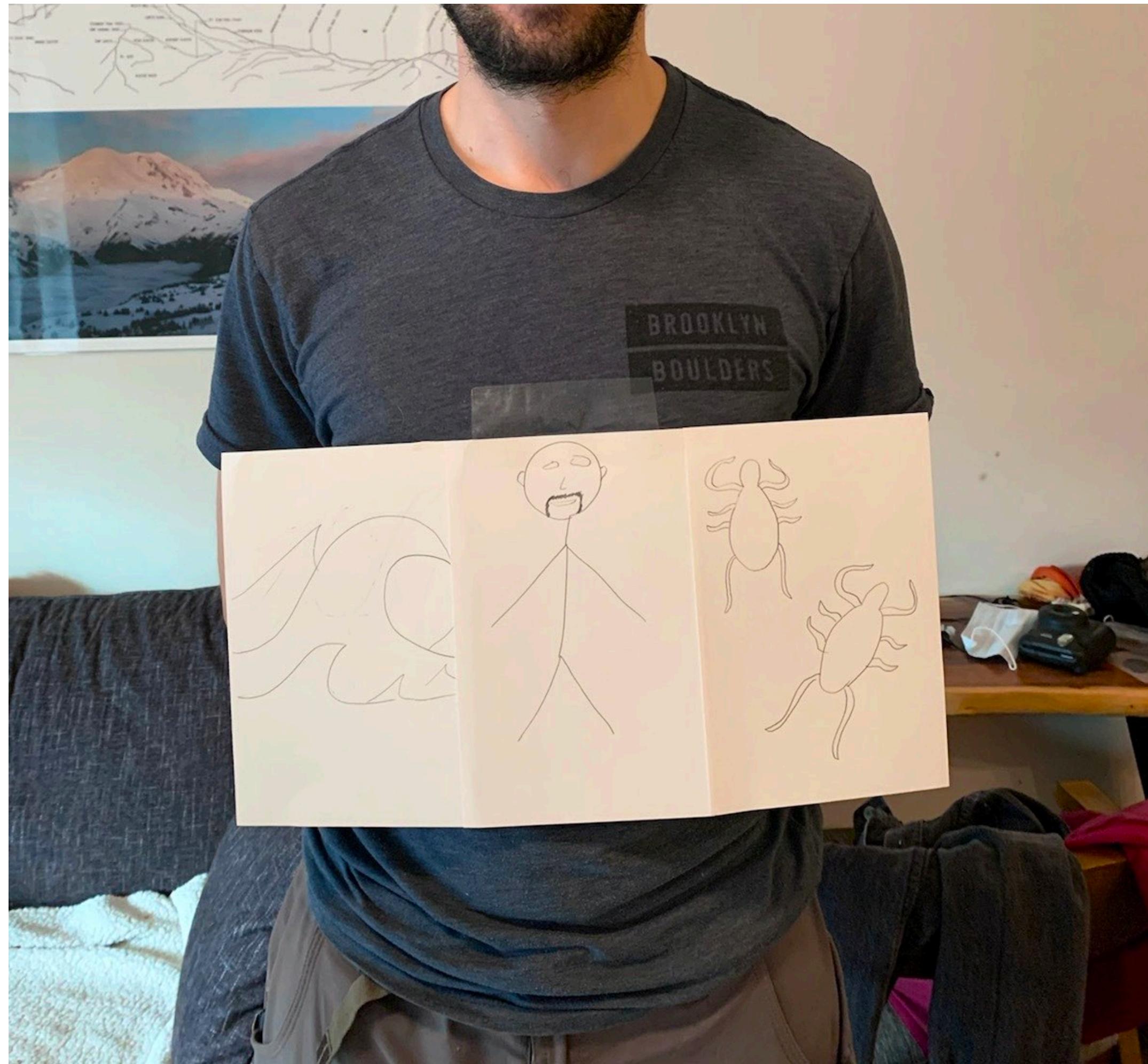


2019: Chomp + Ski = Chomsky

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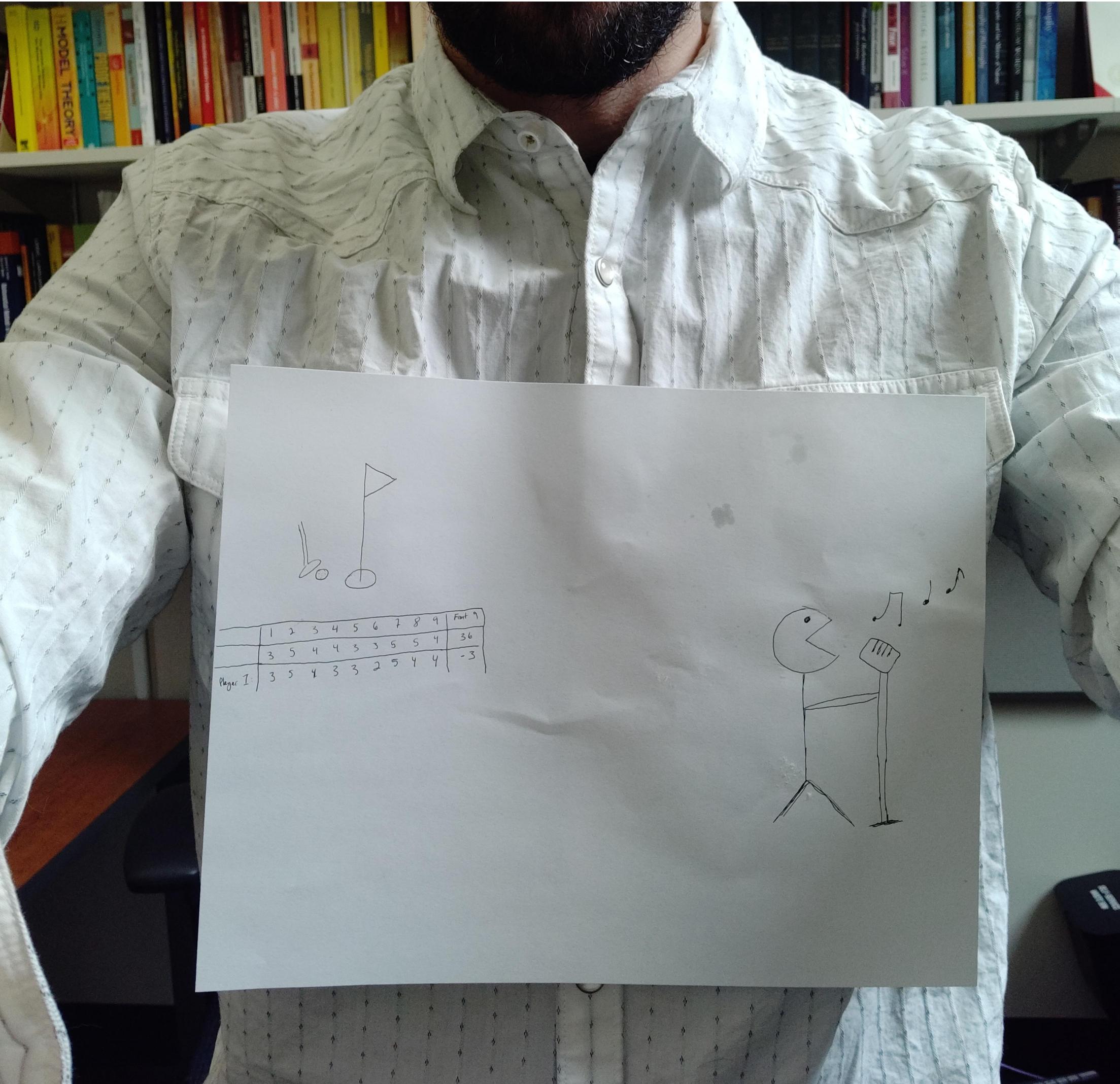


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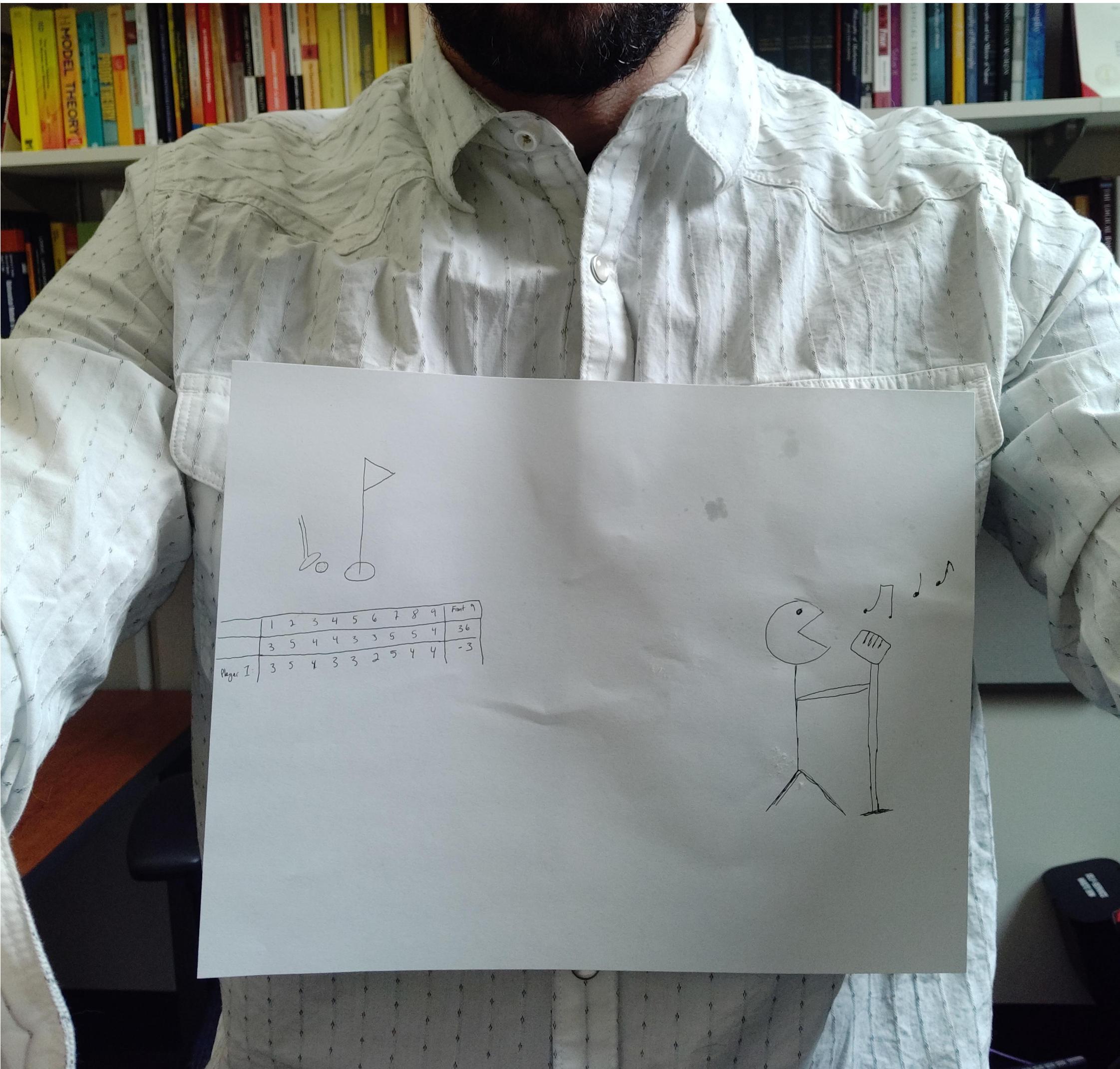


2020: Sea + Man + Ticks = Semantics

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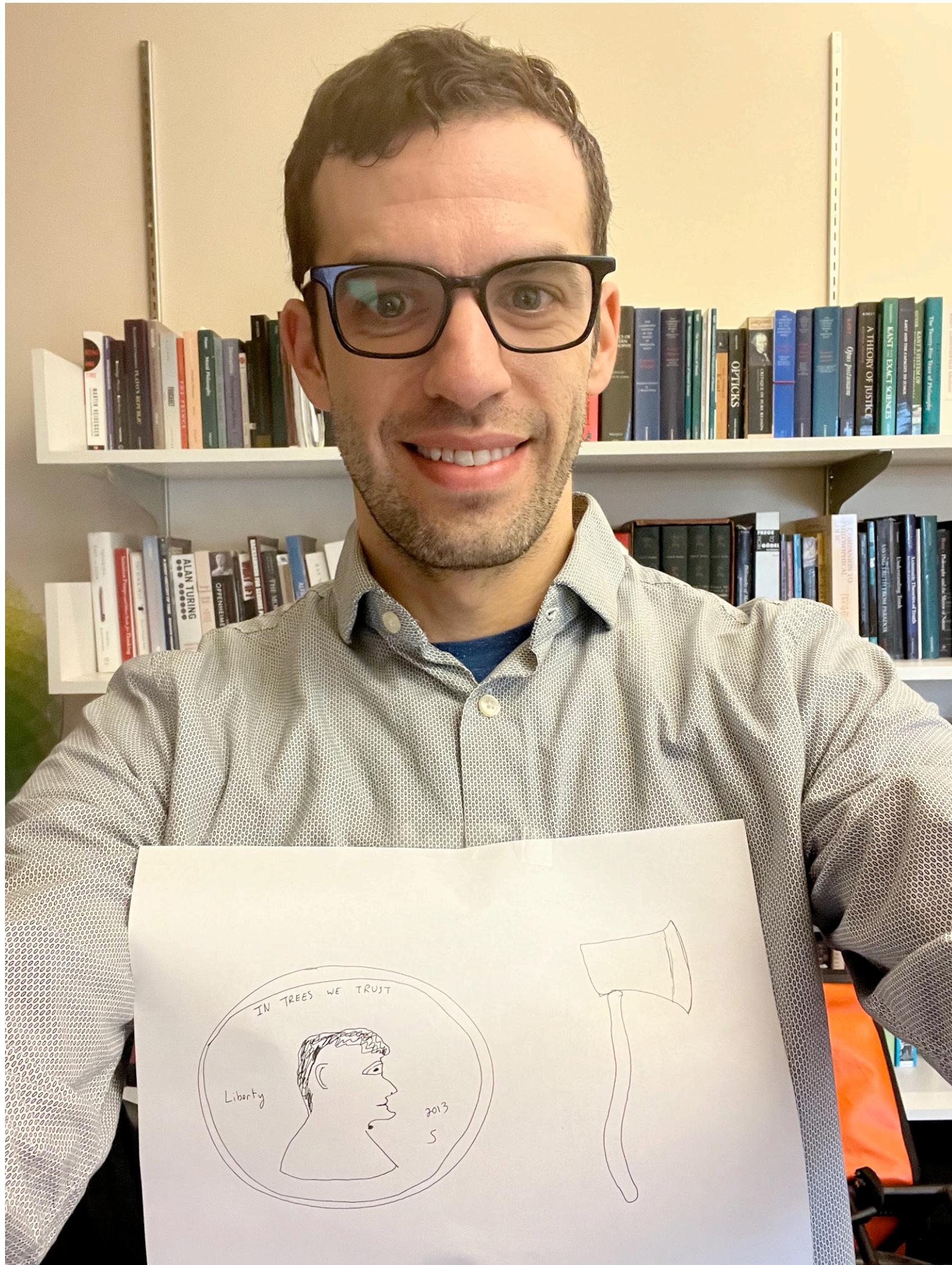
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	1	2	3	4	5	6	7	8	9	Final
Player 1	3	5	4	4	3	3	5	5	4	36
	3	5	4	3	3	2	5	4	4	-3

2021: par + sing = parsing

# Happy Hallowe'en!



2022: ????

# W What am I for Halloween? (one word, dad joke)

Total Results: 0

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# Varieties of Entailment in the News

# Presuppositions, etc

Behold Trump's pre-election secret weapon: Nigel Farage, 'king of Europe'

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- Contrast:
  - “We are talking on Zoom right now.”
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- Presuppositions (that there is a king) “project out” from negation (and other operators, like questions, conditionals, etc). Standard logical entailments do not.
- Presuppositions must be true in order for a sentence to be true or false at all.

Behold Trump's pre-election secret weapon: Nigel Farage, 'king of Europe'

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  - Common examples of scales: {some, all}, {or, and}, {may, must}, ...
- Trump’s doctor when he was at the hospital with COVID-19:
  - Press: “Has he ever been on supplemental oxygen?”
  - Doc: “He hasn’t had supplemental oxygen today or yesterday.”

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  - There is an exam.
  - A student was told that the exam will be postponed.
  - The exam will be postponed.
  - Not every student was told that the exam will be postponed.

# An Interesting Example

**A top baseball prospect's Southern California scholarship was lost to the pandemic**

<https://www.washingtonpost.com/road-to-recovery/2020/11/02/tank-espalin-usc-indiana-baseball/>

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“A prospect’s scholarship”: presupposes there is a scholarship

Rest of headline: there is no more scholarship

Complex compositional interaction between tense and presupposition

# Roadmap

- First-order Logic: Syntax and Semantics
- Inference + Events
- Rule-to-rule Model
- More lambda calculus

# FOL Syntax + Semantics

# Example Meaning Representation

- A non-stop flight that serves Pittsburgh:

$$\exists x \text{ } Flight(x) \wedge Serves(x, \text{Pittsburgh}) \wedge \text{Non-stop}(x)$$

# FOL Syntax Summary

<b>Formula</b>	$\rightarrow$	<i>AtomicFormula</i>	<b>Connective</b>	$\rightarrow$	$\wedge \mid \vee \mid \Rightarrow$
		<i>Formula Connective Formula</i>	<b>Quantifier</b>	$\rightarrow$	$\forall \mid \exists$
		<i>Quantifier Variable, ... Formula</i>	<b>Constant</b>	$\rightarrow$	<i>VegetarianFood</i>   <i>Maharani</i>   ...
		$\neg$ <i>Formula</i>	<b>Variable</b>	$\rightarrow$	<i>x</i>   <i>y</i>   ...
		( <i>Formula</i> )	<b>Predicate</b>	$\rightarrow$	<i>Serves</i>   <i>Near</i>   ...
<b>AtomicFormula</b>	$\rightarrow$	<i>Predicate(Term,...)</i>	<b>Function</b>	$\rightarrow$	<i>LocationOf</i>   <i>CuisineOf</i>   ...
<b>Term</b>	$\rightarrow$	<i>Function(Term,...)</i>			
		<i>Constant</i>			
		<i>Variable</i>			

J&M p. 556 (3rd ed. 16.3)

# Model-Theoretic Semantics

- A “model” represents a particular state of the world
- Our language has **logical** and **non-logical** elements.
  - **Logical:** Symbols, operators, quantifiers, etc
  - **Non-Logical:** Names, properties, relations, etc

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- **Relations** — *sets of tuples of elements*
  - **CapitalCity**: *{(Washington, Olympia), (Yamoussokro, Cote d'Ivoire), (Ulaanbaatar, Mongolia), ...}*

# Sample Domain $\mathcal{D}$

via J&M, p. 554

## Objects

Matthew, Franco, Katie, Caroline	$a, b, c, d$
Frasca, Med, Rio	$e, f, g$
Italian, Mexican, Eclectic	$h, i, j$

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## Relations

<b>Likes</b>	Matthew likes the Med Katie likes the Med and Rio Franco likes Frasca Caroline likes the Med and Rio	<b>Likes</b> = $\{ \langle a, f \rangle, \langle c, f \rangle, \langle c, g \rangle, \langle b, e \rangle, \langle d, f \rangle, \langle d, g \rangle \}$
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<b>Serves</b>	Med serves eclectic Rio serves Mexican Frasca serves Italian	<b>Serves</b> = $\{ \langle c, f \rangle, \langle f, i \rangle, \langle e, h \rangle \}$
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# Events

# Representing Events

- Initially, single predicate with some arguments
  - *Serves(United, Houston)*
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- Variable number of arguments; many entailment relations here.

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- **Arity:**
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- *The flight arrived in Seattle from SFO on Saturday.*
  - Davidsonian (Davidson 1967):
    - $\exists e \text{ Arrival}(e, \text{Flight}, \text{Seattle}, \text{SFO}) \wedge \text{Time}(e, \text{Saturday})$
  - Neo-Davidsonian (Parsons 1990):
    - $\exists e \text{ Arrival}(e) \wedge \text{Arrived}(e, \text{Flight}) \wedge \text{Destination}(e, \text{Seattle}) \wedge \text{Origin}(e, \text{SFO}) \wedge \text{Time}(e, \text{Saturday})$

# Why events?

- “Adverbial modification is thus seen to be logically on a par with adjectival modification: what adverbial clauses modify is not verbs but the events that certain verbs introduce.” —Davidson

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- Neo-Davidsonian representation:
  - Distill event to single argument for main predicate
  - Everything else is additional predication
- Pros
  - No fixed argument structure
  - Dynamically add predicates as necessary
  - No unused roles
  - Logical connections can be derived

# Meaning Representation for Computational Semantics

- Requirements
  - Verifiability
  - Unambiguous representation
  - Canonical Form
  - Inference
  - Variables
  - Expressiveness
- Solution:
  - First-Order Logic
    - Structure
    - Semantics
    - Event Representation

# Rule-to-Rule Model

# Recap

- **Meaning Representation**
  - Can represent meaning in natural language in many ways
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# Recap

- **Meaning Representation**
  - Can represent meaning in natural language in many ways
  - We are focusing on First-Order Logic (FOL)
- **Principle of compositionality**
  - The meaning of a complex expression is a function of the meaning of its parts
- **Lambda Calculus**
  - $\lambda$ -expressions denote functions
  - Can be nested
  - Reduction = function application

# Semantics Reflects Syntax

# Chiasmus: Syntax affects Semantics!



*Bowie playing Tesla*

*The Prestige* (2006)



*Tesla playing Bowie*

*SpaceX Falcon Heavy Test Launch* (2/6/2018)

# Chiasmus: Syntax affects Semantics!

- “Never let a fool kiss you or a kiss fool you” (Grothe, 2002)
- “Then you should say what you mean,” the March Hare went on.

“I do,” Alice hastily replied; “at least—at least I mean what I say—that’s the same thing, you know.”

“Not the same thing a bit!” said the Hatter. “Why, you might just as well say that ‘I see what I eat’ is the same thing as ‘I eat what I see’!”

“You might just as well say,” added the March Hare,  
“that ‘I like what I get’ is the same thing as ‘I get what I like’!”

“You might just as well say,” added the Dormouse, which seemed to be talking in his sleep,  
“that ‘I breathe when I sleep’ is the same thing as ‘I sleep when I breathe’!”

—Alice in Wonderland, Lewis Carroll

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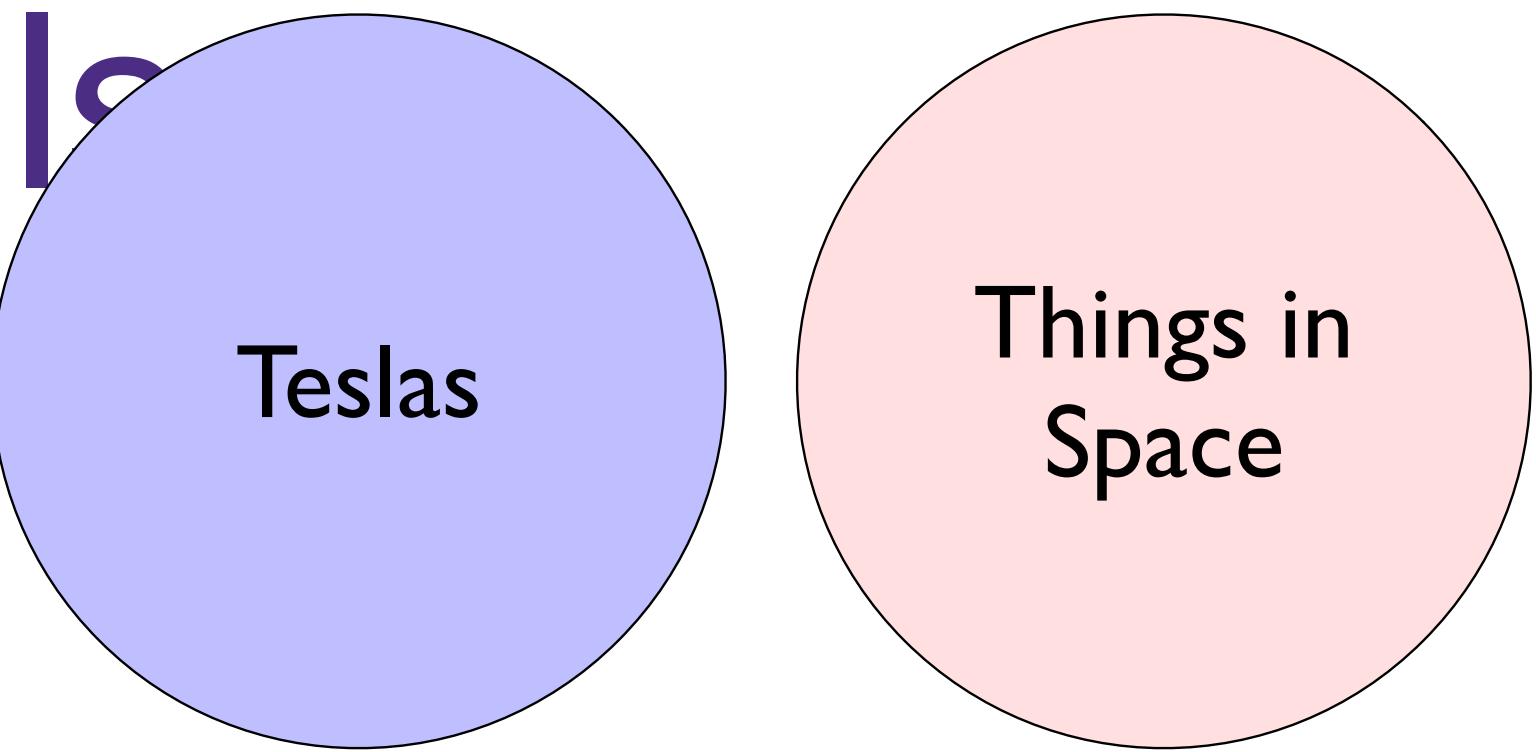
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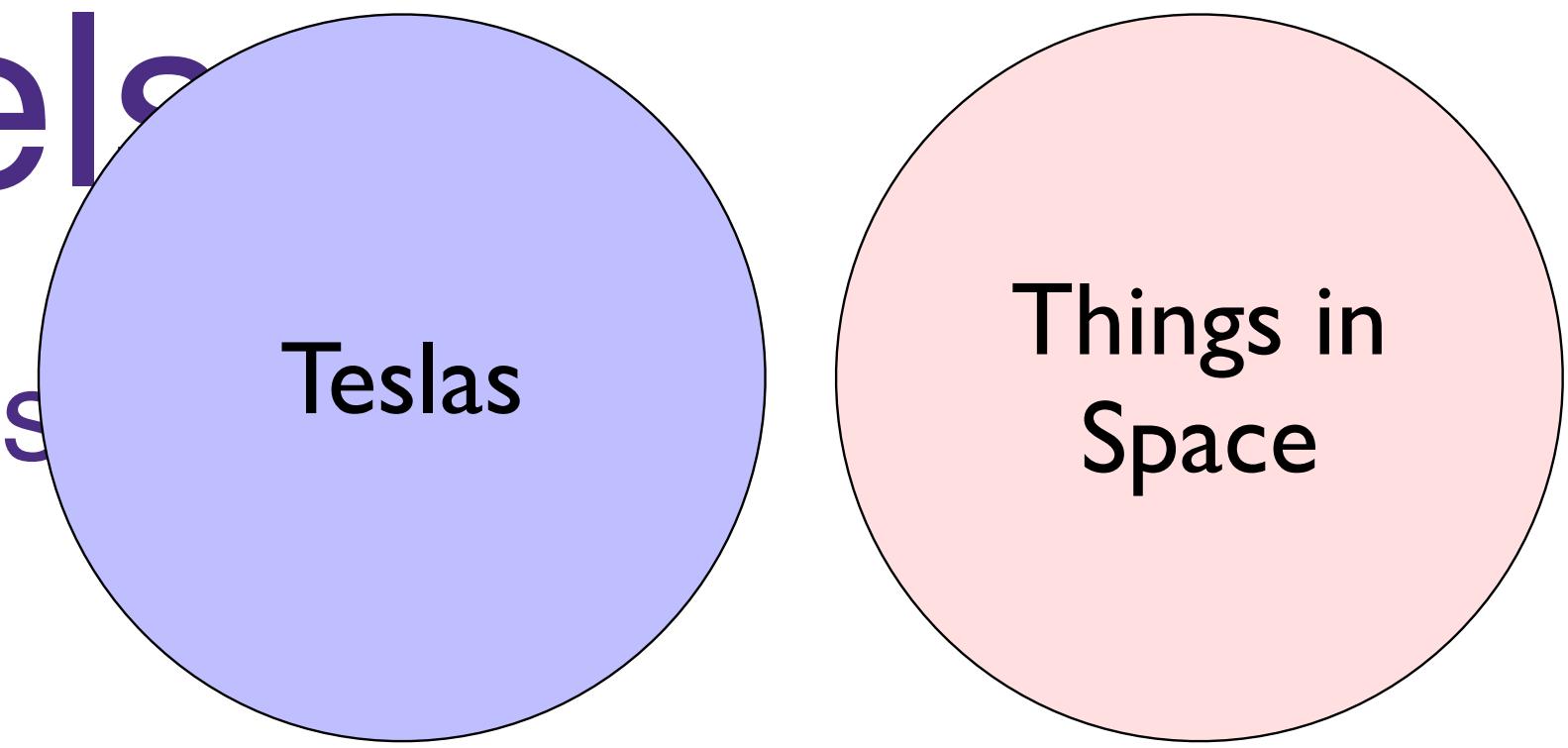
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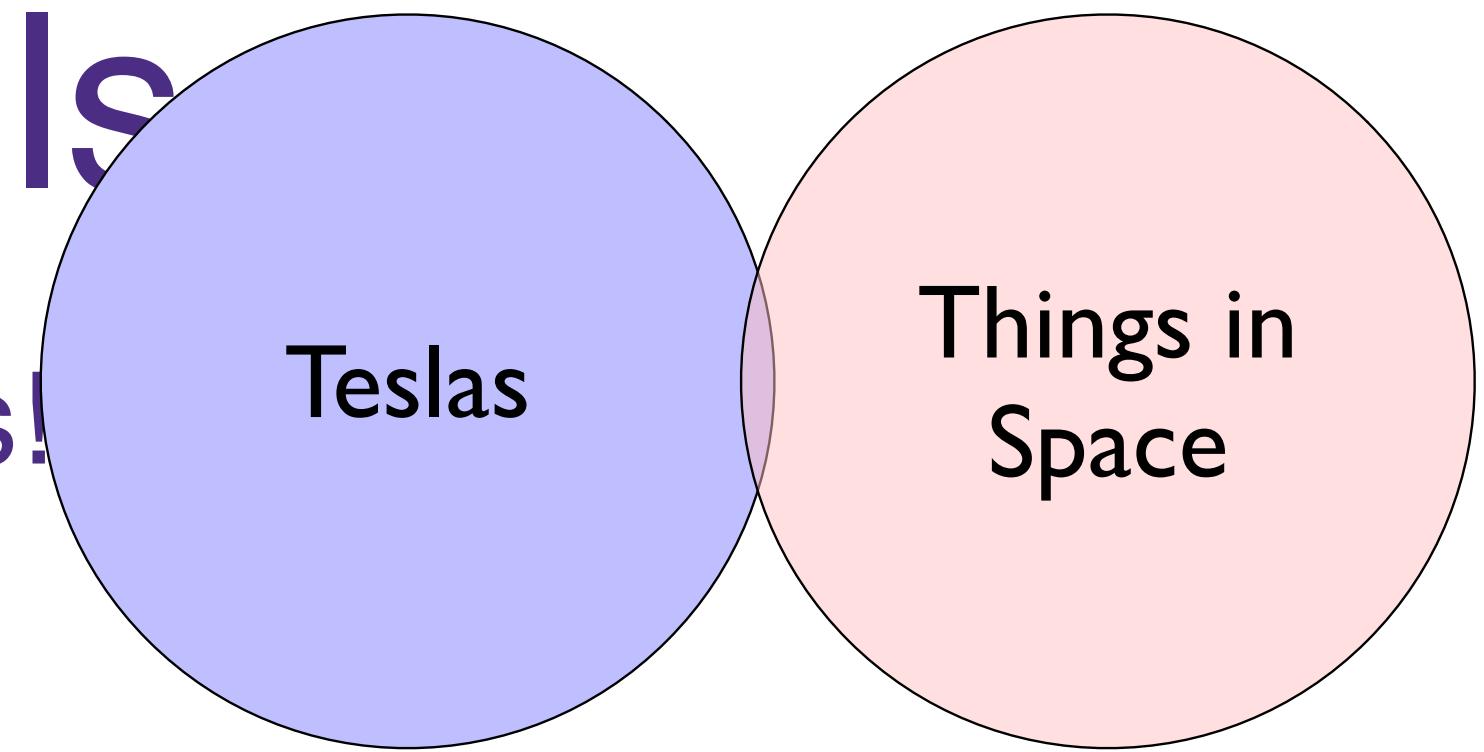
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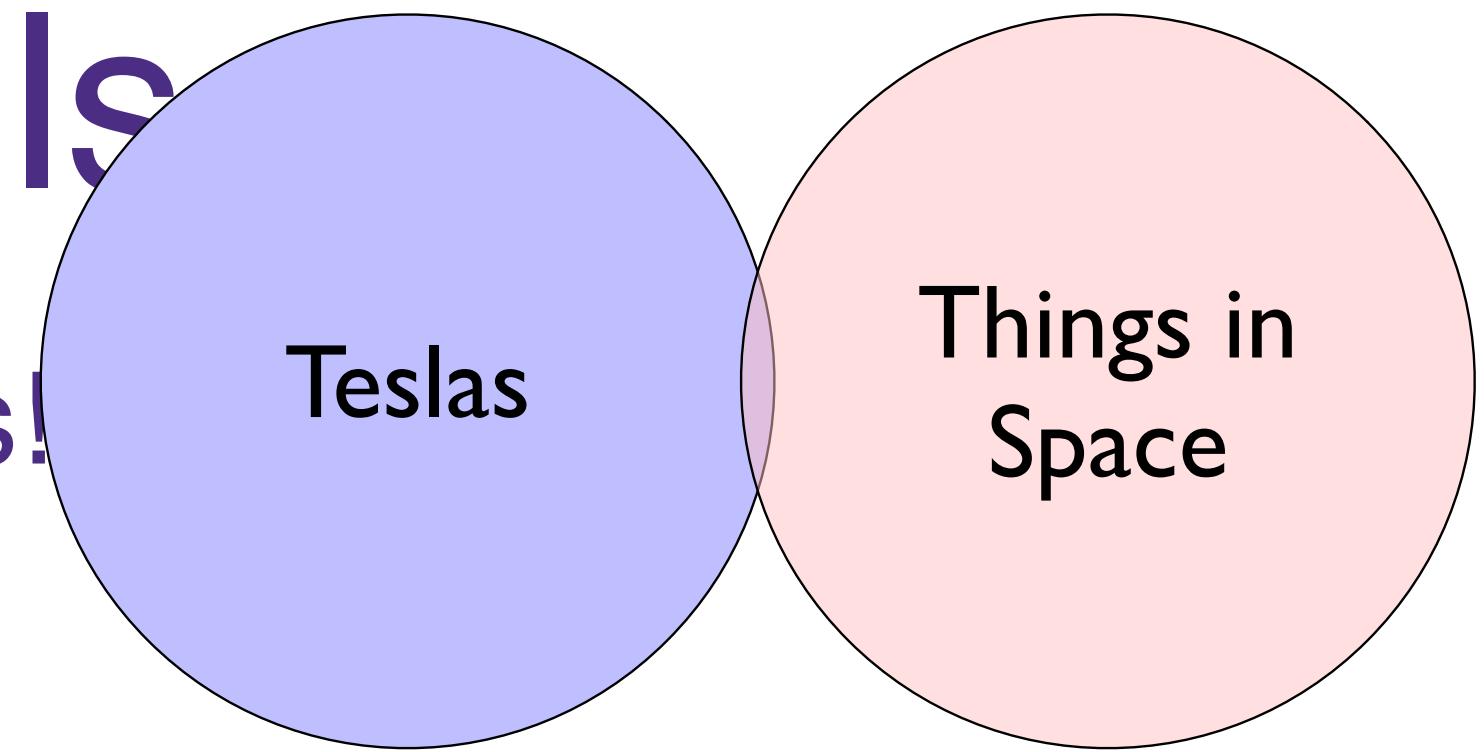


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# Scope Ambiguity

- Potentially  $O(n!)$  scope interpretations (“scopings”)
  - Where  $n$ =number of scope-taking operators.
    - (*every, a, all, no, modals, negations, conditionals, ...*)
- Different interpretations correspond to different syntactic parses!

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- Derivative of an alleged Groucho Marx-ism:
- In the US, a woman gives birth every fifteen minutes.
  - We must find her and put a stop to it.
- Thank you scope ambiguity! (Not the same as attachment ambiguity.)

# Scope Ambiguity in the News

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- “Boston voters have elected City Councilor Michelle Wu as mayor, the city's first woman and person of color elected to the post.”
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Parse

```
(ROOT
  (S
    (NP (NNP Boston) (NNS voters))
    (VP (VBP have)
      (VP (VBN elected)
        (NP
          (NP (NNP City) (NNP Councilor) (NNP Michelle) (NNP Wu))
          (PP (IN as)
            (NP (NN mayor))))
        (, ,)
        (NP
          (NP (DT the) (NN city) (POS 's))
          (JJ first) (NN woman))
        (CC and)
        (NP
          (NP (NN person))
          (PP (IN of)
            (NP
              (NP (NN color))
              (VP (VBN elected)
                (PP (IN to)
                  (NP (DT the) (NN post)))))))))))
      (. .)))
```

# Integrating Semantics into Syntax

## 1. Pipeline System

- Feed parse tree and sentence to semantic analyzer
- How do we know which pieces of the semantics link to which part of the analysis?
- Need detailed information about sentence, parse tree
- Infinitely many sentences & parse trees
- Semantic mapping function per parse tree → intractable

# Integrating Semantics into Syntax

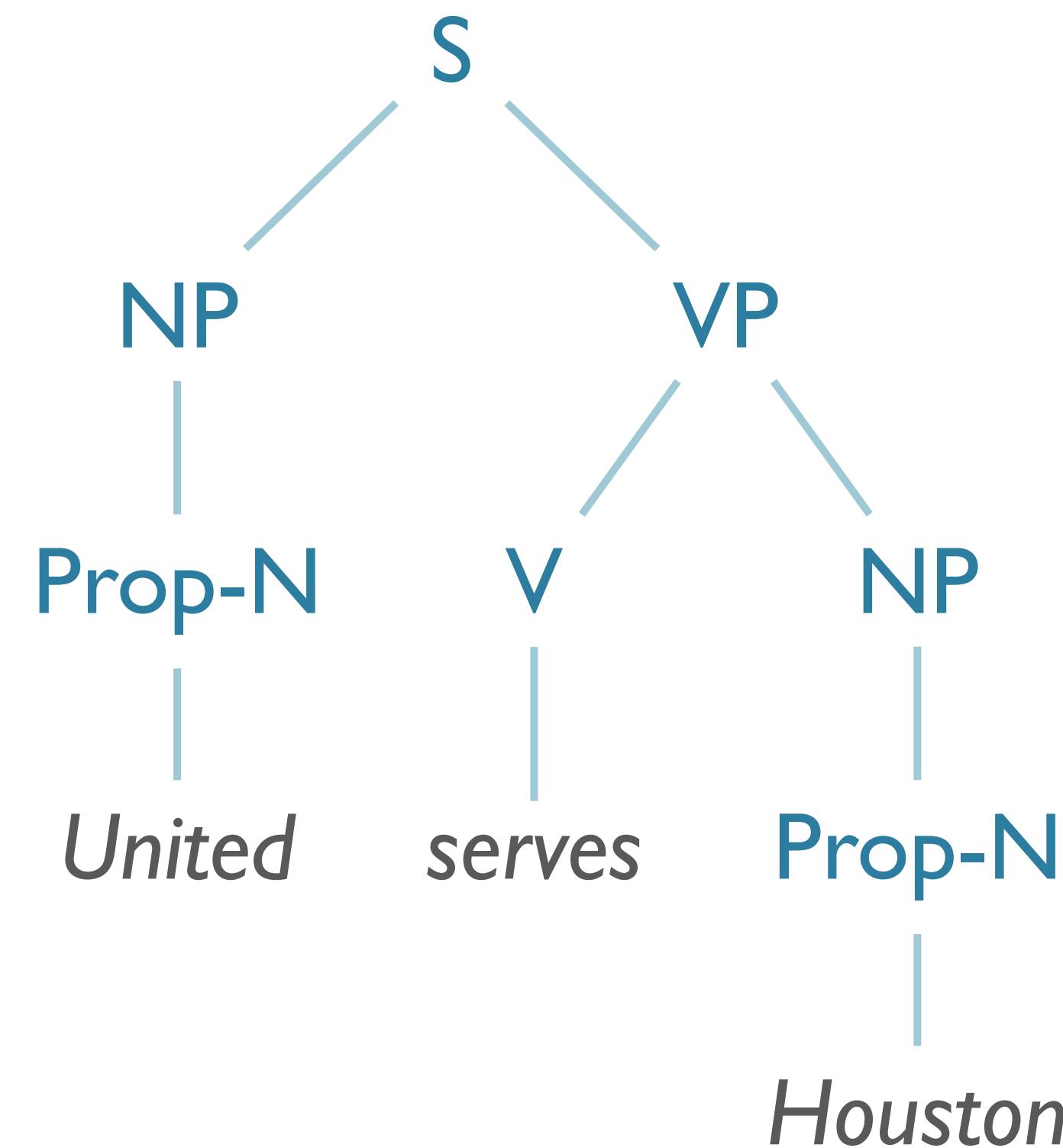
# Integrating Semantics into Syntax

## 2. Integrate Directly into Grammar

- This is the “rule-to-rule” approach we’ve been implicitly examining and will now make more explicit
- Tie semantics to finite components of grammar (rules & lexicon)
- Augment grammar rules with semantic info
  - a.k.a. “attachments” — specify how RHS elements compose to LHS

# Simple Example

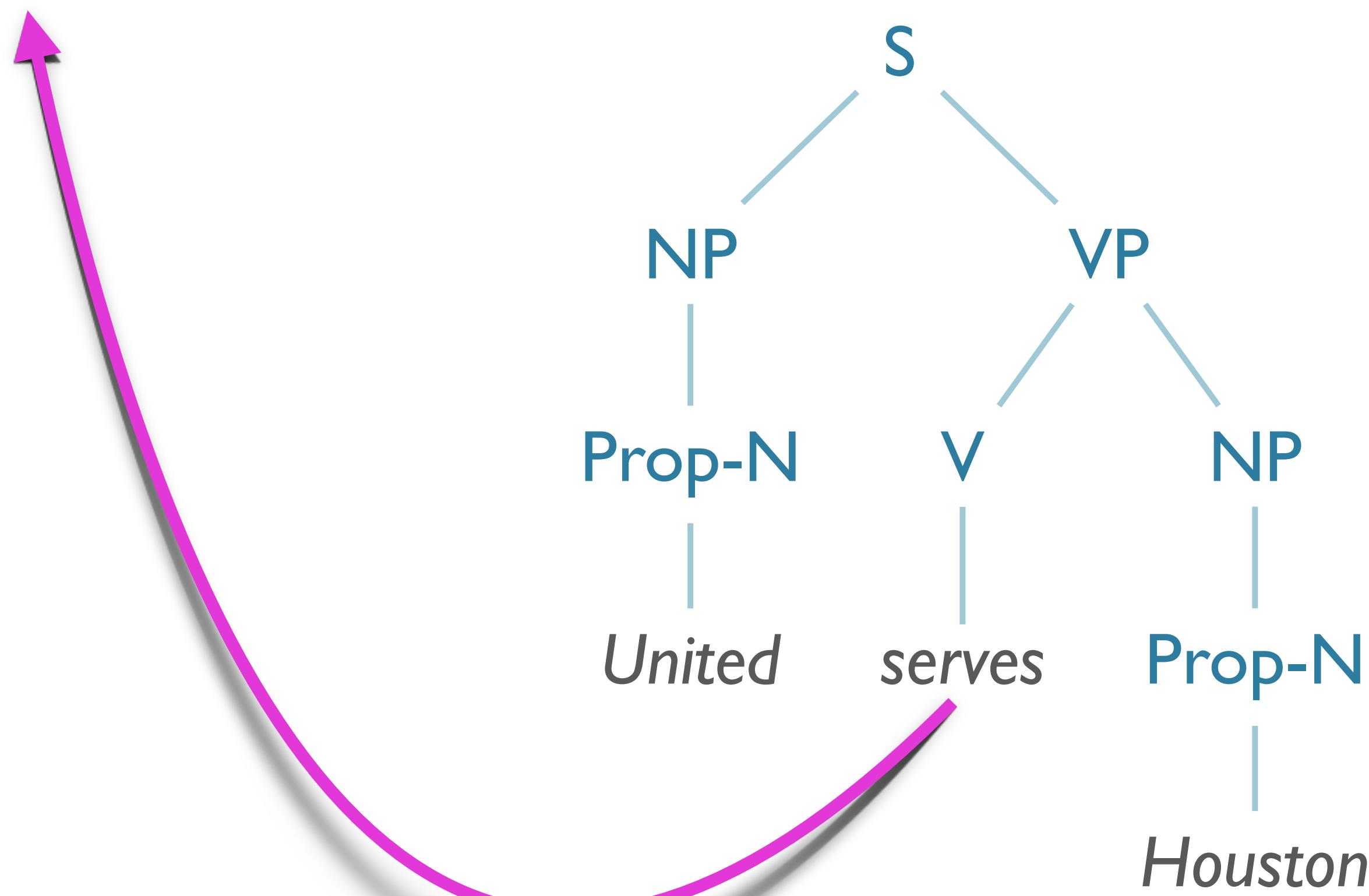
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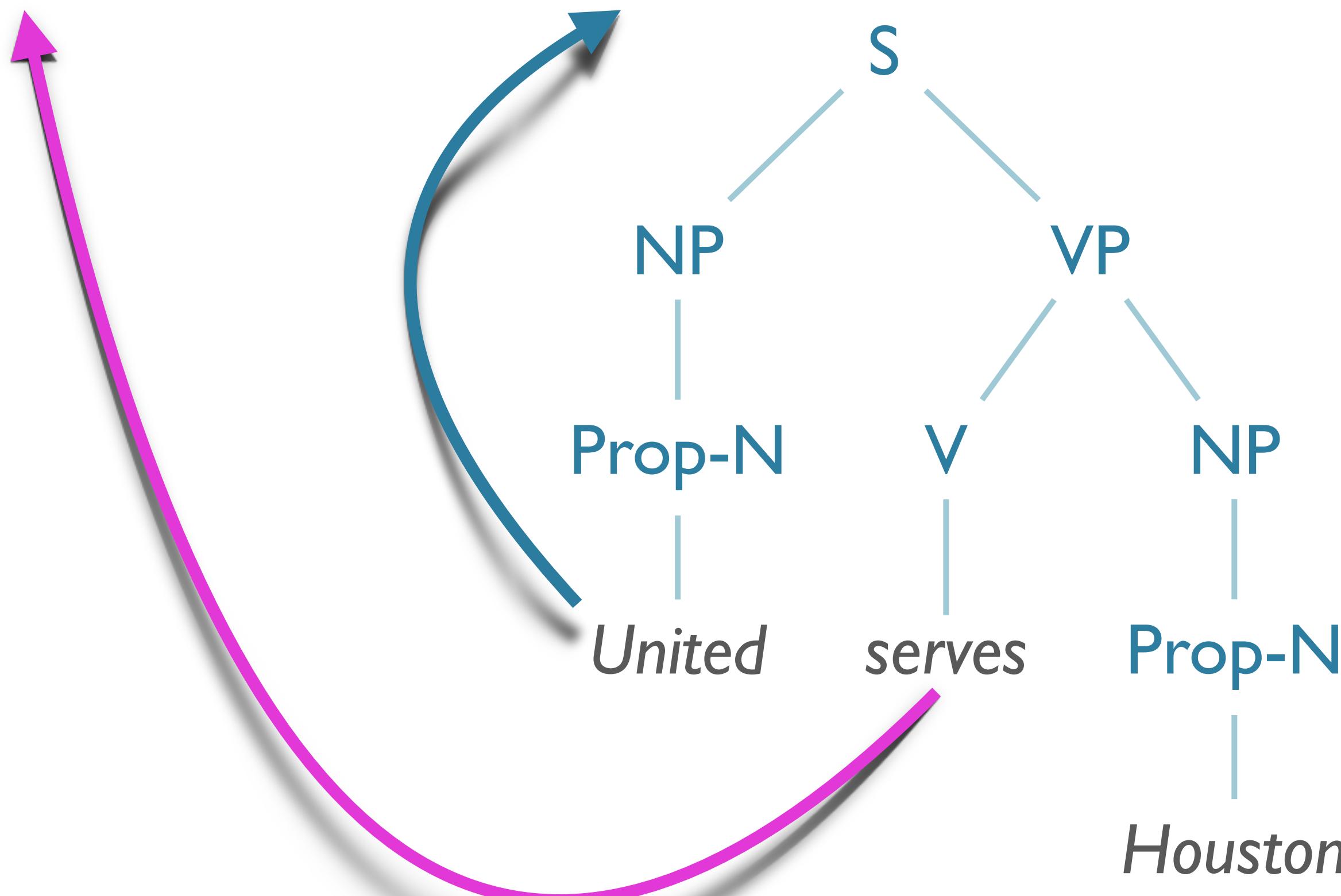
$\exists e (\text{Serving}(e) \wedge$



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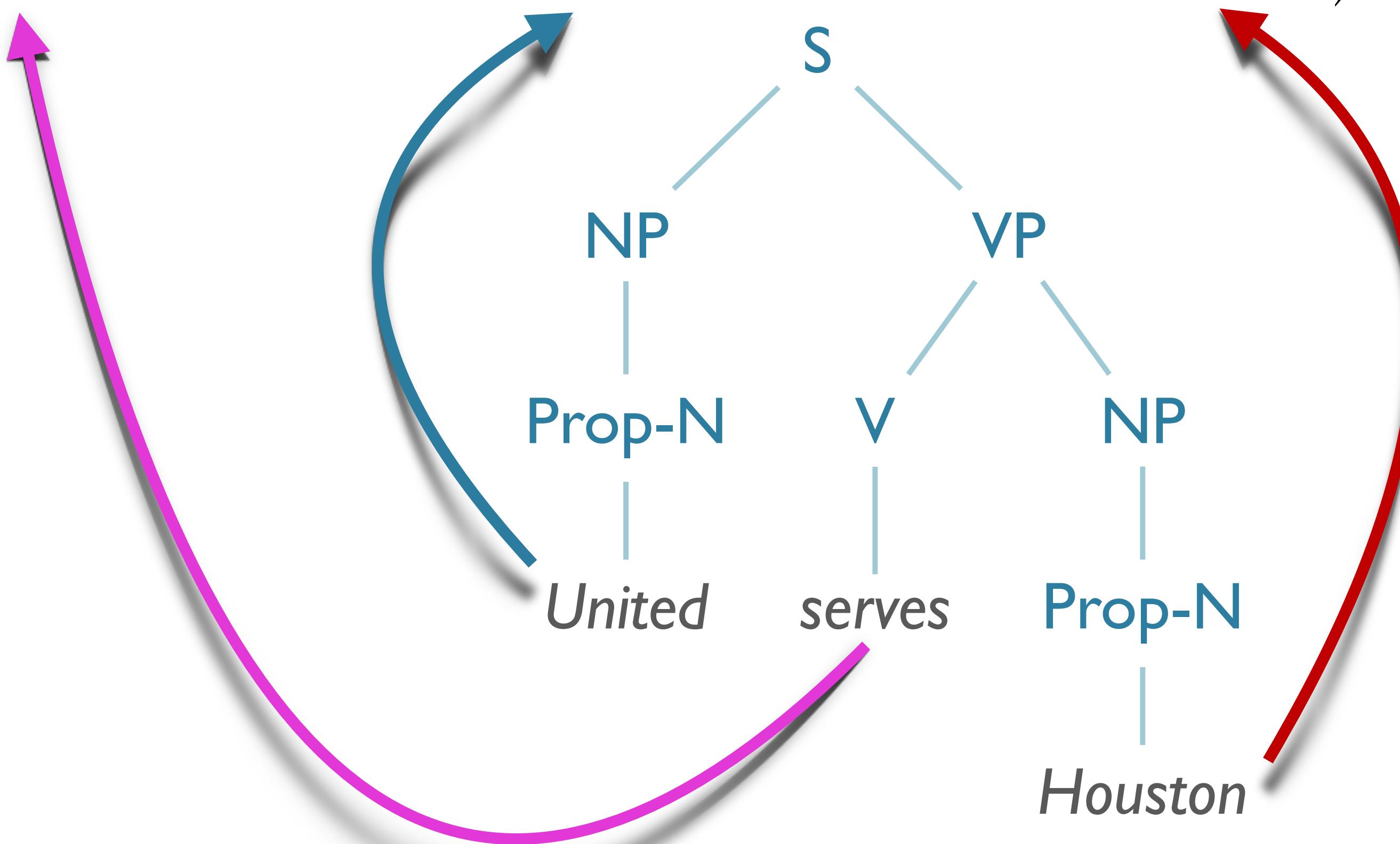
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$\exists e (\text{Serving}(e) \wedge \text{Server}(e, \text{United}) \wedge$



# Simple Example

- *United serves Houston*

$$\exists e (\text{Serving}(e) \wedge \text{Server}(e, \text{United}) \wedge \text{Served}(e, \text{Houston}))$$


# Rule-to-rule Model

- **Lambda Calculus and the Rule-to-Rule Hypothesis**
  - $\lambda$ -expressions can be attached to grammar rules
  - used to compute meaning representations from syntactic trees based on the principle of compositionality
  - Go up the tree, using reduction (function application) to compute meanings at non-terminal nodes

# Semantic Attachments

- Basic Structure:

$$A \rightarrow a_1, \dots, a_n \underbrace{\{f(a_j.\text{sem}, \dots a_k.\text{sem})\}}_{\text{Semantic Function}}$$

- In NLTK syntax (more later):

A → a<sub>1</sub> ... a<sub>n</sub>[ SEM=< f ( ?a<sub>j</sub>.sem ...) > ]

# Attachments as SQL!

NLTK book, ch. 10

```
>>> nltk.data.show_cfg('grammars/book_grammars/sql0.fcfg')
% start S
S[SEM=(?np + WHERE + ?vp)] -> NP[SEM=?np] VP[SEM=?vp]
VP[SEM=(?v + ?pp)] -> IV[SEM=?v] PP[SEM=?pp]
VP[SEM=(?v + ?ap)] -> IV[SEM=?v] AP[SEM=?ap]
NP[SEM=(?det + ?n)] -> Det[SEM=?det] N[SEM=?n]
PP[SEM=(?p + ?np)] -> P[SEM=?p] NP[SEM=?np]
AP[SEM=?pp] -> A[SEM=?a] PP[SEM=?pp]
NP[SEM='Country="greece"'] -> 'Greece'
NP[SEM='Country="china"'] -> 'China'
Det[SEM='SELECT'] -> 'Which' | 'What'
N[SEM='City FROM city_table'] -> 'cities'
IV[SEM=''] -> 'are'
A[SEM=''] -> 'located'
P[SEM=''] -> 'in'
```

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```

*'What cities are located in China'*

parses[0]: SELECT City FROM city\_table WHERE Country="china"

# Semantic Attachments: Options

- Why not use SQL? Python?
  - Arbitrary power but hard to map to logical form
  - No obvious relation between syntactic, semantic elements
- Why Lambda Calculus?
  - First Order Predicate Calculus (FOPC) + function application is highly expressive, integrates well with syntax
  - Can extend our existing feature-based model, using unification
  - Can ‘translate’ FOL to target / task / downstream language (e.g. SQL)

# Semantic Analysis Approach

- Semantic attachments:
  - Each CFG production gets semantic attachment
- Semantics of a phrase is function of combining the children
  - Complex functions need to have parameters
  - *Verb* → ‘arrived’
    - Intransitive verb, so has one argument: *subject*
    - ...but we don’t have this available at the preterminal level of the tree!

# Defining Representations

- Proper Nouns
- Intransitive Verbs
- Transitive Verbs
- Quantifiers

# Proper Nouns & Intransitive Verbs

- Our instinct for names is to just use the constant:
- NNP [ SEM=<Khaliil> ] → ‘Khaliil’

# Proper Nouns & Intransitive Verbs

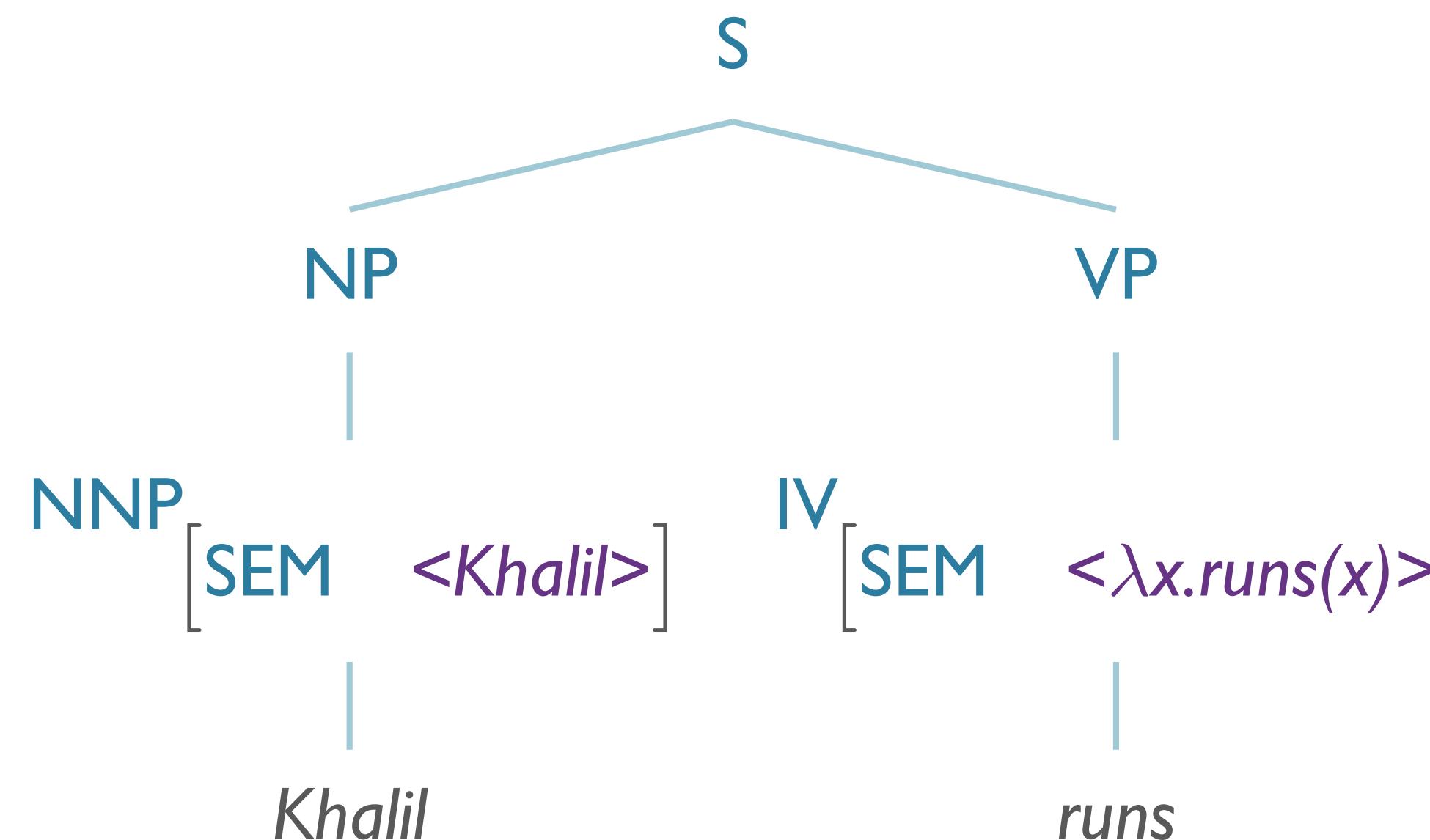
- Our instinct for names is to just use the constant:
- $\text{NNP} [ \text{SEM}=\langle \text{Khalil} \rangle ] \rightarrow ' \text{Khalil}'$
- However, we will want to apply our  $\lambda$ -closures left-to-right consistently.

$S [ \text{SEM}=\text{np?} (\text{vp?}) ] \rightarrow \text{NP} [ \text{SEM}=\text{np?} ] \text{ VP} [ \text{SEM}=\text{vp?} ]$

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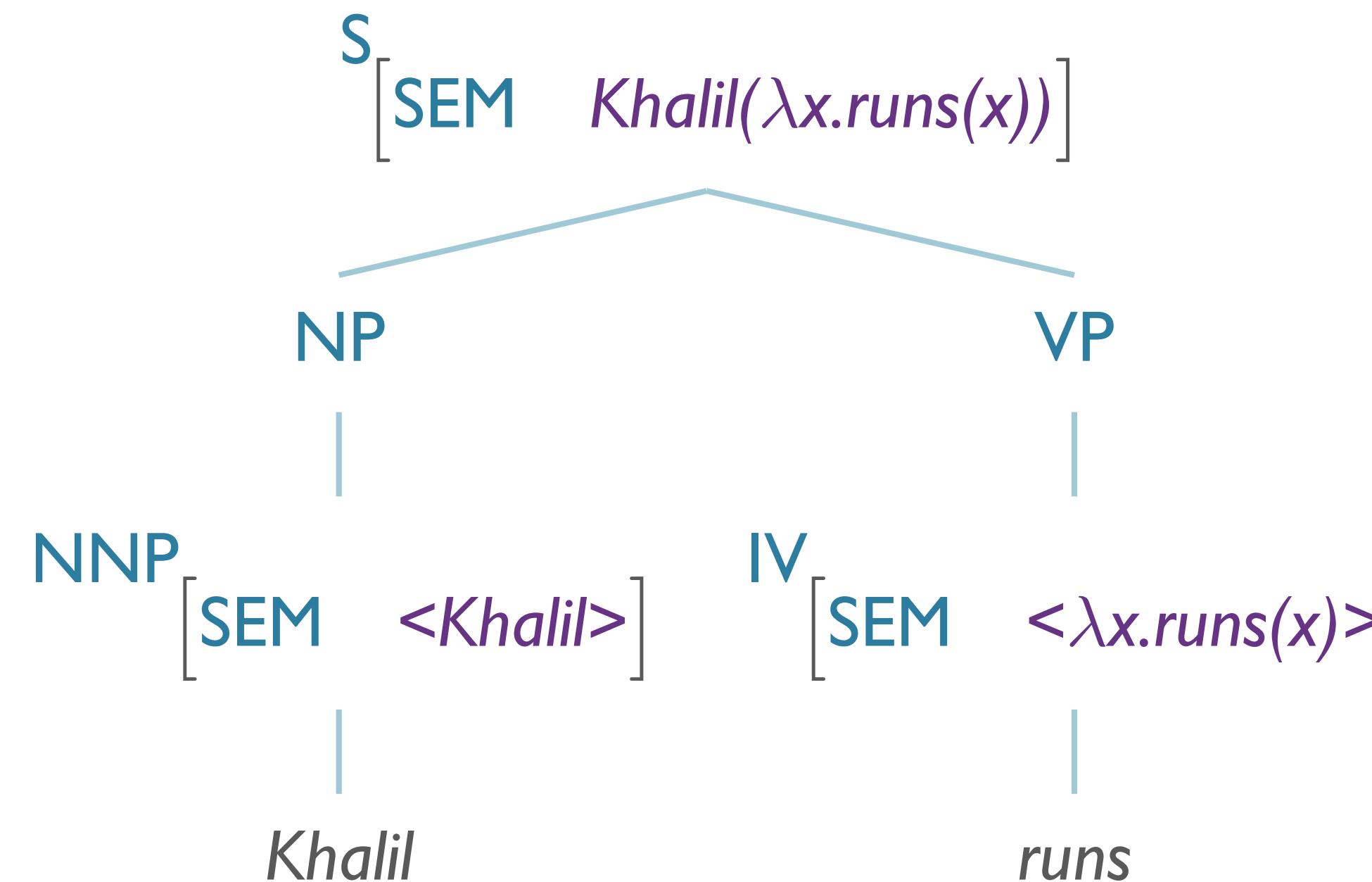
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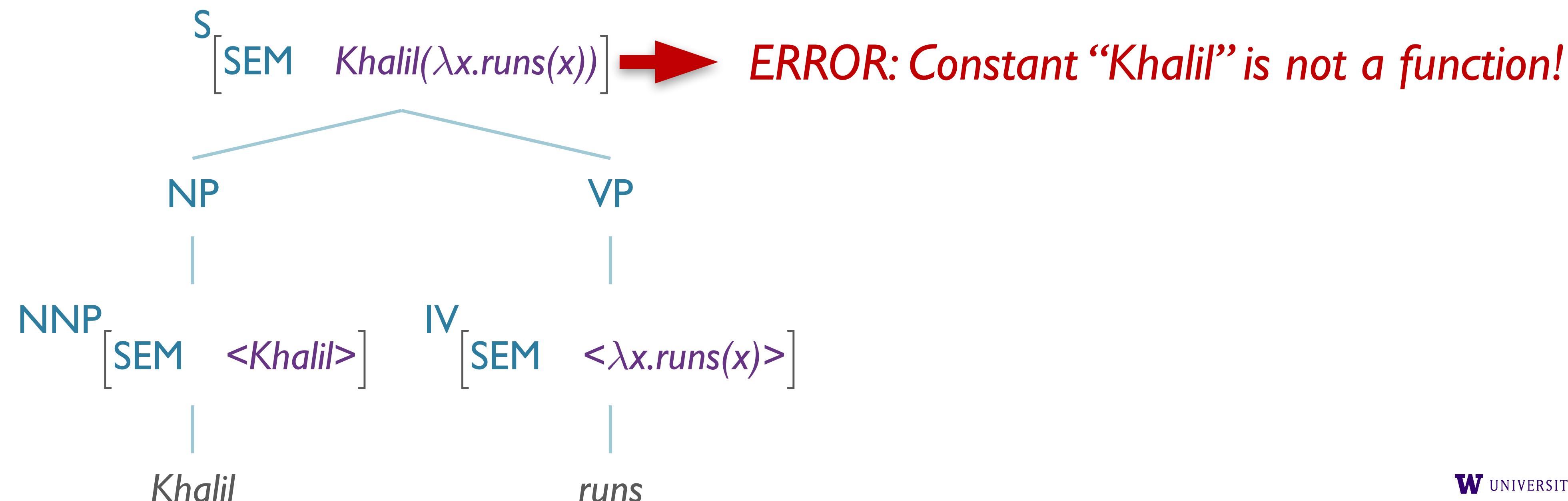
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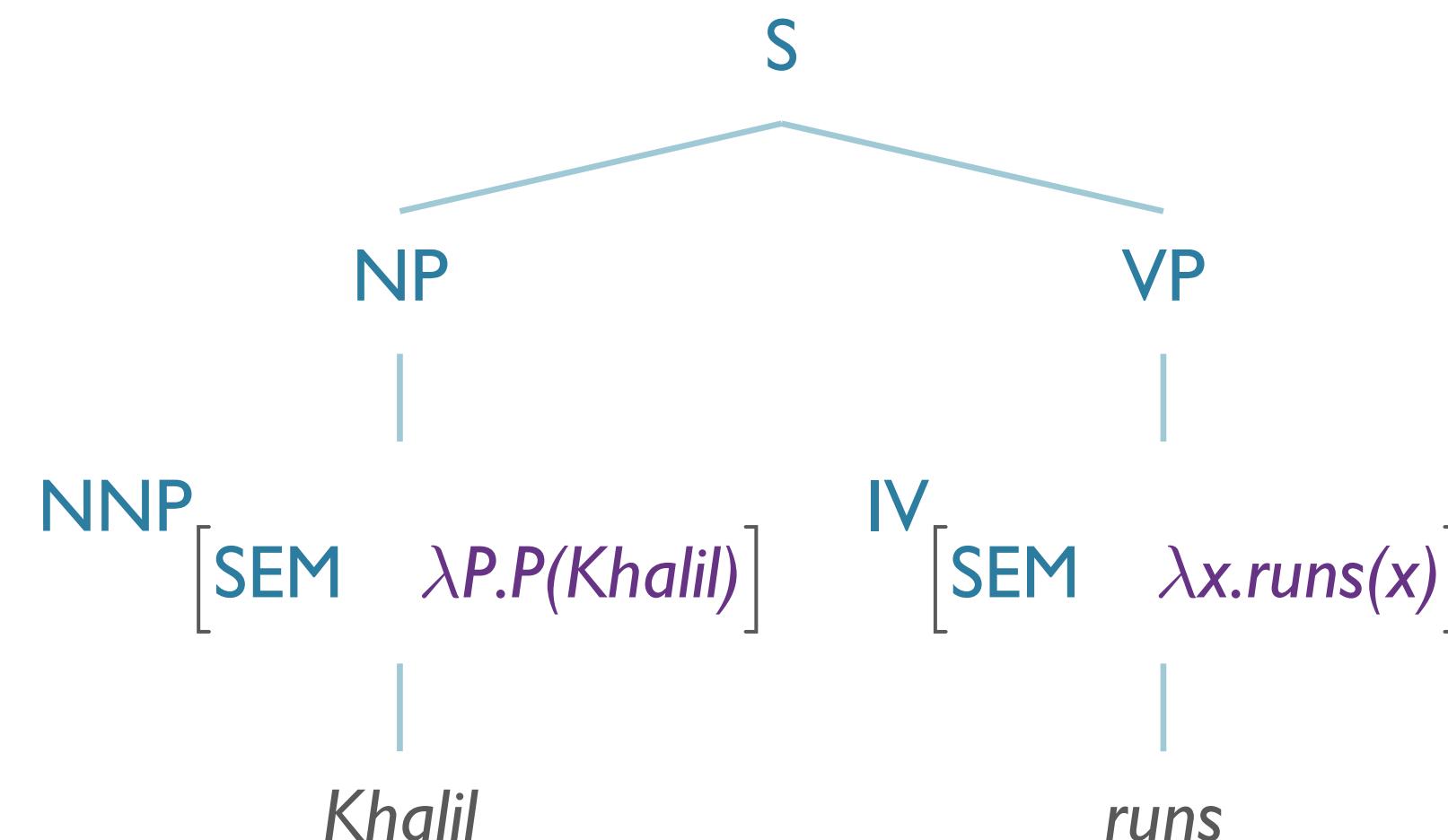
# Proper Nouns & Intransitive Verbs

- Instead, we use a *dummy predicate*:
  - $\lambda Q.Q(Khalil)$
- “Generalizing to the worst case” (cf. Montague; Partee on type-shifting)
- I.e.: this move will also be necessary for a uniform semantic treatment of NPs, which can be individual-denoting (like names) or more complex (quantifiers)

# Proper Nouns & Intransitive Verbs

- With the dummy predicate:
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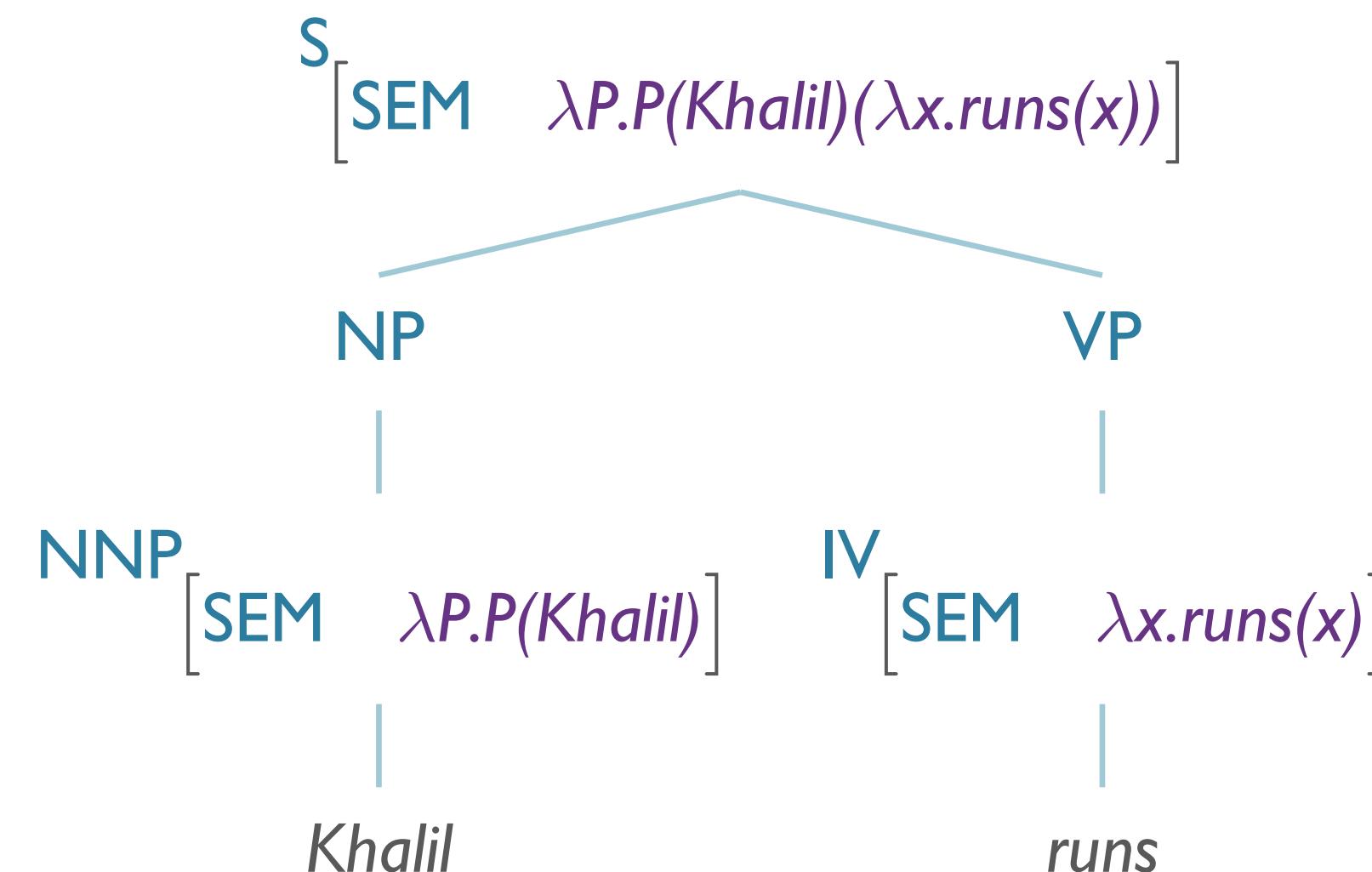
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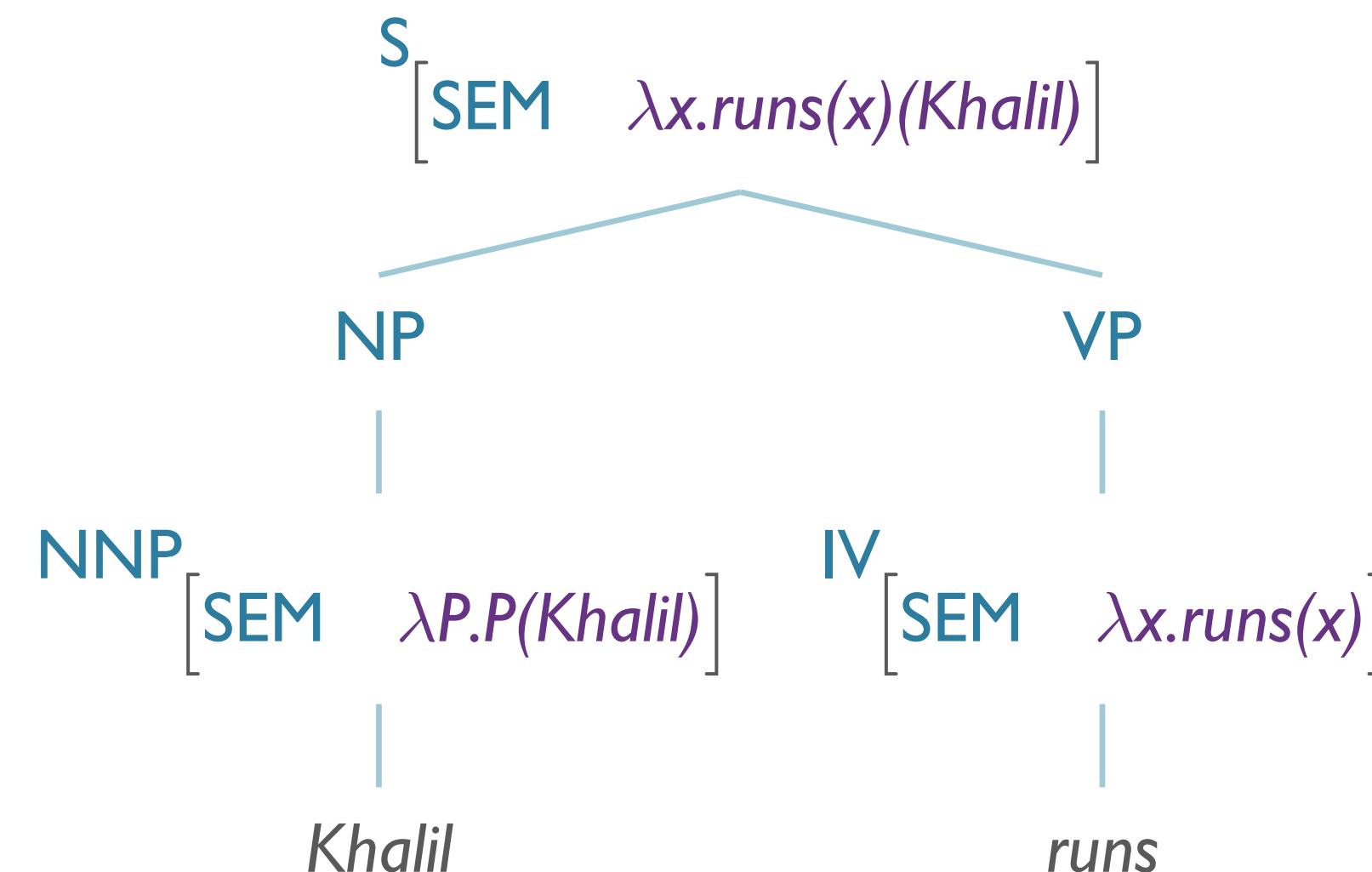
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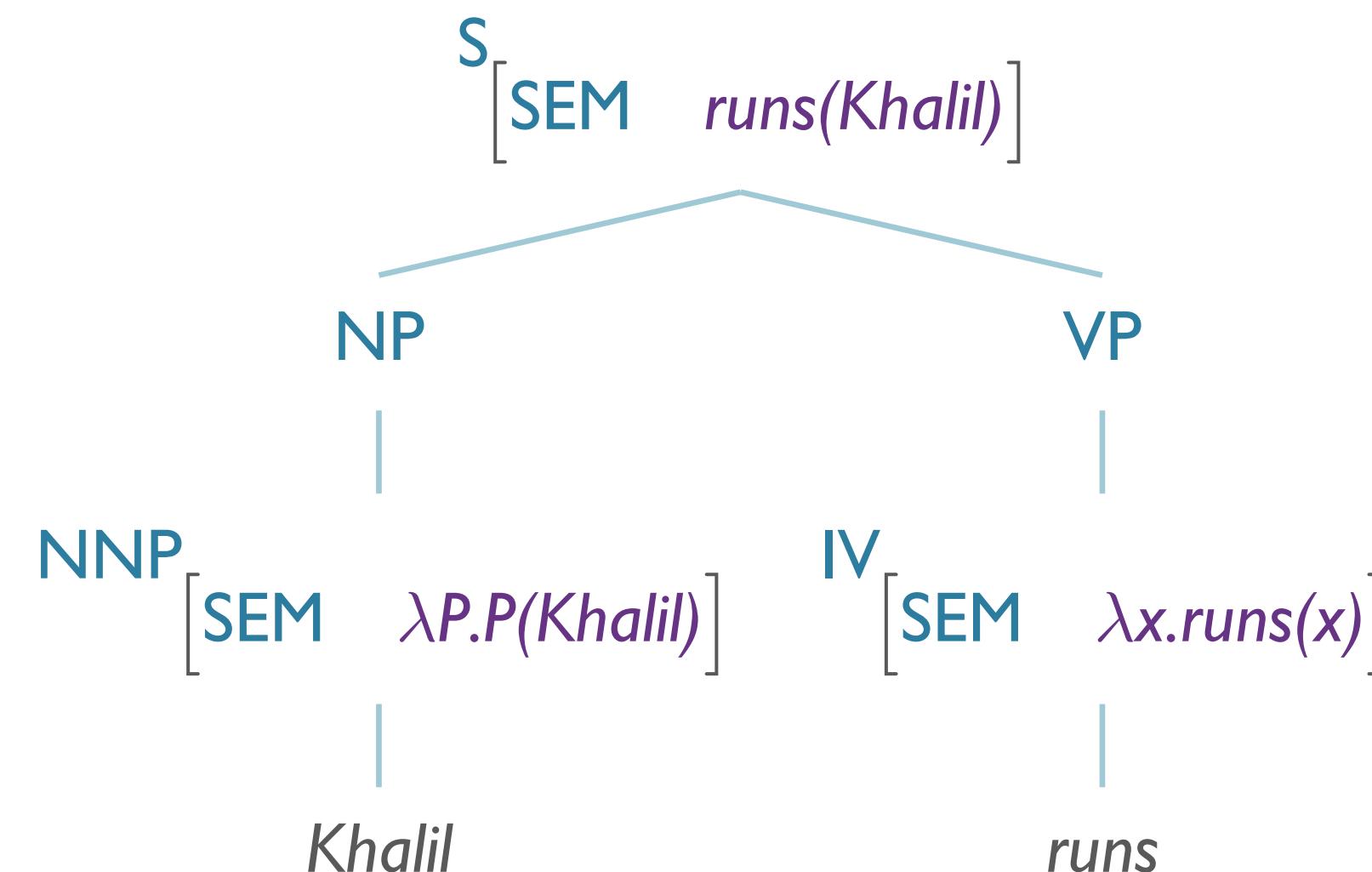
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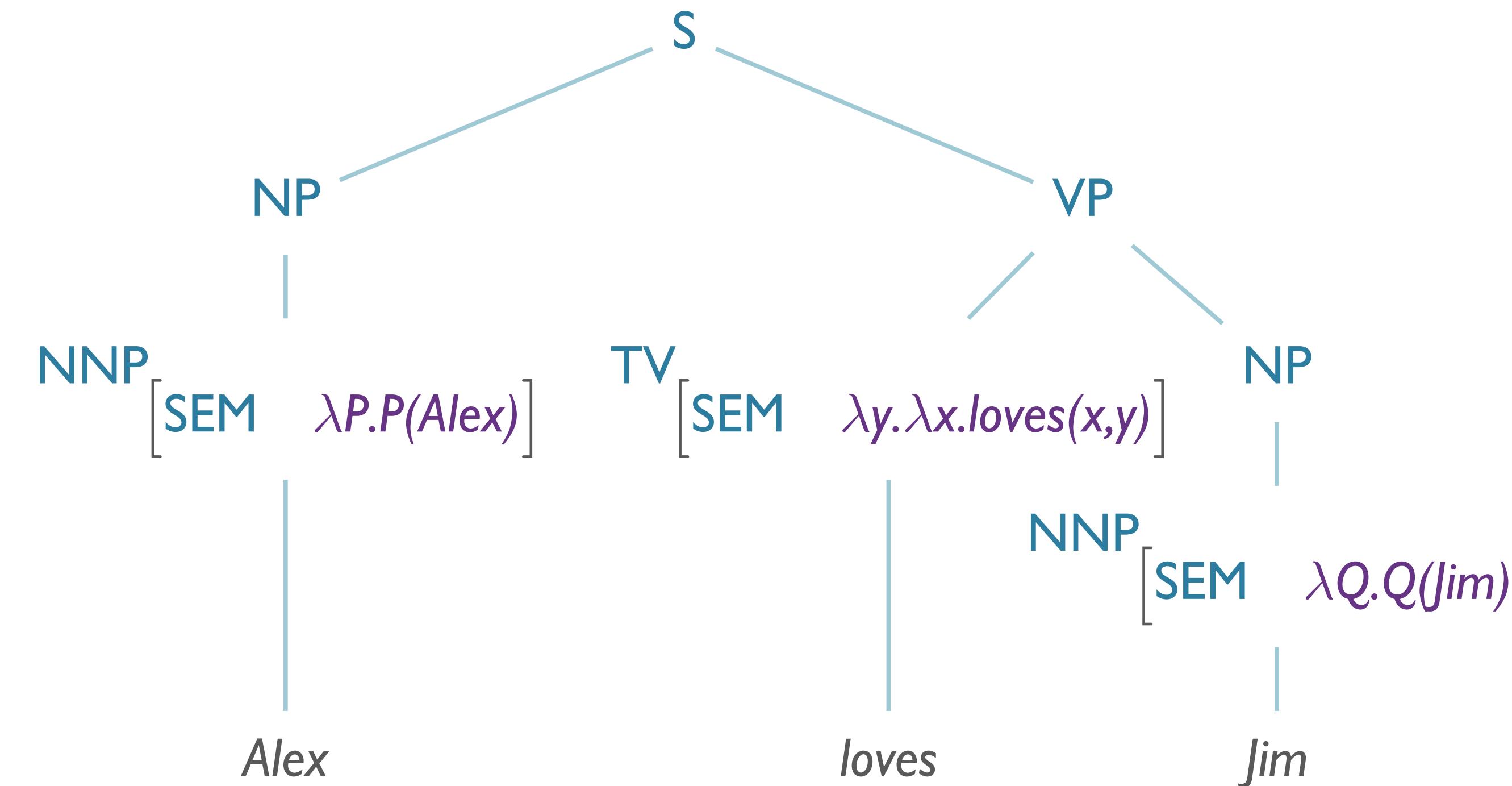
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- So, if we want to say “*Alex loves Jim*” we would intuitively want  
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- ... going in linear order, we have one arg to the left and one to the right.

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  - → **Error!** We can't reduce Jim.

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- Instead:  $\lambda Y \ x. Y(\lambda y. \text{loves}(x, y))$
- (“Continuation-passing”)

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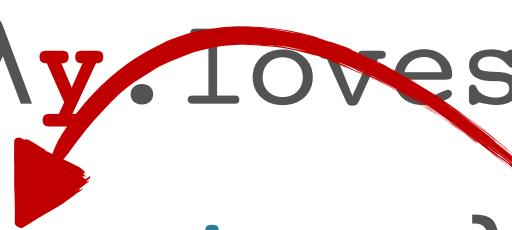
- $\text{TV}(\text{NP})$ :
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- $\lambda x. (\text{loves}(x, \text{Jim}))$

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- $\text{loves}(\text{Alex}, \text{Jim})$

# Converting to an Event

- “x loves y,” Originally:
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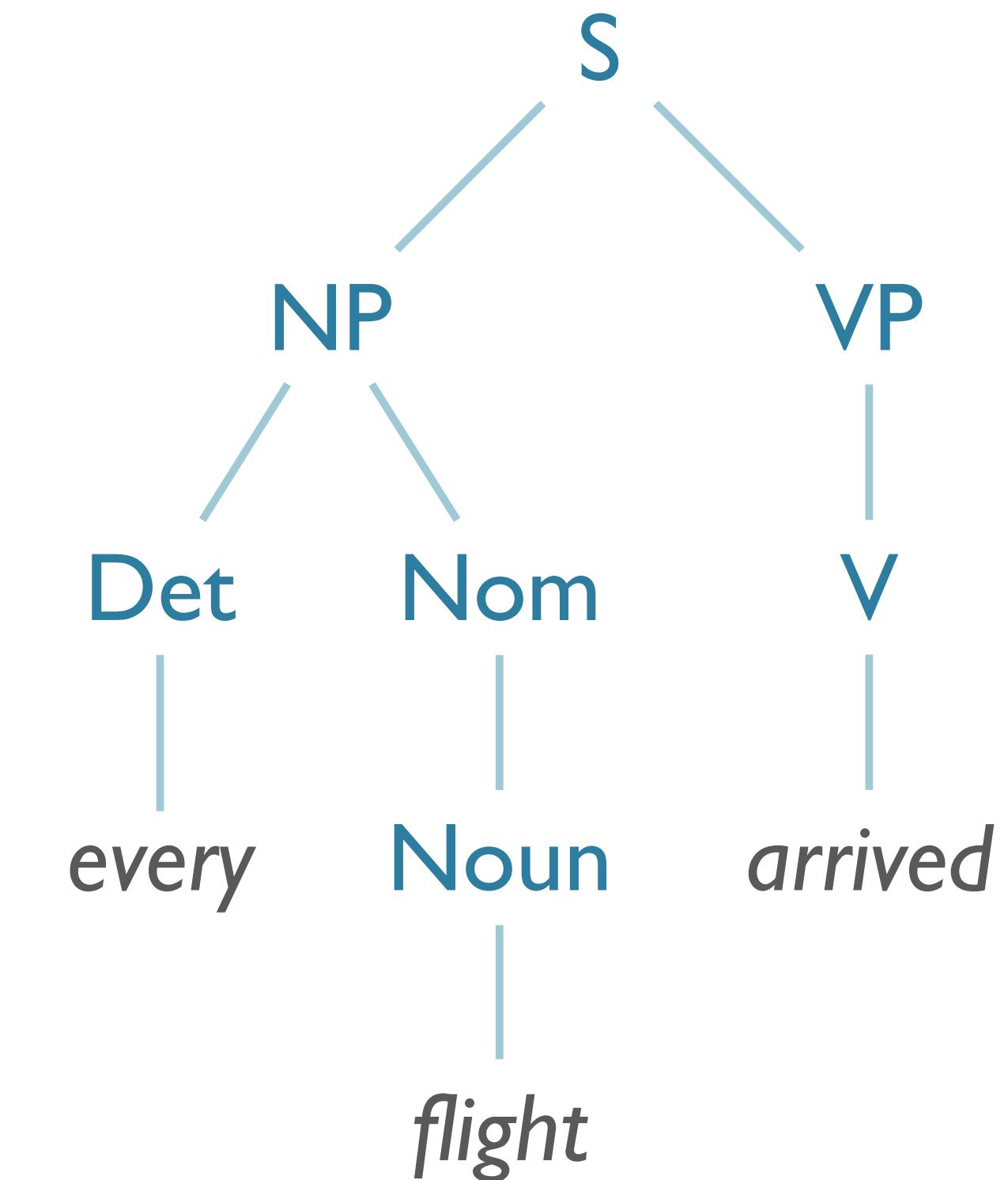
# Converting to an Event

- “ $x$  loves  $y$ ,” Originally:
  - $\lambda y \ x. y(\lambda y. \underline{\text{loves}}(x, y))$
- as a Neo-Davidsonian event:
  - $\lambda y \ x. y(\lambda y. \exists e \ \underline{\text{love}}(e) \wedge \underline{\text{lover}}(e, x) \wedge \underline{\text{loved}}(e, y))$

# Quantifiers & Scope

# Semantic Analysis Example

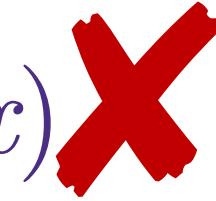
- Basic model
  - Neo-Davidsonian event-style model
  - Complex quantification
- Example: *Every flight arrived*


$$\forall x \text{Flight}(x) \Rightarrow \exists e \text{Arrived}(e) \wedge \text{ArrivedThing}(e, x)$$

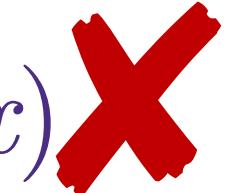
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**“Every flight arrived”**

“*Every flight arrived*”

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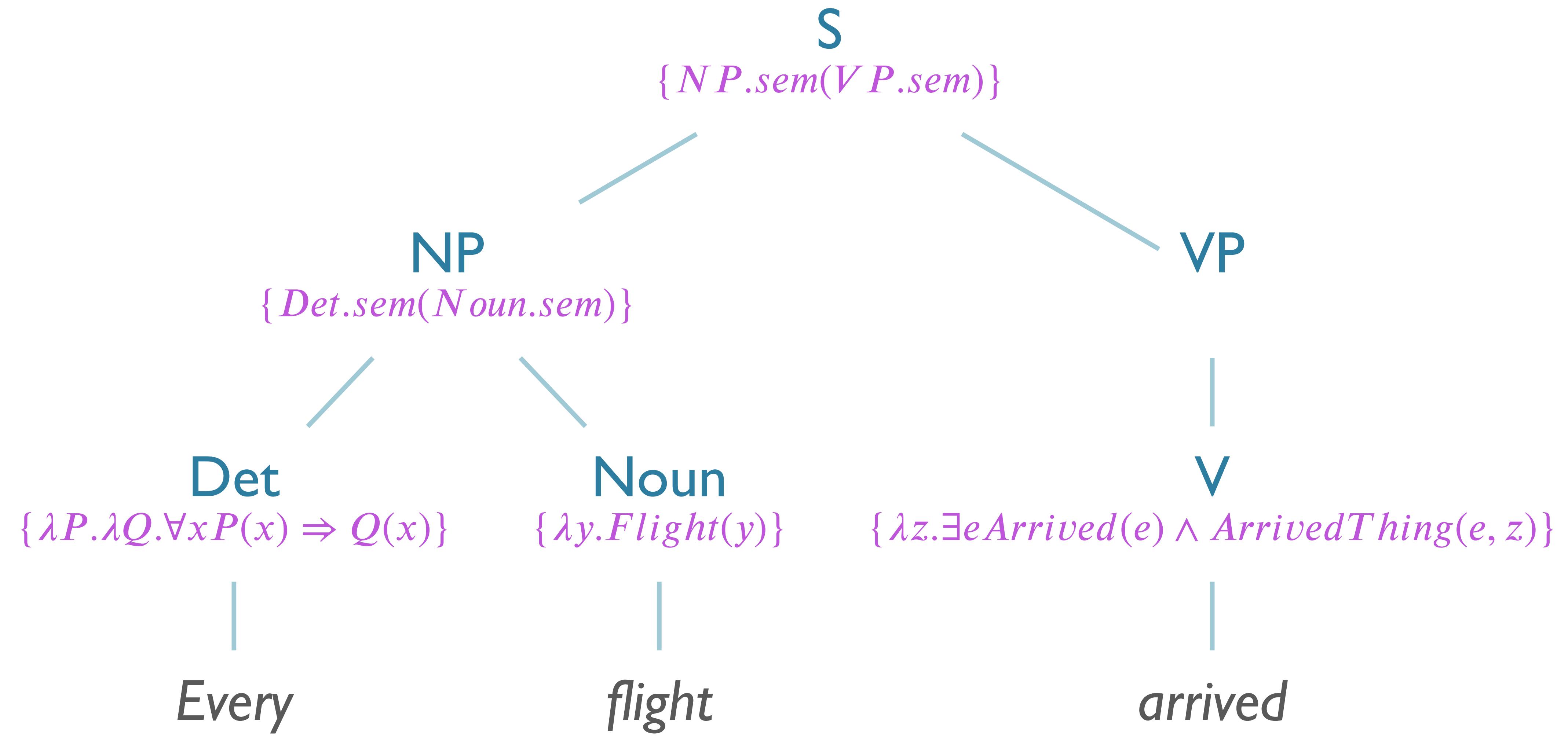
# “A flight arrived”

- We just need one item for truth value
  - So, start with  $\exists x \dots$
  - $\lambda P. \lambda Q. \exists x \ P(x) \wedge Q(x)$

# Creating Attachments

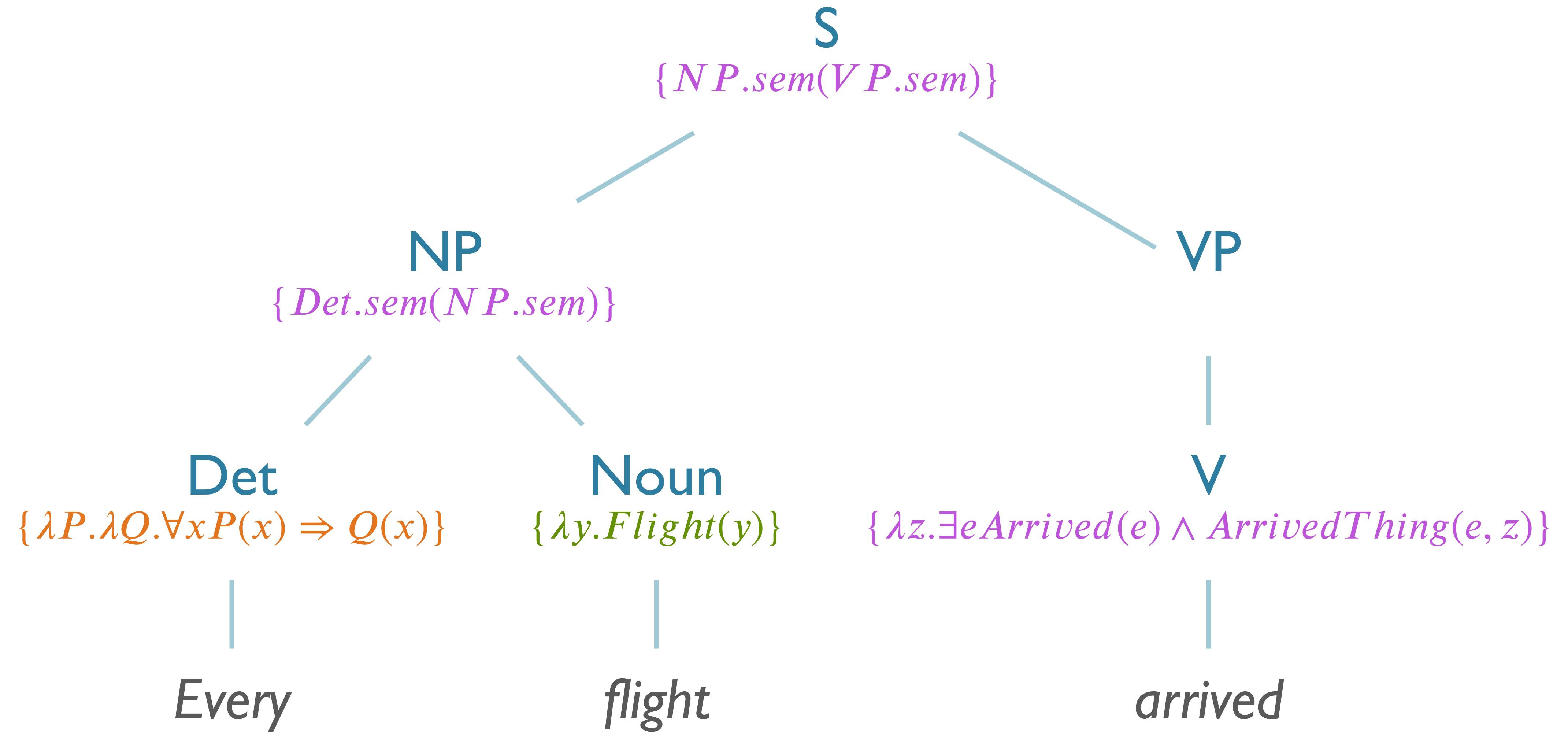
“*Every flight arrived*”

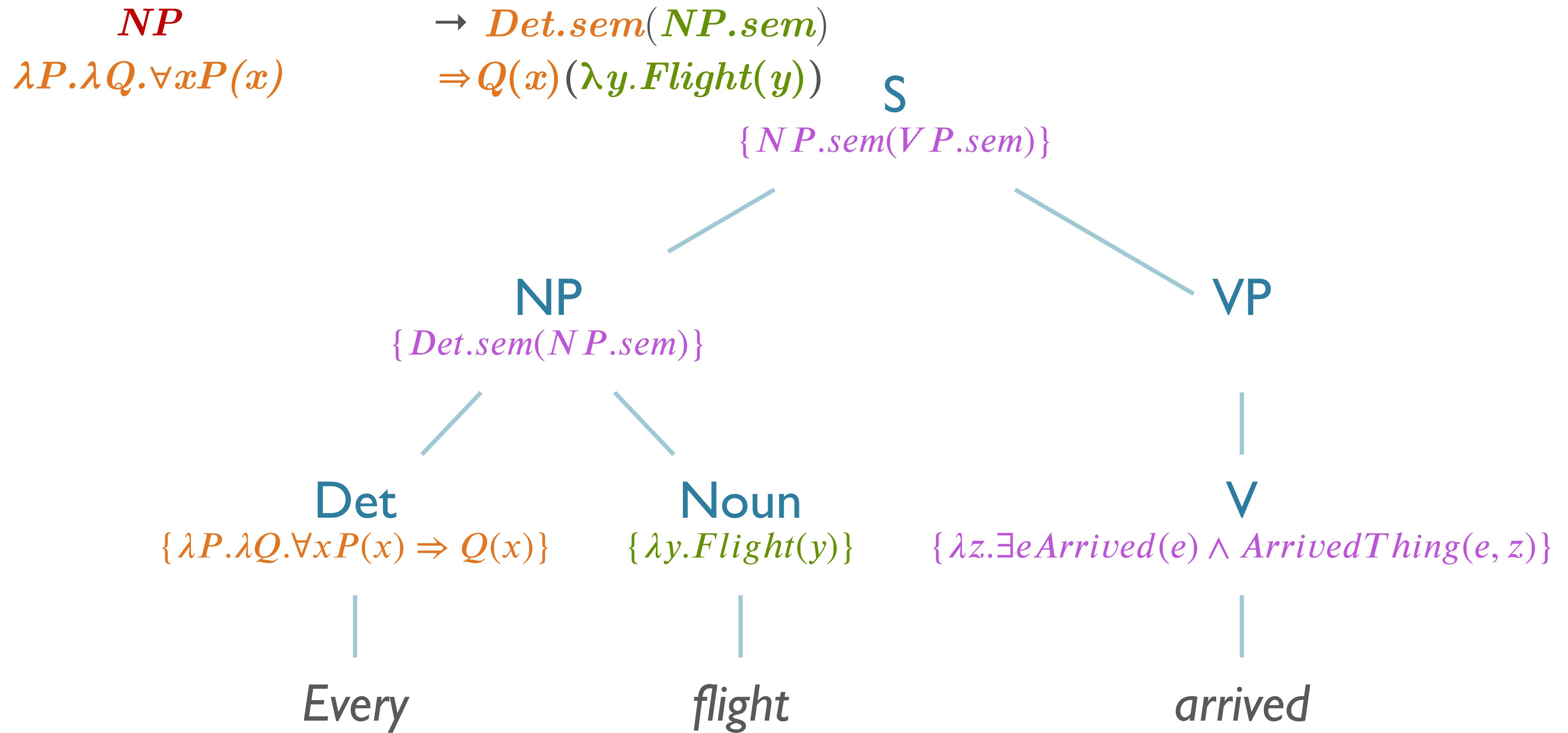
<i>Det</i>	$\rightarrow$ ‘ <i>Every</i> ’	$\{ \lambda P. \lambda Q. \forall x \ P(x) \Rightarrow Q(x) \}$
<i>Noun</i>	$\rightarrow$ ‘ <i>flight</i> ’	$\{ \lambda x. \text{Flight}(x) \}$
<i>Verb</i>	$\rightarrow$ ‘ <i>arrived</i> ’	$\{ \lambda y. \exists e \text{Arrived}(e) \wedge \text{ArrivedThing}(e, y) \}$
<i>VP</i>	$\rightarrow$ <i>Verb</i>	$\{ \text{Verb.sem} \}$
<i>Nom</i>	$\rightarrow$ <i>Noun</i>	$\{ \text{Noun.sem} \}$
<i>S</i>	$\rightarrow$ <i>NP VP</i>	$\{ \text{NP.sem}(\text{VP.sem}) \}$
<i>NP</i>	$\rightarrow$ <i>Det Nom</i>	$\{ \text{Det.sem}(\text{Nom.sem}) \}$

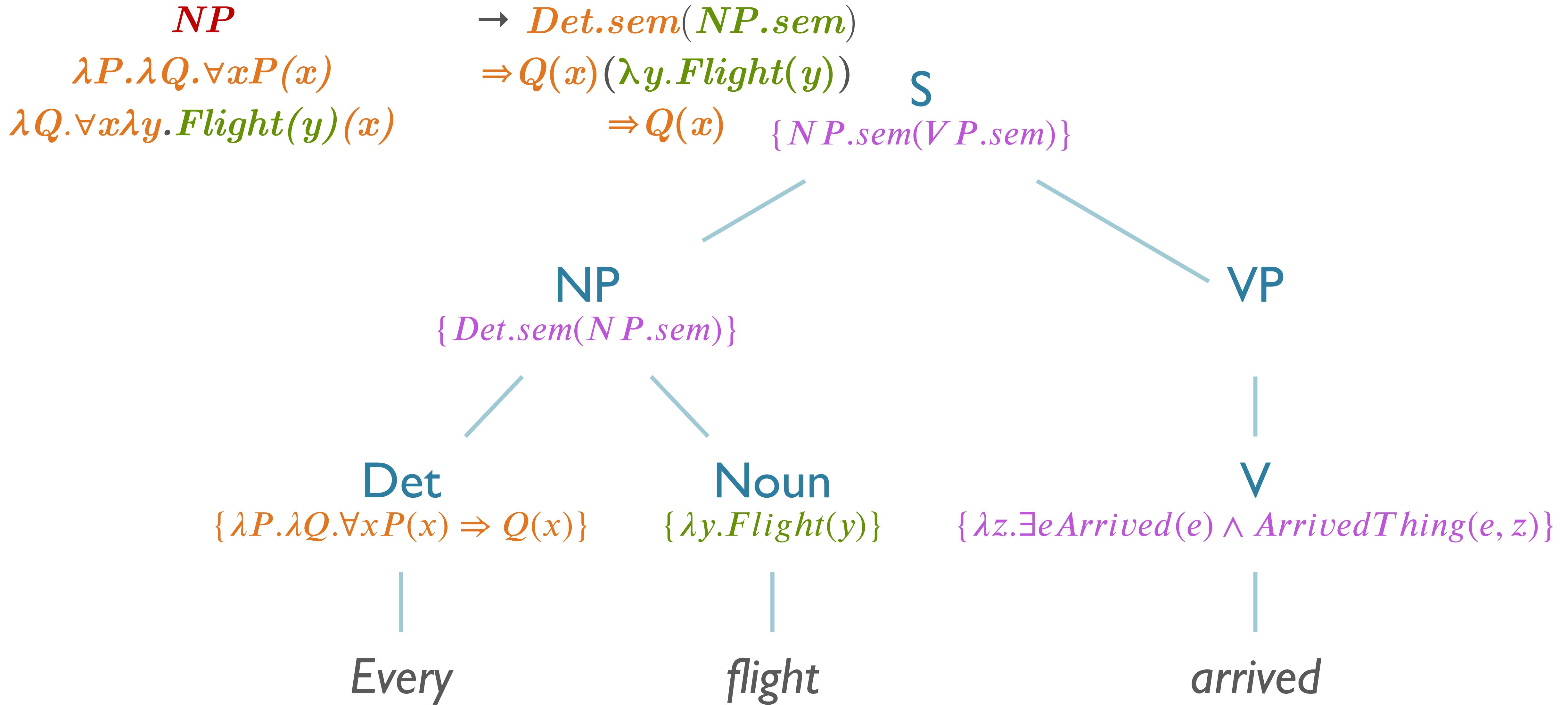


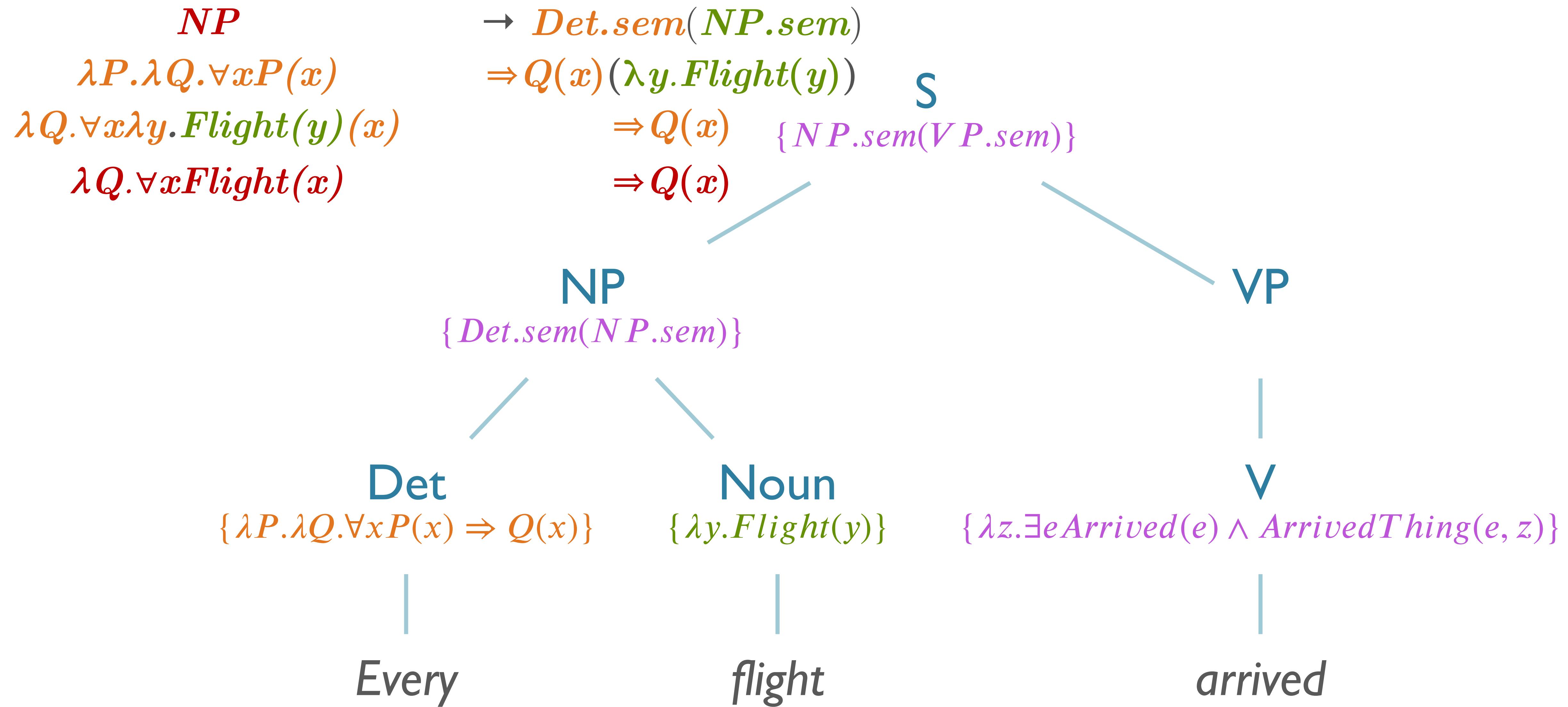
*NP*

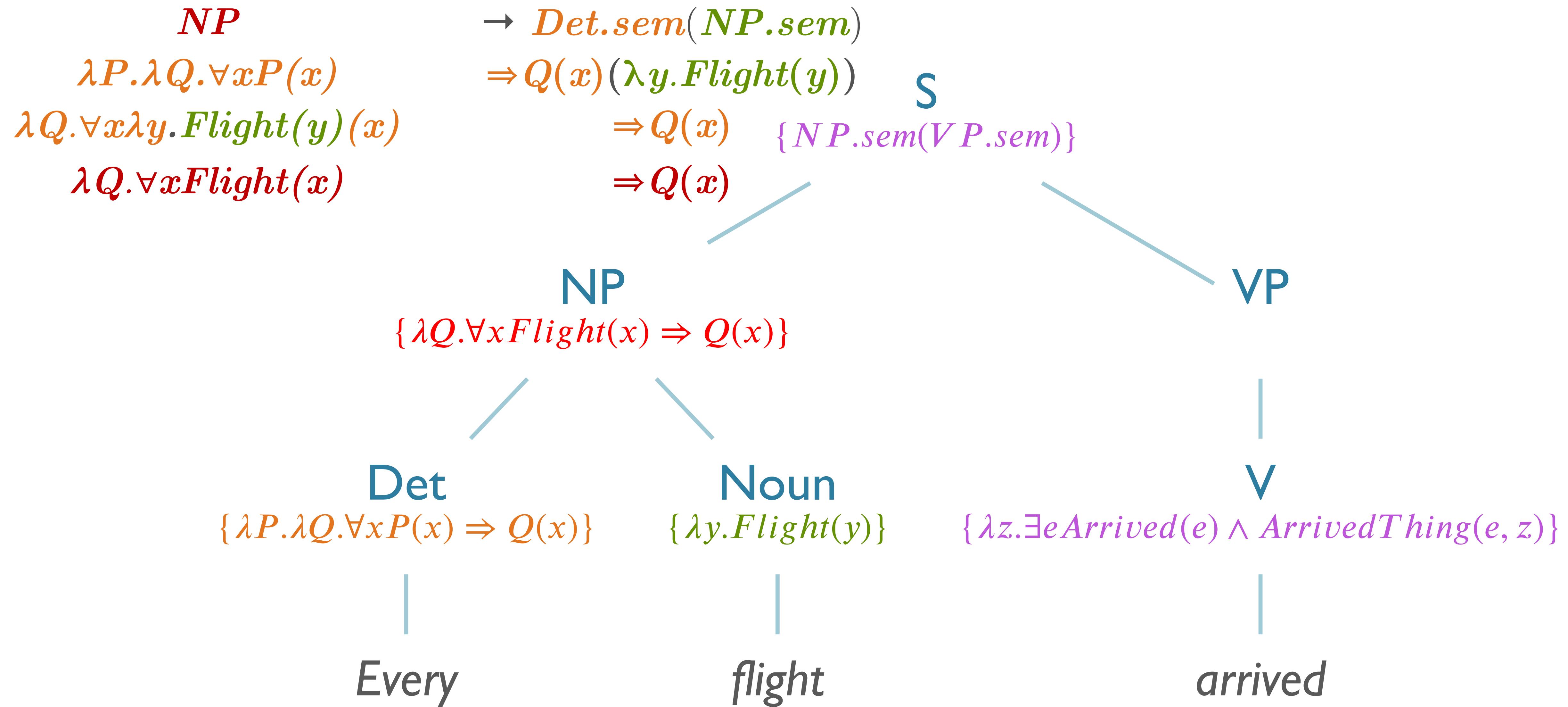
→ *Det.sem(NP.sem)*

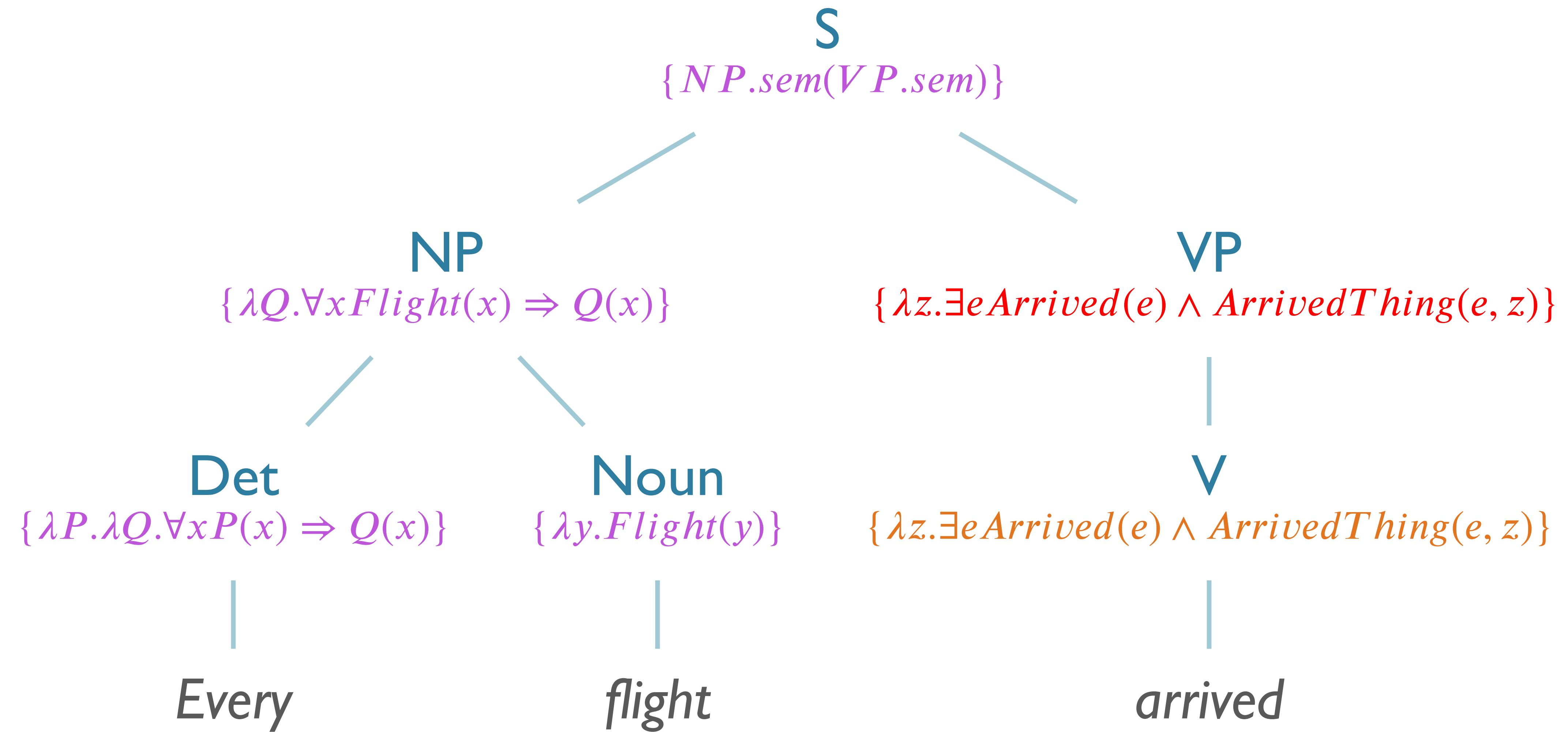


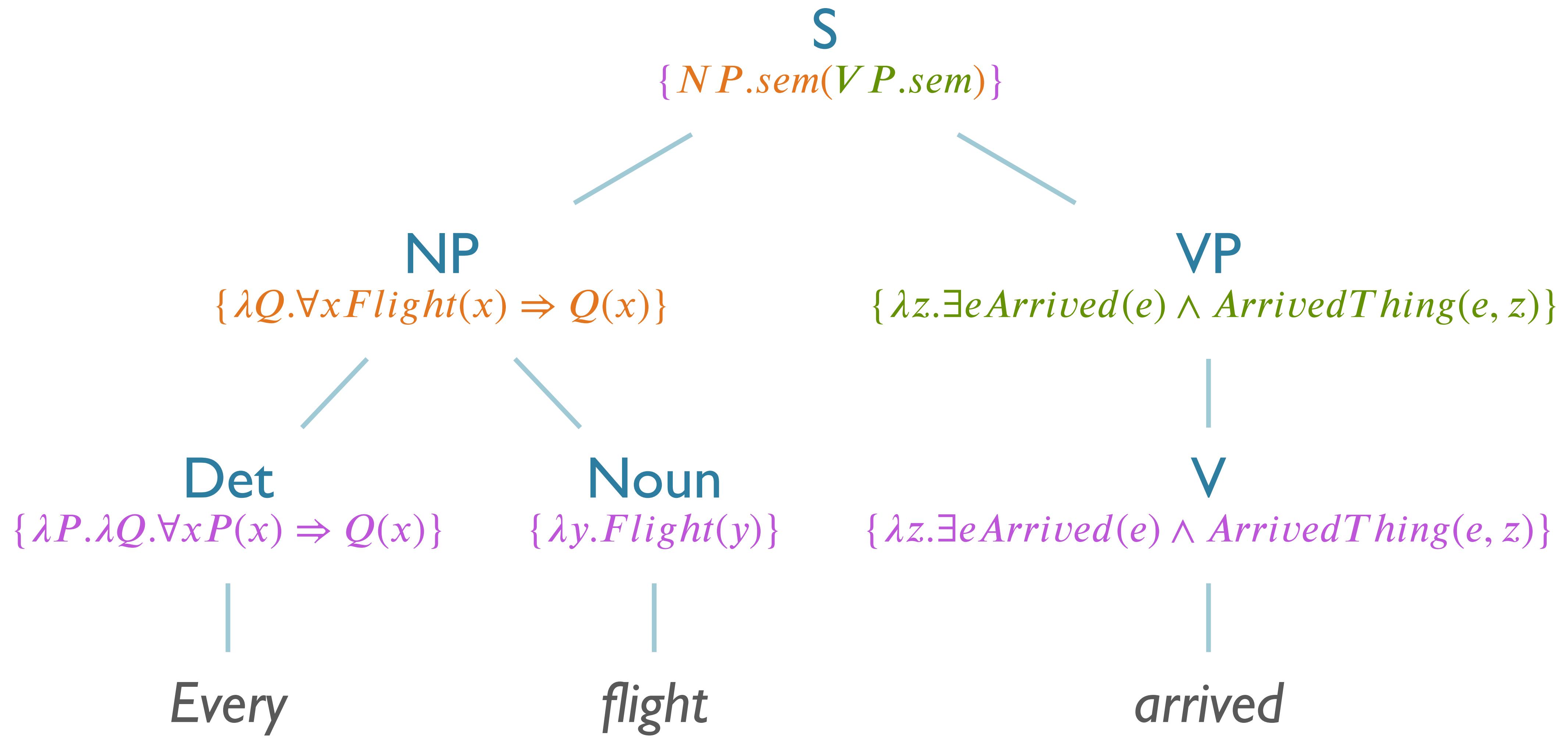


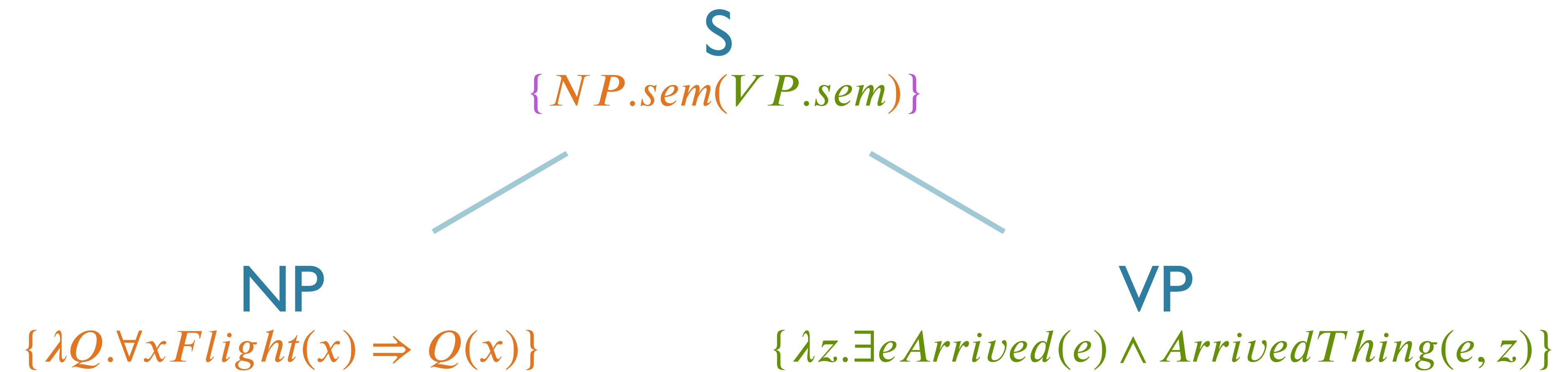


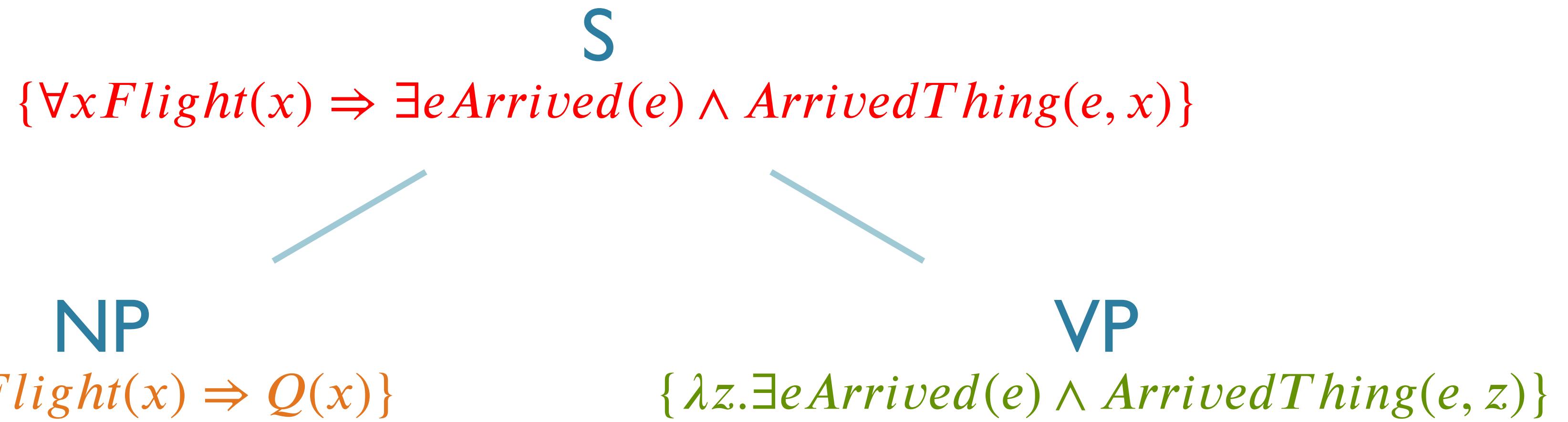


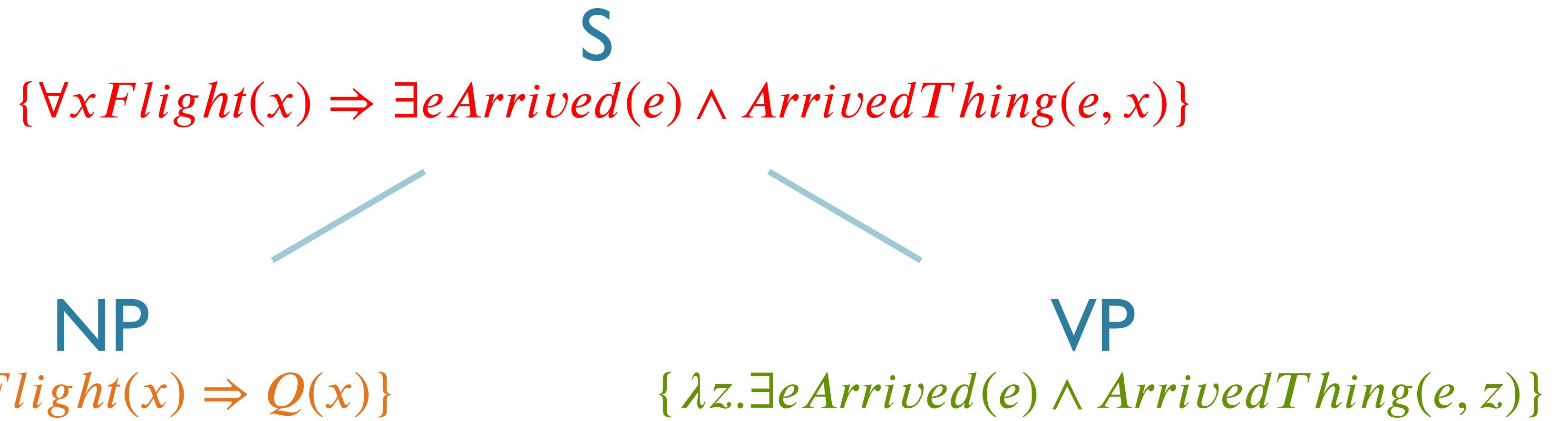




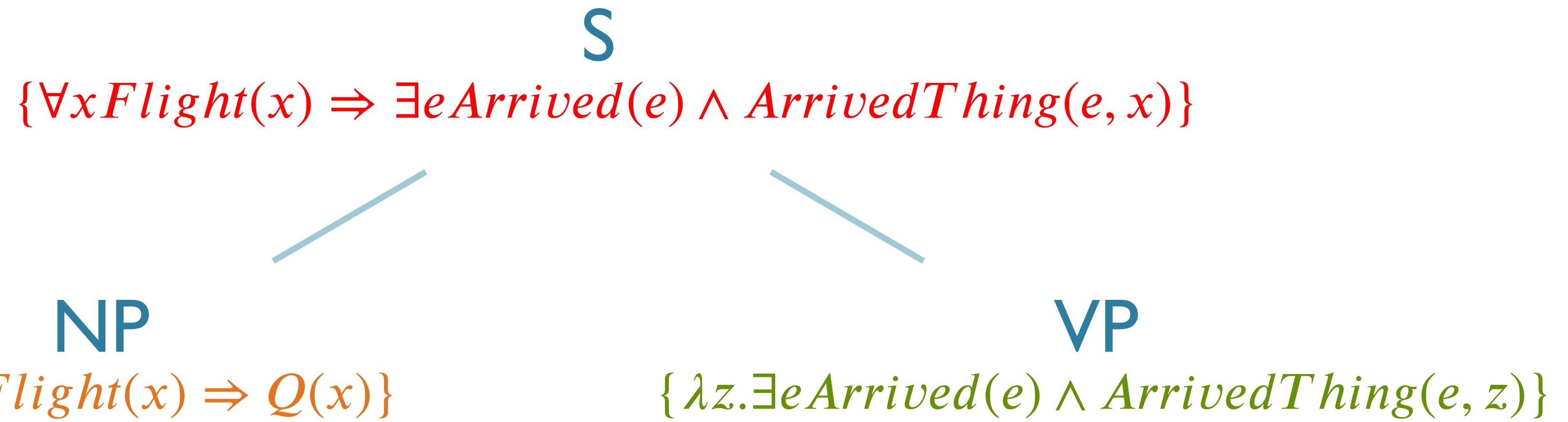




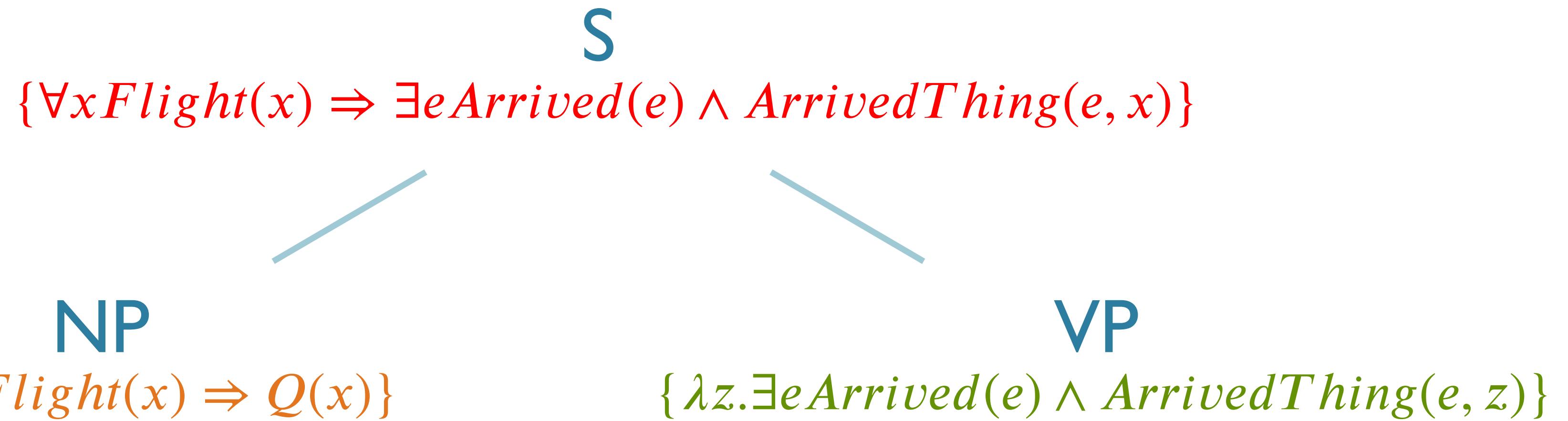




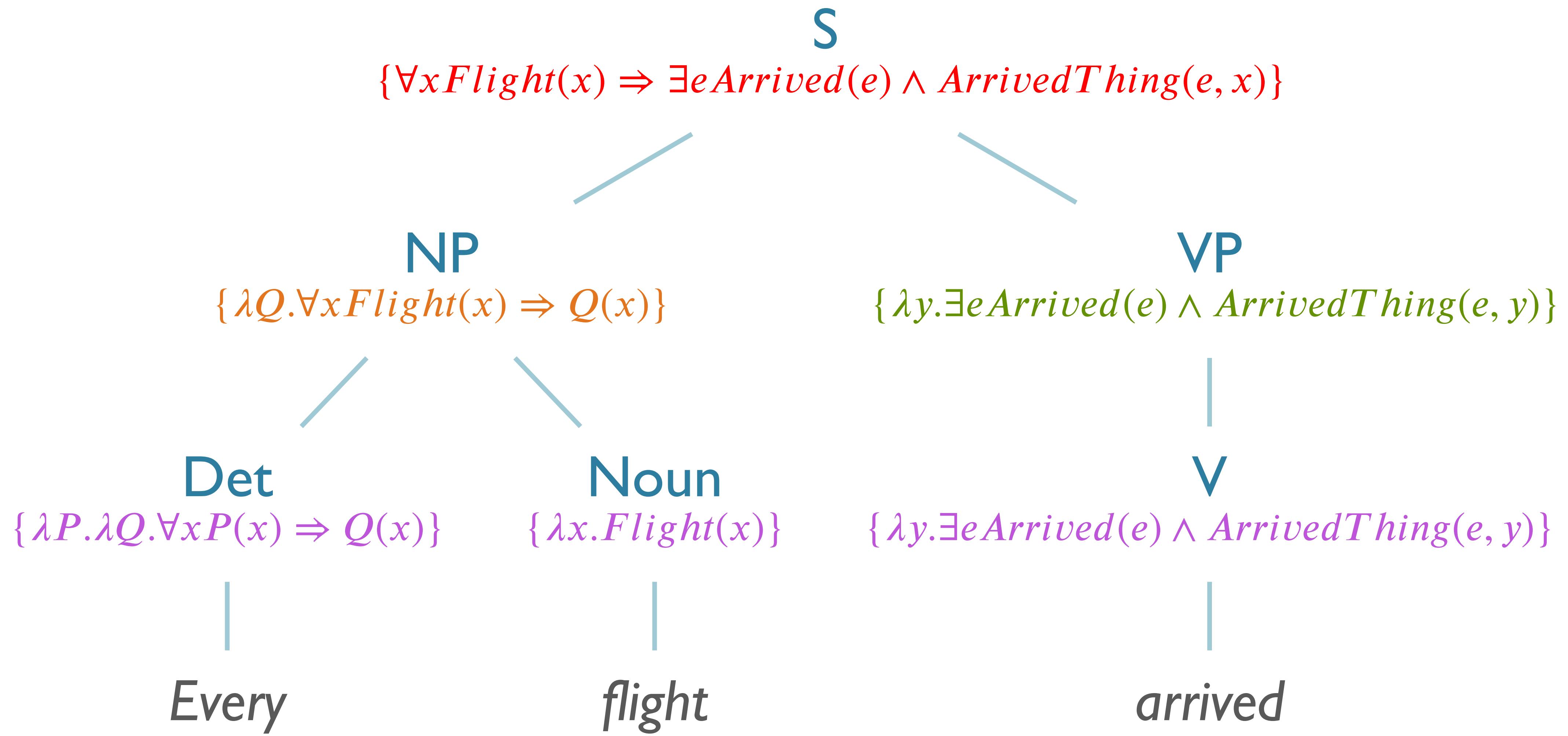
$\lambda Q. \forall x Flight(x) \Rightarrow Q(x)(\lambda z. \exists e Arrived(e) \wedge ArrivedThing(e, z))$



$$\begin{array}{ll}
 \lambda Q. \forall x Flight(x) & \Rightarrow Q(x)(\lambda z. \exists e Arrived(e) \wedge ArrivedThing(e, z)) \\
 \forall x Flight(x) & \Rightarrow \lambda z. \exists e Arrived(e) \wedge ArrivedThing(e, z)(x)
 \end{array}$$



$\lambda Q. \forall x Flight(x)$	$\Rightarrow Q(x)(\lambda z. \exists e Arrived(e) \wedge ArrivedThing(e, z))$
$\forall x Flight(x)$	$\Rightarrow \lambda z. \exists e Arrived(e) \wedge ArrivedThing(e, z)(x)$
$\forall x Flight(x)$	$\Rightarrow \exists e Arrived(e) \wedge ArrivedThing(e, x)$



# *‘John booked a flight’*

$Det \rightarrow ‘a’$	$\{ \lambda P. \lambda Q. \exists x \ P(x) \wedge Q(x) \}$
$Det \rightarrow ‘every’$	$\{ \lambda P. \lambda Q. \forall x \ P(x) \Rightarrow Q(x) \}$
$NN \rightarrow ‘flight’$	$\{\lambda x. Flight(x)\}$
$NNP \rightarrow ‘John’$	$\{\lambda X. X(John)\}$
$NP \rightarrow NNP$	$\{NNP.sem\}$
$S \rightarrow NP \ VP$	$\{NP.sem( VP.sem )\}$
$VP \rightarrow Verb \ NP$	$\{ Verb.sem( NP.sem )\}$
$Verb \rightarrow ‘booked’$	$\{\lambda W. \lambda z. W(\exists e eBooked(e) \wedge Booker(e,z) \wedge BookedThing(e,y))\}$

*...we’ll step through this next time.*

# Strategy for Semantic Attachments

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- General approach:
  - Create complex lambda expressions with lexical items
  - Introduce quantifiers, predicates, terms
  - Percolate up semantics from child if non-branching
  - Apply semantics of one child to other through lambda
  - Combine elements, don't introduce new ones

# Parsing with Semantics

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- Implement semantic analysis in parallel with syntactic parsing
  - Enabled by this rule-to-rule compositional approach
- Required modifications
  - Augment grammar rules with semantics field
  - Augment chart states with meaning expression
  - Incrementally compute semantics

# Sidenote: Idioms

- Not purely compositional
  - *kick the bucket* → die
  - *tip of the iceberg* → small part of the entirety
- Handling
  - Mix lexical items with constituents
  - Create idiom-specific construct for productivity
  - Allow non-compositional semantic attachments
- Extremely complex, e.g. metaphor