```
b) i. \Pi_{sname}(Suppliers \bowtie (Catalog \bowtie \sigma_{colour="red"}(Parts))

ii. \Pi_{sid}(Suppliers \bowtie (Catalog \bowtie \sigma_{colour="red"}(Parts))

iii. \Pi_{sid}(Suppliers \bowtie (Catalog \bowtie \sigma_{colour="red"}(Parts)) \vee \Pi_{sid}(\sigma_{address="1065MilitaryTrail"}(Suppliers)

iv. \Pi_{sid}(Suppliers \bowtie (Catalog \bowtie \sigma_{colour="red"}(Parts)) \wedge \Pi_{sid}(Suppliers \bowtie (Catalog \bowtie \sigma_{colour="green"}(Parts))

v. (\Pi_{sid,pid}Catalog)/(\Pi_{pid}Parts)

vi. (\Pi_{sid,pid}Catalog)/(\Pi_{pid}\sigma_{colour="red"}Parts)

vii. \Pi_{sid,pid}(Catalog)/(\Pi_{pid}\sigma_{colour="red"}(Parts)) \vee [(\Pi_{sid,pid}Catalog)/(\Pi_{pid}\sigma_{colour="green"}(Parts))

viii. [(\Pi_{sid,pid}Catalog)/(\Pi_{pid}\sigma_{colour="green"}Parts)] \vee [(\Pi_{sid,pid}Catalog)/(\Pi_{pid}\sigma_{colour="green"}Parts)]

ix. \rho_{\alpha}(Catalog), \rho_{\beta}(Catalog)

\Pi_{\alpha.sid,\beta.sid}(\sigma_{\alpha.pid=\beta.pid \wedge \alpha.sid!=\beta.sid \wedge \alpha.cost>\beta.cost}(\alpha \times \beta))

x. \rho_{\alpha}(Catalog), \rho_{\beta}(Catalog)

\Pi_{\alpha.pid}(\sigma_{\alpha.pid=\beta.pid \wedge \alpha.sid!=\beta.sid}(\alpha \times \beta))

xi. R_1 := (\Pi_{sid}(\sigma_{sname="CanadaSuppliers"}(Suppliers))) \bowtie Catalog
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 $\rho_{\alpha}(R_1)$ 

 $R_2 := \prod_{\alpha.sid,\alpha.pid,\alpha.cost} (\sigma_{\alpha.cost < R_1.cost} (\alpha \times R_1)$ 

xii.  $\Pi_{pid,sid}(\sigma_{cost < 200}(Catalog))/\Pi_{sid}(Suppliers)$ 

 $\Pi_{pid}(R_1 - \Pi_{sid,pid,cost}(R_2))$