- 33. Demonstrate Reflection of an object w.r.t the straight line y=x ー> マック
- 34. Explain the reflection and shearing. \rightarrow 80
- 35. Explain with example ,vector method for splitting a polygon → Ձ Ⴙ
- 36. Describe OpenGL polygon fill area function with example \rightarrow 2
- 37. Write a note on
 - a. fill style b. color blended fill region \rightarrow 89
- 38. Write a OpenGL program to rotate a triangle using composite matrix calculation. \Rightarrow 91
- 39. What are homogeneous coordinates? Write the matrix representation for translation, rotation and scaling. \rightarrow 9.2
- 40. What is raster operation? Explain the raster methods for geometric transformation. \rightarrow 9 4
- 41. Write a note on
 - a. OpenGL fillpattern function.
 - b. OpenGL texture and interpolation pattern.
 - c. OpenGL wire frame methods.
 - d. OpenGL front face function. \rightarrow 96
- 42. Explain the composite 2D translation, Rotation and scaling. \rightarrow 98
- 43. Explain the 2D OpenGL geometric transformations. → 100
- 44. Write the steps for rotation about pivot point and scaling about fixed point. -> 102
- 45. Briefly explain Inverse transformation, composite transformation. \rightarrow 104
- 46. Explain the OpenGL matrix operations and Matrix stacks. \rightarrow 10 2
- 47. Explain the OpenGL 2D viewing functions. \longrightarrow 109
- 48. Translate a square with the following coordinate by 2units in both directions \rightarrow 1 1 1 A(0,0),B(2,0),C(2,2),D(0,2)
- 49. Rotate a triangle at A(0,0),B(6,0),C(3,3) by 90degrre about origin and fixed point (3,3) both \rightarrow 112 Anticlockwise and clockwise direction.
- 50. What are the polygon classifications? How to identify a convex polygon? Illustrate how to split a Concave polygon. $\rightarrow 1.1.5$
- 51. What is stitching effect? How does OpenGL deals with it. -> 217

MODULE 3

- 52. Imagine a 3 D cube object with rotation axis projected onto the Z-axis defined by the vector u. Rotate it and find the final rotation matrix R. Show all the 5 steps involved in it with 7 series of operations. \rightarrow 11 9
- 53. Demonstrate the 3D Translation and Reflection with Homogenous coordinates. \rightarrow 1 2 2
- 54. Demonstrate the 3D Scaling and Shearing with Homogenous coordinates. \rightarrow 124
- 55. Explain the ambient light, diffuse reflection and specular reflection with equations. → 126
- 56. Explain OpenGL 3D Viewing Functions. -> 129
- 57. Imagine you have a 3D object in front of you. Illustrate how to Normalize the transformation for an Orthogonal Projection? \rightarrow 131
- 58. What is clipping and clipping window. \rightarrow 133
- 59. Map the clipping window into a normalized viewport. \rightarrow 1 3 8
- 60. Explain specular refection. \rightarrow 1 4 2
- 61. Explain the 3D coordinate axis-Rotation -> 143
- 62. Map the clipping window into a Normalized square. -> 145
- 63. Explain the Cohen-Sutherland line-clipping algorithm. -> 149
- 64. With neat diagram, illustrate Sutherland-Hodgeman polygon clipping algorithm. -> 152
- 65. What is quaternion? Explain the quaternion methods for 3D rotations. -> 156

- 66. What is affine transformation? → 159
- 67. List the 3D OpenGL geometric transformations. -> 168
- 68. What is color model? Explain the RGB color model. -> 1 ㅋ1
- 69. Explain the CMY and CMYK color models. → 173
- 70. What is light source? Explain the types of light source. -> 175
- 71. Explain the PHONG model. \rightarrow 182

MODULE 4

- 72. What is projection plane, parallel and perspective projection? \longrightarrow 1 % 4
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- 75. Explain the transformation from world to viewing coordinates. -> 190
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- 77. Explain the perspective projection transformation coordinates. -> 194
- 78. Explain the OpenGL 3D viewing functions. \rightarrow 197
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- 80. Explain the back-face detection algorithm. \rightarrow 201
- 81. Explain the z-buffer/depth-buffer algorithm. → 203
- 82. Explain the OpenGL visibility detection functions. → 2 0 6
- 83. Explain in detail, Oblique and Symmetric perspective projection frustum. -> 209
- 84. Explain vanishing points for perspective projections. -> 212
- 85. Explain briefly the following: → 214
 - a) Projections
 - b) Depth Cueing
 - c) Identifying visible lines and surfaces
 - d) Surface rendering
 - e) Exploded and cutaway views
 - f) 3D and stereoscopic viewing
- 86. Explain viewup vector and uvn viewing coordinate reference frame -> 220
- 87. Write short notes on axonometric and isometric orthogonal projections -> 2 22
- 88. Explain OpenGL functions with respect to: -> ょりつ
 - a. Viewing Transformation functions
 - b. Orthogonal Projection functions
 - c. Symmetric Perspective Projection functions
 - d. General Perspective Projection functions
 - e. Viewport and Display Window
- 89. Imagine you have a 3D object in front of you. Illustrate how to Normalize the transformation for an Orthogonal Projection?

MODULE 5

- 90. Explain how an event driven input can be performed for $\rightarrow 229$
 - (a) window events (b) pointing devices
- 91. Explain how an event driven input can be programmed for a keyboard device. -> 232
- 92. List out any four characteristics of good interactive program. -> 2.34
- 93. What are the major characteristics that describe the logical behavior of an input device? -> 236
- 94. Explain how OpenGL provides the functionality of each of the classes of logical input -> 2 3 8 devices.

(52)

(A)

Imagine a 30 cube object with votation axis that projected onto 2-axis defined by vector u. Rotate it

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and find the final rotation matrix R'. Show all 5 steps involved in it with 7 series of operation.

When an object it to be votated about an axis that is not parallel to one of co-ordinate axis, we need to accomplish the required votation in five teeps given that is it. projected on to 2-axis. (defined by vector w).

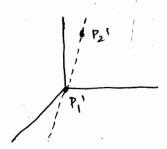
Let us assume that notation axis is defined by two points P, and B.
The components of rotation-axis vector,

unit rotation-cirix vector u is, $u = \frac{V}{|V|} = (a_1b_1c)$.

$$a = \frac{2_2 - 2_1}{1 \vee 1}$$
 $b = \frac{4_2 - 4_1}{1 \vee 1}$ $c = \frac{2_2 - 2_1}{1 \vee 1}$

Step 1: Translate the object to that rotation axis panes through wo-ordinate origin.

from P2 to P1, the translation matrix is given as

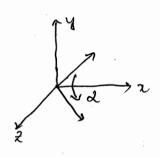


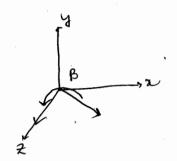
Step 2:- Rotate the object to that axis of rotation with one of the w-ordinate axis.

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It can be done in 2 steps.

(a) > rotate about x axix get the vertor u'in x & plant
(b) > rotate about y-axix ger it to win uide with 2-axis.



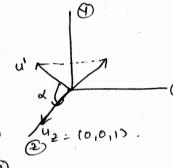


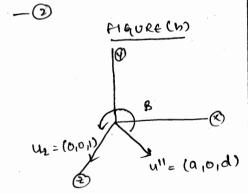
> notation angle d' can be determined by dot product of u'.

$$Cox \propto = \frac{u' \cdot u_2}{|u'| |u_2|} = \frac{c}{d}$$

apply cross product







Now, to rotate about y-aux, to wincide about as in figure us).

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Consider,

$$\cos \beta = u'' \cdot u_z = a$$

here, |421=14"=1

equating 3 44

Step 3:- Perform the specified votation about the selected co-ordinate axis.

The votation angle (B) can now be applied as

$$R_{2}(\theta) = \begin{bmatrix} COA\theta - Sin\theta & O & O \\ Sin\theta & COAB & O & O \\ O & O & I & O \\ O & O & O & I \end{bmatrix}$$

Step 1:- Apply inverse rotations to bring the rotation and back to its original orientation. Apply Rx 100 4 Ry (B).

Step 3: Apply inverse translations and me rotation matrix for 3D rotation can be written ou

(53)

Demonstrare the 3D Translation and Reflection with Homogeneous lo-ordinates.

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(A)

A possition P=(x,y,z) in three-dimensional space is translated to a location P'(x',y',z') by adding translation distrances tx,ty,tz to the cartesian w-ordinates of P.

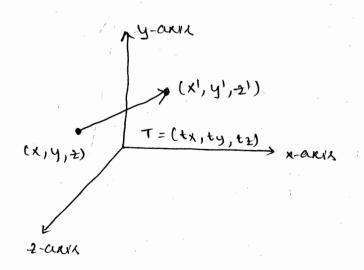
we can express in exy Matrix form as:

$$\begin{bmatrix} x' \\ y' \\ 1 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & t_{x} \\ 0 & 1 & 0 & t_{y} \\ 0 & 0 & 1 & t_{z} \\ 0 & 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} x \\ y \\ 2 \\ 1 \end{bmatrix}$$

(00)

An object is translated in 3 dimensions by transforming each of the defining wo-ordinate possitions for the object, then reconstructing the object at new location.

Consider, moving a co-ordinate position with translation vector

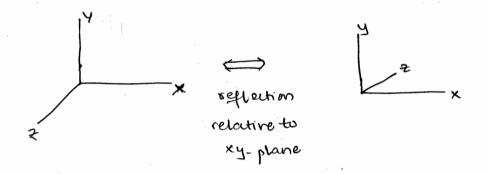


3-D REFLECTION:

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It can be performed relative to a selected reflection and or with respect to a reflection plane. Reflections given the to a given axis equivalent to 180° rotations about that axis. When a reflection plane is a co-ordinate plane, we can think of transformation as a conversion between left handed frame and right handed frame.

An example of reflection that converts co-ordinate specification from right-handed system to left-handed system as shown below



The matrix representation for this reflection relative to the xy-

$$M_{\text{refrest}} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & -1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Transformation matrices for inverting x-coordinates or y co-ordinates are defined similarly, as reglections relative to the yz-plane or the xz-plane respectively.

- 54.) Demonstrate the 3D Scaling and Shearing with Homogenous Coordinates.
- \Rightarrow Scaling:
 The most oix expression for the 3-D scaling townsformation of a position P=(x,y,z) erelative to the co-ordinate obligin is a simple extension of 2-D scaling. We just include the parameter of z-co-ordinate scaling in trianspormation motorix:

$$\begin{bmatrix} x' \\ y' \\ z' \\ 1 \end{bmatrix} = \begin{bmatrix} Sx & O & O & O \\ O & Sy & O & O \\ O & O & Sz & O \\ O & O & O & 1 \end{bmatrix} \cdot \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix} \longrightarrow 0$$

The thouse-dimensional scaling teransformation for a point position can be supresented as

where Scaling parameters SN, Sy, Sz are assigned any positive values. Explicit expressions for the scaling transformation relative to originare $N'=X\cdot SX$, $Y'=Y\cdot SY$, $Z'=Z\cdot SZ$

We can construct a scaling transformation with respect to only selected fixed position (x1, y1, z4) using the pollowing sequence:

- 1.) Townslate the fixed point to the origin
- 2.) Apply the Scaling tenonspormation relative to the co-ordinate origin using equation (b.
- 3.) Teconslate the fixed point back to its original position.

The matrix depresentation for an arbitrary fixed-point scaling (an be expressed as the concastenation of those thanslate-scale-tenanslate tenanslate tenanslate

$$T(x_{1},y_{1},z_{1}).S(s_{x},g_{1},s_{2}).T(-x_{1},-y_{1},-z_{1})=$$

$$\begin{bmatrix} s_{x} & 0 & 0 & (1-s_{x})x_{1} \\ 0 & s_{y} & 0 & (1-s_{y})y_{1} \\ 0 & 0 & s_{z} & (1-s_{z})z_{1} \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Shearing:

These teconsformations can be used to modify object shapes, just as in two-dimensional opplications. They are also applied in 3-D viewing tecanisms for Perspective projections. Bor 3-D, we can also agreenate shears relative to the z-axis.

A general z-axis shearing transformation orelative to a selected oreference position is produced with the following matrix:

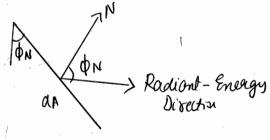
Shearing portometers show and show can be assigned only steal values. The effect of this transformation matrix is to alter the values for the x and y co-ordinates by an amount that is proportional to the distance from Zord, while leaving the z-co-ordinate unchanges.

55.) Explain the ambient light, diffuse outlection and specular oreflection with equations.

=> Ambient light:-

In basic illumination model, we can interporate background lighting by setting a general benigntness level for a stone. This phodules a uniform ambient lighting that is the same for all objects, and it approximates the global diffuse eneflections from the various illuminated surgeress.

Assuming that we are clessabled only monochroman lighting effects, Such as shades of grey, we clesignate the level Joh the ambient light in a some with an intensity parameter Ia. Each surjoid in the same is then illuminated with this background light. Reflections produced by ambient-light illuminations are simply a John of diffuse proflection, and they are independent of the viewing direction and gratial orientation of a surface. However, the amount of the incident ambient light that is suffected depends on Surface optical properties, which determine how much of the incident energy is oreflected and how much is absorbed.



Radiont Inology from a Swyface area element AA in direction of w relative to the swyace normal direction is peroportional to los of w.

Diffuse Reflection:

the con model diffuse eneflections from a surface by assuming that the incident light is Scattered with equal intensity in all disertions, independent of the viewing position. Such surfaces are called sideal diffuse eneflected. They are also enefected to as Lambertion reflected, because the eneflected enadight

light energy from any point on the swiface is calculated with Lambert's cosine law, which states that the amount of stadionst energy coming from any small swiface well do in a direction of n evelative to the swiface normal is proportional to cost on.

Intensity: stadiane energy por unit time perojected area

∠ Les \$\psi \text{W}

dA Les \$\psi \text{W}

= Lonstant

The ambient contribution to the diffuse reflection at any point on a Swiface is

Iomboliff: Kd Ia.

The amount giruident light on a surface from a sound with circlensity Il is

Il incident = Il coso

Diffuse eneflections ferom a light source with intensity II

Il, diff = Kd Il, incolor

- Kd Il coro.

At any surface position, we can denote the unit normal vector as N and the unit disection vector to a point society as L, as in fig. Then, Loso = N. L and the diffuse eleflection equation for single point-sociace illumination at a storface position can be expressed in the form.

Totaget N Source of

Il, diff = { KaIl(N.L), if N.L70

Using parameter to use con maite the 10 tal alphase-suffection equation for a single point source as.

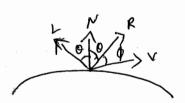
Idy: { Ka Ja + IdIl (N.4), & N.L > 0 where L = Psource - Pswy 1

Ka Ja, if N.L & 0

IPsource - Pswy 1

Specular Reflection:

The beight spot, or specular eleflection, that we can see on a Shiry sueface is the result of total, or near total, eightion of the incident light in a contentrated region around the Specular-eleflection angle. Figure shows the specular eleflection direction for a position on on illuminated surface. The specular reflection angle equals the angle of the incident light, with the two angles measured on apposite sides of the linit normal surface vector N. In the figure, R expressors the unit vector in the direction of ideal specular eleflection, L is the unit vector directed toward the point light source, V is the unit vector pointing to the Viewer from the selected surface pointing to the Viewer grow the selected surface pointion &.



The intensity of the specular eneflection and to a point light Sounce at a sharface position with the calculation is:

Il, spec = { KsIl (V.R) ns, if V.R70 and N.L70 0.0 , if V.R50 and N.L 50

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when we designate the viewing pageamolite in Opentre, a material is pormed a concatenated with the wovent model view moderia, consequently, this viewing material is combanied with any gometric transformations we may have also specified. This composite material is then applied to transform object descripting in world coordinates to viewing coordinates.

glmaterisemode (GIL-MODELVIEW);

56) Emplain

Vicunia parameters are specified with the following On LO function, which is in the Open GIL utility library because it involves the translation of redation routines in this basic Open GIL lebiary.

glulookAt (xo, yo, Zo, Xorey, Yoref, Zoref, Vx, Vy, Vz),
values for all parameters in the function to be
assigned Louble-precision, floating-point values. This function
designates the origin of the viewing reference frame as
the world-roordinate position Po=(xo, yo, zo), the
reference position as Poref = (Xoref, Zoref), of the view up
vector as V=(Vx, Vy, Vz).

The positive Zviewands for the viewing frame is in the direction N = Po-Pref, and the unit axis vectors for the viewing reference frame are calculated with Equations 1.

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Because the viewing devention is along the - Zviewanis, this supereme possition from it, superied to as "lookalpoid". This usually token to be some possition in the coto, of the surference possition as the point at which we want to aim a common that is located at the viewing origin. The up orientation for the corners is designated with vector V, which is adjusted to a direction perpendicular to N.

The use do not implie glutookAt function, the default OpenGilviewing parameters are

$$P_0 = (0,0,0)$$

 $P_{\text{ref}} = (0,0,-1)$
 $V = (0,1,0)$

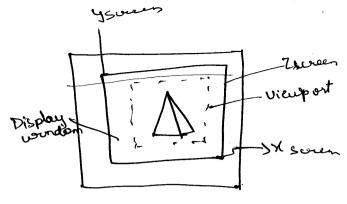
For these default values, the viewing reference prome us the same as the world from, with the viewing descrition along the -ve zworld axis.

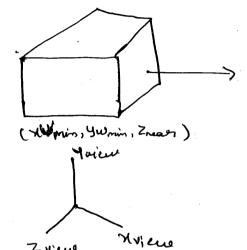
In many applications, we can conveniently use the default values for the viewer's parameters

5H) Imagine you have a 3D object in front ofyour Shankar R Asst Professor, Illustrate hour to Normalize the transformation CSE, BMSITEM for an orthogonal projection?

using an orthregoral transfer of coordinate position onto the view plane, we obtain the projected position of any Spatial point (x,y,z) as simply (x,y). Thus, one we have established the limits por the view volume, coordinate descriptions inside this occularizations parallelatopped are the peropertion wooderales, 4 they man be mapped into a refundized view volume without any further priopertion processing. some graphics parkages use a unit cube joy this normalized view volume, with each of the x, y & 2 coordinates normalized in the sange from O to 1. Arother normalization - transformation approach is to use a Symmeter cube, with coordinates in the range from 1401 Breause suren coordinates are often spenfied; na left handed reference pane, normalized woordinates sho are often Specified in a left handed System. This allows positive distances in the vicuoury direction to be directly interpreted as distance from the scores. Thus, we can convert projection wordenates into politices will then be transferred to left - handed screen coordinate To illustrate the nouralisation townsformation, we assure that the orthogonal-projection view volume is to be napped into the Symmetry

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(-1,-1,-1)

normalized view Volume

Normalisation under worthin left transled Reference forme.

Transforming the sistengular - parallelepiped view volume to a normalized cube is similar to conventing the clipping window roundized cube is similar to conventing the clipping window into normalized Symmetric square. The normalization into normalized Symmetric square. The normalization for the orthogonal view volume is

Mortho, form

Mo

Viewing transformation to produce transformation from coord coordinates to normalized orthogonalprojection coordinates.

(58) what is clipping and clipping window.

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clipping:

Any procedure that identifies those portions of a picture that over either inside or outside of a specified region of a space is referred to as a clipping algorithm of simply clipping.

The region against which an object is clipped is called a clip window.

Types of clipping:

- 1. Point clipping
- 2. Line clipping
- 3. Polygon clipping
- 4 curve clipping
- 5. Text Clipping

Point Clipping :

clipping Individual points:

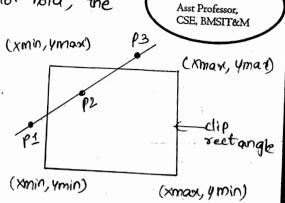
The x cooldinate boundaries of the clipping rectangle are xmin and Xmax, and the y cooldinate boundaries are ymin and ymax, then the following inequalities must be statisfied for a point at (x, y) to be inside the clipping rectangle:

Xmin < x < xmax and ymin < y < ymax

If any of the four inequalities does not hold, the point is outside the elipping rectangle. (xmin, ymax) · PI point clipped away

point is visible · P2

point clipped away.



Shankar R

Line clipping:

Cohen - Suderland Algorithm:

Algorithm:

- 1. given a line segment with endpoint p1= (x1, y1) and p2= (x2, y2)
- 2. compute the 4-bit codes for each endpoint.
- * If both codes are 0000, line lies completely inside the window: pass the endpoints to the routine. draw
- * It both codes have a I in the same bit position, the line lies outside the window. It can be trivially rejected.
- 3. If a line cannot be trivially accepted or rejected, at least one of the two end points must outside the window and the line segment lie a window edge. This line must be clipped at the window edge before being payed to the drawing routine.
- 4' Esamine one of the endpoints, say PI = (x1, y1)

Read P1's 4-bit code in order: left to right, Bottom to TOP. when a sit bit (1) is found, compute the intersection I of the corresponding window edge with the line from PL to P2.

Replace P1 with I and repeat the algorithm.

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Basic algorithm:

- Accept lines that have both endpoints inside the region.
- -> Reject lines that have both endpoints le than 2min of ymin of greater than 2max of ymax
- steps on the clipped line segments
- -) Assign a 4-bit code to each endpoint co, c1 based on its position:
 - · 1 st bit (1000) ! if y=ymax
 - , 2nd bit (0100): if y< ymin
 - . 3rd bit (0010): if 172 max
 - · 4th bit (0001): if x c 2min
- → Test using bitwise functions

 if co|C1 = 0000

 accept (draw)

else if Co &C1 ≠0000

reject (don't draw)

else

clip and retest

eus		J.,	ر ر
F	A Trivially po	K	dip and retast
E Trivially regul			and the

1001	1000	1010
0001	ත ත ත ත	0010
101	0(00	0110

if c=co Xo=x, yo=y; else

x,=&; y,=y;

Polygon clipping;

Basic idea:

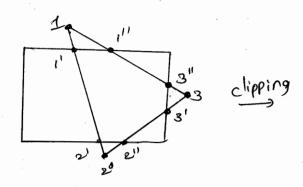
consider each edge of the viewport individually. clip the polygon against the edge equation. After doing all planes, the polygon is fully clipped.

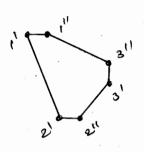
There are four clips. They are:

- (1) TOP Clip
- (2) Bottom clip
- (3) Right clip

(4) Left clip

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Pseudo code:

case 1: wholly inside visible region -save end point.

case 2: Exit Visible region - save the intersection.

case 3: wholly outside visible region - save nothing.

case 4: Enter visible region - save intersection and endpoint-

59. Map the clipping Window into a Shankar R Asst Professor, Normalized view port. -> + First a new port is defined with normalized Co-ordinates values between O and I * Same relative placement of a point is maintained in the wimport as it had in clipping window 1. e the relative position will not change. x i.e based on the position we need to find to find relative viemport co-ordinates based on window co-ordinates. Paittion (2w, yw) in the clipping window is mapped into position (xv, yv) in desociated newport. Ty-Tymin = Two Twomin Ivmax-Ivmin Iwmax-Iwmin yv - yvmim = yw - ywmin grmane Jumin, Juman Juin Normalization y vmor ((xv, yv) Clipping Window Wendport Ywmad (aw, yw) Yumin Ywmint xwmax Txumin scaling parameter Sox & Sy oru Sx = Xvmax - Xvmin & Sy = Ivmax - Yvmin

Xwman - Xwmin

Thow many times the view port its greater than windows As we have all values other than Xv & Xv, which is the co-ordinate in view port, hence XV XV-Xvmin = (xvmanc-Xvmin) (xw-xwmin) (Xwman - Xwmin) = (2w-2wmin) (2vmax-Xvmin) (Xwmax - Xwmin) Substitute Xv-Xvmin = (xw-xwmin) Sx Xv = Xvmin + (xw - Xwmin) Sx 111le Yv = Yumin + (yw - ywmin) Sy XV = X vmin + Sx xw - Sx Xwmin = Sx Xw - Sx X wmin + X vmin substitus Sx = Sx Iw - Xuman Xwmin + Xumin xwmin + xumin X woman - Xwomin multiplys take common = Soc. 2w - X vmanc x wmint x vminx wmin + Xv min Xw max Xwmanc - X whiten - Xvmin Xwmin = Sx. Xw + X wmax x vmin- X vmax x wmin Xwmare - Xwmin

[Xv = Sa aw + da] Shankar R Asst Professor, SE, BMSIT&M tr = xwmax x vmin - x vmax xvmin where, Xwmax - Xwmin Also. Yv = Yvmin + (yw- ywmin) Sy yv = Yvmin + Sy. Yw - Sy. ywmin = Sy. Yw - Jumin - Jumin - Jumin + Jumin Ywmanc - Yumin = Sy, yw - Ywmin yv mane + yvmin y wmin + yvmin Juman - Jumin = Sy. Yw - Ywmin Yvmax + Yvmin Ywmintyvmin Juman - Jumin Jumin Ywmar - Ywmin = Sy yw + y wmax · yvmin - yvmax ywmin Ywmar - Ywmin Tyv = Sy.yw + try where ty = Ywmar. Yvmin - Zvmax. Ywmin

rimwe - James

140

we can get obtain the transformation from world to ordinates to view port co-ordinates with sequence 1) scale the clipping window to lige of viewport using fixed point position of (Twinin, Twinin)
2) Translate (Twinin, Twinin) to (Xvinin, Tvinin) The scaling braneportation in O can be supresented as S= [Sx ' 0 xwmin (1-Sx)]

O Sy ywmin (1-Sx)

O O 1 The 2D matrix representation for translation of lower left corner of clipping window to lower left wind with corner of chipping window to lower left wiew port corner is T= [0 I vmin - Xw min]
0 1 Jumin - Yw min]
0 1 And the Composite matrin supresentation for transformation to normalized view port is Muindow; norm = T.S = Sx 0 tx

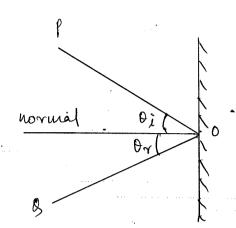
New p = T.S = Sx 0 tx

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<u>Bué</u>. Explain specular reflection.

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soln!



Specular reflection, also known as regular reflection, is the universe-like reflection of neaves, such as light, from a surface. In this perocers, each incident ray is reflected at the same angle to the surface unormal as the incident ray, but on the opposing side of the surface hornal as the incident ray, The result is that an image reflected by the surface is rependenced in nirror-like fashion.

heflection off of smooth surfaces such as mirrors or a calm body of water leads to a type of reflection known as specular reflection.

One application pertains to the relative difficulty of night driving on a wet asphalt hoodway lompared to a dry asphalt.

<u>ble</u> Emplain the 3-D coordinate anis-rotation.

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sol. The 2-D z-anis rotation equations one easily entended to three dimensions.

$$x' = n \cos \theta - y \sin \theta$$

 $y' = x \sin \theta + y \cos \theta$
 $x' = x$

Parameter & specifies the rotation angle about the zamis and z-coordinate values one unchanged by this transformation.

The homogenous -coordinate form is

$$\begin{bmatrix} n' \\ y' \\ z' \\ 1 \end{bmatrix} = \begin{bmatrix} \cos 0 & -8 \sin 0 & 0 & 0 \\ 8 \sin 0 & \cos 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} n \\ y \\ 3 \\ 1 \end{bmatrix}$$

which we can write as $P' = R_2(0) \cdot P$

Transfermation egns for rotations about the other two coordinate aries can be obtained with a cyclic permutation of parameters my or and of parameters my or y -> y -> x

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Substituting permutations, we get eq s for z-aris votation.

$$y' = y \cos \theta - y \sin \theta$$

$$\lambda' = y \sin \theta + y \cos \theta$$

$$\lambda' = x$$

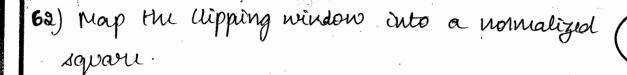
Rotation of an object around n-anis can be obtained bimilarly.

A cyclic permutation of coordinates gives us the transformation equations for y-anis rotation.

$$x' = x \cos - x \sin 0$$

$$x' = x \sin 0 + x \cos 0$$

$$y' = y.$$



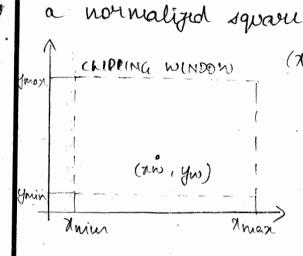
Shankar R Asst Professor, CSE, BMSIT&M

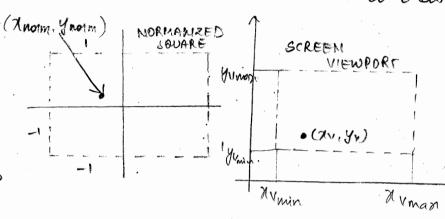
I wrangorn the aippling window into

Clip in > normalized co-ordinates then the scene

-) discription to a

wiewport specified
in screen io-ords.





Normalized coordinates are in the erange from -1 to 1 clipping window algorithms are standardized such that objects outside the boundaries $a=\pm 1$ & $y=\pm 1$ are detected and removed from seem description.

Finally the wiewing transformation, has the objects in the viewport positioned within display window.

A point (xw, yw) in the dipping window is mapped to normalized coordinates position (xnorm, ynorm), then to a serum coardinate position (xv, yv) in a view port

Consider the composite matrix $M = [sn \ 0 \ tx]$ 0 sy ty
0 0 1

for sa a sy, to a ty, substitute 1 for numin and yrmin it for numax & ymman where sx = Arman - Armin = 1-(-1) = 2 Numar-Numin Numar-Numin dy = y vmax - y vmin = 1-(-1) Ywmaz - Ywmin Ywnia - Ywnin Ywman - Ywnin we also know tx = Nwmax Numin - Numan Numin = Numan (-1) -1. Numin Numar - Numin Awmaa - Awmin tr = - (2 wmax + 2 wmin) Numar - Zwnin = ywnex (-1) - ywnin (1) ty = Ywman Yvmin - Yvman Ywmin Ymman - Ywmin Ywmaz - Ywmin ty = - (Ywmax + Ywmin)

Ywmax - Ywmin substitute sa, gsy, ta E ty in composite matrix Muindow, noregnare = 0 - Thunga + Two Nwwax-Zwni -ywnox +ywnin Ywmax-Ywmin Ywmax-Ywmin

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After clippling algorithms over applied, the normalized square with edge length equal

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to 2 is transformed into specified newport by authitituting -1 for numin Ecymun and +1 for numer and ywman

 $dx = \frac{\chi_{\text{unin}} - \chi_{\text{unin}}}{\chi_{\text{unin}} - \chi_{\text{unin}}} = \frac{\chi_{\text{unin}} - \chi_{\text{unin}}}{1 - (-1)} = \frac{\chi_{\text{unin}} - \chi_{\text{unin}}}{2}$

Sy = Yuman - Yumin = Yuman - Yumin = Yuman - Yumin Ywmen - Ywmin 1-(-1)

ta = Zwnaz Xvmin - Xvmaz Xvmin Zwnaz - Zwmin

= $\frac{1(\lambda u min) - \lambda u max(-1)}{1-(-1)}$ = $\frac{\lambda u min + \lambda u men}{2}$

ty = ywnen yvnin - yvnan ywnin = 1 (yvnin) - yvnon (-1)
ywnan - ywnin 1-(-1)

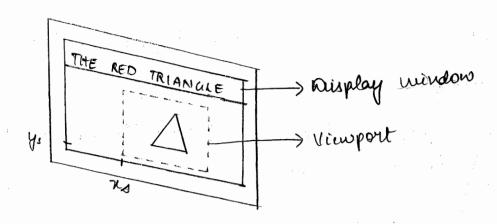
substitutt si, sy, træty in composite mabrix

Muoniequare, viewport = \frac{\chivman - \chivman}{2} \quad \frac{\chivman - \chivman - \chivman}{2} \quad \frac{\chivman - \chivman - \chi

The last step in the viening process is to position the vieneport area in the display window.

Also choosing the aspect ratio of the viewport are to

be same as the dipping window, if not objects may be structed or contracted in the x or y direction.



Viewport at coordinate position (21, 40) within a display window.

(63) Emplain the cohen-Sutherland line-clipping Every line endpoint in a picture is assigned Shankar R Asst Professor, CSE, BMSIT&M a four-digit binary value, called a region code, and each bit position is used to bit 4 3 indicate whether the point is inside or outside of one of the clipping window Bottom boundaries. There are 9 regions: 1010 > Top right 1000 1001 Similarly, the rest of the 0000 0010 0001 8 regions. cclipping window) 0110 DIDI 0100 Once we have established region codes for all line endpoints, we can quickly determine which lines are completely contained within dip window & which are clearly outside. when the OR operation between & endpoints region codes for a line segment is false (0000), the line is inside the clipping window example: (0000) when the AND operation between a endpoints region codes for a line is true (not 0000), the line is completely outside the clipping window & can be 1000 1000 eliminated. Enample: (1000) & (1010) clipping window 1000 (true).

lines that cannot be identified as being completely inside (ox) completely outside a Shankar R Asst Professor, clipping window by the region codes texts are next checked for intersection with window border lines. P2 - Right diffing The region codes for P, &P2 are 0100 and 1001. Thus, P, is inside the left clipping boundary of P2 is Outside. Therefore, we calculate the intersection ?' and clip off the section P2 to P2. left clipping boundare The remaining portion of the line is inside the right border line, so we never the ment bottom border. Pi is below the bottom Clipping edge an P2' is above it, so we find the intersection at this boundary, P, . Therefore P, to P, is clipped-off. Proceed to top-edge window. We determine the intersection to be P2" & P2' to P2" line P3 to P4, we find that point P3 is outside left boundary & P4 is inside. Therefore, the intersection is P3.2 P3 to P3 is clipped off. By checking region codes of P3' & P4, we find the remainder of the line is below the clipping window à can be eliminated. To determine a boundary intersection for a line segment, we can use the slope intercept form of line equation for a line end point wordinates (no. 40) & (nend, yend),

y co-ordinates of the intersection point with restical clipping border line can be obtained

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y = yo+m (n-20).

numin (or) n Wmax r and slope is

m = (yend - 40) / (nend - 20).

i for intersection with horizontal border, the co-ordinate is

$$\alpha = \alpha_0 + \left(\frac{y - y_0}{m}\right)$$
.

64) with a neat diagram, illustrate

sutherband- Hodge man polygon dipping algorithm

an efficient method for dipping a convex Polygon fiell area, developed by sutherland-Hodgeman, is to send the polygon witiles through each dipping stage so that a single clipped vertex can be immediately passed to the rext stage. Tuis climinates the need for an output set of vertices at each dipping stage, and it allows the boundary-dipping routines to be implemented in parallel. The final output is a list of vurtices that describe the edges, of the clipped polygon fill area.

became the sutherland Hodgman algorithm produces only one list of output vulices, it cannot collectly generate the two output Polygons in figure that is the result of clipping the concave polygon shown in figure. However mule processing steps can be added to the algorithm to allow it to produce multiple output vertex 48ts, so that general concave polygon cuipping can be accomodated.

The general strategy in this algorithm is to send the pair, of end points (Shankar R Assi Professor, bot each successive polygon line segm - ent through the series of clippers cleft, right, bottom, top). There are four possible cares that need to be considered when proceeding a polygon eage against one of the dipping boundard one of the dipping boundard, one possibilities are inside the dipping boundary, other possibilities could have both end points outside the dipping window or one and point is outside the dipping window.

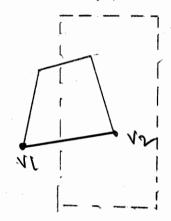
As each successive pair of end points is pauled to one of the four clippers, an output is generated bot the next dipper according to the results of the following tests:

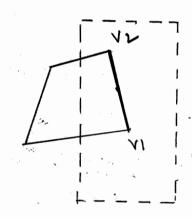
If the first input vertex is outside and the second vertex is inside the clipping window, both the the intersection point and the second vertex is are sent to the next Upper.

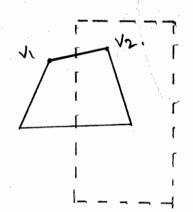
→ 4 both input vertices are inside this clipping - window border, only the second vertex is sent to the next lipper.

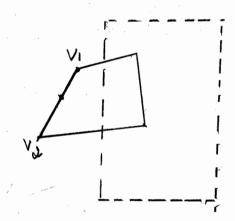
3) if the first vertex is imide the (Clipping window bolder and the second review is outside, only the polygon edge. intersection point with the Upping window is sent to the next dipper.

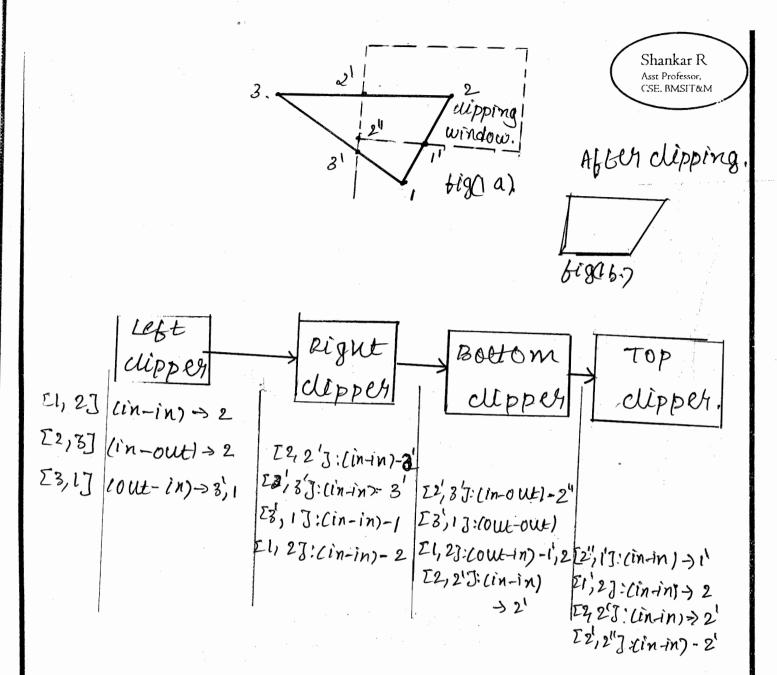
4) 16 both input vertices are outside this dipping window, no veltices are sent to the next dipper.











65) What is Quaternion? Explain the Quaternion methods for 3D
Rotation?

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- A more efficient method for generating a sortation about an aubitanty selected ascis is to use a quaternion supercuentation for the votation transformation.
- Suddenions, which are extension of ap
 complex numbers, are useful in a
 number of computer-graphic powerlunes.
 including the generation of fractal.
 objects.
- one way to characturise a quaturion is an ordered pair, consisting of a scalar part and a weter part:

9= (5,0)

through the wordinate origin is accomplished by first setting up a wait Quaternion with the scalar & uetor parts as follows.

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Any point position p that is to be subtated by this Ouaternion (an be suporuented in Quaternion subtaion as

- Rotation of the point is then avoised out with the Ouaturion operation

when $q^{-1} = (s, -v)$ invoice q q

- This transformation produces the follow Quaternion

The 2nd term win this ordered poir in rotated point position p'. which we evaluated with wefor dot and cross product as

P1 = 52 P + V (P. V) + 25 (V X P) + V X (V X P)

paul of q as V = (a,b,c)

we obtain the elements for the composite votation makin

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$$mg(0) = \begin{cases} 1-2b^2-3c^2 & 2ab-2sc & 2ac+2sb \\ 2ab+2sc & 1-2a^2-2c^2 & 2bc-2sq \\ 2ac-2sb & 2bc+2sq & 1-2a^2-2b^2 \end{cases}$$

-s Using the following tougonometric identities to simplify the terregnometric identities.

 $65^{2}\theta_{2} - 5in^{2}\theta_{2} = 1 - 25in^{2}\theta_{2} = 650$

 $26080/2 \sin \theta/2 = \sin \theta$

un can suposite as.

mg(0) =

 $u_{\chi}^{2}(1-\omega 50)+\omega 50$ $u_{\chi}v_{\chi}(1-\omega 50)-u_{\chi}\sin 0$ - $v_{\chi}^{2}(1-\omega 50)+v_{\chi}\sin 0$

uyux(1-wso) + uz sino uy² (1-wso) + coso

UyUz (1-1050)-uxsino

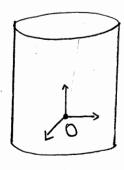
teux (1-coso) - cysino ux cy(1-coso) + uxsino ux2(1-coso)+coso

66. What is affine transformation?

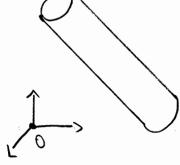
A co-ordinate transformation of the form $x' = a_{xx}x + a_{xy}y + a_{xz}z + bx$ $y' = a_{yx}x + a_{yy}y + a_{yz} + by$ $z' = a_{zx}x + a_{zy}y + a_{zz}z + bz$

is when an affine transformation tout of the transformed co-ordinates x', y' and z' is a linear function of the original co-ordinates x, y and z parameters are and by are constants determined by the transformation type.

The figure below shows an example of what we mean on the set, a cylinder has been built in a convenient place, and to a convenient size because of the real-wirements of a scene, it is first scaled to be songer and thinner than it original design rotated to a decided orientation in space, and then moved to a decided orientation in space, and then moved to a decided position the set of operations providing for all such transformations, one known as the affine transformations affines include translations and all linear transformations, like scale, rotate, and shape.



original cylinder model



transformed Cylindor. It has been scaled, been scaled, betoto a translated. 159

-> Affine Transformations.

Let us first examine the affine transforms in 20 space where it is easy to illustrate them with diagrams, Then some we will have at the affiner in 30.

to enciden a point x=(x,y). Affine transformations of x are our transforms that can be written

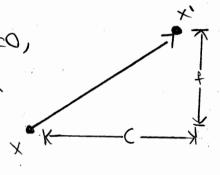
$$\chi' = \begin{bmatrix} 0x + by + c \\ dx + ey + t \end{bmatrix}$$

where a though fare values.

FOR example, if a,e=7, and bid =0,

then we have a pure translation

$$\chi' = \begin{bmatrix} \chi + \zeta \\ 4 + \xi \end{bmatrix}$$

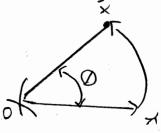


The bid =0 and cit=0 the we have a pune scale.

And, if a,e=(010, b=-sin0,d=sin0,0x)

and c, +=0, Then we have a pure rotat

ion about the origin

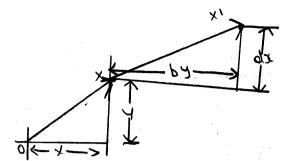


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Finally it a, e=1, and c, f=0 me

emporence thanks ant such

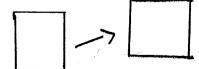
$$x' = [x + by].$$



In summary, we have the town basic Offine transformations shown in The figure below.

- Otranslate moves a set of points of fixed distance in x and y',
- x ent ni noudbro que etning 40 ter a eslare Dandown in the x and y directions,
- @ Rotate votates a set of points about the origin,
- @ shear offsets a set of points a distance proportional to their I and y co-ordinates.

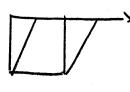
Note that only sheat and stake change the shape determined by a set of points.



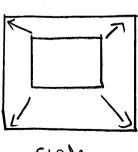
Translate



Rotate



reards



swe

Matrix Representation of the Linear Toanstormations.

the offine toon storms sale, rotate and shear one actually linear transforms and can be represented by a matrix multiplication of a point represented as a vector,

$$\begin{bmatrix} x' \\ y' \end{bmatrix} = \begin{bmatrix} ax + by \\ dx + cy \end{bmatrix} = \begin{bmatrix} a & b \\ d & e \end{bmatrix} \begin{bmatrix} x \\ y \end{bmatrix},$$

of x' zHx, where H is the matrix.

one very nice toother the notice of your your not one other notice of it is not ton the modern the suppose are it to so so the configuration of the suppose are configuration of the sold on the sold of the sold

x'= R(H(Sx))

box, Hards-lore, slave-tel: 2 mortenost sont to soneware a conitable and the contents of them winter want of them winter a state of them and the contents of t

x'=(RHS)x =Hx.

In motoix torm, we can cathog the linear transform as scale: [SX O], Rotate: [coso -sino], shear: [1 hx], [62

where sx and sy scale the x and y coordinates of a point, o is anaughe of counterclockwise rotation around the arigin, hx is a harisantal sheet factor, and hy is a vertical sheet factor.

-> Homogeneous co-ordinates

since the motilization is so handy for building up complex to since the most instance ones, it would be very useful to be able to represent all of the affine transforms by matrices. The problem is that translation is not a linear transform. The way out of this dilemma is to turn the so problem into a soproblem, but in homogeneous coadinates.

our first take our of our points $x=cx/\gamma$, expers them as >0 vectors [x] and make these into 30 vectors with identical 36d co-ordinates set to z:

$$\begin{bmatrix} x \\ x \end{bmatrix} = > \begin{bmatrix} x \\ y \end{bmatrix}$$

By convention, we can this coordinate the we co-adinate, to distinguish it from the usual so z coordinate, we also extend our so matrice to 3b homogeneous form by appending an extra row and column, gring.

mote what happens when we multiply out so tomogeneous matrices by 30 tomogeneous vectors:

$$\begin{bmatrix} Q & b & 0 \\ d & e & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} X \\ Y \\ Z \end{bmatrix} = \begin{bmatrix} Qx + by \\ Qx + ty \\ Z \end{bmatrix}$$

This is The same result as in 20, with

The exception of the extra w coordinate, whi

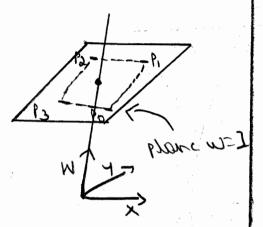
I all we have relately done is

to place all of our 20 points on the plane

w=I in so space, and now undo all the

operations on this plane, really, the operat

ions are still so operations.



But. The magic happens when we place the translation pala meters c and f in the matrix in the 3rd column:

$$\begin{bmatrix} 0 & b & c \\ d & c & p \\ 0 & 0 & J \end{bmatrix} \begin{bmatrix} x \\ y \\ J \end{bmatrix} = \begin{bmatrix} 0x + by + c \\ dx + cy + p \\ J \end{bmatrix}$$

en con now do translations as linear operations in hanage news coordinates! so, we can adob a final matrix to our catalog:

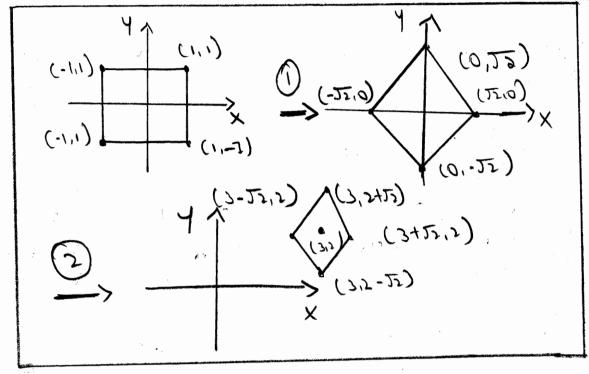
Franciste: 0 1 44

where ix is the translation in the x direction and by is the translate in the y direction. The astate reader will see the trick behind the magic - 20 translation is now being expressed as a sheat in 30 space.

origin and we want to first attate the souther by USO.

about its center and Then move the souther so its center is at (3,2), we can do This in tube steps, as shown in the diagram to the

· topis



$$H\left[\frac{1}{2} = \begin{bmatrix} 3+\frac{1}{2} & 3 \\ 3+\frac{1}{2} & 3 \end{bmatrix}, \text{ and } H\left[\frac{1}{2} \right] = \begin{bmatrix} 3-\frac{1}{2} \\ 3-\frac{1}{2} & 3 \end{bmatrix}$$

verifying that we get The same besult shown in the . suppit

-> 30 Form of the Affine Transformations

HOW, We can extend all of These ideas to 30 in the following.

$$\begin{bmatrix} x \\ y \\ z \end{bmatrix} \Rightarrow \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

the extra cuth) cooldinate is again called the w co-ordinate.

Sound ni contrate the souther of the support soirtain sevice

sie and statition contrate of polluments of most evange.

In addition, there are those basic rotations in 30,

O coso $x = \sin x$ O coso $x = \sin x$ O $x = \cos x$ O $x = \cos x$ O O $x = \cos x$

Pototion about the yaxis: $\begin{bmatrix} cosoy & 0 & sinoy & 0 \\ 0 & 0 & 1 & 0 \\ -sinoy & 0 & cosoy & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$

and Rotation about the Z Oxis.

COSOZ -sinOz O OO OO OO OO O

The rotations, specified in This was determine on

amount of rotation about each of the individual axes or the coordinate system. The angles 0x, 0y, and 02 result bellas elle exper ent trade nottotor to angles. They can be used to describe an off-axis rotation, by combining twen angle rotations via matrix multiplicat ion, Note, however, that The order of rotation assets the end result, so be sides specifying tales angles, an order of more must be specified. In general, whire transform int as isotatummas ton she tude suttables she matter order in which operation are done is highly important one can see this too rotations by computing the product Rox, Roy, Roz, and comparing with the result Obtained by The product ROZ, ROY, ROX.

67. List the 3D Open GL geometric transformations.

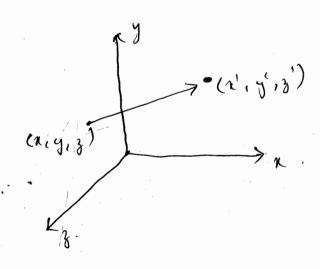
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The 3D open GIL georetrie Transformations are

- (i) There Di Musicinal Translation
- (ii) Three bi mensional totation
- (11) show Rithersunal scaling

Ower - betweensword Translation - A position P = (x, y, z) in 3 p space is translated to a location P' = (n', y', z') by adding translation distances tn, ty and tz to the Lacterian woodinates. Of P

$$\begin{bmatrix}
x' \\
y' \\
3'
\end{bmatrix} = \begin{bmatrix}
1 & 0 & 0 & tx \\
0 & 1 & 0 & ty \\
0 & 0 & 0 & tz
\end{bmatrix}
\begin{bmatrix}
x \\
y \\
3
\end{bmatrix}$$



Three - Di hunsional Kotalion. Shankar R Ou 20 3-aris robation, equations are (easily entended to these diviensions, as follows 2 = 2 cos 0 - 2y oin 0 y' = noint + y wood 3' > 3 $\begin{bmatrix} x \\ y' \\ 3 \end{bmatrix} = \begin{bmatrix} \cos 0 & -\sin 0 & 0 & 0 \\ \sin 0 & \cos 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ 3 \end{bmatrix}$ p' = R3(0). P x -y -> 3 -> x y = 4 woo - 3 año 3 = y sin 0 + 3 loso. - x-ans rotation. y-onis notation 2 = 3 coro - 2 año n' = Janot Koso ý = y. three binensional oraling p 2 5. P $\begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} Sx & 0 & 0 & 0 \\ 0 & Sy & 0 & 0 \\ 0 & 0 & Sy & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$

n'= k. Sn, y'= y. sy, 3'= z. sz.

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- 1) Translate the find point to the origin
- 2) Apply the scaling bians formalia relative to the coadinate origin being
- 3) translate the fined point black to its original position.

$$T(x_{5}, y_{5}, 3_{5}). S(x_{5}, 3_{5}, 3_{5}). T(-x_{5}, -y_{5}, -3_{5}) =$$

$$\begin{cases} Sx & 0 & 0 & (1-s_{5})x_{5} \\ 0 & s_{4} & 0 & (1-s_{7})x_{4} \\ 0 & 0 & s_{7} & (1-s_{7})x_{5} \end{cases}$$

٥

68. What is color model? Explain the Reis

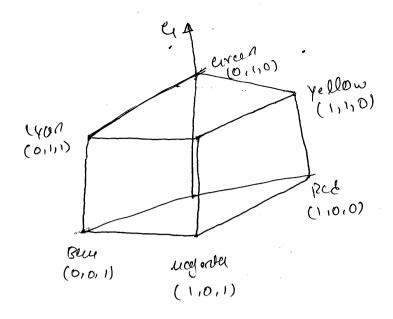
Any relled for explaining the properties or behavior of color within some particular content es called a color model.

The RUB Color Model

According to the Ivistimulus thuosy & vision cour eyes precieve color through the stimulation of three visual pignents in the cones of the revina one of the pignents is nost sensitive to light with a wavelength of about 630 nm (red), and these was Experiments is nost seephine to light with a pignent is nost seephine to light with a valueleyth of about 530 nm (gener) and the third of about 450 nm (blue). This theory of vision having the basis for displaying color occupation a video monitor wing the thorse primaries and gener and blue

delines on Rich and B arres.

Shankar R Asst Professor, CSE, BMSIT&M



As worth xyz color system, the Reis color scheme is an additive model Each color point within the vnit cute can represent as a weighted vector him d'the primary colors, using unet vectors R, G and B

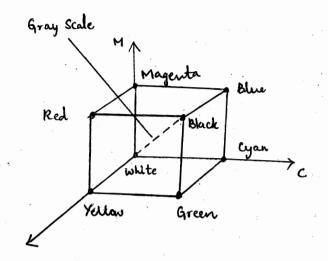
When parameters Rigard B are assigned values in the range from 0 to 1.0 for example.

volue (1,111)

Ciraystule color can be snepsnekned heltway between white and bleen (0.5,0.5,0.5)

69. Explain the CMY and CMYK redor models.

Shankar R. Asst Professor, CSE, BMSIT&M



A subtautive color model can be formed with the 3 primary colors cyan, magenta and yellow. When while light is virlated from Cyan colored ink the sufferted light contains only the green and thus component, and the ored component are absorbed. In the CMY model the spacial position (1,1,1) supresent black because all component of incident light are subtacted. The Deigin supresent while light. Equal amount of each of the perimary colors produces shades of grey along the ceuter main diagonal. I combination of eyan and magenta interpolaces the light similarly a combination of cyan and yellow produces green light and combination of magenta and yellow yields ared light.

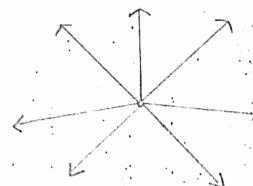
The CMY peinting procen often uses a collection of 4 ink dots, which are are arranged in a close pattern, In practise the CMY model in sufersed to as the CMYK model,

when k is the black color parameter of black Shankar R Asse Professor, CSE, BMSTTERM dot is included because the reflected light of my the Cyan, imagenta and yellow inks objectably produces only shades of lyrey. Same plotters produces a different color combination by spraying the ink for the 3 primary colors over each other and allowing them to unix before they dry, for black and white and grey scale paint printing, only the black cink is

70 What is Light Source? Explain(the different types of light Source? Light Source: => An object that is emitting radient energy is called as light source that contribute to the lighting effects for other objects. => We can model light sources with a Variety of shapes & characterstics =) It is defined with number of properties by specify its position, colour, direction & shape => We assign light emitting properties using a single value for each of the RenB Colon Components, which we can describe as the amount or the "intervity" of that color. The Different types of Light Sources are: 1) Point Light Source -> The Simplest model for an object that is emitting radient energy is a Point light Source with a single color, specified with 3 Res Components.

Shankar R Asst Professor, CSE, BMSIT&M

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=) A. Point Source for a Scene by giving its Position & the color of the emitted light. =) The Rays are generated along radially diverging Path from the Single Color Source Position.

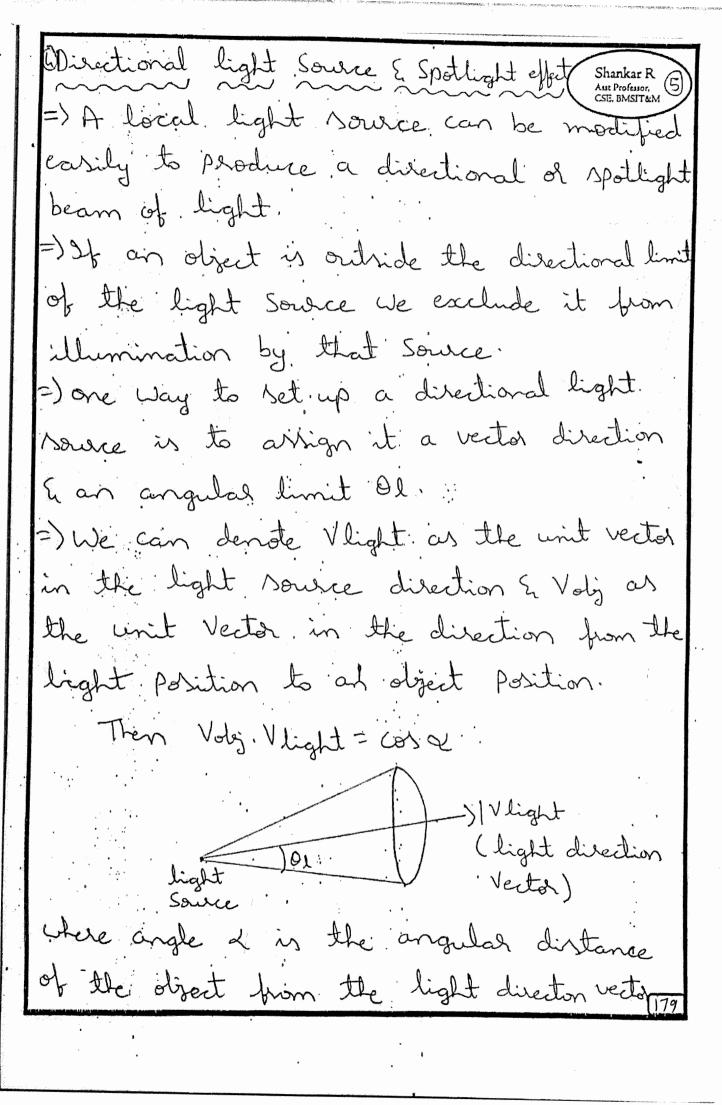
- =) This light-Source model is reasonable approximation for Sources whose dimension are small compared to the Size of object in that Scene.
- 2) Infinitely Distant Light Sources =) A large light Source, Such as the Sun. that is very far from a Scene can also be approximiated as a Point emitter, but there is little Variation in its directional effects =) The light Path, from a distant light source to any Position in the Scene is really

constant.

Sha

=) We can Simulate an infinitly distant light source by assigning it a cold value E a fixed director for the light hay from the Source =) The Vector for the emission direction & the light source color are needed in the illumination calculation; but not Position of Source 3) Radial Intensity Attenuation -=> As radiant energy from a light source travels outwards through space, its amplitude at any distance dr. from source is attenuated by the factor 1/d2 a surface close to the light source receives a higher incident light intensity from that sowice than more distant Surface.

=) However using an attenuation factor (Shankar R ASST Professor, of 1/de? with a Point nounce does not a always Produce realistic Pictures =) The factor 1/di? tends to produce too much intensity Variation for objects that are close to the light Source => We can attenuate light intensities with an inverse greatestic function of Il that includes a linear term. tradiatten (dl) = aota, d, tazdi => The numerical values for the co-efficient ao, a, & az can then be adjusted to Produce optimal attenuation effects. =) We cannot apply intensity attenuation Calculation I to a point source at "infinity" because the distance of the light Source. , if source is infinty fi, haddatten = { 1.0, 1.0, 1.1 Source is in ao, ta,d, ta,d, ta,d, local

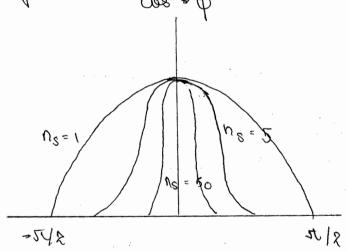


=) If we restrict the angular extent (of any light come so that 0° < 91 < 90° EBMSITEM then the object is within the spotlight. if cos d \rightarrow cos Ol, as shown 1 =) It Volz. Veight < cos Ol, however the object is outside the light cone. Angular Intensity Attenuation: =) For a directional light Source We can attenuate the light intensity angularly about the source as well as radially out from the Point-Source Position. =) This allows intensity decreasing as we move faither from the cone axis. => A commonly used angular intensity attenuation function for a directional light source is forgatten(ϕ)=(ϕ)=(ϕ) ϕ ,
0° $\leq \phi \leq 0$

=) Where the attenuation exponent (Shankar R at is assigned some positive value & angle I is measured from the cone axis. =) The greater the value for the attenuation esconent al, the smaller the value of the angular intensity function for a given Value of angle \$>0°. =) There is no angular attenuation if the light source is not directional =) we can express the general equation for angular attenuation as:if Source is not a 1,0, Spot light if Volzi. Vlight = Cos << 6301 (Volej. Vlight), otherwise

71) Emplain the PHONG Model.

Thong suffection is an empirical model of local alumination. It describes the way a scentage reflecte light as a combination of the diffuse suffection of rough surfaces with the specular suffection of sliny surfaces. It is haved on thoug's informal observation that sliny surfaces have small interess specular highlights, while dull swhaces have large highlights, while dull swhaces have large highlights, while dull swhaces have large highlights, while dull surfaces have large highlights of more gradually.



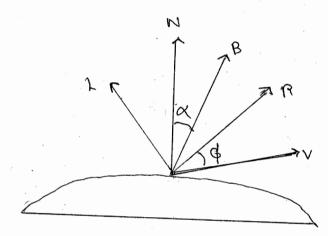
Thong model sets
the intensity of
specular reflection to
cos no 6

II, specular = W(O) I, cos ns p

0 × W(O) × 1 à called specular reflection coefficient

If light direction I and viewing direction Vara on CSE, BMSTTEEM the same side of the normal N, or of L'a behind the surface, 8 pecular effects de not exist

For most opæque nateriale specular-reflection co-efficient is nearly constant ks



I spowlar = { (1. R) 1/9 V.R > 0 and N.L >0 s exweater

R = (2N.L)N-L

The normal N may vary at each point. To avoid N amputation angle & is replaced by an engle or defined by a halfway vector H lubusen L and V

to fficient computation

If the light source and varior use relatively for brom the object, a is constant

H is the direction yielding marring thousand refloction in mening H thru disnera blurow or lemoton appear at fiv miliared If Vi coplances will R and L (and lone with N hos) X = 0/2