# Lab 1 Homework

## **Old Computers**

#### MITS Altair 8800

Input: Flip switches

Output: LED's on the light panel

Min RAM (Kilobytes/Bytes/Bits): 0.256 Kilobytes, 256 Bytes, 2048 Bits Max RAM (Kilobytes/Bytes/Bits): 64 Kilobytes, 64000 Bytes, 512000 Bits

CPU: Intel 8088

#### MOS KIM-1

Input: On-board hexadecimal keypad

Output: 6 digital LED display

Min RAM (Kilobytes/Bytes/Bits): 1 Kilobyte, 1000 Bytes, 8000 Bits

Max RAM (Kilobytes/Bytes/Bits): 1.024 Kilobytes, 1024 Bytes, 8192 Bits

CPU: MOS 6502

## Apple 1

Input: Keyboard

Output: Composite video

Min RAM (Kilobytes/Bytes/Bits): 4 Kilobytes, 4000 Bytes, 32000 Bits Max RAM (Kilobytes/Bytes/Bits): 65 Kilobytes, 65000 Bytes, 520000 Bits

CPU: MOS 6502

#### **IBM Personal Computer (PC) 5150**

Input: Keypad

Output: 5" Monochrome monitor

Min RAM (Kilobytes/Bytes/Bits): 16 Kilobytes, 16000 Bytes, 128000 Bits Max RAM (Kilobytes/Bytes/Bits): 64 Kilobytes, 64000 Bytes, 512000 Bits

**CPU: IBM Proprietary** 

## **Apple Macintosh**

Input: Keypad and Mouse
Output: 9" monochrome screen

Min RAM (Kilobytes/Bytes/Bits): 128 Kilobytes, 128000 Bytes, 1024000 Bits Max RAM (Kilobytes/Bytes/Bits): 512 Kilobytes, 512000 Bytes, 4096000 Bits

CPU: Motorola 68000

### **Base Conversions**

5 Hex: 
$$F_{(16)}$$
Decimal:  $15_{(16)}$ 
 $15 \times 16^{\circ} = 15$ 
Binary:  $01111_{(12)}$ 

$$\frac{2^{1}}{(10)^{\circ}} \frac{2^{3}}{(11)^{3}} \frac{2^{1}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{2^{3}}{(10)^{3}} \frac{8^{3}}{(10)^{3}} \frac{8^{3}}{(10)^{3}}$$
OCT:  $017_{(17)}$ 

### Shounak Lahiri Section M

# Hex: 8 | (11)

Decimal: 129 (10)

$$\frac{|L^2|L|}{0+128+1=129}$$

Binary: 0 | 000 00 | (2)

 $\frac{2^8}{(250)0}$  (127) 1 (14) 0 (22) 0 (15) 0 (17) 1 (17) 0 (17) 0 (17) 0 (17) 1 (17) 0 (17) 0 (17) 0 (17) 1 (17) 0 (17) 0 (17) 1 (17) 0 (17) 1 (17) 0 (17) 1 (17) 0 (17) 0 (17) 1

Decimal: 
$$|47_{(i)}|$$

$$\frac{2^{7}}{(128)!} \frac{2^{5}}{(4)0} \frac{2^{5}}{(32)0} \frac{2^{7}}{(4)1} \frac{2^{3}}{(4)0} \frac{2^{2}}{(4)1} \frac{2^{7}}{(4)0} \frac{2^{7}}{(4)1} \frac{2^{7}}{(4)0} \frac{2^{7}}{(4)1} \frac{2^{7}}$$

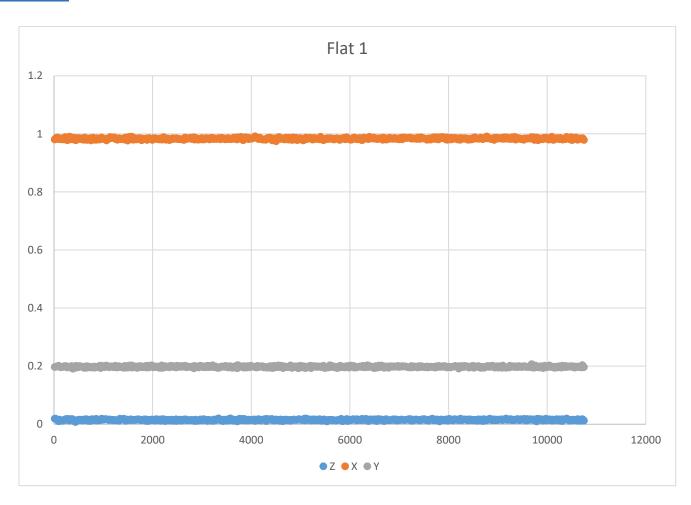
Hex: 09310

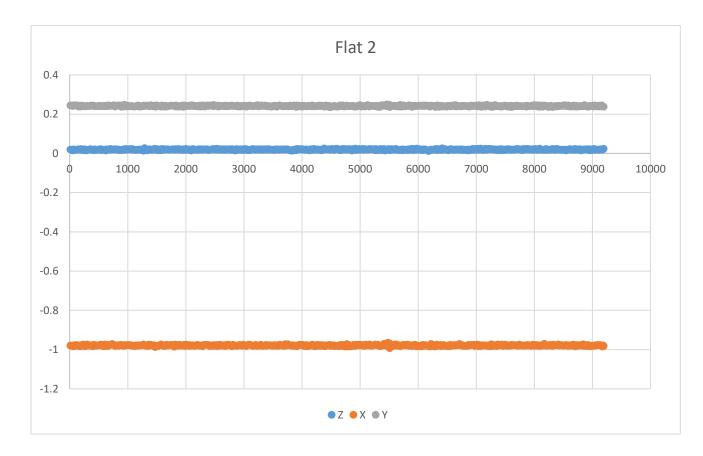
Decimal: 63(6)

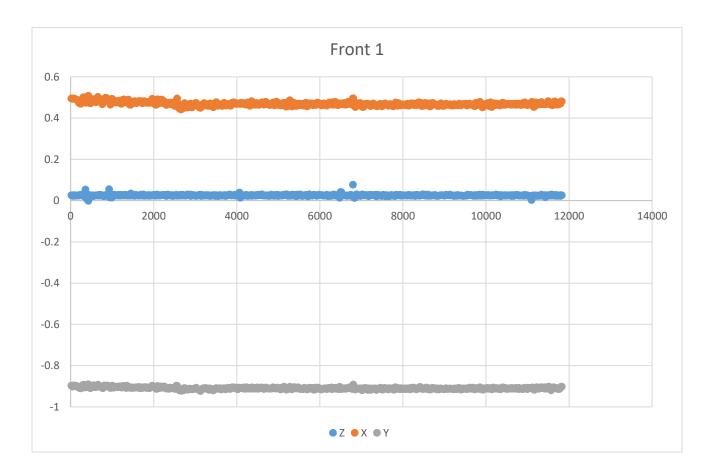
$$\frac{2^{6} \quad 2^{5} \quad 2^{4} \quad Z^{3} \quad 2^{2} \quad 2^{1} \quad 2^{6}}{(44) \quad 0 \quad (32) \mid (10) \mid (4) \mid (4) \mid (2) \mid (1) \mid}$$

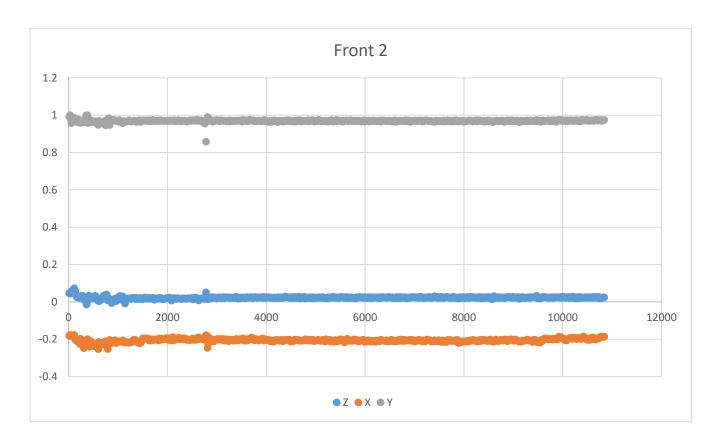
$$\frac{2^{6} \quad 2^{5} \quad 2^{4} \quad Z^{3} \quad 2^{2} \quad 2^{1} \quad 2^{6}}{0 \quad 10^{5} \quad 10$$

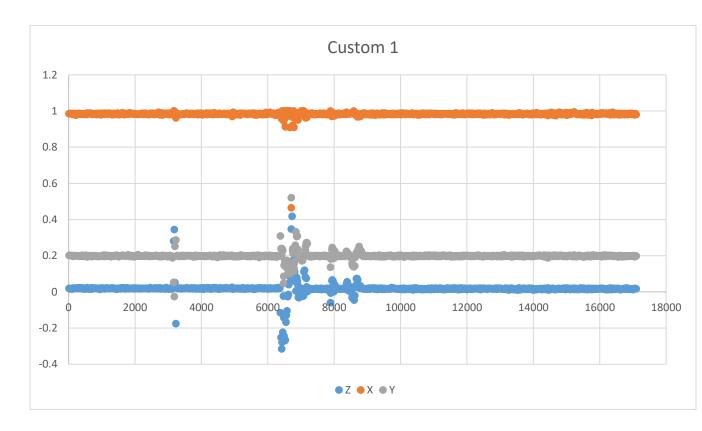
## **Exploration**

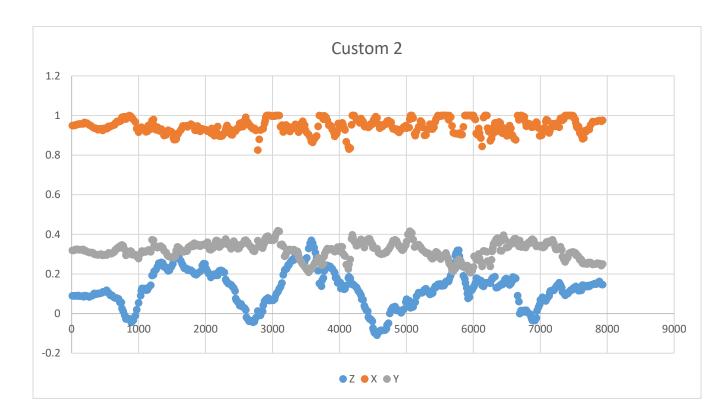












- 1. I think that each of the columns in the data that was collected represents a different axis, the first column is the x axis, followed by the y axis, and then the y axis. The fourth column would most likely be the accelerometer.
- 2. The flags help distinguish the direction that the accelerometer is picking up movement.
- 3. I think the unit of measure is in g's

4.

- a. Flat 1
  - i. The axis remain unchanged because the controller was just set on the table with nothing touching it.
- b. Flat 2
  - i. The axis remain unchanged, but the x and y axis were both multiplied by -1 because the controller was flipped over.
- c. Front 1
  - i. All the axis remained constant because the controller was not being moved.
- d. Front 2
  - i. All the axis remained constant because the controller was face down, and not moving.
- e. Custom 1
  - i. The y and z axis change because the controller was moved back and forth in the y direction (away from the player).



#### f. Custom 2

i. The z axis creates something like a sine curve because the controller was lifted up and down repeatedly.



## Joystick Calibration

- 1. After analyzing the data we collected, we found that the max value in any direction was 128 and the minimum value in any direction was -128; therefore by dividing the number by 128 we could get a maximum value of 1 and a minimum value of -1.
  - a. For the horizontal direction f(x) = (x/128)
  - b. For the vertical direction f(y) = -(y/128)
- 2. The center point was at 0,0,0,0 but the controller did not always get exactly there, it got numbers close to it.
- 3. Small variations in the exact location of where to controller thinks zero is located at.
- 4. Allow for more variation in the location of the origin, which would result in a loss of sensitivity for the controller.