

***RAJSHAHI UNIVERSITY OF ENGINEERING & TECHNOLOGY***



***DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING***

**Lab Report 2**

**Course Code:** CSE 2202

**Course Title:** Sessional Based on CSE 2201.

**Submitted By:**

Name : Shanjid Hasan Nishat

Roll No : 1803172

Section : 'C'

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**Submitted To:**

Dr. Md. Ali Hossain

Associate Professor,

Dept. of Computer Science and

Engineering.

Rajshahi University of

Engineering & Technology.

**Problem Statement:** Comparison of Straight forward and recursive algorithms for finding maximum and minimum.

### Description and Algorithm:

**Straight forward** method means the basic method to solve a problem. In this method, the maximum and minimum number can be found separately. To find the maximum and minimum numbers, the following straightforward algorithm can be used:

```
Maximum-Minimum (numbers[])
max := numbers[1]
min := numbers[1]

for i = 2 to n do
    if numbers[i] > max then
        max := numbers[i]
    if numbers[i] < min then
        min := numbers[i]
return (max, min)
```

In this algorithm, number of comparisons for n number of inputs is  $2n - 2$ .

By **Divide and Conquer** approach, the array is divided into two halves. Then using recursive approach maximum and minimum numbers in each half are found. Then, return the maximum of two maximum of each half and the minimum of two minimum of each half and thus the final minimum and maximum are found. To find the maximum and minimum numbers, the following divide and conquer algorithm can be used:

```
Maximum-Minimum (x, y)
if y - x ≤ 1 then
    return (max(numbers[x], numbers[y]), min(numbers[x],
numbers[y]))
else
    (max1, min1) := Maximum-Minimum(x, [(x + y)/2])
    (max2, min2) := Maximum-Minimum([(x + y)/2 + 1], y)
return (max(max1, max2), min(min1, min2))
```

In this algorithm, number of comparisons for n number of inputs where,  $n = 2^k$  is  $\frac{3n}{2} - 2$ .

## Code:

```
#include<bits/stdc++.h>
using namespace std;
long long arr[100010],len = 0;
long long cnt1=0,cnt2=0;
void find_min_max(long long &mini,long long &maxi)
{cnt1++;
  for(long long i = 0 ; i < len ; i++)
  {cnt1+=2;
    cnt1++;
    if(arr[i]<mini)
    {cnt1++;
      mini = arr[i];
    }
    cnt1++;
    if(arr[i]>maxi)
    {cnt1++;
      maxi = arr[i];
    }
  }
}
void divide_and_conquer_min_max(long long i, long long n, long long
&mini, long long &maxi)
{
  cnt2++;
  if(n-i == 0)
  {
    cnt2+=2;
    mini = min(arr[i],mini);
    maxi = max(arr[i],maxi);
    return;
  }
  else if(n-i == 1)
  {
    cnt2+=2;
    mini = min(mini,min(arr[i],arr[n]));
    maxi = max(maxi,max(arr[i],arr[n]));
    return;
  }
  cnt2+=2;
  divide_and_conquer_min_max(i, (i+n)/2,mini,maxi);
  divide_and_conquer_min_max(((i+n)/2+1),n,mini,maxi);
}
void readFile(string fname)
{
  long long x,i=0;
  ifstream inFile;
  inFile.open(fname);
  if (!inFile)
  {
    cout << "Cannot open file.\n";
    exit(1);
  }
  while (inFile >> x)
  {
    arr[i++] = x;
  }inFile.close();
}
```

```

        len = i;
    }
    int main()
    {
        long long a,b,data[100][8],i=0;
        cnt1=0;
        cnt2=0;
        readFile("input_10000.txt");
        data[i][0] = len;
        a = LLONG_MAX;
        b = LLONG_MIN;
        find_min_max(a,b);
        data[i][1] = a;
        data[i][2] = b;
        data[i][5] = cnt1;

        a = LLONG_MAX;
        b = LLONG_MIN;
        divide_and_conquer_min_max(0,len-1,a,b);
        data[i][3] = a;
        data[i][4] = b;
        data[i++][6] = cnt2;

        cnt1=0;
        cnt2=0;
        readFile("input_20000.txt");
        data[i][0] = len;
        a = LLONG_MAX;
        b = LLONG_MIN;
        find_min_max(a,b);
        data[i][1] = a;
        data[i][2] = b;
        data[i][5] = cnt1;

        a = LLONG_MAX;
        b = LLONG_MIN;
        divide_and_conquer_min_max(0,len-1,a,b);
        data[i][3] = a;
        data[i][4] = b;
        data[i++][6] = cnt2;

        cnt1=0;
        cnt2=0;
        readFile("input_30000.txt");
        data[i][0] = len;
        a = LLONG_MAX;
        b = LLONG_MIN;
        find_min_max(a,b);
        data[i][1] = a;
        data[i][2] = b;
        data[i][5] = cnt1;

        a = LLONG_MAX;
        b = LLONG_MIN;
        divide_and_conquer_min_max(0,len-1,a,b);
        data[i][3] = a;
        data[i][4] = b;
        data[i++][6] = cnt2;
    }
}

```

```

    cnt1=0;
    cnt2=0;
    readFile("input_40000.txt");
    data[i][0] = len;
    a = LLONG_MAX;
    b = LLONG_MIN;
    find_min_max(a,b);
    data[i][1] = a;
    data[i][2] = b;
    data[i][5] = cnt1;

    a = LLONG_MAX;
    b = LLONG_MIN;
    divide_and_conquer_min_max(0, len-1, a, b);
    data[i][3] = a;
    data[i][4] = b;
    data[i++][6] = cnt2;

    cnt1=0;
    cnt2=0;
    readFile("input_50000.txt");
    data[i][0] = len;
    a = LLONG_MAX;
    b = LLONG_MIN;
    find_min_max(a,b);
    data[i][1] = a;
    data[i][2] = b;
    data[i][5] = cnt1;

    a = LLONG_MAX;
    b = LLONG_MIN;
    divide_and_conquer_min_max(0, len-1, a, b);
    data[i][3] = a;
    data[i][4] = b;
    data[i++][6] = cnt2;

    cout<<"Data\tNormal_Minimum\t Normal_Maximum\t DAC_Minimum\t
DAC_Maximum\t Normal_Steps\t DAC_Steps\n\n";
    for(long long j = 0 ; j < i ; j++)
    {
        cout<<data[j][0]<<"\t\t"<<data[j][1]<<"\t\t"<<data[j][2]<<"
\t\t"<<data[j][3]<<"\t\t"<<data[j][4]<<"\t\t"<<data[j][5]<<"\t\t"<<data
[j][6]<<"\n\n";
    }
    return 0;
}

```

## Input:

```
3465
45
5306
31126
27557
23296
1546
31880
18796

```

```
9033
7937
1874
9888
16359
20141
4606
15052
25357
20860

```

```
5718
26721
5450
2405
20670
4903
14406
8902
14555

```

```
11501
10554
30951
20500
31777
5801
4280
5253
1629

```

```
6005
26255
19235
14252
13166
2946
13038
14504
21167

```

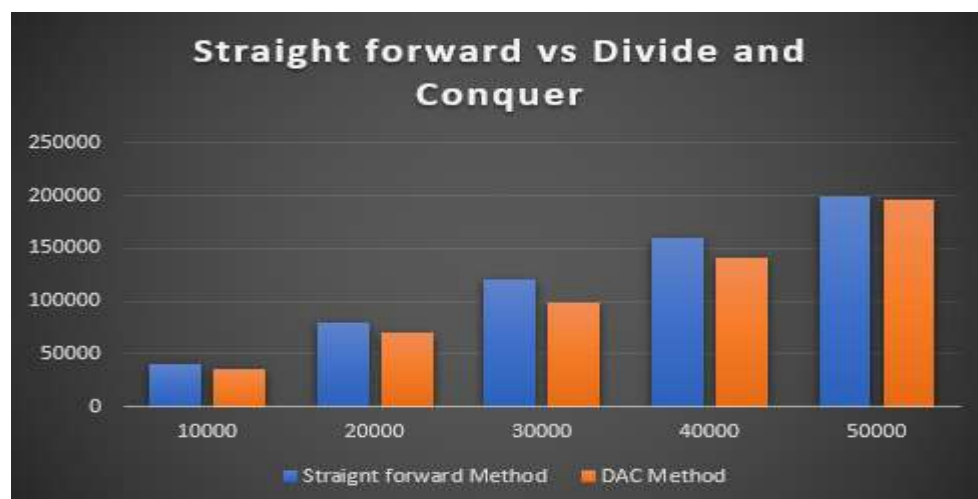
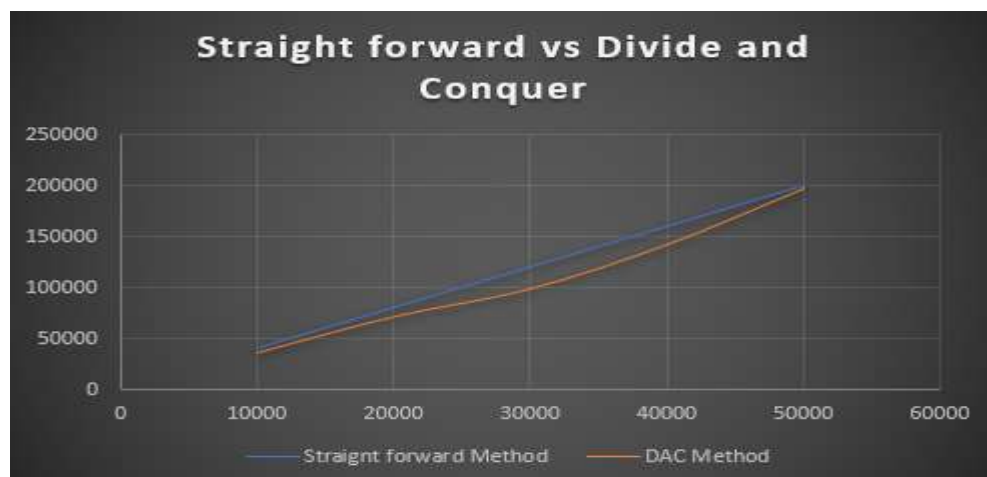
## Output:

"F:\2-2\Study Materials\Sessional Based on CSE 2201\L3 Report\1803172\_1.exe"

Data	Normal_Minimum	Normal_Maximum	DAC_Minimum	DAC_Maximum	Normal_Steps	DAC_Steps
10000	3	32765	3	32765	40014	35421
20000	0	32764	0	32764	80025	70845
30000	1	32767	1	32767	120024	98301
40000	0	32767	0	32767	160022	141693
50000	0	32767	0	32767	200016	196605

Process returned 0 (0x0) execution time : 0.177 s  
Press any key to continue.

## Graph:



## Discussion and conclusion:

In this problem we have seen the comparison of recursive and non-recursive method for finding minimum of maximum from a given array. Here, we see from the algorithm that the divide and conquer method takes less comparison than the straight forward algorithm which we can also notice in the two graphs. The line of divide and conquer method is always below the line of straight forward method. However, using the asymptotic notation time complexity of the both methods are represented by  **$O(n)$** .