

# **Bachelor of Technology (B.Tech)**

# **Department of Computer Science and Engineering**

# III year II sem- Machine Learning Laboratory Manual





#### SIDDHARTHA INSTITUTE OF TECHNOLOGY & SCIENCES

(Approved by AICTE, New Delhi & Affiliated to JNTUH, Hyderabad)Accredited by NBA and NAAC with 'A+' Grade Narapally, Korremula Road, Ghatkesar, Medchal- Malkajgiri (Dist)-501 301



(Approved by AICTE, New Delhi &Affiliated to JNTUH, Hyderabad) Narapally, Telangana – 500 088.

#### Vision of the Institute

To be a reputed institute in technical education towards research, industrial and societal needs.

#### **Mission of the Institute**

Mission	Statement					
IM <sub>1</sub>	Provide state-of-the-art infrastructure, review, innovative and experiment teaching —learning methodologies.					
IM <sub>2</sub>	Promote training, research and consultancy through an integrated institute industry symbiosis					
IM <sub>3</sub>	Involve in activities to groom professional, ethical values and social responsibility					



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#### **Department of Computer Science and Engineering**

#### **Vision of the Department**

To be a recognized center of Computer Science education with values, and quality research

### **Mission of the Department**

Mission	Statement					
$DM_1$	Impart high quality professional training with an emphasis on basic					
DIVII	principles of Computer Science and allied Engineering					
$DM_2$	Imbibe social awareness and responsibility to serve the society					
DM <sub>3</sub>	Provide academic facilities, organize collaborated activities to enable overall					
DIVIS	development of stakeholders					



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## **Department of Computer Science and Engineering**

#### **Program Educational Objectives (PEOs)**

PEO's	Statement					
PEO1	Graduates will be able to solve Computer Science and allied Engineering problems, develop proficiency in computational tools.					
PEO2	Graduates will be able to communicate and work efficiently in  Multidisciplinary teams with a sense of professional and social responsibility.					
PEO3	Graduates will be able to exhibit lifelong learning ability and pursue career as architects, software developers and entrepreneurs.					



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#### **Department of Computer Science and Engineering**

#### **Programme Outcomes**

	annie Outcomes
PO1	<b>Engineering Knowledge:</b> Apply the knowledge of mathematics, science, engineering fundamentals, and an engineering specialization to the solution of complex engineering problems.
PO2	<b>Problem Analysis:</b> Identify, formulate, review research literature, and analyze complex engineering problems reaching substantiated conclusions using first principles of mathematics, natural sciences, and engineering sciences.
PO3	<b>Design/development of Solutions:</b> Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the public health and safety, and the cultural, societal, and environmental considerations.
PO4	<b>Conduct investigations of complex problems:</b> Use research-based knowledge and research methods including design of experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions.
PO5	<b>Modern tool usage:</b> Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools including prediction and modelling to complex engineering activities with an understanding of the limitations.
PO6	<b>The engineer and society:</b> Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and cultural issues and the consequent responsibilities relevant to the professional engineering practice.
PO7	<b>Environment and sustainability:</b> Understand the impact of the professional engineering solutions in societal and environmental context, and demonstrate the knowledge of, and need for sustainable development.
PO8	<b>Ethics:</b> Apply ethical principles and commit to professional ethics and responsibilities and norms of the engineering practice.
PO9	<b>Individual and team network:</b> Function effectively as an individual, and as a member or leader in diverse teams, and in multidisciplinary settings.
PO10	<b>Communication:</b> Communicate effectively on complex engineering activities with the engineering community and with society at large, being able to comprehend and write effective reports and design documentation, make effective presentations, and give and receive clear instructions.
PO11	<b>Project management and finance:</b> Demonstrate knowledge and understanding of the engineering and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments.
PO12	<b>Life-Long learning:</b> Recognize the need for, and have the preparation and able to engage in independent and life-long learning in the broadest context of technological change.

#### **Program Specific Outcomes:**

PSO1	<b>Program Applications:</b> Able to develop programs modules for cloud based applications.
PSO2	<b>Development Tools:</b> Able to use tools such as Weka, Rational Rose Raspberry-Pi, Sql and advanced tools

#### **List of Experiments**

- 1. The probability that it is Friday and that a student is absent is 3 %. Since there are 5 school days in a week, the probability that it is Friday is 20 %. What is the probability that a student is absent given that today is Friday? Apply Baye's rule in python to get the result. (Ans: 15%)
- 2. Extract the data from database using python
- 3. Implement k-nearest neighbours classification using python
- 4. Given the following data, which specify classifications for nine combinations of VAR1 and VAR2

predict a classification for a case where VAR1=0.906 and VAR2=0.606, using the result of kmeans clustering with 3 means (i.e., 3 centroids)

VAR1	VAR2 CLASS
1.713	1.586 0
0.180	1.786 1
0.353	1.240 1
0.940	1.566 0
1.486	0.759 1
1.266	1.106 0
1.540	0.419 1
0.459	1.799 1
0.773	0.186 1

- 5. Implement and demonstrate the FIND-S algorithm for finding the most specific hypothesis based on a given set of training data samples. Read the training data from a.CSV file.
- 6. Implement linear regression using python.
- 7. Implement Naïve Bayes theorem to classify the English text
- 8. Implement an algorithm to demonstrate the significance of genetic algorithm
- 9. Implement the finite words classification system using Back-propagation algorithm
- 10. Implement a Candidate elimination algorithm.

**EXNO1**. The probability that it is Friday and that a student is absent is 3 %. Since there are 5 school

days in a week, the probability that it is Friday is 20 %. What is the probability that a student is absent given that today is Friday? Apply Baye's rule in python to get the result. (Ans: 15%)

*F*: It is a Friday

A: Student is absent According to the problem statement, we have  $P(A \cap F)=3\%$  and P(F)=20%

The problem requires us to find P(A|F)

$$P(A \mid F) = rac{P(A \cap F)}{P(F)}$$
or,  $P(A \mid F) = rac{0.03}{0.2} = rac{3}{100} \div rac{2}{10} = rac{3}{100} imes rac{10}{2} = rac{3}{20} = 0.15$ 

```
# calculate the probability of cancer patient and diagnostic test
# calculate P(A|B) given P(F), P(B|A), P(B|not A)
def bayes theorem(p f, p b given a, p b given not a):
        # calculate P(not A)
       not a = 1 - p f
       # calculate P(B)
       p_b = p_b_given_a * p_f + p_b_given_not_a * not_a
       # calculate P(A|B)
       p a given b = (p b given a * p f) / p b
       return p a given b
# P(A)
p f = 0.02
# P(B|A)
p b given a = 0.85
# P(B|not A)
p b given not a = 0.095
# calculate P(A|B)
result = bayes theorem(p f, p b given a, p b given not a)
# summarize
print(P(A|B) = \%.f\%\%' \% (result * 100))
```

#### **OUTPUT**

C:\Users\HP\Desktop\coding>python bfinal.py

$$P(A|B) = 15\%$$

#### EXNO 2. Extract the data from database using python

#### Python program for extracting data

```
# import required modules
import mysql.connector
# create connection object
con = mysql.connector.connect(
 host="localhost", user="root",
 password="", database="GEEK")
# create cursor object
cursor = con.cursor()
# assign data query
query1 = "desc geeksdemo"
# executing cursor
cursor.execute(query1)
# display all records
table = cursor.fetchall()
# describe table
print('\n Table Description:')
for attr in table:
  print(attr)
# assign data query
query2 = "select * from geeksdemo"
# executing cursor
cursor.execute(query2)
# display all records
table = cursor.fetchall()
# fetch all columns
print('\n Table Data:')
for row in table:
  print(row[0], end=" ")
  print(row[1], end=" ")
  print(row[2], end=" ")
  print(row[3], end="\n")
# closing cursor connection
cursor.close()
# closing connection object
con.close()
```

#### **OUTPUT**

```
Table Description:
('id', 'int(10)', 'NO', '', None, '')
('name', 'varchar(233)', 'NO', '', None, '')
('gender', 'char(1)', 'NO', '', None, '')
('dept', 'varchar(233)', 'NO', '', None, '')

Table Data:
1 sravan m finance
2 ravi m agriculture
3 laksman m mechnaical
4 sita f electronics
5 katrina f it
```

#### EX NO 3: Implement k-nearest neighbours classification using python

#### **Theory**

#### k-Nearest Neighbors

The k-Nearest Neighbors algorithm or KNN for short is a very simple technique.

The entire training dataset is stored. When a prediction is required, the k-most similar records to a new record from the training dataset are then located. From these neighbors, a summarized prediction is made.

Similarity between records can be measured many different ways. A problem or dataspecific method can be used. Generally, with tabular data, a good starting point is the Euclidean distance.

#### steps

First we will develop each piece of the algorithm in this section, then we will tie all of the elements together into a working implementation applied to a real dataset in the next section.

This k-Nearest Neighbors tutorial is broken down into 3 parts:

- Step 1: Calculate Euclidean Distance.
- Step 2: Get Nearest Neighbors.
- Step 3: Make Predictions.

These steps will teach you the fundamentals of implementing and applying the k-Nearest Neighbors algorithm for classification and regression predictive modeling problems.

#### # Example of getting neighbors for an instance

```
from math import sqrt

# calculate the Euclidean distance between two
vectors def euclidean_distance(row1, row2):
distance = 0.0

for i in range(len(row1)-1):
distance += (row1[i] - row2[i])**2
return sqrt(distance)

# Locate the most similar neighbors
def get_neighbors(train, test_row,
num_neighbors): distances = list()
for train_row in train:
dist = euclidean_distance(test_row, train_row)
distances.append((train_row, dist))
```

```
for i in range(num_neighbors):
neighbors.append(distances[i][0])
return neighbors

# Test distance function
dataset = [[2.7810836,2.550537003,0],
[1.465489372,2.362125076,0],
[3.396561688,4.400293529,0],
[1.38807019,1.850220317,0],
[3.06407232,3.005305973,0],
[7.627531214,2.759262235,1],
[5.332441248,2.088626775,1],
```

[5.332441248,2.088626775,1], [6.922596716,1.77106367,1],

distances.sort(key=lambda tup: tup[1]) neighbors = list()

[8.675418651,-0.242068655,1],

[7.673756466,3.508563011,1]]

neighbors = get\_neighbors(dataset, dataset[0],

3) for neighbor in neighbors: print(neighbor)

#### **OUTPUT:**

[2.7810836, 2.550537003, 0] [3.06407232, 3.005305973, 0] [1.465489372, 2.362125076, 0]

**EXNO : 4.**Given the following data, which specify classifications for nine combinations of VAR1 and VAR2 predict a classification for a case where VAR1=0.906 and VAR2=0.606, using the result of kmeans clustering with 3 means (i.e., 3 centroids)

VAR1	VAR2 CLASS
1.713	1.586 0
0.180	1.786 1
0.353	1.240 1
0.940	1.566 0
1.486	0.759 1
1.266	1.106 0
1.540	0.419 1
0.459	1.799 1
0.773	0.186 1

#### Coding:

```
from pandas import DataFrame import matplotlib.pyplot as plt from sklearn.cluster import KMeans
```

#### **OUTPUT:**

```
[[1.26633333 0.45466667]
[1.30633333 1.41933333]
[0.33066667 1.60833333]]
```

**EXNO 5**. Implement and demonstrate the FIND-S algorithm for finding the most specific hypothesis based on a given set of training data samples. Read the training data from a.CSV file.

#### Find-S Algorithm in Machine Learning.

The Find-S algorithm follows the steps written below:

- 1. Initialize 'h' to the most specific hypothesis.
- 2. The Find-S algorithm only considers the positive examples and eliminates negative examples. For each positive example, the algorithm checks for each attribute in the example. If the attribute value is the same as the hypothesis value, the algorithm moves on without any changes. But if the attribute value is different than the hypothesis value, the algorithm changes it to "?".

Now that we are done with the basic explanation of the Find-S algorithm, let us take a look at how it works.

- 1. The process starts with initializing 'h' with the most specific hypothesis, generally, it is the first positive example in the data set.
- 2. We check for each positive example. If the example is negative, we will move on to the next example but if it is a positive example we will consider it for the next step.
- 3. We will check if each attribute in the example is equal to the hypothesis value.
- 4. If the value matches, then no changes are made.
- 5. If the value does not match, the value is changed to '?'.
- 6. We do this until we reach the last positive example in the data set.

#### Implementation of Find-S Algorithm

To understand the implementation, let us try to implement it to a smaller data set with a bunch of examples to decide if a person wants to go for a walk.

The concept of this particular problem will be on what days does a person likes to go on walk.

Time	Weather	Temperature	Company	Humidity	Wind	Goes
Morning	Sunny	Warm	Yes	Mild	Strong	Yes
Evening	Rainy	Cold	No	Mild	Normal	No
Morning	Sunny	Moderate	Yes	Normal	Normal	Yes
Evening	Sunny	Cold	Yes	High	Strong	Yes

Looking at the data set, we have six attributes and a final attribute that defines the positive or negative example. In this case, yes is a positive example, which means the person will go for a walk.

So now, the general hypothesis is:

```
h<sub>0</sub> = {'Morning', 'Sunny', 'Warm', 'Yes', 'Mild', 'Strong'}
```

This is our general hypothesis, and now we will consider each example one by one, but only the positive examples.

```
\begin{split} &h_{l}\text{= \{`Morning', `Sunny', `?', `Yes', `?', `?'\}} \\ &h_{2}\text{= \{`?', `Sunny', `?', `Yes', `?', `?'\}} \end{split}
```

We replaced all the different values in the general hypothesis to get a resultant hypothesis. Now that we know how the Find-S algorithm works, let us take a look at an implementation using <a href="Python">Python</a>.

#### **CODING:**

```
import pandas as pd
import numpy as np
#to read the data in the csv file
data = pd.read csv("data.csv")
print(data,"n")
#making an array of all the attributes
d = np.array(data)[:,:-1]
print("n The attributes are: ",d)
#segragating the target that has positive and negative examples
target = np.array(data)[:,-1]
print("n The target is: ",target)
#training function to implement find-s algorithm
def train(c,t):
  for i, val in enumerate(t):
     if val == "Yes":
        specific hypothesis = c[i].copy()
       break
  for i, val in enumerate(c):
     if t[i] == "Yes":
        for x in range(len(specific hypothesis)):
          if val[x] != specific hypothesis[x]:
             specific hypothesis[x] = '?'
          else:
            pass
  return specific hypothesis
#obtaining the final hypothesis
print("n The final hypothesis is:",train(d,target))
```

#### **Output:**

```
Time Weather Temperature Company Humidity Wind Goes

0 Morning Sunny Warm Yes Mild Strong Yes

1 Evening Rainy Cold No Mild Normal No

2 Morning Sunny Moderate Yes Normal Normal Yes

3 Evening Sunny Cold Yes High Strong Yes

The attributes are: [['Morning' 'Sunny' 'Warm' 'Yes' 'Mild' 'Strong']
['Evening' 'Rainy' 'Cold' 'No' 'Mild' 'Normal']
['Morning' 'Sunny' 'Moderate' 'Yes' 'Normal' 'Normal']
['Evening' 'Sunny' 'Cold' 'Yes' 'High' 'Strong']]

The target is: ['Yes' 'No' 'Yes' 'Yes']

The final hypothesis is: ['?' 'Sunny' '?' 'Yes' '?' '?']
```

#### **EXNO 6.** Implement linear regression using python

The simple linear regression model is a line defined by coefficients estimated from training data.

Once the coefficients are estimated, we can use them to make predictions.

The equation to make predictions with a simple linear regression model is as follows:

```
y = b0 + b1 * x
```

Below is a function named **simple\_linear\_regression()** that implements the prediction equation to make predictions on a test dataset. It also ties together the estimation of the coefficients on training data from the steps above.

#### **CODING:**

```
import numpy as np
import matplotlib.pyplot as plt
def estimate coef(x, y):
  # number of observations/points
  n = np.size(x)
  # mean of x and y vector
  m x = np.mean(x)
  m y = np.mean(y)
  # calculating cross-deviation and deviation about x
  SS xy = np.sum(y*x) - n*m y*m x
  SS xx = np.sum(x*x) - n*m x*m x
  # calculating regression coefficients
  b 1 = SS xy / SS xx
  b \ 0 = m \ y - b \ 1*m \ x
  return (b 0, b 1)
def plot regression line(x, y, b):
  # plotting the actual points as scatter plot
  plt.scatter(x, y, color = "m",
         marker = "o", s = 30)
  # predicted response vector
  y \text{ pred} = b[0] + b[1]*x
  # plotting the regression line
  plt.plot(x, y pred, color = "g")
  # putting labels
  plt.xlabel('x')
  plt.ylabel('y')
  # function to show plot
  plt.show()
```

```
def main():
    # observations / data
    x = np.array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
    y = np.array([1, 3, 2, 5, 7, 8, 8, 9, 10, 12])

# estimating coefficients
b = estimate_coef(x, y)
print("Estimated coefficients:\nb_0 = {} \
    \nb_1 = {} ".format(b[0], b[1]))

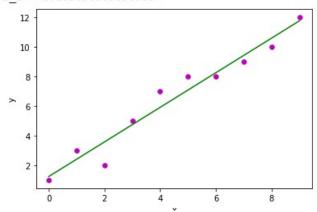
# plotting regression line
plot_regression_line(x, y, b)

if __name__ == "__main__":
    main()
```

#### **OUTPUT:**

· Estimated coefficients:

b\_0 = 1.236363636363636363 b 1 = 1.169696969696969697



#### EX NO 7. Implement Naïve Bayes theorem to classify the English text

#### Working example in Python

Text Analysis is a major application field for machine learning algorithms. However the raw data, a sequence of symbols (i.e. strings) cannot be fed directly to the algorithms themselves as most of them expect numerical feature vectors with a fixed size rather than the raw text documents with variable length.

#### **Problem Statement**

As a working example, we will use some text data and we will build a Naive Bayes model to predict the categories of the texts. This is a multi-class (20 classes) text classification problem.

Let's start (I will walk you through). First, we will **load all the necessary libraries**:

```
import numpy as np, pandas as pd import seaborn as sns import matplotlib.pyplot as plt from sklearn.datasets import fetch_20newsgroups from sklearn.feature_extraction.text import TfidfVectorizer from sklearn.naive_bayes import MultinomialNB from sklearn.pipeline import make_pipeline from sklearn.metrics import confusion_matrix, accuracy_scoresns.set() # use seaborn plotting style
```

Next, let's load the data (training and test sets):

```
# Load the dataset
data = fetch_20newsgroups()# Get the text categories
text_categories = data.target_names# define the training set
train_data = fetch_20newsgroups(subset="train", categories=text_categories)# define the test set
test_data = fetch_20newsgroups(subset="test", categories=text_categories)#
```

#### Let's find out **how many classes** and **samples** we have:

```
print("We have {} unique classes".format(len(text_categories)))
print("We have {} training samples".format(len(train_data.data)))
print("We have {} test samples".format(len(test_data.data)))
```

#### The above prints:

```
We have 20 unique classes
We have 11314 training samples
We have 7532 test samples
```

So, this is a 20-class text classification problem with  $n_{train} = 11314$  training samples (text sentences) and  $n_{text} = 7532$  test samples (text sentences).

# EX NO 8. Implement an algorithm to demonstrate the significance of genetic algorithm

In this section, we will apply the genetic algorithm to a binary string-based optimization problem.

The problem is called OneMax and evaluates a binary string based on the number of 1s in the string. For example, a bitstring with a length of 20 bits will have a score of 20 for a string of all 1s.

Given we have implemented the genetic algorithm to minimize the objective function, we can add a negative sign to this evaluation so that large positive values become large negative values.

The onemax() function below implements this and takes a bitstring of integer values as input

```
1 # objective function2 def onemax(x):3 return -sum(x)
```

Next, we can configure the search.

The search will run for 100 iterations and we will use 20 bits in our candidate solutions, meaning the optimal fitness will be -20.0.

#### **CODING**

# genetic algorithm search of the one max optimization problem from numpy.random import randint from numpy.random import rand

```
# objective function
def onemax(x):
return -sum(x)

# tournament selection
def selection(pop, scores, k=3):
# first random selection
selection_ix = randint(len(pop))
for ix in randint(0, len(pop), k-1):
# check if better (e.g. perform a tournament)
if scores[ix] < scores[selection_ix]:
selection_ix = ix
return pop[selection_ix]

# crossover two parents to create two children
def crossover(p1, p2, r_cross):
# children are copies of parents by default
```

```
c1, c2 = p1.copy(), p2.copy()
# check for recombination
if rand() < r cross:
# select crossover point that is not on the end of the string
pt = randint(1, len(p1)-2)
# perform crossover
c1 = p1[:pt] + p2[pt:]
c2 = p2[:pt] + p1[pt:]
return [c1, c2]
# mutation operator
def mutation(bitstring, r mut):
for i in range(len(bitstring)):
# check for a mutation
if rand() < r mut:
# flip the bit
bitstring[i] = 1 - bitstring[i]
# genetic algorithm
def genetic algorithm(objective, n bits, n iter, n pop, r cross, r mut):
# initial population of random bitstring
pop = [randint(0, 2, n \ bits).tolist() for \ in range(n \ pop)]
# keep track of best solution
best, best eval = 0, objective(pop[0])
# enumerate generations
for gen in range(n iter):
# evaluate all candidates in the population
scores = [objective(c) for c in pop]
# check for new best solution
for i in range(n pop):
if scores[i] < best eval:
best, best eval = pop[i], scores[i]
print(">\%d, new best f(\%s) = \%.3f" \% (gen, pop[i], scores[i]))
# select parents
selected = [selection(pop, scores) for _ in range(n_pop)]
# create the next generation
children = list()
for i in range(0, n pop, 2):
# get selected parents in pairs
p1, p2 = selected[i], selected[i+1]
# crossover and mutation
for c in crossover(p1, p2, r cross):
# mutation
mutation(c, r mut)
# store for next generation
children.append(c)
# replace population
pop = children
return [best, best_eval]
```

```
# define the total iterations
n\_iter = 100
# bits
n\_bits = 20
# define the population size
n\_pop = 100
# crossover rate
r\_cross = 0.9
# mutation rate
r\_mut = 1.0 / float(n\_bits)
# perform the genetic algorithm search
best, score = genetic_algorithm(onemax, n_bits, n_iter, n_pop, r_cross, r_mut)
print('Done!')
print('f(%s) = %f' % (best, score))
```

Running the example will report the best result as it is found along the way, then the final best solution at the end of the search, which we would expect to be the optimal solution.

**Note**: Your results may vary given the stochastic nature of the algorithm or evaluation procedure, or differences in numerical precision. Consider running the example a few times and compare the average outcome.

In this case, we can see that the search found the optimal solution after about eight generations.

#### **OUTPUT**

```
\begin{array}{c} 1>&0, \text{ new best } f([1,1,0,0,1,1,1,0,1,1,0,1,0,1,1,1,0,1,1,1]) = -14.000 \\ 2>&0, \text{ new best } f([1,1,0,1,1,1,1,1,1,1,1,1,1,0,0,0,1,0]) = -15.000 \\ 3>&1, \text{ new best } f([1,1,0,1,1,1,1,1,1,1,1,1,1,0,0,1,0,1,1]) = -16.000 \\ 4>&2, \text{ new best } f([0,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1]) = -17.000 \\ 5>&2, \text{ new best } f([1,1,1,1,0,1,1,1,1,1,1,1,1,1,1,1,1,1,1]) = -19.000 \\ 6>&8, \text{ new best } f([1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1]) = -20.000 \\ 7 \text{ Done!} \\ 8 f([1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1]) = -20.0000000 \\ \end{array}
```

#### EXNO 9. Implement the finite words classification system using Backpropagation algorithm

This section applies the Backpropagation algorithm to the wheat seeds dataset.

The first step is to load the dataset and convert the loaded data to numbers that we can use in our neural network. For this we will use the helper function load\_csv() to load the file, str\_column\_to\_float() to convert string numbers to floats and str\_column\_to\_int() to convert the class column to integer values.

Input values vary in scale and need to be normalized to the range of 0 and 1. It is generally good practice to normalize input values to the range of the chosen transfer function, in this case, the sigmoid function that outputs values between 0 and 1. The **dataset\_minmax()** and **normalize\_dataset()** helper functions were used to normalize the input values.

We will evaluate the algorithm using k-fold cross-validation with 5 folds. This means that 201/5=40.2 or 40 records will be in each fold. We will use the helper functions **evaluate\_algorithm()** to evaluate the algorithm with cross-validation and **accuracy\_metric()** to calculate the accuracy of predictions.

A new function named **back\_propagation()** was developed to manage the application of the Backpropagation algorithm, first initializing a network, training it on the training dataset and then using the trained network to make predictions on a test dataset.

#### **CODING**

# Backprop on the Seeds Dataset from random import seed from random import randrange from random import random from csv import reader from math import exp

# Load a CSV file
def load\_csv(filename):
dataset = list()
with open(filename, 'r') as file:
csv\_reader = reader(file)
for row in csv\_reader:
if not row:
continue
dataset.append(row)
return dataset

# Convert string column to float
def str\_column\_to\_float(dataset, column):
for row in dataset:
row[column] = float(row[column].strip())

# Convert string column to integer

```
def str column to int(dataset, column):
class values = [row[column] for row in dataset]
unique = set(class values)
lookup = dict()
for i, value in enumerate(unique):
lookup[value] = i
for row in dataset:
row[column] = lookup[row[column]]
return lookup
# Find the min and max values for each column
def dataset minmax(dataset):
minmax = list()
stats = [[min(column), max(column)] for column in zip(*dataset)]
return stats
# Rescale dataset columns to the range 0-1
def normalize dataset(dataset, minmax):
for row in dataset:
for i in range(len(row)-1):
row[i] = (row[i] - minmax[i][0]) / (minmax[i][1] - minmax[i][0])
# Split a dataset into k folds
def cross_validation_split(dataset, n folds):
dataset split = list()
dataset copy = list(dataset)
fold size = int(len(dataset) / n folds)
for i in range(n folds):
fold = list()
while len(fold) < fold size:
index = randrange(len(dataset copy))
fold.append(dataset copy.pop(index))
dataset split.append(fold)
return dataset split
# Calculate accuracy percentage
def accuracy metric(actual, predicted):
correct = 0
for i in range(len(actual)):
if actual[i] == predicted[i]:
correct += 1
return correct / float(len(actual)) * 100.0
# Evaluate an algorithm using a cross validation split
def evaluate algorithm(dataset, algorithm, n folds, *args):
folds = cross validation split(dataset, n folds)
scores = list()
for fold in folds:
train set = list(folds)
train set.remove(fold)
```

```
train set = sum(train set, [])
test set = list()
for row in fold:
row copy = list(row)
test set.append(row copy)
row copy[-1] = None
predicted = algorithm(train set, test set, *args)
actual = [row[-1] for row in fold]
accuracy = accuracy metric(actual, predicted)
scores.append(accuracy)
return scores
# Calculate neuron activation for an input
def activate(weights, inputs):
activation = weights[-1]
for i in range(len(weights)-1):
activation += weights[i] * inputs[i]
return activation
# Transfer neuron activation
def transfer(activation):
return 1.0 / (1.0 + \exp(-activation))
# Forward propagate input to a network output
def forward propagate(network, row):
inputs = row
for layer in network:
new inputs = []
for neuron in layer:
activation = activate(neuron['weights'], inputs)
neuron['output'] = transfer(activation)
new inputs.append(neuron['output'])
inputs = new inputs
return inputs
# Calculate the derivative of an neuron output
def transfer derivative(output):
return output *(1.0 - output)
# Backpropagate error and store in neurons
def backward propagate error(network, expected):
for i in reversed(range(len(network))):
layer = network[i]
errors = list()
if i != len(network)-1:
for j in range(len(layer)):
error = 0.0
for neuron in network[i + 1]:
error += (neuron['weights'][j] * neuron['delta'])
errors.append(error)
```

```
else:
for j in range(len(layer)):
neuron = layer[i]
errors.append(expected[j] - neuron['output'])
for i in range(len(layer)):
neuron = layer[i]
neuron['delta'] = errors[j] * transfer derivative(neuron['output'])
# Update network weights with error
def update weights(network, row, 1 rate):
for i in range(len(network)):
inputs = row[:-1]
if i != 0:
inputs = [neuron['output'] for neuron in network[i - 1]]
for neuron in network[i]:
for j in range(len(inputs)):
neuron['weights'][j] += 1 rate * neuron['delta'] * inputs[j]
neuron['weights'][-1] += 1 rate * neuron['delta']
# Train a network for a fixed number of epochs
def train network(network, train, 1 rate, n epoch, n outputs):
for epoch in range(n epoch):
for row in train:
outputs = forward propagate(network, row)
expected = [0 \text{ for i in range(n outputs)}]
expected[row[-1]] = 1
backward propagate error(network, expected)
update weights(network, row, 1 rate)
# Initialize a network
def initialize network(n inputs, n hidden, n outputs):
network = list()
hidden layer = [\{\text{weights':}[\text{random}() \text{ for i in range}(\text{n inputs} + 1)]\} \text{ for i in range}(\text{n hidden})]
network.append(hidden layer)
output layer = [{'weights':[random() for i in range(n hidden + 1)]} for i in range(n outputs)]
network.append(output layer)
return network
# Make a prediction with a network
def predict(network, row):
outputs = forward propagate(network, row)
return outputs.index(max(outputs))
# Backpropagation Algorithm With Stochastic Gradient Descent
def back propagation(train, test, 1 rate, n epoch, n hidden):
n inputs = len(train[0]) - 1
n outputs = len(set([row[-1] for row in train]))
network = initialize network(n inputs, n hidden, n outputs)
train network(network, train, 1 rate, n epoch, n outputs)
predictions = list()
```

```
for row in test:
prediction = predict(network, row)
predictions.append(prediction)
return(predictions)
# Test Backprop on Seeds dataset
seed(1)
# load and prepare data
filename = 'seeds dataset.csv'
dataset = load csv(filename)
for i in range(len(dataset[0])-1):
str column to float(dataset, i)
# convert class column to integers
str column to int(dataset, len(dataset[0])-1)
# normalize input variables
minmax = dataset minmax(dataset)
normalize dataset(dataset, minmax)
# evaluate algorithm
n folds = 5
1 rate = 0.3
n = 500
n hidden = 5
scores = evaluate algorithm(dataset, back propagation, n folds, 1 rate, n epoch, n hidden)
print('Scores: %s' % scores)
print('Mean Accuracy: %.3f%%' % (sum(scores)/float(len(scores))))
```

A network with 5 neurons in the hidden layer and 3 neurons in the output layer was constructed. The network was trained for 500 epochs with a learning rate of 0.3. These parameters were found with a little trial and error, but you may be able to do much better.

Running the example prints the average classification accuracy on each fold as well as the average performance across all folds.

Back propagation and the chosen configuration achieved a mean classification accuracy of about 93% which is dramatically better than the Zero Rule algorithm that did slightly better than 28% accuracy.

#### **OUTPUT**

Scores: [92.85714285714286, 92.85714285714286, 97.61904761904762,

92.85714285714286, 90.47619047619048]

Mean Accuracy: 93.333%

#### EX NO 10. Implement a Candidate elimination algorithm

The candidate elimination algorithm incrementally builds the version space given a hypothesis space H and a set E of examples. The examples are added one by one; each example possibly shrinks the version space by removing the hypotheses that are inconsistent with the example. The candidate elimination algorithm does this by updating the general and specific boundary for each new example.

- You can consider this as an extended form of Find-S algorithm.
- Consider both positive and negative examples.

#### **Terms Used:**

- **Concept learning:** Concept learning is basically learning task of the machine (Learn by Train data)
- General Hypothesis: Not Specifying features to learn the machine.
- **G** = {'?', '?','?','?'...}: Number of attributes
- Specific Hypothesis: Specifying features to learn machine (Specific feature)
- S= {'pi','pi','pi'...}: Number of pi depends on number of attributes.
- **Version Space:** It is intermediate of general hypothesis and Specific hypothesis. It not only just written one hypothesis but a set of all possible hypothesis based on training data-set.

#### Input data

Weather	Temperature	Water	Forest	Humidity	Wind	Output
Sunny	Warm	Warm	Same	Normal	Strong	Yes
Sunny	Warm	Warm	same	high	Strong	Yes
Rainy	Cold	Warm	Change	high	Strong	No
Sunny	Warm	Cold	Change	high	Strong	Yes

# Coding: import csv

```
with open("data.csv") as f:
csv_file=csv.reader(f)
data=list(csv_file)

s=data[1][:-1]
g=[['?' for i in range(len(s))] for j in range(len(s))]
```

```
for i in data:
            if i[-1] == "Yes":
                 for i in range(len(s)):
                        if i[j]!=s[j]:
                             s[i]='?'
                             g[j][j]='?'
            elif i[-1]=="No":
                 for j in range(len(s)):
                        if i[j]!=s[j]:
                              g[j][j]=s[j]
                       else:
                             g[j][j]="?"
           print("\nSteps of Candidate Elimination Algorithm",data.index(i)+1)
           print(s)
           print(g)
      gh=[]
      for i in g:
            for j in i:
                 if i!='?':
                       gh.append(i)
                       break
      print("\nFinal specific hypothesis:\n",s)
      print("\nFinal general hypothesis:\n",gh)
OUTPUT:
Steps of Candidate Elimination Algorithm 1
['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']
[['?', '?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?']
'?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]
Steps of Candidate Elimination Algorithm 2
['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']
!?!, !?!, !?!, !?!], [!?!, !?!, !?!, !?!, !?!, !?!]
Steps of Candidate Elimination Algorithm 3
['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']
[[?', ?', ?', ?', ?'], [?', ?'], [?', ?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'], [?', ?'
'?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]
Steps of Candidate Elimination Algorithm 4
['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']
'?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]
Steps of Candidate Elimination Algorithm 5
['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']
```

 $\begin{bmatrix} [!?', !?', !?', !?', !?', !?'], [!?', !?', !?', !?', !?'], [!?', !?', !?', !?', !?', !?'], [!?', !?', !?', !?'], [!?', !?', !?'], [!?', !?', !?'], [!?', !?', !?'] \end{bmatrix}$ 

Final specific hypothesis: ['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']

Final general hypothesis: S = ['sunny', 'warm', ?, 'strong', ?, ?]