

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB REPORT on

Artificial Intelligence (23CS5PCAIN)

Submitted by

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in partial fulfillment for the award of the degree of
BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

(Autonomous Institution under VTU)

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Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Shankar shivappa pujar (1BM23CS309)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

Lab faculty Seema Patil Name Assistant Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
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Github Link:

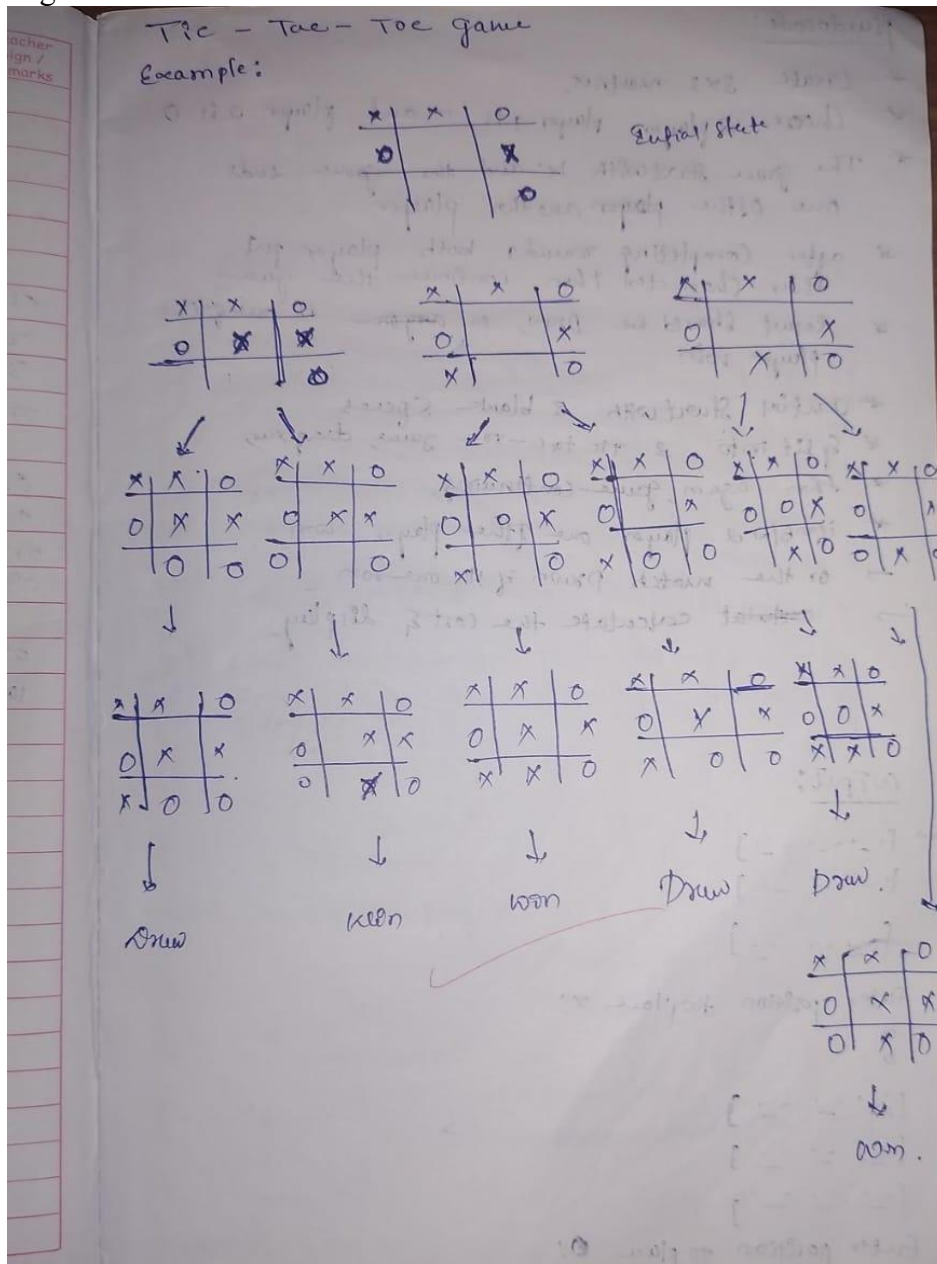
<https://github.com/shankar045/Shankar1BM23CS309AILAB>

Program 1

Implement Tic - Tac - Toe Game

Implement vacuum cleaner agent

Algorithm:



Pseudocode:

- * Create 3x3 matrix.
- * Choose 2 player: player 1 is 'x' and player 2 is 'o'.
- * The game starts with 'x' and the game ends one of the player another player.
- * After completing round, both player put their character then continue the game.
- * Result should be Draw, or anyone is one of the player win.
- * Initial starts with 3 blank spaces.
- * Split into 3 tic-tac-toe game, diagram.
- * Then again game continuing.
- * If in b/w 2 player one of the player win.
→ or the match Draw if No one win
→ ~~calculate~~ calculate the cost & display.

Output:

→ [_ _ _]

[_ _ _]

[_ _ _]

Enter position to place x:

0
0

[x _ _]

[_ _ _]

[_ _ _]

Enter position to place o:

1
[x o -]

[- - -]

[- - -]

enter position to place x:

2

2

[x o -]

[- - -]

[- - x]

enter position to play o:

2

0

[x o -]

[- - -]

[o - x]

enter position to play x:

1

1

[x o -]

[- x -]

[o - x]

x won's

Game over

Total Moves made (root): 5.

10/1/19

Code:

```
print("Shankar ()")
def create_board():
    return [["-" for _ in range(3)] for _ in range(3)]

def display_board(board):
    for row in board:
        print(row)

def is_valid_move(board, row, col):
    return 0 <= row < 3 and 0 <= col < 3 and board[row][col] == "-"

def has_won(board, player):
    for i in range(3):
        if all(board[i][j] == player for j in range(3)) or \
            all(board[j][i] == player for j in range(3)):
            return True

    if all(board[i][i] == player for i in range(3)) or \
        all(board[i][2 - i] == player for i in range(3)):
        return True
    return False

def is_board_full(board):
    return all(cell != "-" for row in board for cell in row)

def tic_tac_toe():
    board = create_board()
    current_player = "X"
    move_count = 0

    while True:
        display_board(board)
        print(f'Enter position to place {current_player}:')

        try:
            row = int(input())
            col = int(input())
        except ValueError:
            print("Please enter valid integers for row and column.")
            continue

        if is_valid_move(board, row, col):
            board[row][col] = current_player
            move_count += 1

            if has_won(board, current_player):
                display_board(board)
                print(f'{current_player} wins!')
                print("Game Over")
                print(f'Total moves made (cost): {move_count}')
```

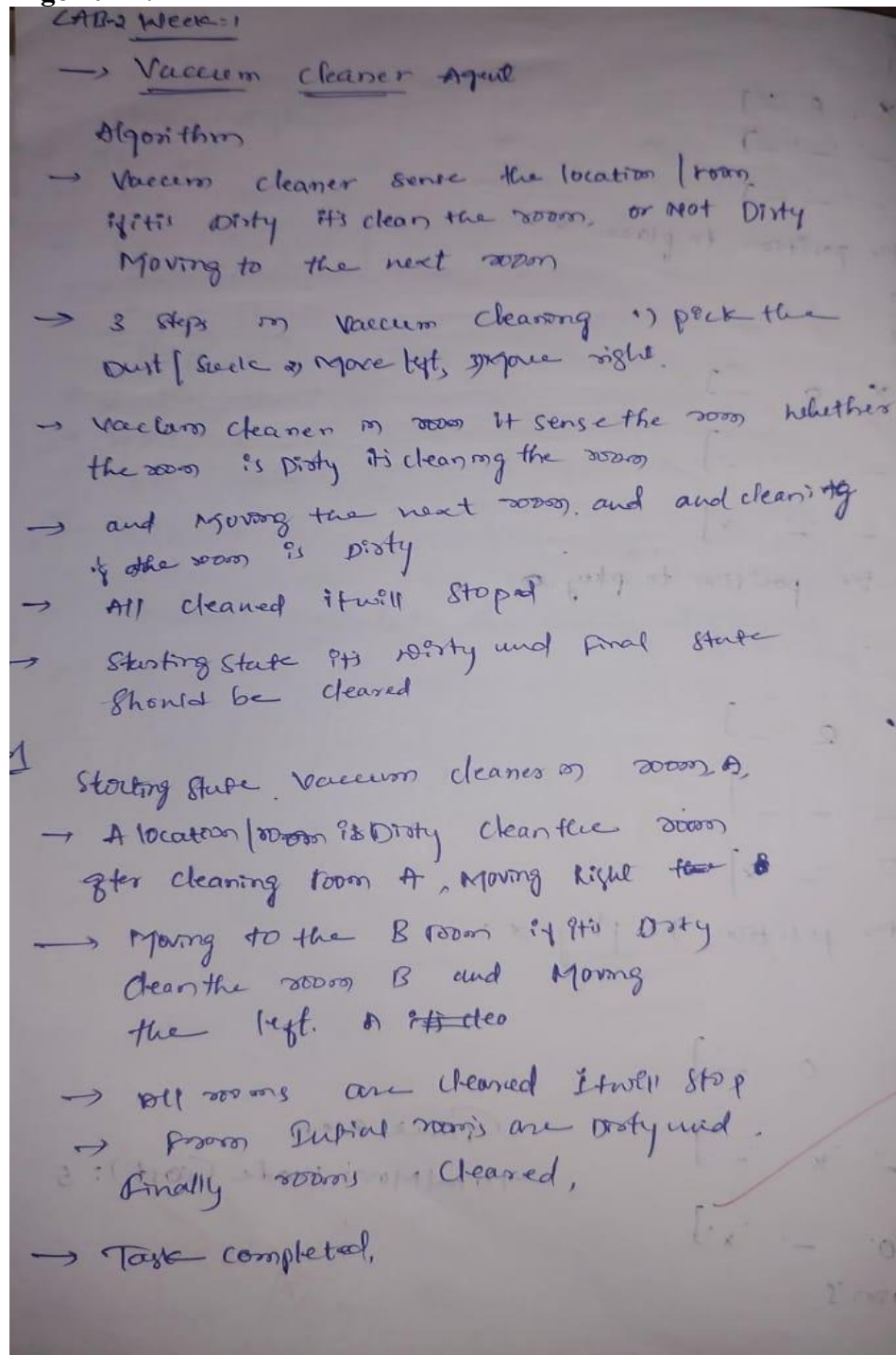
```
        break
    elif is_board_full(board):
        display_board(board)
        print("It's a draw!")
        print("Game Over")
        print(f"Total moves made (cost): {move_count}")
        break

    current_player = "O" if current_player == "X" else "X"
else:
    print("Invalid move. Try again.")

if __name__ == "__main__":
    tic_tac_toe()
```

Vacuum Cleaner Agent:

Algorithm:



output

Enter state of A (0 for clean, 1 for dirty): 0

Enter state of B (0 for clean, 1 for dirty): 1

Enter location (A or B): A

A is clean

Moving vacuum right

Cleaned B.

Is B clean now? (0 if clean, 1 if dirty): 0

Is A dirty? (0 if clean, 1 if dirty): 0

Cost: 2

{ A: 0, B: 0 }

2) Enter state of A (0 for clean, 1 for dirty): 0

Enter state of B (0 for clean, 1 for dirty): 0

Enter location (A or B): A

Turning vacuum off

Cost: 0

{ A: 0, B: 0 }

3) Enter state of A (0 for clean, 1 for dirty): 1

Enter state of B (0 for clean, 1 for dirty): 0

Enter location (A or B): A

Cleaned A.

Moving vacuum right.

B is clean.

Is B clean now? (0 if clean, 1 if dirty): 0

Is A dirty? (0 if clean, 1 if dirty): 0

Cost = 0.2

{ A: 0, B: 0 }

Code:

```
print("shanakr s pujar")
print("IBM23CS309")
def vacuum_cleaner_agent():
    # Take initial inputs
    state_A = int(input("Enter state of A (0 for clean, 1 for dirty): "))
    state_B = int(input("Enter state of B (0 for clean, 1 for dirty): "))
    location = input("Enter location (A or B): ").upper()

    cost = 0
    states = {'A': state_A, 'B': state_B}

    if states['A'] == 0 and states['B'] == 0:
        print("Turning vacuum off")
        print(f"Cost: {cost}")
        print(states)
        return

    def clean_location(loc):
        nonlocal cost
        if states[loc] == 1:
            print(f"Cleaned {loc}.")
            states[loc] = 0
            cost += 1

    if location == 'A':
        if states['A'] == 1:
            clean_location('A')
        else:
            print("A is clean")
        print("Moving vacuum right")
        cost += 1
        if states['B'] == 1:
            clean_location('B')
        else:
            print("B is clean")

    print("Is B clean now? (0 if clean, 1 if dirty):", states['B'])
    print("Is A dirty? (0 if clean, 1 if dirty):", states['A'])

    if states['A'] == 1:
        print("Moving vacuum left")
        cost += 1
        clean_location('A')

    elif location == 'B':
        if states['B'] == 1:
            clean_location('B')
        else:
            print("B is clean")
        print("Moving vacuum left")
        cost += 1
```

```
if states['A'] == 1:
    clean_location('A')
else:
    print("A is clean")

print("Is A clean now? (0 if clean, 1 if dirty):", states['A'])
print("Is B dirty? (0 if clean, 1 if dirty):", states['B'])

if states['B'] == 1:
    print("Moving vacuum right")
    cost += 1
    clean_location('B')

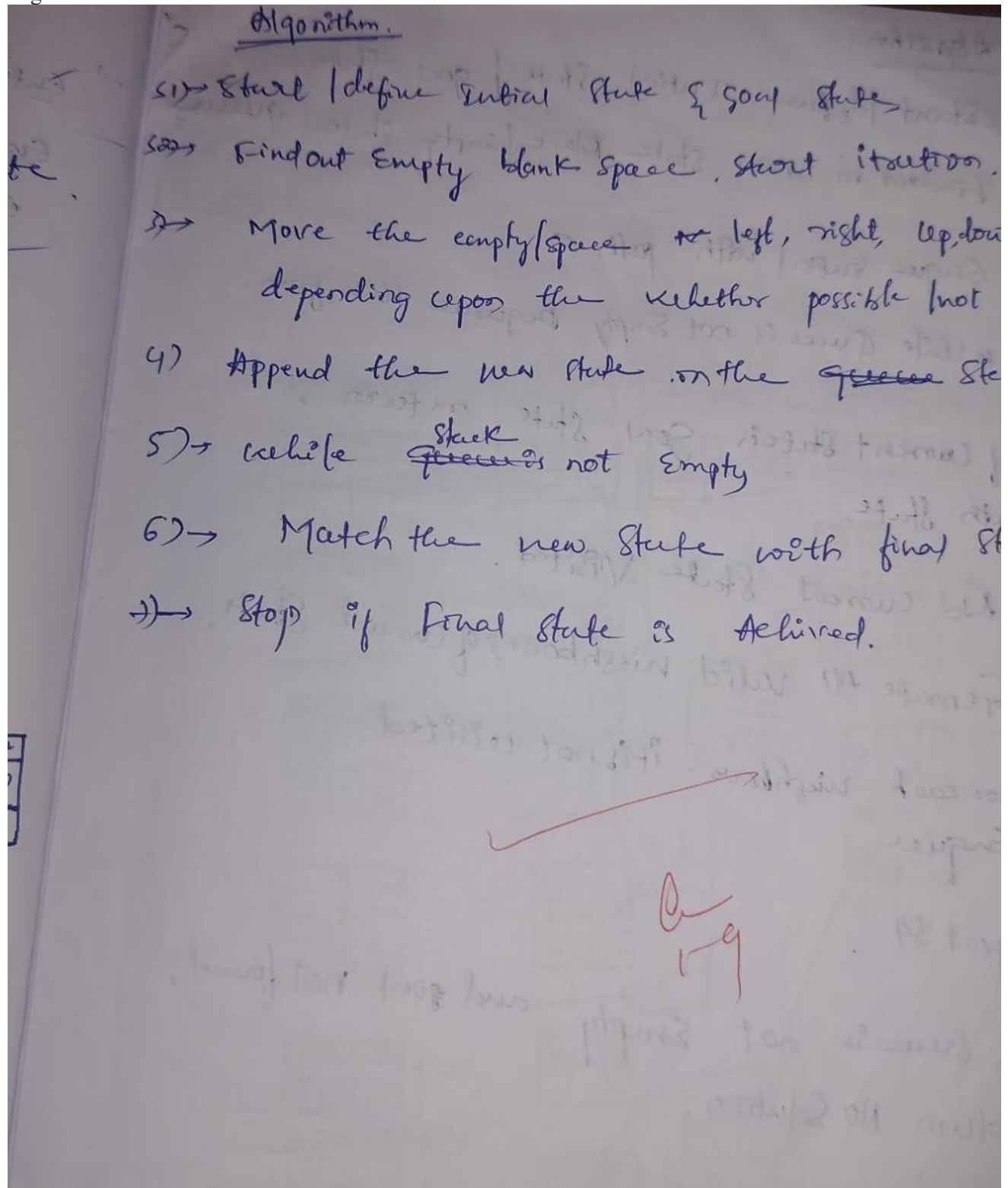
print(f"Cost: {cost}")
print(states)
vacuum_cleaner_agent()
```

Programa 2

Implement 8 puzzle problems using Depth First Search (DFS)

Implement Iterative deepening search algorithm

Algorithm:



Code:

```
from collections import deque

print("SHANKAR S PUJAR,1BM23CS309")

initial_state = ((2, 8, 3),
                 (1, 6, 4),
                 (7, 0, 5))

goal_state = ((1, 2, 3),
              (8, 0, 4),
              (7, 6, 5))

directions = {'Up': (-1, 0), 'Down': (1, 0), 'Left': (0, -1), 'Right': (0, 1)}

def get_blank_pos(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return (i, j)

def swap_positions(state, pos1, pos2):
    state_list = [list(row) for row in state]
    r1, c1 = pos1
    r2, c2 = pos2
    state_list[r1][c1], state_list[r2][c2] = state_list[r2][c2], state_list[r1][c1]
    return tuple(tuple(row) for row in state_list)

def get_neighbors(state):
    neighbors = []
    r, c = get_blank_pos(state)
    for move, (dr, dc) in directions.items():
        nr, nc = r + dr, c + dc
        if 0 <= nr < 3 and 0 <= nc < 3:
            new_state = swap_positions(state, (r, c), (nr, nc))
            neighbors.append((new_state, move))
    return neighbors

def dfs_8_puzzle(start, goal):
    stack = []
    visited = set()
    visited.add(start)
    stack.append((start, []))

    levels = []

    while stack:
        state, path = stack.pop()
        levels.append(state)

        if state == goal:
            return path, levels, len(visited)
```

```

        for neighbor, move in get_neighbors(state):
            if neighbor not in visited:
                visited.add(neighbor)
                stack.append((neighbor, path + [move]))

    return None, levels, len(visited)

solution_path, level_states, total_visited = dfs_8_puzzle(initial_state, goal_state)

print(f'Solution length: {len(solution_path)} moves')
print("Solution moves:", solution_path)
print(f'Total states visited: {total_visited}\n')

print("States traversed:")
for i, state in enumerate(level_states):
    print(f'\nState {i+1}:')
    for row in state:
        print(row)
    print("---")

```

IDS

Algorithm:

→ Iterative Deepening Search
Iterative Deepening Search (IDS)
IDDFS (start, goal) start state & goal state.
depth = 0

loop:

result = ~~DLS~~ DLS (start, goal, depth)

if result == FOUND:

return "goal found";

depth++;

Function DLS (node, goal, limit):

if node == goal:

return FOUND;

else if limit == 0

return NOT FOUND.

Outputs:

Solution found in 5 moves.

2, 8, 3,	1, 2, 3
1 6 4	- 8 4
→ - 5	→ 6 5

2, 8, 3	1 2 3
1 - 4	8 - 4
→ 6 5	→ 6 5

2 8 3
1 8 4
→ 6 5

- 2 3
1 8 4
→ 6 5

Q
1-9

Code:

```
goal_state = ((1, 2, 3),  
              (8, 0, 4),  
              (7, 6, 5))
```

```
moves = [(-1, 0), (1, 0), (0, -1), (0, 1)]
```

```
def get_blank_pos(state):  
    for i in range(3):  
        for j in range(3):  
            if state[i][j] == 0:  
                return i, j
```

```
def swap_tiles(state, pos1, pos2):  
    state_list = [list(row) for row in state]  
    x1, y1 = pos1  
    x2, y2 = pos2  
    state_list[x1][y1], state_list[x2][y2] = state_list[x2][y2], state_list[x1][y1]  
    return tuple(tuple(row) for row in state_list)
```

```
def get_neighbors(state):  
    neighbors = []  
    x, y = get_blank_pos(state)  
    for dx, dy in moves:  
        nx, ny = x + dx, y + dy  
        if 0 <= nx < 3 and 0 <= ny < 3:  
            neighbors.append(swap_tiles(state, (x, y), (nx, ny)))  
    return neighbors
```

```
def dls(state, goal, limit, visited, path):  
    if state == goal:  
        return path + [state]  
    if limit <= 0:  
        return None  
    visited.add(state)  
    for neighbor in get_neighbors(state):  
        if neighbor not in visited:  
            result = dls(neighbor, goal, limit - 1, visited, path + [state])  
            if result is not None:  
                return result  
    visited.remove(state)  
    return None
```

```
def iterative_deepening(start, goal, max_depth=50):  
    for depth in range(max_depth):  
        visited = set()  
        result = dls(start, goal, depth, visited, [])  
        if result is not None:  
            return result  
    return None
```

```
def print_state(state):
```

```

for row in state:
    print(' '.join(str(x) if x != 0 else ' ' for x in row))
print()

if __name__ == "__main__":
    start = ((2, 8, 3),
             (1, 6, 4),
             (7, 0, 5))

    solution = iterative_deepening(start, goal_state)

    if solution:
        print(f'Solution found in {len(solution) - 1} moves:\n")
        for step in solution:
            print_state(step)
    else:
        print("No solution found within depth limit.")

```

Program 3

Implement A* search algorithm


Algorithm:

~~Algorithm of node placed~~

Algorithm for A*

- Initialize open list with start node; set $g(\text{start}) = 0$, $f(\text{start}) = h(\text{start})$.
- while open list not empty.
- pick node with lowest f ; if goal, return path.
- for each neighbor:
 - calculate tentative $g = g(\text{current}) + \text{cost}$; update it better.
 - Add neighbor to open list with $f = g + h$

$\bar{g} = g$



Apply A* algorithm

- * Misplace Tiles
- * Manhattan Distance

2	8	3
1	6	4
7	5	

Initial State

1	2	8
8		4
7	6	5

Final State

$$f(n) = g(n) + h(n)$$

Solution:

2	8	3
1	6	4
7		5

Manhattan Distance:

1, 2, 3, 4, 5, 6, 7, 8
~~2, 3, 7~~

* Manhattan Distance .

1, 2, 3, 4, 5, 6, 7, 8
 1 0 0 0 0 1 0 2 = 5

The Manhattan Distance = 5

OK
 8/27

Misplaced Tiles:
Initial State

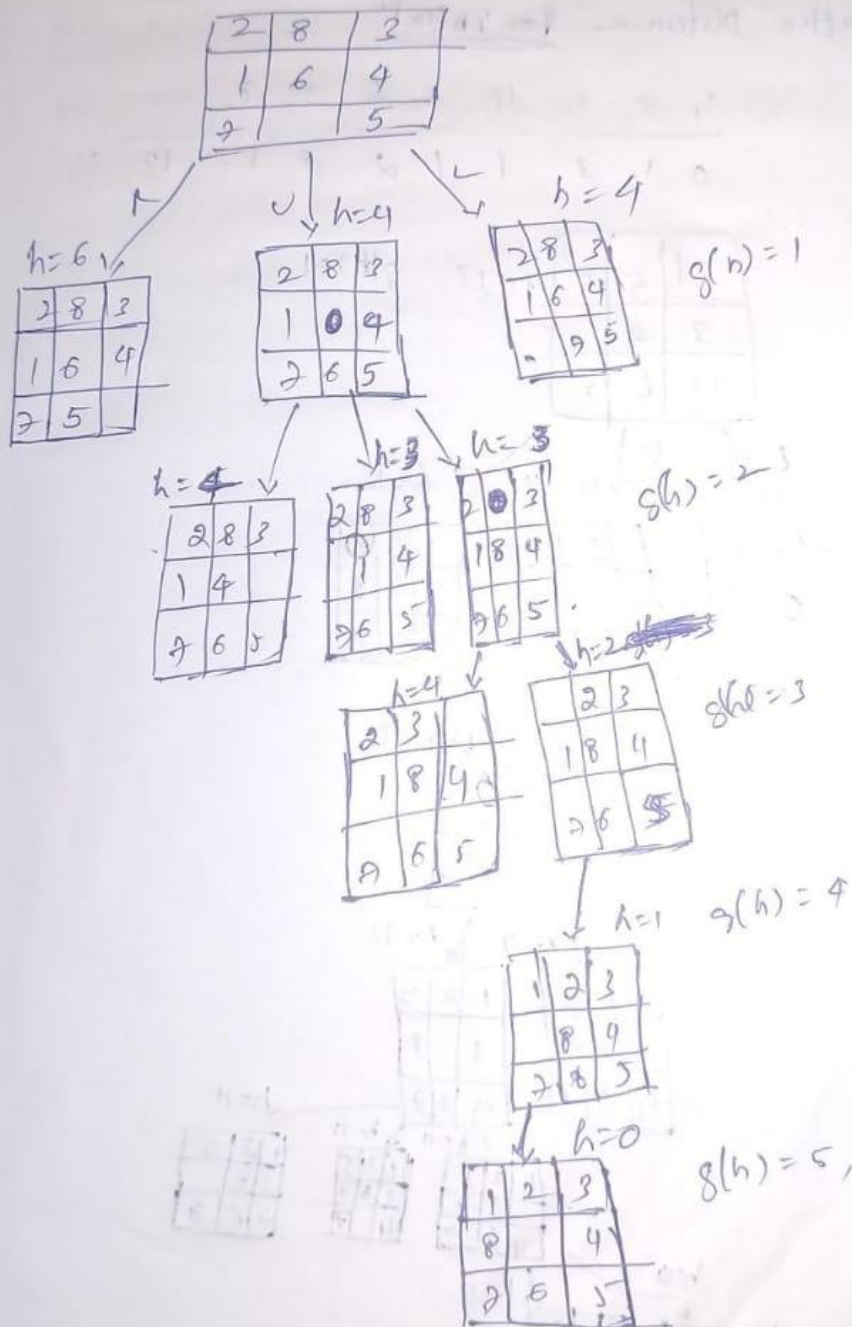
2	8	3
1	6	4
7		5

Final State

1	2	3
8		4
7	6	5

$g(n) = \text{Depth}$

$h(n) = \text{Manhattan Distance}$, No. of misplaced tiles



* Manhattan Distance

1	5	8
3	2	
4	6	7

Start state

1	2	3
4	5	6
7	8	

Manhattan Distance for Initial:

$$= \frac{1, 2, 3, 4, 5, 6, 7, 8}{0 \ 1 \ 3 \ 1 \ 1 \ 2 \ 2 \ 3 = 13}$$

1	5	8
3	2	
4	6	7

$h=13$ $g(h)=1$

$h=14$ $h=14$ $h=12$

1	5	8
3	2	
4	6	7

1	5	8
3	2	
4	6	7

1	5	8
3	2	8
4	6	7

1	5	
3	2	8
4	6	7

1	5	
3	2	8
4	6	7

1	2	5
3		8
4	6	7

1	2	5
3	6	8
4	7	

1	2	5
3	6	8
4	7	

1	2	5
3	8	
4	6	7

1	2	5
3	8	
4	6	7

1	2	5
3	8	
4	6	7

$f(n)=15$

$f(n)=15$

Code:

```
import heapq
print("shankar.1BM23CS309")

def manhattan_distance(state, goal):
    distance = 0
    for i in range(3):
        for j in range(3):
            if state[i][j] != 0:
                value = state[i][j]
                # Find the position of the value in the goal state
                for gi in range(3):
                    for gj in range(3):
                        if goal[gi][gj] == value:
                            goal_pos = (gi, gj)
                            break
                    else:
                        continue
                break
            distance += abs(i - goal_pos[0]) + abs(j - goal_pos[1])
    return distance

def get_neighbors(state):
    neighbors = []
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                x, y = i, j
                break
        else:
            continue
        break

    moves = [(0, 1), (0, -1), (1, 0), (-1, 0)]
    for dx, dy in moves:
        nx, ny = x + dx, y + dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            new_state = [list(row) for row in state]
            new_state[x][y], new_state[nx][ny] = new_state[nx][ny], new_state[x][y]
            neighbors.append(tuple(tuple(row) for row in new_state))
    return neighbors

def astar_search_manhattan(initial, goal):
    frontier = [(manhattan_distance(initial, goal), 0, initial)]
    explored = set()
    parent = {}
    cost = {initial: 0}

    while frontier:
        f, g, current = heapq.heappop(frontier)

        if current == goal:
```

```

    path = []
    while current in parent:
        path.append(current)
        current = parent[current]
    path.append(initial)
    return path[::-1]

explored.add(current)

for neighbor in get_neighbors(current):
    new_cost = cost[current] + 1
    if neighbor not in cost or new_cost < cost[neighbor]:
        cost[neighbor] = new_cost
        priority = new_cost + manhattan_distance(neighbor, goal)
        heapq.heappush(frontier, (priority, new_cost, neighbor))
        parent[neighbor] = current
return None

def get_state_input(prompt):
    print(prompt)
    state = []
    for _ in range(3):
        row = list(map(int, input().split()))
        state.append(row)
    return tuple(tuple(row) for row in state)

initial_state_m = get_state_input("Enter the initial state for Manhattan distance (3 rows of 3 numbers separated
by spaces, use 0 for the blank):")
goal_state_m = get_state_input("Enter the goal state for Manhattan distance (3 rows of 3 numbers separated by
spaces, use 0 for the blank):")

path_m = astar_search_manhattan(initial_state_m, goal_state_m)

if path_m:
    print("Solution found using Manhattan distance:")
    for step in path_m:
        for row in step:
            print(row)
        print()
else:
    print("No solution found using Manhattan distance.")

```

Program 4

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:

Hill Climbing Algorithm to solve N-Queens problem

Algorithm:

- 1) Define Current State & Initial State
- 2) loop until goal state is achieved
- 3) Apply an operator
- 4) Compare new state with goal state
- 5) quit
- 6) Evaluate new state with heuristic
- 7) Compose
- 8) if new state is closer to goal state
- 9) Then update the Current state

4 Queens problem: State Space diagram

$x_0 = 3, x_1 = 1, x_2 = 2, x_3 = 0$

1)

			Q
	Q		
		Q	
Q			

cost $h = 2$

2)

$x_0 = 3, x_1 = 1, x_2 = 2, x_3 = 3$

			Q
	Q		
		Q	
			Q

$h = 2 + 1 = 3$

3)

$x_0 = 3, x_1 = 0, x_2 = 2, x_3 = 1$

			0
0			
	0	0	

$h=1$.

4) $x_0 = 2$ $x_1 = 0$ $x_2 = 2$ $x_3 = 1$

			0
0			
			0
0			

\Rightarrow solution
 $h=0$.

5) $x_0 = 0$ $x_1 = 3$ $x_2 = 0$ $x_3 = 2$

0			
			0
0			
		0	

$h=1$

6) $x_0 = 1$ $x_1 = 3$ $x_2 = 0$ $x_3 = 2$,

		0	
			0
0			
		0	

\Rightarrow solution
 $h=0$

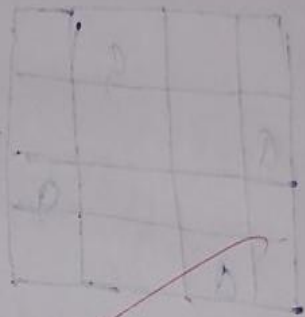
Q/15-4-25

Output:

Initial board: $[0, 3, 3, 1]$ with 2 conflicts

Best Found & Improved Found: $[2, 0, 3, 1]$ with 0 conflicts.

Final Solution: Queens placed so no two attack each other



Code:

```
import random
```

```
def create_board():
```

```
    return [random.randint(0, 3) for _ in range(4)]
```

```
def calculate_conflicts(board):
```

```
    conflicts = 0
```

```
    for i in range(4):
```

```
        for j in range(i + 1, 4):
```

```
            if board[i] == board[j] or abs(board[i] - board[j]) == j - i:
```

```
                conflicts += 1
```

```
    return conflicts
```

```
def hill_climbing():
```

```
    board = create_board()
```

```
    print(f"Initial board: {board} with conflicts: {calculate_conflicts(board)}")
```

```
    while True:
```

```
        current_conflicts = calculate_conflicts(board)
```

```
        if current_conflicts == 0:
```

```
            return board
```

```
        next_board = None
```

```
        next_conflicts = float('inf')
```

```
        for i in range(4):
```

```
            temp_board = board[:]
```

```
            for j in range(4):
```

```
                if temp_board[i] != j:
```

```
                    temp_board[i] = j
```

```
                    temp_conflicts = calculate_conflicts(temp_board)
```

```
                    print(f"Board: {temp_board} with conflicts: {temp_conflicts}")
```

```
                    if temp_conflicts < next_conflicts:
```

```
                        next_conflicts = temp_conflicts
```

```
                        next_board = temp_board[:]
```

```
        if next_conflicts >= current_conflicts:
```

```
            return board
```

```
        board = next_board
```

```
solution = hill_climbing()
```

```
print(f"Final solution: {solution}")
```

Program 5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

Week 5

→ Simulated Annealing

1. Current \leftarrow Initial state.
2. $T \leftarrow$ a large positive value.
3. while $T > 0$ do
4. next \leftarrow a random neighbour of Current.
5. $\Delta E \leftarrow$ current.cost - next.cost.
6. if $\Delta E > 0$ then
7. Current \leftarrow next
8. else
9. Current \leftarrow next with probability $p = e^{\frac{\Delta E}{T}}$
10. End if
11. decrease T .
12. End while.
13. return Current.

OUTPUT:

The best position found is: [0 8 2 6 3 7 4 5]

The No of Queens that are not attacking each other is: 8

Ans
22/5

```

Code:
print("Shankar,1BM23CS309")
import math
import random

def objective_function(x):
    return x**2 + 10 * math.sin(x)

def simulated_annealing(objective, bounds, max_iterations, initial_temp, cooling_rate):
    # Random initial solution
    current = random.uniform(bounds[0], bounds[1])
    current_energy = objective(current)

    best = current
    best_energy = current_energy

    temp = initial_temp

    for i in range(max_iterations):
        candidate = current + random.uniform(-1, 1) # small random move
        candidate = max(min(candidate, bounds[1]), bounds[0]) # keep inside bounds
        candidate_energy = objective(candidate)

        delta_e = candidate_energy - current_energy

        if delta_e < 0 or random.random() < math.exp(-delta_e / temp):
            current, current_energy = candidate, candidate_energy

            t
            if current_energy < best_energy:
                best, best_energy = current, current_energy

        temp = temp * cooling_rate

    return best, best_energy

bounds = [-10, 10]
max_iterations = 1000
initial_temp = 100.0
cooling_rate = 0.99
best_solution, best_value = simulated_annealing(objective_function, bounds,
                                                max_iterations, initial_temp, cooling_rate)
print("Best solution found: x =", best_solution)
print("Objective function value:", best_value)

```

Program 6

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Algorithm:

Week = 6

Propositional logic
Implementation of truth-table Enumeration algorithm
for deciding propositional entailment.
i.e. Create knowledge base using propositional
and show that the given query entails the
knowledge base or not.

Propositional Interface: Enumeration Method

Example
 $\alpha = A \vee B$ $\Phi B = (A \vee C) \wedge (B \vee \neg C)$

Checking that $KB \models \alpha$.

A	B	C	$A \vee C$	$B \vee \neg C$	KB	α
false	false	false	false	true	false	false
false	false	true	true	false	false	false
false	true	false	false	true	false	true
false	true	true	true	true	<u>true</u>	true
true	false	false	true	true	<u>true</u>	true
true	false	true	true	false	false	true
true	true	false	true	true	<u>true</u>	true
true	true	true	true	true	<u>true</u>	true

Algorithm

1. Input: KB (Knowledge base), α (propositional query)
2. Extract Symbols from KB and α .
3. Call TT-check-All (KB, α , Symbol, $\{\}$).
4. BASE case if no more symbols, check if KB is true for the Current model.
 - if true, check if α is true
 - if false, return true (because if KB is false, α doesn't need to be true).
5. Else: pick the first Symbol p
6. Recurse with $p = \text{True}$, then with $p = \text{false}$.
7. Return True if KB entails α in all models where KB is true.
8. Output: Returns true if $KB \models \alpha$, otherwise false.

Ques
22/9/25

```

Code:
print("shankar,1 BM23CS309")
import itertools
import re

def pl_true(expr, model):
    """
    Evaluate a propositional logic expression in a given model.
    expr: string with symbols and logical operators ( $\neg$ ,  $\wedge$ ,  $\vee$ ,  $\rightarrow$ ,  $\leftrightarrow$ )
    model: dictionary mapping symbols to True/False
    """

    for sym, val in model.items():
        expr = re.sub(rf'\b{sym}\b', str(val), expr)

    expr = expr.replace("¬", " not ")
    expr = expr.replace("∧", " and ")
    expr = expr.replace("∨", " or ")
    expr = expr.replace("→", " <=")
    expr = expr.replace("↔", " == ")

    
$$P \rightarrow Q = (\text{not } P) \text{ or } Q$$

    while "<=" in expr:
        expr = re.sub(r'(True|False)\s*<=\s*(True|False)',
                      lambda m: str((not eval(m.group(1))) or eval(m.group(2))),
                      expr)

    return eval(expr)

def tt_entails(KB, alpha, symbols):
    return tt_check_all(KB, alpha, symbols, {})

def tt_check_all(KB, alpha, symbols, model):
    if not symbols: # No more symbols → full model
        if pl_true(KB, model):
            return pl_true(alpha, model)
        else:
            return True
    else:
        P = symbols[0]
        rest = symbols[1:]
        return (tt_check_all(KB, alpha, rest, {**model, P: True}) and
                tt_check_all(KB, alpha, rest, {**model, P: False}))

```

```
KB = "(A ∨ B) ∧ (¬C)"
alpha = "A ∨ (B ∧ ¬C)"

symbols = ["A", "B", "C"]

result = tt_entails(KB, alpha, symbols)
print("Does KB ⊨ α ?", result)
```

Program 7:

Implement unification in first order logic

Algorithm:

Unification Algorithm.

~~Step 1~~

Algorithm: Unify(φ_1, φ_2)

Step 1: If φ_1 or φ_2 is a variable or constant, then:

a) If φ_1 or φ_2 are identical then return NIL

b) Else if φ_1 is a variable

a) then if φ_1 occurs in φ_2 , then return failure.

b) Else return $\{(\varphi_2 / \varphi_1)\}$

c) Else if φ_2 is a variable

a. If φ_2 occurs in φ_1 , then return FAILURE

b. Else return $\{(\varphi_1 / \varphi_2)\}$

d) Else return FAILURE

Step 2: If the initial predicate symbol in φ_1 and φ_2 are not same, then return FAILURE

Step 3: If φ_1 and φ_2 have a different number of arguments, then return FAILURE

Step 4: Set Substitution Set(SUBST) to NIL

Step 5: For $i=1$ to the Number of element in φ_1 ,

a) call Unify function with φ_1 and its element of φ_2 put the result into S

b) If S = failure then return failure

c) If S \neq NIL then do

a. apply S to the remainder of both φ_1 & φ_2

b. SUBST = APPEND(S, SUBST)

Step 6: Return SUBST

Lab-7

Unification algorithm

→ It process to find substitution that make different fo (first order logic)

~~Q1~~
1) Unify (knows(john, x), know(john, jane))
 $\theta = x/jane$
 $\theta = jane$

Unify (knows(john, jane), know(john, jane))

2) Unify (knows(john, x), knows(john, Bill))
 $\theta = y(john)$

knows(john, x), know(john, Bill)
 $\theta = x(Bill)$

knows(john, Bill), know(john, Bill) = True

3) Find MGO of ~~$\{p(b, x), f(g(z))\}$~~

$\{p(b, x), f(g(z))\}$

$p(z, f(y), f(g))$

$\theta = z/b, \theta = x/f(g(z)), \theta = g(z)/y$

$\{p(z, f(y), f(g))\}$

$\{p(z, f(y), f(y))\}$

True

4) Find MGO of $\{g, (g, g(a, a), f(y))$ and $g(g, g(f(b), g))$

1) $\{g\}$

$\theta = x/f(b), \theta = b/y$

$\{o(a.g(a.a), f(y)), \text{ and } p(a.g(f(b), a), x)\}$

$$(a.g(x.a), f(y))\theta = (a.g(f(b), a), x)\theta$$

$$\therefore a\theta = a\theta$$

$$2) g(x.a)\theta = g(f(b), a)\theta$$

$$x\theta = f(b)\theta$$

$$a\theta = a\theta$$

$$3) f(y)\theta = x\theta$$

$$\{x/f(b), y/b\} \text{ True}$$

2) find mgu of $\{p(f(a), g(y)), p(x, x)\}$

$$\theta = x/f(a) \quad \theta = x/f(y)$$

Unification False

4) Unify ~~$\{prime(11), prime(y)\}$~~ and $\{prime(y)\}$

$$\theta = y/11$$

$$\{prime(11)\}$$

$$\{prime(11)\} \text{ True}$$

5) Unify $\{knows(jhon, x), knows(y, mother(y))\}$

$$\theta = y/jhon, \quad \theta = x/mother(jhon)$$

$$\{knows(jhon, mother(jhon))\}$$

$$\{knows(jhon, mother(jhon))\} \text{ True}$$

6) Unify $\{knows(jhon, x), knows(y, Bill)\}$

Code:

```
def unify(x, y, subs=None):
    if subs is None:
        subs = {}

    if isinstance(x, str) and x in subs:
        return unify(subs[x], y, subs)
    if isinstance(y, str) and y in subs:
        return unify(x, subs[y], subs)

    if x == y:
        return subs
    if isinstance(x, str) and x.isupper():
        subs[x] = y
        return subs

    if isinstance(y, str) and y.isupper():
        subs[y] = x
        return subs

    if isinstance(x, tuple) and isinstance(y, tuple):
        if x[0] != y[0] or len(x[1]) != len(y[1]):
            return None
        for a, b in zip(x[1], y[1]):
            subs = unify(a, b, subs)
            if subs is None:
                return None
        return subs

    return None
```

```
expr1 = ('p', ['b', 'X', ('f', [('g', ['Z'])])])
expr2 = ('p', ['Z', ('f', ['Y']), ('f', ['Y'])])

mgu = unify(expr1, expr2)
print("Most General Unifier (MGU):", mgu)
```

Program 8

Algorithm:

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning

Algorithm-

Function $FOL-FC - ASIC(KB, \alpha)$ returns a substitution, false.
input: KB , the knowledge base, a set of first order
definite clauses.

α the query, an atomic sentence.

local variable, new the new sentence. to find

on each iteration.

repeat until new is empty

$new \leftarrow \{ \}$

for each rule $r \in KB$ do,

$(P_1 \wedge \dots \wedge P_n \Rightarrow Q) \leftarrow \text{STANDARDIZE-Variable}$
rule)

for each θ is $SUBST(\theta, P_1 \wedge \dots \wedge P_n) = SUBST(\theta$

$P_1 \wedge \dots \wedge P_n)$

$Q' \leftarrow SUBST(\theta, Q)$

$Q \leftarrow SUBST(\theta, Q)$

If Q' does not unify with some sentence in
in KB to new thing.

add Q' to new

If P is not false then return Q .
add new to KB .

return false

Output

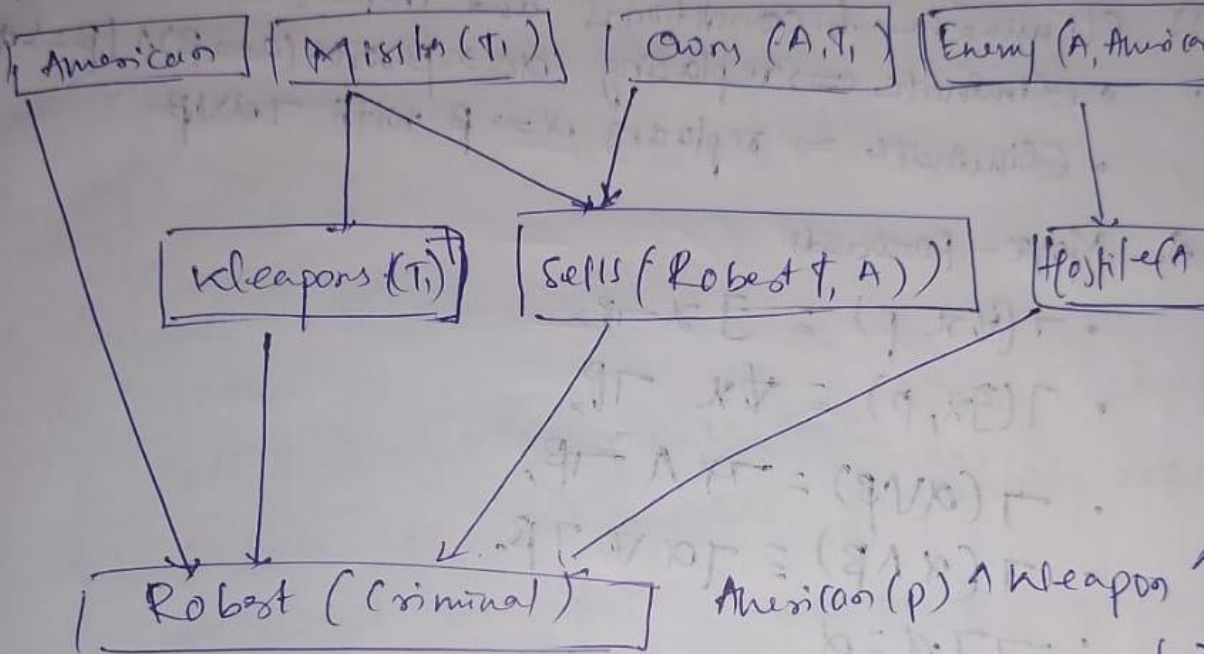
American (Robert)

Sold - (Robert, Missiles, Company)

Weapon (missiles)

Enemy (Country A, America)
 Has (Country A, Missiles)

Forward chaining proof (contd.)



American (p) ^ Weapon
 Sells (p, q, r) ^ Hostile (r)
 => Criminal (p)

Dr. S. S. S.

```

Code:
facts = set()
rules = []

facts.update(["American(West)",
             "Missile(M1)",
             "Owns(Nono, M1)",
             "Enemy(Nono, America)"])

def missile_is_weapon():
    if "Missile(M1)" in facts:
        facts.add("Weapon(M1)")

def enemy_is_hostile():
    if "Enemy(Nono, America)" in facts:
        facts.add("Hostile(Nono, America)")

def sells_relation():
    if "Missile(M1)" in facts and "Owns(Nono, M1)" in facts:
        facts.add("Sells(West, M1, Nono)")

def criminal_rule():
    if ("American(West)" in facts and
        "Weapon(M1)" in facts and
        "Sells(West, M1, Nono)" in facts and
        "Hostile(Nono, America)" in facts):
        facts.add("Criminal(West)")

rules = [missile_is_weapon, enemy_is_hostile, sells_relation, criminal_rule]

new = True
while new:
    new = False
    before = len(facts)
    for r in rules:
        r()
    after = len(facts)
    if after > before:
        new = True

for f in facts:
    print(f)

if "Criminal(West)" in facts:
    print("\nColonel West is a Criminal.")
else:
    print("\nCould not prove West is a Criminal.")

```

Program 9

Algorithm:

Create a knowledge base consisting of first order logic statements and prove the given query using Resolution

LAB = 9 FOL

Create a Knowledge base consisting of first order logic statements and prove the given query using Resolution

- 1) Eliminate biconditional and implications
 - eliminate \Leftrightarrow replacing $\alpha \Leftrightarrow \beta$ with $(\alpha \Rightarrow \beta) \wedge (\beta \Rightarrow \alpha)$
 - Eliminate \Rightarrow replacing $\alpha \Rightarrow \beta$ with $\neg \alpha \vee \beta$
2. Move-Forwards
 - $\neg(\forall x, p) \equiv \exists x \neg p$
 - $\neg(\exists x, p) \equiv \forall x \neg p$
 - $\neg(\alpha \vee \beta) \equiv \neg \alpha \wedge \neg \beta$
 - $\neg(\alpha \wedge \beta) \equiv \neg \alpha \vee \neg \beta$
 - $\neg \neg \alpha \equiv \alpha$
- 3) Standardize variables by renaming: each quantifier use different variable
- 4.) ~~Skolemize~~ Skolemize: each existential variable replaced by skolem constant or skolem function of the enclosing universality
 - For instance $\exists x \text{ Rich}(x)$ becomes $\text{Rich}(c_1)$ where c_1 is a new constant
 - Every one
5. Distribute \wedge over \vee :
 - * $(\alpha \wedge \beta) \vee \gamma \equiv (\alpha \vee \gamma) \wedge (\beta \vee \gamma)$

Resolution in FOL
 Basic steps for proving a conclusion \mathcal{E} given
 premises \mathcal{P} (all expressed in FOL)

- 1) Convert all sentences to CNF
- 2) Negate conclusion \mathcal{E} & convert result to CNF
3. Add negated conclusion \mathcal{E} to the premises
 clauses
4. Repeat until contradiction or no progress
 is made
 - a. Select 2 clauses (call them parent clauses)
 - b. Resolve them together performing all
 required unification.
 - c. If resolvent is the empty clause a
 contradiction has been formed (i.e follows
 from the premises.
 - d. If not add resolvent to the premises
 If you succeed in step 3 we have proved
 the conclusion.

Prove by Resolution:

- * Given facts or premises.
 - * ~~Thon likes all kind of food.~~
 - * ~~Apple & Vegetable are food.~~
 - * Anything anyone eats and not killed is food
 - * Aul eats peanuts and still alive
 - * Flary eats everything that Aul eats
 - * Anyone who is alive implies not killed.
 - * Anyone who is not killed implies alive.
- Prove By Resolution that: Thon likes peanuts.

8. alive (An/1)

97 cats (an'. w) & cats (plany. w))

b killed (g) v alive (g)

i. $\text{Tal}(x) \vee \neg \text{Kl}(\text{lead}(1c))$

5. likes (Jovian planets)

OUTPOST

→ like (Thos. peanut)

$\neg \text{food}(x) \vee \text{likes}(\text{John}, x)$

Food (peanuts)

$$7 \text{ eads} / (y, z) \times \text{killed}(y) \times$$

food (7)

{решил 12}

Treats (y, peanuts) Vbe (red (y))

cats (Anil, peanut)

$\{ \text{Anil} / y \}$

Killed (Ami)

$\gamma_{\text{alive}}(k) \neq \gamma_{\text{kill}}(k)$

$$dAn: 1 (H)$$

7 alive (Anil)

alive (Ans 1)

(4)

$$\frac{Q_{uv}}{2 \times h}$$

Code:

```
from itertools import combinations
```

```
def negate(literal):
```

```
    if literal.startswith('~):
```

```
        return literal[1:]
```

```
    else:
```

```
        return '~' + literal
```

```
def is_complementary(a, b):
```

```
    return a == negate(b)
```

```
def resolve(ci, cj):
```

```
    for lit in ci:
```

```
        for lit2 in cj:
```

```
            if is_complementary(lit, lit2):
```

```
                new_clause = list(set(ci + cj))
```

```
                new_clause.remove(lit)
```

```
                new_clause.remove(lit2)
```

```
                return list(set(new_clause))
```

```
    return None
```

```
def resolution(clauses):
```

```
    new = set()
```

```
    while True:
```

```
        pairs = list(combinations(clauses, 2))
```

```
        for (ci, cj) in pairs:
```

```
            resolvent = resolve(ci, cj)
```

```
            if resolvent == []:
```

```
                print("Contradiction found  $\Rightarrow$  Proof successful ")
```

```
                return True
```

```
            if resolvent is not None:
```

```
                new.add(tuple(sorted(resolvent)))
```

```
        if new.issubset(set(map(tuple, clauses))):
```

```
            print("No new clauses  $\Rightarrow$  Proof failed ")
```

```
            return False
```

```
        for c in new:
```

```
            if list(c) not in clauses:
```

```
                clauses.append(list(c))
```

```
clauses = [
```

```
    ['~Food(x)', 'Likes(John,x)'],
```

```
    ['Food(Apple)'],
```

```
    ['Food(Vegetable)'],
```

```
    ['~Eats(x,y)', 'Killed(x)', 'Food(y)'],
```

```
    ['Eats(Anil,Peanut)'],
```

```
['Alive(Anil)'],  
['~Eats(Anil,x)', 'Eats(Harry,x)'],  
['~Alive(x)', '~Killed(x)'],  
['Killed(x)', 'Alive(x)'],  
['~Likes(John,Peanut)']  
]
```

```
resolution(clauses)
```

Program 10

Algorithm:

Implement Alpha-Beta Pruning.

Kweek - 10

Implement Alpha - Beta Pruning

Alpha beta pruning search algorithm.

* Alpha (α) - Beta (β) proposes to find the optimal path without looking at every node in the game tree.

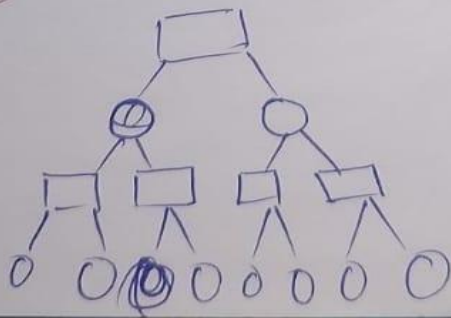
* max contains α and min contains β bound during the calculation.

* In both Min and Max node selection when $\alpha \geq \beta$ which compares with its parent node only.

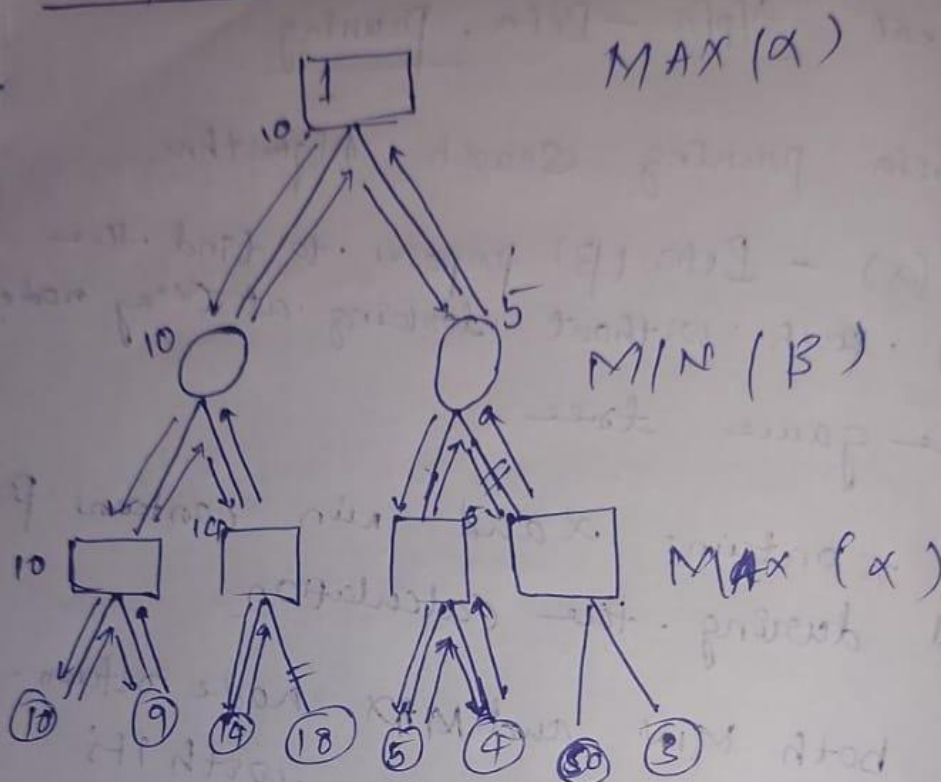
* Both min-max optimal solution as it takes less time to get the value for the root node.

Problem:

Apply the Alpha - Beta search algorithm to find value of root node and path to root node (max node). Identify the paths which are pruned for explanation.



Solution.



Handwritten signature/initials in red ink.

Code:

```
import math
```

```
def alpha_beta(depth, node_index, is_maximizing, values, alpha, beta,
max_depth):
    indent = " " * depth
    if depth == max_depth:
        print(f'{indent}Leaf node[{node_index}] = {values[node_index]}')
        return values[node_index]

    if is_maximizing:
        best = -math.inf
        print(f'{indent}MAX node ( $\alpha$ = {alpha},  $\beta$ = {beta})')
        for i in range(2):
            val = alpha_beta(depth + 1, node_index * 2 + i, False, values, alpha, beta,
max_depth)
            best = max(best, val)
            alpha = max(alpha, best)
            print(f'{indent} MAX updating  $\alpha$ = {alpha}')
            if beta <= alpha:
                print(f'{indent}  $\beta$  cut-off ( $\beta$ = {beta},  $\alpha$ = {alpha}) ')
                break
            return best
    else:
        best = math.inf
        print(f'{indent}MIN node ( $\alpha$ = {alpha},  $\beta$ = {beta})')
        for i in range(2):
            val = alpha_beta(depth + 1, node_index * 2 + i, True, values, alpha, beta,
max_depth)
            best = min(best, val)
            beta = min(beta, best)
            print(f'{indent} MIN updating  $\beta$ = {beta}')
            if beta <= alpha:
                print(f'{indent}  $\alpha$  cut-off ( $\beta$ = {beta},  $\alpha$ = {alpha}) ')
                break
            return best

values = [10, 9, 14, 18, 5, 4, 50, 3]
max_depth = int(math.log2(len(values)))

print("Leaf Nodes:", values)
result = alpha_beta(0, 0, True, values, -math.inf, math.inf, max_depth)
print("\nOptimal value:", result)
```

